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##############
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# Pledge: I plege my honor that I have abided by the Stevens Honor System
# Description: Homework 1
#############
Problem 1
n = AND
u = OR
a) A = \{SSF, SFS, SFF\}
b) B = \{SSS, SSF, SFS, FSS\}
c) C = \{SSS, SSF, SFS\}
d) C' = {SFF,FSS,FSF,FFS,FFF}
   A u C = \{SSS, SSF, SFS, SFF\}
   A n C = \{SSF, SFS\}
   B u C = \{SSS, SSF, SFS, FSS\}
   B n C = \{SSS, SSF, SFS\}
Problem 2
a) S = \{3,4,5,13,14,15,23,24,25,123,124,125,213,214,215\}
b) A = \{3, 4, 5\}
c) B = \{5, 15, 25, 125, 215\}
d) C = \{3, 4, 5, 23, 24, 25\}
Problem 3
a) 7%
b) 15\% + 10\% + 5\% = 30\%
c) 100\% - (18\% + 25\%) = 57\%
Problem 4
P(A1) = .22
P(A2) = .25
P(A3) = .28
P(A1 n A2) = .11
P(A1 n A3) = .05
P(A2 n A3) = .07
P(A1 n A2 n A3) = .01
a) A1 u A2 = P(A1) + P(A2) - P(A1 n A2) =
   .22 + .25 - .11 =
   .46
b) A1' n A2' = (A1 u A2)' =
   1 - (A1 u A2) =
   1 - .46
                // as defined in 4.a
   .54
c) A1 u A2 u A3 = P(A1) + P(A2) + P(A3) - P(A1 n A2) - P(A1 n A3) - P(A2 n A3) +
 P(A1 n A2 n A3) =
   .22 + .25 + .28 - .11 - .05 - .07 + .01 =
   .53
d) A1' n A2' n A2' = (A1 u A2 u A3)' =
                // as defined in 4.c
   1 - .53
e) A1' n A2' n A3 = P(A3) - P(A2 n A3) - P(A1 n A3) + P(A1 n A2 n A3) =
   .28 - .05 - .07 + .01 =
   .17
f) (A1' n A2') u A3 = (A1 u A2)' u A3
   P(A1' u A2') + P(A3) - P(A1' n A2' n A3) =
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.54 + .28 - .17 // .54 defined in 4.b and .17 is defined in 4.e
   .65
Problem 5
key = D \Rightarrow Day
        S => Swing
        N => Night
        US => Unsafe Conditions
        UR => Unrelated to Conditions
a) Simple Events = {DUS, DUR, SUS, SUR, NUS, NUR}
b) P(US) = P(DUS) + P(SUS) + P(NUS) = // No need for calculating P(DUS n SUS)
becuase these events are simple
   10% + 8% + 5% =
   23%
c) P(D') = 100\% - P(D) =
   100% - P(DUC) + P(DUR)
                           // P(DUC) and P(DUR) are simple events
   100% - 10% - 35% =
   55%
Problem 6
a) 3A's 3B's 3C's 3D's =
   9! / (3! * 3! * 3! * 3!) =
   15120
   // 9! comes from the number of total possible combinations given A1, A2, etc.
   // dividing by 3! * 3! * 3! * 3! comes from removing the Permutations A1, A2,
 etc.
b) Assuming all the outcomes are equally likely,
   I computed the number of outcomes that satisfy adjacency
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The result 4! can then be divided by the total number of outcomes

Which gives me 24/15120 =

1/630