

UNIVERSITÉ PARIS SACLAY



Lockdown Period Load Forecasting

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1 Présentation du sujet

tidyverse	lubridate	ranger	pracma	Metrics	mgcv
TRUE	TRUE	TRUE	TRUE	TRUE	TRUE
keras	visreg	caret	mc2d	opera	abind
TRUE	TRUE	TRUE	TRUE	TRUE	TRUE
randomForest	tensorflow	plot3D	e1071	xts	
TRUE	TRUE	TRUE	TRUE	TRUE	

```
$cross_validation.r
$cross_validation.r$value
function (data)
{
  set.seed(123)
  to.train = rbern(n = length(data$Load), p = 0.8) == T
  cross.train = data[to.train, ]
  cross.test = data[!to.train, ]
  return(list(train = cross.train, test = cross.test))
}
```

```
$cross_validation.r$visible
[1] FALSE
```

```
$days_to_numeric.r
$days_to_numeric.r$value
function (data)
{
  data$WeekDays[data$WeekDays == "Monday"] = 1
  data$WeekDays[data$WeekDays == "Tuesday"] = 2
  data$WeekDays[data$WeekDays == "Wednesday"] = 3
  data$WeekDays[data$WeekDays == "Thursday"] = 4
  data$WeekDays[data$WeekDays == "Friday"] = 5
  data$WeekDays[data$WeekDays == "Saturday"] = 6
  data$WeekDays[data$WeekDays == "Sunday"] = 7
  data$WeekDays = as.numeric(data$WeekDays)
  return(data$WeekDays)
}
```

```
$days_to_numeric.r$visible
[1] FALSE
```

```
$descriptive_analysis.r
$descriptive_analysis.r$value
function (ts)
{
  month = as.factor(.indexmon(ts))
  mean.month = tapply(ts, month, mean)
  noise = c()
  for (i in c(1:length(ts))) {
    noise = c(noise, mean.month[month[i]] - ts[i])
  }
  return(noise)
}
```

```
$descriptive_analysis.r$visible
[1] FALSE
```

```

$evaluate.r
$evaluate.r$value
function (test_label, predicted_set)
{
    return(rmse(test_label, predicted_set))
}

$evaluate.r$visible
[1] FALSE

$format_data.r
$format_data.r$value
function (file_train, file_test)
{
    print(paste("Load and format ", file_train, sep = " "))
    train_set = read_csv(file_train, col_types = cols())
    train_set$WeekDays[train_set$WeekDays == "Monday"] <- 1
    train_set$WeekDays[train_set$WeekDays == "Tuesday"] <- 2
    train_set$WeekDays[train_set$WeekDays == "Wednesday"] <- 3
    train_set$WeekDays[train_set$WeekDays == "Thursday"] <- 4
    train_set$WeekDays[train_set$WeekDays == "Friday"] <- 5
    train_set$WeekDays[train_set$WeekDays == "Saturday"] <- 6
    train_set$WeekDays[train_set$WeekDays == "Sunday"] <- 7
    train_set$WeekDays = as.integer(train_set$WeekDays)
    train_set$Year = NULL
    train_set$Date = NULL
    train_label = data.matrix(train_set$Load)
    train_set$Load = NULL
    train_set = data.matrix(train_set)
    print(paste("Load and format ", file_test, sep = " "))
    test_set = read_csv(file_test, col_types = cols())
    test_set$WeekDays[test_set$WeekDays == "Monday"] <- 1
    test_set$WeekDays[test_set$WeekDays == "Tuesday"] <- 2
    test_set$WeekDays[test_set$WeekDays == "Wednesday"] <- 3
    test_set$WeekDays[test_set$WeekDays == "Thursday"] <- 4
    test_set$WeekDays[test_set$WeekDays == "Friday"] <- 5
    test_set$WeekDays[test_set$WeekDays == "Saturday"] <- 6
    test_set$WeekDays[test_set$WeekDays == "Sunday"] <- 7
    test_set$WeekDays = as.integer(test_set$WeekDays)
    test_label = test_set$Load.1
    tmp = test_set$Load.1
    for (i in c(1:(length(tmp) - 1))) {
        test_label[i] = tmp[i + 1]
    }
    test_set$Year = NULL
    test_set$Date = NULL
    test_set$Id = NULL
    test_set$Usage = NULL
    test_set = data.matrix(test_set)
    test_set = data.matrix(test_set)
    return(list(train_set = train_set, train_label = train_label,
        test_set = test_set, test_label = test_label))
}

$format_data.r$visible
[1] FALSE

```

```

$fourier.r
$fourier.r$value
function (train, test, plt = FALSE)
{
  total.time = c(1:(nrow(train) + nrow(test)))
  length(total.time)
  train$time = total.time[1:nrow(train)]
  test$time = tail(total.time, nrow(test))
  fourier.make.matrix = function(t, k, period) {
    w = 2 * pi/period
    ret = cbind(cos(w * t), sin(w * t))
    for (i in c(2:K)) {
      ret = cbind(ret, cos(i * w * t), sin(i * w * t))
    }
    return(ret)
  }
  K = 5
  period = 365
  fourier.train = fourier.make.matrix(train$time, K, period)
  fourier.test = fourier.make.matrix(test$time, K, period)
  fourier.train.df = data.frame(train$Load, fourier.train)
  fourier.test.df = data.frame(fourier.test)
  reg = lm(train$Load ~ ., data = fourier.train.df)
  pred.fourier = predict(reg, newdata = fourier.test.df)
  total.fourier = c(reg$fitted, pred.fourier)
  if (plt) {
    par(mfrow = c(1, 1))
    plot(train$Load, type = "l", xlim = c(0, length(total.time)))
    lines(reg$fitted, col = "red", lwd = 2)
    lines(test$time, pred.fourier, col = "green", lwd = 2)
  }
  return(pred.fourier)
}

```

```

$fourier.r$visible
[1] FALSE

```

```

$GAM.r
$GAM.r$value
function (train, test, plt = FALSE)
{
  Gam <- gam(Load ~ s(Load.1) + s(Load.7) + s(Temp) + s(Temp_s95) +
    s(WeekDays, k = 7) + s(GovernmentResponseIndex), data = train)
  summary(Gam)
  gam.train = predict(Gam, newdata = train)
  gam.test = predict(Gam, newdata = test)
  if (plt) {
    par(mfrow = c(1, 1))
    plot(train$Load, type = "l", xlim = c(0, length(total.time)))
    lines(train$time, Gam$fit, col = "red", lwd = 1)
    lines(test$time, gam.test, col = "green", lwd = 1)
  }
  return(gam.test)
}

```

```

$GAM.r$visible
[1] FALSE

```

```

$lstm.r
$lstm.r$value
function (train, test, plt = FALSE)
{
  labels = train[, 2]
  train.lstm = train[, -c(1, 2, 22, 23)]
  test.lstm = test[, -c(1, 20, 21, 23, 24)]
  lstm = function(train_set, train_label, test_set) {
    window = 10
    n_windows = nrow(train_set) - window + 1
    n_features = ncol(train_set)
    x = array(data = NA, dim = c(n_windows, window, n_features))
    y = array(data = NA, dim = c(n_windows, window, 1))
    for (i in 1:n_windows) {
      x[i, , ] = data.matrix(train_set[i:(i + window -
        1), ])
      y[i, , ] = as.matrix(data.matrix(train_label[i:(i +
        window - 1), ]))
    }
    i = 1
    print(size(y))
    batch_size = 1
    lrelu = function(x) tf.keras.activations.relu(x, alpha = 0.1)
    model = keras_model_sequential() %>% layer_lstm(units = 64,
      batch_input_shape = c(batch_size, window, n_features),
      dropout = 0.2, recurrent_dropout = 0.2, return_sequences = T,
      ) %>% time_distributed(layer_dense(units = 1))
    model %>% compile(loss = "mae", optimizer = optimizer_rmsprop())
    model %>% fit(x, y, epochs = 15)
    pred.train = model %>% predict(X_train)
    pred.test = model %>% predict(X_test)
    return(list(train = pred.train, test = pred.test, model = model))
  }
  pred.lstm = lstm(train.lstm, labels, test.lstm)
  if (plt) {
    par(mfrow = c(1, 1))
    plot(train$Load, type = "l", xlim = c(0, length(total.time)))
    lines(test$time, pred.lstm$test, col = "green", lwd = 1)
  }
  N = length(test$Load.1)
  RMSE = rmse(pred.lstm$test[-N], test$Load.1[2:N])
  RMSE
  return(pred.lstm)
}

$lstm.r$visible
[1] FALSE

$main.r
NULL

$neural_network.r
$neural_network.r$value
function (train, test, plt = FALSE)
{
  labels = select(train, "Load")
  train.lstm = train

```

```

test.lstm = test
lstm = function(train_set, train_label, test_set) {
  window = nrow(test_set)
  n_windows = nrow(train_set) - window + 1
  n_features = ncol(train_set)
  x_train = array(data = NA, dim = c(n_windows, window,
    n_features))
  y_train = array(data = NA, dim = c(n_windows, window,
    1))
  for (i in window:nrow(train_set)) {
    x_train[i - window + 1, , ] = data.matrix(train_set[(i -
      window + 1):i, ])
    y_train[i - window + 1, , ] = as.matrix(data.matrix(train_label[(i -
      window + 1):i, ]))
  }
  x_test = array(data = NA, dim = c(1, window, n_features))
  for (i in window:nrow(test_set)) {
    x_test[i - window + 1, , ] = data.matrix(test_set[(i -
      window + 1):i, ])
  }
  batch_size = 40
  n = size(x_train)[1]
  to_remove = sample.int(n, n%%batch_size)
  x_train = x_train[-to_remove, , ]
  y_train = y_train[-to_remove, , ]
  y_train = array(y_train, dim = c(size(y_train)[1], size(y_train)[2],
    1))
  model = keras_model_sequential() %>% layer_lstm(units = 64,
    batch_input_shape = c(batch_size, window, n_features),
    return_sequences = T, activation = layer_activation_relu(max_value = 40000),
    kernel_regularizer = regularizer_l2(0.001), bias_regularizer = regularizer_l2(0.001)) %>%
    layer_lstm(units = 64, return_sequences = T, activation = layer_activation_relu(max_value =
      40000),
    kernel_regularizer = regularizer_l2(0.001), bias_regularizer = regularizer_l2(0.001))
    layer_lstm(units = n_features, return_sequences = T,
      activation = layer_activation_relu(max_value = 40000),
      kernel_regularizer = regularizer_l2(0.001), bias_regularizer = regularizer_l2(0.001))
      time_distributed(layer_dense(units = 1))
  model %>% compile(loss = "mse", optimizer = rmsprop(lr = 0.01,
    rho = 0.9, epsilon = NULL, decay = 0, clipnorm = 1,
    clipvalue = NULL))
  model %>% fit(x_train, y_train, epochs = 4, batch_size = batch_size)
  print("www")
  model_evaluate = keras_model_sequential() %>% layer_lstm(units = 64,
    batch_input_shape = c(1, window, n_features), return_sequences = T,
    activation = layer_activation_relu(max_value = 40000),
    kernel_regularizer = regularizer_l2(0.001), bias_regularizer = regularizer_l2(0.001)) %>%
    layer_lstm(units = 64, return_sequences = T, activation = layer_activation_relu(max_value =
      40000),
    kernel_regularizer = regularizer_l2(0.001), bias_regularizer = regularizer_l2(0.001))
    layer_lstm(units = n_features, return_sequences = T,
      activation = layer_activation_relu(max_value = 40000),
      kernel_regularizer = regularizer_l2(0.001), bias_regularizer = regularizer_l2(0.001))
      time_distributed(layer_dense(units = 1))
  print("www1")
  set_weights(model_evaluate, get_weights(model))
  print("www2")
  pred.test = model_evaluate %>% predict(x_test, batch_size = 1) %>%
    .[, , 1]
  print("www4")
  return(list(train = 1, test = pred.test, model = model_evaluate))
}

```

```

}
pred.lstm = lstm(train.lstm, labels, test.lstm)
if (plt) {
  par(mfrow = c(1, 1))
  plot(train$Load, type = "l", xlim = c(0, length(total.time)))
  lines(test$time, pred.lstm$test, col = "green", lwd = 1)
}
N = length(test$Load.1)
RMSE = rmse(pred.lstm$test[-N], test$Load.1[2:N])
RMSE
return(pred.lstm)
}

```

```

$neural_network.r$visible
[1] FALSE

```

```

$random_forest.r
$random_forest.r$value
function (train, test, n_trees, plt = FALSE)
{
  rf = randomForest(Load ~ ., data = train, mtry = n_trees,
    importance = TRUE, na.action = na.omit)
  pred.test.rf = predict(rf, test)
  print(rf$importance)
  if (plt) {
    par(mfrow = c(1, 1))
    plot(train$Load, type = "l", xlim = c(0, length(total.time)))
    lines(test$time, pred.test.rf, col = "green", lwd = 1)
  }
  N = length(test$Load.1)
  RMSE = rmse(pred.test.rf[-N], test$Load.1[2:N])
  RMSE
  return(list(pred.test.rf = pred.test.rf, rf = rf))
}

```

```

$random_forest.r$visible
[1] FALSE

```

```

$scale.r
$scale.r$value
function (scaled, scaler, feature_range = c(0, 1))
{
  min = scaler[1]
  max = scaler[2]
  t = length(scaled)
  mins = feature_range[1]
  maxs = feature_range[2]
  inverted_dfs = numeric(t)
  for (i in 1:t) {
    X = (scaled[i] - mins)/(maxs - mins)
    rawValues = X * (max - min) + min
    inverted_dfs[i] <- rawValues
  }
  return(inverted_dfs)
}

```

```

$scale.r$visible

```



```
[1] FALSE
```

```
$xgboost.r
$xgboost.r$value
function (train_set, train_label, test_set)
{
  param = list(booster = "gblinear", objective = "reg:squarederror",
    eval_metric = "rmse", lambda = 3e-04, alpha = 3e-04,
    nthread = 2, eta = 0.1)
  print("Model : XGBOOST")
  xgbmodel = xgboost(data = train_set, label = train_label,
    nrounds = 200, params = param, verbose = 0)
  pred = predict(xgbmodel, test_set)
  return(pred)
}
```

```
$xgboost.r$visible
```

```
[1] FALSE
```

```
[1] "Load and format ./data/train_V2.csv"
```

```
[1] "Load and format ./data/test_V2.csv"
```

Nous allons nous intéresser à la prédiction de la consommation électrique en France durant la pandémie de COVID-19. Cette situation de confinement et couvre-feu étant inédite, nous n'avons pas de données et de modèles adaptés. Nous allons donc essayer de fournir un modèle prédictif dont nous évaluerons la qualité en utilisant la Root Mean Squared Error (RMSE). Prédire la consommation électrique à l'avance permet d'adapter la production en amont et ainsi d'éviter des coupures de courant en cas de demande élevée et d'éviter d'en produire trop. Les centrales à énergie fossile (gaz, charbon) étant les plus rapides à mettre en marche et arrêter, on peut ainsi réduire au minimum l'émission de gaz à effet de serre.

Ce jeu de données comporte 3028 ligne pour la partie d'entraînement et 275 lignes pour la partie de test. Chaque ligne est composée de

Index	Load.1	Load.7	Temp
Min. :2012-01-01 00:00:00	Min. :35589	Min. :35589	Min. : -4.897
1st Qu.:2014-01-26 18:00:00	1st Qu.:46727	1st Qu.:46757	1st Qu.: 7.830
Median :2016-02-22 12:00:00	Median :51261	Median :51319	Median :12.084
Mean :2016-02-22 12:00:00	Mean :54617	Mean :54669	Mean :12.542
3rd Qu.:2018-03-20 06:00:00	3rd Qu.:63140	3rd Qu.:63173	3rd Qu.:17.498
Max. :2020-04-15 01:00:00	Max. :94097	Max. :94097	Max. :28.066
Temp_s95	Temp_s99	Temp_s95_min	Temp_s95_max
Min. : -4.522	Min. : -4.152	Min. : -6.186	Min. : -3.782
1st Qu.: 7.824	1st Qu.: 7.890	1st Qu.: 6.704	1st Qu.: 8.933
Median :12.076	Median :12.035	Median :10.717	Median :13.460
Mean :12.542	Mean :12.541	Mean :11.155	Mean :13.935
3rd Qu.:17.519	3rd Qu.:17.596	3rd Qu.:15.886	3rd Qu.:19.064
Max. :27.985	Max. :26.318	Max. :25.438	Max. :30.514
Temp_s99_min	Temp_s99_max	toy	WeekDays
Min. : -4.518	Min. : -3.732	Min. :0.001338	Min. :1.000
1st Qu.: 7.615	1st Qu.: 8.253	1st Qu.:0.230859	1st Qu.:2.000
Median :11.652	Median :12.504	Median :0.481530	Median :4.000
Mean :12.175	Mean :12.978	Mean :0.487565	Mean :3.999
3rd Qu.:17.190	3rd Qu.:18.048	3rd Qu.:0.741110	3rd Qu.:6.000
Max. :25.630	Max. :27.087	Max. :0.998662	Max. :7.000
BH	Month	DLS	Summer_break
Min. :0.00000	Min. : 1.000	Min. :1.00	Min. : 0.0000
1st Qu.:0.00000	1st Qu.: 3.000	1st Qu.:1.00	1st Qu.: 0.0000
Median :0.00000	Median : 6.000	Median :2.00	Median : 0.0000
Mean :0.03534	Mean : 6.375	Mean :1.57	Mean : 0.9247
3rd Qu.:0.00000	3rd Qu.: 9.000	3rd Qu.:2.00	3rd Qu.: 0.0000

Max. :1.00000	Max. :12.000	Max. :2.00	Max. :10.0000
Christmas_break	GovernmentResponseIndex		
Min. : 0.0000	Min. : 0.000		
1st Qu.: 0.0000	1st Qu.: 0.000		
Median : 0.0000	Median : 0.000		
Mean : 0.9181	Mean : 1.103		
3rd Qu.: 0.0000	3rd Qu.: 0.000		
Max. :20.0000	Max. :72.500		

Les données d'entraînement vont du 1er janvier 2012 au 15 avril 2020 (soit 1 mois après le début du premier confinement). Nous vérifions ensuite si il y a des valeurs invalides dans notre jeu de données :
`■apercu,echo=FALSE■= which(is.na(trainset))which(is.na(testset))` Il n'y en a aucune.

Nous allons maintenant nous concentrer uniquement sur les données d'entraînement.

2 Analyse descriptive des données

Commençons par regarder à quoi ressemble nos données

2.1 Saisonnalité

Nous observons une saisonnalité annuelle. Si nous nous concentrons sur deux mois : Nous observons ici une saisonnalité au niveau de la semaine. Vérifions cela en traçant les consommations moyennes sur tout le jeu de données Ces figures confirment une saisonnalité à l'année avec une consommation électrique plus élevée en hiver et chutant en été, particulièrement en août. Nous pouvons corréler cela avec la température : d'après EDF, le chauffage électrique correspond à 62% de la consommation électrique au sein d'une maison ou d'un appartement en France. Nous observons aussi une baisse de la consommation électrique lors du week-end (car moins de personnes travaillent le week-end).

2.2 Corrélation

2.3 Statistiques de base