

$$LSD = T \frac{\alpha}{2}, N(\text{Grados de libertad del error}) - k \frac{\sqrt{2cme}}{n(\text{cantidad de valores por tratamientos})}$$

$$N = \text{Total} - 1$$

$$K = \text{Total trat} - 1$$

1. $N1^2 + N2^2 + N3^2 \dots = \text{Suma.cuadrados(B2:G5), = Sumsq(B2:G5)}$
2. $(N1+N2+N3\dots)^2 / \text{total} = \text{Suma(B2:G5)}^2 / \text{Contar(B2:G5)}$
3. **SSTotal** = paso1 – paso2
4. **Trat_n** = $(N1+N2+N3\dots)^2 / \text{Total num en el trat} = \text{Suma(B2:G5)}^2 / \text{Contar(B2:g2)}$
5. $(\text{Trat}_1 + \text{Trat}_2 \dots)$
6. **SSTrat** = punto 5 – punto 2
7. **Fcrit** = Inv.F(0.95, glbTrat, glbError), **F.inv(0.95, glbTrat, glbError)**

FV	SC	GL	CM	F ₀	Valor-p
Tratamientos	$SC_{TRAT} = \sum_{i=1}^k \frac{Y_{i.}^2}{n_i} - \frac{Y_{..}^2}{N}$	$k - 1$	$CM_{TRAT} = \frac{SC_{TRAT}}{k - 1}$	$\frac{CM_{TRAT}}{CM_E}$	$P(F > F_0)$
Error	$SC_E = SC_T - SC_{TRAT}$	$N - k$	$CM_E = \frac{SC_E}{N - k}$		
Total	$SC_T = \sum_{i=1}^k \sum_{j=1}^{n_i} Y_{ij}^2 - \frac{Y_{..}^2}{N}$	$N - 1$			

Se rechaza la H₀ si el $p - \text{valor} < \alpha$

$$P\text{Valor} = 1 - \text{Distr.F.n}(F, \text{glbTrat}, \text{glbError}, 1) \quad \mathbf{1 - F.Dist(f, glbTrat, glbError, 1)}$$

$$\text{Nivel de confianza} = 1 - p \text{ valor}$$