

Why Neural Translations are the Right Length

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Abstract

We investigate how neural, encoder-decoder translation systems output target strings of appropriate lengths, finding that a collection of hidden units learns to explicitly implement this functionality.

1 Introduction

The neural encoder-decoder framework for machine translation (Neco and Forcada, 1997; Castaño and Casacuberta, 1997; Sutskever et al., 2014; Bahdanau et al., 2014; Luong et al., 2015) provides new tools for addressing the field’s difficult challenges. In this framework (Figure 1), we use a recurrent neural network (*encoder*) to convert a source sentence into a dense, fixed-length vector. We then use another recurrent network (*decoder*) to convert that vector into a target sentence. In this paper, we train long short-term memory (LSTM) neural units (Hochreiter and Schmidhuber, 1997) trained with back-propagation through time (Werbos, 1990).

A remarkable feature of this simple neural MT (NMT) model is that it produces translations of the right length. When we evaluate the system on previously unseen test data, using BLEU (Papineni et al., 2002), we consistently find the length ratio between MT outputs and human references translations to be very close to 1.0. Thus, no brevity penalty is incurred. This behavior seems to come for free, without special design.

By contrast, builders of standard statistical MT (SMT) systems must work hard to ensure correct length. The original mechanism comes from the

IBM SMT group, whose famous Models 1-5 included a learned table $\epsilon(y|x)$, with x and y being the lengths of source and target sentences (Brown et al., 1993). But they did not deploy this table when decoding a foreign sentence f into an English sentence e ; it did not participate in incremental scoring and pruning of candidate translations. As a result (Brown et al., 1995):

“However, for a given f , if the goal is to discover the most probable e , then the product $P(e) P(f|e)$ is too small for long English strings as compared with short ones. As a result, short English strings are improperly favored over longer English strings. This tendency is counteracted in part by the following modification: Replace $P(f|e)$ with $c^{\text{length}(e)} \cdot P(f|e)$ for some empirically chosen constant c . This modification is treatment of the symptom rather than treatment of the disease itself, but it offers some temporary relief. The cure lies in better modeling.”

More temporary relief came from Minimum Error-Rate Training (MERT) (Och, 2003), which automatically sets c to maximize BLEU score. MERT also sets weights for the language model $P(e)$, translation model $P(f|e)$, and other features. The length feature combines so sensitively with other features that MERT frequently returns to it as it revises one weight at a time.

NMT’s ability to correctly model length is remarkable for these reasons:

- SMT relies on maximum BLEU training to obtain a length ratio that is prized by BLEU, while NMT obtains the same result through generic maximum likelihood training.
- Standard SMT models explicitly “cross off”

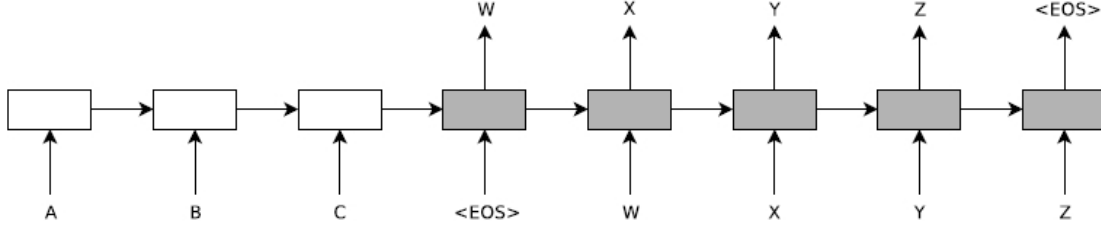


Figure 1: The encoder-decoder framework for neural machine translation (NMT) (Sutskever et al., 2014). Here, a source sentence C B A (fed in reverse as A B C) is translated into a target sentence W X Y Z. At each step, an evolving real-valued vector summarizes the state of the encoder (left half) and decoder (right half).

source words and phrases as they are translated, so it is clear when an SMT decoder has finished translating a sentence. NMT systems lack this explicit mechanism.

- SMT decoding involves heavy search, so if one MT output path delivers an infelicitous ending, another path can be used. NMT decoding explores far fewer hypotheses, using a tight beam without recombination.

In this paper, we investigate how length regulation works in NMT.

2 A Toy Problem for Neural MT

We start with a simple problem in which source strings are composed of symbols a and b . The goal of the translator is simply to copy those strings. Training cases look like this:

| | |
|---------------------------|---------------------------------------|
| $a a a b b a$ <EOS> | $\rightarrow a a a b b a$ <EOS> |
| $b b a$ <EOS> | $\rightarrow b b a$ <EOS> |
| $a b a b a b a a$ <EOS> | $\rightarrow a b a b a b a a$ <EOS> |
| $b b a b b a b b a$ <EOS> | $\rightarrow b b a b b a b b a$ <EOS> |

The encoder must summarize the content of any source string into a fixed-length vector, so that the decoder can then reconstruct it.¹ With 4 hidden LSTM units, our NMT system can learn to solve this problem after being trained on 2500 randomly chosen strings of lengths up to 9.^{2 3}

To understand how the learned system works, we encode different strings and record the resulting LSTM cell values. Because our LSTM has four hidden units, each string winds up at some point in four-

dimensional space. We plot the first two dimensions ($unit_1$ and $unit_2$) in the left part of Figure 2, and we plot the other two dimensions ($unit_3$ and $unit_4$) in the right part. There is no dimension reduction in these plots. Here is what we learn:

- $unit_1$ records the approximate length of the string. Encoding a string of length 7 may generate a value of -6.99 for $unit_1$.
- $unit_2$ records the number of b 's minus the number of a 's, thus assigning a more positive value to b -heavy strings. It also includes a +1 bonus if the string ends with a .
- $unit_3$ records a prefix of the string. If its value is less than 1.0, the string starts with b . Otherwise, it records the number of leading a 's.
- $unit_4$ has a more diffuse function. If its value is positive, then the string consists of all b 's (with a possible final a). Otherwise, its value correlates with both negative length and the preponderance of b 's.

For our purposes, $unit_1$ is the interesting one. Figure 3 shows the progression of “ $a b a b b b$ ” as it gets encoded (top figure), then decoded (bottom two figures). During encoding, the value of $unit_1$ decreases by approximately 1.0 each time a letter is read. During decoding, its value increases each time a letter is written. When it reaches zero, it signals the decoder to output <EOS>.

The behavior of $unit_1$ shows that the translator incorporates explicit length regulation. It also explains two interesting phenomena:

- When asked to transduce previously-unseen strings up to length 14, the system occasionally makes a mistake, mixing up an a or b . However, the output length is never wrong.⁴

¹We follow Sutskever et al. (2014) in feeding the input string backwards to the encoder.

²Additional training details: 100 epochs, 100 minibatch size, 0.7 learning rate, 1.0 gradient clipping threshold.

³We use the toolkit: <https://github.com/isi-nlp/Zoph.RNN>

⁴Machine translation researchers have also noticed that

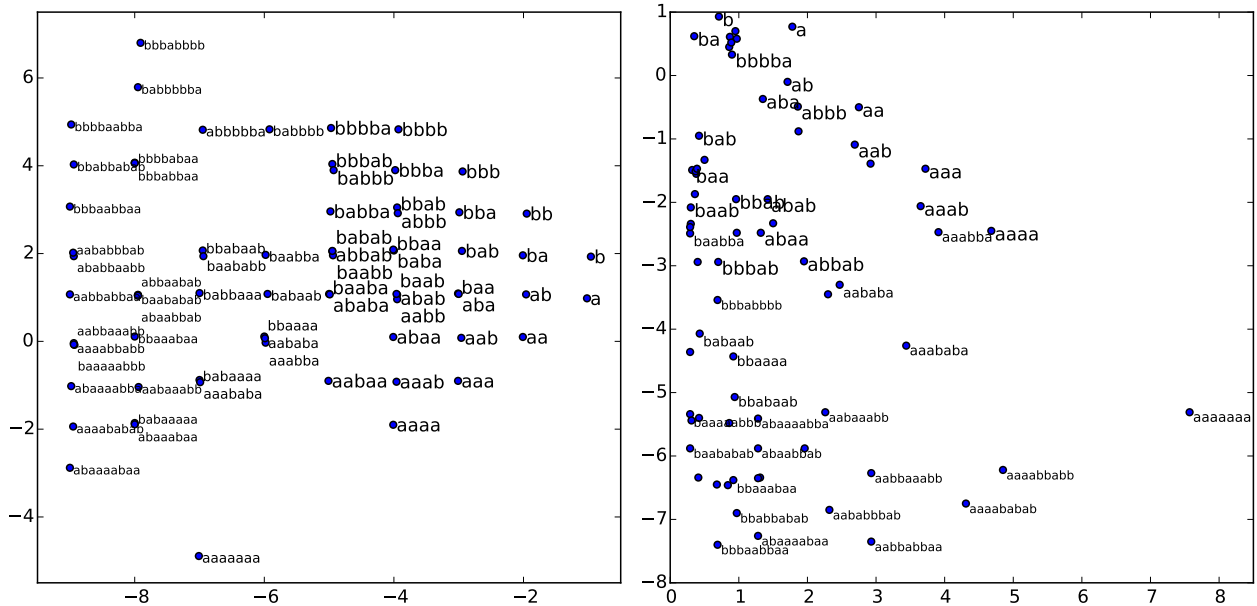


Figure 2: After learning, the recurrent network can convert any string of a 's and b 's into a 4-dimensional vector. The left plot shows the encoded strings in dimensions described by the cell states of LSTM unit₁ (x-axis) and unit₂ (y-axis). unit₁ learns to record the length of the string, while unit₂ records whether there are more b 's than a 's, with a +1 bonus for strings that end in a . The right plot shows the cell states of LSTM unit₃ (x-axis) and unit₄ (y-axis). unit₃ records how many a 's the string begins with, while unit₄ correlates with both length and the preponderance of b 's. Some text labels are omitted for clarity.

- When we ask the system to transduce very long strings, beyond what it has been trained on, its output length may be slightly off. For example, it transduces a string of 28 b 's into a string of 27 b 's. This is because unit₁ is not incremented and decremented by exactly 1.0.

| Top 10 units by ... | 1st layer | 2nd layer |
|---------------------|-----------|-----------|
| Individual R^2 | 0.868 | 0.947 |
| Greedy addition | 0.968 | 0.957 |
| Beam search | 0.969 | 0.958 |

Table 1: R^2 values showing how differently-chosen sets of 10 LSTM hidden units correlate with length in the NMT encoder.

3 Full-Scale Neural Machine Translation

Next we turn to full-scale NMT. We train on data from the WMT 2014 English-to-French task, consisting of 12,075,604 sentence pairs, with 303,873,236 tokens on the English side, and 348,196,030 on the French side. We use 1000 hidden LSTM units. We also use *two layers* of LSTM units between source and target.⁵

After the LSTM encoder-decoder is trained, we send test-set English strings through the encoder portion. Every time a word token is consumed, we record the LSTM cell values and the length of the

when the translation is completely wrong, the length is still correct (anonymous).

⁵ Additional training details: 8 epochs, 128 minibatch size, 0.35 learning rate, 5.0 gradient clipping threshold.

string so far. Over 143,379 token observations, we investigate how the LSTM encoder tracks length.

With 1000 hidden units, it is difficult to build and inspect a heat map analogous to Figure 3. Instead, we seek to predict string length from the cell values, using a weighted, linear combination of the 1000 LSTM cell values. We use the least-squares method to find the best predictive weights, with resulting R^2 values of 0.990 (for the first layer, closer to source text) and 0.981 (second layer). So the entire network records length very accurately.

However, unlike in the toy problem, no single unit tracks length perfectly. The best unit in the second layer is unit₁₀₉, which correlates with $R^2=0.894$.

We therefore employ three mechanisms to locate

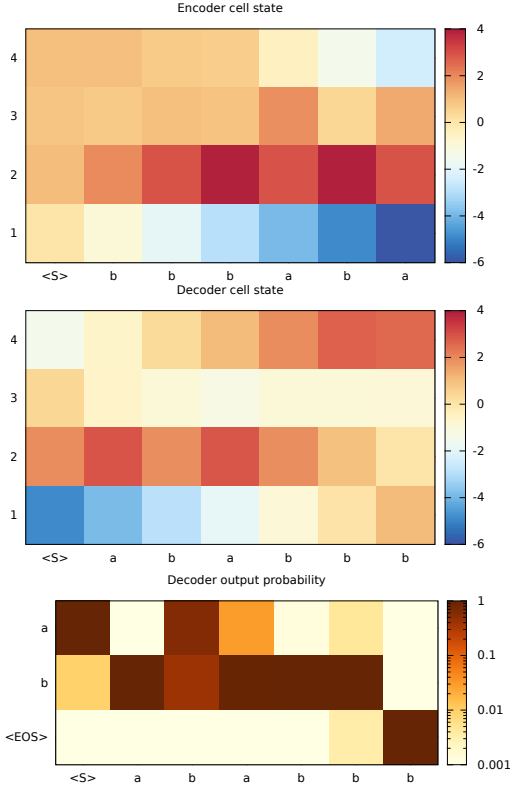


Figure 3: The progression of LSTM state as the recurrent network encodes the string “a b a b b b”. Columns show the inputs over time and rows show the outputs. Red color indicates positive values, and blue color indicates negative. The value of unit₁ decreases during the encoding phase (top figure) and increases during the decoding phase (middle figure). The bottom figure shows the decoder’s probability of ending the target string (<EOS>).

| k | Best subset of LSTM’s 1000 units | R^2 |
|-----|----------------------------------|-------|
| 1 | 109 | 0.894 |
| 2 | 334, 109 | 0.936 |
| 3 | 334, 442, 109 | 0.942 |
| 4 | 334, 442, 109, 53 | 0.947 |
| 5 | 334, 442, 109, 53, 46 | 0.951 |
| 6 | 334, 442, 109, 53, 46, 928 | 0.953 |
| 7 | 334, 442, 109, 53, 46, 433, 663 | 0.955 |

Table 2: Sets of k units chosen by beam search to optimally track length in the NMT encoder. These units are from the LSTM’s second layer.

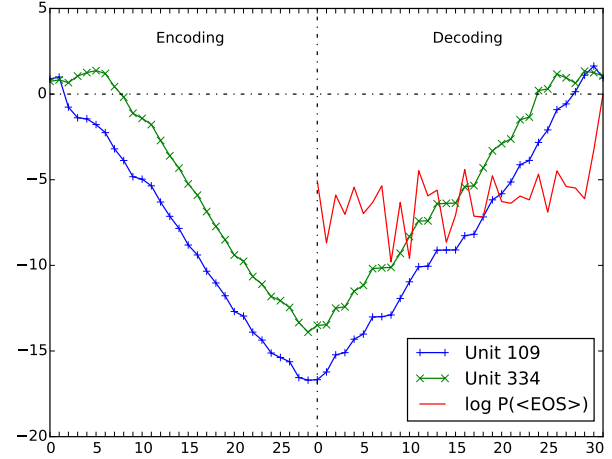


Figure 4: Action of translation unit₁₀₉ and unit₃₃₄ during the encoding and decoding of a sample sentence. Also shown is the softmax log-prob of output <EOS>.

a subset of units responsible for tracking length. We select the top k units according to: (1) individual R^2 scores, (2) greedy search, which repeatedly adds the unit which maximizes the set’s R^2 value, and (3) beam search. Table 1 shows different subsets we obtain. These are quite predictive of length. Table 2 shows how R^2 increases as beam search augments the subset of units.

4 Mechanisms for Decoding

For the toy problem, Figure 3 (middle part) shows how the cell value of unit₁ moves back to zero as the target string is built up. It also shows (lower part) how the probability of target word <EOS> shoots up once the correct target length has been achieved.

MT decoding is trickier, because source and target strings are not necessarily the same length, and

target length depends on the words chosen. Figure 4 shows the action of unit₁₀₉ and unit₃₃₄ for a sample sentence. They behave similarly on this sentence, but not identically. These two units do not form a simple switch that controls length—rather, they are high-level features computed from lower/previous states that contribute quantitatively to the decision to end the sentence.

Figure 4 also shows the log $P(\langle \text{EOS} \rangle)$ curve, where we note that the probability of outputting $\langle \text{EOS} \rangle$ rises sharply (from 10^{-8} to 10^{-4} to 0.998), rather than gradually.

5 Conclusion

We determine how target length is regulated in NMT decoding. In future work, we hope to determine how other parts of the translator work, especially with reference to grammatical structure and transformations.

Acknowledgments

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