Computational Semantics 2

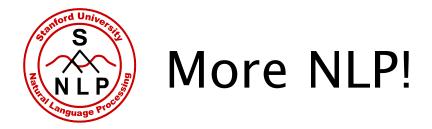


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(Borrows some slides from Mary Dalrymple, Jason Eisner, and Jim Martin)



- 1. Quantifiers [15 mins]
- 2. Semantic Grammars [15 mins]
- 3. Introducing a formal grammar fragment [15 mins]
- 4. Model theory [5 mins]
- 5. Extending applying the formal fragment [30 mins]
- 6. Semantic Parsing [0 or more minutes]



NLP in the Spring!

- CS224U: Natural Language Understanding
 - · Much more detail of semantic and NLU. Great class.
 - Chris Potts, Bill MacCartney
- CS224D: Deep Learning for NLP
 - Neural nets and deep learning in much more detail
 - Richard Socher
- CS276: Information Retrieval and Web Search
 - Learn how Google works ©. From infrastructure to ML.



QUANTIFIERS



How do things get more complex? (The former) GRE analytic section

- Six sculptures C, D, E, F, G, H are to be exhibited in rooms 1, 2, and 3 of an art gallery.
 - Sculptures C and E may not be exhibited in the same room.
 - Sculptures D and G must be exhibited in the same room.
 - If sculptures E and F are exhibited in the same room, no other sculpture may be exhibited in that room.
 - At least one sculpture must be exhibited in each room, and no more than three sculptures may be exhibited in any room.
- If sculpture D is exhibited in room 3 and sculptures E and F are exhibited in room 1, which of the following may be true?
 - 1. Sculpture C is exhibited in room 1.
 - 2. Sculpture H is exhibited in room 1.
 - 3. Sculpture G is exhibited in room 2.
 - 4. Sculptures C and H are exhibited in the same room.
 - 5. Sculptures G and F are exhibited in the same room.



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Adding more complex NPs

NP: A man \sim 3x.man(x)

S: A man loves Mary

~> * love(∃x.man(x),mary)

How do we fix this?



A disappointment

Our first idea for NPs with determiner didn't work out:

"A man" $\sim 3z.man(z)$

"A man loves Mary" ~> * love(3z.man(z),mary)

But what was the idea after all? Nothing!

∃z.man(z) just isn't the meaning of "a man".

If anything, it translates the complete sentence "There is a man"

Let's try again, systematically...

A solution for quantifiers

What we want is:

"A man loves Mary" ~> ∃z(man(z) ∧ love(z,mary))

What we have is:

"man" $\sim \lambda y.man(y)$

"loves Mary" $\sim > \lambda x.love(x,mary)$

How about: $\exists z(\lambda y.man(y)(z) \land \lambda x.love(x,mary)(z))$

Remember: We can use variables for any kind of term.

So next:

 $\lambda P(\lambda Q.\exists z(P(z) \land Q(z))) < \sim \text{``A''}$



Logic: Interesting Constants

- Quantifiers
- all a predicate on two properties
 - all(dog)(bark) = "all dogs bark"
 - Equivalently, $all(\lambda x dog(x))(\lambda x bark(x))$
 - returns true if every individual that makes the first predicate true also satisfy the second predicate
- similarly for other quantifiers
 - all is a higher order function. It maps:
 - $(Ind \rightarrow Bool) \rightarrow [(Ind \rightarrow Bool) \rightarrow Bool]$
- Note that it's just part of our set of functions
 - Not some special funky thing like in predicate calculus



Logic: Interesting Constants

- Generalized Quantifiers
- most a predicate on 2 predicates on entities
 - most(pig, big) = "most pigs are big"
 - Equivalently, $most(\lambda x pig(x), \lambda x big(x))$
 - returns true if most of the things satisfying the first predicate also satisfy the second predicate
- similarly for other quantifiers
 - at-least-2(pig,big) equivalent to |pig(x) AND big(x)| > 2
 - Not-exists(pig,beautiful)
 - equivalent to ! ∃x pig(x) AND beautiful(x)
 - can even build complex quantifiers from English phrases:
 - "between 12 and 75"; "a minority of"; "all but the smallest 2"



Quantifier Order

- Groucho Marx celebrates quantifier order ambiguity:
 - In this country <u>a woman</u> gives birth <u>every 15 min</u>. Our job is to find that woman and stop her.
 - ∃woman (∀15min gives-birth-during(woman, 15min))
 - ∀15min (∃woman gives-birth-during(15min, woman))
 - Surprisingly, both are possible in natural language!
 - Which is the joke meaning?
 - (where it's always the same woman)



Scope Needs to be Resolved!

At least one sculpture must be exhibited in each room.

The same sculpture in each room?

No more than three sculptures may be exhibited in any room.

Reading 1: For every room, there are no more than three sculptures exhibited in it.

Reading 2: Only three or less sculptures are exhibited (the rest are not shown).

Reading 3: Only a certain set of three or less sculptures may be exhibited in any room (for the other sculptures there are restrictions in allowable rooms).

- Some readings will be ruled out by being uninformative or by contradicting other statements
- Otherwise we must be content with distributions over scoperesolved semantic forms



SEMANTIC GRAMMARS



An alternative: Semantic Grammars

- A problem with traditional linguistic grammars is that they don't necessarily reflect the semantics in a straightforward way
- You can deal with this by...
 - Fighting with the grammar
 - Complex lambdas and complex terms, etc.
 - Rewriting the grammar to reflect the semantics
 - And in the process give up on some syntactic niceties
 - known as "Semantic grammars"
 - Simple idea, dumb name



Lifer Semantic Grammars

Example domain—access to DB of US Navy ships

- Example inputs recognized by above grammar: can you tell me the class of the Enterprise what is the length of Kitty Hawk class ships
 - Many categories are not "true" syntactic categories
 - Words are recognized by their context rather than category (e.g. class)
 - Recognition is strongly directed
 - Strong direction useful for error detection and correction
 - G. Hendrix, E. Sacerdoti, D. Sagalowicz, and J.Slocum. 1978. Developing a natural language interface to complex data. ACM Transactions on Database Systems 3:105-147



Semantic Grammar

- The term semantic grammar refers to the motivation for the grammar rules
 - The technology (plain CFG rules with a set of terminals) is the same as we've been using
 - The good thing about them is that you get exactly the semantic rules you need
 - The bad thing is that you need to develop a new grammar for each new domain
- Typically used in conversational agents in constrained domains
 - Limited vocabulary
 - Limited grammatical complexity
 - Syntactic parsing can often produce all that's needed for semantic interpretation even in the face of "ungrammatical" input – write fragment rules



Semantic Grammars Summary

Advantages:

- Efficient recognition of limited domain input
- Absence of overall grammar allows pattern-matching possibilities for idioms, etc.
- No separate interpretation phase
- Strength of top-down constraints allows powerful ellipsis mechanisms

What is the length of the Kennedy? The Kittyhawk?

Disadvantages:

- Different grammar required for each new domain
- Lack of overall syntax can lead to "spotty" grammar coverage
 - E.g. fronting possessive in "<attribute> of <ship>" to <ship> 's <attribute> doesn't imply fronting in "<rank> of <officer>"
- Difficult to develop grammars past a certain size
- Suffers from fragility



Facebook Graph Search

 Uses a weighted context free grammar (WCFG) to represent the Graph Search query language:

```
[start] => [users]
[users] => my friend(s)
friends(me)
```

• [users] => friends of [users] friends(\$1)

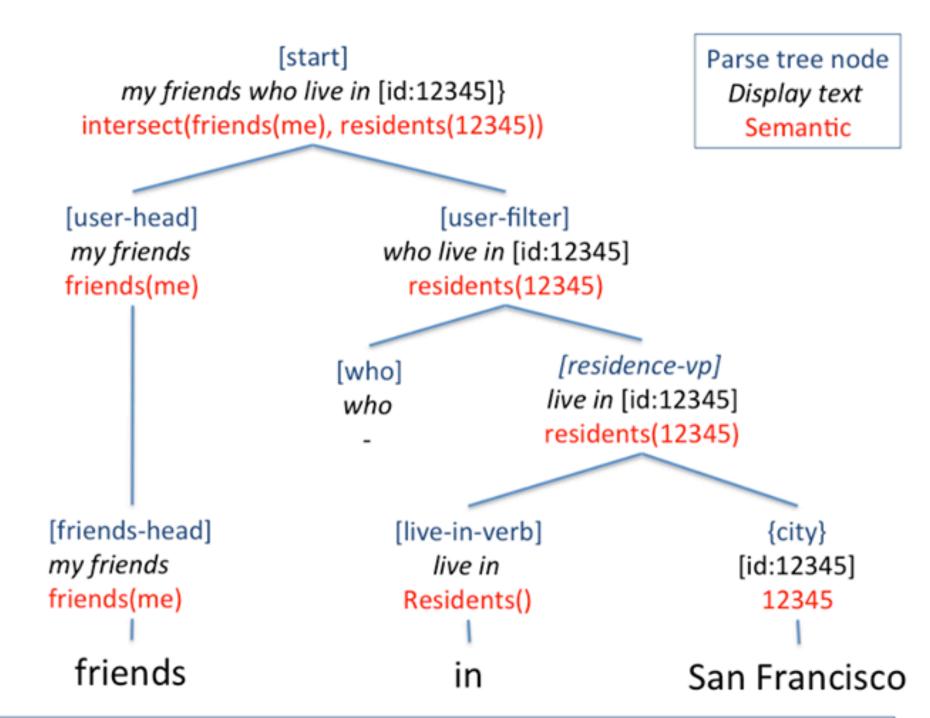
• [users] => {user} \$1

[users] => {user} {user-filter} intersect(\$1, \$2)

• [start] => [photos] \$1

[photos] => photos of [users] photos(\$1)

 A terminal symbol can be an entity, e.g., {user}, {city}, {employer}, {group}; it can also be a word/phrase, e.g., friends, live in, work at, members, etc. A parse tree starts from [start] and expanding via rules to terminal symbols.



The parse tree, semantic and entity ID used in the above example are for illustration only; they do not represent real information used in Graph Search Beta