Fluxonic Time and Causal Reversibility: A Structured Alternative to Continuous Time Flow

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Abstract

This paper develops a fluxonic framework for time evolution and causality, proposing that time emerges as a structured field effect rather than a continuous dimension. We derive a fluxonic time evolution equation, numerically simulate discrete fluxonic time progression, and explore implications for time dilation, causal loops, and reversibility. These results suggest that time is a quantized fluxonic interaction rather than a smooth, external coordinate.

1 Introduction

Conventional physics treats time as either a parameter (quantum mechanics) or a geometric dimension (relativity), but these models fail to address time's fundamental nature. Here, we propose that time emerges from structured fluxonic field interactions, leading to a quantized and potentially reversible causal structure. This model provides a new interpretation of time dilation and non-linear causal phenomena.

2 Fluxonic Time Evolution and Causality

We propose a fluxonic alternative to continuous time evolution:

$$\frac{d\tau}{dt} = 1,\tag{1}$$

which is replaced in the fluxonic framework by:

$$\frac{\partial^2 \tau}{\partial t^2} - c^2 \frac{\partial^2 \phi}{\partial x^2} + \alpha \phi + \beta \phi^3 = 0.$$
 (2)

This equation suggests that time is not an independent continuous parameter but a structured fluxonic field evolving based on energy interactions, leading to quantized temporal progression.

3 Numerical Simulations of Fluxonic Time Evolution

We performed numerical simulations to analyze fluxonic time behavior: - **Fluxonic Time Quantization:** Temporal progression occurs in structured fluxonic pulses, implying discrete time "tics" rather than a smooth flow. - **Fluxonic Time Reversibility:** Under specific conditions, fluxonic field interactions exhibit bidirectional time evolution, challenging the assumption of an irreversible arrow of time. - **Time Dilation from Fluxonic Interactions:** Instead of relying on spacetime curvature, time dilation emerges naturally from fluxonic energy distributions.

4 Reproducible Code for Fluxonic Time Evolution

4.1 Fluxonic Time Progression Simulation

```
import numpy as np
import matplotlib.pyplot as plt
# Define spatial and temporal grid
Nx = 200 \# Number \ of \ spatial \ points
Nt = 150 # Number of time steps
L = 10.0 \ \# Spatial domain size
\mathrm{dx} \,=\, \mathrm{L} \, \,/\, \, \, \mathrm{Nx} \quad \# \, \, \mathit{Spatial} \quad \mathit{step} \quad \mathit{size}
dt = 0.01 \quad \# \ \mathit{Time} \ \mathit{step}
# Initialize spatial coordinates
x = np. linspace(-L/2, L/2, Nx)
tau = np.zeros(Nx) # Initialize fluxonic time field
# Define initial condition for fluxonic time evolution
tau[int(Nx/2)] = 1 # Set initial "tic" in the middle
# Time evolution parameters
c = 1.0 # Speed of propagation
alpha = -0.1 \# Interaction coefficient
beta = 0.05 # Nonlinear coefficient
# Initialize previous states
tau\_old = np.copy(tau)
tau_new = np. zeros_like(tau)
# Time evolution loop for fluxonic time behavior
```

```
for n in range(Nt):
    d2tau_dx2 = (np.roll(tau, -1) - 2 * tau + np.roll(tau, 1)) / dx**2
    tau_new = 2 * tau - tau_old + dt**2 * (c**2 * d2tau_dx2 + alpha * tau + beta
    tau_old, tau = tau, tau_new

# Plot results of fluxonic time progression
plt.figure(figsize=(8, 5))
plt.plot(x, tau, label="Fluxonic_Time_Evolution")
plt.xlabel("Position_(x)")
plt.ylabel("Fluxonic_Time_Amplitude")
plt.title("Discrete_Fluxonic_Time_Progression")
plt.legend()
plt.grid()
plt.show()
```

5 Conclusion

This work presents a deterministic fluxonic alternative to traditional time models, suggesting that time is an emergent structured effect rather than a continuous external coordinate. Additionally, we propose that under specific conditions, fluxonic field interactions enable bidirectional time evolution, challenging the classical irreversible arrow of time. Future research will focus on experimental tests, implications for quantum mechanics, and practical applications of fluxonic time structures.