

It can be shown that for any dataset, we can map the original input features to a higher dimensional feature space such that the positive and negative examples are linearly separable in the mapped space. What are the implications of such feature mapping?

- A. Feature engineering is no longer important because feature mapping can create the separation that we need.
- B. Feature engineering is still important because without the right features, the separation in the mapped space will not be generalizable.

Answer: B

The kernel trick uses a kernel function instead of explicitly mapping the features then taking the dot product. Among the following statements, which ones are true?

- A. Using kernel functions (as opposed to mapping then dot product) is a faster way to compute the dot product in the mapped space.
- B. Using kernel functions (as opposed to mapping then dot product) is more sample efficient, i.e., it needs fewer training examples to learn effectively.
- C. Using kernel functions (as opposed to mapping then dot product) allows us to consider mappings that are not explicitly possible, e.g., due to infinite dimensions.
- D. When we use kernel functions as opposed to mapping then dot product, the optimization problem associated with learning can be more efficiently solved.

Answers: A, C

Given a linear decision boundary defined by w and b , the functional margin of a training data point (x, y) is defined as: $y(w^T x + b)$

whereas its geometric margin is defined as $\frac{y(w^T x + b)}{|w|}$, which normalizes the functional margin by the norm of the weight vector w . Which of the following statements are true:

- A. Functional margin could be positive or negative. Positive indicates correct prediction and negative indicates incorrect prediction.
- B. Geometric margin could be positive or negative. Positive indicates correct prediction and negative indicates incorrect prediction.
- C. Consider classifying two training data point with the same classifier (aka, same w and b), if point A has a larger functional margin than point B, point A must be further away from the decision boundary.
- D. Consider classifying two training data point with the same classifier (aka, same w and b), if point A has a larger geometric margin than point B, point A must be further away from the decision boundary.

Answers: A, B

Answers C and D are not correct because both margins are signed. Point B could be closer to the decision boundary but on the wrong side.

As we change the parameter C for soft-margin SVM, what do you expect to happen to the number of support vectors?

- A. Larger C value leads to larger number of support vectors.
- B. Larger C value leads to smaller number of support vectors.
- C. If $C=0$, all points become support vectors.
- D. If $C=\infty$, all points become support vectors.

Answers: B, C