## Project 4 Write Up

Benjamin Berger Bberger3@binghamton.edu

Methods explained below the programming section

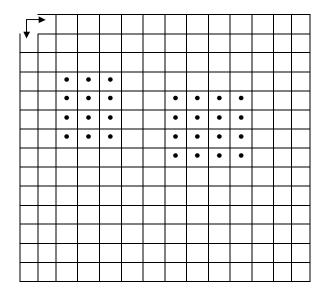
## Part A:

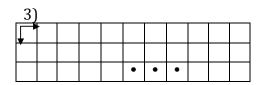
1)  

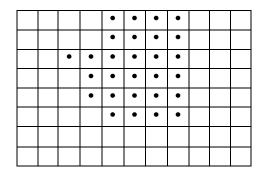
$$A \oplus B = \{Z \mid (B^{\wedge})_z \cap A \neq \emptyset \}$$
  
Becomes  
 $A \oplus B = \{Z \mid (B^{\wedge})_z \cap A \subseteq A \}$ 

But we also know that  $A \oplus B = U_{b \in B} (A)_b$  And if  $A = \{a\}, B = \{b\}, A \oplus B = U_{b \in B} (A)_b$  Then  $A \oplus B = (A)_b U_{b \in B}$  Therefore  $B \oplus A == A \oplus B$ 

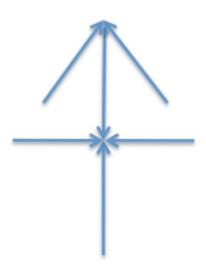
## 2)







3) Assuming that ∼ means reverse



$$(\sim e) - (\sim f) + (\sim d) + [(a) + (\sim a)]$$

b)

Part B ./p4-1 TestImage.bmp Binary Image Threshold 200



./p4-1 First spacebar showing just erosion



Second spacebar showing just Dilation



Third spacebar showing Erosion then Dilation



First spacebar showing just erosion

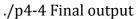


Second spacebar showing just Dilation.



Third spacebar showing Erosion then Dilation







## Process:

The first thing I did was turn the image into a binary one. I tried the Otsu method but it wasn't working correctly. So then I tried various thresholds till I found on I liked.

After that I applied a 3x3 erosion filter to the image, followed by a 3x3 dilation one. This left me blocky images that I could work with.

Then I used recursive floodfill to label the different blocks. I then went through and eliminated any labels that had less than 1000 pixels. At this point I was about to count the remaining labels. The last picture is just me going through the labels and making them distinct.

Prints the console the number of pigs.