The SAFE Specification

Working Draft

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Chapter 1

Overview

The prevalent uses of JavaScript in web programming have revealed security vulnerability issues of JavaScript applications, which emphasizes the need for JavaScript analyzers to detect such issues. Recently, researchers have proposed several analyzers of JavaScript programs and some web service companies have developed various JavaScript engines. However, unfortunately, most of the tools are not documented well, thus it is very hard to understand and modify them. Or, such tools are often not open to the public.

In this specification, we present formal specification and implementation of SAFE, a scalable analysis framework for ECMAScript, developed for the JavaScript research community. This is the very first attempt to provide both formal specification and its open-source implementation for JavaScript, compared to the existing approaches focused on only one of them. To make it more amenable for other researchers to use our framework, we formally define three kinds of intermediate representations for JavaScript used in the framework, and we provide formal specifications of translations between them. To be adaptable for adventurous future research including modifications in the original JavaScript syntax, we actively use open-source tools to automatically generate parsers and some intermediate representations. To support a variety of program analyses in various compilation phases, we design the framework to be as flexible, scalable, and pluggable as possible. Finally, our framework is publicly available, and some collaborative research using the framework are in progress.

Chapter 2

AST

p	::=	$fd^*\ vd^*\ s^*$	`Program(TopLevel body)`
			`TopLevel(List<FunDecl> fds, List<VarDecl> vds, List<SourceElement> stmts)`
fd	::=	**function** f **(**$(x,)^*$**)** **{**$fd^*\ vd^*\ s^*$**}**	`FunDecl(Id name, Functional ftn)`
			`Functional(List<FunDecl> fds, List<VarDecl> vds, List<SourceElement> stmts, List<Id> params)`
vd	::=	**var** x	`VarDecl(Id name, Option<Expr> expr)`
s	::=	**{**s^***}**	`Block(List<Stmt> stmts, boolean internal = false)`
	|	**var** $vd(,vd)^*$**;**	`VarStmt(List<VarDecl> vds)`
	|	**;**	`EmptyStmt()`
	|	e**;**	`ExprStmt(Expr expr)`
	|	**if** **(**e**)** s **(else** s**)**$^?$	`If(Expr cond, Stmt trueBranch, Option<Stmt> falseBranch)`
	|	**switch** **(**e**)** **{**cc^* **(default:**s^***)**$^?$ cc^***}**	`Switch(Expr cond, List<Case> frontCases, Option<List<Stmt>> def, List<Case> backCases)`
	|	**do** s **while** **(**e**)**;	`DoWhile(Stmt body, Expr cond)`
	|	**while** **(**e**)** s	`While(Expr cond, Stmt body)`
	|	**for** **(**$e^?$**;**$e^?$**;**$e^?$**)** s	`For(Option<Expr> init, Option<Expr> cond, Option<Expr> action, Stmt body)`
	|	**for** **(**lhs **in** e**)** s	`ForIn(LHS lhs, Expr expr, Stmt body)`
	|	**for** **(var** $vd(,vd)^*$**;**$e^?$**;**$e^?$**)** s	`ForVar(List<VarDecl> vars, Option<Expr> cond, Option<Expr> action, Stmt body)`
	|	**for** **(var** vd **in** e**)** s	`ForVarIn(VarDecl var, Expr expr, Stmt body)`
	|	**continue** $x^?$**;**	`Continue(Option<Label> target)`
	|	**break** $x^?$**;**	`Break(Option<Label> target)`
	|	**return** $e^?$**;**	`Return(Option<Expr> expr)`
	|	**with** **(**e**)** s	`With(Expr expr, Stmt stmt)`
	|	l **:** s	`LabelStmt(Label label, Stmt stmt)`
	|	**throw** e**;**	`Throw(Expr expr)`
	|	**try{**s^***}(catch(**x**){**s^***})**$^?$**(finally{**s^***})**$^?$	`Try(Block body, Option<Catch> catchBlock, Option<Block> fin)`
			`Catch(Id id, Block body)`
	|	**debugger;**	`Debugger()`
cc	::=	**case** e **:** s^*	`Case(Expr cond, Block body)`
e	::=	e**,** e	`ExprList(List<Expr> exprs)`
	|	e **?** e **:** e	`Cond(Expr cond, Expr trueBranch, Expr falseBranch)`
	|	$e \otimes e$	`InfixOpApp(Expr left, Op op, Expr right)`
	|	$\ominus e$	`PrefixOpApp(Op op, Expr right)`
	|	$lhs \oslash$	`UnaryAssignOpApp(LHS lhs, Op op)`
	|	$lhs \odot e$	`AssignOpApp(LHS lhs, Op op, Expr right)`
	|	lhs	`LHS()`

lhs	::=	*lit*	`Literal()`
	|	x	`VarRef(Id id)`
	|	$[(e^?,)^*]$	`ArrayExpr(List<Option<Expr>> elements)`
	|	$\{(m,)^*\}$	`ObjectExpr(List<Member> members)`
	|	(e)	`Parenthesized(Expr expr)`
	|	**function** $x^?\ ((x,)^*)\ \{fd^*\ vd^*\ s^*\}$	`FunExpr(Option<Id> name, Functional ftn)`
	|	*lhs*`[`e`]`	`Bracket(LHS obj, Expr index)`
	|	*lhs*`.`x	`Dot(LHS obj, Id member)`
	|	**new** *lhs*	`New(LHS lhs)`
	|	*lhs*$((e,)^*)$	`FunApp(LHS fun, List<Expr> args)`
lit	::=	**this**	`This()`
	|	**null**	`Null()`
	|	**true**	`Bool(boolean bool)`
	|	**false**	`Bool(boolean bool)`
	|	*num*	`DoubleLiteral(ignoreForEquals String text, Double num)`
			`IntLiteral(BigInteger intVal, int radix)`
	|	*str*	`StringLiteral(String str, String quote)`
	|	*reg*	`RegularExpression(String reg)`
m	::=	*pr* **:** e	`Field(Property prop, Expr expr)`
	|	**get** *pr*`()` $\{fd^*\ vd^*\ s^*\}$	`GetProp(Property prop, Functional ftn)`
	|	**set** *pr*(x) $\{fd^*\ vd^*\ s^*\}$	`SetProp(Property prop, Functional ftn)`
pr	::=	x	`PropId(Id id)`
	|	*str*	`PropStr(String str)`
	|	*num*	`PropNum(NumberLiteral num)`

$\odot$ ::= `=` | `*=` | `/=` | `%=` | `+=` | `-=` | `<<=` | `>>=` | `>>>=` | `&=` | `^=` | `|=`

$\otimes$ ::= `&&` | `|||` | `|` | `&` | `^` | `<<` | `>>` | `>>>` | `+` | `-` | `*` | `/` | `%` | `==` | `!=` | `===` | `!==` | `<` | `>` | `<=` | `>=`
| **instanceof** | **in**

$\ominus$ ::= `++` | `--` | `~` | `!` | `+` | `-` | **delete** | **void** | **typeof**

$\oslash$ ::= `++` | `--`

- `VarDecl`: The `expr` field is `None` after `Hoister`.
- `VarStmt`, `ForVar`, `ForVarIn`: Removed by `Hoister`.
- `RegularExpression`: Not yet supported.

- `StmtUnit`: Internally generated statement unit by `Hoister`.

Chapter 3

IR

$\underline{p}$	::=	$\underline{s}^*$	`IRRoot`
$\underline{s}$	::=	$\underline{x} = \underline{e}$	`IRExprStmt(IRId lhs, IRExpr right, boolean ref = false)`
	|	$\underline{x}$ = delete $\underline{x}$	`IRDelete(IRId lhs, IRId id)`
	|	$\underline{x}$ = delete $\underline{x}[\underline{x}]$	`IRDeleteProp(IRId lhs, IRId obj, IRId index)`
	|	$\underline{x}[\underline{x}] = \underline{e}$	`IRStore(IRId obj, IRId index, IRExpr rhs)`
	|	$\underline{x} = \{(\underline{m},)^*\}$	`IRObject(IRId lhs, List<IRMember> members,` `Option<IRId> proto)`
	|	$\underline{x} = [(\underline{e},)^*]$	`IRArray(IRId lhs, List<Option<IRExpr>> elements)` `IRArgs(IRId lhs, List<Option<IRExpr>> elements)`
	|	$\underline{x} = \underline{x}(\underline{x},\underline{x})$	`IRCall(IRId lhs, IRId fun, IRId thisB, IRId args)`

	|	$\underline{x} = \underline{x}(\underline{x}(,\underline{x})^?)$	`IRInternalCall(IRId lhs, IRId fun, IRExpr first,`
			`Option<IRId> second)`
			`toObject, toNumber, isObject, getBase, iteratorInit,`
			`iteratorHasNext, iteratorKey`

	|	$\underline{x}$ = new $\underline{x}((\underline{x},)^*)$	`IRNew(IRId lhs, IRId fun, List<IRId> args)`

	|	$\underline{x}$ = function $\underline{f}(\underline{x},\underline{x})$ $\{\underline{s}^*\}$	`IRFunExpr(IRId lhs, IRFunctional ftn)`
			`IRFunctional(IRId name, List<IRId> params,`
			`List<IRStmt> args, List<IRFunDecl> fds,`
			`List<IRVarStmt> vds, List<IRStmt> body)`

	|	function $\underline{f}(\underline{x},\underline{x})$ $\{\underline{s}^*\}$	`IRFunDecl(IRFunctional ftn)`
	|	$\underline{x}$ = eval $(\underline{e})$	`IREval(IRId lhs, IRExpr arg)`
	|	break $\underline{x}$	`IRBreak(IRId label)`
	|	return $\underline{e}^?$	`IRReturn(Option<IRExpr> expr)`
	|	with $(\underline{x})$ $\underline{s}$	`IRWith(IRId id, IRStmt stmt)`
	|	$\underline{l}$: $\{\ \underline{s}\ \}$	`IRLabelStmt(IRId label, IRStmt stmt)`
	|	var $\underline{x}$	`IRVarStmt(IRId lhs)`
	|	throw $\underline{e}$	`IRThrow(IRExpr expr)`
	|	$\underline{s}^*$	`IRSeq(List<IRStmt> stmts)`
	|	if $(\underline{e})$ then $\underline{s}$ (else $\underline{s}$)$^?$	`IRIf(IRExpr expr, IRStmt trueB, Option<IRStmt> falseB)`
	|	while $(\underline{e})$ $\underline{s}$	`IRWhile(IRExpr cond, IRStmt body)`
	|	try $\{\underline{s}\}$ (catch $(\underline{x})$ $\{\underline{s}\}$)$^?$ (finally $\{\underline{s}\}$)$^?$	`IRTry(IRStmt body, Option<IRId> name,` `Option<IRStmt> catchB, Option<IRStmt> finallyB)`
	|	$\langle \underline{s}^* \rangle$	`IRStmtUnit(List<IRStmt> stmts)`
$\underline{e}$	::=	$\underline{e} \otimes \underline{e}$	`IRBin(IRExpr first, IROp op, IRExpr second)`
	|	$\ominus \underline{e}$	`IRUn(IROp op, IRExpr expr)`
	|	$\underline{x}[\underline{e}]$	`IRLoad(IRId obj, IRExpr index)`
	|	$\underline{x}$	`IRUserId(String text)`
	|	$\diamond$x	`IRTmpId(String text)`
	|	*num*	`IRNumber(ignoreForEquals String text, Double num)`
	|	*str*	`IRString(String str)`
	|	true	`IRBool(boolean bool)`
	|	false	`IRBool(boolean bool)`
	|	undefined	`IRUndef()`
	|	null	`IRNull()`
	|	this	`IRThis()`

$$
\begin{array}{lcll}
\underline{m} & ::= & \underline{x} : \underline{e} & \texttt{IRField(IRId prop, IRExpr expr)} \\
& | & \texttt{get } \underline{f}\,(\underline{x}, \underline{x})\ \{\underline{s}^*\} & \texttt{IRGetProp(IRFunctional ftn)} \\
& | & \texttt{set } \underline{f}\,(\underline{x}, \underline{x})\ \{\underline{s}^*\} & \texttt{IRSetProp(IRFunctional ftn)}
\end{array}
$$

Assumptions and notations:

- Functions and variables are hoisted to their closest enclosing functions or the top level via `Hoister`.
- Identifiers and labels that exist in the source program, except when they appear at top level or within the `with` statement, are already disambiguated via `Disambiguator`, so that they have unique names.
- We use Σ to disambiguate the generated labels and temporary variables in the AST to IR translation. For the presentation brevity, we simply add the newly generated names to Σ.
  - In the actual implementation, we need to create a unique id for each generated name and add the binding information from the general name to the unique id to Σ. For example, when we say "$\Sigma; \underline{\diamond\mathsf{break}}$", we actually create a unique id for $\underline{\diamond\mathsf{break}}$, say $\underline{\diamond\mathsf{break}}_{42}$, and add it to Σ as $\Sigma; \underline{\diamond\mathsf{break}} \mapsto \underline{\diamond\mathsf{break}}_{42}$. When we look up the environment by $\Sigma(\underline{\diamond\mathsf{break}})$, the unique $\underline{\diamond\mathsf{break}}_{42}$ is returned.
  - In the scope when the generated name is created, we don't add it to the environment but use the unique id instead of the general name. For example, when we say "$\underline{\diamond\mathsf{eq}} = \Sigma(\underline{\diamond\mathsf{val}})===\underline{\diamond\mathsf{break}};$", we create a unique id for $\underline{\diamond\mathsf{eq}}$, say $\underline{\diamond\mathsf{eq}}_{910157}$, and it is acually "$\underline{\diamond\mathsf{eq}}_{910157} = \Sigma(\underline{\diamond\mathsf{val}})===\underline{\diamond\mathsf{break}}_{42};$".
  - To be clear, we use blue for the binding sites of such names and red for the use sites of such names.
- We denote a list as a possibly empty, semicolon-separated sequence, enclosed by $\langle$ and $\rangle$.
- We denote a series of list appends as superscripted $*$ such as s^*.
- We denote a fresh variable name as $\underline{\diamond}$ and its variants.
- We abuse our notations by mixing semicolon-separated sequences and lists.
- We use the following:
  ===, ⋄toObject, ⋄toNumber, ⋄isObject, ⋄iteratorInit, ⋄iteratorHasNext, ⋄iteratorNext, ⋄global, ⋄getBase
- To denote an AST-level statement granularity in the translated IR statements, we use `IRStmtUnit` which is represented as green angle brackets $\langle\ \rangle$ in this document. To reduce the number of temporary variables, we use global variables to denote constants such as 1 and true which is represented in green 1 and true in this document.
- We wrap a possibly identical assignment with a box so that the actual implementation, `Translator`, can eliminate identical assignments.

Chapter 4

AST to IR

```
Σ          : Env
ast2ir_p   : Program -> IRRoot
ast2ir_fd  : FunDecl -> Env -> IRFunDecl
ast2ir_vd  : VarDecl -> Env -> IRVarStmt
ast2ir_s   : Stmt -> Env -> IRStmtUnit
ast2ir_case : List[Case] * Option[List[Stmt]] * List[Case] -> Env ->
              List[Option[Expr] * IRId] -> IRStmt
ast2ir_scond : List[Option[Expr] * IRId] -> Env -> IRStmt
ast2ir_lval : Expr -> Env -> List[IRStmt] -> IRExpr -> boolean -> List[IRStmt] * IRExpr
ast2ir_e   : Expr -> Env -> IRId -> List[IRStmt] * IRExpr
ast2ir_lhs : LHS -> Env -> IRId -> List[IRStmt] * IRExpr
ast2ir_lit : LIT -> Env -> IRId -> List[IRStmt] * IRExpr
ast2ir_m   : Member -> Env -> IRId -> List[IRStmt] * IRMember
ast2ir_pr  : Property -> IRId
```

$ast2ir_p[\![fd^*\ vd^*\ s^*]\!] = \langle (ast2ir_{fd}[\![fd]\!](\langle\rangle))^*\ (ast2ir_{vd}[\![vd]\!](\langle\rangle))^*\ (ast2ir_s[\![s]\!](\langle\rangle))^*\rangle$

$ast2ir_{fd}[\![\texttt{function}\ f\ \texttt{(}(x\texttt{,})^*\texttt{)}\ \texttt{\{}fd^*vd^*s^*\texttt{\}}]\!](\Sigma) =$
function $\underline{f}$ (◇this, ◇arguments) {
$(ast2ir_{fd}[\![fd]\!](\Sigma))^*$
(var $\underline{x_i}$)*
$(ast2ir_{vd}[\![vd]\!](\Sigma))^*$
($\underline{x_i}$ = ◇arguments["i"])* *where $\underline{x_i}$ is not the name of any of fd*

$(ast2ir_s[\![s]\!](\Sigma; ◇this; ◇arguments))^*$ }

A function always receives explicit "this" and "arguments" arguments so that the desugaring of `this` *and* `arguments` *is correct. Currently, "arguments" denotes copies of the arguments instead of their aliases. An early exit from a function using* `return` *statements is rewritten as a non-local jump to the label* ◇return.

$ast2ir_{vd}[\![\texttt{var}\ x]\!](\Sigma) =$ var $\underline{x}$

$ast2ir_s[\![\texttt{\{}s^*\texttt{\}}]\!](\Sigma) = \langle (ast2ir_s[\![s]\!](\Sigma))^*\rangle$
$ast2ir_s[\![\texttt{;}]\!](\Sigma) = \langle\rangle$
$ast2ir_s[\![e\texttt{;}]\!](\Sigma) =$ LET $(\underline{s^*}, \underline{e}) = ast2ir_e[\![e]\!](\Sigma)(◇\_)$
IN $\langle \underline{s^*}$; $\boxed{◇\_ = \underline{e}}\rangle$

Candidate for optimization

$ast2ir_s[\![\texttt{if (}e_1\texttt{\&\&}e_2\texttt{)}\ s_1\ \texttt{(else}\ s_2\texttt{)}^?]\!](\Sigma) =$ LET $(\underline{s_1^*}, \underline{e_1}) = ast2ir_e[\![e_1]\!](\Sigma)(◇new_1)$
$(\underline{s_2^*}, \underline{e_2}) = ast2ir_e[\![e_2]\!](\Sigma)(◇new_2)$
IN $\langle \underline{s_1^*}$;
◇label : {
if ($\underline{e_1}$)
then $\langle \underline{s_2^*}$; if ($\underline{e_2}$) then {$ast2ir_s[\![s_1]\!](\Sigma)$; break ◇label}$\rangle$;
$(ast2ir_s[\![s_2]\!](\Sigma))^?$ }$\rangle$

Candidate for optimization

$ast2ir_s[\![\texttt{if (}e_1\texttt{||}e_2\texttt{)}\ s_1\ \texttt{(else}\ s_2\texttt{)}^?]\!](\Sigma) =$ LET $(\underline{s_1^*}, \underline{e_1}) = ast2ir_e[\![e_1]\!](\Sigma)(◇new_1)$
$(\underline{s_2^*}, \underline{e_2}) = ast2ir_e[\![e_2]\!](\Sigma)(◇new_2)$
IN $\langle \underline{s_1^*}$;
◇$\underline{label_2}$: {
◇$\underline{label_1}$: {
if ($\underline{e_1}$)
then break ◇$label_1$; $\underline{s_2^*}$;
if ($\underline{e_2}$) then break ◇$label_1$;
$(ast2ir_s[\![s_2]\!](\Sigma)$; break$)^?$ ◇$label_2$
}; $ast2ir_s[\![s_1]\!](\Sigma)$ }$\rangle$

$$
\begin{aligned}
&\mathit{ast2ir}_s[\![\texttt{if (}e\texttt{) } s_1 \texttt{ (else } s_2\texttt{)}^?]\!](\Sigma) \\
&\quad = \text{LET } (\underline{s}^*, \underline{e}) = \mathit{ast2ir}_e[\![e]\!](\Sigma)(\underline{\diamond\text{new}}) \\
&\quad\quad \text{IN } \langle \underline{s}^*\text{; if } (\underline{e}) \text{ then } \mathit{ast2ir}_s[\![s_1]\!](\Sigma) \text{ (else } \mathit{ast2ir}_s[\![s_2]\!](\Sigma))^? \rangle \\
&\mathit{ast2ir}_s[\![\texttt{switch (}e\texttt{) \{}cc_1^* \texttt{ (default:}s^*\texttt{)}^? \; cc_2^*\texttt{\}}]\!](\Sigma) \\
&\quad = \text{LET } (\underline{s}^*, \underline{e}) = \mathit{ast2ir}_e[\![e]\!](\Sigma)(\underline{\diamond\text{val}}) \\
&\quad\quad \text{IN } \langle \underline{\diamond\text{break}} : \{ \\
&\quad\quad\quad \underline{s}^*\text{; } \boxed{\underline{\diamond\text{val}} = \underline{e}\text{;}} \\
&\quad\quad\quad \mathit{ast2ir}_{case}[\![(\text{rev } cc_2^*)(s^*)^?(\text{rev } cc_1^*)]\!](\Sigma; \underline{\diamond\text{break}}; \underline{\diamond\text{val}}) \} \rangle \\
&\mathit{ast2ir}_{case}[\![(\texttt{case } e \texttt{ : } s_1^*) :: cc_2^* \; (s_2^*)^? \; cc_1^*]\!](\Sigma)(c^*) \\
&\quad = \langle \underline{\diamond\text{label}} : \{ \mathit{ast2ir}_{case}[\![cc_2^* \; (s_2^*)^? \; cc_1^*]\!](\Sigma)((e, \underline{\diamond\text{label}}) :: c^*) \}\text{;} \\
&\quad\quad (\mathit{ast2ir}_s[\![s_1]\!](\Sigma))^* \rangle \\
&\mathit{ast2ir}_{case}[\![() \; (s^*)^? \; cc_1^*]\!](\Sigma)(c^*) \\
&\quad = \langle \underline{\diamond\text{label}} : \{ \mathit{ast2ir}_{case}[\![() \; () \; cc_1^*]\!](\Sigma)(c^* @ [((), \underline{\diamond\text{label}})]) \}\text{;} \\
&\quad\quad ((\mathit{ast2ir}_s[\![s]\!](\Sigma))^*)^? \rangle \\
&\mathit{ast2ir}_{case}[\![() \; () \; (\texttt{case } e \texttt{ : } s^*) :: cc_1^*]\!](\Sigma)(c^*) \\
&\quad = \langle \underline{\diamond\text{label}} : \{ \mathit{ast2ir}_{case}[\![() \; () \; cc_1^*]\!](\Sigma)((e, \underline{\diamond\text{label}}) :: c^*) \}\text{;} \\
&\quad\quad (\mathit{ast2ir}_s[\![s]\!](\Sigma))^* \rangle \\
&\mathit{ast2ir}_{case}[\![() \; () \; ()]\!](\Sigma)((e, \underline{l})^*) \\
&\quad = \langle \mathit{ast2ir}_{scond}[\![(e, \underline{l})^*]\!](\Sigma)\text{;} \\
&\quad\quad \text{break } \Sigma(\underline{\diamond\text{break}}) \rangle \\
&\mathit{ast2ir}_{scond}[\![(e, \underline{l}) :: (c^*)]\!](\Sigma) \\
&\quad = \text{LET } (\underline{s}^*, \underline{e}) = \mathit{ast2ir}_e[\![e]\!](\Sigma)(\underline{\diamond\text{cond}}) \\
&\quad\quad \text{IN } \langle \underline{s}^*\text{;} \\
&\quad\quad\quad \text{if } (\Sigma(\underline{\diamond\text{val}}) \texttt{===} \underline{e}) \text{ then break } \underline{l} \text{ else } \mathit{ast2ir}_{scond}[\![c^*]\!](\Sigma) \rangle \\
&\mathit{ast2ir}_{scond}[\![((), \underline{l})]\!](\Sigma) \\
&\quad = \langle \text{break } \underline{l} \rangle \\
&\mathit{ast2ir}_{scond}[\![()]\!](\Sigma) \\
&\quad = \langle\rangle \\
&\quad \textit{Where } c \textit{ is either } (e, \underline{l}) \textit{ or } ((), \underline{l}). \\
&\mathit{ast2ir}_s[\![\texttt{do } s \texttt{ while (}e\texttt{);}]\!](\Sigma) \\
&\quad = \text{LET } (\underline{s}^*, \underline{e}) = \mathit{ast2ir}_e[\![e]\!](\Sigma)(\underline{\diamond\text{new}_1}) \\
&\quad\quad \text{IN } \langle \underline{\diamond\text{break}} : \{ \\
&\quad\quad\quad \underline{\diamond\text{continue}} : \{ \mathit{ast2ir}_s[\![s]\!](\Sigma; \underline{\diamond\text{break}}; \underline{\diamond\text{continue}}) \}\text{;} \\
&\quad\quad\quad \underline{s}^*\text{;} \\
&\quad\quad\quad \text{while } (\underline{e}) \{ \\
&\quad\quad\quad\quad \underline{\diamond\text{continue}} : \{ \mathit{ast2ir}_s[\![s]\!](\Sigma; \underline{\diamond\text{break}}; \underline{\diamond\text{continue}}) \}\text{;} \\
&\quad\quad\quad\quad \underline{s}^*\text{;} \\
&\quad\quad\quad \} \\
&\quad\quad \} \rangle \\
&\mathit{ast2ir}_s[\![\texttt{while (}e\texttt{) } s]\!](\Sigma) \\
&\quad = \text{LET } (\underline{s}^*, \underline{e}) = \mathit{ast2ir}_e[\![e]\!](\Sigma)(\underline{\diamond\text{new}_1}) \\
&\quad\quad \text{IN } \langle \underline{\diamond\text{break}} : \{ \\
&\quad\quad\quad \underline{s}^*\text{;} \\
&\quad\quad\quad \text{while } (\underline{e}) \{ \\
&\quad\quad\quad\quad \underline{\diamond\text{continue}} : \{ \mathit{ast2ir}_s[\![s]\!](\Sigma; \underline{\diamond\text{break}}; \underline{\diamond\text{continue}}) \}\text{;} \\
&\quad\quad\quad\quad \underline{s}^*\text{;} \\
&\quad\quad\quad \} \\
&\quad\quad \} \rangle \\
&\mathit{ast2ir}_s[\![\texttt{for (}e_1^?\texttt{;;}e_3^?\texttt{) } s]\!](\Sigma) \\
&\quad = \text{LET } ((\underline{s}_1^*, \underline{e}_1) = \mathit{ast2ir}_e[\![e_1]\!](\Sigma)(\underline{\diamond\_}))^? \\
&\quad\quad\quad ((\underline{s}_3^*, \underline{e}_3) = \mathit{ast2ir}_e[\![e_3]\!](\Sigma)(\underline{\diamond\_}))^? \\
&\quad\quad \text{IN } \langle \underline{\diamond\text{break}} : \{ \\
&\quad\quad\quad (\underline{s}_1^*\text{; } \boxed{\underline{\diamond\_} = \underline{e}_1})^? \\
&\quad\quad\quad \text{while (true) } \{ \\
&\quad\quad\quad\quad \underline{\diamond\text{continue}} : \{ \mathit{ast2ir}_s[\![s]\!](\Sigma; \underline{\diamond\text{break}}; \underline{\diamond\text{continue}}) \}\text{;} \\
&\quad\quad\quad\quad (\underline{s}_3^*\text{; } \boxed{\underline{\diamond\_} = \underline{e}_3})^? \\
&\quad\quad\quad \} \\
&\quad\quad \} \rangle \\
&\mathit{ast2ir}_s[\![\texttt{for (}e_1^?\texttt{;}e_2\texttt{;}e_3^?\texttt{) } s]\!](\Sigma) \\
&\quad = \text{LET } ((\underline{s}_1^*, \underline{e}_1) = \mathit{ast2ir}_e[\![e_1]\!](\Sigma)(\underline{\diamond\_}))^? \\
&\quad\quad\quad (\underline{s}_2^*, \underline{e}_2) = \mathit{ast2ir}_e[\![e_2]\!](\Sigma)(\underline{\diamond\text{new}_2}) \\
&\quad\quad\quad ((\underline{s}_3^*, \underline{e}_3) = \mathit{ast2ir}_e[\![e_3]\!](\Sigma)(\underline{\diamond\_}))^? \\
&\quad\quad \text{IN } \langle \underline{\diamond\text{break}} : \{ \\
&\quad\quad\quad (\underline{s}_1^*\text{; } \boxed{\underline{\diamond\_} = \underline{e}_1})^? \\
&\quad\quad\quad \underline{s}_2^*\text{;} \\
&\quad\quad\quad \text{while } (\underline{e}_2) \{ \\
&\quad\quad\quad\quad \underline{\diamond\text{continue}} : \{ \mathit{ast2ir}_s[\![s]\!](\Sigma; \underline{\diamond\text{break}}; \underline{\diamond\text{continue}}) \}\text{;} \\
&\quad\quad\quad\quad (\underline{s}_3^*\text{; } \boxed{\underline{\diamond\_} = \underline{e}_3})^? \\
&\quad\quad\quad\quad \underline{s}_2^*\text{;} \\
&\quad\quad\quad \} \\
&\quad\quad \} \rangle
\end{aligned}
$$

$$\mathit{ast2ir}_s[\![\texttt{for (}\mathit{lhs}\ \texttt{in}\ e\texttt{)}\ s]\!](\Sigma) = \text{LET } (\underline{s}^*, \underline{e}) = \mathit{ast2ir}_e[\![e]\!](\Sigma)(\diamond\mathsf{new}_1)$$
$$\begin{aligned}\text{IN}\quad \langle & \diamond\mathsf{break} : \{\\ & \quad \underline{s}^*;\\ & \quad \diamond\mathsf{obj} = \diamond\mathsf{toObject}(\underline{e});\\ & \quad \diamond\mathsf{iterator} = \diamond\mathsf{iteratorInit}(\diamond\mathsf{obj});\\ & \quad \diamond\mathsf{cond}_1 = \diamond\mathsf{iteratorHasNext}(\diamond\mathsf{obj}, \diamond\mathsf{iterator});\\ & \quad \mathsf{while}\ (\diamond\mathsf{cond}_1)\ \{\\ & \quad\quad \diamond\mathsf{key} = \diamond\mathsf{iteratorNext}(\diamond\mathsf{obj}, \diamond\mathsf{iterator});\\ & \quad\quad \mathit{ast2ir}_{\mathit{lval}}[\![\mathit{lhs}]\!](\Sigma)(;\ \diamond\mathsf{key})(\mathrm{false}).\_1;\\ & \quad\quad \diamond\mathsf{continue} : \{\mathit{ast2ir}_s[\![s]\!](\Sigma; \diamond\mathsf{break}; \diamond\mathsf{continue})\};\\ & \quad\quad \diamond\mathsf{cond}_1 = \diamond\mathsf{iteratorHasNext}(\diamond\mathsf{obj}, \diamond\mathsf{iterator});\\ & \quad \}\\ & \}\rangle\end{aligned}$$

$$\mathit{ast2ir}_s[\![\texttt{continue;}]\!](\Sigma) = \langle \mathsf{break}\ \Sigma(\diamond\mathsf{continue})\rangle$$
$$\mathit{ast2ir}_s[\![\texttt{continue}\ l\texttt{;}]\!](\Sigma) = \langle \mathsf{break}\ \underline{l}\rangle$$
$$\mathit{ast2ir}_s[\![\texttt{break;}]\!](\Sigma) = \langle \mathsf{break}\ \Sigma(\diamond\mathsf{break})\rangle$$
$$\mathit{ast2ir}_s[\![\texttt{break}\ l\texttt{;}]\!](\Sigma) = \langle \mathsf{break}\ \underline{l}\rangle$$
$$\mathit{ast2ir}_s[\![\texttt{return;}]\!](\Sigma) = \langle \mathsf{return}\rangle$$
$$\mathit{ast2ir}_s[\![\texttt{return}\ e\texttt{;}]\!](\Sigma) = \text{LET } (\underline{s}^*, \underline{e}) = \mathit{ast2ir}_e[\![e]\!](\Sigma)(\diamond\mathsf{new}_1)\ \text{IN}\ \langle \underline{s}^*;\ \mathsf{return}\ \underline{e}\rangle$$

$$\mathit{ast2ir}_s[\![\texttt{with (}e\texttt{)}\ s]\!](\Sigma) = \text{LET } (\underline{s}^*, \underline{e}) = \mathit{ast2ir}_e[\![e]\!](\Sigma)(\diamond\mathsf{new}_1)$$
$$\text{IN}\quad \langle \underline{s}^*;\ \diamond\mathsf{new}_2 = \diamond\mathsf{toObject}(\underline{e});\ \mathsf{with}\ (\diamond\mathsf{new}_2)\ \mathit{ast2ir}_s[\![s]\!](\Sigma)\rangle$$

$$\mathit{ast2ir}_s[\![l\ \texttt{:}\ s]\!](\Sigma) = \langle \underline{l}\ \texttt{:}\ \{\ \mathit{ast2ir}_s[\![s]\!](\Sigma)\ \}\rangle$$
$$\mathit{ast2ir}_s[\![\texttt{throw}\ e\texttt{;}]\!](\Sigma) = \text{LET } (\underline{s}^*, \underline{e}) = \mathit{ast2ir}_e[\![e]\!](\Sigma)(\diamond\mathsf{new}_1)\ \text{IN}\ \langle \underline{s}^*;\ \mathsf{throw}\ \underline{e}\rangle$$
$$\mathit{ast2ir}_s[\![\texttt{try}\ \{s_1^*\}\ (\texttt{catch}\ (x)\ \{s_2^*\})^?(\texttt{finally}\ \{s_3^*\})^?]\!](\Sigma) = \langle \mathsf{try}\ \{(\mathit{ast2ir}_s[\![s_1]\!](\Sigma))^*\}\ (\texttt{catch}\ (\underline{x})\ \{(\mathit{ast2ir}_s[\![s_2]\!](\Sigma))^*\})^?\ (\texttt{finally}\ \{(\mathit{ast2ir}_s[\![s_3]\!](\Sigma))^*\})^?\rangle$$
$$\mathit{ast2ir}_s[\![\texttt{debugger;}]\!](\Sigma) = \langle\rangle$$

$$\mathit{ast2ir}_{\mathit{lval}}[\![\texttt{(}e\texttt{)}]\!](\Sigma)(\underline{s}^*; \underline{e}')(\mathrm{keepOld}) = \mathit{ast2ir}_{\mathit{lval}}[\![e]\!](\Sigma)(\underline{s}^*; \underline{e}')(\mathrm{keepOld})$$
$$\mathit{ast2ir}_{\mathit{lval}}[\![x]\!](\Sigma)(\underline{s}^*; \underline{e})(\mathrm{keepOld}) = \text{IF keepOld THEN } (\langle \diamond\mathsf{old} = \underline{x};\ \underline{s}^*;\ \underline{x} = \underline{e}\rangle, \underline{x})\ \text{ELSE}\ \langle \underline{s}^*;\ \underline{x} = \underline{e}\rangle$$

$$\mathit{ast2ir}_{\mathit{lval}}[\![\mathit{lhs}\,\texttt{.}\,x]\!](\Sigma)(\underline{s}^*; \underline{e})(\mathrm{keepOld}) = \mathit{ast2ir}_{\mathit{lval}}[\![\mathit{lhs}\,\texttt{["}x\texttt{"]}]\!](\Sigma)(\underline{s}^*; \underline{e})(\mathrm{keepOld})$$
$$\mathit{ast2ir}_{\mathit{lval}}[\![\mathit{lhs}\,\texttt{[}e\texttt{]}]\!](\Sigma)(\underline{s}^*; \underline{e}')(\mathrm{keepOld}) = \text{LET } (\underline{s}_1^*, \underline{e}_1) = \mathit{ast2ir}_{\mathit{lhs}}[\![\mathit{lhs}]\!](\Sigma)(\diamond\mathsf{obj}_1),\ (\underline{s}_2^*, \underline{e}_2) = \mathit{ast2ir}_e[\![e]\!](\Sigma)(\diamond\mathsf{field}_1)$$
$$\begin{aligned}\text{IN}\quad & \text{IF keepOld}\\ & \text{THEN } (\langle \underline{s}_1^*;\ \diamond\mathsf{obj} = \diamond\mathsf{toObject}(\underline{e}_1);\ \underline{s}_2^*;\ \diamond\mathsf{old} = \diamond\mathsf{obj}\,[\underline{e}_2];\ \underline{s}^*;\ \diamond\mathsf{obj}\,[\underline{e}_2] = \underline{e}'\rangle, \diamond\mathsf{obj}\,[\underline{e}_2])\\ & \text{ELSE } (\langle \underline{s}_1^*;\ \diamond\mathsf{obj} = \diamond\mathsf{toObject}(\underline{e}_1);\ \underline{s}_2^*;\ \underline{s}^*;\ \diamond\mathsf{obj}\,[\underline{e}_2] = \underline{e}'\rangle, \diamond\mathsf{obj}\,[\underline{e}_2])\end{aligned}$$
$$\mathit{ast2ir}_{\mathit{lval}}[\![e]\!](\Sigma)(\underline{s}^*; \underline{e})(\mathrm{keepOld}) = \text{Warning: ReferenceError!}$$

$$\mathit{ast2ir}_e[\![e_1\texttt{,}\ e_2]\!](\Sigma)(\underline{x}) = \text{LET } (\underline{s}_1^*, \underline{e}_1) = \mathit{ast2ir}_e[\![e_1]\!](\Sigma)(\diamond\mathsf{y}),\ (\underline{s}_2^*, \underline{e}_2) = \mathit{ast2ir}_e[\![e_2]\!](\Sigma)(\underline{x})\ \text{IN}\ (\underline{s}_1^*;\ \diamond\mathsf{y} = \underline{e}_1;\ \underline{s}_2^*, \underline{e}_2)$$

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$$\mathit{ast2ir}_e[\![e_a\,\texttt{\&\&}\,e_b\ \texttt{?}\ e_2\ \texttt{:}\ e_3]\!](\Sigma)(\underline{x}) = \text{LET } \begin{aligned}[t] (\underline{s}_a^*, \underline{e}_a) &= \mathit{ast2ir}_e[\![e_a]\!](\Sigma)(\diamond\mathsf{new}_a)\\ (\underline{s}_b^*, \underline{e}_b) &= \mathit{ast2ir}_e[\![e_b]\!](\Sigma)(\diamond\mathsf{new}_b)\\ (\underline{s}_2^*, \underline{e}_2) &= \mathit{ast2ir}_e[\![e_2]\!](\Sigma)(\underline{x})\\ (\underline{s}_3^*, \underline{e}_3) &= \mathit{ast2ir}_e[\![e_3]\!](\Sigma)(\underline{x})\end{aligned}$$
$$\begin{aligned}\text{IN}\quad (& \underline{s}_a^*;\\ & \diamond\mathsf{label} : \{\\ & \quad \mathsf{if}\ (\underline{e}_a)\\ & \quad \mathsf{then}\ \langle \underline{s}_b^*;\ \mathsf{if}\ (\underline{e}_b)\ \mathsf{then}\ \{\underline{s}_2^*;\ \boxed{\underline{x} = \underline{e}_2};\ \mathsf{break}\ \diamond\mathsf{label}\}\rangle;\\ & \quad \underline{s}_3^*;\ \boxed{\underline{x} = \underline{e}_3}\}, \underline{x})\end{aligned}$$

Candidate for optimization

$$
\begin{aligned}
ast2ir_e[\![e_a \texttt{ || } e_b \texttt{ ? } e_2 \texttt{ : } e_3]\!](\Sigma)(\underline{x}) = \text{LET } & (\underline{s}_a^*, \underline{e}_a) = ast2ir_e[\![e_a]\!](\Sigma)(\underline{\diamond \text{new}_a}) \\
& (\underline{s}_b^*, \underline{e}_b) = ast2ir_e[\![e_b]\!](\Sigma)(\underline{\diamond \text{new}_b}) \\
& (\underline{s}_2^*, \underline{e}_2) = ast2ir_e[\![e_2]\!](\Sigma)(\underline{x}) \\
& (\underline{s}_3^*, \underline{e}_3) = ast2ir_e[\![e_3]\!](\Sigma)(\underline{x}) \\
\text{IN } & (\underline{s}_a^*\texttt{;} \\
& \quad \underline{\diamond \text{label}_2} \texttt{ : } \{ \\
& \quad\quad \underline{\diamond \text{label}_1} \texttt{ : } \{ \\
& \quad\quad\quad \texttt{if } (\underline{e}_a) \\
& \quad\quad\quad \texttt{then break } \underline{\diamond \text{label}_1}\texttt{;} \, \underline{s}_b^*\texttt{;} \\
& \quad\quad\quad \texttt{if } (\underline{e}_b) \texttt{ then break } \underline{\diamond \text{label}_1}\texttt{;} \\
& \quad\quad\quad \underline{s}_3^*\texttt{;} \, \boxed{\underline{x} = \underline{e}_3}\texttt{;} \texttt{ break } \underline{\diamond \text{label}_2} \\
& \quad\quad \}\texttt{;} \, \underline{s}_2^*\texttt{;} \, \boxed{\underline{x} = \underline{e}_2} \}, \underline{x})
\end{aligned}
$$

$$
\begin{aligned}
ast2ir_e[\![e_1 \texttt{ ? } e_2 \texttt{ : } e_3]\!](\Sigma)(\underline{x}) = \text{LET } & (\underline{s}_1^*, \underline{e}_1) = ast2ir_e[\![e_1]\!](\Sigma)(\underline{\diamond \text{new}_1}) \\
& (\underline{s}_2^*, \underline{e}_2) = ast2ir_e[\![e_2]\!](\Sigma)(\underline{x}) \\
& (\underline{s}_3^*, \underline{e}_3) = ast2ir_e[\![e_3]\!](\Sigma)(\underline{x}) \\
\text{IN } & (\underline{s}_1^*\texttt{;} \, \texttt{if } (\underline{e}_1) \texttt{ then } \{\underline{s}_2^*\texttt{;} \, \boxed{\underline{x} = \underline{e}_2}\} \texttt{ else } \{\underline{s}_3^*\texttt{;} \, \boxed{\underline{x} = \underline{e}_3}\}, \underline{x})
\end{aligned}
$$

$$
\begin{aligned}
ast2ir_e[\![lhs = e]\!](\Sigma)(\underline{x}) = \text{LET } & (\underline{s}^*, \underline{e}) = ast2ir_e[\![e]\!](\Sigma)(\underline{x}) \\
\text{IN } & \text{IF } \underline{e} \text{ contains } lhs \\
& \text{THEN } ast2ir_{lval}[\![lhs]\!](\Sigma)(\, \underline{s}^*\texttt{;} \, \underline{e}\,)(\text{false}) \\
& \text{ELSE } (ast2ir_{lval}[\![lhs]\!](\Sigma)(\, \underline{s}^*\texttt{;} \, \underline{e}\,)(\text{false})\_1, \underline{e})
\end{aligned}
$$

$$
\begin{aligned}
ast2ir_e[\![lhs \odot = e]\!](\Sigma)(\underline{x}) = \text{LET } & (\underline{s}^*, \underline{e}) = ast2ir_e[\![e]\!](\Sigma)(\underline{\diamond y}) \\
\text{IN } & (ast2ir_{lval}[\![lhs]\!](\Sigma)(\, \underline{s}^*\texttt{;} \, \underline{\diamond \text{old}} \odot \underline{e})(\text{true})\_1, \underline{\diamond \text{old}} \odot \underline{e})
\end{aligned}
$$

$$
ast2ir_e[\![\texttt{++}e]\!](\Sigma)(\underline{x}) = (ast2ir_{lval}[\![e]\!](\Sigma)(\underline{\diamond \text{new}} = \diamond\text{toNumber}(\underline{\diamond \text{old}})\texttt{;} \, \underline{\diamond \text{new}} + 1)(\text{true})\_1, \underline{\diamond \text{new}} + 1)
$$

$$
ast2ir_e[\![e\texttt{++}]\!](\Sigma)(\underline{x}) = (ast2ir_{lval}[\![e]\!](\Sigma)(\underline{\diamond \text{new}} = \diamond\text{toNumber}(\underline{\diamond \text{old}})\texttt{;} \, \underline{\diamond \text{new}} + 1)(\text{true})\_1, \underline{\diamond \text{new}} + 1)
$$

$$
ast2ir_e[\![\texttt{--}e]\!](\Sigma)(\underline{x}) = (ast2ir_{lval}[\![e]\!](\Sigma)(\underline{\diamond \text{new}} = \diamond\text{toNumber}(\underline{\diamond \text{old}})\texttt{;} \, \underline{\diamond \text{new}} - 1)(\text{true})\_1, \underline{\diamond \text{new}} - 1)
$$

$$
ast2ir_e[\![\texttt{delete } x]\!](\Sigma)(\underline{y}) = (\langle \underline{y} = \texttt{ delete } x \rangle, \underline{y})
$$

$$
ast2ir_e[\![\texttt{delete } (x)\,]\!](\Sigma)(\underline{y}) = (\langle \underline{y} = \texttt{ delete } x \rangle, \underline{y})
$$

$$
ast2ir_e[\![\texttt{delete } lhs\texttt{.}x]\!](\Sigma)(\underline{y}) = ast2ir_e[\![\texttt{delete } lhs\texttt{["}x\texttt{"]}]\!](\Sigma)(\underline{y})
$$

$$
\begin{aligned}
ast2ir_e[\![\texttt{delete } lhs\texttt{[}e\texttt{]}]\!](\Sigma)(\underline{x}) = \text{LET } & (\underline{s}_1^*, \underline{e}_1) = ast2ir_{lhs}[\![lhs]\!](\Sigma)(\underline{\diamond \text{obj}_1}) \\
& (\underline{s}_2^*, \underline{e}_2) = ast2ir_e[\![e]\!](\Sigma)(\underline{\diamond \text{field}_1}) \\
\text{IN } & (\underline{s}_1^*\texttt{;} \, \underline{\diamond \text{obj}} = \diamond\text{toObject}(\underline{e}_1)\texttt{;} \, \underline{s}_2^*\texttt{;} \\
& \quad \underline{x} = \texttt{ delete } \underline{\diamond \text{obj}}\texttt{[}\underline{e}_2\texttt{]}, \underline{x})
\end{aligned}
$$

$$
\begin{aligned}
ast2ir_e[\![\texttt{delete } e]\!](\Sigma)(\underline{x}) = \text{LET } & (\underline{s}^*, \underline{e}) = ast2ir_e[\![e]\!](\Sigma)(\underline{\diamond y}) \\
\text{IN } & (\underline{s}^*\texttt{;} \, \underline{\diamond \_} = \, \underline{e}, \text{true})
\end{aligned}
$$

$$
\begin{aligned}
ast2ir_e[\![\ominus e]\!](\Sigma)(\underline{x}) = \text{LET } & (\underline{s}^*, \underline{e}) = ast2ir_e[\![e]\!](\Sigma)(\underline{\diamond y}) \\
\text{IN } & (\underline{s}^*, \ominus \underline{e})
\end{aligned}
$$

$$
ast2ir_e[\![lhs\texttt{++}]\!](\Sigma)(\underline{x}) = (ast2ir_{lval}[\![lhs]\!](\Sigma)(\underline{\diamond \text{new}} = \diamond\text{toNumber}(\underline{\diamond \text{old}})\texttt{;} \, \underline{\diamond \text{new}} + 1)(\text{true})\_1, \underline{\diamond \text{new}})
$$

$$
ast2ir_e[\![lhs\texttt{--}]\!](\Sigma)(\underline{x}) = (ast2ir_{lval}[\![lhs]\!](\Sigma)(\underline{\diamond \text{new}} = \diamond\text{toNumber}(\underline{\diamond \text{old}})\texttt{;} \, \underline{\diamond \text{new}} - 1)(\text{true})\_1, \underline{\diamond \text{new}})
$$

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$$
\begin{aligned}
ast2ir_e[\![e_1 \texttt{\&\&} e_2]\!](\Sigma)(\underline{x}) = \text{LET } & (\underline{s}_1^*, \underline{e}_1) = ast2ir_e[\![e_1]\!](\Sigma)(\underline{\diamond y}) \\
& (\underline{s}_2^*, \underline{e}_2) = ast2ir_e[\![e_2]\!](\Sigma)(\underline{\diamond z}) \\
\text{IN } & (\underline{s}_1^*\texttt{;} \, \texttt{if } (\underline{e}_1) \texttt{ then } \underline{s}_2^*\texttt{;} \, \underline{x} = \underline{e}_2 \texttt{ else } \underline{x} = \underline{e}_1, \underline{x})
\end{aligned}
$$

Candidate for optimization

$$
\begin{aligned}
ast2ir_e[\![e_1 \texttt{ || } e_2]\!](\Sigma)(\underline{x}) = \text{LET } & (\underline{s}_1^*, \underline{e}_1) = ast2ir_e[\![e_1]\!](\Sigma)(\underline{\diamond y}) \\
& (\underline{s}_2^*, \underline{e}_2) = ast2ir_e[\![e_2]\!](\Sigma)(\underline{\diamond z}) \\
\text{IN } & (\underline{s}_1^*\texttt{;} \, \texttt{if } (\underline{e}_1) \texttt{ then } \underline{x} = \underline{e}_1 \texttt{else } \underline{s}_2^*\texttt{;} \, \underline{x} = \underline{e}_2, \underline{x})
\end{aligned}
$$

In order to preserve the semantics when the evaluation of $\underline{e}_1$ throws an exception, we force to evaluate $\underline{e}_1$ before evaluating $\underline{s}_2^*$ by introducing an assignment "$\underline{\diamond \text{new}_1} = \underline{e}_1$" to avoid any side effects by $\underline{s}_2^*$. Note that we add the assignment only when $\underline{s}_2^*$ is not empty for a simple optimization.

Candidate for optimization

$$
\begin{aligned}
ast2ir_e[\![e_1 \otimes e_2]\!](\Sigma)(\underline{x}) = \text{LET } & (\underline{s}_1^*, \underline{e}_1) = ast2ir_e[\![e_1]\!](\Sigma)(\underline{\diamond y}) \\
& (\underline{s}_2^*, \underline{e}_2) = ast2ir_e[\![e_2]\!](\Sigma)(\underline{\diamond z}) \\
\text{IN } & \text{IF } \underline{s}_2^* \text{ is empty} \\
& \text{THEN } (\underline{s}_1^*, \underline{e}_1 \otimes \underline{e}_2) \\
& \text{ELSE } (\underline{s}_1^*\texttt{;} \, \underline{\diamond y} = \underline{e}_1\texttt{;} \, \underline{s}_2^*, \underline{\diamond y} \otimes \underline{e}_2)
\end{aligned}
$$

$$
ast2ir_e[\![lhs]\!](\Sigma)(\underline{x}) = ast2ir_{lhs}[\![lhs]\!](\Sigma)(\underline{x})
$$

$ast2ir_{lhs}[\![lit]\!](\Sigma)(\underline{x}) = ast2ir_{lit}[\![lit]\!](\Sigma)(\underline{x})$

$ast2ir_{lhs}[\![\texttt{arguments}]\!](\Sigma)(\underline{x}) = (\langle\rangle, \Sigma(\diamond\text{arguments}))$

$ast2ir_{lhs}[\![x]\!](\Sigma)(\underline{y}) = (\langle\rangle, \underline{x})$

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$ast2ir_{lhs}[\![\texttt{[}(e^?\texttt{,})^*\texttt{]}]\!](\Sigma)(\underline{x}) = \text{LET } ((\underline{s}^*, \underline{e}) = ast2ir_e[\![e]\!](\Sigma)(\diamond\text{elem}))^*$
$\text{IN } ((\underline{s}^*\texttt{;}\ \diamond\text{elem} = \underline{e})^*\texttt{;}\ \underline{x} = \texttt{[}(\diamond\text{elem}\texttt{,})^*\texttt{]}, \underline{x})$

$ast2ir_{lhs}[\![\texttt{\{}(m\texttt{,})^*\texttt{\}}]\!](\Sigma)(\underline{x}) = \text{LET } ((\underline{s}^*, \underline{mem}) = ast2ir_m[\![m]\!](\Sigma)(\diamond\text{member}))^*$
$\text{IN } ((\underline{s}^*)^*\texttt{;}\ \underline{x} = \texttt{\{}(\underline{mem}\texttt{,})^*\texttt{\}}, \underline{x})$

$ast2ir_{lhs}[\![\texttt{(}e\texttt{)}]\!](\Sigma)(\underline{x}) = ast2ir_e[\![e]\!](\Sigma)(\underline{x})$

$ast2ir_{lhs}[\![\texttt{function}\ f^?\ \texttt{(}(x\texttt{,})^*\texttt{)}\ \texttt{\{}fd^*vd^*s^*\texttt{\}}]\!](\Sigma)(\underline{y}) = (\langle \underline{y} = \text{function}\ \underline{f}^?\ (\diamond\text{this}, \diamond\text{arguments})\ \{$
$(ast2ir_{fd}[\![fd]\!](\Sigma))^*$
$(\text{var}\ \underline{x_i})^*$
$(ast2ir_{vd}[\![vd]\!](\Sigma))^*$
$(\underline{x_i} = \diamond\text{arguments}\texttt{[}\texttt{"i"}\texttt{]})^*$ *where $\underline{x_i}$ is not the name of any of fd*
$(ast2ir_s[\![s]\!](\Sigma; \diamond\text{this}; \diamond\text{arguments}))^*\ \texttt{\}}\rangle, \underline{y})$

$ast2ir_{lhs}[\![lhs\texttt{.}x]\!](\Sigma)(\underline{y}) = ast2ir_{lhs}[\![lhs\texttt{[}\texttt{"}x\texttt{"}\texttt{]}]\!](\Sigma)(\underline{y})$

$ast2ir_{lhs}[\![lhs\texttt{[}\texttt{"}x\texttt{"}\texttt{]}]\!](\Sigma)(\underline{y}) = \text{LET } (\underline{s}_1^*, \underline{e}_1) = ast2ir_{lhs}[\![lhs]\!](\Sigma)(\diamond\text{obj}_1)$
$\text{IN } (\underline{s}_1^*\texttt{;}\ \diamond\text{obj} = \diamond\text{toObject}(\underline{e}_1), \diamond\text{obj}\texttt{[}\texttt{"x"}\texttt{]})$

$ast2ir_{lhs}[\![lhs\texttt{[}e\texttt{]}]\!](\Sigma)(\underline{x}) = \text{LET } (\underline{s}_1^*, \underline{e}_1) = ast2ir_{lhs}[\![lhs]\!](\Sigma)(\diamond\text{obj}_1)$
$(\underline{s}_2^*, \underline{e}_2) = ast2ir_e[\![e]\!](\Sigma)(\diamond\text{field}_1)$
$\text{IN } (\underline{s}_1^*\texttt{;}\ \diamond\text{obj} = \diamond\text{toObject}(\underline{e}_1)\texttt{;}\ \underline{s}_2^*, \diamond\text{obj}\texttt{[}\underline{e}_2\texttt{]})$

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$ast2ir_{lhs}[\![\texttt{new}\ lhs\ \texttt{(}(e\texttt{,})^*\texttt{)}]\!](\Sigma)(\underline{x}) = \text{LET } (\underline{s}_l^*, \underline{e}_l) = ast2ir_{lhs}[\![lhs]\!](\Sigma)(\diamond\text{fun}_1)$
$((\underline{s}^*, \underline{e}) = ast2ir_e[\![e]\!](\Sigma)(\diamond\text{y}))^*$
$\text{IN } (\underline{s}_l^*\texttt{;}\ \diamond\text{fun} = \diamond\text{toObject}(\underline{e}_l)\texttt{;}\ (\underline{s}^*\texttt{;}\ \diamond\text{y} = \underline{e})^*\texttt{;}$
$\diamond\text{arguments} = \texttt{[}(\diamond\text{y}_i\texttt{,})^*\texttt{]}\texttt{;}$
$\diamond\text{proto} = \diamond\text{fun}\texttt{[}\texttt{"prototype"}\texttt{]}\texttt{;}$
$\diamond\text{obj} = \texttt{\{[[Prototype]] =}\ \diamond\text{proto}\texttt{\}}\texttt{;}$
$\diamond\text{newObj} = \text{new}\ \diamond\text{fun}\ (\diamond\text{obj}, \diamond\text{arguments})\texttt{;}$
$\diamond\text{cond} = \diamond\text{isObject}(\diamond\text{newObj})\texttt{;}$
$\text{if}(\diamond\text{cond})\ \text{then}\ \underline{x} = \diamond\text{newObj}\ \text{else}\ \underline{x} = \diamond\text{obj}, \underline{x})$

$ast2ir_{lhs}[\![\texttt{new}\ lhs]\!](\Sigma)(\underline{x}) = \text{LET } (\underline{s}^*, \underline{e}) = ast2ir_{lhs}[\![lhs]\!](\Sigma)(\diamond\text{fun}_1)$
$\text{IN } (\underline{s}^*\texttt{;}\ \diamond\text{fun} = \diamond\text{toObject}(\underline{e})\texttt{;}$
$\diamond\text{arguments} = \texttt{[]}\texttt{;}$
$\diamond\text{proto} = \diamond\text{fun}\texttt{[}\texttt{"prototype"}\texttt{]}\texttt{;}$
$\diamond\text{obj} = \texttt{\{[[Prototype]] =}\ \diamond\text{proto}\texttt{\}}\texttt{;}$
$\diamond\text{newObj} = \text{new}\ \diamond\text{fun}\ (\diamond\text{obj}, \diamond\text{arguments})\texttt{;}$
$\diamond\text{cond} = \diamond\text{isObject}(\diamond\text{newObj})\texttt{;}$
$\text{if}(\diamond\text{cond})\ \text{then}\ \underline{x} = \diamond\text{newObj}\ \text{else}\ \underline{x} = \diamond\text{obj}, \underline{x})$

$\odot ::= \texttt{*} \mid \texttt{/} \mid \texttt{\%} \mid \texttt{+} \mid \texttt{-} \mid \texttt{<<} \mid \texttt{>>} \mid \texttt{>>>} \mid \texttt{\&} \mid \texttt{\^{}} \mid \texttt{|}$

$\ominus ::= \texttt{\~{}} \mid \texttt{!} \mid \texttt{+} \mid \texttt{-} \mid \texttt{delete} \mid \texttt{void} \mid \texttt{typeof}$

$\otimes ::= \texttt{|} \mid \texttt{\&} \mid \texttt{\^{}} \mid \texttt{<<} \mid \texttt{>>} \mid \texttt{>>>} \mid \texttt{+} \mid \texttt{-} \mid \texttt{*} \mid \texttt{/} \mid \texttt{\%} \mid \texttt{==} \mid \texttt{!=} \mid \texttt{===} \mid \texttt{!==} \mid \texttt{<} \mid \texttt{>} \mid \texttt{<=} \mid \texttt{>=} \mid \texttt{instanceof} \mid \texttt{in}$

$$
\begin{array}{ll}
ast2ir_{lhs}[\![eval\ (e)]\!](\Sigma)(\underline{x}) & = \text{LET } (\underline{s}^*, \underline{e}) = ast2ir_e[\![e]\!](\Sigma)(\underline{\diamond \text{new}_1}) \\
 & \quad \text{IN } (\underline{s}^*; \underline{x} = \text{eval } (\underline{e}), \underline{x}) \\
ast2ir_{lhs}[\![(f)\ ((e,)^*)]\!](\Sigma)(\underline{x}) & = ast2ir_{lhs}[\![f\ ((e,)^*)]\!](\Sigma)(\underline{x}) \\
\textit{Candidate for optimization} & \\
ast2ir_{lhs}[\![f\ ((e,)^*)]\!](\Sigma)(\underline{x}) & = \text{LET } ((\underline{s}^*, \underline{e}) = ast2ir_e[\![e]\!](\Sigma)(\underline{\diamond \text{y}}))^* \\
 & \quad \text{IN } (\underline{\diamond \text{obj}} = \diamond\text{toObject}(\underline{f}); (\underline{s}^*; \underline{\diamond \text{y}} = \underline{e})^*; \\
 & \qquad \underline{\diamond \text{arguments}} = [(\underline{\diamond \text{y}_i},)^*]; \\
 & \qquad \underline{\diamond \text{fun}} = \diamond\text{getBase}(\underline{f}); \\
 & \qquad \underline{x} = \underline{\diamond \text{obj}}\ (\underline{\diamond \text{fun}}, \underline{\diamond \text{arguments}}), \underline{x}) \\
ast2ir_{lhs}[\![(lhs.x)\ ((e,)^*)]\!](\Sigma)(\underline{y}) & = ast2ir_{lhs}[\![lhs\,[\texttt{"}x\texttt{"}]\ ((e,)^*)]\!](\Sigma)(\underline{y}) \\
ast2ir_{lhs}[\![lhs.x\ ((e,)^*)]\!](\Sigma)(\underline{y}) & = ast2ir_{lhs}[\![lhs\,[\texttt{"}x\texttt{"}]\ ((e,)^*)]\!](\Sigma)(\underline{y}) \\
ast2ir_{lhs}[\![(lhs\,[e'])\ ((e,)^*)]\!](\Sigma)(\underline{x}) & = ast2ir_{lhs}[\![lhs\,[e']\ ((e,)^*)]\!](\Sigma)(\underline{x}) \\
\textit{Candidate for optimization} & \\
ast2ir_{lhs}[\![lhs\,[e']\ ((e,)^*)]\!](\Sigma)(\underline{x}) & = \text{LET } (\underline{s}^*_l, \underline{e}_l) = ast2ir_{lhs}[\![lhs]\!](\Sigma)(\underline{\diamond \text{obj}_1}) \\
 & \qquad (\underline{s'}^*, \underline{e'}) = ast2ir_e[\![e']\!](\Sigma)(\underline{\diamond \text{field}_1}) \\
 & \qquad ((\underline{s}^*, \underline{e}) = ast2ir_e[\![e]\!](\Sigma)(\underline{\diamond \text{y}}))^* \\
 & \quad \text{IN } (\underline{s}^*_l; \underline{\diamond \text{obj}} = \diamond\text{toObject}(\underline{e}_l); \underline{s'}^*; \\
 & \qquad (\underline{s}^*; \underline{\diamond \text{y}} = \underline{e})^*; \\
 & \qquad \underline{\diamond \text{arguments}} = [(\underline{\diamond \text{y}_i},)^*]; \\
 & \qquad \underline{\diamond \text{fun}} = \diamond\text{toObject}(\underline{\diamond \text{obj}}\,[\underline{e'}]); \\
 & \qquad \underline{x} = \underline{\diamond \text{fun}}\ (\underline{\diamond \text{obj}}, \underline{\diamond \text{arguments}}), \underline{x}) \\
\textit{Candidate for optimization} & \\
ast2ir_{lhs}[\![lhs\ ((e,)^*)]\!](\Sigma)(\underline{x}) & = \text{LET } (\underline{s}^*_l, \underline{e}_l) = ast2ir_{lhs}[\![lhs]\!](\Sigma)(\underline{\diamond \text{obj}_1}) \\
 & \qquad ((\underline{s}^*, \underline{e}) = ast2ir_e[\![e]\!](\Sigma)(\underline{\diamond \text{y}}))^* \\
 & \quad \text{IN } (\underline{s}^*_l; \underline{\diamond \text{obj}} = \diamond\text{toObject}(\underline{e}_l); (\underline{s}^*; \underline{\diamond \text{y}} = \underline{e})^*; \\
 & \qquad \underline{\diamond \text{arguments}} = [(\underline{\diamond \text{y}_i},)^*]; \\
 & \qquad \underline{x} = \underline{\diamond \text{obj}}\ (\underline{\diamond \text{global}}, \underline{\diamond \text{arguments}}), \underline{x}) \\
 & \\
ast2ir_{lit}[\![\texttt{this}]\!](\Sigma)(\underline{x}) & = (\langle\rangle, \Sigma(\underline{\diamond \text{this}})) \\
ast2ir_{lit}[\![\texttt{null}]\!](\Sigma)(\underline{x}) & = (\langle\rangle, \text{null}) \\
ast2ir_{lit}[\![\texttt{true}]\!](\Sigma)(\underline{x}) & = (\langle\rangle, \text{true}) \\
ast2ir_{lit}[\![\texttt{false}]\!](\Sigma)(\underline{x}) & = (\langle\rangle, \text{false}) \\
ast2ir_{lit}[\![num]\!](\Sigma)(\underline{x}) & = (\langle\rangle, \underline{num}) \\
ast2ir_{lit}[\![str]\!](\Sigma)(\underline{x}) & = (\langle\rangle, \underline{str}) \\
ast2ir_{lit}[\![reg]\!](\Sigma) & = \\
 & \\
ast2ir_m[\![pr : e]\!](\Sigma)(\underline{y}) & = \text{LET } (\underline{s}^*, \underline{e}) = ast2ir_e[\![e]\!](\Sigma)(\underline{y}) \\
 & \quad \text{IN } (\underline{s}^*, ast2ir_{pr}[\![pr]\!] : \underline{e}) \\
ast2ir_m[\![\texttt{get}\ pr\ ()\ \{fd^*\ vd^*\ s^*\}]\!](\Sigma)(\underline{x}) & = (\langle\rangle, \text{get } ast2ir_{pr}[\![pr]\!]\ (\underline{\diamond \text{this}}, \underline{\diamond \text{arguments}})\ \{ \\
 & \qquad (ast2ir_{fd}[\![fd]\!](\Sigma))^* \\
 & \qquad (ast2ir_{vd}[\![vd]\!](\Sigma))^* \\
 & \qquad (ast2ir_s[\![s]\!](\Sigma; \underline{\diamond \text{this}}; \underline{\diamond \text{arguments}}))^*\ \}) \\
ast2ir_m[\![\texttt{set}\ pr\ (x)\ \{fd^*\ vd^*\ s^*\}]\!](\Sigma)(\underline{y}) & = (\langle\rangle, \text{set } ast2ir_{pr}[\![pr]\!]\ (\underline{\diamond \text{this}}, \underline{\diamond \text{arguments}})\ \{ \\
 & \qquad (ast2ir_{fd}[\![fd]\!](\Sigma))^* \\
 & \qquad \text{var } \underline{x} \\
 & \qquad (ast2ir_{vd}[\![vd]\!](\Sigma))^* \\
 & \qquad \underline{x} = \underline{\diamond \text{arguments}}[\texttt{"0"}]; \qquad \textit{where } \underline{x} \textit{ is not the name of any of fd} \\
 & \qquad (ast2ir_s[\![s]\!](\Sigma; \underline{\diamond \text{this}}; \underline{\diamond \text{arguments}}))^*\ \})
\end{array}
$$

Chapter 5

IR Semantics

- Environments in the semantics are references.

5.1 Domains

$$
\begin{array}{rcccl}
b & \in & \mathit{Bool} & ::= & \texttt{true} \mid \texttt{false} \\
n & \in & \mathit{Num} & ::= & \texttt{NaN} \mid \texttt{Infinity} \mid \texttt{0} \mid \texttt{1} \mid \ldots \\
s & \in & \mathit{Str} & ::= & \text{“}\texttt{foo}\text{”} \mid \text{“}\texttt{bar}\text{”} \mid \ldots \\
x, y, z & \in & \mathit{Var} & ::= & \texttt{this} \mid \texttt{foo} \mid \texttt{bar} \mid \ldots \\
p & \in & \mathit{PName} & = & \mathit{Str} \cup \mathit{Var} \\
pv & \in & \mathit{PVal} & = & \{\texttt{undefined}, \texttt{null}\} \cup \mathit{Bool} \cup \mathit{Num} \cup \mathit{Str} \\
l & \in & \mathit{Loc} & ::= & \#\texttt{Global} \mid \#\texttt{ObjProto} \mid \#\texttt{FtnProto} \mid \#\texttt{ArrProto} \mid \#\texttt{StrProto} \mid \#\texttt{BoolProto} \mid \#\texttt{NumProto} \\
 & & & \mid & \#\texttt{Null} \mid l_1 \mid \ldots \\
v & \in & \mathit{Val} & = & \mathit{Loc} \cup \mathit{PVal} \\
fv & \in & \mathit{FVal} & ::= & \texttt{function}\ \underline{f}\ (\underline{\mathit{this}}, \underline{\mathit{arguments}})\ \ \{\underline{s}\} \mid \texttt{get}\ \underline{f}(\underline{\mathit{this}},\underline{\mathit{arguments}})\{\underline{s}\} \mid \texttt{set}\ \underline{f}(\underline{\mathit{this}},\underline{\mathit{arguments}})\{\underline{s}\}
\end{array}
$$

4.2 Language Overview: `Error`, `EvalError`, `RangeError`, `ReferenceError`, `SyntaxError`, `TypeError` and `URIError`

$$
\begin{array}{rcccl}
err & \in & \mathit{Error} & = & \{\texttt{Error}, \texttt{EvalError}, \texttt{RangeError}, \texttt{ReferenceError}, \texttt{SyntaxError}, \texttt{TypeError}, \texttt{URIError}\} \\
ve & \in & \mathit{ValError} & = & \mathit{Val} \cup \mathit{Error}
\end{array}
$$

8.6.2 Object Internal Properties and Methods: Table 8–Internal Properties Common to All Objects

`[[Prototype]]`, `[[Class]]`, `[[Extensible]]`, `[[Get]]`, `[[GetOwnProperty]]`, `[[GetProperty]]`, `[[Put]]`, `[[CanPut]]`, `[[HasProperty]]`, `[[Delete]]`, `[[DefaultValue]]`, `[[DefineOwnProperty]]`

$$
\begin{array}{rcccl}
o & \in & \mathit{Object} & ::= & \{[[\texttt{Class}]]:\mathit{Str}, \\
 & & & & \ [[\texttt{Extensible}]]:\mathit{Bool}, \\
 & & & & \ [[\texttt{Prototype}]]:\mathit{Loc}, \\
 & & & & \ @\texttt{property} : \mathit{PName} \mapsto \mathit{ObjectValue} \\
 & & & & \ (, [[\texttt{Code}]]:\mathit{FVal}, \\
 & & & & \ \ [[\texttt{Scope}]]:\mathit{Env})^? \}
\end{array}
$$

8.6.1 Property Attributes

$$
\begin{array}{rcccl}
ov & \in & \mathit{ObjectValue} & = & \mathit{DataProp} \cup \mathit{AccessorProp}
\end{array}
$$

Table 5–Attributes of a Named Data Property: `[[Value]]`, `[[Writable]]`, `[[Enumerable]]`, `[[Configurable]]`

$$
\begin{array}{rcccl}
dp & \in & \mathit{DataProp} & ::= & \{[[\texttt{Value}]]:\mathit{Val}, \\
 & & & & \ [[\texttt{Writable}]]:\mathit{Bool}, \\
 & & & & \ [[\texttt{Enumerable}]]:\mathit{Bool}, \\
 & & & & \ [[\texttt{Configurable}]]:\mathit{Bool}\}
\end{array}
$$

Table 6–Attributes of a Named Accessor Property: `[[Get]]`, `[[Set]]`, `[[Enumerable]]`, `[[Configurable]]`

$$
\begin{array}{rcccl}
ap & \in & \mathit{AccessorProp} & ::= & \{[[\texttt{Get}]]:\mathit{Val}, \\
 & & & & \ [[\texttt{Set}]]:\mathit{Val}, \\
 & & & & \ [[\texttt{Enumerable}]]:\mathit{Bool}, \\
 & & & & \ [[\texttt{Configurable}]]:\mathit{Bool}\} \\
sv & \in & \mathit{StoreValue} & ::= & \{[[\texttt{Value}]]:\mathit{ValError} \cup \{\bot\},\ [[\texttt{Mutable}]]:\mathit{Bool}, [[\texttt{Configurable}]]:\mathit{Bool}\} \\
H, K & \in & \mathit{Heap} & = & \mathit{Loc} \xrightarrow{\text{fin}} \mathit{Object} \\
 & & & & \#\texttt{Null} \notin \mathit{Dom}(H)
\end{array}
$$

10.2 Lexical Environments: A Lexical Environment consists of an Environment Record and a possibly null reference to an outer Lexical Environment.

$$A, B \in Env ::= \#\texttt{Global} \mid er :: A$$

10.2.1 Environment Records: An environment record is either a declarative environment record or an object environment record.

$$er \in EnvRec = DeclEnvRec \cup ObjEnvRec$$

10.2.1.1 Declarative Environment Records: A declarative environment record binds the set of identifiers defined by the declarations contained within its scope.

$$\sigma \in DeclEnvRec = Var \xrightarrow{\text{fin}} StoreValue$$

10.2.1.2 Object Environment Records: Each object environment record is associated with an object called its binding object.

$$\begin{array}{rcll} l & \in & ObjEnvRec & = & Loc \\ bs & \in & EnvRec \cup Loc & & \\ bv & \in & BindingValue & = & StoreValue \cup ObjectValue \\ tb & \in & ThisBinding & = & Loc \\ (H, A, tb) & \in & State & = & Heap \times Env \times ThisBinding \end{array}$$

8.9 The Completion Specification Type

$$\begin{array}{rcll} ct & \in & Completion & ::= & nc \mid ac \\ vt & \in & Val \cup \{\texttt{empty}\} & & \\ nc & \in & NormalCompletion & ::= & \texttt{Normal}(vt) \end{array}$$

The term "abrupt completion" referes to any completion with a type other than normal.

$$ac \in AbruptCompletion ::= \texttt{Break}(vt, x) \mid \texttt{Return}(vt) \mid \texttt{Throw}(ve)$$

5.2 Our Own Helpers

$$UndefVB = (\{[[\texttt{Value}]] : \texttt{undefined}, [[\texttt{Writable}]] : \texttt{false}, [[\texttt{Enumerable}]] : \texttt{false}, [[\texttt{Configurable}]] : \texttt{false}\}, \#\texttt{Null})$$

$$isIndex : Str \to Bool$$

$$isIndex(s) = \begin{cases} \texttt{false} & \text{if } s \neq ToString(ToUint32(s)) \\ \texttt{true} & \text{if } s = ToString(ToUint32(s)) \end{cases}$$

$$NewLoc : () \to Loc$$

$$NewLoc() = l_{new}$$

$$Inherit : Heap \times Loc \times Loc \to Bool$$

$$Inherit(H, l_1, l_2) = \begin{cases} \texttt{false} & \text{if } l_1 = \#\texttt{Null} \\ \texttt{true} & \text{if } l_1 \neq \#\texttt{Null} \wedge l_1 = l_2 \\ Inherit(H, H(l_1).[[\texttt{Prototype}]], l_2) & \text{if } l_1 \neq \#\texttt{Null} \wedge l_1 \neq l_2 \end{cases}$$

11.4.3 The `typeof` Operator

$$TypeTag : Heap \times Val \to Str$$

$$TypeTag(H, v) = \begin{cases} \texttt{"undefined"} & \text{if } v = \texttt{undefined} \\ \texttt{"object"} & \text{if } v = \texttt{null} \\ \texttt{"boolean"} & \text{if } v \in Bool \\ \texttt{"number"} & \text{if } v \in Num \\ \texttt{"string"} & \text{if } v \in Str \\ \texttt{"object"} & \text{if } v \in Loc \wedge \neg IsCallable(H, v) \\ \texttt{"function"} & \text{if } v \in Loc \wedge IsCallable(H, v) \end{cases}$$

10.4.3 Entering Function Code

$$GetThis : Heap \times Val \to Heap \times Loc$$

$$GetThis(H, v) = \begin{cases} (H, \#\texttt{Global}) & \text{if } v = \texttt{undefined} \vee v = \texttt{null} \\ ToObject(H, v) & \text{if } v \in Bool \cup Num \cup Str \\ (H, v) & \text{if } v \in Loc \end{cases}$$

$$ParamsSize : FVal \to Num$$

$$ParamsSize(fv) = |\underline{s_{params}}| \quad \text{where } fv = \_\ \underline{f}\ (\underline{this}, \underline{arguments}) \quad \{\underline{s_{params}}\ \underline{s_{vds}}\ \underline{s_{fds}}\ \underline{s_{stmts}}\}$$

$$GetBody : FVal \to Stmt$$

$$GetBody(fv) = \underline{s} \quad \text{where } fv = \_\ \underline{f}\ (\underline{this}, \underline{arguments}) \quad \{\underline{s}\}$$

15.4 Array Objects

$$\begin{array}{ll} \mathit{IsArrayIndex} & : \mathit{Val} \to \mathit{Bool} \\ \mathit{IsArrayIndex}(v) & = \begin{cases} \texttt{true} & \text{if } \mathit{ToString}(\mathit{ToUnit32}(\mathit{ToString}(v))) = \mathit{ToString}(v) \wedge \mathit{ToUnit32}(\mathit{ToString}(v)) \neq 2^{32}-1 \\ \texttt{false} & \text{otherwise} \end{cases} \end{array}$$

15.9 Date Objects

$$\begin{array}{ll} \mathit{IsDate} & : \mathit{Heap} \times \mathit{Val} \to \mathit{Bool} \\ \mathit{IsDate}(H, v) & = \begin{cases} \texttt{true} & \text{if } v \in \mathit{Loc} \wedge H(v).[[\texttt{Class}]] = \text{“}\texttt{Date}\text{”} \\ \texttt{false} & \text{otherwise} \end{cases} \end{array}$$

12.6.4 The `for-in` Statement

$$\begin{array}{ll} \mathit{IteratorInit} & : \wp(\mathit{PName}) \to \mathit{Object} \\ \mathit{IteratorInit}(P) & = \mathit{NewObj}().@\texttt{property}[\text{“}\texttt{length}\text{”} \mapsto n, \text{“}@\texttt{i}\text{”} \mapsto 0, \text{“}\texttt{0}\text{”} \mapsto pn_0, \ldots \text{“}\texttt{n}-\texttt{1}\text{”} \mapsto pn_{n-1}] \\ & \quad \text{where } P = \{pn_0, \ldots, pn_{n-1}\} \end{array}$$

$$\mathit{CollectProps}(H, l) = \begin{cases} \mathit{Dom}(H(l).@\texttt{property}) \cup \mathit{CollectProps}(H, H(l).[[\texttt{Prototype}]]) & \text{if } l \in \mathit{Dom}(H) \\ \{\} & \text{if } l \notin \mathit{Dom}(H) \end{cases}$$

$$\begin{array}{ll} \mathit{IsEnumerable} & : \mathit{Heap} \times \mathit{Loc} \times \mathit{PName} \to \mathit{Bool} \\ \mathit{IsEnumerable}(H, l, x) & = \begin{cases} H(l).@\texttt{property}(x).[[\texttt{Enumerable}]] & \text{if } l \in \mathit{Dom}(H) \wedge x \in \mathit{Dom}(H(l)) \\ \mathit{IsEnumerable}(H, H(l).[[\texttt{Prototype}]], x) & \text{if } l \in \mathit{Dom}(H) \wedge x \notin \mathit{Dom}(H(l)) \\ \texttt{false} & \text{if } l \notin \mathit{Dom}(H) \end{cases} \end{array}$$

$$\begin{array}{ll} \mathit{Next} & : \mathit{Heap} \times \mathit{Object} \times \mathit{Num} \times \mathit{Loc} \to \mathit{Num} \\ \mathit{Next}(H, o, n, l) & = \begin{cases} n & \text{if } n \notin \mathit{Dom}(o) \wedge n \geq o.@\texttt{property}(\text{“}\texttt{length}\text{”}) \\ \mathit{Next}(H, o, n+1, l) & \text{if } n \notin \mathit{Dom}(o) \wedge n < o.@\texttt{property}(\text{“}\texttt{length}\text{”}) \\ n & \text{if } n \in \mathit{Dom}(o) \wedge \mathit{IsEnumerable}(H, l, o.@\texttt{property}(n)) \\ \mathit{Next}(H, o, n+1, l) & \text{if } n \in \mathit{Dom}(o) \wedge \neg \mathit{IsEnumerable}(H, l, o.@\texttt{property}(n)) \end{cases} \end{array}$$

$$\begin{array}{ll} \mathit{Negate} & : \mathit{Num} \to \mathit{Num} \\ \mathit{Negate}(n) & = \begin{cases} \texttt{NaN} & \text{if } n = \texttt{NaN} \\ 0 - n & \text{otherwise} \end{cases} \end{array}$$

$$\begin{array}{ll} \mathit{Negate} & : \mathit{Bool} \to \mathit{Bool} \\ \mathit{Negate}(b) & = \begin{cases} \texttt{false} & \text{if } b = \texttt{true} \\ \texttt{true} & \text{otherwise} \end{cases} \end{array}$$

$$\begin{array}{ll} \mathit{ExnLoc} & : \mathit{ValError} \to \mathit{Val} \\ \mathit{ExnLoc}(ve) & = \begin{cases} \#\texttt{Error} & \text{if } ve = \texttt{Error} \\ \#\texttt{EvalError} & \text{if } ve = \texttt{EvalError} \\ \#\texttt{RangeError} & \text{if } ve = \texttt{RangeError} \\ \#\texttt{ReferenceError} & \text{if } ve = \texttt{ReferenceError} \\ \#\texttt{SyntaxError} & \text{if } ve = \texttt{SyntaxError} \\ \#\texttt{TypeError} & \text{if } ve = \texttt{TypeError} \\ \#\texttt{URIError} & \text{if } ve = \texttt{URIError} \\ v & \text{if } ve \in \mathit{Val} \end{cases} \end{array}$$

5.3 Helpers from the Specification

8.7 The Reference Specification Type

8.7.2 `PutValue(V, W)`

$$\begin{array}{ll} \mathit{PutValue} & : \mathit{Heap} \times \mathit{Env} \times \mathit{Var} \times \mathit{Val} \times \texttt{strict} \to \mathit{Heap} \times \mathit{Env} \times \mathit{ValError} \\ \mathit{PutValue}(H, A, x, v, b) & = \begin{cases} (H, A, \texttt{ReferenceError}) & \text{if } \mathit{Lookup}(H, A, x, \texttt{strict}) = l \wedge l = \#\texttt{Null} \wedge b \\ \mathit{Put}(H, A, \#\texttt{Global}, x, v, \texttt{false}) & \text{if } \mathit{Lookup}(H, A, x, \texttt{strict}) = l \wedge l = \#\texttt{Null} \wedge \neg b \\ \mathit{Put}(H, A, l, x, v, b) & \text{if } \mathit{Lookup}(H, A, x, \texttt{strict}) = l \wedge l \neq \#\texttt{Null} \\ \mathit{SetBindingDER}(H, A, x, v, b) & \text{if } \mathit{Lookup}(H, A, x, \texttt{strict}) = \sigma \\ & \text{For primitive base values, see 8.7.2.} \end{cases} \end{array}$$

8.12.1 [[GetOwnProperty]](P): Let X be O's own property named P. $x \in Dom(H(l))$

$$Dom(o) = \{\ x \mid x \mapsto ov \in o.@\texttt{property}\ \}$$

8.12.1 [[GetOwnProperty]](P): A String object has a more elaborate [[GetOwnProperty]] internal method (15.5.5.2).

$$GetOwnProperty : Heap \times Loc \times PName \to ObjectValue \times Loc$$

$$GetOwnProperty(H,l,x) = \begin{cases} UndefVB & \text{if } l \notin Dom(H) \\ UndefVB & \text{if } l \in Dom(H) \wedge x \notin Dom(H(l)) \\ (copy(H(l).@\texttt{property}(x)), l) & \text{if } l \in Dom(H) \wedge x \in Dom(H(l)) \end{cases}$$

8.12 Algorithms for Object Internal Methods

8.12.2 [[GetProperty]](P)

$$GetProperty : Heap \times Loc \times PName \to ObjectValue \times Loc$$

$$GetProperty(H,l,x) = \begin{cases} UndefVB & \text{if } l \notin Dom(H) \\ UndefVB & \text{if } l \in Dom(H) \wedge x \notin Dom(H(l)) \wedge H(l).[[\texttt{Prototype}]] = \#\texttt{Null} \\ GetProperty(H, H(l).[[\texttt{Prototype}]], x) & \text{if } l \in Dom(H) \wedge x \notin Dom(H(l)) \wedge H(l).[[\texttt{Prototype}]] \neq \#\texttt{Null} \\ GetOwnProperty(H,l,x) & \text{if } l \in Dom(H) \wedge x \in Dom(H(l)) \end{cases}$$

8.12.3 [[Get]](P) $H(l).[[\texttt{Get}]](\texttt{P})$

$$Get : Heap \times Loc \times PName \to Val$$

$$Get(H,l,x) = \begin{cases} \texttt{undefined} & \text{if } GetProperty(H,l,x) = UndefVB \\ dp.[[\texttt{Value}]] & \text{if } GetProperty(H,l,x) = (dp, \_) \\ \texttt{undefined} & \text{if } GetProperty(H,l,x) = (ap, \_) \wedge ap.[[\texttt{Get}]] = \texttt{undefined} \\ ap.[[\texttt{Get}]].[[\texttt{Call}]](H(l), []) & \text{if } GetProperty(H,l,x) = (ap, \_) \wedge ap.[[\texttt{Get}]] \neq \texttt{undefined} \end{cases}$$

8.12.4 [[CanPut]](P)

$$CanPut : Heap \times Loc \times PName \to Bool$$

$$CanPut(H,l,x) = \begin{cases} \texttt{false} & \text{if } GetOwnProperty(H,l,x) = (ap, \_) \wedge ap.[[\texttt{Set}]] = \texttt{undefined} \\ \texttt{true} & \text{if } GetOwnProperty(H,l,x) = (ap, \_) \wedge ap.[[\texttt{Set}]] \neq \texttt{undefined} \\ dp.[[\texttt{Writable}]] & \text{if } GetOwnProperty(H,l,x) = (dp, \_) \\ H(l).[[\texttt{Extensible}]] & \text{if } GetOwnProperty(H,l,x) = UndefVB \wedge H(l).[[\texttt{Prototype}]] = \#\texttt{Null} \\ H(l).[[\texttt{Extensible}]] & \text{if } GetOwnProperty(H,l,x) = UndefVB \wedge H(l).[[\texttt{Prototype}]] \neq \#\texttt{Null} \wedge \\ & \quad GetProperty(H,l,x) = UndefVB \\ \texttt{false} & \text{if } GetOwnProperty(H,l,x) = UndefVB \wedge H(l).[[\texttt{Prototype}]] \neq \#\texttt{Null} \wedge \\ & \quad GetProperty(H,l,x) = (ap, \_) \wedge ap.[[\texttt{Set}]] = \texttt{undefined} \\ \texttt{true} & \text{if } GetOwnProperty(H,l,x) = UndefVB \wedge H(l).[[\texttt{Prototype}]] \neq \#\texttt{Null} \wedge \\ & \quad GetProperty(H,l,x) = (ap, \_) \wedge ap.[[\texttt{Set}]] \neq \texttt{undefined} \\ \texttt{false} & \text{if } GetOwnProperty(H,l,x) = UndefVB \wedge H(l).[[\texttt{Prototype}]] \neq \#\texttt{Null} \wedge \\ & \quad GetProperty(H,l,x) = (dp, \_) \wedge \neg H(l).[[\texttt{Extensible}]] \\ dp.[[\texttt{Writable}]] & \text{if } GetOwnProperty(H,l,x) = UndefVB \wedge H(l).[[\texttt{Prototype}]] \neq \#\texttt{Null} \wedge \\ & \quad GetProperty(H,l,x) = (dp, \_) \wedge H(l).[[\texttt{Extensible}]] \end{cases}$$

8.12.5 [[Put]](P,V,Throw)

$$Put : Heap \times Env \times Loc \times PName \times Val \times Bool \to Heap \times Env \times ValError$$

$$Put(H,A,l,x,v,b) = \begin{cases} (H, A, \texttt{TypeError}) & \text{if } \neg CanPut(H,l,x) \wedge b \\ (H, A, v) & \text{if } \neg CanPut(H,l,x) \wedge \neg b \\ DefineOwnProperty(H,A,l,x,dp',b) & \text{if } CanPut(H,l,x) \wedge \\ & \quad GetOwnProperty(H,l,x) = (dp, \_) \neq UndefVB \wedge \\ & \quad dp' = \{[[\texttt{Value}]] : v\} \\ ap.[[\texttt{Set}]].[[\texttt{Call}]](H(l), v) & \text{if } CanPut(H,l,x) \wedge GetOwnProperty(H,l,x) \neq (dp, \_) \wedge \\ & \quad GetProperty(H,l,x) = (ap, \_) \\ DefineOwnProperty(H,A,l,x,dp',b) & \text{if } CanPut(H,l,x) \wedge GetOwnProperty(H,l,x) \neq (dp, \_) \wedge \\ & \quad GetProperty(H,l,x) = (dp, \_) \wedge \\ & \quad dp' = \{[[\texttt{Value}]] : v, [[\texttt{Writable}]] : \texttt{true}, \\ & \qquad [[\texttt{Enumerable}]] : \texttt{true}, [[\texttt{Configurable}]] : \texttt{true}\} \end{cases}$$

8.12.6 [[HasProperty]](P)

$$\begin{array}{ll} \mathit{HasProperty} & : \mathit{Heap} \times \mathit{Loc} \times \mathit{PName} \to \mathit{Bool} \\ \mathit{HasProperty}(H,l,x) & = \begin{cases} \texttt{false} & \text{if } \mathit{GetProperty}(H,l,x) = \mathit{UndefVB} \\ \texttt{true} & \text{if } \mathit{GetProperty}(H,l,x) \neq \mathit{UndefVB} \end{cases} \end{array}$$

10.2.1.1.5 DeleteBinding(N)

10.2.1.2.5 DeleteBinding(N)

$$\begin{array}{ll} \mathit{DeleteBinding} & : \mathit{Heap} \times \mathit{Env} \times \mathit{Str} \times \texttt{strict} \to \mathit{Heap} \times \mathit{Env} \times (\mathit{Bool} \cup \mathit{Error}) \\ \mathit{DeleteBinding}(H,A,s,b) & = \begin{cases} (H,A,\texttt{true}) & \text{if } A = \#\texttt{Global} \wedge s \notin \mathit{Dom}(H(\#\mathit{Global})) \\ \mathit{Delete}(H,A,\#\texttt{Global},s,b) & \text{if } A = \#\texttt{Global} \wedge s \in \mathit{Dom}(H(\#\mathit{Global})) \\ (H,(\sigma - s) :: A',\texttt{true}) & \text{if } A = \sigma :: A' \wedge s \in \mathit{Dom}(\sigma) \wedge \sigma(s).[[\texttt{Configurable}]] \\ (H,A,\texttt{false}) & \text{if } A = \sigma :: A' \wedge s \in \mathit{Dom}(\sigma) \wedge \neg\sigma(s).[[\texttt{Configurable}]] \\ (H',\sigma :: A'',ve) & \text{if } A = \sigma :: A' \wedge s \notin \mathit{Dom}(\sigma) \wedge \\ & \quad \mathit{DeleteBinding}(\text{H, A', s, b}) = (\text{H',A''},ve) \\ \mathit{Delete}(H,A,l,s,b) & \text{if } A = l :: A' \wedge s \in \mathit{Dom}(H(l)) \\ (H',l :: A'',ve) & \text{if } A = l :: A' \wedge s \notin \mathit{Dom}(H(l)) \wedge \\ & \quad \mathit{DeleteBinding}(H,A',s,b) = (H',A'',ve) \end{cases} \end{array}$$

8.12.7 [[Delete]](P, Throw)

$$\begin{array}{ll} \mathit{Delete} & : \mathit{Heap} \times \mathit{Env} \times \mathit{Loc} \times \mathit{Str} \times \mathit{Bool} \to \mathit{Heap} \times \mathit{Env} \times \mathit{ValError} \\ \mathit{Delete}(H,A,l,s,b) & = \begin{cases} (H,A,\texttt{true}) & \text{if } \mathit{GetOwnProperty}(H,l,s) = \mathit{UndefVB} \\ (H',A,\texttt{true}) & \text{if } \mathit{GetOwnProperty}(H,l,s) = (ov,\_) \wedge \\ & \quad ov.[[\texttt{Configurable}]] \wedge \\ & \quad H' = H[l \mapsto H(l) - s] \\ (H,A,\texttt{TypeError}) & \text{if } \mathit{GetOwnProperty}(H,l,s) = (ov,\_) \wedge \neg ov.[[\texttt{Configurable}]] \wedge b \\ (H,A,\texttt{false}) & \text{otherwise} \end{cases} \end{array}$$

Less precise but simpler!

8.12.8 [[DefaultValue]](hint)

$$\begin{array}{ll} \mathit{DefaultValue} & : \mathit{Heap} \times \mathit{Loc} \times \mathit{Str} \to \mathit{PVal} \cup \mathit{Error} \\ \mathit{DefaultValue}(H,l,\texttt{String}) & = \begin{cases} s & \text{if } \text{“}H(l)\text{”} = s \wedge s \in \mathit{PVal} \\ v & \text{if } \text{“}H(l)\text{”} \notin \mathit{PVal} \wedge \texttt{valueOf}(H(l)) = v \wedge v \in \mathit{PVal} \\ \texttt{TypeError} & \text{otherwise} \end{cases} \\ \mathit{DefaultValue}(H,l,\texttt{Number}) & = \begin{cases} v & \text{if } \texttt{valueOf}(H(l)) = v \wedge v \in \mathit{PVal} \\ s & \text{if } \texttt{valueOf}(H(l)) \notin \mathit{PVal} \wedge \text{“}H(l)\text{”} = s \wedge s \in \mathit{PVal} \\ \texttt{TypeError} & \text{otherwise} \end{cases} \end{array}$$

Precise but too complicated!

8.12.8 [[DefaultValue]](hint)

$$\begin{array}{ll} \mathit{DefaultValue} & : \mathit{Heap} \times \mathit{Loc} \times \mathit{Str} \to \mathit{PVal} \cup \mathit{Error} \\ \mathit{DefaultValue}(H,l,\texttt{String}) & = \begin{cases} s & \text{if } \mathit{Get}(H,l,\texttt{toString}) = v \wedge \mathit{IsCallable}(H,v) \wedge v.[[\texttt{Call}]](H(l),[]) = s \wedge s \in \mathit{PVal} \\ v'' & \text{if } \mathit{Get}(H,l,\texttt{toString}) = v \wedge (\neg\mathit{IsCallable}(H,v) \vee v.[[\texttt{Call}]](H(l),[]) \notin \mathit{PVal}) \wedge \\ & \quad \mathit{Get}(H,l,\texttt{valueOf}) = v' \wedge \mathit{IsCallable}(H,v') \wedge v'.[[\texttt{Call}]](H(l),[]) = v'' \wedge v'' \in \mathit{PVal} \\ \texttt{TypeError} & \text{if } \mathit{Get}(H,l,\texttt{toString}) = v \wedge (\neg\mathit{IsCallable}(H,v) \vee v.[[\texttt{Call}]](H(l),[]) \notin \mathit{PVal}) \wedge \\ & \quad \mathit{Get}(H,l,\texttt{valueOf}) = v' \wedge (\neg\mathit{IsCallable}(H,v') \vee v'.[[\texttt{Call}]](H(l),[]) \notin \mathit{PVal}) \end{cases} \\ \mathit{DefaultValue}(H,l,\texttt{Number}) & = \begin{cases} v' & \text{if } \mathit{Get}(H,l,\texttt{valueOf}) = v \wedge \mathit{IsCallable}(H,v) \wedge v.[[\texttt{Call}]](H(l),[]) = v' \wedge v' \in \mathit{PVal} \\ s & \text{if } \mathit{Get}(H,l,\texttt{valueOf}) = v \wedge (\neg\mathit{IsCallable}(H,v) \vee v.[[\texttt{Call}]](H(l),[]) \notin \mathit{PVal}) \wedge \\ & \quad \mathit{Get}(H,l,\texttt{toString}) = v' \wedge \mathit{IsCallable}(H,v') \wedge v'.[[\texttt{Call}]](H(l),[]) = s \wedge s \in \mathit{PVal} \\ \texttt{TypeError} & \text{if } \mathit{Get}(H,l,\texttt{valueOf}) = v \wedge (\neg\mathit{IsCallable}(H,v) \vee v.[[\texttt{Call}]](H(l),[]) \notin \mathit{PVal}) \wedge \\ & \quad \mathit{Get}(H,l,\texttt{toString}) = v' \wedge (\neg\mathit{IsCallable}(H,v') \vee v'.[[\texttt{Call}]](H(l),[]) \notin \mathit{PVal}) \end{cases} \end{array}$$

8.12.9 [[DefineOwnProperty]](P, Desc, Throw)

DefineOwnProperty : $Heap \times Env \times Loc \times Var \times ObjectValue \times Bool \to Heap \times Env \times ValError$

DefineOwnProperty(H, A, l, x, ov, b)=

Step 3

$(H, A, \texttt{TypeError})$ if $GetOwnProperty(H, l, x) = UndefVB \wedge \neg H(l).[[\texttt{Extensible}]] \wedge b$

$(H, A, \texttt{false})$ if $GetOwnProperty(H, l, x) = UndefVB \wedge \neg H(l).[[\texttt{Extensible}]] \wedge \neg b$

Step 4

$(H[l \mapsto H(l).@\texttt{property}[x \mapsto copy(ov)]], A, \texttt{true})$ if $GetOwnProperty(H, l, x) = UndefVB \wedge H(l).[[\texttt{Extensible}]]$

Steps 5&6

$(H, A, \texttt{true})$ if $GetOwnProperty(H, l, x) = (ov', \_) \wedge (ov = \emptyset \vee ov \subseteq ov')$

Step 7-a

$(H, A, \texttt{TypeError})$ if $GetOwnProperty(H, l, x) = (ov', \_) \wedge \neg ov'.[[\texttt{Configurable}]] \wedge ov.[[\texttt{Configurable}]] \wedge b$

$(H, A, \texttt{false})$ if $GetOwnProperty(H, l, x) = (ov', \_) \wedge \neg ov'.[[\texttt{Configurable}]] \wedge ov.[[\texttt{Configurable}]] \wedge \neg b$

Step 7-b

$(H, A, \texttt{TypeError})$ if $GetOwnProperty(H, l, x) = (ov', \_) \wedge \neg ov'.[[\texttt{Configurable}]] \wedge ov.[[\texttt{Enumerable}]] \neq ov'.[[\texttt{Enumerable}]] \wedge b$

$(H, A, \texttt{false})$ if $GetOwnProperty(H, l, x) = (ov', \_) \wedge \neg ov'.[[\texttt{Configurable}]] \wedge ov.[[\texttt{Enumerable}]] \neq ov'.[[\texttt{Enumerable}]] \wedge \neg b$

Step 9-a

$(H, A, \texttt{TypeError})$ if $GetOwnProperty(H, l, x) = (ov', \_) \wedge ov \in DataProp \wedge ov' \in AccProp \wedge \neg ov'.[[\texttt{Configurable}]] \wedge b$

$(H, A, \texttt{false})$ if $GetOwnProperty(H, l, x) = (ov', \_) \wedge ov \in DataProp \wedge ov' \in AccProp \wedge \neg ov'.[[\texttt{Configurable}]] \wedge \neg b$

$(H, A, \texttt{TypeError})$ if $GetOwnProperty(H, l, x) = (ov', \_) \wedge ov \in AccProp \wedge ov' \in DataProp \wedge \neg ov'.[[\texttt{Configurable}]] \wedge b$

$(H, A, \texttt{false})$ if $GetOwnProperty(H, l, x) = (ov', \_) \wedge ov \in AccProp \wedge ov' \in DataProp \wedge \neg ov'.[[\texttt{Configurable}]] \wedge \neg b$

Step 9-b-i

$(H[l \mapsto H(l).@\texttt{property}[x \mapsto copy(ov)]], A, \texttt{true})$ if $GetOwnProperty(H, l, x) = (ov', \_) \wedge ov \in AccProp \wedge ov' \in DataProp$

Step 9-c-i

$(H[l \mapsto H(l).@\texttt{property}[x \mapsto copy(ov)]], A, \texttt{true})$ if $GetOwnProperty(H, l, x) = (ov', \_) \wedge ov \in DataProp \wedge ov' \in AccProp$

Step 10-a-i

$(H, A, \texttt{TypeError})$ if $GetOwnProperty(H, l, x) = (ov', \_) \wedge ov \in DataProp \wedge ov' \in DataProp \wedge \neg ov'.[[\texttt{Configurable}]] \wedge \neg ov'.[[\texttt{Writable}]] \wedge ov.[[\texttt{Writable}]] \wedge b$

$(H, A, \texttt{false})$ if $GetOwnProperty(H, l, x) = (ov', \_) \wedge ov \in DataProp \wedge ov' \in DataProp \wedge \neg ov'.[[\texttt{Configurable}]] \wedge \neg ov'.[[\texttt{Writable}]] \wedge ov.[[\texttt{Writable}]] \neg \wedge b$

Step 10-a-ii

$(H, A, \texttt{TypeError})$ if $GetOwnProperty(H, l, x) = (ov', \_) \wedge ov \in DataProp \wedge ov' \in DataProp \wedge \neg ov'.[[\texttt{Configurable}]] \wedge \neg ov'.[[\texttt{Writable}]] \wedge ov.[[\texttt{Value}]] \neq ov'.[[\texttt{Value}]] \wedge b$

$(H, A, \texttt{false})$ if $GetOwnProperty(H, l, x) = (ov', \_) \wedge ov \in DataProp \wedge ov' \in DataProp \wedge \neg ov'.[[\texttt{Configurable}]] \wedge \neg ov'.[[\texttt{Writable}]] \wedge ov.[[\texttt{Value}]] \neq ov'.[[\texttt{Value}]] \wedge \neg b$

Step 10-b

$(H[l \mapsto H(l).@\texttt{property}[x \mapsto copy(ov)]], A, \texttt{true})$ if $GetOwnProperty(H, l, x) = (ov', \_) \wedge ov \in DataProp \wedge ov' \in DataProp \wedge ov'.[[\texttt{Configurable}]]$

Step 11-a-i

$(H, A, \texttt{TypeError})$ if $GetOwnProperty(H, l, x) = (ov', \_) \wedge ov \in AccProp \wedge ov' \in AccProp \wedge \neg ov'.[[\texttt{Configurable}]] \wedge ov'.[[\texttt{Set}]] \neq ov.[[\texttt{Set}]] \wedge b$

$(H, A, \texttt{false})$ if $GetOwnProperty(H, l, x) = (ov', \_) \wedge ov \in AccProp \wedge ov' \in AccProp \wedge \neg ov'.[[\texttt{Configurable}]] \wedge ov'.[[\texttt{Set}]] \neq ov.[[\texttt{Set}]] \wedge \neg b$

Step 11-a-ii

$(H, A, \texttt{TypeError})$ if $GetOwnProperty(H, l, x) = (ov', \_) \wedge ov \in AccProp \wedge ov' \in AccProp \wedge \neg ov'.[[\texttt{Configurable}]] \wedge ov'.[[\texttt{Get}]] \neq ov.[[\texttt{Get}]] \wedge b$

$(H, A, \texttt{false})$ if $GetOwnProperty(H, l, x) = (ov', \_) \wedge ov \in AccProp \wedge ov' \in AccProp \wedge \neg ov'.[[\texttt{Configurable}]] \wedge ov'.[[\texttt{Get}]] \neq ov.[[\texttt{Get}]] \wedge \neg b$

Step 12

$(H[l \mapsto H(l).@\texttt{property}[x \mapsto copy(ov)]], A, \texttt{true})$ otherwise

For Array objects, see 15.4.5.1.

$DeleteArray : Heap \times Env \times Loc \times Num \times Num \times ObjectValue \times Bool \times Bool \to Heap \times Env \times (Bool \cup Error)$
$ov' = ov.\{[[\texttt{Value}]] \mapsto oldLen\}$
$ov'' = ov'.\{[[\texttt{Writable}]] \mapsto \texttt{false}\}$
$DeleteArray(H, A, l, newLen, oldLen, ov, b, b') =$

Step 3.l
$(H, A, \texttt{true})$ if $newLen \geq oldLen$

Step 3.l.ii
(H, A, err) if $newLen < oldLen \wedge DeleteBinding(H, A, ToString(H, oldLen - 1), \texttt{false}) = (H', A', err)$

Step 3.l.iii / writable = true / DefineOwnProperty = err
(H, A, err) if $newLen < oldLen \wedge DeleteBinding(H, A, ToString(H, oldLen - 1), \texttt{false}) = (H', A', \texttt{false})$
$\wedge b = \texttt{true} \wedge DefineOwnProperty(H', A', l, \text{“}\texttt{length}\text{”}, ov', \texttt{false}) = (H'', A'', err)$

Step 3.l.iii / writable = true / DefineOwnProperty $\neq$ err
$(H, A, \text{if } b' \texttt{ TypeError else false})$ if $newLen < oldLen \wedge DeleteBinding(H, A, ToString(H, oldLen - 1), \texttt{false}) = (H', A', \texttt{false})$
$\wedge b = \texttt{true} \wedge DefineOwnProperty(H', A', l, \text{“}\texttt{length}\text{”}, ov', \texttt{false}) = (H'', A'', v)$

Step 3.l.iii / writable = fase / DefineOwnProperty = err
(H, A, err) if $newLen < oldLen \wedge DeleteBinding(H, A, ToString(H, oldLen - 1), \texttt{false}) = (H', A', \texttt{false})$
$\wedge b = \texttt{false} \wedge DefineOwnProperty(H', A', l, \text{“}\texttt{length}\text{”}, ov'', \texttt{false}) = (H'', A'', err)$

Step 3.l.iii / writable = fase / DefineOwnProperty $\neq$ err
$(H, A, \text{if } b' \texttt{ TypeError else false})$ if $newLen < oldLen \wedge DeleteBinding(H, A, ToString(H, oldLen - 1), \texttt{false}) = (H', A', \texttt{false})$
$\wedge b = \texttt{false} \wedge DefineOwnProperty(H', A', l, \text{“}\texttt{length}\text{”}, ov'', \texttt{false}) = (H'', A'', v)$

Step 3.l.ii
$DeleteArray(H', A', l, newLen, oldLen - 1, ov, b)$ if $newLen < oldLen \wedge DeleteBinding(H, A, ToString(H, oldLen - 1), \texttt{false}) = (H', A', \texttt{true})$

15.4.5.1 `[[DefineOwnProperty]](P,Desc,Throw)` for Array
$DefineOwnPropertyArray : Heap \times Env \times Loc \times Var \times ObjectValue \times Bool \to Heap \times Env \times (Bool \cup Error)$
$DefineOwnPropertyArray(H, A, l, x, ov, b) =$
where
$index = ToUint32(H, x)$
$newLenDesc = copy(ov)$
$newLen = ToUint32(ov.[[\texttt{Value}]])$
$newLenDesc' = newLenDesc\{[[\texttt{Value}]] \mapsto newLen\}$
$newLenDesc'' = newLenDesc'\{[[\texttt{Writable}]] \mapsto \texttt{true}\}$
$newLenNum = ToNumber(H, ov.[[\texttt{Value}]])$
$oldLenDesc = GetOwnProperty(H, l, \text{“}\texttt{length}\text{”})$
$oldLen = oldLenDesc.[[\texttt{Value}]]$
$oldLenDesc' = oldLenDesc\{[[\texttt{Value}]] \mapsto index + 1\}$

Step 3.a
$DefineOwnProperty(H, A, l, \text{“}\texttt{length}\text{”}, ov, b)$ if $ToString(H, x) = \text{“}\texttt{length}\text{”} \wedge [[\texttt{Value}]] \notin ov$

Step 3.d
$(H, A, \texttt{RangeError})$ if $ToString(H, x) = \text{“}\texttt{length}\text{”} \wedge [[\texttt{Value}]] \in ov \wedge newLen \neq newLenNum$

Step 3.f.i
$DefineOwnProperty(H, A, l, \text{“}\texttt{length}\text{”}, newLenDesc', b)$ if $ToString(H, x) = \text{“}\texttt{length}\text{”} \wedge [[\texttt{Value}]] \in ov \wedge newLen = newLenNum$
$\wedge newLen \geq oldLen$

Step 3.g
$(H, A, \text{if } b \texttt{ TypeError else false})$ if $ToString(H, x) = \text{“}\texttt{length}\text{”} \wedge [[\texttt{Value}]] \in ov \wedge newLen = newLenNum$
$\wedge newLen < oldLen \wedge \neg oldLenDesc.[[\texttt{Writable}]]$

Step 3.h : set newWritable = true & 3.j
(H', A', err) if $ToString(H, x) = \text{“}\texttt{length}\text{”} \wedge [[\texttt{Value}]] \in ov \wedge newLen = newLenNum$
$\wedge newLen < oldLen \wedge oldLenDesc.[[\texttt{Writable}]]$
$\wedge([[\texttt{Writable}]] \notin newLenDesc \vee newLenDesc.[[\texttt{Writable}]])$
$\wedge DefineOwnProperty(H, A, l, \text{“}\texttt{length}\text{”}, newLenDesc', b) = (H', A', err)$

Step 3.h : set newWritable = true & 3.k
$(H', A', \texttt{false})$ if $ToString(H, x) = \text{“}\texttt{length}\text{”} \wedge [[\texttt{Value}]] \in ov \wedge newLen = newLenNum$
$\wedge newLen < oldLen \wedge oldLenDesc.[[\texttt{Writable}]]$
$\wedge([[\texttt{Writable}]] \notin newLenDesc \vee newLenDesc.[[\texttt{Writable}]])$
$\wedge DefineOwnProperty(H, A, l, \text{“}\texttt{length}\text{”}, newLenDesc', b) = (H', A', \texttt{false})$

$$
\begin{cases}
\text{Step 3.h : set newWritable = true \& 3.l} & \\
(H'', A'', err) & \text{if } \mathit{ToString}(H, x) = \text{“}\texttt{length}\text{”} \wedge [[\texttt{Value}]] \in ov \wedge \mathit{newLen} = \mathit{newLenNum} \\
& \quad \wedge \mathit{newLen} < \mathit{oldLen} \wedge \mathit{oldLenDesc}.[[\texttt{Writable}]] \\
& \quad \wedge([[\texttt{Writable}]] \notin \mathit{newLenDesc} \vee \mathit{newLenDesc}.[[\texttt{Writable}]]) \\
& \quad \wedge \mathit{DefineOwnProperty}(H, A, l, \text{“}\texttt{length}\text{”}, \mathit{newLenDesc}', b) = (H', A', \texttt{true}) \\
& \quad \wedge \mathit{DeleteArray}(H', A', l, \mathit{newLen}, \mathit{oldLen}, \mathit{newLenDesc}', \texttt{true}, b) = (H'', A'', err) \\
\text{Step 3.h : set newWritable = true \& 3.l} & \\
(H'', A'', \text{if } b \texttt{ TypeError else } \texttt{false}) & \text{if } \mathit{ToString}(H, x) = \text{“}\texttt{length}\text{”} \wedge [[\texttt{Value}]] \in ov \wedge \mathit{newLen} = \mathit{newLenNum} \\
& \quad \wedge \mathit{newLen} < \mathit{oldLen} \wedge \mathit{oldLenDesc}.[[\texttt{Writable}]] \\
& \quad \wedge([[\texttt{Writable}]] \notin \mathit{newLenDesc} \vee \mathit{newLenDesc}.[[\texttt{Writable}]]) \\
& \quad \wedge \mathit{DefineOwnProperty}(H, A, l, \text{“}\texttt{length}\text{”}, \mathit{newLenDesc}', b) = (H', A', \texttt{true}) \\
& \quad \wedge \mathit{DeleteArray}(H', A', l, \mathit{newLen}, \mathit{oldLen}, \mathit{newLenDesc}', \texttt{true}, b) = (H'', A'', \texttt{false}) \\
\text{Step 3.h : set newWritable = true \& 3.l} & \\
(H'', A'', \texttt{true}) & \text{if } \mathit{ToString}(H, x) = \text{“}\texttt{length}\text{”} \wedge [[\texttt{Value}]] \in ov \wedge \mathit{newLen} = \mathit{newLenNum} \\
& \quad \wedge \mathit{newLen} < \mathit{oldLen} \wedge \mathit{oldLenDesc}.[[\texttt{Writable}]] \\
& \quad \wedge([[\texttt{Writable}]] \notin \mathit{newLenDesc} \vee \mathit{newLenDesc}.[[\texttt{Writable}]]) \\
& \quad \wedge \mathit{DefineOwnProperty}(H, A, l, \text{“}\texttt{length}\text{”}, \mathit{newLenDesc}', b) = (H', A', \texttt{true}) \\
& \quad \wedge \mathit{DeleteArray}(H', A', l, \mathit{newLen}, \mathit{oldLen}, \mathit{newLenDesc}', \texttt{true}, b) = (H'', A'', \texttt{true}) \\
\text{Step 3.h : set newWritable = false \& 3.j} & \\
(H', A', err) & \text{if } \mathit{ToString}(H, x) = \text{“}\texttt{length}\text{”} \wedge [[\texttt{Value}]] \in ov \wedge \mathit{newLen} = \mathit{newLenNum} \\
& \quad \wedge \mathit{newLen} < \mathit{oldLen} \wedge \mathit{oldLenDesc}.[[\texttt{Writable}]] \wedge \neg \mathit{newLenDesc}.[[\texttt{Writable}]] \\
& \quad \wedge \mathit{DefineOwnProperty}(H, A, l, \text{“}\texttt{length}\text{”}, \mathit{newLenDesc}'', b) = (H', A', err) \\
\text{Step 3.h : set newWritable = false \& 3.k} & \\
(H', A', \texttt{false}) & \text{if } \mathit{ToString}(H, x) = \text{“}\texttt{length}\text{”} \wedge [[\texttt{Value}]] \in ov \wedge \mathit{newLen} = \mathit{newLenNum} \\
& \quad \wedge \mathit{newLen} < \mathit{oldLen} \wedge \mathit{oldLenDesc}.[[\texttt{Writable}]] \wedge \neg \mathit{newLenDesc}.[[\texttt{Writable}]] \\
& \quad \wedge \mathit{DefineOwnProperty}(H, A, l, \text{“}\texttt{length}\text{”}, \mathit{newLenDesc}'', b) = (H', A', \texttt{false}) \\
\text{Step 3.h : set newWritable = false \& 3.l} & \\
(H'', A'', err) & \text{if } \mathit{ToString}(H, x) = \text{“}\texttt{length}\text{”} \wedge [[\texttt{Value}]] \in ov \wedge \mathit{newLen} = \mathit{newLenNum} \\
& \quad \wedge \mathit{newLen} < \mathit{oldLen} \wedge \mathit{oldLenDesc}.[[\texttt{Writable}]] \wedge \neg \mathit{newLenDesc}.[[\texttt{Writable}]] \\
& \quad \wedge \mathit{DefineOwnProperty}(H, A, l, \text{“}\texttt{length}\text{”}, \mathit{newLenDesc}'', b) = (H', A', \texttt{true}) \\
& \quad \wedge \mathit{DeleteArray}(H', A', l, \mathit{newLen}, \mathit{oldLen}, \mathit{newLenDesc}'', \texttt{false}, b) = (H'', A'', err) \\
\text{Step 3.h : set newWritable = false \& 3.l} & \\
(H'', A'', \text{if } b \texttt{ TypeError else } \texttt{false}) & \text{if } \mathit{ToString}(H, x) = \text{“}\texttt{length}\text{”} \wedge [[\texttt{Value}]] \in ov \wedge \mathit{newLen} = \mathit{newLenNum} \\
& \quad \wedge \mathit{newLen} < \mathit{oldLen} \wedge \mathit{oldLenDesc}.[[\texttt{Writable}]] \wedge \neg \mathit{newLenDesc}.[[\texttt{Writable}]] \\
& \quad \wedge \mathit{DefineOwnProperty}(H, A, l, \text{“}\texttt{length}\text{”}, \mathit{newLenDesc}'', b) = (H', A', \texttt{true}) \\
& \quad \wedge \mathit{DeleteArray}(H', A', l, \mathit{newLen}, \mathit{oldLen}, \mathit{newLenDesc}'', \texttt{false}, b) = (H'', A'', \texttt{false}) \\
\text{Step 3.h : set newWritable = false \& 3.m} & \\
(H^r, A^r, ve) & \text{if } \mathit{ToString}(H, x) = \text{“}\texttt{length}\text{”} \wedge [[\texttt{Value}]] \in ov \wedge \mathit{newLen} = \mathit{newLenNum} \\
& \quad \wedge \mathit{newLen} < \mathit{oldLen} \wedge \mathit{oldLenDesc}.[[\texttt{Writable}]] \wedge \neg \mathit{newLenDesc}.[[\texttt{Writable}]] \\
& \quad \wedge \mathit{DefineOwnProperty}(H, A, l, \text{“}\texttt{length}\text{”}, \mathit{newLenDesc}'', b) = (H', A', \texttt{true}) \\
& \quad \wedge \mathit{DeleteArray}(H', A', l, \mathit{newLen}, \mathit{oldLen}, \mathit{newLenDesc}'', \texttt{false}, b) = (H'', A'', \texttt{true}) \\
& \quad \wedge \mathit{DefineOwnProperty}(H'', A'', l, \text{“}\texttt{length}\text{”}, \{[[\texttt{Writable}]] : \texttt{false}\}, \texttt{false}) = \\
& (H^r, A^r, ve) \\
\text{Step 4.b} & \\
(H, A, \text{if } b \texttt{ TypeError else } \texttt{false}) & \text{if } \mathit{isIndex}(\mathit{ToString}(H, x)) \wedge \mathit{index} \geq \mathit{oldLen} \wedge \neg \mathit{oldLenDesc}.[[\texttt{Writable}]] \\
\text{Step 4.c} & \\
(H', A', err) & \text{if } \mathit{isIndex}(\mathit{ToString}(H, x)) \wedge (\mathit{index} < \mathit{oldLen} \vee \mathit{oldLenDesc}.[[\texttt{Writable}]]) \\
& \quad \wedge \mathit{DefineOwnProperty}(H, A, l, x, ov, \texttt{false}) = (H', A', err) \\
\text{Step 4.d} & \\
(H', A', \text{if } b \texttt{ TypeError else } \texttt{false}) & \text{if } \mathit{isIndex}(\mathit{ToString}(H, x)) \wedge (\mathit{index} < \mathit{oldLen} \vee \mathit{oldLenDesc}.[[\texttt{Writable}]]) \\
& \quad \wedge \mathit{DefineOwnProperty}(H, A, l, x, ov, \texttt{false}) = (H', A', \texttt{false}) \\
\text{Step 4.e.ii} & \\
(H', A', err) & \text{if } \mathit{isIndex}(\mathit{ToString}(H, x)) \wedge (\mathit{index} < \mathit{oldLen} \vee \mathit{oldLenDesc}.[[\texttt{Writable}]]) \\
& \quad \wedge \mathit{DefineOwnProperty}(H, A, l, x, ov, \texttt{false}) = (H', A', \texttt{true}) \wedge \mathit{index} \geq \mathit{oldLen} \\
& \quad \wedge \mathit{DefineOwnProperty}(H', A', l, \text{“}\texttt{length}\text{”}, \mathit{oldLenDesc}', \texttt{false}) = (H'', A'', err) \\
\text{Step 4.e.ii} & \\
(H', A', \texttt{true}) & \text{if } \mathit{isIndex}(\mathit{ToString}(H, x)) \wedge (\mathit{index} < \mathit{oldLen} \vee \mathit{oldLenDesc}.[[\texttt{Writable}]]) \\
& \quad \wedge \mathit{DefineOwnProperty}(H, A, l, x, ov, \texttt{false}) = (H', A', \texttt{true}) \wedge \mathit{index} \geq \mathit{oldLen} \\
& \quad \wedge \mathit{DefineOwnProperty}(H', A', l, \text{“}\texttt{length}\text{”}, \mathit{oldLenDesc}', \texttt{false}) = (H'', A'', v) \\
\text{Step 4.f} & \\
(H', A', \texttt{true}) & \text{if } \mathit{isIndex}(\mathit{ToString}(H, x)) \wedge (\mathit{index} < \mathit{oldLen} \vee \mathit{oldLenDesc}.[[\texttt{Writable}]]) \\
& \quad \wedge \mathit{DefineOwnProperty}(H, A, l, x, ov, \texttt{false}) = (H', A', \texttt{true}) \wedge \mathit{index} < \mathit{oldLen} \\
\text{Step 5} & \\
\mathit{DefinOwnPropety}(H, A, l, x, ov, b) & \text{if } \neg \mathit{ToString}(H, x) = \text{“}\texttt{length}\text{”} \wedge \neg \mathit{isIndex}(\mathit{ToString}(H, x))
\end{cases}
$$

9 Type Conversion and Testing

9.1 ToPrimitive

$$\begin{array}{ll} \mathit{ToPrimitive} & : \mathit{Heap} \times \mathit{Val} \times \mathit{Str} \to \mathit{PVal} \\ \mathit{ToPrimitive}(H, v, s) & = \begin{cases} \mathit{DefaultValue}(H, v, s) & \text{if } v \in \mathit{Loc} \\ v & \text{otherwise} \end{cases} \end{array}$$

9.2 ToBoolean

$$\begin{array}{ll} \mathit{ToBoolean} & : \mathit{Val} \to \mathit{Bool} \\ \mathit{ToBoolean}(v) & = \begin{cases} \texttt{false} & \text{if } v = \texttt{undefined} \\ \texttt{false} & \text{if } v = \texttt{null} \\ v & \text{if } v \in \mathit{Bool} \\ \texttt{false} & \text{if } v \in \{+\texttt{0}, -\texttt{0}, \texttt{NaN}\} \\ \texttt{true} & \text{if } v \in \mathit{Num} \setminus \{+\texttt{0}, -\texttt{0}, \texttt{NaN}\} \\ \texttt{false} & \text{if } v = \texttt{""} \\ \texttt{true} & \text{if } v \in \mathit{Str} \setminus \{\texttt{""}\} \\ \texttt{true} & \text{if } v \in \mathit{Loc} \end{cases} \end{array}$$

9.3 ToNumber

$$\begin{array}{ll} \mathit{ToNumber} & : \mathit{Heap} \times \mathit{Val} \to \mathit{Num} \\ \mathit{ToNumber}(H, v) & = \begin{cases} \texttt{NaN} & \text{if } v = \texttt{undefined} \\ +\texttt{0} & \text{if } v = \texttt{null} \vee v = \texttt{false} \\ \texttt{1} & \text{if } v = \texttt{true} \\ v & \text{if } v \in \mathit{Num} \\ v.\texttt{toString} & \text{if } v \in \mathit{Str} \quad \mathit{See} 9.3.1. \\ \mathit{ToNumber}(H, \mathit{ToPrimitive}(H, v, \texttt{Number})) & \text{if } v \in \mathit{Loc} \end{cases} \end{array}$$

9.5 ToInt32

9.6 ToUint32

SKIP!

9.8 ToString

$$\begin{array}{ll} \mathit{ToString} & : \mathit{Heap} \times \mathit{Val} \to \mathit{Str} \\ \mathit{ToString}(H, v) & = \begin{cases} \texttt{"undefined"} & \text{if } v = \texttt{undefined} \\ \texttt{"null"} & \text{if } v = \texttt{null} \\ \texttt{"}v\texttt{"} & \text{if } v \in \mathit{Bool} \\ \texttt{"}v\texttt{"} & \text{if } v \in \mathit{Num} \quad \text{See 9.8.1.} \\ v & \text{if } v \in \mathit{Str} \\ \mathit{ToString}(H, \mathit{ToPrimitive}(H, v, \texttt{String})) & \text{if } v \in \mathit{Loc} \end{cases} \end{array}$$

9.9 ToObject

$$\begin{array}{ll} \mathit{ToObject} & : \mathit{Heap} \times \mathit{Val} \to \mathit{Heap} \times (\mathit{Loc} \cup \mathit{Error}) \\ \mathit{ToObject}(H, v) & = \begin{cases} (H, \texttt{TypeError}) & \text{if } v = \texttt{undefined} \vee v = \texttt{null} \\ (H[l \mapsto \mathit{NewBoolObject}(v)], l) & \text{if } v \in \mathit{Bool} \wedge l = \mathit{NewLoc}() \\ (H[l \mapsto \mathit{NewNumObject}(v)], l) & \text{if } v \in \mathit{Num} \wedge l = \mathit{NewLoc}() \\ (H[l \mapsto \mathit{NewStrObject}(v)], l) & \text{if } v \in \mathit{Str} \wedge l = \mathit{NewLoc}() \\ (H, v) & \text{if } v \in \mathit{Loc} \end{cases} \end{array}$$

9.10 CheckObjectCoercible

$$\begin{array}{ll} \mathit{CheckObjectCoercible} & : \mathit{Val} \to \mathit{ValError} \\ \mathit{CheckObjectCoercible}(v) & = \begin{cases} \texttt{TypeError} & \text{if } v = \texttt{undefined} \vee v = \texttt{null} \\ v & \text{if } v \neq \texttt{undefined} \wedge v \neq \texttt{null} \end{cases} \end{array}$$

9.11 IsCallable

$$\begin{array}{ll} \mathit{IsCallable} & : \mathit{Heap} \times \mathit{Val} \to \mathit{Bool} \\ \mathit{IsCallable}(H, v) & = v \in \mathit{Dom}(H) \wedge [[\texttt{Code}]] \in \mathit{Dom}(H(l)) \end{array}$$

10.2.1 Environment Records

10.2.1.1 Declarative Environment Records

10.2.1.1.1 HasBinding(N) $x \in \mathit{Dom}(\sigma)$

$$\begin{array}{ll} \mathit{HasBinding} & : \mathit{Env} \times \mathit{Var} \to \mathit{Bool} \\ \mathit{HasBinding}(A, x) & = \begin{cases} \texttt{false} & \text{if } A = \#\texttt{Global} \\ x \in \mathit{Dom}(\sigma) & \text{if } A = \sigma :: A' \\ \mathit{HasBinding}(A', x) & \text{if } A = l :: A' \end{cases} \\ \mathit{Dom}(\sigma) & = \{\ x \mid x \mapsto sv \in \sigma\ \} \end{array}$$

10.2.1.2 Object Environment Records

10.2.1.2.1 `HasBinding(N)` 8.12.6 `[[HasProperty]](P)` *HasProperty*(H, l, x)

$$Dom(H) = \{\ l \mid l \mapsto o \in H\ \}$$

10.2.1.1.2 `CreateMutableBinding(N,D)` Assert: $x \notin Dom(\sigma)$

$$\begin{array}{l} \mathit{CreateBinding} : \mathit{Heap} \times \mathit{Env} \times \mathit{Var} \times \texttt{eval} \to \mathit{Heap} \times \mathit{Env} \\ \mathit{CreateBinding}(H, A, x, b) = \\ \quad \begin{cases} (H[\#\texttt{Global} \mapsto H(\#\texttt{Global}).@\texttt{property}[x \mapsto \{[[\texttt{Value}]]:\texttt{undefined}, & \text{if } A = \#\texttt{Global} \\ \qquad [[\texttt{Writable}]]:\texttt{true}, \\ \qquad [[\texttt{Enumerable}]]:\texttt{true}, \\ \qquad [[\texttt{Configurable}]]:b\}]], A) & \\ \mathit{InterpreterError} & \text{if } A = \sigma :: A' \wedge x \in \mathit{Dom}(\sigma) \\ (H, \sigma[x \mapsto \{[[\texttt{Value}]]:\texttt{undefined}, [[\texttt{Mutable}]]:\texttt{true}, & \\ \qquad [[\texttt{Configurable}]]:b\}] :: A') & \\ & \text{if } A = \sigma :: A' \wedge x \notin \mathit{Dom}(\sigma) \\ (H', l :: A'') & \text{if } A = l :: A' \wedge \\ & \quad \mathit{CreateBinding}(H, A', x, b) = (H', A'') \end{cases} \end{array}$$

10.2.1.1.3 `SetMutableBinding(N,V,S)`

$$\begin{array}{l} \mathit{SetBinding} : \mathit{Heap} \times \mathit{Env} \times \mathit{Var} \times \mathit{Val} \times \texttt{strict} \to \mathit{Heap} \times \mathit{Env} \times \mathit{ValError} \\ \mathit{SetBinding}(H, A, x, v, b) = \\ \quad \begin{cases} (H[\#\texttt{Global} \mapsto H(\#\texttt{Global}).@\texttt{property}[x \mapsto v]], A, v) & \text{if } A = \#\texttt{Global} \\ (H, \sigma[x \mapsto \{[[\texttt{Value}]]:v, [[\texttt{Mutable}]]:\texttt{true}, & \\ \qquad [[\texttt{Configurable}]]:b\}] :: A', v) & \\ & \text{if } A = \sigma :: A' \wedge x \in \mathit{Dom}(\sigma) \wedge \\ & \quad \sigma(x).[[\texttt{Mutable}]] \\ (H, A, \texttt{TypeError}) & \text{if } A = \sigma :: A' \wedge x \in \mathit{Dom}(\sigma) \wedge \\ & \quad \neg\sigma(x).[[\texttt{Mutable}]] \wedge b \\ (H, A, v) & \text{if } A = \sigma :: A' \wedge x \in \mathit{Dom}(\sigma) \wedge \\ & \quad \neg\sigma(x).[[\texttt{Mutable}]] \wedge \neg b \\ \mathit{SetBinding}(H', A', x, v, b) & \text{if } A = \sigma :: A' \wedge x \notin \mathit{Dom}(\sigma) \wedge \\ & \quad \mathit{CreateBinding}(H, A, x, b) = (H', A') \\ (H', l :: A'', ve) & \text{if } A = l :: A' \\ & \quad \mathit{SetBinding}(H, A', x, v, b) = (H', A'', ve) \end{cases} \\ \mathit{SetBindingDER} : \mathit{Heap} \times \mathit{Env} \times \mathit{Var} \times \mathit{Val} \times \texttt{strict} \to \mathit{Heap} \times \mathit{Env} \times \mathit{ValError} \\ \mathit{SetBindingDER}(H, A, x, v, b) = \\ \quad \begin{cases} \mathit{InterpreterError} & \text{if } A = \#\texttt{Global} \\ (H, \sigma[x \mapsto \{[[\texttt{Value}]]:v, [[\texttt{Mutable}]]:\texttt{true}, & \\ \qquad [[\texttt{Configurable}]]:b\}] :: A', v) & \\ & \text{if } A = \sigma :: A' \wedge x \in \mathit{Dom}(\sigma) \wedge \\ & \quad \sigma(x).[[\texttt{Mutable}]] \\ (H, A, \texttt{TypeError}) & \text{if } A = \sigma :: A' \wedge x \in \mathit{Dom}(\sigma) \wedge \\ & \quad \neg\sigma(x).[[\texttt{Mutable}]] \wedge b \\ (H, A, v) & \text{if } A = \sigma :: A' \wedge x \in \mathit{Dom}(\sigma) \wedge \\ & \quad \neg\sigma(x).[[\texttt{Mutable}]] \wedge \neg b \\ (H', \sigma :: A'', ve) & \text{if } A = \sigma :: A' \wedge x \notin \mathit{Dom}(\sigma) \wedge \\ & \quad \mathit{SetBindingDER}(H, A', x, v, b) = (H', A'', ve) \\ (H', l :: A'', ve) & \text{if } A = l :: A' \\ & \quad \mathit{SetBindingDER}(H, A', x, v, b) = (H', A'', ve) \end{cases} \end{array}$$

10.2.1.1.4 `GetBindingValue(N,S)` Assert: $x \in Dom(\sigma)$

$$\begin{array}{l} \mathit{GetBindingValue} : \mathit{Heap} \times \mathit{DeclEnvRec} \times \mathit{Var} \times \mathit{Bool} \to \mathit{ValError} \\ \mathit{GetBindingValue}(H, \sigma, x, b) = \begin{cases} \texttt{undefined} & \text{if } \sigma(x).[[\texttt{Value}]] = \bot \wedge \neg\sigma(x).[[\texttt{Mutable}]] \wedge \neg b \\ \texttt{ReferenceError} & \text{if } \sigma(x).[[\texttt{Value}]] = \bot \wedge \neg\sigma(x).[[\texttt{Mutable}]] \wedge b \\ \sigma(x).[[\texttt{Value}]] & \text{if } \sigma(x).[[\texttt{Value}]] \neq \bot \vee \sigma(x).[[\texttt{Mutable}]] \end{cases} \end{array}$$

10.2.1.1.7 `CreateImmutableBinding(N)` Assert: $x \notin Dom(\sigma)$

$$\begin{array}{l} \mathit{CreateImmutableBinding} : \mathit{Heap} \times \mathit{Env} \times \mathit{Var} \times \texttt{eval} \to \mathit{Heap} \times \mathit{Env} \\ \mathit{CreateImmutableBinding}(H, A, x, b) = \\ \quad \begin{cases} (H, \sigma[x \mapsto \{[[\texttt{Value}]]:\texttt{undefined}, [[\texttt{Mutable}]]:\texttt{false}, [[\texttt{Configurable}]]:b\}] :: A') & \text{if } A = \sigma :: A' \wedge x \notin \mathit{Dom}(\sigma) \\ \mathit{InterpreterError} & \text{otherwise} \end{cases} \end{array}$$

10.2.1.1.8 `InitializeImmutableBinding(N,V)` Assert: $x \in Dom(\sigma)$

$InitializeImmutableBinding : Heap \times Env \times Var \times Val \times \texttt{strict} \to Heap \times Env \times ValError$

$InitializeImmutableBinding(H, A, x, v, b) =$

$$\begin{cases} (H, \sigma[x \mapsto \{[[\texttt{Value}]] : v, [[\texttt{Mutable}]] : \texttt{false}, [[\texttt{Configurable}]] : b\}] :: A', v) & \text{if } A = \sigma :: A' \wedge x \in Dom(\sigma) \\ InterpreterError & \text{otherwise} \end{cases}$$

10.2.1.2.4 `GetBindingValue(N,S)`

$GetBindingValue : Heap \times ObjEnvRec \times Var \times Bool \to ValError$

$$GetBindingValue(H, l, x, b) = \begin{cases} \texttt{ReferenceError} & \text{if } l = \#\texttt{Null} \\ \texttt{undefined} & \text{if } \neg HasProperty(H, l, x) \wedge \neg b \\ \texttt{ReferenceError} & \text{if } \neg HasProperty(H, l, x) \wedge b \\ Get(H, l, x) & \text{if } HasProperty(H, l, x) \end{cases}$$

10.2.2.1 `GetIdentifierReference(lex, name,strict)`

$Lookup : Heap \times Env \times PName \times \texttt{strict} \to EnvRec$

$$Lookup(H, A, x, \texttt{strict}) = \begin{cases} \#\texttt{Null} & \text{if } A = \#\texttt{Global} \wedge \neg HasProperty(H, \#Global, x) \\ l & \text{if } A = \#\texttt{Global} \wedge HasProperty(H, \#Global, x) \wedge \\ & \quad GetProperty(H, \#Global, x) = (\_, l) \\ \sigma & \text{if } A = \sigma :: A' \wedge x \in Dom(\sigma) \\ Lookup(H, A', x, \texttt{strict}) & \text{if } A = \sigma :: A' \wedge x \notin Dom(\sigma) \\ l' & \text{if } A = l :: A' \wedge HasProperty(H, l, x) \wedge \\ & \quad GetProperty(H, l, x) = (\_, l') \\ Lookup(H, A', x, \texttt{strict}) & \text{if } A = l :: A' \wedge \neg HasProperty(H, l, x) \end{cases}$$

15 Standard Built-in ECMAScript Objects

$InitHeap = \{$

15.1 The Global Object

$\#\texttt{Global} \mapsto \{\},$

15.2.3.1 `Object.prototype`

15.2.4 Properties of the Object Prototype Object

$\#\texttt{ObjProto} \mapsto \{[[\texttt{Class}]] : \text{“}\texttt{Object}\text{”}, [[\texttt{Extensible}]] : \texttt{true}, [[\texttt{Prototype}]] : \texttt{null}\},$

15.3.3.1 `Function.prototype`

15.3.4 Properties of the Function Prototype Object

$\#\texttt{FtnProto} \mapsto \{[[\texttt{Class}]] : \text{“}\texttt{Function}\text{”}, [[\texttt{Extensible}]] : \texttt{true}, [[\texttt{Prototype}]] : \#\texttt{ObjProto},$
$[[\texttt{Code}]] : \texttt{function}\ \_(\underline{this}, \underline{arguments})\{\texttt{return undefined}\}, \texttt{length} : 0\},$

15.4.3.1 `Array.prototype`

15.4.4 Properties of the Array Prototype Object

$\#\texttt{ArrProto} \mapsto \{[[\texttt{Class}]] : \text{“}\texttt{Array}\text{”}, [[\texttt{Extensible}]] : \texttt{true}, [[\texttt{Prototype}]] : \#\texttt{ObjProto}, \texttt{length} : 0\},$

15.5.3.1 `String.prototype`

15.5.4 Properties of the String Prototype Object

$\#\texttt{StrProto} \mapsto \{[[\texttt{Class}]] : \text{“}\texttt{String}\text{”}, [[\texttt{Extensible}]] : \texttt{true}, [[\texttt{Prototype}]] : \#\texttt{ObjProto}, [[\texttt{PrimitiveValue}]] : \text{“”}\},$

15.6.3.1 `Boolean.prototype`

15.6.4 Properties of the Boolean Prototype Object

$\#\texttt{BoolProto} \mapsto \{[[\texttt{Class}]] : \text{“}\texttt{Boolean}\text{”}, [[\texttt{Extensible}]] : \texttt{true}, [[\texttt{Prototype}]] : \#\texttt{ObjProto}, [[\texttt{PrimitiveValue}]] : \texttt{fals}$

15.7.3.1 `Number.prototype`

15.7.4 Properties of the Number Prototype Object

$\#\texttt{NumProto} \mapsto \{[[\texttt{Class}]] : \text{“}\texttt{Number}\text{”}, [[\texttt{Extensible}]] : \texttt{true}, [[\texttt{Prototype}]] : \#\texttt{ObjProto}, [[\texttt{PrimitiveValue}]] : +0\},$

15.11.3.1 `Error.prototype`

15.11.4 Properties of the Error Prototype Object

$\#\texttt{ErrProto} \mapsto \{[[\texttt{Class}]] : \text{“}\texttt{Error}\text{”}, [[\texttt{Extensible}]] : \texttt{true}, [[\texttt{Prototype}]] : \#\texttt{ObjProto}\},$

15.11 `Error` Objects

15.11.1 `Error(message)`

$\#\texttt{Error} \mapsto \{[[\texttt{Class}]] : \text{“}\texttt{Error}\text{”}, [[\texttt{Extensible}]] : \texttt{true}, [[\texttt{Prototype}]] : \#\texttt{ErrProto}\},$

15.11.6 Native Error Types Used in This Standard
15.11.7 NativeError Object Structure
15.11.7.5 Properties of the NativeError

$$
\begin{array}{l}
\#\texttt{EvalError} \mapsto \{[[\texttt{Class}]] : \text{“}\texttt{Error}\text{”}, [[\texttt{Extensible}]] : \texttt{true}, [[\texttt{Prototype}]] : \#\texttt{ErrProto}\},\\
\#\texttt{RangeError} \mapsto \{[[\texttt{Class}]] : \text{“}\texttt{Error}\text{”}, [[\texttt{Extensible}]] : \texttt{true}, [[\texttt{Prototype}]] : \#\texttt{ErrProto}\},\\
\#\texttt{ReferenceError} \mapsto \{[[\texttt{Class}]] : \text{“}\texttt{Error}\text{”}, [[\texttt{Extensible}]] : \texttt{true}, [[\texttt{Prototype}]] : \#\texttt{ErrProto}\},\\
\#\texttt{SyntaxError} \mapsto \{[[\texttt{Class}]] : \text{“}\texttt{Error}\text{”}, [[\texttt{Extensible}]] : \texttt{true}, [[\texttt{Prototype}]] : \#\texttt{ErrProto}\},\\
\#\texttt{TypeError} \mapsto \{[[\texttt{Class}]] : \text{“}\texttt{Error}\text{”}, [[\texttt{Extensible}]] : \texttt{true}, [[\texttt{Prototype}]] : \#\texttt{ErrProto}\},\\
\#\texttt{URIError} \mapsto \{[[\texttt{Class}]] : \text{“}\texttt{Error}\text{”}, [[\texttt{Extensible}]] : \texttt{true}, [[\texttt{Prototype}]] : \#\texttt{ErrProto}\}\\
\}
\end{array}
$$

15.4 Array Objects
15.4.2.1 new Array([item0[, item1[, ...]]])

$$
\begin{array}{rl}
\mathit{NewArrObject}: & \mathit{Num} \to \mathit{Object}\\
\mathit{NewArrObject}(n) = & \{[[\texttt{Class}]] : \text{“}\texttt{Array}\text{”}, [[\texttt{Extensible}]] : \texttt{true}, [[\texttt{Prototype}]] : \#\texttt{ArrProto},\\
& \ \ \texttt{@property} : \{\text{“}\texttt{length}\text{”} \mapsto \{[[\texttt{Value}]] : n, [[\texttt{Writable}]] : \texttt{true},\\
& \qquad\qquad [[\texttt{Enumerable}]] : \texttt{false}, [[\texttt{Configurable}]] : \texttt{false}\}\}\}
\end{array}
$$

15.5 String Objects
15.5.2.1 new String([value])

$$
\begin{array}{rl}
\mathit{NewStrObject}: & \mathit{Str} \to \mathit{Object}\\
\mathit{NewStrObject}(s) = & \{[[\texttt{Class}]] : \text{“}\texttt{String}\text{”}, [[\texttt{Extensible}]] : \texttt{true}, [[\texttt{Prototype}]] : \#\texttt{StrProto}, [[\texttt{PrimitiveValue}]] : s\}
\end{array}
$$

15.6 Boolean Objects
15.6.2.1 new Boolean(value)

$$
\begin{array}{rl}
\mathit{NewBoolObject}: & \mathit{Bool} \to \mathit{Object}\\
\mathit{NewBoolObject}(b) = & \{[[\texttt{Class}]] : \text{“}\texttt{Boolean}\text{”}, [[\texttt{Extensible}]] : \texttt{true}, [[\texttt{Prototype}]] : \#\texttt{BoolProto}, [[\texttt{PrimitiveValue}]] : b\}
\end{array}
$$

15.7 Number Objects
15.7.2.1 new Number([value])

$$
\begin{array}{rl}
\mathit{NewNumObject}: & \mathit{Num} \to \mathit{Object}\\
\mathit{NewNumObject}(n) = & \{[[\texttt{Class}]] : \text{“}\texttt{Number}\text{”}, [[\texttt{Extensible}]] : \texttt{true}, [[\texttt{Prototype}]] : \#\texttt{NumProto}, [[\texttt{PrimitiveValue}]] : n\}
\end{array}
$$

13.2 `Creating Function Objects`: The following properties are omitted for now:
`[[Get]]`: 15.3.5.4 `[[Get]](P)`
`[[Call]]`: 13.2.1 `[[Call]]`
`[[Construct]]`: 13.2.2 `[[Construct]]`
`[[HasInstance]]`: 15.3.5.3 `[[HasInstance]](V)`
`[[FormalParameters]]`

$$
\begin{array}{rl}
\mathit{NewFtnObject}: & \mathit{Heap} \times \mathit{Env} \times \mathit{FVal} \to \mathit{Heap} \times \mathit{Loc}\\
\mathit{NewFtnObject}(H, A, \mathit{fv}) = & (H[l \mapsto \mathit{NewFtnObj}(\mathit{fv}, A, l', \texttt{strict}), l' \mapsto o], l)\\
\text{where} & l = \mathit{NewLoc}() \qquad l' = \mathit{NewLoc}()\\
& o = \mathit{NewObj}().\texttt{@property}[\text{“}\texttt{constructor}\text{”} \mapsto \{[[\texttt{Value}]] : l, [[\texttt{Writable}]] : \texttt{true},\\
& \qquad\qquad [[\texttt{Enumerable}]] : \texttt{false}, [[\texttt{Configurable}]] : \texttt{true}\}]
\end{array}
$$

$$
\begin{array}{rl}
\mathit{NewFtnObj}: & \mathit{FVal} \times \mathit{Env} \times \mathit{Loc} \times \texttt{strict} \to \mathit{Object}\\
\mathit{NewFtnObj}(\mathit{fv}, A, l, b) = & \{[[\texttt{Class}]] : \text{“}\texttt{Function}\text{”},\\
& \ [[\texttt{Extensible}]] : \texttt{true},\\
& \ [[\texttt{Prototype}]] : \#\texttt{FtnProto},\\
& \ \texttt{@property} : \{\text{“}\texttt{prototype}\text{”} \mapsto \{[[\texttt{Value}]] : l, [[\texttt{Writable}]] : \texttt{true},\\
& \qquad\qquad [[\texttt{Enumerable}]] : \texttt{false}, [[\texttt{Configurable}]] : \texttt{false}\},\\
& \qquad \text{“}\texttt{length}\text{”} \mapsto \{[[\texttt{Value}]] : \mathit{ParamsSize}(\mathit{fv}), [[\texttt{Writable}]] : \texttt{false},\\
& \qquad\qquad [[\texttt{Enumerable}]] : \texttt{false}, [[\texttt{Configurable}]] : \texttt{false}\}\},\\
& \ [[\texttt{Code}]] : \mathit{fv},\\
& \ [[\texttt{Scope}]] : A\}
\end{array}
$$

15.2.2.1 `new Object([value])`

$$\begin{array}{rl} \mathit{NewObj}: & () \to \mathit{Object} \\ \mathit{NewObj}() = & \{[[\texttt{Class}]] : \text{“}\texttt{Object}\text{”}, \\ & [[\texttt{Extensible}]] : \texttt{true}, \\ & [[\texttt{Prototype}]] : \#\texttt{ObjProto}, \\ & @\texttt{property} : \{\}\} \end{array}$$

10.6 `Arguments Object`

$$\begin{array}{rl} \mathit{NewArgObject}: & \mathit{Loc} \times \mathit{Num} \times \mathit{Object} \times \texttt{strict} \to \mathit{Object} \\ \mathit{NewArgObject}(l_f, n_p, o, b) = & \begin{cases} \mathit{NewArgObj}(l_f, n_p, o).@\texttt{property}[\text{“}\texttt{callee}\text{”} \mapsto \{[[\texttt{Value}]] : l_f, [[\texttt{Writable}]] : \texttt{true}, & \text{if } b \\ \qquad\qquad [[\texttt{Enumerable}]] : \texttt{false}, \\ \qquad\qquad [[\texttt{Configurable}]] : \texttt{true}\}] \\ \mathit{NewArgObj}(l_f, n_p, o) & \text{if } \neg b \end{cases} \end{array}$$

$$\begin{array}{rl} \mathit{NewArgObj}: & \mathit{Loc} \times \mathit{Num} \times \mathit{Object} \to \mathit{Object} \\ \mathit{NewArgObj}(l_f, n_p, o) = & \{[[\texttt{Class}]] : \text{“}\texttt{Arguments}\text{”}, \\ & [[\texttt{Extensible}]] : \texttt{true}, \\ & [[\texttt{Prototype}]] : \#\texttt{ObjProto}, \\ & @\texttt{property} : \{ \\ & \quad \text{“}0\text{”} \mapsto \{[[\texttt{Value}]] : v_0, [[\texttt{Writable}]] : \texttt{true}, [[\texttt{Enumerable}]] : \texttt{true}, [[\texttt{Configurable}]] : \texttt{true}\}, \\ & \quad \ldots \\ & \quad \text{“}n-1\text{”} \mapsto \{[[\texttt{Value}]] : v_{n-1}, [[\texttt{Writable}]] : \texttt{true}, [[\texttt{Enumerable}]] : \texttt{true}, [[\texttt{Configurable}]] : \texttt{true} \\ & \quad \text{“}\texttt{length}\text{”} \mapsto \{[[\texttt{Value}]] : n_a, [[\texttt{Writable}]] : \texttt{true}, [[\texttt{Enumerable}]] : \texttt{false}, [[\texttt{Configurable}]] : \texttt{true} \end{array}$$

where $n_a = o.@\texttt{property}(\text{“}\texttt{length}\text{”}) \qquad n = \mathit{Max}(n_a, n_p) \qquad v_i = \mathit{GetArg}(o, i, n_a, n_p)$

$$\begin{array}{rl} \mathit{Max}: & \mathit{Num} \times \mathit{Num} \to \mathit{Num} \\ \mathit{Max}(n_1, n_2) = & \begin{cases} n_1 & \text{if } n_1 \geq n_2 \\ n_2 & \text{if } n_1 < n_2 \end{cases} \end{array}$$

$$\begin{array}{rl} \mathit{GetArg}: & \mathit{Object} \times \mathit{Num} \times \mathit{Num} \times \mathit{Num} \to \mathit{Val} \\ \mathit{GetArg}(o, i, n_a, n_p) = & \begin{cases} o.@\texttt{property}(\text{“}i\text{”}) & \text{if } n_a \geq n_p \\ o.@\texttt{property}(\text{“}i\text{”}) & \text{if } n_a < n_p \wedge 0 \leq i < n_a \\ \texttt{undefined} & \text{if } n_a < n_p \wedge n_a \leq i < n_p \end{cases} \end{array}$$

5.4 Evaluation Rules

5.4.1 Program

$$\boxed{\underline{p} \rightarrow_{\underline{p}} (H, A), ct}$$

`IRRoot(List<IRFunDecl> fds, List<IRVarStmt> vds, List<IRStmt> irs)`
14 Program
10.4.1.1 Initial Global Execution Context

$$\frac{(\mathit{InitHeap}, \#\texttt{Global}, \#\texttt{Global}), \underline{p} \rightarrow_{\underline{s}} (H, A), ct}{\underline{p} \rightarrow_{\underline{p}} (H, A), ct}$$

5.4.2 Statements

$$\boxed{(H, A, tb), \underline{s} \rightarrow_{\underline{s}} (H, A), ct}$$

`IRExprStmt(IRId lhs, IRExpr right, boolean ref = false)`
12.4 Expression Statement
11.13 Assignment Operators: `PutValue(lref, rval)`

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} \mathit{err}}{(H, A, tb), \underline{x} = \underline{e} \rightarrow_{\underline{s}} (H, A), \texttt{Throw}(\mathit{err})}$$

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} v \qquad \mathit{PutValue}(H, A, \underline{x}, v, \texttt{strict}) = (H', A', \mathit{err})}{(H, A, tb), \underline{x} = \underline{e} \rightarrow_{\underline{s}} (H', A'), \texttt{Throw}(\mathit{err})}$$

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} v \qquad \mathit{PutValue}(H, A, \underline{x}, v, \texttt{strict}) = (H', A', v')}{(H, A, tb), \underline{x} = \underline{e} \rightarrow_{\underline{s}} (H', A'), \texttt{Normal}(v')}$$

11.4.1 The `delete` Operator
`IRDelete(IRId lhs, IRId id)`

$$\frac{(H, A, tb), \underline{y} \rightarrow_{\underline{e}} \mathit{err}}{(H, A, tb), \underline{x} = \mathsf{delete}\ \underline{y} \rightarrow_{\underline{s}} (H, A), \texttt{Throw}(\mathit{err})}$$

$$\frac{(H, A, tb), \underline{y} \rightarrow_{\underline{e}} v \qquad \mathit{DeleteBinding}(H, A, \mathit{ToString}(H, y), \texttt{strict}) = (H', A', \mathit{err})}{(H, A, tb), \underline{x} = \mathsf{delete}\ \underline{y} \rightarrow_{\underline{s}} (H', A'), \texttt{Throw}(\mathit{err})}$$

$$\frac{(H, A, tb), \underline{y} \rightarrow_{\underline{e}} v \qquad \mathit{DeleteBinding}(H, A, \mathit{ToString}(H, y), \texttt{strict}) = (H', A', b) \qquad (H', A', tb), \underline{x} = b \rightarrow_{\underline{s}} (H'', A''), ct}{(H, A, tb), \underline{x} = \mathsf{delete}\ \underline{y} \rightarrow_{\underline{s}} (H'', A''), ct}$$

`IRDeleteProp(IRId lhs, IRId obj, IRId index)`

$$\frac{(H, A, tb), \underline{y} \rightarrow_{\underline{e}} \mathit{err}}{(H, A, tb), \underline{x} = \mathsf{delete}\ \underline{y}[\underline{z}] \rightarrow_{\underline{s}} (H, A), \texttt{Throw}(\mathit{err})}$$

$$\frac{(H, A, tb), \underline{y} \rightarrow_{\underline{e}} v \qquad (H, A, tb), \underline{z} \rightarrow_{\underline{e}} \mathit{err}}{(H, A, tb), \underline{x} = \mathsf{delete}\ \underline{y}[\underline{z}] \rightarrow_{\underline{s}} (H, A), \texttt{Throw}(\mathit{err})}$$

$$\frac{(H, A, tb), \underline{y} \rightarrow_{\underline{e}} v_1 \qquad (H, A, tb), \underline{z} \rightarrow_{\underline{e}} v_2 \qquad \mathit{CheckObjectCoercible}(v_1) = \mathit{err}}{(H, A, tb), \underline{x} = \mathsf{delete}\ \underline{y}[\underline{z}] \rightarrow_{\underline{s}} (H, A), \texttt{Throw}(\mathit{err})}$$

$$\frac{(H, A, tb), \underline{y} \rightarrow_{\underline{e}} v_1 \qquad (H, A, tb), \underline{z} \rightarrow_{\underline{e}} v_2 \qquad \mathit{CheckObjectCoercible}(v_1) \neq \mathit{err} \qquad \mathit{ToObject}(H, v_1) = (H', l) \qquad \mathit{Delete}(H', A, l, \mathit{ToString}(H', v_2), \texttt{strict}) = (H'', A', \mathit{err})}{(H, A, tb), \underline{x} = \mathsf{delete}\ \underline{y}[\underline{z}] \rightarrow_{\underline{s}} (H'', A'), \texttt{Throw}(\mathit{err})}$$

$$\frac{(H, A, tb), \underline{y} \rightarrow_{\underline{e}} v_1 \qquad (H, A, tb), \underline{z} \rightarrow_{\underline{e}} v_2 \qquad \mathit{CheckObjectCoercible}(v_1) \neq \mathit{err} \qquad \mathit{ToObject}(H, v_1) = (H', l) \qquad \mathit{Delete}(H', A, l, \mathit{ToString}(H', v_2), \texttt{strict}) = (H'', A', b) \qquad (H'', A', tb), \underline{x} = b \rightarrow_{\underline{s}} (H''', A''), ct}{(H, A, tb), \underline{x} = \mathsf{delete}\ \underline{y}[\underline{z}] \rightarrow_{\underline{s}} (H''', A''), ct}$$

`IRStore(IRId obj, IRId index, IRExpr rhs)`

11.2.1 Property Accessors: `IRStore`
11.13 Assignment Operators
8.7.2 `PutValue(V, W)`
8.7.2 `[[Put]](P, V, Throw)`

$$\frac{(H, A, tb), \underline{x} \rightarrow_{\underline{e}} err}{(H, A, tb), \underline{x}[\underline{y}] = \underline{e} \rightarrow_{\underline{s}} (H, A), \texttt{Throw}(err)}$$

$$\frac{(H, A, tb), \underline{x} \rightarrow_{\underline{e}} v \qquad (H, A, tb), \underline{y} \rightarrow_{\underline{e}} err}{(H, A, tb), \underline{x}[\underline{y}] = \underline{e} \rightarrow_{\underline{s}} (H, A), \texttt{Throw}(err)}$$

$$\frac{(H, A, tb), \underline{x} \rightarrow_{\underline{e}} v_1 \qquad (H, A, tb), \underline{y} \rightarrow_{\underline{e}} v_2 \qquad \mathit{CheckObjectCoercible}(v_1) = err}{(H, A, tb), \underline{x}[\underline{y}] = \underline{e} \rightarrow_{\underline{s}} (H, A), \texttt{Throw}(err)}$$

$$\frac{(H, A, tb), \underline{x} \rightarrow_{\underline{e}} v_1 \qquad (H, A, tb), \underline{y} \rightarrow_{\underline{e}} v_2 \qquad \mathit{CheckObjectCoercible}(v_1) \neq err \qquad \mathit{ToObject}(H, v_1) = (H', l) \qquad (H', A, tb), \underline{e} \rightarrow_{\underline{e}} err}{(H, A, tb), \underline{x}[\underline{y}] = \underline{e} \rightarrow_{\underline{s}} (H', A), \texttt{Throw}(err)}$$

[[Put]] 2.

$$\frac{(H, A, tb), \underline{x} \rightarrow_{\underline{e}} v_1 \qquad (H, A, tb), \underline{y} \rightarrow_{\underline{e}} v_2 \qquad \mathit{CheckObjectCoercible}(v_1) \neq err \qquad \mathit{ToObject}(H, v_1) = (H', l) \qquad (H', A, tb), \underline{e} \rightarrow_{\underline{e}} v_3 \qquad v_1 \in \{\texttt{Boolean}, \texttt{String}, \texttt{Number}\} \qquad \mathit{CanPut}(H', l, \mathit{ToString}(H', v_2)) = \texttt{false}}{(H, A, tb), \underline{x}[\underline{y}] = \underline{e} \rightarrow_{\underline{s}} (H', A), \text{if } \texttt{strict } \texttt{Throw(TypeError)} \text{ else } \texttt{Normal}(v_3)}$$

[[Put]] 4.

$$\frac{(H, A, tb), \underline{x} \rightarrow_{\underline{e}} v_1 \qquad (H, A, tb), \underline{y} \rightarrow_{\underline{e}} v_2 \qquad \mathit{CheckObjectCoercible}(v_1) \neq err \qquad \mathit{ToObject}(H, v_1) = (H', l) \qquad (H', A, tb), \underline{e} \rightarrow_{\underline{e}} v_3 \qquad v_1 \in \{\texttt{Boolean}, \texttt{String}, \texttt{Number}\} \qquad \mathit{CanPut}(H', l, \mathit{ToString}(H', v_2)) = \texttt{true} \qquad \mathit{GetOwnPropety}(H', l, \mathit{ToString}(H', v_2)) = (dp, \_)}{(H, A, tb), \underline{x}[\underline{y}] = \underline{e} \rightarrow_{\underline{s}} (H', A), \text{if } \texttt{strict } \texttt{Throw(TypeError)} \text{ else } \texttt{Normal}(v_3)}$$

[[Put]] 6.

$$\frac{(H, A, tb), \underline{x} \rightarrow_{\underline{e}} v_1 \qquad (H, A, tb), \underline{y} \rightarrow_{\underline{e}} v_2 \qquad \mathit{CheckObjectCoercible}(v_1) \neq err \qquad \mathit{ToObject}(H, v_1) = (H', l) \qquad (H', A, tb), \underline{e} \rightarrow_{\underline{e}} v_3 \qquad v_1 \in \{\texttt{Boolean}, \texttt{String}, \texttt{Number}\} \qquad \mathit{CanPut}(H', l, \mathit{ToString}(H', v_2)) = \texttt{true} \qquad \mathit{GetOwnPropety}(H', l, \mathit{ToString}(H', v_2)) \neq (dp, \_) \qquad \mathit{GetPropety}(H', l, \mathit{ToString}(H', v_2)) = (ap, \_) \qquad ap.[[\texttt{Set}]].[[\texttt{Call}]](v_1, [v_3]) = (H'', A', err)}{(H, A, tb), \underline{x}[\underline{y}] = \underline{e} \rightarrow_{\underline{s}} (H'', A'), \texttt{Throw}(err)}$$

[[Put]] 6.

$$\frac{(H, A, tb), \underline{x} \rightarrow_{\underline{e}} v_1 \qquad (H, A, tb), \underline{y} \rightarrow_{\underline{e}} v_2 \qquad \mathit{CheckObjectCoercible}(v_1) \neq err \qquad \mathit{ToObject}(H, v_1) = (H', l) \qquad (H', A, tb), \underline{e} \rightarrow_{\underline{e}} v_3 \qquad v_1 \in \{\texttt{Boolean}, \texttt{String}, \texttt{Number}\} \qquad \mathit{CanPut}(H', l, \mathit{ToString}(H', v_2)) = \texttt{true} \qquad \mathit{GetOwnPropety}(H', l, \mathit{ToString}(H', v_2)) \neq (dp, \_) \qquad \mathit{GetPropety}(H', l, \mathit{ToString}(H', v_2)) = (ap, \_) \qquad ap.[[\texttt{Set}]].[[\texttt{Call}]](v_1, [v_3]) = (H'', A', v)}{(H, A, tb), \underline{x}[\underline{y}] = \underline{e} \rightarrow_{\underline{s}} (H'', A'), \texttt{Normal}(v_3)}$$

[[Put]] 7.

$$\frac{(H, A, tb), \underline{x} \rightarrow_{\underline{e}} v_1 \qquad (H, A, tb), \underline{y} \rightarrow_{\underline{e}} v_2 \qquad \mathit{CheckObjectCoercible}(v_1) \neq err \qquad \mathit{ToObject}(H, v_1) = (H', l) \qquad (H', A, tb), \underline{e} \rightarrow_{\underline{e}} v_3 \qquad v_1 \in \{\texttt{Boolean}, \texttt{String}, \texttt{Number}\} \qquad \mathit{CanPut}(H', l, \mathit{ToString}(H', v_2)) = \texttt{true} \qquad \mathit{GetOwnPropety}(H', l, \mathit{ToString}(H', v_2)) \neq (dp, \_) \qquad \mathit{GetPropety}(H', l, \mathit{ToString}(H', v_2)) \neq (ap, \_)}{(H, A, tb), \underline{x}[\underline{y}] = \underline{e} \rightarrow_{\underline{s}} (H', A), \text{if } \texttt{strict } \texttt{Throw(TypeError)} \text{ else } \texttt{Normal}(v_3)}$$

$$\frac{(H,A,tb),\underline{x} \rightarrow_{\underline{e}} v_1 \quad (H,A,tb),\underline{y} \rightarrow_{\underline{e}} v_2 \quad \mathit{CheckObjectCoercible}(v_1) \neq \mathit{err} \quad \mathit{ToObject}(H,v_1) = (H',l) \quad (H',A,tb),\underline{e} \rightarrow_{\underline{e}} v_3 \quad v_1 \notin \{\texttt{Boolean},\texttt{String},\texttt{Number}\} \quad H'(l).[[\texttt{Class}]] \neq \text{“}\texttt{Array}\text{”} \quad \mathit{Put}(H',A,l,\mathit{ToString}(H',v_2),v_3,\texttt{strict}) = (H'',A',\mathit{err})}{(H,A,tb),\underline{x}[\underline{y}] = \underline{e} \rightarrow_{\underline{s}} (H'',A'),\texttt{Throw}(\mathit{err})}$$

$$\frac{(H,A,tb),\underline{x} \rightarrow_{\underline{e}} v_1 \quad (H,A,tb),\underline{y} \rightarrow_{\underline{e}} v_2 \quad \mathit{CheckObjectCoercible}(v_1) \neq \mathit{err} \quad \mathit{ToObject}(H,v_1) = (H',l) \quad (H',A,tb),\underline{e} \rightarrow_{\underline{e}} v_3 \quad v_1 \notin \{\texttt{Boolean},\texttt{String},\texttt{Number}\} \quad H'(l).[[\texttt{Class}]] \neq \text{“}\texttt{Array}\text{”} \quad \mathit{Put}(H',A,l,\mathit{ToString}(H',v_2),v_3,\texttt{strict}) = (H'',A',v)}{(H,A,tb),\underline{x}[\underline{y}] = \underline{e} \rightarrow_{\underline{s}} (H'',A'),\texttt{Normal}(v_3)}$$

$$\frac{(H,A,tb),\underline{x} \rightarrow_{\underline{e}} v_1 \quad (H,A,tb),\underline{y} \rightarrow_{\underline{e}} v_2 \quad \mathit{CheckObjectCoercible}(v_1) \neq \mathit{err} \quad \mathit{ToObject}(H,v_1) = (H',l) \quad (H',A,tb),\underline{e} \rightarrow_{\underline{e}} v_3 \quad v_1 \notin \{\texttt{Boolean},\texttt{String},\texttt{Number}\} \quad H'(l).[[\texttt{Class}]] \neq \text{“}\texttt{Array}\text{”} \quad \mathit{CanPut}(H',l,\mathit{ToString}(H',v_2)) = \texttt{false}}{(H,A,tb),\underline{x}[\underline{y}] = \underline{e} \rightarrow_{\underline{s}} (H',A),\text{if } \texttt{strict } \texttt{Throw(TypeError) else } \texttt{Normal}(v_3)}$$

$$\frac{\begin{array}{c}(H,A,tb),\underline{x} \rightarrow_{\underline{e}} v_1 \quad (H,A,tb),\underline{y} \rightarrow_{\underline{e}} v_2 \quad \mathit{CheckObjectCoercible}(v_1) \neq \mathit{err} \quad \mathit{ToObject}(H,v_1) = (H',l) \\ (H',A,tb),\underline{e} \rightarrow_{\underline{e}} v_3 \quad v_1 \notin \{\texttt{Boolean},\texttt{String},\texttt{Number}\} \quad H'(l).[[\texttt{Class}]] = \text{“}\texttt{Array}\text{”} \\ \mathit{CanPut}(H',l,\mathit{ToString}(H',v_2)) = \texttt{true} \quad \mathit{GetOwnPropety}(H',l,\mathit{ToString}(H',v_2)) = (dp,\_) \quad \mathit{valueDesc} = \{[[\texttt{Value}]] : v_3\} \\ \mathit{DefineOwnPropertyArray}(H',A,l,\mathit{ToString}(H',v_2),\mathit{valueDesc},\texttt{strict}) = (H'',A',\mathit{err})\end{array}}{(H,A,tb),\underline{x}[\underline{y}] = \underline{e} \rightarrow_{\underline{s}} (H'',A'),\texttt{Throw}(\mathit{err})}$$

$$\frac{\begin{array}{c}(H,A,tb),\underline{x} \rightarrow_{\underline{e}} v_1 \quad (H,A,tb),\underline{y} \rightarrow_{\underline{e}} v_2 \quad \mathit{CheckObjectCoercible}(v_1) \neq \mathit{err} \quad \mathit{ToObject}(H,v_1) = (H',l) \\ (H',A,tb),\underline{e} \rightarrow_{\underline{e}} v_3 \quad v_1 \notin \{\texttt{Boolean},\texttt{String},\texttt{Number}\} \quad H'(l).[[\texttt{Class}]] = \text{“}\texttt{Array}\text{”} \\ \mathit{CanPut}(H',l,\mathit{ToString}(H',v_2)) = \texttt{true} \quad \mathit{GetOwnPropety}(H',l,\mathit{ToString}(H',v_2)) = (dp,\_) \quad \mathit{valueDesc} = \{[[\texttt{Value}]] : v_3\} \\ \mathit{DefineOwnPropertyArray}(H',A,l,\mathit{ToString}(H',v_2),\mathit{valueDesc},\texttt{strict}) = (H'',A',v)\end{array}}{(H,A,tb),\underline{x}[\underline{y}] = \underline{e} \rightarrow_{\underline{s}} (H'',A'),\texttt{Normal}(v_3)}$$

$$\frac{\begin{array}{c}(H,A,tb),\underline{x} \rightarrow_{\underline{e}} v_1 \quad (H,A,tb),\underline{y} \rightarrow_{\underline{e}} v_2 \quad \mathit{CheckObjectCoercible}(v_1) \neq \mathit{err} \quad \mathit{ToObject}(H,v_1) = (H',l) \\ (H',A,tb),\underline{e} \rightarrow_{\underline{e}} v_3 \quad v_1 \notin \{\texttt{Boolean},\texttt{String},\texttt{Number}\} \quad H'(l).[[\texttt{Class}]] = \text{“}\texttt{Array}\text{”} \\ \mathit{CanPut}(H',l,\mathit{ToString}(H',v_2)) = \texttt{true} \quad \mathit{GetOwnPropety}(H',l,\mathit{ToString}(H',v_2)) \neq (dp,\_) \\ \mathit{GetPropety}(H',l,\mathit{ToString}(H',v_2)) = (ap,\_) \quad ap.[[\texttt{Set}]].[[\texttt{Call}]](H'(l),v_3) = (H'',A',\mathit{err})\end{array}}{(H,A,tb),\underline{x}[\underline{y}] = \underline{e} \rightarrow_{\underline{s}} (H'',A'),\texttt{Throw}(\mathit{err})}$$

$$\frac{\begin{array}{c}(H,A,tb),\underline{x} \rightarrow_{\underline{e}} v_1 \quad (H,A,tb),\underline{y} \rightarrow_{\underline{e}} v_2 \quad \mathit{CheckObjectCoercible}(v_1) \neq \mathit{err} \quad \mathit{ToObject}(H,v_1) = (H',l) \\ (H',A,tb),\underline{e} \rightarrow_{\underline{e}} v_3 \quad v_1 \notin \{\texttt{Boolean},\texttt{String},\texttt{Number}\} \quad H'(l).[[\texttt{Class}]] = \text{“}\texttt{Array}\text{”} \\ \mathit{CanPut}(H',l,\mathit{ToString}(H',v_2)) = \texttt{true} \quad \mathit{GetOwnPropety}(H',l,\mathit{ToString}(H',v_2)) \neq (dp,\_) \\ \mathit{GetPropety}(H',l,\mathit{ToString}(H',v_2)) = (ap,\_) \quad ap.[[\texttt{Set}]].[[\texttt{Call}]](H'(l),v_3) = (H'',A',v)\end{array}}{(H,A,tb),\underline{x}[\underline{y}] = \underline{e} \rightarrow_{\underline{s}} (H'',A'),\texttt{Normal}(v_3)}$$

$$\frac{\begin{array}{c}(H,A,tb),\underline{x} \rightarrow_{\underline{e}} v_1 \quad (H,A,tb),\underline{y} \rightarrow_{\underline{e}} v_2 \quad \mathit{CheckObjectCoercible}(v_1) \neq \mathit{err} \quad \mathit{ToObject}(H,v_1) = (H',l) \\ (H',A,tb),\underline{e} \rightarrow_{\underline{e}} v_3 \quad v_1 \notin \{\texttt{Boolean},\texttt{String},\texttt{Number}\} \quad H'(l).[[\texttt{Class}]] = \text{“}\texttt{Array}\text{”} \\ \mathit{CanPut}(H',l,\mathit{ToString}(H',v_2)) = \texttt{true} \quad \mathit{GetOwnPropety}(H',l,\mathit{ToString}(H',v_2)) \neq (dp,\_) \\ \mathit{GetPropety}(H',l,\mathit{ToString}(H',v_2)) \neq (ap,\_) \\ \mathit{newDesc} = \{[[\texttt{Value}]] : v_3,[[\texttt{Writable}]] : \texttt{true},[[\texttt{Enumerable}]] : \texttt{true},[[\texttt{Conigurable}]] : \texttt{true}\} \\ \mathit{DefineOwnPropertyArray}(H',A,l,\mathit{ToString}(H',v_2),\mathit{newDesc},\texttt{strict}) = (H'',A',\mathit{err})\end{array}}{(H,A,tb),\underline{x}[\underline{y}] = \underline{e} \rightarrow_{\underline{s}} (H'',A'),\texttt{Throw}(\mathit{err})}$$

$$\frac{\begin{array}{c}(H,A,tb),\underline{x} \rightarrow_{\underline{e}} v_1 \quad (H,A,tb),\underline{y} \rightarrow_{\underline{e}} v_2 \quad \mathit{CheckObjectCoercible}(v_1) \neq \mathit{err} \quad \mathit{ToObject}(H,v_1) = (H',l) \\ (H',A,tb),\underline{e} \rightarrow_{\underline{e}} v_3 \quad v_1 \notin \{\texttt{Boolean},\texttt{String},\texttt{Number}\} \quad H'(l).[[\texttt{Class}]] = \text{“}\texttt{Array}\text{”} \\ \mathit{CanPut}(H',l,\mathit{ToString}(H',v_2)) = \texttt{true} \quad \mathit{GetOwnPropety}(H',l,\mathit{ToString}(H',v_2)) \neq (dp,\_) \\ \mathit{GetPropety}(H',l,\mathit{ToString}(H',v_2)) \neq (ap,\_) \\ \mathit{newDesc} = \{[[\texttt{Value}]] : v_3,[[\texttt{Writable}]] : \texttt{true},[[\texttt{Enumerable}]] : \texttt{true},[[\texttt{Conigurable}]] : \texttt{true}\} \\ \mathit{DefineOwnPropertyArray}(H',A,l,\mathit{ToString}(H',v_2),\mathit{newDesc},\texttt{strict}) = (H'',A',v)\end{array}}{(H,A,tb),\underline{x}[\underline{y}] = \underline{e} \rightarrow_{\underline{s}} (H'',A'),\texttt{Normal}(v_3)}$$

`IRObject(IRId lhs, List<IRMember> members, Option<IRId> proto)`

11.1.5 Object Initialiser

$$\frac{\mathit{NewLoc}() = l \qquad H' = H[l \mapsto \mathit{NewObj}()] \qquad (H', A, tb), \underline{x} = l \rightarrow_{\underline{s}} (H'', A'), ct}{(H, A, tb), \underline{x} = \{\} \rightarrow_{\underline{s}} (H'', A'), ct}$$

$$\frac{\begin{array}{c}\mathit{NewLoc}() = l \qquad H_1 = H[l \mapsto \mathit{NewObj}()] \qquad (H_i, A, tb), \underline{m_i} \rightarrow_{\underline{m}} (H_{i+1}, \underline{y_i}, ov_i) \qquad 1 \leq i < j \leq |m^*| \\ (H_j, A, tb), \underline{m_j} \rightarrow_{\underline{m}} \mathit{err}\end{array}}{(H, A, tb), \underline{x} = \{(\underline{m},)^*\} \rightarrow_{\underline{s}} (H, A), \texttt{Throw}(\mathit{err})}$$

$$\frac{\begin{array}{c}\mathit{NewLoc}() = l \qquad H_1 = H[l \mapsto \mathit{NewObj}()] \qquad A_1 = A \qquad (H_i, A_i, tb), \underline{m_i} \rightarrow_{\underline{m}} (H'_{i+1}, \underline{y_i}, ov_i) \qquad 1 \leq i \leq |m^*| = n \\ \mathit{DefineOwnProperty}(H'_{i+1}, A_i, l, \mathit{ToString}(H'_{i+1}, \underline{y_i}, ov_i, \texttt{false}) = (H_{i+1}, A_{i+1}, v) \qquad (H_{n+1}, A_{n+1}, tb), \underline{x} = l \rightarrow_{\underline{s}} (H', A'), ct\end{array}}{(H, A, tb), \underline{x} = \{(\underline{m},)^*\} \rightarrow_{\underline{s}} (H', A'), ct}$$

`IRArray(IRId lhs, List<Option<IRExpr>> elements)`

11.1.4 Array Initialiser

$$\frac{\begin{array}{c}\mathit{NewLoc}() = l \qquad |(\underline{e},)^*| = n \qquad H' = H[l \mapsto \mathit{NewArrObject}(n)] \qquad (H', A, tb), \underline{e_i} \rightarrow_{\underline{e}} v_i \qquad 0 \leq i < j < n \\ (H', A, tb), \underline{e_j} \rightarrow_{\underline{e}} \mathit{err}\end{array}}{(H, A, tb), \underline{x} = [(\underline{e},)^*] \rightarrow_{\underline{s}} (H, A), \texttt{Throw}(\mathit{err})}$$

$$\frac{\begin{array}{c}\mathit{NewLoc}() = l \qquad |(\underline{y},)^*| = n \qquad H' = H[l \mapsto \mathit{NewArrObject}(n)] \qquad (H', A, tb), \underline{y_i} \rightarrow_{\underline{e}} v_i \qquad 0 \leq i < n \\ \{[[\texttt{Value}]] : v_i, [[\texttt{Writable}]] : \texttt{true}, [[\texttt{Enumerable}]] : \texttt{true}, [[\texttt{Configurable}]] : \texttt{true}\} = dp_i \\ H'_0 = H' \qquad A_0 = A \qquad \mathit{DefineOwnProperty}(H'_i, A_i, l, \mathit{ToString}(i), dp_i, \texttt{false}) = (H'_{i+1}, A_{i+1}, v) \qquad H'' = H'_n \qquad A' = A_n \\ (H'', A', tb), \underline{x} = l \rightarrow_{\underline{s}} (H''', A''), ct\end{array}}{(H, A, tb), \underline{x} = [(\underline{e},)^*] \rightarrow_{\underline{s}} (H''', A''), ct}$$

`IRArgs(IRId lhs, List<Option<IRExpr>> elements)`

`IRCall(IRId lhs, IRId fun, IRId thisB, IRId args)`

11.2.3 Function Calls

11.2.4 Argument Lists

$$\frac{(H, A, tb), \underline{y} \rightarrow_{\underline{e}} err}{(H, A, tb), \underline{x} = \underline{y}(\underline{z_1},\underline{z_2}) \rightarrow_{\underline{s}} (H, A), \texttt{Throw}(err)}$$

$$\frac{(H, A, tb), \underline{y} \rightarrow_{\underline{e}} v \qquad (H, A, tb), \underline{z_1} \rightarrow_{\underline{e}} err}{(H, A, tb), \underline{x} = \underline{y}(\underline{z_1},\underline{z_2}) \rightarrow_{\underline{s}} (H, A), \texttt{Throw}(err)}$$

$$\frac{(H, A, tb), \underline{y} \rightarrow_{\underline{e}} v \qquad (H, A, tb), \underline{z_1} \rightarrow_{\underline{e}} v_1 \qquad (H, A, tb), \underline{z_2} \rightarrow_{\underline{e}} err}{(H, A, tb), \underline{x} = \underline{y}(\underline{z_1},\underline{z_2}) \rightarrow_{\underline{s}} (H, A), \texttt{Throw}(err)}$$

$$\frac{(H, A, tb), \underline{y} \rightarrow_{\underline{e}} v \qquad (H, A, tb), \underline{z_1} \rightarrow_{\underline{e}} v_1 \qquad (H, A, tb), \underline{z_2} \rightarrow_{\underline{e}} v_2 \qquad v \notin Loc}{(H, A, tb), \underline{x} = \underline{y}(\underline{z_1},\underline{z_2}) \rightarrow_{\underline{s}} (H, A), \texttt{Throw}(\texttt{TypeError})}$$

$$\frac{(H, A, tb), \underline{y} \rightarrow_{\underline{e}} v \qquad (H, A, tb), \underline{z_1} \rightarrow_{\underline{e}} v_1 \qquad (H, A, tb), \underline{z_2} \rightarrow_{\underline{e}} v_2 \qquad v \in Loc \qquad \neg IsCallable(H, v)}{(H, A, tb), \underline{x} = \underline{y}(\underline{z_1},\underline{z_2}) \rightarrow_{\underline{s}} (H, A), \texttt{Throw}(\texttt{TypeError})}$$

$$\frac{(H, A, tb), \underline{y} \rightarrow_{\underline{e}} v \qquad (H, A, tb), \underline{z_1} \rightarrow_{\underline{e}} v_1 \qquad (H, A, tb), \underline{z_2} \rightarrow_{\underline{e}} v_2 \qquad v \in Loc \qquad IsCallable(H, v) \qquad v_2 \notin Loc}{(H, A, tb), \underline{x} = \underline{y}(\underline{z_1},\underline{z_2}) \rightarrow_{\underline{s}} (H, A), \texttt{Throw}(\texttt{TypeError})}$$

10.4.3 Entering Function Code

$$\frac{\begin{array}{c}(H, A, tb), \underline{y} \rightarrow_{\underline{e}} v \qquad (H, A, tb), \underline{z_1} \rightarrow_{\underline{e}} v_1 \qquad (H, A, tb), \underline{z_2} \rightarrow_{\underline{e}} v_2 \qquad v \in Loc \qquad IsCallable(H, v) \qquad v_2 \in Loc \\ H(v).[[\texttt{Code}]] = fv \qquad \{\} :: H(v).[[\texttt{Scope}]] = A' \\ NewLoc() = l \qquad H' = H[l \mapsto NewArgObj(v, ParamsSize(fv), H(v_2))] \\ CreateBinding(H', A', arguments, \texttt{eval}) = (H'', A'') \qquad SetBinding(H'', A'', arguments, l, \texttt{strict}) = (H^f, A^f, err)\end{array}}{(H, A, tb), \underline{x} = \underline{y}(\underline{z_1},\underline{z_2}) \rightarrow_{\underline{s}} (H^f, A), \texttt{Throw}(err)}$$

$$\frac{\begin{array}{c}(H, A, tb), \underline{y} \rightarrow_{\underline{e}} v \qquad (H, A, tb), \underline{z_1} \rightarrow_{\underline{e}} v_1 \qquad (H, A, tb), \underline{z_2} \rightarrow_{\underline{e}} v_2 \qquad v \in Loc \qquad IsCallable(H, v) \qquad v_2 \in Loc \\ H(v).[[\texttt{Code}]] = fv \qquad \{\} :: H(v).[[\texttt{Scope}]] = A' \\ NewLoc() = l \qquad H' = H[l \mapsto NewArgObj(v, ParamsSize(fv), H(v_2))] \\ CreateBinding(H', A', arguments, \texttt{eval}) = (H'', A'') \qquad SetBinding(H'', A'', arguments, l, \texttt{strict}) = (H^f, A^f, v^f) \\ GetThis(H^f, v_1) = (H^t, l^t) \qquad (H^t, A^f, l^t), GetBody(fv) \rightarrow_{\underline{s}} (H^b, A^b), \texttt{Throw}(ve)\end{array}}{(H, A, tb), \underline{x} = \underline{y}(\underline{z_1},\underline{z_2}) \rightarrow_{\underline{s}} (H^b, A), \texttt{Throw}(ve)}$$

$$\frac{\begin{array}{c}(H, A, tb), \underline{y} \rightarrow_{\underline{e}} v \qquad (H, A, tb), \underline{z_1} \rightarrow_{\underline{e}} v_1 \qquad (H, A, tb), \underline{z_2} \rightarrow_{\underline{e}} v_2 \qquad v \in Loc \qquad IsCallable(H, v) \qquad v_2 \in Loc \\ H(v).[[\texttt{Code}]] = fv \qquad \{\} :: H(v).[[\texttt{Scope}]] = A' \\ NewLoc() = l \qquad H' = H[l \mapsto NewArgObj(v, ParamsSize(fv), H(v_2))] \\ CreateBinding(H', A', arguments, \texttt{eval}) = (H'', A'') \qquad SetBinding(H'', A'', arguments, l, \texttt{strict}) = (H^f, A^f, v^f) \\ GetThis(H^f, v_1) = (H^t, l^t) \qquad (H^t, A^f, l^t), GetBody(fv) \rightarrow_{\underline{s}} (H^b, A^b), \texttt{Return}(\texttt{empty}) \\ (H^b, A, tb), \underline{x} = \texttt{undefined} \rightarrow_{\underline{s}} (H^r, A^r), ct\end{array}}{(H, A, tb), \underline{x} = \underline{y}(\underline{z_1},\underline{z_2}) \rightarrow_{\underline{s}} (H^r, A^r), ct}$$

$$\frac{\begin{array}{c}(H, A, tb), \underline{y} \rightarrow_{\underline{e}} v \qquad (H, A, tb), \underline{z_1} \rightarrow_{\underline{e}} v_1 \qquad (H, A, tb), \underline{z_2} \rightarrow_{\underline{e}} v_2 \qquad v \in Loc \qquad IsCallable(H, v) \qquad v_2 \in Loc \\ H(v).[[\texttt{Code}]] = fv \qquad \{\} :: H(v).[[\texttt{Scope}]] = A' \\ NewLoc() = l \qquad H' = H[l \mapsto NewArgObj(v, ParamsSize(fv), H(v_2))] \\ CreateBinding(H', A', arguments, \texttt{eval}) = (H'', A'') \qquad SetBinding(H'', A'', arguments, l, \texttt{strict}) = (H^f, A^f, v^f) \\ GetThis(H^f, v_1) = (H^t, l^t) \qquad (H^t, A^f, l^t), GetBody(fv) \rightarrow_{\underline{s}} (H^b, A^b), \texttt{Return}(v^b) \\ (H^b, A, tb), \underline{x} = v^b \rightarrow_{\underline{s}} (H^r, A^r), ct\end{array}}{(H, A, tb), \underline{x} = \underline{y}(\underline{z_1},\underline{z_2}) \rightarrow_{\underline{s}} (H^r, A^r), ct}$$

$$\frac{\begin{array}{c}(H, A, tb), \underline{y} \rightarrow_{\underline{e}} v \qquad (H, A, tb), \underline{z_1} \rightarrow_{\underline{e}} v_1 \qquad (H, A, tb), \underline{z_2} \rightarrow_{\underline{e}} v_2 \qquad v \in Loc \qquad IsCallable(H, v) \qquad v_2 \in Loc \\ H(v).[[\texttt{Code}]] = fv \qquad \{\} :: H(v).[[\texttt{Scope}]] = A' \\ NewLoc() = l \qquad H' = H[l \mapsto NewArgObj(v, ParamsSize(fv), H(v_2))] \\ CreateBinding(H', A', arguments, \texttt{eval}) = (H'', A'') \qquad SetBinding(H'', A'', arguments, l, \texttt{strict}) = (H^f, A^f, v^f) \\ GetThis(H^f, v_1) = (H^t, l^t) \qquad (H^t, A^f, l^t), GetBody(fv) \rightarrow_{\underline{s}} (H^b, A^b), \texttt{Normal}(\_) \\ (H^b, A, tb), \underline{x} = \texttt{undefined} \rightarrow_{\underline{s}} (H^r, A^r), ct\end{array}}{(H, A, tb), \underline{x} = \underline{y}(\underline{z_1},\underline{z_2}) \rightarrow_{\underline{s}} (H^r, A^r), ct}$$

`IRInternalCall(IRId lhs, IRId fun, IRExpr first, Option<IRId> second)`

$$\frac{(H,A,tb),\underline{e} \rightarrow_{\underline{e}} err}{(H,A,tb),\underline{x} = \diamond\texttt{toObject}(e) \rightarrow_{\underline{s}} (H,A),\texttt{Throw}(err)}$$

$$\frac{(H,A,tb),\underline{e} \rightarrow_{\underline{e}} v \qquad \mathit{ToObject}(H,v) = (H',err)}{(H,A,tb),\underline{x} = \diamond\texttt{toObject}(e) \rightarrow_{\underline{s}} (H,A),\texttt{Throw}(err)}$$

$$\frac{(H,A,tb),\underline{e} \rightarrow_{\underline{e}} v \qquad \mathit{ToObject}(H,v) = (H',l) \qquad (H',A,tb),\underline{x} = l \rightarrow_{\underline{s}} (H'',A'),ct}{(H,A,tb),\underline{x} = \diamond\texttt{toObject}(e) \rightarrow_{\underline{s}} (H'',A'),ct}$$

$$\frac{(H,A,tb),\underline{e} \rightarrow_{\underline{e}} err}{(H,A,tb),\underline{x} = \diamond\texttt{isObject}(e) \rightarrow_{\underline{s}} (H,A),\texttt{Throw}(err)}$$

$$\frac{(H,A,tb),\underline{e} \rightarrow_{\underline{e}} v \qquad v \in \mathit{Loc} \qquad (H,A,tb),\underline{x} = \texttt{true} \rightarrow_{\underline{s}} (H',A'),ct}{(H,A,tb),\underline{x} = \diamond\texttt{isObject}(e) \rightarrow_{\underline{s}} (H',A'),ct}$$

$$\frac{(H,A,tb),\underline{e} \rightarrow_{\underline{e}} v \qquad v \notin \mathit{Loc} \qquad (H,A,tb),\underline{x} = \texttt{false} \rightarrow_{\underline{s}} (H',A'),ct}{(H,A,tb),\underline{x} = \diamond\texttt{isObject}(e) \rightarrow_{\underline{s}} (H',A'),ct}$$

$$\frac{(H,A,tb),\underline{e} \rightarrow_{\underline{e}} err}{(H,A,tb),\underline{x} = \diamond\texttt{toString}(e) \rightarrow_{\underline{s}} (H,A),\texttt{Throw}(err)}$$

$$\frac{(H,A,tb),\underline{e} \rightarrow_{\underline{e}} v \qquad (H,A,tb),\underline{x} = \mathit{ToString}(H,v) \rightarrow_{\underline{s}} (H',A'),ct}{(H,A,tb),\underline{x} = \diamond\texttt{toString}(e) \rightarrow_{\underline{s}} (H',A'),ct}$$

$$\frac{(H,A,tb),\underline{e} \rightarrow_{\underline{e}} err}{(H,A,tb),\underline{x} = \diamond\texttt{toNumber}(e) \rightarrow_{\underline{s}} (H,A),\texttt{Throw}(err)}$$

$$\frac{(H,A,tb),\underline{e} \rightarrow_{\underline{e}} v \qquad (H,A,tb),\underline{x} = \mathit{ToNumber}(H,v) \rightarrow_{\underline{s}} (H',A'),ct}{(H,A,tb),\underline{x} = \diamond\texttt{toNumber}(e) \rightarrow_{\underline{s}} (H',A'),ct}$$

$$\frac{(H,A,tb),\underline{e} \rightarrow_{\underline{e}} err}{(H,A,tb),\underline{x} = \diamond\texttt{toBoolean}(e) \rightarrow_{\underline{s}} (H,A),\texttt{Throw}(err)}$$

$$\frac{(H,A,tb),\underline{e} \rightarrow_{\underline{e}} v \qquad (H,A,tb),\underline{x} = \mathit{ToBoolean}(v) \rightarrow_{\underline{s}} (H',A'),ct}{(H,A,tb),\underline{x} = \diamond\texttt{toBoolean}(e) \rightarrow_{\underline{s}} (H',A'),ct}$$

$$\frac{\mathit{Lookup}(H,A,\underline{y},\texttt{strict}) = l \qquad (H,A,tb),\underline{x} = l \rightarrow_{\underline{s}} (H',A'),ct}{(H,A,tb),\underline{x} = \diamond\texttt{getBase}(\underline{y}) \rightarrow_{\underline{s}} (H',A'),ct}$$

$$\frac{\mathit{Lookup}(H,A,\underline{y},\texttt{strict}) = \sigma \qquad (H,A,tb),\underline{x} = \#\texttt{Global} \rightarrow_{\underline{s}} (H',A'),ct}{(H,A,tb),\underline{x} = \diamond\texttt{getBase}(\underline{y}) \rightarrow_{\underline{s}} (H',A'),ct}$$

$$\frac{(H,A,tb),\underline{y} \rightarrow_{\underline{e}} err}{(H,A,tb),\underline{x} = \diamond\texttt{iteratorInit}(\underline{y}) \rightarrow_{\underline{s}} (H,A),\texttt{Throw}(err)}$$

$$\frac{(H,A,tb),\underline{y} \rightarrow_{\underline{e}} v \qquad v \notin \mathit{Loc}}{(H,A,tb),\underline{x} = \diamond\texttt{iteratorInit}(\underline{y}) \rightarrow_{\underline{s}} (H,A),\texttt{Throw}(\texttt{TypeError})}$$

$$\frac{(H,A,tb),\underline{y} \rightarrow_{\underline{e}} v \qquad v \in \mathit{Loc} \qquad \mathit{NewLoc}() = l \qquad H' = H[l \mapsto \mathit{IteratorInit}(\mathit{CollectProps}(H,v))] \qquad (H',A,tb),\underline{x} = l \rightarrow_{\underline{s}} (H'',A'),ct}{(H,A,tb),\underline{x} = \diamond\texttt{iteratorInit}(\underline{y}) \rightarrow_{\underline{s}} (H'',A'),ct}$$

$$\frac{(H,A,tb),\underline{y} \rightarrow_{\underline{e}} err}{(H,A,tb),\underline{x} = \diamond\texttt{iteratorHasNext}(\underline{y},\underline{z}) \rightarrow_{\underline{s}} (H,A),\texttt{Throw}(err)}$$

$$\frac{(H,A,tb),\underline{y} \rightarrow_{\underline{e}} v_1 \qquad v_1 \notin \mathit{Loc}}{(H,A,tb),\underline{x} = \diamond\texttt{iteratorHasNext}(\underline{y},\underline{z}) \rightarrow_{\underline{s}} (H,A),\texttt{Throw}(\texttt{TypeError})}$$

$$\frac{(H,A,tb),\underline{y} \rightarrow_{\underline{e}} v \qquad v \in Loc \qquad (H,A,tb),\underline{z} \rightarrow_{\underline{e}} err}{(H,A,tb),\underline{x} = \diamond\texttt{iteratorHasNext}(\underline{y},\underline{z}) \rightarrow_{\underline{s}} (H,A),\texttt{Throw}(err)}$$

$$\frac{(H,A,tb),\underline{y} \rightarrow_{\underline{e}} v_1 \qquad v_1 \in Loc \qquad (H,A,tb),\underline{z} \rightarrow_{\underline{e}} v_2 \qquad v_2 \notin Loc}{(H,A,tb),\underline{x} = \diamond\texttt{iteratorHasNext}(\underline{y},\underline{z}) \rightarrow_{\underline{s}} (H,A),\texttt{Throw}(\texttt{TypeError})}$$

$$\frac{\begin{array}{c}(H,A,tb),\underline{y} \rightarrow_{\underline{e}} v_1 \qquad (H,A,tb),\underline{z} \rightarrow_{\underline{e}} v_2 \qquad v_1 \in Loc \qquad v_2 \in Loc \\ Next(H,H(v_2),H(v_2).\texttt{@property}(\text{“@i”}),v_1) \in Dom(H(v_2)) \qquad (H,A,tb),\underline{x} = \texttt{true} \rightarrow_{\underline{s}} (H',A'),ct\end{array}}{(H,A,tb),\underline{x} = \diamond\texttt{iteratorHasNext}(\underline{y},\underline{z}) \rightarrow_{\underline{s}} (H',A'),ct}$$

$$\frac{\begin{array}{c}(H,A,tb),\underline{y} \rightarrow_{\underline{e}} v_1 \qquad (H,A,tb),\underline{z} \rightarrow_{\underline{e}} v_2 \qquad v_1 \in Loc \qquad v_2 \in Loc \\ Next(H,H(v_2),H(v_2).\texttt{@property}(\text{“@i”}),v_1) \notin Dom(H(v_2)) \qquad (H,A,tb),\underline{x} = \texttt{false} \rightarrow_{\underline{s}} (H',A'),ct\end{array}}{(H,A,tb),\underline{x} = \diamond\texttt{iteratorHasNext}(\underline{y},\underline{z}) \rightarrow_{\underline{s}} (H',A'),ct}$$

$$\frac{(H,A,tb),\underline{y} \rightarrow_{\underline{e}} err}{(H,A,tb),\underline{x} = \diamond\texttt{iteratorNext}(\underline{y},\underline{z}) \rightarrow_{\underline{s}} (H,A),\texttt{Throw}(err)}$$

$$\frac{(H,A,tb),\underline{y} \rightarrow_{\underline{e}} v_1 \qquad v_1 \notin Loc}{(H,A,tb),\underline{x} = \diamond\texttt{iteratorNext}(\underline{y},\underline{z}) \rightarrow_{\underline{s}} (H,A),\texttt{Throw}(\texttt{TypeError})}$$

$$\frac{(H,A,tb),\underline{y} \rightarrow_{\underline{e}} v \qquad v \in Loc \qquad (H,A,tb),\underline{z} \rightarrow_{\underline{e}} err}{(H,A,tb),\underline{x} = \diamond\texttt{iteratorNext}(\underline{y},\underline{z}) \rightarrow_{\underline{s}} (H,A),\texttt{Throw}(err)}$$

$$\frac{(H,A,tb),\underline{y} \rightarrow_{\underline{e}} v_1 \qquad v_1 \in Loc \qquad (H,A,tb),\underline{z} \rightarrow_{\underline{e}} v_2 \qquad v_2 \notin Loc}{(H,A,tb),\underline{x} = \diamond\texttt{iteratorNext}(\underline{y},\underline{z}) \rightarrow_{\underline{s}} (H,A),\texttt{Throw}(\texttt{TypeError})}$$

$$\frac{\begin{array}{c}(H,A,tb),\underline{y} \rightarrow_{\underline{e}} v_1 \qquad (H,A,tb),\underline{z} \rightarrow_{\underline{e}} v_2 \qquad v_1 \in Loc \qquad v_2 \in Loc \qquad Next(H,H(v_2),H(v_2).\texttt{@property}(\text{“@i”}),v_1) = i \\ H' = H[v_2 \mapsto H(v_2)[\texttt{@property} \mapsto H(v_2).\texttt{@property}[\text{“@i”} \mapsto i+1]]] \qquad (H',A,tb),\underline{x} = H(v_2).\texttt{@property}(\text{“i”}) \rightarrow_{\underline{s}} (H'',A')\end{array}}{(H,A,tb),\underline{x} = \diamond\texttt{iteratorNext}(\underline{y},\underline{z}) \rightarrow_{\underline{s}} (H'',A'),ct}$$

`IRNew(IRId lhs, IRId fun, List<IRId> args)`

11.2.2 The `new` Operator

$$\frac{(H,A,tb),\underline{e} \rightarrow_{\underline{e}} err}{(H,A,tb),\underline{x} = \text{new } \underline{e}(\underline{e_1},\underline{e_2}) \rightarrow_{\underline{s}} (H,A),\texttt{Throw}(err)}$$

$$\frac{(H,A,tb),\underline{e} \rightarrow_{\underline{e}} v}{(H,A,tb),\underline{x} = \text{new } \underline{e} \rightarrow_{\underline{s}} (H,A),\texttt{Throw}(err)}$$

$$\frac{(H,A,tb),\underline{e} \rightarrow_{\underline{e}} err}{(H,A,tb),\underline{x} = \text{new } \underline{e} \rightarrow_{\underline{s}} (H,A),\texttt{Throw}(err)}$$

$$\frac{(H,A,tb),\underline{e} \rightarrow_{\underline{e}} v}{(H,A,tb),\underline{x} = \text{new } \underline{e} \rightarrow_{\underline{s}} (H,A),\texttt{Throw}(err)}$$

`IRFunExpr(IRId lhs, IRFunctional ftn)`

11.2.5 Function Expressions

$$\frac{\begin{array}{c}CreateImmutableBinding(H,\{\}::A,\underline{f},\texttt{eval}) = (H',A') \qquad NewFtnObject(H',A',\text{function } \underline{f}(\underline{this},\underline{arguments})\{\underline{s}\}) = (H'',l) \\ InitializeImmutableBinding(H'',A',\underline{f},l,\texttt{strict}) = (H^f,A^{f'},err) \qquad er :: A^f = A^{f'}\end{array}}{(H,A,tb),\underline{x} = \text{function } \underline{f}(\underline{this},\underline{arguments})\{\underline{s}\} \rightarrow_{\underline{s}} (H^f,A^f),\texttt{Throw}(err)}$$

$$\frac{\begin{array}{c}CreateImmutableBinding(H,\{\}::A,\underline{f},\texttt{eval}) = (H',A') \qquad NewFtnObject(H',A',\text{function } \underline{f}(\underline{this},\underline{arguments})\{\underline{s}\}) = (H'',l) \\ InitializeImmutableBinding(H'',A',\underline{f},l,\texttt{strict}) = (H^f,A^{f'},v^f) \qquad er :: A^f = A^{f'} \qquad (H^f,A^f,tb),\underline{x} = l \rightarrow_{\underline{s}} (H''',A''),ct\end{array}}{(H,A,tb),\underline{x} = \text{function } \underline{f}(\underline{this},\underline{arguments})\{\underline{s}\} \rightarrow_{\underline{s}} (H''',A''),ct}$$

```
IRFunDecl(IRFunctional ftn)
IRFunctional(IRId name, List<IRId> params, List<IRStmt> args,
             List<IRFunDecl> fds, List<IRVarStmt> vds, List<IRStmt> body)
```

13 Function Definition

10.5 Declaration Binding Instantiation–Step 5

$$\frac{\mathit{NewFtnObject}(H, A, \text{function } \underline{f}(\underline{\mathit{this}},\underline{\mathit{arguments}})\{\underline{s}\}) = (H^f, l) \quad \neg\mathit{HasBinding}(A, \underline{f}) \quad \mathit{CreateBinding}(H^f, A, \underline{f}, \texttt{eval}) = (H', A') \quad \mathit{SetBinding}(H', A', \underline{f}, l, \texttt{strict}) = (H'', A'', \mathit{err})}{(H, A, tb), \text{function } \underline{f}(\underline{\mathit{this}},\underline{\mathit{arguments}})\{\underline{s}\} \rightarrow_{\underline{s}} (H'', A''), \texttt{Throw}(\mathit{err})}$$

$$\frac{\mathit{NewFtnObject}(H, A, \text{function } \underline{f}(\underline{\mathit{this}},\underline{\mathit{arguments}})\{\underline{s}\}) = (H^f, l) \quad \neg\mathit{HasBinding}(A, \underline{f}) \quad \mathit{CreateBinding}(H^f, A, \underline{f}, \texttt{eval}) = (H', A') \quad \mathit{SetBinding}(H', A', \underline{f}, l, \texttt{strict}) = (H'', A'', v)}{(H, A, tb), \text{function } \underline{f}(\underline{\mathit{this}},\underline{\mathit{arguments}})\{\underline{s}\} \rightarrow_{\underline{s}} (H'', A''), \texttt{Normal}(\texttt{empty})}$$

$$\frac{\begin{array}{c}\mathit{NewFtnObject}(H, A, \text{function } \underline{f}(\underline{\mathit{this}},\underline{\mathit{arguments}})\{\underline{s}\}) = (H^f, l) \quad \mathit{HasBinding}(A, \underline{f}) \quad A = \#\texttt{Global} \\ \mathit{GetProperty}(H, \#\texttt{Global}, \underline{f}) = (p, \_) \quad p.[[\texttt{Configurable}]] \\ \{[[\texttt{Value}]] : \texttt{undefined}, [[\texttt{Writable}]] : \texttt{true}, [[\texttt{Enumerable}]] : \texttt{true}, [[\texttt{Configurable}]] : \texttt{eval}\} = dp \\ \mathit{DefineOwnProperty}(H^f, A, \#\texttt{Global}, \underline{f}, dp, \texttt{true}) = (H', A', \mathit{err})\end{array}}{(H, A, tb), \text{function } \underline{f}(\underline{\mathit{this}},\underline{\mathit{arguments}})\{\underline{s}\} \rightarrow_{\underline{s}} (H', A'), \texttt{Throw}(\mathit{err})}$$

$$\frac{\begin{array}{c}\mathit{NewFtnObject}(H, A, \text{function } \underline{f}(\underline{\mathit{this}},\underline{\mathit{arguments}})\{\underline{s}\}) = (H^f, l) \quad \mathit{HasBinding}(A, \underline{f}) \quad A = \#\texttt{Global} \\ \mathit{GetProperty}(H, \#\texttt{Global}, \underline{f}) = (p, \_) \quad p.[[\texttt{Configurable}]] \\ \{[[\texttt{Value}]] : \texttt{undefined}, [[\texttt{Writable}]] : \texttt{true}, [[\texttt{Enumerable}]] : \texttt{true}, [[\texttt{Configurable}]] : \texttt{eval}\} = dp \\ \mathit{DefineOwnProperty}(H^f, A, \#\texttt{Global}, \underline{f}, dp, \texttt{true}) = (H', A', v) \\ \mathit{SetBinding}(H', A', \underline{f}, l, \texttt{strict}) = (H'', A'', \mathit{err})\end{array}}{(H, A, tb), \text{function } \underline{f}(\underline{\mathit{this}},\underline{\mathit{arguments}})\{\underline{s}\} \rightarrow_{\underline{s}} (H'', A''), \texttt{Throw}(\mathit{err})}$$

$$\frac{\begin{array}{c}\mathit{NewFtnObject}(H, A, \text{function } \underline{f}(\underline{\mathit{this}},\underline{\mathit{arguments}})\{\underline{s}\}) = (H^f, l) \quad \mathit{HasBinding}(A, \underline{f}) \quad A = \#\texttt{Global} \\ \mathit{GetProperty}(H, \#\texttt{Global}, \underline{f}) = (p, \_) \quad p.[[\texttt{Configurable}]] \\ \{[[\texttt{Value}]] : \texttt{undefined}, [[\texttt{Writable}]] : \texttt{true}, [[\texttt{Enumerable}]] : \texttt{true}, [[\texttt{Configurable}]] : \texttt{eval}\} = dp \\ \mathit{DefineOwnProperty}(H^f, A, \#\texttt{Global}, \underline{f}, dp, \texttt{true}) = (H', A', v) \\ \mathit{SetBinding}(H', A', \underline{f}, l, \texttt{strict}) = (H'', A'', v')\end{array}}{(H, A, tb), \text{function } \underline{f}(\underline{\mathit{this}},\underline{\mathit{arguments}})\{\underline{s}\} \rightarrow_{\underline{s}} (H'', A''), \texttt{Normal}(\texttt{empty})}$$

$$\frac{\begin{array}{c}\mathit{NewFtnObject}(H, A, \text{function } \underline{f}(\underline{\mathit{this}},\underline{\mathit{arguments}})\{\underline{s}\}) = (H^f, l) \quad \mathit{HasBinding}(A, \underline{f}) \quad A = \#\texttt{Global} \\ \mathit{GetProperty}(H, \#\texttt{Global}, \underline{f}) = (p, \_) \quad \neg p.[[\texttt{Configurable}]] \wedge (p \in \mathit{AccessorProp} \vee (\neg p.[[\texttt{Writable}]] \vee \neg p.[[\texttt{Enumerable}]]))\end{array}}{(H, A, tb), \text{function } \underline{f}(\underline{\mathit{this}},\underline{\mathit{arguments}})\{\underline{s}\} \rightarrow_{\underline{s}} (H^f, A), \texttt{Throw}(\texttt{TypeError})}$$

$$\frac{\begin{array}{c}\mathit{NewFtnObject}(H, A, \text{function } \underline{f}(\underline{\mathit{this}},\underline{\mathit{arguments}})\{\underline{s}\}) = (H^f, l) \quad \mathit{HasBinding}(A, \underline{f}) \quad A = \#\texttt{Global} \\ \mathit{GetProperty}(H, \#\texttt{Global}, \underline{f}) = (p, \_) \quad \neg p.[[\texttt{Configurable}]] \wedge \neg(p \in \mathit{AccessorProp} \vee (\neg p.[[\texttt{Writable}]] \vee \neg p.[[\texttt{Enumerable}]])) \\ \mathit{SetBinding}(H^f, A, \underline{f}, l, \texttt{strict}) = (H', A', \mathit{err})\end{array}}{(H, A, tb), \text{function } \underline{f}(\underline{\mathit{this}},\underline{\mathit{arguments}})\{\underline{s}\} \rightarrow_{\underline{s}} (H', A'), \texttt{Throw}(\mathit{err})}$$

$$\frac{\begin{array}{c}\mathit{NewFtnObject}(H, A, \text{function } \underline{f}(\underline{\mathit{this}},\underline{\mathit{arguments}})\{\underline{s}\}) = (H^f, l) \quad \mathit{HasBinding}(A, \underline{f}) \quad A = \#\texttt{Global} \\ \mathit{GetProperty}(H, \#\texttt{Global}, \underline{f}) = (p, \_) \quad \neg p.[[\texttt{Configurable}]] \wedge \neg(p \in \mathit{AccessorProp} \vee (\neg p.[[\texttt{Writable}]] \vee \neg p.[[\texttt{Enumerable}]])) \\ \mathit{SetBinding}(H^f, A, \underline{f}, l, \texttt{strict}) = (H', A', v)\end{array}}{(H, A, tb), \text{function } \underline{f}(\underline{\mathit{this}},\underline{\mathit{arguments}})\{\underline{s}\} \rightarrow_{\underline{s}} (H', A'), \texttt{Normal}(\texttt{empty})}$$

$$\frac{\mathit{NewFtnObject}(H, A, \text{function } \underline{f}(\underline{\mathit{this}},\underline{\mathit{arguments}})\{\underline{s}\}) = (H^f, l) \quad \mathit{HasBinding}(A, \underline{f}) \quad A \neq \#\texttt{Global} \quad \mathit{SetBinding}(H^f, A, \underline{f}, l, \texttt{strict}) = (H', A', \mathit{err})}{(H, A, tb), \text{function } \underline{f}(\underline{\mathit{this}},\underline{\mathit{arguments}})\{\underline{s}\} \rightarrow_{\underline{s}} (H', A'), \texttt{Throw}(\mathit{err})}$$

$$\frac{\mathit{NewFtnObject}(H, A, \text{function } \underline{f}(\underline{\mathit{this}},\underline{\mathit{arguments}})\{\underline{s}\}) = (H^f, l) \quad \mathit{HasBinding}(A, \underline{f}) \quad A \neq \#\texttt{Global} \quad \mathit{SetBinding}(H^f, A, \underline{f}, l, \texttt{strict}) = (H', A', v)}{(H, A, tb), \text{function } \underline{f}(\underline{\mathit{this}},\underline{\mathit{arguments}})\{\underline{s}\} \rightarrow_{\underline{s}} (H', A'), \texttt{Normal}(\texttt{empty})}$$

`IREval(IRId lhs, IRExpr arg)`

`IRBreak(IRId label)`

12.8 The `break` Statement

(H, A, tb), break $\underline{x} \rightarrow_{\underline{s}} (H, A)$, `Break(empty,` $\underline{x}$`)`

`IRReturn(Option<IRExpr> expr)`

12.9 The `return` Statement

(H, A, tb), return $\rightarrow_{\underline{s}} (H, A)$, `Return(undefined)`

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} err}{(H, A, tb), \text{return } \underline{e} \rightarrow_{\underline{s}} (H, A), \texttt{Throw}(err)}$$

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} v}{(H, A, tb), \text{return } \underline{e} \rightarrow_{\underline{s}} (H, A), \texttt{Return}(v)}$$

`IRWith(IRId id, IRStmt stmt)`

12.10 The `with` Statement

$$\frac{(H, A, tb), \underline{x} \rightarrow_{\underline{e}} err}{(H, A, tb), \text{with } (\underline{x}) \ \underline{s} \rightarrow_{\underline{s}} (H, A), \texttt{Throw}(err)}$$

$$\frac{(H, A, tb), \underline{x} \rightarrow_{\underline{e}} v \qquad \mathit{ToObject}(H, v) = (H', err)}{(H, A, tb), \text{with } (\underline{x}) \ \underline{s} \rightarrow_{\underline{s}} (H', A), \texttt{Throw}(err)}$$

$$\frac{(H, A, tb), \underline{x} \rightarrow_{\underline{e}} v \qquad \mathit{ToObject}(H, v) = (H', l) \qquad (H', l :: A, tb), \underline{s} \rightarrow_{\underline{s}} (H'', A'), ct}{(H, A, tb), \text{with } (\underline{x}) \ \underline{s} \rightarrow_{\underline{s}} (H'', A), ct}$$

`IRLabelStmt(IRId label, IRStmt stmt)`

12.12 Labelled Statements

$$\frac{(H, A, tb), \underline{s} \rightarrow_{\underline{s}} (H', A'), \texttt{Break}(v, \underline{x})}{(H, A, tb), \underline{x}\text{: } \{\underline{s}\} \rightarrow_{\underline{s}} (H', A'), \texttt{Normal}(v)}$$

$$\frac{(H, A, tb), \underline{s} \rightarrow_{\underline{s}} (H', A'), ct \qquad ct \neq \texttt{Break}(v, \underline{x})}{(H, A, tb), \underline{x}\text{: } \{\underline{s}\} \rightarrow_{\underline{s}} (H', A'), ct}$$

`IRVarStmt(IRId lhs)`

10.5 Declaration Binding Instantiation–Step 8: `CreateMutableBinding`(N, D)
`SetMutableBinding`(N, V, S)

12.2 Variable Statement

$$\frac{\mathit{CreateBinding}(H, A, \underline{x}, \texttt{eval}) = (H', A') \qquad \mathit{SetBinding}(H', A', \underline{x}, \texttt{undefined}, \texttt{strict}) = (H'', A'', err)}{(H, A, tb), \text{var } \underline{x} \rightarrow_{\underline{s}} (H'', A''), \texttt{Throw}(err)}$$

$$\frac{\mathit{CreateBinding}(H, A, \underline{x}, \texttt{eval}) = (H', A') \qquad \mathit{SetBinding}(H', A', \underline{x}, \texttt{undefined}, \texttt{strict}) = (H'', A'', v)}{(H, A, tb), \text{var } \underline{x} \rightarrow_{\underline{s}} (H'', A''), \texttt{Normal}(\texttt{empty})}$$

`IRThrow(IRExpr expr)`

12.13 The `throw` Statement

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} ve}{(H, A, tb), \mathsf{throw}\ \underline{e} \rightarrow_{\underline{s}} (H, A), \texttt{Throw}(ve)}$$

`IRSeq(List<IRStmt> stmts)`

12.1 Block

$$(H, A, tb), \epsilon \rightarrow_{\underline{s}} (H, A), \texttt{Normal}(\texttt{empty})$$

$$\frac{(H, A, tb), \underline{s} \rightarrow_{\underline{s}} (H', A'), ac}{(H, A, tb), \underline{s}\ \underline{s}^* \rightarrow_{\underline{s}} (H', A'), ac}$$

$$\frac{(H, A, tb), \underline{s} \rightarrow_{\underline{s}} (H', A'), nc \qquad (H', A', tb), \underline{s}^* \rightarrow_{\underline{s}} (H'', A''), \texttt{Throw}(ve)}{(H, A, tb), \underline{s}\ \underline{s}^* \rightarrow_{\underline{s}} (H'', A''), \texttt{Throw}(ve)}$$

$$\frac{(H, A, tb), \underline{s} \rightarrow_{\underline{s}} (H', A'), \texttt{Normal}(vt) \qquad (H', A', tb), \underline{s}^* \rightarrow_{\underline{s}} (H'', A''), \texttt{Break}(\texttt{empty}, x)}{(H, A, tb), \underline{s}\ \underline{s}^* \rightarrow_{\underline{s}} (H'', A''), \texttt{Break}(vt, x)}$$

$$\frac{(H, A, tb), \underline{s} \rightarrow_{\underline{s}} (H', A'), nc \qquad (H', A', tb), \underline{s}^* \rightarrow_{\underline{s}} (H'', A''), \texttt{Break}(v, x)}{(H, A, tb), \underline{s}\ \underline{s}^* \rightarrow_{\underline{s}} (H'', A''), \texttt{Break}(v, x)}$$

$$\frac{(H, A, tb), \underline{s} \rightarrow_{\underline{s}} (H', A'), nc \qquad (H', A', tb), \underline{s}^* \rightarrow_{\underline{s}} (H'', A''), \texttt{Normal}(\texttt{empty})}{(H, A, tb), \underline{s}\ \underline{s}^* \rightarrow_{\underline{s}} (H'', A''), nc}$$

$$\frac{(H, A, tb), \underline{s} \rightarrow_{\underline{s}} (H', A'), nc \qquad (H', A', tb), \underline{s}^* \rightarrow_{\underline{s}} (H'', A''), \texttt{Normal}(v)}{(H, A, tb), \underline{s}\ \underline{s}^* \rightarrow_{\underline{s}} (H'', A''), \texttt{Normal}(v)}$$

$$\frac{(H, A, tb), \underline{s} \rightarrow_{\underline{s}} (H', A'), \texttt{Normal}(vt) \qquad (H', A', tb), \underline{s}^* \rightarrow_{\underline{s}} (H'', A''), \texttt{Return}(\texttt{empty})}{(H, A, tb), \underline{s}\ \underline{s}^* \rightarrow_{\underline{s}} (H'', A''), \texttt{Return}(vt)}$$

$$\frac{(H, A, tb), \underline{s} \rightarrow_{\underline{s}} (H', A'), nc \qquad (H', A', tb), \underline{s}^* \rightarrow_{\underline{s}} (H'', A''), \texttt{Return}(v)}{(H, A, tb), \underline{s}\ \underline{s}^* \rightarrow_{\underline{s}} (H'', A''), \texttt{Return}(v)}$$

`IRIf(IRExpr expr, IRStmt trueB, Option<IRStmt> falseB)`

12.5 The `if` Statement

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} err}{(H, A, tb), \mathsf{if}\ (\underline{e})\ \mathsf{then}\ \underline{s_1}\ (\mathsf{else}\ \underline{s_2})^? \rightarrow_{\underline{s}} (H, A), \texttt{Throw}(err)}$$

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} v \qquad \mathit{ToBoolean}(v) = \texttt{true} \qquad (H, A, tb), s_1 \rightarrow_{\underline{s}} (H', A'), ct}{(H, A, tb), \mathsf{if}\ (\underline{e})\ \mathsf{then}\ \underline{s_1}\ (\mathsf{else}\ \underline{s_2})^? \rightarrow_{\underline{s}} (H', A'), ct}$$

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} v \qquad \mathit{ToBoolean}(v) = \texttt{false}}{(H, A, tb), \mathsf{if}\ (\underline{e})\ \mathsf{then}\ \underline{s_1} \rightarrow_{\underline{s}} (H, A), \texttt{Normal}(\texttt{empty})}$$

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} v \qquad \mathit{ToBoolean}(v) = \texttt{false} \qquad (H, A, tb), s_2 \rightarrow_{\underline{s}} (H', A'), ct}{(H, A, tb), \mathsf{if}\ (\underline{e})\ \mathsf{then}\ \underline{s_1}\ \mathsf{else}\ \underline{s_2} \rightarrow_{\underline{s}} (H', A'), ct}$$

`IRWhile(IRExpr cond, IRStmt body)`

12.6.2 The `while` Statement

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} err}{(H, A, tb), \text{while } (\underline{e})\ \underline{s} \rightarrow_{\underline{s}} (H, A), \texttt{Throw}(err)}$$

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} v \qquad \mathit{ToBoolean}(v) = \texttt{false}}{(H, A, tb), \text{while } (\underline{e})\ \underline{s} \rightarrow_{\underline{s}} (H, A), \texttt{Normal}(\texttt{empty})}$$

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} v \qquad \mathit{ToBoolean}(v) = \texttt{true} \qquad (H, A, tb), \underline{s} \rightarrow_{\underline{s}} (H', A'), ac}{(H, A, tb), \text{while } (\underline{e})\ \underline{s} \rightarrow_{\underline{s}} (H', A'), ac}$$

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} v \qquad \mathit{ToBoolean}(v) = \texttt{true} \qquad (H, A, tb), \underline{s} \rightarrow_{\underline{s}} (H', A'), nc \qquad (H', A', tb), \text{while } (\underline{e})\ \underline{s} \rightarrow_{\underline{s}} (H'', A''), ac}{(H, A, tb), \text{while } (\underline{e})\ \underline{s} \rightarrow_{\underline{s}} (H'', A''), ac}$$

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} v \qquad \mathit{ToBoolean}(v) = \texttt{true} \qquad (H, A, tb), \underline{s} \rightarrow_{\underline{s}} (H', A'), nc \qquad (H', A', tb), \text{while } (\underline{e})\ \underline{s} \rightarrow_{\underline{s}} (H'', A''), \texttt{Normal}(\texttt{empty})}{(H, A, tb), \text{while } (\underline{e})\ \underline{s} \rightarrow_{\underline{s}} (H'', A''), nc}$$

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} v \qquad \mathit{ToBoolean}(v) = \texttt{true} \qquad (H, A, tb), \underline{s} \rightarrow_{\underline{s}} (H', A'), nc \qquad (H', A', tb), \text{while } (\underline{e})\ \underline{s} \rightarrow_{\underline{s}} (H'', A''), \texttt{Normal}(v)}{(H, A, tb), \text{while } (\underline{e})\ \underline{s} \rightarrow_{\underline{s}} (H'', A''), \texttt{Normal}(v)}$$

`IRTry(IRStmt body, Option<IRId> name, Option<IRStmt> catchB, Option<IRStmt> finallyB)`

12.14 The `try` Statement

$$\frac{(H, A, tb), \underline{s_1} \rightarrow_{\underline{s}} (H', A'), \texttt{Throw}(ve) \qquad \mathit{CreateBinding}(H', \{\} :: A', x, \texttt{eval}) = (H'', A'') \qquad \mathit{SetBinding}(H'', A'', x, \mathit{ExnLoc}(ve), \texttt{false}) = (H^x, A^x, err') \qquad A^x = er :: A^f}{(H, A, tb), \text{try } \{\underline{s_1}\} \text{ catch } (\underline{x})\{\underline{s_2}\} \rightarrow_{\underline{s}} (H^x, A^f), \texttt{Throw}(err')}$$

$$\frac{(H, A, tb), \underline{s_1} \rightarrow_{\underline{s}} (H', A'), \texttt{Throw}(ve) \qquad \mathit{CreateBinding}(H', \{\} :: A', x, \texttt{eval}) = (H'', A'') \qquad \mathit{SetBinding}(H'', A'', x, \mathit{ExnLoc}(ve), \texttt{false}) = (H^x, A^x, v) \qquad (H^x, A^x, tb), \underline{s_2} \rightarrow_{\underline{s}} (H^c, A^c), ct \qquad A^c = er :: A^f}{(H, A, tb), \text{try } \{\underline{s_1}\} \text{ catch } (\underline{x})\{\underline{s_2}\} \rightarrow_{\underline{s}} (H^c, A^f), ct}$$

$$\frac{(H, A, tb), \underline{s_1} \rightarrow_{\underline{s}} (H', A'), ct \qquad ct \neq \texttt{Throw}(ve)}{(H, A, tb), \text{try } \{\underline{s_1}\} \text{ catch } (\underline{x})\{\underline{s_2}\} \rightarrow_{\underline{s}} (H', A'), ct}$$

$$\frac{(H, A, tb), \underline{s_1} \rightarrow_{\underline{s}} (H', A'), ct \qquad (H', A', tb), \underline{s_2} \rightarrow_{\underline{s}} (H'', A''), nc}{(H, A, tb), \text{try } \{\underline{s_1}\} \text{ finally } \{\underline{s_2}\} \rightarrow_{\underline{s}} (H'', A''), ct}$$

$$\frac{(H, A, tb), \underline{s_1} \rightarrow_{\underline{s}} (H', A'), ct \qquad (H', A', tb), \underline{s_2} \rightarrow_{\underline{s}} (H'', A''), ac}{(H, A, tb), \text{try } \{\underline{s_1}\} \text{ finally } \{\underline{s_2}\} \rightarrow_{\underline{s}} (H'', A''), ac}$$

$$\frac{(H, A, tb), \underline{s_1} \rightarrow_{\underline{s}} (H', A'), \texttt{Throw}(ve) \qquad \mathit{CreateBinding}(H', \{\} :: A', x, \texttt{eval}) = (H'', A'') \qquad \mathit{SetBinding}(H'', A'', x, \mathit{ExnLoc}(ve), \texttt{false}) = (H^x, A^x, err') \qquad A^x = er :: A^f}{(H, A, tb), \text{try } \{\underline{s_1}\} \text{ catch } (\underline{x})\{\underline{s_2}\} \text{ finally } \{\underline{s_3}\} \rightarrow_{\underline{s}} (H^x, A^f), \texttt{Throw}(err')}$$

$$\frac{(H, A, tb), \underline{s_1} \rightarrow_{\underline{s}} (H', A'), \texttt{Throw}(ve) \qquad \mathit{CreateBinding}(H', \{\} :: A', x, \texttt{eval}) = (H'', A'') \qquad \mathit{SetBinding}(H'', A'', x, \mathit{ExnLoc}(ve), \texttt{false}) = (H^x, A^x, v) \qquad (H^x, A^x, tb), \underline{s_2} \rightarrow_{\underline{s}} (H^c, A^c), ct \qquad A^c = er :: A^{c'} \qquad (H^c, A^{c'}, tb), \underline{s_3} \rightarrow_{\underline{s}} (H^f, A^f), nc}{(H, A, tb), \text{try } \{\underline{s_1}\} \text{ catch } (\underline{x})\{\underline{s_2}\} \text{ finally } \{\underline{s_3}\} \rightarrow_{\underline{s}} (H^f, A^f), ct}$$

$$\frac{(H, A, tb), \underline{s_1} \rightarrow_{\underline{s}} (H', A'), \texttt{Throw}(ve) \qquad \mathit{CreateBinding}(H', \{\} :: A', x, \texttt{eval}) = (H'', A'') \qquad \mathit{SetBinding}(H'', A'', x, \mathit{ExnLoc}(ve), \texttt{false}) = (H^x, A^x, v) \qquad (H^x, A^x, tb), \underline{s_2} \rightarrow_{\underline{s}} (H^c, A^c), ct \qquad A^c = er :: A^{c'} \qquad (H^c, A^{c'}, tb), \underline{s_3} \rightarrow_{\underline{s}} (H^f, A^f), ac}{(H, A, tb), \text{try } \{\underline{s_1}\} \text{ catch } (\underline{x})\{\underline{s_2}\} \text{ finally } \{\underline{s_3}\} \rightarrow_{\underline{s}} (H^f, A^f), ac}$$

$$\frac{(H, A, tb), \underline{s_1} \rightarrow_{\underline{s}} (H', A'), ct \qquad ct \neq \texttt{Throw}(ve) \qquad (H', A', tb), \underline{s_3} \rightarrow_{\underline{s}} (H'', A''), nc}{(H, A, tb), \text{try } \{\underline{s_1}\} \text{ catch } (\underline{x})\{\underline{s_2}\} \text{ finally } \{\underline{s_3}\} \rightarrow_{\underline{s}} (H'', A''), ct}$$

$$\frac{(H, A, tb), \underline{s_1} \rightarrow_{\underline{s}} (H', A'), ct \qquad ct \neq \texttt{Throw}(ve) \qquad (H', A', tb), \underline{s_3} \rightarrow_{\underline{s}} (H'', A''), ac}{(H, A, tb), \text{try } \{\underline{s_1}\} \text{ catch } (\underline{x})\{\underline{s_2}\} \text{ finally } \{\underline{s_3}\} \rightarrow_{\underline{s}} (H'', A''), ac}$$

`IRStmtUnit(List<IRStmt> stmts)`

5.4.3 Expressions

$\boxed{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} ve}$

`IRBin(IRExpr first, IROp op, IRExpr second)`

11.8.6 The `instanceof` operator

$$\frac{(H, A, tb), \underline{e_1} \rightarrow_{\underline{e}} err}{(H, A, tb), \underline{e_1} \texttt{ instanceof } \underline{e_2} \rightarrow_{\underline{e}} err}$$

$$\frac{(H, A, tb), \underline{e_1} \rightarrow_{\underline{e}} v \qquad (H, A, tb), \underline{e_2} \rightarrow_{\underline{e}} err}{(H, A, tb), \underline{e_1} \texttt{ instanceof } \underline{e_2} \rightarrow_{\underline{e}} err}$$

$$\frac{(H, A, tb), \underline{e_1} \rightarrow_{\underline{e}} v_1 \qquad (H, A, tb), \underline{e_2} \rightarrow_{\underline{e}} v_2 \qquad v_2 \notin Loc}{(H, A, tb), \underline{e_1} \texttt{ instanceof } \underline{e_2} \rightarrow_{\underline{e}} \texttt{TypeError}}$$

15.3.5.3 `[[HasInstance]](V)`

Instead of checking whether v_2 has a `[[HasInstance]]` internal method, we check whether v_2 is a function object.

$$\frac{(H, A, tb), \underline{e_1} \rightarrow_{\underline{e}} v_1 \qquad (H, A, tb), \underline{e_2} \rightarrow_{\underline{e}} v_2 \qquad v_2 \in Loc \qquad \neg IsCallable(H, v_2)}{(H, A, tb), \underline{e_1} \texttt{ instanceof } \underline{e_2} \rightarrow_{\underline{e}} \texttt{TypeError}}$$

$$\frac{(H, A, tb), \underline{e_1} \rightarrow_{\underline{e}} v_1 \qquad (H, A, tb), \underline{e_2} \rightarrow_{\underline{e}} v_2 \qquad v_2 \in Loc \qquad IsCallable(H, v_2) \qquad v_1 \notin Loc}{(H, A, tb), \underline{e_1} \texttt{ instanceof } \underline{e_2} \rightarrow_{\underline{e}} \texttt{false}}$$

$$\frac{(H, A, tb), \underline{e_1} \rightarrow_{\underline{e}} v_1 \qquad (H, A, tb), \underline{e_2} \rightarrow_{\underline{e}} v_2 \qquad v_2 \in Loc \qquad IsCallable(H, v_2) \qquad v_1 \in Loc}{(H, A, tb), \underline{e_1} \texttt{ instanceof } \underline{e_2} \rightarrow_{\underline{e}} Inherit(H, v_1, v_2)}$$

11.8.7 The `in` operator

$$\frac{(H, A, tb), \underline{e_1} \rightarrow_{\underline{e}} err}{(H, A, tb), \underline{e_1} \texttt{ in } \underline{e_2} \rightarrow_{\underline{e}} err}$$

$$\frac{(H, A, tb), \underline{e_1} \rightarrow_{\underline{e}} v \qquad (H, A, tb), \underline{e_2} \rightarrow_{\underline{e}} err}{(H, A, tb), \underline{e_1} \texttt{ in } \underline{e_2} \rightarrow_{\underline{e}} err}$$

$$\frac{(H, A, tb), \underline{e_1} \rightarrow_{\underline{e}} v_1 \qquad (H, A, tb), \underline{e_2} \rightarrow_{\underline{e}} v_2 \qquad v_2 \notin Loc}{(H, A, tb), \underline{e_1} \texttt{ in } \underline{e_2} \rightarrow_{\underline{e}} \texttt{TypeError}}$$

$$\frac{(H, A, tb), \underline{e_1} \rightarrow_{\underline{e}} v_1 \qquad (H, A, tb), \underline{e_2} \rightarrow_{\underline{e}} v_2 \qquad v_2 \in Loc}{(H, A, tb), \underline{e_1} \texttt{ in } \underline{e_2} \rightarrow_{\underline{e}} HasProperty(H, v_2, ToString(H, v_1))}$$

`IRUn(IROp op, IRExpr expr)`

11.4.2 The `void` Operator

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} err}{(H, A, tb), \texttt{void}\ \underline{e} \rightarrow_{\underline{e}} err}$$

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} v}{(H, A, tb), \texttt{void}\ \underline{e} \rightarrow_{\underline{e}} \texttt{undefined}}$$

11.4.3 The `typeof` Operator

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} err}{(H, A, tb), \texttt{typeof}\ \underline{e} \rightarrow_{\underline{e}} \texttt{undefined}}$$

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} v}{(H, A, tb), \texttt{typeof}\ \underline{e} \rightarrow_{\underline{e}} \mathit{TypeTag}(H, v)}$$

11.4.6 Unary + Operator

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} err}{(H, A, tb), +\underline{e} \rightarrow_{\underline{e}} err}$$

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} v}{(H, A, tb), +\underline{e} \rightarrow_{\underline{e}} \mathit{ToNumber}(H, v)}$$

11.4.7 Unary − Operator

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} err}{(H, A, tb), -\underline{e} \rightarrow_{\underline{e}} err}$$

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} v}{(H, A, tb), -\underline{e} \rightarrow_{\underline{e}} \mathit{Negate}(\mathit{ToNumber}(H, v))}$$

11.4.8 Bitwise NOT Operator (∼)

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} err}{(H, A, tb), \sim \underline{e} \rightarrow_{\underline{e}} err}$$

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} v}{(H, A, tb), \sim \underline{e} \rightarrow_{\underline{e}} \sim (\mathit{ToInt32}(H, v))}$$

11.4.9 Logical NOT Operator (!)

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} err}{(H, A, tb), !\,\underline{e} \rightarrow_{\underline{e}} err}$$

$$\frac{(H, A, tb), \underline{e} \rightarrow_{\underline{e}} v}{(H, A, tb), !\,\underline{e} \rightarrow_{\underline{e}} \mathit{Negate}(\mathit{ToBoolean}(v))}$$

`IRLoad(IRId obj, IRExpr index)`

11.2.1 Property Accessors: `IRLoad`

$$\frac{(H, A, tb), \underline{x} \rightarrow_{\underline{e}} err}{(H, A, tb),\ \underline{x}[\underline{e}] \rightarrow_{\underline{e}} err}$$

$$\frac{(H, A, tb), \underline{x} \rightarrow_{\underline{e}} v \qquad (H, A, tb), \underline{e} \rightarrow_{\underline{e}} err}{(H, A, tb),\ \underline{x}[\underline{e}] \rightarrow_{\underline{e}} err}$$

$$\frac{(H, A, tb), \underline{x} \rightarrow_{\underline{e}} v_1 \qquad (H, A, tb), \underline{e} \rightarrow_{\underline{e}} v_2 \qquad \mathit{CheckObjectCoercible}(v_1) = err}{(H, A, tb),\ \underline{x}[\underline{e}] \rightarrow_{\underline{e}} err}$$

$$\frac{(H, A, tb), \underline{x} \rightarrow_{\underline{e}} v_1 \qquad (H, A, tb), \underline{e} \rightarrow_{\underline{e}} v_2 \qquad \mathit{CheckObjectCoercible}(v_1) \neq err \qquad \mathit{ToObject}(H, v_1) = (H', l)}{(H, A, tb),\ \underline{x}[\underline{e}] \rightarrow_{\underline{e}} \mathit{Get}(H', l, \mathit{ToString}(H', v_2))}$$

`IRUserId(String text)`
`IRTmpId(String text)`

11.1.2 Identifier Reference
10.3.1 Identifier Resolution
10.2.2.1 `GetIdentifierReference(lex,name,strict)`
$(H, A, tb), \underline{x} \rightarrow_{\underline{e}} \mathit{GetBindingValue}(H, \mathit{Lookup}(H, A, \underline{x}, \texttt{strict}), \underline{x}, \texttt{strict})$

`IRNumber(ignoreForEquals String text, Double num)`

11.1.3 Literal Reference
7.8 Literals
$(H, A, tb), n \rightarrow_{\underline{e}} n$

`IRString(String str)`

$(H, A, tb), s \rightarrow_{\underline{e}} s$

`IRBool(boolean bool)`

$(H, A, tb),$ true $\rightarrow_{\underline{e}}$ `true`
$(H, A, tb),$ false $\rightarrow_{\underline{e}}$ `false`

`IRUndef()`

$(H, A, tb),$ undefined $\rightarrow_{\underline{e}}$ `undefined`

`IRNull()`

$(H, A, tb),$ null $\rightarrow_{\underline{e}}$ `null`

`IRThis()`

11.1.1 The `this` Keyword
$(H, A, tb),$ this $\rightarrow_{\underline{e}} tb$

5.4.4 Members

$\boxed{(H, A, tb), \underline{m} \rightarrow_{\underline{m}} (H, \underline{x}, ov) \text{ or } err}$

`IRField(IRId prop, IRExpr expr)`

11.1.5 Object Initialiser

$$\frac{(H, A, tb), \underline{y} \rightarrow_{\underline{e}} err}{(H, A, tb), \underline{x} : \underline{y} \rightarrow_{\underline{m}} err}$$

$$\frac{(H, A, tb), \underline{y} \rightarrow_{\underline{e}} v \qquad \{[[\texttt{Value}]] : v, [[\texttt{Writable}]] : \texttt{true}, [[\texttt{Enumerable}]] : \texttt{true}, [[\texttt{Configurable}]] : \texttt{true}\} = dp}{(H, A, tb), \underline{x} : \underline{y} \rightarrow_{\underline{m}} (H, \underline{x}, dp)}$$

`IRGetProp(IRFunctional ftn)`

$$\frac{\mathit{NewFtnObject}(H, A, \texttt{get}\ \underline{f}(\underline{\mathit{this}}, \underline{\mathit{arguments}})\{\underline{s}\}) = (H', l) \qquad \{[[\texttt{Get}]] : l, [[\texttt{Enumerable}]] : \texttt{true}, [[\texttt{Configurable}]] : \texttt{true}\} = ap}{(H, A, tb), \texttt{get}\ \underline{f}(\underline{\mathit{this}}, \underline{\mathit{arguments}})\{\underline{s}\} \rightarrow_{\underline{m}} (H', \underline{f}, ap)}$$

`IRSetProp(IRFunctional ftn)`

$$\frac{\mathit{NewFtnObject}(H, A, \texttt{set}\ \underline{f}(\underline{\mathit{this}}, \underline{\mathit{arguments}})\{\underline{s}\}) = (H', l) \qquad \{[[\texttt{Set}]] : l, [[\texttt{Enumerable}]] : \texttt{true}, [[\texttt{Configurable}]] : \texttt{true}\} = ap}{(H, A, tb), \texttt{set}\ \underline{f}(\underline{\mathit{this}}, \underline{\mathit{arguments}})\{\underline{s}\} \rightarrow_{\underline{m}} (H', \underline{f}, ap)}$$

Chapter 6

CFG

6.1 Settings

`.../jsaf/analysis/cfg/{package, CFG, CFGId}.scala`

P	$\in$	Program	$=$	$\wp(\text{FunctionId} \times \text{ArgumentsName} \times \text{ArgVars} \times \text{LocalVars}) \times \text{Graph}$
fid	$\in$	FunctionId	$::=$	$fid_{global} \mid fid_1 \mid \cdots$
		VarKind	$::=$	GlobalVar | PureLocalVar | CapturedVar | CapturedCatchVar
		ArgVars, LocalVars	$::=$	x^*
		ArgumentsName	$=$	String
$G, \langle \mathbb{C}, \hookrightarrow, \overset{\text{exc}}{\hookrightarrow}, \mathbb{A} \rangle$	$\in$	Graph	$=$	$\wp(\text{Node}) \times \wp(\text{Edge}) \times \wp(\text{Edge}) \times \wp(\text{Call})$
n	$\in$	Node	$=$	FunctionId $\times$ Label
		Edge, Call	$=$	Node $\times$ Node
		Label	$::=$	ENTRY | EXIT | EXIT-EXC | $c_1 \mid \cdots$
		`Label`	$=$	`LEntry` | `LExit` | `LExitExc` | `LBlock(id : BlockId)`

A call expression splits into a pair of call and after-call nodes in this flow graph, and there is no edge between the pair. In order to treat them as a call-site and a return-site of the call, the pair $(cp_{call}, cp_{after\text{-}call})$ must be recorded in $\mathbb{A}$ as an element.

6.2 Helper Functions

`.../jsaf/analysis/cfg/CFG.scala`

$\underline{\text{getCmd}}_P$	:	Node $\to$ Command
$\underline{\text{getArgVars}}_P$	:	FunctionId $\to$ ArgVars
$\underline{\text{getLocalVars}}_P$	:	FunctionId $\to$ LocalVars
$\underline{\text{getCallFromAftercall}}_P$	:	Node $\to$ Node
$\underline{\text{getAftercallFromCall}}_P$	:	Node $\to$ Node
$\underline{\text{getExcSucc}}_P$	:	Node $\to$ Node
$\underline{\text{getArgumentsName}}_P$	:	FunctionId $\to$ String
$\underline{\text{getReturnVar}}_P$	:	Node $\to$ String
$\underline{\text{getVarKind}}_P$	:	String $\to$ VarKind
$\underline{\text{isUserFunction}}_P$	:	FunctionId $\to$ Boolean

6.3 Syntax of Command

`.../jsaf/analysis/cfg/{CFG, CFGInst, CFGExpr}.scala`

$c \in$ Command	::= `entry`	`Entry`	*entry node*
	| `exit`	`Exit`	*exit node*
	| `exit-exc`	`ExitExc`	*exit node for exception*
	| i^+	`Block`	*basic block*
$i \in$ Instruction	::= x `:= alloc (`$e^?$`)`	`CFGAlloc`	
	| x `:= allocArray (`n`)`	`CFGAllocArray`	
	| x `:= allocArg (`n`)`	`CFGAllocArg`	
	| x `:=` e	`CFGExprStmt`	
	| x `:= delete (`e`)`	`CFGDelete`	
	| x `:= delete (`e_1, e_2`)`	`CFGDeleteProp`	
	| e`[`e`] :=` e	`CFGStore`	
	| x_1 `:= function` $x_2^?$ `(`fid`)`	`CFGFunExpr`	
	| `construct (`e_1, e_2, e_3`)`	`CFGConstruct`	
	| `call (`e_1, e_2, e_3`)`	`CFGCall`	
	| `assert (`$e \otimes e$`)`	`CFGAssert`	
	| `catch (`x`)`	`CFGCatch`	
	| `return (`$e^?$`)`	`CFGReturn`	
	| `throw (`e`)`	`CFGThrow`	
	| x `:=` $\diamond$ `(`x^*`)`	`CFGInternalCall`	
	| `noop`	`CFGNoOp`	
$e \in$ Expression	::= x	`CFGVarRef`	
	| $e \otimes e$	`CFGBin`	
	| $\ominus e$	`CFGUn`	
	| e`[`e`]`	`CFGLoad`	
	| n	`CFGNumber`	*Number, double*
	| "s"	`CFGString`	*String*
	| `true, false`	`CFGBool`	*Boolean*
	| `null`	`CFGNull`	
	| `this`	`CFGThis`	
$\ominus$	::= `void` | `typeof` | `+` | `-` | `~` | `!`		
$\otimes$	::= `instanceof` | `in` | `|` | `&` | `^` | `<<` | `>>` | `>>>` | `+` | `-` | `*` | `/` | `%` | `==` | `!=` | `===`		
	| `!==` | `<` | `>` | `<=` | `>=`		

Chapter 7

IR to CFG

7.1 Constraints

- There is no instruction after `call` or `return` in a node. There is no instruction before `catch` in a node.
  - $\forall n \in \textit{nodes}.\ (i_k \in n \wedge (i_k = \texttt{call} \vee i_k = \texttt{return})) \rightarrow \neg(\exists i_{k'} \in n.\ k < k')$
  - $\forall n \in \textit{nodes}.\ (i_k \in n \wedge (i_k = \texttt{catch}) \rightarrow \neg(\exists i_{k'} \in n.\ k > k')$
- An `entry` node has no predecessor, `exit` and `exit-exc` nodes have no successor.
  - $\forall (n_1, n_2) \in \hookrightarrow .n_1 \neq \texttt{exit} \wedge n_1 \neq \texttt{exit-exc} \wedge n_2 \neq \texttt{entry}$
- A call expression splits into a pair of call and after-call nodes in this flow graph, and there is no edge between the pair. In order to treat them as a call-site and a return-site of the call, the pair $(cp_{\textit{call}}, cp_{\textit{after-call}})$ must be recorded in $\mathbb{A}$ as an element.
  - $\forall n \in \mathbb{C}.((\textit{LastInstOf}(n) = \texttt{call}) \rightarrow \exists n' \in \mathbb{C}.((n, n') \in \mathbb{A} \wedge n \not\hookrightarrow n'))$
  - $\forall (n_1, n_2), (n_1', n_2') \in \mathbb{A}.\ n_1 = n_1' \Leftrightarrow n_2 = n_2'$

7.2 Translation

`.../jsaf/analysis/cfg/CFG.scala`

7.2.1 Data Type

$$
G \in \mathsf{CFG} : \left\{
\begin{array}{cc}
\mathit{nodes} & : \texttt{Node list} \\
\mathit{succMap} & : \texttt{Node} \mapsto \texttt{Node set} \\
\mathit{predMap} & : \texttt{Node} \mapsto \texttt{Node set} \\
\mathit{excSuccMap} & : \texttt{Node} \mapsto \texttt{Node} \\
\mathit{excPredMap} & : \texttt{Node} \mapsto \texttt{Node set} \\
\mathit{callFromAftercallMap} & : \texttt{Node} \mapsto \texttt{Node} \\
\mathit{aftercallFromCallMap} & : \texttt{Node} \mapsto \texttt{Node} \\
\mathit{callFromAftercatchMap} & : \texttt{Node} \mapsto \texttt{Node} \\
\mathit{aftercatchFromCallMap} & : \texttt{Node} \mapsto \texttt{Node} \\
\mathit{cmdMap} & : \texttt{Node} \mapsto \texttt{Cmd} \\
\mathit{funcMap} & : \texttt{FunctionId} \mapsto \texttt{ArgumentsName} \times \texttt{ArgVars} \times \texttt{LocalVars} \\
\mathit{returnVarMap} & : \texttt{Node} \mapsto \texttt{CFGId} \\
 & \\
\mathit{NewFunction} & : \texttt{ArgumentsName} \times \texttt{ArgVars} \times \texttt{LocalVars} \to \texttt{FunctionId} \\
\mathit{NewBlock} & : \texttt{FunctionId} \to \texttt{BlockNode} \\
\mathit{NewAfterCallBlock} & : \texttt{FunctionId} \times \texttt{CFGId} \to \texttt{BlockNode} \\
\mathit{NewAfterCatchBlock} & : \texttt{FunctionId} \to \texttt{BlockNode} \\
\mathit{AddInst} & : \texttt{BlockNode} \times \texttt{CFGInst} \to \texttt{Unit} \\
\mathit{AddEdge} & : \texttt{Node} \times \texttt{Node} \to \texttt{Unit} \\
\mathit{AddEdge} & : \texttt{Node list} \times \texttt{Node} \to \texttt{Unit} \\
\mathit{AddExcEdge} & : \texttt{Node} \times \texttt{Node} \to \texttt{Unit} \\
\mathit{AddExcEdge} & : \texttt{Node list} \times \texttt{Node} \to \texttt{Unit} \\
\mathit{AddCall} & : \texttt{Node} \times \texttt{Node} \times \texttt{Node} \to \texttt{Unit}
\end{array}
\right\}
$$

$$
\begin{array}{rl}
\texttt{Node} & = \texttt{FunctionId} \times \mathit{Label} \\
fid \in \texttt{FunctionId} & = \texttt{Int} \\
\#name \in \mathit{Label} & = \{\mathsf{LEntry}, \mathsf{LExit}, \mathsf{LExitExc}\} \cup \texttt{LabelBlock} \\
\texttt{BlockNode} & = \texttt{FunctionId} \times \texttt{LabelBlock} \\
\texttt{LabelBlock} & = \texttt{Int} \\
\texttt{Cmd} & = \{\mathsf{Entry}, \mathsf{Exit}, \mathsf{ExitExc}\} \cup \texttt{Block} \\
\texttt{Block} & = \texttt{CFGInst list} \\
\texttt{ArgumentsName} & = \texttt{String} \\
\texttt{ArgVars} & = \texttt{CFGId list} \\
\texttt{LocalVars} & = \texttt{CFGId list}
\end{array}
$$

7.2.2 CFG Methods

$$
\begin{array}{ll}
\mathit{NewFunction}(\mathit{argsName}, \mathit{argVars}, \mathit{localVars}) = & fid \stackrel{let}{=} \mathit{newFunctionId}() \\
 & \mathit{funcMap} \leftarrow \mathit{funcMap}[fid \mapsto (\mathit{argsName}, \mathit{argVars}, \mathit{localVars})] \\
 & \mathit{nodes} \leftarrow (fid, \mathsf{LEntry}) :: \mathit{nodes} \\
 & \mathit{cmdMap} \leftarrow \mathit{cmdMap}[(fid, \mathsf{LEntry}) \mapsto \mathsf{Entry}] \\
 & \mathit{nodes} \leftarrow (fid, \mathsf{LExit}) :: \mathit{nodes} \\
 & \mathit{cmdMap} \leftarrow \mathit{cmdMap}[(fid, \mathsf{LExit}) \mapsto \mathsf{Exit}] \\
 & \mathit{nodes} \leftarrow (fid, \mathsf{LExitExc}) :: \mathit{nodes} \\
 & \mathit{cmdMap} \leftarrow \mathit{cmdMap}[(fid, \mathsf{LExitExc}) \mapsto \mathsf{ExitExc}] \\
 & fid \\
 & \\
\mathit{SetGlobalFId}(\mathit{fid}) & = \mathit{globalFId} \leftarrow fid
\end{array}
$$

$$
\begin{aligned}
&\mathit{NewBlock}(fid) && = bid \stackrel{let}{=} \mathit{newBlockId}() \\
&&& \quad \mathit{blockNode} \stackrel{let}{=} (fid, bid) \\
&&& \quad nodes \leftarrow \mathit{blockNode} :: nodes \\
&&& \quad \mathit{cmdMap} \leftarrow \mathit{cmdMap}[\mathit{blockNode} \mapsto [\,]] \\
&&& \quad blockNode \\
\\
&\mathit{NewAfterCallBlock}(fid, x) && = blockNode \stackrel{let}{=} NewBlock(fid) \\
&&& \quad \mathit{returnVarMap} \leftarrow \mathit{returnVarMap}[\mathit{blockNode} \mapsto x] \\
&&& \quad blockNode \\
\\
&\mathit{NewAfterCatchBlock}(fid) && = NewBlock(fid) \\
\\
&\mathit{AddInst}(\mathit{blockNode}, \mathit{inst}) && = \mathit{block} \stackrel{let}{=} \mathit{cmdMap}(\mathit{blockNode}) \\
&&& \quad \mathit{cmdMap} \leftarrow \mathit{cmdMap}[\mathit{blockNode} \mapsto \mathit{block}@[\mathit{inst}]] \\
\\
&\mathit{AddEdge}(n_1, n_2) && = \text{if } (\mathit{succMap}(n_1) \neq \texttt{null}) \text{ then} \\
&&& \qquad \mathit{succMap} \leftarrow \mathit{succMap}[n_1 \mapsto \{n_2\} \cup \mathit{succMap}(n_1)] \\
&&& \qquad predMap \leftarrow predMap[n_2 \mapsto \{n_1\} \cup predMap(n_2)) \\
&&& \quad \text{else } \mathit{succMap} \leftarrow \mathit{succMap}[n_1 \mapsto \{n_2\}] \\
&&& \qquad predMap \leftarrow predMap[n_2 \mapsto \{n_1\})) \\
&\mathit{AddEdge}(N, n_2) && = \mathit{Iter}(N)(\lambda\, n \Rightarrow \mathit{AddEdge}(n, n_2)) \\
\\
&\mathit{AddExcEdge}(n_1, n_2) && = \text{if } (\mathit{excSuccMap}(n_1) \neq \texttt{null}) \text{ then} \\
&&& \qquad \mathit{excSuccMap} \leftarrow \mathit{excSuccMap}[n_1 \mapsto \{n_2\} \cup \mathit{excSuccMap}(n_1)] \\
&&& \qquad excPredMap \leftarrow excPredMap[n_2 \mapsto \{n_1\} \cup excPredMap(n_2)) \\
&&& \quad \text{else } \mathit{excSuccMap} \leftarrow \mathit{excSuccMap}[n_1 \mapsto \{n_2\}] \\
&&& \qquad excPredMap \leftarrow excPredMap[n_2 \mapsto \{n_1\})) \\
&\mathit{AddExcEdge}(N, n_2) && = \mathit{Iter}(N)(\lambda\, n \Rightarrow \mathit{AddExcEdge}(n, n_2)) \\
\\
&\mathit{AddCall}(n_1, n_2) && = \text{if } (\mathit{aftercallFromCallMap}(n_1) \neq \texttt{null}) \text{ then} \\
&&& \qquad \mathit{aftercallFromCallMap} \leftarrow \mathit{aftercallFromCallMap}[n_1 \mapsto \{n_2\} \cup \mathit{aftercallFromCallMap}(n_1)] \\
&&& \qquad \mathit{callFromAftercallMap} \leftarrow \mathit{callFromAftercallMap}[n_1 \mapsto \{n_2\} \cup \mathit{callFromAftercallMap}(n_1)] \\
&&& \quad \text{if } (\mathit{aftercatchFromCallMap}(n_1) \neq \texttt{null}) \text{ then} \\
&&& \qquad \mathit{aftercatchFromCallMap} \leftarrow \mathit{aftercatchFromCallMap}[n_1 \mapsto \{n_3\} \cup \mathit{aftercatchFromCallMap}(n_1)] \\
&&& \qquad \mathit{callFromAftercatchMap} \leftarrow \mathit{callFromAftercatchMap}[n_1 \mapsto \{n_3\} \cup \mathit{callFromAftercatchMap}(n_1)]
\end{aligned}
$$

7.2.3 Helper Functions

$$
\begin{array}{ll}
\mathit{Fold}(A)(b)(f) & : \texttt{Any list} \times \texttt{Any'} \times (\texttt{Any} \times \texttt{Any'} \to \texttt{Any'}) \to \texttt{Any'} \\
& = \text{if } (\mathit{Length}(A) = 0) \text{ then } b \\
& \quad \text{else } \mathit{Fold}(\mathit{TailOf}(A))(f(\mathit{HeadOf}(A), b))(f) \\
\\
\mathit{Iter}(A)(f) & : \texttt{Any list} \times (\texttt{Any} \to \texttt{Unit}) \to \texttt{Unit} \\
& = \text{if } (\mathit{Length}(A) = 0) \text{ then } \texttt{unit} \\
& \quad \text{else } f(\mathit{HeadOf}(A)) \\
& \qquad \mathit{Iter}(\mathit{TailOf}(A))(f) \\
\\
\mathit{GetTail}(G, N)(fid) & : \mathsf{CFG} \times \texttt{Node list} \times \texttt{FunctionId} \to \texttt{BlockNode} \\
& = \text{if } (\mathit{Length}(N) = 1) \text{ then} \\
& \qquad \mathit{HeadOf}(N) \\
& \quad \text{else if } (\mathit{Length}(N) = 0) \text{ then} \\
& \qquad n \stackrel{let}{=} G.\mathit{NewBlock}(fid) \\
& \qquad n \\
& \quad \text{else } n \stackrel{let}{=} G.\mathit{NewBlock}(fid) \\
& \qquad G.\mathit{AddEdge}(N, n) \\
& \qquad n \\
\\
\mathit{ToString}(l) & : \texttt{Label} \to \texttt{String} \\
& = l.getId().getText()
\end{array}
$$

7.2.4 Translation Rules

$$
\begin{array}{lll}
L \in \texttt{LabelMap} & : \texttt{String} \mapsto \texttt{Node set} \\
[\![-]\!]_{root} & : \texttt{IRRoot} \to \mathsf{CFG} \\
[\![-]\!]_{fdvars} & : \texttt{IRFunDecl list} \to \texttt{LocalVars} \\
[\![-]\!]_{vds} & : \texttt{IRVarStmt list} \to \texttt{LocalVars} \\
[\![-]\!]_{args} & : \texttt{IRStmt list} \to \texttt{ArgVars} \\
[\![-]\!]_{fd} & : \texttt{IRFunDecl} \times \mathsf{CFG} \times \texttt{Node list} \times \texttt{FunctionId} \to \texttt{Node list} \\
[\![-]\!]_{stmt} & : \texttt{IRStmt} \times \mathsf{CFG} \times \texttt{Node list} \times \texttt{LabelMap} \times \texttt{FunctionId} \to \texttt{Node list} \times \texttt{LabelMap} \\
[\![-]\!]_{mem} & : \texttt{IRField} \times \mathsf{CFG} \times \texttt{Node} \times \texttt{IRId} \to \texttt{Unit} \\
[\![-]\!]_{elem} & : \texttt{IRExpr} \times \mathsf{CFG} \times \texttt{Node} \times \texttt{IRId} \times \texttt{Int} \to \texttt{Int}
\end{array}
$$

$$
\begin{aligned}
[\![\texttt{IRRoot}(\mathit{fd}^*, \mathit{vd}^*, \mathit{stmt}^*)]\!]_{\mathit{root}} &= G \leftarrow \texttt{new}\ \mathsf{CFG}() \\
&\quad \mathit{argVars} \overset{\mathit{let}}{=} [\,] \\
&\quad \mathit{localVars} \overset{\mathit{let}}{=} [\![\mathit{fd}^*]\!]_{\mathit{fdvars}} \mathbin{@} [\![\mathit{vd}^*]\!]_{\mathit{vds}} \\
&\quad \mathit{fid}_{\mathit{global}} \overset{\mathit{let}}{=} G.\mathit{NewFunction}(\text{“”}, \mathit{argVars}, \mathit{localVars}) \\
&\quad G.\mathit{SetGlobalFId}(\mathit{fid}_{\mathit{global}}) \\
&\quad n_{\mathit{start}} \overset{\mathit{let}}{=} G.\mathit{NewBlock}(\mathit{fid}_{\mathit{global}}) \\
&\quad G.\mathit{AddEdge}((\mathit{fid}_{\mathit{global}}, \mathsf{LEntry}), n_{\mathit{start}}) \\
&\quad N_1 \overset{\mathit{let}}{=} [\![\mathit{fd}^*]\!]_{\mathit{fd}^*}(G, [n_{\mathit{start}}])(\mathit{fid}_{\mathit{global}}) \\
&\quad L \overset{\mathit{let}}{=} [\,\#\mathit{return} \mapsto [\,], \#\mathit{throw} \mapsto [\,], \#\mathit{throw\_end} \mapsto [\,], \#\mathit{after\_catch} \mapsto [\,]\,] \\
&\quad (N_2, L_1) \overset{\mathit{let}}{=} [\![\mathit{stmt}^*]\!]_{\mathit{stmt}*}(G, N_1, L)(\mathit{fid}_{\mathit{global}}) \\
&\quad G.\mathit{AddEdge}(N_2, (\mathit{fid}_{\mathit{global}}, \mathsf{LExit})) \\
&\quad G.\mathit{AddEdge}(L_1(\#\mathit{return}), (\mathit{fid}_{\mathit{global}}, \mathsf{LExit})) \\
&\quad G.\mathit{AddExcEdge}(L_1(\#\mathit{throw}), (\mathit{fid}_{\mathit{global}}, \mathsf{LExitExc})) \\
&\quad G.\mathit{AddEdge}(L_1(\#\mathit{throw\_end}), (\mathit{fid}_{\mathit{global}}, \mathsf{LExitExc})) \\
&\quad G.\mathit{AddEdge}(L_1(\#\mathit{after\_catch}), (\mathit{fid}_{\mathit{global}}, \mathsf{LExitExc})) \\
&\quad G
\end{aligned}
$$

$$
[\![\mathit{arg}^*]\!]_{\mathit{args}} = \mathit{Fold}(\mathit{arg}^*)([\,])(\lambda(\mathit{args}, x = \mathit{arguments}[i]) \Rightarrow \mathit{args}@[x])
$$

$$
[\![\mathit{fd}^*]\!]_{\mathit{fdvars}} = \mathit{Fold}(\mathit{fd}^*)([\,])(\lambda(\mathit{vars}, \overset{\mathsf{function}\ f(\mathit{this},\mathit{args})}{\{s^*_{\mathit{arg}}, \mathit{fd}^*, \mathit{vd}^*, s^*_{\mathit{body}}\}}) \Rightarrow \mathit{vars}@[f])
$$

$$
[\![\mathit{vd}^*]\!]_{\mathit{vds}} = \mathit{Fold}(\mathit{vd}^*)([\,])(\lambda(\mathit{vars}, \mathsf{var}\ x) \Rightarrow \mathit{vars}@[x])
$$

$$
\begin{aligned}
[\![\mathit{fd}^*]\!]_{\mathit{fd}^*}(G, N)(\mathit{fid}) &= \text{if } (\mathit{Length}(\mathit{fd}^*) = 0) \text{ then } N \\
&\quad \text{else } [\![\mathit{TailOf}(\mathit{fd}^*)]\!]_{\mathit{fd}*}(G, [\![\mathit{HeadOf}(\mathit{fd}^*)]\!]_{\mathit{fd}}(G, N)(\mathit{fid}))(\mathit{fid})
\end{aligned}
$$

$$
\begin{aligned}
[\![\overset{\mathsf{function}\ f(\mathit{this},\mathit{args})}{\{s^*_{\mathit{arg}}, \mathit{fd}^*, \mathit{vd}^*, s^*_{\mathit{body}}\}}]\!]_{\mathit{fd}}(G, N)(\mathit{fid}) &= \mathit{argVars} \overset{\mathit{let}}{=} [\![s^*_{\mathit{arg}}]\!]_{\mathit{args}} \\
&\quad \mathit{localVars} \overset{\mathit{let}}{=} [\![\mathit{fd}^*]\!]_{\mathit{fdvars}} \mathbin{@} [\![\mathit{vd}^*]\!]_{\mathit{vds}} - \mathit{argVars} \\
&\quad \mathit{fid}_{\mathit{new}} \overset{\mathit{let}}{=} G.\mathit{NewFunction}(\mathit{args}, \mathit{argVars}, \mathit{localVars}) \\
&\quad n_{\mathit{start}} \overset{\mathit{let}}{=} G.\mathit{NewBlock}(\mathit{fid}_{\mathit{new}}) \\
&\quad G.\mathit{AddEdge}((\mathit{fid}_{\mathit{new}}, \mathsf{LEntry}), n_{\mathit{start}}) \\
&\quad L \overset{\mathit{let}}{=} [\,\#\mathit{return} \mapsto [\,], \#\mathit{throw} \mapsto [\,], \#\mathit{throw\_end} \mapsto [\,], \#\mathit{after\_catch} \mapsto [\,]\,] \\
&\quad N_1 \overset{\mathit{let}}{=} [\![\mathit{fd}^*]\!]_{\mathit{fd}^*}(G, [n_{\mathit{start}}])(\mathit{fid}_{\mathit{new}}) \\
&\quad (N_2, L_1) \overset{\mathit{let}}{=} [\![\mathit{stmt}^*]\!]_{\mathit{stmt}*}(G, N_1, L)(\mathit{fid}_{\mathit{new}}) \\
&\quad G.\mathit{AddEdge}(N_2, (\mathit{fid}_{\mathit{new}}, \mathsf{LExit})) \\
&\quad G.\mathit{AddEdge}(L_1(\#\mathit{return}), (\mathit{fid}_{\mathit{new}}, \mathsf{LExit})) \\
&\quad G.\mathit{AddExcEdge}(L_1(\#\mathit{throw}), (\mathit{fid}_{\mathit{new}}, \mathsf{LExitExc})) \\
&\quad G.\mathit{AddEdge}(L_1(\#\mathit{throw\_end}), (\mathit{fid}_{\mathit{new}}, \mathsf{LExitExc})) \\
&\quad G.\mathit{AddEdge}(L_1(\#\mathit{after\_catch}), (\mathit{fid}_{\mathit{new}}, \mathsf{LExitExc})) \\
&\quad n_{\mathit{tail}} \overset{\mathit{let}}{=} \mathit{GetTail}(G, N)(\mathit{fid}) \\
&\quad G.\mathit{AddInst}(n_{\mathit{tail}}, f := \texttt{function}\ (\mathit{fid}_{\mathit{new}})_{\mathit{loc}_1, \mathit{loc}_2}) \\
&\quad [n_{\mathit{tail}}]
\end{aligned}
$$

$[\![stmt^*]\!]_{stmt*}(G,N,L)(fid)$ $= \text{if } (Length(stmt^*) = 0) \text{ then } (N,L)$
$\text{else } (N_1,L_1) \stackrel{let}{=} [\![HeadOf(stmt^*)]\!]_{stmt}(G,N,L)(fid)$
$[\![TailOf(stmt^*)]\!]_{stmt*}(G,N_1,L_1)(fid)$

$[\![\mathsf{IRSeq}(stmt^*)]\!]_{stmt}(G,N,L)(fid)$ $= [\![stmt^*]\!]_{stmt*}(G,N,L)(fid)$

$[\![\mathsf{IRStmtUnit}(stmt^*)]\!]_{stmt}(G,N,L)(fid)$ $= [\![stmt^*]\!]_{stmt*}(G,N,L)(fid)$

$[\![{}^{x=\mathsf{function}\ f(this,args)}_{\{s^*_{arg},fd^*,vd^*,s^*_{body}\}}]\!]_{stmt}(G,N,L)(fid)$ $= argVars \stackrel{let}{=} [\![s^*_{arg}]\!]_{args}$
$localVars \stackrel{let}{=} [\![fd^*]\!]_{fdvars} @ [\![vd^*]\!]_{vds} - argVars$
$fid_{new} \stackrel{let}{=} G.NewFunction(args, argVars, localVars)$
$n_{start} \stackrel{let}{=} G.NewBlock(fid_{new})$
$G.AddEdge((fid_{new}, \mathsf{LEntry}), n_{start})$
$L_{new} \stackrel{let}{=} [\,\#return \mapsto [\,], \#throw \mapsto [\,], \#throw\_end \mapsto [\,], \#after\_catch \mapsto [\,]\,]$
$N_1 \stackrel{let}{=} [\![fd^*]\!]_{fd^*}(G,[n_{start}])(fid_{new})$
$(N_2,L_1) \stackrel{let}{=} [\![stmt^*]\!]_{stmt*}(G,N_1,L_{new})(fid_{new})$
$G.AddEdge(N_2,(fid_{new},\mathsf{LExit}))$
$G.AddEdge(L_1(\#return),(fid_{new},\mathsf{LExit})))$
$G.AddExcEdge(L_1(\#throw),(fid_{new},\mathsf{LExitExc})))$
$G.AddEdge(L_1(\#throw\_end),(fid_{new},\mathsf{LExitExc}))$
$G.AddEdge(L_1(\#after\_catch),(fid_{new},\mathsf{LExitExc}))$
$n_{tail} \stackrel{let}{=} GetTail(G,N)(fid)$
$if\ (\underline{\mathsf{getVarKind}}_P(f) = \mathsf{CapturedVar})$
$G.AddInst(n_{tail}, x := \texttt{function}\ f\ (fid_{new})_{loc_1,loc_2,loc_3})$
$else$
$G.AddInst(n_{tail}, x := \texttt{function}\ (fid_{new})_{loc_1,loc_2})$
$([n_{tail}], L)$

$[\![x = \{member^*, proto^?\}]\!]_{stmt}(G,N,L)(fid)$ $= n_{tail} \stackrel{let}{=} GetTail(G,N)(fid)$
$G.AddInst(n_{tail}, x := \texttt{alloc}(proto^?)_{loc})$
$Iter(memeber^*)(\lambda(m) \Rightarrow [\![m]\!]_{mem}(G,n_{tail})(x))$
$([n_{tail}], L[\#throw \mapsto n_{tail} :: L(\#throw)])$

$[\![y : z]\!]_{mem}(G,n)(x)$ $= G.AddInst(n, x[\text{“}y\text{”}] := z)$

$[\![x = [elem^*]]\!]_{stmt}(G,N,L)(fid)$ $= n_{tail} \stackrel{let}{=} GetTail(G,N)(fid)$
$G.AddInst(n_{tail}, x := \texttt{allocArray}(Length(elem^*))_{loc})$
$\_ \stackrel{let}{=} Fold(elem^*)(0)(\lambda(e,k) \Rightarrow [\![y]\!]_{elem}(G,n_{tail})(x,k))$
$([n_{tail}], L[\#throw \mapsto n_{tail} :: L(\#throw)])$

$[\![x = [elem^*]]\!]_{stmt}(G,N,L)(fid)$ $(arguments)$ $= n_{tail} \stackrel{let}{=} GetTail(G,N)(fid)$
$G.AddInst(n_{tail}, x := \texttt{allocArg}(Length(elem^*))_{loc})$
$\_ \stackrel{let}{=} Fold(elem^*)(0)(\lambda(e,k) \Rightarrow [\![y]\!]_{elem}(G,n_{tail})(x,k))$
$([n_{tail}], L[\#throw \mapsto n_{tail} :: L(\#throw)])$

$[\![y]\!]_{elem}(G,n)(x,k)$ $= G.AddInst(n, x[\text{“}k\text{”}] := y))$
$k+1$

$[\![x = f(\mathit{this}, \mathit{args}^?)]\!]_{\mathit{stmt}}(G,N,L)(fid) = n_1 \stackrel{let}{=} \mathit{GetTail}(G,N)(fid)$
$\quad if\ (f = \diamond toObject)$
$\quad\quad G.\mathit{AddInst}(n_1, x = \diamond f_1([\mathit{this},\mathit{args}])_{loc})$
$\quad\quad ([n_1], L[\#throw \mapsto n_1 :: L(\#throw)])$
$\quad else\ if\ (f = \diamond toBoolean \vee f = \diamond toNumber$
$\quad\quad\quad \vee f = \diamond toString \vee f = \diamond isObject \vee f = \diamond iteratorInit$
$\quad\quad\quad \vee f = \diamond iteratorHasNext \vee f = \diamond iteratorNext \vee f = \diamond getBase)$
$\quad\quad G.\mathit{AddInst}(n_1, x = \diamond f_1([\mathit{this},\mathit{args}]))$
$\quad\quad ([n_1], L)$
$\quad else$
$\quad\quad G.\mathit{AddInst}(n_1, \mathtt{call}(f, \mathit{this}, \mathit{args})_{loc})$
$\quad\quad n_2 \stackrel{let}{=} G.\mathit{NewAfterCallBlock}(fid, x)$
$\quad\quad n_3 \stackrel{let}{=} G.\mathit{NewAfterCatchBlock}(fid)$
$\quad\quad G.\mathit{AddCall}(n_1, n_2, n_3)$
$\quad\quad ([n_2], L[\#throw \mapsto n_1 :: L(\#throw), \#after\_catch \mapsto n_3 :: L(\#after\_catch)])$

$[\![x = c(\mathit{args})]\!]_{\mathit{stmt}}(G,N,L)(fid) = n_1 \stackrel{let}{=} \mathit{GetTail}(G,N)(fid)$
$(irnew)$
$\quad G.\mathit{AddInst}(n_1, \mathtt{construct}(c, \mathit{args.hd}, \mathit{args.tl.hd})_{loc})$
$\quad n_2 \stackrel{let}{=} G.\mathit{NewAfterCallBlock}(fid, x)$
$\quad n_3 \stackrel{let}{=} G.\mathit{NewAfterCatchBlock}(fid)$
$\quad G.\mathit{AddCall}(n_1, n_2, n_3)$
$\quad ([n_2], (L[\#throw \mapsto n_1 :: L(\#throw), \#after\_catch \mapsto n_3 :: L(\#after\_catch)])$

$[\![\mathsf{with}(x)\ s]\!]_{\mathit{stmt}}(G,N,L)(fid) = ???$

$[\![l : \{s\}]\!]_{\mathit{stmt}}(G,N,L)(fid) = n \stackrel{let}{=} G.\mathit{NewBlock}(fid)$
$\quad (N_1, L_1) \stackrel{let}{=} [\![s]\!]_{\mathit{stmt}}(G, N, L[l \mapsto [\,]])(fid)$
$\quad G.\mathit{AddEdge}(N_1, n)$
$\quad G.\mathit{AddEdge}(L_1(l), n)$
$\quad L_2 \stackrel{let}{=} L_1 - l$
$\quad ([n], L_2)$

$[\![\mathsf{if}(e)\ s_{\mathit{true}}\ \mathsf{else}\ s_{\mathit{false}}]\!]_{\mathit{stmt}}(G,N,L)(fid) = n_1 \stackrel{let}{=} G.\mathit{NewBlock}(fid)$
$\quad n_2 \stackrel{let}{=} G.\mathit{NewBlock}(fid)$
$\quad G.\mathit{AddEdge}(N, n_1)$
$\quad G.\mathit{AddEdge}(N, n_2)$
$\quad G.\mathit{AddInst}(n_1, \mathtt{assert}(e))$
$\quad G.\mathit{AddInst}(n_2, \mathtt{assert}(\neg e))$
$\quad (N_1, L_1) \stackrel{let}{=} [\![s_{\mathit{true}}]\!]_{\mathit{stmt}}(G, [n_1], L)(fid)$
$\quad (N_2, L_2) \stackrel{let}{=} [\![s_{\mathit{false}}]\!]_{\mathit{stmt}}(G, [n_2], L_1)(fid)$
$\quad (N_1 @ N_2, L_2[\#throw \mapsto n_1 :: n_2 :: L_2(\#throw)])$

$[\![\mathsf{if}(e)\ s_{\mathit{true}}]\!]_{\mathit{stmt}}(G,N,L)(fid) = n_1 \stackrel{let}{=} G.\mathit{NewBlock}(fid)$
$\quad n_2 \stackrel{let}{=} G.\mathit{NewBlock}(fid)$
$\quad G.\mathit{AddEdge}(N, n_1)$
$\quad G.\mathit{AddEdge}(N, n_2)$
$\quad G.\mathit{AddInst}(n_1, \mathtt{assert}(e))$
$\quad G.\mathit{AddInst}(n_2, \mathtt{assert}(\neg e))$
$\quad (N_1, L_1) \stackrel{let}{=} [\![s_{\mathit{true}}]\!]_{\mathit{stmt}}(G, [n_1], L)(fid)$
$\quad (N_1 @ [n_2], L_1[\#throw \mapsto n_1 :: n_2 :: L_1(\#throw)])$

$$
\begin{aligned}
[\![\textsf{while}(e)\ s]\!]_{stmt}(G,N,L)(fid) &= n_1 \overset{let}{=} \textit{GetTail}(G,N)(fid)\\
&\quad n_{head} \overset{let}{=} G.\textit{NewBlock}(fid)\\
&\quad n_2 \overset{let}{=} G.\textit{NewBlock}(fid)\\
&\quad n_3 \overset{let}{=} G.\textit{NewBlock}(fid)\\
&\quad G.\textit{AddEdge}(n_1, n_{head})\\
&\quad G.\textit{AddEdge}(n_{head}, n_2)\\
&\quad G.\textit{AddEdge}(n_{head}, n_3)\\
&\quad G.AddInst(n_2, \texttt{assert}(e))\\
&\quad G.AddInst(n_3, \texttt{assert}(\neg e))\\
&\quad (N_1, L_1) \overset{let}{=} [\![s]\!]_{stmt}(G, [n_2], L)(fid)\\
&\quad G.\textit{AddEdge}(N_1, n_{head})\\
&\quad ([n_3], L_1[\#throw \mapsto n_2 :: n_3 :: L_1(\#throw))
\end{aligned}
$$

$$
\begin{aligned}
[\![\textsf{throw}\ x]\!]_{stmt}(G,N,L)(fid) &= n \overset{let}{=} \textit{GetTail}(G,N)(fid)\\
&\quad G.\textit{AddInst}(n, \texttt{throw}(x))\\
&\quad ([\,], L[\#throw \mapsto n :: L(\#throw)])
\end{aligned}
$$

$$
\begin{aligned}
[\![\textsf{return}\ x]\!]_{stmt}(G,N,L)(fid) &= n \overset{let}{=} \textit{GetTail}(G,N)(fid)\\
&\quad G.\textit{AddInst}(n, \texttt{return}(x))\\
&\quad ([\,], L[\#return \mapsto n :: L(\#return)])
\end{aligned}
$$

$$
\begin{aligned}
[\![\textsf{return}\ \underline{x}^{?}]\!]_{stmt}(G,N,L)(fid) &= n \overset{let}{=} \textit{GetTail}(G,N)(fid)\\
&\quad ([\,], L[\#return \mapsto n :: L(\#return)])
\end{aligned}
$$

$$
\begin{aligned}
[\![x = e]\!]_{stmt}(G,N,L)(fid) &= n \overset{let}{=} \textit{GetTail}(G,N)(fid)\\
&\quad G.\textit{AddInst}(n, x := e)\\
&\quad if\ (e = \texttt{IRId})\\
&\qquad ([n], L[\#throw \mapsto n :: L(\#throw)])\\
&\quad else\\
&\qquad ([n], L)
\end{aligned}
$$

$$
\begin{aligned}
[\![x = \textsf{delete}\ y]\!]_{stmt}(G,N,L)(fid) &= n \overset{let}{=} \textit{GetTail}(G,N)(fid)\\
&\quad G.\textit{AddInst}(n, x := \texttt{delete}(y))\\
&\quad ([n], L[\#throw \mapsto n :: L(\#throw)])
\end{aligned}
$$

$$
\begin{aligned}
[\![x = \textsf{delete}\ y[z]]\!]_{stmt}(G,N,L)(fid) &= n \overset{let}{=} \textit{GetTail}(G,N)(fid)\\
&\quad G.\textit{AddInst}(n, x := \texttt{delete}(y, z))\\
&\quad ([n], L[\#throw \mapsto n :: L(\#throw)])
\end{aligned}
$$

$$
\begin{aligned}
[\![x = \ominus\, y]\!]_{stmt}(G,N,L)(fid) &= n \overset{let}{=} \textit{GetTail}(G,N)(fid)\\
&\quad G.\textit{AddInst}(n, x := \ominus y)\\
&\quad ([n], L[\#throw \mapsto n :: L(\#throw)])
\end{aligned}
$$

$$
\begin{aligned}
[\![x = y \otimes z]\!]_{stmt}(G,N,L)(fid) &= n \overset{let}{=} \textit{GetTail}(G,N)(fid)\\
&\quad G.\textit{AddInst}(n, x := y \otimes z)\\
&\quad ([n], L[\#throw \mapsto n :: L(\#throw)])
\end{aligned}
$$

$$
\begin{aligned}
[\![x[y] = z]\!]_{stmt}(G,N,L)(fid) &= n \overset{let}{=} \textit{GetTail}(G,N)(fid)\\
&\quad G.\textit{AddInst}(n, x[y] := z)\\
&\quad ([n], L[\#throw \mapsto n :: L(\#throw)])
\end{aligned}
$$

$$
\begin{aligned}
[\![x = y[e]]\!]_{stmt}(G,N,L)(fid) &= n \overset{let}{=} \textit{GetTail}(G,N)(fid)\\
&\quad G.\textit{AddInst}(n, x := y[e])\\
&\quad ([n], L[\#throw \mapsto n :: L(\#throw)])
\end{aligned}
$$

$[\![\textsf{try}\{s\}\ \textsf{catch}(x)\ \{s_c\}]\!]_{\textit{stmt}}(G,N,L)(fid) =$

$n_1 \stackrel{let}{=} G.\textit{NewBlock}(fid)$
$G.\textit{AddEdge}(N, n_1)$
$n_3 \stackrel{let}{=} G.\textit{NewBlock}(fid)$
$G.\textit{AddInst}(n_3, \texttt{catch}(x))$
$L_{try} \stackrel{let}{=} [\,\#return \mapsto [\,], \#throw \mapsto [\,], \#throw\_end \mapsto [\,], \#after\_catch \mapsto [\,]\,]$
$(N_1, L_1) = [\![s]\!]_{\textit{stmt}}(G, [n_2], L_{try})(fid)$
$G.\textit{AddExcEdge}(L_1(\#throw), n_2)$
$G.\textit{AddEdge}(L_1(\#throw\_end), n_2)$
$G.\textit{AddEdge}(L_1(\#catch), n_2)$
$(N_2, L_2) = [\![s_c]\!]_{\textit{stmt}}(G, [n_2], L_1[\#throw \mapsto [\,], \#throw\_end \mapsto [\,],$
$\#after\_catch \mapsto [\,]\,])(fid)$
$L_3 \stackrel{let}{=} \textit{Fold}(L_2)(L)(\lambda((l, N'), L') \Rightarrow$
$if\ (L'.contains(l))$
$L'[l \mapsto L'(l)@N']$
$else$
$L'[l \mapsto N']$
$(N_1@N_2, L_3)$

$[\![\textsf{try}\{s\}\ \textsf{finally}\ \{s_f\}]\!]_{\textit{stmt}}(G,N,L)(fid) =$

$n_1 \stackrel{let}{=} G.\textit{NewBlock}(fid)$
$G.\textit{AddEdge}(N, n_1)$
$n_2 \stackrel{let}{=} G.\textit{NewBlock}(fid)$
$L_{try} \stackrel{let}{=} [\,\#return \mapsto [\,], \#throw \mapsto [\,], \#throw\_end \mapsto [\,], \#after\_catch \mapsto [\,]\,]$
$(N_1, L_1) \stackrel{let}{=} [\![s]\!]_{\textit{stmt}}(G, [n_1], L_{try})(fid)$
$(N_2, L_2) \stackrel{let}{=} [\![s_f]\!]_{\textit{stmt}}(G, [n_2], L)(fid)$
$G.\textit{AddEdge}(N_1, n_2)$
$L_3 \stackrel{let}{=} \textit{Fold}(L_1[\,\#after\_catch \mapsto [\,]\,])(L_2)(\lambda((l, N'), L') \Rightarrow$
$if\ (N' \neq Nil)$
$n_{dup} \stackrel{let}{=} G.\textit{NewBlock}(fid)$
$(N'', L'') \stackrel{let}{=} [\![s_f]\!]_{\textit{stmt}}(G, [n_{dup}], L')(fid)$
$if\ (l = \#throw)$
$G.\textit{AddEdge}(L_1(\#after\_catch), n_{dup})$
$G.\textit{AddExcEdge}(N', n_{dup});\ L''[\#throw\_end \mapsto L''(\#throw\_end)@N'']$
$else$
$G.\textit{AddEdge}(N', n_{dup});\ L''[l \mapsto L''(l)@N''])$
(N_2, L_3)

$$[\![\begin{smallmatrix}\texttt{try}\{s\}\ \texttt{catch}(x)\ \{s_c\}\\ \texttt{finally}\ \{s_f\}\end{smallmatrix}]\!]_{stmt}(G,N,L)(fid) = n_1 \overset{let}{=} G.\mathit{NewBlock}(fid)$$
$$G.\mathit{AddEdge}(N, n_1)$$
$$n_2 \overset{let}{=} G.\mathit{NewBlock}(fid)$$
$$G.\mathit{AddInst}(n_2, \texttt{catch}(x))$$
$$n_3 \overset{let}{=} G.\mathit{NewBlock}(fid)$$
$$L_{try} \overset{let}{=} [\,\#return \mapsto [\,], \#throw \mapsto [\,], \#throw\_end \mapsto [\,], \#after\_catch \mapsto [\,]\,]$$
$$(N_1, L_1) \overset{let}{=} [\![s]\!]_{stmt}(G, [n_1], L_{try})(fid)$$
$$G.\mathit{AddExcEdge}(L_1(\#throw), n_2)$$
$$G.\mathit{AddEdge}(L_1(\#throw\_end), n_2)$$
$$G.\mathit{AddEdge}(L_1(\#after\_catch), n_2)$$
$$(N_2, L_2) \overset{let}{=} [\![s_c]\!]_{stmt}(G, [n_2], L_1[\#throw \mapsto [\,], \#throw\_end \mapsto [\,], \#after\_catch \mapsto [\,]\,])(fid)$$
$$(N_3, L_3) \overset{let}{=} [\![s_f]\!]_{stmt}(G, [n_3], L)(fid)$$
$$G.\mathit{AddEdge}(N_1 @ N_2, n_3)$$
$$L_4 \overset{let}{=} \mathit{Fold}(L_2[\,\#after\_catch \mapsto [\,]\,])(L_3)(\lambda((l, N'), L') \Rightarrow$$
$$\quad if\ (N' \neq Nil)$$
$$\quad\quad n_{dup} \overset{let}{=} G.\mathit{NewBlock}(fid)$$
$$\quad\quad (N'', L'') \overset{let}{=} [\![s_f]\!]_{stmt}(G, [n_{dup}], L')(fid)$$
$$\quad\quad if\ (l = \#throw)$$
$$\quad\quad\quad G.\mathit{AddEdge}(L_2(\#after\_catch), n_{dup})$$
$$\quad\quad\quad G.\mathit{AddExcEdge}(N', n_{dup});\ L''[\#throw\_end \mapsto L''(\#throw\_end) @ N'']$$
$$\quad\quad else$$
$$\quad\quad\quad G.\mathit{AddEdge}(N', n_{dup});\ L''[l \mapsto L''(l) @ N'']$$
$$(N_3, L_4)$$

Chapter 8

CFG Collecting Semantics

Assumptions and limitations are as follows:

- All the variables declared by '`var`' are included in the set LocalVars.
- Followings are not yet supported: regular expression, with, getter, setter, eval.
- Runtime exception is omitted. `throw` is the only way to make an exception.
- Semantics of operators are omitted.
- Semantics for helper functions is not written using denotational semantics(they are not compositional).
- Try-catch clause in a finally block can disturb a flow of a previous throwed value.

8.1 Settings

$$
\begin{array}{rlcl}
x \in & \mathsf{Prop} & = & \mathsf{String} \cup \left\{ \begin{array}{l} @return,\ @exception,\ @exception\_all,\ @this,\ @up,\ @outer \\ @proto,\ @scope,\ @class,\ @function,\ @extensible,\ @construct \end{array} \right\} \\
l \in & \mathsf{Loc} & ::= & \#Global \mid \#ObjProto \mid \#ArrayProto \mid \#RefErrProto \\
 & & \mid & \#RangeErrProto \mid \#TypeErrProto \\
 & & \mid & l_1 \mid \cdots \\
cp \in & \mathsf{ControlPoint} & = & \mathsf{Node} \\
H \in & \mathsf{Heap} & = & \mathsf{Loc} \xrightarrow{\text{fin}} \mathsf{Obj} \\
o \in & \mathsf{Obj} & = & \mathsf{Prop} \xrightarrow{\text{fin}} \mathsf{PropValue} \\
A \in & \mathsf{Env} & = & \mathsf{Loc\ list} \\
(H, A), \mathsf{stuck} \in & \mathsf{State} & = & \mathsf{Heap} \times \mathsf{Env} \\
 & \mathsf{PropValue} & = & \mathsf{ObjectValue} \cup \mathsf{Value} \cup \mathsf{FunctionId} \cup \mathsf{Env} \\
 & & & \textit{`Value} \cup \textit{FunctionId} \cup \textit{Env'} \textit{ is for internal property.} \\
v \in & \mathsf{Value} & = & \mathsf{Loc} \cup \mathsf{PValue} \\
ov \in & \mathsf{ObjectValue} & = & \left\{ \begin{array}{l} value : \mathsf{Value}; \\ writable : \mathsf{Bool}; \\ enumerable : \mathsf{Bool}; \\ configurable : \mathsf{Bool}; \end{array} \right\} \\
pv \in & \mathsf{PValue} & = & \mathsf{Number} \cup \mathsf{String} \cup \mathsf{Bool} \cup \{\ \mathsf{undefined},\ \mathsf{null}\ \} \\
n \in & \mathsf{Number} & ::= & \mathsf{NaN} \mid \mathsf{Inf} \mid -\mathsf{Inf} \mid 0 \mid 1 \mid -1 \mid 2 \mid \cdots \\
s \in & \mathsf{String} & & \\
b \in & \mathsf{Bool} & & \\
exc \in & \mathsf{Exception} & ::= & \mathsf{ReferenceError} \mid \mathsf{RangeError} \mid \mathsf{TypeError}
\end{array}
$$

8.2 Helper Functions

$$\underline{\mathsf{PushStack}}(l_o^*, l_n) = l_n :: l_o^*$$
$$\underline{\mathsf{TopStack}}(l_n :: l_o^*) = l_n$$

$$\underline{\mathsf{Dom}}(H) = \{\ l \mid l \mapsto o \in H\ \}$$
$$\underline{\mathsf{Dom}}(o) = \{\ x \mid x \mapsto v \in o\ \}$$

$$\underline{\mathsf{IsArray}}(H, l) = \begin{cases} \mathsf{true} & \text{if } H(l)(@class) = \text{“}Array\text{”} \\ \mathsf{false} & \text{otherwise} \end{cases}$$
$$\underline{\mathsf{IsObject}}(H, l) = \begin{cases} \mathsf{true} & \text{if } H(l)(@class) = \text{“}Object\text{”} \vee H(l)(@class) = \text{“}Function\text{”} \\ \mathsf{false} & \text{otherwise} \end{cases}$$

$\underline{\mathsf{IsArrayIndex}}$: $\mathsf{Value} \to \mathsf{Bool}$

$$\underline{\mathsf{IsArrayIndex}}(v) = \begin{cases} \mathsf{true} & \text{if } \underline{\mathsf{toString}}(\underline{\mathsf{ToUint32}}(\underline{\mathsf{toString}}(v))) = \underline{\mathsf{toString}}(v) \\ & \quad \wedge\ \underline{\mathsf{ToUint32}}(\underline{\mathsf{toString}}(v)) \neq 2^{32} - 1 \\ \mathsf{false} & \text{otherwise} \end{cases}$$

$\underline{\mathsf{VarStore}}$: $\mathsf{Heap} \times \mathsf{Env} \times \mathsf{Prop} \times \mathsf{Value} \times \mathsf{Bool} \to \mathsf{Heap}$

$$\underline{\mathsf{VarStore}}(H, [\#Global], x, v, b) = \underline{\mathsf{PropStore}}(H, \#Global, x, v)$$
if $x \notin \underline{\mathsf{Dom}}(H(\#Global))$
$$\underline{\mathsf{VarStore}}(H, l_{hd} :: l_{tl}^*, x, v, b) = H[l_{hd} \mapsto H(l_{hd})[x \mapsto \{\ H(l_{hd})(x) \text{ with } value = v; writable = b\ \}]]$$
if $x \in \underline{\mathsf{Dom}}(H(l_{hd}))$
$$\underline{\mathsf{VarStore}}(H, l_{hd} :: l_{tl}^*, x, v, b) = \underline{\mathsf{VarStore}}(H, l_{tl}^*, x, v, b)$$
if $x \notin \underline{\mathsf{Dom}}(H(l_{hd}))$

$\underline{\mathsf{VarStoreE}}$: $\mathsf{Heap} \times \mathsf{Env} \times \mathsf{Prop} \times \mathsf{Value} \times \mathsf{Bool} \to \mathsf{Heap}$

$$\underline{\mathsf{VarStoreE}}(H, A, t, v, b) = \underline{\mathsf{VarStore}}(H, A, t, v, b)$$
$$\underline{\mathsf{VarStoreE}}(H, A, x, v, b) = \begin{cases} \underline{\mathsf{VarStore}}(H, A, x, v, b) & \text{if } \underline{\mathsf{CanPutVar}}(H, A, x) \\ H & \text{otherwise} \end{cases}$$

$\underline{\mathsf{PropStore}}$: $\mathsf{Heap} \times \mathsf{Loc} \times \mathsf{Prop} \times \mathsf{Value} \to \mathsf{Heap}$

$$\underline{\mathsf{PropStore}}(H, l, x, v) = H\left[l \mapsto H(l)\left[x \mapsto \left\{\begin{array}{l} value = v; \\ enumerable = \mathsf{true}; \\ configurable = \mathsf{true}; \\ writable = \mathsf{true} \end{array}\right\}\right]\right]$$
if $x \notin \underline{\mathsf{Dom}}(H(l))$
$$\underline{\mathsf{PropStore}}(H, l, x, v) = H\left[l \mapsto H(l)\left[x \mapsto \{\ H(l)(x) \text{ with } value = v\ \}\right]\right]$$
if $x \in \underline{\mathsf{Dom}}(H(l))$

$\underline{\mathsf{Delete}}$: $\mathsf{Heap} \times \mathsf{Loc} \times \mathsf{Prop} \to \mathsf{Heap} \times \mathsf{Bool}$

$$\underline{\mathsf{Delete}}(H, l, x) = (H, \mathsf{true})$$
if $\neg\underline{\mathsf{HasOwnProperty}}(H, l, x)$
$$\underline{\mathsf{Delete}}(H, l, x) = (H, \mathsf{false})$$
if $\underline{\mathsf{HasOwnProperty}}(H, l, x) \wedge H(l)(x).configurable = \mathsf{false}$
$$\underline{\mathsf{Delete}}(H, l, x) = (H[l \mapsto H(l) - x], \mathsf{true})$$
if $\underline{\mathsf{HasOwnProperty}}(H, l, x) \wedge H(l)(x).configurable = \mathsf{true}$

$\underline{\mathsf{Lookup}}$: $\mathsf{Heap} \times \mathsf{Env} \times \mathsf{Prop} \to \mathsf{Value} \cup \mathsf{Exception}$

$$\underline{\mathsf{Lookup}}(H, [\#Global], x) = \mathsf{ReferenceError} \quad \text{if } \neg\underline{\mathsf{HasProperty}}(H, \#Global, x)$$
$$\underline{\mathsf{Lookup}}(H, [\#Global], x) = \underline{\mathsf{Proto}}(H, \#Global, x) \quad \text{if } \underline{\mathsf{HasProperty}}(H, \#Global, x)$$
$$\underline{\mathsf{Lookup}}(H, l_{hd} :: l_{tl}^*, x) = H(l_{hd})(x).value \quad \text{if } x \in \underline{\mathsf{Dom}}(H(l_{hd}))$$
$$\underline{\mathsf{Lookup}}(H, l_{hd} :: l_{tl}^*, x) = \underline{\mathsf{Lookup}}(H, l_{tl}^*, x) \quad \text{if } x \notin \underline{\mathsf{Dom}}(H(l_{hd}))$$

$$\underline{\mathsf{TypeTag}} \quad : \mathsf{Heap} \times \mathsf{Value} \to \left\{ \begin{array}{l} \text{“}number\text{”}, \text{“}string\text{”}, \text{“}boolean\text{”}, \text{“}object\text{”}, \\ \text{“}function\text{”}, \text{“}null\text{”}, \text{“}undefined\text{”} \end{array} \right\}$$

$$\underline{\mathsf{TypeTag}}(H, v) = \begin{cases} \text{“}number\text{”} & \text{if } v \in \mathsf{Number} \\ \text{“}boolean\text{”} & \text{if } v \in \mathsf{Boolean} \\ \text{“}string\text{”} & \text{if } v \in \mathsf{String} \\ \text{“}object\text{”} & \text{if } v \in \mathsf{Loc} \wedge \neg \underline{\mathsf{IsCallable}}(H, v) \\ \text{“}function\text{”} & \text{if } v \in \mathsf{Loc} \wedge \underline{\mathsf{IsCallable}}(H, v) \\ \text{“}object\text{”} & \text{if } v = \mathsf{null} \\ \text{“}undefined\text{”} & \text{if } v = \mathsf{undefined} \end{cases}$$

$$\underline{\mathsf{CanPut}} \quad : \mathsf{Heap} \times \mathsf{Loc} \times \mathsf{Prop} \to \mathsf{Bool}$$
$$\underline{\mathsf{CanPut}}(H, l, x) = \underline{\mathsf{CanPutHelp}}(H, l, x, l)$$

$$\underline{\mathsf{CanPutHelp}} \quad : \mathsf{Heap} \times \mathsf{Loc} \times \mathsf{Prop} \times \mathsf{Loc} \to \mathsf{Bool}$$
$$\underline{\mathsf{CanPutHelp}}(H, l_1, x, l_2) = \underline{\mathsf{CanPutHelp}}(H, H(l_1)(@proto).value, x, l_2)$$
$$\text{if } x \notin \underline{\mathsf{Dom}}(H(l_1)) \wedge H(l_1)(@proto).value \neq \mathsf{null}$$
$$\underline{\mathsf{CanPutHelp}}(H, l_1, x, l_2) = H(l)(@extensible)$$
$$\text{if } x \notin \underline{\mathsf{Dom}}(H(l_1)) \wedge H(l_1)(@proto).value = \mathsf{null}$$
$$\underline{\mathsf{CanPutHelp}}(H, l_1, x, l_2) = H(l_1)(x).writable$$
$$\text{if } x \in \underline{\mathsf{Dom}}(H(l_1))$$

$$\underline{\mathsf{CanPutVar}} \quad : \mathsf{Heap} \times \mathsf{Env} \times \mathsf{Prop} \to \mathsf{Bool}$$
$$\underline{\mathsf{CanPutVar}}(H, [\#Global], x) = \underline{\mathsf{CanPut}}(H, \#Global, x)$$
$$\underline{\mathsf{CanPutVar}}(H, l_{hd} :: l^*_{tl}, x) = H(l_{hd})(x).writable \quad \text{if } x \in \underline{\mathsf{Dom}}(H(l_{hd}))$$
$$\underline{\mathsf{CanPutVar}}(H, l_{hd} :: l^*_{tl}, x) = \underline{\mathsf{CanPutVar}}(H, l^*_{tl}, x) \quad \text{if } x \notin \underline{\mathsf{Dom}}(H(l_{hd}))$$

$$\underline{\mathsf{HasProperty}} \quad : \mathsf{Heap} \times \mathsf{Loc} \times \mathsf{Prop} \to \mathsf{Bool}$$
$$\underline{\mathsf{HasProperty}}(H, l, x) = \mathsf{true}$$
$$\text{if } \underline{\mathsf{HasOwnProperty}}(H, l, x)$$
$$\underline{\mathsf{HasProperty}}(H, l, x) = \mathsf{false}$$
$$\text{if } \neg\underline{\mathsf{HasOwnProperty}}(H, l, x) \wedge H(l_1)(@proto).value = \mathsf{null}$$
$$\underline{\mathsf{HasProperty}}(H, l, x) = \underline{\mathsf{HasProperty}}(H, H(l)(@proto).value, x)$$
$$\text{if } \neg\underline{\mathsf{HasOwnProperty}}(H, l, x) \wedge H(l_1)(@proto).value \neq \mathsf{null}$$

$$\underline{\mathsf{HasOwnProperty}} \quad : \mathsf{Heap} \times \mathsf{Loc} \times \mathsf{Prop} \to \mathsf{Bool}$$
$$\underline{\mathsf{HasOwnProperty}}(H, l, x) = \mathsf{false} \quad \text{if } x \notin \underline{\mathsf{Dom}}(H(l))$$
$$\underline{\mathsf{HasOwnProperty}}(H, l, x) = \mathsf{true} \quad \text{if } x \in \underline{\mathsf{Dom}}(H(l))$$

$$\underline{\mathsf{LookupBase}} \quad : \mathsf{Heap} \times \mathsf{Env} \times \mathsf{Prop} \to \mathsf{Loc}$$
$$\underline{\mathsf{LookupBase}}(H, [\#Global], x) = \underline{\mathsf{ProtoBase}}(H, \#Global, x)$$
$$\underline{\mathsf{LookupBase}}(H, l_{hd} :: l^*_{tl}, x) = l_{hd} \quad \text{if } x \in \underline{\mathsf{Dom}}(H(l_{hd}))$$
$$\underline{\mathsf{LookupBase}}(H, l_{hd} :: l^*_{tl}, x) = \underline{\mathsf{LookupBase}}(H, l^*_{tl}, x) \quad \text{if } x \notin \underline{\mathsf{Dom}}(H(l_{hd}))$$

ProtoBase : Heap × Loc × Prop → Loc

$$\underline{\mathsf{ProtoBase}}(H,l,x) = l \quad \text{if } x \in \underline{\mathsf{Dom}}(H(l))$$
$$\underline{\mathsf{ProtoBase}}(H,l,x) = \{\} \quad \text{if } x \notin \underline{\mathsf{Dom}}(H(l)) \wedge H(l)(@proto).value = \mathsf{null}$$
$$\underline{\mathsf{ProtoBase}}(H,l,x) = \underline{\mathsf{ProtoBase}}(H, H(l)(@proto).value, x) \quad \text{if } x \notin \underline{\mathsf{Dom}}(H(l)) \wedge H(l)(@proto).value \neq \mathsf{null}$$

Proto : Heap × Loc × Prop → Value

$$\underline{\mathsf{Proto}}(H,l,x) = H(l)(x).value \quad \text{if } x \in \underline{\mathsf{Dom}}(H(l))$$
$$\underline{\mathsf{Proto}}(H,l,x) = \underline{\mathsf{Proto}}(H, H(l)(@proto).value, x) \quad \text{if } x \notin \underline{\mathsf{Dom}}(H(l)) \wedge H(l)(@proto).value \neq \mathsf{null}$$
$$\underline{\mathsf{Proto}}(H,l,x) = \mathsf{undefined} \quad \text{if } x \notin \underline{\mathsf{Dom}}(H(l)) \wedge H(l)(@proto).value = \mathsf{null}$$

NewObject : Loc → Obj

$$\underline{\mathsf{NewObject}}(l) = \left\{ \begin{array}{l} @class \mapsto "Object", \\ @proto \mapsto \left\{ \begin{array}{l} value = l; \\ writable = \mathsf{false}; \\ enumerable = \mathsf{false}; \\ configurable = \mathsf{false} \end{array} \right\}, \\ @extensible \mapsto \mathsf{true} \end{array} \right\}$$

NewFunctionObject : FunctionId × Env × Loc × Number → Obj

$$\underline{\mathsf{NewFunctionObject}}(fid, A, l, n) = \left\{ \begin{array}{l} @class \mapsto \text{“}Function\text{”}, \\ @function \mapsto fid, \\ @construct \mapsto fid, \\ @scope \mapsto A, \\ @proto \mapsto \left\{ \begin{array}{l} value = \#FunctionProto; \\ writable = \mathsf{false}; \\ enumerable = \mathsf{false}; \\ configurable = \mathsf{false} \end{array} \right\}, \\ \text{“}prototype\text{”} \mapsto \left\{ \begin{array}{l} value : l; \\ writable : \mathsf{true}; \\ enumerable : \mathsf{false}; \\ configurable : \mathsf{false} \end{array} \right\}, \\ \text{“}length\text{”} \mapsto \left\{ \begin{array}{l} value : n; \\ writable : \mathsf{false}; \\ enumerable : \mathsf{false}; \\ configurable : \mathsf{false} \end{array} \right\}, \\ @extensible \mapsto \mathsf{true} \end{array} \right\}$$

NewArrayObject : Number → Obj

$$\underline{\mathsf{NewArrayObject}}(n) = \left\{ \begin{array}{l} @class \mapsto \text{“}Array\text{”}, \\ @proto \mapsto \left\{ \begin{array}{l} value = \#ArrayProto; \\ writable = \mathsf{false}; \\ enumerable = \mathsf{false}; \\ configurable = \mathsf{false} \end{array} \right\}, \\ \text{“}length\text{”} \mapsto \left\{ \begin{array}{l} value : n; \\ writable : \mathsf{true}; \\ enumerable : \mathsf{false}; \\ configurable : \mathsf{false} \end{array} \right\}, \\ @extensible \mapsto \mathsf{true} \end{array} \right\}$$

$\underline{\mathsf{NewArgObject}}$: Number $\to$ Obj

$$\underline{\mathsf{NewArgObject}}(n) = \left\{ \begin{array}{l} @class \mapsto \text{“}Arguments\text{”}, \\ @proto \mapsto \left\{ \begin{array}{l} value = \#ObjProto; \\ writable = \mathsf{false}; \\ enumerable = \mathsf{false}; \\ configurable = \mathsf{false} \end{array} \right\}, \\ \text{“}length\text{”} \mapsto \left\{ \begin{array}{l} value : n; \\ writable : \mathsf{true}; \\ enumerable : \mathsf{false}; \\ configurable : \mathsf{true} \end{array} \right\}, \\ @extensible \mapsto \mathsf{true} \end{array} \right\}$$

$\underline{\mathsf{NewBoolean}}$: Bool $\to$ Obj

$$\underline{\mathsf{NewBoolean}}(v) = \left\{ \begin{array}{l} @class \mapsto \text{“}Boolean\text{”}, \\ @proto \mapsto \left\{ \begin{array}{l} value = \#BoolProto; \\ writable = \mathsf{false}; \\ enumerable = \mathsf{false}; \\ configurable = \mathsf{false} \end{array} \right\}, \\ @extensible \mapsto \mathsf{true}, \\ @primitive \mapsto v \end{array} \right\}$$

$\underline{\mathsf{NewNumber}}$: Number $\to$ Obj

$$\underline{\mathsf{NewNumber}}(v) = \left\{ \begin{array}{l} @class \mapsto \text{“}Number\text{”}, \\ @proto \mapsto \left\{ \begin{array}{l} value = \#NumProto; \\ writable = \mathsf{false}; \\ enumerable = \mathsf{false}; \\ configurable = \mathsf{false} \end{array} \right\}, \\ @extensible \mapsto \mathsf{true}, \\ @primitive \mapsto v \end{array} \right\}$$

$\underline{\mathsf{NewString}}$: String $\to$ Obj

$\underline{\mathsf{NewString}}(s) = o_1 \cup o_2$

where $v_{len} = length(s)$

$$\wedge\, o_1 = \left\{ \begin{array}{l} @class \mapsto \text{“}String\text{”}, \\ @proto \mapsto \left\{ \begin{array}{l} value = \#StrProto; \\ writable = \mathsf{false}; \\ enumerable = \mathsf{false}; \\ configurable = \mathsf{false} \end{array} \right\}, \\ @extensible \mapsto \mathsf{true}, \\ @primitive \mapsto s, \\ \text{“}length\text{”} \mapsto \left\{ \begin{array}{l} value = v_{len}; \\ writable = \mathsf{false}; \\ enumerable = \mathsf{false}; \\ configurable = \mathsf{false} \end{array} \right\} \end{array} \right\}$$

$$\wedge\, o_2 = \left\{ \text{“}i\text{”} \mapsto \left\{ \begin{array}{l} value = v_{char}; \\ writable = \mathsf{false}; \\ enumerable = \mathsf{true}; \\ configurable = \mathsf{false} \end{array} \right\} \;\middle|\; 0 \leq i < v_{len} \wedge\ v_{char} = charAt(s, i) \right\}$$

$\underline{\mathsf{IsCallable}}$: Heap $\times$ Loc $\to$ Bool

$$\underline{\mathsf{IsCallable}}(H, l) = \left\{ \begin{array}{ll} \mathsf{true} & \text{if } @function \in \underline{\mathsf{Dom}}(H(l)) \\ \mathsf{false} & \text{otherwise} \end{array} \right.$$

HasConstruct : Heap $\times$ Loc $\to$ Bool

$$\underline{\mathsf{HasConstruct}}(H, l) = \begin{cases} \mathsf{true} & \text{if } @construct \in \underline{\mathsf{Dom}}(H(l)) \\ \mathsf{false} & \text{otherwise} \end{cases}$$

newLocation : Unit $\to$ Loc

$$\underline{\mathsf{newLocation}}() = l_{new}$$

toNumber : PValue $\to$ Number

$$\underline{\mathsf{toNumber}}(pv) = \begin{cases} \mathsf{NaN} & \text{if } pv = \mathsf{undefined} \\ \mathsf{0} & \text{if } pv = \mathsf{null} \vee pv = \mathsf{false} \\ \mathsf{1} & \text{if } pv = \mathsf{true} \\ pv & \text{if } pv \in \mathsf{Number} \\ \underline{\mathsf{Str2Num}}(pv) & \text{if } pv \in \mathsf{String} \end{cases}$$

toString : PValue $\to$ String

$$\underline{\mathsf{toString}}(pv) = \begin{cases} \text{“}undefined\text{”} & \text{if } pv = \mathsf{undefined} \\ \text{“}null\text{”} & \text{if } pv = \mathsf{null} \\ \text{“}pv\text{”} & \text{if } pv \in \mathsf{Boolean} \\ \text{“}pv\text{”} & \text{if } pv \in \mathsf{Number} \\ pv & \text{if } pv \in \mathsf{String} \end{cases}$$

toBoolean : Value $\to$ Bool

$$\underline{\mathsf{toBoolean}}(v) = \begin{cases} \mathsf{false} & \text{if } v = \mathsf{undefined} \\ \mathsf{false} & \text{if } v = \mathsf{null} \\ v & \text{if } v \in \mathsf{Boolean} \\ \mathsf{false} & \text{if } v \in \mathsf{Number} \wedge v \in \{\ \mathsf{0}, \mathsf{NaN}\ \} \\ \mathsf{true} & \text{if } v \in \mathsf{Number} \wedge v \notin \{\ \mathsf{0}, \mathsf{NaN}\ \} \\ \mathsf{false} & \text{if } v \in \mathsf{String} \wedge v = \text{“”} \\ \mathsf{true} & \text{if } v \in \mathsf{String} \wedge v \neq \text{“”} \\ \mathsf{true} & \text{if } v \in \mathsf{Loc} \end{cases}$$

toPrimitive : Value $\to$ PValue

$$\underline{\mathsf{toPrimitive}}(v) = \begin{cases} v & \text{if } v \notin \mathsf{Loc} \\ \underline{\mathsf{Obj2Str}}(v) & \text{if } v \in \mathsf{Loc} \end{cases}$$

toObject : Heap $\times$ Value $\to$ Heap $\times$ Value $\cup$ Exception

$$\underline{\mathsf{toObject}}(H, l) = (H, l)$$

$$\underline{\mathsf{toObject}}(H, v) = (H, \mathsf{TypeError}) \quad \text{if } v \in \{\ \mathsf{undefined}, \mathsf{null}\ \}$$

$$\underline{\mathsf{toObject}}(H, v) = (H_1, l_{new})$$

$$\text{where } o = \begin{cases} \underline{\mathsf{NewString}}(v) & \text{if } v \in \mathsf{String} \\ \underline{\mathsf{NewNumber}}(v) & \text{if } v \in \mathsf{Number} \\ \underline{\mathsf{NewBoolean}}(v) & \text{if } v \in \mathsf{Bool} \end{cases}$$

$$H_1 = H[l_{new} \mapsto o]$$

$$l_{new} = \underline{\mathsf{newLocation}}()$$

$\underline{\mathsf{getThis}}$: $\mathsf{Value} \to \mathsf{Loc}$

$$\underline{\mathsf{getThis}}(v) = \begin{cases} \#Global & \text{if } v = \mathsf{undefined} \\ \#Global & \text{if } v = \mathsf{null} \\ \#Global & \text{if } v \in \mathsf{Loc} \wedge \neg \underline{\mathsf{IsObject}}(v) \\ v & \text{if } v \in \mathsf{Loc} \wedge \underline{\mathsf{IsObject}}(v) \end{cases}$$

$\underline{\mathsf{inherit}}$: $\mathsf{Heap} \times \mathsf{Loc} \times \mathsf{Loc} \to \mathsf{Value}$

$$\underline{\mathsf{inherit}}(H, l_1, l_2) = \begin{cases} \mathsf{true} & \text{if } l_1 = l_2 \\ \mathsf{false} & \text{if } l_1 \neq l_2 \wedge H(l_1)(@proto).value = \mathsf{null} \\ \underline{\mathsf{inherit}}(H, H(l_1)(@proto).value, l_2) & \text{if } l_1 \neq l_2 \wedge H(l_1)(@proto).value \neq \mathsf{null} \end{cases}$$

$\underline{\mathsf{iteratorInit}}$: $\mathsf{Obj} \times \wp(\mathsf{Prop}) \times \mathsf{Number} \to \mathsf{Obj}$

$$\underline{\mathsf{iteratorInit}}(o, P, n) = \begin{cases} \{@i \mapsto 0\} \\ \quad \text{if } P = \emptyset \\ \underline{\mathsf{iteratorInit}}(o, P - x, n+1)[n \mapsto x] \\ \quad \text{if } x \in P \end{cases}$$

$\underline{\mathsf{collectProps}}$: $\mathsf{Heap} \times \mathsf{Loc} \to \wp(\mathsf{Loc})$

$$\underline{\mathsf{collectProps}}(H, l) = \begin{cases} \underline{\mathsf{Dom}}(H(l)) \cup \underline{\mathsf{CollectProps}}(H, H(l)(@proto).value) & \text{if } H(l)(@proto).value \neq \mathsf{null} \\ \{\} & \text{if } H(l)(@proto).value = \mathsf{null} \end{cases}$$

$\underline{\mathsf{isEnumerable}}$: $\mathsf{Heap} \times \mathsf{Loc} \times \mathsf{Prop} \to \mathsf{Bool}$

$$\underline{\mathsf{isEnumerable}}(H, l, x) = \begin{cases} H(l)(x).enumerable \\ \quad \text{if } x \in \underline{\mathsf{Dom}}(H(l)) \\ \underline{\mathsf{isEnumerable}}(H, H(l)(@proto).value, x) \\ \quad \text{if } x \notin \underline{\mathsf{Dom}}(H(l)) \wedge H(l)(@proto).value \neq \mathsf{null} \\ \mathsf{false} \\ \quad \text{if } x \notin \underline{\mathsf{Dom}}(H(l)) \wedge H(l)(@proto).value = \mathsf{null} \end{cases}$$

$\underline{\mathsf{next}}$: $\mathsf{Heap} \times \mathsf{Obj} \times \mathsf{Number} \times \mathsf{Loc} \to \mathsf{Number}$

$$\underline{\mathsf{next}}(H, o_{iter}, n, l) = \begin{cases} n & \text{if } n \notin \underline{\mathsf{Dom}}(o_{iter}) \\ n & \text{if } n \in \underline{\mathsf{Dom}}(o_{iter}) \wedge \underline{\mathsf{isEnumerable}}(H, l, o_{iter}(n)) \\ \underline{\mathsf{next}}(H, o_{iter}, n+1, l) & \text{otherwise} \end{cases}$$

$\underline{\mathsf{NewExceptionObject}}$: $\mathsf{Exception} \to \mathsf{Obj}$

$$\underline{\mathsf{NewExceptionObject}}(exc) = \underline{\mathsf{NewObject}}(l)$$
$$\text{where } l = \begin{cases} \#RefErrProto & \text{if } exc = \mathsf{ReferenceError} \\ \#RangeErrProto & \text{if } exc = \mathsf{RangeError} \\ \#TypeErrProto & \text{if } exc = \mathsf{TypeError} \end{cases}$$

$\underline{\mathsf{RaiseException}}$: $\mathsf{Heap} \times \mathsf{Exception} \cup \mathsf{Value} \to \mathsf{Heap}$

$$\underline{\mathsf{RaiseException}}(H, v) = H_1$$
$$\text{where } H_1 = H[\#temp \mapsto H(\#temp)[@exception \mapsto v]]$$
$$\underline{\mathsf{RaiseException}}(H, exc) = H_2$$
$$\text{where } l_e = \underline{\mathsf{newLocation}}()$$
$$H_1 = H[l_e \mapsto \underline{\mathsf{NewExceptionObject}}(exc)]$$
$$H_2 = H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]]$$

8.3 Semantics

$$
\begin{array}{rcl}
\mathcal{C} & \in & \mathsf{ControlPoint} \to \mathsf{Command} \to \wp(\mathsf{State}) \to \wp(\mathsf{State}) \\
\mathcal{I} & \in & \mathsf{ControlPoint} \to \mathsf{Instruction} \to \mathsf{State} \to \mathsf{State} \\
\mathcal{V} & \in & \mathsf{Expression} \to \mathsf{State} \to \mathsf{Value} \cup \mathsf{Exception} \\
\mathcal{B} & \in & \mathsf{Expression} \to \mathsf{State} \to \mathsf{State}
\end{array}
$$

$$
\mathcal{C}_{cp}[\![\mathsf{entry}]\!]S = \bigcup \{\ (H_1, A) \mid (H, A) \in S\ \}
$$
where $(fid_{this}, \mathsf{ENTRY}) = cp \wedge l = \underline{\mathsf{TopStack}}(A)$
$\wedge\ x^*_{argvar} = \underline{\mathsf{getArgVars}}_P(fid_{this})\ \wedge\ x^*_{localvar} = \underline{\mathsf{getLocalVars}}_P(fid_{this})$

$$
\wedge\ H_1 = H\left[l \mapsto H(l)\left[\begin{array}{l}\left(x_{argvar} \mapsto \left\{\begin{array}{l} value = \mathsf{undefined}; writable = \mathsf{true}; \\ enumerable = \mathsf{false}; configurable = \mathsf{false}\end{array}\right\}\right)^*, \\ \left(x_{localvar} \mapsto \left\{\begin{array}{l} value = \mathsf{undefined}; writable = \mathsf{true}; \\ enumerable = \mathsf{true}; configurable = \mathsf{false}\end{array}\right\}\right)^*\end{array}\right]\right]
$$

$$
\mathcal{C}_{cp}[\![\mathsf{exit}]\!]S = S
$$

$$
\mathcal{C}_{cp}[\![\mathsf{exit\text{-}exc}]\!]S = S
$$

$$
\mathcal{C}_{cp}[\![i^+]\!]S = \bigcup \{\ (\mathcal{I}_{cp}[\![i]\!](H, A))^+ \mid (H, A) \in S\ \}
$$

$$
\mathcal{I}_{cp}[\![i]\!](H, A) = (H, A) \quad \text{if} \quad \underline{\mathsf{HasProperty}}(H, \#temp, @exception) \vee (H, A) = \mathsf{stuck}
$$

** if e is None, v is considered like a value which is not an element of Loc.*

$$
\mathcal{I}_{cp}[\![x\texttt{:=alloc}\,(e^?)\,]\!](H, A) = (H_2, A) \quad \text{if} \quad v = \mathcal{V}[\![e]\!](H, A)
$$
where $l_{new} = \underline{\mathsf{newLocation}}()$

$$
l_p = \left\{\begin{array}{ll} v & \text{if } v \in \mathsf{Loc} \\ \#ObjProto & \text{otherwise}\end{array}\right.
$$

$H_1 = H[l_{new} \mapsto \underline{\mathsf{NewObject}}(l_p)]$
$H_2 = \underline{\mathsf{VarStoreE}}(H_1, A, x, l_{new}, \mathsf{true})$

$$
\mathcal{I}_{cp}[\![x\texttt{:=alloc}\,(e^?)\,]\!](H, A) = (H_1, A) \quad \text{if} \quad exc = \mathcal{V}[\![e]\!](H, A)
$$
where $H_1 = \underline{\mathsf{RaiseException}}(H, exc)$

$$
\mathcal{I}_{cp}[\![x\texttt{:=allocArray (n)}\,]\!](H, A) = (H_2, A)
$$
where $l_{new} = \underline{\mathsf{newLocation}}()$
$n = \mathcal{V}[\![\texttt{n}]\!](H, A)$
$H_1 = H[l_{new} \mapsto \underline{\mathsf{NewArrayObject}}(n)]$
$H_2 = \underline{\mathsf{VarStoreE}}(H_1, A, x, l_{new}, \mathsf{true})$

$$
\mathcal{I}_{cp}[\![x\texttt{:=allocArg (n)}\,]\!](H, A) = (H_2, A)
$$
where $l_{new} = \underline{\mathsf{newLocation}}()$
$n = \mathcal{V}[\![\texttt{n}]\!](H, A)$
$H_1 = H[l_{new} \mapsto \underline{\mathsf{NewArgObject}}(n)]$
$H_2 = \underline{\mathsf{VarStoreE}}(H_1, A, x, l_{new}, \mathsf{true})$

$$
\mathcal{I}_{cp}[\![x\texttt{:=}e]\!](H, A) = (H_1, A) \quad \text{if} \quad v = \mathcal{V}[\![e]\!](H, A)
$$
where $H_1 = \underline{\mathsf{VarStoreE}}(H, A, x, v, \mathsf{true})$

$$
\mathcal{I}_{cp}[\![x\texttt{:=}e]\!](H, A) = (H_1, A) \quad \text{if} \quad exc = \mathcal{V}[\![e]\!](H, A)
$$
where $H_1 = \underline{\mathsf{RaiseException}}(H, exc)$

$$
\mathcal{I}_{cp}[\![x_1\texttt{:=delete (}x_2\texttt{)}\,]\!](H, A) = (H_2, A)
$$
where $l_{base} = \underline{\mathsf{LookupBase}}(H, A, x_2)$
$(H_1, b) = \underline{\mathsf{Delete}}(H, l_{base}, x_2)$
$H_2 = \underline{\mathsf{VarStoreE}}(H_1, A, x_1, b, \mathsf{true})$

$$
\mathcal{I}_{cp}[\![x\texttt{:=delete (}e\texttt{)}\,]\!](H, A) = (H_1, A) \quad \text{if} \quad v = \mathcal{V}[\![e]\!](H, A)
$$
where $H_1 = \underline{\mathsf{VarStoreE}}(H, A, x, \mathsf{true}, \mathsf{true})$

$$
\mathcal{I}_{cp}[\![x\texttt{:=delete (}e\texttt{)}\,]\!](H, A) = (H_1, A) \quad \text{if} \quad exc = \mathcal{V}[\![e]\!](H, A)
$$
where $H_1 = \underline{\mathsf{RaiseException}}(H, exc)$

$$
\mathcal{I}_{cp}[\![x\texttt{:=delete (}e_1\texttt{,}\,e_2\texttt{)}\,]\!](H, A) = (H_2, A)
$$
where $l = \mathcal{V}[\![e_1]\!](H, A)\ \wedge\ s = \mathcal{V}[\![e_2]\!](H, A)$
$(H_1, b) = \underline{\mathsf{Delete}}(H, l, s)$
$H_2 = \underline{\mathsf{VarStoreE}}(H_1, A, x, b, \mathsf{true})$

$$\mathcal{I}_{cp}[\![e_1\,[\,e_2\,]\!=\!e_3]\!](H,A) = (H_1, A) \quad \text{if } exc = \mathcal{V}[\![e_3]\!](H,A)$$
$$\text{where } H_1 = \underline{\mathsf{RaiseException}}(H, exc)$$

$$\mathcal{I}_{cp}[\![e_1\,[\,e_2\,]\!=\!e_3]\!](H,A) = (H_1, A) \quad \text{if } \neg\mathsf{IsArray}(H,l) \wedge \underline{\mathsf{CanPut}}(H,l,x)$$
$$\text{where } l = \mathcal{V}[\![e_1]\!](H,A)$$
$$x = \mathcal{V}[\![e_2]\!](H,A)$$
$$v = \mathcal{V}[\![e_3]\!](H,A)$$
$$H_1 = \underline{\mathsf{PropStore}}(H,l,x,v)$$
$$\mathcal{I}_{cp}[\![e_1\,[\,e_2\,]\!=\!e_3]\!](H,A) = (H_2, A) \quad \text{if } \mathsf{IsArray}(H,l) \wedge \underline{\mathsf{CanPut}}(H,l,v_{idx}) \wedge \underline{\mathsf{IsArrayIndex}}(v_{idx})$$
$$\text{where } l = \mathcal{V}[\![e_1]\!](H,A)$$
$$v_{idx} = \mathcal{V}[\![e_2]\!](H,A)$$
$$v = \mathcal{V}[\![e_3]\!](H,A)$$
$$n_{oldLen} = \underline{\mathsf{Proto}}(H,l,\text{“}length\text{”})$$
$$H_1 = H[l \mapsto H(l)[v_{idx} \mapsto \{\ value = v; writable = \mathsf{true}; enumerable = \mathsf{true}; configurable = \mathsf{true}\ \}]]$$
$$H_2 = \begin{cases} H_1[l \mapsto H_1(l)[\text{“}length\text{”} \mapsto H(l)(\text{“}length\text{”}) \text{ with } value = v_{idx}+1]] & \text{if } n_{oldLen} \leq v_{idx} \\ H_1 & \text{otherwise} \end{cases}$$

$$\mathcal{I}_{cp}[\![e_1\,[\,\text{“}length\text{”}\,]\!=\!e_2]\!](H,A) = (H_2, A) \quad \text{if } \mathsf{IsArray}(H,l) \wedge \underline{\mathsf{CanPut}}(H,l,\text{“}length\text{”}) \wedge n_{newLen} \geq 0$$
$$\text{where } l = \mathcal{V}[\![e_1]\!](H,A)$$
$$n_{oldLen} = \underline{\mathsf{Proto}}(H,l,\text{“}length\text{”})$$
$$n_{newLen} = \underline{\mathsf{toNumber}}(\mathcal{V}[\![e_2]\!](H,A))$$
$$H_1 = H[l \mapsto H(l)[\text{“}length\text{”} \mapsto H(l)(\text{“}length\text{”}) \text{ with } value = n_{newLen}]]$$
$$H_2 = \begin{cases} \bigsqcup_{x=n_{oldLen}-1 \text{ to } n_{newLen}} \underline{\mathsf{Delete}}(H_1,l,x) & \text{if } n_{newLen} < n_{oldLen} \\ H_1 & \text{otherwise} \end{cases}$$
$$\mathcal{I}_{cp}[\![e_1\,[\,\text{“}length\text{”}\,]\!=\!e_2]\!](H,A) = (H_1, A) \quad \text{if } \mathsf{IsArray}(H,l) \wedge \left(n_{newLen} < 0 \vee n_{newLen} \in \{\ \mathsf{NaN}, \mathsf{Inf}, -\mathsf{Inf}\ \}\right)$$
$$\text{where } l = \mathcal{V}[\![e_1]\!](H,A)$$
$$n_{newLen} = \underline{\mathsf{toNumber}}(\mathcal{V}[\![e_2]\!](H,A))$$
$$H_1 = \underline{\mathsf{RaiseException}}(H, \mathsf{RangeError})$$

$$\mathcal{I}_{cp}[\![e_1\,[\,e_2\,]\!=\!e_3]\!](H,A) = (H,A) \quad \text{if } \neg\underline{\mathsf{CanPut}}(H,l,x) \wedge v = \mathcal{V}[\![e_3]\!](H,A)$$
$$\text{where } l = \mathcal{V}[\![e_1]\!](H,A)$$
$$x = \mathcal{V}[\![e_2]\!](H,A)$$

$$\mathcal{I}_{cp}[\![x_1 \texttt{:=function}\ x_2^?\ (fid)\ ]\!](H,A) = \left(H_1 \left[\begin{array}{l} l_{new1} \mapsto \underline{\mathsf{NewFunctionObject}}(fid, A_1, l_{new2}, n), \\ l_{new2} \mapsto o_{new} \left[\text{“}constructor\text{”} \mapsto \left\{ \begin{array}{l} value = l_{new1}; \\ writable = \mathsf{true}; \\ enumerable = \mathsf{false}; \\ configurable = \mathsf{true} \end{array} \right\} \right] \end{array} \right], A_1 \right)$$
$$\text{where } l = \underline{\mathsf{TopStack}}(A) \wedge l_{new1} = \underline{\mathsf{newLocation}}() \wedge l_{new2} = \underline{\mathsf{newLocation}}() \wedge l_{new3} = \underline{\mathsf{newLocation}}()$$
$$H_1 = \underline{\mathsf{VarStoreE}}(H, A, x_1, l_{new1}, \mathsf{true})$$
$$\wedge\ o_{new} = \underline{\mathsf{NewObject}}(\#ObjProto)$$
$$\wedge\ l_{new3} = \{\ x_2 \mapsto \{\ value = l_{new1}; writable = \mathsf{false}; enumerable = \mathsf{false}; configurable = \mathsf{false}\ \}\ \}$$
$$\wedge\ A_1 = \underline{\mathsf{PushStack}}(A, l_{new3})$$
$$\wedge\ n = |\underline{\mathsf{getArgVars}}_P(fid)|$$

$$\mathcal{I}_{cp}[\![\texttt{construct}\,(e_1,e_2,e_3)\,]\!](H,A) = \left(H \left[\begin{array}{l} l_{arg} \mapsto H(l_{arg}) \left[callee \mapsto \left\{ \begin{array}{l} value = l_{fun}; \\ writable = \mathsf{true}; \\ enumerable = \mathsf{false}; \\ configurable = \mathsf{true} \end{array} \right\} \right], \\ l_{new} \mapsto \left\{ \begin{array}{l} arguments \mapsto \left\{ \begin{array}{l} value = v_{arg}; \\ writable = \mathsf{true}; \\ enumerable = \mathsf{false}; \\ configurable = \mathsf{false} \end{array} \right\}, \\ @this \mapsto value = l_{this}, \\ @up \mapsto A, \\ @return \mapsto H(\#temp)(@return), \end{array} \right\} \end{array} \right], A_1 \right)$$

where $\underline{\mathsf{HasConstruct}}(H, \mathcal{V}[\![e_1]\!](H,A)) \wedge A_1 = \underline{\mathsf{PushStack}}(\mathcal{V}[\![e_1\,[@scope]\,]\!](H,A), l_{new})$
$\wedge\, l = \mathcal{V}[\![e_1]\!](H,A)$
$\wedge\, arguments = \underline{\mathsf{getArgumentsName}}_P(fid_{callee})$
$\wedge\, v_{arg} = \mathcal{V}[\![e_3]\!](H,A)$
$\wedge\, l_{this} = \underline{\mathsf{getThis}}(\mathcal{V}[\![e_2]\!](H,A))$
$\wedge\, l_{new} = \underline{\mathsf{newLocation}}() \;\wedge\; fid_{callee} = \mathcal{V}[\![e_1\,[@construct]\,]\!](H,A)$
$\wedge\, cp_{\textit{after-call}} = \underline{\mathsf{getAftercallFromCall}}_P(cp)$
$\wedge \hookrightarrow := \hookrightarrow \cup \{\; (cp, (fid_{callee}, \mathsf{ENTRY})), ((fid_{callee}, \mathsf{EXIT}), cp_{\textit{after-call}}) \;\}$
$\wedge \overset{\mathsf{exc}}{\hookrightarrow} := \overset{\mathsf{exc}}{\hookrightarrow} \cup \{\; ((fid_{callee}, \mathsf{EXIT\text{-}EXC}), cp_{\textit{after-call}}) \;\}$
$\wedge\, \underline{\mathsf{BelongsTo}} := \underline{\mathsf{BelongsTo}} \cup \{\; (l_{new}, cp) \;\}$

$\mathcal{I}_{cp}[\![\texttt{construct}\,(e_1,e_2,e_3)\,]\!](H,A) = (H_1, A)$ if $\neg\underline{\mathsf{HasConstruct}}(H,v) \vee\; v \notin \mathsf{Loc}$
where $v = \mathcal{V}[\![e_1]\!](H,A)$
$H_1 = \underline{\mathsf{RaiseException}}(H, \mathsf{TypeError})$
$\mathcal{I}_{cp}[\![\texttt{construct}\,(e_1,e_2,e_3)\,]\!](H,A) = (H_1, A)$ if $exc = \mathcal{V}[\![e_1]\!](H,A)$
where $H_1 = \underline{\mathsf{RaiseException}}(H, exc)$

$$\mathcal{I}_{cp}[\![\texttt{call}\,(e_1,e_2,e_3)\,]\!](H,A) = \left(H \left[\begin{array}{l} l_{arg} \mapsto H(l_{arg}) \left[callee \mapsto \left\{ \begin{array}{l} value = l_{fun}; \\ writable = \mathsf{true}; \\ enumerable = \mathsf{false}; \\ configurable = \mathsf{true} \end{array} \right\} \right], \\ l_{new} \mapsto \left\{ \begin{array}{l} arguments \mapsto \left\{ \begin{array}{l} value = l_{arg}; \\ writable = \mathsf{true}; \\ enumerable = \mathsf{false}; \\ configurable = \mathsf{false} \end{array} \right\}, \\ @this \mapsto value = l_{this}, \\ @up \mapsto A, \\ @return \mapsto H(\#temp)(@return), \end{array} \right\} \end{array} \right], A_1 \right)$$

where $l_{fun} = \mathcal{V}[\![e_1]\!](H,A) \wedge\; \underline{\mathsf{IsCallable}}(H, l_{fun}) \wedge A_1 = \underline{\mathsf{PushStack}}(\mathcal{V}[\![e_1\,[@scope]\,]\!](H,A), l_{new})$
$\wedge\, arguments = \underline{\mathsf{getArgumentsName}}_P(fid_{callee})$
$\wedge\, l_{arg} = \mathcal{V}[\![e_3]\!](H,A)$
$\wedge\, l_{this} = \underline{\mathsf{getThis}}(\mathcal{V}[\![e_2]\!](H,A))$
$\wedge\, l_{new} = \underline{\mathsf{newLocation}}() \;\wedge\; fid_{callee} = \mathcal{V}[\![e_1\,[@function]\,]\!](H,A)$
$\wedge\, cp_{\textit{after-call}} = \underline{\mathsf{getAftercallFromCall}}_P(cp)$
$\wedge \hookrightarrow := \hookrightarrow \cup \{\; (cp, (fid_{callee}, \mathsf{ENTRY})), ((fid_{callee}, \mathsf{EXIT}), cp_{\textit{after-call}}) \;\}$
$\wedge \overset{\mathsf{exc}}{\hookrightarrow} := \overset{\mathsf{exc}}{\hookrightarrow} \cup \{\; ((fid_{callee}, \mathsf{EXIT\text{-}EXC}), cp_{\textit{after-call}}) \;\}$
$\wedge\, \underline{\mathsf{BelongsTo}} := \underline{\mathsf{BelongsTo}} \cup \{\; (l_{new}, cp) \;\}$

$\mathcal{I}_{cp}[\![\texttt{call}\,(e_1,e_2,e_3)\,]\!](H,A) = (H_1, A)$ if $\neg\underline{\mathsf{IsCallable}}(H,v) \vee\; v \notin \mathsf{Loc}$
where $v = \mathcal{V}[\![e_1]\!](H,A)$
$H_1 = \underline{\mathsf{RaiseException}}(H, \mathsf{TypeError})$
$\mathcal{I}_{cp}[\![\texttt{call}\,(e_1,e_2,e_3)\,]\!](H,A) = (H_1, A)$ if $exc = \mathcal{V}[\![e_1]\!](H,A)$
where $H_1 = \underline{\mathsf{RaiseException}}(H, exc)$

$\mathcal{I}_{cp}[\![\texttt{after-call}\,(x)\,]\!](H,A) = \mathsf{stuck} \quad \text{if} \quad \neg\underline{\mathsf{BelongsTo}}(l, cp_{call})$
where $l = \underline{\mathsf{TopStack}}(A)$
$cp_{call} = \underline{\mathsf{getCallFromAfterCall}}_P(cp)$

$\mathcal{I}_{cp}[\![\texttt{after-call}\,(x)\,]\!](H,A) = (H_2, A_1) \quad \text{if} \quad \underline{\mathsf{BelongsTo}}(l, cp_{call})$
where $l = \underline{\mathsf{TopStack}}(A)$
$cp_{call} = \underline{\mathsf{getCallFromAfterCall}}_P(cp)$
$A_1 = H(l)(@up)$
$H_1 = \underline{\mathsf{VarStoreE}}(H, A_1, x, H(\#temp)(@return), \mathsf{true})$
$H_2 = H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto H(l)(@return)]]$

$\mathcal{I}_{cp}[\![\texttt{assert}\,(e_1 \otimes e_2)\,]\!](H,A) = \mathcal{B}[\![e_1 \otimes e_2]\!](H,A)$

$\mathcal{I}_{cp}[\![\texttt{catch}\,(x)\,]\!](H,A) = (H_2, A)$
where $H_1 = \underline{\mathsf{VarStore}}(H, A, x, H(\#temp)(@exception), \mathsf{true})$,
$H_2 = \underline{\mathsf{Delete}}(H_1, \#temp, @exception)$

$\mathcal{I}_{cp}[\![\texttt{return}\,(e)\,]\!](H,A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto v]], A) \quad \text{if} \quad v = \mathcal{V}[\![e]\!](H,A)$
$\mathcal{I}_{cp}[\![\texttt{return}\,(e)\,]\!](H,A) = (H_1, A) \quad \text{if} \quad exc = \mathcal{V}[\![e]\!](H,A)$
where $H_1 = \underline{\mathsf{RaiseException}}(H, exc)$

$\mathcal{I}_{cp}[\![\texttt{return}\,()\,]\!](H,A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto \mathsf{undefined}]], A)$

$\mathcal{I}_{cp}[\![\texttt{throw}\,(e)\,]\!](H,A) = (H_2, A)$
where $H_1 = \underline{\mathsf{RaiseException}}(H, \mathcal{V}[\![e]\!](H,A))$,
$\wedge\ H_2 = H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto \mathsf{undefined}]]$

$\mathcal{I}_{cp}[\![x := \diamond\underline{\mathsf{toObject}}\,(e)\,]\!](H,A) = (H_2, A) \quad \text{if} \quad v = \mathcal{V}[\![e]\!](H,A) \ \wedge\ (H_1, l_{new}) = \underline{\mathsf{toObject}}(H, v)$
where $H_2 = \underline{\mathsf{VarStoreE}}(H_1, A, x, l_{new}, \mathsf{true})$
$\mathcal{I}_{cp}[\![x := \diamond\underline{\mathsf{toObject}}\,(e)\,]\!](H,A) = (H_1, A) \quad \text{if} \quad v = \mathcal{V}[\![e]\!](H,A) \ \wedge\ (\_, exc) = \underline{\mathsf{toObject}}(H, v)$
where $H_1 = \underline{\mathsf{RaiseException}}(H, exc)$
$\mathcal{I}_{cp}[\![x := \diamond\underline{\mathsf{toObject}}\,(e)\,]\!](H,A) = (H_1, A) \quad \text{if} \quad exc = \mathcal{V}[\![e]\!](H,A)$
where $H_1 = \underline{\mathsf{RaiseException}}(H, exc)$

$\mathcal{I}_{cp}[\![x := \diamond\underline{\mathsf{isObject}}\,(e)\,]\!](H,A) = (H_1, A) \quad \text{if} \quad l = \mathcal{V}[\![e]\!](H,A)$
where $H_1 = \underline{\mathsf{VarStoreE}}(H, A, x, \mathsf{true}, \mathsf{true})$
$\mathcal{I}_{cp}[\![x := \diamond\underline{\mathsf{isObject}}\,(e)\,]\!](H,A) = (H_1, A) \quad \text{if} \quad pv = \mathcal{V}[\![e]\!](H,A)$
where $H_1 = \underline{\mathsf{VarStoreE}}(H, A, x, \mathsf{false}, \mathsf{true})$
$\mathcal{I}_{cp}[\![x := \diamond\underline{\mathsf{isObject}}\,(e)\,]\!](H,A) = (H_1, A) \quad \text{if} \quad exc = \mathcal{V}[\![e]\!](H,A)$
where $H_1 = \underline{\mathsf{RaiseException}}(H, exc)$

$\mathcal{I}_{cp}[\![x := \diamond\underline{\mathsf{toString}}\,(e)\,]\!](H,A) = (H_1, A) \quad \text{if} \quad v = \mathcal{V}[\![e]\!](H,A)$
where $pv = \underline{\mathsf{toPrimitive}}(v)$
$H_1 = \underline{\mathsf{VarStoreE}}(H, A, x, \underline{\mathsf{toString}}(pv), \mathsf{true})$
$\mathcal{I}_{cp}[\![x := \diamond\underline{\mathsf{toString}}\,(e)\,]\!](H,A) = (H_1, A) \quad \text{if} \quad exc = \mathcal{V}[\![e]\!](H,A)$
where $H_1 = \underline{\mathsf{RaiseException}}(H, exc)$

$\mathcal{I}_{cp}[\![x := \diamond\underline{\mathsf{toNumber}}\,(e)\,]\!](H,A) = (H_1,A) \quad \text{if } l = \mathcal{V}[\![e]\!](H,A)$
where $pv = \underline{\mathsf{toPrimitive}}(l)$
$H_1 = \underline{\mathsf{VarStoreE}}(H,A,x,\underline{\mathsf{toNumber}}(pv),\mathsf{true})$
$\mathcal{I}_{cp}[\![x := \diamond\underline{\mathsf{toNumber}}\,(e)\,]\!](H,A) = (H_1,A) \quad \text{if } pv = \mathcal{V}[\![e]\!](H,A)$
where $H_1 = \underline{\mathsf{VarStoreE}}(H,A,x,\underline{\mathsf{toNumber}}(pv),\mathsf{true})$
$\mathcal{I}_{cp}[\![x := \diamond\underline{\mathsf{toNumber}}\,(e)\,]\!](H,A) = (H_1,A) \quad \text{if } exc = \mathcal{V}[\![e]\!](H,A)$
where $H_1 = \underline{\mathsf{RaiseException}}(H,exc)$

$\mathcal{I}_{cp}[\![x := \diamond\underline{\mathsf{toBoolean}}\,(e)\,]\!](H,A) = (H_1,A) \quad \text{if } v = \mathcal{V}[\![e]\!](H,A)$
where $H_1 = \underline{\mathsf{VarStoreE}}(H,A,x,\underline{\mathsf{toBoolean}}(v),\mathsf{true})$
$\mathcal{I}_{cp}[\![x := \diamond\underline{\mathsf{toBoolean}}\,(e)\,]\!](H,A) = (H_1,A) \quad \text{if } exc = \mathcal{V}[\![e]\!](H,A)$
where $H_1 = \underline{\mathsf{RaiseException}}(H,exc)$

$\mathcal{I}_{cp}[\![x_1 := \diamond\underline{\mathsf{getBase}}\,(x_2)\,]\!](H,A) = (H_1,A)$
where $l_{base} = \underline{\mathsf{LookupBase}}(H,A,x_2)$
$H_1 = \underline{\mathsf{VarStoreE}}(H,A,x_1,l_{base},\mathsf{true})$

$\mathcal{I}_{cp}[\![x := \diamond\underline{\mathsf{iteratorInit}}\,(e)\,]\!](H,A) = (H_2,A)$
where $l = \mathcal{V}[\![e]\!](H,A)$
$P = \underline{\mathsf{collectProps}}(H,l)$
$o_{new} = \underline{\mathsf{iteratorInit}}(H(l),P,0)$
$l_{new} = \underline{\mathsf{newLocation}}()$
$H_1 = H[l_{new} \mapsto o_{new}]$
$H_2 = \underline{\mathsf{VarStoreE}}(H_1,A,x,l_{new},\mathsf{true})$

$\mathcal{I}_{cp}[\![x_1 := \diamond\underline{\mathsf{iteratorHasNext}}\,(e,x_2)\,]\!](H,A) = (H_1,A)$
where $l_1 = \mathcal{V}[\![x_2]\!](H,A)$
$l_2 = \mathcal{V}[\![e]\!](H,A)$
$i = \underline{\mathsf{next}}(H,H(l_1),H(l_1)(@i),l_2)$
$b = \begin{cases} \mathsf{true} & \text{if } i \in \underline{\mathsf{Dom}}(H(l_1)) \\ \mathsf{false} & \text{otherwise} \end{cases}$
$H_1 = \underline{\mathsf{VarStoreE}}(H,A,x_1,b,\mathsf{true})$

$\mathcal{I}_{cp}[\![x_1 := \diamond\underline{\mathsf{iteratorNext}}\,(e,x_2)\,]\!](H,A) = (H_2,A)$
where $l_1 = \mathcal{V}[\![x_2]\!](H,A)$
$l_2 = \mathcal{V}[\![e]\!](H,A)$
$i = \underline{\mathsf{next}}(H,H(l_1),H(l_1)(@i),l_2)$
$v = H(l_1)(\underline{\mathsf{toString}}(i)))$
$H_1 = H[l_1 \mapsto H(l_1)[@i \mapsto i+1]]$
$H_2 = \underline{\mathsf{VarStoreE}}(H_1,A,x_1,v,\mathsf{true})$

$\mathcal{V}[\![x]\!](H,A) = \underline{\mathsf{Lookup}}(H,A,x)$

$\mathcal{V}[\![e_1 \otimes e_2]\!](H,A) = v_1 \otimes v_2 \quad \text{if } v_1 = \mathcal{V}[\![e_1]\!](H,A) \wedge\ v_2 = \mathcal{V}[\![e_2]\!](H,A)$
$\mathcal{V}[\![e_1 \otimes e_2]\!](H,A) = exc \quad \text{if } exc = \mathcal{V}[\![e_1]\!](H,A)$
$\mathcal{V}[\![e_1 \otimes e_2]\!](H,A) = exc \quad \text{if } v = \mathcal{V}[\![e_1]\!](H,A) \wedge\ exc = \mathcal{V}[\![e_2]\!](H,A)$

$\mathcal{V}[\![\ominus e]\!](H,A) = \ominus v \quad \text{if } v = \mathcal{V}[\![e]\!](H,A)$
$\mathcal{V}[\![\ominus e]\!](H,A) = exc \quad \text{if } exc = \mathcal{V}[\![e]\!](H,A)$

$\mathcal{V}[\![e_1\,[\,e_2\,]\,]\!](H,A) = v \quad \text{where } l = \mathcal{V}[\![e_1]\!](H,A) \wedge s = \mathcal{V}[\![e_2]\!](H,A) \wedge v = \underline{\mathsf{Proto}}(H,l,s)$

$\mathcal{V}[\![\mathrm{n}]\!](H,A) = n$

$\mathcal{V}[\![\text{“s”}]\!](H,A) = s$

$$\mathcal{V}[\![\texttt{true}]\!](H,A) = \mathsf{true}$$

$$\mathcal{V}[\![\texttt{false}]\!](H,A) = \mathsf{false}$$

$$\mathcal{V}[\![\texttt{null}]\!](H,A) = \mathsf{null}$$

$$\mathcal{V}[\![\texttt{this}]\!](H,A) = l_{this} \quad \text{where } l_{this} = H(l)(@this) \wedge l = \underline{\mathsf{TopStack}}(A)$$

$$\begin{array}{l}
\mathcal{V}[\![e_1\ \texttt{instanceof}\ e_2]\!](H,A) = \underline{\mathsf{inherit}}(H, H(l_1)(@proto), l_3) \\
\quad \text{where } \underline{\mathsf{HasConstruct}}(H,l_2) \\
\qquad \wedge\, l_1 = \mathcal{V}[\![e_1]\!](H,A) \wedge\ l_2 = \mathcal{V}[\![e_2]\!](H,A) \\
\qquad \wedge\, l_3 = \underline{\mathsf{Proto}}(H,l_2,\text{“}prototype\text{”}) \\
\mathcal{V}[\![e_1\ \texttt{instanceof}\ e_2]\!](H,A) = \mathsf{false} \\
\quad \text{where } \underline{\mathsf{HasConstruct}}(H,l_2) \\
\qquad \wedge\, \mathcal{V}[\![e_1]\!](H,A) \in \mathsf{PValue} \wedge\ l_2 = \mathcal{V}[\![e_2]\!](H,A) \\
\mathcal{V}[\![e_1\ \texttt{instanceof}\ e_2]\!](H,A) = \mathsf{TypeError} \\
\quad \text{where } \mathcal{V}[\![e_2]\!](H,A) \in \mathsf{PValue} \vee\ (\neg\underline{\mathsf{HasConstruct}}(H,l_2) \wedge l_2 = \mathcal{V}[\![e_2]\!](H,A)) \\
\mathcal{V}[\![e_1\ \texttt{instanceof}\ e_2]\!](H,A) = \mathsf{TypeError} \\
\quad \text{where } \underline{\mathsf{HasConstruct}}(H,l_2) \wedge\ l_2 = \mathcal{V}[\![e_2]\!](H,A) \wedge\ \underline{\mathsf{Proto}}(H,l_2,\text{“}prototype\text{”}) \in \mathsf{PValue} \\
\mathcal{V}[\![e_1\ \texttt{instanceof}\ e_2]\!](H,A) = exc \\
\quad \text{where } exc = \mathcal{V}[\![e_1]\!](H,A) \in \mathsf{Exception} \\
\mathcal{V}[\![e_1\ \texttt{instanceof}\ e_2]\!](H,A) = exc \\
\quad \text{where } v = \mathcal{V}[\![e_1]\!](H,A)\ \wedge\ exc = \mathcal{V}[\![e_2]\!](H,A) \in \mathsf{Exception}
\end{array}$$

$$\begin{array}{l}
\mathcal{V}[\![e_1\ \texttt{in}\ e_2]\!](H,A) = \underline{\mathsf{HasProperty}}(H,l,x) \\
\quad \text{where } v = \mathcal{V}[\![e_1]\!](H,A) \wedge\ l = \mathcal{V}[\![e_2]\!](H,A) \\
\qquad \wedge\, x = \underline{\mathsf{toString}}(\underline{\mathsf{toPrimitive}}(v)) \\
\mathcal{V}[\![e_1\ \texttt{in}\ e_2]\!](H,A) = \mathsf{TypeError} \\
\quad \text{where } \mathcal{V}[\![e_1]\!](H,A) \in \mathsf{Value} \wedge\ \mathcal{V}[\![e_2]\!](H,A) \in \mathsf{PValue} \\
\mathcal{V}[\![e_1\ \texttt{in}\ e_2]\!](H,A) = \mathcal{V}[\![e_1]\!](H,A) \\
\quad \text{where } \mathcal{V}[\![e_1]\!](H,A) \in \mathsf{Exception} \\
\mathcal{V}[\![e_1\ \texttt{in}\ e_2]\!](H,A) = exc \\
\quad \text{where } v = \mathcal{V}[\![e_1]\!](H,A)\ \wedge\ exc = \mathcal{V}[\![e_2]\!](H,A)
\end{array}$$

$$\begin{array}{l}
\mathcal{V}[\![\texttt{typeof}\ e]\!](H,A) = \underline{\mathsf{TypeTag}}(H,v) \quad \text{if } v = \mathcal{V}[\![e]\!](H,A) \\
\mathcal{V}[\![\texttt{typeof}\ e]\!](H,A) = exc \quad \text{if } exc = \mathcal{V}[\![e]\!](H,A)
\end{array}$$

$$\begin{array}{l}
\mathcal{B}[\![e]\!](H,A) = S \\
\quad \text{where } \mathcal{V}[\![e]\!](H,A) = v \\
\qquad S = \begin{cases} (H,A) & \underline{\mathsf{toBoolean}}(v) = \mathsf{true} \\ \mathsf{stuck} & \underline{\mathsf{toBoolean}}(v) = \mathsf{false} \end{cases} \\
\mathcal{B}[\![e]\!](H,A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A) \\
\quad \text{where } \mathcal{V}[\![e]\!](H,A) = exc \\
\qquad l_e = \underline{\mathsf{newLocation}}() \\
\qquad H_1 = H[l_e \mapsto \underline{\mathsf{NewExceptionObject}}(exc)]
\end{array}$$

$$\begin{array}{rcl}
\ominus & ::= & \mathsf{void} \mid \texttt{+} \mid \texttt{-} \mid \texttt{\~{}} \mid \texttt{!} \\
\otimes & ::= & \texttt{|} \mid \texttt{\&} \mid \texttt{\^{}} \mid \texttt{<<} \mid \texttt{>>} \mid \texttt{>>>} \\
 & & \mid \texttt{+} \mid \texttt{-} \mid \texttt{*} \mid \texttt{/} \mid \texttt{\%} \mid \texttt{==} \mid \texttt{!=} \mid \texttt{===} \mid \texttt{!==} \mid \texttt{<} \mid \texttt{>} \mid \texttt{<=} \mid \texttt{>=}
\end{array}$$

We consider the collecting semantics of program P that is characterized by an invariant $[\![P]\!] \in \mathbb{C} \to \wp(\mathsf{State})$, collecting a set of reachable states at each control point. The collecting semantics is defined by the least fixpoint of composition of semantic functions $F_{\textit{control-flow}}, F_{\textit{exception-flow}} \in (\mathbb{C} \to \wp(\mathsf{State})) \to (\mathbb{C} \to \wp(\mathsf{State}))$ such that,

$$\begin{array}{ll}
\underline{\mathsf{ExcFlow}}(S) & = \{\ (H,A) \mid \mathsf{stuck} \neq (H,A) \in S \wedge \underline{\mathsf{HasProperty}}(H, \#temp, @exception)\ \} \\
\underline{\mathsf{NormalFlow}}(S) & = \{\ (H,A) \mid \mathsf{stuck} \neq (H,A) \in S \wedge \neg\underline{\mathsf{HasProperty}}(H, \#temp, @exception)\ \} \\
f_{cp} & = \mathcal{C}_{cp}(\underline{\mathsf{getCmd}}_P(cp)) \\
F_{\textit{control-flow}}(X) & = \lambda cp \in \mathbb{C}.\, \bigcup_{cp' \hookrightarrow cp} f_{cp'}\ (\underline{\mathsf{NormalFlow}}(X(cp')))\,. \\
F_{\textit{exception-flow}}(X) & = \lambda cp \in \mathbb{C}.\, \bigcup_{cp' \overset{\mathsf{exc}}{\hookrightarrow} cp} f_{cp'}\ (\underline{\mathsf{ExcFlow}}(X(cp')))\,. \\
F & = F_{\textit{control-flow}} \circ F_{\textit{exception-flow}}
\end{array}$$

Chapter 9

CFG Abstract Semantics

`.../jsaf/analysis/typing/{package, Config}.scala`

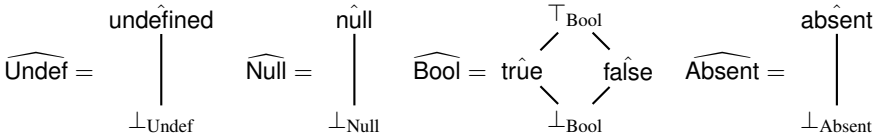
Assumptions and limitations are as follows:

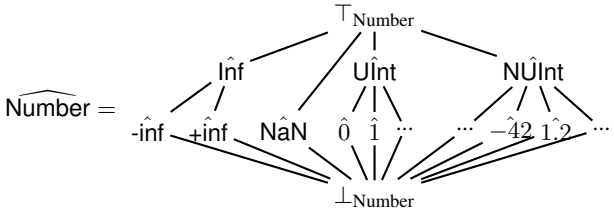
- When a value is updated, a part of $\widehat{\mathsf{PropValue}}$ type value is directly used instead of $\widehat{\mathsf{PropValue}} \times \widehat{\mathsf{Absent}}$. In this case, the $\widehat{\mathsf{Absent}}$ value and the rest parts of $\widehat{\mathsf{PropValue}}$ is considered as $\bot$.
  e.g.) $x \mapsto \langle \hat{v}, \hat{\mathsf{false}}, \hat{\mathsf{false}}\,\hat{\mathsf{false}} \rangle$ means $x \mapsto \langle \langle \hat{v}, \hat{\mathsf{false}}, \hat{\mathsf{false}}\,\hat{\mathsf{false}} \rangle, \bot_{Value}, \bot_{FunctionId} \rangle, \bot_{Absent} \rangle$.
- Semantics for helper functions is not written using denotational semantics(they are not compositional).
- For appropriate type conversion, a subscript is used. In this case, all the implicit values can be considered as $\bot$.
- We maintain mutable inter-procedural edge set ($\overset{\mathsf{ip}}{\hookrightarrow}$) throughout semantics.

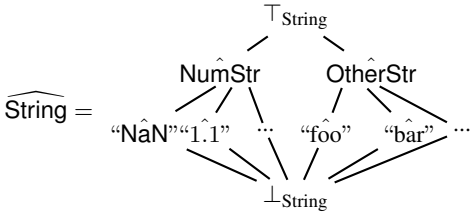
9.1 Settings

`.../jsaf/analysis/typing/domain/{package, AbsDomain, DomainPrinter}.scala`[1]

$\hat{cp} \in$	$\widehat{\text{ControlPoint}}$	$=$	$\text{Node} \times \widehat{\text{CallContext}}$
$\hat{cc} \in$	$\widehat{\text{CallContext}}$		*Parameterized context-sensitivity. See Section 9.4*
$\hat{S}, (\hat{H}, \hat{C}) \in$	$\widehat{\text{State}}$	$=$	$\widehat{\text{Heap}} \times \widehat{\text{Context}}$
$\hat{H} \in$	$\widehat{\text{Heap}}$	$=$	$\widehat{\text{Loc}} \xrightarrow{\text{fin}} \widehat{\text{Obj}}$
$\hat{C} \in$	$\widehat{\text{Context}}$	$=$	$\wp(\widehat{\text{Loc}}) \times \wp(\widehat{\text{Loc}}) \times \wp(\widehat{\text{Address}}) \times \wp(\widehat{\text{Address}})$
			variable environment, this (moved to #PureLocal), may old, must old
$\hat{l}_R, \hat{l}_O, \hat{l} \in$	$\widehat{\text{Loc}}$	$=$	$\widehat{\text{Address}} \times \widehat{\text{RecencyTag}}$
$\hat{a} \in$	$\widehat{\text{Address}}$	$::=$	$\#\hat{Global} \mid \#\hat{StringProto} \mid \#\hat{BooleanProto} \mid \#\hat{FunctionProto}$ $\mid \#\hat{RefErr} \mid \#\hat{RangeErr} \mid \#\hat{TypeErr} \mid \#\hat{RefErrProto}$ $\mid \#\hat{RangeErrProto} \mid \#\hat{ArrayProto} \mid \#\hat{TypeErrProto}$ $\mid \#\hat{ObjProto} \mid \#\hat{PureLocal} \mid \#\hat{GlobalCallsite} \mid \#\hat{Collapsed}$ $\mid \hat{a}_1 \mid \cdots$
	$\widehat{\text{RecencyTag}}$	$::=$	$\hat{Recent} \mid \hat{Old}$
$\hat{o} \in$	$\widehat{\text{Obj}}$	$=$	$\text{Prop} \xrightarrow{\text{fin}} \widehat{\text{PropValue}} \times \widehat{\text{Absent}}$
$\hat{prop}v \in$	$\widehat{\text{PropValue}}$	$=$	$\widehat{\text{ObjectValue}} \times \widehat{\text{Value}} \times \wp(\text{FunctionId})$
$\hat{ov} \in$	$\widehat{\text{ObjectValue}}$	$=$	$\widehat{\text{Value}} \times \widehat{\text{Bool}} \times \widehat{\text{Bool}} \times \widehat{\text{Bool}}$
			value, writable, enumerable, configurable
$\hat{v} \in$	$\widehat{\text{Value}}$	$=$	$\widehat{\text{PValue}} \times \wp(\widehat{\text{Loc}})$
$\hat{pv} \in$	$\widehat{\text{PValue}}$	$=$	$\widehat{\text{Undef}} \times \widehat{\text{Null}} \times \widehat{\text{Bool}} \times \widehat{\text{Number}} \times \widehat{\text{String}}$
$\hat{exc} \in$	$\widehat{\text{Exception}}$	$::=$	$\widehat{\text{Error}} \mid \widehat{\text{EvalError}} \mid \widehat{\text{RangeError}} \mid \widehat{\text{ReferenceError}} \mid \widehat{\text{SyntaxError}} \mid \widehat{\text{TypeError}} \mid \widehat{\text{URIError}}$
	$\widehat{\text{IPEdge}}$	$=$	$\widehat{\text{ControlPoint}} \times \widehat{\text{ControlPoint}} \times \widehat{\text{Context}} \times \widehat{\text{Obj}}$
$\overset{\widehat{\text{ip}}}{\hookrightarrow} \in$	$\wp(\widehat{\text{IPEdge}})$		
$pe \in$	PrunExpression	$=$	$\{x, e_1[e_2]\}$
$re \in$	RelExpr	$=$	Expression § Expression
$\S \in$	IROP	$=$	IRRelOP $\cup$ IRObjOP
	IRRelOP	$=$	`==` | `!=` | `===` | `!==` | `>` | `>=` | `<` | `<=` |
	IRObjOP	$=$	`in` | `notIn` | `instanceof` | `notInstanceof`







[1] Among the $\widehat{\text{IROP}}$ operators, we handle only ==, ! =, ===, and ! == for now as the $\underline{\hat{K}}$ function describes in Section 6.2.

9.2 Domain Operators

Heap Order

$$: \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Heap}} \to \mathsf{Boolean}$$
$$\hat{H}_1 \sqsubseteq \hat{H}_2 \stackrel{\text{def}}{=} dom(\hat{H}_1) \subseteq dom(\hat{H}_2) \wedge \forall \hat{l} \in dom(\hat{H}_1) : \hat{H}_1(\hat{l}) \sqsubseteq \hat{H}_2(\hat{l})$$

Heap Join

$$: \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Heap}} \to \widehat{\mathsf{Heap}}$$
$$\hat{H}_1 \sqcup \hat{H}_2 \stackrel{\text{def}}{=} \forall \hat{l} \in dom(\hat{H}_1) \cup dom(\hat{H}_2) : \begin{cases} \left[\hat{l} \mapsto \hat{H}_1(\hat{l}) \sqcup \hat{H}_2(\hat{l})\right] & \text{if } \hat{l} \in dom(\hat{H}_1) \wedge \hat{l} \in dom(\hat{H}_2) \\ \left[\hat{l} \mapsto \hat{H}_2(\hat{l})\right] & \text{if } \hat{l} \notin dom(\hat{H}_1) \wedge \hat{l} \in dom(\hat{H}_2) \\ \left[\hat{l} \mapsto \hat{H}_1(\hat{l})\right] & \text{if } \hat{l} \in dom(\hat{H}_1) \wedge \hat{l} \notin dom(\hat{H}_2) \end{cases}$$

Heap Domain In

$$: \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \to \mathsf{Boolean}$$
$$\hat{l} \in dom(\hat{H}) \stackrel{\text{def}}{=} \begin{cases} \mathsf{true} & \text{if } \hat{l} \in \{\hat{l}' \mid (\hat{l}', \hat{o}) \in \hat{H}\} \\ \mathsf{false} & \text{otherwise} \end{cases}$$

Although $\bot_{Obj}$ is returned for non-existent locations, heap is still partial function.

Heap Lookup

$$: \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \to \widehat{\mathsf{Obj}}$$
$$\hat{H}(\hat{l}) \stackrel{\text{def}}{=} \begin{cases} \hat{o} & \text{if } (\hat{l}, \hat{o}) \in \hat{H} \\ \bot_{Obj} & \text{otherwise} \end{cases}$$

Heap Update

$$: \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{Obj}} \to \widehat{\mathsf{Heap}}$$
$$\hat{H}[\hat{l} \mapsto \hat{o}] \stackrel{\text{def}}{=} \begin{cases} \{(\hat{l}, \hat{o})\} \cup (\hat{H} - \hat{l}) & \text{if } \hat{l} = \hat{l}_R \wedge \hat{o} \neq \bot_{Obj} \\ \bot_{Heap} & \text{if } \hat{l} = \hat{l}_R \wedge \hat{o} = \bot_{Obj} \\ \{(\hat{l}, \hat{H}(\hat{l}) \sqcup \hat{o})\} \cup (\hat{H} - \hat{l}) & \text{if } \hat{l} = \hat{l}_O \wedge \hat{H}(\hat{l}) \sqcup \hat{o} \neq \bot_{Obj} \\ \bot_{Heap} & \text{if } \hat{l} = \hat{l}_O \wedge \hat{H}(\hat{l}) \sqcup \hat{o} = \bot_{Obj} \end{cases}$$

Context Order

$$: \widehat{\mathsf{Context}} \times \widehat{\mathsf{Context}} \to \mathsf{Boolean}$$
$$\hat{C}_1 \sqsubseteq \hat{C}_2 \stackrel{\text{def}}{=} \hat{C}_1.3 \subseteq \hat{C}_2.3 \ \wedge \ \hat{C}_1.4 \supseteq \hat{C}_2.4$$

order is opposite for must old set

Context Join

$$: \widehat{\mathsf{Context}} \times \widehat{\mathsf{Context}} \to \widehat{\mathsf{Context}}$$
$$\hat{C}_1 \sqcup \hat{C}_2 \stackrel{\text{def}}{=} \langle \{\}, \{\}, \ \hat{C}_1.3 \cup \hat{C}_2.3, \ \hat{C}_1.4 \cap \hat{C}_2.4 \rangle$$

Obj Order

$$: \widehat{\mathsf{Obj}} \times \widehat{\mathsf{Obj}} \to \mathsf{Boolean}$$
$$\hat{o}_1 \sqsubseteq \hat{o}_2 \stackrel{\text{def}}{=} \forall x \in dom(\hat{o}_1) \cup dom(\hat{o}_2) : \hat{o}_1(x) \sqsubseteq \hat{o}_2(x)$$

Obj Join

$$: \widehat{\mathsf{Obj}} \times \widehat{\mathsf{Obj}} \to \widehat{\mathsf{Obj}}$$
$$\hat{o}_1 \sqcup \hat{o}_2 \stackrel{\text{def}}{=} \forall x \in dom(\hat{o}_1) \cup dom(\hat{o}_2) : [x \mapsto \hat{o}_1(x) \sqcup \hat{o}_2(x)]$$

Obj Domain In

$$: \widehat{\mathsf{Obj}} \times \widehat{\mathsf{String}} \to \widehat{\mathsf{Bool}}$$
$$\hat{s} \dot{\in} dom(\hat{o}) \stackrel{\text{def}}{=} \begin{cases} x \dot{\in} dom(\hat{o}) & \text{if } \hat{o} \neq \bot_{Obj} \wedge \hat{s} = \widehat{\mathsf{NumStrSingle}}(x) \\ x \dot{\in} dom(\hat{o}) & \text{if } \hat{o} \neq \bot_{Obj} \wedge \hat{s} = \widehat{\mathsf{OtherStrSingle}}(x) \\ \hat{b}_1 & \text{if } \hat{o} \neq \bot_{Obj} \wedge \hat{s} = \widehat{\mathsf{NumStr}} \\ \hat{b}_2 & \text{if } \hat{o} \neq \bot_{Obj} \wedge \hat{s} = \widehat{\mathsf{OtherStr}} \\ \hat{b}_3 & \text{if } \hat{o} \neq \bot_{Obj} \wedge \hat{s} = \top_{String} \\ \bot_{Bool} & \text{if } \hat{o} = \bot_{Obj} \vee \hat{s} = \bot_{String} \end{cases}$$

where

$$\hat{b}_1 = \begin{cases} \top_{Bool} & \text{if } \hat{o}(@\textit{default\_number}).1.1.1 \not\sqsubseteq \bot_{Value} \\ \top_{Bool} & \text{if } \hat{o}(@\textit{default\_number}).1.1.1 \sqsubseteq \bot_{Value} \\ & \quad \wedge \exists x \in dom(\hat{o}) : x \in \mathsf{String} \wedge \text{“}\hat{x}\text{”} \sqsubseteq \widehat{\mathsf{NumStr}} \\ \widehat{\mathsf{false}} & \text{otherwise} \end{cases}$$

$$\hat{b}_2 = \begin{cases} \top_{Bool} & \text{if } \hat{o}(@\textit{default\_other}).1.1.1 \not\sqsubseteq \bot_{Value} \\ \top_{Bool} & \text{if } \hat{o}(@\textit{default\_other}).1.1.1 \sqsubseteq \bot_{Value} \\ & \quad \wedge \exists x \in dom(\hat{o}) : x \in \mathsf{String} \wedge \text{“}\hat{x}\text{”} \sqsubseteq \widehat{\mathsf{OtherStr}} \\ \widehat{\mathsf{false}} & \text{otherwise} \end{cases}$$

$$\hat{b}_3 = \begin{cases} \top_{Bool} & \text{if } \hat{o}(@\textit{default\_number}).1.1.1 \not\sqsubseteq \bot_{Value} \vee \hat{o}(@\textit{default\_other}).1.1.1 \not\sqsubseteq \bot_{Value} \\ \top_{Bool} & \text{if } \hat{o}(@\textit{default\_number}).1.1.1 \sqsubseteq \bot_{Value} \wedge \hat{o}(@\textit{default\_other}).1.1.1 \sqsubseteq \bot_{Value} \\ & \quad \wedge \exists x \in dom(\hat{o}) : x \in \mathsf{String} \\ \widehat{\mathsf{false}} & \text{otherwise} \end{cases}$$

Obj Domain In $: \widehat{\mathsf{Obj}} \times \mathsf{Prop} \to \widehat{\mathsf{Bool}}$

$$x \dot{\in} dom(\hat{o}) \stackrel{\text{def}}{=} \begin{cases} \hat{b} & \text{if } \hat{o} \neq \bot_{Obj} \\ \bot_{Bool} & \text{if } \hat{o} = \bot_{Obj} \end{cases}$$

$$\text{where } \hat{b} = \begin{cases} \hat{\mathsf{true}} & \text{if } \hat{o}(x) \not\sqsubseteq \bot \wedge \hat{\mathsf{absent}} \not\sqsubseteq \hat{o}(x).2 \\ \top_{Bool} & \text{if } \hat{o}(x) \not\sqsubseteq \bot \wedge \hat{\mathsf{absent}} \sqsubseteq \hat{o}(x).2 \\ \top_{Bool} & \text{if } \hat{o}(x) \sqsubseteq \bot \wedge x \in \mathsf{String} \wedge \alpha(x) \sqsubseteq \hat{\mathsf{NumStr}} \\ & \quad \wedge \hat{o}(@\textit{default\_number}).1.1.1 \not\sqsubseteq \bot_{Value} \\ \top_{Bool} & \text{if } \hat{o}(x) \sqsubseteq \bot \wedge x \in \mathsf{String} \wedge \alpha(x) \sqsubseteq \hat{\mathsf{OtherStr}} \\ & \quad \wedge \hat{o}(@\textit{default\_other}).1.1.1 \not\sqsubseteq \bot_{Value} \\ \hat{\mathsf{false}} & \text{if } \hat{o}(x) \sqsubseteq \bot \wedge x \in \mathsf{String} \wedge \alpha(x) \sqsubseteq \hat{\mathsf{NumStr}} \\ & \quad \wedge \hat{o}(@\textit{default\_number}).1.1.1 \sqsubseteq \bot_{Value} \\ \hat{\mathsf{false}} & \text{if } \hat{o}(x) \sqsubseteq \bot \wedge x \in \mathsf{String} \wedge \alpha(x) \sqsubseteq \hat{\mathsf{OtherStr}} \\ & \quad \wedge \hat{o}(@\textit{default\_other}).1.1.1 \sqsubseteq \bot_{Value} \\ \hat{\mathsf{false}} & \text{if } \hat{o}(x) \sqsubseteq \bot \wedge x \notin \mathsf{String} \\ \hat{\mathsf{false}} & \text{otherwise} \end{cases}$$

Obj Lookup $: \widehat{\mathsf{Obj}} \times \widehat{\mathsf{String}} \to \widehat{\mathsf{PropValue}} \times \widehat{\mathsf{Absent}}$

$$\hat{o}(\hat{s}) \stackrel{\text{def}}{=} \begin{cases} \hat{o}(x) & \text{if } \hat{s} = \hat{\mathsf{NumStr}}\mathsf{Single}(x) \\ \hat{o}(x) & \text{if } \hat{s} = \hat{\mathsf{OtherStr}}\mathsf{Single}(x) \\ \langle (\bigsqcup_{x \in P_1} \hat{o}(x)).1 \sqcup \hat{o}(@\textit{default\_number}).1, \top_{Absent} \rangle & \text{if } \hat{s} = \hat{\mathsf{NumStr}} \\ \langle (\bigsqcup_{x \in P_2} \hat{o}(x)).1 \sqcup \hat{o}(@\textit{default\_other}).1, \top_{Absent} \rangle & \text{if } \hat{s} = \hat{\mathsf{OtherStr}} \\ \left\langle \begin{array}{c} (\bigsqcup_{x \in P_3} \hat{o}(x)).1 \sqcup \hat{o}(@\textit{default\_number}).1 \\ \sqcup \hat{o}(@\textit{default\_other}).1 \end{array}, \top_{Absent} \right\rangle & \text{if } \hat{s} = \top_{String} \\ \bot_{PropValue \times Absent} & \text{if } \hat{s} = \bot_{String} \end{cases}$$

$$\begin{array}{l} \text{where } P_1 = \{x \mid x \in dom(\hat{o}) \wedge x \in \mathsf{String} \wedge \text{“}\hat{x}\text{”} \sqsubseteq \hat{\mathsf{NumStr}}\} \\ \qquad\quad P_2 = \{x \mid x \in dom(\hat{o}) \wedge x \in \mathsf{String} \wedge \text{“}\hat{x}\text{”} \sqsubseteq \hat{\mathsf{OtherStr}}\} \\ \qquad\quad P_3 = \{x \mid x \in dom(\hat{o}) \wedge x \in \mathsf{String}\} \end{array}$$

Obj Lookup $: \widehat{\mathsf{Obj}} \times \mathsf{Prop} \to \widehat{\mathsf{PropValue}} \times \widehat{\mathsf{Absent}}$

$$\hat{o}(x) \stackrel{\text{def}}{=} \begin{cases} \langle pr\hat{o}pv, a\hat{b}s \rangle & \text{if } x \to \langle pr\hat{o}pv, a\hat{b}s \rangle \in \hat{o} \\ \langle \bot_{PropValue}, \bot_{Absent} \rangle & \text{if } x \to \langle pr\hat{o}pv, a\hat{b}s \rangle \notin \hat{o} \wedge x \notin \mathsf{String} \\ \langle pr\hat{o}pv_2, a\hat{b}s_2 \rangle & \text{if } \begin{array}{l} x \to \langle pr\hat{o}pv_1, a\hat{b}s_1 \rangle \notin \hat{o} \wedge x \in \mathsf{String} \\ \wedge \alpha(x) \sqsubseteq \hat{\mathsf{NumStr}} \wedge @\textit{default\_number} \to \langle pr\hat{o}pv_2, a\hat{b}s_2 \rangle \in \hat{o} \end{array} \\ \langle pr\hat{o}pv_3, a\hat{b}s_3 \rangle & \text{if } \begin{array}{l} x \to \langle pr\hat{o}pv_1, a\hat{b}s_1 \rangle \notin \hat{o} \wedge x \in \mathsf{String} \\ \wedge \alpha(x) \sqsubseteq \hat{\mathsf{OtherStr}} \wedge @\textit{default\_other} \to \langle pr\hat{o}pv_3, a\hat{b}s_3 \rangle \in \hat{o} \end{array} \end{cases}$$

Obj Update $: \widehat{\mathsf{Obj}} \times \widehat{\mathsf{String}} \times \widehat{\mathsf{PropValue}} \to \widehat{\mathsf{Obj}}$

$$\hat{o}[\hat{s} \mapsto \hat{prop}pv] \stackrel{\text{def}}{=} \begin{cases} \hat{o}[x \mapsto \hat{prop}pv] & \text{if } \hat{o} \neq \bot_{Obj} \wedge \hat{s} = \widehat{\mathsf{NumStrSingle}}(x) \\ \hat{o}[x \mapsto \hat{prop}pv] & \text{if } \hat{o} \neq \bot_{Obj} \wedge \hat{s} = \widehat{\mathsf{OtherStrSingle}}(x) \\ \hat{o}\left[\begin{array}{l} \forall x \in P_1 : x \mapsto \hat{o}(x) \sqcup \hat{prop}pv, \\ @\mathit{default\_number} \mapsto \hat{o}(@\mathit{default\_number}) \sqcup \hat{prop}pv \end{array}\right] & \text{if } \hat{o} \neq \bot_{Obj} \wedge \hat{s} = \widehat{\mathsf{NumStr}} \\ \hat{o}\left[\begin{array}{l} \forall x \in P_2 : x \mapsto \hat{o}(x) \sqcup \hat{prop}pv, \\ @\mathit{default\_other} \mapsto \hat{o}(@\mathit{default\_other}) \sqcup \hat{prop}pv \end{array}\right] & \text{if } \hat{o} \neq \bot_{Obj} \wedge \hat{s} = \widehat{\mathsf{OtherStr}} \\ \hat{o}\left[\begin{array}{l} \forall x \in P_3 : x \mapsto \hat{o}(x) \sqcup \hat{prop}pv, \\ @\mathit{default\_number} \mapsto \hat{o}(@\mathit{default\_number}) \sqcup \hat{prop}pv, \\ @\mathit{default\_other} \mapsto \hat{o}(@\mathit{default\_other}) \sqcup \hat{prop}pv \end{array}\right] & \text{if } \hat{o} \neq \bot_{Obj} \wedge \hat{s} = \top_{String} \\ \bot_{Obj} & \text{if } \hat{o} = \bot_{Obj} \vee \hat{s} = \bot_{String} \end{cases}$$

where $P_1 = \{x \mid x \in dom(\hat{o}) \wedge x \in \mathsf{String} \wedge \text{“}\hat{x}\text{”} \sqsubseteq \widehat{\mathsf{NumStr}}\}$
$P_2 = \{x \mid x \in dom(\hat{o}) \wedge x \in \mathsf{String} \wedge \text{“}\hat{x}\text{”} \sqsubseteq \widehat{\mathsf{OtherStr}}\}$
$P_3 = \{x \mid x \in dom(\hat{o}) \wedge x \in \mathsf{String}\}$

Obj Update $: \widehat{\mathsf{Obj}} \times \mathsf{Prop} \times \widehat{\mathsf{PropValue}} \to \widehat{\mathsf{Obj}}$

$$\hat{o}[x \mapsto \hat{prop}pv] \stackrel{\text{def}}{=} \begin{cases} \{(x, \langle \hat{prop}pv, \bot_{Absent}\rangle)\} \sqcup (\hat{o} \setminus \{(x, \langle \hat{prop}pv', \hat{abs}'\rangle)\}) & \text{if } \hat{o} \neq \bot_{Obj} \\ \bot_{Obj} & \text{if } \hat{o} = \bot_{Obj} \end{cases}$$

Obj Update $: \widehat{\mathsf{Obj}} \times \mathsf{Prop} \times \widehat{\mathsf{PropValue}} \times \widehat{\mathsf{Absent}} \to \widehat{\mathsf{Obj}}$

$$\hat{o}[x \mapsto \langle \hat{prop}pv, \hat{abs}\rangle] \stackrel{\text{def}}{=} \begin{cases} \{(x, \langle \hat{prop}pv, \hat{abs}\rangle)\} \sqcup (\hat{o} \setminus \{(x, \langle \hat{prop}pv', \hat{abs}'\rangle)\}) & \text{if } \hat{o} \neq \bot_{Obj} \\ \bot_{Obj} & \text{if } \hat{o} = \bot_{Obj} \end{cases}$$

Obj Remove $: \widehat{\mathsf{Obj}} \times \widehat{\mathsf{String}} \to \widehat{\mathsf{Obj}}$

$$\hat{o} - \hat{s} \stackrel{\text{def}}{=} \begin{cases} \hat{o} - x & \text{if } \hat{o} \neq \bot_{Obj} \wedge \hat{s} = \widehat{\mathsf{NumStrSingle}}(x) \\ \hat{o} - x & \text{if } \hat{o} \neq \bot_{Obj} \wedge \hat{s} = \widehat{\mathsf{OtherStrSingle}}(x) \\ \hat{o} \sqcup \bigsqcup_{x \in P_1} \{(y, \langle \hat{prop}pv, \hat{abs}\rangle) \mid (y, \langle \hat{prop}pv, \hat{abs}\rangle) \in \hat{o} \wedge y \neq x\} & \text{if } \hat{o} \neq \bot_{Obj} \wedge \hat{s} = \widehat{\mathsf{NumStr}} \\ \hat{o} \sqcup \bigsqcup_{x \in P_2} \{(y, \langle \hat{prop}pv, \hat{abs}\rangle) \mid (y, \langle \hat{prop}pv, \hat{abs}\rangle) \in \hat{o} \wedge y \neq x\} & \text{if } \hat{o} \neq \bot_{Obj} \wedge \hat{s} = \widehat{\mathsf{OtherStr}} \\ \hat{o} \sqcup \bigsqcup_{x \in P_3} \{(y, \langle \hat{prop}pv, \hat{abs}\rangle) \mid (y, \langle \hat{prop}pv, \hat{abs}\rangle) \in \hat{o} \wedge y \neq x\} & \text{if } \hat{o} \neq \bot_{Obj} \wedge \hat{s} = \top_{String} \\ \bot_{Obj} & \text{if } \hat{o} = \bot_{Obj} \vee \hat{s} = \bot_{String} \end{cases}$$

where $P_1 = \{x \mid x \in dom(\hat{o}) \wedge x \in \mathsf{String} \wedge \widehat{\mathsf{true}} \sqsubseteq \hat{o}(x).1.1.4 \wedge \text{“}\hat{x}\text{”} \sqsubseteq \widehat{\mathsf{NumStr}}\}$
$P_2 = \{x \mid x \in dom(\hat{o}) \wedge x \in \mathsf{String} \wedge \widehat{\mathsf{true}} \sqsubseteq \hat{o}(x).1.1.4 \wedge \text{“}\hat{x}\text{”} \sqsubseteq \widehat{\mathsf{OtherStr}}\}$
$P_3 = \{x \mid x \in dom(\hat{o}) \wedge x \in \mathsf{String} \wedge \widehat{\mathsf{true}} \sqsubseteq \hat{o}(x).1.1.4\}$

Obj Remove $: \widehat{\mathsf{Obj}} \times \mathsf{Prop} \to \widehat{\mathsf{Obj}}$

$$\hat{o} - x \stackrel{\text{def}}{=} \begin{cases} \{(y, \langle \hat{prop}pv, \hat{abs}\rangle) \mid (y, \langle \hat{prop}pv, \hat{abs}\rangle) \in \hat{o} \wedge y \neq x\} & \text{if } \hat{o} \neq \bot_{Obj} \\ \bot_{Obj} & \text{if } \hat{o} = \bot_{Obj} \end{cases}$$

$\S^t$ $: \mathsf{IRRelOP} \to \mathsf{IRRelOP}$

$$\S^t = \begin{cases} < & \text{if } \S = > \\ <= & \text{if } \S = >= \\ > & \text{if } \S = < \\ >= & \text{if } \S = <= \\ \S & \text{otherwise} \end{cases}$$

9.3 Helper Functions

.../jsaf/analysis/typing/Helper.scala

$\widehat{\mathsf{CanPut}}$: $\widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{String}} \to \widehat{\mathsf{Bool}}$

$\widehat{\mathsf{CanPut}}(\hat{H}, \hat{l}, \hat{s}) = \widehat{\mathsf{CanPutHelp}}(\hat{H}, \hat{l}, \hat{s}, \hat{l})$

Cycle in prototype chain is detected at implementation level.

$\widehat{\mathsf{CanPutHelp}}$: $\widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{String}} \times \widehat{\mathsf{Loc}} \to \widehat{\mathsf{Bool}}$

$\widehat{\mathsf{CanPutHelp}}(\hat{H}, \hat{l}_1, \hat{s}, \hat{l}_2) = \hat{b}_1 \sqcup \hat{b}_2$

where $\hat{b}_1 = \begin{cases} \hat{H}(\hat{l}_1)(\hat{s}).1.1.2 \text{ // writable attribute} & \text{if } \hat{\mathsf{true}} \sqsubseteq (\hat{s} \dot{\in} dom(\hat{H}(\hat{l}))) \\ \bot_{Bool} & \text{otherwise} \end{cases}$

$\hat{L}_{proto} = \hat{H}(\hat{l}_1)(@proto).1.1.1.2$ // $\hat{\wp}(\widehat{\mathsf{Loc}})$ type

$\hat{b}_2 = \begin{cases} \hat{b}_3 \sqcup \bigsqcup_{\hat{l}_{proto} \in \hat{L}_{proto}} \widehat{\mathsf{CanPutHelp}}(\hat{H}, \hat{l}_{proto}, \hat{s}, \hat{l}_2) & \text{if } \hat{\mathsf{false}} \sqsubseteq (\hat{s} \dot{\in} dom(\hat{H}(\hat{l}))) \\ \bot_{Bool} & \text{otherwise} \end{cases}$

$\hat{b}_3 = \begin{cases} \hat{H}(\hat{l}_2)(@extensible).1.2.1.3 & \text{if } \hat{H}(\hat{l}_1)(@proto).1.1.1.1.2 \not\sqsubseteq \bot_{Null} \\ \bot_{Bool} & \text{otherwise} \end{cases}$

$\widehat{\mathsf{CanPutVar}}$: $\widehat{\mathsf{Heap}} \times \mathsf{Prop} \to \widehat{\mathsf{Bool}}$

$\widehat{\mathsf{CanPutVar}}(\hat{H}, x) = \hat{b}_1 \sqcup \hat{b}_2$

where $\hat{b}_1 = \begin{cases} \hat{H}(\#G\hat{l}obal_R)(x).1.1.2 & \text{if } \hat{\mathsf{true}} \sqsubseteq (x \dot{\in} dom(\hat{H}(\#G\hat{l}obal))) \\ \bot_{Bool} & \text{otherwise} \end{cases}$

$\hat{b}_2 = \begin{cases} \widehat{\mathsf{CanPut}}(\hat{H}, \#G\hat{l}obal_R, \hat{x}) & \text{if } \hat{\mathsf{false}} \sqsubseteq (x \dot{\in} dom(\hat{H}(\#G\hat{l}obal))) \\ \bot_{Bool} & \text{otherwise} \end{cases}$

Temporaries and pure local variables are always mutable in non-strict mode.
In strict-mode, "arguments" is immutable AND pure local, which invalidates current approach.

$\widehat{\mathsf{CreateMutableBinding}}$: $\widehat{\mathsf{Heap}} \times \mathsf{Prop} \times \mathsf{Value} \to \widehat{\mathsf{Heap}}$

$\widehat{\mathsf{CreateMutableBinding}}(\hat{H}, x, \hat{v}) = \hat{H}_1$ if $\widehat{\mathsf{getVarKind}}_P(x) = \mathsf{PureLocalVar}$

where $\hat{H}_1 = \hat{H}[\#P\hat{u}reLocal_R \mapsto \hat{H}(\#P\hat{u}reLocal_R)[x \mapsto \langle \hat{v}, \bot_{Bool}, \bot_{Bool}, \hat{\mathsf{false}} \rangle]]$

$\widehat{\mathsf{CreateMutableBinding}}(\hat{H}, x, \hat{v}) = \hat{H}_1$ if $\widehat{\mathsf{getVarKind}}_P(x) = \mathsf{CapturedVar}$

where $\hat{H}_1 = \bigsqcup_{\hat{l} \in \hat{H}(\#P\hat{u}reLocal_R)(@env).1.2.2} \hat{H}[\hat{l} \mapsto \hat{H}(\hat{l})[x \mapsto \langle \hat{v}, \hat{\mathsf{true}}, \bot_{Bool}, \hat{\mathsf{false}} \rangle]]$

$\widehat{\mathsf{CreateMutableBinding}}(\hat{H}, x, \hat{v}) = \hat{H}_1$ if $\widehat{\mathsf{getVarKind}}_P(x) = \mathsf{CapturedCatchVar}$

where $\hat{H}_1 = \hat{H}[\#Col\hat{l}apsed_O \mapsto \hat{H}(\#Col\hat{l}apsed_O)[x \mapsto \langle \hat{v}, \bot_{Bool}, \bot_{Bool}, \hat{\mathsf{false}} \rangle]]$

$\widehat{\mathsf{CreateMutableBinding}}(\hat{H}, x, \hat{v}) = \hat{H}_1$ if $\widehat{\mathsf{getVarKind}}_P(x) = \mathsf{GlobalVar}$

where $\hat{H}_1 = \hat{H}[\#G\hat{l}obal_R \mapsto \hat{H}(\#G\hat{l}obal_R)[x \mapsto \langle \hat{v}, \hat{\mathsf{true}}, \hat{\mathsf{true}}, \hat{\mathsf{false}} \rangle]]$

$\hat{H}(\hat{l})(\hat{s}).1.1.4$ *means the configurable attribute of the property.*

$\widehat{\text{Delete}}$ $: \widehat{\text{Heap}} \times \widehat{\text{Loc}} \times \widehat{\text{String}} \to \widehat{\text{Heap}} \times \widehat{\text{Bool}}$

$\widehat{\text{Delete}}(\hat{H}, \hat{l}, \hat{s}) = (\hat{H}_1 \sqcup \hat{H}_2, \hat{b}_1 \sqcup \hat{b}_2)$

where $(\hat{H}_1, \hat{b}_1) = \begin{cases} (\hat{H}, \hat{\text{false}}) & \text{if } \hat{\text{true}} \sqsubseteq \underline{\widehat{\text{HasOwnProperty}}}(\hat{H}, \hat{l}, \hat{s}) \wedge \hat{\text{false}} \sqsubseteq \hat{H}(\hat{l})(\hat{s}).1.1.4 \\ \bot_{Heap \times Bool} & \text{otherwise} \end{cases}$

$(\hat{H}_2, \hat{b}_2) = \begin{cases} (\hat{H}[\hat{l} \mapsto \hat{H}(\hat{l}) - \hat{s}], \hat{\text{true}}) & \text{if } \left(\begin{array}{l} \hat{\text{true}} \sqsubseteq \underline{\widehat{\text{HasOwnProperty}}}(\hat{H}, \hat{l}, \hat{s}) \\ \wedge \hat{\text{true}} \sqsubseteq \hat{H}(\hat{l})(\hat{s}).1.1.4) \end{array} \right) \\ & \quad \vee (\hat{\text{false}} \sqsubseteq \underline{\widehat{\text{HasOwnProperty}}}(\hat{H}, \hat{l}, \hat{s})) \\ \bot_{Heap \times Bool} & \text{otherwise} \end{cases}$

$\underline{\widehat{\text{DeleteAll}}}$ $: \widehat{\text{Heap}} \times \widehat{\text{Loc}} \times \widehat{\text{String}} \to \widehat{\text{Heap}}$

$\underline{\widehat{\text{DeleteAll}}}(\hat{H}, \hat{l}, \hat{s}) = \hat{H}_1$

where $\hat{H}_2 = \underline{\widehat{\text{Delete}}}(\hat{H}, \hat{l}, \hat{s}).1$

$\hat{H}_1 = \begin{cases} \underline{\widehat{\text{DeleteAll}}}(\hat{H}_2, \hat{l}_1, \hat{s}) & \text{if } \hat{H}(\hat{l})(@proto).1.1.1.2 \sqsubseteq \bot_{Null} \\ & \quad \wedge \hat{H}(\hat{l})(@proto).1.1.1.2 = \{\hat{l}_1\} \\ \hat{H}_2 & \text{otherwise} \end{cases}$

$\underline{\widehat{\text{RaiseException}}}$ $: \widehat{\text{Heap}} \times \widehat{\text{Context}} \times \wp(\widehat{\text{Exception}}) \to \widehat{\text{Heap}} \times \widehat{\text{Context}}$

$\underline{\widehat{\text{RaiseException}}}(\hat{H}, \hat{C}, \hat{es}) = (\hat{H}_1, \hat{C}_1)$

where $\hat{v}_{old} = \hat{H}(\#\hat{PureLocal}_R)(@exception\_all).1.2$

$\hat{v}_e = \langle \bot_{PValue}, \bigsqcup_{\hat{exc} \in \hat{es}} \underline{\widehat{\text{NewExceptionLoc}}}(\hat{exc}) \rangle$

$\hat{H}_e = \hat{H}\left[\#\hat{PureLocal}_R \mapsto \hat{H}(\#\hat{PureLocal}_R)\left[\begin{array}{l} @exception \mapsto \hat{v}_e, \\ @exception\_all \mapsto \hat{v}_e \sqcup \hat{v}_{old} \end{array}\right]\right]$

$(\hat{H}_1, \hat{C}_1) = \begin{cases} (\hat{H}_e, \hat{C}) & \text{if } \hat{es} \neq \{\} \\ (\bot_{Heap}, \bot_{Context}) & \text{otherwise} \end{cases}$

$\underline{\widehat{\text{NewExceptionLoc}}}$ $: \widehat{\text{Exception}} \to \widehat{\text{Loc}}$

$\underline{\widehat{\text{NewExceptionLoc}}}(\hat{H}, \hat{exc}) = \begin{cases} \#\hat{Err}_O & \text{if } \hat{exc} = \hat{\text{Error}} \\ \#\hat{EvalErr}_O & \text{if } \hat{exc} = \hat{\text{EvalError}} \\ \#\hat{RangeErr}_O & \text{if } \hat{exc} = \hat{\text{RangeError}} \\ \#\hat{RefErr}_O & \text{if } \hat{exc} = \hat{\text{ReferenceError}} \\ \#\hat{SyntaxErr}_O & \text{if } \hat{exc} = \hat{\text{SyntaxError}} \\ \#\hat{TypeErr}_O & \text{if } \hat{exc} = \hat{\text{TypeError}} \\ \#\hat{URIErr}_O & \text{if } \hat{exc} = \hat{\text{URIError}} \end{cases}$

$\widehat{\underline{\mathsf{getRel}}} : \mathsf{RelExpr} \to \widehat{\mathsf{State}} \to \wp(\mathsf{RelExpr})$

$$
\begin{array}{lcl}
\widehat{\underline{\mathsf{getRel}}}(pe\S e, \hat{S}) & = & \{pe\S e\} \\
\widehat{\underline{\mathsf{getRel}}}((e_1 + e_2)\S e_3,\ \hat{S}) & = & \widehat{\underline{\mathsf{getRel}}}(e_1\S(e_3 - e_2), \hat{S}) \cup \widehat{\underline{\mathsf{getRel}}}(e_2\S(e_3 - e_1), \hat{S}) \quad \text{if } \widehat{\underline{\mathsf{validity}}}_3(e_1, e_2, e_3, \hat{S}) \\
\widehat{\underline{\mathsf{getRel}}}((e_1 - e_2)\S e_3, \hat{S}) & = & \widehat{\underline{\mathsf{getRel}}}(e_1\S(e_3 + e_2), \hat{S}) \cup \widehat{\underline{\mathsf{getRel}}}(e_2\S^t(e_1 - e_3), \hat{S}) \quad \text{if } \widehat{\underline{\mathsf{validity}}}_3(e_1, e_2, e_3, \hat{S}) \\
\widehat{\underline{\mathsf{getRel}}}((n * e_1)\S e_2, \hat{S}) & = & \widehat{\underline{\mathsf{getRel}}}((e_1 * n)\S e_2, \hat{S}) \quad \text{if } \widehat{\underline{\mathsf{validity}}}_2(e_1, e_2, \hat{S}) \\
\widehat{\underline{\mathsf{getRel}}}((e_1 * n)\S e_2, \hat{S}) & = & \widehat{\underline{\mathsf{getRel}}}(e_1\S(e_2/n), \hat{S}) \quad \text{if } n > 0 \wedge \widehat{\underline{\mathsf{validity}}}_2(e_1, e_2, \hat{S}) \\
\widehat{\underline{\mathsf{getRel}}}((e_1 * n)\S e_2, \hat{S}) & = & \widehat{\underline{\mathsf{getRel}}}(e_1\S^t(e_2/n), \hat{S}) \quad \text{if } n < 0 \wedge \widehat{\underline{\mathsf{validity}}}_2(e_1, e_2, \hat{S}) \\
\widehat{\underline{\mathsf{getRel}}}((e_1/n)\S e_2, \hat{S}) & = & \widehat{\underline{\mathsf{getRel}}}(e_1\S(e_2 * n), \hat{S}) \quad \text{if } n > 0 \wedge \widehat{\underline{\mathsf{validity}}}_2(e_1, e_2, \hat{S}) \\
\widehat{\underline{\mathsf{getRel}}}((e_1/n)\S e_2, \hat{S}) & = & \widehat{\underline{\mathsf{getRel}}}(e_1\S^t(e_2 * n), \hat{S}) \quad \text{if } n < 0 \wedge \widehat{\underline{\mathsf{validity}}}_2(e_1, e_2, \hat{S}) \\
\widehat{\underline{\mathsf{getRel}}}(re) & = & \emptyset \quad \text{otherwise}
\end{array}
$$

$\widehat{\underline{\mathsf{getThis}}} : \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Value}} \to \wp(\widehat{\mathsf{Loc}})$

$$
\widehat{\underline{\mathsf{getThis}}}(\hat{H}, \hat{v}) = \hat{L}_1 \cup \hat{L}_2 \cup \hat{L}_3
$$

$$
\text{where } \hat{L}_1 = \begin{cases} \{\#Global_R\} & \text{if } \widehat{\mathsf{undefined}} \sqsubseteq \hat{v}.1.1 \vee \widehat{\mathsf{null}} \sqsubseteq \hat{v}.1.2 \\ \{\} & \text{otherwise} \end{cases}
$$

$$
\hat{L}_2 = \begin{cases} \{\#Global_R\} & \text{if } \exists\, \hat{l} \in \hat{v}.2 : \widehat{\mathsf{false}} \sqsubseteq \widehat{\underline{\mathsf{IsObject}}}(\hat{h}, \hat{l}) \\ \{\} & \text{otherwise} \end{cases}
$$

$$
\hat{L}_3 = \{\hat{l} \in \hat{v}.2 \mid \widehat{\mathsf{true}} \sqsubseteq \widehat{\underline{\mathsf{IsObject}}}(\hat{h}, \hat{l})\}
$$

$\widehat{\underline{\mathsf{HasConstruct}}} : \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \to \widehat{\mathsf{Bool}}$

$$
\widehat{\underline{\mathsf{HasConstruct}}}(\hat{H}, \hat{l}) = \hat{b}_1 \sqcup \hat{b}_2
$$

$$
\text{where } \hat{b}_1 = \begin{cases} \widehat{\mathsf{true}} & \text{if } \widehat{\mathsf{true}} \sqsubseteq (@construct \dot{\in} dom(\hat{H}(\hat{l}))) \\ \bot_{Bool} & \text{otherwise} \end{cases}
$$

$$
\hat{b}_2 = \begin{cases} \widehat{\mathsf{false}} & \text{if } \widehat{\mathsf{false}} \sqsubseteq (@construct \dot{\in} dom(\hat{H}(\hat{l}))) \\ \bot_{Bool} & \text{otherwise} \end{cases}
$$

$\widehat{\underline{\mathsf{HasInstance}}} : \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \to \widehat{\mathsf{Bool}}$

$$
\widehat{\underline{\mathsf{HasConstruct}}}(\hat{H}, \hat{l}) = \hat{b}_1 \sqcup \hat{b}_2
$$

$$
\text{where } \hat{b}_1 = \begin{cases} \widehat{\mathsf{true}} & \text{if } \widehat{\mathsf{true}} \sqsubseteq (@hasinstance \dot{\in} dom(\hat{H}(\hat{l}))) \\ \bot_{Bool} & \text{otherwise} \end{cases}
$$

$$
\hat{b}_2 = \begin{cases} \widehat{\mathsf{false}} & \text{if } \widehat{\mathsf{false}} \sqsubseteq (@hasinstance \dot{\in} dom(\hat{H}(\hat{l}))) \\ \bot_{Bool} & \text{otherwise} \end{cases}
$$

Cycle in prototype chain is detected at implementation level.

$\widehat{\underline{\mathsf{HasProperty}}} : \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{String}} \to \widehat{\mathsf{Bool}}$

$$
\widehat{\underline{\mathsf{HasProperty}}}(\hat{H}, \hat{l}, \hat{s}) = \hat{b}_1 \sqcup \hat{b}_2
$$

$$
\text{where } \hat{b}_1 = \begin{cases} \widehat{\mathsf{true}} & \text{if } \widehat{\mathsf{true}} \sqsubseteq \widehat{\underline{\mathsf{HasOwnProperty}}}(\hat{H}, \hat{l}, \hat{s}) \\ \bot_{Bool} & \text{otherwise} \end{cases}
$$

$$
\hat{L}_{proto} = \hat{H}(\hat{l})(@proto).1.1.1.2
$$

$$
\hat{b}_2 = \begin{cases} \hat{b}_3 \sqcup \bigsqcup_{\hat{l}_{proto} \in \hat{L}_{proto}} \widehat{\underline{\mathsf{HasProperty}}}(\hat{H}, \hat{l}_{proto}, \hat{s}) & \text{if } \widehat{\mathsf{false}} \sqsubseteq \widehat{\underline{\mathsf{HasOwnProperty}}}(\hat{H}, \hat{l}, \hat{s}) \\ \bot_{Bool} & \text{otherwise} \end{cases}
$$

$$
\hat{b}_3 = \begin{cases} \widehat{\mathsf{false}} & \text{if } \hat{H}(\hat{l}_1)(@proto).1.1.1.1.2 \not\sqsubseteq \bot_{Null} \\ \bot_{Bool} & \text{otherwise} \end{cases}
$$

$\widehat{\underline{\mathsf{HasOwnProperty}}} : \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{String}} \to \widehat{\mathsf{Bool}}$

$$
\widehat{\underline{\mathsf{HasOwnProperty}}}(\hat{H}, \hat{l}, \hat{s}) = (\hat{s} \dot{\in} dom(\hat{h}(\hat{l})))
$$

Cycle in prototype chain is detected at implementation level.

$\widehat{\underline{\mathsf{inherit}}}$: $\widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{Loc}} \to \widehat{\mathsf{Value}}$

$$\widehat{\underline{\mathsf{inherit}}}(\hat{H}, \hat{l}_1, \hat{l}_2) = \begin{cases} \hat{\mathsf{true}} & \text{if } \hat{l}_1 \hat{=} \hat{l}_2 \\ \hat{v}_1 \sqcup \bigsqcup_{\hat{l} \in \hat{H}(\hat{l}_1)(@proto).1.1.1.2} \widehat{\underline{\mathsf{inherit}}}(\hat{H}, \hat{l}, \hat{l}_2) & \text{if } \hat{l}_1 \hat{\neq} \hat{l}_2 \end{cases}$$

where $\hat{v}_1 = \begin{cases} \hat{\mathsf{false}} & \text{if } \hat{H}(\hat{l}_1)(@proto).1.1.1.1.2 \not\sqsubseteq \bot_{Null} \\ \bot_{Value} & \text{otherwise} \end{cases}$

$\widehat{\underline{\mathsf{inheritProto}}}_1$: $\widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{Bool}} \to \wp(\widehat{\mathsf{Loc}})$

$\widehat{\underline{\mathsf{inheritProto}}}_1(\hat{H}, \hat{l}_1, \hat{l}_2, \hat{b}) = \hat{L}$

where $\hat{L} = \begin{cases} \{\hat{l}_1\} & \text{if } \hat{b} \sqsubseteq \widehat{\underline{\mathsf{inherit}}}(\hat{H}, \hat{l}_1, \hat{l}_2) \\ \{\} & \text{otherwise} \end{cases}$

$\widehat{\underline{\mathsf{inheritProto}}}_2$: $\widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{Bool}} \to \wp(\widehat{\mathsf{Loc}})$

$\widehat{\underline{\mathsf{inheritProto}}}_2(\hat{H}, \hat{l}_1, \hat{l}_2, \hat{b}) = \hat{L}$

where $\hat{L} = \begin{cases} \{\hat{l}_2\} & \text{if } \hat{b} \sqsubseteq \widehat{\underline{\mathsf{inherit}}}(\hat{H}, \hat{l}_1, \hat{l}_2) \\ \{\} & \text{otherwise} \end{cases}$

$\widehat{\underline{\mathsf{IsArray}}}$: $\widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \to \widehat{\mathsf{Bool}}$

$\hat{H}(\hat{l})(@class).1.2$ is the $\widehat{\mathsf{Value}}$

$\widehat{\underline{\mathsf{IsArray}}}(\hat{H}, \hat{l}) = \hat{b}_1 \sqcup \hat{b}_2$

where $\hat{b}_1 = \begin{cases} \hat{\mathsf{true}} & \text{if } \text{“}\hat{Array}\text{”} \sqsubseteq \hat{H}(\hat{l})(@class).1.2 \\ \bot_{Bool} & \text{otherwise} \end{cases}$

$\hat{b}_2 = \begin{cases} \hat{\mathsf{false}} & \text{if } \text{“}\hat{Array}\text{”} \neq \hat{H}(\hat{l})(@class).1.2 \\ \bot_{Bool} & \text{otherwise} \end{cases}$

$\widehat{\underline{\mathsf{IsArrayIndex}}}$: $\widehat{\mathsf{String}} \to \widehat{\mathsf{Bool}}$

$$\widehat{\underline{\mathsf{IsArrayIndex}}}(\hat{s}) = \begin{cases} \top_{Bool} & \text{if } \hat{s} = \top_{String} \\ \top_{Bool} & \text{if } \hat{s} = \hat{\mathsf{NumStr}} \\ \hat{\mathsf{false}} & \text{if } \hat{s} = \hat{\mathsf{OtherStr}} \\ \hat{\mathsf{true}} & \text{if } \hat{s} = \hat{\mathsf{NumStrSingle}}(s) \wedge 0 \leq \mathsf{ToNumber}(s) < 2^{32} - 1 \\ \top_{Bool} & \text{if } \hat{s} = \hat{\mathsf{NumStrSingle}}(s) \wedge (\mathsf{ToNumber}(s) < 0 \vee < 2^{32} - 1 \leq \mathsf{ToNumber}(s)) \\ \hat{\mathsf{false}} & \text{if } \hat{s} = \hat{\mathsf{OtherStrSingle}} \\ \bot_{Bool} & \text{if } \hat{s} = \bot_{String} \end{cases}$$

$\widehat{\underline{\mathsf{IsCallable}}}$: $\widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \to \widehat{\mathsf{Bool}}$

$\widehat{\underline{\mathsf{IsCallable}}}(\hat{H}, \hat{l}) = \hat{b}_1 \sqcup \hat{b}_2$

where $\hat{b}_1 = \begin{cases} \hat{\mathsf{true}} & \text{if } \hat{\mathsf{true}} \sqsubseteq (@function \dot{\in} dom(\hat{H}(\hat{l}))) \\ \bot_{Bool} & \text{otherwise} \end{cases}$

$\hat{b}_2 = \begin{cases} \hat{\mathsf{false}} & \text{if } \hat{\mathsf{false}} \sqsubseteq (@function \dot{\in} dom(\hat{H}(\hat{l}))) \\ \bot_{Bool} & \text{otherwise} \end{cases}$

$\widehat{\underline{\mathsf{IsObject}}}$: $\widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \to \widehat{\mathsf{Bool}}$

$\widehat{\underline{\mathsf{IsObject}}}(\hat{H}, \hat{l}) = @class \dot{\in} dom(\hat{h}(\hat{l}))$

$\widehat{\underline{\mathsf{K}}}$: IRRelOP $\rightarrow \widehat{\mathsf{Value}} \rightarrow \widehat{\mathsf{Value}} \times \widehat{\mathsf{Absent}}$

$\widehat{\underline{\mathsf{K}}}_{!==}\hat{v}_1 = (\top_{Value}, \hat{\mathsf{absent}})$

$\widehat{\underline{\mathsf{K}}}_{===}\hat{v}_1 = (\hat{v}_1, \hat{abs})$

where $\hat{abs} = \begin{cases} \hat{\mathsf{absent}} & \text{if } \hat{\mathsf{undefined}} \sqsubseteq \hat{v}_1.1.1 \\ \bot_{Absent} & \text{otherwise} \end{cases}$

$\widehat{\underline{\mathsf{K}}}_{!=}\hat{v}_1 = (\top_{Value}, \hat{\mathsf{absent}})$

$\widehat{\underline{\mathsf{K}}}_{==}\hat{v}_1 = (\langle\langle \hat{v}_1.1.1 \sqcup \hat{pv}_1, \hat{v}_1.1.2 \sqcup \hat{pv}_2, \hat{v}_1.1.3 \sqcup \hat{pv}_3, \hat{v}_1.1.4 \sqcup \hat{pv}_4, \top_{String}\rangle, \top_{\widehat{\mathsf{Loc}}}\rangle, \hat{abs})$

where $\hat{abs} = \begin{cases} \hat{\mathsf{absent}} & \text{if } \hat{\mathsf{undefined}} \sqsubseteq \hat{v}_1.1.1 \vee \hat{\mathsf{null}} \sqsubseteq \hat{v}_1.1.2 \\ \bot_{Absent} & \text{otherwise} \end{cases}$

$n_1 = \begin{cases} \hat{1} & \text{if } \hat{\mathsf{true}} \sqsubseteq \hat{v}_1.1.3 \\ \bot_{Number} & \text{otherwise} \end{cases}$

$n_2 = \begin{cases} \hat{0} & \text{if } \hat{\mathsf{false}} \sqsubseteq \hat{v}_1.1.3 \\ \bot_{Number} & \text{otherwise} \end{cases}$

$n_3 = \widehat{\underline{\mathsf{Str2Num}}}((\hat{v}_1.1.5)_{\hat{PValue}})$

$n_4 = \begin{cases} \bot_{Number} & \text{if } \hat{v}_1.1.4 \sqsubseteq \hat{NaN} \\ \hat{v}_1.1.4 & \text{otherwise} \end{cases}$

$\hat{pv}_1 = \begin{cases} \hat{\mathsf{undefined}} & \text{if } \hat{\mathsf{null}} \sqsubseteq \hat{v}_1.1.2 \\ \bot_{Undef} & \text{otherwise} \end{cases}$

$\hat{pv}_2 = \begin{cases} \hat{\mathsf{null}} & \text{if } \hat{\mathsf{undefined}} \sqsubseteq \hat{v}_1.1.1 \\ \bot_{Null} & \text{otherwise} \end{cases}$

$\hat{pv}_3 = \begin{cases} \top_{Bool} & \text{if } \hat{\mathsf{UINT}} \sqsubseteq \hat{v}_1.1.4 \vee \hat{v}_1.2 \neq \emptyset \\ \hat{\mathsf{true}} & \text{if } \hat{v}_1.2 = \emptyset \wedge (\hat{1} \sqsubseteq \hat{v}_1.1.4 \vee \hat{1} \sqsubseteq \widehat{\underline{\mathsf{Str2Num}}}((\hat{v}_1.1.5)_{\hat{PValue}})) \\ \hat{\mathsf{false}} & \text{if } \hat{v}_1.2 = \emptyset \wedge (\hat{0} \sqsubseteq \hat{v}_1.1.4 \vee \hat{0} \sqsubseteq \widehat{\underline{\mathsf{Str2Num}}}((\hat{v}_1.1.5)_{\hat{PValue}})) \\ \bot_{Bool} & \text{otherwise} \end{cases}$

$\hat{pv}_4 = \begin{cases} n_1 \sqcup n_2 \sqcup n_3 \sqcup n_4 & \text{if } \hat{v}_1.2 = \emptyset \\ \top_{Number} & \text{otherwise} \end{cases}$

$\widehat{\text{Lookup}}$: $\widehat{\text{Heap}} \times \text{Prop} \to \widehat{\text{Value}} \times \wp(\widehat{\text{Exception}})$

$\widehat{\text{Lookup}}(\hat{H}, x) = (\hat{H}(\#\hat{PureLocal}_R)(x).1.1.1, \{\})$ if $\widehat{\text{getVarKind}}_P(x) = \text{PureLocalVar}$

$\widehat{\text{Lookup}}(\hat{H}, x) = (\bigsqcup_{\hat{l} \in \hat{H}(\#\hat{PureLocal})(@env).1.2.2} \widehat{\text{LookupL}}(\hat{H}, \hat{l}, x), \{\})$ if $\widehat{\text{getVarKind}}_P(x) = \text{CapturedVar}$

$\widehat{\text{Lookup}}(\hat{H}, x) = (\hat{H}(\#\hat{Collapsed}_O)(x).1.1.1, \{\})$ if $\widehat{\text{getVarKind}}_P(x) = \text{CapturedCatchVar}$

$\widehat{\text{Lookup}}(\hat{H}, x) = \widehat{\text{LookupG}}(\hat{H}, x)$ if $\widehat{\text{getVarKind}}_P(x) = \text{GlobalVar}$

$\widehat{\text{LookupG}}$: $\widehat{\text{Heap}} \times \text{Prop} \to \widehat{\text{Value}} \times \wp(\widehat{\text{Exception}})$

$\widehat{\text{LookupG}}(\hat{H}, x) = (\hat{v}_1 \sqcup \hat{v}_2, \hat{es})$

where $\hat{v}_1 = \begin{cases} \hat{H}(\#\hat{Global}_R)(x).1.1.1 & \text{if } \hat{\text{true}} \sqsubseteq (x \dot{\in} dom(\hat{H}(\#\hat{Global}))) \\ \bot_{Value} & \text{otherwise} \end{cases}$

$(\hat{v}_2, \hat{es}) = \begin{cases} (\hat{v}_3, \hat{exc}) & \text{if } \hat{\text{false}} \sqsubseteq (x \dot{\in} dom(\hat{H}(\#\hat{Global}))) \\ (\bot_{Value}, \{\}) & \text{otherwise} \end{cases}$

$\hat{L}_{proto} = \hat{H}(\#\hat{Global}_R)(@\hat{proto}).1.1.1.2$

$\hat{v}_3 = \bigsqcup_{\hat{l}_{proto} \in \hat{L}_{proto}} \begin{cases} \widehat{\text{Proto}}(\hat{H}, \hat{l}_{proto}, \hat{x}) & \text{if } \hat{\text{true}} \sqsubseteq \widehat{\text{HasProperty}}(\hat{H}, \hat{l}_{proto}, x) \\ \bot_{Value} & \text{otherwise} \end{cases}$

$\hat{exc} = \bigsqcup_{\hat{l}_{proto} \in \hat{L}_{proto}} \begin{cases} \{\hat{\text{ReferenceError}}\} & \text{if } \hat{\text{false}} \sqsubseteq \widehat{\text{HasProperty}}(\hat{H}, \hat{l}_{proto}, x) \\ \bot_{Exception} & \text{otherwise} \end{cases}$

Cycle in scope chain is detected at implementation level.

$\widehat{\text{LookupL}}$: $\widehat{\text{Heap}} \times \widehat{\text{Loc}} \times \text{Prop} \to \widehat{\text{Value}}$

$\widehat{\text{LookupL}}(\hat{H}, \hat{l}, x) = \hat{v}_1 \sqcup \hat{v}_2$

where $\hat{v}_1 = \begin{cases} \hat{H}(\hat{l})(x).1.1.1 & \text{if } \hat{\text{true}} \sqsubseteq (x \dot{\in} dom(\hat{H}(\hat{l}))) \\ \bot_{Value} & \text{otherwise} \end{cases}$

$\hat{L}_{outer} = \hat{H}(\hat{l})(@outer).1.2.2$

$\hat{v}_2 = \begin{cases} \bigsqcup_{\hat{l}_{outer} \in \hat{L}_{outer}} \widehat{\text{LookupL}}(\hat{H}, \hat{l}_{outer}, x) & \text{if } \hat{\text{false}} \sqsubseteq (x \dot{\in} dom(\hat{H}(\hat{l}))) \\ \bot_{Value} & \text{otherwise} \end{cases}$

$\widehat{\text{LookupBase}}$: $\widehat{\text{Heap}} \times \text{Prop} \to \wp(\widehat{\text{Loc}})$

$\widehat{\text{LookupBase}}(\hat{H}, x) = \{\#\hat{PureLocal}_R\}$ if $\widehat{\text{getVarKind}}_P(x) = \text{PureLocalVar}$

$\widehat{\text{LookupBase}}(\hat{H}, x) = \bigcup_{\hat{l} \in \hat{H}(\#\hat{PureLocal}_R)(@env).1.2.2} \widehat{\text{LookupBaseL}}(\hat{H}, \hat{l}, x)$ if $\widehat{\text{getVarKind}}_P(x) = \text{CapturedVar}$

$\widehat{\text{LookupBase}}(\hat{H}, x) = \{\#\hat{Collapsed}_O\}$ if $\widehat{\text{getVarKind}}_P(x) = \text{CapturedCatchVar}$

$\widehat{\text{LookupBase}}(\hat{H}, x) = \widehat{\text{LookupBaseG}}(\hat{H}, x)$ if $\widehat{\text{getVarKind}}_P(x) = \text{GlobalVar}$

$\widehat{\text{LookupBaseG}}$: $\widehat{\text{Heap}} \times \text{Prop} \to \wp(\widehat{\text{Loc}})$

$\widehat{\text{LookupBaseG}}(\hat{H}, x) = \hat{L}_1 \cup \hat{L}_2$

where $\hat{L}_1 = \begin{cases} \{\#\hat{Global}_R\} & \text{if } \hat{\text{true}} \sqsubseteq (x \dot{\in} dom(\hat{H}(\#\hat{Global}_R)) \\ \{\} & \text{otherwise} \end{cases}$

$\hat{L}_2 = \begin{cases} \hat{L}_3 & \text{if } \hat{\text{false}} \sqsubseteq (x \dot{\in} dom(\hat{H}(\#\hat{Global}_R)) \\ \{\} & \text{otherwise} \end{cases}$

$\hat{L}_{proto} = \hat{H}(\#\hat{Global}_R)(@proto).1.1.1.2$

$\hat{L}_3 = \bigsqcup_{\hat{l}_{proto} \in \hat{L}_{proto}} \widehat{\text{ProtoBase}}(\hat{H}, \hat{l}_{proto}, \hat{x})$

Cycle in scope chain is detected at implementation level.

$\widehat{\text{LookupBaseL}}$: $\widehat{\text{Heap}} \times \widehat{\text{Loc}} \times \text{Prop} \to \wp(\widehat{\text{Loc}})$

$\widehat{\text{LookupBaseL}}(\hat{H}, \hat{l}, x) = \hat{L}_1 \cup \hat{L}_2$

where $\hat{L}_1 = \begin{cases} \{\hat{l}\} & \text{if } \hat{\text{true}} \sqsubseteq (x \dot{\in} dom(\hat{H}(\hat{l}))) \\ \{\} & \text{otherwise} \end{cases}$

$\hat{L}_{outer} = \hat{H}(\hat{l})(@outer).1.2.2$

$\hat{L}_2 = \begin{cases} \bigcup_{\hat{l}_{outer} \in \hat{L}_{outer}} \widehat{\text{LookupBaseL}}(\hat{H}, \hat{l}_{outer}, x) & \text{if } \hat{\text{false}} \sqsubseteq (x \dot{\in} dom(\hat{H}(\hat{l}))) \\ \{\} & \text{otherwise} \end{cases}$

$\underline{\widehat{\mathsf{NewBoolean}}}$ $: \widehat{\mathsf{Value}} \to \widehat{\mathsf{Obj}}$

$$\underline{\widehat{\mathsf{NewBoolean}}}(\hat{v}) = \left\{ \begin{array}{l} @class \mapsto \text{“}\widehat{Boolean}\text{”}_{Value}, \\ @proto \mapsto \langle \langle \bot_{PValue}, \{\#\widehat{BoolProto}_R\} \rangle, \widehat{\mathsf{false}}, \widehat{\mathsf{false}}, \widehat{\mathsf{false}} \rangle, \\ @extensible \mapsto \widehat{\mathsf{true}}_{Value}, \\ @primitive \mapsto \hat{v} \end{array} \right\}$$

$\underline{\widehat{\mathsf{NewNumber}}}$ $: \widehat{\mathsf{Value}} \to \widehat{\mathsf{Obj}}$

$$\underline{\widehat{\mathsf{NewNumber}}}(\hat{v}) = \left\{ \begin{array}{l} @class \mapsto \text{“}\widehat{Number}\text{”}_{Value}, \\ @proto \mapsto \langle \langle \bot_{PValue}, \{\#\widehat{NumProto}_R\} \rangle, \widehat{\mathsf{false}}, \widehat{\mathsf{false}}, \widehat{\mathsf{false}} \rangle, \\ @extensible \mapsto \widehat{\mathsf{true}}_{Value}, \\ @primitive \mapsto \hat{v} \end{array} \right\}$$

$\underline{\widehat{\mathsf{NewString}}}$ $: \widehat{\mathsf{Value}} \to \widehat{\mathsf{Obj}}$

$\underline{\widehat{\mathsf{NewString}}}(\hat{v}) = \hat{o}_1 \sqcup \hat{o}_2$

where $\hat{s} = \hat{v}.1.5 \ \wedge \ \hat{v}_{len} = length(\hat{s})$

$$\hat{o}_1 = \left\{ \begin{array}{l} @class \mapsto \text{“}\widehat{String}\text{”}_{Value}, \\ @proto \mapsto \langle \langle \bot_{PValue}, \{\#\widehat{StrProto}_R\} \rangle, \widehat{\mathsf{false}}, \widehat{\mathsf{false}}, \widehat{\mathsf{false}} \rangle, \\ @extensible \mapsto \widehat{\mathsf{true}}_{Value}, \\ @primitive \mapsto \hat{v}, \\ \text{“}length\text{”} \mapsto \langle (\hat{v}_{len})_{Value}, \widehat{\mathsf{false}}, \widehat{\mathsf{false}}, \widehat{\mathsf{false}} \rangle \end{array} \right\}$$

$$\hat{o}_2 = \left\{ \text{“}i\text{”} \mapsto \langle (\hat{v}_{char})_{Value}, \widehat{\mathsf{false}}, \widehat{\mathsf{true}}, \widehat{\mathsf{false}} \rangle \;\middle|\; \begin{array}{l} 0 \leq i \\ \wedge \exists l \in \gamma(\hat{v}_{len}).i < l \\ \wedge \hat{v}_{char} = charAt(\hat{s}, i) \end{array} \right\}$$

$\underline{\widehat{\mathsf{NewDeclEnvRecord}}}$ $: \widehat{\mathsf{Value}} \to \widehat{\mathsf{Obj}}$

outer is either location set or null value

$\underline{\widehat{\mathsf{NewDeclEnvRecord}}}(\hat{v}) = \{ \ @outer \mapsto \hat{v} \ \}$

$\underline{\widehat{\mathsf{NewObject}}}$ $: \widehat{\mathsf{Loc}} \to \widehat{\mathsf{Obj}}$

$$\underline{\widehat{\mathsf{NewObject}}}(\hat{l}) = \left\{ \begin{array}{l} @class \mapsto \text{“}\widehat{Object}\text{”}_{Value}, \\ @proto \mapsto \langle \langle \bot_{PValue}, \{\hat{l}\} \rangle, \widehat{\mathsf{false}}, \widehat{\mathsf{false}}, \widehat{\mathsf{false}} \rangle, \\ @extensible \mapsto \widehat{\mathsf{true}}_{Value} \end{array} \right\}$$

$\underline{\widehat{\mathsf{NewArgObject}}}$ $: \widehat{\mathsf{Number}} \to \widehat{\mathsf{Obj}}$

$$\underline{\widehat{\mathsf{NewArgObject}}}(\hat{n}) = \left\{ \begin{array}{l} @class \mapsto \text{“}\widehat{Arguments}\text{”}_{Value}, \\ @proto \mapsto \langle \langle \bot_{PValue}, \{\#\widehat{ObjProto}_R\} \rangle, \widehat{\mathsf{false}}, \widehat{\mathsf{false}}, \widehat{\mathsf{false}} \rangle, \\ \text{“}length\text{”} \mapsto \langle \hat{n}_{Value}, \widehat{\mathsf{true}}, \widehat{\mathsf{false}}, \widehat{\mathsf{true}} \rangle, \\ @extensible \mapsto \widehat{\mathsf{true}}_{Value} \end{array} \right\}$$

$\underline{\widehat{\mathsf{NewArrayObject}}}$ $: \widehat{\mathsf{Number}} \to \widehat{\mathsf{Obj}}$

$$\underline{\widehat{\mathsf{NewArrayObject}}}(\hat{n}) = \left\{ \begin{array}{l} @class \mapsto \text{“}\widehat{Array}\text{”}_{Value}, \\ @proto \mapsto \langle \langle \bot_{PValue}, \{\#\widehat{ArrayProto}_R\} \rangle, \widehat{\mathsf{false}}, \widehat{\mathsf{false}}, \widehat{\mathsf{false}} \rangle, \\ \text{“}length\text{”} \mapsto \langle \hat{n}_{Value}, \widehat{\mathsf{true}}, \widehat{\mathsf{false}}, \widehat{\mathsf{false}} \rangle, \\ @extensible \mapsto \widehat{\mathsf{true}}_{Value} \end{array} \right\}$$

$\underline{\widehat{\mathsf{NewFunctionObject}}}$ $: \mathsf{FunctionId} \times \widehat{\mathsf{Value}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{Number}} \to \widehat{\mathsf{Obj}}$

scope is either location set or null value

$$\underline{\widehat{\mathsf{NewFunctionObject}}}(fid, \hat{v}, \hat{l}, \hat{n}) = \left\{ \begin{array}{l} @class \mapsto \text{“}\widehat{Function}\text{”}_{Value}, \\ @proto \mapsto \langle \langle \bot_{PValue}, \{\#\widehat{FunctionProto}_R\} \rangle, \widehat{\mathsf{false}}, \widehat{\mathsf{false}}, \widehat{\mathsf{false}} \rangle, \\ @extensible \mapsto \widehat{\mathsf{true}}_{Value}, \\ @function \mapsto \{fid\}, \\ @construct \mapsto \{fid\}, \\ @hasinstance \mapsto \top_{Null}, \\ @scope \mapsto \hat{v}, \\ \text{“}prototype\text{”} \mapsto \langle \langle \bot_{PValue}, \{\hat{l}\} \rangle, \widehat{\mathsf{true}}, \widehat{\mathsf{false}}, \widehat{\mathsf{false}} \rangle, \\ \text{“}length\text{”} \mapsto \langle \hat{n}_{Value}, \widehat{\mathsf{false}}, \widehat{\mathsf{false}}, \widehat{\mathsf{false}} \rangle \end{array} \right\}$$

$\underline{\widehat{\mathsf{NewPureLocal}}}$ $: \widehat{\mathsf{Value}} \times \wp(\widehat{\mathsf{Loc}}) \to \widehat{\mathsf{Obj}}$

env is either location set or null value

$$\underline{\widehat{\mathsf{NewPureLocal}}}(\hat{v}_{env}, \hat{L}_{this}) = \left\{ \begin{array}{l} @env \mapsto \hat{v}_{env}, \\ @this \mapsto \hat{L}_{this}, \\ @exception \mapsto \bot_{PropValue}, \\ @exception\_all \mapsto \bot_{PropValue}, \\ @return \mapsto \widehat{\mathsf{undefined}}_{Value} \end{array} \right\}$$

$\widehat{\underline{\mathsf{Oldify}}}$ $: \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Context}} \times \widehat{\mathsf{Address}} \to \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Context}}$

$$\widehat{\underline{\mathsf{Oldify}}}(\hat{H}, \hat{C}, \hat{a}) = \begin{cases} (\hat{H}_1, \hat{C}_1) & \text{if } \hat{C} \neq \bot_{Context} \\ (\bot_{Heap}, \bot_{Context}) & \text{if } \hat{C} = \bot_{Context} \end{cases}$$

where $\hat{l}_R = (\hat{a}, \widehat{Recent}) \wedge \hat{l}_O = (\hat{a}, \widehat{Old})$

$$\wedge \hat{H}_1 = \begin{cases} (\hat{H}[\hat{l}_O \mapsto \hat{H}(\hat{l}_R)] - \hat{l}_R)\{\hat{l}_O/\hat{l}_R\} & \text{if } \hat{l}_R \in dom(\hat{H}) \\ \hat{H}\{\hat{l}_O/\hat{l}_R\} & \text{if } \hat{l}_R \notin dom(\hat{H}) \end{cases}$$

$$\wedge \hat{C}_1 = \langle \{\}, \{\}, \hat{C}.3 \cup \{\hat{a}\}, \hat{C}.4 \cup \{\hat{a}\} \rangle$$

At function return, this method oldifies bypassed pure local object.

$\widehat{\underline{\mathsf{FixOldify}}}$ $: \widehat{\mathsf{Context}} \times \widehat{\mathsf{Obj}} \times \wp(\widehat{\mathsf{Address}}) \times \wp(\widehat{\mathsf{Address}}) \to \widehat{\mathsf{Context}} \times \widehat{\mathsf{Obj}}$

$$\widehat{\underline{\mathsf{FixOldify}}}(\hat{C}_0, \hat{o}_0, \hat{A}_{may}, \hat{A}_{must}) = \begin{cases} (\hat{C}_n, \hat{o}_n) & \text{if } \hat{C} \neq \bot_{Context} \\ (\bot_{Context}, \bot_{Obj}) & \text{if } \hat{C} = \bot_{Context} \end{cases}$$

where $\hat{a}_1 \cdots \hat{a}_n = \hat{A}_{may} \wedge$

$\forall 1 \leq i \leq n.$

$$\hat{l}_{R_i} = (\hat{a}_i, \widehat{Recent}) \wedge \hat{l}_{O_i} = (\hat{a}_i, \widehat{Old}) \wedge$$

$$\hat{C}_i = \begin{cases} \langle \{\}, \{\}, \hat{C}_{i-1}.3 \cup \{\hat{a}_i\}, \hat{C}_{i-1}.4 \cup \{\hat{a}_i\} \rangle & \text{if } a_i \in \hat{A}_{must} \\ \langle \{\}, \{\}, \hat{C}_{i-1}.3 \cup \{\hat{a}_i\}, \hat{C}_{i-1}.4 \rangle & \text{if } a_i \notin \hat{A}_{must} \end{cases}$$

$$\hat{o}_i = \begin{cases} \hat{o}_i = \hat{o}_{i-1}\{\hat{l}_{O_i}/\hat{l}_{R_i}\} & \text{if } a_i \in \hat{A}_{must} \\ \hat{o}_i = \hat{o}_{i-1}\{\{\hat{l}_{O_i}, \hat{l}_{R_i}\}/\hat{l}_{R_i}\} & \text{if } a_i \notin \hat{A}_{must} \end{cases}$$

Cycle in prototype chain is detected at implementation level.

$\widehat{\underline{\mathsf{Proto}}}$ $: \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{String}} \to \widehat{\mathsf{Value}}$

$$\widehat{\underline{\mathsf{Proto}}}(\hat{H}, \hat{l}, \hat{s}) = \hat{v}_1 \sqcup \hat{v}_2$$

where $\hat{v}_1 = \begin{cases} \hat{H}(\hat{l})(\hat{s}).1.1.1 & \widehat{\mathsf{true}} \sqsubseteq (\hat{s} \dot{\in} dom(\hat{H}(\hat{l}))) \\ \bot_{Value} & \text{otherwise} \end{cases}$

$$\hat{L}_{proto} = \hat{H}(\hat{l})(@proto).1.1.1.2$$

$$\hat{v}_2 = \begin{cases} \hat{v}_3 \sqcup \bigsqcup_{\hat{l}_{proto} \in \hat{L}_{proto}} \widehat{\underline{\mathsf{Proto}}}(\hat{H}, \hat{l}_{proto}, \hat{s}) & \widehat{\mathsf{false}} \sqsubseteq (\hat{s} \dot{\in} dom(\hat{H}(\hat{l}))) \\ \bot_{Value} & \text{otherwise} \end{cases}$$

$$\hat{v}_3 = \begin{cases} \widehat{\mathsf{undefined}}_{Value} & \text{if } \hat{H}(\hat{l})(@proto).1.1.1.1.2 \not\sqsubseteq \bot_{Null} \\ \bot_{Value} & \text{otherwise} \end{cases}$$

Cycle in prototype chain is detected at implementation level.

$\widehat{\underline{\mathsf{ProtoBase}}}$ $: \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{String}} \to \wp(\widehat{\mathsf{Loc}})$

$$\widehat{\underline{\mathsf{ProtoBase}}}(\hat{H}, \hat{l}, \hat{s}) = \hat{L}_1 \cup \hat{L}_2$$

where $\hat{l} \in dom(\hat{H})$

$$\wedge \hat{L}_1 = \begin{cases} \{\ \hat{l}\ \} & \widehat{\mathsf{true}} \sqsubseteq (\hat{s} \dot{\in} dom(\hat{H}(\hat{l})) \\ \{\} & \text{otherwise} \end{cases}$$

$$\wedge \hat{L}_{proto} = \hat{H}(\hat{l})(@proto).1.1.1.2$$

$$\wedge \hat{L}_2 = \begin{cases} \bigsqcup_{\hat{l}_{proto} \in \hat{L}_{proto}} \widehat{\underline{\mathsf{ProtoBase}}}(\hat{H}, \hat{l}_{proto}, \hat{s}) & \widehat{\mathsf{false}} \sqsubseteq (\hat{s} \dot{\in} dom(\hat{H}(\hat{l})) \\ \{\} & \text{otherwise} \end{cases}$$

$\widehat{\underline{\mathsf{Pruning}}}_1$: $\mathsf{PrunExpr} \times \widehat{\mathsf{Value}} \times \mathsf{IRRelOP} \times \widehat{\mathsf{Value}} \times \widehat{\mathsf{State}} \to \widehat{\mathsf{State}}$

$\widehat{\underline{\mathsf{Pruning}}}_1(pe, \hat{v}_1, \S, \hat{v}_2, (\hat{H}, \hat{C})) = (\hat{H}_1, \hat{C}_1)$

where $(\hat{v}, a\hat{b}s) = \widehat{\underline{\mathsf{K}}}_{\S}(\hat{v}_2)$

$$\hat{s} = \begin{cases} \text{“}\hat{x}\text{”} & \text{if } pe = x \\ \widehat{\underline{\mathsf{toString}}}(\hat{pv}) & \text{if } pe = e_1[e_2] \\ & \text{where } \hat{pv} = \widehat{\underline{\mathsf{toPrimitive}}}((\hat{\mathcal{V}}[\![e_2]\!](\hat{H}, \hat{C})).1) \end{cases}$$

$$\hat{L}_{base} = \begin{cases} \widehat{\underline{\mathsf{LookupBase}}}(\hat{H}, \hat{C}.1, \text{“}x\text{”}) & \text{if } pe = x \\ \bigsqcup_{\hat{l} \in (\hat{\mathcal{V}}[\![e_1]\!](\hat{H}, \hat{C})).1.2} \widehat{\underline{\mathsf{ProtoBase}}}(\hat{H}, \hat{l}, \hat{s}) & \text{if } pe = e_1[e_2] \end{cases}$$

$$\hat{prop}v = \begin{cases} \langle \langle \hat{v} \sqcap \hat{v}_1, \hat{o}v.2, \hat{o}v.3, \hat{o}v.4 \rangle, \bot_{Value}, \bot_{FunctionId} \rangle & \text{if } \widehat{\underline{\mathsf{size}}}(\hat{L}_{base}) = 1 \\ & \text{where } \hat{l} \in \hat{L}_{base} \\ & \quad \hat{o}v = \hat{H}(\hat{l})(\hat{s}).1.1 \\ \bot_{PropValue} & \text{otherwise} \end{cases}$$

$$(\hat{H}_1, \hat{C}_1) = \begin{cases} (\hat{H}[\hat{l} \mapsto \hat{H}(\hat{l})[\hat{s} \mapsto \langle \hat{prop}v, a\hat{b}s \sqcap \hat{H}(\hat{l})(\hat{s}).2 \rangle]], \hat{C}) & \text{if } \widehat{\underline{\mathsf{size}}}(\hat{L}_{base}) = 1 \wedge \{x\} = \gamma(\hat{s}) \\ & \text{where } \hat{l} \in \hat{L}_{base} \\ (\bot_{Heap}, \bot_{Context}) & \text{if } \widehat{\underline{\mathsf{size}}}(\hat{L}_{base}) = 0 \\ (\hat{H}, \hat{C}) & \text{otherwise} \end{cases}$$

$\widehat{\underline{\mathsf{Pruning}}}_2$: $\mathsf{RelExpr} \times \widehat{\mathsf{State}} \to \widehat{\mathsf{State}}$

$\widehat{\underline{\mathsf{Pruning}}}_2(re, (\hat{H}, \hat{C})) = (\hat{H}_1, \hat{C}_1)$

where $e_1 \S e_2 = re$

$\hat{v}_1 = (\hat{\mathcal{V}}[\![e_1]\!](\hat{H}, \hat{C})).1$

$\hat{v}_2 = (\hat{\mathcal{V}}[\![e_2]\!](\hat{H}, \hat{C})).1$

$\hat{s} = \widehat{\underline{\mathsf{toString}}}(\widehat{\underline{\mathsf{toPrimitive}}}(\hat{v}_1))$

$$\hat{L}_{base} = \begin{cases} \bigsqcup_{\hat{l} \in \hat{v}_2.2} \widehat{\underline{\mathsf{ProtoBase}}}(\hat{H}, \hat{l}, \hat{s}) & \text{if } \S = \texttt{in} \\ \hat{v}_2.2 & \text{otherwise} \end{cases}$$

$$(\hat{H}_1, \hat{C}_1) = \begin{cases} (\hat{H}[\hat{l} \mapsto \hat{H}(\hat{l})[\hat{s} \mapsto (\hat{H}(\hat{l})(\hat{s})).1]], \hat{C}) & \text{if } \{\hat{l}\} = \hat{L}_{base} \wedge \{x\} = \gamma(\hat{s}) \wedge \S = \texttt{in} \\ (\widehat{\underline{\mathsf{DeleteAll}}}(\hat{H}, \hat{l}, \hat{s}), \hat{C}) & \text{if } \{\hat{l}\} = \hat{L}_{base} \wedge \{x\} = \gamma(\hat{s}) \wedge \S = \texttt{notIn} \\ (\widehat{\underline{\mathsf{PrunInstanceof}}}(\hat{l}_1, \hat{l}, \hat{\mathsf{true}}, \hat{H}), \hat{C}) & \text{if } \{\hat{l}\} = \hat{L}_{base} \wedge \{\hat{l}_1\} = \hat{v}_1.2 \\ & \quad \wedge \S = \texttt{instanceof} \\ (\widehat{\underline{\mathsf{PrunInstanceof}}}(\hat{l}_1, \hat{l}, \hat{\mathsf{false}}, \hat{H}), \hat{C}) & \text{if } \{\hat{l}\} = \hat{L}_{base} \wedge \{\hat{l}_1\} = \hat{v}_1.2 \\ & \quad \wedge \S = \texttt{notInstanceof} \\ (\bot_{Heap}, \bot_{Context}) & \text{if } \widehat{\underline{\mathsf{size}}}(\hat{L}_{base}) = 0 \\ (\hat{H}, \hat{C}) & \text{otherwise} \end{cases}$$

$\widehat{\underline{\mathsf{PrunInstanceof}}}$: $\widehat{\mathsf{Loc}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{Bool}} \times \widehat{\mathsf{Heap}} \to \widehat{\mathsf{Heap}}$

$\widehat{\underline{\mathsf{PrunInstanceof}}}(\hat{l}_{obj}, \hat{l}_{fun}, \hat{b}, \hat{H}) = \hat{H}_1 \sqcap \hat{H}_2$

where $\hat{L}_{prototype} = \hat{H}(\hat{l}_{fun})(\text{“}prototype\text{”}).1.1.1.2$

$\hat{L}_{proto} = \hat{H}(\hat{l}_{obj})(@proto).1.1.1.2$

$\hat{L}_1 = \bigsqcup_{\hat{l}_1 \in \hat{L}_{proto}} \bigsqcup_{\hat{l}_2 \in \hat{L}_{prototype}} \widehat{\underline{\mathsf{inheritProto}}}_2(\hat{H}, \hat{l}_1, \hat{l}_2, \hat{b})$

$\hat{L}_2 = \bigsqcup_{\hat{l}_1 \in \hat{L}_{proto}} \bigsqcup_{\hat{l}_2 \in \hat{L}_{prototype}} \widehat{\underline{\mathsf{inheritProto}}}_1(\hat{H}, \hat{l}_1, \hat{l}_2, \hat{b})$

$$\hat{H}_1 = \hat{H}\left[\hat{l}_{obj} \mapsto \hat{H}(\hat{l}_{obj})\left[@proto \mapsto \left\langle \begin{array}{l} \langle \bot_{PValue}, \hat{L}_1 \rangle, \\ \hat{\mathsf{false}}, \\ \hat{\mathsf{false}}, \\ \hat{\mathsf{false}} \end{array} \right\rangle\right]\right]$$

$$\hat{H}_2 = \hat{H}\left[\hat{l}_{fun} \mapsto \hat{H}(\hat{l}_{fun})\left[\text{“}prototype\text{”} \mapsto \left\langle \begin{array}{l} \langle \bot_{PValue}, \hat{L}_2 \rangle, \\ \hat{\mathsf{false}}, \\ \hat{\mathsf{false}}, \\ \hat{\mathsf{false}} \end{array} \right\rangle\right]\right]$$

$\widehat{\underline{\mathsf{size}}}$: $\wp(\widehat{\mathsf{Loc}}) \to \mathsf{Number}$

$\widehat{\underline{\mathsf{size}}}(\{\}) = 0$

$\widehat{\underline{\mathsf{size}}}(\hat{L}) = 1 + \widehat{\underline{\mathsf{size}}}(\hat{L}_1)$ where $\hat{l} \in \hat{L}$, $\hat{L}_1 = \hat{L} - \{\hat{l}\}$

$\widehat{\underline{\mathsf{VarStore}}}$ $: \widehat{\mathsf{Heap}} \times \mathsf{Prop} \times \widehat{\mathsf{Value}} \to \widehat{\mathsf{Heap}}$

$\widehat{\underline{\mathsf{VarStore}}}(\hat{H}, x, \hat{v}) = \hat{H}_1$ if $\underline{\mathsf{getVarKind}}_P(x) = \mathsf{PureLocalVar}$

where $\hat{H}_1 = \hat{H}[\#\hat{PureLocal}_R \mapsto \hat{H}(\#\hat{PureLocal}_R)[x \mapsto \langle \hat{v}, \perp_{Bool}, \perp_{Bool}, \hat{\mathsf{false}} \rangle]]$

$\widehat{\underline{\mathsf{VarStore}}}(\hat{H}, x, \hat{v}) = \hat{H}_1$ if $\underline{\mathsf{getVarKind}}_P(x) = \mathsf{CapturedVar}$

where $\hat{H}_1 = \bigsqcup_{\hat{l} \in \hat{H}(\#\hat{PureLocal}_R)(@env).1.2.2} \widehat{\underline{\mathsf{VarStoreL}}}(\hat{H}, \hat{l}, x, \hat{v})$

$\widehat{\underline{\mathsf{VarStore}}}(\hat{H}, x, \hat{v}) = \hat{H}_1$ if $\underline{\mathsf{getVarKind}}_P(x) = \mathsf{CapturedCatchVar}$

where $\hat{H}_1 = \hat{H}[\#\hat{Collapsed}_O \mapsto \hat{H}(\#\hat{Collapsed}_O)[x \mapsto \langle \hat{v}, \perp_{Bool}, \perp_{Bool}, \hat{\mathsf{false}} \rangle]]$

$\widehat{\underline{\mathsf{VarStore}}}(\hat{H}, x, \hat{v}) = \hat{H}_1 \sqcup \hat{H}_2$ if $\underline{\mathsf{getVarKind}}_P(x) = \mathsf{GlobalVar}$

where $\hat{H}_1 = \begin{cases} \widehat{\underline{\mathsf{VarStoreG}}}(\hat{H}, x, \hat{v}) & \text{if } \hat{\mathsf{true}} \sqsubseteq \widehat{\underline{\mathsf{CanPutVar}}}(\hat{H}, x) \\ \perp_{Heap} & \text{otherwise} \end{cases}$

$\wedge \hat{H}_2 = \begin{cases} \hat{H} & \text{if } \hat{\mathsf{false}} \sqsubseteq \widehat{\underline{\mathsf{CanPutVar}}}(\hat{H}, x) \\ \perp_{Heap} & \text{otherwise} \end{cases}$

$\widehat{\underline{\mathsf{VarStoreG}}}$ $: \widehat{\mathsf{Heap}} \times \mathsf{Prop} \times \widehat{\mathsf{Value}} \to \widehat{\mathsf{Heap}}$

$\widehat{\underline{\mathsf{VarStoreG}}}(\hat{H}, x, \hat{v}) = \hat{H}_1 \sqcup \hat{H}_2$

where $\hat{l}_g = \#\hat{Global}_R \ \wedge \ \hat{ov}_{old} = \hat{H}(\hat{l}_g)(x).1.1$

$\hat{H}_1 = \begin{cases} \widehat{\underline{\mathsf{PropStore}}}(\hat{H}, \hat{l}_g, \hat{x}, \hat{v}) & \text{if } \hat{\mathsf{false}} \sqsubseteq (x \dot{\in} dom(\hat{H}(\hat{l}_g))) \\ \perp_{Heap} & \text{otherwise} \end{cases}$

$\hat{H}_2 = \begin{cases} \hat{H}[\hat{l}_g \mapsto \hat{H}(\hat{l}_g)[x \mapsto \langle \hat{v}, \hat{ov}_{old}.2, \hat{ov}_{old}.3, \hat{ov}_{old}.4 \rangle]] & \text{if } \hat{\mathsf{true}} \sqsubseteq (x \dot{\in} dom(\hat{H}(\hat{l}_g))) \\ \perp_{Heap} & \text{otherwise} \end{cases}$

Writable is false only for function name variables, which is always determined exactly.
Cycle in scope chain is detected at implementation level.

$\widehat{\underline{\mathsf{VarStoreL}}}$ $: \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \times \mathsf{Prop} \times \widehat{\mathsf{Value}} \to \widehat{\mathsf{Heap}}$

$\widehat{\underline{\mathsf{VarStoreL}}}(\hat{H}, \hat{l}, x, \hat{v}) = \hat{H}_1 \sqcup \hat{H}_2$

where $\hat{H}_1 = \begin{cases} \hat{H}\left[\hat{l} \mapsto \hat{H}(\hat{l})\left[x \mapsto \langle \hat{v}, \hat{\mathsf{true}}, \perp_{Bool}, \hat{\mathsf{false}} \rangle\right]\right] & \text{if } \hat{\mathsf{true}} \sqsubseteq (x \dot{\in} dom(\hat{H}(\hat{l}))) \wedge \hat{H}(\hat{l})(x).1.1.2 = \hat{\mathsf{true}} \\ \hat{H} & \text{if } \hat{\mathsf{true}} \sqsubseteq (x \dot{\in} dom(\hat{H}(\hat{l}))) \wedge \hat{H}(\hat{l})(x).1.1.2 = \hat{\mathsf{false}} \\ \perp_{Heap} & \text{otherwise} \end{cases}$

$\hat{L}_{outer} = \hat{H}(\hat{l})(@outer).1.2.2$

$\hat{H}_2 = \begin{cases} \bigsqcup_{\hat{l}_{outer} \in \hat{L}_{outer}} \widehat{\underline{\mathsf{VarStoreL}}}(\hat{H}, \hat{l}_{outer}, x, \hat{v}) & \hat{\mathsf{false}} \sqsubseteq (x \dot{\in} dom(\hat{H}(\hat{l}))) \\ \perp_{Heap} & \text{otherwise} \end{cases}$

$\widehat{\underline{\mathsf{PropStore}}}$ $: \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{String}} \times \widehat{\mathsf{Value}} \to \widehat{\mathsf{Heap}}$

$\widehat{\underline{\mathsf{PropStore}}}(\hat{H}, \hat{l}, \hat{s}, \hat{v}) = \hat{H}_1 \sqcup \hat{H}_2$

where $\hat{H}_1 = \begin{cases} \hat{H}\left[\hat{l} \mapsto \hat{H}(\hat{l})\left[\hat{s} \mapsto \langle \hat{v}, \hat{\mathsf{true}}, \hat{\mathsf{true}}, \hat{\mathsf{true}} \rangle\right]\right] & \text{if } \hat{\mathsf{false}} \sqsubseteq (\hat{s} \dot{\in} dom(\hat{H}(\hat{l}))) \\ \perp_{Heap} & \text{otherwise} \end{cases}$

$\hat{ov}_{old} = \hat{H}(\hat{l})(\hat{s}).1.1$

$\hat{H}_2 = \begin{cases} \hat{H}\left[\hat{l} \mapsto \hat{H}(\hat{l})\left[\hat{s} \mapsto \langle \hat{v}, \hat{ov}_{old}.2, \hat{ov}_{old}.3, \hat{ov}_{old}.4 \rangle\right]\right] & \text{if } \hat{\mathsf{true}} \sqsubseteq (\hat{s} \dot{\in} dom(\hat{H}(\hat{l}))) \\ \perp_{Heap} & \text{otherwise} \end{cases}$

$\widehat{\underline{\mathsf{ReturnStore}}}$ $: \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Value}} \to \widehat{\mathsf{Heap}}$

$\widehat{\underline{\mathsf{ReturnStore}}}(\hat{H}, \hat{v}) = \hat{H}[\#\hat{PureLocal}_R \mapsto \hat{H}(\#\hat{PureLocal}_R)[@return \mapsto \hat{v}]]$

$\underline{\widehat{\mathsf{toBoolean}}}$: $\widehat{\mathsf{Value}} \to \widehat{\mathsf{Bool}}$

$\underline{\widehat{\mathsf{toBoolean}}}(\hat{v}) = \langle\langle \bot, \bot, \bigsqcup_{n=1\cdots 8} \hat{b}_n, \bot, \bot\rangle, \{\}\rangle$

where $\hat{b}_1 = \hat{\mathsf{false}}$ if $\hat{\mathsf{undefined}} \sqsubseteq \hat{v}.1.1$

$\hat{b}_2 = \hat{\mathsf{false}}$ if $\hat{\mathsf{null}} \sqsubseteq \hat{v}.1.2$

$\hat{b}_3 = \hat{v}.1.3$

$\hat{b}_4 = \hat{\mathsf{false}}$ if $\hat{0} \sqsubseteq \hat{v}.1.4 \vee \hat{\mathsf{NaN}} \sqsubseteq \hat{v}.1.4$

$\hat{b}_5 = \hat{\mathsf{true}}$ if $\hat{v}.1.4 \not\sqsubseteq \bot_{number} \wedge \hat{v}.1.4 \neq \hat{0} \wedge \hat{v}.1.4 \neq \hat{\mathsf{NaN}}$

$\hat{b}_6 = \hat{\mathsf{false}}$ if $\hat{\text{“”}} \sqsubseteq \hat{v}.1.5$

$\hat{b}_7 = \hat{\mathsf{true}}$ if $\hat{v}.1.5 \not\sqsubseteq \bot_{string} \wedge \hat{v}.1.5 \neq \hat{\text{“”}}$

$\hat{b}_8 = \hat{\mathsf{true}}$ if $\hat{v}.2 \not\sqsubseteq \bot_{Loc}$

$\underline{\widehat{\mathsf{toNumber}}}$: $\widehat{\mathsf{PValue}} \to \widehat{\mathsf{Number}}$

$\underline{\widehat{\mathsf{toNumber}}}(\hat{pv}) = \hat{n}_1 \sqcup \hat{n}_2 \sqcup \hat{n}_3 \sqcup \hat{n}_4 \sqcup \hat{n}_5$

where $\hat{n}_1 = \hat{\mathsf{NaN}}$ if $\hat{\mathsf{undefined}}_{Value} \sqsubseteq \hat{pv}$

$\hat{n}_2 = \hat{0}$ if $\hat{\mathsf{null}} \sqsubseteq \hat{pv} \vee \hat{\mathsf{false}} \sqsubseteq \hat{pv}$

$\hat{n}_3 = \hat{1}$ if $\hat{\mathsf{true}} \sqsubseteq \hat{pv}$

$\hat{n}_4 = \hat{pv}.4$

$\hat{n}_5 = \underline{\widehat{\mathsf{Str2Num}}}(\hat{pv})$ if $\hat{pv}.5 \not\sqsubseteq \bot_{string}$

$\underline{\widehat{\mathsf{toString}}}$: $\widehat{\mathsf{PValue}} \to \widehat{\mathsf{String}}$

$\underline{\widehat{\mathsf{toString}}}(\hat{pv}) = \hat{s}_1 \sqcup \hat{s}_2 \sqcup \hat{s}_3 \sqcup \hat{s}_4 \sqcup \hat{s}_5$

where $\hat{s}_1 = \text{“}\hat{undefined}\text{”}$ if $\hat{pv}.1 \not\sqsubseteq \bot_{Undefined}$

$\hat{s}_2 = \text{“}\hat{null}\text{”}$ if $\hat{pv}.2 \not\sqsubseteq \bot_{Null}$

$\hat{s}_3 = \text{“}\hat{pv}.3\text{”}$ if $\hat{pv}.3 \not\sqsubseteq \bot_{Bool}$

$\hat{s}_4 = \text{“}\hat{pv}.4\text{”}$ if $\hat{pv}.4 \not\sqsubseteq \bot_{Number}$

$\hat{s}_5 = \hat{pv}.5$

$\underline{\widehat{\mathsf{toStringSet}}}$: $\widehat{\mathsf{PValue}} \to \wp(\widehat{\mathsf{String}})$

$\underline{\widehat{\mathsf{toStringSet}}}(\hat{pv}) = \hat{ss}$ *with redundancies removed*

where $\hat{ss}_1 = \begin{cases} \{\text{“}\hat{undefined}\text{”}\} & \text{if } \hat{pv}.1 \not\sqsubseteq \bot_{Undefined} \\ \{\} & \text{otherwise} \end{cases}$

$\hat{ss}_2 = \begin{cases} \{\text{“}\hat{null}\text{”}\} & \text{if } \hat{pv}.2 \not\sqsubseteq \bot_{Null} \\ \{\} & \text{otherwise} \end{cases}$

$\hat{ss}_3 = \begin{cases} \{\text{“}\hat{pv}.3\text{”}\} & \text{if } \hat{pv}.3 \not\sqsubseteq \bot_{Bool} \\ \{\} & \text{otherwise} \end{cases}$

$\hat{ss}_4 = \begin{cases} \{\text{“}\hat{pv}.4\text{”}\} & \text{if } \hat{pv}.4 \not\sqsubseteq \bot_{Number} \\ \{\} & \text{otherwise} \end{cases}$

$\hat{ss}_5 = \begin{cases} \{\hat{pv}.5\} & \text{if } \hat{pv}.5 \not\sqsubseteq \bot_{String} \\ \{\} & \text{otherwise} \end{cases}$

$\hat{ss} = \hat{ss}_1 \cup \hat{ss}_2 \cup \hat{ss}_3 \cup \hat{ss}_4 \cup \hat{ss}_5$

$\widehat{\text{toObject}}$: $\widehat{\text{Heap}} \times \widehat{\text{Context}} \times \widehat{\text{Value}} \times \widehat{\text{Address}} \to \widehat{\text{Heap}} \times \widehat{\text{Context}} \times \widehat{\text{Value}} \times \wp(\widehat{\text{Exception}})$

$\widehat{\text{toObject}}(\hat{H}, \hat{C}, \hat{v}, \hat{a}) = (\langle \bot_{PValue}, \hat{L}_3 \rangle, \hat{H}_4, \hat{C}_4, \hat{es})$

where $\hat{L} = \hat{v}.2$

$$\hat{o}_1 = \begin{cases} \widehat{\text{NewString}}(\hat{v}.1.5) & \text{if } \hat{v}.1.5 \not\sqsubseteq \bot_{string} \\ \bot_{Obj} & \text{otherwise} \end{cases}$$

$$\hat{o}_2 = \begin{cases} \widehat{\text{NewBoolean}}(\hat{v}.1.3) & \text{if } \hat{v}.1.3 \not\sqsubseteq \bot_{boolean} \\ \bot_{Obj} & \text{otherwise} \end{cases}$$

$$\hat{o}_3 = \begin{cases} \widehat{\text{NewNumber}}(\hat{v}.1.4) & \text{if } \hat{v}.1.4 \not\sqsubseteq \bot_{number} \\ \bot_{Obj} & \text{otherwise} \end{cases}$$

$$\hat{es} = \begin{cases} \{\widehat{\text{TypeException}}\} & \text{if } \hat{v}.1.1 \not\sqsubseteq \bot_{undef} \vee \hat{v}.1.2 \not\sqsubseteq \bot_{null} \\ \{\} & \text{otherwise} \end{cases}$$

$\hat{o} = \hat{o}_1 \sqcup \hat{o}_2 \sqcup \hat{o}_3$

$(\hat{H}_1, \hat{C}_1) = \widehat{\text{Oldify}}(\hat{H}, \hat{C}, \hat{a}_{new})$ *// Recency Abstraction*

$\hat{l}_R = (\hat{a}, \widehat{Recent})$ *// Recency Abstraction*

$$(\hat{L}_1, \hat{H}_2, \hat{C}_2) = \begin{cases} (\{\hat{l}_R\}, \hat{H}_1[\hat{l}_R \mapsto \hat{o}], \hat{C}_1) & \text{if } \hat{o} \not\sqsubseteq \bot_{Obj} \\ (\{\}, \bot_{Heap}, \bot_{Context}) & \text{otherwise} \end{cases}$$

$$(\hat{L}_2, \hat{H}_3, \hat{C}_3) = \begin{cases} (\hat{L}, \hat{H}, \hat{C} & \text{if } \hat{L} \not\sqsubseteq \{\} \\ (\{\}, \bot_{Heap}, \bot_{Context}) & \text{otherwise} \end{cases}$$

$\hat{L}_3 = \hat{L}_1 \sqcup \hat{L}_2 \wedge \hat{H}_4 = \hat{H}_2 \sqcup \hat{H}_3 \wedge \hat{C}_4 = \hat{C}_2 \sqcup \hat{C}_3$

$\widehat{\text{toPrimitive}}$: $\widehat{\text{Value}} \to \widehat{\text{PValue}}$

$\widehat{\text{toPrimitive}}(\hat{v}) = \hat{v}.1 \sqcup \widehat{\text{Obj2Str}}(\hat{v}.2)$

For all case of $\hat{s}_n$ if the condition is false, the value of $\hat{s}_n$ is $\bot_{String}$.

$\widehat{\text{TypeTag}}$: $\widehat{\text{Heap}} \times \widehat{\text{Value}} \to \widehat{\text{String}}$

$\widehat{\text{TypeTag}}(\hat{H}, \hat{v}) = \hat{s}_1 \sqcup \hat{s}_2 \sqcup \hat{s}_3 \sqcup \hat{s}_4 \sqcup \hat{s}_5 \sqcup \hat{s}_6 \sqcup \hat{s}_7$

where

$\hat{s}_1 = \text{“}\widehat{number}\text{”}$ if $\hat{v}.1.4 \not\sqsubseteq \bot_{number}$

$\hat{s}_2 = \text{“}\widehat{boolean}\text{”}$ if $\hat{v}.1.3 \not\sqsubseteq \bot_{boolean}$

$\hat{s}_3 = \text{“}\widehat{string}\text{”}$ if $\hat{v}.1.5 \not\sqsubseteq \bot_{string}$

$\hat{s}_4 = \text{“}\widehat{object}\text{”}$ if $\hat{v}.2 \not\sqsubseteq \bot_{Loc} \wedge \widehat{\text{false}} \sqsubseteq \bigsqcup_{\hat{l} \in \hat{v}.2} \widehat{\text{IsCallable}}(\hat{H}, \hat{l})$

$\hat{s}_5 = \text{“}\widehat{function}\text{”}$ if $\hat{v}.2 \not\sqsubseteq \bot_{Loc} \wedge \widehat{\text{true}} \sqsubseteq \bigsqcup_{\hat{l} \in \hat{v}.2} \widehat{\text{IsCallable}}(\hat{H}, \hat{l})$

$\hat{s}_6 = \text{“}\widehat{object}\text{”}$ if $\hat{v}.1.2 \not\sqsubseteq \bot_{null}$

$\hat{s}_7 = \text{“}\widehat{undefined}\text{”}$ if $\hat{v}.1.1 \not\sqsubseteq \bot_{undef}$

$\widehat{\text{validity}}_1$: Expression $\times$ $\widehat{\text{State}} \to$ Boolean

$\widehat{\text{validity}}_1(e, (\hat{H}, \hat{C})) = b$

where $\hat{v} = (\hat{\mathcal{V}}[\![e]\!](\hat{H}, \hat{C})).1$

$$b = \begin{cases} \text{true} & \text{if } \hat{v}.1.1 \sqsubseteq \bot_{Undef} \wedge \hat{v}.1.2 \sqsubseteq \bot_{Null} \wedge (\hat{v}.1.4 \sqsubseteq \widehat{\text{UInt}} \vee \hat{v}.1.4 \sqsubseteq \widehat{\text{NUInt}}) \\ & \quad \wedge \hat{v}.1.5 \sqsubseteq \bot_{String} \wedge \hat{v}.2 = \{\} \\ \text{false} & \text{otherwise} \end{cases}$$

$\widehat{\text{validity}}_2$: Expression $\times$ Expression $\times$ $\widehat{\text{State}} \to$ Boolean

$\widehat{\text{validity}}_2(e_1, e_2, (\hat{H}, \hat{S})) = \widehat{\text{validity}}_1(e_1, \hat{S}) \wedge \widehat{\text{validity}}_1(e_2, \hat{S})$

$\widehat{\text{validity}}_3$: Expression $\times$ Expression $\times$ Expression $\times$ $\widehat{\text{State}} \to$ Boolean

$\widehat{\text{validity}}_3(e_1, e_2, e_3, (\hat{H}, \hat{S})) = \widehat{\text{validity}}_1(e_1, \hat{S}) \wedge \widehat{\text{validity}}_1(e_2, \hat{S}) \wedge \widehat{\text{validity}}_1(e_3, \hat{S})$

$\hat{\text{X}}$: RelExpr $\to$ $\widehat{\text{State}} \to$ $\widehat{\text{State}}$

$\hat{\text{X}}[\![re]\!](\hat{H}, \hat{C}) = (\hat{H}_1, \hat{C}_1)$

where $e_1 \S e_2 = re$

$\hat{v}_1 = (\hat{\mathcal{V}}[\![e_1]\!](\hat{H}, \hat{C})).1$

$\hat{v}_2 = (\hat{\mathcal{V}}[\![e_2]\!](\hat{H}, \hat{C})).1$

$$(\hat{H}_1, \hat{C}_1) = \begin{cases} \widehat{\text{Pruning}}_1(e_1, \hat{v}_1, \S, \hat{v}_2, (\hat{H}, \hat{C})) & \text{if } \S \in \text{IRRelOP} \wedge e_1 \in \text{PrunExpression} \\ \widehat{\text{Pruning}}_2(re, (\hat{H}, \hat{C})) & \text{if } \S \in \text{IRObjOP} \\ (\hat{H}, \hat{C}) & \text{otherwise} \end{cases}$$

9.4 Context-sensitivity

.../jsaf/analysis/typing/CallContext.scala

9.4.1 Context-insensitive

$$\begin{array}{rcl} \widehat{\mathsf{CallContext}} & = & \widehat{\mathsf{Address}} \\ \widehat{\mathsf{globalCallContext}} & = & \#\widehat{GlobalCallsite} \end{array}$$

$$\begin{array}{rcl} \underline{\mathsf{NewCallContext}} & : & \widehat{\mathsf{CallContext}} \times \mathsf{FunctionId} \times \widehat{\mathsf{Loc}} \times \wp(\widehat{\mathsf{Loc}}) \to \wp(\widehat{\mathsf{CallContext}} \times \widehat{\mathsf{Obj}}) \\ & & \textit{caller context, callee function, callsite, this} \\ & & \underline{\mathsf{NewCallContext}}(\hat{cc}, fid, \hat{l}, \hat{L}) = \\ & & \quad \begin{cases} \{\langle \#\widehat{GlobalCallsite},\ \underline{\mathsf{NewPureLocal}}(\{\hat{l}\}, \hat{L})\rangle\} & \text{if } \underline{\mathsf{isUserFunction}}_P(fid) \\ \{\langle \hat{l}.1,\ \underline{\mathsf{NewPureLocal}}(\{\hat{l}\}, \hat{L})\rangle\} & \text{otherwise} \end{cases} \end{array}$$

9.4.2 1-callsite sensitivity

$$\begin{array}{rcl} \widehat{\mathsf{CallContext}} & = & \widehat{\mathsf{Address}} \times \widehat{\mathsf{Address}} \\ \widehat{\mathsf{globalCallContext}} & = & (\#\widehat{GlobalCallsite}, \#\widehat{GlobalCallsite}) \end{array}$$

$$\begin{array}{rcl} \underline{\mathsf{NewCallContext}} & : & \widehat{\mathsf{CallContext}} \times \mathsf{FunctionId} \times \widehat{\mathsf{Loc}} \times \wp(\widehat{\mathsf{Loc}}) \to \wp(\widehat{\mathsf{CallContext}} \times \widehat{\mathsf{Obj}}) \\ & & \textit{caller context, callee function, callsite, this} \\ & & \underline{\mathsf{NewCallContext}}(\hat{cc}, fid, \hat{l}, \hat{L}) = \\ & & \quad \begin{cases} \{\langle (\hat{l}.1, \#\widehat{GlobalCallsite}),\ \underline{\mathsf{NewPureLocal}}(\{\hat{l}\}, \hat{L})\rangle\} & \text{if } \underline{\mathsf{isUserFunction}}_P(fid) \\ \{\langle (\hat{cc}.1, \hat{l}.1),\ \underline{\mathsf{NewPureLocal}}(\{\hat{l}\}, \hat{L})\rangle\} & \text{otherwise} \end{cases} \end{array}$$

9.4.3 k-callsite sensitivity

$$\begin{array}{rcl} \widehat{\mathsf{CallContext}} & = & \widehat{\mathsf{Address}}\ \mathsf{list} \\ \widehat{\mathsf{globalCallContext}} & = & \mathsf{nil} \end{array}$$

$$\begin{array}{rcl} \underline{\mathsf{NewCallContext}} & : & \widehat{\mathsf{CallContext}} \times \mathsf{FunctionId} \times \widehat{\mathsf{Loc}} \times \wp(\widehat{\mathsf{Loc}}) \to \wp(\widehat{\mathsf{CallContext}} \times \widehat{\mathsf{Obj}}) \\ & & \textit{caller context, callee function, callsite, this} \\ & & \underline{\mathsf{NewCallContext}}(\hat{cc}, fid, \hat{l}, \hat{L}) = \\ & & \quad \begin{cases} \{\langle (\hat{l}.1 :: \hat{cc})|_k,\ \underline{\mathsf{NewPureLocal}}(\{\hat{l}\}, \hat{L})\rangle\} & \text{if } \underline{\mathsf{isUserFunction}}_P(fid) \\ \{\langle (\hat{l}.1 :: \hat{cc})|_{k+1},\ \underline{\mathsf{NewPureLocal}}(\{\hat{l}\}, \hat{L})\rangle\} & \text{otherwise} \end{cases} \end{array}$$

9.4.4 callsite-set sensitivity

$$\begin{array}{rcl} \widehat{\mathsf{CallContext}} & = & \wp(\widehat{\mathsf{Address}}) \\ \widehat{\mathsf{globalCallContext}} & = & \{\} \end{array}$$

$$\begin{array}{rcl} \underline{\mathsf{NewCallContext}} & : & \widehat{\mathsf{CallContext}} \times \mathsf{FunctionId} \times \widehat{\mathsf{Loc}} \times \wp(\widehat{\mathsf{Loc}}) \to \wp(\widehat{\mathsf{CallContext}} \times \widehat{\mathsf{Obj}}) \\ & & \textit{caller context, callee function, callsite, this} \\ & & \underline{\mathsf{NewCallContext}}(\hat{cc}, fid, \hat{l}, \hat{L}) = \{\langle \hat{cc} \cup \{\hat{l}.1\},\ \underline{\mathsf{NewPureLocal}}(\{\hat{l}\}, \hat{L})\rangle\} \end{array}$$

9.4.5 1-object sensitivity

$$\begin{array}{rcl}
\widehat{\mathsf{CallContext}} & = & \widehat{\mathsf{Loc}} \times \widehat{\mathsf{Address}} \\
\widehat{\mathsf{globalCallContext}} & = & (\#G\hat{l}obal_R, \#Global\hat{C}allsite)
\end{array}$$

$$\begin{array}{rcl}
\underline{\widehat{\mathsf{NewCallContext}}} & : & \widehat{\mathsf{CallContext}} \times \mathsf{FunctionId} \times \widehat{\mathsf{Loc}} \times \wp(\widehat{\mathsf{Loc}}) \to \wp(\widehat{\mathsf{CallContext}} \times \widehat{\mathsf{Obj}}) \\
& & \textit{caller context, callee function, callsite, this} \\
& & \underline{\widehat{\mathsf{NewCallContext}}}(\hat{cc}, fid, \hat{l}, \hat{L}) = \\
& & \quad \begin{cases}
\bigcup_{\hat{l}_{this} \in \hat{L}} \{\langle (\hat{l}_{this}, \#Global\hat{C}allsite),\ \underline{\widehat{\mathsf{NewPureLocal}}}(\{\hat{l}\}, \{\hat{l}_{this}\})\rangle\} & \text{if } \underline{\mathsf{isUserFunction}}_P(fid) \\
\{\langle (\hat{cc}.1, \hat{l}.1),\ \underline{\widehat{\mathsf{NewPureLocal}}}(\{\hat{l}\}, \hat{L})\rangle\} & \text{otherwise}
\end{cases}
\end{array}$$

9.4.6 1-object sensitivity (TAJS style)

$$\begin{array}{rcl}
\widehat{\mathsf{CallContext}} & = & \wp(\widehat{\mathsf{Loc}}) \times \widehat{\mathsf{Address}} \\
\widehat{\mathsf{globalCallContext}} & = & (\{\#G\hat{l}obal_R\}, \#Global\hat{C}allsite)
\end{array}$$

$$\begin{array}{rcl}
\underline{\widehat{\mathsf{NewCallContext}}} & : & \widehat{\mathsf{CallContext}} \times \mathsf{FunctionId} \times \widehat{\mathsf{Loc}} \times \wp(\widehat{\mathsf{Loc}}) \to \wp(\widehat{\mathsf{CallContext}} \times \widehat{\mathsf{Obj}}) \\
& & \textit{caller context, callee function, callsite, this} \\
& & \underline{\widehat{\mathsf{NewCallContext}}}(\hat{cc}, fid, \hat{l}, \hat{L}) = \\
& & \quad \begin{cases}
\{\langle (\hat{L}, \#Global\hat{C}allsite),\ \underline{\widehat{\mathsf{NewPureLocal}}}(\{\hat{l}\}, \hat{L})\rangle\} & \text{if } \underline{\mathsf{isUserFunction}}_P(fid) \\
\{\langle (\hat{cc}.1, \hat{l}.1),\ \underline{\widehat{\mathsf{NewPureLocal}}}(\{\hat{l}\}, \hat{L})\rangle\} & \text{otherwise}
\end{cases}
\end{array}$$

9.5 Semantics

.../jsaf/analysis/typing/{Typing, Semantics, Operator, Worklist, Fixpoint}.scala

$$
\begin{array}{rcl}
\hat{\mathcal{E}} & \in & \widehat{\mathsf{IPEdge}} \to \widehat{\mathsf{State}} \to \widehat{\mathsf{State}} \\
\hat{\mathcal{C}} & \in & \widehat{\mathsf{ControlPoint}} \to \mathsf{Command} \to \widehat{\mathsf{State}} \to \widehat{\mathsf{State}} \times \widehat{\mathsf{State}} \\
\hat{\mathcal{I}} & \in & \widehat{\mathsf{ControlPoint}} \to \mathsf{Instruction} \to \widehat{\mathsf{State}} \times \widehat{\mathsf{State}} \to \widehat{\mathsf{State}} \times \widehat{\mathsf{State}} \\
\hat{\mathcal{V}} & \in & \mathsf{Expression} \to \widehat{\mathsf{State}} \to \widehat{\mathsf{Value}} \times \wp(\widehat{\mathsf{Exception}}) \\
\hat{\mathcal{B}} & \in & \mathsf{Expression} \to \widehat{\mathsf{State}} \times \widehat{\mathsf{State}} \to \widehat{\mathsf{State}} \times \widehat{\mathsf{State}}
\end{array}
$$

$$\hat{\mathcal{E}}[\![\hat{cp} \hookrightarrow_{\hat{C},\hat{o}} ((fid, \mathsf{ENTRY}), \hat{cc})]\!](\bot_{Heap}, \hat{C}_1) = \bot_{State}$$

$$\hat{\mathcal{E}}[\![\hat{cp} \hookrightarrow_{\hat{C},\hat{o}} ((fid, \mathsf{ENTRY}), \hat{cc})]\!](\hat{H}_1, \hat{C}_1) = (\hat{H}_3, \hat{C})$$

where $\hat{o}_{env} = \underline{\widehat{\mathsf{NewDeclEnvRecord}}}(\hat{o}(@scope).1.2)$
$\wedge\ \hat{o}_2 = \hat{o} - @scope$
$\wedge\ \hat{H}_2 = \hat{H}_1[\widehat{\#PureLocal}_R \mapsto \hat{o}_2]$
$\wedge\ \hat{H}_3 = \bigsqcup_{\hat{l}_{env} \in \hat{o}_2(@env).1.2.2} \hat{H}_2[\hat{l}_{env} \mapsto \hat{o}_{env}]$

$$\hat{\mathcal{E}}[\![((fid, \mathsf{EXIT}), \hat{cc}) \hookrightarrow_{\hat{C},\hat{o}} \hat{cp}]\!](\bot_{Heap}, \hat{C}_1) = \bot_{State}$$

$$\hat{\mathcal{E}}[\![((fid, \mathsf{EXIT}), \hat{cc}) \hookrightarrow_{\hat{C},\hat{o}} \hat{cp}]\!](\hat{H}_1, \hat{C}_1) = \begin{cases} (\hat{H}_3, \hat{C}_2) & \text{if } \hat{C}_2 \neq \bot_{Context} \\ \bot_{State} & \text{if } \hat{C}_2 = \bot_{Context} \end{cases}$$

where $(\hat{C}_2, \hat{o}_1) = \underline{\widehat{\mathsf{FixOldify}}}(\hat{C}, \hat{o}, \hat{C}_1.3, \hat{C}_1.4)$
$\wedge\ \hat{v} = \hat{H}_1(\widehat{\#PureLocal})(@return).1.2$
$\wedge\ \hat{H}_2 = \hat{H}_1[\widehat{\#PureLocal}_R \mapsto \hat{o}_1]$
$\wedge\ \hat{H}_3 = \underline{\widehat{\mathsf{VarStore}}}(\hat{H}_2, \underline{\mathsf{getReturnVar}}_P(\hat{cp}.1), \hat{v})$

$$\hat{\mathcal{E}}[\![((fid, \mathsf{EXIT\text{-}EXC}), \hat{cc}) \hookrightarrow_{\hat{C},\hat{o}} \hat{cp}]\!](\bot_{Heap}, \hat{C}_1) = \bot_{State}$$

$$\hat{\mathcal{E}}[\![((fid, \mathsf{EXIT\text{-}EXC}), \hat{cc}) \hookrightarrow_{\hat{C},\hat{o}} \hat{cp}]\!](\hat{H}_1, \hat{C}_1) = \begin{cases} (\hat{H}_2, \hat{C}_2) & \text{if } \hat{C}_2 \neq \bot_{Context} \\ \bot_{State} & \text{if } \hat{C}_2 = \bot_{Context} \end{cases}$$

where $(\hat{C}_2, \hat{o}_1) = \underline{\widehat{\mathsf{FixOldify}}}(\hat{C}, \hat{o}, \hat{C}_1.3, \hat{C}_1.4)$
$\wedge\ \hat{v} = \hat{H}_1(\widehat{\#PureLocal})(@exception).1.2$
$\wedge\ \hat{v}_{old} = \hat{o}_1(@exception\_all).1.2$
$\wedge\ \hat{H}_2 = \hat{H}_1\left[\widehat{\#PureLocal}_R \mapsto \hat{o}_1\left[\begin{array}{l} @exception \mapsto \hat{v}, \\ @exception\_all \mapsto \hat{v} \sqcup \hat{v}_{old} \end{array}\right]\right]$

$$\hat{\mathcal{C}}_{\hat{cp}}[\![c]\!](\bot_{Heap}, \bot_{Context}) = (\bot_{State}, \bot_{State})$$

$$\hat{\mathcal{C}}_{\hat{cp}}[\![\mathsf{entry}]\!](\hat{H}_0, \hat{C}) = \left((\hat{H}_m, \hat{C}), \bot_{State}\right)$$
where $((fid_{this}, \mathsf{ENTRY}), \hat{cc}) = \hat{cp}$
$\wedge\ x_1 \cdots x_n = \underline{\mathsf{getArgVars}}_P(fid_{this})\ \wedge\ x_{n+1} \cdots x_m = \underline{\mathsf{getLocalVars}}_P(fid_{this})$
$\wedge\ \hat{L}_{arg} = \hat{H}_0(\widehat{\#PureLocal}_R)(\underline{\mathsf{getArgumentsName}}(fid_{this})).1.1.1.2$
$\wedge\ \forall 1 \le i \le n.\ \hat{H}_i = \underline{\widehat{\mathsf{CreateMutableBinding}}}(\hat{H}_{i-1}, x_i, \bigsqcup_{\hat{l}_{arg} \in \hat{L}_{arg}} \underline{\widehat{\mathsf{Proto}}}(\hat{H}_{i-1}, \hat{l}_{arg}, \text{“}i \hat{-} 1\text{”}))$
$\wedge\ \forall n+1 \le j \le m.\ \hat{H}_j = \underline{\widehat{\mathsf{CreateMutableBinding}}}(\hat{H}_{j-1}, x_j, \mathsf{undefined}_{Value})$

$$\hat{\mathcal{C}}_{\hat{cp}}[\![\mathsf{exit}]\!](\hat{H}, \hat{C}) = \left((\hat{H}, \hat{C}), \bot_{State}\right)$$

$$\hat{\mathcal{C}}_{\hat{cp}}[\![\mathsf{exit\text{-}exc}]\!](\hat{H}, \hat{C}) = \left((\hat{H}, \hat{C}), \bot_{State}\right)$$

$$\hat{\mathcal{C}}_{\hat{cp}}[\![i^+]\!](\hat{H}, \hat{C}) = \left(\hat{\mathcal{I}}_{\hat{cp}}[\![i]\!]\left((\hat{H}, \hat{C}), \bot_{State}\right)\right)^+$$

$$\hat{\mathcal{I}}_{\hat{cp}}[\![i]\!]\left((\bot_{Heap}, \hat{C}), \hat{S}\right) = \left((\bot_{State}, \hat{S}\right)$$

$$\hat{\mathcal{I}}_{\hat{cp}}[\![x := \mathtt{alloc}\,(e^?)_{\hat{a}_{new}}]\!]\left((\hat{H}, \hat{C}), \hat{S}\right) = \left((\hat{H}_3, \hat{C}_1), \hat{S}_1\right)$$
where $\hat{l}_R = (\hat{a}_{new}, \widehat{Recent}) \wedge\ (\hat{H}_1, \hat{C}_1) = \underline{\widehat{\mathsf{Oldify}}}(\hat{H}, \hat{C}, \hat{a}_{new})$ *// Recency Abstraction*
$\wedge\ (\hat{v}, \hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H}_1, \hat{C}_1)$ *// if e is None, $\hat{v}$ is considered as an element of PValue.*
$\wedge\ \hat{L}_p = \hat{v}.2 \wedge\ \hat{L}_v = \begin{cases} \{\ \widehat{\#Obj Proto}_R\ \} & \text{if } \hat{v}.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$\wedge\ \hat{H}_2 = \hat{H}_1[\hat{l}_R \mapsto \bigsqcup_{\hat{l}_p \in \hat{L}_p \cup \hat{L}_v} \underline{\widehat{\mathsf{NewObject}}}(\hat{l}_p)]$
$\wedge\ \hat{H}_3 = \underline{\widehat{\mathsf{VarStore}}}(\hat{H}_2, x, \langle \bot_{PValue}, \{\hat{l}_R\}\rangle)$
$\wedge\ \hat{S}_1 = \hat{S} \sqcup \underline{\widehat{\mathsf{RaiseException}}}(\hat{H}, \hat{C}, \hat{es})$

$$\hat{\mathcal{I}}_{\hat{cp}}[\![x := \mathsf{allocArray}\,(\mathrm{n})_{\hat{a}_{new}}]\!]\left((\hat{H}, \hat{C}), \hat{S}\right) = \left((\hat{H}_3, \hat{C}_1), \hat{S}\right)$$
where $\hat{l}_R = (\hat{a}_{new}, \widehat{Recent}) \wedge\ (\hat{H}_1, \hat{C}_1) = \underline{\widehat{\mathsf{Oldify}}}(\hat{H}, \hat{C}, \hat{a}_{new})$ *// Recency Abstraction*
$\wedge\ \hat{n} = (\hat{\mathcal{V}}[\![\mathrm{n}]\!](\hat{H}_1, \hat{C}_1)).1.1.4$
$\wedge\ \hat{H}_2 = \hat{H}_1[\hat{l}_R \mapsto \underline{\widehat{\mathsf{NewArrayObject}}}(\hat{n})]$
$\wedge\ \hat{H}_3 = \underline{\widehat{\mathsf{VarStore}}}(\hat{H}_2, x, \langle \bot_{PValue}, \{\hat{l}_R\}\rangle)$

$$\hat{\mathcal{I}}_{\hat{cp}}[\![x := \mathsf{allocArg}\,(\mathrm{n})_{\hat{a}_{new}}]\!]\left((\hat{H}, \hat{C}), \hat{S}\right) = \left((\hat{H}_3, \hat{C}_1), \hat{S}\right)$$
where $\hat{l}_R = (\hat{a}_{new}, \widehat{Recent}) \wedge\ (\hat{H}_1, \hat{C}_1) = \underline{\widehat{\mathsf{Oldify}}}(\hat{H}, \hat{C}, \hat{a}_{new})$ *// Recency Abstraction*
$\wedge \hat{n} = (\hat{\mathcal{V}}[\![\mathrm{n}]\!](\hat{H}_1, \hat{C}_1)).1.1.4$
$\wedge\ \hat{H}_2 = \hat{H}_1[\hat{l}_R \mapsto \underline{\widehat{\mathsf{NewArgObject}}}(\hat{n})]$
$\wedge\ \hat{H}_3 = \underline{\widehat{\mathsf{VarStore}}}(\hat{H}_2, x, \langle \bot_{PValue}, \{\hat{l}_R\}\rangle)$

$$\hat{\mathcal{I}}_{\hat{cp}}[\![x := e]\!]\left((\hat{H},\hat{C}),\hat{S}\right) = \left((\hat{H}_1,\hat{C}_1),\hat{S}_1\right)$$
where $(\hat{v},\hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H},\hat{C})$
$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\underline{\mathsf{VarStore}}}(\hat{H},x,\hat{v}),\hat{C}) & \text{if } \hat{v} \not\sqsubseteq \bot_{Value} \\ (\bot_{Heap},\bot_{Context}) & \text{otherwise} \end{cases}$
$\wedge\ \hat{S}_1 = \hat{S} \sqcup \widehat{\underline{\mathsf{RaiseException}}}(\hat{H},\hat{C},\hat{es})$

$$\hat{\mathcal{I}}_{\hat{cp}}[\![x_1 := \mathsf{delete}\ (x_2)\ ]\!]\left((\hat{H},\hat{C}),\hat{S}\right) = \left((\widehat{\underline{\mathsf{VarStore}}}(\hat{H}_1,x_1,\hat{b}_{Value}),\hat{C}),\hat{S}\right)$$
where $\hat{L}_{base} = \widehat{\underline{\mathsf{LookupBase}}}(\hat{H},x_2)$
$\wedge\ (\hat{H}_1,\hat{b}) = \bigsqcup_{\hat{l}_{base}\in\hat{L}_{base}} \widehat{\underline{\mathsf{Delete}}}(\hat{H},\hat{l}_{base},\hat{x}_2)$

$$\hat{\mathcal{I}}_{\hat{cp}}[\![x := \mathsf{delete}\ (e)\ ]\!]\left((\hat{H},\hat{C}),\hat{S}\right) = \left((\hat{H}_1,\hat{C}_1),\hat{S}_1\right)$$
where $(\hat{v},\hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H},\hat{C})$
$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\underline{\mathsf{VarStore}}}(\hat{H},x,\hat{\mathsf{true}}_{Value}),\hat{C}) & \text{if } \hat{v} \not\sqsubseteq \bot_{Value} \\ (\bot_{Heap},\bot_{Context}) & \text{otherwise} \end{cases}$
$\wedge\ \hat{S}_1 = \hat{S} \sqcup \widehat{\underline{\mathsf{RaiseException}}}(\hat{H},\hat{C},\hat{es})$

$$\hat{\mathcal{I}}_{\hat{cp}}[\![x := \mathsf{delete}\ (e_1,e_2)\ ]\!]\left((\hat{H},\hat{C}),\hat{S}\right) = \left((\hat{H}_2,\hat{C}_2),\hat{S}_1\right)$$
where $\hat{L} = (\hat{\mathcal{V}}[\![e_1]\!](\hat{H},\hat{C})).1.2 \wedge\ (\hat{v},\hat{es}) = \hat{\mathcal{V}}[\![e_2]\!](\hat{H},\hat{C})$
$\wedge\ \hat{ss} = \begin{cases} \widehat{\underline{\mathsf{toStringSet}}}(\widehat{\underline{\mathsf{toPrimivite}}}(\hat{v})) & \text{if } \hat{v} \not\sqsubseteq \bot_{Value} \\ \{\} & \text{otherwise} \end{cases}$
$\wedge\ (\hat{H}_1,\hat{b}) = \bigsqcup_{\hat{l}\in\hat{L}} \bigsqcup_{\hat{s}\in\hat{ss}} \widehat{\underline{\mathsf{Delete}}}(\hat{H},\hat{l},\hat{s})$
$\wedge\ (\hat{H}_2,\hat{C}_2) = \begin{cases} (\widehat{\underline{\mathsf{VarStore}}}(\hat{H}_1,x,\hat{b}_{Value}),\hat{C}) & \text{if } \hat{H}_1 \not\sqsubseteq \bot_{Heap} \\ (\bot_{Heap},\bot_{Context}) & \text{otherwise} \end{cases}$
$\wedge\ \hat{S}_1 = \hat{S} \sqcup \widehat{\underline{\mathsf{RaiseException}}}(\hat{H},\hat{C},\hat{es})$

$$\hat{\mathcal{I}}_{\hat{cp}}[\![e_1\,[\,e_2\,]=e_3]\!]\left((\hat{H},\hat{C}),\hat{S}\right)=\left((\hat{H}_1,\hat{C}_1),\hat{S}_1\right)$$

where $\hat{L}=(\hat{\mathcal{V}}[\![e_1]\!](\hat{H},\hat{C})).1.2 \wedge (\hat{s},\hat{es}_s)=(\hat{\mathcal{V}}[\![e_2]\!](\hat{H},\hat{C})) \wedge (\hat{v},\hat{es})=\hat{\mathcal{V}}[\![e_3]\!](\hat{H},\hat{C})$

$\wedge\ \hat{v}_{newLen}=\underline{\widehat{\mathsf{ToUInt32}}}(\hat{v}) \wedge \hat{v}_{oldLen}=\hat{H}(\hat{l})(\text{“}length\text{”}).1.1.1.1.4$

$\wedge\ \hat{L}_{NArr}=\left\{\ \hat{l}\ \mid\ \hat{l}\in\hat{L}\wedge\hat{\mathsf{false}}\sqsubseteq\underline{\widehat{\mathsf{IsArray}}}(\hat{H},\hat{l})\wedge\hat{\mathsf{true}}\sqsubseteq\underline{\widehat{\mathsf{CanPut}}}(\hat{H},\hat{l},\hat{s})\ \right\}$

$\wedge\ \hat{L}_{Arr}=\left\{\ \hat{l}\ \mid\ \hat{l}\in\hat{L}\wedge\hat{\mathsf{true}}\sqsubseteq\underline{\widehat{\mathsf{IsArray}}}(\hat{H},\hat{l})\wedge\hat{\mathsf{true}}\sqsubseteq\underline{\widehat{\mathsf{CanPut}}}(\hat{H},\hat{l},\hat{s})\ \right\}$

$\wedge\ \hat{H}_{CantPut}=\begin{cases}\hat{H} & \text{if } \exists\hat{l}\in\hat{L}:\hat{\mathsf{false}}\sqsubseteq\underline{\widehat{\mathsf{CanPut}}}(\hat{H},\hat{l},\hat{s})\\ \bot_{Heap} & \text{otherwise}\end{cases}$

$\wedge\ \hat{H}_{NArr}=\bigsqcup_{\hat{l}\in\hat{L}_{NArr}}\underline{\widehat{\mathsf{PropStore}}}(\hat{H},\hat{l},\hat{s},\hat{v})$

$\wedge\ (\hat{H}_{Arr},\hat{es}_{Arr})=\bigsqcup_{\hat{l}\in\hat{L}_{Arr}}(\hat{H}_{Arr_{length}}\sqcup\hat{H}_{Arr_{index}}\sqcup\hat{H}_{Arr_{other}},\hat{es}_1)$

$\wedge\ (\hat{H}_{Arr_{length}},\hat{es}_1)=\begin{cases}(\hat{H}_{Arr_{length1}},\hat{es}_{len}) & \text{if } \text{“}\hat{length}\text{”}\sqsubseteq\hat{s}\\ (\bot_{Heap},\bot_{Exception}) & \text{otherwise}\end{cases}$

$\wedge\ \hat{H}_{Arr_{length1}}=\begin{cases}\hat{H}_{Arr_{length2}}\sqcup\hat{H}_{Arr_{length3}}\sqcup\hat{H}_{Arr_{length4}} & \text{if } \hat{\mathsf{true}}\sqsubseteq(\underline{\widehat{\mathsf{ToNumber}}}(\hat{v})\hat{=}\hat{v}_{newLen})\\ \bot_{Heap} & \text{otherwise}\end{cases}$

$\wedge\ \hat{H}_{Arr_{length2}}=\begin{cases}\underline{\widehat{\mathsf{PropStore}}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”},\hat{v}) & \text{if } \hat{\mathsf{true}}\sqsubseteq(\hat{v}_{oldLen}\hat{\leq}\hat{v}_{newLen})\wedge\hat{\mathsf{true}}\sqsubseteq\underline{\widehat{\mathsf{CanPut}}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”})\\ \bot_{Heap} & \text{otherwise}\end{cases}$

$\wedge\ \hat{H}_{Arr_{length3}}=\begin{cases}\hat{H} & \text{if } \hat{\mathsf{false}}\sqsubseteq\underline{\widehat{\mathsf{CanPut}}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”})\\ \bot_{Heap} & \text{otherwise}\end{cases}$

$\wedge\ \hat{H}_{Arr_{length4}}=\begin{cases}\bigsqcup_{x=\hat{v}_{oldLen}-1\text{ to }\hat{v}_{newLen}}\underline{\widehat{\mathsf{Delete}}}(\underline{\widehat{\mathsf{PropStore}}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”},\hat{v}),\hat{l},x) & \text{if } \hat{v}_{newLen}\hat{<}\hat{v}_{oldLen}\\ & \quad\wedge\hat{\mathsf{true}}\sqsubseteq\underline{\widehat{\mathsf{CanPut}}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}))\\ \underline{\widehat{\mathsf{PropStore}}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”},\hat{v}) & \text{otherwise}\end{cases}$

$\wedge\ \hat{es}_{len}=\begin{cases}\{\hat{\mathsf{RangeError}}\} & \text{if } \hat{\mathsf{false}}\sqsubseteq(\underline{\widehat{\mathsf{ToNumber}}}(\hat{v})\hat{=}\underline{\widehat{\mathsf{ToUInt32}}}(\hat{v}))\\ \bot_{Exception} & \text{otherwise}\end{cases}$

$\wedge\ \hat{H}_{Arr_{index}}=\begin{cases}\hat{H}_{Arr_{index1}}\sqcup\hat{H}_{Arr_{index2}}\sqcup\hat{H}_{Arr_{index3}} & \text{if } \hat{\mathsf{true}}\sqsubseteq\underline{\widehat{\mathsf{IsArrayIndex}}}(\hat{s})\\ \bot_{Heap} & \text{otherwise}\end{cases}$

$\wedge\ \hat{H}_{Arr_{index1}}=\begin{cases}\hat{H} & \text{if } \hat{\mathsf{true}}\sqsubseteq(\hat{v}_{oldLen}\hat{\leq}\underline{\widehat{\mathsf{ToUInt32}}}(\hat{s}))\wedge\hat{\mathsf{false}}\sqsubseteq\underline{\widehat{\mathsf{CanPut}}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”})\\ \bot_{Heap} & \text{otherwise}\end{cases}$

$\wedge\ \hat{H}_{Arr_{index2}}=\begin{cases}\underline{\widehat{\mathsf{PropStore}}}(\hat{H},\hat{l},\hat{s},\hat{v}) & \text{if } \hat{\mathsf{true}}\sqsubseteq(\underline{\widehat{\mathsf{ToUInt32}}}(\hat{s})\hat{<}\hat{v}_{oldLen})\\ \bot_{Heap} & \text{otherwise}\end{cases}$

$\wedge\ \hat{H}_{Arr_{index3}}=\begin{cases}\underline{\widehat{\mathsf{PropStore}}}(\underline{\widehat{\mathsf{PropStore}}}(\hat{H},\hat{l},\hat{s},\hat{v}),\hat{l},\text{“}\hat{length}\text{”},\underline{\widehat{\mathsf{ToUInt32}}}(\hat{s}\hat{+}\hat{1})) & \text{if } \hat{\mathsf{true}}\sqsubseteq(\hat{v}_{oldLen}\hat{\leq}\underline{\widehat{\mathsf{ToUInt32}}}(\hat{s}))\\ & \quad\wedge\hat{\mathsf{true}}\sqsubseteq\underline{\widehat{\mathsf{CanPut}}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”})\\ \bot_{Heap} & \text{otherwise}\end{cases}$

$\wedge\ \hat{H}_{Arr_{other}}=\begin{cases}\underline{\widehat{\mathsf{PropStore}}}(\hat{H},\hat{l},\hat{s},\hat{v}) & \text{if } \hat{s}\neq\text{“}\hat{length}\text{”}\wedge\hat{\mathsf{false}}\sqsubseteq\underline{\widehat{\mathsf{IsArrayIndex}}}(\hat{s})\\ \bot_{Heap} & \text{otherwise}\end{cases}$

$\wedge\ (\hat{H}_1,\hat{C}_1)=(\hat{H}_{CantPut}\sqcup\hat{H}_{NArr}\sqcup\hat{H}_{Arr},\hat{C})$

$\wedge\ \hat{S}_1=\hat{S}\sqcup\underline{\widehat{\mathsf{RaiseException}}}(\hat{H},\hat{C},\hat{es}_s\sqcup\hat{es}\sqcup\hat{es}_{Arr})$

$$\hat{\mathcal{I}}_{\hat{cp}}[\![x_1 := \mathsf{function}\ (fid)\ _{\hat{a}_{new1},\hat{a}_{new2}}]\!]\ \Big((\hat{H},\hat{C}),\hat{S}\Big)$$
$$= \left(\left(\hat{H}_3 \left[\begin{array}{l} \hat{l}_{R1} \mapsto \widehat{\underline{\mathsf{NewFunctionObject}}}(fid, \hat{H}_3(\#\hat{PureLocal}_R)(@env).1.2, \hat{l}_{R2}, \hat{n}), \\ \hat{l}_{R2} \mapsto \hat{o}_{new}\left[\text{“}constructor\text{”} \mapsto \langle\langle \perp_{PValue}, \{\hat{l}_{R1}\}\rangle, \hat{\mathsf{true}}, \hat{\mathsf{false}}, \hat{\mathsf{true}}\rangle\right] \end{array}\right], \hat{C}_2\right), \hat{S}\right)$$
where $\hat{n} = \alpha(|\ \underline{\mathsf{getArgVars}}_P(fid)\ |)$
$\wedge\ \hat{o}_{new} = \widehat{\underline{\mathsf{NewObject}}}(\#\hat{ObjProto}_R)$
$\wedge\ \hat{l}_{R1} = (\hat{a}_{new1}, \hat{Recent}) \wedge\ (\hat{H}_1, \hat{C}_1) = \widehat{\underline{\mathsf{Oldify}}}(\hat{H}, \hat{C}, \hat{a}_{new1})$ *// Recency Abstraction*
$\wedge\ \hat{l}_{R2} = (\hat{a}_{new2}, \hat{Recent}) \wedge\ (\hat{H}_2, \hat{C}_2) = \widehat{\underline{\mathsf{Oldify}}}(\hat{H}_1, \hat{C}_1, \hat{a}_{new2})$ *// Recency Abstraction*
$\wedge\ \hat{H}_3 = \widehat{\underline{\mathsf{VarStore}}}(\hat{H}_2, x_1, \langle \perp_{PValue}, \{\hat{l}_{R1}\}\rangle)$

$$\hat{\mathcal{I}}_{\hat{cp}}[\![x_1 := \mathsf{function}\ x_2\ (fid)\ _{\hat{a}_{new1},\hat{a}_{new2},\hat{a}_{new3}}]\!]\ \Big((\hat{H},\hat{C}),\hat{S}\Big)$$
$$= \left(\left(\hat{H}_5 \left[\begin{array}{l} \hat{l}_{R1} \mapsto \widehat{\underline{\mathsf{NewFunctionObject}}}(fid, \{\hat{l}_{R3}\}_{Value}, \hat{l}_{R2}, \hat{n}), \\ \hat{l}_{R2} \mapsto \hat{o}_{new}\left[\text{“}constructor\text{”} \mapsto \langle\langle \perp_{PValue}, \{\hat{l}_{R1}\}\rangle, \hat{\mathsf{true}}, \hat{\mathsf{false}}, \hat{\mathsf{true}}\rangle\right] \end{array}\right], \hat{C}_3\right), \hat{S}\right)$$
where $\hat{n} = \alpha(|\ \underline{\mathsf{getArgVars}}_P(fid)\ |)$
$\wedge\ \hat{o}_{new} = \widehat{\underline{\mathsf{NewObject}}}(\#\hat{ObjProto}_R)$
$\wedge\ \hat{l}_{R1} = (\hat{a}_{new1}, \hat{Recent}) \wedge\ (\hat{H}_1, \hat{C}_1) = \widehat{\underline{\mathsf{Oldify}}}(\hat{H}, \hat{C}, \hat{a}_{new1})$ *// Recency Abstraction*
$\wedge\ \hat{l}_{R2} = (\hat{a}_{new2}, \hat{Recent}) \wedge\ (\hat{H}_2, \hat{C}_2) = \widehat{\underline{\mathsf{Oldify}}}(\hat{H}_1, \hat{C}_1, \hat{a}_{new2})$ *// Recency Abstraction*
$\wedge\ \hat{l}_{R3} = (\hat{a}_{new3}, \hat{Recent}) \wedge\ (\hat{H}_3, \hat{C}_3) = \widehat{\underline{\mathsf{Oldify}}}(\hat{H}_2, \hat{C}_2, \hat{a}_{new3})$ *// Recency Abstraction*
$\wedge\ \hat{o}_{env} = \widehat{\underline{\mathsf{NewDeclEnvRecord}}}(\hat{H}_3(\#\hat{PureLocal}_R)(@env).1.2)$
$\wedge\ \hat{H}_4 = \hat{H}_3[\hat{l}_{R3} \mapsto \hat{o}_{env}[x_2 \mapsto \langle\langle \perp_{PValue}, \{\hat{l}_{R1}\}\rangle, \hat{\mathsf{false}}, \perp_{Bool}, \hat{\mathsf{false}}\rangle]]$
$\wedge\ \hat{H}_5 = \widehat{\underline{\mathsf{VarStore}}}(\hat{H}_4, x_1, \langle \perp_{PValue}, \{\hat{l}_{R1}\}\rangle)$

$$\hat{\mathcal{I}}_{\hat{cp}}[\![\mathsf{construct}\,(e_1,e_2,e_3)\,_{\hat{a}_{new}}]\!]\left((\hat{H},\hat{C}),\hat{S}\right)=\left((\hat{H}_3,\hat{C}_1),\hat{S}_1\right)$$

where $\hat{l}_R=(\hat{a}_{new},\widehat{Recent})\wedge\ (\hat{H}_1,\hat{C}_1)=\widehat{\mathsf{Oldify}}(\hat{H},\hat{C},\hat{a}_{new})$ *// Recency Abstraction*

$\wedge\ (\hat{v}_1,\hat{es}_1)=\hat{\mathcal{V}}[\![e_1]\!](\hat{H}_1,\hat{C}_1)\wedge\ \hat{L}_f=\left\{\ \hat{l}\mid\hat{l}\in\hat{v}_1.2\wedge\mathsf{true}\sqsubseteq\underline{\widehat{\mathsf{HasConstruct}}}(\hat{H}_1,\hat{l})\ \right\}$

$\wedge\ \hat{L}_{this}=\widehat{\mathsf{getThis}}(\hat{H}_1,\hat{\mathcal{V}}[\![e_2]\!](\hat{H}_1,\hat{C}_1).1)$

$\wedge\ \hat{v}_{arg}=\hat{\mathcal{V}}[\![e_3]\!](\hat{H}_1,\hat{C}_1).1$

$\wedge\ \hat{o}_{old}=\hat{H}_1(\#\widehat{PureLocal}_R)$

$\wedge\ \hat{cc}_{caller}=\hat{cp}.2$

$\wedge\ n_{\textit{after-call}}=\underline{\mathsf{getAftercallFromCall}}_P(\hat{cp}.1)$

$\wedge\ \hat{cp}_{\textit{after-call}}=(n_{\textit{after-call}},\hat{cc}_{caller})$

$\wedge\ \hat{cp}_{exc}=(\underline{\mathsf{getExcSucc}}_P(n_{\textit{after-call}}),\hat{cc}_{caller})$

$$\wedge\ \overset{\mathsf{ip}}{\hookrightarrow}:=\overset{\mathsf{ip}}{\hookrightarrow}\cup\bigcup_{\hat{l}_f\in\hat{L}_f}\bigcup_{fid\in\hat{H}_1(\hat{l}_f)(@construct).1.3}\bigcup_{(\hat{cc}_{new},\hat{o}_{new})\in\underline{\widehat{\mathsf{NewCallContext}}}(\hat{cc}_{caller},fid,\hat{l}_R,\hat{L}_{this})}\left\{\begin{array}{l}\hat{cp}\ \overset{\mathsf{ip}}{\hookrightarrow}_{\hat{C}_{new},\hat{o}_{new_2}}\ ((fid,\mathsf{ENTRY}),\hat{cc}_{new})\\ \quad\text{where}\ \ \hat{C}_{new}=\langle\{\},\{\},\{\},\{\}\rangle\\ \qquad\qquad\hat{o}_{new_2}=\hat{o}_{new}\left[\begin{array}{l}\underline{\mathsf{getArgumentsName}}(fid)\ \mapsto\ \langle\hat{v}_{arg},\mathsf{true},\mathsf{false},\mathsf{false}\rangle,\\ @scope\ \mapsto\ \hat{H}_1(\hat{l}_f)(@scope).1\end{array}\right]\\ ((fid,\mathsf{EXIT}),\hat{cc}_{new})\ \overset{\mathsf{ip}}{\hookrightarrow}_{\hat{C}_1,\hat{o}_{old}}\ \hat{cp}_{\textit{after-call}},\\ ((fid,\mathsf{EXIT\text{-}EXC}),\hat{cc}_{new})\ \overset{\mathsf{ip}}{\hookrightarrow}_{\hat{C}_1,\hat{o}_{old}}\ \hat{cp}_{exc}\end{array}\right\}$$

$\wedge\ \hat{H}_2=\bigsqcup_{\hat{l}\in\hat{v}_{arg}.2}\hat{H}_1\left[\hat{l}\mapsto\hat{H}_1(\hat{l})\left[\text{“}callee\text{”}\mapsto\langle\langle\bot_{PValue},\hat{L}_f\rangle,\mathsf{true},\mathsf{false},\mathsf{true}\rangle\right]\right]$

$\wedge\ \hat{es}_2=\{\widehat{\mathsf{TypeError}}\}\quad\text{if}\ \ \exists\hat{l}\in\hat{v}_1.2:\mathsf{false}\sqsubseteq\underline{\widehat{\mathsf{HasConstruct}}}(\hat{H}_1,\hat{l})$

$\wedge\ \hat{es}_3=\{\widehat{\mathsf{TypeError}}\}\quad\text{if}\ \ \hat{v}_1.1\not\sqsubseteq\bot_{PValue}$

$\wedge\ \hat{es}=\hat{es}_1\sqcup\hat{es}_2\sqcup\hat{es}_3$

$\wedge\ \hat{S}_1=\hat{S}\sqcup\widehat{\mathsf{RaiseException}}(\hat{H}_1,\hat{C}_1,\hat{es})$

$$\wedge\ \hat{H}_3=\left\{\begin{array}{ll}\hat{H}_2 & \text{if}\ \ \hat{L}_f\neq\{\}\\ \bot_{Heap} & \text{otherwise}\end{array}\right.$$

$$\hat{\mathcal{I}}_{\hat{cp}}[\![\mathsf{call}\,(e_1,e_2,e_3)\,_{\hat{a}_{new}}]\!]\left((\hat{H},\hat{C}),\hat{S}\right)=\left((\hat{H}_3,\hat{C}_1),\hat{S}_1\right)$$

where $\hat{l}_R=(\hat{a}_{new},\widehat{Recent})\wedge\ (\hat{H}_1,\hat{C}_1)=\widehat{\mathsf{Oldify}}(\hat{H},\hat{C},\hat{a}_{new})$ *// Recency Abstraction*

$\wedge\ (\hat{v}_1,\hat{es}_1)=\hat{\mathcal{V}}[\![e_1]\!](\hat{H}_1,\hat{C}_1)\wedge\ \hat{L}_f=\left\{\ \hat{l}\mid\hat{l}\in\hat{v}_1.2\wedge\mathsf{true}\sqsubseteq\underline{\widehat{\mathsf{IsCallable}}}(\hat{H}_1,\hat{l})\ \right\}$

$\wedge\ \hat{L}_{this}=\widehat{\mathsf{getThis}}(\hat{H}_1,\hat{\mathcal{V}}[\![e_2]\!](\hat{H}_1,\hat{C}_1).1)$

$\wedge\ \hat{v}_{arg}=\hat{\mathcal{V}}[\![e_3]\!](\hat{H}_1,\hat{C}_1).1$

$\wedge\ \hat{o}_{old}=\hat{H}_1(\#\widehat{PureLocal}_R)$

$\wedge\ \hat{cc}_{caller}=\hat{cp}.2$

$\wedge\ n_{\textit{after-call}}=\underline{\mathsf{getAftercallFromCall}}_P(\hat{cp}.1)$

$\wedge\ \hat{cp}_{\textit{after-call}}=(n_{\textit{after-call}},\hat{cc}_{caller})$

$\wedge\ \hat{cp}_{exc}=(\underline{\mathsf{getExcSucc}}_P(n_{\textit{after-call}}),\hat{cc}_{caller})$

$$\wedge\ \overset{\mathsf{ip}}{\hookrightarrow}:=\overset{\mathsf{ip}}{\hookrightarrow}\cup\bigcup_{\hat{l}_f\in\hat{L}_f}\bigcup_{fid\in\hat{H}_1(\hat{l}_f)(@function).1.3}\bigcup_{(\hat{cc}_{new},\hat{o}_{new})\in\underline{\widehat{\mathsf{NewCallContext}}}(\hat{cc}_{caller},fid,\hat{l}_R,\hat{L}_{this})}\left\{\begin{array}{l}\hat{cp}\ \overset{\mathsf{ip}}{\hookrightarrow}_{\hat{C}_{new},\hat{o}_{new_2}}\ ((fid,\mathsf{ENTRY}),\hat{cc}_{new})\\ \quad\text{where}\ \ \hat{C}_{new}=\langle\{\},\{\},\{\},\{\}\rangle\\ \qquad\qquad\hat{o}_{new_2}=\hat{o}_{new}\left[\begin{array}{l}\underline{\mathsf{getArgumentsName}}(fid)\ \mapsto\ \langle\hat{v}_{arg},\mathsf{true},\mathsf{false},\mathsf{false}\rangle,\\ @scope\ \mapsto\ \hat{H}_1(\hat{l}_f)(@scope).1\end{array}\right]\\ ((fid,\mathsf{EXIT}),\hat{cc}_{new})\ \overset{\mathsf{ip}}{\hookrightarrow}_{\hat{C}_1,\hat{o}_{old}}\ \hat{cp}_{\textit{after-call}},\\ ((fid,\mathsf{EXIT\text{-}EXC}),\hat{cc}_{new})\ \overset{\mathsf{ip}}{\hookrightarrow}_{\hat{C}_1,\hat{o}_{old}}\ \hat{cp}_{exc}\end{array}\right\}$$

$\wedge\ \hat{H}_2=\bigsqcup_{\hat{l}\in\hat{v}_{arg}.2}\hat{H}_1\left[\hat{l}\mapsto\hat{H}_1(\hat{l})\left[\text{“}callee\text{”}\mapsto\langle\langle\bot_{PValue},\hat{L}_f\rangle,\mathsf{true},\mathsf{false},\mathsf{true}\rangle\right]\right]$

$\wedge\ \hat{es}_2=\{\widehat{\mathsf{TypeError}}\}\quad\text{if}\ \ \exists\hat{l}\in\hat{v}_1.2:\mathsf{false}\sqsubseteq\underline{\widehat{\mathsf{IsCallable}}}(\hat{H}_1,\hat{l})$

$\wedge\ \hat{es}_3=\{\widehat{\mathsf{TypeError}}\}\quad\text{if}\ \ \hat{v}_1.1\not\sqsubseteq\bot_{PValue}$

$\wedge\ \hat{es}=\hat{es}_1\sqcup\hat{es}_2\sqcup\hat{es}_3$

$\wedge\ \hat{S}_1=\hat{S}\sqcup\widehat{\mathsf{RaiseException}}(\hat{H}_1,\hat{C}_1,\hat{es})$

$$\wedge\ \hat{H}_3=\left\{\begin{array}{ll}\hat{H}_2 & \text{if}\ \ \hat{L}_f\neq\{\}\\ \bot_{Heap} & \text{otherwise}\end{array}\right.$$

$$\hat{\mathcal{I}}_{\hat{cp}}[\![\mathsf{assert}\,(e_1 \otimes e_2)\,]\!]\left((\hat{H},\hat{C}),\hat{S}\right) = \left(\hat{\mathcal{B}}[\![e_1 \otimes e_2]\!](\hat{H},\hat{C}),\hat{S}\right)$$

$$\hat{\mathcal{I}}_{\hat{cp}}[\![\mathsf{catch}\,(x)\,]\!]\left((\hat{H},\hat{C}),\hat{S}\right) = \left((\hat{H}_2,\hat{C}),\perp_{State}\right)$$
where $\hat{v}_{old} = \hat{H}(\#\hat{PureLocal}_R)(@exception\_all).1.2$
$\wedge\ \hat{H}_1 = \underline{\widehat{\mathsf{CreateMutableBinding}}}(\hat{H}, x, \hat{H}(\#\hat{PureLocal}_R)(@exception).1.2)$
$\wedge\ \hat{H}_2 = \hat{H}_1[\#\hat{PureLocal}_R \mapsto \hat{H}_1(\#\hat{PureLocal}_R)[@exception \mapsto \hat{v}_{old}]]$

$$\hat{\mathcal{I}}_{\hat{cp}}[\![\mathsf{return}\,(e)\,]\!]\left((\hat{H},\hat{C}),\hat{S}\right) = \left((\hat{H}_1,\hat{C}_1),\hat{S}_1\right)$$
where $(\hat{v},\hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H},\hat{C})$
$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\hat{H}[\#\hat{PureLocal}_R \mapsto \hat{H}(\#\hat{PureLocal}_R)[@return \mapsto \hat{v}]],\hat{C})) & \text{if } \hat{v} \not\sqsubseteq \perp_{Value} \\ (\perp_{Heap},\perp_{Context}) & \text{otherwise} \end{cases}$
$\wedge\ \hat{S}_1 = \hat{S} \sqcup \underline{\widehat{\mathsf{RaiseException}}}(\hat{H},\hat{C},\hat{es})$

$$\hat{\mathcal{I}}_{\hat{cp}}[\![\mathsf{return}\,()\,]\!]\left((\hat{H},\hat{C}),\hat{S}\right) = \left((\hat{H}_1,\hat{C}),\hat{S}\right)$$
where $\hat{H}_1 = \hat{H}[\#\hat{PureLocal}_R \mapsto \hat{H}(\#\hat{PureLocal}_R)[@return \mapsto \hat{\mathsf{undefined}}_{Value}]]$

$$\hat{\mathcal{I}}_{\hat{cp}}[\![\mathsf{throw}\,(e)\,]\!]\left((\hat{H},\hat{C}),\hat{S}\right) = \left(\perp_{State},\hat{S}_1\right)$$
where $(\hat{v},\hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H},\hat{C})$
$\wedge\ \hat{v}_{old} = \hat{H}(\#\hat{PureLocal}_R)(@exception\_all).1.2$
$\wedge\ \hat{H}_1 = \hat{H}\left[\#\hat{PureLocal}_R \mapsto \hat{H}(\#\hat{PureLocal}_R)\left[\begin{array}{l} @return \mapsto \hat{\mathsf{undefined}}_{Value}, \\ @exception \mapsto \hat{v}, \\ @exception\_all \mapsto \hat{v} \sqcup \hat{v}_{old} \end{array}\right]\right]$
$\wedge\ (\hat{H}_e,\hat{C}_e) = \underline{\widehat{\mathsf{RaiseException}}}(\hat{H},\hat{C},\hat{es}) \wedge\ \hat{S}_1 = \hat{S} \sqcup (\hat{H}_1 \sqcup \hat{H}_e, \hat{C} \sqcup \hat{C}_e)$

$$\hat{\mathcal{I}}_{\hat{cp}}[\![x := \underline{\widehat{\diamond\mathsf{toObject}}}\,(e)\,{}_{a_{new}}]\!]\left((\hat{H},\hat{C}),\hat{S}\right) = \left((\hat{H}_3,\hat{C}_3),\hat{S}_1\right)$$
where $(\hat{v},\hat{es}_1) = \hat{\mathcal{V}}[\![e]\!](\hat{H},\hat{C})$
$\wedge\ (\hat{H}_1,\hat{C}_1,\hat{v}_1,\hat{es}_2) = \widehat{\mathsf{toObject}}(\hat{H},\hat{C},\hat{v},\hat{a}_{new})$
$\wedge\ (\hat{H}_2,\hat{C}_2) = \begin{cases} (\underline{\widehat{\mathsf{VarStore}}}(\hat{H}_1,x,\hat{v}_1),\hat{C}_1) & \text{if } \hat{v}_1 \not\sqsubseteq \perp_{Value} \\ (\perp_{Heap},\perp_{Context}) & \text{otherwise} \end{cases}$
$\wedge\ (\hat{H}_3,\hat{C}_3,\hat{es}_3) = \begin{cases} (\hat{H}_2,\hat{C}_2,\hat{es}_1 \sqcup \hat{es}_2) & \text{if } \hat{v} \not\sqsubseteq \perp_{Value} \\ (\perp_{Heap},\perp_{Context},\hat{es}_1) & \text{otherwise} \end{cases}$
$\wedge\ \hat{S}_1 = \hat{S} \sqcup \underline{\widehat{\mathsf{RaiseException}}}(\hat{H},\hat{C},\hat{es}_3)$

$$\hat{\mathcal{I}}_{\hat{cp}}[\![x := \underline{\widehat{\diamond\mathsf{isObject}}}\,(e)\,]\!]\left((\hat{H},\hat{C}),\hat{S}\right) = \left((\hat{H}_1,\hat{C}_1),\hat{S}_1\right)$$
where $(\hat{v},\hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H},\hat{C})$
$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\underline{\widehat{\mathsf{VarStore}}}(\hat{H},x,\hat{b}_{Value}),\hat{C}) & \text{if } \hat{v} \not\sqsubseteq \perp_{Value} \\ (\perp_{Heap},\perp_{Context}) & \text{otherwise} \end{cases}$
$\wedge\ \hat{b}_1 = \begin{cases} \hat{\mathsf{true}} & \text{if } \hat{v}.2 \not\sqsubseteq \perp_{Loc} \\ \perp_{Bool} & \text{otherwise} \end{cases} \wedge\ \hat{b}_2 = \begin{cases} \hat{\mathsf{false}} & \text{if } \hat{v}.1 \not\sqsubseteq \perp_{PValue} \\ \perp_{Bool} & \text{otherwise} \end{cases}$
$\wedge\ \hat{b} = \hat{b}_1 \sqcup \hat{b}_2$
$\wedge\ \hat{S}_1 = \hat{S} \sqcup \underline{\widehat{\mathsf{RaiseException}}}(\hat{H},\hat{C},\hat{es})$

$$\hat{\mathcal{I}}_{\hat{cp}}[\![x := \widehat{\diamond\mathsf{toNumber}}\,(e)\,]\!]\left((\hat{H},\hat{C}),\hat{S}\right) = \left((\hat{H}_1,\hat{C}_1),\hat{S}_1\right)$$
where $(\hat{v},\hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H},\hat{C})$
$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\mathsf{VarStore}}(\hat{H},x,(\widehat{\mathsf{toNumber}}(\hat{pv}))_{Value}),\hat{C}) & \text{if } \hat{v} \not\sqsubseteq \bot_{Value} \\ (\bot_{Heap},\bot_{Context}) & \text{otherwise} \end{cases}$
$\wedge\ \hat{pv} = \widehat{\mathsf{toPrimitive}}(\hat{v})$
$\wedge\ \hat{S}_1 = \hat{S} \sqcup \widehat{\mathsf{RaiseException}}(\hat{H},\hat{C},\hat{es})$

$$\hat{\mathcal{I}}_{\hat{cp}}[\![x_1 := \widehat{\diamond\mathsf{getBase}}\,(x_2)\,]\!]\left((\hat{H},\hat{C}),\hat{S}\right) = \left((\widehat{\mathsf{VarStore}}(\hat{H},x_1,\langle\bot_{PValue},\hat{L}_{base}\rangle),\hat{C}),\hat{S}\right)$$
where $\hat{L}_{base} = \widehat{\mathsf{LookupBase}}(\hat{H},x_2)$

$$\hat{\mathcal{I}}_{\hat{cp}}[\![x := \widehat{\diamond\mathsf{iteratorInit}}\,(e)\,]\!]\left((\hat{H},\hat{C}),\hat{S}\right) = \left((\hat{H},\hat{C}),\hat{S}\right)$$

$$\hat{\mathcal{I}}_{\hat{cp}}[\![x := \widehat{\diamond\mathsf{iteratorHasNext}}\,(e_1,e_2)\,]\!]\left((\hat{H},\hat{C}),\hat{S}\right) = \left((\widehat{\mathsf{VarStore}}(\hat{H},x,(\top_{Bool})_{Value}),\hat{C}),\hat{S}\right)$$

$$\hat{\mathcal{I}}_{\hat{cp}}[\![x := \widehat{\diamond\mathsf{iteratorNext}}\,(e_1,e_2)\,]\!]\left((\hat{H},\hat{C}),\hat{S}\right) = \left((\widehat{\mathsf{VarStore}}(\hat{H},x,(\top_{String})_{Value}),\hat{C}),\hat{S}\right)$$

$$\hat{\mathcal{I}}_{\hat{cp}}[\![\mathsf{noop}]\!]\left((\hat{H},\hat{C}),\hat{S}\right) = \left((\hat{H},\hat{C}),\hat{S}\right)$$

$$\hat{\mathcal{V}}[\![x]\!](\hat{H},\hat{C}) = \widehat{\mathsf{Lookup}}(\hat{H},x)$$

$$\hat{\mathcal{V}}[\![e_1 \otimes e_2]\!](\hat{H},\hat{C}) = (\hat{v},\hat{es})$$
where $(\hat{v}_1,\hat{es}_1) = \hat{\mathcal{V}}[\![e_1]\!](\hat{H},\hat{C}) \wedge\ (\hat{v}_2,\hat{es}_2) = \hat{\mathcal{V}}[\![e_2]\!](\hat{H},\hat{C})$
$\wedge\ (\hat{v},\hat{es}) = \begin{cases} (\bot_{Value},\hat{es}_1) & \text{if } \hat{v}_1 \sqsubseteq \bot_{Value} \\ (\bot_{Value},\hat{es}_1 \sqcup \hat{es}_2) & \text{if } \hat{v}_1 \not\sqsubseteq \bot_{Value} \wedge\ \hat{v}_2 \sqsubseteq \bot_{Value} \\ (\hat{v}_1 \hat{\otimes} \hat{v}_2,\hat{es}_1 \sqcup \hat{es}_2) & \text{otherwise} \end{cases}$

$$\hat{\mathcal{V}}[\![\ominus e]\!](\hat{H},\hat{C}) = (\hat{\ominus}\hat{v},\hat{es}) \quad \text{where } (\hat{v},\hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H},\hat{C})$$

$$\hat{\mathcal{V}}[\![e_1\,\texttt{[}\,e_2\,\texttt{]}]\!](\hat{H},\hat{C}) = (\hat{v}_1,\hat{es})$$
where $\hat{L} = (\hat{\mathcal{V}}[\![e_1]\!](\hat{H},\hat{C})).1.2 \wedge\ (\hat{v},\hat{es}) = \hat{\mathcal{V}}[\![e_2]\!](\hat{H},\hat{C})$
$\wedge\ \hat{ss} = \begin{cases} \widehat{\mathsf{toStringSet}}(\widehat{\mathsf{toPrimivite}}(\hat{v})) & \text{if } \hat{v} \not\sqsubseteq \bot_{Value} \\ \{\} & \text{otherwise} \end{cases}$
$\wedge\ \hat{v}_1 = \bigsqcup_{\hat{l}\in\hat{L}} \bigsqcup_{\hat{s}\in\hat{ss}} \widehat{\mathsf{Proto}}(\hat{H},\hat{l},\hat{s})$

$$\hat{\mathcal{V}}[\![\texttt{n}]\!](\hat{H},\hat{C}) = (\hat{n}_{Value},\bot_{Exception})$$

$$\hat{\mathcal{V}}[\![\text{“}\texttt{s}\text{”}]\!](\hat{H},\hat{C}) = (\hat{s}_{Value},\bot_{Exception})$$

$$\hat{\mathcal{V}}[\![\texttt{true}]\!](\hat{H},\hat{C}) = \left(\hat{\mathsf{true}}_{Value},\bot_{Exception}\right)$$

$$\hat{\mathcal{V}}[\![\texttt{false}]\!](\hat{H},\hat{C}) = \left(\hat{\mathsf{false}}_{Value},\bot_{Exception}\right)$$

$$\hat{\mathcal{V}}[\![\texttt{null}]\!](\hat{H},\hat{C}) = \left(\hat{\mathsf{null}}_{Value},\bot_{Exception}\right)$$

$$\hat{\mathcal{V}}[\![\texttt{this}]\!](\hat{H},\hat{C}) = \left(\langle\bot_{PValue},\hat{H}(\#\hat{PureLocal})(@this).1.2.2\rangle,\bot_{Exception}\right)$$

$$\hat{\mathcal{V}}[\![e_1 \texttt{ instanceof } e_2]\!](\hat{H},\hat{C}) = \left(\hat{b}_{Value}, \hat{es}\right)$$
where $(\hat{v}_1,\hat{es}_1) = \hat{\mathcal{V}}[\![e_1]\!](\hat{H},\hat{C}) \wedge\ (\hat{v}_2,\hat{es}_2) = \hat{\mathcal{V}}[\![e_2]\!](\hat{H},\hat{C})$
$\wedge\ \hat{L}_1 = \hat{v}_1.2 \wedge\ \hat{L}_2 = \hat{v}_2.2$
$\wedge\ \hat{L}_3 = \left\{\ \hat{l} \mid \hat{l} \in \hat{L}_2 \wedge\ \hat{\mathsf{true}} \sqsubseteq \widehat{\underline{\mathsf{HasInstance}}}(\hat{H},\hat{l})\ \right\}$
$\wedge\ \hat{v}_{proto} = \bigsqcup_{\hat{l}\in\hat{L}_3} \widehat{\underline{\mathsf{Proto}}}(\hat{H},\hat{l},\text{“}\hat{prototype}\text{”})$
$\wedge\ \hat{L}_4 = \hat{v}_{proto}.2$
$\wedge\ \hat{L}_5 = \left\{\ \hat{l} \mid \hat{l} \in \hat{L}_2 \wedge\ \hat{\mathsf{false}} \sqsubseteq \widehat{\underline{\mathsf{HasInstance}}}(\hat{H},\hat{l})\ \right\}$
$\wedge\ \hat{b}_1 = \bigsqcup_{\hat{l_1}\in\hat{L}_1} \bigsqcup_{\hat{l_2}\in\hat{L}_4} \widehat{\underline{\mathsf{inherit}}}(\hat{H},\hat{l}_1,\hat{l}_2)$
$\wedge\ \hat{b}_2 = \begin{cases} \hat{\mathsf{false}} & \text{if } \hat{v}_1.1 \not\sqsubseteq \bot_{PValue} \wedge \hat{L}_4 \not\sqsubseteq \{\} \\ \bot_{Bool} & \text{otherwise} \end{cases}$
$\wedge\ \hat{es}_3 = \begin{cases} \{\hat{\mathsf{TypeError}}\} & \text{if } \hat{v}_2.1 \not\sqsubseteq \bot_{PValue} \vee \hat{L}_5 \not\sqsubseteq \{\} \vee \hat{v}_{proto}.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$\wedge\ \hat{b} = \hat{b}_1 \sqcup \hat{b}_2 \wedge\ \hat{es} = \hat{es}_1 \sqcup \hat{es}_2 \sqcup \hat{es}_3$

$$\hat{\mathcal{V}}[\![e_1 \texttt{ in } e_2]\!](\hat{H},\hat{C}) = \left(\hat{b}_{Value}, \hat{es}\right)$$
where $(\hat{v}_1,\hat{es}_1) = \hat{\mathcal{V}}[\![e_1]\!](\hat{H},\hat{C}) \wedge\ (\hat{v}_2,\hat{es}_2) = \hat{\mathcal{V}}[\![e_2]\!](\hat{H},\hat{C})$
$\wedge\ \hat{s} = \widehat{\underline{\mathsf{toString}}}(\widehat{\underline{\mathsf{toPrimitive}}}(\hat{v}_1))$
$\wedge\ \hat{b} = \bigsqcup_{\hat{l}\in\hat{v}_2.2} \widehat{\underline{\mathsf{HasProperty}}}(\hat{H},\hat{l},\hat{s})$
$\wedge\ \hat{es}_3 = \begin{cases} \{\hat{\mathsf{TypeError}}\} & \text{if } \hat{v}_2.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$\wedge\ \hat{es} = \hat{es}_1 \sqcup \hat{es}_2 \sqcup \hat{es}_3$

$$\hat{\mathcal{V}}[\![\texttt{typeof x}]\!](\hat{H},\hat{C}) = ((\hat{s}_1 \sqcup \hat{s}_2)_{Value}, \{\})$$
where $(\hat{v},\hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H},\hat{C})$
$\wedge\ \hat{s}_1 = \widehat{\underline{\mathsf{TypeTag}}}(\hat{H},\hat{v})$
$\wedge\ \hat{s}_2 = \begin{cases} \text{“}\hat{undefined}\text{”} & \text{if } \hat{\mathsf{ReferenceError}} \in \hat{es} \\ \bot_{String} & \text{otherwise} \end{cases}$

$$\hat{\mathcal{V}}[\![\texttt{typeof } e]\!](\hat{H},\hat{C}) = \left((\widehat{\underline{\mathsf{TypeTag}}}(\hat{H},\hat{v}))_{Value}, \hat{es}\right)$$
where $(\hat{v},\hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H},\hat{C})$

$$\hat{\mathcal{B}}[\![e]\!]\left((\hat{H},\hat{C}),\hat{S}\right) = \left((\hat{H}_1,\hat{C}_1),\hat{S}_1\right)$$
where $relSet = \begin{cases} \widehat{\underline{\mathsf{getRel}}}(e_1 \S e_2,(\hat{H},\hat{C})) \sqcup \widehat{\underline{\mathsf{getRel}}}(e_2 \S^t e_1,(\hat{H},\hat{C})) & \text{if } e_1 \S e_2 = e \wedge \S \in \mathsf{IRRelOP} \\ \{e\} & \text{if } e_1 \S e_2 = e \wedge \S \in \mathsf{IRObjOP} \\ \emptyset & \text{otherwise} \end{cases}$
$(\hat{v},\hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H},\hat{C})$
$\hat{S}_1 = \hat{S} \sqcup \widehat{\underline{\mathsf{RaiseException}}}(\hat{H},\hat{C},\hat{es})$
$(\hat{H}_1,\hat{C}_1) = \begin{cases} \bigsqcap_{re\in relSet} \widehat{\mathsf{X}}[\![re]\!](\hat{H},\hat{C}) & \text{if } relSet \neq \emptyset \wedge \hat{\mathsf{true}} \sqsubseteq \widehat{\underline{\mathsf{toBoolean}}}(\hat{v}).1.3 \\ (\hat{H},\hat{C}) & \text{if } relSet = \emptyset \wedge \hat{\mathsf{true}} \sqsubseteq \widehat{\underline{\mathsf{toBoolean}}}(\hat{v}).1.3 \\ (\bot_{Heap},\bot_{Context}) & \text{otherwise} \end{cases}$

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Chapter 10

Sparse Analysis(Incomplete)

10.1 Access Analysis

- New location and property name pairs $\langle \#\hat{Context}, 1\rangle, \langle \#\hat{Context}, 2\rangle$ are introduced to stand for each of $\widehat{\mathsf{Context}}$ values.

10.1.1 Helper functions for definition set

$\underline{\widehat{\mathsf{CreateMutableBinding}}}_{def}$: $\widehat{\mathsf{Heap}} \times \wp(\widehat{\mathsf{Loc}}) \times \mathsf{Prop} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{CreateMutableBinding}}}_{def}(\hat{H}, \hat{L}, x) = \{ \ \langle \#\hat{PureLocal}_R, x \rangle \ \}$ if $\underline{\widehat{\mathsf{getVarKind}}}_P(x) = \mathsf{PureLocalVar}$

$\underline{\widehat{\mathsf{CreateMutableBinding}}}_{def}(\hat{H}, \hat{L}, x) = \{ \ \langle \hat{l}, x \rangle \mid \hat{l} \in \hat{L} \ \}$ if $\underline{\widehat{\mathsf{getVarKind}}}_P(x) = \mathsf{CapturedVar}$

$\underline{\widehat{\mathsf{CreateMutableBinding}}}_{def}(\hat{H}, \hat{L}, x) = \{ \ \langle \#\hat{Collapsed}_O, x \rangle \ \}$ if $\underline{\widehat{\mathsf{getVarKind}}}_P(x) = \mathsf{CapturedCatchV}$

$\underline{\widehat{\mathsf{CreateMutableBinding}}}_{def}(\hat{H}, \hat{L}, x) = \{ \ \langle \#\hat{Global}_R, x \rangle \ \}$ if $\underline{\widehat{\mathsf{getVarKind}}}_P(x) = \mathsf{GlobalVar}$

$\underline{\widehat{\mathsf{Oldify}}}_{def}$: $\widehat{\mathsf{Heap}} \times \widehat{\mathsf{Context}} \times \widehat{\mathsf{Address}} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{Oldify}}}_{def}(\hat{H}, \hat{C}, \hat{a}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4 \cup LP_5$

where $\hat{l}_R = (\hat{a}, \hat{Recent}) \ \wedge \ \hat{l}_O = (\hat{a}, \hat{Old})$

$$LP_1 = \begin{cases} \{ \ \langle \hat{l}_O, s \rangle, \langle \hat{l}_R, s \rangle \mid s \in dom(\hat{H}(\hat{l}_R)) \ \} & \text{if } \hat{l}_R \in dom(\hat{H}) \\ \{\} \quad \text{otherwise} \end{cases}$$

$$LP_2 = \begin{cases} \{ \ \langle \hat{l}_O, s \rangle, \langle \hat{l}_R, s \rangle \mid s \in dom(\hat{H}(\hat{l}_O)) \ \} & \text{if } \hat{l}_O \in dom(\hat{H}) \\ \{\} \quad \text{otherwise} \end{cases}$$

$$LP_3 = \{ \ \langle \#\hat{Context}, 1 \rangle \ \} \quad \text{if } \hat{l}_R \in \hat{C}.1$$

$$LP_4 = \{ \ \langle \#\hat{Context}, 2 \rangle \ \} \quad \text{if } \hat{l}_R \in \hat{C}.2$$

$$LP_5 = \{ \ \langle \hat{l}, s \rangle \mid \hat{l} \in dom(\hat{H}), \ s \in dom(\hat{H})(\hat{l}), \ \hat{l}_R \in \hat{H}(l)(s).1.1.1.2 \vee \hat{l}_R \in \hat{H}(s).1.2.2 \ \}$$

$\underline{\widehat{\mathsf{NewObject}}}_{def}$: $\mathsf{Unit} \to \wp(\mathsf{Prop})$

$\underline{\widehat{\mathsf{NewObject}}}_{def}() = \{ \ @\hat{class}, @\hat{proto}, @\hat{extensible}, @\hat{default\_UInt}, @\hat{default\_NUInt} \ \}$

$\underline{\widehat{\mathsf{NewArrayObject}}}_{def}$: $\mathsf{Unit} \to \wp(\mathsf{Prop})$

$\underline{\widehat{\mathsf{NewArrayObject}}}_{def}() = \{ \ @\hat{class}, @\hat{proto}, \text{“}length\text{”}, @\hat{extensible}, @\hat{default\_UInt}, @\hat{default\_NUInt} \ \}$

$\underline{\widehat{\mathsf{NewArgObject}}}_{def}$: $\mathsf{Unit} \to \wp(\mathsf{Prop})$

$\underline{\widehat{\mathsf{NewArgObject}}}_{def}() = \{ \ @\hat{class}, @\hat{proto}, \text{“}length\text{”}, @\hat{extensible}, @\hat{default\_UInt}, @\hat{default\_NUInt} \ \}$

$\underline{\widehat{\mathsf{NewFunctionObject}}}_{def}$: $\mathsf{Unit} \to \wp(\mathsf{Prop})$

$$\underline{\widehat{\mathsf{NewFunctionObject}}}_{def}() = \left\{ \begin{array}{l} @\hat{class}, @\hat{proto}, @\hat{extensible}, @\hat{function}, @\hat{construct}, @\hat{scope}, \\ @\hat{default\_UInt}, @\hat{default\_NUInt}, \text{“}prototype\text{”}, \text{“}length\text{”} \end{array} \right\}$$

$\underline{\widehat{\mathsf{NewDeclEnvRecord}}}_{def}$: $\mathsf{Unit} \to \wp(\mathsf{Prop})$

$\underline{\widehat{\mathsf{NewDeclEnvRecord}}}_{def}() = \{ \ @\hat{outer}, @\hat{default\_UInt}, @\hat{default\_NUInt} \ \}$

$\underline{\widehat{\mathsf{NewBoolean}}}_{def}$: $\mathsf{Unit} \to \wp(\mathsf{Prop})$

$\underline{\widehat{\mathsf{NewBoolean}}}_{def}() = \{ \ @\hat{class}, @\hat{proto}, @\hat{extensible}, @\hat{primitive}, @\hat{default\_UInt}, @\hat{default\_NUInt} \ \}$

$\underline{\widehat{\mathsf{NewNumber}}}_{def}$: $\mathsf{Unit} \to \wp(\mathsf{Prop})$

$\underline{\widehat{\mathsf{NewNumber}}}_{def}() = \{ \ @\hat{class}, @\hat{proto}, @\hat{extensible}, @\hat{primitive}, @\hat{default\_UInt}, @\hat{default\_NUInt} \ \}$

$\underline{\widehat{\mathsf{NewDate}}}_{def}$: $\mathsf{Unit} \to \wp(\mathsf{Prop})$

$\underline{\widehat{\mathsf{NewDate}}}_{def}() = \{ \ @\hat{class}, @\hat{proto}, @\hat{extensible}, @\hat{primitive}, @\hat{default\_UInt}, @\hat{default\_NUInt} \ \}$

$\underline{\widehat{\mathsf{NewString}}}_{def}$: $\widehat{\mathsf{Value}} \to \wp(\mathsf{Prop})$

$\underline{\widehat{\mathsf{NewString}}}_{def}(\hat{v}) = LP_1 \cup LP_2$

where $\hat{v}_{len} = length(\hat{v}.1.5)$

$$LP_1 = \{ \ @\hat{class}, @\hat{proto}, @\hat{extensible}, @\hat{primitive}, @\hat{default\_UInt}, @\hat{default\_NUInt} \ \}$$

$$LP_2 = \{ \ \text{“}i\text{”} \mid 0 \leq i \wedge \exists l \in \gamma(\hat{v}_{len}).i < l \ \}$$

$\underline{\widehat{\mathsf{NewPureLocal}}}_{def}$: $\mathsf{Unit} \to \wp(\mathsf{Prop})$

$\underline{\widehat{\mathsf{NewPureLocal}}}_{def}() = \{ \ @\hat{exception}, @\hat{exception\_all}, @\hat{return}, @\hat{default\_UInt}, @\hat{default\_NUInt} \ \}$

$\widehat{\underline{\mathsf{VarStore}}}_{def}$: $\widehat{\mathsf{Heap}} \times \wp(\widehat{\mathsf{Loc}}) \times \mathsf{Prop} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\widehat{\underline{\mathsf{VarStore}}}_{def}(\hat{H}, \hat{L}, x) = \{\ \langle \#Pur\hat{e}Local_R, x\rangle\ \}$ if $\underline{\mathsf{getVarKind}}_P(x) = \mathsf{PureLocalVar}$

$\widehat{\underline{\mathsf{VarStore}}}_{def}(\hat{H}, \hat{L}, x) = \bigsqcup_{\hat{l} \in \hat{L}} \widehat{\underline{\mathsf{VarStoreL}}}_{def}(\hat{H}, \hat{l}, x)$ if $\underline{\mathsf{getVarKind}}_P(x) = \mathsf{CapturedVar}$

$\widehat{\underline{\mathsf{VarStore}}}_{def}(\hat{H}, \hat{L}, x) = \{\ \langle \#Col\hat{l}apsed_O, x\rangle\ \}$ if $\underline{\mathsf{getVarKind}}_P(x) = \mathsf{CapturedCatchVar}$

$\widehat{\underline{\mathsf{VarStore}}}_{def}(\hat{H}, \hat{L}, x) = \widehat{\underline{\mathsf{VarStoreG}}}_{def}(\hat{H}, x)$

$\widehat{\underline{\mathsf{VarStoreL}}}_{def}$: $\widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \times \mathsf{Prop} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\widehat{\underline{\mathsf{VarStoreL}}}_{def}(\hat{H}, \hat{l}, x) = LP_1 \cup LP_2$

where $LP_1 = \begin{cases} \{\ \langle \hat{l}, x\rangle\ \} & \text{if } \hat{\mathsf{true}} \sqsubseteq (x \dot{\in} dom(\hat{H}(\hat{l}))) \wedge \hat{H}(\hat{l})(x).1.1.2 = \hat{\mathsf{true}} \\ \{\} & \text{otherwise} \end{cases}$

$\hat{L}_{outer} = \hat{H}(\hat{l})(@\hat{outer}).1.2.2$

$LP_2 = \begin{cases} \bigcup_{\hat{l}_{outer} \in \hat{L}_{outer}} \widehat{\underline{\mathsf{VarStoreL}}}_{def}(\hat{H}, \hat{l}_{outer}, x) & \text{if } \hat{\mathsf{false}} \sqsubseteq (x \dot{\in} dom(\hat{H}(\hat{l}))) \\ \{\} & \text{otherwise} \end{cases}$

$\widehat{\underline{\mathsf{VarStoreG}}}_{def}$: $\widehat{\mathsf{Heap}} \times \mathsf{Prop} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\widehat{\underline{\mathsf{VarStoreG}}}_{def}(\hat{H}, x) = LP_1 \cup LP_2$

where $\hat{l}_g = \#G\hat{l}obal_R$

$LP_1 = \begin{cases} \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H}, \hat{l}_g, \alpha(x)) & \text{if } \hat{\mathsf{false}} \sqsubseteq (x \dot{\in} dom(\hat{H}(\hat{l}_g))) \\ \{\} & \text{otherwise} \end{cases}$

$LP_2 = \begin{cases} \{\ \langle \hat{l}_g, x\rangle\ \} & \text{if } \hat{\mathsf{true}} \sqsubseteq (x \dot{\in} dom(\hat{H}(\hat{l}_g))) \\ \{\} & \text{otherwise} \end{cases}$

$\widehat{\underline{\mathsf{PropStore}}}_{def}$: $\widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{String}} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H}, \hat{l}, \hat{s}) = \{\ \langle \hat{l}, \hat{s}\rangle\ \}$

$\widehat{\underline{\mathsf{ReturnStore}}}_{def}$: $\mathsf{Unit} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\widehat{\underline{\mathsf{ReturnStore}}}_{def}() = \{\ \langle \#Pur\hat{e}Local_R, @return\rangle\ \}$

$\widehat{\underline{\mathsf{Delete}}}_{def}$: $\widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{String}} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\widehat{\underline{\mathsf{Delete}}}_{def}(\hat{H}, \hat{l}, \hat{s}) = LP$

where $LP = \{\ \langle \hat{l}, \hat{s}\rangle\ \}$ if $\Big(\hat{\mathsf{true}} \sqsubseteq \widehat{\underline{\mathsf{HasOwnProperty}}}(\hat{H}, \hat{l}, \hat{s}) \wedge \hat{\mathsf{true}} \sqsubseteq \hat{H}(\hat{l})(\hat{s}).1.1.4\Big)$
$\vee\ (\hat{\mathsf{false}} \sqsubseteq \widehat{\underline{\mathsf{hasOwnProperty}}}(\hat{H}, \hat{l}, \hat{s}))$

$\widehat{\underline{\mathsf{toObject}}}_{def}$: $\widehat{\mathsf{Heap}} \times \widehat{\mathsf{Context}} \times \widehat{\mathsf{Value}} \times \widehat{\mathsf{Address}} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\widehat{\underline{\mathsf{toObject}}}_{def}(\hat{H}, \hat{C}, \hat{v}, \hat{a}) = LP$

where $O_1 = \begin{cases} \widehat{\underline{\mathsf{NewString}}}_{def}(\hat{v}.1.5) & \text{if } \hat{v}.1.5 \not\sqsubseteq \bot_{string} \\ \{\} & \text{otherwise} \end{cases}$

$O_2 = \begin{cases} \widehat{\underline{\mathsf{NewBoolean}}}_{def}() & \text{if } \hat{v}.1.3 \not\sqsubseteq \bot_{boolean} \\ \{\} & \text{otherwise} \end{cases}$

$O_3 = \begin{cases} \widehat{\underline{\mathsf{NewNumber}}}_{def}() & \text{if } \hat{v}.1.4 \not\sqsubseteq \bot_{number} \\ \{\} & \text{otherwise} \end{cases}$

$O = O_1 \cup O_2 \cup O_3$

$LP = \begin{cases} \widehat{\underline{\mathsf{Oldify}}}_{def}(\hat{H}, \hat{C}, \hat{a}) \cup \{\ \langle \hat{l}_R, s\rangle \mid s \in O\ \} & \text{if } O \neq \emptyset \\ \{\} & \text{otherwise} \end{cases}$

$\widehat{\underline{\mathsf{RaiseException}}}_{def}$: $\wp(\widehat{\mathsf{Exception}})\wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\widehat{\underline{\mathsf{RaiseException}}}_{def}(\hat{es}) = LP$

where $LP = \begin{cases} \left\{ \begin{array}{l} \langle \#Pur\hat{e}Local_R, @exception\_all\rangle, \\ \langle \#Pur\hat{e}Local_R, @exception\rangle \end{array} \right\} & \text{if } \hat{es} \neq \{\} \\ \{\} & \text{otherwise} \end{cases}$

10.1.2 Helper functions for use set

$\underline{\widehat{\mathsf{Oldify}}}_{use}$: $\widehat{\mathsf{Heap}} \times \widehat{\mathsf{Context}} \times \widehat{\mathsf{Address}} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{Oldify}}}_{use}(\hat{H}, \hat{C}, \hat{a}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$

where $\hat{l}_R = (\hat{a}, \hat{Recent}) \wedge \hat{l}_O = (\hat{a}, \hat{Old})$

$$LP_1 = \begin{cases} \{\ \langle \hat{l}_O, s\rangle, \langle \hat{l}_R, s\rangle \mid s \in dom(\hat{H}(\hat{l}_R))\ \} & \text{if } \hat{l}_R \in dom(\hat{H}) \\ \{\} & \text{otherwise} \end{cases}$$

$$LP_2 = \begin{cases} \{\ \langle \hat{l}_O, s\rangle, \langle \hat{l}_R, s\rangle \mid s \in dom(\hat{H}(\hat{l}_O))\ \} & \text{if } \hat{l}_O \in dom(\hat{H}) \\ \{\} & \text{otherwise} \end{cases}$$

$$LP_3 = \{\ \langle \#\hat{Context}, 1\rangle, \langle \#\hat{Context}, 2\rangle\ \}$$

$$LP_4 = \{\ \langle \hat{l}, s\rangle \mid \hat{l} \in dom(\hat{H}),\ s \in dom(\hat{H})(\hat{l}),\ \hat{l}_R \in \hat{H}(l)(s).1.1.1.2 \vee \hat{l}_R \in \hat{H}(s).1.2.2\ \}$$

$\underline{\widehat{\mathsf{VarStore}}}_{use}$: $\widehat{\mathsf{Heap}} \times \wp(\widehat{\mathsf{Loc}}) \times \mathsf{Prop} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{VarStore}}}_{use}(\hat{H}, \hat{L}, x) = \{\}$ if $\underline{\mathsf{getVarKind}}_P(x) = \mathsf{PureLocalVar}$

$\underline{\widehat{\mathsf{VarStore}}}_{use}(\hat{H}, \hat{L}, x) = \bigcup_{\hat{l} \in \hat{L}} \underline{\widehat{\mathsf{VarStoreL}}}_{use}(\hat{H}, \hat{l}, x)$ if $\underline{\mathsf{getVarKind}}_P(x) = \mathsf{CapturedVar}$

$\underline{\widehat{\mathsf{VarStore}}}_{use}(\hat{H}, \hat{L}, x) = \{\ \langle \#\hat{Collapsed}_O, x\rangle\ \}$ if $\underline{\mathsf{getVarKind}}_P(x) = \mathsf{CapturedCatchVar}$

$\underline{\widehat{\mathsf{VarStore}}}_{use}(\hat{H}, \hat{L}, x) = \underline{\widehat{\mathsf{VarStoreG}}}_{use}(\hat{H}, x) \cup \underline{\widehat{\mathsf{CanPutVar}}}_{use}(\hat{H}, x)$

$\underline{\widehat{\mathsf{VarStoreL}}}_{use}$: $\widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{String}} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{VarStoreL}}}_{use}(\hat{H}, \hat{l}, x) = \{\ \langle \hat{l}, x\rangle\ \} \cup LP$

where $\hat{L}_{outer} = \hat{H}(\hat{l})(@outer).1.2.2$

$$LP = \begin{cases} \{\ \langle \hat{l}, @outer\rangle\ \} \cup \bigcup_{\hat{l}_{outer} \in \hat{L}_{outer}} \underline{\widehat{\mathsf{VarStoreL}}}_{use}(\hat{H}, \hat{l}_{outer}, x) & \text{if } \hat{\mathsf{false}} \sqsubseteq (x \dot{\in} dom(\hat{H}(\hat{l}))) \\ \{\} & \text{otherwise} \end{cases}$$

$\underline{\widehat{\mathsf{VarStoreG}}}_{use}$: $\widehat{\mathsf{Heap}} \times \mathsf{Prop} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{VarStoreG}}}_{use}(\hat{H}, x) = \{\ \langle \hat{l}_g, x\rangle\ \} \cup LP$

where $\hat{l}_g = \#\hat{Global}_R$

$$LP = \begin{cases} \underline{\widehat{\mathsf{PropStore}}}_{use}(\hat{H}, \hat{l}_g, \alpha(x)) & \text{if } \hat{\mathsf{false}} \sqsubseteq (x \dot{\in} dom(\hat{H}(\hat{l}_g))) \\ \{\} & \text{otherwise} \end{cases}$$

$\underline{\widehat{\mathsf{PropStore}}}_{use}$: $\widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{String}} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{PropStore}}}_{use}(\hat{H}, \hat{l}, \hat{s}) = \{\ \langle \hat{l}, \hat{s}\rangle\ \}$

$\underline{\widehat{\mathsf{CanPutVar}}}_{use}$: $\widehat{\mathsf{Heap}} \times \widehat{\mathsf{String}} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{CanPutVar}}}_{use}(\hat{H}, \hat{s}) = \{\ \langle \#\hat{Global}_R, x\rangle\ \} \cup LP$

where $LP = \begin{cases} \underline{\widehat{\mathsf{CanPut}}}_{use}(\hat{H}, \#\hat{Global}_R, \alpha(x)) & \text{if } \hat{\mathsf{false}} \sqsubseteq (x \dot{\in} dom(\hat{H}(\#\hat{Global}_R))) \\ \{\} & \text{otherwise} \end{cases}$

$\underline{\widehat{\mathsf{CanPut}}}_{use}$: $\widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{String}} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{CanPut}}}_{use}(\hat{H}, \hat{l}, \hat{s}) = \underline{\widehat{\mathsf{CanPutHelp}}}_{use}(\hat{H}, \hat{l}, \hat{s}, \hat{l})$

$\underline{\widehat{\mathsf{CanPutHelp}}}_{use}$: $\widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{String}} \times \widehat{\mathsf{Loc}} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{CanPutHelp}}}_{use}(\hat{H}, \hat{l}_1, \hat{s}, \hat{l}_2) = \{\ \langle \hat{l}_1, \hat{s}\rangle, \langle \hat{l}_1, @proto\rangle\ \} \cup LP_1 \cup LP_2$

where $\hat{L}_{proto} = \hat{H}(\hat{l}_1)(@proto).1.1.1.2$

$$LP_1 = \begin{cases} \bigcup_{\hat{l}_{proto} \in \hat{L}_{proto}} \underline{\widehat{\mathsf{CanPutHelp}}}_{use}(\hat{H}, \hat{l}_{proto}, \hat{s}, \hat{l}_2) & \text{if } \hat{\mathsf{false}} \sqsubseteq (\hat{s} \dot{\in} dom(\hat{H}(\hat{l}_1))) \\ \{\} & \text{otherwise} \end{cases}$$

$$LP_2 = \begin{cases} \{\ \langle \hat{l}_2, \text{“}@extensible\text{”}\rangle\ \} & \text{if } \hat{H}(\hat{l}_1)(@proto).1.1.1.1.2 \not\sqsubseteq \perp_{Null} \\ \{\} & \text{otherwise} \end{cases}$$

$\underline{\widehat{\mathsf{Delete}}}_{use}$: $\widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{String}} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{Delete}}}_{use}(\hat{H}, \hat{l}, \hat{s}) = \{\ \langle \hat{l}, \hat{s}\rangle\ \}$

$\underline{\widehat{\mathsf{IsArray}}}_{use}$: $\widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{IsArray}}}_{use}(\hat{H}, \hat{l}) = \{\ \langle \hat{l}, @\hat{class}\rangle\ \}$

$\underline{\widehat{\mathsf{LookupBase}}}_{use}$ $: \widehat{\mathsf{Heap}} \times \wp(\widehat{\mathsf{Loc}}) \times \mathsf{Prop} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{LookupBase}}}_{use}(\hat{H}, \hat{L}, x) = \{\}$ if $\underline{\mathsf{getVarKind}}_P(x) = \mathsf{PureLocalVar}$

$\underline{\widehat{\mathsf{LookupBase}}}_{use}(\hat{H}, \hat{L}, x) = \bigcup_{\hat{l} \in \hat{L}} \underline{\widehat{\mathsf{LookupBaseL}}}_{use}(\hat{H}, \hat{l}, x)$ if $\underline{\mathsf{getVarKind}}_P(x) = \mathsf{CapturedVar}$

$\underline{\widehat{\mathsf{LookupBase}}}_{use}(\hat{H}, \hat{L}, x) = \{\}$ if $\underline{\mathsf{getVarKind}}_P(x) = \mathsf{CapturedCatchVa}$

$\underline{\widehat{\mathsf{LookupBase}}}_{use}(\hat{H}, \hat{L}, x) = \underline{\widehat{\mathsf{LookupBaseG}}}_{use}(\hat{H}, x)$ if $\underline{\mathsf{getVarKind}}_P(x) = \mathsf{GlobalVar}$

$\underline{\widehat{\mathsf{LookupBaseL}}}_{use}$ $: \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \times \mathsf{Prop} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{LookupBaseL}}}_{use}(\hat{H}, \hat{l}, x) = \{\ \langle \hat{l}, x \rangle\ \} \cup LP$

where $\hat{L}_{outer} = \hat{H}(\hat{l})(@outer).1.2.2$

$$LP = \begin{cases} \{\ \langle \hat{l}, @outer \rangle\ \} \cup \bigcup_{\hat{l}_{outer} \in \hat{L}_{outer}} \underline{\widehat{\mathsf{LookupBaseL}}}_{use}(\hat{H}, \hat{l}_{outer}, x) & \text{if } \hat{\mathsf{false}} \sqsubseteq (x \dot{\in} d \\ \{\} & \text{otherwise} \end{cases}$$

$\underline{\widehat{\mathsf{LookupBaseG}}}_{use}$ $: \widehat{\mathsf{Heap}} \times \mathsf{Prop} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{LookupBaseG}}}_{use}(\hat{H}, x) = \{\ \langle \#Global_R, x \rangle, \langle \hat{l}, @outer \rangle\ \} \cup LP_1 \cup LP_2$

where $\hat{L}_{proto} = \hat{H}(\#Global_R)(@proto).1.1.1.2$

$$LP_1 = \{\ \langle \hat{l}_{proto}, x \rangle \mid \hat{l}_{proto} \in \hat{L}_{proto}\ \}$$

$$LP_2 = \bigcup_{\hat{l}_{proto} \in \hat{L}_{proto}} \begin{cases} \underline{\widehat{\mathsf{Proto}}}_{use}(\hat{H}, \hat{l}_{proto}, \alpha(x)) & \text{if } \hat{\mathsf{true}} \sqsubseteq \underline{\widehat{\mathsf{HasProperty}}}(\hat{H}, \hat{l}_{proto}, \alpha(x)) \\ \{\} & \text{otherwise} \end{cases}$$

$\widehat{\mathsf{Proto}}_{use}$ $: \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{String}} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\widehat{\mathsf{Proto}}_{use}(\hat{H}, \hat{l}, \hat{s}) = \{\ \langle \hat{l}, \hat{s} \rangle, \langle \hat{l}, @proto \rangle\ \} \cup LP$

where $\hat{L}_{proto} = \hat{H}(\hat{l})(@proto).1.1.1.2$

$$LP = \begin{cases} \bigcup_{\hat{l}_{proto} \in \hat{L}_{proto}} \widehat{\mathsf{Proto}}_{use}(\hat{H}, \hat{l}_{proto}, \hat{s}) & \text{if } \hat{\mathsf{false}} \sqsubseteq (\hat{s} \dot{\in} dom(\hat{H}(\hat{l}))) \\ \{\} & \text{otherwise} \end{cases}$$

$\underline{\widehat{\mathsf{HasConstruct}}}_{use}$ $: \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{HasConstruct}}}_{use}(\hat{H}, \hat{l}) = \{\ \langle \hat{l}, @construct \rangle\ \}$

$\underline{\widehat{\mathsf{IsCallable}}}_{use}$ $: \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{IsCallable}}}_{use}(\hat{H}, \hat{l}) = \{\ \langle \hat{l}, @function \rangle\ \}$

$\underline{\widehat{\mathsf{getThis}}}_{use}$ $: \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Value}} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{getThis}}}_{use}(\hat{H}, \hat{v}) = LP$

where $LP = \{\ \langle \hat{l}, @class \rangle \mid \hat{l} \in \hat{v}.2\ \}$

$\underline{\widehat{\mathsf{CreateMutableBinding}}}_{use}$ $: \widehat{\mathsf{Heap}} \times \wp(\widehat{\mathsf{Loc}}) \times \mathsf{Prop} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{CreateMutableBinding}}}_{use}(\hat{H}, \hat{L}, x) = \{\}$ if $\underline{\widehat{\mathsf{getVarKind}}}_P(x) = \mathsf{PureLocalVar}$

$\underline{\widehat{\mathsf{CreateMutableBinding}}}_{use}(\hat{H}, \hat{L}, x) = \{\ \langle \hat{l}, x \rangle \mid \hat{l} \in \hat{L}\ \}$ if $\underline{\widehat{\mathsf{getVarKind}}}_P(x) = \mathsf{CapturedVar}$

$\underline{\widehat{\mathsf{CreateMutableBinding}}}_{use}(\hat{H}, \hat{L}, x) = \{\ \langle \#Collapsed_O, x \rangle\ \}$ if $\underline{\widehat{\mathsf{getVarKind}}}_P(x) = \mathsf{CapturedCatchVa}$

$\underline{\widehat{\mathsf{CreateMutableBinding}}}_{use}(\hat{H}, \hat{L}, x) = \{\}$ if $\underline{\widehat{\mathsf{getVarKind}}}_P(x) = \mathsf{GlobalVar}$

$\underline{\widehat{\mathsf{inherit}}}_{use}$ $: \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{Loc}} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{inherit}}}_{use}(\hat{H}, \hat{l}_1, \hat{l}_2) = \{\ \langle \hat{l}_1, @proto \rangle\ \} \cup LP$

where $LP = \begin{cases} \bigcup_{\hat{l} \in \hat{H}(\hat{l}_1)(@proto).1.1.1.2} \underline{\widehat{\mathsf{inherit}}}_{use}(\hat{H}, \hat{l}, \hat{l}_2) & \text{if } \hat{l}_1 \neq \hat{l}_2 \\ \{\} & \text{otherwise} \end{cases}$

$\underline{\widehat{\mathsf{TypeTag}}}_{use}$ $: \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Value}} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{TypeTag}}}_{use}(\hat{H}, \hat{v}) = \bigcup_{\hat{l} \in \hat{v}.2} \underline{\widehat{\mathsf{IsCallable}}}_{use}(\hat{H}, \hat{l})$

$\underline{\widehat{\mathsf{Lookup}}}_{use}$ $: \widehat{\mathsf{Heap}} \times \wp(\widehat{\mathsf{Loc}}) \times \mathsf{Prop} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{Lookup}}}_{use}(\hat{H}, \hat{L}, x) = \{\ \langle \#\hat{PureLocal}_R, x\rangle\ \}$ if $\underline{\widehat{\mathsf{getVarKind}}}_P(x) = \mathsf{PureLocalVar}$

$\underline{\widehat{\mathsf{Lookup}}}_{use}(\hat{H}, \hat{L}, x) = \bigcup_{\hat{l}\in\hat{L}} \underline{\widehat{\mathsf{LookupL}}}_{use}(\hat{H}, \hat{l}, x)$ if $\underline{\widehat{\mathsf{getVarKind}}}_P(x) = \mathsf{CapturedVar}$

$\underline{\widehat{\mathsf{Lookup}}}_{use}(\hat{H}, \hat{L}, x) = \{\ \langle \#\hat{Collapsed}_O, x\rangle\ \}$ if $\underline{\widehat{\mathsf{getVarKind}}}_P(x) = \mathsf{CapturedCatchVar}$

$\underline{\widehat{\mathsf{Lookup}}}_{use}(\hat{H}, \hat{L}, x) = \underline{\widehat{\mathsf{LookupG}}}_{use}(\hat{H}, x)$ if $\underline{\widehat{\mathsf{getVarKind}}}_P(x) = \mathsf{GlobalVar}$

$\underline{\widehat{\mathsf{LookupL}}}_{use}$ $: \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{String}} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{LookupL}}}_{use}(\hat{H}, \hat{l}, x) = \{\ \langle \hat{l}, x\rangle\ \} \cup LP$

where $\hat{L}_{outer} = \hat{H}(\hat{l})(@outer).1.2.2$

$$LP = \begin{cases} \{\ \langle \hat{l}, @outer\rangle\ \} \cup \bigcup_{\hat{l}_{outer}\in\hat{L}_{outer}} \underline{\widehat{\mathsf{LookupL}}}_{use}(\hat{H}, \hat{l}_{outer}, x) & \text{if } \hat{\mathsf{false}} \sqsubseteq (x \dot{\in} dom(\hat{H}(\hat{l})) \\ \{\} & \text{otherwise} \end{cases}$$

$\underline{\widehat{\mathsf{LookupG}}}_{use}$ $: \widehat{\mathsf{Heap}} \times \mathsf{Prop} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{LookupG}}}_{use}(\hat{H}, x) = LP_1 \cup LP_2 \cup LP_3$

where $\hat{L}_{proto} = \hat{H}(\#\hat{Global}_R)(@\hat{proto}).1.1.1.2$

$LP_1 = \{\ \langle \#\hat{Global}, x\rangle, \langle \#\hat{Global}, @proto\rangle\ \}$

$LP_2 = \{\ \langle \hat{l}_{proto}, x\rangle \mid \hat{l}_{proto} \in \hat{L}_{proto}\ \}$

$$LP_3 = \bigcup_{\hat{l}_{proto}\in\hat{L}_{proto}} \begin{cases} \underline{\widehat{\mathsf{Proto}}}_{use}(\hat{H}, \hat{l}_{proto}, \alpha(x)) & \text{if } \hat{\mathsf{true}} \sqsubseteq \underline{\widehat{\mathsf{HasProperty}}}(\hat{H}, \hat{l}_{proto}, \alpha(x)) \\ \{\} & \text{otherwise} \end{cases}$$

$\underline{\widehat{\mathsf{toObject}}}_{use}$ $: \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Context}} \times \widehat{\mathsf{Value}} \times \widehat{\mathsf{Address}} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{toObject}}}_{use}(\hat{H}, \hat{C}, \hat{v}, \hat{a}) = LP$

where $LP = \begin{cases} \underline{\widehat{\mathsf{Oldify}}}_{use}(\hat{H}, \hat{C}, \hat{a}) & \text{if } \hat{v}.1.5 \not\sqsubseteq \bot_{string} \vee \hat{v}.1.3 \not\sqsubseteq \bot_{boolean} \vee \hat{v}.1.4 \not\sqsubseteq \bot_{number} \\ \{\} & \text{otherwise} \end{cases}$

$\underline{\widehat{\mathsf{HasOwnProperty}}}_{use}$ $: \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{String}} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{HasOwnProperty}}}_{use}(\hat{H}, \hat{l}, \hat{s}) = \{\ \langle \hat{l}, \hat{s}\rangle\ \}$

$\underline{\widehat{\mathsf{RaiseException}}}_{use}$ $: \wp(\widehat{\mathsf{Exception}})\wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{RaiseException}}}_{use}(\hat{es}) = LP$

where $LP = \begin{cases} \{\ \langle \#\hat{PureLocal}_R, @exception\_all\rangle\ \} & \text{if } \hat{es} \neq \{\} \\ \{\} & \text{otherwise} \end{cases}$

$\underline{\widehat{\mathsf{HasProperty}}}_{use}$ $: \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{String}} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$

$\underline{\widehat{\mathsf{HasProperty}}}_{use}(\hat{H}, \hat{l}, \hat{s}) = LP_1 \cup LP_2 \cup LP_3$

where $\hat{L}_{proto} = \hat{H}(\hat{l})(@proto).1.1.1.2$

$LP_1 = \underline{\widehat{\mathsf{HasOwnProperty}}}_{use}(\hat{H}, \hat{l}, \hat{s})$

$LP_2 = \{\ \langle \hat{l}, @proto\rangle\ \}$

$$LP_3 = \begin{cases} \bigcup_{\hat{l}_{proto}\in\hat{L}_{proto}} \underline{\widehat{\mathsf{HasProperty}}}_{use}(\hat{H}, \hat{l}_{proto}, \hat{s}) & \text{if } \hat{\mathsf{false}} \sqsubseteq \underline{\widehat{\mathsf{HasOwnProperty}}}(\hat{H}, \hat{l}, \hat{s}) \\ \{\} & \text{otherwise} \end{cases}$$

10.1.3 Semantic functions

$$\hat{\mathcal{C}}_{def} \in \mathsf{Command} \to \widehat{\mathsf{State}} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$$
$$\hat{\mathcal{C}}_{use} \in \mathsf{Command} \to \widehat{\mathsf{State}} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$$
$$\hat{\mathcal{I}}_{def} \in \mathsf{Instruction} \to \widehat{\mathsf{State}} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$$
$$\hat{\mathcal{I}}_{use} \in \mathsf{Instruction} \to \widehat{\mathsf{State}} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$$
$$\hat{\mathcal{V}}_{use} \in \mathsf{Expression} \to \widehat{\mathsf{State}} \to \wp(\widehat{\mathsf{Loc}} \times \mathsf{Prop})$$

$$\hat{\mathcal{E}}_{def}[\![\hat{cp} \hookrightarrow_{\hat{C},\hat{o}} ((fid, \mathsf{ENTRY}), \hat{cc})]\!](\hat{H}, \hat{C}_1) = LP_1 \cup LP_2$$
where $\hat{o}_2 = \hat{o} - @scope$
$LP_1 = \{\ \langle \#\hat{PureLocal}_R, x\rangle \mid x \in dom(\hat{o}_2)\ \}$
$LP_2 = \{\ \langle \hat{l}_{env}, x\rangle \mid \hat{l}_{env} \in \hat{C}.1,\ x \in \underline{\widehat{\mathsf{NewDeclEnvRecord}}}_{def}()\ \}$

$$\hat{\mathcal{E}}_{use}[\![\hat{cp} \hookrightarrow_{\hat{C},\hat{o}} ((fid, \mathsf{ENTRY}), \hat{cc})]\!](\hat{H}, \hat{C}_1) = LP$$
where $\hat{o}_2 = \hat{o} - @scope$
$LP = \{\ \langle \hat{l}_{env}, x\rangle \mid \hat{l}_{env} \in \hat{C}.1,\ x \in \underline{\widehat{\mathsf{NewDeclEnvRecord}}}_{def}()\ \}$

$$\hat{\mathcal{C}}_{def}[\![\mathsf{entry}]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$$
where $((fid_{this}, \mathsf{ENTRY}), \hat{cc}) = \hat{cp}$
$\wedge\ x_1 \cdots x_n = \underline{\mathsf{getArgVars}}_P(fid_{this})\ \wedge\ x_{n+1} \cdots x_m = \underline{\mathsf{getLocalVars}}_P(fid_{this})$
$LP_1 = \bigcup_{1 \le i \le n} \underline{\widehat{\mathsf{CreateMutableBinding}}}_{def}(\hat{H}, \hat{C}.1, x_i)$
$LP_2 = \bigcup_{n+1 \le j \neq m} \underline{\widehat{\mathsf{CreateMutableBinding}}}_{def}(\hat{H}, \hat{C}.1, x_j)$

$$\hat{\mathcal{C}}_{use}[\![\mathsf{entry}]\!](\hat{H}, \hat{C}) = \{\ \langle \#Context, 1\rangle\ \} \cup LP_1 \cup LP_2$$
where $((fid_{this}, \mathsf{ENTRY}), \hat{cc}) = \hat{cp}$
$\hat{L}_{arg} = \hat{H}(\#\hat{PureLocal}_R)(\underline{\mathsf{getArgumentsName}}(fid_{this})).1.1.1.2$
$\wedge\ x_1 \cdots x_n = \underline{\mathsf{getArgVars}}_P(fid_{this})\ \wedge\ x_{n+1} \cdots x_m = \underline{\mathsf{getLocalVars}}_P(fid_{this})$
$LP_1 = \{\ \langle \#\hat{PureLocal}_R, \underline{\mathsf{getArgumentsName}}(fid_{this})\rangle\ \}$
$LP_2 = \bigcup_{\hat{l} \in \hat{L}_{arg}} \underline{\widehat{\mathsf{Proto}}}_{use}(\hat{H}, \hat{l}, \text{“}i \hat{-} 1\text{”})$
$LP_3 = \bigcup_{1 \le i \le n} \underline{\widehat{\mathsf{CreateMutableBinding}}}_{use}(\hat{H}, \hat{C}.1, x_i)$
$LP_4 = \bigcup_{n+1 \le j \neq m} \underline{\widehat{\mathsf{CreateMutableBinding}}}_{use}(\hat{H}, \hat{C}.1, x_j)$

$$\hat{\mathcal{C}}_{def}[\![\mathsf{exit}]\!](\hat{H}, \hat{C}) = \{\}$$

$$\hat{\mathcal{C}}_{use}[\![\mathsf{exit}]\!](\hat{H}, \hat{C}) = \{\}$$

$$\hat{\mathcal{C}}_{def}[\![\mathsf{exit\text{-}exc}]\!](\hat{H}, \hat{C}) = \{\}$$

$$\hat{\mathcal{C}}_{use}[\![\mathsf{exit\text{-}exc}]\!](\hat{H}, \hat{C}) = \{\}$$

$$\hat{\mathcal{C}}_{def}[\![i^+]\!](\hat{H}, \hat{C}) = \bigcup_{i \in i^+} \hat{\mathcal{I}}_{def}[\![i]\!](\hat{H}, \hat{C})$$

$$\hat{\mathcal{C}}_{use}[\![i^+]\!](\hat{H}, \hat{C}) = \bigcup_{i \in i^+} \hat{\mathcal{I}}_{use}[\![i]\!](\hat{H}, \hat{C})$$

$$\hat{\mathcal{I}}_{def}[\![x \texttt{:=alloc(}e^?\texttt{)}\ \hat{a}_{new}]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$$
where $\hat{l}_R = (\hat{a}_{new}, Recent)$
$(\hat{v}, \hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H}, \hat{C})$
$LP_1 = \underline{\widehat{\mathsf{Oldify}}}_{def}(\hat{H}, \hat{C}, \hat{a}_{new})$
$LP_2 = \{\ \langle \hat{l}_R, s\rangle \mid s \in \underline{\widehat{\mathsf{NewObject}}}_{def}()\ \}$
$LP_3 = \underline{\widehat{\mathsf{VarStore}}}_{def}(\hat{H}, \hat{C}.1, x)$
$LP_4 = \underline{\widehat{\mathsf{RaiseException}}}_{def}(\hat{es})$

$$\hat{\mathcal{I}}_{use}[\![x \texttt{:=alloc(}e^?\texttt{)}\ \hat{a}_{new}]\!](\hat{H}, \hat{C}) = \{\ \langle \#\hat{Context}, 1\rangle\ \} \cup LP_1 \cup LP_2 \cup LP_3 \cup LP_4$$
where $(\hat{v}, \hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H}, \hat{C})$
$LP_1 = \underline{\widehat{\mathsf{Oldify}}}_{use}(\hat{H}, \hat{C}, \hat{a}_{new})$
$LP_2 = \hat{\mathcal{V}}_{use}[\![e]\!](\hat{H}, \hat{C})$ *// if e is None, LP_2 is an empty set.*
$LP_3 = \underline{\widehat{\mathsf{VarStore}}}_{use}(\hat{H}, \hat{C}.1, x)$
$LP_4 = \underline{\widehat{\mathsf{RaiseException}}}_{use}(\hat{es})$

$$\hat{\mathcal{I}}_{def}[\![x\texttt{:=allocArray(n)}_{\hat{a}_{new}}]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$$
where $\hat{l}_R = (\hat{a}_{new}, Recent)$
$$LP_1 = \widehat{\underline{\mathsf{Oldify}}}_{def}(\hat{H},\hat{C},\hat{a}_{new})$$
$$LP_2 = \left\{ \langle \hat{l}_R, s\rangle \mid s \in \widehat{\underline{\mathsf{NewArrayObject}}}_{def}() \right\}$$
$$LP_3 = \widehat{\underline{\mathsf{VarStore}}}_{def}(\hat{H},\hat{C}.1,x)$$

$$\hat{\mathcal{I}}_{use}[\![x\texttt{:=allocArray(n)}_{\hat{a}_{new}}]\!](\hat{H},\hat{C}) = \left\{ \langle \hat{\#Context}, 1\rangle \right\} \cup LP_1 \cup LP_2$$
where $LP_1 = \widehat{\underline{\mathsf{Oldify}}}_{use}(\hat{H},\hat{C},\hat{a}_{new})$
$$LP_2 = \widehat{\underline{\mathsf{VarStore}}}_{use}(\hat{H},\hat{C}.1,x)$$

$$\hat{\mathcal{I}}_{def}[\![x\texttt{:=allocArg(n)}_{\hat{a}_{new}}]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$$
where $\hat{l}_R = (\hat{a}_{new}, Recent)$
$$LP_1 = \widehat{\underline{\mathsf{Oldify}}}_{def}(\hat{H},\hat{C},\hat{a}_{new})$$
$$LP_2 = \left\{ \langle \hat{l}_R, s\rangle \mid s \in \widehat{\underline{\mathsf{NewArgObject}}}_{def}() \right\}$$
$$LP_3 = \widehat{\underline{\mathsf{VarStore}}}_{def}(\hat{H},\hat{C}.1,x)$$

$$\hat{\mathcal{I}}_{use}[\![x\texttt{:=allocArg(n)}_{\hat{a}_{new}}]\!](\hat{H},\hat{C}) = \left\{ \langle \hat{\#Context}, 1\rangle \right\} \cup LP_1 \cup LP_2$$
where $LP_1 = \widehat{\underline{\mathsf{Oldify}}}_{use}(\hat{H},\hat{C},\hat{a}_{new})$
$$LP_2 = \widehat{\underline{\mathsf{VarStore}}}_{use}(\hat{H},\hat{C}.1,x)$$

$$\hat{\mathcal{I}}_{def}[\![x\texttt{:=}e]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
where $(\hat{v},\hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H},\hat{C})$
$$LP_1 = \widehat{\underline{\mathsf{VarStore}}}_{def}(\hat{H},\hat{H}(\hat{\#PureLocal}_R)(@env).1.2.2,x)$$
$$LP_2 = \widehat{\underline{\mathsf{RaiseException}}}_{def}(\hat{es})$$

$$\hat{\mathcal{I}}_{use}[\![x\texttt{:=}e]\!](\hat{H},\hat{C}) = \left\{ \langle \hat{\#PureLocal}_R, @env\rangle \right\} \cup LP_1 \cup LP_2 \cup LP_3$$
where $(\hat{v},\hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H},\hat{C})$
$$LP_1 = \widehat{\underline{\mathsf{VarStore}}}_{use}(\hat{H},\hat{H}(\hat{\#PureLocal}_R)(@env).1.2.2,x)$$
$$LP_2 = \hat{\mathcal{V}}_{use}[\![e]\!](\hat{H},\hat{C})$$
$$LP_3 = \widehat{\underline{\mathsf{RaiseException}}}_{use}(\hat{es})$$

$$\hat{\mathcal{I}}_{def}[\![x_1 := \textsf{delete}\,(x_2)\,]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
where $\hat{L}_{base} = \widehat{\underline{\textsf{LookupBase}}}(\hat{H},\hat{C}.1,x_2)$
$LP_1 = \widehat{\underline{\textsf{VarStore}}}_{def}(\hat{H},\hat{C}.1,x_1)$
$LP_2 = \bigcup_{\hat{l}_{base}\in\hat{L}_{base}} \widehat{\underline{\textsf{Delete}}}_{def}(\hat{H},\hat{l}_{base},\hat{x}_2)$

$$\hat{\mathcal{I}}_{use}[\![x_1 := \textsf{delete}\,(x_2)\,]\!](\hat{H},\hat{C}) = \{\ \langle \hat{\#Context},1\rangle\ \} \cup LP_1 \cup LP_2 \cup LP_3$$
where $\hat{L}_{base} = \widehat{\underline{\textsf{LookupBase}}}(\hat{H},\hat{C}.1,x_2)$
$LP_1 = \widehat{\underline{\textsf{VarStore}}}_{use}(\hat{H},\hat{C}.1,x_1)$
$LP_2 = \widehat{\underline{\textsf{LookupBase}}}_{use}(\hat{H},\hat{C}.1,x_2)$
$LP_3 = \bigcup_{\hat{l}_{base}\in\hat{L}_{base}} \widehat{\underline{\textsf{Delete}}}_{use}(\hat{H},\hat{l}_{base},\hat{x}_2)$

$$\hat{\mathcal{I}}_{def}[\![x := \textsf{delete}\,(e)\,]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
where $(\hat{v},\hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H},\hat{C})$
$LP_1 = \widehat{\underline{\textsf{VarStore}}}_{def}(\hat{H},\hat{C}.1,x)$
$LP_2 = \widehat{\underline{\textsf{RaiseException}}}_{def}(\hat{es})$

$$\hat{\mathcal{I}}_{use}[\![x := \textsf{delete}\,(e)\,]\!](\hat{H},\hat{C}) = \{\ \langle \hat{\#Context},1\rangle\ \} \cup LP_1 \cup LP_2 \cup LP_3$$
where $(\hat{v},\hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H},\hat{C})$
$LP_1 = \widehat{\underline{\textsf{VarStore}}}_{use}(\hat{H},\hat{C}.1,x)$
$LP_2 = \hat{\mathcal{V}}_{use}[\![e]\!](\hat{H},\hat{C})$
$LP_3 = \widehat{\underline{\textsf{RaiseException}}}_{use}(\hat{es})$

$$\hat{\mathcal{I}}_{def}[\![x := \textsf{delete}\,(e_1,e_2)\,]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$$
where $\hat{L} = (\hat{\mathcal{V}}[\![e_1]\!](\hat{H},\hat{C})).1.2 \wedge\ (\hat{v},\hat{es}) = \hat{\mathcal{V}}[\![e_2]\!](\hat{H},\hat{C})$
$\hat{ss} = \widehat{\underline{\textsf{toStringSet}}}(\widehat{\underline{\textsf{toPrimitive}}}(\hat{v}))$
$LP_1 = \widehat{\underline{\textsf{VarStore}}}_{def}(\hat{H},\hat{C}.1,x)$
$LP_2 = \bigcup_{\hat{l}\in\hat{L}} \bigcup_{\hat{s}\in\hat{ss}} \widehat{\underline{\textsf{Delete}}}_{def}(\hat{H},\hat{l},\hat{s})$
$LP_3 = \widehat{\underline{\textsf{RaiseException}}}_{def}(\hat{es})$

$$\hat{\mathcal{I}}_{use}[\![x := \textsf{delete}\,(e_1,e_2)\,]\!](\hat{H},\hat{C}) = \{\ \langle \hat{\#Context},1\rangle\ \} \cup LP_1 \cup LP_2 \cup LP_3 \cup LP_4 \cup LP_5$$
where $\hat{L} = (\hat{\mathcal{V}}[\![e_1]\!](\hat{H},\hat{C})).1.2 \wedge\ (\hat{v},\hat{es}) = \hat{\mathcal{V}}[\![e_2]\!](\hat{H},\hat{C})$
$\hat{ss} = \widehat{\underline{\textsf{toStringSet}}}(\widehat{\underline{\textsf{toPrimitive}}}(\hat{v}))$
$LP_1 = \widehat{\underline{\textsf{VarStore}}}_{use}(\hat{H},\hat{C}.1,x)$
$LP_2 = \hat{\mathcal{V}}_{use}[\![e_1]\!](\hat{H},\hat{C})$
$LP_3 = \hat{\mathcal{V}}_{use}[\![e_2]\!](\hat{H},\hat{C})$
$LP_4 = \bigcup_{\hat{l}\in\hat{L}} \bigcup_{\hat{s}\in\hat{ss}} \widehat{\underline{\textsf{Delete}}}_{use}(\hat{H},\hat{l},\hat{s})$
$LP_5 = \widehat{\underline{\textsf{RaiseException}}}_{use}(\hat{es})$

$$\hat{\mathcal{I}}_{use}[\![x := \textsf{delete}\,(e_1,e_2)\,]\!](\hat{H},\hat{C}) = \{\ \langle \hat{\#Context},1\rangle\ \} \cup LP_1 \cup LP_2 \cup LP_3 \cup LP_4$$
where $\hat{L} = (\hat{\mathcal{V}}[\![e_1]\!](\hat{H},\hat{C})).1.2 \wedge\ \hat{s} = (\hat{\mathcal{V}}[\![e_2]\!](\hat{H},\hat{C})).1.1.5$
$LP_1 = \widehat{\underline{\textsf{VarStore}}}_{use}(\hat{H},\hat{C}.1,x)$
$LP_2 = \hat{\mathcal{V}}_{use}[\![e_1]\!](\hat{H},\hat{C})$
$LP_3 = \hat{\mathcal{V}}_{use}[\![e_2]\!](\hat{H},\hat{C})$
$LP_4 = \bigcup_{\hat{l}\in\hat{L}} \widehat{\underline{\textsf{Delete}}}_{use}(\hat{H},\hat{l},\hat{s})$

$$\hat{\mathcal{I}}_{def}[\![e_1\,[\,e_2\,]\!=\!e_3]\!](\hat{H},\hat{C}) = LP_1 \cup LP_{ex}$$
where $\hat{L} = (\hat{\mathcal{V}}[\![e_1]\!](\hat{H},\hat{C})).1.2$
$(\hat{v}_{index}, \hat{es}_{index}) = (\hat{\mathcal{V}}[\![e_2]\!](\hat{H},\hat{C}))$
$(\hat{v}_{rhs}, \hat{es}_{rhs}) = \hat{\mathcal{V}}[\![e_3]\!](\hat{H},\hat{C})$
$LP_{ex} = \underline{\widehat{\mathsf{RaiseException}}}_{def}(\hat{es}_1)$
$(LP_1, \hat{es}_1) = \begin{cases} (\{\}, \hat{es}_{index}) & \text{if } \hat{v}_{index} \sqsubseteq \bot_{Value} \\ (LP_2, \hat{es}_2) & \text{otherwise} \end{cases}$
$(LP_2, \hat{es}_2) = \begin{cases} (\{\}, \hat{es}_{index} \cup \hat{es}_{rhs}) & \text{if } \hat{v}_{rhs} \sqsubseteq \bot_{Value} \\ (LP_3, \hat{es}_3 \cup \hat{es}_{index} \cup \hat{es}_{rhs}) & \text{otherwise} \end{cases}$
$\hat{S} = \widehat{\underline{\mathsf{toStringSet}}}(\widehat{\underline{\mathsf{toPrimitive}}}(\hat{v}_{index}))$
$(LP_3, \hat{es}_3) = \bigcup_{\hat{s}\in\hat{S}}(LP_{NArr} \cup LP_{Arr}, \hat{es}_{Arr})$
$\hat{L}_{NArr} = \left\{ \hat{l} \mid \hat{l} \in \hat{L} \wedge \hat{\mathsf{false}} \sqsubseteq \widehat{\underline{\mathsf{IsArray}}}(\hat{H},\hat{l}) \wedge \hat{\mathsf{true}} \sqsubseteq \widehat{\underline{\mathsf{CanPut}}}(\hat{H},\hat{l},\hat{s}) \right\}$
$\hat{L}_{Arr} = \left\{ \hat{l} \mid \hat{l} \in \hat{L} \wedge \hat{\mathsf{true}} \sqsubseteq \widehat{\underline{\mathsf{IsArray}}}(\hat{H},\hat{l}) \wedge \hat{\mathsf{true}} \sqsubseteq \widehat{\underline{\mathsf{CanPut}}}(\hat{H},\hat{l},\hat{s}) \right\}$
$LP_{NArr} = \bigcup_{\hat{l}\in\hat{L}_{NArr}} \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\hat{s})$
$(LP_{Arr}, \hat{es}_{Arr}) = \bigcup_{\hat{l}\in\hat{L}}(LP_{length} \cup LP_{index} \cup LP_{normal}, \hat{es}_{len})$
$(LP_{length}, \hat{es}_{len}) = \begin{cases} (LP_{length_2}, \hat{es}_{len_2}) & \text{if } \text{“}\hat{length}\text{”} \sqsubseteq \hat{s} \\ (\{\}, \{\}) & \text{otherwise} \end{cases}$
$LP_{len_2} = \begin{cases} LP_{len_3} \cup LP_{len_4} & \text{if } \hat{\mathsf{true}} \sqsubseteq \hat{v}_{value} \hat{=} \hat{v}_{newLen}.1.4 \\ \{\} & \text{otherwise} \end{cases}$
$\hat{es}_{len_2} = \begin{cases} \{\hat{\mathsf{RangeError}}\} & \text{if } \hat{\mathsf{false}} \sqsubseteq \hat{v}_{value} \hat{=} \hat{v}_{newLen}.1.4 \\ \{\} & \text{otherwise} \end{cases}$
$LP_{len_3} = \begin{cases} \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}) & \text{if } \hat{\mathsf{true}} \sqsubseteq \hat{v}_{value} \hat{\leq} \hat{v}_{newLen}.1.4 \wedge \hat{\mathsf{true}} \sqsubseteq \widehat{\underline{\mathsf{CanPut}}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}) \\ \{\} & \text{otherwise} \end{cases}$
$LP_{len_4} = \begin{cases} \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}) \cup \bigcup_{x=\hat{v}_{oldLen}-1 \text{ to } \hat{v}_{newLen}} \widehat{\underline{\mathsf{Delete}}}(\hat{H},\hat{l},x) & \text{if } \hat{\mathsf{false}} \sqsubseteq \hat{v}_{value} \hat{=} \hat{v}_{newLen}.1.4 \wedge \text{tr} \\ \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\text{“}\hat{length}\text{”},\hat{v}) & \text{otherwise} \end{cases}$
$LP_{index} = \begin{cases} LP_{index_1} \cup LP_{index_2} & \text{if } \hat{\mathsf{true}} \sqsubseteq \widehat{\underline{\mathsf{IsArrayIndex}}}(\hat{s}) \\ \{\} & \text{otherwise} \end{cases}$
$LP_{index_1} = \begin{cases} \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\hat{s}) & \text{if } \hat{\mathsf{true}} \sqsubseteq (\hat{n}_{index} \hat{<} \hat{n}_{oldLen}) \\ \{\} & \text{otherwise} \end{cases}$
$LP_{index_2} = \begin{cases} \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\hat{s}) \cup \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}) & \text{if } \hat{\mathsf{true}} \sqsubseteq (\hat{n}_{oldLen} \hat{\leq} \hat{n}_{index}) \wedge \hat{\mathsf{true}} \sqsubseteq \widehat{\underline{\mathsf{CanPut}}}(\hat{H},\hat{l}, \\ \{\} & \text{otherwise} \end{cases}$
$LP_{normal} = \begin{cases} \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\hat{s}) & \text{if } \hat{s} \neq \text{“}\hat{length}\text{”} \wedge \hat{\mathsf{false}} \sqsubseteq \widehat{\underline{\mathsf{IsArrayIndex}}}(\hat{s}) \\ \{\} & \text{otherwise} \end{cases}$

$$\hat{\mathcal{I}}_{use}[\![e_1\,[\,e_2\,]\!=\!e_3]\!](\hat{H},\hat{C}) = \left\{ \langle \#\hat{Context}, 1\rangle, \langle \#\hat{Context}, 2\rangle \right\} \cup LP_1 \cup LP_2 \cup LP_3 \cup LP_4 \cup LP_5 \cup LP_6 \cup LP_7$$
where $\hat{L} = (\hat{\mathcal{V}}[\![e_1]\!](\hat{H},\hat{C})).1.2 \wedge (\hat{v}_{index}, \hat{es}_{index}) = \hat{\mathcal{V}}[\![e_2]\!](\hat{H},\hat{C}) \wedge (\hat{v}_{rhs}, \hat{es}_{rhs}) = \hat{\mathcal{V}}[\![e_3]\!](\hat{H},\hat{C})$
$\wedge\, \hat{S} = \widehat{\underline{\mathsf{toStringSet}}}(\widehat{\underline{\mathsf{toPrimitive}}}(\hat{v}_{index})) \wedge \hat{T} = \left\{ \hat{l} \mid \hat{l} \in \hat{L} \wedge \exists \hat{s} \in \hat{S} : \hat{\mathsf{true}} \sqsubseteq \widehat{\underline{\mathsf{CanPut}}}(\hat{H},\hat{l},\hat{s}) \right\}$
$LP_1 = \bigcup_{\hat{l}\in\hat{T}} \bigcup_{\hat{s}\in\hat{S}} \widehat{\underline{\mathsf{PropStore}}}_{use}(\hat{H},\hat{l},\hat{s})$
$LP_2 = \hat{\mathcal{V}}_{use}[\![e_1]\!](\hat{H},\hat{C})$
$LP_3 = \hat{\mathcal{V}}_{use}[\![e_2]\!](\hat{H},\hat{C})$
$LP_4 = \hat{\mathcal{V}}_{use}[\![e_3]\!](\hat{H},\hat{C})$
$LP_5 = \bigcup_{\hat{l}\in\hat{L}} \bigcup_{\hat{s}\in\hat{S}} \widehat{\underline{\mathsf{CanPut}}}_{use}(\hat{H},\hat{l},\hat{s})$
$\hat{n}_{value} = \widehat{\underline{\mathsf{ToNumber}}}(\widehat{\underline{\mathsf{ToPrimitive}}}(\hat{v}_{rhs}))$
$\hat{v}_{newLen} = \widehat{\underline{\mathsf{ToUInt32}}}(\hat{v}_{rhs}))$
$\hat{es}_{len} = \begin{cases} \{\hat{\mathsf{RangeError}}\} & \text{if } \hat{\mathsf{false}} \sqsubseteq \hat{v}_{value} \hat{=} \hat{v}_{newLen}.1.4 \\ \{\} & \text{otherwise} \end{cases}$
$LP_6 = \widehat{\underline{\mathsf{RaiseException}}}_{use}(\hat{es}_{index} \sqcup \hat{es}_{rhs} \sqcup \hat{es}_{len})$
$\hat{L}_{NArr} = \left\{ \hat{l} \mid \hat{l} \in \hat{L} \wedge \hat{\mathsf{false}} \sqsubseteq \widehat{\underline{\mathsf{IsArray}}}(\hat{H},\hat{l}) \wedge \exists \hat{s} \in \hat{S} : \hat{\mathsf{true}} \sqsubseteq \widehat{\underline{\mathsf{CanPut}}}(\hat{H},\hat{l},\hat{s}) \right\}$
$LP_{NArr} = \bigcup_{\hat{l}\in\hat{L}_{NArr}} \bigcup_{\hat{s}\in\hat{S}} \widehat{\underline{\mathsf{PropStore}}}_{use}(\hat{H},\hat{l},\hat{s})$
$\hat{L}_{Arr} = \left\{ \hat{l} \mid \hat{l} \in \hat{L} \wedge \hat{\mathsf{true}} \sqsubseteq \widehat{\underline{\mathsf{IsArray}}}(\hat{H},\hat{l}) \wedge \exists \hat{s} \in \hat{S} : \hat{\mathsf{true}} \sqsubseteq \widehat{\underline{\mathsf{CanPut}}}(\hat{H},\hat{l},\hat{s}) \right\}$
$LP_{Arr} = \bigcup_{\hat{l}\in\hat{L}_{NArr}} \left(\begin{array}{l} \widehat{\underline{\mathsf{PropStore}}}_{use}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}) \cup \widehat{\underline{\mathsf{CanPut}}}_{use}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}) \\ \cup\, \widehat{\underline{\mathsf{Delete}}}_{use}(\hat{H},\hat{l},\hat{SFNumStr}) \cup \{\langle \hat{l},\text{“}\hat{length}\text{”}\rangle\} \\ \cup \bigcup_{\hat{s}\in\hat{S}} \widehat{\underline{\mathsf{PropStore}}}_{use}(\hat{H},\hat{l},\hat{s}) \end{array} \right)$
$LP_7 = LP_{NArr} \cup LP_{Arr}$

$\hat{\mathcal{I}}_{def}[\![x_1 := \mathsf{function}\,(fid)_{\hat{a}_{new1},\hat{a}_{new2}}]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4 \cup LP_5 \cup LP_6$

where $\hat{l}_{R1} = (\hat{a}_{new1}, \hat{Recent}) \ \wedge \ \hat{l}_{R2} = (\hat{a}_{new2}, \hat{Recent})$

$LP_1 = \underline{\widehat{\mathsf{Oldify}}}_{def}(\hat{H},\hat{C},\hat{a}_{new1})$

$LP_2 = \underline{\widehat{\mathsf{Oldify}}}_{def}(\hat{H},\hat{C},\hat{a}_{new2})$

$LP_3 = \left\{ \ \langle \hat{l}_{R1}, s\rangle \mid s \in \underline{\widehat{\mathsf{NewFunctionObject}}}_{def}() \ \right\}$

$LP_4 = \left\{ \ \langle \hat{l}_{R2}, s\rangle \mid s \in \underline{\widehat{\mathsf{NewObject}}}_{def}() \ \right\}$

$LP_5 = \{ \ \langle \hat{l}_{R2}, \text{“}constructor\text{”}\rangle \ \}$

$LP_6 = \underline{\widehat{\mathsf{VarStore}}}_{def}(\hat{H},\hat{C}.1,x_1)$

$\hat{\mathcal{I}}_{use}[\![x_1 := \mathsf{function}\,(fid)_{\hat{a}_{new1},\hat{a}_{new2}}]\!](\hat{H},\hat{C}) = \{ \ \langle \#\hat{Context}, 1\rangle \ \} \cup LP_1 \cup LP_2 \cup LP_3$

where $LP_1 = \underline{\widehat{\mathsf{Oldify}}}_{use}(\hat{H},\hat{C},\hat{a}_{new1})$

$LP_2 = \underline{\widehat{\mathsf{Oldify}}}_{use}(\hat{H},\hat{C},\hat{a}_{new2})$

$LP_3 = \underline{\widehat{\mathsf{VarStore}}}_{use}(\hat{H},\hat{C}.1,x_1)$

$\hat{\mathcal{I}}_{def}[\![x_1 := \mathsf{function}\ x_2\,(fid)_{\hat{a}_{new1},\hat{a}_{new2},\hat{a}_{new3}}]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4 \cup LP_5 \cup LP_6 \cup LP_7 \cup LP_8 \cup LP_9$

where $\hat{l}_{R1} = (\hat{a}_{new1}, \hat{Recent}) \ \wedge \ \hat{l}_{R2} = (\hat{a}_{new2}, \hat{Recent})$

$LP_1 = \underline{\widehat{\mathsf{Oldify}}}_{def}(\hat{H},\hat{C},\hat{a}_{new1})$

$LP_2 = \underline{\widehat{\mathsf{Oldify}}}_{def}(\hat{H},\hat{C},\hat{a}_{new2})$

$LP_3 = \underline{\widehat{\mathsf{Oldify}}}_{def}(\hat{H},\hat{C},\hat{a}_{new3})$

$LP_4 = \left\{ \ \langle \hat{l}_{R1}, s\rangle \mid s \in \underline{\widehat{\mathsf{NewFunctionObject}}}_{def}() \ \right\}$

$LP_5 = \left\{ \ \langle \hat{l}_{R2}, s\rangle \mid s \in \underline{\widehat{\mathsf{NewObject}}}_{def}() \ \right\}$

$LP_6 = \{ \ \langle \hat{l}_{R2}, \text{“}constructor\text{”}\rangle \ \}$

$LP_7 = \left\{ \ \langle \hat{l}_{R3}, s\rangle \mid s \in \underline{\widehat{\mathsf{NewDeclEnvRecord}}}_{def}() \ \right\}$

$LP_8 = \{ \ \langle \hat{l}_{R3}, x_2\rangle \ \}$

$LP_9 = \underline{\widehat{\mathsf{VarStore}}}_{def}(\hat{H},\hat{C}.1,x_1)$

$\hat{\mathcal{I}}_{use}[\![x_1 := \mathsf{function}\ x_2\,(fid)_{\hat{a}_{new1},\hat{a}_{new2},\hat{a}_{new3}}]\!](\hat{H},\hat{C}) = \{ \ \langle \#\hat{Context}, 1\rangle \ \} \cup LP_1 \cup LP_2 \cup LP_3 \cup LP_4$

where $LP_1 = \underline{\widehat{\mathsf{Oldify}}}_{use}(\hat{H},\hat{C},\hat{a}_{new1})$

$LP_2 = \underline{\widehat{\mathsf{Oldify}}}_{use}(\hat{H},\hat{C},\hat{a}_{new2})$

$LP_3 = \underline{\widehat{\mathsf{Oldify}}}_{use}(\hat{H},\hat{C},\hat{a}_{new3})$

$LP_4 = \underline{\widehat{\mathsf{VarStore}}}_{use}(\hat{H},\hat{C}.1,x_1)$

$\hat{\mathcal{I}}_{def}[\![\mathsf{construct}\,(e_1,e_2,e_3)_{\hat{a}_{new}}]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$

where $(\hat{v}_1, \hat{es}_1) = \hat{\mathcal{V}}[\![e_1]\!](\hat{H},\hat{C})$

$\hat{v}_{arg} = \hat{\mathcal{V}}[\![e_3]\!](\hat{H},\hat{C}).1$

$\hat{es}_2 = \{\hat{\mathsf{TypeError}}\}$ if $\exists \hat{l} \in \hat{v}_1.2 : \hat{\mathsf{false}} \sqsubseteq \underline{\widehat{\mathsf{HasConstruct}}}(\hat{H},\hat{l})$

$\hat{es}_3 = \{\hat{\mathsf{TypeError}}\}$ if $\hat{v}_1.1 \not\sqsubseteq \perp_{PValue}$

$\hat{es} = \hat{es}_1 \sqcup \hat{es}_2 \sqcup \hat{es}_3$

$LP_1 = \underline{\widehat{\mathsf{Oldify}}}_{def}(\hat{H},\hat{C},\hat{a}_{new})$

$LP_2 = \{ \ \langle \hat{l}, \text{“}callee\text{”}\rangle \mid \hat{l} \in \hat{v}_{arg}.2 \ \}$

$LP_3 = \underline{\widehat{\mathsf{RaiseException}}}_{def}(\hat{es})$

$\hat{\mathcal{I}}_{use}[\![\mathsf{construct}\,(e_1,e_2,e_3)_{\hat{a}_{new}}]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4 \cup LP_5 \cup LP_6 \cup LP_7 \cup LP_8 \cup LP_9 \cup LP_{10}$

where $(\hat{v}_1, \hat{es}_1) = \hat{\mathcal{V}}[\![e_1]\!](\hat{H},\hat{C})$

$\hat{v}_{arg} = \hat{\mathcal{V}}[\![e_3]\!](\hat{H},\hat{C}).1$

$\hat{L}_f = \left\{ \ \hat{l} \mid \hat{l} \in \hat{v}_1.2 \wedge \hat{\mathsf{true}} \sqsubseteq \underline{\widehat{\mathsf{HasConstruct}}}(\hat{H}_1,\hat{l}) \ \right\}$

$\hat{es}_2 = \{\hat{\mathsf{TypeError}}\}$ if $\exists \hat{l} \in \hat{v}_1.2 : \hat{\mathsf{false}} \sqsubseteq \underline{\widehat{\mathsf{HasConstruct}}}(\hat{H},\hat{l})$

$\hat{es}_3 = \{\hat{\mathsf{TypeError}}\}$ if $\hat{v}_1.1 \not\sqsubseteq \perp_{PValue}$

$\hat{es} = \hat{es}_1 \sqcup \hat{es}_2 \sqcup \hat{es}_3$

$LP_1 = \underline{\widehat{\mathsf{Oldify}}}_{use}(\hat{H},\hat{C},\hat{a}_{new})$

$LP_2 = \hat{\mathcal{V}}_{use}[\![e_1]\!](\hat{H},\hat{C})$

$LP_3 = \hat{\mathcal{V}}_{use}[\![e_2]\!](\hat{H},\hat{C})$

$LP_4 = \hat{\mathcal{V}}_{use}[\![e_3]\!](\hat{H},\hat{C})$

$LP_5 = \bigcup_{\hat{l} \in \hat{v}_1.2} \underline{\widehat{\mathsf{HasConstruct}}}_{use}(\hat{H},\hat{l})$

$LP_6 = \underline{\widehat{\mathsf{getThis}}}_{use}(\hat{H},\hat{\mathcal{V}}[\![e_2]\!](\hat{H},\hat{C}).1)$

$LP_7 = \{ \ \langle \hat{l}_f, @construct\rangle \mid \hat{l}_f \in \hat{L}_f \ \}$

$LP_8 = \{ \ \langle \hat{l}, \text{“}callee\text{”}\rangle \mid \hat{l} \in \hat{v}_{arg}.2 \ \}$

$LP_9 = \underline{\widehat{\mathsf{RaiseException}}}_{use}(\hat{es})$

$LP_{10} = \{ \ \langle \#\hat{PureLocal}_R, x\rangle \mid \hat{\mathsf{true}} \sqsubseteq x \dot{\in} dom(\hat{H}(\#\hat{PureLocal}_R)) \ \}$

$$\hat{\mathcal{I}}_{def}[\![\mathsf{call}\,(e_1,e_2,e_3)\,\hat{a}_{new}]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
where $(\hat{v}_1, \hat{es}_1) = \hat{\mathcal{V}}[\![e_1]\!](\hat{H}_1, \hat{C}_1)$
$\hat{v}_{arg} = \hat{\mathcal{V}}[\![e_3]\!](\hat{H},\hat{C}).1$
$\hat{es}_2 = \{\mathsf{TypeError}\}$ if $\exists \hat{l} \in \hat{v}_1.2 : \mathsf{false} \sqsubseteq \widehat{\underline{\mathsf{IsCallable}}}(\hat{H},\hat{l})$
$\hat{es}_3 = \{\mathsf{TypeError}\}$ if $\hat{v}_1.1 \not\sqsubseteq \bot_{PValue}$
$\hat{es} = \hat{es}_1 \sqcup \hat{es}_2 \sqcup \hat{es}_3$
$LP_1 = \widehat{\underline{\mathsf{Oldify}}}_{def}(\hat{H},\hat{C},\hat{a}_{new})$
$LP_2 = \{\ \langle \hat{l}, \text{“}callee\text{”}\rangle \mid \hat{l} \in \hat{v}_{arg}.2\ \}$
$LP_3 = \widehat{\underline{\mathsf{RaiseException}}}_{def}(\hat{es})$

$$\hat{\mathcal{I}}_{use}[\![\mathsf{call}\,(e_1,e_2,e_3)\,\hat{a}_{new}]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4 \cup LP_5 \cup LP_6 \cup LP_7 \cup LP_8 \cup LP_9 \cup LP_{10}$$
where $(\hat{v}_1, \hat{es}_1) = \hat{\mathcal{V}}[\![e_1]\!](\hat{H}_1, \hat{C}_1)$
$\hat{v}_{arg} = \hat{\mathcal{V}}[\![e_3]\!](\hat{H},\hat{C}).1$
$\hat{L}_f = \left\{\ \hat{l} \mid \hat{l} \in \hat{v}_1.2 \wedge \hat{\mathsf{true}} \sqsubseteq \widehat{\underline{\mathsf{IsCallable}}}(\hat{H}_1,\hat{l})\ \right\}$
$\hat{es}_2 = \{\mathsf{TypeError}\}$ if $\exists \hat{l} \in \hat{v}_1.2 : \mathsf{false} \sqsubseteq \widehat{\underline{\mathsf{IsCallable}}}(\hat{H},\hat{l})$
$\hat{es}_3 = \{\mathsf{TypeError}\}$ if $\hat{v}_1.1 \not\sqsubseteq \bot_{PValue}$
$\hat{es} = \hat{es}_1 \sqcup \hat{es}_2 \sqcup \hat{es}_3$
$LP_1 = \widehat{\underline{\mathsf{Oldify}}}_{use}(\hat{H},\hat{C},\hat{a}_{new})$
$LP_2 = \hat{\mathcal{V}}_{use}[\![e_1]\!](\hat{H},\hat{C})$
$LP_3 = \hat{\mathcal{V}}_{use}[\![e_2]\!](\hat{H},\hat{C})$
$LP_4 = \hat{\mathcal{V}}_{use}[\![e_3]\!](\hat{H},\hat{C})$
$LP_5 = \bigcup_{\hat{l} \in \hat{v}_1.2} \widehat{\underline{\mathsf{IsCallable}}}_{use}(\hat{H},\hat{l})$
$LP_6 = \widehat{\underline{\mathsf{getThis}}}_{use}(\hat{H}, \hat{\mathcal{V}}[\![e_2]\!](\hat{H},\hat{C}).1)$
$LP_7 = \{\ \langle \hat{l}_f, @function\rangle \mid \hat{l}_f \in \hat{L}_f\ \}$
$LP_8 = \{\ \langle \hat{l}, \text{“}callee\text{”}\rangle \mid \hat{l} \in \hat{v}_{arg}.2\ \}$
$LP_9 = \widehat{\underline{\mathsf{RaiseException}}}_{use}(\hat{es})$
$LP_{10} = \{\ \langle \#\hat{PureLocal}_R, x\rangle \mid \hat{\mathsf{true}} \sqsubseteq x \dot{\in} dom(\hat{H}(\#\hat{PureLocal}_R))\ \}$

$$\hat{\mathcal{I}}_{def}[\![\mathsf{assert}\,(e_1 \otimes e_2)\,]\!](\hat{H},\hat{C}) = \hat{\mathcal{V}}_{use}[\![e_1]\!](\hat{H},\hat{C}) \cup \hat{\mathcal{V}}_{use}[\![e_2]\!](\hat{H},\hat{C})$$

$$\hat{\mathcal{I}}_{use}[\![\mathsf{assert}\,(e_1 \otimes e_2)\,]\!](\hat{H},\hat{C}) = \hat{\mathcal{V}}_{use}[\![e_1]\!](\hat{H},\hat{C}) \cup \hat{\mathcal{V}}_{use}[\![e_2]\!](\hat{H},\hat{C})$$

$$\hat{\mathcal{I}}_{def}[\![\mathsf{catch}\,(x)\,]\!](\hat{H},\hat{C}) = \{\ \langle \#\hat{PureLocal}_R, @exception\rangle\ \} \cup LP$$
where $LP = \widehat{\underline{\mathsf{CreateMutableBinding}}}_{def}(\hat{H},\hat{C}.1,x)$

$$\hat{\mathcal{I}}_{use}[\![\mathsf{catch}\,(x)\,]\!](\hat{H},\hat{C}) = \{\ \langle \#\hat{Context}, 1\rangle\ \} \cup LP_1 \cup LP_2$$
where $LP_1 = \widehat{\underline{\mathsf{CreateMutableBinding}}}_{use}(\hat{H},\hat{C}.1,x)$
$LP_2 = \{\ \langle \#\hat{PureLocal}_R, @exception\_all\rangle, \langle \#\hat{PureLocal}_R, @exception\rangle\ \}$

$$\hat{\mathcal{I}}_{def}[\![\mathsf{return}\,(e)\,]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
where $(\hat{v}, \hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H},\hat{C})$
$LP_1 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$
$LP_2 = \widehat{\underline{\mathsf{RaiseException}}}_{def}(\hat{es})$

$$\hat{\mathcal{I}}_{use}[\![\mathsf{return}\,(e)\,]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
where $(\hat{v}, \hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H},\hat{C})$
$LP_1 = \hat{\mathcal{V}}_{use}[\![e]\!](\hat{H},\hat{C})$
$LP_2 = \widehat{\underline{\mathsf{RaiseException}}}_{use}(\hat{es})$

$$\hat{\mathcal{I}}_{def}[\![\mathsf{return}\,()\,]\!](\hat{H},\hat{C}) = LP$$
where $LP = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$

$$\hat{\mathcal{I}}_{use}[\![\mathsf{return}\,()\,]\!](\hat{H},\hat{C}) = \{\}$$

$$\hat{\mathcal{I}}_{def}[\![\mathsf{throw}\,(e)\,]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
where $(\hat{v}, \hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H},\hat{C})$
$LP_1 = \{\ \langle \#\hat{PureLocal}_R, @exception\rangle, \langle \#\hat{PureLocal}_R, @exception\_all\rangle\ \}$
$LP_2 = \widehat{\underline{\mathsf{RaiseException}}}_{def}(\hat{es})$

$$\hat{\mathcal{I}}_{use}[\![\mathsf{throw}\,(e)\,]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$$
where $(\hat{v}, \hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H},\hat{C})$
$LP_1 = \hat{\mathcal{V}}_{use}[\![e]\!](\hat{H},\hat{C})$
$LP_2 = \{\ \langle \#\hat{PureLocal}_R, @exception\_all\rangle\ \}$
$LP_3 = \widehat{\underline{\mathsf{RaiseException}}}_{use}(\hat{es})$

$$\hat{\mathcal{I}}_{def}[\![x := \diamond\widehat{\underline{\mathsf{toObject}}}\,(e)\;{}_{a_{new}}]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$$
where $(\hat{v},\hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H},\hat{C})$
$LP_1 = \widehat{\underline{\mathsf{VarStore}}}_{def}(\hat{H},\hat{C}.1,x)$
$LP_2 = \widehat{\underline{\mathsf{toObject}}}_{def}(\hat{H},\hat{C},\hat{v},\hat{a}_{new})$
$LP_3 = \widehat{\underline{\mathsf{RaiseException}}}_{def}(\hat{es})$

$$\hat{\mathcal{I}}_{use}[\![x := \diamond\widehat{\underline{\mathsf{toObject}}}\,(e)\;{}_{a_{new}}]\!](\hat{H},\hat{C}) = \{\ \langle \#\hat{Context},1\rangle\ \} \cup LP_1 \cup LP_2 \cup LP_3 \cup LP_4$$
where $(\hat{v},\hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H},\hat{C})$
$LP_1 = \hat{\mathcal{V}}_{use}[\![e]\!](\hat{H},\hat{C})$
$LP_2 = \widehat{\underline{\mathsf{VarStore}}}_{use}(\hat{H},\hat{C}.1,x)$
$LP_3 = \widehat{\underline{\mathsf{toObject}}}_{use}(\hat{H},\hat{C},\hat{v},\hat{a}_{new})$
$LP_4 = \widehat{\underline{\mathsf{RaiseException}}}_{use}(\hat{es})$

$$\hat{\mathcal{I}}_{def}[\![x := \diamond\widehat{\underline{\mathsf{isObject}}}\,(e)\,]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
where $(\hat{v},\hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H},\hat{C})$
$LP_1 = \widehat{\underline{\mathsf{VarStore}}}_{def}(\hat{H},\hat{C}.1,x)$
$LP_2 = \widehat{\underline{\mathsf{RaiseException}}}_{def}(\hat{es})$

$$\hat{\mathcal{I}}_{use}[\![x := \diamond\widehat{\underline{\mathsf{isObject}}}\,(e)\,]\!](\hat{H},\hat{C}) = \{\ \langle \#\hat{Context},1\rangle\ \} \cup LP_1 \cup LP_2 \cup LP_3$$
where $(\hat{v},\hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H},\hat{C})$
$LP_1 = \hat{\mathcal{V}}_{use}[\![e]\!](\hat{H},\hat{C})$
$LP_2 = \widehat{\underline{\mathsf{VarStore}}}_{use}(\hat{H},\hat{C}.1,x)$
$LP_3 = \widehat{\underline{\mathsf{RaiseException}}}_{use}(\hat{es})$

$$\hat{\mathcal{I}}_{def}[\![x := \diamond\widehat{\underline{\mathsf{toString}}}\,(e)\,]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
where $(\hat{v},\hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H},\hat{C})$
$LP_1 = \widehat{\underline{\mathsf{VarStore}}}_{def}(\hat{H},\hat{C}.1,x)$
$LP_2 = \widehat{\underline{\mathsf{RaiseException}}}_{def}(\hat{es})$

$$\hat{\mathcal{I}}_{use}[\![x := \diamond\widehat{\underline{\mathsf{toString}}}\,(e)\,]\!](\hat{H},\hat{C}) = \{\ \langle \#\hat{Context},1\rangle\ \} \cup LP_1 \cup LP_2 \cup LP_3$$
where $(\hat{v},\hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H},\hat{C})$
$LP_1 = \hat{\mathcal{V}}_{use}[\![e]\!](\hat{H},\hat{C})$
$LP_2 = \widehat{\underline{\mathsf{VarStore}}}_{use}(\hat{H},\hat{C}.1,x)$
$LP_3 = \widehat{\underline{\mathsf{RaiseException}}}_{use}(\hat{es})$

$$\hat{\mathcal{I}}_{def}[\![x := \diamond\widehat{\underline{\mathsf{toNumber}}}\,(e)\,]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
where $LP_1 = \widehat{\underline{\mathsf{VarStore}}}_{def}(\hat{H},\hat{C}.1,x)$
$LP_2 = \widehat{\underline{\mathsf{RaiseException}}}_{def}(\hat{es})$

$$\hat{\mathcal{I}}_{use}[\![x := \diamond\widehat{\underline{\mathsf{toNumber}}}\,(e)\,]\!](\hat{H},\hat{C}) = \{\ \langle \#\hat{Context},1\rangle\ \} \cup LP_1 \cup LP_2 \cup LP_3$$
where $(\hat{v},\hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H},\hat{C})$
$LP_1 = \hat{\mathcal{V}}_{use}[\![e]\!](\hat{H},\hat{C})$
$LP_2 = \widehat{\underline{\mathsf{VarStore}}}_{use}(\hat{H},\hat{C}.1,x)$
$LP_3 = \widehat{\underline{\mathsf{RaiseException}}}_{use}(\hat{es})$

$$\hat{\mathcal{I}}_{def}[\![x_1 := \diamond\widehat{\underline{\mathsf{getBase}}}\,(x_2)\,]\!](\hat{H},\hat{C}) = LP$$
where $LP = \widehat{\underline{\mathsf{VarStore}}}_{def}(\hat{H},\hat{C}.1,x_1)$

$$\hat{\mathcal{I}}_{use}[\![x_1 := \diamond\widehat{\underline{\mathsf{getBase}}}\,(x_2)\,]\!](\hat{H},\hat{C}) = \{\ \langle \#\hat{Context},1\rangle\ \} \cup LP_1 \cup LP_2$$
where $LP_1 = \widehat{\underline{\mathsf{VarStore}}}_{use}(\hat{H},\hat{C}.1,x_1)$
$LP_2 = \widehat{\underline{\mathsf{LookupBase}}}_{use}(\hat{H},\hat{C}.1,x_2)$

$$\hat{\mathcal{I}}_{def}[\![x := \diamond\widehat{\underline{\mathsf{iteratorInit}}}\,(e)\,]\!](\hat{H},\hat{C}) = \{\}$$

$$\hat{\mathcal{I}}_{use}[\![x := \diamond\widehat{\underline{\mathsf{iteratorInit}}}\,(e)\,]\!](\hat{H},\hat{C}) = \{\}$$

$$\hat{\mathcal{I}}_{def}[\![x := \diamond\widehat{\underline{\mathsf{iteratorHasNext}}}(e_1, e_2)]\!](\hat{H}, \hat{C}) = LP$$
where $LP = \widehat{\underline{\mathsf{VarStore}}}_{def}(\hat{H}, \hat{C}.1, x)$

$$\hat{\mathcal{I}}_{use}[\![x := \diamond\widehat{\underline{\mathsf{iteratorHasNext}}}(e_1, e_2)]\!](\hat{H}, \hat{C}) = \{\ \langle \hat{\#Context}, 1\rangle\ \} \cup LP$$
where $LP = \widehat{\underline{\mathsf{VarStore}}}_{use}(\hat{H}, \hat{C}.1, x)$

$$\hat{\mathcal{I}}_{def}[\![x := \diamond\widehat{\underline{\mathsf{iteratorNext}}}(e_1, e_2)]\!](\hat{H}, \hat{C}) = LP$$
where $LP = \widehat{\underline{\mathsf{VarStore}}}_{def}(\hat{H}, \hat{C}.1, x)$

$$\hat{\mathcal{I}}_{use}[\![x := \diamond\widehat{\underline{\mathsf{iteratorNext}}}(e_1, e_2)]\!](\hat{H}, \hat{C}) = \{\ \langle \hat{\#Context}, 1\rangle\ \} \cup LP$$
where $LP = \widehat{\underline{\mathsf{VarStore}}}_{use}(\hat{H}, \hat{C}.1, x)$

$$\hat{\mathcal{V}}_{use}[\![x]\!](\hat{H}, \hat{C}) = \{\ \langle \hat{\#Context}, 1\rangle\ \} \cup \widehat{\underline{\mathsf{Lookup}}}_{use}(\hat{H}, \hat{C}.1, x)$$

$$\hat{\mathcal{V}}_{use}[\![e_1 \otimes e_2]\!](\hat{H}, \hat{C}) = \hat{\mathcal{V}}_{use}[\![e_1]\!](\hat{H}, \hat{C}) \cup \hat{\mathcal{V}}_{use}[\![e_2]\!](\hat{H}, \hat{C})$$

$$\hat{\mathcal{V}}_{use}[\![\ominus e]\!](\hat{H}, \hat{C}) = \hat{\mathcal{V}}_{use}[\![e]\!](\hat{H}, \hat{C})$$

$$\hat{\mathcal{V}}_{use}[\![e_1\,[\,e_2\,]]\!](\hat{H}, \hat{C}) = \hat{\mathcal{V}}_{use}[\![e_1]\!](\hat{H}, \hat{C}) \cup \hat{\mathcal{V}}_{use}[\![e_2]\!](\hat{H}, \hat{C}) \cup LP$$
where $\hat{L} = (\hat{\mathcal{V}}[\![e_1]\!](\hat{H}, \hat{C})).1.2 \wedge (\hat{v}, \hat{es}) = \hat{\mathcal{V}}[\![e_2]\!](\hat{H}, \hat{C})$
$\hat{ss} = \widehat{\underline{\mathsf{toStringSet}}}(\widehat{\underline{\mathsf{toPrimitive}}}(\hat{v}))$
$LP = \bigcup_{\hat{l} \in \hat{L}} \bigcup_{\hat{s} \in \hat{ss}} \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H}, \hat{l}, \hat{s})$

$$\hat{\mathcal{V}}_{use}[\![e_1\ \texttt{instanceof}\ e_2]\!](\hat{H}, \hat{C}) = \hat{\mathcal{V}}_{use}[\![e_1]\!](\hat{H}, \hat{C}) \cup \hat{\mathcal{V}}_{use}[\![e_2]\!](\hat{H}, \hat{C}) \cup LP_1 \cup LP_2 \cup LP_3$$
where $(\hat{v}_1, \hat{es}_1) = \hat{\mathcal{V}}[\![e_1]\!](\hat{H}, \hat{C}) \wedge (\hat{v}_2, \hat{es}_2) = \hat{\mathcal{V}}[\![e_2]\!](\hat{H}, \hat{C})$
$\hat{L}_1 = \hat{v}_1.2 \wedge \hat{L}_2 = \hat{v}_2.2$
$\hat{L}_3 = \{\ \hat{l} \mid \hat{l} \in \hat{L}_2 \wedge \hat{\mathsf{true}} \sqsubseteq \widehat{\underline{\mathsf{HasConstruct}}}(\hat{H}, \hat{l})\ \}$
$\hat{L}_4 = \hat{v}_{proto}.2$
$\hat{v}_{proto} = \bigsqcup_{\hat{l} \in \hat{L}_3} \widehat{\underline{\mathsf{Proto}}}(\hat{H}, \hat{l}, \text{“}\hat{prototype}\text{”})$
$LP_1 = \bigcup_{\hat{l} \in \hat{L}_2} \{\ \hat{l}, @construct\ \}$
$LP_2 = \bigcup_{\hat{l} \in \hat{L}_3} \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H}, \hat{l}, \text{“}\hat{prototype}\text{”})$
$LP_3 = \bigcup_{\hat{l}_1 \in \hat{L}_1} \bigcup_{\hat{l}_2 \in \hat{L}_4} \widehat{\underline{\mathsf{inherit}}}_{use}(\hat{H}, \hat{l}_1, \hat{l}_2)$

$$\hat{\mathcal{V}}_{use}[\![e_1\ \texttt{in}\ e_2]\!](\hat{H}, \hat{C}) = \hat{\mathcal{V}}_{use}[\![e_1]\!](\hat{H}, \hat{C}) \cup \hat{\mathcal{V}}_{use}[\![e_2]\!](\hat{H}, \hat{C}) \cup LP$$
where $(\hat{v}_1, \hat{es}_1) = \hat{\mathcal{V}}[\![e_1]\!](\hat{H}, \hat{C})$
$(\hat{v}_2, \hat{es}_2) = \hat{\mathcal{V}}[\![e_2]\!](\hat{H}, \hat{C})$
$\hat{s} = \widehat{\underline{\mathsf{toString}}}(\widehat{\underline{\mathsf{toPrimitive}}}(\hat{v}_1))$
$LP = \bigcup_{\hat{l} \in \hat{v}_2.2} \widehat{\underline{\mathsf{HasProperty}}}_{use}(\hat{H}, \hat{l}, \hat{s})$

$$\hat{\mathcal{V}}_{use}[\![\texttt{typeof}\ e]\!](\hat{H}, \hat{C}) = \hat{\mathcal{V}}_{use}[\![e]\!](\hat{H}, \hat{C}) \cup LP$$
where $(\hat{v}, \hat{es}) = \hat{\mathcal{V}}[\![e]\!](\hat{H}, \hat{C})$
$LP = \widehat{\underline{\mathsf{TypeTag}}}_{use}(\hat{H}, \hat{v})$

Chapter 11

Built-in Objects

11.1 Concrete Semantics

11.1.1 Helper Functions

$\underline{\mathsf{getMatcher}}$: MatcherId $\to$ (String $\times$ Int $\to$ MatchResult)

$\underline{\mathsf{NewRegExp}}$: Value $\times$ Bool $\times$ Bool $\times$ Bool $\times$ MatcherId $\to$ Obj

$$\underline{\mathsf{NewRegExp}}(v_{source}, b_g, b_i, b_m, mid) = \left\{ \begin{array}{l} @class \mapsto \text{“}RegExp\text{”}, \\ @proto \mapsto \left\{ \begin{array}{l} value = \#RegExpProto; \\ writable = \mathsf{false}; \\ enumerable = \mathsf{false}; \\ configurable = \mathsf{false} \end{array} \right\}, \\ @matcher \mapsto mid, \\ \text{“}source\text{”} \mapsto \left\{ \begin{array}{l} value = v_{source}; \\ writable = \mathsf{false}; \\ enumerable = \mathsf{false}; \\ configurable = \mathsf{false} \end{array} \right\}, \\ \text{“}global\text{”} \mapsto \left\{ \begin{array}{l} value = b_g; \\ writable = \mathsf{false}; \\ enumerable = \mathsf{false}; \\ configurable = \mathsf{false} \end{array} \right\}, \\ \text{“}ignoreCase\text{”} \mapsto \left\{ \begin{array}{l} value = b_i; \\ writable = \mathsf{false}; \\ enumerable = \mathsf{false}; \\ configurable = \mathsf{false} \end{array} \right\}, \\ \text{“}multiline\text{”} \mapsto \left\{ \begin{array}{l} value = b_m; \\ writable = \mathsf{false}; \\ enumerable = \mathsf{false}; \\ configurable = \mathsf{false} \end{array} \right\}, \\ \text{“}lastIndex\text{”} \mapsto \left\{ \begin{array}{l} value = 0; \\ writable = \mathsf{true}; \\ enumerable = \mathsf{false}; \\ configurable = \mathsf{false} \end{array} \right\} \end{array} \right\}$$

11.1.2 Global

$$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“}\mathsf{isNaN}\text{”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto v]], A)$$
$$\text{where } v = \left\{ \begin{array}{ll} \mathsf{true} & \text{if } \mathit{toNumber}(\mathit{toPrimitive}(\mathit{getArgValue}(args, \text{“0”}))) = \mathsf{NaN} \\ \mathsf{false} & \text{otherwise} \end{array} \right.$$

$$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“}\mathsf{isFinite}\text{”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto v]], A)$$
$$\text{where } v = \left\{ \begin{array}{ll} \mathsf{false} & \text{if } \mathit{toNumber}(\mathit{toPrimitive}(\mathit{getArgValue}(args, \text{“0”})) \in \{\ \mathsf{NaN}, \mathsf{Inf}, \text{-}\mathsf{Inf}\ \} \\ \mathsf{true} & \text{otherwise} \end{array} \right.$$

11.1.3 Object

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.constructor”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto v]], A)$
where $v = \textit{getArgValue}(args, \text{“0”}) \wedge v \in \text{Loc}$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.constructor”}, args)]\!](H, A) = (H_1[\#temp \mapsto H(\#temp)[@return \mapsto l]], A)$
where $v = \textit{getArgValue}(args, \text{“0”}) \wedge v \in \text{String} \cup \text{Number} \cup \text{Bool}$
$\wedge\, l = \textit{newLocation}() \wedge o = \textit{toObject}(v) \wedge H_1 = H\,[l \mapsto o]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.constructor”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$
where $v = \textit{getArgValue}(args, \text{“0”}) \wedge v \in \{\text{undefined}, \text{null}\}$
$\wedge\, l = \textit{newLocation}() \wedge o = \textit{NewObject}(\#ObjProto) \wedge H_1 = H\,[l \mapsto o]$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.getPrototypeOf”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \textit{getArgValue}(args, \text{“0”}) \wedge v \notin \textit{Loc}$
$\wedge\, l_e = \textit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \textit{NewExceptionObject}(\text{TypeError})]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.getPrototypeOf”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto v_2]], A)$
where $v_1 = \textit{getArgValue}(args, \text{“0”}) \wedge v_1 \in \textit{Loc} \wedge v_2 = H(v)(@proto).value$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.getOwnPropertyDescriptor”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge v \notin \mathit{Loc}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\text{TypeError})]$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.getOwnPropertyDescriptor”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto \text{undefined}]], A)$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge v \in \mathit{Loc} \wedge s = \mathit{toString}(\mathit{toPrimitive}(\mathit{getArgValue}(args, \text{“1”}))) \wedge s \notin dom(H(v))$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.getOwnPropertyDescriptor”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge v \in \mathit{Loc} \wedge s = \mathit{toString}(\mathit{toPrimitive}(\mathit{getArgValue}(args, \text{“1”}))) \wedge s \in dom(H(v))$
$\wedge\ l = \mathit{newLocation}() \wedge o = \mathit{NewObject}(\#ObjProto)$

$$\wedge o_1 = \begin{cases} o \left[\begin{array}{l} value \mapsto \left\{ \begin{array}{l} value : H(v)(s).value \\ writable : \text{true} \\ enumerable : \text{true} \\ configurable : \text{true} \end{array} \right\} \\ writable \mapsto \left\{ \begin{array}{l} value : H(v)(s).writable \\ writable : \text{true} \\ enumerable : \text{true} \\ configurable : \text{true} \end{array} \right\} \end{array} \right] & \text{if } \mathit{IsDataDescriptor}(H(v), s) \\ o & \text{otherwise} \end{cases}$$

$$\wedge o_2 = o_1 \left[\begin{array}{l} enumerable \mapsto \left\{ \begin{array}{l} value : H(v)(s).enumerable, \quad writable : \text{true} \\ enumerable : \text{true}, \quad configurable : \text{true} \end{array} \right\} \\ configurable \mapsto \left\{ \begin{array}{l} value : H(v)(s).configurable, \quad writable : \text{true} \\ enumerable : \text{true}, \quad configurable : \text{true} \end{array} \right\} \end{array} \right]$$

$\wedge\ H_1 = H\,[l \mapsto o_2]$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.getOwnPropertyNames”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge v \notin \mathit{Loc}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\text{TypeError})]$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.getOwnPropertyNames”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge v \in \mathit{Loc}$
$\wedge\ l = \mathit{newLocation}() \wedge o = \mathit{NewArrayObject}(0) \wedge\ n = 0$

$$\wedge o_1 = o \left[\forall s \in dom(H(v)) : \mathit{toString}(n^{++}) \mapsto \left\{ \begin{array}{l} value : s \\ writable : \text{true} \\ enumerable : \text{true} \\ configurable : \text{true} \end{array} \right\} \right]$$

$\wedge H_1 = H\,[l \mapsto o_1]$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.create”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge (v \notin \mathit{Loc} \vee v \in \{\text{null}\})$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\text{TypeError})]$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.create”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge v \in \mathit{Loc} \wedge |args| = 1$
$\wedge\ l = \mathit{newLocation}() \wedge o = \mathit{NewObject}(v) \wedge H_1 = H\,[l \mapsto o_1]$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.create”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$
where $v_1 = \mathit{getArgValue}(args, \text{“0”}) \wedge v \in \mathit{Loc} \wedge |args| > 1 \wedge v_2 = \mathit{getArgValue}(args, \text{“1”})$
$\wedge\ l = \mathit{newLocation}() \wedge o = \mathit{NewObject}(v_1)$

$$\wedge o_1 = \begin{cases} o & v_2 = \text{undefined} \\ o \left[\forall x \in dom(H(v_2)) : x \mapsto \left\{ \begin{array}{l} value : H(v_2)(x)(\text{“value”}) \\ writable : H(v_2)(x)(\text{“writable”}) \\ enumerable : H(v_2)(x)(\text{“enumerable”}) \\ configurable : H(v_2)(x)(\text{“configurable”}) \end{array} \right\} \right] & \text{otherwise} \end{cases}$$

$\wedge\ H_1 = H\,[l \mapsto o_1]$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.defineProperty”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge v \notin \mathit{Loc}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\text{TypeError})]$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.defineProperty”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$$
where $v_1 = \mathit{getArgValue}(args, \text{“0”}) \wedge v_1 \in \mathit{Loc} \wedge\ v_2 = \mathit{getArgValue}(args, \text{“2”}) \wedge v_2 \notin \mathit{Loc}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\text{TypeError})]$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.defineProperty”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto v_1]], A)$$
where $v_1 = \mathit{getArgValue}(args, \text{“0”}) \wedge v_1 \in \mathit{Loc} \wedge\ v_2 = \mathit{getArgValue}(args, \text{“2”}) \wedge v_2 \in \mathit{Loc}$
$\wedge\ s = \mathit{toString}(\mathit{getArgValue}(args, \text{“1”}))$
$$\wedge\ o = H(v_1)\left[s \mapsto \left\{\begin{array}{l} value : \mathit{Proto}(H, v_2, \text{“}value\text{”}) \\ writable : \mathit{Proto}(H, v_2, \text{“}writable\text{”}) \\ enumerable : \mathit{Proto}(H, v_2, \text{“}enumerable\text{”}) \\ configurable : \mathit{Proto}(H, v_2, \text{“}configurable\text{”}) \end{array}\right\}\right]$$
$\wedge\ H_1 = H\,[l \mapsto o]$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.defineProperties”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge v \notin \mathit{Loc}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\text{TypeError})]$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.defineProperties”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@exception \mapsto l_e]], A)$$
where $v_1 = \mathit{getArgValue}(args, \text{“0”}) \wedge v_1 \in \mathit{Loc} \wedge\ v_2 = \mathit{getArgValue}(args, \text{“1”}) \wedge (H_1, exc) = \mathit{ToObject}(H, v_2)$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_2 = H_1[l_e \mapsto \mathit{NewExceptionObject}(exc)]$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.defineProperties”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto v_1]], A)$$
where $v_1 = \mathit{getArgValue}(args, \text{“0”}) \wedge v_1 \in \mathit{Loc} \wedge\ v_2 = \mathit{getArgValue}(args, \text{“1”}) \wedge (H_1, l_1) = \mathit{ToObject}(H, v_2)$
$$\wedge\ o = H(v_1)\left[\forall x \in dom(H(v_2)) : x \mapsto \left\{\begin{array}{l} value : H(v_2)(x)(\text{“}value\text{”}) \\ writable : H(v_2)(x)(\text{“}writable\text{”}) \\ enumerable : H(v_2)(x)(\text{“}enumerable\text{”}) \\ configurable : H(v_2)(x)(\text{“}configurable\text{”}) \end{array}\right\}\right]$$
$\wedge\ H_1 = H\,[l \mapsto o]$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.seal”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge v \notin \mathit{Loc}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\text{TypeError})]$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.seal”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto v]], A)$$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge v \in \mathit{Loc}$
$$\wedge\ H_1 = H\left[H(v) \mapsto \left[\begin{array}{l} \forall x \in \mathit{Dom}(H(v)) : x \mapsto H(v)(x) \text{ with } configurable = \text{false};, \\ @extensible \mapsto \text{false}; \end{array}\right]\right]$$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.freeze”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge v \notin \mathit{Loc}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\text{TypeError})]$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.seal”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto v]], A)$$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge v \in \mathit{Loc}$
$$\wedge\ H_1 = H\left[H(v)\left[\begin{array}{l} \forall x \in P_1 : x \mapsto H(v)(x) \text{ with } writable = \text{false}; configurable = \text{false};, \\ \forall y \in P_2 : y \mapsto H(v)(y) \text{ with } configurable = \text{false};, \\ @extensible \mapsto \text{false}; \end{array}\right]\right]$$
$\wedge\ P_1 = \{x \mid x\ \in dom(H(v)(x)) \wedge \mathit{IsDataDescriptor}(x)\}$
$\wedge\ P_2 = \{x \mid x\ \in dom(H(v)(x)) \wedge \neg\mathit{IsDataDescriptor}(x)\}$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.preventExtensions”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge v \notin \mathit{Loc}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\text{TypeError})]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.preventExtensions”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto v]], A)$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge v \in \mathit{Loc}$
$\wedge\ H_1 = H\,[H(v) \mapsto [@extensible \mapsto \text{false}]]$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.isSealed”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge v \notin \mathit{Loc}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\text{TypeError})]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.isSealed”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto \text{false}]], A)$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge v \in \mathit{Loc} \wedge \exists x \in dom(H(v)) : H(v)(x).configurable = \text{true}$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.isSealed”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto b]], A)$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge v \in \mathit{Loc} \wedge \forall x \in dom(H(v)) : H(v)(x).configurable = \text{false}$
$\wedge\ b = \begin{cases} \text{true} & \text{if } H(v)(@extensible) = \text{false} \\ \text{false} & \text{otherwise} \end{cases}$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.isFrozen”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge v \notin \mathit{Loc}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\text{TypeError})]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.isFrozen”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto \text{false}]], A)$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge v \in \mathit{Loc}$
$\wedge\ \exists x \in dom(H(v)) : \begin{pmatrix} (\mathit{IsDataDescription}(x) \wedge (H(v)(x).writable = \text{true} \vee H(v)(x).configurable = \text{true})) \\ \vee(\neg \mathit{IsDataDescription} \wedge H(v)(x).configurable = \text{true}) \end{pmatrix}$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.isFrozen”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto b]], A)$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge v \in \mathit{Loc}$
$\wedge\ \forall x \in dom(H(v)) : \begin{pmatrix} (\mathit{IsDataDescription}(x) \wedge H(v)(x).writable = \text{false} \wedge H(v)(x).configurable = \text{false}) \\ \vee(\neg \mathit{IsDataDescription} \wedge H(v)(x).configurable = \text{false}) \end{pmatrix}$
$\wedge\ b = \begin{cases} \text{true} & \text{if } H(v)(@extensible) = \text{false} \\ \text{false} & \text{otherwise} \end{cases}$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.isExtensible”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge v \notin \mathit{Loc}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\text{TypeError})]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.isExtensible”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto H(v)(@extensible)]], A)$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge v \in \mathit{Loc}$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.keys”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge v \notin \mathit{Loc}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\text{TypeError})]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.keys”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge v \in \mathit{Loc}\ \wedge P = |\{x \mid x \in dom(H(v)) \wedge H(v)(x).enumerable = \text{true}\}|$
$\wedge\ n_1 = |P| \wedge l = \mathit{newLocation}() \wedge o = \mathit{NewArrayObject}(n_1) \wedge\ n_2 = 0$
$\wedge\ o_1 = o \left[\forall x \in P : \mathit{toString}(n_2^{++}) \mapsto \left\{ \begin{array}{l} value : x \\ writable : \text{true} \\ enumerable : \text{true} \\ configurable : \text{true} \end{array} \right\} \right]$
$\wedge\ H_1 = H\,[l \mapsto o_1]$

11.1.4 Object.prototype

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.prototype.toString”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto s]], A)$
where $\mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) = \text{undefined} \wedge s = \text{“[object Undefined]”}$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.prototype.toString”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto s]], A)$
where $\mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) = \text{null} \wedge s = \text{“[object Null]”}$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.prototype.toString”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto s]], A)$
where $v_1 = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_1 \notin \{\text{undefined}, \text{null}\}$
$\wedge\ (H_1, v_2) = \mathit{toObject}(H, v_1) \wedge s = \text{“[object”} + H(v_2)(@class) + \text{“]”}$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.prototype.toLocaleString”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, exc) = \mathit{toObject}(H, v)$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_2 = H_1[l_e \mapsto \mathit{NewExceptionObject}(exc)]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.prototype.toLocaleString”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@exception \mapsto l_e]], A)$
where $v_1 = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, v_2) = \mathit{toObject}(H, v_1) \wedge H_1(v_2)(\text{“}\mathit{toString}\text{”}) \notin \mathit{Loc}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_2 = H_1[l_e \mapsto \mathit{NewExceptionObject}(\text{TypeError})]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.prototype.toLocaleString”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@exception \mapsto l_e]], A)$
where $v_1 = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, v_2) = \mathit{toObject}(H, v_1) \wedge v_3 = H_1(v_2)(\text{“}\mathit{toString}\text{”}) \wedge v_3 \in \mathit{Loc}$
$\neg \mathit{IsCallable}(H_1, v_3) \wedge\ l_e = \mathit{newLocation}() \wedge\ H_2 = H_1[l_e \mapsto \mathit{NewExceptionObject}(\text{TypeError})]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.prototype.toLocaleString”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@return \mapsto l_e]], A)$
where $v_1 = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, v_2) = \mathit{toObject}(H, v_1) \wedge v_3 = H_1(v_2)(\text{“}\mathit{toString}\text{”}) \wedge v_3 \in \mathit{Loc}$
$\mathit{IsCallable}(H_1, v_3)$?????

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.prototype.valueOf”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, exc) = \mathit{toObject}(H, v)$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_2 = H_1[l_e \mapsto \mathit{NewExceptionObject}(exc)]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.prototype.valueOf”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto v_1]], A)$
where $v_1 = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, v_2) = \mathit{toObject}(H, v_1) \wedge H(v)(@class) = \text{“}\mathit{Object}\text{”}$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.prototype.hasOwnProperty”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, exc) = \mathit{toObject}(H, v)$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_2 = H_1[l_e \mapsto \mathit{NewExceptionObject}(exc)]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.prototype.hasOwnProperty”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto b]], A)$
where $v_1 = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, v_2) = \mathit{toObject}(H, v_1) \wedge v_3 = \mathit{getArgValue}(args, \text{“0”})$
$\wedge\ s = \mathit{toString}(\mathit{toPrimitive}(v_3)) \wedge b = \mathit{HasOwnProperty}(H_1, v_2, s)$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.prototype.isPrototypeOf”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto \text{false}]], A)$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge v \notin \mathit{Loc}$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.prototype.isPrototypeOf”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@exception \mapsto l_e]], A)$
where $v_1 = \mathit{getArgValue}(args, \text{“0”}) \wedge v_1 \in \mathit{Loc} \wedge v_2 = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, exc) = \mathit{toObject}(H, v_2)$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_2 = H_1[l_e \mapsto \mathit{NewExceptionObject}(exc)]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.prototype.isPrototypeOf”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto v_4]], A)$
where $v_1 = \mathit{getArgValue}(args, \text{“0”}) \wedge v_1 \in \mathit{Loc} \wedge v_2 = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, v_3) = \mathit{toObject}(H, v_2)$
$v_4 = \mathit{inherit}(H_1, v_1, v_3)$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.prototype.propertyIsEnumerable”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, exc) = \mathit{toObject}(H, v)$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_2 = H_1[l_e \mapsto \mathit{NewExceptionObject}(exc)]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.prototype.propertyIsEnumerable”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto \text{false}]], A)$
where $v_1 = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, v_2) = \mathit{toObject}(H, v_1) \wedge v_3 = \mathit{getArgValue}(args, \text{“0”})$
$\wedge\ s = \mathit{toString}(\mathit{toPrimitive}(v_3)) \wedge \neg \mathit{HasOwnProperty}(H_1, v_2, s)$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Object.prototype.propertyIsEnumerable”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto b]], A)$
where $v_1 = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, v_2) = \mathit{toObject}(H, v_1) \wedge v_3 = \mathit{getArgValue}(args, \text{“0”})$
$\wedge\ s = \mathit{toString}(\mathit{toPrimitive}(v_3)) \wedge \mathit{HasOwnProperty}(H_1, v_2, s) \wedge b = H_1(v_2)(s).\mathit{enumerable}$

11.1.5 Function

11.1.6 Function.prototype

$$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“Function.prototype.toString”}, args)]\!](H,A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$$
$$\text{where } v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H,A) \wedge v \notin \mathsf{Loc} \wedge l_e = \mathit{newLocation}() \wedge H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\mathsf{TypeError})]$$

$$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“Function.prototype.toString”}, args)]\!](H,A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$$
$$\text{where } v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H,A) \wedge v \in \mathsf{Loc} \wedge H(v)(@class) \neq \text{“}Function\text{”} \wedge l_e = \mathit{newLocation}() \wedge H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\mathsf{TypeError})]$$

$$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“Function.prototype.toString”}, args)]\!](H,A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto s]], A)$$
$$\text{where } v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H,A) \wedge v \in \mathsf{Loc} \wedge H(v)(@class) = \text{“}Function\text{”} \wedge s = \mathit{fid2String}(H(v)(@function))$$

$$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“Function.prototype.apply”}, args)]\!](H,A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$$
$$\text{where } v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H,A) \wedge v \notin \mathsf{Loc} \wedge l_e = \mathit{newLocation}() \wedge H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\mathsf{TypeError})]$$

$$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“Function.prototype.apply”}, args)]\!](H,A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$$
$$\text{where } v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H,A) \wedge v \in \mathsf{Loc} \wedge \neg \mathit{IsCallable}(H,v) \wedge l_e = \mathit{newLocation}() \wedge H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\mathsf{TypeError})]$$

$$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“Function.prototype.apply”}, args)]\!](H,A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$$
$$\text{where } v_{fun} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H,A) \wedge v_{fun} \in \mathsf{Loc} \wedge \mathit{IsCallable}(H,v_{fun}) \wedge v_{arg} = \mathit{getArgValue}(args, \text{“1”}) \wedge v_{arg} \notin \{\ \mathsf{null}, \mathsf{undefined}\ \} \wedge v_{arg} \notin \mathsf{Loc} \wedge l_e = \mathit{newLocation}() \wedge H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\mathsf{TypeError})]$$

$$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“Function.prototype.apply”}, args)]\!](H,A) = (H_2, A_1)$$
$$\text{where } v_{fun} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H,A) \wedge v_{fun} \in \mathsf{Loc} \wedge \mathit{IsCallable}(H,v_{fun}) \wedge v_{arg} = \mathit{getArgValue}(args, \text{“1”}) \wedge v_{arg} \in \{\ \mathsf{null}, \mathsf{undefined}\ \} \wedge o_{arg} = \mathit{NewArgObject}(0) \wedge l_{arg} = \mathit{newLocation}() \wedge H_1 = H[l_{arg} \mapsto o_{arg}] \wedge l_{scope} = \mathit{newLocation}() \wedge A_1 = \mathit{PushStack}(H(v_{fun})(@scope), l_{scope})$$
$$\wedge o_{scope} = \left\{ \begin{array}{l} arguments \mapsto \left\{ \begin{array}{l} value : l_{arg}, \\ writable : \mathsf{true}, \\ unumarable : \mathsf{false}, \\ configurable : \mathsf{false} \end{array} \right\}, \\ @this \mapsto \mathit{getArgValue}(args, \text{“0”}), \\ @up \mapsto A, \\ @return \mapsto H(\#temp)(@return) \end{array} \right\} \wedge H_2 = H_1[l_{new} \mapsto o_{scope}]$$
$$\wedge fid_{callee} = H(v_{fun})(@function) \wedge cp_{\textit{after-call}} = \mathit{getAftercallFromCall}_P(cp)$$
$$\wedge \hookrightarrow := \hookrightarrow \cup \{\ (cp, (fid_{callee}, \mathsf{ENTRY})), ((fid_{callee}, \mathsf{EXIT}), cp_{\textit{after-call}})\ \}$$
$$\wedge \overset{\mathsf{exc}}{\hookrightarrow} := \overset{\mathsf{exc}}{\hookrightarrow} \cup \{\ ((fid_{callee}, \mathsf{EXIT\text{-}EXC}), cp_{\textit{after-call}})\ \}$$
$$\wedge \mathit{BelongsTo} := \mathit{BelongsTo} \cup \{\ (l_{new}, cp)\ \}$$

$$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“Function.prototype.apply”}, args)]\!](H,A) = (H_2, A_1)$$
$$\text{where } v_{fun} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H,A) \wedge v_{fun} \in \mathsf{Loc} \wedge \mathit{IsCallable}(H,v_{fun}) \wedge v_{arg} = \mathit{getArgValue}(args, \text{“1”}) \wedge v_{arg} \notin \{\ \mathsf{null}, \mathsf{undefined}\ \} \wedge v_{arg} \in \mathsf{Loc} \wedge n_{len} = \mathit{Proto}(H, v_{arg}, \text{“}length\text{”}) \wedge o_{arg} = \mathit{NewArgObject}(n_{len}) \left[\forall i \in \{\ 0, ..., n_{len} - 1\ \} : \text{“}i\text{”} \mapsto \mathit{Proto}(H, v_{arg}, \text{“}i\text{”})\right] \wedge l_{arg} = \mathit{newLocation}() \wedge H_1 = H[l_{arg} \mapsto o_{arg}] \wedge o_{arg} = \mathit{NewArgObject}(0) \wedge l_{arg} = \mathit{newLocation}() \wedge H_1 = H[l_{arg} \mapsto o_{arg}] \wedge l_{scope} = \mathit{newLocation}() \wedge A_1 = \mathit{PushStack}(H(v_{fun})(@scope), l_{scope})$$
$$\wedge o_{scope} = \left\{ \begin{array}{l} arguments \mapsto \left\{ \begin{array}{l} value : l_{arg}, \\ writable : \mathsf{true}, \\ unumarable : \mathsf{false}, \\ configurable : \mathsf{false} \end{array} \right\}, \\ @this \mapsto \mathit{getArgValue}(args, \text{“0”}), \\ @up \mapsto A, \\ @return \mapsto H(\#temp)(@return) \end{array} \right\} \wedge H_2 = H_1[l_{new} \mapsto o_{scope}]$$
$$\wedge fid_{callee} = H(v_{fun})(@function) \wedge cp_{\textit{after-call}} = \mathit{getAftercallFromCall}_P(cp)$$
$$\wedge \hookrightarrow := \hookrightarrow \cup \{\ (cp, (fid_{callee}, \mathsf{ENTRY})), ((fid_{callee}, \mathsf{EXIT}), cp_{\textit{after-call}})\ \}$$
$$\wedge \overset{\mathsf{exc}}{\hookrightarrow} := \overset{\mathsf{exc}}{\hookrightarrow} \cup \{\ ((fid_{callee}, \mathsf{EXIT\text{-}EXC}), cp_{\textit{after-call}})\ \}$$
$$\wedge \mathit{BelongsTo} := \mathit{BelongsTo} \cup \{\ (l_{new}, cp)\ \}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Function.prototype.call”}, args)]\!](H,A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H,A) \wedge v \notin \text{Loc} \wedge\ l_e = \textit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \textit{NewExceptionObject}(\text{TypeError})]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Function.prototype.call”}, args)]\!](H,A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H,A) \wedge v \in \text{Loc} \wedge \neg \textit{IsCallable}(H,v)$
$\wedge\ l_e = \textit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \textit{NewExceptionObject}(\text{TypeError})]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Function.prototype.call”}, args)]\!](H,A) = (H_2, A_1)$
where $v_{fun} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H,A) \wedge v_{fun} \in \text{Loc} \wedge \textit{IsCallable}(H, v_{fun}) \wedge n_{len} = \textit{ToUInt32}(\textit{getArgValue}(args, \text{“length”}))$
$\wedge\ o_{arg} = \textit{NewArgObject}(n_{len} - 1)\ [\forall i \in \{\ 1, ..., n_{len}\ \} : \text{“}i\text{”} \mapsto \textit{getArgValue}(args, \text{“}i\text{”})]$
$\wedge\ l_{arg} = \textit{newLocation}() \wedge H_1 = H[l_{arg} \mapsto o_{arg}]$
$\wedge\ l_{scope} = \textit{newLocation}() \wedge\ A_1 = \textit{PushStack}(H(v_{fun})(@scope), l_{scope})$
$\wedge\ o_{scope} = \left\{ \begin{array}{l} arguments \mapsto \left\{ \begin{array}{l} value : l_{arg}, \\ writable : \text{true}, \\ unumarable : \text{false}, \\ configurable : \text{false} \end{array} \right\}, \\ @this \mapsto \textit{getArgValue}(args, \text{“0”}), \\ @up \mapsto A, \\ @return \mapsto H(\#temp)(@return) \end{array} \right\} \wedge H_2 = H_1[l_{new} \mapsto o_{scope}]$
$\wedge\ fid_{callee} = H(v_{fun})(@function) \wedge cp_{\textit{after-call}} = \textit{getAftercallFromCall}_P(cp)$
$\wedge\ \hookrightarrow\ := \hookrightarrow \cup \{\ (cp, (fid_{callee}, \text{ENTRY})), ((fid_{callee}, \text{EXIT}), cp_{\textit{after-call}})\ \}$
$\wedge\ \overset{\text{exc}}{\hookrightarrow} := \overset{\text{exc}}{\hookrightarrow} \cup \{\ ((fid_{callee}, \text{EXIT-EXC}), cp_{\textit{after-call}})\ \}$
$\wedge\ \textit{BelongsTo} := \textit{BelongsTo} \cup \{\ (l_{new}, cp)\ \}$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Function.prototype.bind”}, args)]\!](H,A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H,A) \wedge v \notin \text{Loc} \wedge\ l_e = \textit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \textit{NewExceptionObject}(\text{TypeError})]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Function.prototype.bind”}, args)]\!](H,A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H,A) \wedge v \in \text{Loc} \wedge \neg \textit{IsCallable}(H,v)$
$\wedge\ l_e = \textit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \textit{NewExceptionObject}(\text{TypeError})]$

11.1.7 Array

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Array.constuctor”}, args)]\!](H,A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$
where $\textit{getArgValue}(args, \text{“length”}) = 0 \wedge l = \textit{newLocation}() \wedge H_1 = H[l \mapsto \textit{NewArrayObject}(0)]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Array.constuctor”}, args)]\!](H,A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v_{len} = \textit{getArgValue}(args, \text{“length”}) \wedge v_{len} = 1 \wedge v_{len} \in \text{Number} \wedge v_{len} \neq \textit{ToUInt32}(v_{len})$
$\wedge\ l_e = \textit{newLocation}() \wedge H_1 = H[l_e \mapsto \textit{NewExceptionObject}(\text{RangeError})]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Array.constuctor”}, args)]\!](H,A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$
where $v_{len} = \textit{getArgValue}(args, \text{“length”}) \wedge v_{len} = 1 \wedge v_{len} \in \text{Number} \wedge n_{len32} = \textit{ToUInt32}(v_{len}) \wedge v_{len} = n_{len32}$
$\wedge\ l = \textit{newLocation}() \wedge H_1 = H[l \mapsto \textit{NewArrayObject}(n_{len32})]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Array.constuctor”}, args)]\!](H,A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$
where $v_{len} = \textit{getArgValue}(args, \text{“length”}) \wedge v_{len} = 1 \wedge v_{len} \notin \text{Number}$
$\wedge\ l = \textit{newLocation}() \wedge H_1 = H[l \mapsto \textit{NewArrayObject}(1)[\text{“0”} \mapsto v_{len}]]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Array.constuctor”}, args)]\!](H,A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$
where $v_{len} = \textit{getArgValue}(args, \text{“length”}) \wedge v_{len} > 1 \wedge l = \textit{newLocation}()$
$\wedge\ H_1 = H[l \mapsto \textit{NewArrayObject}(v_{len})[\forall i \in \{\ 0, ..., v_{len} - 1\ \} : \text{“}i\text{”} \mapsto \textit{getArgValue}(args, \text{“}i\text{”})]]$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Array.isArray”}, args)]\!](H,A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto \text{false}]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H,A) \wedge v \notin \text{Loc}$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Array.isArray”}, args)]\!](H,A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto b]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H,A) \wedge v \in \text{Loc} \wedge b = \left\{ \begin{array}{ll} \text{true} & \text{if } H(v)(@class) = \text{“}Array\text{”} \\ \text{false} & \text{otherwise} \end{array} \right.$

11.1.8 Array.prototype

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Array.prototype.toString”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, exc) = \mathit{ToObject}(H, v)$
$\wedge\ l_e = \mathit{newLocation}() \wedge H_2 = H_1[l_e \mapsto \mathit{NewExceptionObject}(exc)]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Array.prototype.toString”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto s_{join}]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, l) = \mathit{ToObject}(H, v)$
$\wedge\ s = \begin{cases} \text{“[object”} + H(v_2)(@class) + \text{“]”} & \text{if } \mathit{Proto}(H, l, \text{“}join\text{”}) \notin \mathsf{Loc} \vee \mathit{IsCallable}(H_1, \mathit{Proto}(H, l, \text{“}join\text{”})) \\ s_{join} & \text{otherwise} \end{cases}$
$\wedge\ n_{len} = \mathit{Proto}(H_1, l, \text{“}length\text{”})$
$\wedge\ s_i = \begin{cases} \text{“”} & \text{if } \mathit{Proto}(H_1, l, \text{“}i\text{”}) \in \{\mathsf{null}, \mathsf{undefined}\} \\ \mathit{ToString}(\mathit{ToPrimitive}(\mathit{Proto}(H_1, l, \text{“}i\text{”}))) & \text{otherwise} \end{cases}$
$\wedge\ s_{join} = \begin{cases} \text{“”} & \text{if } n_{len} = 0 \\ s_0 + \text{“,”} + s_1 + \text{“,”} + ... + \text{“,”} + s_{n_{len}-1} & \text{otherwise} \end{cases}$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Array.prototype.concat”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, exc) = \mathit{ToObject}(H, v)$
$\wedge\ l_e = \mathit{newLocation}() \wedge H_2 = H_1[l_e \mapsto \mathit{NewExceptionObject}(exc)]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Array.prototype.concat”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@return \mapsto l_{new}]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, l) = \mathit{ToObject}() \wedge n = 0$
$\wedge\ o = \mathit{NewArrayObject}(0)\ \left[\forall i \in \{0, ...H(l)(\text{“}length\text{”}) - 1\} : \mathit{toString}(n^{++}) \mapsto H(l)(\text{“}i\text{”})\right]$
$\wedge\ v_{len} = \mathit{getArgValue}(args, \text{“}length\text{”}) \wedge v_i = \mathit{getArgValue}(args, \text{“}i\text{”})$
$\wedge\ o_1 = o \left[\forall i \in \{0, v_{len} - 1\} : \begin{cases} \forall j \in \{0, ...H(v_i)(\text{“}length\text{”}) - 1\} : & \\ \quad \mathit{toString}(n^{++}) \mapsto \mathit{Proto}(H, v_i, \text{“}j\text{”}) & \text{if } v_i \in \mathsf{Loc} \\ & \quad \wedge H(v_i)(@class) = \text{“}Array\text{”} \\ \mathit{toString}(n^{++}) \mapsto v_i & \text{otherwise} \end{cases}\right]$
$\wedge\ l_{new} = \mathit{newLocatioin}() \wedge H_2 = H_1[l_{new} \mapsto o_1]$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Array.prototype.join”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, exc) = \mathit{ToObject}(H, v)$
$\wedge\ l_e = \mathit{newLocation}() \wedge H_2 = H_1[l_e \mapsto \mathit{NewExceptionObject}(exc)]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Array.prototype.join”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto s]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, l) = \mathit{ToObject}(H, v) \wedge v_0 = \mathit{getArgValue}(args, \text{“0”})$
$\wedge\ s_{sep} = \begin{cases} \text{“,”} & \text{if } v_0 = \mathsf{undefined} \\ \mathit{ToString}(\mathit{ToPrimitive}(v_o)) & \text{otherwise} \end{cases}$
$\wedge\ n_{len} = \mathit{Proto}(H_1, l, \text{“}length\text{”})$
$\wedge\ s_i = \begin{cases} \text{“”} & \text{if } \mathit{Proto}(H_1, l, \text{“}i\text{”}) \in \{\mathsf{null}, \mathsf{undefined}\} \\ \mathit{ToString}(\mathit{ToPrimitive}(\mathit{Proto}(H_1, l, \text{“}i\text{”}))) & \text{otherwise} \end{cases}$
$\wedge\ s = \begin{cases} \text{“”} & \text{if } n_{len} = 0 \\ s_0 + s_{sep} + s_1 + s_{sep} + ... + s_{sep} + s_{n_{len}-1} & \text{otherwise} \end{cases}$

$\mathcal{I}_{cp}[\![\textsf{BuiltintCall}(\text{“Array.prototype.pop”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@exception \mapsto l_e]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, exc) = \mathit{ToObject}(H, v_{this})$
$\wedge\ l_e = \mathit{newLocation}() \wedge H_2 = H_1[l_e \mapsto \mathit{NewExceptionObject}(exc)]$
$\mathcal{I}_{cp}[\![\textsf{BuiltintCall}(\text{“Array.prototype.pop”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, l) = \mathit{ToObject}(H, v_{this}) \wedge n_{len} = \mathit{ToUInt32}(\mathit{ToPrimitive}(\mathit{Proto}(H_1, l, \text{“}length\text{”})))$
$$\wedge\ (H_2, v) = \begin{cases} (\mathit{PropStore}(H_1, l, \text{“}length\text{”}, 0), \textsf{undefined}) & \text{if } n_{len} = 0 \\ \left(\begin{array}{l} \mathit{Delete}(\mathit{PropStore}(H_1, l, \text{“}length\text{”}, n_{len} - 1), l, \mathit{ToString}(n_{len} - 1)).1, \\ \mathit{Proto}(H_1, l, \mathit{ToString}(n_{len} - 1)) \end{array}\right) & \text{otherwise} \end{cases}$$

$\mathcal{I}_{cp}[\![\textsf{BuiltintCall}(\text{“Array.prototype.push”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@exception \mapsto l_e]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, exc) = \mathit{ToObject}(H, v_{this})$
$\wedge\ l_e = \mathit{newLocation}() \wedge H_2 = H_1[l_e \mapsto \mathit{NewExceptionObject}(exc)]$
$\mathcal{I}_{cp}[\![\textsf{BuiltintCall}(\text{“Array.prototype.push”}, args)]\!](H, A) = (H_3[\#temp \mapsto H_3(\#temp)[@return \mapsto n]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, l) = \mathit{ToObject}(H, v_{this})$
$\wedge\ n_{len} = \mathit{ToUInt32}(\mathit{ToPrimitive}(\mathit{Proto}(H_1, l, \text{“}length\text{”}))) \wedge n_{arglen} = \mathit{getArgValue}(args, \text{“}length\text{”})$
$\wedge\ H_2 = H_1\,[l \mapsto H_1(l)\,[\forall i \in \{0, ..., n_{arglen} - 1\} : \mathit{ToString}(n_{len} + i) \mapsto \mathit{getArgValue}(args, \text{“}i\text{”})]]$
$\wedge\ n = n_{len} + n_{arglen} \wedge H_3 = \mathit{PropStore}(H_2, l, \text{“}length\text{”}, n)$

$\mathcal{I}_{cp}[\![\textsf{BuiltintCall}(\text{“Array.prototype.reverse”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@exception \mapsto l_e]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, exc) = \mathit{ToObject}(H, v_{this})$
$\wedge\ l_e = \mathit{newLocation}() \wedge H_2 = H_1[l_e \mapsto \mathit{NewExceptionObject}(exc)]$
$\mathcal{I}_{cp}[\![\textsf{BuiltintCall}(\text{“Array.prototype.push”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@return \mapsto l]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, l) = \mathit{ToObject}(H, v_{this})$
$\wedge\ n_{len} = \mathit{ToUInt32}(\mathit{ToPrimitive}(\mathit{Proto}(H_1, l, \text{“}length\text{”}))) \wedge n_{last} = n_{len} - 1 \wedge\ n_{mid} = native.floor(n_{len}/2)$
$\wedge\ b_i = \mathit{HasProperty}(H_1, l, i) \wedge o = H(l)$
$$\wedge\ o_1 = o \left[\forall i \in \{0, ..., n_{mid} - 1\} : \begin{cases} \begin{array}{l} \mathit{ToString}(i) \mapsto \mathit{Proto}(H_1, l, \mathit{ToString}(n_{last} - i)), \\ \mathit{ToString}(n_{last} - i) \mapsto \mathit{Proto}(H_1, l, \mathit{ToString}(i)) \end{array} & \text{if } b_i \wedge b_{n_{last}-i} \\ \mathit{ToString}(i) \mapsto \mathit{Proto}(H_1, l, \mathit{ToString}(n_{last} - i)) & \text{if } \neg b_i \wedge b_{n_{last}-i} \\ \mathit{ToString}(n_{last} - i) \mapsto \mathit{Proto}(H_1, l, \mathit{ToString}(i)) & \text{if } b_i \wedge \neg b_{n_{last}-i} \end{cases}\right]$$
$\wedge\ H_2 = H_1[l \mapsto o_1]$

$\mathcal{I}_{cp}[\![\textsf{BuiltintCall}(\text{“Array.prototype.shift”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@exception \mapsto l_e]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, exc) = \mathit{ToObject}(H, v_{this})$
$\wedge\ l_e = \mathit{newLocation}() \wedge H_2 = H_1[l_e \mapsto \mathit{NewExceptionObject}(exc)]$
$\mathcal{I}_{cp}[\![\textsf{BuiltintCall}(\text{“Array.prototype.shift”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, l) = \mathit{ToObject}(H, v_{this})$
$\wedge\ n_{len} = \mathit{ToUInt32}(\mathit{ToPrimitive}(\mathit{Proto}(H_1, l, \text{“}length\text{”})))$
$$\wedge\ (H_2, v) = \begin{cases} (H_1, \textsf{undefined}) & \text{if } n_{len} = 0 \\ (H_1[l \mapsto o_1], \mathit{Proto}(H_1, l, \text{“0”}) & \text{otherwise} \end{cases}$$
$\wedge\ o_1 = H_1(l)\,[\forall i \in \{1, ..., n_{len} - 1\} :\ \mathit{ToString}(i) \mapsto \mathit{Proto}(H_1, l, \mathit{ToString}(i-1))$ if $\mathit{HasProperty}(H_1, l, i)\ ]$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Array.prototype.slice”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@exception \mapsto l_e]], A)$$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, exc) = \mathit{ToObject}(H, v_{this})$
$\wedge\ l_e = \mathit{newLocation}() \wedge H_2 = H_1[l_e \mapsto \mathit{NewExceptionObject}(exc)]$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Array.prototype.slice”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@return \mapsto l_{new}]], A)$$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, l) = \mathit{ToObject}(H, v_{this})$
$\wedge\ n_{len} = \mathit{ToUInt32}(\mathit{ToPrimitive}(\mathit{Proto}(H_1, l, \text{“length”})))$
$\wedge\ n_{argstart} = \mathit{ToNumber}(\mathit{ToPrimitive}(\mathit{getArgValue}(args, \text{“0”})))$
$$\wedge\ n_{start} = \begin{cases} 0 & \text{if } n_{argstart} < 0 \wedge n_{len} + n_{argstart} \leq 0 \\ n_{len} + n_{argstart} & \text{if } n_{argstart} < 0 \wedge n_{len} + n_{argstart} > 0 \\ n_{argstart} & \text{if } n_{argstart} \geq 0 \wedge n_{argstart} < n_{len} \\ n_{len} & \text{if } n_{argstart} \geq 0 \wedge n_{argstart} \geq n_{len} \end{cases}$$
$$\wedge\ n_{argend} = \begin{cases} n_{len} & \text{if } \mathit{getArgValue}(args, \text{“1”}) = \text{undefined} \\ \mathit{ToNumber}(\mathit{ToPrimitive}(\mathit{getArgValue}(args, \text{“1”}))) & \text{otherwise} \end{cases}$$
$$\wedge\ n_{end} = \begin{cases} 0 & \text{if } n_{argend} < 0 \wedge n_{len} + n_{argend} \leq 0 \\ n_{len} + n_{argend} & \text{if } n_{argend} < 0 \wedge n_{len} + n_a rgend > 0 \\ n_{argend} & \text{if } n_{argend} \geq 0 \wedge n_{argend} < n_{len} \\ n_{len} & \text{if } n_{argend} \geq 0 \wedge n_{argend} \geq n_{len} \end{cases}$$
$\wedge\ o = \mathit{NewArrayObject}(0)$
$\wedge\ o_1 = o\,[\forall i \in \{n_{start}, ..., n_{end} - 1\} :\ \mathit{ToString}(i) \mapsto \mathit{Proto}(H_1, l, \mathit{ToString}(i-1)) \quad \text{if } \mathit{HasProperty}(H_1, l, i)\ ]$
$\wedge\ l_{new} = \mathit{newLocation}() \wedge H_2 = H_1[l_{new} \mapsto o_1]$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Array.prototype.splice”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@exception \mapsto l_e]], A)$$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, exc) = \mathit{ToObject}(H, v_{this})$
$\wedge\ l_e = \mathit{newLocation}() \wedge H_2 = H_1[l_e \mapsto \mathit{NewExceptionObject}(exc)]$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Array.prototype.splice”}, args)]\!](H, A) = (H_3[\#temp \mapsto H_3(\#temp)[@return \mapsto l_{new}]], A)$$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, l) = \mathit{ToObject}(H, v_{this})$
$\wedge\ n_{arglen} = \mathit{ToNumber}(\mathit{ToPrimitive}(\mathit{getArgValue}(args, \text{“length”}))) \wedge n_{arglen} = 2$
$\wedge\ n_{len} = \mathit{ToUInt32}(\mathit{ToPrimitive}(\mathit{Proto}(H_1, l, \text{“length”})))$
$\wedge\ n_{argstart} = \mathit{ToNumber}(\mathit{ToPrimitive}(\mathit{getArgValue}(args, \text{“0”})))$
$$\wedge\ n_{start} = \begin{cases} 0 & \text{if } n_{argstart} < 0 \wedge n_{len} + n_{argstart} \leq 0 \\ n_{len} + n_{argstart} & \text{if } n_{argstart} < 0 \wedge n_{len} + n_{argstart} > 0 \\ n_{argstart} & \text{if } n_{argstart} \geq 0 \wedge n_{argstart} < n_{len} \\ n_{len} & \text{if } n_{argstart} \geq 0 \wedge n_{argstart} \geq n_{len} \end{cases}$$
$\wedge\ n_{argdel} = \mathit{ToNumber}(\mathit{ToPrimitive}(\mathit{getArgValue}(args, \text{“1”})))$
$\wedge\ n_{del} = min(max(n_{argdel}, 0), n_{len} - n_{start})$
$\wedge\ o = \mathit{NewArrayObject}(0)$
$\wedge\ o_1 = o\,[\forall i \in \{0, ..., n_{del} - 1\} :\ \mathit{ToString}(i) \mapsto \mathit{Proto}(H_1, l, n_{start} + i) \quad \text{if } \mathit{HasProperty}(H_1, l, i + n_{del})\ ]$
$\wedge\ H_2 = H_1\,[l \mapsto H_1(l)\,[\forall i \in \{n_{start}, ..., n_{start} + n_{del} - 1\} :\ \mathit{ToString}(i) \not\mapsto \textit{// delete prop}]]$
$\wedge\ l_{new} = \mathit{newLocation}() \wedge H_3 = H_2[l_{new} \mapsto o_1]$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Array.prototype.splice”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@return \mapsto l_{new}]], A)$$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, l) = \mathit{ToObject}(H, v_{this})$
$\wedge\ n_{arglen} = \mathit{ToNumber}(\mathit{ToPrimitive}(\mathit{getArgValue}(args, \text{“length”}))) \wedge n_{arglen} > 2 \wedge n_{replace} = n_{arglne} - 2$
$\wedge\ n_{len} = \mathit{ToUInt32}(\mathit{ToPrimitive}(\mathit{Proto}(H_1, l, \text{“length”})))$
$\wedge\ n_{argstart} = \mathit{ToNumber}(\mathit{ToPrimitive}(\mathit{getArgValue}(args, \text{“0”})))$
$$\wedge\ n_{start} = \begin{cases} 0 & \text{if } n_{argstart} < 0 \wedge n_{len} + n_{argstart} \leq 0 \\ n_{len} + n_{argstart} & \text{if } n_{argstart} < 0 \wedge n_{len} + n_{argstart} > 0 \\ n_{argstart} & \text{if } n_{argstart} \geq 0 \wedge n_{argstart} < n_{len} \\ n_{len} & \text{if } n_{argstart} \geq 0 \wedge n_{argstart} \geq n_{len} \end{cases}$$
$\wedge\ n_{argdel} = \mathit{ToNumber}(\mathit{ToPrimitive}(\mathit{getArgValue}(args, \text{“1”})))$
$\wedge\ n_{del} = min(max(n_{argdel}, 0), n_{len} - n_{start})$
$\wedge\ o = \mathit{NewArrayObject}(0)$
$\wedge\ o_1 = o\,[\forall i \in \{0, ..., n_{del} - 1\} : \mathit{ToString}(i) \mapsto \mathit{Proto}(H_1, l, n_{start} + i) \quad \text{if } \mathit{HasProperty}(H_1, l, i + n_{del})\ ]$
$$\wedge\ H_2 = H_1 \left[l \mapsto H_1(l) \left[\begin{array}{l} \forall i \in \{n_{start}, ..., n_{start} + n_{del} - 1\} : \mathit{ToString}(i) \not\mapsto \textit{// delete prop} \\ \forall j \in \{0, ..., n_{del} - 1\} : \mathit{ToString}(j) \mapsto \mathit{getArgValue}(args, n_{start} + j), \\ \forall k \in \{0, ..., n_{len} - n_{start} - n_{del} - 1\} : \\ \quad \mathit{ToString}(n_{start} + n_{replace} + k) \mapsto \mathit{Proto}(H_1, l, n_{start} + n_{del} + k) \end{array} \right] \right]$$
$\wedge\ l_{new} = \mathit{newLocation}() \wedge H_3 = H_2[l_{new} \mapsto o_1]$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Array.prototype.unshift”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@exception \mapsto l_e]], A)$$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, exc) = \mathit{ToObject}(H, v_{this})$
$\wedge\ l_e = \mathit{newLocation}() \wedge H_2 = H_1[l_e \mapsto \mathit{NewExceptionObject}(exc)]$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Array.prototype.unshift”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@exception \mapsto n]], A)$$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, l) = \mathit{ToObject}(H, v_{this})$
$\wedge\ n_{arglen} = \mathit{ToNumber}(\mathit{ToPrimitive}(\mathit{getArgValue}(args, \text{“length”})))$
$\wedge\ n_{len} = \mathit{ToUInt32}(\mathit{ToPrimitive}(\mathit{Proto}(H_1, l, \text{“length”})))$
$\wedge\ n_{argstart} = \mathit{ToNumber}(\mathit{ToPrimitive}(\mathit{getArgValue}(args, \text{“0”})))$
$\wedge\ H_2 = H_1 \left[l \mapsto H_1(l) \left[\begin{array}{l} \forall i \in \{0, ..., n_{len} - 1\} : \\ \quad \mathit{ToString}(n_{arglen} + i) \mapsto \mathit{Proto}(H_1, l, i) \quad \text{if } \mathit{HasProperty}(H_1, l, i) \\ \forall j \in \{0, ..., n_{arglen} - 1\} : \mathit{ToString}(j) \mapsto \mathit{getArgValue}(args, j) \end{array} \right] \right]$
$\wedge\ l_{new} = \mathit{newLocation}() \wedge H_3 = H_2[l_{new} \mapsto o_1] \wedge n = n_{len} + n_{arglen}$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Array.prototype.indexOf”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@exception \mapsto l_e]], A)$$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, exc) = \mathit{ToObject}(H, v_{this})$
$\wedge\ l_e = \mathit{newLocation}() \wedge H_2 = H_1[l_e \mapsto \mathit{NewExceptionObject}(exc)]$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Array.prototype.indexOf”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto n_{pos}]], A)$$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, l) = \mathit{ToObject}(H, v_{this}) \wedge v_{find} = \mathit{getArgValue}(args, \text{“0”})$
$\wedge\ n_{len} = \mathit{ToUInt32}(\mathit{ToPrimitive}(\mathit{Proto}(H_1, l, \text{“length”})))$
$$\wedge\ n_{start} = \begin{cases} \mathit{ToNumber}(\mathit{ToPrimitive}(\mathit{getArgValue}(args, \text{“1”}))) & \text{if } \mathit{getArgValue}(args, \text{“length”}) > 1 \\ 0 & \text{otherwise} \end{cases}$$
$$\wedge\ n_{pos} = \begin{cases} -1 & \text{if } n_{start} > n_{len} - 1 \\ -1 & \text{if } \neg\exists i \in \{n_{start}, ...n_{len} - 1\} : (\mathit{HasProperty}(H_1, l, i) \wedge \mathit{Proto}(H, l, i) = v_{find}) \\ min\left(\begin{array}{l} \forall i \in \{n_{start}, ...n_{len} - 1\} : \\ \left(\begin{array}{l} \mathit{HasProperty}(H_1, l, i) \\ \wedge \mathit{Proto}(H, l, i) = v_{find} \end{array} \right) \end{array} \right) & \text{otherwise} \end{cases}$$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Array.prototype.lastIndexOf”}, args)]\!](H, A) = (H_2[\#temp \mapsto H_2(\#temp)[@exception \mapsto l_e]], A)$$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, exc) = \mathit{ToObject}(H, v_{this})$
$\wedge\ l_e = \mathit{newLocation}() \wedge H_2 = H_1[l_e \mapsto \mathit{NewExceptionObject}(exc)]$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Array.prototype.lastIndexOf”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto n_{pos}]], A)$$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge (H_1, l) = \mathit{ToObject}(H, v_{this}) \wedge v_{find} = \mathit{getArgValue}(args, \text{“0”})$
$\wedge\ n_{len} = \mathit{ToUInt32}(\mathit{ToPrimitive}(\mathit{Proto}(H_1, l, \text{“length”})))$
$$\wedge\ n_{end} = \begin{cases} \mathit{ToNumber}(\mathit{ToPrimitive}(\mathit{getArgValue}(args, \text{“1”}))) & \text{if } \mathit{getArgValue}(args, \text{“length”}) > 1 \\ n_{len} - 1 & \text{otherwise} \end{cases}$$
$$\wedge\ n_{pos} = \begin{cases} -1 & \text{if } \neg\exists i \in \{0, ...n_{end}\} : (\mathit{HasProperty}(H_1, l, i) \wedge \mathit{Proto}(H, l, i) = v_{find}) \\ max\left(\begin{array}{l} \forall i \in \{0, ...n_{len}\} : \\ \left(\begin{array}{l} \mathit{HasProperty}(H_1, l, i) \\ \wedge \mathit{Proto}(H, l, i) = v_{find} \end{array} \right) \end{array} \right) & \text{otherwise} \end{cases}$$

11.1.9 String

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“String.constructor”}, args)]\!](H, A) = H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l_{new}]], A)$$
where $s = \begin{cases} \text{“”} & \text{if } \mathit{getArgValue}(args, \text{“length”}) < 1 \\ \mathit{toString}(\mathit{toPrimitive}(\mathit{getArgValue}(args, \text{“0”}))) & \text{otherwise} \end{cases}$
$\wedge\ l_{new} = \mathit{newLocation}() \wedge H_1 = H[l_{new} \mapsto \mathit{Newstring}(s)]$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“String.fromCharCode”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto s]], A)$$
where $s_{init} = \text{“”} \wedge s_i = \mathit{toString}(native.toChar(\mathit{toPrimitive}(\mathit{getArgValue}(args, \text{“i”}))))$ *// java, scala*
$\wedge\ n = \mathit{getArgValue}(args, \text{“length”}) \wedge s = s_{init} + s_0 + s_i + ... + s_n$

11.1.10 String.prototype

$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“String.prototype.toString”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \notin \mathsf{Loc} \wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\mathsf{TypeError})]$
$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“String.prototype.toString”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \in \mathsf{Loc} \wedge H(v)(@class) \neq \text{“}String\text{”}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\mathsf{TypeError})]$
$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“String.prototype.toString”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto s]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \in \mathsf{Loc} \wedge H(v)(@class) = \text{“}String\text{”} \wedge\ s = H(v)(@primitive)$

$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“String.prototype.valueOf”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \notin \mathsf{Loc} \wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\mathsf{TypeError})]$
$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“String.prototype.valueOf”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \in \mathsf{Loc} \wedge H(v)(@class) \neq \text{“}String\text{”}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\mathsf{TypeError})]$
$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“String.prototype.valueOf”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto s]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \in \mathsf{Loc} \wedge H(v)(@class) = \text{“}String\text{”} \wedge\ s = H(v)(@primitive)$

$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“String.prototype.charAt”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \in \{\ \mathsf{undefined}, \mathsf{null}\ \}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\mathsf{TypeError})]$
$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“String.prototype.charAt”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto s_2]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \notin \{\ \mathsf{undefined}, \mathsf{null}\ \} \wedge s_1 = \mathit{ToString}(\mathit{ToPrimitive}(v))$
$\wedge\ n_{pos} = \mathit{ToNumber}(\mathit{ToPrimitive}(\mathit{getArgValue}(args, \text{“0”}))) \wedge n_{size} = s.length$
$\wedge\ s_2 = \begin{cases} \text{“”} & \text{if } n_{pos} < 0 \vee n_{pos} \geq n_{size} \\ s(n_{pos}) & \text{otherwise} \end{cases}$
$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“String.prototype.charCodeAt”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \in \{\ \mathsf{undefined}, \mathsf{null}\ \}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\mathsf{TypeError})]$
$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“String.prototype.charCodeAt”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto n]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \notin \{\ \mathsf{undefined}, \mathsf{null}\ \} \wedge s_1 = \mathit{ToString}(\mathit{ToPrimitive}(v))$
$\wedge\ n_{pos} = \mathit{ToNumber}(\mathit{ToPrimitive}(\mathit{getArgValue}(args, \text{“0”}))) \wedge n_{size} = s.length$
$\wedge\ n = \begin{cases} \mathsf{NaN} & \text{if } n_{pos} < 0 \vee n_{pos} \geq n_{size} \\ native.toInt(s(n_{pos})) & \text{otherwise} \quad \textit{// java, scala} \end{cases}$

$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“String.prototype.concat”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \in \{\ \mathsf{undefined}, \mathsf{null}\ \}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\mathsf{TypeError})]$
$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“String.prototype.concat”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto s]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \notin \{\ \mathsf{undefined}, \mathsf{null}\ \} \wedge s_{this} = \mathit{ToString}(\mathit{ToPrimitive}(v))$
$\wedge\ s_i = \mathit{ToString}(\mathit{ToPrimitive}(\mathit{getArgValue}(args, \text{“0”}))) \wedge n_{len} = \mathit{getArgValue}(args, \text{“}length\text{”})$
$\wedge\ s = s_{this} + s_0 + s_1 + ... + s_{n_{len}-1}$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.indexOf”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \in \{ \text{undefined}, \text{null} \}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\text{TypeError})]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.indexOf”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto n_{pos}]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \notin \{ \text{undefined}, \text{null} \} \wedge s_{this} = \mathit{ToString}(\mathit{ToPrimitive}(v))$
$\wedge\ s_{find} = \mathit{ToString}(\mathit{ToPrimitive}(\mathit{getArgValue}(args, \text{“0”})))$
$\wedge\ n_{argstart} = \begin{cases} 0 & \text{if } \mathit{getArgValue}(args, \text{“1”}) = \text{undefined} \\ \mathit{ToNumber}(\mathit{ToPrimitive}(\mathit{getArgValue}(args, \text{“1”}))) & \text{otherwise} \end{cases}$
$\wedge\ n_{start} = min(max(n_{argstart}, 0)s_{this}.length)$
$\wedge\ n_{pos} = native.string.indexOf(s_{this}, s_{find}, n_{start})$ *// java, scala*

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.lastIndexOf”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \in \{ \text{undefined}, \text{null} \}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\text{TypeError})]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.lastIndexOf”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto n_{pos}]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \notin \{ \text{undefined}, \text{null} \} \wedge s_{this} = \mathit{ToString}(\mathit{ToPrimitive}(v))$
$\wedge\ s_{find} = \mathit{ToString}(\mathit{ToPrimitive}(\mathit{getArgValue}(args, \text{“0”})))$
$\wedge\ n_{argend} = \begin{cases} \text{Inf} & \text{if } \mathit{getArgValue}(args, \text{“1”}) = \text{undefined} \\ \mathit{ToNumber}(\mathit{ToPrimitive}(\mathit{getArgValue}(args, \text{“1”}))) & \text{otherwise} \end{cases}$
$\wedge\ n_{start} = min(max(n_{argstart}, 0)s_{this}.length)$
$\wedge\ n_{pos} = native.string.lastIndexOf(s_{this}, s_{find}, n_{start})$ *// java, scala*

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.localeCompare”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \in \{ \text{undefined}, \text{null} \}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\text{TypeError})]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.localeCompare”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto n]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \notin \{ \text{undefined}, \text{null} \} \wedge s_{this} = \mathit{ToString}(\mathit{ToPrimitive}(v))$
$\wedge\ s_{that} = \mathit{ToString}(\mathit{ToPrimitive}(\mathit{getArgValue}(args, \text{“0”})))$
$\wedge\ n = native.string.compare(s_{this}, s_{that})$ *// java, scala*

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.slice”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \in \{ \text{undefined}, \text{null} \}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\text{TypeError})]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.slice”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto s]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \notin \{ \text{undefined}, \text{null} \} \wedge s_{this} = \mathit{ToString}(\mathit{ToPrimitive}(v))$
$\wedge\ n_{argstart} = \mathit{ToNumber}(\mathit{ToPrimitive}(\mathit{getArgValue}(args, \text{“0”})))$
$\wedge\ n_{argend} = \mathit{ToNumber}(\mathit{ToPrimitive}(\mathit{getArgValue}(args, \text{“1”})))$
$\wedge\ n_{strlen} = s_{this}.length$
$\wedge\ n_{start} = \begin{cases} max(n_{strlen} + n_{argstart}, 0) & \text{if } n_{argstart} < 0 \\ min(n_{argstart}, n_{strlen}) & \text{otherwise} \end{cases}$
$\wedge\ n_{end} = \begin{cases} max(n_{strlen} + n_{argend}, 0) & \text{if } n_{argend} < 0 \\ min(n_{argend}, n_{strlen}) & \text{otherwise} \end{cases}$
$\wedge\ s = native.string.slice(s_{this}, n_{start}, n_{end})$ *// java, scala*

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.substring”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \in \{\ \text{undefined}, \text{null}\ \}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\text{TypeError})]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.substring”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto s]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \notin \{\ \text{undefined}, \text{null}\ \} \wedge s_{this} = \mathit{ToString}(\mathit{ToPrimitive}(v))$
$\wedge\ n_{strlen} = s_{this}.length$
$\wedge\ n_{argstart} = \mathit{ToNumber}(\mathit{ToPrimitive}(\mathit{getArgValue}(args, \text{“0”})))$
$\wedge\ n_{argend} = \begin{cases} n_{strlen} & \text{if } \mathit{getArgValue}(args, \text{“1”}) = \text{undefined} \\ \mathit{ToNumber}(\mathit{ToPrimitive}(\mathit{getArgValue}(args, \text{“1”}))) & \text{otherwise} \end{cases}$
$\wedge\ n_{start} = min(max(n_{argstart}, 0), n_{strlen})$
$\wedge\ n_{end} = min(max(n_{argend}, 0), n_{strlen})$
$\wedge\ s = native.string.slice(s_{this}, min(n_{start}, n_{end}), max(n_{start}, n_{end}))$ *// java, scala*

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.toLowerCase”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \in \{\ \text{undefined}, \text{null}\ \}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\text{TypeError})]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.toLowerCase”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto s]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \notin \{\ \text{undefined}, \text{null}\ \} \wedge s_{this} = \mathit{ToString}(\mathit{ToPrimitive}(v))$
$\wedge\ s = native.string.toLowerCase(s_{this})$ *// java, scala*

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.toLocaleLowerCase”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \in \{\ \text{undefined}, \text{null}\ \}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\text{TypeError})]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.toLocaleLowerCase”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto s]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \notin \{\ \text{undefined}, \text{null}\ \} \wedge s_{this} = \mathit{ToString}(\mathit{ToPrimitive}(v))$
$\wedge\ s = native.string.toLowerCase(s_{this})$ *// java, scala*

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.toUpperCase”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \in \{\ \text{undefined}, \text{null}\ \}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\text{TypeError})]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.toUpperCase”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto s]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \notin \{\ \text{undefined}, \text{null}\ \} \wedge s_{this} = \mathit{ToString}(\mathit{ToPrimitive}(v))$
$\wedge\ s = native.string.toUpperCase(s_{this})$ *// java, scala*

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.toLocaleUpperCase”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \in \{\ \text{undefined}, \text{null}\ \}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\text{TypeError})]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.toLocaleUpperCase”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto s]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \notin \{\ \text{undefined}, \text{null}\ \} \wedge s_{this} = \mathit{ToString}(\mathit{ToPrimitive}(v))$
$\wedge\ s = native.string.toUpperCase(s_{this})$ *// java, scala*

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.trim”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \in \{\ \text{undefined}, \text{null}\ \}$
$\wedge\ l_e = \mathit{newLocation}() \wedge\ H_1 = H[l_e \mapsto \mathit{NewExceptionObject}(\text{TypeError})]$
$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.trim”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto s]], A)$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \notin \{\ \text{undefined}, \text{null}\ \} \wedge s_{this} = \mathit{ToString}(\mathit{ToPrimitive}(v))$
$\wedge\ s = native.string.trim(s_{this})$ *// java, scala*

11.1.11 Boolean

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Boolean.constructor”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge l = \mathit{NewLocation}()$
$\wedge\ o = \mathit{NewBoolean}(\mathit{toBoolean}(\mathit{toPrimitive}(v))) \wedge H_1 = H\,[l \mapsto o]$

11.1.12 Boolean.prototype

$$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“Boolean.prototype.toString”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$$
$$\text{where } v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \notin \mathsf{Boolean} \wedge (v \notin \mathsf{Loc} \vee (v \in \mathsf{Loc} \wedge H(v)(@class) \neq \text{“Boolean”}))$$
$$\wedge\, l_e = \mathit{newLocation}() \wedge\ H_2 = H_1[l_e \mapsto \mathit{NewExceptionObject}(\mathsf{TypeError})]$$
$$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“Boolean.prototype.toString”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto s]], A)$$
$$\text{where } v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge b = \begin{cases} v & \text{if } v \in \mathsf{Boolean} \\ H(v)(@primitive) & \text{if } v \in \mathsf{Loc} \wedge H(v)(@class) = \text{“Boolean”} \end{cases}$$
$$\wedge\, s = \begin{cases} \text{“true”} & \text{if } b = \mathsf{true} \\ \text{“false”} & \text{if } b = \mathsf{false} \end{cases}$$

$$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“Boolean.prototype.valueOf”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$$
$$\text{where } v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \notin \mathsf{Boolean} \wedge (v \notin \mathsf{Loc} \vee (v \in \mathsf{Loc} \wedge H(v)(@class) \neq \text{“Boolean”}))$$
$$\wedge\, l_e = \mathit{newLocation}() \wedge\ H_2 = H_1[l_e \mapsto \mathit{NewExceptionObject}(\mathsf{TypeError})]$$
$$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“Boolean.prototype.valueOf”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto b]], A)$$
$$\text{where } v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge b = \begin{cases} v & \text{if } v \in \mathsf{Boolean} \\ H(v)(@primitive) & \text{if } v \in \mathsf{Loc} \wedge H(v)(@class) = \text{“Boolean”} \end{cases}$$

11.1.13 Number

$$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“Number.constructor”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$$
$$\text{where } \mathit{getArgValue}(args, \text{“}length\text{”}) < 1 \wedge l = \mathit{NewLocation}() \wedge o = \mathit{NewNumber}(0) \wedge H_1 = H\,[l \mapsto o]$$
$$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“Number.constructor”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$$
$$\text{where } v = \mathit{getArgValue}(args, \text{“0”}) \wedge \mathit{getArgValue}(args, \text{“}length\text{”}) \geq 1 \wedge l = \mathit{NewLocation}()$$
$$\wedge\, o = \mathit{NewNumber}(\mathit{toNumber}(\mathit{toPrimitive}(v))) \wedge H_1 = H\,[l \mapsto o]$$

11.1.14 Number.prototype

$$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“Number.prototype.valueOf”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$$
$$\text{where } v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \notin \mathsf{Number} \wedge (v \notin \mathsf{Loc} \vee (v \in \mathsf{Loc} \wedge H(v)(@class) \neq \text{“Number”}))$$
$$\wedge\, l_e = \mathit{newLocation}() \wedge\ H_2 = H_1[l_e \mapsto \mathit{NewExceptionObject}(\mathsf{TypeError})]$$
$$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“Number.prototype.valueOf”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto n]], A)$$
$$\text{where } v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge n = \begin{cases} v & \text{if } v \in \mathsf{Number} \\ H(v)(@primitive) & \text{if } v \in \mathsf{Loc} \wedge H(v)(@class) = \text{“Number”} \end{cases}$$

11.1.15 Math

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Number.abs”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto n_2]], A)$
where $n_1 = \textit{toNumber}(\textit{toPrimitive}(\textit{getArgValue}(args, \text{“0”})))$

$$n_2 = \begin{cases} \text{NaN} & \text{if } n_1 = \text{NaN} \\ \text{Inf} & \text{if } n_1 \in \{ \text{ -Inf, Inf } \} \\ -n_1 & \text{if } v < 0 \\ n_1 & \text{if } 0 \leq v_1 \end{cases}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Number.acos”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto n_2]], A)$
where $n_1 = \textit{toNumber}(\textit{toPrimitive}(\textit{getArgValue}(args, \text{“0”})))$

$$n_2 = \begin{cases} \text{NaN} & \text{if } n_1 \in \{ \text{ NaN, Inf, -inf}, n \mid n < -1 \vee 1 < n \ \} \\ native.acos(n_1) & \text{otherwise} \end{cases}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Number.asin”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto n_2]], A)$
where $n_1 = \textit{toNumber}(\textit{toPrimitive}(\textit{getArgValue}(args, \text{“0”})))$

$$n_2 = \begin{cases} \text{NaN} & \text{if } n_1 \in \{ \text{ NaN, Inf, -inf}, n \mid n < -1 \vee 1 < n \ \} \\ native.asin(n_1) & \text{otherwise} \end{cases}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Number.atan”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto n_2]], A)$
where $n_1 = \textit{toNumber}(\textit{toPrimitive}(\textit{getArgValue}(args, \text{“0”})))$

$$n_2 = \begin{cases} \text{NaN} & \text{if } n_1 = \text{NaN} \\ \frac{\pi}{2} & \text{if } n_1 = \text{Inf} \\ -\frac{\pi}{2} & \text{if } n_1 = \text{-Inf} \\ native.atan(n_1) & \text{otherwise} \end{cases}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Number.atan2”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto n_3]], A)$
where $n_1 = \textit{toNumber}(\textit{toPrimitive}(\textit{getArgValue}(args, \text{“0”}))) \wedge n_2 = \textit{toNumber}(\textit{toPrimitive}(\textit{getArgValue}(args, \text{“1”})))$

$$n_3 = \begin{cases} \text{NaN} & \text{if } n_1 = \text{NaN} \vee n_2 = \text{NaN} \\ 0 & \text{if } n_1 = n \wedge n_2 = \text{Inf} \\ +0 & \text{if } n_1 > 0 \wedge n_1 \notin \{ \text{ -Inf, Inf } \} \wedge n_2 = \text{Inf} \\ \pi & \text{if } n_1 > 0 \wedge n_1 \notin \{ \text{ -Inf, Inf } \} \wedge n_2 = \text{-Inf} \\ -0 & \text{if } n_1 < 0 \wedge n_1 \notin \{ \text{ -Inf, Inf } \} \wedge n_2 = \text{Inf} \\ -\pi & \text{if } n_1 < 0 \wedge n_1 \notin \{ \text{ -Inf, Inf } \} \wedge n_2 = \text{-Inf} \\ \frac{\pi}{2} & \text{if } n_1 = \text{Inf} \wedge n_2 \notin \{ \text{ -Inf, Inf } \} \\ -\frac{\pi}{2} & \text{if } n_1 = \text{-Inf} \wedge n_2 \notin \{ \text{ -Inf, Inf } \} \\ \frac{\pi}{4} & \text{if } n_1 = \text{Inf} \wedge n_2 = \text{Inf} \\ \frac{3\pi}{4} & \text{if } n_1 = \text{Inf} \wedge n_2 = \text{-Inf} \\ -\frac{\pi}{4} & \text{if } n_1 = \text{-Inf} \wedge n_2 = \text{Inf} \\ -\frac{3\pi}{4} & \text{if } n_1 = \text{-Inf} \wedge v_2 = \text{-Inf} \\ native.atan2(n_1) & \text{otherwise} \end{cases}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Number.ceil”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto n_2]], A)$
where $n_1 = \textit{toNumber}(\textit{toPrimitive}(\textit{getArgValue}(args, \text{“0”})))$

$$n_2 = \begin{cases} n_1 & \text{if } n_1 \in \{ \text{ NaN, Inf, -Inf } \} \\ native.ceil(n_1) & \text{otherwise} \end{cases}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Number.cos”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto n_2]], A)$
where $n_1 = \textit{toNumber}(\textit{toPrimitive}(\textit{getArgValue}(args, \text{“0”})))$

$$n_2 = \begin{cases} \text{NaN} & \text{if } n_1 \in \{ \text{NaN}, \text{Inf}, \text{-Inf} \} \\ native.cos(n_1) & \text{otherwise} \end{cases}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Number.exp”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto n_2]], A)$
where $n_1 = \textit{toNumber}(\textit{toPrimitive}(\textit{getArgValue}(args, \text{“0”})))$

$$n_2 = \begin{cases} n_1 & \text{if } n_1 \in \{ \text{NaN}, \text{Inf} \} \\ 0 & \text{if } n_1 = \text{-Inf} \\ native.exp(n_1) & \text{otherwise} \end{cases}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Number.floor”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto n_2]], A)$
where $n_1 = \textit{toNumber}(\textit{toPrimitive}(\textit{getArgValue}(args, \text{“0”})))$

$$n_2 = \begin{cases} n_1 & \text{if } n_1 \in \{ \text{NaN}, \text{Inf}, \text{-Inf} \} \\ native.floor(n_1) & \text{otherwise} \end{cases}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Number.log”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto n_2]], A)$
where $n_1 = \textit{toNumber}(\textit{toPrimitive}(\textit{getArgValue}(args, \text{“0”})))$

$$n_2 = \begin{cases} \text{NaN} & \text{if } n_1 \in \{ \text{NaN}, \text{-Inf}, n \mid n < 0 \} \\ \text{Inf} & \text{if } n_1 = \text{Inf} \\ \text{-Inf} & \text{if } n_1 = 0 \\ native.log(n_1) & \text{otherwise} \end{cases}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Number.max”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto n]], A)$
where $v_{len} = \textit{getArgValue}(args, \text{“}length\text{”}) \wedge n_i = \textit{toNumber}(\textit{toPrimitive}(\textit{getArgValue}(args, \text{“}i\text{”})))$

$$n = \begin{cases} \text{-Inf} & \text{if } v_{len} = 0 \\ \text{NaN} & \text{if } \exists i \in \{0, ..., v_{len}\} : n_i = \text{NaN} \\ n_{i_1} & \text{if } \exists i_1 \in \{0, ..., v_{len}\} : \forall i_2 \in \{0, ..., v_{len}\} : n_{i_1} \geq n_{i_2} \end{cases}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Number.min”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto n]], A)$
where $v_{len} = \textit{getArgValue}(args, \text{“}length\text{”}) \wedge n_i = \textit{toNumber}(\textit{toPrimitive}(\textit{getArgValue}(args, \text{“}i\text{”})))$

$$n = \begin{cases} \text{-Inf} & \text{if } v_{len} = 0 \\ \text{NaN} & \text{if } \exists i \in \{0, ..., v_{len}\} : n_i = \text{NaN} \\ n_{i_1} & \text{if } \exists i_1 \in \{0, ..., v_{len}\} : \forall i_2 \in \{0, ..., v_{len}\} : n_{i_1} \leq n_{i_2} \end{cases}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Number.pow”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto n_3]], A)$
where $n_1 = \textit{toNumber}(\textit{toPrimitive}(\textit{getArgValue}(args, \text{“0”}))) \wedge n_2 = \textit{toNumber}(\textit{toPrimitive}(\textit{getArgValue}(args, \text{“1”})))$

$$n_3 = \begin{cases} \text{NaN} & \text{if } n_2 = \text{NaN} \\ 1 & \text{if } n_2 = 0 \\ \text{NaN} & \text{if } n_1 = \text{NaN} \wedge n_2 \neq 0 \\ \text{Inf} & \text{if } (n_1 > 1 \vee -n_1 > 1) \wedge n_2 = \text{Inf} \\ 0 & \text{if } (n_1 > 1 \vee -n_1 > 1) \wedge n_2 = \text{-Inf} \\ \text{NaN} & \text{if } (n_1 == 1 \vee -n_1 == 1) \wedge v_{y1} \in \{ \text{ Inf, -Inf } \} \\ 0 & \text{if } (n_1 < 1 \vee -n_1 < 1) \wedge v_{y1} = \text{Inf} \\ \text{Inf} & \text{if } (n_1 < 1 \vee -n_1 < 1) \wedge v_{y1} = \text{-Inf} \\ \text{Inf} & \text{if } n_1 = \text{Inf} \wedge n_2 > 0 \\ 0 & \text{if } n_1 = \text{Inf} \wedge n_2 < 0 \\ \text{-Inf} & \text{if } n_1 = \text{-Inf} \wedge n_2 > 0 \wedge n_2 \neq \text{Inf} \wedge n_2 \% 2 = 1 \\ \text{Inf} & \text{if } n_1 = \text{-Inf} \wedge n_2 > 0 \wedge n_2 \neq \text{Inf} \wedge n_2 \% 2 = 0 \\ 0 & \text{if } n_1 = \text{-Inf} \wedge v_{y1} < 0 \\ 0 & \text{if } n_1 = 0 \wedge n_2 > 0 \\ \text{Inf} & \text{if } n_1 = 0 \wedge n_2 < 0 \\ \text{NaN} & \text{if } v_{x1} < 0 \wedge v_{x1} \neq \text{-Inf} \wedge v_{y1} \neq \{ \text{ Inf, -Inf } \} \wedge \neg isInt(v_{y1}) \\ native.pow(n_1) & \text{otherwise} \end{cases}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Number.random”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto n]], A)$
where $n = native.random()$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Number.round”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto n_2]], A)$
where $n_1 = \textit{toNumber}(\textit{toPrimitive}(\textit{getArgValue}(args, \text{“0”})))$

$$n_2 = \begin{cases} n_1 & \text{if } n_1 \in \{ \text{ NaN, Inf, -Inf } \} \\ native.round(n_1) & \text{otherwise} \end{cases}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Number.sin”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto n_2]], A)$
where $n_1 = \textit{toNumber}(\textit{toPrimitive}(\textit{getArgValue}(args, \text{“0”})))$

$$n_2 = \begin{cases} \text{NaN} & \text{if } n_1 \in \{ \text{ NaN, Inf, -Inf } \} \\ native.sin(n_1) & \text{otherwise} \end{cases}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Number.sqrt”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto n_2]], A)$
where $n_1 = \textit{toNumber}(\textit{toPrimitive}(\textit{getArgValue}(args, \text{“0”})))$

$$n_2 = \begin{cases} n_1 & \text{if } n_1 \in \{ \text{ NaN, Inf } \} \\ \text{NaN} & \text{if } n_1 < 0 \vee n_1 = \text{-Inf} \\ native.sqrt(n_1) & \text{otherwise} \end{cases}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Number.tan”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto n_2]], A)$
where $n_1 = \textit{toNumber}(\textit{toPrimitive}(\textit{getArgValue}(args, \text{“0”})))$

$$n_2 = \begin{cases} \text{NaN} & \text{if } n_1 \in \{ \text{ NaN, Inf, -Inf } \} \\ native.tan(n_1) & \text{otherwise} \end{cases}$$

11.1.16 Date

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.constructor”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$
where $getArgValue(args, \text{“length”}) = 0$
$\wedge\ n = native.Calendar.getInstance().getTimeInMillis()$ *// java, scala*
$\wedge\ o = NewDateObject(n) \wedge l = newLocation() \wedge H_1 = H[l \mapsto o]$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.constructor”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$
where $getArgValue(args, \text{“length”}) = 1 \wedge v = getArgValue(args, \text{“0”}) \wedge v \in \text{String}$
$\wedge\ o = NewDateObject(v) \wedge l = newLocation() \wedge H_1 = H[l \mapsto o]$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.constructor”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$
where $getArgValue(args, \text{“length”}) = 1 \wedge v = getArgValue(args, \text{“0”}) \wedge v \notin \text{String}$
$\wedge\ n = ToNumber(ToPrimitive(v)) \wedge o = NewDateObject(TimeClip(n)) \wedge l = newLocation() \wedge H_1 = H[l \mapsto o]$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.constructor”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$
where $n_{arglen} = getArgValue(args, \text{“length”}) \wedge n_{arglen} > 1$
$\wedge\ n_1 = ToNumber(ToPrimitive(getArgValue(args, \text{“0”})))$
$\wedge\ n_{year} = \begin{cases} n_1 + 1900 & \text{if } n_1 \neq \text{NaN} \wedge 0 \leq n_1 \wedge n_1 \leq 99 \\ n_1 & \text{otherwise} \end{cases}$
$\wedge\ n_{month} = ToNumber(ToPrimitive(getArgValue(args, \text{“1”})))$
$\wedge\ n_{date} = \begin{cases} ToNumber(ToPrimitive(getArgValue(args, \text{“2”}))) & \text{if } n_{arglen} > 2 \\ 1 & \text{otherwise} \end{cases}$
$\wedge\ n_{hour} = \begin{cases} ToNumber(ToPrimitive(getArgValue(args, \text{“3”}))) & \text{if } n_{arglen} > 3 \\ 0 & \text{otherwise} \end{cases}$
$\wedge\ n_{min} = \begin{cases} ToNumber(ToPrimitive(getArgValue(args, \text{“4”}))) & \text{if } n_{arglen} > 4 \\ 0 & \text{otherwise} \end{cases}$
$\wedge\ n_{sec} = \begin{cases} ToNumber(ToPrimitive(getArgValue(args, \text{“5”}))) & \text{if } n_{arglen} > 5 \\ 0 & \text{otherwise} \end{cases}$
$\wedge\ n_{ms} = \begin{cases} ToNumber(ToPrimitive(getArgValue(args, \text{“6”}))) & \text{if } n_{arglen} > 6 \\ 0 & \text{otherwise} \end{cases}$
$\wedge\ n = MakeDate(MakeDay(n_{year}, n_{month}, n_{date}), MakeTime(n_{hour}, n_{min}, n_{sec}, n_{ms}))$
$\wedge\ o = NewDateObject(v) \wedge l = newLocation() \wedge H_1 = H[l \mapsto o]$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.now”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto n]], A)$
where $n = native.Calendar.getInstance().getTimeInMillis()$ *// java, scala*

11.1.17 Date.prototype

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.toString”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto s]], A)$
where $v_1 = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_2 = H(v_1)(@primitive) \wedge s = (native.util.Date(v_2)).toString()$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.toDateString”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto s]], A)$
where $v_1 = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_2 = H(v_1)(@primitive) \wedge s = (native.util.Date(v_2)).toString()$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.toTimeString”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto s]], A)$
where $v_1 = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_2 = H(v_1)(@primitive) \wedge s = (native.util.Date(v_2)).toString()$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.toLocaleString”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto s]], A)$
where $v_1 = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_2 = H(v_1)(@primitive) \wedge s = (native.util.Date(v_2)).toString()$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.toLocaleDateString”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto s]], A)$
where $v_1 = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_2 = H(v_1)(@primitive) \wedge s = (native.util.Date(v_2)).toString()$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.toLocaleTimeString”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto s]], A)$
where $v_1 = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_2 = H(v_1)(@primitive) \wedge s = (native.util.Date(v_2)).toString()$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.valueOf”}, args)]\!](H, A) = (H[\#temp \mapsto 1(\#temp)[@return \mapsto v_2]], A)$
where $v_1 = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_2 = H(v_1)(@primitive)$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getTime”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto v_2]], A)$
where $v_1 = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_2 = H(v_1)(@primitive)$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getFullYear”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive)$

$$v = \begin{cases} \mathsf{NaN} & \text{if } v_{time} = \mathsf{NaN} \\ native.Calendar(v_{time}).get(YEAR) & \text{otherwise} \end{cases}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCFullYear”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive)$

$$v = \begin{cases} \mathsf{NaN} & \text{if } v_{time} = \mathsf{NaN} \\ native.Calendar(v_{time}).get(YEAR) & \text{otherwise} \end{cases}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getMonth”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive)$

$$v = \begin{cases} \mathsf{NaN} & \text{if } v_{time} = \mathsf{NaN} \\ native.Calendar(v_{time}).get(MONTH) & \text{otherwise} \end{cases}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCMonth”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive)$

$$v = \begin{cases} \mathsf{NaN} & \text{if } v_{time} = \mathsf{NaN} \\ native.Calendar(v_{time}).get(MONTH) & \text{otherwise} \end{cases}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getDate”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive)$

$$v = \begin{cases} \text{NaN} & \text{if } v_{time} = \text{NaN} \\ native.Calendar(v_{time}).get(\textit{DAY\_OF\_MONTH}) & \text{otherwise} \end{cases}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCDate”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive)$

$$v = \begin{cases} \text{NaN} & \text{if } v_{time} = \text{NaN} \\ native.Calendar(v_{time}).get(\textit{DAY\_OF\_MONTH}) & \text{otherwise} \end{cases}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getDay”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive)$

$$v = \begin{cases} \text{NaN} & \text{if } v_{time} = \text{NaN} \\ native.Calendar(v_{time}).get(\textit{DAY\_OF\_WEEK}) - 1 & \text{otherwise} \end{cases}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCDay”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive)$

$$v = \begin{cases} \text{NaN} & \text{if } v_{time} = \text{NaN} \\ native.Calendar(v_{time}).get(\textit{DAY\_OF\_WEEK}) - 1 & \text{otherwise} \end{cases}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getHours”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive)$

$$v = \begin{cases} \text{NaN} & \text{if } v_{time} = \text{NaN} \\ native.Calendar(v_{time}).get(\textit{HOURS}) & \text{otherwise} \end{cases}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCHours”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive)$

$$v = \begin{cases} \text{NaN} & \text{if } v_{time} = \text{NaN} \\ native.Calendar(v_{time}).get(\textit{HOURS}) & \text{otherwise} \end{cases}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getMinutes”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive)$

$$v = \begin{cases} \text{NaN} & \text{if } v_{time} = \text{NaN} \\ native.Calendar(v_{time}).get(\textit{MINUTE}) & \text{otherwise} \end{cases}$$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCMinutes”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive)$

$$v = \begin{cases} \text{NaN} & \text{if } v_{time} = \text{NaN} \\ native.Calendar(v_{time}).get(\textit{MINUTE}) & \text{otherwise} \end{cases}$$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getMinutes”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto v]], A)$$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive)$

$$v = \begin{cases} \text{NaN} & \text{if } v_{time} = \text{NaN} \\ native.Calendar(v_time).get(\textit{MINUTE}) & \text{otherwise} \end{cases}$$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCMinutes”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto v]], A)$$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive)$

$$v = \begin{cases} \text{NaN} & \text{if } v_{time} = \text{NaN} \\ native.Calendar(v_{time}).get(\textit{MINUTE}) & \text{otherwise} \end{cases}$$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getSeconds”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto v]], A)$$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive)$

$$v = \begin{cases} \text{NaN} & \text{if } v_{time} = \text{NaN} \\ native.Calendar(v_time).get(\textit{SECOND}) & \text{otherwise} \end{cases}$$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCSeconds”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto v]], A)$$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive)$

$$v = \begin{cases} \text{NaN} & \text{if } v_{time} = \text{NaN} \\ native.Calendar(v_{time}).get(\textit{SECOND}) & \text{otherwise} \end{cases}$$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getMilliseconds”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto v]], A)$$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive)$

$$v = \begin{cases} \text{NaN} & \text{if } v_{time} = \text{NaN} \\ native.Calendar(v_time).get(\textit{MILLISECOND}) & \text{otherwise} \end{cases}$$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCMilliseconds”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto v]], A)$$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive)$

$$v = \begin{cases} \text{NaN} & \text{if } v_{time} = \text{NaN} \\ native.Calendar(v_{time}).get(\textit{MILLISECOND}) & \text{otherwise} \end{cases}$$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getTimeZoneOffset”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto v]], A)$$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive)$

$$v = \begin{cases} \text{NaN} & \text{if } v_{time} = \text{NaN} \\ native.Calendar(v_{time}).get(\textit{ZONE\_OFFSET}) & \text{otherwise} \end{cases}$$

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.setTime”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto v]], A)$$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v = \textit{ToNumber}(\textit{getArgValue}(args, \text{“0”}))$
$\wedge\ H_1 = H[v_{this} \mapsto H(v_{this})[@ \mapsto v]]$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.setMilliseconds”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive) \wedge v_{arg} = \mathit{ToNumber}(\mathit{getArgValue}(args, \text{“0”}))$
$\wedge\ v = native.Calendar(v_{time}).set(\mathit{MILLISECOND}, v_{arg}).getTimeInMillis()$
$\wedge\ H_1 = H[v_{this} \mapsto H(v_{this})[@ \mapsto v]]$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.setUTCMilliseconds”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive) \wedge v_{arg} = \mathit{ToNumber}(\mathit{getArgValue}(args, \text{“0”}))$
$\wedge\ v = native.Calendar(v_{time}).set(\mathit{MILLISECOND}, v_{arg}).getTimeInMillis()$
$\wedge\ H_1 = H[v_{this} \mapsto H(v_{this})[@ \mapsto v]]$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.setSeconds”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive) \wedge v_{arg} = \mathit{ToNumber}(\mathit{getArgValue}(args, \text{“0”}))$
$\wedge\ v = native.Calendar(v_{time}).set(\mathit{SECOND}, v_{arg}).getTimeInMillis()$
$\wedge\ H_1 = H[v_{this} \mapsto H(v_{this})[@ \mapsto v]]$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.setUTCSeconds”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive) \wedge v_{arg} = \mathit{ToNumber}(\mathit{getArgValue}(args, \text{“0”}))$
$\wedge\ v = native.Calendar(v_{time}).set(\mathit{SECOND}, v_{arg}).getTimeInMillis()$
$\wedge\ H_1 = H[v_{this} \mapsto H(v_{this})[@ \mapsto v]]$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.setMinutes”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive) \wedge v_{arg} = \mathit{ToNumber}(\mathit{getArgValue}(args, \text{“0”}))$
$\wedge\ v = native.Calendar(v_{time}).set(\mathit{MINUTE}, v_{arg}).getTimeInMillis()$
$\wedge\ H_1 = H[v_{this} \mapsto H(v_{this})[@ \mapsto v]]$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.setUTCMinutes”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive) \wedge v_{arg} = \mathit{ToNumber}(\mathit{getArgValue}(args, \text{“0”}))$
$\wedge\ v = native.Calendar(v_{time}).set(\mathit{MINUTE}, v_{arg}).getTimeInMillis()$
$\wedge\ H_1 = H[v_{this} \mapsto H(v_{this})[@ \mapsto v]]$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.setHours”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive) \wedge v_{arg} = \mathit{ToNumber}(\mathit{getArgValue}(args, \text{“0”}))$
$\wedge\ v = native.Calendar(v_{time}).set(\mathit{HOURS}, v_{arg}).getTimeInMillis()$
$\wedge\ H_1 = H[v_{this} \mapsto H(v_{this})[@ \mapsto v]]$

$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.setUTCHours”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive) \wedge v_{arg} = \mathit{ToNumber}(\mathit{getArgValue}(args, \text{“0”}))$
$\wedge\ v = native.Calendar(v_{time}).set(\mathit{HOURS}, v_{arg}).getTimeInMillis()$
$\wedge\ H_1 = H[v_{this} \mapsto H(v_{this})[@ \mapsto v]]$

$\mathcal{I}_{cp}[\![\textsf{BuiltintCall}(\text{“Date.prototype.setDate”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive) \wedge v_{arg} = \textit{ToNumber}(\textit{getArgValue}(args, \text{“0”}))$
$\wedge\ v = native.Calendar(v_{time}).set(\textit{DAY\_OF\_MONTH}, v_{arg}).getTimeInMillis()$
$\wedge\ H_1 = H[v_{this} \mapsto H(v_{this})[@ \mapsto v]]$

$\mathcal{I}_{cp}[\![\textsf{BuiltintCall}(\text{“Date.prototype.setUTCDate”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive) \wedge v_{arg} = \textit{ToNumber}(\textit{getArgValue}(args, \text{“0”}))$
$\wedge\ v = native.Calendar(v_{time}).set(\textit{DAY\_OF\_MONTH}, v_{arg}).getTimeInMillis()$
$\wedge\ H_1 = H[v_{this} \mapsto H(v_{this})[@ \mapsto v]]$

$\mathcal{I}_{cp}[\![\textsf{BuiltintCall}(\text{“Date.prototype.setMonth”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive) \wedge v_{arg} = \textit{ToNumber}(\textit{getArgValue}(args, \text{“0”}))$
$\wedge\ v = native.Calendar(v_{time}).set(\textit{MONTH}, v_{arg}).getTimeInMillis()$
$\wedge\ H_1 = H[v_{this} \mapsto H(v_{this})[@ \mapsto v]]$

$\mathcal{I}_{cp}[\![\textsf{BuiltintCall}(\text{“Date.prototype.setUTCMonth”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive) \wedge v_{arg} = \textit{ToNumber}(\textit{getArgValue}(args, \text{“0”}))$
$\wedge\ v = native.Calendar(v_{time}).set(\textit{MONTH}, v_{arg}).getTimeInMillis()$
$\wedge\ H_1 = H[v_{this} \mapsto H(v_{this})[@ \mapsto v]]$

$\mathcal{I}_{cp}[\![\textsf{BuiltintCall}(\text{“Date.prototype.setFullYear”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive) \wedge v_{arg} = \textit{ToNumber}(\textit{getArgValue}(args, \text{“0”}))$
$\wedge\ v = native.Calendar(v_{time}).set(\textit{YEAR}, v_{arg}).getTimeInMillis()$
$\wedge\ H_1 = H[v_{this} \mapsto H(v_{this})[@ \mapsto v]]$

$\mathcal{I}_{cp}[\![\textsf{BuiltintCall}(\text{“Date.prototype.setUTCFullYear”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto v]], A)$
where $v_{this} = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_{time} = H(v_{this})(@primitive) \wedge v_{arg} = \textit{ToNumber}(\textit{getArgValue}(args, \text{“0”}))$
$\wedge\ v = native.Calendar(v_{time}).set(\textit{YEAR}, v_{arg}).getTimeInMillis()$
$\wedge\ H_1 = H[v_{this} \mapsto H(v_{this})[@ \mapsto v]]$

$\mathcal{I}_{cp}[\![\textsf{BuiltintCall}(\text{“Date.prototype.toUTCString”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto s]], A)$
where $v_1 = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_2 = H(v_1)(@primitive) \wedge s = (native.util.Date(v_2)).toString()$

$\mathcal{I}_{cp}[\![\textsf{BuiltintCall}(\text{“Date.prototype.toISOString”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto s]], A)$
where $v_1 = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v_2 = H(v_1)(@primitive) \wedge s = (native.util.Date(v_2)).toString()$

11.1.18 RegExp

$$
\begin{array}{l}
\mathcal{I}_{cp}[\![\mathsf{BuiltinCall}(\text{“}RegExp\text{”}, args)]\!](H, A) = (H_1, A) \\
\quad \text{if } \ v_1 \in \mathsf{Loc} \ \wedge \ H(v_1)(@class) = \text{“}RegExp\text{”} \ \wedge \ v_2 = \mathsf{undefined} \\
\quad \text{where } \ v_1 = \mathit{getArgValue}(args, \text{“0”}) \ \wedge \ v_2 = \mathit{getArgValue}(args, \text{“1”}) \\
\qquad \wedge \ H_1 = H[\#temp \mapsto H(\#temp)[@return \mapsto v_1]] \\
\mathcal{I}_{cp}[\![\mathsf{BuiltinCall}(\text{“}RegExp\text{”}, args)]\!](H, A) = \mathcal{I}_{cp}[\![\mathsf{BuiltinCall}(\text{“}RegExp.constructor\text{”}, args)]\!](H, A)
\end{array}
$$

$$
\begin{array}{l}
\mathcal{I}_{cp}[\![\mathsf{BuiltinCall}(\text{“}RegExp.constructor\text{”}, args)]\!](H, A) = (H_2, A) \\
\quad \text{if } \ v_1 \in Loc \ \wedge \ H(v_1)(@class) = \text{“}RegExp\text{”} \ \wedge \ v_2 = \mathsf{undefined} \\
\quad \text{where } \ v_1 = \mathit{getArgValue}(args, \text{“0”}) \ \wedge \ v_2 = \mathit{getArgValue}(args, \text{“1”}) \\
\qquad \wedge \ v_{source} = H(v_1)(\text{“}source\text{”}) \\
\qquad \wedge \ b_g = H(v_1)(\text{“}global\text{”}) \\
\qquad \wedge \ b_i = H(v_1)(\text{“}ignoreCase\text{”}) \\
\qquad \wedge \ b_m = H(v_1)(\text{“}multiline\text{”}) \\
\qquad \wedge \ mid = H(v_1)(@matcher) \\
\qquad \wedge \ o = \underline{\mathsf{NewRegExp}}(v_{source}, b_g, b_i, b_m, mid) \\
\qquad \wedge \ l = \mathit{NewLocation}() \\
\qquad \wedge \ H_1 = H[l \mapsto o] \\
\qquad \wedge \ H_2 = H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]] \\
\mathcal{I}_{cp}[\![\mathsf{BuiltinCall}(\text{“}RegExp.constructor\text{”}, args)]\!](H, A) = (H_1, A) \\
\quad \text{if } \ v_1 \in Loc \ \wedge \ H(v_1)(@class) = \text{“}RegExp\text{”} \ \wedge \ v_2 \neq \mathsf{undefined} \\
\quad \text{where } \ v_1 = \mathit{getArgValue}(args, \text{“0”}) \ \wedge \ v_2 = \mathit{getArgValue}(args, \text{“1”}) \\
\qquad \wedge \ H_1 = \underline{\mathsf{RaiseException}}(H, \mathsf{TypeError}) \\
\mathcal{I}_{cp}[\![\mathsf{BuiltinCall}(\text{“}RegExp.constructor\text{”}, args)]\!](H, A) = (H_1, A) \\
\quad \text{if } \ v_1 \notin Loc \ \wedge \ v_{match} \in \mathsf{MatcherId} \\
\quad \text{where } \ v_1 = \mathit{getArgValue}(args, \text{“0”}) \ \wedge \ v_2 = \mathit{getArgValue}(args, \text{“1”}) \\
\qquad \wedge \ v_P = \begin{cases} \text{“”} & \text{if } \ v_1 = \mathsf{undefined} \\ \underline{\mathsf{toString}}(v_1) & \text{otherwise} \end{cases} \\
\qquad \wedge \ v_F = \begin{cases} \text{“”} & \text{if } \ v_2 = \mathsf{undefined} \\ \underline{\mathsf{toString}}(v_2) & \text{otherwise} \end{cases} \\
\qquad \wedge \ v_{match} = \underline{\mathsf{RegExpParser}}(v_P, v_F) \\
\qquad \wedge \ o = \underline{\mathsf{NewRegExp}}(v_{source}, b_g, b_i, b_m, v_{match}) \\
\qquad \wedge \ l = \mathit{NewLocation}() \\
\qquad \wedge \ H_1 = H[l \mapsto o] \\
\mathcal{I}_{cp}[\![\mathsf{BuiltinCall}(\text{“}RegExp.constructor\text{”}, args)]\!](H, A) = (H_1, A) \\
\quad \text{if } \ v_1 \notin Loc \ \wedge \ exc \in \mathsf{Exception} \\
\quad \text{where } \ v_1 = \mathit{getArgValue}(args, \text{“0”}) \ \wedge \ v_2 = \mathit{getArgValue}(args, \text{“1”}) \\
\qquad \wedge \ v_P = \begin{cases} \text{“”} & \text{if } \ v_1 = \mathsf{undefined} \\ \underline{\mathsf{toString}}(v_1) & \text{otherwise} \end{cases} \\
\qquad \wedge \ v_F = \begin{cases} \text{“”} & \text{if } \ v_2 = \mathsf{undefined} \\ \underline{\mathsf{toString}}(v_2) & \text{otherwise} \end{cases} \\
\qquad \wedge \ exc = \underline{\mathsf{RegExpParser}}(v_P, v_F) \\
\qquad \wedge \ H_1 = \underline{\mathsf{RaiseException}}(H, exc)
\end{array}
$$

11.1.19 RegExp.prototype

$$
\begin{array}{l}
\mathcal{I}_{cp}[\![\mathsf{BuiltinCall}(\text{“}RegExp.prototype.exec\text{”}, args)]\!](H, A) = (H_3, A) \\
\quad \text{if } \ v_{exec} \in \mathit{Object} \times \mathsf{Int} \\
\quad \text{where } \ v_1 = \mathit{getArgValue}(args, \text{“0”}) \\
\qquad \wedge\, v_R = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \ \wedge\ v_S = \underline{\mathsf{toString}}(v_1) \\
\qquad \wedge\, v_{lastIndex} = H(v_R)(\text{“}lastIndex\text{”}) \ \wedge\ i = \underline{\mathsf{ToInteger}}(v_{lastIndex}) \\
\qquad \wedge\, v_g = H(v_R)(\text{“}global\text{”}) \\
\qquad \wedge\, v_i = H(v_R)(\text{“}ignoreCase\text{”}) \\
\qquad \wedge\, v_m = H(v_R)(\text{“}multiline\text{”}) \\
\qquad \wedge\, mid = H(v_R)(@matcher) \\
\qquad \wedge\, v_{exec} = \underline{\mathsf{exec}}(mid, v_S, i, v_g, v_i, v_m) \\
\qquad \wedge\, l = \mathit{NewLocation}() \\
\qquad \wedge\, H_1 = H[l \mapsto v_{exec}.1] \\
\qquad \wedge\, H_2 = \begin{cases} H_1[v_R \mapsto H_1(v_R)[\text{“}lastIndex\text{”} \mapsto v_{exec}.2]] & \text{if } \ v_g = \mathsf{true} \\ H_1 & \text{otherwise} \end{cases} \\
\qquad \wedge\, H_3 = H_2[\#temp \mapsto H_1(\#temp)[@return \mapsto l]]
\end{array}
$$

$$
\begin{array}{l}
\mathcal{I}_{cp}[\![\mathsf{BuiltinCall}(\text{“}RegExp.prototype.exec\text{”}, args)]\!](H, A) = (H_1, A) \\
\quad \text{if } \ v_{exec} = \mathsf{null} \\
\quad \text{where } \ v_1 = \mathit{getArgValue}(args, \text{“0”}) \\
\qquad \wedge\, v_R = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \ \wedge\ v_S = \underline{\mathsf{toString}}(v_1) \\
\qquad \wedge\, v_{lastIndex} = H(v_R)(\text{“}lastIndex\text{”}) \ \wedge\ i = \underline{\mathsf{ToInteger}}(v_{lastIndex}) \\
\qquad \wedge\, v_g = H(v_R)(\text{“}global\text{”}) \\
\qquad \wedge\, v_i = H(v_R)(\text{“}ignoreCase\text{”}) \\
\qquad \wedge\, v_m = H(v_R)(\text{“}multiline\text{”}) \\
\qquad \wedge\, mid = H(v_R)(@matcher) \\
\qquad \wedge\, v_{exec} = \underline{\mathsf{exec}}(mid, v_S, i, v_g, v_i, v_m) \\
\qquad \wedge\, H_1 = H[\#temp \mapsto H_1(\#temp)[@return \mapsto \mathsf{null}]]
\end{array}
$$

$$
\begin{array}{l}
\mathcal{I}_{cp}[\![\mathsf{BuiltinCall}(\text{“}RegExp.prototype.exec\text{”}, args)]\!](H, A) = (H_1, A) \\
\quad \text{where } \ v_1 = \mathit{getArgValue}(args, \text{“0”}) \\
\qquad \wedge\, v_R = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \ \wedge\ v_S = \underline{\mathsf{toString}}(v_1) \\
\qquad \wedge\, v_{lastIndex} = H(v_R)(\text{“}lastIndex\text{”}) \ \wedge\ i = \underline{\mathsf{ToInteger}}(v_{lastIndex}) \\
\qquad \wedge\, v_g = H(v_R)(\text{“}global\text{”}) \\
\qquad \wedge\, v_i = H(v_R)(\text{“}ignoreCase\text{”}) \\
\qquad \wedge\, v_m = H(v_R)(\text{“}multiline\text{”}) \\
\qquad \wedge\, mid = H(v_R)(@matcher) \\
\qquad \wedge\, v_{exec} = \underline{\mathsf{exec}}(mid, v_S, i, v_g, v_i, v_m) \\
\qquad \wedge\, v_{return} = \begin{cases} \mathsf{true} & \text{if } \ v_{exec} \neq \mathsf{null} \\ \mathsf{false} & \text{otherwise} \end{cases} \\
\qquad \wedge\, H_1 = H[\#temp \mapsto H_1(\#temp)[@return \mapsto v_{return}]]
\end{array}
$$

$$
\begin{array}{l}
\mathcal{I}_{cp}[\![\mathsf{BuiltinCall}(\text{“}RegExp.prototype.toString\text{”}, args)]\!](H, A) = (H_1, A) \\
\quad \text{where } \ v_R = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \\
\qquad \wedge\, v_{src} = H(v_R)(\text{“}source\text{”}) \\
\qquad \wedge\, v_g = H(v_R)(\text{“}global\text{”}) \\
\qquad \wedge\, v_i = H(v_R)(\text{“}ignoreCase\text{”}) \\
\qquad \wedge\, v_m = H(v_R)(\text{“}multiline\text{”}) \\
\qquad \wedge\, s_1 = \begin{cases} \text{“}g\text{”} & \text{if } \ v_g = \mathsf{true} \\ \text{“”} & \text{otherwise} \end{cases} \\
\qquad \wedge\, s_2 = \begin{cases} \text{“}i\text{”} & \text{if } \ v_i = \mathsf{true} \\ \text{“”} & \text{otherwise} \end{cases} \\
\qquad \wedge\, s_3 = \begin{cases} \text{“}m\text{”} & \text{if } \ v_m = \mathsf{true} \\ \text{“”} & \text{otherwise} \end{cases} \\
\qquad \wedge\, v_{return} = \text{“/”} + v_{src} + \text{“/”} + s_1 + s_2 + s_3 \\
\qquad \wedge\, H_1 = H[\#temp \mapsto H_1(\#temp)[@return \mapsto v_{return}]]
\end{array}
$$

11.1.20 Error

$$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“Error.constructor”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$$
where $\mathit{getArgValue}(args, \text{“}length\text{”}) < 1 \wedge l = \mathit{NewLocation}()$
$$\wedge\, o = \left\{ \begin{array}{ll} @class \mapsto \text{“}Error\text{”}, & @proto \mapsto \#ErrorProto, \\ @extensible \mapsto \mathsf{true} & \end{array} \right\} \wedge H_1 = H\,[l \mapsto o]$$
$$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“Error.constructor”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge \mathit{getArgValue}(args, \text{“}length\text{”}) \geq 1 \wedge l = \mathit{NewLocation}()$
$$\wedge\, o = \left\{ \begin{array}{ll} @class \mapsto \text{“}Error\text{”}, & @proto \mapsto \#ErrorProto, \\ @extensible \mapsto \mathsf{true}, & message \mapsto \mathit{toString}(\mathit{toPrimitive}(v)) \end{array} \right\}$$
$$\wedge H_1 = H\,[l \mapsto o]$$

11.1.21 Error.prototype

$$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“Error.prototype.toString”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@exception \mapsto l_e]], A)$$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \notin \mathsf{Loc} \wedge l_e = \mathit{newLocation}() \wedge\ H_2 = H_1[l_e \mapsto \mathit{NewExceptionObject}(\mathsf{TypeError})]$
$$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“Error.prototype.toString”}, args)]\!](H, A) = (H[\#temp \mapsto H(\#temp)[@return \mapsto s_3]], A)$$
where $v = \mathcal{V}_{cp}[\![\texttt{this}]\!](H, A) \wedge v \in \mathsf{Loc}$
$$s_1 = \left\{ \begin{array}{ll} H(v)(\text{“}name\text{”}) & \text{if } H(v)(\text{“}name\text{”}) \neq \mathsf{undefined} \\ \text{“}Error\text{”} & \text{otherwise} \end{array} \right.$$
$$s_2 = \left\{ \begin{array}{ll} \mathit{toString}(\mathit{toPrimitive}(H(v)(\text{“}message\text{”}))) & \text{if } H(v)(\text{“}message\text{”}) \neq \mathsf{undefined} \\ \text{“”} & \text{otherwise} \end{array} \right.$$
$$s_3 = \left\{ \begin{array}{ll} s_2 & \text{if } s_1 = \text{“”} \\ s_1 & \text{if } s_2 = \text{“”} \\ s_1 + \text{“ : ”} + s_2 & \text{otherwise} \end{array} \right.$$

11.1.22 EvalError

$$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“Error.constructor”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$$
where $\mathit{getArgValue}(args, \text{“}length\text{”}) < 1 \wedge l = \mathit{NewLocation}()$
$$\wedge\, o = \left\{ \begin{array}{ll} @class \mapsto \text{“}Error\text{”}, & @proto \mapsto \#EvalErrorProto, \\ @extensible \mapsto \mathsf{true} & \end{array} \right\} \wedge H_1 = H\,[l \mapsto o]$$
$$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“Error.constructor”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge \mathit{getArgValue}(args, \text{“}length\text{”}) \geq 1 \wedge l = \mathit{NewLocation}()$
$$\wedge\, o = \left\{ \begin{array}{ll} @class \mapsto \text{“}Error\text{”}, & @proto \mapsto \#EvalErrorProto, \\ @extensible \mapsto \mathsf{true}, & message \mapsto \mathit{toString}(\mathit{toPrimitive}(v)) \end{array} \right\}$$
$$\wedge H_1 = H\,[l \mapsto o]$$

11.1.23 RangeError

$$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“Error.constructor”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$$
where $\mathit{getArgValue}(args, \text{“}length\text{”}) < 1 \wedge l = \mathit{NewLocation}()$
$$\wedge\, o = \left\{ \begin{array}{ll} @class \mapsto \text{“}Error\text{”}, & @proto \mapsto \#RangeErrorProto, \\ @extensible \mapsto \mathsf{true} & \end{array} \right\} \wedge H_1 = H\,[l \mapsto o]$$
$$\mathcal{I}_{cp}[\![\mathsf{BuiltintCall}(\text{“Error.constructor”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge \mathit{getArgValue}(args, \text{“}length\text{”}) \geq 1 \wedge l = \mathit{NewLocation}()$
$$\wedge\, o = \left\{ \begin{array}{ll} @class \mapsto \text{“}Error\text{”}, & @proto \mapsto \#RangeErrorProto, \\ @extensible \mapsto \mathsf{true}, & message \mapsto \mathit{toString}(\mathit{toPrimitive}(v)) \end{array} \right\}$$
$$\wedge H_1 = H\,[l \mapsto o]$$

11.1.24 ReferenceError

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Error.constructor”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$$
where $\mathit{getArgValue}(args, \text{“}length\text{”}) < 1 \wedge l = \mathit{NewLocation}()$
$$\wedge\, o = \left\{ \begin{array}{ll} @class \mapsto \text{“}Error\text{”}, & @proto \mapsto \#ReferenceErrorProto, \\ @extensible \mapsto \text{true} & \end{array} \right\} \wedge H_1 = H\,[l \mapsto o]$$
$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Error.constructor”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge \mathit{getArgValue}(args, \text{“}length\text{”}) \geq 1 \wedge l = \mathit{NewLocation}()$
$$\wedge\, o = \left\{ \begin{array}{lll} @class \mapsto \text{“}Error\text{”}, & @proto \mapsto \#ReferenceErrorProto, & \\ @extensible \mapsto \text{true}, & message \mapsto \mathit{toString}(\mathit{toPrimitive}(v)) & \end{array} \right\}$$
$$\wedge H_1 = H\,[l \mapsto o]$$

11.1.25 SyntaxError

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Error.constructor”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$$
where $\mathit{getArgValue}(args, \text{“}length\text{”}) < 1 \wedge l = \mathit{NewLocation}()$
$$\wedge\, o = \left\{ \begin{array}{ll} @class \mapsto \text{“}Error\text{”}, & @proto \mapsto \#SyntaxErrorProto, \\ @extensible \mapsto \text{true} & \end{array} \right\} \wedge H_1 = H\,[l \mapsto o]$$
$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Error.constructor”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge \mathit{getArgValue}(args, \text{“}length\text{”}) \geq 1 \wedge l = \mathit{NewLocation}()$
$$\wedge\, o = \left\{ \begin{array}{lll} @class \mapsto \text{“}Error\text{”}, & @proto \mapsto \#SyntaxErrorProto, & \\ @extensible \mapsto \text{true}, & message \mapsto \mathit{toString}(\mathit{toPrimitive}(v)) & \end{array} \right\}$$
$$\wedge H_1 = H\,[l \mapsto o]$$

11.1.26 TypeError

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Error.constructor”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$$
where $\mathit{getArgValue}(args, \text{“}length\text{”}) < 1 \wedge l = \mathit{NewLocation}()$
$$\wedge\, o = \left\{ \begin{array}{ll} @class \mapsto \text{“}Error\text{”}, & @proto \mapsto \#TypeErrorProto, \\ @extensible \mapsto \text{true} & \end{array} \right\} \wedge H_1 = H\,[l \mapsto o]$$
$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Error.constructor”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge \mathit{getArgValue}(args, \text{“}length\text{”}) \geq 1 \wedge l = \mathit{NewLocation}()$
$$\wedge\, o = \left\{ \begin{array}{lll} @class \mapsto \text{“}Error\text{”}, & @proto \mapsto \#TypeErrorProto, & \\ @extensible \mapsto \text{true}, & message \mapsto \mathit{toString}(\mathit{toPrimitive}(v)) & \end{array} \right\}$$
$$\wedge H_1 = H\,[l \mapsto o]$$

11.1.27 URIError

$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Error.constructor”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$$
where $\mathit{getArgValue}(args, \text{“}length\text{”}) < 1 \wedge l = \mathit{NewLocation}()$
$$\wedge\, o = \left\{ \begin{array}{ll} @class \mapsto \text{“}Error\text{”}, & @proto \mapsto \#URIErrorProto, \\ @extensible \mapsto \text{true} & \end{array} \right\} \wedge H_1 = H\,[l \mapsto o]$$
$$\mathcal{I}_{cp}[\![\text{BuiltintCall}(\text{“Error.constructor”}, args)]\!](H, A) = (H_1[\#temp \mapsto H_1(\#temp)[@return \mapsto l]], A)$$
where $v = \mathit{getArgValue}(args, \text{“0”}) \wedge \mathit{getArgValue}(args, \text{“}length\text{”}) \geq 1 \wedge l = \mathit{NewLocation}()$
$$\wedge\, o = \left\{ \begin{array}{lll} @class \mapsto \text{“}Error\text{”}, & @proto \mapsto \#URIErrorProto, & \\ @extensible \mapsto \text{true}, & message \mapsto \mathit{toString}(\mathit{toPrimitive}(v)) & \end{array} \right\}$$
$$\wedge H_1 = H\,[l \mapsto o]$$

11.2 Abstract Semantics

11.2.1 Helper

$$\widehat{\mathsf{DefineProperty}} \quad : \widehat{\mathsf{Heap}} \times \widehat{\mathsf{Loc}} \times \widehat{\mathsf{String}} \times \widehat{\mathsf{Loc}} \to \widehat{\mathsf{Heap}}$$

$$\widehat{\mathsf{ToPropertyDescriptor}}(\hat{H}, \hat{l}_1, \hat{s}, \hat{l}_2) = \hat{H}_1$$

where $\hat{H}_1 = \hat{H}[\hat{l}_1 \mapsto \hat{H}(\hat{l}_1)[\hat{s} \mapsto \langle \hat{v}_{val}, \hat{b}_w, \hat{b}_e, \hat{b}_c \rangle]]$

// skip when AccessorDescriptor

$\wedge\ \hat{v}_{val} = \widehat{\mathsf{Proto}}(\hat{H}, \hat{l}_2, \text{“}\hat{value}\text{”})$

$\wedge\ \hat{b}_w = \widehat{\mathsf{toBoolean}}(\widehat{\mathsf{Proto}}(\hat{H}, \hat{l}_2, \text{“}\hat{writable}\text{”}))$

$\wedge\ \hat{b}_e = \widehat{\mathsf{toBoolean}}(\widehat{\mathsf{Proto}}(\hat{H}, \hat{l}_2, \text{“}\hat{enumerable}\text{”}))$

$\wedge\ \hat{b}_c = \widehat{\mathsf{toBoolean}}(\widehat{\mathsf{Proto}}(\hat{H}, \hat{l}_2, \text{“}\hat{configurable}\text{”}))$

$$\widehat{\mathsf{TimeClip}} \quad : \widehat{\mathsf{Number}} \to \widehat{\mathsf{Number}}$$

$$\widehat{\mathsf{TimeClip}}(\hat{n}) = \begin{cases} \top_{Number} & \text{if } \hat{\mathsf{UInt}} \sqsubseteq \hat{n} \vee \hat{\mathsf{NUInt}} \sqsubseteq \hat{n} \\ \hat{\mathsf{NaN}} & \text{if } \hat{\text{-}\mathsf{inf}} = \hat{n} \vee \hat{\mathsf{inf}} = \hat{n} \vee \hat{\mathsf{NaN}} = \hat{n} \\ \hat{\mathsf{NaN}} & \text{if } \hat{\mathsf{NUIntSingle}}(n) = \hat{n} \wedge abs(n) > 8.64 \times 10^{15} \\ \widehat{\mathsf{toInteger}}(\hat{n}) & \text{if } \hat{\mathsf{NUIntSingle}}(n) = \hat{n} \wedge abs(n) \leq 8.64 \times 10^{15} \\ \bot_{Number} & \text{if } \hat{n} \sqsubseteq \bot_{Number} \end{cases}$$

11.2.2 Global

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“}\mathsf{isNaN}\text{”}, args)]\!]((\hat{H}_1, \hat{C}), \hat{S}) = ((\hat{H}_1, \hat{C}), \hat{S})$$

where $\hat{n} = \widehat{\mathsf{toNumber}}(\widehat{\mathsf{toPrimitive}}(\widehat{\mathsf{getArgValue}}(\text{“0”})))$

$$\wedge\ \hat{b} = \begin{cases} \hat{\mathsf{true}} & \text{if } \hat{\mathsf{NaN}} = \hat{n} \\ \hat{\mathsf{false}} & \text{if } \hat{\mathsf{NaN}} \neq \hat{n} \wedge \hat{\mathsf{NaN}} \not\sqsubseteq \hat{n} \\ \top_{bool} & \text{if } \hat{\mathsf{NaN}} \neq \hat{n} \wedge \hat{\mathsf{NaN}} \sqsubseteq \hat{n} \\ \bot_{bool} & \text{otherwise} \end{cases}$$

$\wedge\ \hat{H}_1 = \widehat{\mathsf{ReturnStore}}(\hat{H}, Value(\hat{b}))$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“}\mathsf{isFinite}\text{”}, args)]\!]((\hat{H}, \hat{C}), \hat{S}) = ((\hat{H}_1, \hat{C}), \hat{S})$$

where $\hat{n} = \widehat{\mathsf{toNumber}}(\widehat{\mathsf{toPrimitive}}(\widehat{\mathsf{getArgValue}}(\text{“0”})))$

$$\wedge\ \hat{b} = \begin{cases} \hat{\mathsf{false}} & \text{if } \hat{\mathsf{NaN}} = \hat{n} \vee \hat{\mathsf{inf}} = \hat{n} \vee \hat{\text{-}\mathsf{inf}} = \hat{n} \\ \top_{bool} & \text{if } \hat{\mathsf{NaN}} \sqsubseteq \hat{n} \vee \hat{\mathsf{inf}} \sqsubseteq \hat{n} \vee \hat{\text{-}\mathsf{inf}} \sqsubseteq \hat{n} \\ \hat{\mathsf{true}} & \text{if } \hat{\mathsf{NaN}} \not\sqsubseteq \hat{n} \wedge \hat{\mathsf{inf}} \not\sqsubseteq \hat{n} \wedge \hat{\text{-}\mathsf{inf}} \not\sqsubseteq \hat{n} \\ \bot_{bool} & \text{otherwise} \end{cases}$$

$\wedge\ \hat{H}_1 = \widehat{\mathsf{ReturnStore}}(\hat{H}, Value(\hat{b}))$

11.2.3 Object

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Object.constructor”}, args)_{\hat{a}_{new}}]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_8,\hat{C}_8),\hat{S}_1)$$

where $\hat{v} = \underline{\widehat{\mathsf{getArgValue}}}(\hat{H},\hat{C},\text{“0”})$

$$\wedge\ (\hat{v}_1,\hat{H}_1,\hat{C}_1) = \begin{cases} (Value(\hat{v}.2),\hat{H},\hat{C}) & \text{if } \hat{v}.2 \neq \{\} \\ (\bot_{value},\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$$

$$\wedge\ (\hat{v}_2,\hat{H}_2,\hat{C}_2,\hat{es}_2) = \begin{cases} (\hat{v}_4,\hat{H}_4,\hat{C}_4,\hat{es}) & \text{if } \hat{v}.1.3 \not\sqsubseteq \bot_{bool} \vee \hat{v}.1.4 \not\sqsubseteq \bot_{num} \vee \hat{v}.1.5 \not\sqsubseteq \bot_{string} \\ (\bot_{value},\bot_{heap},\bot_{context},\{\}) & \text{otherwise} \end{cases}$$

$$\wedge\ \hat{v}_{prim} = Value(PValue(\bot_{undef},\bot_{null},\hat{v}.1.3,\hat{v}.1.4,\hat{v}.1.5))$$

$$\wedge\ (\hat{v}_4,\hat{H}_4,\hat{C}_4,\hat{es}) = \underline{\widehat{\mathsf{toObject}}}(\hat{H},\hat{C},\hat{v}_{prim},\hat{a}_{new})$$

$$\wedge\ (\hat{v}_3,\hat{H}_3,\hat{C}_3) = \begin{cases} (Value(\{\hat{l}_R\}),\hat{H}_6,\hat{C}_5) & \text{if } \hat{v}.1.1 \not\sqsubseteq \bot_{undef} \vee \hat{v}.1.2 \not\sqsubseteq \bot_{null} \\ (\bot_{value},\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$$

$$\wedge\ \hat{l}_R = (\hat{a}_{new}, Recent) \wedge (\hat{H}_5,\hat{C}_5) = \underline{\widehat{\mathsf{Oldify}}}(\hat{H},\hat{C},\hat{a}_{new}) \quad \textit{// Recency Abstraction}$$

$$\wedge\ \hat{H}_6 = \underline{\widehat{\mathsf{allocObject}}}(\hat{H}_5,\{\ \hat{Obj}Proto_R\ \},\hat{l}_R)$$

$$\wedge\ (\hat{v}_7,\hat{H}_7,\hat{C}_7) = (\hat{v}_1 \sqcup \hat{v}_2 \sqcup \hat{v}_3, \hat{H}_1 \sqcup \hat{H}_2 \sqcup \hat{H}_3, \hat{C}_1 \sqcup \hat{C}_2 \sqcup \hat{C}_3)$$

$$\wedge\ (\hat{H}_8,\hat{C}_8) = \begin{cases} (\underline{\widehat{\mathsf{ReturnStore}}}(\hat{H}_7,\hat{v}_7),\hat{C}_7) & \text{if } \hat{v}_7 \not\sqsubseteq \bot_{value} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$$

$$\wedge\ \hat{S}_1 = \hat{S} \sqcup \underline{\widehat{\mathsf{RaiseException}}}(\hat{H}_2,\hat{C}_2,\hat{es}_2)$$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Object.getPrototypeOf”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S}_1)$

where $\hat{v}_1 = \widehat{\underline{\text{getArgValue}}}(\hat{H},\hat{C},\text{“0”})$

$\wedge\ \hat{v}_2 = \bigsqcup_{\hat{l}\in\hat{v}_1.2} \hat{H}(\hat{l})(\hat{@proto}).1.1.1$

$\wedge\ \hat{es} = \begin{cases} \{\widehat{\text{TypeError}}\} & \text{if } \hat{v}_1.1 \not\sqsubseteq \perp_{PValue} \\ \{\} & \text{otherwise} \end{cases}$

$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\underline{\text{ReturnStore}}}(\hat{H},\hat{v}_2),\hat{C}) & \text{if } \hat{v}_2 \not\sqsubseteq \perp_{value} \\ (\perp_{heap},\perp_{context}) & \text{otherwise} \end{cases}$

$\wedge\ \hat{S}_1 = \hat{S} \sqcup \widehat{\underline{\text{RaiseException}}}(\hat{H},\hat{C},\hat{es})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Object.getOwnPropertyDescriptor”}, args)_{\hat{a}_{new}}]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_7,\hat{C}_7),\hat{S}_1)$

where $\hat{v}_1 = \widehat{\underline{\text{getArgValue}}}(\hat{H},\hat{C},\text{“0”}) \wedge \hat{s}_{prop} = \widehat{\text{toString}}(\widehat{\underline{\text{toPrimitive}}}(\widehat{\underline{\text{getArgValue}}}(\hat{H},\hat{C},\text{“1”})))$

$\wedge\ \hat{es} = \begin{cases} \{\widehat{\text{TypeError}}\} & \text{if } \hat{v}_1.1 \not\sqsubseteq \perp_{PValue} \\ \{\} & \text{otherwise} \end{cases}$

$\wedge\ \hat{ov} = \bigsqcup_{\hat{l}\in\hat{v}_1.2} \hat{H}(\hat{l})(\hat{s}_{prop}).1.1$

$\wedge\ (\hat{v}_2,\hat{H}_2,\hat{C}_2) = \begin{cases} (Value(PValue(\top_{undef})),\hat{H},\hat{C}) & \text{if } \top_{undef} \sqsubseteq \hat{ov}.1.1.1 \\ (\perp_{value},\perp_{heap},\perp_{context}) & \text{otherwise} \end{cases}$

$\wedge\ (\hat{v}_3,\hat{H}_3,\hat{C}_3) = \begin{cases} (Value(\{\hat{l}_R\}),\hat{H}_5,\hat{C}_4) & \text{if } Value(Pvalue(\perp_{undef},\hat{ov}.1.1.2,\hat{ov}.1.1.3,\hat{ov}.1.1.4,\hat{ov}.1.1.5),\hat{v}.1.2) \\ & \quad \not\sqsubseteq \perp_{value} \\ (\perp_{value},\perp_{heap},\perp_{context}) & \text{otherwise} \end{cases}$

$\wedge\ \hat{l}_R = (\hat{a}_{new}, Recent) \wedge (\hat{H}_4,\hat{C}_4) = \widehat{\underline{\text{Oldify}}}(\hat{H},\hat{C},\hat{a}_{new})$ *// Recency Abstraction*

$\wedge\ \hat{o}_{new} = \widehat{\underline{\text{NewObject}}}(\#Obj\hat{Proto}_R)$

$\wedge\ \hat{o}_1 = \begin{cases} \hat{o}_{new}\left[\begin{array}{l} \text{“}\hat{value}\text{”} \mapsto \langle \hat{v}_2.1.1.1, \hat{\text{true}}, \hat{\text{true}}, \hat{\text{true}}\rangle \\ \text{“}\hat{writable}\text{”} \mapsto \langle \hat{v}_2.1.1.2, \hat{\text{true}}, \hat{\text{true}}, \hat{\text{true}}\rangle \end{array}\right] & \text{if } \mathit{IsDataDescriptor}(H(v),s) \\ \hat{o}_{new} & \text{otherwise// skip when AccessorDescriptor} \end{cases}$

$\wedge\ \hat{o}_2 = \hat{o}_1\left[\begin{array}{l} \text{“}\hat{enumerable}\text{”} \mapsto \langle \hat{v}_2.1.1.3, \hat{\text{true}}, \hat{\text{true}}, \hat{\text{true}}\rangle \\ \text{“}\hat{configurable}\text{”} \mapsto \langle \hat{v}_2.1.1.4, \hat{\text{true}}, \hat{\text{true}}, \hat{\text{true}}\rangle \end{array}\right]$

$\wedge\ \hat{H}_5 = \hat{H}_4[\hat{l}_R \mapsto \hat{o}_2]$

$\wedge\ \hat{H}_6 = \hat{H}_2 \sqcup \hat{H}_3$

$\wedge\ (\hat{H}_7,\hat{C}_7) = \begin{cases} (\widehat{\underline{\text{ReturnStore}}}(\hat{H}_6,\hat{v}_2 \sqcup \hat{v}_3),\hat{C}_2 \sqcup \hat{C}_3) & \text{if } \hat{v}_2 \not\sqsubseteq \perp_{value} \\ (\perp_{heap},\perp_{context}) & \text{otherwise} \end{cases}$

$\wedge\ \hat{S}_1 = \hat{S} \sqcup \widehat{\underline{\text{RaiseException}}}(\hat{H},\hat{C},\hat{es})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Object.getOwnPropertyNames”}, args)_{\hat{a}_{new}}]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_3,\hat{C}_3),\hat{S}_1)$

where $\hat{v}_1 = \widehat{\underline{\text{getArgValue}}}(\hat{H},\hat{C},\text{“0”})$

$\wedge\ \hat{es} = \begin{cases} \{\widehat{\text{TypeError}}\} & \text{if } \hat{v}_1.1 \not\sqsubseteq \perp_{PValue} \\ \{\} & \text{otherwise} \end{cases}$

$\wedge\ \hat{o} = \bigsqcup_{\hat{l}\in\hat{v}_1.2} \hat{H}(\hat{l}) \wedge n = 0$

$\wedge\ \hat{l}_R = (\hat{a}_{new}, Recent) \wedge (\hat{H}_1,\hat{C}_1) = \widehat{\underline{\text{Oldify}}}(\hat{H},\hat{C},\hat{a}_{new})$ *// Recency Abstraction*

$\wedge\ \hat{o}_1 = \widehat{\underline{\text{NewArray}}}(0)\ [\ \forall s \in dom(o) : n^{++} \mapsto \langle s, \hat{\text{true}}, \hat{\text{true}}, \hat{\text{true}}\rangle\ ]$ *// ignore @default, unsound??*

$\wedge\ \hat{H}_2 = \hat{H}_1[\hat{l}_R \mapsto \hat{o}_1]$

$\wedge\ (\hat{H}_3,\hat{C}_3) = (\widehat{\underline{\text{ReturnStore}}}(\hat{H}_2, Value(\{\hat{l}_R\})),\hat{C}_1)$

$\wedge\ \hat{S}_1 = \hat{S} \sqcup \widehat{\underline{\text{RaiseException}}}(\hat{H},\hat{C},\hat{es})$

where $\hat{l}_R = (\hat{a}_{new}, Recent) \wedge (\hat{H}_1,\hat{C}_1) = \widehat{\underline{\text{Oldify}}}(\hat{H},\hat{C},\hat{a}_{new})$ *// Recency Abstraction*

$\wedge\ \hat{v} = \widehat{\underline{\text{getArgValue}}}(\hat{H},\hat{C},\text{“0”}) \wedge \hat{es} = \begin{cases} \{\widehat{\text{TypeError}}\} & \text{if } \hat{v}.1 \not\sqsubseteq \perp_{PValue} \\ \{\} & \text{otherwise} \end{cases}$

$\wedge\ \hat{o}_1 = \bigsqcup_{\hat{s}\in\hat{v}.2} \widehat{\underline{\text{NewArrayObject}}}(\text{UInt})[\forall \hat{s} \in dom(\hat{H}_1(\hat{l})) : \text{NumStr} \mapsto \langle \hat{s}, \hat{\text{true}}, \hat{\text{true}}, \hat{\text{true}}\rangle]$

$\wedge\ \hat{o}_2 = \begin{cases} \widehat{\underline{\text{NewArrayObject}}}(\text{UInt})[\text{NumStr} \mapsto \langle \text{NumStr}, \hat{\text{true}}, \hat{\text{true}}, \hat{\text{true}}\rangle] & \text{if } \hat{H}_1(\hat{l})(\text{“}\mathit{@default\_number}\text{”}) \not\sqsubseteq \perp_{PropValue} \\ \perp_{Obj} & \text{otherwise} \end{cases}$

$\wedge\ \hat{o}_3 = \begin{cases} \widehat{\underline{\text{NewArrayObject}}}(\text{UInt})[\text{NumStr} \mapsto \langle \text{OtherStr}, \hat{\text{true}}, \hat{\text{true}}, \hat{\text{true}}\rangle] & \text{if } \hat{H}_1(\hat{l})(\text{“}\mathit{@default\_other}\text{”}) \not\sqsubseteq \perp_{PropValue} \\ \perp_{Obj} & \text{otherwise} \end{cases}$

$\wedge\ \hat{H}_2 = \hat{H}_1[\hat{l}_R \mapsto \hat{o}_1 \sqcup \hat{o}_2 \sqcup \hat{o}_3] \wedge\ (\hat{H}_3,\hat{C}_3) = \begin{cases} (\widehat{\underline{\text{ReturnStore}}}(\hat{H}_2, Value(\hat{l}_R)),\hat{C}) & \text{if } \hat{o} \not\sqsubseteq \perp_{Obj} \\ (\perp_{heap},\perp_{context}) & \text{otherwise} \end{cases}$

$\wedge\ \hat{S}_1 = \hat{S} \sqcup \widehat{\underline{\text{RaiseException}}}(\hat{H},\hat{C},\hat{es})$

$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Object.create”}, args)_{\hat{a}_{new}}]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_4,\hat{C}_4),\hat{S}_1)$

where $\hat{l}_R = (\hat{a}_{new}, Recent) \wedge (\hat{H}_1,\hat{C}_1) = \widehat{\mathsf{Oldify}}(\hat{H},\hat{C},\hat{a}_{new})$ *// Recency Abstraction*

$\wedge\ \hat{v}_1 = \widehat{\mathsf{getArgValue}}(\hat{H}_1,\hat{C}_1,\text{“0”}) \wedge \hat{es}_1 = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}_1.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$

$\wedge\ \hat{n}_{arglen} = \widehat{\mathsf{toUInt32}}(getArgValue(\hat{H}_1,\hat{C}_1,\text{“}length\text{”}))$

$\wedge\ \hat{v}_2 = \widehat{\mathsf{getArgValue}}(\hat{H}_1,\hat{C}_1,\text{“1”}) \wedge \hat{es}_2 = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}_2.1 \not\sqsubseteq \bot_{PValue} \wedge \hat{n}_{arglen} = \hat{2} \\ \{\} & \text{otherwise} \end{cases}$

$\wedge\ \hat{H}_2 = \hat{H}_1[\hat{l}_R \mapsto \widehat{\mathsf{NewObject}}(\hat{v}_1.2)]$

$\wedge\ \hat{H}_3 = \begin{cases} \bigsqcup_{\hat{l}_2 \in \hat{v}_2.2} \bigsqcup_{s \in \widehat{\mathsf{GetProps}}(\hat{H}_2,\hat{l}_2)} \widehat{\mathsf{DefineProperty}}(\hat{H}_2,\hat{l}_R,\hat{s},\hat{l}_2) & \text{if } \hat{n}_{arglen} = \hat{2} \\ \hat{H}_2 & \text{otherwise} \end{cases}$

$\wedge\ (\hat{H}_4,\hat{C}_4) = (\widehat{\mathsf{ReturnStore}}(\hat{H}_2, Value(\{\hat{l}_R\})),\hat{C}_1)$

$\wedge\ \hat{S}_1 = \hat{S} \sqcup \widehat{\mathsf{RaiseException}}(\hat{H},\hat{C},\hat{es}_1 \sqcup \hat{es}_2)$

$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Object.defineProperty”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_2,\hat{C}_2),\hat{S}_1)$

where $\hat{v}_1 = \widehat{\mathsf{getArgValue}}(\hat{H},\hat{C},\text{“0”}) \wedge \hat{es}_1 = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}_1.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$

$\wedge\ \hat{s}_{name} = \widehat{\mathsf{toString}}(\widehat{\mathsf{toPrimitive}}(\widehat{\mathsf{getArgValue}}(\hat{H},\hat{C},\text{“1”})))$

$\wedge\ \hat{v}_2 = \widehat{\mathsf{getArgValue}}(\hat{H},\hat{C},\text{“2”}) \wedge \hat{es}_2 = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}_2.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$

$\wedge\ \hat{H}_1 = \bigsqcup_{\hat{l}_1 \in \hat{v}_1.2} \bigsqcup_{\hat{l}_2 \in \hat{v}_2.2} \widehat{\mathsf{DefineProperty}}(\hat{H},\hat{l}_1,\hat{s}_{name},\hat{l}_2)$

$\wedge\ (\hat{H}_2,\hat{C}_2) = \begin{cases} (\widehat{\mathsf{ReturnStore}}(\hat{H}_1, Value(\hat{v}_1.2)),\hat{C}) & \text{if } Value(\hat{v}_1.2) \not\sqsubseteq \bot_{value} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$

$\wedge\ \hat{S}_1 = \hat{S} \sqcup \widehat{\mathsf{RaiseException}}(\hat{H},\hat{C},\hat{es}_1 \sqcup \hat{es}_2)$

$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Object.defineProperties”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_2,\hat{C}_2),\hat{S}_1)$

where $\hat{v}_1 = \widehat{\mathsf{getArgValue}}(\hat{H},\hat{C},\text{“0”}) \wedge \hat{es}_1 = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}_1.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$

$\wedge\ \hat{v}_2 = \widehat{\mathsf{getArgValue}}(\hat{H},\hat{C},\text{“1”}) \wedge \hat{es}_2 = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}_1.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$

$\wedge\ \hat{H}_1 = \bigsqcup_{\hat{l}_1 \in \hat{v}_1.2} \bigsqcup_{\hat{l}_2 \in \hat{v}_2.2} \bigsqcup_{s \in \widehat{\mathsf{GetProps}}(\hat{H},\hat{l}_2)} \widehat{\mathsf{DefineProperty}}(\hat{H},\hat{l}_1,\hat{s},\hat{l}_2)$

$\wedge\ (\hat{H}_2,\hat{C}_2) = \begin{cases} (\widehat{\mathsf{ReturnStore}}(\hat{H}_1, Value(\hat{v}_1.2)),\hat{C}) & \text{if } Value(\hat{v}_1.2) \not\sqsubseteq \bot_{value} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$

$\wedge\ \hat{S}_1 = \hat{S} \sqcup \widehat{\mathsf{RaiseException}}(\hat{H},\hat{C},\hat{es}_1 \sqcup \hat{es}_2)$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Object.seal”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_2,\hat{C}_2),\hat{S}_1)$$

where $\hat{v} = \underline{\widehat{\mathsf{getArgValue}}}(\hat{H},\hat{C},\text{“0”}) \wedge \hat{es} = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$

$\wedge\ \hat{H}_1 = \bigsqcup_{\hat{l}\in\hat{v}.2} \bigsqcup_{s\in\underline{\widehat{\mathsf{GetProps}}}(\hat{H},\hat{l})} \hat{H}\left[\hat{l} \mapsto \hat{H}(\hat{l})\left[\begin{array}{l} s \mapsto \left\langle \begin{array}{l} \hat{H}(\hat{l})(x).1.1.1, \hat{H}(\hat{l})(x).1.1.2, \\ \hat{H}(\hat{l})(x).1.1.3, \mathsf{false} \end{array} \right\rangle \\ @extensible \mapsto \mathsf{false} \end{array}\right]\right]$

$\wedge\ (\hat{H}_2,\hat{C}_2) = \begin{cases} (\underline{\widehat{\mathsf{ReturnStore}}}(\hat{H}_1, Value(\hat{v}.2)),\hat{C}) & \text{if } Value(\hat{v}.2) \not\sqsubseteq \bot_{value} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$

$\wedge\ \hat{S}_1 = \hat{S} \sqcup \underline{\widehat{\mathsf{RaiseException}}}(\hat{H},\hat{C},\hat{es})$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Object.freeze”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_4,\hat{C}_4),\hat{S}_1)$$

where $\hat{v} = \underline{\widehat{\mathsf{getArgValue}}}(\hat{H},\hat{C},\text{“0”}) \wedge \hat{es} = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$

$\wedge\ \hat{H}_1 = \bigsqcup_{\hat{l}\in\hat{v}.2} \bigsqcup_{s\in\hat{P}_{data}} \hat{H}\left[\hat{l} \mapsto \hat{H}(\hat{l})\left[\begin{array}{l} s \mapsto \left\langle \begin{array}{l} \hat{H}(\hat{l})(x).1.1.1, \mathsf{false}, \\ \hat{H}(\hat{l})(x).1.1.3, \mathsf{false} \end{array} \right\rangle \\ @extensible \mapsto \mathsf{false} \end{array}\right]\right]$

$\wedge\ \hat{H}_2 = \bigsqcup_{\hat{l}\in\hat{v}.2} \bigsqcup_{s\in\hat{P}_{access}} \hat{H}\left[\hat{l} \mapsto \hat{H}(\hat{l})\left[\begin{array}{l} s \mapsto \left\langle \begin{array}{l} \hat{H}(\hat{l})(x).1.1.1, \mathsf{false}, \\ \hat{H}(\hat{l})(x).1.1.3, \mathsf{false} \end{array} \right\rangle \\ @extensible \mapsto \mathsf{false} \end{array}\right]\right]$

$\wedge\ \hat{P}_{data} = \{x \mid x \in \underline{\widehat{\mathsf{GetProps}}}(\hat{H}(\hat{l})) \wedge \mathsf{true} \sqsubseteq \underline{\widehat{\mathsf{IsDataDescriptor}}(x)}\}$

$\wedge\ \hat{P}_{access} = \{x \mid x \in \underline{\widehat{\mathsf{GetProps}}}(\hat{H}(\hat{l})) \wedge \mathsf{false} \sqsubseteq \underline{\widehat{\mathsf{IsDataDescriptor}}(x)}\}$

$\wedge\ \hat{H}_3 = \hat{H}_1 \sqcup \hat{H}_2$

$\wedge\ (\hat{H}_4,\hat{C}_4) = \begin{cases} (\underline{\widehat{\mathsf{ReturnStore}}}(\hat{H}_3, Value(\hat{v}.2)),\hat{C}) & \text{if } Value(\hat{v}.2) \not\sqsubseteq \bot_{value} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$

$\wedge\ \hat{S}_1 = \hat{S} \sqcup \underline{\widehat{\mathsf{RaiseException}}}(\hat{H},\hat{C},\hat{es})$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Object.preventExtensions”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_2,\hat{C}_2),\hat{S}_1)$$

where $\hat{v} = \underline{\widehat{\mathsf{getArgValue}}}(\hat{H},\hat{C},\text{“0”}) \wedge \hat{es} = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$

$\wedge\ \hat{H}_1 = \bigsqcup_{\hat{l}\in\hat{v}.2} \hat{H}\left[\hat{l} \mapsto \hat{H}(\hat{l})\left[@extensible \mapsto \mathsf{false}\right]\right]$

$\wedge\ (\hat{H}_2,\hat{C}_2) = \begin{cases} (\underline{\widehat{\mathsf{ReturnStore}}}(\hat{H}_1, Value(\hat{v}.2)),\hat{C}) & \text{if } Value(\hat{v}.2) \not\sqsubseteq \bot_{value} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$

$\wedge\ \hat{S}_1 = \hat{S} \sqcup \underline{\widehat{\mathsf{RaiseException}}}(\hat{H},\hat{C},\hat{es})$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Object.isSealed”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S}_1)$$
where $\hat{v} = \underline{\widehat{\mathsf{getArgValue}}}(\hat{H},\hat{C},\text{“0”}) \wedge \hat{es} = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$\wedge\ \hat{b}_{f_{\hat{l}}} = \begin{cases} \hat{\mathsf{false}} & \text{if } \exists x \in \underline{\widehat{\mathsf{GetProps}}}(\hat{H}(\hat{l})) : \hat{\mathsf{true}} \sqsubseteq \hat{H}(\hat{l})(x).1.1.3 \\ \bot_{bool} & \text{otherwise} \end{cases}$
$\wedge\ \hat{b}_{t_{\hat{l}}} = \begin{cases} \top_{bool} & \text{if } \forall x \in \underline{\widehat{\mathsf{GetProps}}}(\hat{H}(\hat{l})) : \hat{\mathsf{false}} \sqsubseteq \hat{H}(\hat{l})(x).1.1.3 \wedge \top_{bool} \sqsubseteq \hat{H}(\hat{l})(\hat{@extensible}) \\ \hat{\mathsf{true}} & \text{if } \forall x \in \underline{\widehat{\mathsf{GetProps}}}(\hat{H}(\hat{l})) : \hat{\mathsf{false}} \sqsubseteq \hat{H}(\hat{l})(x).1.1.3 \wedge \hat{\mathsf{false}} \sqsubseteq \hat{H}(\hat{l})(\hat{@extensible}) \\ \hat{\mathsf{false}} & \text{if } \forall x \in \underline{\widehat{\mathsf{GetProps}}}(\hat{H}(\hat{l})) : \hat{\mathsf{false}} \sqsubseteq \hat{H}(\hat{l})(x).1.1.3 \wedge \hat{\mathsf{true}} \sqsubseteq \hat{H}(\hat{l})(\hat{@extensible}) \\ \bot_{bool} & \text{otherwise} \end{cases}$
$\wedge\ \hat{b} = \bigsqcup_{\hat{l} \in \hat{v}.2}(\hat{b}_{f_{\hat{l}}} \sqcup \hat{b}_{t_{\hat{l}}})$
$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\underline{\widehat{\mathsf{ReturnStore}}}(\hat{H}, Value(\hat{b})),\hat{C}) & \text{if } \hat{b} \not\sqsubseteq \bot_{Bool} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$
$\wedge\ \hat{S}_1 = \hat{S} \sqcup \underline{\widehat{\mathsf{RaiseException}}}(\hat{H},\hat{C},\hat{es})$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Object.isFrozen”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S}_1)$$
where $\hat{v} = \underline{\widehat{\mathsf{getArgValue}}}(\hat{H},\hat{C},\text{“0”}) \wedge \hat{es} = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$\wedge\ \hat{b}_{f_{\hat{l}}} = \begin{cases} \hat{\mathsf{false}} & \text{if } \exists x \in \hat{P}_{data} : \hat{\mathsf{true}} \sqsubseteq \hat{H}(\hat{l})(x).1.1.2 \\ \hat{\mathsf{false}} & \text{if } \exists x \in \hat{P}_{access} : \hat{\mathsf{true}} \sqsubseteq \hat{H}(\hat{l})(x).1.1.4 \\ \bot_{bool} & \text{otherwise} \end{cases}$
$\wedge\ \hat{b}_{t_{\hat{l}}} = \begin{cases} \top_{bool} & \text{if } \forall x \in \hat{P}_{data} : \hat{\mathsf{false}} \sqsubseteq \hat{H}(\hat{l})(x).1.1.2 \wedge \forall x \in \hat{P}_{access} : \hat{\mathsf{false}} \sqsubseteq \hat{H}(\hat{l})(x).1.1.4 \wedge \top_{bool} \sqsubseteq \hat{H}(\hat{l})(\hat{@exten}\text{…} \\ \hat{\mathsf{true}} & \text{if } \forall x \in \hat{P}_{data} : \hat{\mathsf{false}} \sqsubseteq \hat{H}(\hat{l})(x).1.1.2 \wedge \forall x \in \hat{P}_{access} : \hat{\mathsf{false}} \sqsubseteq \hat{H}(\hat{l})(x).1.1.4 \wedge \hat{\mathsf{false}} \sqsubseteq \hat{H}(\hat{l})(\hat{@exten}\text{…} \\ \hat{\mathsf{false}} & \text{if } \forall x \in \hat{P}_{data} : \hat{\mathsf{false}} \sqsubseteq \hat{H}(\hat{l})(x).1.1.2 \wedge \forall x \in \hat{P}_{access} : \hat{\mathsf{false}} \sqsubseteq \hat{H}(\hat{l})(x).1.1.4 \wedge \hat{\mathsf{true}} \sqsubseteq \hat{H}(\hat{l})(\hat{@extensi}\text{…} \\ \bot_{bool} & \text{otherwise} \end{cases}$
$\wedge\ \hat{P}_{data} = \{x \mid x \in \underline{\widehat{\mathsf{GetProps}}}(\hat{H}(\hat{l})) \wedge \hat{\mathsf{true}} \sqsubseteq \underline{\widehat{\mathsf{IsDataDescriptor}}}(x)\}$
$\wedge\ \hat{P}_{access} = \{x \mid x \in \underline{\widehat{\mathsf{GetProps}}}(\hat{H}(\hat{l})) \wedge \hat{\mathsf{false}} \sqsubseteq \underline{\widehat{\mathsf{IsDataDescriptor}}}(x)\}$
$\wedge\ \hat{b} = \bigsqcup_{\hat{l} \in \hat{v}.2}(\hat{b}_{f_{\hat{l}}} \sqcup \hat{b}_{t_{\hat{l}}})$
$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\underline{\widehat{\mathsf{ReturnStore}}}(\hat{H}, Value(\hat{b})),\hat{C}) & \text{if } \hat{b} \not\sqsubseteq \bot_{Bool} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$
$\wedge\ \hat{S}_1 = \hat{S} \sqcup \underline{\widehat{\mathsf{RaiseException}}}(\hat{H},\hat{C},\hat{es})$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Object.isExtensible”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S}_1)$$
where $\hat{v} = \underline{\widehat{\mathsf{getArgValue}}}(\hat{H},\hat{C},\text{“0”}) \wedge \hat{es} = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$\wedge\ \hat{b} = \bigsqcup_{\hat{l} \in \hat{v}.2} \hat{H}(\hat{l})(\hat{@extensible}).1.2$
$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\underline{\widehat{\mathsf{ReturnStore}}}(\hat{H}, Value(\hat{b})),\hat{C}) & \text{if } \hat{b} \not\sqsubseteq \bot_{Bool} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$
$\wedge\ \hat{S}_1 = \hat{S} \sqcup \underline{\widehat{\mathsf{RaiseException}}}(\hat{H},\hat{C},\hat{es})$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Object.keys”}, args)_{\hat{a}_{new}}]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S}_1)$$
where $\hat{l}_R = (\hat{a}_{new}, Recent) \wedge (\hat{H}_1,\hat{C}_1) = \underline{\widehat{\mathsf{Oldify}}}(\hat{H},\hat{C},\hat{a}_{new})$ *// Recency Abstraction*
$\wedge\ \hat{v} = \underline{\widehat{\mathsf{getArgValue}}}(\hat{H},\hat{C},\text{“0”}) \wedge \hat{es} = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$\wedge\ \hat{o}_1 = \bigsqcup_{\hat{l} \in \hat{v}.2} \underline{\widehat{\mathsf{NewArrayObject}}}(\mathsf{UInt})[\forall \hat{s} \in \hat{P}_{enum} : \mathsf{NumStr} \mapsto \langle \hat{s}, \hat{\mathsf{true}}, \hat{\mathsf{true}}, \hat{\mathsf{true}} \rangle]$
$\wedge\ \hat{P}_{enum} = \{s \mid s \in dom(\hat{H}_1(\hat{l})) \wedge \hat{\mathsf{true}} \sqsubseteq \hat{H}_1(\hat{l})(s).1.1.3\}$
$\wedge\ \hat{o}_2 = \begin{cases} \underline{\widehat{\mathsf{NewArrayObject}}}(\mathsf{UInt})[\mathsf{NumStr} \mapsto \langle \mathsf{NumStr}, \hat{\mathsf{true}}, \hat{\mathsf{true}}, \hat{\mathsf{true}} \rangle] & \text{if } \hat{H}_1(\hat{l})(\text{“@default\_number”}) \not\sqsubseteq \bot_{PropValue} \\ \bot_{Obj} & \text{otherwise} \end{cases}$
$\wedge\ \hat{o}_3 = \begin{cases} \underline{\widehat{\mathsf{NewArrayObject}}}(\mathsf{UInt})[\mathsf{NumStr} \mapsto \langle \mathsf{OtherStr}, \hat{\mathsf{true}}, \hat{\mathsf{true}}, \hat{\mathsf{true}} \rangle] & \text{if } \hat{H}_1(\hat{l})(\text{“@default\_other”}) \not\sqsubseteq \bot_{PropValue} \\ \bot_{Obj} & \text{otherwise} \end{cases}$
$\wedge\ \hat{H}_2 = \hat{H}_1[\hat{l}_R \mapsto \hat{o}_1 \sqcup \hat{o}_2 \sqcup \hat{o}_3] \wedge\ (\hat{H}_3,\hat{C}_3) = \begin{cases} (\underline{\widehat{\mathsf{ReturnStore}}}(\hat{H}_2, Value(\hat{l}_R)),\hat{C}) & \text{if } \hat{o} \not\sqsubseteq \bot_{Obj} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$
$\wedge\ \hat{S}_1 = \hat{S} \sqcup \underline{\widehat{\mathsf{RaiseException}}}(\hat{H},\hat{C},\hat{es})$

11.2.4 Object.prototype

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Object.prototype.toString”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
$$\text{where}\ \ \hat{s} = \bigsqcup_{\hat{l}\in\hat{C}.2} \begin{cases} \alpha(\text{“[}object\text{”} + s + \text{“]”}) & \text{if}\ \ \hat{H}(\hat{l})(@\hat{class}) = \mathsf{NumStrSingle}(s) \\ \alpha(\text{“[}object\text{”} + s + \text{“]”}) & \text{if}\ \ \hat{H}(\hat{l})(@\hat{class}) = \mathsf{OtherStrSingle}(s) \\ \bot_{string} & \text{if}\ \ \hat{H}(\hat{l})(@\hat{class}) = \bot_{string} \\ \mathsf{OtherStr} & \text{otherwise} \end{cases}$$
$$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\mathsf{ReturnStore}}(\hat{H}, Value(\hat{s})),\hat{C}) & \text{if}\ \ \hat{s} \not\sqsubseteq \bot_{String} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Object.prototype.toLocaleString”}, args)]\!]((\hat{H},\hat{C}),\hat{S})$$
$$= \hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Object.prototype.toString”}, args)]\!]((\hat{H},\hat{C}),\hat{S})$$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Object.prototype.ValueOf”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
$$\text{where}\ \ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\mathsf{ReturnStore}}(\hat{H}, Value(\hat{C}.2)),\hat{C}) & \text{if}\ \ Value(\hat{C}.2) \not\sqsubseteq \bot_{Value} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Object.prototype.hasOwnProperty”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
$$\text{where}\ \ \hat{s} = \widehat{\mathsf{toString}}(\widehat{\mathsf{toPrimitive}}(\widehat{\mathsf{getArgValue}}(\hat{H},\hat{C},\text{“0”})))$$
$$\wedge\ \hat{b} = \bigsqcup_{\hat{l}\in\hat{C}.2} \widehat{\mathsf{HasOwnProperty}}(\hat{H},\hat{l},\hat{s})$$
$$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\mathsf{ReturnStore}}(\hat{H}, Value(\hat{b})),\hat{C}) & \text{if}\ \ \hat{b} \not\sqsubseteq \bot_{Bool} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Object.prototype.isPrototypeOf”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
$$\text{where}\ \ \hat{v} = \widehat{\mathsf{getArgValue}}(\hat{H},\hat{C},\text{“0”})$$
$$\wedge\ \hat{b}_1 = \begin{cases} \hat{\mathsf{false}} & \text{if}\ \ \hat{v}.1 \sqsubseteq \bot_{PValue} \\ \bot_{bool} & \text{otherwise} \end{cases} \qquad \wedge\ \hat{b}_2 = \bigsqcup_{\hat{l}\in\hat{v}.2} \hat{b}_{3_{\hat{l}}} \sqcup \hat{b}_{4_{\hat{l}}}$$
$$\wedge\ \hat{v}_{proto_{\hat{l}}} = \hat{H}(\hat{l})(@\hat{proto}).1.2$$
$$\wedge\ \hat{b}_{3_{\hat{l}}} = \begin{cases} \hat{\mathsf{false}} & \text{if}\ \ \top_{null} \sqsubseteq \hat{v}_{proto_{\hat{l}}}.1.2 \\ \bot_{bool} & \text{otherwise} \end{cases}$$
$$\wedge\ \hat{b}_{4_{\hat{l}}} = (Value(\hat{v}.2) \hat{=\!=} Value(\hat{v}_{proto_{\hat{l}}}.2)).1.3$$
$$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\mathsf{ReturnStore}}(\hat{H}, Value(\hat{b}_1 \sqcup \hat{b}_2)),\hat{C}) & \text{if}\ \ \hat{b}_1 \sqcup \hat{b}_2 \not\sqsubseteq \bot_{Bool} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Object.prototype.propertyIsEnumerable”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
$$\text{where}\ \ \hat{s} = \widehat{\mathsf{toString}}(\widehat{\mathsf{toPrimitive}}(\widehat{\mathsf{getArgValue}}(\hat{H},\hat{C},\text{“0”})))$$
$$\wedge\ \hat{b} = \bigsqcup_{\hat{l}\in\hat{C}.2} \hat{b}_{1_{\hat{l}}} \sqcup \hat{b}_{2_{\hat{l}}}$$
$$\wedge\ \hat{b}_{1_{\hat{l}}} = \begin{cases} \hat{\mathsf{false}} & \text{if}\ \ \top_{undef} \sqsubseteq \hat{H}(\hat{l})(\hat{s}).1.1.1.1.1 \\ \bot_{bool} & \text{otherwise} \end{cases}$$
$$\wedge\ \hat{b}_{2_{\hat{l}}} = \begin{cases} \hat{H}(\hat{l}).1.1.3 & \text{if}\ \ \hat{H}(\hat{l})(\hat{s}).1.1.1.1.1 \sqsubseteq \bot_{undef} \\ \bot_{bool} & \text{otherwise} \end{cases}$$
$$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\mathsf{ReturnStore}}(\hat{H}, Value(\hat{b})),\hat{C}) & \text{if}\ \ \hat{b} \not\sqsubseteq \bot_{Bool} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$$

11.2.5 Function.prototype

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Function.prototype.toString”}, args))_{\hat{a}_{new}}]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_2,\hat{C}_2),\hat{S})$$

where $\hat{es}_1 = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{C}.2.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$

$\wedge\ \hat{es}_2 = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \exists \hat{l} \in \hat{C}.2.2 : \hat{H}(\hat{l})(@\hat{class}) \neq \text{“}\hat{Function}\text{”} \\ \{\} & \text{otherwise} \end{cases}$

$\wedge\ \hat{L}_{fun} = \{\hat{l} \mid \hat{l} \in \hat{C}.2.2 \wedge \hat{H}(\hat{l})(@\hat{class}) = \text{“}\hat{Function}\text{”}\}$

$\wedge\ \hat{s} = \bigsqcup_{\hat{l} \in \hat{L}_{fun}} \widehat{\mathsf{fid2String}}(\hat{H}(\hat{l})(@\hat{\hat{function}}))$

$\wedge\ (\hat{H}_1,\hat{C}_1) = (\hat{H}[\#\hat{PureLocal}_R \mapsto \hat{H}(\#\hat{PureLocal}_R)[@return \mapsto \hat{s}]], \hat{C})$

$\wedge\ \hat{S}_1 = \hat{S} \sqcup \underline{\widehat{\mathsf{RaiseException}}}(\hat{H},\hat{C},\hat{es}_1 \sqcup \hat{es}_2)$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Function.prototype.apply”}, args))_{\hat{a}_{new}}]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_2,\hat{C}_2),\hat{S})$$

where $\hat{v}_1 = \underline{\widehat{\mathsf{getArgValue}}}(\hat{H},\hat{C},\text{“0”})$

$\wedge\ \hat{es}_1 = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}_1.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$

$\wedge\ \hat{es}_2 = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{\mathsf{false}} \sqsubseteq \bigsqcup_{\hat{l} \in \hat{v}_1.2} : \underline{\widehat{\mathsf{IsCallable}}}(\hat{H},\hat{l}) \\ \{\} & \text{otherwise} \end{cases}$

$\wedge\ \hat{L}_f = \{\hat{l} \mid \hat{l} \in \hat{v}_1.2 \wedge \hat{\mathsf{true}} \sqsubseteq \underline{\widehat{\mathsf{IsCallable}}}(\hat{H},\hat{l})\}$

$\wedge\ \hat{v}_2 = \underline{\widehat{\mathsf{getArgValue}}}(\hat{H},\hat{C},\text{“1”})$

$\wedge\ \hat{es}_3 = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \langle \bot_{undef}, \bot_{null}, \hat{v}_2.1.3, \hat{v}_2.1.4, \hat{v}_2.1.5 \rangle \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$

$\wedge$

11.2.6 Array

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Array”}, args))_{\hat{a}_{new}}]\!]((\hat{H},\hat{C}),\hat{S})$$
$$= \hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Array.constructor”}, args))_{\hat{a}_{new}}]\!]((\hat{H},\hat{C}),\hat{S})$$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Array.constructor”}, args))_{\hat{a}_{new}}]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_3,\hat{C}_3),\hat{S}_1)$$
where $(\hat{H}_1,\hat{C}_1) = \widehat{\mathsf{Oldify}}(\hat{H},\hat{C},\hat{a}_{new}) \wedge \hat{l}_R = (\hat{a}_{new}, Recent)$ *// Recency Abstraction*
$$\hat{n}_{arglen} = \underline{\widehat{\mathsf{toUInt32}}}(getArgValue(\hat{H}_1,\hat{C}_1,\text{“}length\text{”}))$$
$$\wedge\, \hat{o}_1 = \begin{cases} \hat{o}_{arg1_1} \sqcup \hat{o}_{arg1_2} & \text{if } \mathsf{UIntSingle}(1) = \hat{n}_{arglen} \\ \hat{o}_{argn} & \text{if } \mathsf{UIntSingle}(n_{arglen}) = \hat{n}_{arglen} \wedge n > 1 \\ \hat{o}_{arg1_1} \sqcup \hat{o}_{arg1_2} \sqcup \hat{o}_{uint} & \text{if } \mathsf{UInt} \sqsubseteq \hat{n}_{arglen} \\ \bot_{Obj} & \text{if } \hat{n}_{arglen} \sqsubseteq \bot_{number} \end{cases}$$
$$\wedge\, \hat{v}_i = getArgValue(\hat{H}_1,\hat{C}_1,\text{“}i\text{”})$$
$$\wedge\, \hat{v}_{0_{notNum}} = Value(\langle \hat{v}_0.1.1, \hat{v}_0.1.2, \hat{v}_0.1.3, \bot_{Number}, \hat{v}_0.1.5\rangle, \hat{v}_0.2)$$
$$\wedge\, \hat{o}_{arg1_1} = \begin{cases} \underline{\widehat{\mathsf{NewArrayObject}}}(1)[0 \mapsto \hat{v}_{0_{notNum}}] & \text{if } \hat{v}_{0_{notNum}} \not\sqsubseteq \bot_{Value} \\ \bot_{Obj} & \text{otherwise} \end{cases}$$
$$\wedge\, \hat{o}_{arg1_2} = \begin{cases} \underline{\widehat{\mathsf{NewArrayObject}}}(\hat{v}_0.1.4) & \text{if } \hat{v}_0.1.4 \not\sqsubseteq \bot_{Number} \\ \bot_{Obj} & \text{otherwise} \end{cases}$$
$$\wedge\, \hat{es} = \begin{cases} \{\mathsf{RangeError}\} & \text{if } \mathsf{UIntSingle}(1) = \hat{n}_{arglen} \wedge \hat{v}_0.1.4 \not\sqsubseteq \mathsf{UInt} \\ \{\} & \text{otherwise} \end{cases}$$
$$\wedge\, \hat{o}_{argn} = \underline{\widehat{\mathsf{NewArrayObject}}}(n_{arglen})[\forall i \in \{0,...,n_{arglen}-1\} : i \mapsto v_i]$$
$$\wedge\, \hat{o}_{uint} = \underline{\widehat{\mathsf{NewArrayObject}}}(n_{arglen})[@default\_number \mapsto \hat{v}_{allarg}]$$
$$\wedge\, \hat{v}_{allarg} = getArgValue(\hat{H}_1,\hat{C}_1,\mathsf{UInt})$$
$$\wedge\, \hat{H}_2 = \hat{H}_1[\hat{l}_R \mapsto \hat{o}_1]$$
$$\wedge\, (\hat{H}_3,\hat{C}_3) = \begin{cases} (\underline{\widehat{\mathsf{ReturnStore}}}(\hat{H}_2, Value(\hat{l}_R)),\hat{C}) & \text{if } \hat{o}_1 \not\sqsubseteq \bot_{Obj} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$$
$$\wedge\, \hat{S}_1 = \hat{S} \sqcup \underline{\widehat{\mathsf{RaiseException}}}(\hat{H},\hat{C},\hat{es})$$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Array.isArray”}, args))_{\hat{a}_{new}}]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
where $\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$
$$\wedge\, \hat{b}_1 = \begin{cases} \hat{\mathsf{false}} & \text{if } \hat{v}.1 \not\sqsubseteq \bot_{PValue} \\ \bot_{bool} & \text{otherwise} \end{cases}$$
$$\wedge\, \hat{b}_2 = \begin{cases} \hat{\mathsf{true}} & \text{if } \exists \hat{l} \in \hat{v}.2 : \text{“}\hat{Array}\text{”} \sqsubseteq \hat{H}(\hat{l})(@\hat{class}).1.2.1.5 \\ \bot_{bool} & \text{otherwise} \end{cases}$$
$$\wedge\, \hat{b}_3 = \begin{cases} \hat{\mathsf{false}} & \text{if } \exists \hat{l} \in \hat{v}.2 : \hat{H}(\hat{l})(@\hat{class}).1.2.1.5 \not\sqsubseteq \text{“}\hat{Array}\text{”} \\ \bot_{bool} & \text{otherwise} \end{cases}$$
$$\wedge\, \hat{b} = \hat{b}_1 \sqcup \hat{b}_2 \sqcup \hat{b}_3$$
$$\wedge\, (\hat{H}_1,\hat{C}_1) = \begin{cases} (\underline{\widehat{\mathsf{ReturnStore}}}(\hat{H}, Value(\hat{b})),\hat{C}) & \text{if } \hat{b} \not\sqsubseteq \bot_{Bool} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$$

11.2.7 Array.prototype

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Array.prototype.toString”}, args))]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_3,\hat{C}_3),\hat{S})$
where *// [[get]] join, [[call]]*

$\hat{v}_{length} = \bigsqcup_{\hat{l}\in\hat{C}_1.2} \widehat{\text{Proto}}(\hat{H},\hat{l},\text{“length”})$

$\wedge\ \hat{s} = \begin{cases} \hat{s}_0\hat{+}\hat{s}_{sep}\hat{+}...\hat{+}\hat{s}_{sep}\hat{+}\hat{s}_{n_{len}-1} & \text{if } \hat{v}_{length}.1.4 = \text{UIntSingle}(n_{len}) \\ \bot_{string} & \text{if } \hat{v}_{length}.1.4 = \bot_{number} \\ \top_{string} & \text{otherwise} \end{cases}$

$\wedge\ \hat{s}_i = \begin{cases} \hat{\epsilon}, & \text{if } \hat{v}_i \not\sqsubseteq \bot_{Undef} \vee \hat{v}_i \not\sqsubseteq \bot_{I} \\ \widehat{\text{toString}}(\widehat{\text{toPrimitive}}(Value(\langle\bot_{Undef},\bot_{Null},\hat{v}_{arg}.1.3,\hat{v}_{arg}.1.4,\hat{v}_{arg}.1.5\rangle,v_{arg}.2))) & \text{otherwise} \end{cases}$

$\wedge\ \hat{v}_i = \bigsqcup_{\hat{l}\in\hat{C}_1.2} \widehat{\text{Proto}}(\hat{H},\hat{l},\text{“}i\text{”}) \wedge\ \hat{v}_{arg} = \textit{getArgValue}(args,\text{“0”})$

$\wedge\ \hat{s}_{sep} = \text{“}\hat{,}\text{”}$

$\wedge\ (\hat{H}_1,\hat{C}_1) = (\hat{H}[\#\hat{PureLocal}_R \mapsto \hat{H}(\#\hat{PureLocal}_R)[@return \mapsto \hat{s}]],\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Array.prototype.toLocaleString”}, args))]\!]((\hat{H},\hat{C}),\hat{S})$
$= \hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Array.prototype.toString”}, args))]\!]((\hat{H},\hat{C}),\hat{S})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Array.prototype.concat”}, args))_{\hat{a}_{new}}]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_3,\hat{C}_3),\hat{S})$
where $(\hat{H}_1,\hat{C}_1) = \widehat{\text{Oldify}}(\hat{H},\hat{C},\hat{a}_{new}) \wedge\ \hat{l}_R = (\hat{a}_{new}, Recent)$ *// Recency Abstraction*

$\wedge\ \hat{n}_{len} = \textit{getArgValue}(\hat{H}_1,\hat{C}_1,\text{“}lenght\text{”}).1.4$

$\wedge\ \hat{H}_2 = \begin{cases} \bot_{Heap} & \text{if } \hat{n}_{len} = \bot_{Number} \\ \hat{H}_1[\hat{l}_R \mapsto \hat{o}_1] & \text{if } \hat{n}_{len} = \text{UIntSingle}(n_{arglen}) \\ \hat{H}_1[\hat{l}_R \mapsto \hat{o}_2] & \text{if } \hat{n}_{len} \neq \text{UIntSingle} \end{cases}$

$\wedge\ \hat{o}_{this} = \bigsqcup_{\hat{l}\in\hat{C}_1.2} \hat{H}_1(\hat{l})$

$\wedge\ \hat{o}_1 = \begin{cases} \hat{o}_3 & \text{if } \hat{o}_{this}(\text{“}\hat{length}\text{”}) = \text{UIntSingle}(n_{len}) \\ \hat{o}_4 & \text{otherwise} \end{cases}$

$\wedge\ \hat{o}_2 = \hat{o}_{this}[@default\hat{\_}number \mapsto \hat{o}_{this}(@default\hat{\_}number) \sqcup \textit{Value}(\top_{PValue},\{\})]$

$\wedge\ \hat{o}_3 = \hat{o}_{this}[\forall i \in \{0,...,n_{arglen}-1\} : i + n_{len} \mapsto \hat{v}_{arg_i}, length \mapsto \alpha(n_{len}+n_{arglen})]$

$\wedge\ \hat{v}_{arg_i} = \textit{getArgValue}(\hat{H}_1,\hat{C}_1,\text{“}i\text{”})$

$\wedge\ \hat{o}_4 = \hat{o}_{this}[@default\hat{\_}number \mapsto \hat{o}_{this}(@default\hat{\_}number) \sqcup \bigsqcup_{\hat{i}\in\{0,...,n_{len}\}} \hat{v}_{arg_i}]$

$\wedge\ (\hat{H}_3,\hat{C}_3) = (\hat{H}_2[\#\hat{PureLocal}_R \mapsto \hat{H}_2(\#\hat{PureLocal}_R)[@return \mapsto Value(\hat{l}_R)]],\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Array.prototype.join”}, args))]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_3,\hat{C}_3),\hat{S})$
where $\hat{v}_{length} = \bigsqcup_{\hat{l}\in\hat{C}_1.2} \widehat{\text{Proto}}(\hat{H},\hat{l},\text{“length”})$

$\wedge\ \hat{s} = \begin{cases} \hat{s}_0\hat{+}\hat{s}_{sep}\hat{+}...\hat{+}\hat{s}_{sep}\hat{+}\hat{s}_{n_{len}-1} & \text{if } \hat{v}_{length}.1.4 = \text{UIntSingle}(n_{len}) \\ \bot_{string} & \text{if } \hat{v}_{length}.1.4 = \bot_{number} \\ \top_{string} & \text{otherwise} \end{cases}$

$\wedge\ \hat{s}_i = \begin{cases} \hat{\epsilon}, & \text{if } \hat{v}_i \not\sqsubseteq \bot_{Undef} \vee \hat{v}_i \not\sqsubseteq \bot_{I} \\ \widehat{\text{toString}}(\widehat{\text{toPrimitive}}(Value(\langle\bot_{Undef},\bot_{Null},\hat{v}_{arg}.1.3,\hat{v}_{arg}.1.4,\hat{v}_{arg}.1.5\rangle,v_{arg}.2))) & \text{otherwise} \end{cases}$

$\wedge\ \hat{v}_i = \bigsqcup_{\hat{l}\in\hat{C}_1.2} \widehat{\text{Proto}}(\hat{H},\hat{l},\text{“}i\text{”}) \wedge\ \hat{v}_{arg} = \textit{getArgValue}(args,\text{“0”})$

$\wedge\ \hat{s}_{sep} = \widehat{\text{toString}}(\widehat{\text{toPrimitive}}(Value(\langle\bot_{undef},\hat{v}_{arg}.1.2,\hat{v}_{arg}.1.3,\hat{v}_{arg}.1.4,\hat{v}_{arg}.1.5\rangle,v_{arg}.2))) \sqcup \hat{s}_{udf}$

$\wedge\ \hat{s}_{udf} = \begin{cases} \text{“}\hat{,}\text{”} & \text{if } v_1.1.1 \sqsubseteq \bot_{Undef} \\ \bot_{string} & \text{otherwise} \end{cases}$

$\wedge\ (\hat{H}_1,\hat{C}_1) = (\hat{H}[\#\hat{PureLocal}_R \mapsto \hat{H}(\#\hat{PureLocal}_R)[@return \mapsto \hat{s}]],\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Array.prototype.pop”}, args))]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_5,\hat{C}_5),\hat{S})$

$$\text{where } (\hat{v}_{\hat{l}},\hat{H}_{1_{\hat{l}}}) = \begin{cases} (Value(\top_{undef}),\hat{H}_{2_{\hat{l}}}) & \text{if } \hat{n}_{len_{\hat{l}}} = \mathsf{UIntSingle}(0) \\ (\widehat{\underline{\mathsf{Proto}}}(\hat{H},\hat{l},\hat{n_{len}}-1),\hat{H}_{3_{\hat{l}}}) & \text{if } \hat{n}_{len_{\hat{l}}} = \mathsf{UIntSingle}(n_{len}) \\ (\perp_{Value},\perp_{Heap}) & \text{if } \hat{n}_{len_{\hat{l}}} = \perp_{number} \\ (\hat{H}(\hat{l})(\hat{@default\_number}),\hat{H}) & \text{otherwise} \end{cases}$$

$\wedge\ \hat{n}_{len_{\hat{l}}} = \widehat{\underline{\mathsf{toUInt32}}}(\widehat{\underline{\mathsf{Proto}}}(\hat{H},\hat{l},\text{“}length\text{”}))$
$\wedge\ \hat{H}_{2_{\hat{l}}} = \hat{H}[\hat{l} \mapsto \hat{H}(\hat{l})[\text{“}\hat{length}\text{”} \mapsto \hat{0}]]$
$\wedge\ \hat{H}_{3_{\hat{l}}} = (\widehat{\underline{\mathsf{Delete}}}(\hat{H},\hat{l},\hat{n_{len}}-1).1)[\hat{l} \mapsto \hat{H}(\hat{l})[\text{“}\hat{length}\text{”} \mapsto \hat{n_{len}}-1]]$
$\wedge\ (\hat{v},\hat{H}_4) = \bigsqcup_{\hat{l}\in\hat{C}.2}(\hat{v}_{\hat{l}},\hat{H}_{1_{\hat{l}}})$
$\wedge\ (\hat{H}_5,\hat{C}_5) = (\hat{H}_4[\#\hat{PureLocal}_R \mapsto \hat{H}_4(\#\hat{PureLocal}_R)[@return \mapsto \hat{v}]],\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Array.prototype.push”}, args))]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_3,\hat{C}_3),\hat{S})$

where $\hat{n}_{len_{\hat{l}}} = \widehat{\underline{\mathsf{toUInt32}}}(\widehat{\underline{\mathsf{Proto}}}(\hat{H},\hat{l},\text{“}length\text{”}))$
$\wedge\ \hat{n}_{arglen} = \widehat{\underline{\mathsf{toUInt32}}}(\mathit{getArgValue}(args,\text{“}length\text{”}))$
$$\wedge\ (\hat{H}_1,\hat{v}_1) = \bigsqcup_{\hat{l}\in\hat{C}.2} \begin{cases} \perp_{Heap},\perp_{value} & \text{if } \hat{n}_{arglen} = \perp_{Number} \\ \hat{H}_1[\hat{l} \mapsto \hat{o}_1],\hat{n}_{len_{\hat{l}}} + \hat{n}_{arglen} & \text{if } \hat{n}_{len_{\hat{l}}} = \mathsf{UIntSingle}(n_{arglen}) \\ \hat{H}_1[\hat{l} \mapsto \hat{o}_2],\hat{n}_{len_{\hat{l}}} & \text{otherwise} \end{cases}$$
$\wedge\ \hat{o}_1 = \hat{H}(\hat{l})[\forall i \in \{0,...,n_{arglen}-1\} : i + \hat{n}_{len} \mapsto \mathit{getArgValue}(args,i),\text{“}length\text{”} \mapsto \hat{n}_{len} + \hat{n}_{arglen}]$
$\wedge\ \hat{o}_2 = \hat{H}(\hat{l})[\hat{n}_{arglen} \mapsto \mathit{getArgValue}(args,\hat{n}_{arglen})]$
$\wedge\ (\hat{H}_2,\hat{C}_2) = (\hat{H}_1[\#\hat{PureLocal}_R \mapsto \hat{H}_1(\#\hat{PureLocal}_R)[@return \mapsto \hat{v}_1]],\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Array.prototype.reverse”}, args))]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_2,\hat{C}_2),\hat{S})$

where $\hat{H}_1 = \bigsqcup_{\hat{l}\in\hat{C}.2} \begin{cases} \hat{H}[\hat{l} \mapsto \hat{o}_1] & \text{if } \hat{n}_{len_{\hat{l}}} = \mathsf{UIntSingle}(n_{len_{\hat{l}}}) \\ \hat{H}[\hat{l} \mapsto \hat{o}_2] & \text{if } \hat{n}_{len_{\hat{l}}} = \mathsf{UInt} \end{cases}$
$\wedge\ \hat{n}_{len_{\hat{l}}} = \widehat{\underline{\mathsf{toUInt32}}}(\widehat{\underline{\mathsf{Proto}}}(\hat{H},\hat{l},\text{“}length\text{”}))$
$\wedge\ \hat{o}_1 = \forall i \in \{0,...,n_{mid_{\hat{l}}}-1\} : \hat{o}_{low1} \sqcup \hat{o}_{low2} \sqcup \hat{o}_{up1} \sqcup \hat{o}_{up2}$
$\wedge\ n_{up} = n_{len_{\hat{l}}} - i - 1$
$$\wedge\ \hat{o}_{low1} = \begin{cases} \hat{H}(\hat{l})[n_{up} \mapsto \widehat{\underline{\mathsf{Proto}}}(\hat{H},\hat{l},i)] & \text{if } \hat{\mathsf{true}} \sqsubseteq \widehat{\underline{\mathsf{HasProperty}}}(\hat{H},\hat{l},i) \\ \hat{H}(\hat{l}) & \text{otherwise} \end{cases}$$
$$\wedge\ \hat{o}_{low2} = \begin{cases} \hat{H}(\hat{l}) - n_{up} & \text{if } \hat{\mathsf{false}} \sqsubseteq \widehat{\underline{\mathsf{HasProperty}}}(\hat{H},\hat{l},i) \\ \hat{H}(\hat{l}) & \text{otherwise} \end{cases}$$
$$\wedge\ \hat{o}_{up1} = \begin{cases} \hat{H}(\hat{l})[i \mapsto \widehat{\underline{\mathsf{Proto}}}(\hat{H},\hat{l},n_{up})] & \text{if } \hat{\mathsf{true}} \sqsubseteq \widehat{\underline{\mathsf{HasProperty}}}(\hat{H},\hat{l},n_{up}) \\ \hat{H}(\hat{l}) & \text{otherwise} \end{cases}$$
$$\wedge\ \hat{o}_{up2} = \begin{cases} \hat{H}(\hat{l}) - i & \text{if } \hat{\mathsf{false}} \sqsubseteq \widehat{\underline{\mathsf{HasProperty}}}(\hat{H},\hat{l},n_{up}) \\ \hat{H}(\hat{l}) & \text{otherwise} \end{cases}$$
$\wedge\ \hat{o}_2 = \forall s \in \widehat{\underline{\mathsf{GetUIntProps}}}(\hat{H},\hat{l}) : \hat{o}_3 - s$
$\wedge\ \hat{o}_3 = \hat{H}(\hat{l})[\hat{@default\_number} \mapsto \hat{H}(\hat{l})(\hat{@default\_number}) \sqcup \bigsqcup_{s\in\widehat{\underline{\mathsf{GetUIntProps}}}(\hat{H},\hat{l})} \hat{H}(\hat{l})(s)]$
$\wedge\ (\hat{H}_2,\hat{C}_2) = (\hat{H}_1[\#\hat{PureLocal}_R \mapsto \hat{H}_1(\#\hat{PureLocal}_R)[@return \mapsto \hat{C}.2]],\hat{C})$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Array.prototype.shift”}, args))]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_2,\hat{C}_2),\hat{S})$$

where $(\hat{H}_1,\hat{v}_1) = \bigsqcup_{\hat{l}\in\hat{C}.2} \begin{cases} (\hat{H}[\hat{l}\mapsto\hat{o}_1],\hat{v}_{head}) & \text{if } \hat{n}_{len_{\hat{l}}} = \mathsf{UIntSingle}(n_{len_{\hat{l}}}) \\ (\hat{H}[\hat{l}\mapsto\hat{o}_2],\hat{v}_{uint}) & \text{if } \hat{n}_{len_{\hat{l}}} = \mathsf{UInt} \end{cases}$

$\wedge\ \hat{n}_{len_{\hat{l}}} = \widehat{\mathsf{toUInt32}}(\widehat{\mathsf{Proto}}(\hat{H},\hat{l},\text{“}length\text{”}))$

$\wedge\ \hat{o}_2 = (\forall i \in \{1,...,n_{len_{\hat{l}}}-1\} : \hat{H}(\hat{l})[i-1\mapsto\hat{H}(\hat{l})(i)]) - n_{len_{\hat{l}}}$

$\wedge\ \hat{v}_{head} = \begin{cases} \widehat{\mathsf{Proto}}(\hat{H},\hat{l},\text{“0”}) & \text{if } n_{len_{\hat{l}}} \neq 0 \\ Value(\top_{undef}) & \text{if } n_{len_{\hat{l}}} = 0 \end{cases}$

$\wedge\ \hat{o}_2 = \bigsqcup_{i\in\widehat{\mathsf{GetUIntProps}}(\hat{H},\hat{l})} (\hat{H}(\hat{l})[i-1\mapsto\hat{H}(\hat{l})(i)] - i)$

$\wedge\ \hat{v}_{uint} = Value(\top_{undef}) \sqcup \widehat{\mathsf{Proto}}(\hat{H},\hat{l},\text{“0”})$

$\wedge\ (\hat{H}_2,\hat{C}_2) = (\hat{H}_1[\#\hat{PureLocal}_R \mapsto \hat{H}_1(\#\hat{PureLocal}_R)[@return\mapsto\hat{v}_1]],\hat{C})$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Array.prototype.slice”}, args))_{\hat{a}_{new}}]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_2,\hat{C}_2),\hat{S})$$

where $(\hat{H}_1,\hat{C}_1) = \widehat{\mathsf{Oldify}}(\hat{H},\hat{C},\hat{a}_{new}) \wedge \hat{l}_R = (\hat{a}_{new}, Recent)$ *// Recency Abstraction*

$\wedge\ \hat{o}_{new} = \widehat{\mathsf{NewArrayObject}}(0)$

$\wedge\ \hat{v}_{len} = \widehat{\mathsf{toUInt32}}(\widehat{\mathsf{Proto}}(\hat{H},\hat{l},\text{“}length\text{”}))$

$\wedge\ \hat{v}_{start} = \widehat{\mathsf{toInteger}}(getArgValue(args,\text{“0”}))$

$\wedge\ \hat{n}_k = \begin{cases} max((\hat{v}_{start}+v_{len}),0) \sqcup min(\hat{v}_{start},v_{len}) & \text{if } \top_{bool} = \hat{v}_{start} < 0 \\ max((\hat{v}_{start}+v_{len}),0) & \text{if } \hat{\mathsf{true}} = \hat{v}_{start} < 0 \\ min(\hat{v}_{start},v_{len}) & \text{if } \hat{\mathsf{false}} = \hat{v}_{start} < 0 \end{cases}$

$\wedge\ \hat{v}_{end} = \begin{cases} \widehat{\mathsf{toInteger}}(getArgValue(args,\text{“0”})) \sqcup \hat{v}_{len} & \text{if } \top_{undef} \sqsubseteq getArgValue(args,\text{“1”}).1.1 \\ \widehat{\mathsf{toInteger}}(getArgValue(args,\text{“0”})) & \text{otherwise} \end{cases}$

$\wedge\ \hat{n}_{final} = \begin{cases} max((\hat{v}_{end}+v_{len}),0) \sqcup min(\hat{v}_{end},v_{len}) & \text{if } \top_{bool} = \hat{v}_{end} < 0 \\ max((\hat{v}_{end}+v_{len}),0) & \text{if } \hat{\mathsf{true}} = \hat{v}_{end} < 0 \\ min(\hat{v}_{end},v_{len}) & \text{if } \hat{\mathsf{false}} = \hat{v}_{end} < 0 \end{cases}$

$\wedge\ \hat{o} = \begin{cases} \hat{o}_{slice} & \text{if } \hat{n}_k = \mathsf{UIntSingle}(n_k) \wedge \hat{n}_{final} = \mathsf{UIntSingle}(n_{final}) \\ \hat{o}_{uint} & \text{otherwise} \end{cases}$

$\wedge\ \hat{o}_{slice} = \bigsqcup_{i\in\{n_k,...,n_{final}-1\}} \hat{o}_{slice1} \sqcup \hat{o}_{slice2}$

$\wedge\ \hat{o}_{slice1} = \begin{cases} \hat{o}_{new}[i-n_k \mapsto \hat{H}(\hat{l})(i)] & \text{if } \hat{\mathsf{true}} \sqsubseteq \widehat{\mathsf{HasProperty}}(\hat{H},\hat{l},i) \\ \bot_{obj} & \text{otherwise} \end{cases}$

$\wedge\ \hat{o}_{slice2} = \begin{cases} \hat{o}_{new} & \text{if } \hat{\mathsf{false}} \sqsubseteq \widehat{\mathsf{HasProperty}}(\hat{H},\hat{l},i) \\ \bot_{obj} & \text{otherwise} \end{cases}$

$\wedge\ \hat{o}_{uint} = \hat{o}_{new}[@default\hat{\_}number \mapsto \hat{H}(\hat{l})(@default\hat{\_}number) \sqcup Value(\top_{undef}) \sqcup \bigsqcup_{i\in\widehat{\mathsf{GetUIntProps}}(\hat{H},\hat{l})} \hat{H}(\hat{l})(i)]$

$\wedge\ \hat{H}_1 = \hat{H}[\hat{l}_R \mapsto \bigsqcup_{\hat{l}in\hat{C}.2} \hat{o}]$

$\wedge\ (\hat{H}_2,\hat{C}_2) = (\hat{H}_1[\#\hat{PureLocal}_R \mapsto \hat{H}_1(\#\hat{PureLocal}_R)[@return\mapsto\hat{l}_R]],\hat{C})$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Array.prototype.splice”}, args))_{\hat{a}_{new}}]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_2,\hat{C}_2),\hat{S})$$

where $(\hat{H}_1,\hat{C}_1) = \widehat{\mathsf{OIdify}}(\hat{H},\hat{C},\hat{a}_{new}) \wedge \hat{l}_R = (\hat{a}_{new}, Recent)$ *// Recency Abstraction*

$\wedge\ \hat{o}_{new} = \widehat{\mathsf{NewArrayObject}}(0)$

$\wedge\ \hat{v}_{len} = \widehat{\mathsf{toUInt32}}(\widehat{\mathsf{Proto}}(\hat{H},\hat{l},\text{“}length\text{”}))$

$\wedge\ \hat{n}_{argstat} = getArgValue(args,\text{“0”})),0)$

$$\wedge\ \hat{n}_{start} = \begin{cases} max((\hat{v}_{argstat}+v_{len}),0) \sqcup min(\hat{v}_{argstat}, v_{len}) & \text{if } \top_{bool} = \hat{v}_{argstat} < 0 \\ max((\hat{v}_{argstat}+v_{len}),0) & \text{if } \hat{\mathsf{true}} = \hat{v}_{argstat} < 0 \\ min(\hat{v}_{argstat}, v_{len}) & \text{if } \hat{\mathsf{false}} = \hat{v}_{argstat} < 0 \end{cases}$$

$\wedge\ \hat{v}_{count} = min(max(\widehat{\mathsf{toInteger}}(getArgValue(args,\text{“1”})),0), \hat{v}_{len} - \hat{n}_{start})$

$$\wedge\ \hat{o} = \begin{cases} \hat{o}_{splice}[length \mapsto n_{final} - n_k] & \text{if } \hat{n}_{start} = \mathsf{UIntSingle}(n_{start}) \wedge \hat{n}_{count} = \mathsf{UIntSingle}(n_{count}) \\ \hat{o}_{uint}[length \mapsto \mathsf{UInt}] & \text{otherwise} \end{cases}$$

$$\wedge\ \hat{o}_{this_{\hat{l}}} = \begin{cases} \hat{o}_{this_{del}}[length \mapsto n_{final} - n_k] & \text{if } \hat{n}_{start} = \mathsf{UIntSingle}(n_{start}) \wedge \hat{n}_{count} = \mathsf{UIntSingle}(n_{count}) \\ \hat{o}_{this_{uint}}[length \mapsto \mathsf{UInt}] & \text{otherwise} \end{cases}$$

$\wedge\ \hat{o}_{slice} = \bigsqcup_{i\in\{n_k,\ldots,n_{final}-1\}} \hat{o}_{slice1} \sqcup \hat{o}_{slice2}$

$$\wedge\ \hat{o}_{slice1} = \begin{cases} \hat{o}_{new}[i - n_k \mapsto \hat{H}(\hat{l})(i)] & \text{if } \hat{\mathsf{true}} \sqsubseteq \widehat{\mathsf{HasProperty}}(\hat{H},\hat{l},i) \\ \bot_{obj} & \text{otherwise} \end{cases}$$

$$\wedge\ \hat{o}_{slice2} = \begin{cases} \hat{o}_{new} & \text{if } \hat{\mathsf{false}} \sqsubseteq \widehat{\mathsf{HasProperty}}(\hat{H},\hat{l},i) \\ \bot_{obj} & \text{otherwise} \end{cases}$$

$\wedge\ \hat{o}_{uint} = \hat{o}_{new}[@default\_number \mapsto \hat{H}(\hat{l})(@default\_number) \sqcup Value(\top_{undef}) \sqcup \bigsqcup_{i\in\widehat{\mathsf{GetUIntProps}}(\hat{H},\hat{l})} \hat{H}(\hat{l})(i)]$

$\wedge\ \hat{o}_{this_{uint}} = \hat{H}(\hat{l})[@default\_number \mapsto \hat{H}(\hat{l})(@default\_number) \sqcup Value(\top_{undef}) \sqcup \bigsqcup_{i\in\widehat{\mathsf{GetUIntProps}}(\hat{H},\hat{l})} \hat{H}(\hat{l})(i)]$

$\wedge\ \hat{H}_1 = \hat{H}[\hat{l}_R \mapsto \hat{o}]$

$\wedge\ (\hat{H}_2,\hat{C}_2) = (\hat{H}_1[\#Pure\hat{L}ocal_R \mapsto \hat{H}_1(\#Pure\hat{L}ocal_R)[@return \mapsto \hat{l}_R]], \hat{C})$

11.2.8 String

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“String”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
where $\hat{n}_{arglen} = \underline{\widehat{\mathsf{toUInt32}}}(\mathit{getArgValue}(\hat{H},\hat{C},\text{“}length\text{”}))$

$$\wedge\ \hat{s}_1 = \begin{cases} \text{“”} & \text{if } \mathsf{UIntSingle}(0) \sqsubseteq \hat{n}_{arglen} \\ \bot_{string} & \text{otherwise} \end{cases}$$

$$\wedge\ \hat{s}_2 = \begin{cases} \underline{\widehat{\mathsf{toString}}}(\underline{\widehat{\mathsf{toPrimitive}}}(\mathit{getArgValue}(\hat{H},\hat{C},\text{“0”}))) & \text{if } \mathsf{UIntSingle}(n) \sqsubseteq \hat{n}_{arglen} \wedge n > 0 \\ \bot_{string} & \text{otherwise} \end{cases}$$

$$\wedge\ \hat{s} = \hat{s}_1 \sqcup \hat{s}_2$$

$$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\underline{\widehat{\mathsf{ReturnStore}}}(\hat{H}, Value(\hat{s})),\hat{C}) & \text{if } \hat{s} \not\sqsubseteq \bot_{String} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“String.constructor”}, args))_{\hat{a}_{new}}]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_3,\hat{C}_3),\hat{S})$$
where $(\hat{H}_1,\hat{C}_1) = \underline{\widehat{\mathsf{OldIfy}}}(\hat{H},\hat{C},\hat{a}_{new}) \wedge \hat{l}_R = (\hat{a}_{new}, \mathit{Recent})$ *// Recency Abstraction*

$$\wedge\ \hat{n}_{arglen} = \underline{\widehat{\mathsf{toUInt32}}}(\mathit{getArgValue}(\hat{H}_1,\hat{C}_1,\text{“}length\text{”}))$$

$$\wedge\ \hat{s}_1 = \begin{cases} \text{“”} & \text{if } \mathsf{UIntSingle}(0) \sqsubseteq \hat{n}_{arglen} \\ \bot_{string} & \text{otherwise} \end{cases}$$

$$\wedge\ \hat{s}_2 = \begin{cases} \underline{\widehat{\mathsf{toString}}}(\underline{\widehat{\mathsf{toPrimitive}}}(\mathit{getArgValue}(\hat{H}_1,\hat{C}_1,\text{“0”}))) & \text{if } \mathsf{UIntSingle}(n) \sqsubseteq \hat{n}_{arglen} \wedge n > 0 \\ \bot_{string} & \text{otherwise} \end{cases}$$

$$\wedge\ \hat{s} = \hat{s}_1 \sqcup \hat{s}_2$$

$$\wedge\ \hat{H}_2 = \hat{H}_1[\hat{l}_R \mapsto \widehat{\mathsf{NewString}}(\hat{s})]$$

$$\wedge\ (\hat{H}_3,\hat{C}_3) = \begin{cases} (\underline{\widehat{\mathsf{ReturnStore}}}(\hat{H}_2, Value(\hat{l}_R)),\hat{C}_1) & \text{if } \hat{s} \not\sqsubseteq \bot_{String} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“String.fromCharCode”}, args))]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
where $\hat{n}_{arglen} = \underline{\widehat{\mathsf{toUInt32}}}(\mathit{getArgValue}(\hat{H},\hat{C},\text{“}length\text{”}))$

$$\wedge\ \hat{s}_1 = \begin{cases} \text{“”} & \text{if } \mathsf{UIntSingle}(0) \sqsubseteq \hat{n}_{arglen} \\ \bot_{string} & \text{otherwise} \end{cases}$$

$$\wedge\ \hat{s}_2 = \begin{cases} \top_{String} & \text{if } \top_{UIntSingle}(n) \neq \hat{n}_{arglen} \wedge \hat{n}_{arglen} \not\sqsubseteq \bot_{Number} \\ \text{“”}\hat{+}\hat{s}_0\hat{+}...\hat{+}\hat{s}_{n-1} & \text{if } \mathsf{UIntSingle}(n) \sqsubseteq \hat{n}_{arglen} \wedge n > 0 \\ \bot_{string} & \text{otherwise} \end{cases}$$

$$\wedge\ s_i = \underline{\widehat{\mathsf{toChar}}}(\underline{\widehat{\mathsf{toUInt16}}}(\mathit{getArgValue}(\hat{H},\hat{C},\text{“}i\text{”}))) \wedge\ \hat{s} = \hat{s}_1 \sqcup \hat{s}_2$$

$$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\underline{\widehat{\mathsf{ReturnStore}}}(\hat{H}, Value(\hat{s})),\hat{C}) & \text{if } \hat{s} \not\sqsubseteq \bot_{String} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$$

11.2.9 String.prototype

$$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.toString”}, args))]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S}_1)$$
$$\text{where } \hat{es} = \begin{cases} \{\text{TypeError}\} & \text{if } \exists \hat{l} \in \hat{C}.2 : \hat{H}(\hat{l})(@\hat{class}).1.2.1.5 \neq \text{“}\hat{string}\text{”} \\ \{\} & \text{otherwise} \end{cases}$$
$$\wedge\ \hat{L}_{string} = \{\hat{l} \mid \hat{l} \in \hat{C}.2 \wedge \hat{H}(\hat{l})(@\hat{class}).1.2.1.5 = \text{“}\hat{string}\text{”}\}$$
$$\wedge\ \hat{v} = \bigsqcup_{\hat{l} \in \hat{L}_{string}} \hat{H}(\hat{l})(@\hat{primitive}).1.2$$
$$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\underline{\text{ReturnStore}}}(\hat{H},\hat{v})),\hat{C}) & \text{if } \hat{v} \not\sqsubseteq \bot_{Value} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$$
$$\wedge\ \hat{S}_1 = \hat{S} \sqcup \widehat{\underline{\text{RaiseException}}}(\hat{H},\hat{C},\hat{es})$$

$$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.valueOf”}, args))]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S}_1)$$
$$\text{where } \hat{es} = \begin{cases} \{\text{TypeError}\} & \text{if } \exists \hat{l} \in \hat{C}.2 : \hat{H}(\hat{l})(@\hat{class}).1.2.1.5 \neq \text{“}\hat{string}\text{”} \\ \{\} & \text{otherwise} \end{cases}$$
$$\wedge\ \hat{L}_{string} = \{\hat{l} \mid \hat{l} \in \hat{C}.2 \wedge \hat{H}(\hat{l})(@\hat{class}).1.2.1.5 = \text{“}\hat{string}\text{”}\}$$
$$\wedge\ \hat{v} = \bigsqcup_{\hat{l} \in \hat{L}_{string}} \hat{H}(\hat{l})(@\hat{primitive}).1.2$$
$$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\underline{\text{ReturnStore}}}(\hat{H},\hat{v})),\hat{C}) & \text{if } \hat{v} \not\sqsubseteq \bot_{Value} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$$
$$\wedge\ \hat{S}_1 = \hat{S} \sqcup \widehat{\underline{\text{RaiseException}}}(\hat{H},\hat{C},\hat{es})$$

$$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.charAt”}, args))]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
$$\text{where } \hat{L}_{prim} = \{\hat{l} \mid \hat{l} \in \hat{C}.2 \wedge \text{“}@\hat{primitive}\text{”} \dot{\in} \hat{H}(\hat{l})\}$$
$$\wedge\ \hat{v}_{this} = \bigsqcup_{\hat{l} \in \hat{L}_{prim}} \hat{H}(\hat{l})(@\hat{primitive}).1.2 \quad \textit{// [[DefaultValue]]??}$$
$$\wedge\ \hat{s}_{this} = \widehat{\underline{\text{toString}}}(\widehat{\underline{\text{toPrimitive}}}(\hat{v}_{this}))$$
$$\wedge\ \hat{n}_{size} = \mid \hat{s}_{this} \mid$$
$$\wedge\ \hat{n}_{pos} = \widehat{\underline{\text{toInteger}}}(\widehat{\underline{\text{getArgValue}}}(\hat{H},\hat{C},\text{“0”}))$$
$$\wedge\ \hat{v}_1 = \begin{cases} \hat{\text{“”}} & \text{if } \hat{\text{true}} \sqsubseteq (\hat{n}_{pos} < \hat{0}) \\ \bot_{Value} & \text{otherwise} \end{cases}$$
$$\wedge\ \hat{v}_2 = \begin{cases} \hat{\text{“”}} & \text{if } \hat{\text{true}} \sqsubseteq (\hat{n}_{size} < \hat{n}_{pos}) \vee \hat{\text{true}} \sqsubseteq (\hat{n}_{size} = \hat{n}_{pos}) \\ \bot_{Value} & \text{otherwise} \end{cases}$$
$$\wedge\ \hat{v}_3 = \wedge\hat{v} = \hat{v}_1 \sqcup \hat{v}_2 \sqcup \alpha(\textit{native.charAt}(\gamma(\hat{s}_{this}),\gamma(n_{pos}))) \quad \textit{// java, scala}$$
$$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\underline{\text{ReturnStore}}}(\hat{H},\hat{v})),\hat{C}) & \text{if } \hat{v} \not\sqsubseteq \bot_{Value} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$$

$$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.charCodeAt”}, args))]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
$$\text{where } \hat{L}_{prim} = \{\hat{l} \mid \hat{l} \in \hat{C}.2 \wedge \text{“}@\hat{primitive}\text{”} \dot{\in} \hat{H}(\hat{l})\}$$
$$\wedge\ \hat{v}_{this} = \bigsqcup_{\hat{l} \in \hat{L}_{prim}} \hat{H}(\hat{l})(@\hat{primitive}).1.2 \quad \textit{// [[DefaultValue]]??}$$
$$\wedge\ \hat{s}_{this} = \widehat{\underline{\text{toString}}}(\widehat{\underline{\text{toPrimitive}}}(\hat{v}_{this}))$$
$$\wedge\ \hat{n}_{size} = \mid \hat{s}_{this} \mid$$
$$\wedge\ \hat{n}_{pos} = \widehat{\underline{\text{toInteger}}}(\widehat{\underline{\text{getArgValue}}}(\hat{H},\hat{C},\text{“0”}))$$
$$\wedge\ \hat{v}_1 = \begin{cases} \hat{\text{NaN}} & \text{if } \hat{\text{true}} \sqsubseteq (\hat{n}_{pos} < \hat{0}) \\ \bot_{Value} & \text{otherwise} \end{cases}$$
$$\wedge\ \hat{v}_2 = \begin{cases} \hat{\text{NaN}} & \text{if } \hat{\text{true}} \sqsubseteq (\hat{n}_{size} < \hat{n}_{pos}) \vee \hat{\text{true}} \sqsubseteq (\hat{n}_{size} = \hat{n}_{pos}) \\ \bot_{Value} & \text{otherwise} \end{cases}$$
$$\wedge\hat{v} = \hat{v}_1 \sqcup \hat{v}_2 \sqcup \alpha(\textit{native.charAt}(\gamma(\hat{s}_{this}),\gamma(n_{pos})).toInt) \quad \textit{// java, scala}$$
$$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\underline{\text{ReturnStore}}}(\hat{H},\hat{v})),\hat{C}) & \text{if } \hat{v} \not\sqsubseteq \bot_{Value} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$$

$$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.concat”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
where $\hat{L}_{prim} = \{\hat{l} \mid \hat{l} \in \hat{C}.2 \wedge \text{“@}\hat{primitive}\text{”} \dot{\in} \hat{H}(\hat{l})\}$
$\wedge\ \hat{v}_{this} = \bigsqcup_{\hat{l}\in\hat{L}_{prim}} \hat{H}(\hat{l})(\text{@}\hat{primitive}).1.2$ *// [[DefaultValue]]??*
$\wedge\ \hat{s}_{this} = \widehat{\text{toString}}(\widehat{\text{toPrimitive}}(\hat{v}_{this}))$
$\wedge\ \hat{n}_{argalen} = \textit{getArgValue}(args, \text{“}length\text{”}).1.4$
$\wedge\ \hat{s} = \begin{cases} \bot_{string} & \text{if } \hat{n}_{arglen} = \bot_{number} \\ \top_{string} & \text{if } \hat{n}_{arglen} \neq \text{UIntSingle} \\ \hat{s}_{this}\hat{+}\hat{s}_0\hat{+}...\hat{+}\hat{s}_{n-1} & \text{if } \hat{n}_{arglen} = \text{UIntSingle}(n) \end{cases}$
$\wedge\ \hat{s}_i = \widehat{\text{toString}}(\widehat{\text{toPrimitive}}(\textit{getArgValue}(args, \text{“}i\text{”})))$
$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\text{ReturnStore}}(\hat{H}, Value(\hat{s}))),\hat{C}) & \text{if } \hat{s} \not\sqsubseteq \bot_{String} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$

$$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.indexOf”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
where $\hat{L}_{prim} = \{\hat{l} \mid \hat{l} \in \hat{C}.2 \wedge \text{“@}\hat{primitive}\text{”} \dot{\in} \hat{H}(\hat{l})\}$
$\wedge\ \hat{v}_{this} = \bigsqcup_{\hat{l}\in\hat{L}_{prim}} \hat{H}(\hat{l})(\text{@}\hat{primitive}).1.2$ *// [[DefaultValue]]??*
$\wedge\ \hat{s}_{this} = \widehat{\text{toString}}(\widehat{\text{toPrimitive}}(\hat{v}_{this}))$
$\wedge\ \hat{n} = \begin{cases} \bot_{number} & \text{if } \hat{s}_{this} = \bot_{string} \\ \hat{n}' & \text{if } \hat{s}_{this} = \text{NumStrSingle}(s_{this}) \vee \hat{s}_{this} = \text{OtherStrSingle}(s_{this}) \\ \top_{number} & \text{otherwise} \end{cases}$
$\wedge\ \hat{s}_{search} = \widehat{\text{toString}}(\widehat{\text{toPrimitive}}(\textit{getArgValue}(args, \text{“0”})))$
$\wedge\ \hat{n}' = \begin{cases} \bot_{number} & \text{if } \hat{s}_{search} = \bot_{string} \\ \hat{n}'' & \text{if } \hat{s}_{search} = \text{NumStrSingle}(s_{search}) \vee \hat{s}_{search} = \text{OtherStrSingle}(s_{search}) \\ \top_{number} & \text{otherwise} \end{cases}$
$\wedge\ \hat{n}_{pos} = \widehat{\text{toInteger}}(\textit{getArgValue}(args, \text{“1”}))$
$\wedge\ \hat{n}'' = \begin{cases} \bot_{number} & \text{if } \hat{n}_{pos} = \bot_{number} \\ \hat{n}''' & \text{if } \hat{n}_{pos} = \text{UIntSingle}(n_{pos}) \\ \top_{number} & \text{otherwise} \end{cases}$
$\wedge\ n_{start} = min(max(n_{pos}, 0), s_{this}.length)$
$\wedge\ \hat{n}''' = \alpha(native.string.indexOf(s_{this}, s_{search}, n_{start}))$ *// java, scala*
$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\text{ReturnStore}}(\hat{H}, Value(\hat{n}))),\hat{C}) & \text{if } \hat{n} \not\sqsubseteq \bot_{Number} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$

$$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.lastIndexOf”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
where $\hat{L}_{prim} = \{\hat{l} \mid \hat{l} \in \hat{C}.2 \wedge \text{“@}\hat{primitive}\text{”} \dot{\in} \hat{H}(\hat{l})\}$
$\wedge\ \hat{v}_{this} = \bigsqcup_{\hat{l}\in\hat{L}_{prim}} \hat{H}(\hat{l})(\text{@}\hat{primitive}).1.2$ *// [[DefaultValue]]??*
$\wedge\ \hat{s}_{this} = \widehat{\text{toString}}(\widehat{\text{toPrimitive}}(\hat{v}_{this}))$
$\wedge\ \hat{n} = \begin{cases} \bot_{number} & \text{if } \hat{s}_{this} = \bot_{string} \\ \hat{n}' & \text{if } \hat{s}_{this} = \text{NumStrSingle}(s_{this}) \vee \hat{s}_{this} = \text{OtherStrSingle}(s_{this}) \\ \top_{number} & \text{otherwise} \end{cases}$
$\wedge\ \hat{s}_{search} = \widehat{\text{toString}}(\widehat{\text{toPrimitive}}(\textit{getArgValue}(args, \text{“0”})))$
$\wedge\ \hat{n}' = \begin{cases} \bot_{number} & \text{if } \hat{s}_{search} = \bot_{string} \\ \hat{n}'' & \text{if } \hat{s}_{search} = \text{NumStrSingle}(s_{search}) \vee \hat{s}_{search} = \text{OtherStrSingle}(s_{search}) \\ \top_{number} & \text{otherwise} \end{cases}$
$\wedge\ \hat{n}_{pos} = \widehat{\text{toInteger}}(\textit{getArgValue}(args, \text{“1”}))$
$\wedge\ \hat{n}'' = \begin{cases} \bot_{number} & \text{if } \hat{n}_{pos} = \bot_{number} \\ \hat{n}''' & \text{if } \hat{n}_{pos} = \text{UIntSingle}(n_{pos}) \\ \top_{number} & \text{otherwise} \end{cases}$
$\wedge\ n_{start} = min(max(n_{pos}, 0), s_{this}.length)$
$\wedge\ \hat{n}''' = \alpha(native.string.lastIndexOf(s_{this}, s_{search}, n_{start}))$ *// java, scala*
$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\text{ReturnStore}}(\hat{H}, Value(\hat{n}))),\hat{C}) & \text{if } \hat{n} \not\sqsubseteq \bot_{Number} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“String.prototype.localeCompare”}, args))]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$

where $\hat{L}_{prim} = \{\hat{l} \mid \hat{l} \in \hat{C}.2 \wedge \text{“@}\hat{prim}\hat{itive}\text{”} \dot{\in} \hat{H}(\hat{l})\}$

$\wedge\ \hat{v}_{this} = \bigsqcup_{\hat{l} \in \hat{L}_{prim}} \hat{H}(\hat{l})(\text{@}\hat{prim}\hat{itive}).1.2$ *// [[DefaultValue]]??*

$\wedge\ \hat{s}_{this} = \widehat{\underline{\mathsf{toString}}}(\widehat{\underline{\mathsf{toPrimitive}}}(\hat{v}_{this}))$

$$\wedge\ \hat{n} = \begin{cases} \bot_{number} & \text{if } \hat{s}_{this} = \bot_{string} \\ \hat{n}' & \text{if } \hat{s}_{this} = \mathsf{NumStrSingle}(s_{this}) \vee \hat{s}_{this} = \mathsf{OtherStrSingle}(s_{this}) \\ \top_{number} & \text{otherwise} \end{cases}$$

$\wedge\ \hat{s}_{that} = \widehat{\underline{\mathsf{toString}}}(\widehat{\underline{\mathsf{toPrimitive}}}(\mathit{getArgValue}(args, \text{“0”})))$

$$\wedge\ \hat{n}' = \begin{cases} \bot_{number} & \text{if } \hat{s}_{that} = \bot_{string} \\ \hat{n}'' & \text{if } \hat{s}_{that} = \mathsf{NumStrSingle}(s_{that}) \vee \hat{s}_{that} = \mathsf{OtherStrSingle}(s_{that}) \\ \top_{number} & \text{otherwise} \end{cases}$$

$\wedge\ \hat{n}'' = \alpha(\mathit{native.string.compare}(s_{this}, s_{that}))$ *// java, scala*

$$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\underline{\mathsf{ReturnStore}}}(\hat{H}, Value(\hat{n}))), \hat{C}) & \text{if } \hat{n} \not\sqsubseteq \bot_{Number} \\ (\bot_{heap}, \bot_{context}) & \text{otherwise} \end{cases}$$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“String.prototype.slice”}, args))]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$

where $\hat{L}_{prim} = \{\hat{l} \mid \hat{l} \in \hat{C}.2 \wedge \text{“@}\hat{prim}\hat{itive}\text{”} \dot{\in} \hat{H}(\hat{l})\}$

$\wedge\ \hat{v}_{this} = \bigsqcup_{\hat{l} \in \hat{L}_{prim}} \hat{H}(\hat{l})(\text{@}\hat{prim}\hat{itive}).1.2$ *// [[DefaultValue]]??*

$\wedge\ \hat{s}_{this} = \widehat{\underline{\mathsf{toString}}}(\widehat{\underline{\mathsf{toPrimitive}}}(\hat{v}_{this}))$

$$\wedge\ \hat{s} = \begin{cases} \bot_{string} & \text{if } \hat{s}_{this} = \bot_{string} \\ \hat{s}' & \text{if } \hat{s}_{this} = \mathsf{NumStrSingle}(s_{this}) \vee \hat{s}_{this} = \mathsf{OtherStrSingle}(s_{this}) \\ \top_{string} & \text{otherwise} \end{cases}$$

$\wedge\ \hat{n}_{start} = \widehat{\underline{\mathsf{toInteger}}}(\mathit{getArgValue}(args, \text{“0”}))$

$$\wedge\ \hat{s}' = \begin{cases} \bot_{string} & \text{if } \hat{n}_{start} = \bot_{number} \\ \hat{s}'' & \text{if } \hat{n}_{start} = \mathsf{UIntSingle}(n_{start}) \vee \hat{n}_{start} = \mathsf{NUIntSingle}(n_{start}) \\ \top_{string} & \text{otherwise} \end{cases}$$

$\wedge\ \hat{n}_{end} = \widehat{\underline{\mathsf{toInteger}}}(\mathit{getArgValue}(args, \text{“1”}))$

$$\wedge\ \hat{s}'' = \begin{cases} \bot_{string} & \text{if } \hat{n}_{end} = \bot_{number} \\ \hat{s}''' & \text{if } \hat{n}_{end} = \mathsf{UIntSingle}(n_{end}) \vee \hat{n}_{end} = \mathsf{NUIntSingle}(n_{end}) \\ \top_{string} & \text{otherwise} \end{cases}$$

$$\wedge\ n'_{start} = \begin{cases} max(n_{start} + s_{this}.length, 0) & \text{if } n_{start} < 0 \\ min(n_{start}, s_{this}.length) & \text{otherwise} \end{cases}$$

$$\wedge\ n'_{end} = \begin{cases} max(n_{end} + s_{this}.length, 0) & \text{if } n_{end} < 0 \\ min(n_{end}, s_{this}.length) & \text{otherwise} \end{cases}$$

$\wedge\ \hat{s}''' = \alpha(\mathit{native.string.slice}(s_{this}, s'_{start}, s'_{end}))$ *// java, scala*

$$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\underline{\mathsf{ReturnStore}}}(\hat{H}, Value(\hat{s}))), \hat{C}) & \text{if } \hat{s} \not\sqsubseteq \bot_{String} \\ (\bot_{heap}, \bot_{context}) & \text{otherwise} \end{cases}$$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.substring”}, args))]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $\hat{L}_{prim} = \{\hat{l} \mid \hat{l} \in \hat{C}.2 \wedge \text{“@}\hat{primitive}\text{”} \dot{\in} \hat{H}(\hat{l})\}$
$\wedge\ \hat{v}_{this} = \bigsqcup_{\hat{l}\in\hat{L}_{prim}} \hat{H}(\hat{l})(@\hat{primitive}).1.2$ *// [[DefaultValue]]??*
$\wedge\ \hat{s}_{this} = \widehat{\text{toString}}(\widehat{\text{toPrimitive}}(\hat{v}_{this}))$
$\wedge\ \hat{s} = \begin{cases} \bot_{string} & \text{if } \hat{s}_{this} = \bot_{string} \\ \hat{s}' & \text{if } \hat{s}_{this} = \text{NumStrSingle}(s_{this}) \vee \hat{s}_{this} = \text{OtherStrSingle}(s_{this}) \\ \top_{string} & \text{otherwise} \end{cases}$
$\wedge\ \hat{n}_{start} = \widehat{\text{toInteger}}(\textit{getArgValue}(args, \text{“0”}))$
$\wedge\ \hat{s}' = \begin{cases} \bot_{string} & \text{if } \hat{n}_{start} = \bot_{number} \\ \hat{s}'' & \text{if } \hat{n}_{start} = \text{UIntSingle}(n_{start}) \vee \hat{n}_{start} = \text{NUIntSingle}(n_{start}) \\ \top_{string} & \text{otherwise} \end{cases}$
$\wedge\ \hat{n}_{end} = \widehat{\text{toInteger}}(\textit{getArgValue}(args, \text{“1”}))$
$\wedge\ \hat{s}'' = \begin{cases} \bot_{string} & \text{if } \hat{n}_{end} = \bot_{number} \\ \hat{s}''' & \text{if } \hat{n}_{end} = \text{UIntSingle}(n_{end}) \vee \hat{n}_{end} = \text{NUIntSingle}(n_{end}) \\ \top_{string} & \text{otherwise} \end{cases}$
$\wedge\ n'_{start} = min(max(n_{start}, 0), s_{this}.length) \wedge n'_{end} = min(max(n_{end}, 0), s_{this}.length)$
$\wedge\ \hat{s}''' = \alpha(native.string.slice(s_{this}, min(n'_{start}, n'_{end}), max(n'_{start}, n'_{end})))$ *// java, scala*
$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\text{ReturnStore}}(\hat{H}, Value(\hat{s}))), \hat{C}) & \text{if } \hat{s} \not\sqsubseteq \bot_{String} \\ (\bot_{heap}, \bot_{context}) & \text{otherwise} \end{cases}$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.toLowerCase”}, args))]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $\hat{L}_{prim} = \{\hat{l} \mid \hat{l} \in \hat{C}.2 \wedge \text{“@}\hat{primitive}\text{”} \dot{\in} \hat{H}(\hat{l})\}$
$\wedge\ \hat{v}_{this} = \bigsqcup_{\hat{l}\in\hat{L}_{prim}} \hat{H}(\hat{l})(@\hat{primitive}).1.2$ *// [[DefaultValue]]??*
$\wedge\ \hat{s}_{this} = \widehat{\text{toString}}(\widehat{\text{toPrimitive}}(\hat{v}_{this}))$
$\wedge\ \hat{s} = \begin{cases} \bot_{string} & \text{if } \hat{s}_{this} = \bot_{string} \\ \hat{s}' & \text{if } \hat{s}_{this} = \text{NumStrSingle}(s_{this}) \vee \hat{s}_{this} = \text{OtherStrSingle}(s_{this}) \\ \top_{string} & \text{otherwise} \end{cases}$
$\wedge\ \hat{s}' = \alpha(native.string.toLowerCase(s_{this}))$ *// java, scala*
$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\text{ReturnStore}}(\hat{H}, Value(\hat{s}))), \hat{C}) & \text{if } \hat{s} \not\sqsubseteq \bot_{String} \\ (\bot_{heap}, \bot_{context}) & \text{otherwise} \end{cases}$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.toLocaleLowerCase”}, args))]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $\hat{L}_{prim} = \{\hat{l} \mid \hat{l} \in \hat{C}.2 \wedge \text{“@}\hat{primitive}\text{”} \dot{\in} \hat{H}(\hat{l})\}$
$\wedge\ \hat{v}_{this} = \bigsqcup_{\hat{l}\in\hat{L}_{prim}} \hat{H}(\hat{l})(@\hat{primitive}).1.2$ *// [[DefaultValue]]??*
$\wedge\ \hat{s}_{this} = \widehat{\text{toString}}(\widehat{\text{toPrimitive}}(\hat{v}_{this}))$
$\wedge\ \hat{s} = \begin{cases} \bot_{string} & \text{if } \hat{s}_{this} = \bot_{string} \\ \hat{s}' & \text{if } \hat{s}_{this} = \text{NumStrSingle}(s_{this}) \vee \hat{s}_{this} = \text{OtherStrSingle}(s_{this}) \\ \top_{string} & \text{otherwise} \end{cases}$
$\wedge\ \hat{s}' = \alpha(native.string.toLowerCase(s_{this}))$ *// java, scala*
$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\text{ReturnStore}}(\hat{H}, Value(\hat{s}))), \hat{C}) & \text{if } \hat{s} \not\sqsubseteq \bot_{String} \\ (\bot_{heap}, \bot_{context}) & \text{otherwise} \end{cases}$

$$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.toUpperCase”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
where $\hat{L}_{prim} = \{\hat{l} \mid \hat{l} \in \hat{C}.2 \wedge \text{“@}\hat{prim}\hat{itive}\text{”} \dot{\in} \hat{H}(\hat{l})\}$
$\wedge\ \hat{v}_{this} = \bigsqcup_{\hat{l}\in\hat{L}_{prim}} \hat{H}(\hat{l})(@\hat{prim}\hat{itive}).1.2$ *// [[DefaultValue]]??*
$\wedge\ \hat{s}_{this} = \widehat{\underline{\text{toString}}}(\widehat{\underline{\text{toPrimitive}}}(\hat{v}_{this}))$
$\wedge\ \hat{s} = \begin{cases} \bot_{string} & \text{if } \hat{s}_{this} = \bot_{string} \\ \hat{s}' & \text{if } \hat{s}_{this} = \text{NumStrSingle}(s_{this}) \vee \hat{s}_{this} = \text{OtherStrSingle}(s_{this}) \\ \top_{string} & \text{otherwise} \end{cases}$
$\wedge\ \hat{s}' = \alpha(\textit{native.string.toUpperCase}(s_{this}))$ *// java, scala*
$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\underline{\text{ReturnStore}}}(\hat{H}, Value(\hat{s}))),\hat{C}) & \text{if } \hat{s} \not\sqsubseteq \bot_{String} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$

$$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.toLocaleUpperCase”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
where $\hat{L}_{prim} = \{\hat{l} \mid \hat{l} \in \hat{C}.2 \wedge \text{“@}\hat{prim}\hat{itive}\text{”} \dot{\in} \hat{H}(\hat{l})\}$
$\wedge\ \hat{v}_{this} = \bigsqcup_{\hat{l}\in\hat{L}_{prim}} \hat{H}(\hat{l})(@\hat{prim}\hat{itive}).1.2$ *// [[DefaultValue]]??*
$\wedge\ \hat{s}_{this} = \widehat{\underline{\text{toString}}}(\widehat{\underline{\text{toPrimitive}}}(\hat{v}_{this}))$
$\wedge\ \hat{s} = \begin{cases} \bot_{string} & \text{if } \hat{s}_{this} = \bot_{string} \\ \hat{s}' & \text{if } \hat{s}_{this} = \text{NumStrSingle}(s_{this}) \vee \hat{s}_{this} = \text{OtherStrSingle}(s_{this}) \\ \top_{string} & \text{otherwise} \end{cases}$
$\wedge\ \hat{s}' = \alpha(\textit{native.string.toUpperCase}(s_{this}))$ *// java, scala*
$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\underline{\text{ReturnStore}}}(\hat{H}, Value(\hat{s}))),\hat{C}) & \text{if } \hat{s} \not\sqsubseteq \bot_{String} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$

$$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“String.prototype.trim”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
where $\hat{L}_{prim} = \{\hat{l} \mid \hat{l} \in \hat{C}.2 \wedge \text{“@}\hat{prim}\hat{itive}\text{”} \dot{\in} \hat{H}(\hat{l})\}$
$\wedge\ \hat{v}_{this} = \bigsqcup_{\hat{l}\in\hat{L}_{prim}} \hat{H}(\hat{l})(@\hat{prim}\hat{itive}).1.2$ *// [[DefaultValue]]??*
$\wedge\ \hat{s}_{this} = \widehat{\underline{\text{toString}}}(\widehat{\underline{\text{toPrimitive}}}(\hat{v}_{this}))$
$\wedge\ \hat{s} = \begin{cases} \bot_{string} & \text{if } \hat{s}_{this} = \bot_{string} \\ \hat{s}' & \text{if } \hat{s}_{this} = \text{NumStrSingle}(s_{this}) \vee \hat{s}_{this} = \text{OtherStrSingle}(s_{this}) \\ \top_{string} & \text{otherwise} \end{cases}$
$\wedge\ \hat{s}' = \alpha(\textit{native.string.trim}(s_{this}))$ *// java, scala*
$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\underline{\text{ReturnStore}}}(\hat{H}, Value(\hat{s}))),\hat{C}) & \text{if } \hat{s} \not\sqsubseteq \bot_{String} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$

11.2.10 Boolean

$$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Boolean.constructor”}, args)_{\hat{a}_{new}}]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_3,\hat{C}_3),\hat{S})$$
where $\hat{b} = \widehat{\underline{\text{toBoolean}}}(\textit{getArgValue}(args, \text{“0”})$
$\wedge\ (\hat{H}_1,\hat{C}_1) = \widehat{\underline{\text{OIdify}}}(\hat{H},\hat{C},\hat{a}_{new})$ *// Recency Abstraction*
$\wedge\ \hat{l}_R = (\hat{a}_{new}, \underline{Recent})$ *// Recency Abstraction*
$\wedge\ \hat{o}_{new} = \widehat{\underline{\text{NewBoolean}}}(\hat{b})$
$\wedge\ \hat{H}_2 = \hat{H}_l[\hat{l}_R \mapsto \hat{o}_{new}]$
$\wedge\ (\hat{H}_3,\hat{C}_3) = (\widehat{\underline{\text{ReturnStore}}}(\hat{H}_2, Value(\hat{l}_R))),\hat{C}_1)$

11.2.11 Boolean.prototype

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Boolean.prototype.toString”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S}_1)$$
where $\hat{L}_{this} = \hat{C}.2$
$$\wedge\ \hat{es} = \begin{cases} \{\widehat{\mathsf{TypeError}}\} & \text{if } \exists \hat{l} \in \hat{L}_{this} : \hat{H}(\hat{l})(@class).1.2.1.5 \neq \text{“}\widehat{Boolean}\text{”} \\ \{\} & \text{otherwise} \end{cases}$$
$$\wedge\ \hat{L}_{bool} = \{\ l \mid l \in \hat{L}_{this} \wedge \hat{H}(\hat{l})(@class).1.2.1.5 = \text{“}\widehat{Boolean}\text{”}\ \}$$
$$\wedge\ \hat{b} = \bigsqcup_{\hat{l} \in \hat{L}_{bool}} \hat{H}(\hat{l})(@primitive).1.2.1.3$$
$$\wedge\ \hat{s} = \begin{cases} \text{“}true\text{”} & \text{if } \hat{b} = \widehat{\mathsf{true}} \\ \text{“}\widehat{false}\text{”} & \text{if } \hat{b} = \widehat{\mathsf{false}} \\ \widehat{\mathsf{OtherStr}} & \text{if } \hat{b} \sqsubseteq \widehat{\mathsf{true}} \wedge \hat{b} \sqsubseteq \widehat{\mathsf{false}} \\ \bot_{string} & \text{otherwise} \end{cases}$$
$$\wedge\ \hat{S}_1 = \hat{S} \sqcup \widehat{\mathsf{RaiseException}}(\hat{H},\hat{C},\hat{es})$$
$$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\mathsf{ReturnStore}}(\hat{H}, Value(\hat{s})),\hat{C}) & \text{if } \hat{s} \not\sqsubseteq \bot_{String} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Boolean.prototype.valueOf”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S}_1)$$
where $\hat{L}_{this} = \hat{C}.2$
$$\wedge\ \hat{es} = \begin{cases} \{\widehat{\mathsf{TypeError}}\} & \text{if } \exists \hat{l} \in \hat{L}_{this} : \hat{H}(\hat{l})(@class).1.2.1.5 \neq \text{“}\widehat{Boolean}\text{”} \\ \{\} & \text{otherwise} \end{cases}$$
$$\wedge\ \hat{L}_{bool} = \{\ l \mid l \in \hat{L}_{this} \wedge \hat{H}(\hat{l})(@class).1.2.1.5 = \text{“}\widehat{Boolean}\text{”}\ \}$$
$$\wedge\ \hat{b} = \bigsqcup_{\hat{l} \in \hat{L}_{bool}} \hat{H}(\hat{l})(@primitive).1.2.1.3$$
$$\wedge\ \hat{S}_1 = \hat{S} \sqcup \widehat{\mathsf{RaiseException}}(\hat{H},\hat{C},\hat{es})$$
$$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\mathsf{ReturnStore}}(\hat{H}, Value(\hat{b})),\hat{C}) & \text{if } \hat{b} \not\sqsubseteq \bot_{String} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$$

11.2.12 Number

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Number”}, args))_{\hat{a}_{new}}]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_3,\hat{C}_3),\hat{S})$$
where $\wedge\ \hat{n}_{len} = \widehat{\mathsf{toUInt32}}(\mathit{getArgValue}(args, \text{“}length\text{”}))$
$$\wedge\ \hat{v}_{arg1} = \mathit{getArgValue}(args, \text{“0”})$$
$$\wedge\ \hat{v}_1 = \begin{cases} Value(\alpha(0)) & \text{if } \widehat{\mathsf{UIntSigle}}(0) \sqsubseteq \hat{n}_{len} \\ \bot_{Value} & \text{otherwise} \end{cases}$$
$$\wedge\ \hat{v}_2 = \begin{cases} Value(\widehat{\mathsf{toNumber}}(\widehat{\mathsf{toPrimitive}}(\hat{v}_{arg1}))) & \text{if } \widehat{\mathsf{UIntSigle}}(1) \neq \hat{n}_{len} \wedge \hat{n}_{len} \not\sqsubseteq \bot_{Number} \\ \bot_{Value} & \text{otherwise} \end{cases}$$
$$\wedge\ \hat{v} = \hat{v}_1 \sqcup \hat{v}_2$$
$$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\mathsf{ReturnStore}}(\hat{H}, v)),\hat{C}) & \text{if } \hat{v} \not\sqsubseteq \bot_{Value} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Number.constructor”}, args))_{\hat{a}_{new}}]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_3,\hat{C}_3),\hat{S})$$
where $(\hat{H}_1,\hat{C}_1) = \widehat{\mathsf{Oldify}}(\hat{H},\hat{C},\hat{a}_{new}) \wedge\ \hat{l}_R = (\hat{a}_{new}, Recent)$ *// Recency Abstraction*
$$\wedge\ \hat{n}_{len} = (\mathit{getArgValue}(args, \text{“}length\text{”}).1.4$$
$$\wedge\ \hat{v}_1 = \begin{cases} Value(\alpha(0)) & \text{if } \widehat{\mathsf{UIntSigle}}(0) \sqsubseteq \hat{n}_{len} \\ \bot_{Value} & \text{otherwise} \end{cases}$$
$$\wedge\ \hat{v}_2 = \begin{cases} \widehat{\mathsf{toNumber}}(\widehat{\mathsf{toPrimitive}}(\mathit{getArgValue}(args, \text{“0”}))) & \text{if } \widehat{\mathsf{UIntSigle}}(1) \sqsubseteq \hat{n}_{len} \\ \bot_{Value} & \text{otherwise} \end{cases}$$
$$\wedge\ \hat{H}_2 = \begin{cases} \hat{H}_1[\hat{l}_R \mapsto \widehat{\mathsf{NewNumber}}(\hat{v}_1 \sqcup \hat{v}_2)] & \text{if } \hat{v}_1 \sqcup \hat{v}_2 \sqsubseteq \bot_{Value} \\ \bot_{Heap} & \text{otherwise} \end{cases}$$
$$\wedge\ (\hat{H}_3,\hat{C}_3) = \begin{cases} (\widehat{\mathsf{ReturnStore}}(\hat{H}_2, Value(\hat{l}_R)),\hat{C}_1) & \text{if } \hat{v}_1 \sqcup \hat{v}_2 \not\sqsubseteq \bot_{Value} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$$

11.2.13 Number.prototype

$$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Number.prototype.toString”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S}_1)$$
where $\hat{n}_{arglen} = \widehat{\underline{\text{toUInt32}}}(\textit{getArgValue}(args, \text{“}length\text{”})$
$\wedge\ \hat{v}_{prim} = \bigsqcup_{\hat{l}\in\hat{C}.2} \hat{H}(\hat{l})(@\hat{prim}itive).1.2$
$\wedge\ \hat{L}_{num} = \{\ l \mid l \in \hat{L}_{this} \wedge \hat{H}(\hat{l})(@class).1.2.1.5 = \text{“}\hat{Num}ber\text{”}\ \}$
$\wedge\ \hat{es}_1 = \begin{cases} \{\widehat{\text{TypeError}}\} & \text{if } \exists \hat{l} \in \hat{L}_{this} : \hat{H}(\hat{l})(@class).1.2.1.5 \neq \text{“}\hat{Num}ber\text{”} \\ \{\} & \text{otherwise} \end{cases}$
$\wedge\ (\hat{v}, \hat{es}_2) = \begin{cases} (Value(\widehat{\underline{\text{toString}}}(\hat{v}_{prim}.1)), \bot_{Exception}) & \text{if } \hat{n}_{arglen} = \text{UIntSingle}(0) \\ (Value(\top_{String}), \hat{es}_{arg}) & \text{if } \hat{n}_{arglen} = \text{UIntSingle}(n_{arglen}) \wedge n_{arglen} > 0 \\ (\bot_{Value}, \bot_{Exception}) & \text{if } \hat{n}_{arglen} = \bot_{Number} \\ (Value(\top_{String}), \bot_{Exception}) & \text{otherwise} \end{cases}$
$\wedge\ \hat{es}_{arg} = \begin{cases} \{\widehat{\text{RangeError}}\} & \text{if } n_{arglen} < 1 \vee n_{arglen} > 36 \\ \{\} & \text{otherwise} \end{cases}$
$\wedge\ \hat{S}_1 = \hat{S} \sqcup \widehat{\underline{\text{RaiseException}}}(\hat{H}, \hat{C}, \hat{es}_1 \sqcup \hat{es}_2)$
$\wedge\ (\hat{H}_1, \hat{C}_1) = \begin{cases} (\widehat{\underline{\text{ReturnStore}}}(\hat{H}, Value(\hat{s})), \hat{C}) & \text{if } \hat{s} \not\sqsubseteq \bot_{String} \\ (\bot_{heap}, \bot_{context}) & \text{otherwise} \end{cases}$

$$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Number.prototype.toLocaleString”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
where $\hat{n}_{arglen} = \widehat{\underline{\text{toUInt32}}}(\textit{getArgValue}(args, \text{“}length\text{”})$
$\wedge\ \hat{v}_{prim} = \bigsqcup_{\hat{l}\in\hat{C}.2} \hat{H}(\hat{l})(@\hat{prim}itive).1.2 \wedge \hat{v} = Value(\widehat{\underline{\text{toString}}}(\hat{v}_{prim}.1))$
$\wedge\ (\hat{H}_1, \hat{C}_1) = \begin{cases} (\widehat{\underline{\text{ReturnStore}}}(\hat{H}, v), \hat{C}) & \text{if } \hat{v} \not\sqsubseteq \bot_{Value} \\ (\bot_{heap}, \bot_{context}) & \text{otherwise} \end{cases}$

$$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Number.prototype.valueOf”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S}_1)$$
where $\hat{es} = \begin{cases} \{\widehat{\text{TypeError}}\} & \text{if } \exists \hat{l} \in \hat{C}.2 : \hat{H}(\hat{l})(@class).1.2.1.5 \neq \text{“}\hat{Num}ber\text{”} \\ \{\} & \text{otherwise} \end{cases}$
$\wedge\ \hat{L}_{num} = \{\ l \mid l \in \hat{C}.2 \wedge \hat{H}(\hat{l})(@class).1.2.1.5 = \text{“}\hat{Num}ber\text{”}\ \}$
$\wedge\ \hat{n} = \bigsqcup_{\hat{l}\in\hat{L}_{num}} \hat{H}(\hat{l})(@primitive).1.2.1.4$
$\wedge\ \hat{S}_1 = \hat{S} \sqcup \widehat{\underline{\text{RaiseException}}}(\hat{H}, \hat{C}, \hat{es})$
$\wedge\ (\hat{H}_1, \hat{C}_1) = \begin{cases} (\widehat{\underline{\text{ReturnStore}}}(\hat{H}, Value(\hat{n})), \hat{C}) & \text{if } \hat{s} \not\sqsubseteq \bot_{Number} \\ (\bot_{heap}, \bot_{context}) & \text{otherwise} \end{cases}$

$$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Number.prototype.toFixed”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S}_1)$$
where $\hat{v}_1 = \textit{getArgValue}(args, \text{“0”})$
$\wedge\ \hat{es} = \begin{cases} \{\widehat{\text{RangeError}}\} & \text{if } \hat{v}_1 \hat{<} \hat{0} \vee \hat{v}_1 \hat{>} \hat{20} \\ \{\} & \text{otherwise} \end{cases}$
$\wedge\ \hat{S}_1 = \hat{S} \sqcup \widehat{\underline{\text{RaiseException}}}(\hat{H}, \hat{C}, \hat{es})$
$\wedge\ (\hat{H}_1, \hat{C}_1) = (\widehat{\underline{\text{ReturnStore}}}(\hat{H}, Value(\top_{String})), \hat{C})$

$$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Number.prototype.toExponential”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S}_1)$$
where $\hat{v}_1 = \textit{getArgValue}(args, \text{“0”})$
$\wedge\ \hat{es} = \begin{cases} \{\widehat{\text{RangeError}}\} & \text{if } \hat{v}_1 \hat{<} \hat{0} \vee \hat{v}_1 \hat{>} \hat{20} \\ \{\} & \text{otherwise} \end{cases}$
$\wedge\ \hat{S}_1 = \hat{S} \sqcup \widehat{\underline{\text{RaiseException}}}(\hat{H}, \hat{C}, \hat{es})$
$\wedge\ (\hat{H}_1, \hat{C}_1) = (\widehat{\underline{\text{ReturnStore}}}(\hat{H}, Value(\top_{String})), \hat{C})$

$$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Number.prototype.toPrecesion”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S}_1)$$
where $\hat{v}_1 = \textit{getArgValue}(args, \text{“0”})$
$\wedge\ \hat{es} = \begin{cases} \{\widehat{\text{RangeError}}\} & \text{if } \hat{v}_1 \hat{<} \hat{1} \vee \hat{v}_1 \hat{>} \hat{21} \\ \{\} & \text{otherwise} \end{cases}$
$\wedge\ \hat{S}_1 = \hat{S} \sqcup \widehat{\underline{\text{RaiseException}}}(\hat{H}, \hat{C}, \hat{es})$
$\wedge\ (\hat{H}_1, \hat{C}_1) = (\widehat{\underline{\text{ReturnStore}}}(\hat{H}, Value(\top_{String})), \hat{C})$

11.2.14 Math

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Math.abs”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
where $\hat{v} = \widehat{getArgValue}(args, \text{“0”}) \wedge \hat{n} = \widehat{\underline{\mathsf{toNumber}}}(\widehat{\mathsf{toPrimitive}}(\hat{v}))$
$$\wedge\, \hat{pv} = \begin{cases} \hat{n} & \text{if } \hat{n} \in \left\{ \hat{\mathsf{NaN}}, \hat{\mathsf{UInt}}, \hat{\mathsf{NUInt}}, \bot_{Number} \right\} \\ \hat{+\mathsf{Inf}} & \text{if } \hat{n} \in \left\{ \hat{+\mathsf{Inf}}, \hat{-\mathsf{Inf}}, \hat{\mathsf{Inf}} \right\} \\ \alpha(abs(\hat{n})) & \text{if } \hat{n} \in \left\{ \hat{\mathsf{UIntSingle}}(\hat{n_1}), \hat{\mathsf{NUIntSingle}}(\hat{n_1}) \right\} \\ \top_{Number} & \text{otherwise} \end{cases}$$
$$\wedge\, (\hat{H}_1,\hat{C}_1) = (\widehat{\underline{\mathsf{ReturnStore}}}(\hat{H}, Value(\hat{pv})),\hat{C})$$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Math.acos”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
where $\hat{v} = \widehat{getArgValue}(args, \text{“0”}) \wedge \hat{n} = \widehat{\underline{\mathsf{toNumber}}}(\widehat{\mathsf{toPrimitive}}(\hat{v}))$
$$\wedge\, \hat{pv} = \begin{cases} \bot_{Number} & \text{if } \hat{n} = \bot_{Number} \\ \hat{\mathsf{NaN}} & \text{if } \hat{n} \in \left\{ \begin{array}{l} \hat{\mathsf{NaN}}, \hat{\mathsf{Inf}}, \hat{+\mathsf{Inf}}, \hat{-\mathsf{Inf}}, \\ \hat{\mathsf{UIntSingle}}(\hat{n_1}), \hat{\mathsf{NUIntSingle}}(\hat{n_1}) \mid n_1 < -1 \vee 1 < n_1 \end{array} \right\} \\ \alpha(acos(\hat{n})) & \text{if } \hat{n} \in \left\{ \hat{\mathsf{UIntSingle}}(\hat{n}), \hat{\mathsf{NUIntSingle}}(\hat{n_1}) \mid -1 \geq \hat{n} \leq 1 \right\} \\ \top_{Number} & \text{otherwise} \end{cases}$$
$$\wedge\, (\hat{H}_1,\hat{C}_1) = (\widehat{\underline{\mathsf{ReturnStore}}}(\hat{H}, Value(\hat{pv})),\hat{C})$$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Math.asin”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
where $\hat{v} = \widehat{getArgValue}(args, \text{“0”}) \wedge \hat{n} = \widehat{\underline{\mathsf{toNumber}}}(\widehat{\mathsf{toPrimitive}}(\hat{v}))$
$$\wedge\, \hat{pv} = \begin{cases} \bot_{Number} & \text{if } \hat{n} = \bot_{Number} \\ \hat{\mathsf{NaN}} & \text{if } \hat{n} \in \left\{ \begin{array}{l} \hat{\mathsf{NaN}}, \hat{\mathsf{Inf}}, \hat{+\mathsf{Inf}}, \hat{-\mathsf{Inf}}, \\ \hat{\mathsf{UIntSingle}}(\hat{n}), \hat{\mathsf{NUIntSingle}}(\hat{n}) \mid n_1 < -1 \vee 1 < n_1 \end{array} \right\} \\ \alpha(asin(\hat{n})) & \text{if } \hat{n} \in \left\{ \hat{\mathsf{UIntSingle}}(\hat{n}), \hat{\mathsf{NUIntSingle}}(\hat{n}) \mid -1 \geq \hat{n} \leq 1 \right\} \\ \top_{Number} & \text{otherwise} \end{cases}$$
$$\wedge\, (\hat{H}_1,\hat{C}_1) = (\widehat{\underline{\mathsf{ReturnStore}}}(\hat{H}, Value(\hat{pv})),\hat{C})$$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Math.atan”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
where $\hat{v} = \widehat{getArgValue}(args, \text{“0”}) \wedge \hat{n} = \widehat{\underline{\mathsf{toNumber}}}(\widehat{\mathsf{toPrimitive}}(\hat{v}))$
$$\wedge\, \hat{pv} = \begin{cases} \bot_{Number} & \text{if } \hat{n} = \bot_{Number} \\ \hat{\mathsf{NaN}} & \text{if } \hat{n} = \hat{\mathsf{NaN}} \\ \hat{\mathsf{NUInt}} & \text{if } \hat{n} = \hat{\mathsf{Inf}} \\ \hat{\mathsf{NUIntSingle}}(\frac{\hat{\pi}}{2}) & \text{if } \hat{n} = \hat{+\mathsf{Inf}} \\ \hat{\mathsf{NUIntSingle}}(\hat{-\frac{\pi}{2}}) & \text{if } \hat{n} = \hat{-\mathsf{Inf}} \\ \alpha(atan(\hat{n})) & \text{if } \hat{n} \in \left\{ \hat{\mathsf{UIntSingle}}(\hat{n_1}), \hat{\mathsf{NUIntSingle}}(\hat{n}) \right\} \\ \top_{Number} & \text{otherwise} \end{cases}$$
$$\wedge\, (\hat{H}_1,\hat{C}_1) = (\widehat{\underline{\mathsf{ReturnStore}}}(\hat{H}, Value(\hat{pv})),\hat{C})$$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Math.atan2”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
where $\hat{v}_x = \widehat{getArgValue}(args, \text{“}\hat{0}\text{”}) \wedge \hat{n}_x = \widehat{\underline{\mathsf{toNumber}}}(\widehat{\underline{\mathsf{toPrimitive}}}(\hat{v_x}))$
$\wedge\ \hat{v}_y = \widehat{getArgValue}(args, \text{“}\hat{1}\text{”}) \wedge \hat{n}_x = \widehat{\underline{\mathsf{toNumber}}}(\widehat{\underline{\mathsf{toPrimitive}}}(\hat{v_y}))$

$$\wedge\ \hat{pv}_1 = \begin{cases} \bot_{Number} & \text{if } \hat{n_y} = \bot_{Number} \vee \hat{n_x} = \bot_{Number} \\ \hat{\mathsf{NaN}} & \text{if } \hat{n_y} = \hat{\mathsf{NaN}} \vee \hat{n_x} = \hat{\mathsf{NaN}} \\ \top_{Number} & \text{if } \hat{n_y} = \top_{Number} \vee \hat{n_x} = \top_{Number} \end{cases}$$

$$\wedge\ \hat{pv}_2 = \begin{cases} \hat{\mathsf{UIntSIngle}}(\hat{0}) & \text{if } \hat{n_y} \in \left\{ \hat{\mathsf{UInt}}, \hat{\mathsf{NUInt}}, \hat{\mathsf{UIntSingle}}(\hat{n_1}), \hat{\mathsf{NUIntSingle}}(\hat{n_1}) \right\} \\ & \quad \wedge \hat{n_x} = \hat{+\mathsf{Inf}} \\ \hat{\mathsf{UInt}} & \text{if } \hat{n_y} \in \left\{ \hat{\mathsf{UInt}}, \hat{\mathsf{NUInt}} \right\} \wedge \hat{n_x} = \hat{-\mathsf{Inf}} \\ \hat{\mathsf{NUIntSIngle}}(\hat{\pi}) & \text{if } \hat{n_y} \in \left\{ \hat{\mathsf{UIntSingle}}(\hat{n_1}), \hat{\mathsf{NUIntSingle}}(\hat{n_1}) \mid \hat{0} \leq \hat{n_1} \right\} \\ & \quad \wedge \hat{n_x} = \hat{-\mathsf{Inf}} \\ \hat{\mathsf{NUIntSIngle}}(\hat{-\pi}) & \text{if } \hat{n_y} \in \left\{ \hat{\mathsf{NUIntSingle}}(\hat{n_1}) \mid \hat{n_1} < \hat{0} \right\} \\ & \quad \wedge \hat{n_x} = \hat{-\mathsf{Inf}} \\ \hat{\mathsf{UInt}} & \text{if } \hat{n_y} \in \left\{ \hat{\mathsf{UInt}}, \hat{\mathsf{NUInt}} \right\} \wedge \hat{n_x} = \hat{\mathsf{Inf}} \end{cases}$$

$$\wedge\ \hat{pv}_3 = \begin{cases} \hat{\mathsf{NUIntSingle}}(\frac{\hat{\pi}}{2}) & \text{if } \hat{n_y} = \hat{+\mathsf{Inf}} \\ & \quad \wedge \hat{n_x} \in \left\{ \hat{\mathsf{UInt}}, \hat{\mathsf{NUInt}}, \hat{\mathsf{UIntSingle}}(\hat{n_1}), \hat{\mathsf{NUIntSingle}}(\hat{n_1}) \right\} \\ \hat{\mathsf{NUIntSingle}}(-\frac{\hat{\pi}}{2}) & \text{if } \hat{n_y} = \hat{-\mathsf{Inf}} \\ & \quad \wedge \hat{n_x} \in \left\{ \hat{\mathsf{UInt}}, \hat{\mathsf{NUInt}}, \hat{\mathsf{UIntSingle}}(\hat{n_1}), \hat{\mathsf{NUIntSingle}}(\hat{n_1}) \right\} \\ \hat{\mathsf{NUIntSingle}}(\frac{\hat{\pi}}{4}) & \text{if } \hat{n_y} = \hat{+\mathsf{Inf}} \wedge \hat{n_x} = \hat{+\mathsf{Inf}} \\ \hat{\mathsf{NUIntSingle}}(\frac{3\hat{\pi}}{4}) & \text{if } \hat{n_y} = \hat{+\mathsf{Inf}} \wedge \hat{n_x} = \hat{-\mathsf{Inf}} \\ \hat{\mathsf{NUIntSingle}}(\frac{-\hat{\pi}}{4}) & \text{if } \hat{n_y} = \hat{-\mathsf{Inf}} \wedge \hat{n_x} = \hat{+\mathsf{Inf}} \\ \hat{\mathsf{NUIntSingle}}(\frac{-3\hat{\pi}}{4}) & \text{if } \hat{n_y} = \hat{-\mathsf{Inf}} \wedge \hat{n_x} = \hat{-\mathsf{Inf}} \\ \hat{\mathsf{NUInt}} & \text{if } \hat{n_y} = \hat{\mathsf{Inf}} \wedge \hat{n_x} \in \left\{ \hat{+\mathsf{Inf}}, \hat{-\mathsf{Inf}} \right\} \\ \hat{\mathsf{NUInt}} & \text{if } \hat{n_y} \in \left\{ \hat{+\mathsf{Inf}}, \hat{-\mathsf{Inf}} \right\} \wedge \hat{n_x} = \hat{\mathsf{Inf}} \\ \hat{\mathsf{NUInt}} & \text{if } \hat{n_y} = \hat{\mathsf{Inf}} \wedge \hat{n_x} = \hat{\mathsf{Inf}} \end{cases}$$

$$\wedge\ \hat{pv}_4 = \begin{cases} \alpha(atan2(\hat{n_1}, \hat{n_2})) & \text{if } \hat{n_y} \in \left\{ \hat{\mathsf{UIntSingle}}(\hat{n_1}), \hat{\mathsf{NUIntSingle}}(\hat{n_1}) \right\} \\ & \quad \wedge \hat{n_x} \in \left\{ \hat{\mathsf{UIntSingle}}(\hat{n_2}), \hat{\mathsf{NUIntSingle}}(\hat{n_2}) \right\} \\ \top_{Number} & \text{otherwise} \end{cases}$$

$\wedge\ \hat{pv} = \hat{pv}_1 \sqcup \hat{pv}_2 \sqcup \hat{pv}_3 \sqcup \hat{pv}_4$
$\wedge\ (\hat{H}_1,\hat{C}_1) = (\widehat{\underline{\mathsf{ReturnStore}}}(\hat{H}, Value(\hat{pv})), \hat{C})$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Math.ceil”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
where $\hat{v} = \widehat{getArgValue}(args, \text{“}\hat{0}\text{”}) \wedge \hat{n} = \widehat{\underline{\mathsf{toNumber}}}(\widehat{\underline{\mathsf{toPrimitive}}}(\hat{v}))$

$$\wedge\ \hat{pv} = \begin{cases} \hat{n} & \text{if } \hat{n} \in \left\{ \bot_{Number}, \hat{\mathsf{NaN}}, \hat{\mathsf{Inf}}, \hat{+\mathsf{Inf}}, \hat{-\mathsf{Inf}}, \hat{\mathsf{UInt}}, \hat{\mathsf{UIntSingle}}(\hat{n}) \right\} \\ \alpha(ceil(\hat{n})) & \text{if } \hat{n} = \hat{\mathsf{NUIntSingle}}(\hat{n}) \\ \top_{Number} & \text{otherwise} \end{cases}$$

$\wedge\ (\hat{H}_1,\hat{C}_1) = (\widehat{\underline{\mathsf{ReturnStore}}}(\hat{H}, Value(\hat{pv})), \hat{C})$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Math.cos”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
where $\hat{v} = \widehat{getArgValue}(\hat{args}, \text{“}\hat{0}\text{”}) \wedge \hat{n} = \widehat{\underline{\mathsf{toNumber}}}(\widehat{\underline{\mathsf{toPrimitive}}}(\hat{v}))$

$$\wedge\ \hat{pv} = \begin{cases} \bot_{Number} & \text{if } \hat{n} = \bot_{Number} \\ \hat{\mathsf{NaN}} & \text{if } \hat{n} \in \left\{ \hat{\mathsf{NaN}}, \hat{+\mathsf{Inf}}, \hat{-\mathsf{Inf}}, \hat{\mathsf{Inf}} \right\} \\ \alpha(cos(\hat{n})) & \text{if } \hat{n} \in \left\{ \hat{\mathsf{UIntSingle}}(\hat{n}), \hat{\mathsf{NUIntSingle}}(\hat{n}) \right\} \\ \top_{Number} & \text{otherwise} \end{cases}$$

$\wedge\ (\hat{H}_1,\hat{C}_1) = (\widehat{\underline{\mathsf{ReturnStore}}}(\hat{H}, Value(\hat{pv})), \hat{C})$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Math.exp”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
where $\hat{v} = \widehat{\textit{getArgValue}}(args, \text{“0”}) \wedge \hat{n} = \widehat{\underline{\mathsf{toNumber}}}(\widehat{\underline{\mathsf{toPrimitive}}}(\hat{v}))$

$$\wedge \hat{pv} = \begin{cases} \hat{n} & \text{if } \hat{n} \in \left\{ \perp_{Number}, \hat{\mathsf{NaN}}, \hat{+\mathsf{Inf}}, \hat{\mathsf{NUInt}} \right\} \\ \hat{\mathsf{UIntSignle}}(\hat{0}) & \text{if } \hat{n} = \hat{\text{-}\mathsf{Inf}} \\ \alpha(exp(\hat{n})) & \text{if } \hat{n} \in \left\{ \hat{\mathsf{UIntSingle}}(\hat{n}), \hat{\mathsf{NUIntSingle}}(\hat{n}) \right\} \\ \top_{Number} & \text{otherwise} \end{cases}$$

$$\wedge (\hat{H}_1,\hat{C}_1) = (\widehat{\underline{\mathsf{ReturnStore}}}(\hat{H}, Value(\hat{pv})), \hat{C})$$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Math.floor”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
where $\hat{v} = \widehat{\textit{getArgValue}}(args, \hat{\text{“0”}}) \wedge \hat{n} = \widehat{\underline{\mathsf{toNumber}}}(\widehat{\underline{\mathsf{toPrimitive}}}(\hat{v}))$

$$\wedge \hat{pv} = \begin{cases} \hat{n} & \text{if } \hat{n} \in \left\{ \perp_{Number}, \hat{\mathsf{Inf}}, \hat{+\mathsf{Inf}}, \hat{\text{-}\mathsf{Inf}}, \hat{\mathsf{NaN}}, \hat{\mathsf{UInt}}, \hat{\mathsf{UIntSingle}}(\hat{n}) \right\} \\ \alpha(floor(\hat{n})) & \text{if } \hat{n} = \hat{\mathsf{NUIntSingle}}(\hat{n}) \\ \top_{Number} & \text{otherwise} \end{cases}$$

$$\wedge (\hat{H}_1,\hat{C}_1) = (\widehat{\underline{\mathsf{ReturnStore}}}(\hat{H}, Value(\hat{pv})), \hat{C})$$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Math.log”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
where $\hat{v} = \widehat{\textit{getArgValue}}(args, \hat{\text{“0”}}) \wedge \hat{n} = \widehat{\underline{\mathsf{toNumber}}}(\widehat{\underline{\mathsf{toPrimitive}}}(\hat{v}))$

$$\wedge \hat{pv} = \begin{cases} \perp_{Number} & \text{if } \hat{n} = \perp_{Number} \\ \hat{\mathsf{NaN}} & \text{if } \hat{n} \in \left\{ \hat{\mathsf{NaN}}, \hat{\text{-}\mathsf{Inf}}, \hat{\mathsf{NUIntSingle}}(\hat{n}) \mid n < \hat{0} \right\} \\ \hat{+\mathsf{Inf}} & \text{if } \hat{n} = \hat{+\mathsf{Inf}} \\ \hat{\text{-}\mathsf{Inf}} & \text{if } \hat{n} = \hat{\mathsf{UIntSingle}}(\hat{0}) \\ \alpha(log(\hat{n})) & \text{if } \hat{n} \in \left\{ \hat{\mathsf{UIntSingle}}(\hat{n}), \hat{\mathsf{NUIntSingle}}(\hat{n_1}) \mid \hat{0} < \hat{n} \right\} \\ \top_{Number} & \text{otherwise} \end{cases}$$

$$\wedge (\hat{H}_1,\hat{C}_1) = (\widehat{\underline{\mathsf{ReturnStore}}}(\hat{H}, Value(\hat{pv})), \hat{C})$$

$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Math.max”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$

where $\hat{n}_{arglen} = \mathit{getArgValue}(args, \text{“}\hat{length}\text{”}).1.4$

$\wedge\ \hat{n}_{arg_i} = \underline{\widehat{\mathsf{toNumber}}}(\underline{\widehat{\mathsf{toPrimitive}}}(\mathit{getArgValue}(args, \text{“}\hat{i}\text{”})))$

$$\wedge\ \hat{n}_1 = \begin{cases} \top_{number} & \text{if } \begin{array}{l} \mathsf{NUInt\hat{S}ingle} \sqsubseteq n_{arglen} \vee \mathsf{\hat{inf}} \sqsubseteq n_{arglen} \vee \mathsf{\text{-}\hat{inf}} \sqsubseteq n_{arglen} \\ \vee\ \mathsf{N\hat{a}N} \sqsubseteq n_{arglen} \vee \mathsf{U\hat{I}nt} \sqsubseteq n_{arglen} \end{array} \\ \hat{n}_2 & \text{if } \hat{n}_{arglen} = \mathsf{UInt\hat{S}ingle} \\ \bot_{number} & \text{if } \hat{n}_{arglen} = \bot_{number} \end{cases}$$

$$\wedge\ \hat{n}_2 = \begin{cases} \mathsf{\text{-}\hat{I}nf} & \text{if } n_{arglen} = \mathsf{UInt\hat{S}ingle}(0) \\ \hat{n}_3 \sqcup \bigsqcup \hat{N} & \text{if } n_{arglen} = \mathsf{UInt\hat{S}ingle}(n) \wedge n > 0 \end{cases}$$

$$\wedge\ \hat{n}_3 = \begin{cases} \mathsf{N\hat{a}N} & \text{if } n_{arglen} = \mathsf{UInt\hat{S}ingle}(n) \wedge n > 0 \wedge \exists i \in \{1,...,n-1\} : \mathsf{N\hat{a}N} \sqsubseteq n_{arg_i} \\ \bot_{number} & \text{otherwise} \end{cases}$$

$$\wedge\ \hat{N} = \left\{ n_{arg_i} \mid n_{arglen} = \mathsf{UInt\hat{S}ingle}(n) \wedge i \in \{0,...,n-1\} \wedge \forall j \in \{0,...,n-1\} : n_{arg_i} \hat{\geq} n_{arg_j} \right\}$$

$$\wedge\ (\hat{H}_1,\hat{C}_1) = (\underline{\widehat{\mathsf{ReturnStore}}}(\hat{H}, Value(\hat{n}_1)),\hat{C})$$

$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Math.min”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$

where $\hat{n}_{arglen} = \mathit{getArgValue}(args, \text{“}\hat{length}\text{”}).1.4$

$\wedge\ \hat{n}_{arg_i} = \underline{\widehat{\mathsf{toNumber}}}(\underline{\widehat{\mathsf{toPrimitive}}}(\mathit{getArgValue}(args, \text{“}\hat{i}\text{”})))$

$$\wedge\ \hat{n}_1 = \begin{cases} \top_{number} & \text{if } \begin{array}{l} \mathsf{NUInt\hat{S}ingle} \sqsubseteq n_{arglen} \vee \mathsf{\hat{inf}} \sqsubseteq n_{arglen} \vee \mathsf{\text{-}\hat{inf}} \sqsubseteq n_{arglen} \\ \vee\ \mathsf{N\hat{a}N} \sqsubseteq n_{arglen} \vee \mathsf{U\hat{I}nt} \sqsubseteq n_{arglen} \end{array} \\ \hat{n}_2 & \text{if } \hat{n}_{arglen} = \mathsf{UInt\hat{S}ingle} \\ \bot_{number} & \text{if } \hat{n}_{arglen} = \bot_{number} \end{cases}$$

$$\wedge\ \hat{n}_2 = \begin{cases} \mathsf{\hat{I}nf} & \text{if } n_{arglen} = \mathsf{UInt\hat{S}ingle}(0) \\ \hat{n}_3 \sqcup \bigsqcup \hat{N} & \text{if } n_{arglen} = \mathsf{UInt\hat{S}ingle}(n) \wedge n > 0 \end{cases}$$

$$\wedge\ \hat{n}_3 = \begin{cases} \mathsf{N\hat{a}N} & \text{if } n_{arglen} = \mathsf{UInt\hat{S}ingle}(n) \wedge n > 0 \wedge \exists i \in \{1,...,n-1\} : \mathsf{N\hat{a}N} \sqsubseteq n_{arg_i} \\ \bot_{number} & \text{otherwise} \end{cases}$$

$$\wedge\ \hat{N} = \left\{ n_{arg_i} \mid n_{arglen} = \mathsf{UInt\hat{S}ingle}(n) \wedge i \in \{0,...,n-1\} \wedge \forall j \in \{0,...,n-1\} : n_{arg_i} \hat{\leq} n_{arg_j} \right\}$$

$$\wedge\ (\hat{H}_1,\hat{C}_1) = (\underline{\widehat{\mathsf{ReturnStore}}}(\hat{H}, Value(\hat{n}_1)),\hat{C})$$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Math.pow”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$

where $\hat{v}_x = \widehat{getArgValue}(args, \text{“0”}) \wedge \hat{n}_x = \widehat{\underline{\mathsf{toNumber}}}(\widehat{\underline{\mathsf{toPrimitive}}}(\hat{v_x}))$

$\wedge\ \hat{v}_y = \widehat{getArgValue}(args, \text{“1”}) \wedge \hat{n}_y = \widehat{\underline{\mathsf{toNumber}}}(\widehat{\underline{\mathsf{toPrimitive}}}(\hat{v_y}))$

$$\wedge\ \hat{pv}_1 = \begin{cases} \bot_{Number} & \text{if } \hat{n_y} = \bot_{Number} \vee \hat{n_x} = \bot_{Number} \\ \hat{\mathsf{UIntSingle}}(\hat{1}) & \text{if } \hat{n_y} = \hat{\mathsf{UIntSingle}}(\hat{0}) \\ \hat{\mathsf{NaN}} & \text{if } \hat{n_y} = \hat{\mathsf{NaN}} \\ \hat{\mathsf{NaN}} & \text{if } \hat{n_x} = \hat{\mathsf{NaN}} \wedge \hat{n_y} \neq \hat{\mathsf{UIntSingle}}(\hat{0}) \\ \top_{Number} & \text{if } \hat{n_x} = \top_{Number} \vee \hat{n_y} = \top_{Number} \\ \hat{\mathsf{NaN}} & \text{if } \hat{n_x} \in \left\{ \hat{\mathsf{NUIntSingle}}(\hat{n_1}) \mid \hat{n_1} < 0 \right\} \\ & \quad \wedge \hat{n_y} \in \left\{ \hat{\mathsf{NUIntSingle}}(\hat{n_1}) \mid \neg isInt(\hat{n_1}) \right\} \end{cases}$$

$$\wedge\ \hat{pv}_2 = \begin{cases} \hat{\mathsf{UIntSingle}}(\hat{0}) & \text{if } \hat{n_x} = \hat{\mathsf{UIntSingle}}(\hat{0}) \\ & \quad \wedge \hat{n_y} \in \left\{ +\hat{\mathsf{Inf}}, \hat{\mathsf{UIntSingle}}(\hat{n_1}), \hat{\mathsf{NUIntSingle}}(\hat{n_1}) \mid \hat{0} < \hat{n_1} \right\} \\ +\hat{\mathsf{Inf}} & \text{if } \hat{n_x} = \hat{\mathsf{UIntSingle}}(\hat{0}) \\ & \quad \wedge \hat{n_y} \in \left\{ -\hat{\mathsf{Inf}}, \hat{\mathsf{NUIntSingle}}(\hat{n_1}) \mid \hat{n_1} < \hat{0} \right\} \end{cases}$$

$$\wedge\ \hat{pv}_3 = \begin{cases} +\hat{\mathsf{Inf}} & \text{if } \hat{n_x} = +\hat{\mathsf{Inf}} \\ & \quad \wedge \hat{n_y} \in \left\{ +\hat{\mathsf{Inf}}, \hat{\mathsf{UIntSingle}}(\hat{n_1}), \hat{\mathsf{NUIntSingle}}(\hat{n_1}) \mid \hat{0} < \hat{n_1} \right\} \\ \hat{\mathsf{UIntSingle}}(\hat{0}) & \text{if } \hat{n_x} = +\hat{\mathsf{Inf}} \wedge \hat{n_y} \in \left\{ -\hat{\mathsf{Inf}}, \hat{\mathsf{NUIntSingle}}(\hat{n_1}) \mid \hat{n_1} < \hat{0} \right\} \\ -\hat{\mathsf{Inf}} & \text{if } \hat{n_x} = -\hat{\mathsf{Inf}} \\ & \quad \wedge \hat{n_y} \in \left\{ \hat{\mathsf{UIntSingle}}(\hat{n_1}), \hat{\mathsf{NUIntSingle}}(\hat{n_1}) \mid \hat{0} < \hat{n_1} \wedge isOdd(\hat{n_1}) \right\} \\ +\hat{\mathsf{Inf}} & \text{if } \hat{n_x} = -\hat{\mathsf{Inf}} \\ & \quad \wedge \hat{n_y} \in \left\{ +\hat{\mathsf{Inf}}, \hat{\mathsf{UIntSingle}}(\hat{n_1}), \hat{\mathsf{NUIntSingle}}(\hat{n_1}) \mid \hat{0} < \hat{n_1} \wedge \neg isOdd(\hat{n_1}) \right\} \\ \hat{\mathsf{UIntSingle}}(\hat{0}) & \text{if } \hat{n_x} = -\hat{\mathsf{Inf}} \wedge \hat{n_y} \in \left\{ -\hat{\mathsf{Inf}}, \hat{\mathsf{NUIntSingle}}(\hat{n_1}) \mid \hat{n_1} < \hat{0} \right\} \\ \hat{\mathsf{UIntSingle}}(\hat{0}) & \text{if } \hat{n_x} = \hat{\mathsf{Inf}} \wedge \hat{n_y} \in \left\{ -\hat{\mathsf{Inf}}, \hat{\mathsf{NUIntSingle}}(\hat{n_1}) \mid \hat{n_1} < \hat{0} \right\} \\ +\hat{\mathsf{Inf}} & \text{if } \hat{n_x} = \hat{\mathsf{Inf}} \\ & \quad \wedge \hat{n_y} \in \left\{ +\hat{\mathsf{Inf}}, \hat{\mathsf{UIntSingle}}(\hat{n_1}), \hat{\mathsf{NUIntSingle}}(\hat{n_1}) \mid \hat{0} < \hat{n_1} \wedge \neg isOdd(\hat{n_1}) \right\} \end{cases}$$

$$\wedge\ \hat{pv}_4 = \begin{cases} +\hat{\mathsf{Inf}} & \text{if } \hat{v_{xa}}.1.4 \in \left\{ \hat{\mathsf{UIntSingle}}(\hat{n_1}), \hat{\mathsf{NUIntSingle}}(\hat{n_1}) \mid \hat{n_1} < -1 \vee 1 < \hat{n_1} \right\} \\ & \quad \wedge \hat{n_y} = +\hat{\mathsf{Inf}} \\ \hat{\mathsf{UIntSingle}}(\hat{0}) & \text{if } \hat{n_x} \in \left\{ \hat{\mathsf{UIntSingle}}(\hat{n_1}), \hat{\mathsf{NUIntSingle}}(\hat{n_1}) \mid -1 < \hat{n_1} < 1 \right\} \\ & \quad \wedge \hat{n_y} = +\hat{\mathsf{Inf}} \\ \hat{\mathsf{UIntSingle}}(\hat{0}) & \text{if } \hat{n_x} \in \left\{ \hat{\mathsf{UIntSingle}}(\hat{n_1}), \hat{\mathsf{NUIntSingle}}(\hat{n_1}) \mid \hat{n_1} < -1 \vee 1 < \hat{n_1} \right\} \\ & \quad \wedge \hat{n_y} = -\hat{\mathsf{Inf}} \\ +\hat{\mathsf{Inf}} & \text{if } \hat{n_x} \in \left\{ \hat{\mathsf{UIntSingle}}(\hat{n_1}), \hat{\mathsf{NUIntSingle}}(\hat{n_1}) \mid -1 < \hat{n_1} < 1 \right\} \\ & \quad \wedge \hat{n_y} = -\hat{\mathsf{Inf}} \\ \hat{\mathsf{NaN}} & \text{if } \hat{n_x} = \hat{\mathsf{UIntSingle}}(\hat{1}) \wedge \hat{n_y} \in \left\{ \hat{\mathsf{Inf}}, +\hat{\mathsf{Inf}}, -\hat{\mathsf{Inf}} \right\} \end{cases}$$

$$\wedge\ \hat{pv}_5 = \begin{cases} \alpha(pow(\hat{n_1},\hat{n_2})) & \text{if } \hat{n_x} \in \left\{ \hat{\mathsf{UIntSingle}}(\hat{n_1}), \hat{\mathsf{NUIntSingle}}(\hat{n_1}) \right\} \\ & \quad \wedge \hat{n_y} \in \left\{ \hat{\mathsf{UIntSingle}}(\hat{n_2}), \hat{\mathsf{NUIntSingle}}(\hat{n_2}) \right\} \\ \top_{Number} & \text{otherwise} \end{cases}$$

$\wedge\ \hat{pv} = \hat{pv}_1 \sqcup \hat{pv}_2 \sqcup \hat{pv}_3 \sqcup \hat{pv}_4 \sqcup \hat{pv}_5$

$\wedge\ (\hat{H}_1,\hat{C}_1) = (\widehat{\underline{\mathsf{ReturnStore}}}(\hat{H}, Value(\hat{pv})), \hat{C})$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Math.random”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
$$\text{where } \wedge (\hat{H}_1,\hat{C}_1) = (\widehat{\underline{\mathsf{ReturnStore}}}(\hat{H}, Value(\top_{Number})),\hat{C})$$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Math.round”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
$$\text{where } \hat{v} = \widehat{getArgValue}(args, \text{“}\hat{0}\text{”}) \wedge \hat{n} = \widehat{\underline{\mathsf{toNumber}}}(\widehat{\underline{\mathsf{toPrimitive}}}(\hat{v}))$$
$$\wedge \hat{pv} = \begin{cases} \hat{n} & \text{if } \hat{n} \in \left\{ \hat{\mathsf{NaN}}, \hat{\mathsf{Inf}}, \hat{+\mathsf{Inf}}, \hat{-\mathsf{Inf}}, \hat{\mathsf{UInt}}, \hat{\mathsf{NUInt}}, \bot_{Number} \right\} \\ \alpha(round(\hat{n})) & \text{if } \hat{n} \in \left\{ \hat{\mathsf{UIntSingle}}(\hat{n_1}), \hat{\mathsf{NUIntSingle}}(\hat{n}) \right\} \\ \top_{Number} & \text{otherwise} \end{cases}$$
$$\wedge (\hat{H}_1,\hat{C}_1) = (\widehat{\underline{\mathsf{ReturnStore}}}(\hat{H}, Value(\hat{pv})),\hat{C})$$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Math.sin”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
$$\text{where } \hat{v} = \widehat{getArgValue}(args, \text{“}\hat{0}\text{”}) \wedge \hat{n} = \widehat{\underline{\mathsf{toNumber}}}(\widehat{\underline{\mathsf{toPrimitive}}}(\hat{v}))$$
$$\wedge \hat{pv} = \begin{cases} \bot_{Number} & \text{if } \hat{n} = \bot_{Number} \\ \hat{\mathsf{NaN}} & \text{if } \hat{n} \in \left\{ \hat{\mathsf{NaN}}, \hat{+\mathsf{Inf}}, \hat{-\mathsf{Inf}}, \hat{\mathsf{Inf}} \right\} \\ \alpha(sin(\hat{n})) & \text{if } \hat{n} \in \left\{ \hat{\mathsf{UIntSingle}}(\hat{n}), \hat{\mathsf{NUIntSingle}}(\hat{n}) \right\} \\ \top_{Number} & \text{otherwise} \end{cases}$$
$$\wedge (\hat{H}_1,\hat{C}_1) = (\widehat{\underline{\mathsf{ReturnStore}}}(\hat{H}, Value(\hat{pv})),\hat{C})$$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Math.sqrt”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
$$\text{where } \hat{v} = \widehat{getArgValue}(args, \text{“}\hat{0}\text{”}) \wedge \hat{n} = \widehat{\underline{\mathsf{toNumber}}}(\widehat{\underline{\mathsf{toPrimitive}}}(\hat{v}))$$
$$\wedge \hat{pv} = \begin{cases} \hat{n} & \text{if } \hat{n} \in \left\{ \bot_{Number}, \hat{\mathsf{NaN}}, \hat{+\mathsf{Inf}} \right\} \\ \hat{\mathsf{NaN}} & \text{if } \hat{n} \in \left\{ \hat{-\mathsf{Inf}}, \hat{\mathsf{NUIntSingle}}(\hat{n}) \mid \hat{n} < 0 \right\} \\ \alpha(sqrt(\hat{n})) & \text{if } \hat{n} \in \left\{ \hat{\mathsf{UIntSingle}}(\hat{n}), \hat{\mathsf{NUIntSingle}}(\hat{n}) \mid 0 \leq \hat{n} \right\} \\ \top_{Number} & \text{otherwise} \end{cases}$$
$$\wedge (\hat{H}_1,\hat{C}_1) = (\widehat{\underline{\mathsf{ReturnStore}}}(\hat{H}, Value(\hat{pv})),\hat{C})$$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Math.tan”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
$$\text{where } \hat{v} = \widehat{getArgValue}(args, \text{“}\hat{0}\text{”}) \wedge \hat{n} = \widehat{\underline{\mathsf{toNumber}}}(\widehat{\underline{\mathsf{toPrimitive}}}(\hat{v}))$$
$$\wedge \hat{pv} = \begin{cases} \hat{n} & \text{if } \hat{n} \in \left\{ \bot_{Number}, \hat{\mathsf{NaN}} \right\} \\ \hat{\mathsf{NaN}} & \text{if } \hat{n} \in \left\{ \hat{\mathsf{Inf}}, \hat{+\mathsf{Inf}}, \hat{-\mathsf{Inf}} \right\} \\ \alpha(sqrt(\hat{n})) & \text{if } \hat{n} \in \left\{ \hat{\mathsf{UIntSingle}}(\hat{n}), \hat{\mathsf{NUIntSingle}}(\hat{n}) \right\} \\ \top_{Number} & \text{otherwise} \end{cases}$$
$$\wedge (\hat{H}_1,\hat{C}_1) = (\widehat{\underline{\mathsf{ReturnStore}}}(\hat{H}, Value(\hat{pv})),\hat{C})$$

11.2.15 Date

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Date”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$
$$\text{where } (\hat{H}_1,\hat{C}_1) = (\widehat{\underline{\mathsf{ReturnStore}}}(\hat{H}, \top_{String}),\hat{C})$$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Date.constructor”}, args)_{\hat{a}_{new}}]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_3,\hat{C}_3),\hat{S})$$

where $\hat{l}_R = (\hat{a}_{new}, Recent) \wedge (\hat{H}_1,\hat{C}_1) = \widehat{\mathsf{Oldify}}(\hat{H},\hat{C},\hat{a}_{new})$ *// Recency Abstraction*

$\wedge\ \hat{n}_{arglen} = \widehat{\mathsf{toUInt32}}(\widehat{\mathsf{getArgValue}}(\hat{H}_1,\hat{C}_1,\text{“}length\text{”}))$

$\wedge\ \hat{pv}_1 = \widehat{\mathsf{toPrimitive}}(\widehat{\mathsf{getArgValue}}(\hat{H}_1,\hat{C}_1,\text{“0”}))$

$$\wedge\ \hat{n}_{prim_1} = \begin{cases} \hat{n}_{prim_3} \sqcup \hat{n}_{prim_4} & \text{if } \mathsf{UIntSingle}(1) \sqsubseteq \hat{n}_{arglen} \\ \bot_{Number} & \text{otherwise} \end{cases}$$

$$\wedge\ \hat{n}_{prim_2} = \begin{cases} \top_{Number} & \text{if } \mathsf{UIntSingle}(n) \sqsubseteq \hat{n}_{arglen} \wedge n \neq 1 \\ \bot_{Number} & \text{otherwise} \end{cases}$$

$$\wedge\ \hat{n}_{prim_3} = \begin{cases} \top_{Number} & \text{if } \hat{pv}_1.5 \not\sqsubseteq \bot_{String} \quad \textit{// parse} \\ \bot_{Number} & \text{otherwise} \end{cases}$$

$\wedge\ \hat{pv}_{nonstr} = PValue(\hat{v}_1.1, \hat{v}_1.2, \hat{v}_1.3, \hat{v}_1.4, \bot_{String})$

$$\wedge\ \hat{n}_{prim_4} = \begin{cases} \widehat{\mathsf{toNumber}}(\hat{v}_{nonstr}) & \text{if } \hat{pv}_{nonstr} \not\sqsubseteq \bot_{PValue} \\ \bot_{Number} & \text{otherwise} \end{cases}$$

$\wedge\ \hat{n}_{prim} = \hat{n}_{prim_1} \sqcup \hat{n}_{prim_2}$

$\wedge\ \hat{H}_2 = \hat{H}_1[\hat{l}_R \mapsto \widehat{\mathsf{NewDate}}(\hat{n}_{prim})]$

$$\wedge\ (\hat{H}_3,\hat{C}_3) = \begin{cases} (\widehat{\mathsf{ReturnStore}}(\hat{H}_2, Value(\hat{l}_R)),\hat{C}_1) & \text{if } \hat{n}_{prim} \not\sqsubseteq \bot_{Number} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Date.parse”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$

where $(\hat{H}_1,\hat{C}_1) = (\widehat{\mathsf{ReturnStore}}(\hat{H},\top_{Number}),\hat{C})$

$$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Date.now”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$$

where $(\hat{H}_1,\hat{C}_1) = (\widehat{\mathsf{ReturnStore}}(\hat{H},\top_{Number}),\hat{C})$

11.2.16 Date.prototype

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.toString”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $(\hat{H}_1,\hat{C}_1) = (\widehat{\underline{\text{ReturnStore}}}(\hat{H},\top_{String}),\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.toDateString”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $(\hat{H}_1,\hat{C}_1) = (\widehat{\underline{\text{ReturnStore}}}(\hat{H},\top_{String}),\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.toTimeString”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $(\hat{H}_1,\hat{C}_1) = (\widehat{\underline{\text{ReturnStore}}}(\hat{H},\top_{String}),\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.toLocaleString”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $(\hat{H}_1,\hat{C}_1) = (\widehat{\underline{\text{ReturnStore}}}(\hat{H},\top_{String}),\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.toLocaleDateString”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $(\hat{H}_1,\hat{C}_1) = (\widehat{\underline{\text{ReturnStore}}}(\hat{H},\top_{String}),\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.toLocaleTimeString”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $(\hat{H}_1,\hat{C}_1) = (\widehat{\underline{\text{ReturnStore}}}(\hat{H},\top_{String}),\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.valueOf”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $\hat{v} = \bigsqcup_{\hat{l}\in\hat{C}.2} \hat{H}(\hat{l})(\widehat{@primitive})$
$(\hat{H}_1,\hat{C}_1) = (\hat{H}[\#\widehat{PureLocal}_R \mapsto \hat{H}(\#\widehat{PureLocal}_R)[@return \mapsto \hat{v}]],\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getTime”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $\hat{v} = \bigsqcup_{\hat{l}\in\hat{C}.2} \hat{H}(\hat{l})(\widehat{@primitive})$
$(\hat{H}_1,\hat{C}_1) = (\hat{H}[\#\widehat{PureLocal}_R \mapsto \hat{H}(\#\widehat{PureLocal}_R)[@return \mapsto \hat{v}]],\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getFullYear”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $(\hat{H}_1,\hat{C}_1) = (\widehat{\underline{\text{ReturnStore}}}(\hat{H}_1, Value(\top_{Number})),\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCFullYear”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $\hat{n}_{time} = \hat{H}(\hat{l})(\widehat{@primitive}).1.4$
$$\hat{v} = \bigsqcup_{\hat{l}\in\hat{C}.2} \begin{cases} \bot_{Value} & \text{if } \hat{n}_{time} \sqsubseteq \bot_{number} \\ \hat{v}_{get} & \text{if } \hat{n}_{time} = \text{UIntSingle}(n_{time}) \vee \hat{n}_{time} = \text{NUIntSingle}(n_{time}) \\ Value(\top_{Number}) & \text{otherwise} \end{cases}$$
$\hat{v}_{get} = \alpha(native.Calendar(n_{time}).get(YEAR))$ *// java, scala*
$(\hat{H}_1,\hat{C}_1) = (\hat{H}[\#\widehat{PureLocal}_R \mapsto \hat{H}(\#\widehat{PureLocal}_R)[@return \mapsto \hat{v}]],\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getMonth”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $(\hat{H}_1,\hat{C}_1) = (\underbrace{\text{ReturnStore}}(\hat{H}_1, Value(\top_{Number})),\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCMonth”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $\hat{n}_{time} = \hat{H}(\hat{l})(@primitive).1.4$

$$\hat{v} = \bigsqcup_{\hat{l}\in\hat{C}.2} \begin{cases} \bot_{Value} & \text{if } \hat{n}_{time} \sqsubseteq \bot_{number} \\ \hat{v}_{get} & \text{if } \hat{n}_{time} = \text{UIntSingle}(n_{time}) \vee \hat{n}_{time} = \text{NUIntSingle}(n_{time}) \\ Value(\top_{Number}) & \text{otherwise} \end{cases}$$

$\hat{v}_{get} = \alpha(native.Calendar(n_{time}).get(MONTH))$ *// java, scala*
$(\hat{H}_1,\hat{C}_1) = (\hat{H}[\#Pur\hat{e}Local_R \mapsto \hat{H}(\#Pur\hat{e}Local_R)[@return \mapsto \hat{v}]],\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getDate”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $(\hat{H}_1,\hat{C}_1) = (\underbrace{\text{ReturnStore}}(\hat{H}_1, Value(\top_{Number})),\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCDate”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $\hat{n}_{time} = \hat{H}(\hat{l})(@primitive).1.4$

$$\hat{v} = \bigsqcup_{\hat{l}\in\hat{C}.2} \begin{cases} \bot_{Value} & \text{if } \hat{n}_{time} \sqsubseteq \bot_{number} \\ \hat{v}_{get} & \text{if } \hat{n}_{time} = \text{UIntSingle}(n_{time}) \vee \hat{n}_{time} = \text{NUIntSingle}(n_{time}) \\ Value(\top_{Number}) & \text{otherwise} \end{cases}$$

$\hat{v}_{get} = \alpha(native.Calendar(n_{time}).get(DAY\_OF\_MONTH))$ *// java, scala*
$(\hat{H}_1,\hat{C}_1) = (\hat{H}[\#Pur\hat{e}Local_R \mapsto \hat{H}(\#Pur\hat{e}Local_R)[@return \mapsto \hat{v}]],\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getDay”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $(\hat{H}_1,\hat{C}_1) = (\underbrace{\text{ReturnStore}}(\hat{H}_1, Value(\top_{Number})),\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCDay”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $\hat{n}_{time} = \hat{H}(\hat{l})(@primitive).1.4$

$$\hat{v} = \bigsqcup_{\hat{l}\in\hat{C}.2} \begin{cases} \bot_{Value} & \text{if } \hat{n}_{time} \sqsubseteq \bot_{number} \\ \hat{v}_{get} & \text{if } \hat{n}_{time} = \text{UIntSingle}(n_{time}) \vee \hat{n}_{time} = \text{NUIntSingle}(n_{time}) \\ Value(\top_{Number}) & \text{otherwise} \end{cases}$$

$\hat{v}_{get} = \alpha(native.Calendar(n_{time}).get(DAY\_OF\_WEEK))$ *// java, scala*
$(\hat{H}_1,\hat{C}_1) = (\hat{H}[\#Pur\hat{e}Local_R \mapsto \hat{H}(\#Pur\hat{e}Local_R)[@return \mapsto \hat{v}]],\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Date.prototype.getHours”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $(\hat{H}_1,\hat{C}_1) = (\underline{\widehat{\mathsf{ReturnStore}}}(\hat{H}_1, Value(\top_{Number})),\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Date.prototype.getUTCHours”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $\hat{n}_{time} = \hat{H}(\hat{l})(@\hat{primitive}).1.4$

$$\hat{v} = \bigsqcup_{\hat{l}\in\hat{C}.2} \begin{cases} \bot_{Value} & \text{if } \hat{n}_{time} \sqsubseteq \bot_{number} \\ \hat{v}_{get} & \text{if } \hat{n}_{time} = \mathsf{UIntSingle}(n_{time}) \vee \hat{n}_{time} = \mathsf{NUIntSingle}(n_{time}) \\ Value(\top_{Number}) & \text{otherwise} \end{cases}$$

$\hat{v}_{get} = \alpha(native.Calendar(n_{time}).get(HOURS))$ *// java, scala*
$(\hat{H}_1,\hat{C}_1) = (\hat{H}[\#\hat{PureLocal}_R \mapsto \hat{H}(\#\hat{PureLocal}_R)[@return \mapsto \hat{v}]],\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Date.prototype.getMinutes”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $(\hat{H}_1,\hat{C}_1) = (\underline{\widehat{\mathsf{ReturnStore}}}(\hat{H}_1, Value(\top_{Number})),\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Date.prototype.getUTCMinutes”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $\hat{n}_{time} = \hat{H}(\hat{l})(@\hat{primitive}).1.4$

$$\hat{v} = \bigsqcup_{\hat{l}\in\hat{C}.2} \begin{cases} \bot_{Value} & \text{if } \hat{n}_{time} \sqsubseteq \bot_{number} \\ \hat{v}_{get} & \text{if } \hat{n}_{time} = \mathsf{UIntSingle}(n_{time}) \vee \hat{n}_{time} = \mathsf{NUIntSingle}(n_{time}) \\ Value(\top_{Number}) & \text{otherwise} \end{cases}$$

$\hat{v}_{get} = \alpha(native.Calendar(n_{time}).get(MINUTE))$ *// java, scala*
$(\hat{H}_1,\hat{C}_1) = (\hat{H}[\#\hat{PureLocal}_R \mapsto \hat{H}(\#\hat{PureLocal}_R)[@return \mapsto \hat{v}]],\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Date.prototype.getSeconds”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $(\hat{H}_1,\hat{C}_1) = (\underline{\widehat{\mathsf{ReturnStore}}}(\hat{H}_1, Value(\top_{Number})),\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\mathsf{BuiltintCall}(\text{“Date.prototype.getUTCSeconds”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $\hat{n}_{time} = \hat{H}(\hat{l})(@\hat{primitive}).1.4$

$$\hat{v} = \bigsqcup_{\hat{l}\in\hat{C}.2} \begin{cases} \bot_{Value} & \text{if } \hat{n}_{time} \sqsubseteq \bot_{number} \\ \hat{v}_{get} & \text{if } \hat{n}_{time} = \mathsf{UIntSingle}(n_{time}) \vee \hat{n}_{time} = \mathsf{NUIntSingle}(n_{time}) \\ Value(\top_{Number}) & \text{otherwise} \end{cases}$$

$\hat{v}_{get} = \alpha(native.Calendar(n_{time}).get(SECOND))$ *// java, scala*
$(\hat{H}_1,\hat{C}_1) = (\hat{H}[\#\hat{PureLocal}_R \mapsto \hat{H}(\#\hat{PureLocal}_R)[@return \mapsto \hat{v}]],\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getMilliseconds”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $(\hat{H}_1,\hat{C}_1) = (\underline{\widehat{\text{ReturnStore}}}(\hat{H}_1, Value(\top_{Number})),\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCMilliseconds”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $\hat{n}_{time} = \hat{H}(\hat{l})(@\hat{primitive}).1.4$
$\hat{v} = \bigsqcup_{\hat{l}\in\hat{C}.2} \begin{cases} \bot_{Value} & \text{if } \hat{n}_{time} \sqsubseteq \bot_{number} \\ \hat{v}_{get} & \text{if } \hat{n}_{time} = \text{UIntSingle}(n_{time}) \vee \hat{n}_{time} = \text{NUIntSingle}(n_{time}) \\ Value(\top_{Number}) & \text{otherwise} \end{cases}$
$\hat{v}_{get} = \alpha(native.Calendar(n_{time}).get(MILLISECOND))$ *// java, scala*
$(\hat{H}_1,\hat{C}_1) = (\hat{H}[\#\hat{PureLocal}_R \mapsto \hat{H}(\#\hat{PureLocal}_R)[@return \mapsto \hat{v}]],\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.getTimezoneOffset”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $(\hat{H}_1,\hat{C}_1) = (\underline{\widehat{\text{ReturnStore}}}(\hat{H}_1, Value(\top_{Number})),\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.setTime”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_2,\hat{C}_2),\hat{S})$
where $\hat{n}_{time} = \underline{\widehat{\text{TimeClip}}}(\underline{\widehat{\text{toNumber}}}(\underline{\widehat{\text{toPrimitive}}}(\textit{getArgValue}(args, \text{“0”}))))$
$\hat{H}_1 = \bigsqcup_{\hat{l}\in\hat{C}.2} \hat{H}[\hat{l} \mapsto \hat{H}(\hat{l})[@\hat{primitive} \mapsto \hat{n}_{time}]]$
$(\hat{H}_2,\hat{C}_2) = (\hat{H}_1[\#\hat{PureLocal}_R \mapsto \hat{H}_1(\#\hat{PureLocal}_R)[@return \mapsto \hat{n}_{time}]],\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.setMilliseconds”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_2,\hat{C}_2),\hat{S})$
where $\hat{H}_1 = \bigsqcup_{\hat{l}\in\hat{C}.2} \hat{H}[\hat{l} \mapsto \hat{H}(\hat{l})[@\hat{primitive} \mapsto \top_{Number}]]$
$\wedge\ (\hat{H}_2,\hat{C}_2) = \begin{cases} (\underline{\widehat{\text{ReturnStore}}}(\hat{H}_1, \top_{Number}),\hat{C}) & \text{if } \hat{H}_1 \not\sqsubseteq \bot_{Heap} \\ (\bot_{heap}, \bot_{context}) & \text{otherwise} \end{cases}$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.setUTCMilliseconds”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_2,\hat{C}_2),\hat{S})$
where $\hat{n}_1 = \underline{\widehat{\text{toNumber}}}(\underline{\widehat{\text{toPrimitive}}}(\textit{getArgValue}(args, \text{“0”})))$
$\hat{n}_{time} = \begin{cases} \bot_{Value} & \text{if } \hat{n}_1 \sqsubseteq \bot_{number} \\ \underline{\widehat{\text{TimeClip}}}(\hat{n}_{native}) & \text{if } \hat{n}_1 = \text{UIntSingle}(n_1) \vee \hat{n}_1 = \text{NUIntSingle}(n_1) \\ \top_{Number} & \text{otherwise} \end{cases}$
$\hat{n}_{naitve} = \alpha(native.Calendar(n_{time}).set(MILLISECOND, n_1).getTimeInMills())$ *// java, scala*
$\hat{H}_1 = \bigsqcup_{\hat{l}\in\hat{C}.2} \hat{H}[\hat{l} \mapsto \hat{H}(\hat{l})[@\hat{primitive} \mapsto \hat{n}_{time}]]$
$(\hat{H}_2,\hat{C}_2) = (\hat{H}_1[\#\hat{PureLocal}_R \mapsto \hat{H}_1(\#\hat{PureLocal}_R)[@return \mapsto \hat{n}_{time}]],\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.setSeconds”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_2,\hat{C}_2),\hat{S})$
where $\hat{H}_1 = \bigsqcup_{\hat{l}\in\hat{C}.2}\hat{H}[\hat{l}\mapsto\hat{H}(\hat{l})[@\hat{primitive}\mapsto\top_{Number}]]$
$\wedge\ (\hat{H}_2,\hat{C}_2) = \begin{cases} (\widehat{\text{ReturnStore}}(\hat{H}_1,\top_{Number}),\hat{C}) & \text{if } \hat{H}_1 \not\sqsubseteq \bot_{Heap} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.setUTCSeconds”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_2,\hat{C}_2),\hat{S})$
where $\hat{n}_1 = \widehat{\text{toNumber}}(\widehat{\text{toPrimitive}}(\textit{getArgValue}(args, \text{“0”})))$
$\hat{n}_{time} = \begin{cases} \bot_{Value} & \text{if } \hat{n}_1 \sqsubseteq \bot_{number} \\ \widehat{\text{TimeClip}}(\hat{n}_{native}) & \text{if } \hat{n}_1 = \text{UIntSingle}(n_1) \vee \hat{n}_1 = \text{NUIntSingle}(n_1) \\ \top_{Number} & \text{otherwise} \end{cases}$
$\hat{n}_{naitve} = \alpha(native.Calendar(n_{time}).set(SECOND, n_1).getTimeInMills())$ *// java, scala*
$\hat{H}_1 = \bigsqcup_{\hat{l}\in\hat{C}.2}\hat{H}[\hat{l}\mapsto\hat{H}(\hat{l})[@\hat{primitive}\mapsto\hat{n}_{time}]]$
$(\hat{H}_2,\hat{C}_2) = (\hat{H}_1[\#\hat{PureLocal}_R\mapsto\hat{H}_1(\#\hat{PureLocal}_R)[@return\mapsto\hat{n}_{time}]],\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.setMinutes”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_2,\hat{C}_2),\hat{S})$
where $\hat{H}_1 = \bigsqcup_{\hat{l}\in\hat{C}.2}\hat{H}[\hat{l}\mapsto\hat{H}(\hat{l})[@\hat{primitive}\mapsto\top_{Number}]]$
$\wedge\ (\hat{H}_2,\hat{C}_2) = \begin{cases} (\widehat{\text{ReturnStore}}(\hat{H}_1,\top_{Number}),\hat{C}) & \text{if } \hat{H}_1 \not\sqsubseteq \bot_{Heap} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.setUTCMinutes”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_2,\hat{C}_2),\hat{S})$
where $\hat{n}_1 = \widehat{\text{toNumber}}(\widehat{\text{toPrimitive}}(\textit{getArgValue}(args, \text{“0”})))$
$\hat{n}_{time} = \begin{cases} \bot_{Value} & \text{if } \hat{n}_1 \sqsubseteq \bot_{number} \\ \widehat{\text{TimeClip}}(\hat{n}_{native}) & \text{if } \hat{n}_1 = \text{UIntSingle}(n_1) \vee \hat{n}_1 = \text{NUIntSingle}(n_1) \\ \top_{Number} & \text{otherwise} \end{cases}$
$\hat{n}_{naitve} = \alpha(native.Calendar(n_{time}).set(MINUTE, n_1).getTimeInMills())$ *// java, scala*
$\hat{H}_1 = \bigsqcup_{\hat{l}\in\hat{C}.2}\hat{H}[\hat{l}\mapsto\hat{H}(\hat{l})[@\hat{primitive}\mapsto\hat{n}_{time}]]$
$(\hat{H}_2,\hat{C}_2) = (\hat{H}_1[\#\hat{PureLocal}_R\mapsto\hat{H}_1(\#\hat{PureLocal}_R)[@return\mapsto\hat{n}_{time}]],\hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.setHours”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_2,\hat{C}_2),\hat{S})$
where $\hat{H}_1 = \bigsqcup_{\hat{l}\in\hat{C}.2}\hat{H}[\hat{l}\mapsto\hat{H}(\hat{l})[@\hat{primitive}\mapsto\top_{Number}]]$
$\wedge\ (\hat{H}_2,\hat{C}_2) = \begin{cases} (\widehat{\text{ReturnStore}}(\hat{H}_1,\top_{Number}),\hat{C}) & \text{if } \hat{H}_1 \not\sqsubseteq \bot_{Heap} \\ (\bot_{heap},\bot_{context}) & \text{otherwise} \end{cases}$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.setUTCHours”}, args)]\!]((\hat{H}, \hat{C}), \hat{S}) = ((\hat{H}_2, \hat{C}_2), \hat{S})$
where $\hat{n}_1 = \underline{\widehat{\text{toNumber}}}(\underline{\widehat{\text{toPrimitive}}}(\textit{getArgValue}(args, \text{“0”})))$

$$\hat{n}_{time} = \begin{cases} \bot_{Value} & \text{if } \hat{n}_1 \sqsubseteq \bot_{number} \\ \underline{\widehat{\text{TimeClip}}}(\hat{n}_{native}) & \text{if } \hat{n}_1 = \text{UIntSingle}(n_1) \vee \hat{n}_1 = \text{NUIntSingle}(n_1) \\ \top_{Number} & \text{otherwise} \end{cases}$$

$\hat{n}_{naitve} = \alpha(native.Calendar(n_{time}).set(HOURS, n_1).getTimeInMills())$ *// java, scala*
$\hat{H}_1 = \bigsqcup_{\hat{l} \in \hat{C}.2} \hat{H}[\hat{l} \mapsto \hat{H}(\hat{l})[@\hat{primitive} \mapsto \hat{n}_{time}]]$
$(\hat{H}_2, \hat{C}_2) = (\hat{H}_1[\#\hat{PureLocal}_R \mapsto \hat{H}_1(\#\hat{PureLocal}_R)[@return \mapsto \hat{n}_{time}]], \hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.setDate”}, args)]\!]((\hat{H}, \hat{C}), \hat{S}) = ((\hat{H}_2, \hat{C}_2), \hat{S})$
where $\hat{H}_1 = \bigsqcup_{\hat{l} \in \hat{C}.2} \hat{H}[\hat{l} \mapsto \hat{H}(\hat{l})[@\hat{primitive} \mapsto \top_{Number}]]$

$$\wedge\, (\hat{H}_2, \hat{C}_2) = \begin{cases} (\underline{\widehat{\text{ReturnStore}}}(\hat{H}_1, \top_{Number}), \hat{C}) & \text{if } \hat{H}_1 \not\sqsubseteq \bot_{Heap} \\ (\bot_{heap}, \bot_{context}) & \text{otherwise} \end{cases}$$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.setUTCDate”}, args)]\!]((\hat{H}, \hat{C}), \hat{S}) = ((\hat{H}_2, \hat{C}_2), \hat{S})$
where $\hat{n}_1 = \underline{\widehat{\text{toNumber}}}(\underline{\widehat{\text{toPrimitive}}}(\textit{getArgValue}(args, \text{“0”})))$

$$\hat{n}_{time} = \begin{cases} \bot_{Value} & \text{if } \hat{n}_1 \sqsubseteq \bot_{number} \\ \underline{\widehat{\text{TimeClip}}}(\hat{n}_{native}) & \text{if } \hat{n}_1 = \text{UIntSingle}(n_1) \vee \hat{n}_1 = \text{NUIntSingle}(n_1) \\ \top_{Number} & \text{otherwise} \end{cases}$$

$\hat{n}_{naitve} = \alpha(native.Calendar(n_{time}).set(DAY\_OF\_MONTH, n_1).getTimeInMills())$ *// java, scala*
$\hat{H}_1 = \bigsqcup_{\hat{l} \in \hat{C}.2} \hat{H}[\hat{l} \mapsto \hat{H}(\hat{l})[@\hat{primitive} \mapsto \hat{n}_{time}]]$
$(\hat{H}_2, \hat{C}_2) = (\hat{H}_1[\#\hat{PureLocal}_R \mapsto \hat{H}_1(\#\hat{PureLocal}_R)[@return \mapsto \hat{n}_{time}]], \hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.setMonth”}, args)]\!]((\hat{H}, \hat{C}), \hat{S}) = ((\hat{H}_2, \hat{C}_2), \hat{S})$
where $\hat{H}_1 = \bigsqcup_{\hat{l} \in \hat{C}.2} \hat{H}[\hat{l} \mapsto \hat{H}(\hat{l})[@\hat{primitive} \mapsto \top_{Number}]]$

$$\wedge\, (\hat{H}_2, \hat{C}_2) = \begin{cases} (\underline{\widehat{\text{ReturnStore}}}(\hat{H}_1, \top_{Number}), \hat{C}) & \text{if } \hat{H}_1 \not\sqsubseteq \bot_{Heap} \\ (\bot_{heap}, \bot_{context}) & \text{otherwise} \end{cases}$$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.setUTCMonth”}, args)]\!]((\hat{H}, \hat{C}), \hat{S}) = ((\hat{H}_2, \hat{C}_2), \hat{S})$
where $\hat{n}_1 = \underline{\widehat{\text{toNumber}}}(\underline{\widehat{\text{toPrimitive}}}(\textit{getArgValue}(args, \text{“0”})))$

$$\hat{n}_{time} = \begin{cases} \bot_{Value} & \text{if } \hat{n}_1 \sqsubseteq \bot_{number} \\ \underline{\widehat{\text{TimeClip}}}(\hat{n}_{native}) & \text{if } \hat{n}_1 = \text{UIntSingle}(n_1) \vee \hat{n}_1 = \text{NUIntSingle}(n_1) \\ \top_{Number} & \text{otherwise} \end{cases}$$

$\hat{n}_{naitve} = \alpha(native.Calendar(n_{time}).set(MONTH, n_1).getTimeInMills())$ *// java, scala*
$\hat{H}_1 = \bigsqcup_{\hat{l} \in \hat{C}.2} \hat{H}[\hat{l} \mapsto \hat{H}(\hat{l})[@\hat{primitive} \mapsto \hat{n}_{time}]]$
$(\hat{H}_2, \hat{C}_2) = (\hat{H}_1[\#\hat{PureLocal}_R \mapsto \hat{H}_1(\#\hat{PureLocal}_R)[@return \mapsto \hat{n}_{time}]], \hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.setFullYear”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_2,\hat{C}_2),\hat{S})$
where $\hat{H}_1 = \bigsqcup_{\hat{l}\in\hat{C}.2} \hat{H}[\hat{l} \mapsto \hat{H}(\hat{l})[@\hat{primitive} \mapsto \top_{Number}]]$
$\wedge\ (\hat{H}_2,\hat{C}_2) = \begin{cases} (\widehat{\underline{\text{ReturnStore}}}(\hat{H}_1, \top_{Number}), \hat{C}) & \text{if } \hat{H}_1 \not\sqsubseteq \bot_{Heap} \\ (\bot_{heap}, \bot_{context}) & \text{otherwise} \end{cases}$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.setUTCFullYear”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_2,\hat{C}_2),\hat{S})$
where $\hat{n}_1 = \widehat{\underline{\text{toNumber}}}(\widehat{\underline{\text{toPrimitive}}}(\textit{getArgValue}(args, \text{“0”})))$
$\hat{n}_{time} = \begin{cases} \bot_{Value} & \text{if } \hat{n}_1 \sqsubseteq \bot_{number} \\ \widehat{\underline{\text{TimeClip}}}(\hat{n}_{native}) & \text{if } \hat{n}_1 = \text{UIntSingle}(n_1) \vee \hat{n}_1 = \text{NUIntSingle}(n_1) \\ \top_{Number} & \text{otherwise} \end{cases}$
$\hat{n}_{naitve} = \alpha(\textit{native.Calendar}(n_{time}).\textit{set}(\textit{YEAR}, n_1).\textit{getTimeInMills}())$ *// java, scala*
$\hat{H}_1 = \bigsqcup_{\hat{l}\in\hat{C}.2} \hat{H}[\hat{l} \mapsto \hat{H}(\hat{l})[@\hat{primitive} \mapsto \hat{n}_{time}]]$
$(\hat{H}_2,\hat{C}_2) = (\hat{H}_1[\#\hat{PureLocal}_R \mapsto \hat{H}_1(\#\hat{PureLocal}_R)[@return \mapsto \hat{n}_{time}]], \hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.toUTCString”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $(\hat{H}_1,\hat{C}_1) = (\widehat{\underline{\text{ReturnStore}}}(\hat{H}, \top_{String}), \hat{C})$

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Date.prototype.toISOString”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $(\hat{H}_1,\hat{C}_1) = (\widehat{\underline{\text{ReturnStore}}}(\hat{H}, \top_{String}), \hat{C})$

11.2.17 Error

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Error.constructor”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_4,\hat{C}C_4),\hat{S})$
where $\hat{v}_{arg} = \textit{getArgValue}(args, \text{“0”}) \wedge \hat{s} = \widehat{\underline{\text{toString}}}(\widehat{\underline{\text{toPrimitive}}}(\hat{v}_{arg})) \wedge \hat{l}_e = \#\hat{Err}_O$
$\wedge\ \hat{H}_1 = \begin{cases} \hat{H}[\hat{l}_e \mapsto \hat{H}(\hat{l}_e)[\textit{message} \mapsto \hat{s}]] & \text{if } \hat{v}_{arg}.1.1 \sqsubseteq \bot_{undef} \\ \bot_{Heap} & \text{otherwise} \end{cases} \quad \wedge\ \hat{H}_2 = \begin{cases} \hat{H} & \text{if } \hat{v}_{arg}.1.1 \not\sqsubseteq \bot_{undef} \\ \bot_{Heap} & \text{otherwise} \end{cases}$
$\wedge\ \hat{H}_3 = \hat{H}_1 \sqcup \hat{H}_2 \wedge (\hat{H}_4,\hat{C}_4) = (\widehat{\underline{\text{ReturnStore}}}(\hat{H}_3, \textit{Value}(\hat{l}_e)), \hat{C})$

11.2.18 Error.prototype

$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“Error.prototype.toString”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_1,\hat{C}_1),\hat{S})$
where $\hat{L}_{this} = \hat{C}.2 \wedge \hat{v}_{name} = \bigsqcup_{l\in L_{this}} \widehat{\underline{\text{Proto}}}(\hat{H}, \hat{l}, \text{“}\hat{name}\text{”}) \wedge \hat{v}_{msg} = \bigsqcup_{l\in L_{this}} \widehat{\underline{\text{Proto}}}(\hat{H}, \hat{l}, \text{“}\hat{message}\text{”})$
$\wedge\ \hat{s}_1 = \begin{cases} \text{“}\hat{Error}\text{”} & \text{if } v_{name}.1.1 \not\sqsubseteq \bot_{undef} \\ \bot_{string} & \text{otherwise} \end{cases}$
$\wedge\ \hat{s}_2 = \widehat{\underline{\text{toString}}}(\widehat{\text{PValue}}(\bot_{undef}, \hat{v}_{name}.1.2, \hat{v}_{name}.1.3, \hat{v}_{name}.1.4, \hat{v}_{name}.1.5))$
$\wedge\ \hat{s}_{name} = \hat{s}_1 \sqcup \hat{s}_2$
$\wedge\ \hat{s}_3 = \begin{cases} \text{“}\hat{:}\text{”} & \text{if } v_{msg}.1.1 \not\sqsubseteq \bot_{undef} \\ \bot_{string} & \text{otherwise} \end{cases}$
$\wedge\ \hat{s}_4 = \widehat{\underline{\text{toString}}}(\widehat{\text{PValue}}(\bot_{undef}, \hat{v}_{msg}.1.2, \hat{v}_{msg}.1.3, \hat{v}_{msg}.1.4, \hat{v}_{msg}.1.5))$
$\wedge\ \hat{s}_{msg} = \hat{s}_3 \sqcup \hat{s}_4$
$\wedge\ \hat{s}_5 = \begin{cases} \hat{s}_{msg} & \text{if } \text{“}\hat{:}\text{”} \sqsubseteq \hat{s}_{name} \\ \bot_{string} & \text{otherwise} \end{cases} \quad \wedge\ \hat{s}_6 = \begin{cases} \hat{s}_{name} & \text{if } \text{“}\hat{:}\text{”} \sqsubseteq \hat{s}_{msg} \\ \bot_{string} & \text{otherwise} \end{cases} \quad \wedge\ \hat{s}_7 = \hat{s}_{name} + \text{“}\hat{:}\text{”} + \hat{s}_{msg}$
$\wedge\ \hat{s}_{ret} = \hat{s}_5 \sqcup \hat{s}_6 \sqcup \hat{s}_7$
$\wedge\ (\hat{H}_1,\hat{C}_1) = \begin{cases} (\widehat{\underline{\text{ReturnStore}}}(\hat{H}, \textit{Value}(\hat{s}_{ret})), \hat{C}) & \text{if } \hat{s}_{ret} \not\sqsubseteq \bot_{String} \\ (\bot_{heap}, \bot_{context}) & \text{otherwise} \end{cases}$

11.2.19 EvalError

$$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“EvalError.constructor”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_4,\hat{C}_4),\hat{S})$$
where $\hat{v}_{arg} = \mathit{getArgValue}(args, \text{“0”}) \wedge\ \hat{s} = \widehat{\underline{\text{toString}}}(\widehat{\underline{\text{toPrimitive}}}(\hat{v}_{arg})) \wedge \hat{l}_e = \#\hat{EvalErr}_O$
$\wedge \hat{H}_1 = \begin{cases} \hat{H}[\hat{l}_e \mapsto \hat{H}(\hat{l}_e)[message \mapsto \hat{s}]] & \text{if } \hat{v}_{arg}.1.1 \sqsubseteq \bot_{undef} \\ \bot_{Heap} & \text{otherwise} \end{cases}$ $\wedge \hat{H}_2 = \begin{cases} \hat{H} & \text{if } \hat{v}_{arg}.1.1 \not\sqsubseteq \bot_{undef} \\ \bot_{Heap} & \text{otherwise} \end{cases}$
$\wedge \hat{H}_3 = \hat{H}_1 \sqcup \hat{H}_2 \wedge (\hat{H}_4,\hat{C}_4) = (\widehat{\underline{\text{ReturnStore}}}(\hat{H}_3, Value(\hat{l}_e)),\hat{C})$

11.2.20 RangeError

$$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“RangeError.constructor”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_4,\hat{C}_4),\hat{S})$$
where $\hat{v}_{arg} = \mathit{getArgValue}(args, \text{“0”}) \wedge\ \hat{s} = \widehat{\underline{\text{toString}}}(\widehat{\underline{\text{toPrimitive}}}(\hat{v}_{arg})) \wedge \hat{l}_e = \#\hat{RangeErr}_O$
$\wedge \hat{H}_1 = \begin{cases} \hat{H}[\hat{l}_e \mapsto \hat{H}(\hat{l}_e)[message \mapsto \hat{s}]] & \text{if } \hat{v}_{arg}.1.1 \sqsubseteq \bot_{undef} \\ \bot_{Heap} & \text{otherwise} \end{cases}$ $\wedge \hat{H}_2 = \begin{cases} \hat{H} & \text{if } \hat{v}_{arg}.1.1 \not\sqsubseteq \bot_{undef} \\ \bot_{Heap} & \text{otherwise} \end{cases}$
$\wedge \hat{H}_3 = \hat{H}_1 \sqcup \hat{H}_2 \wedge (\hat{H}_4,\hat{C}_4) = (\widehat{\underline{\text{ReturnStore}}}(\hat{H}_3, Value(\hat{l}_e)),\hat{C})$

11.2.21 ReferenceError

$$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“ReferenceError.constructor”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_4,\hat{C}_4),\hat{S})$$
where $\hat{v}_{arg} = \mathit{getArgValue}(args, \text{“0”}) \wedge \hat{s} = \widehat{\underline{\text{toString}}}(\widehat{\underline{\text{toPrimitive}}}(\hat{v}_{arg})) \wedge \hat{l}_e = \#\hat{RefErr}_O$
$\wedge \hat{H}_1 = \begin{cases} \hat{H}[\hat{l}_e \mapsto \hat{H}(\hat{l}_e)[message \mapsto \hat{s}]] & \text{if } \hat{v}_{arg}.1.1 \sqsubseteq \bot_{undef} \\ \bot_{Heap} & \text{otherwise} \end{cases}$ $\wedge \hat{H}_2 = \begin{cases} \hat{H} & \text{if } \hat{v}_{arg}.1.1 \not\sqsubseteq \bot_{undef} \\ \bot_{Heap} & \text{otherwise} \end{cases}$
$\wedge \hat{H}_3 = \hat{H}_1 \sqcup \hat{H}_2 \wedge (\hat{H}_4,\hat{C}_4) = (\widehat{\underline{\text{ReturnStore}}}(\hat{H}_3, Value(\hat{l}_e)),\hat{C})$

11.2.22 SyntaxError

$$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“SyntaxError.constructor”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_4,\hat{C}_4),\hat{S})$$
where $\hat{v}_{arg} = \mathit{getArgValue}(args, \text{“0”}) \wedge\ \hat{s} = \widehat{\underline{\text{toString}}}(\widehat{\underline{\text{toPrimitive}}}(\hat{v}_{arg})) \wedge \hat{l}_e = \#\hat{SyntaxErr}_O$
$\wedge \hat{H}_1 = \begin{cases} \hat{H}[\hat{l}_e \mapsto \hat{H}(\hat{l}_e)[message \mapsto \hat{s}]] & \text{if } \hat{v}_{arg}.1.1 \sqsubseteq \bot_{undef} \\ \bot_{Heap} & \text{otherwise} \end{cases}$ $\wedge \hat{H}_2 = \begin{cases} \hat{H} & \text{if } \hat{v}_{arg}.1.1 \not\sqsubseteq \bot_{undef} \\ \bot_{Heap} & \text{otherwise} \end{cases}$
$\wedge \hat{H}_3 = \hat{H}_1 \sqcup \hat{H}_2 \wedge (\hat{H}_4,\hat{C}_4) = (\widehat{\underline{\text{ReturnStore}}}(\hat{H}_3, Value(\hat{l}_e)),\hat{C})$

11.2.23 TypeError

$$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“TypeError.constructor”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_4,\hat{C}_4),\hat{S})$$
where $\hat{v}_{arg} = \mathit{getArgValue}(args, \text{“0”}) \wedge \hat{s} = \widehat{\underline{\text{toString}}}(\widehat{\underline{\text{toPrimitive}}}(\hat{v}_{arg})) \wedge \hat{l}_e = \#\hat{TypeErr}_O$
$\wedge \hat{H}_1 = \begin{cases} \hat{H}[\hat{l}_e \mapsto \hat{H}(\hat{l}_e)[message \mapsto \hat{s}]] & \text{if } \hat{v}_{arg}.1.1 \sqsubseteq \bot_{undef} \\ \bot_{Heap} & \text{otherwise} \end{cases}$ $\wedge \hat{H}_2 = \begin{cases} \hat{H} & \text{if } \hat{v}_{arg}.1.1 \not\sqsubseteq \bot_{undef} \\ \bot_{Heap} & \text{otherwise} \end{cases}$
$\wedge \hat{H}_3 = \hat{H}_1 \sqcup \hat{H}_2 \wedge (\hat{H}_4,\hat{C}_4) = (\widehat{\underline{\text{ReturnStore}}}(\hat{H}_3, Value(\hat{l}_e)),\hat{C})$

11.2.24 URIError

$$\hat{\mathcal{I}}_{cp}[\![\text{BuiltintCall}(\text{“URIError.constructor”}, args)]\!]((\hat{H},\hat{C}),\hat{S}) = ((\hat{H}_4,\hat{C}_4),\hat{S})$$
where $\hat{v}_{arg} = \mathit{getArgValue}(args, \text{“0”}) \wedge \hat{s} = \widehat{\underline{\text{toString}}}(\widehat{\underline{\text{toPrimitive}}}(\hat{v}_{arg})) \wedge \hat{l}_e = \#\hat{URIErr}_O$
$\wedge \hat{H}_1 = \begin{cases} \hat{H}[\hat{l}_e \mapsto \hat{H}(\hat{l}_e)[message \mapsto \hat{s}]] & \text{if } \hat{v}_{arg}.1.1 \sqsubseteq \bot_{undef} \\ \bot_{Heap} & \text{otherwise} \end{cases}$ $\wedge \hat{H}_2 = \begin{cases} \hat{H} & \text{if } \hat{v}_{arg}.1.1 \not\sqsubseteq \bot_{undef} \\ \bot_{Heap} & \text{otherwise} \end{cases}$
$\wedge \hat{H}_3 = \hat{H}_1 \sqcup \hat{H}_2 \wedge (\hat{H}_4,\hat{C}_4) = (\widehat{\underline{\text{ReturnStore}}}(\hat{H}_3, Value(\hat{l}_e)),\hat{C})$

11.3 Access Analysis

11.3.1 Global

$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Global.parseInt”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
where $LP_1 = \{\ \langle \#Pur\hat{e}Local_R, @return\rangle\ \}$

$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Global.endcodeURIComponent”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
where $\hat{es} = \{\text{URIError}\}$
$LP_1 = \widehat{\underline{\text{RaiseException}}}_{def}(\hat{es})$
$LP_2 = \{\ \langle \#Pur\hat{e}Local_R, @return\rangle\ \}$

$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“URIError.isNaN”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
where $LP_1 = \{\ \langle \#Pur\hat{e}Local_R, @return\rangle\ \}$

$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“URIError.isFinite”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
where $LP_1 = \{\ \langle \#Pur\hat{e}Local_R, @return\rangle\ \}$

$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Global.parseInt”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$$
where $LP_1 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”})$
$LP_2 = getArgValue_{use}(\hat{H},\hat{C},\text{“1”})$
$LP_3 = getArgValue_{use}(\hat{H},\hat{C},\text{“}length\text{”})$

$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Global.endcodeURIComponent”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
where $\hat{es} = \{\text{URIError}\}$
$LP_1 = \widehat{\underline{\text{RaiseException}}}_{def}(\hat{es})$
$LP_2 = \{\ \langle \#Pur\hat{e}Local_R, @return\rangle\ \}$

$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“URIError.isNaN”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
where $LP_1 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”})$
$LP_2 = \{\ \langle \#Pur\hat{e}Local_R, @return\rangle\ \}$

$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“URIError.isFinite”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
where $LP_1 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”})$
$LP_2 = \{\ \langle \#Pur\hat{e}Local_R, @return\rangle\ \}$

11.3.2 Object

$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Object”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$$
where $\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$

$$(LP_1, \hat{es}) = \begin{cases} \widehat{\underline{\text{toObject}}}_{def}(\hat{H},\hat{C},\hat{v}_{new},\hat{a}_1), \hat{es}_1' & \text{if } \hat{v}.1.3 \not\sqsubseteq \bot_{Bool} \vee \hat{v}.1.3 \not\sqsubseteq \bot_{Number} \vee \hat{v}.1.3 \not\sqsubseteq \bot_{String} \\ (\{\}, \{\}) & \text{otherwise} \end{cases}$$

$$\hat{v}_{new} = Value(PValue(\bot_{Undef}, \bot_{Null}, \hat{v}.1.3, \hat{v}.1.4, \hat{v}.1.5), \hat{v}.2)$$

$$\hat{es}' = \begin{cases} \{\text{TypeError}\} & \text{if } \hat{v}.1.1 \not\sqsubseteq \bot_{Undef} \vee \hat{v}.1.2 \not\sqsubseteq \bot_{Null} \\ \{\} & \text{otherwise} \end{cases}$$

$$LP_2 = \begin{cases} LP_2' \cup \bigcup_{s \in \widehat{\underline{\text{NewObject}}}_{def}} \{\ \langle \hat{l}_R, s\rangle\ \} & \text{if } \hat{v}.1.1 \not\sqsubseteq \bot_{Undef} \vee \hat{v}.1.2 \not\sqsubseteq \bot_{Null} \\ \{\} & \text{otherwise} \end{cases}$$

$$LP_2' = \widehat{\underline{\text{Oldify}}}_{def}((\hat{H},\hat{C},\hat{v}_{new},\hat{a}_1)$$

$$\hat{l}_R = (\hat{a}_1, \text{Recent})$$

$$LP_3 = \widehat{\underline{\text{RaiseException}}}_{def}(\hat{es})$$

$$LP_4 = \{\ \langle \#Pur\hat{e}Local_R, @return\rangle\ \}$$

$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Object.constructor”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$
where $\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$

$$(LP_1, \hat{es}) = \begin{cases} (\bigcup_{\hat{l}\in\hat{C}.2} \bigcup_{s\in\hat{P}_1\cup\hat{P}_2\cup\hat{P}_3} \{\ \langle \hat{l}, s\rangle\ \}, \hat{es}') & \text{if } \hat{v}.1.3 \not\sqsubseteq \bot_{Bool} \vee \hat{v}.1.3 \not\sqsubseteq \bot_{Number} \vee \hat{v}.1.3 \not\sqsubseteq \bot_{String} \\ (\{\}, \{\}) & \text{otherwise} \end{cases}$$

$$\hat{v}_{new} = Value(PValue(\bot_{Undef}, \bot_{Null}, \hat{v}.1.3, \hat{v}.1.4, \hat{v}.1.5), \hat{v}.2)$$

$$\hat{P}_1 = \begin{cases} \underline{\widehat{\mathsf{NewBool}}}_{def} & \text{if } \hat{v}_{new}.1.3 \not\sqsubseteq \bot_{Bool} \\ \{\} & \text{otherwise} \end{cases}$$

$$\hat{P}_2 = \begin{cases} \underline{\widehat{\mathsf{NewNumber}}}_{def} & \text{if } \hat{v}_{new}.1.4 \not\sqsubseteq \bot_{Number} \\ \{\} & \text{otherwise} \end{cases}$$

$$\hat{P}_3 = \begin{cases} \underline{\widehat{\mathsf{NewString}}}_{def}(\hat{v}_{new}.1.5) & \text{if } \hat{v}_{new}.1.5 \not\sqsubseteq \bot_{String} \\ \{\} & \text{otherwise} \end{cases}$$

$$\hat{es}' = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}.1.1 \not\sqsubseteq \bot_{Undef} \vee \hat{v}.1.2 \not\sqsubseteq \bot_{Null} \\ \{\} & \text{otherwise} \end{cases}$$

$$LP_2 = \begin{cases} \bigcup_{\hat{l}\in\hat{C}.2} \bigcup_{s\in\underline{\widehat{\mathsf{NewObject}}}_{def}} \{\ \langle \hat{l}, s\rangle\ \} & \text{if } \hat{v}.1.1 \not\sqsubseteq \bot_{Undef} \vee \hat{v}.1.2 \not\sqsubseteq \bot_{Null} \\ \{\} & \text{otherwise} \end{cases}$$

$\hat{l}_R = (\hat{a}_1, \mathsf{Recent})$
$LP_3 = \underline{\widehat{\mathsf{RaiseException}}}_{def}(\hat{es})$
$LP_4 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Object.getPrototypeOf”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$
where $\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$

$$\hat{es} = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$$

$LP_1 = \underline{\widehat{\mathsf{RaiseException}}}_{def}(\hat{es})$
$LP_2 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Object.getOwnPropertyDescriptor”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$
where $\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$

$$\hat{es} = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$$

$\hat{l}_R = (\hat{a}_1, \mathsf{Recent})$
$LP_1 = \underline{\widehat{\mathsf{Oldify}}}_{def}(\hat{H},\hat{C},\hat{a}_1)$
$LP_2 = \{\ \langle \hat{l}_R, \text{“}value\text{”}\rangle, \langle \hat{l}_R, \text{“}writable\text{”}\rangle, \langle \hat{l}_R, \text{“}enumerable\text{”}\rangle, \langle \hat{l}_R, \text{“}configurable\text{”}\rangle\ \}$
$LP_3 = \underline{\widehat{\mathsf{RaiseException}}}_{def}(\hat{es})$
$LP_4 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Object.getOwnPropertyNames”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$
where $\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$

$$\hat{es} = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$$

$\hat{l}_R = (\hat{a}_1, \mathsf{Recent})$
$LP_1 = \underline{\widehat{\mathsf{Oldify}}}_{def}(\hat{H},\hat{C},\hat{a}_1)$
$LP_2 = \bigcup_{\hat{l}\in\hat{v}.2} \bigcup_{i\in\{0,\ldots,|\underline{\widehat{\mathsf{GetProps}}}(\hat{H},\hat{l})|-1\}} \{\ \langle \hat{l}, i\rangle\ \}$
$LP_3 = \underline{\widehat{\mathsf{RaiseException}}}_{def}(\hat{es})$
$LP_4 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Object.create”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4 \cup LP_5$
where $\hat{l}_R = (\hat{a}_1, \mathsf{Recent})$
$LP_1 = \widehat{\mathsf{Oldify}}_{def}(\hat{H},\hat{C},\hat{a}_1)$
$\hat{v}_1 = getArgValue(\hat{H},\hat{C},\text{“0”})$
$\hat{es}_1 = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}_1.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$\hat{n}_{len} = \widehat{\mathsf{toUInt32}}(getArgValue(\hat{H},\hat{C},\text{“}length\text{”}))$
$\hat{v}_2 = getArgValue(\hat{H},\hat{C},\text{“1”})$
$\hat{es}_2 = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{n}_{len} = \hat{2} \wedge \hat{v}_2.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$LP_2 = \bigcup_{s \in \widehat{\mathsf{NewObject}}_{def}} \{\ \langle \hat{l}_R, s\rangle\ \}$
$LP_3 = \begin{cases} \bigcup_{\hat{l} \in \hat{v}_2.2} \widehat{\mathsf{DefineProperties}}_{def}(\hat{H},\hat{l}_R,\hat{l}) & \text{if } \hat{n}_{len} = \hat{2} \\ \{\} & \text{otherwise} \end{cases}$
$LP_4 = \widehat{\mathsf{RaiseException}}_{def}(\hat{es}_1 \sqcup \hat{es}_2)$
$LP_5 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Object.defineProperty”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$
where $\hat{v}_1 = getArgValue(\hat{H},\hat{C},\text{“0”})$
$\hat{es}_1 = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}_1.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$\hat{s}_{name} = \widehat{\mathsf{toString}}(\widehat{\mathsf{toPrimitive}}(getArgValue(\hat{H},\hat{C},\text{“1”})))$
$\hat{v}_2 = getArgValue(\hat{H},\hat{C},\text{“2”})$
$\hat{es}_2 = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{n}_{len} = \hat{2} \wedge \hat{v}_2.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$LP_1 = \bigcup_{\hat{l}_1 \in \hat{v}_1.2} \bigcup_{\hat{l}_2 \in \hat{v}_2.2} \widehat{\mathsf{DefineProperty}}_{def}(\hat{H},\hat{l}_1,\hat{s}_{name},\hat{l}_2) LP_2 = \widehat{\mathsf{RaiseException}}_{def}(\hat{es}_1 \sqcup \hat{es}_2)$
$LP_3 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Object.defineProperties”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$
where $\hat{v}_1 = getArgValue(\hat{H},\hat{C},\text{“0”})$
$\hat{es}_1 = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}_1.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$\hat{v}_2 = getArgValue(\hat{H},\hat{C},\text{“1”})$
$\hat{es}_2 = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{n}_{len} = \hat{2} \wedge \hat{v}_2.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$LP_1 = \bigcup_{\hat{l}_1 \in \hat{v}_1.2} \bigcup_{\hat{l}_2 \in \hat{v}_2.2} \widehat{\mathsf{DefineProperties}}_{def}(\hat{H},\hat{l}_1,\hat{l}_2) LP_2 = \widehat{\mathsf{RaiseException}}_{def}(\hat{es}_1 \sqcup \hat{es}_2)$
$LP_3 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Object.seal”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$
$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Object.freeze”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$
where $\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$
$\hat{es} = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}_1.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$LP_1 = \bigcup_{\hat{l}_1 \in \hat{v}.2} \{\ \langle \hat{l}, @extensible\rangle\ \} \cup \bigcup_{s \in \widehat{\mathsf{GetProps}}(\hat{H},\hat{l})} \{\ \langle \hat{l}, s\rangle\ \}$
$LP_2 = \widehat{\mathsf{RaiseException}}_{def}(\hat{es})$
$LP_3 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Object.preventExtensions”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$
where $\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$
$\hat{es} = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}_1.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$LP_1 = \bigcup_{\hat{l}_1 \in \hat{v}.2} \{\ \langle \hat{l}, @extensible\rangle\ \}$
$LP_2 = \widehat{\mathsf{RaiseException}}_{def}(\hat{es})$
$LP_3 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Object.isSealed”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Object.isFrozen”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Object.isExtensible”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$
where $\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$
$\hat{es} = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$LP_1 = \widehat{\underline{\mathsf{RaiseException}}}_{def}(\hat{es})$
$LP_2 = \{\ \langle \#PureLocal_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Object.keys”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$
where $\hat{l}_R = (\hat{a}_1, \mathsf{Recent})$
$LP_1 = \widehat{\underline{\mathsf{Oldify}}}_{def}(\hat{H},\hat{C},\hat{a}_1)$
$\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$
$\hat{es} = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$LP_2 = \bigcup_{\hat{l}\in\hat{v}.2} \bigcup_{s\in\widehat{\underline{\mathsf{NewArrayObject}}}_{def}} \{\ \langle \hat{l}_R, s\rangle\ \}$
$LP_3 = \widehat{\underline{\mathsf{RaiseException}}}_{def}(\hat{es})$
$LP_4 = \{\ \langle \#PureLocal_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Object”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4 \cup LP_5$
where $\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$
$LP_1 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”})$
$(LP_2, \hat{es}) = \begin{cases} \widehat{\underline{\mathsf{toObject}}}_{use}(\hat{H},\hat{C},\hat{v}_{new},\hat{a}_1), \hat{es}'_1) & \text{if } \hat{v}.1.3 \not\sqsubseteq \bot_{Bool} \vee \hat{v}.1.3 \not\sqsubseteq \bot_{Number} \vee \hat{v}.1.3 \not\sqsubseteq \bot_{String} \\ (\{\}, \{\}) & \text{otherwise} \end{cases}$
$\hat{v}_{new} = Value(PValue(\bot_{Undef}, \bot_{Null}, \hat{v}.1.3, \hat{v}.1.4, \hat{v}.1.5), \hat{v}.2)$
$\hat{es}' = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}.1.1 \not\sqsubseteq \bot_{Undef} \vee \hat{v}.1.2 \not\sqsubseteq \bot_{Null} \\ \{\} & \text{otherwise} \end{cases}$
$LP_3 = \begin{cases} \widehat{\underline{\mathsf{Oldify}}}_{use}(\hat{H},\hat{C},\hat{v}_{new},\hat{a}_1) & \text{if } \hat{v}.1.1 \not\sqsubseteq \bot_{Undef} \vee \hat{v}.1.2 \not\sqsubseteq \bot_{Null} \\ \{\} & \text{otherwise} \end{cases}$
$LP_4 = \widehat{\underline{\mathsf{RaiseException}}}_{def}(\hat{es})$
$LP_5 = \{\ \langle \#PureLocal_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Object.constructor”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4 \cup LP_5$
where $LP_1 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”})$
$\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$
$(LP_2, \hat{es}) = \begin{cases} (\bigcup_{\hat{l}\in\hat{C}.2} \bigcup_{s\in\hat{P}_1\cup\hat{P}_2\cup\hat{P}_3} \{\ \langle \hat{l}, s\rangle\ \}, \hat{es}') & \text{if } \hat{v}.1.3 \not\sqsubseteq \bot_{Bool} \vee \hat{v}.1.3 \not\sqsubseteq \bot_{Number} \vee \hat{v}.1.3 \not\sqsubseteq \bot_{String} \\ (\{\}, \{\}) & \text{otherwise} \end{cases}$
$\hat{v}_{new} = Value(PValue(\bot_{Undef}, \bot_{Null}, \hat{v}.1.3, \hat{v}.1.4, \hat{v}.1.5), \hat{v}.2)$
$\hat{P}_1 = \begin{cases} \widehat{\underline{\mathsf{NewBool}}}_{def} & \text{if } \hat{v}_{new}.1.3 \not\sqsubseteq \bot_{Bool} \\ \{\} & \text{otherwise} \end{cases}$
$\hat{P}_2 = \begin{cases} \widehat{\underline{\mathsf{NewNumber}}}_{def} & \text{if } \hat{v}_{new}.1.4 \not\sqsubseteq \bot_{Number} \\ \{\} & \text{otherwise} \end{cases}$
$\hat{P}_3 = \begin{cases} \widehat{\underline{\mathsf{NewString}}}_{def}(\hat{v}_{new}.1.5) & \text{if } \hat{v}_{new}.1.5 \not\sqsubseteq \bot_{String} \\ \{\} & \text{otherwise} \end{cases}$
$\hat{es}' = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}.1.1 \not\sqsubseteq \bot_{Undef} \vee \hat{v}.1.2 \not\sqsubseteq \bot_{Null} \\ \{\} & \text{otherwise} \end{cases}$
$LP_3 = \begin{cases} \bigcup_{\hat{l}\in\hat{C}.2} \bigcup_{s\in\widehat{\underline{\mathsf{NewObject}}}_{def}} \{\ \langle \hat{l}, s\rangle\ \} & \text{if } \hat{v}.1.1 \not\sqsubseteq \bot_{Undef} \vee \hat{v}.1.2 \not\sqsubseteq \bot_{Null} \\ \{\} & \text{otherwise} \end{cases}$
$\hat{l}_R = (\hat{a}_1, \mathsf{Recent})$
$LP_4 = \widehat{\underline{\mathsf{RaiseException}}}_{use}(\hat{es})$
$LP_5 = \{\ \langle \#PureLocal_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Object.getPrototypeOf”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$
where $\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$
$LP_1 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”})$
$\hat{es} = \begin{cases} \{\text{TypeError}\} & \text{if } \hat{v}.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$LP_2 = \bigcup_{\hat{l}\in\hat{C}.2} \{\ \langle \hat{l}, @proto\rangle\ \}$
$LP_3 = \widehat{\underline{\text{RaiseException}}}_{def}(\hat{es})$
$LP_4 = \{\ \langle \#PureLocal_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Object.getOwnPropertyDescriptor”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4 \cup LP_5$
where $\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$
$\hat{s} = \widehat{\underline{\text{toString}}}(\widehat{\underline{\text{toPrimitive}}}(getArgValue(\hat{H},\hat{C},\text{“1”})))$
$LP_1 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”}) \cup getArgValue_{use}(\hat{H},\hat{C},\text{“1”})$
$\hat{es} = \begin{cases} \{\text{TypeError}\} & \text{if } \hat{v}.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$\hat{l}_R = (\hat{a}_1, \text{Recent})$
$LP_2 = \bigcup_{\hat{l}\in\hat{C}.2} \widehat{\underline{\text{absPair}}}(\hat{H},\hat{l},\hat{s})$
$LP_3 = \widehat{\underline{\text{Oldify}}}_{use}(\hat{H},\hat{C},\hat{a}_1)$
$LP_4 = \widehat{\underline{\text{RaiseException}}}_{use}(\hat{es})$
$LP_5 = \{\ \langle \#PureLocal_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Object.getOwnPropertyNames”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4 \cup LP_5$
where $\hat{l}_R = (\hat{a}_1, \text{Recent})$
$LP_1 = \widehat{\underline{\text{Oldify}}}_{use}(\hat{H},\hat{C},\hat{a}_1)$
$\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$
$LP_2 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”})$
$\hat{es} = \begin{cases} \{\text{TypeError}\} & \text{if } \hat{v}_1.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$LP_3 = \bigcup_{\hat{l}\in\hat{v}.2} \bigcup_{s\in\widehat{\text{GetProps}}(\hat{H},\hat{l})} \{\ \langle \hat{l}, s\rangle, \langle \hat{l}, \text{“@default\_number”}\rangle, \langle \hat{l}, \text{“@default\_other”}\rangle\ \}$
$LP_4 = \widehat{\underline{\text{RaiseException}}}_{use}(\hat{es})$
$LP_5 = \{\ \langle \#PureLocal_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Object.create”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4 \cup LP_5$
where $\hat{l}_R = (\hat{a}_1, \text{Recent})$
$LP_1 = \widehat{\underline{\text{Oldify}}}_{use}(\hat{H},\hat{C},\hat{a}_1)$
$\hat{v}_1 = getArgValue(\hat{H},\hat{C},\text{“0”})$
$\hat{v}_2 = getArgValue(\hat{H},\hat{C},\text{“1”})$
$\hat{n}_{len} = \widehat{\underline{\text{toUInt32}}}(getArgValue(\hat{H},\hat{C},\text{“1”}))$
$LP_2 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”}) \cup getArgValue_{use}(\hat{H},\hat{C},\text{“1”}) \cup getArgValue_{use}(\hat{H},\hat{C},\text{“}length\text{”})$
$\hat{es}_1 = \begin{cases} \{\text{TypeError}\} & \text{if } \hat{v}_1.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$\hat{n}_{len} = \widehat{\underline{\text{toUInt32}}}(getArgValue(\hat{H},\hat{C},\text{“}length\text{”}))$
$\hat{es}_2 = \begin{cases} \{\text{TypeError}\} & \text{if } \hat{n}_{len} = \hat{2} \wedge \hat{v}_2.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$LP_3 = \begin{cases} \bigcup_{\hat{l}\in\hat{v}_2.2} \widehat{\underline{\text{DefineProperties}}}_{use}(\hat{H},\hat{l}_R,\hat{l}) & \text{if } \hat{n}_{len} = \hat{2} \\ \{\} & \text{otherwise} \end{cases}$
$LP_4 = \widehat{\underline{\text{RaiseException}}}_{use}(\hat{es}_1 \sqcup \hat{es}_2)$
$LP_5 = \{\ \langle \#PureLocal_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Object.defineProperty”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$
where $\hat{v}_1 = getArgValue(\hat{H},\hat{C},\text{“0”})$
$\hat{s}_{name} = \widehat{\underline{\text{toString}}}(\widehat{\underline{\text{toPrimitive}}}(getArgValue(\hat{H},\hat{C},\text{“1”})))$
$\hat{v}_2 = getArgValue(\hat{H},\hat{C},\text{“2”})$
$LP_2 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”}) \cup getArgValue_{use}(\hat{H},\hat{C},\text{“1”}) \cup getArgValue_{use}(\hat{H},\hat{C},\text{“2”})$
$\hat{es}_1 = \begin{cases} \{\text{TypeError}\} & \text{if } \hat{v}_1.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$\hat{es}_2 = \begin{cases} \{\text{TypeError}\} & \text{if } \hat{n}_{len} = \hat{2} \wedge \hat{v}_2.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$LP_1 = \bigcup_{\hat{l}_1\in\hat{v}_1.2} \bigcup_{\hat{l}_2\in\hat{v}_2.2} \widehat{\underline{\text{DefineProperty}}}_{use}(\hat{H},\hat{l}_1,\hat{s}_{name},\hat{l}_2) LP_2 = \widehat{\underline{\text{RaiseException}}}_{use}(\hat{es}_1 \sqcup \hat{es}_2)$
$LP_3 = \{\ \langle \#PureLocal_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Object.defineProperties”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$
where $\hat{v}_1 = getArgValue(\hat{H},\hat{C},\text{“0”})$
$\hat{v}_2 = getArgValue(\hat{H},\hat{C},\text{“1”})$
$LP_2 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”}) \cup getArgValue_{use}(\hat{H},\hat{C},\text{“1”})$
$\hat{es}_1 = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}_1.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$\hat{es}_2 = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{n}_{len} = \hat{2} \wedge \hat{v}_2.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$LP_1 = \bigcup_{\hat{l}_1 \in \hat{v}_1.2} \bigcup_{\hat{l}_2 \in \hat{v}_2.2} \underline{\widehat{\mathsf{DefineProperties}}}_{use}(\hat{H},\hat{l}_1,\hat{l}_2) LP_2 = \underline{\widehat{\mathsf{RaiseException}}}_{use}(\hat{es}_1 \sqcup \hat{es}_2)$
$LP_3 = \{\ \langle \#PureLocal_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Object.seal”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$
$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Object.freeze”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$
where $\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$
$LP_1 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”})$
$\hat{es} = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}_1.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$LP_2 = \bigcup_{\hat{l}_1 \in \hat{v}.2} \bigcup_{s \in \widehat{\mathsf{GetProps}}(\hat{H},\hat{l})} \{\ \langle \hat{l}, s\rangle\ \}$
$LP_3 = \underline{\widehat{\mathsf{RaiseException}}}_{use}(\hat{es})$
$LP_4 = \{\ \langle \#PureLocal_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Object.preventExtensions”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$
where $\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$
$LP_1 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”})$
$\hat{es} = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}_1.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$LP_2 = \underline{\widehat{\mathsf{RaiseException}}}_{use}(\hat{es})$
$LP_3 = \{\ \langle \#PureLocal_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Object.isSealed”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$
$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Object.isFrozen”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$
where $\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$
$LP_1 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”})$
$\hat{es} = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}_1.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$LP_2 = \bigcup_{\hat{l}_1 \in \hat{v}.2} \{\ \langle \hat{l}, @extensible\rangle\ \} \cup \bigcup_{s \in \widehat{\mathsf{GetProps}}(\hat{H},\hat{l})} \{\ \langle \hat{l}, s\rangle\ \}$
$LP_3 = \underline{\widehat{\mathsf{RaiseException}}}_{use}(\hat{es})$
$LP_4 = \{\ \langle \#PureLocal_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Object.isExtensible”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$
where $\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$
$LP_1 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”})$
$\hat{es} = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}_1.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$LP_2 = \bigcup_{\hat{l}_1 \in \hat{v}.2} \{\ \langle \hat{l}, @extensible\rangle\ \}$
$LP_3 = \underline{\widehat{\mathsf{RaiseException}}}_{use}(\hat{es})$
$LP_4 = \{\ \langle \#PureLocal_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Object.keys”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4 \cup LP_5$
where $\hat{l}_R = (\hat{a}_1, \mathsf{Recent})$
$LP_1 = \underline{\widehat{\mathsf{Oldify}}}_{use}(\hat{H},\hat{C},\hat{a}_1)$
$\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$
$LP_2 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”})$
$\hat{es} = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \hat{v}_1.1 \not\sqsubseteq \bot_{PValue} \\ \{\} & \text{otherwise} \end{cases}$
$LP_3 = \bigcup_{\hat{l} \in \hat{v}.2} \bigcup_{s \in \widehat{\mathsf{GetProps}}(\hat{H},\hat{l})} \{\ \langle \hat{l}, s\rangle, \langle \hat{l}, \text{“@default\_number”}\rangle, \langle \hat{l}, \text{“@default\_other”}\rangle\ \}$
$LP_4 = \underline{\widehat{\mathsf{RaiseException}}}_{use}(\hat{es})$
$LP_5 = \{\ \langle \#PureLocal_R, @return\rangle\ \}$

11.3.3 Object.prototype

$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Object.prototype.toString”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Object.prototype.toLocaleString”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Object.prototype.valueOf”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Object.prototype.hasOwnProperty”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Object.prototype.isPrototypeOf”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Object.prototype.propertyIsEnumerable”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
where $LP_1 = \{\ \langle \#Pure\hat{L}ocal_R, @return \rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Object.prototype.toString”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Object.prototype.toLocaleString”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
where $LP_1 = \bigcup_{\hat{l} \in \hat{C}.2} \{\ \langle \hat{l}, @class \rangle\ \}$
$LP_2 = \{\ \langle \#Pure\hat{L}ocal_R, @return \rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Object.prototype.valueOf”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
where $LP_1 = \{\ \langle \#Pure\hat{L}ocal_R, @return \rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Object.prototype.hasOwnProperty”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2 \cup LP_3$
where $\hat{v} = getArgValue(\hat{H}, \hat{C}, \text{“0”})$
$\hat{s} = \widehat{\underline{\text{toString}}}(\widehat{\underline{\text{toPrimitive}}}(\hat{v}))$
$LP_1 = getArgValue_{use}(\hat{H}, \hat{C}, \text{“0”})$
$LP_2 = \bigcup_{\hat{l} \in \hat{C}.2} \widehat{\underline{\text{HasOwnProperty}}}_{use}(\hat{H}, \hat{l}, \hat{s})$
$LP_3 = \{\ \langle \#Pure\hat{L}ocal_R, @return \rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Object.prototype.isPrototypeOf”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2 \cup LP_3$
where $\hat{v} = getArgValue(\hat{H}, \hat{C}, \text{“0”})$
$LP_1 = getArgValue_{use}(\hat{H}, \hat{C}, \text{“0”})$
$LP_2 = \bigcup_{\hat{l} \in \hat{C}.2} \{\ \langle \hat{l}, @proto \rangle\ \}$
$LP_3 = \{\ \langle \#Pure\hat{L}ocal_R, @return \rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Object.prototype.propertyIsEnumerable”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2 \cup LP_3$
where $\hat{s} = \widehat{\underline{\text{toString}}}(\widehat{\underline{\text{toPrimitive}}}(getArgValue(\hat{H}, \hat{C}, \text{“0”})))$
$LP_1 = getArgValue_{use}(\hat{H}, \hat{C}, \text{“0”})$
$LP_2 = \bigcup_{\hat{l} \in \hat{C}.2} \widehat{\underline{\text{absPair}}}(\hat{H}, \hat{l}, \hat{s})$
$LP_3 = \{\ \langle \#Pure\hat{L}ocal_R, @return \rangle\ \}$

11.3.4 Function

11.3.5 Function.prototype

$$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Function.prototype”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
where $LP_1 = \{\ \langle \#PureLocal_R, @return\rangle\ \}$

$$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Function.prototype.toString”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
where $\hat{es} = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \exists \hat{l} \in \hat{C}.2 : \hat{H}(\hat{l})(@class).1.2.1.5 \neq \text{“}Function\text{”} \\ \{\} & \text{otherwise} \end{cases}$
$LP_1 = \widehat{\underline{\mathsf{RaiseException}}}_{def}(\hat{es})$
$LP_2 = \{\ \langle \#PureLocal_R, @return\rangle\ \}$

$$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Function.prototype.apply”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4 \cup LP_5 \cup LP_6$$
where $LP_1 = \widehat{\underline{\mathsf{Oldify}}}_{def}(\hat{H},\hat{C},\hat{a}_1) \cup \widehat{\underline{\mathsf{Oldify}}}_{def}(\hat{H},\hat{C},\hat{a}_2) \cup \widehat{\underline{\mathsf{Oldify}}}_{def}(\hat{H},\hat{C},\hat{a}_3)$
$\hat{es}_1 = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \exists \hat{l} \in \hat{C}.2 : \mathsf{false} \sqsubseteq \widehat{\underline{\mathsf{IsCallable}}}(\hat{H},\hat{l}) \\ \{\} & \text{otherwise} \end{cases}$
$\hat{v}_{arg} = getArgValue(\hat{H},\hat{C},\text{“1”})$
$\hat{v}_{arg1} = Value(PValue(\bot_{Undef},\bot_{Null},\hat{v}_{arg}.1.3,\hat{v}_{arg}.1.4,\hat{v}_{arg}.1.5),\hat{v}_{arg}.2)$
$(\hat{v}_{arg2},\hat{es}_2) = \begin{cases} (Value(\bot_{PValue},\hat{v}_{arg1}.2),\{\mathsf{TypeError}\}) & \text{if } \hat{v}_{arg1}.1 \not\sqsubseteq \bot_{PValue} \\ (\hat{v}_{arg1},\{\}) & \text{otherwise} \end{cases}$
$LP_2 = \begin{cases} LP_2' & \text{if } \hat{v}_{arg2} \not\sqsubseteq \bot_{Value} \\ \{\} & \text{otherwise} \end{cases}$
$LP_2' = \bigsqcup_{\hat{l} \in \hat{v}_{arg2}.2} \begin{cases} \bigcup_{i\in\{0,\ldots,n-1\}} \{\ \langle \hat{l}_{R_3}, i\rangle\ \} & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n) \\ \{\} & \text{if } \hat{n}_{len} = \bot_{Number} \\ \widehat{\underline{\mathsf{absPair}}}(\hat{H},\hat{l}_{R_3},\mathsf{NumStr}) & \text{otherwise} \end{cases}$
$\hat{n}_{len} = \widehat{\underline{\mathsf{toUInt32}}}(\widehat{\underline{\mathsf{Proto}}}(\hat{H},\hat{l},\text{“}length\text{”}))$
$\hat{v}_{this} = getArgValue(\hat{H},\hat{l},\text{“0”})$
$\hat{L}_{arg} = \widehat{\underline{\mathsf{getThis}}}(\hat{H},\hat{v}_{this})$
$\hat{v}_{this2} = Value(PValue(\bot_{Undef},\bot_{Null},\hat{v}_{this}.1.3,\hat{v}_{this}.1.4,\hat{v}_{this}.1.5),\hat{L}_{arg})$
$LP_3 = \widehat{\underline{\mathsf{toObject}}}_{def}(\hat{H},\hat{C},\hat{v}_{this2},\hat{a}_4)$
$LP_4 = \{\ \langle \hat{l}_{R_3},\text{“}callee\text{”}\rangle\ \}$
$LP_5 = \widehat{\underline{\mathsf{RaiseException}}}_{def}(\hat{es}_1 \sqcup \hat{es}_2)$
$LP_6 = \{\ \langle \#PureLocal_R, @return\rangle\ \}$

$$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Function.prototype.call”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4 \cup LP_5 \cup LP_6$$
where $LP_1 = \widehat{\underline{\mathsf{Oldify}}}_{def}(\hat{H},\hat{C},\hat{a}_1) \cup \widehat{\underline{\mathsf{Oldify}}}_{def}(\hat{H},\hat{C},\hat{a}_2)$
$\hat{es} = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \exists \hat{l} \in \hat{C}.2 : \mathsf{false} \sqsubseteq \widehat{\underline{\mathsf{IsCallable}}}(\hat{H},\hat{l}) \\ \{\} & \text{otherwise} \end{cases}$
$\hat{n}_{len} = getArgValue(\hat{H},\hat{l},\text{“}length\text{”})\hat{-}\hat{1}$
$LP_2 = \begin{cases} \bigcup_{i\in\{0,\ldots,n-1\}} \{\ \langle \hat{l}_{R_1}, i\rangle\ \} & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n) \vee \hat{n}_{len} = \mathsf{NUIntSingle}(n) \\ \{\} & \text{otherwise} \end{cases}$
$\hat{v}_{this} = getArgValue(\hat{H},\hat{l},\text{“0”})$
$\hat{L}_{arg} = \widehat{\underline{\mathsf{getThis}}}(\hat{H},\hat{v}_{this})$
$\hat{v}_{this2} = Value(PValue(\bot_{Undef},\bot_{Null},\hat{v}_{this}.1.3,\hat{v}_{this}.1.4,\hat{v}_{this}.1.5),\hat{L}_{arg})$
$LP_3 = \widehat{\underline{\mathsf{toObject}}}_{def}(\hat{H},\hat{C},\hat{v}_{this2},\hat{a}_4)$
$LP_4 = \{\ \langle \hat{l}_{R_3},\text{“}callee\text{”}\rangle\ \}$
$LP_5 = \widehat{\underline{\mathsf{RaiseException}}}_{def}(\hat{es}_1 \sqcup \hat{es}_2)$
$LP_6 = \{\ \langle \#PureLocal_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Function.prototype”}, args)]\!](\hat{H},\hat{C}) = LP_1$
where $LP_1 = \{\ \langle \#Pur\hat{e}Local_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Function.prototype.toString”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$
where $\hat{es} = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \exists \hat{l} \in \hat{C}.2 : \hat{H}(\hat{l})(@c\hat{l}ass).1.2.1.5 \neq \text{“}Fun\hat{c}tion\text{”} \\ \{\} & \text{otherwise} \end{cases}$
$LP_1 = \bigcup_{\hat{l}\in\hat{C}.2} \{\ \langle \hat{l}, @class\rangle\ \}$
$LP_2 = \widehat{\underline{\mathsf{RaiseException}}}_{use}(\hat{es})$
$LP_3 = \{\ \langle \#Pur\hat{e}Local_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Function.prototype.apply”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4 \cup LP_5 \cup LP_6 \cup LP_7$
where $LP_1 = \widehat{\underline{\mathsf{Oldify}}}_{use}(\hat{H},\hat{C},\hat{a}_1) \cup \widehat{\underline{\mathsf{Oldify}}}_{use}(\hat{H},\hat{C},\hat{a}_2) \cup \widehat{\underline{\mathsf{Oldify}}}_{use}(\hat{H},\hat{C},\hat{a}_3)$
$\hat{es}_1 = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \exists \hat{l} \in \hat{C}.2 : \hat{\mathsf{false}} \sqsubseteq \widehat{\underline{\mathsf{IsCallable}}}(\hat{H},\hat{l}) \\ \{\} & \text{otherwise} \end{cases}$
$\hat{L}_{fun} = \left\{\ \hat{l} \mid \hat{l} \in \hat{C}.2 \wedge \hat{\mathsf{true}} \sqsubseteq \widehat{\underline{\mathsf{IsCallable}}}(\hat{H},\hat{l})\ \right\}$
$\hat{v}_{arg} = getArgValue(\hat{H},\hat{C},\text{“0”})$
$LP_2 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”}) \cup getArgValue_{use}(\hat{H},\hat{C},\text{“1”})$
$\hat{v}_{arg1} = Value(PValue(\bot_{Undef},\bot_{Null},\hat{v}_{arg}.1.3,\hat{v}_{arg}.1.4,\hat{v}_{arg}.1.5),\hat{v}_{arg}.2)$
$(\hat{v}_{arg2},\hat{es}_2) = \begin{cases} (Value(\bot_{PValue},\hat{v}_{arg1}.2),\{\mathsf{TypeError}\}) & \text{if } \hat{v}_{arg1}.1 \not\sqsubseteq \bot_{PValue} \\ (\hat{v}_{arg1},\{\}) & \text{otherwise} \end{cases}$
$LP_3 = \begin{cases} LP_3' & \text{if } \hat{v}_{arg2} \not\sqsubseteq \bot_{Value} \\ \{\} & \text{otherwise} \end{cases}$
$LP_3' = \bigcup_{\hat{l}\in\hat{v}_{arg2}.2} \hat{LP}_{len} \cup \begin{cases} \bigcup_{i\in\{0,\ldots,n-1\}} \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H},\hat{l},\hat{i}) & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n) \\ \{\} & \text{if } \hat{n}_{len} = \bot_{Number} \\ \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H},\hat{l},\mathsf{NumStr}) & \text{otherwise} \end{cases}$
$\hat{n}_{len} = \widehat{\underline{\mathsf{toUInt32}}}(\widehat{\underline{\mathsf{Proto}}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}))$
$\hat{LP}_{len} = \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H},\hat{l},\text{“}\hat{length}\text{”})$
$\hat{v}_{this} = getArgValue(\hat{H},\hat{l},\text{“0”})$
$\hat{L}_{arg} = \widehat{\underline{\mathsf{getThis}}}(\hat{H},\hat{v}_{this})$
$\hat{v}_{this2} = Value(PValue(\bot_{Undef},\bot_{Null},\hat{v}_{this}.1.3,\hat{v}_{this}.1.4,\hat{v}_{this}.1.5),\hat{L}_{arg})$
$LP_4 = \widehat{\underline{\mathsf{toObject}}}_{use}(\hat{H},\hat{C},\hat{v}_{this2},\hat{a}_4)$
$LP_5 = \bigcup_{\hat{l}\in\hat{L}_{fun}} \{\ \langle \hat{l}@function\rangle, \langle \hat{l}@scope\rangle\ \}$
$LP_6 = \widehat{\underline{\mathsf{RaiseException}}}_{def}(\hat{es}_1 \sqcup \hat{es}_2)$
$LP_7 = \{\ \langle \#Pur\hat{e}Local_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Function.prototype.call”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4 \cup LP_5 \cup LP_6 \cup LP_7$
where $LP_1 = \widehat{\underline{\mathsf{Oldify}}}_{def}(\hat{H},\hat{C},\hat{a}_1) \cup \widehat{\underline{\mathsf{Oldify}}}_{def}(\hat{H},\hat{C},\hat{a}_2)$
$\hat{es} = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \exists \hat{l} \in \hat{C}.2 : \hat{\mathsf{false}} \sqsubseteq \widehat{\underline{\mathsf{IsCallable}}}(\hat{H},\hat{l}) \\ \{\} & \text{otherwise} \end{cases}$
$LP_2 = getArgValue_{use}(\hat{H},\hat{C},\text{“}length\text{”}) \cup getArgValue_{use}(\hat{H},\hat{C},\text{“0”})$
$\hat{n}_{len} = getArgValue(\hat{H},\hat{l},\text{“}length\text{”})\hat{-}\hat{1}$
$LP_3 = \begin{cases} \bigcup_{i\in\{0,\ldots,n-1\}} getArgValue_{use}(\hat{H},\hat{C},i+1) & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n) \vee \hat{n}_{len} = \mathsf{NUIntSingle}(n) \\ \{\} & \text{otherwise} \end{cases}$
$\hat{v}_{this} = getArgValue(\hat{H},\hat{l},\text{“0”})$
$\hat{L}_{arg} = \widehat{\underline{\mathsf{getThis}}}(\hat{H},\hat{v}_{this})$
$\hat{v}_{this2} = Value(PValue(\bot_{Undef},\bot_{Null},\hat{v}_{this}.1.3,\hat{v}_{this}.1.4,\hat{v}_{this}.1.5),\hat{L}_{arg})$
$LP_4 = \widehat{\underline{\mathsf{toObject}}}_{use}(\hat{H},\hat{C},\hat{v}_{this2},\hat{a}_4)$
$LP_5 = \bigcup_{\hat{l}\in\hat{L}_{fun}} \{\ \langle \hat{l}@function\rangle, \langle \hat{l}@scope\rangle\ \}$
$LP_6 = \widehat{\underline{\mathsf{RaiseException}}}_{def}(\hat{es}_1 \sqcup \hat{es}_2)$
$LP_7 = \{\ \langle \#Pur\hat{e}Local_R, @return\rangle\ \}$

11.3.6 Array

$$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Array”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$$
where $\hat{l}_R = (\hat{a}_1, \mathsf{Recent})$
$$LP_1 = \widehat{\underline{\mathsf{Oldify}}}_{def}(\hat{H},\hat{C},\hat{a}_1)$$
$$\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$$
$$\hat{n}_{len} = \widehat{\underline{\mathsf{toUInt32}}}(getArgValue(\hat{H},\hat{C},\text{“}length\text{”}))$$
$$\hat{es} = \begin{cases} \hat{es}' & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n) \wedge n = 1 \\ \{\} & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n) \wedge n! = 1 \\ \{\} & \text{if } \hat{n}_{len} = \bot_{Number} \\ \hat{es}' & \text{otherwise} \end{cases}$$
$$\hat{es}' = \begin{cases} \{\} & \text{if } \hat{v}.1.4 = \mathsf{UInt} \vee \hat{v}.1.4 = \mathsf{UIntSingle} \vee \hat{v}.1.4 = \mathsf{NumBot} \\ \{\mathsf{RangeError}\} & \text{otherwise} \end{cases}$$
$$LP_2 = \bigcup_{s \in \widehat{\underline{\mathsf{NewArrayObejct}}}_{def}} \{\ \langle \hat{l}_R, s\rangle\ \}$$
$$LP_3 = \widehat{\underline{\mathsf{RaiseException}}}_{def}(\hat{es}_1 \sqcup \hat{es}_2)$$
$$LP_4 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Array.constructor”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$$
where $\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$
$$\hat{n}_{len} = \widehat{\underline{\mathsf{toUInt32}}}(getArgValue(\hat{H},\hat{C},\text{“}length\text{”}))$$
$$\hat{es} = \begin{cases} \hat{es}' & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n) \wedge n = 1 \\ \{\} & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n) \wedge n! = 1 \\ \{\} & \text{if } \hat{n}_{len} = \bot_{Number} \\ \hat{es}' & \text{otherwise} \end{cases}$$
$$\hat{es}' = \begin{cases} \{\} & \text{if } \hat{v}.1.4 = \mathsf{UInt} \vee \hat{v}.1.4 = \mathsf{UIntSingle} \vee \hat{v}.1.4 = \mathsf{NumBot} \\ \{\mathsf{RangeError}\} & \text{otherwise} \end{cases}$$
$$LP_1 = \bigcup_{\hat{l} \in \hat{C}.2} \bigcup_{s \in \widehat{\underline{\mathsf{NewArrayObejct}}}_{def}} \{\ \langle \hat{l}, s\rangle\ \}$$
$$LP_2 = \widehat{\underline{\mathsf{RaiseException}}}_{def}(\hat{es}_1 \sqcup \hat{es}_2)$$
$$LP_3 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Array.isArray”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
where $LP_1 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$

$$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Array”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$$
where $\hat{l}_R = (\hat{a}_1, \mathsf{Recent})$
$$LP_1 = \widehat{\underline{\mathsf{Oldify}}}_{use}(\hat{H},\hat{C},\hat{a}_1)$$
$$\hat{n}_{arglen} = \widehat{\underline{\mathsf{toUInt32}}}(getArgValue(\hat{H},\hat{C},\text{“}length\text{”}))$$
$$LP_2 = getArgValue(\hat{H},\hat{C},\text{“0”}) \cup getArgValue(\hat{H},\hat{C},\text{“}legnth\text{”})$$
$$\hat{es} = \begin{cases} \hat{es}' & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n) \wedge n = 1 \\ \{\} & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n) \wedge n! = 1 \\ \{\} & \text{if } \hat{n}_{len} = \bot_{Number} \\ \hat{es}' & \text{otherwise} \end{cases}$$
$$\hat{es}' = \begin{cases} \{\} & \text{if } \hat{v}.1.4 = \mathsf{UInt} \vee \hat{v}.1.4 = \mathsf{UIntSingle} \vee \hat{v}.1.4 = \mathsf{NumBot} \\ \{\mathsf{RangeError}\} & \text{otherwise} \end{cases}$$
$$LP_3 = \begin{cases} \bigcup_{i \in \{0,\ldots,n-1\}} \{\ \langle \hat{l}_R, i\rangle\ \} & \text{if } \hat{n}_{arglen} = \mathsf{UIntSingle}(n) \\ \{\} & \text{if } \hat{n}_{arglen} = \bot_{Number} \\ ahfabsPair(\hat{H},\hat{l}_R,\mathsf{NumStr}) & \text{otherwise} \end{cases}$$
$$LP_4 = \widehat{\underline{\mathsf{RaiseException}}}_{use}(\hat{es}_1 \sqcup \hat{es}_2)$$
$$LP_5 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Array.constructor”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_3 \cup LP_4 \cup LP_5$$
where $\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$
$\hat{n}_{arg} = \widehat{\underline{\text{toUInt32}}}(getArgValue(\hat{H},\hat{C},\text{“}length\text{”}))$
$LP_1 = getArgValue(\hat{H},\hat{C},\text{“0”}) \cup getArgValue(\hat{H},\hat{C},\text{“}legnth\text{”})$
$$\hat{es} = \begin{cases} \hat{es}' & \text{if } \hat{n}_{len} = \text{UIntSingle}(n) \wedge n = 1 \\ \{\} & \text{if } \hat{n}_{len} = \text{UIntSingle}(n) \wedge n! = 1 \\ \{\} & \text{if } \hat{n}_{len} = \bot_{Number} \\ \hat{es}' & \text{otherwise} \end{cases}$$
$$\hat{es}' = \begin{cases} \{\} & \text{if } \hat{v}.1.4 = \text{UInt} \vee \hat{v}.1.4 = \text{UIntSingle} \vee \hat{v}.1.4 = \text{NumBot} \\ \{\text{RangeError}\} & \text{otherwise} \end{cases}$$
$$LP_2 = \begin{cases} \bigcup_{\hat{l}\in\hat{C}.2} \bigcup_{i\in\{0,\ldots,n-1\}} \{\ \langle \hat{l}, i\rangle\ \} & \text{if } \hat{n}_{arglen} = \text{UIntSingle}(n) \\ \{\} & \text{if } \hat{n}_{arglen} = \bot_{Number} \\ \bigcup_{\hat{l}\in\hat{C}.2} \widehat{\underline{\text{absPair}}}(\hat{H},\hat{l},\text{NumStr} & \text{otherwise} \end{cases}$$
$LP_3 = \bigcup_{\hat{l}\in\hat{C}.2} \bigcup_{s\in\widehat{\underline{\text{NewArrayObejct}}}_{def}} LP_4 = \widehat{\underline{\text{RaiseException}}}_{use}(\hat{es}_1 \sqcup \hat{es}_2)$
$LP_5 = \{\ \langle \hat{\#PureLocal}_R, @return\rangle\ \}$

$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Array.isArray”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$$
where $\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$
$LP_1 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”})$
$LP_2 = \bigcup_{\hat{l}\in\hat{v}.2} \{\ \langle \hat{l}, @class\rangle\ \}$
$LP_3 = \{\ \langle \hat{\#PureLocal}_R, @return\rangle\ \}$

11.3.7 Array.prototype

$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Array.prototype.toString”}, args)]\!](\hat{H},\hat{C}) = LP_1$
$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Array.prototype.toLocaleString”}, args)]\!](\hat{H},\hat{C}) = LP_1$
$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Array.prototype.join”}, args)]\!](\hat{H},\hat{C}) = LP_1$
where $LP_1 = \{\ \langle \hat{\#PureLocal}_R, @return\rangle\ \}$

$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Array.prototype.concat”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$$
where $\hat{l}_R = (\hat{a}_1, \text{Recent})$
$LP_1 = \widehat{\underline{\text{Oldify}}}_{def}(\hat{H},\hat{C},\hat{a}_1)$
$\hat{n}_{arglen} = \widehat{\underline{\text{toUInt32}}}(getArgValue(\hat{H},\hat{C},\text{“}length\text{”}))$
$$LP_2 = \begin{cases} \{\} & \text{if } \hat{n}_{arglen} = \bot_{Number} \\ LP_2' & \text{if } \hat{n}_{arglen} = \text{UIntSingle}(n_arglen) \\ LP_{array} & \text{otherwise} \end{cases}$$
$$LP_2' = \bigcup_{\hat{l}\in\hat{C}.2} \begin{cases} \{\} & \text{if } \hat{n}_{len} = \bot_{Number} \\ LP_{array} \cup \bigcup_{i\in\{0,\ldots,n-1\}} \{\ \langle \hat{l}_R, i\rangle\ \} & \\ & \text{if } \hat{n}_{arglen} = \text{UIntSingle}(n) \\ LP_{array} & \text{otherwise} \end{cases}$$
$\hat{n}_{len} = \widehat{\underline{\text{toUInt32}}}(\widehat{\underline{\text{Proto}}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}))$
$LP_{array} = \bigcup_{s\in\widehat{\underline{\text{NewArrayObejct}}}_{def}} \{\ \langle \hat{l}_R, s\rangle\ \}$
$LP_3 = \{\ \langle \hat{\#PureLocal}_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Array.prototype.pop”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4 \cup LP_5$

$$\text{where } LP_1 = \bigcup_{\hat{l}\in\hat{C}.2} \begin{cases} LP_{length} & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n_{len}) \wedge n_{len} = 0 \\ LP_{length} \cup \widehat{\underline{\mathsf{Delete}}}_{def}(\hat{H},\hat{l},n_{len}-1) & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n_{len}) \wedge n_{len} > 0 \\ \{\} & \text{if } \hat{n}_{len} = \bot_{Number} \\ LP_{length} \cup \widehat{\underline{\mathsf{Delete}}}_{def}(\hat{H},\hat{l},\mathsf{NumStr}) & \text{otherwise} \end{cases}$$

$$\hat{n}_{len} = \widehat{\underline{\mathsf{toUInt32}}}(\widehat{\mathsf{Proto}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}))$$

$$LP_{length} = \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\text{“}\hat{length}\text{”})$$

$$LP_2 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Array.prototype.push”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$

$$\text{where } \hat{n}_{arg} = \widehat{\underline{\mathsf{toUInt32}}}(getArgValue(\hat{H},\hat{C},\text{“}length\text{”}))$$

$$LP_1 = \begin{cases} \{\} & \text{if } \hat{n}_{arg} = \bot_{Number} \\ LP'_1 & \text{if } \hat{n}_{arg} = \mathsf{UIntSingle}(n_{arg}) \\ \bigcup_{\hat{l}\in\hat{C}.2} \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\mathsf{NumStr}) & \text{otherwise} \end{cases}$$

$$LP'_1 = \bigcup_{\hat{l}\in\hat{C}.2} \begin{cases} \{\} & \text{if } \hat{n}_{len} = \bot_{Number} \\ \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}) \cup \bigcup_{i\in\{0,\ldots n_{arg}-1\}} \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},i\hat{+}n) & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n) \\ \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\mathsf{NumStr}) & \text{otherwise} \end{cases}$$

$$\hat{n}_{len} = \widehat{\underline{\mathsf{toUInt32}}}(\widehat{\mathsf{Proto}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}))$$

$$LP_2 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Array.prototype.reverse”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$

$$\text{where } LP_1 = \bigcup_{\hat{l}\in\hat{C}.2} \begin{cases} \{\} & \text{if } \hat{n}_len = \bot_{Number} \\ LP'_1 & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n) \\ \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\mathsf{NumStr}) \cup \widehat{\underline{\mathsf{Delete}}}_{def}(\hat{H},\hat{l},\mathsf{NumStr}) & \text{otherwise} \end{cases}$$

$$\hat{n}_{len} = \widehat{\underline{\mathsf{toUInt32}}}(\widehat{\mathsf{Proto}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}))$$

$$LP'_1 = \bigcup_{i\in\{0,\ldots,floor(n/2)\}} LP_{swap} \cup LP_{up} \cup LP_{low}$$

$$LP_{swap} = \begin{cases} \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\hat{s}_{low}) \cup \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\hat{s}_{up}) & \text{if } \hat{\mathsf{true}} \sqsubseteq \hat{b}_{low} \wedge \hat{\mathsf{true}} \sqsubseteq \hat{b}_{up} \\ \{\} & \text{otherwise} \end{cases}$$

$$LP_{up} = \begin{cases} \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\hat{s}_{low}) \cup \widehat{\underline{\mathsf{Delete}}}_{def}(\hat{H},\hat{l},\hat{s}_{up}) & \text{if } \hat{\mathsf{false}} \sqsubseteq \hat{b}_{low} \wedge \hat{\mathsf{true}} \sqsubseteq \hat{b}_{up} \\ \{\} & \text{otherwise} \end{cases}$$

$$LP_{low} = \begin{cases} \widehat{\underline{\mathsf{Delete}}}_{def}(\hat{H},\hat{l},\hat{s}_{low}) \cup \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\hat{s}_{up}) & \text{if } \hat{\mathsf{true}} \sqsubseteq \hat{b}_{low} \wedge \hat{\mathsf{false}} \sqsubseteq \hat{b}_{up} \\ \{\} & \text{otherwise} \end{cases}$$

$$\hat{s}_{low} = \hat{i}$$

$$\hat{s}_{up} = n \hat{-} \hat{i} \hat{-} 1$$

$$\hat{b}_{low}\ \widehat{\underline{\mathsf{HasProperty}}}(\hat{H},\hat{C},\hat{s}_{low})$$

$$\hat{b}_{up}\ \widehat{\underline{\mathsf{HasProperty}}}(\hat{H},\hat{C},\hat{s}_{up})$$

$$LP_2 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Array.prototype.shift”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$

$$\text{where } LP_1 = \bigcup_{\hat{l}\in\hat{C}.2} \begin{cases} \{\} & \text{if } \hat{n}_{len} = \bot_{Number} \\ LP'_1 & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n) \\ LP_{store_{len}} \cup \widehat{\underline{\mathsf{Delete}}}_{def}(\hat{H},\hat{l},\mathsf{NumStr}) & \text{otherwise} \end{cases}$$

$$\hat{n}_{len} = \widehat{\underline{\mathsf{toUInt32}}}(\widehat{\mathsf{Proto}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}))$$

$$LP'_1 = \begin{cases} LP_{store_{len}} & \text{if } n = 0 \\ LP_{array} \cup LP_{delete} \cup LP_{store_{len}} & \text{otherwise} \end{cases}$$

$$LP_{array} = \bigcup_{i\in\{1,\ldots,n-1\}} LP_{shift1} \cup LP_{shift2}$$

$$LP_{shift1} = \begin{cases} \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\hat{s}_{to}) & \text{if } \hat{\mathsf{true}} \sqsubseteq \hat{b} \\ \{\} & \text{otherwise} \end{cases}$$

$$LP_{shift2} = \begin{cases} \widehat{\underline{\mathsf{Delete}}}_{def}(\hat{H},\hat{l},\hat{s}_{to}) & \text{if } \hat{\mathsf{false}} \sqsubseteq \hat{b} \\ \{\} & \text{otherwise} \end{cases}$$

$$LP_{delete} = \widehat{\underline{\mathsf{Delete}}}_{def}(\hat{H},\hat{l},n\hat{-}1)$$

$$LP_{store_{len}} = \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\text{“}\hat{length}\text{”})$$

$$\hat{s}_{from} = \hat{i}$$

$$\hat{s}_{to} = n \hat{-} \hat{i} \hat{-} 1$$

$$\hat{b} = \widehat{\underline{\mathsf{HasProperty}}}(\hat{H},\hat{C},\hat{s}_{from})$$

$$LP_2 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Array.prototype.slice”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$
where $\hat{l}_R = (\hat{a}_1, \mathsf{Recent})$

$$LP_1 = \widehat{\underline{\mathsf{Oldify}}_{def}}(\hat{H},\hat{C},\hat{a}_1)$$
$$\hat{n}_{start} = \widehat{\underline{\mathsf{toInteger}}}(getArgValue(\hat{H},\hat{C},\text{“0”}))$$
$$\hat{n}_{end} = \widehat{\underline{\mathsf{toInteger}}}(getArgValue(\hat{H},\hat{C},\text{“1”}))$$
$$LP_2 = \begin{cases} \{\} & \text{if } \hat{n}_{start} = \bot_{Number} \vee \hat{n}_{end} = \bot_{Number} \\ LP_{single} & \text{if } \gamma(\hat{n}_{start}) = n_{start} \wedge \gamma(\hat{n}_{end}) = n_{end} \\ LP_{top} & \text{otherwise} \end{cases}$$
$$LP_{single} = \bigcup_{\hat{l}\in\hat{C}.2} \begin{cases} \{\} & \text{if } \hat{n}_{len} = \bot_{Number} \\ LP_{array} \cup \bigcup_{i\in\{0,\ldots,n_{span}-1\}} \{\ \langle \hat{l}_R, i\rangle\ \} & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n) \\ LP_{array} & \text{otherwise} \end{cases}$$
$$LP_{top} = \bigcup_{\hat{l}\in\hat{C}.2} \begin{cases} \{\} & \text{if } \hat{n}_{len} = \bot_{Number} \\ LP_{array} & \text{otherwise} \end{cases}$$
$$\hat{n}_{len} = \widehat{\underline{\mathsf{toUInt32}}}(\widehat{\underline{\mathsf{Proto}}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}))$$
$$LP_{array} = \bigcup_{s\in\widehat{\underline{\mathsf{NewArrayObject}}}_{def}} \{\ \langle \hat{l}_R, s\rangle\ \}$$
$$n_{from} = \begin{cases} max(n + n_{start}, 0) & \text{if } \hat{n}_{len} = \bot_{Number} \\ min(n_{start}, n) & \text{otherwise} \end{cases}$$
$$n_{to} = \begin{cases} max(n + n_{end}, 0) & \text{if } \hat{n}_{len} = \bot_{Number} \\ min(n_{end}, n) & \text{otherwise} \end{cases}$$
$$n_{span} = max(n_{to} - n_{from}, 0)$$
$$LP_3 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Array.prototype.splice”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$
where $\hat{l}_R = (\hat{a}_1, \mathsf{Recent})$

$$LP_1 = \widehat{\underline{\mathsf{Oldify}}_{def}}(\hat{H},\hat{C},\hat{a}_1)$$
$$\hat{n}_{arg} = \widehat{\underline{\mathsf{toInteger}}}(getArgValue(\hat{H},\hat{C},\text{“}length\text{”}))$$
$$\hat{n}_{start} = \widehat{\underline{\mathsf{toInteger}}}(getArgValue(\hat{H},\hat{C},\text{“0”}))$$
$$\hat{n}_{count} = \widehat{\underline{\mathsf{toInteger}}}(getArgValue(\hat{H},\hat{C},\text{“1”}))$$
$$LP_2 = \begin{cases} \{\} & \text{if } \hat{n}_{start} = \bot_{Number} \vee \hat{n}_{count} = \bot_{Number} \\ LP_{single} & \text{if } \gamma(\hat{n}_{start}) = n_{start} \wedge \gamma(\hat{n}_{count}) = n_{count} \\ LP_{top} & \text{otherwise} \end{cases}$$
$$LP_{single} = \bigcup_{\hat{l}\in\hat{C}.2} \begin{cases} \{\} & \text{if } \hat{n}_{len} = \bot_{Number} \\ LP_{array} \cup LP_{single_1} \cup LP_{single_2} & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n_{len}) \\ LP_{array} \cup LP_{top_{store}} \cup LP_{top_{delet}} & \text{otherwise} \end{cases}$$
$$LP_{single_1} = \bigcup_{i\in\{0,\ldots,n_{delCount}-1\}} \{\ \langle \hat{l}_R, i\rangle\ \}$$
$$n_{delCount} = min(max(n_{count}, 0), n_{len} - n_{start})$$
$$LP_{single_2} = \begin{cases} \{\} & \text{if } \hat{n}_{arg} = \bot_{Number} \\ LP_{single_3} & \text{if } \hat{n}_{arg} = \mathsf{UIntSingle}(n_{arg}) \\ \cup LP_{top_{store}} \cup LP_{top_{delete}} & \text{otherwise} \end{cases}$$
$$LP_{single_3} = \begin{cases} LP_{single_{move1}} \cup LP_{single_{add}} \cup LP_{single_{delete}} \cup LP_{single_{length}} & \text{if } n_{addCount} < n_{count} \\ LP_{single_{move2}} \cup LP_{single_{add}} \cup LP_{single_{length}} & \text{otherwise} \end{cases}$$
$$n_{addCount} = n_{arg} - 2$$
$$LP_{single_{move1}} = \bigcup_{i\in\{n_{moveStart},\ldots,n_{len}-1\}} \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\hat{s}_{to_1}) \cup \widehat{\underline{\mathsf{Delete}}}_{def}(\hat{H},\hat{l},\hat{s}_{to_1})$$
$$LP_{single_{move2}} = \bigcup_{i\in\{0,\ldots,n_{len}-n_{moveStart}-1\}} \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\hat{s}_{to_2}) \cup \widehat{\underline{\mathsf{Delete}}}_{def}(\hat{H},\hat{l},\hat{s}_{to_2})$$
$$\hat{s}_{to_1} = i - n_{count} \hat{+} n_{addCount}$$
$$\hat{s}_{to_2} = n_{len} - 1 - i - \hat{n_{count}} + n_{addCount}$$
$$LP_{single_{add}} = \bigcup_{i\in\{0,\ldots,n_{addCount}-1\}} \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\hat{n_{start}} + i)$$
$$LP_{single_{delete}} = \bigcup_{i\in\{n_{newLen},\ldots,n_{len}-1\}} \widehat{\underline{\mathsf{Delete}}}_{def}(\hat{H},\hat{l},\hat{i})$$
$$n_{newLen} = n_{len} + n_{addCount} - n_{count} LP_{single_{length}} = \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\text{“}\hat{length}\text{”})$$
$$LP_{top} = \bigcup_{\hat{l}\in\hat{C}.2} \begin{cases} \{\} & \text{if } \hat{n}_{len} = \bot_{Number} \\ LP_{array} \cup LP_{top_{store}} \cup LP_{top_{delet}} & \text{otherwise} \end{cases}$$
$$\hat{n}_{len} = \widehat{\underline{\mathsf{toUInt32}}}(\widehat{\underline{\mathsf{Proto}}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}))$$
$$LP_{array} = \bigcup_{s\in\widehat{\underline{\mathsf{NewArrayObject}}}_{def}} \{\ \langle \hat{l}_R, s\rangle\ \}$$
$$LP_{top_{store}} = \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\mathsf{NumStr})$$
$$LP_{top_{delete}} = \widehat{\underline{\mathsf{Delete}}}_{def}(\hat{H},\hat{l},\mathsf{NumStr})$$
$$LP_3 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Array.prototype.unshift”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$
where $\hat{n}_{arg} = \widehat{\mathsf{toUInt32}}(getArgValue(\hat{H},\hat{C},\text{“}\hat{length}\text{”}))$

$$LP_1 = \begin{cases} \{\} & \text{if } \hat{n}_{arg} = \bot_{Number} \\ LP_{single} & \text{if } \hat{n}_{arg} = \mathsf{UIntSingle}(n_{arg}) \\ LP_{top} & \text{otherwise} \end{cases}$$

$\hat{n}_{len} = \widehat{\mathsf{toUInt32}}(\widehat{\mathsf{Proto}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}))$

$$LP_{single} = \bigcup_{\hat{l}\in\hat{C}.2} \begin{cases} \{\} & \text{if } \hat{n}_{len} = \bot_{Number} \\ LP_{unshift} \cup LP_{add} \cup LP_{single_{length}} & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n_{len}) \\ LP_{store} \cup LP_{delete} & \text{otherwise} \end{cases}$$

$LP_{unshift} = \bigcup_{i\in\{0,\ldots n_{len}-1\}} \widehat{\mathsf{PropStore}}_{def}(\hat{H},\hat{l},\hat{s}_{to}) \cup \widehat{\mathsf{Delete}}_{def}(\hat{H},\hat{l},\hat{s}_{to})$
$\hat{s}_{to} = n_{len} - 1 \hat{-} i + n_{arg}$
$LP_{add} = \bigcup_{i\in\{0,\ldots n_{arg}-1\}} \widehat{\mathsf{PropStore}}_{def}(\hat{H},\hat{l},i)$
$LP_{delete} = \widehat{\mathsf{Delete}}_{def}(\hat{H},\hat{l},\mathsf{NumStr})$
$LP_{store} = \widehat{\mathsf{PropStore}}_{def}(\hat{H},\hat{l},\mathsf{NumStr})$
$LP_{single_{length}} = \widehat{\mathsf{PropStore}}_{def}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}))$

$$LP_{top} = \bigcup_{\hat{l}\in\hat{C}.2} \begin{cases} \{\} & \text{if } \hat{n}_{len} = \bot_{Number} \\ LP_{store} \cup LP_{delete} & \text{otherwise} \end{cases}$$

$LP_2 = \{\ \langle \#Pur\hat{e}Local_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Array.prototype.indexOf”}, args)]\!](\hat{H},\hat{C}) = LP_1$
$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“Array.prototype.lastIndexOf”}, args)]\!](\hat{H},\hat{C}) = LP_1$
where $LP_1 = \{\ \langle \#Pur\hat{e}Local_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Array.prototype.toString”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$
$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Array.prototype.toLocaleString”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$
where $\hat{n}_{len} = \widehat{\mathsf{toUInt32}}(\bigsqcup_{\hat{l}\in\hat{C}.2} \widehat{\mathsf{Proto}}(\hat{H},\hat{l},\text{“}length\text{”}))$
$LP_1 = \bigcup_{\hat{l}\in\hat{C}.2} \widehat{\mathsf{Proto}}_{use}(\hat{H},\hat{l},\text{“}length\text{”}))$

$$LP_2 = \begin{cases} LP_2' \cup LP_2'' & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n_{len}) \wedge n_{len} > 0 \\ \{\} & \text{otherwise} \end{cases}$$

$LP_2' = \bigcup_{\hat{l}\in\hat{C}.2} \widehat{\mathsf{Proto}}_{use}(\hat{H},\hat{l},\text{“0”}))$
$LP_2'' = \bigcup_{\hat{l}\in\hat{C}.2} \bigcup_{i\in\{1,\ldots,n_{len}-1\}} \widehat{\mathsf{Proto}}_{use}(\hat{H},\hat{l},\text{“}i\text{”}))$
$LP_3 = \{\ \langle \#Pur\hat{e}Local_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Array.prototype.concat”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$
where $\hat{l}_R = (\hat{a}_1, \mathsf{Recent})$
$LP_1 = \widehat{\mathsf{Oldify}}_{use}(\hat{H},\hat{C},\hat{a}_1)$
$\hat{n}_{arglen} = \widehat{\mathsf{toUInt32}}(getArgValue(\hat{H},\hat{C},\text{“}length\text{”}))$
$LP_2 = getArgValue_{use}(\hat{H},\hat{C},\text{“}length\text{”})$

$$LP_3 = \begin{cases} \{\} & \text{if } \hat{n}_{arglen} = \bot_{Number} \\ LP_{single} & \text{if } \hat{n}_{arglen} = \mathsf{UIntSingle}(n_arglen) \\ LP_{top} & \text{otherwise} \end{cases}$$

$$LP_{single} = \bigcup_{\hat{l}\in\hat{C}.2} \begin{cases} \{\} & \text{if } \hat{n}_{len} = \bot_{Number} \\ LP_{len} \cup LP_{array} & \text{if } \hat{n}_{arglen} = \mathsf{UIntSingle}(n) \\ \widehat{\mathsf{Proto}}_{use}(\hat{H},\hat{l},\mathsf{NumStr}) & \text{otherwise} \end{cases}$$

$\hat{n}_{len} = \widehat{\mathsf{toUInt32}}(\widehat{\mathsf{Proto}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}))$
$LP_{len} = \widehat{\mathsf{Proto}}_{use}(\hat{H},\hat{l},\text{“}\hat{length}\text{”})$
$LP_{array} = \bigcup_{i\in\{0,\ldots,n-1\}} \widehat{\mathsf{Proto}}_{use}(\hat{H},\hat{l},\hat{i}) \cup \bigcup_{i\in\{0,\ldots,n-1\}} getArgValue_{use}(\hat{H},\hat{l},i)$
$LP_{top} = \bigcup_{\hat{l}\in\hat{C}.2} \widehat{\mathsf{Proto}}_{use}(\hat{H},\hat{l},\mathsf{NumStr}) \cup getArgValue_{use}(\hat{H},\hat{C},\mathsf{NumStr})$
$LP_4 = \{\ \langle \#Pur\hat{e}Local_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Array.prototype.join”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$
where $LP_1 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”})$
$\hat{n}_{len} = \widehat{\mathsf{toUInt32}}(\bigsqcup_{\hat{l}\in\hat{C}.2} \widehat{\mathsf{Proto}}(\hat{H},\hat{l},\text{“}length\text{”}))$
$LP_2 = \bigcup_{\hat{l}\in\hat{C}.2} \widehat{\mathsf{Proto}}_{use}(\hat{H},\hat{l},\text{“}length\text{”}))$

$$LP_3 = \begin{cases} LP_{first} \cup LP_{remain} & \text{if } \hat{n}_{arglen} = \mathsf{UIntSingle}(n_{arglen}) \\ \{\} & \text{otherwise} \end{cases}$$

$LP_{first} = \bigcup_{\hat{l}\in\hat{C}.2} \widehat{\mathsf{Proto}}_{use}(\hat{H},\hat{l},\text{“}\hat{0}\text{”})$
$LP_{remain} = \bigcup_{\hat{l}\in\hat{C}.2} \bigcup_{i\in\{1,\ldots,n_{arglen}-1\}} \widehat{\mathsf{Proto}}_{use}(\hat{H},\hat{l},\hat{i})$
$LP_4 = \{\ \langle \#Pur\hat{e}Local_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Array.prototype.pop”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$

where $\hat{n}_{len} = \widehat{\underline{\mathsf{toUInt32}}}(\bigsqcup_{\hat{l}\in\hat{C}.2} \widehat{\underline{\mathsf{Proto}}}(\hat{H},\hat{l},\text{“}length\text{”}))$

$LP_1 = \bigcup_{\hat{l}\in\hat{C}.2} \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H},\hat{l},\text{“}length\text{”}))$

$LP_2 = \bigcup_{\hat{l}\in\hat{C}.2} \begin{cases} LP_{length} \cup LP_{store} & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n_{len}) \wedge n_{len} = 0 \\ LP_{length} \cup LP_{single} & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n_{len}) \wedge n_{len} > 0 \\ \{\} & \text{if } \hat{n}_{len} = \bot_{Number} \\ LP_{length} \cup LP_{top} & \text{otherwise} \end{cases}$

$\hat{n}_{len} = \widehat{\underline{\mathsf{toUInt32}}}(\widehat{\underline{\mathsf{Proto}}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}))$

$LP_{single} = \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H},\hat{l},n_{len}\hat{} - 1) \cup \widehat{\underline{\mathsf{Delete}}}_{use}(\hat{H},\hat{l},n_{len}\hat{} - 1) \cup \widehat{\underline{\mathsf{Delete}}}_{def}(\hat{H},\hat{l},n_{len}\hat{} - 1) \cup LP_{store}$

$LP_{top} = \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H},\hat{l},\mathsf{NumStr}) \cup \widehat{\underline{\mathsf{Delete}}}_{use}(\hat{H},\hat{l},\mathsf{NumStr}) \cup \cup \widehat{\underline{\mathsf{Delete}}}_{def}(\hat{H},\hat{l},\mathsf{NumStr}) \cup LP_{store}$

$LP_{store} = \widehat{\underline{\mathsf{PropStore}}}_{use}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}) \cup \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\text{“}\hat{length}\text{”})$

$LP_{length} = \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H},\hat{l},\text{“}\hat{length}\text{”})$

$LP_3 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Array.prototype.push”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$

where $\hat{n}_{arg} = \widehat{\underline{\mathsf{toUInt32}}}(getArgValue(\hat{H},\hat{C},\text{“}length\text{”}))$

$LP_1 = getArgValue_{use}(\hat{H},\hat{C},\text{“}length\text{”})$

$LP_2 = \begin{cases} \{\} & \text{if } \hat{n}_{arg} = \bot_{Number} \\ LP_{single} & \text{if } \hat{n}_{arg} = \mathsf{UIntSingle}(n_{arg}) \\ LP_{top} & \text{otherwise} \end{cases}$

$LP_{single} = \bigcup_{\hat{l}\in\hat{C}.2} LP_{length} \cup \begin{cases} \{\} & \text{if } \hat{n}_{len} = \bot_{Number} \\ LP_{single1} \cup LP_{single2} & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n) \\ LP_{top} & \text{otherwise} \end{cases}$

$\hat{n}_{len} = \widehat{\underline{\mathsf{toUInt32}}}(\widehat{\underline{\mathsf{Proto}}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}))$

$LP_{single1} = \bigcup_{i\in\{0,\ldots,n-1\}} \widehat{\underline{\mathsf{PropStore}}}_{use}(\hat{H},\hat{l},\hat{i}) \cup \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\hat{i}) \cup getArgValue_{use}(\hat{H},\hat{C},i)$

$LP_{single2} = \widehat{\underline{\mathsf{PropStore}}}_{use}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}) \cup \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\text{“}\hat{length}\text{”})$

$LP_{length} = \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H},\hat{l},\text{“}\hat{length}\text{”})$

$LP_{top} = getArgValue_{use}(\hat{H},\hat{C},\mathsf{NumStr}) \cup \bigcup_{\hat{l}\in\hat{C}.2} \widehat{\underline{\mathsf{PropStore}}}_{use}(\hat{H},\hat{l},\mathsf{NumStr}) \cup \widehat{\underline{\mathsf{PropStore}}}_{def}(\hat{H},\hat{l},\mathsf{NumStr})$

$LP_3 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Array.prototype.reverse”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$

where $LP_1 = \bigcup_{\hat{l}\in\hat{C}.2} LP_{len} LP'_1$

$\hat{n}_{len} = \widehat{\underline{\mathsf{toUInt32}}}(\widehat{\underline{\mathsf{Proto}}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}))$

$LP_{len} = \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H},\hat{l},\text{“}\hat{length}\text{”})$

$LP'_1 = \begin{cases} \{\} & \text{if } \hat{n}_len = \bot_{Number} \\ LP_{single} & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n) \\ LP_{top} & \text{otherwise} \end{cases}$

$LP_{single} = \bigcup_{i\in\{0,\ldots,floor(n/2)\}} \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H},\hat{l},\hat{s}_{low}) \cup \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H},\hat{l},\hat{s}_{up}) \cup LP_{swap} \cup LP_{up} \cup LP_{low}$

$LP_{swap} = \begin{cases} \widehat{\underline{\mathsf{PropStore}}}_{use/def}(\hat{H},\hat{l},\hat{s}_{low}) \cup \widehat{\underline{\mathsf{PropStore}}}_{use/def}(\hat{H},\hat{l},\hat{s}_{up}) & \text{if } \hat{\mathsf{true}} \sqsubseteq \hat{b}_{low} \wedge \hat{\mathsf{true}} \sqsubseteq \hat{b}_{up} \\ \{\} & \text{otherwise} \end{cases}$

$LP_{up} = \begin{cases} \widehat{\underline{\mathsf{PropStore}}}_{use/def}(\hat{H},\hat{l},\hat{s}_{low}) \cup \widehat{\underline{\mathsf{Delete}}}_{use/def}(\hat{H},\hat{l},\hat{s}_{up}) & \text{if } \hat{\mathsf{false}} \sqsubseteq \hat{b}_{low} \wedge \hat{\mathsf{true}} \sqsubseteq \hat{b}_{up} \\ \{\} & \text{otherwise} \end{cases}$

$LP_{low} = \begin{cases} \widehat{\underline{\mathsf{Delete}}}_{use/def}(\hat{H},\hat{l},\hat{s}_{low}) \cup \widehat{\underline{\mathsf{PropStore}}}_{use/def}(\hat{H},\hat{l},\hat{s}_{up}) & \text{if } \hat{\mathsf{true}} \sqsubseteq \hat{b}_{low} \wedge \hat{\mathsf{false}} \sqsubseteq \hat{b}_{up} \\ \{\} & \text{otherwise} \end{cases}$

$LP_{top} = \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H},\hat{l},\mathsf{NumStr}) \cup \widehat{\underline{\mathsf{PropStore}}}_{use/def}(\hat{H},\hat{l},\mathsf{NumStr}) \cup \widehat{\underline{\mathsf{Delete}}}_{use/def}(\hat{H},\hat{l},\mathsf{NumStr})$

$\hat{s}_{low} = \hat{i}$

$\hat{s}_{up} = n - \hat{i} - 1$

$\hat{b}_{low}\ \widehat{\underline{\mathsf{HasProperty}}}(\hat{H},\hat{C},\hat{s}_{low})$

$\hat{b}_{up}\ \widehat{\underline{\mathsf{HasProperty}}}(\hat{H},\hat{C},\hat{s}_{up})$

$LP_2 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$

$$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Array.prototype.shift”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
where $LP_1 = \bigcup_{\hat{l}\in\hat{C}.2} LP_{len} \cup LP_1'\hat{n}_{len} = \widehat{\underline{\mathsf{toUInt32}}}(\widehat{\underline{\mathsf{Proto}}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}))$

$$LP_{len} = \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H},\hat{l},\text{“}\hat{length}\text{”})$$

$$LP_1' = \begin{cases} \{\} & \text{if } \hat{n}_{len} = \bot_{Number} \\ LP_{single} & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n) \\ LP_{top} & \text{otherwise} \end{cases}$$

$$LP_{single} = \begin{cases} LP_{store_{len}} & \text{if } n = 0 \\ \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H},\hat{l},\hat{0}) \cup LP_{array} \cup LP_{delete} \cup LP_{store_{len}} & \text{otherwise} \end{cases}$$

$$LP_{array} = \bigcup_{i\in\{1,\ldots,n-1\}} LP_{shift1} \cup LP_{shift2}$$

$$LP_{shift1} = \begin{cases} \widehat{\underline{\mathsf{PropStore}}}_{use/def}(\hat{H},\hat{l},\hat{s}_{to}) \cup \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H},\hat{l},\hat{s}_{from}) & \text{if } \hat{\mathsf{true}} \sqsubseteq \hat{b} \\ \{\} & \text{otherwise} \end{cases}$$

$$LP_{shift2} = \begin{cases} \widehat{\underline{\mathsf{Delete}}}_{use/def}(\hat{H},\hat{l},\hat{s}_{to}) & \text{if } \hat{\mathsf{false}} \sqsubseteq \hat{b} \\ \{\} & \text{otherwise} \end{cases}$$

$$LP_{delete} = \widehat{\underline{\mathsf{Delete}}}_{use/def}(\hat{H},\hat{l},n \hat{-} 1)$$

$$LP_{store_{len}} = \widehat{\underline{\mathsf{PropStore}}}_{use/def}(\hat{H},\hat{l},\text{“}\hat{length}\text{”})$$

$$LP_{top} = \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H},\hat{l},\mathsf{NumStr}) \cup \widehat{\underline{\mathsf{PropStore}}}_{use/def}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}) \cup \widehat{\underline{\mathsf{Delete}}}_{use/def}(\hat{H},\hat{l},\mathsf{NumStr})$$

$$\hat{s}_{from} = \hat{i}$$

$$\hat{s}_{to} = n - \hat{i} - 1$$

$$\hat{b} = \widehat{\underline{\mathsf{HasProperty}}}(\hat{H},\hat{C},\hat{s}_{from})$$

$$LP_2 = \{\ \langle \#PureLocal_R, @return\rangle\ \}$$

$$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Array.prototype.slice”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$$
where $\hat{l}_R = (\hat{a}_1, \mathsf{Recent})$

$$LP_1 = \widehat{\underline{\mathsf{Oldify}}}_{use}(\hat{H},\hat{C},\hat{a}_1)$$

$$\hat{n}_{start} = \widehat{\underline{\mathsf{toInteger}}}(getArgValue(\hat{H},\hat{C},\text{“0”}))$$

$$\hat{n}_{end} = \widehat{\underline{\mathsf{toInteger}}}(getArgValue(\hat{H},\hat{C},\text{“1”}))$$

$$LP_2 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”}) \sqcup getArgValue_{use}(\hat{H},\hat{C},\text{“1”})$$

$$LP_3 = \begin{cases} \{\} & \text{if } \hat{n}_{start} = \bot_{Number} \vee \hat{n}_{end} = \bot_{Number} \\ LP_{single} & \text{if } \gamma(\hat{n}_{start}) = n_{start} \wedge \gamma(\hat{n}_{end}) = n_{end} \\ LP_{top} & \text{otherwise} \end{cases}$$

$$LP_{single} = \bigcup_{\hat{l}\in\hat{C}.2} \begin{cases} \{\} & \text{if } \hat{n}_{len} = \bot_{Number} \\ LP_{array} \cup \bigcup_{i\in\{0,\ldots,n_{span}-1\}} LP_{slice} & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n) \\ \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H},\hat{l},\mathsf{NumStr}) & \text{otherwise} \end{cases}$$

$$LP_{slice} = \begin{cases} \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H},\hat{l},\hat{from} + i) & \text{if } \hat{\mathsf{true}} \sqsubseteq \widehat{\underline{\mathsf{HasProperty}}}(\hat{H},\hat{l},\hat{i}) \\ \{\} \cup LP_{array} & \text{otherwise} \end{cases}$$

$$LP_{top} = \bigcup_{\hat{l}\in\hat{C}.2} \begin{cases} \{\} & \text{if } \hat{n}_{len} = \bot_{Number} \\ LP_{length} \cup LP_{array} & \text{otherwise} \end{cases}$$

$$\hat{n}_{len} = \widehat{\underline{\mathsf{toUInt32}}}(\widehat{\underline{\mathsf{Proto}}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}))$$

$$LP_{array} = \begin{cases} \{\} & \text{if } \hat{n}_{len} = \bot_{Number} \\ \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H},\hat{l},\mathsf{NumStr}) & \text{otherwise} \end{cases}$$

$$LP_{length} = \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H},\hat{l},\text{“}\hat{length}\text{”})$$

$$n_{from} = \begin{cases} max(n + n_{start}, 0) & \text{if } \hat{n}_{len} = \bot_{Number} \\ min(n_{start}, n) & \text{otherwise} \end{cases}$$

$$n_{to} = \begin{cases} max(n + n_{end}, 0) & \text{if } \hat{n}_{len} = \bot_{Number} \\ min(n_{end}, n) & \text{otherwise} \end{cases}$$

$$n_{span} = max(n_{to} - n_{from}, 0)$$

$$LP_4 = \{\ \langle \#PureLocal_R, @return\rangle\ \}$$

$$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Array.prototype.splice”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$$

where
$$LP_1 = \widehat{\underline{\mathsf{OldIfy}}_{use}}(\hat{H},\hat{C},\hat{a}_1)$$
$$\hat{n}_{arg} = \widehat{\underline{\mathsf{toInteger}}}(getArgValue(\hat{H},\hat{C},\text{“}length\text{”}))$$
$$\hat{n}_{start} = \widehat{\underline{\mathsf{toInteger}}}(getArgValue(\hat{H},\hat{C},\text{“0”}))$$
$$\hat{n}_{count} = \widehat{\underline{\mathsf{toInteger}}}(getArgValue(\hat{H},\hat{C},\text{“1”}))$$
$$LP_2 = getArgValue_{use}(\hat{H},\hat{C},\text{“}\hat{0}\text{”}) \cup getArgValue_{use}(\hat{H},\hat{C},\text{“}\hat{1}\text{”}) \cup getArgValue_{use}(\hat{H},\hat{C},\text{“}\hat{length}\text{”})$$
$$LP_3 = \begin{cases} \{\} & \text{if } \hat{n}_{start} = \bot_{Number} \vee \hat{n}_{count} = \bot_{Number} \\ LP_{single} & \text{if } \gamma(\hat{n}_{start}) = n_{start} \wedge \gamma(\hat{n}_{count}) = n_{count} \\ LP_{top} & \text{otherwise} \end{cases}$$
$$LP_{single} = \bigcup_{\hat{l}\in\hat{C}.2} LP_{len} \cup \begin{cases} \{\} & \text{if } \hat{n}_{len} = \bot_{Number} \\ LP_{single_1} \cup LP_{single_2} & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n_{len}) \\ LP_{top_{proto}} \cup LP_{top_{store}} \cup LP_{top_{delete}} \cup LP_{top_{get}} & \text{otherwise} \end{cases}$$
$$LP_{single_1} = \bigcup_{i\in\{0,\ldots,n_{delCount}-1\}} \begin{cases} \widehat{\underline{\mathsf{Proto}}_{use}}(\hat{H},\hat{l},i+\hat{from}) & \text{if } \hat{\mathsf{true}} \sqsubseteq \widehat{\underline{\mathsf{HasProperty}}}(\hat{H},\hat{l},\hat{i}) \\ \{\} & \text{otherwise} \end{cases}$$
$$n_{delCount} = min(max(n_{count},0), n_{len} - n_{start})$$
$$LP_{single_2} = \begin{cases} \{\} & \text{if } \hat{n}_{arg} = \bot_{Number} \\ LP_{single_3} & \text{if } \hat{n}_{arg} = \mathsf{UIntSingle}(n_{arg}) \\ LP_{top_{store}} \cup LP_{top_{delete}} \cup LP_{top_{get}} & \text{otherwise} \end{cases}$$
$$LP_{single_3} = \begin{cases} LP_{single_{move1}} \cup LP_{single_{add}} \cup LP_{single_{delete}} \cup LP_{single_{length}} & \text{if } n_{addCount} < n_{count} \\ LP_{single_{move2}} \cup LP_{single_{add}} \cup LP_{single_{length}} & \text{otherwise} \end{cases}$$
$$n_{addCount} = n_{arg} - 2$$
$$LP_{single_{move1}} = \bigcup_{i\in\{n_{moveStart},\ldots,n_{len}-1\}} \widehat{\underline{\mathsf{Proto}}_{use}}(\hat{H},\hat{l},\hat{s}_{from_1}) \cup LP_{move1_1} \cup LP_{move1_2}$$
$$LP_{move1_1} = \begin{cases} \widehat{\underline{\mathsf{PropStore}}_{use/def}}(\hat{H},\hat{l},\hat{s}_{to_1}) & \text{if } \hat{\mathsf{true}} = \widehat{\underline{\mathsf{HasProperty}}}(\hat{H},\hat{l},\hat{s}_{from_1}) \\ \{\} & \text{otherwise} \end{cases}$$
$$LP_{move1_2} = \begin{cases} \widehat{\underline{\mathsf{Delete}}_{use/def}}(\hat{H},\hat{l},\hat{s}_{to_1} & \text{if } \hat{\mathsf{false}} = \widehat{\underline{\mathsf{HasProperty}}}(\hat{H},\hat{l},\hat{s}_{from_1}) \\ \{\} & \text{otherwise} \end{cases}$$
$$LP_{single_{move2}} = \bigcup_{i\in\{0,\ldots,n_{len}-n_{moveStart}-1\}} \widehat{\underline{\mathsf{Proto}}_{use}}(\hat{H},\hat{l},\hat{s}_{from_2}) \cup LP_{move2_1} \cup LP_{move2_2}$$
$$LP_{move2_1} = \begin{cases} \widehat{\underline{\mathsf{PropStore}}_{use/def}}(\hat{H},\hat{l},\hat{s}_{to_1}) & \text{if } \hat{\mathsf{true}} = \widehat{\underline{\mathsf{HasProperty}}}(\hat{H},\hat{l},\hat{s}_{from_1}) \\ \{\} & \text{otherwise} \end{cases}$$
$$LP_{move2_2} = \begin{cases} \widehat{\underline{\mathsf{Delete}}_{use/def}}(\hat{H},\hat{l},\hat{s}_{to_1} & \text{if } \hat{\mathsf{false}} = \widehat{\underline{\mathsf{HasProperty}}}(\hat{H},\hat{l},\hat{s}_{from_1}) \\ \{\} & \text{otherwise} \end{cases}$$
$$\hat{s}_{to_1} = i - n_{count} \hat{+} n_{addCount}$$
$$\hat{s}_{to_2} = n_{len} - 1 - i - \hat{n_{count}} + n_{addCount}$$
$$\hat{s}_{from_1} = \hat{i}$$
$$\hat{s}_{from_2} = n_{len} \hat{-} 1 - i$$
$$LP_{single_{add}} = \bigcup_{i\in\{0,\ldots,n_{addCount}-1\}} getArgValue(\hat{H},\hat{C},i \hat{+} 2) \cup \widehat{\underline{\mathsf{PropStore}}_{use/def}}(\hat{H},\hat{l},\hat{n_{start}} + i)$$
$$LP_{single_{delete}} = \bigcup_{i\in\{n_{newLen},\ldots,n_{len}-1\}} \widehat{\underline{\mathsf{Delete}}_{use}}(\hat{H},\hat{l},\hat{i})$$
$$LP_{single_{length}} = \widehat{\underline{\mathsf{PropStore}}_{use}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”})$$
$$n_{newLen} = n_{len} + n_{addCount} - n_{count}$$
$$LP_{top} = \bigcup_{\hat{l}\in\hat{C}.2} LP_{len} \cup \begin{cases} \{\} & \text{if } \hat{n}_{len} = \bot_{Number} \\ LP_{top_{proto}} \cup LP_{top_{store}} \cup LP_{top_{delete}} \cup LP_{top_{get}} & \text{otherwise} \end{cases}$$
$$\hat{n}_{len} = \widehat{\underline{\mathsf{toUInt32}}}(\widehat{\underline{\mathsf{Proto}}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}))$$
$$LP_{len} = \widehat{\underline{\mathsf{Proto}}_{use}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”})$$
$$LP_{top_{proto}} = \widehat{\underline{\mathsf{Proto}}_{use}}(\hat{H},\hat{l},\mathsf{NumStr})$$
$$LP_{top_{store}} = \widehat{\underline{\mathsf{PropStore}}_{use/def}}(\hat{H},\hat{l},\mathsf{NumStr})$$
$$LP_{top_{delete}} = \widehat{\underline{\mathsf{Delete}}_{use/def}}(\hat{H},\hat{l},\mathsf{NumStr})$$
$$LP_{top_{get}} = getArgValue_{use}(\hat{H},\hat{C},\mathsf{NumStr})$$
$$LP_4 = \{\ \langle \#PureLocal_R, @return\rangle\ \}$$

$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Array.prototype.unshift”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$

where $\hat{n}_{arg} = \widehat{\underline{\mathsf{toUInt32}}}(getArgValue(\hat{H},\hat{C},\text{“}\hat{length}\text{”}))$

$LP_1 = getArgValue_{use}(\hat{H},\hat{C},\text{“}\hat{length}\text{”})$ $LP_2 = \begin{cases} \{\} & \text{if } \hat{n}_{arg} = \bot_{Number} \\ LP_{single} & \text{if } \hat{n}_{arg} = \mathsf{UIntSingle}(n_{arg}) \\ LP_{top} & \text{otherwise} \end{cases}$

$\hat{n}_{len} = \widehat{\underline{\mathsf{toUInt32}}}(\widehat{\underline{\mathsf{Proto}}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}))$

$LP_{len} = \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H},\hat{l},\text{“}\hat{length}\text{”})$

$LP_{single} = \bigcup_{\hat{l}\in\hat{C}.2} LP_{len} \cup \begin{cases} \{\} & \text{if } \hat{n}_{len} = \bot_{Number} \\ LP_{unshift} \cup LP_{add} \cup LP_{single_{length}} & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n_{len}) \\ \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H},\hat{l},\mathsf{NumStr}) \cup LP_{store} \cup LP_{delete} & \text{otherwise} \end{cases}$

$LP_{unshift} = \bigcup_{i\in\{0,\ldots n_{len}-1\}} LP_{unshift1} \cup LP_{unshift2}$

$LP_{unshift1} = \begin{cases} \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H},\hat{l},\hat{s}_{from}) \cup \widehat{\underline{\mathsf{PropStore}}}_{use/def}(\hat{H},\hat{l},\hat{s}_{to}) & \text{if } \hat{\mathsf{true}} \sqsubseteq \widehat{\underline{\mathsf{HasProperty}}}(\hat{H},\hat{l},\hat{s}_{from}) \\ \{\} & \text{otherwise} \end{cases}$

$LP_{unshift2} = \begin{cases} \widehat{\underline{\mathsf{Delete}}}_{use/def}(\hat{H},\hat{l},\hat{s}_{to}) & \text{if } \hat{\mathsf{true}} \sqsubseteq \widehat{\underline{\mathsf{HasProperty}}}(\hat{H},\hat{l},\hat{s}_{from}) \\ \{\} & \text{otherwise} \end{cases}$

$\hat{s}_{to} = n_{len} - 1 - i + n_{arg}$

$LP_{add} = \bigcup_{i\in\{0,\ldots n_{arg}-1\}} getArgValue_{use}(\hat{H},\hat{C},i) \cup \widehat{\underline{\mathsf{PropStore}}}_{use/def}(\hat{H},\hat{l},i)$

$LP_{single_{length}} = \widehat{\underline{\mathsf{PropStore}}}_{use/def}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}))$

$LP_{delete} = \widehat{\underline{\mathsf{Delete}}}_{use/def}(\hat{H},\hat{l},\mathsf{NumStr})$

$LP_{store} = \widehat{\underline{\mathsf{PropStore}}}_{use/def}(\hat{H},\hat{l},\mathsf{NumStr})$

$LP_{top} = \bigcup_{\hat{l}\in\hat{C}.2} LP_{len} \cup \begin{cases} \{\} & \text{if } \hat{n}_{len} = \bot_{Number} \\ \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H},\hat{l},\mathsf{NumStr}) \cup LP_{store} \cup LP_{delete} & \text{otherwise} \end{cases}$

$LP_3 = \{\ \langle \#PureLocal_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Array.prototype.indexOf”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$

where $\hat{n}_{arg} = \widehat{\underline{\mathsf{toUInt32}}}(getArgValue(\hat{H},\hat{C},\text{“}\hat{length}\text{”}))$

$LP_1 = getArgValue_{use}(\hat{H},\hat{C},\text{“}\hat{length}\text{”})$

$LP_2 = \begin{cases} LP_{search} \cup LP_{single} & \text{if } \hat{n}_{arg} = \mathsf{UIntSingle}(n_{arg}) \\ \{\} & \text{otherwise} \end{cases}$

$\hat{v}_{search} = getArgValue(\hat{H},\hat{C},\text{“}\hat{0}\text{”})$

$LP_{search} = getArgValue_{use}(\hat{H},\hat{C},\text{“}\hat{0}\text{”})$

$LP_{single} = \bigcup_{\hat{l}\in\hat{C}.2} LP_{len} \cup \begin{cases} LP_{start} \cup LP_{find} & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n_{len}) \wedge n_{len} \neq 0 \\ \{\} & \text{otherwise} \end{cases}$

$\hat{n}_{len} = \widehat{\underline{\mathsf{toUInt32}}}(\widehat{\underline{\mathsf{Proto}}}(\hat{H},\hat{l},\text{“}\hat{length}\text{”}))$

$LP_{len} = \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H},\hat{l},\text{“}\hat{length}\text{”})$

$\hat{n}_{start} = \begin{cases} \widehat{\underline{\mathsf{toInteger}}}(getArgValue(\hat{H},\hat{C},\text{“1”})) & \text{if } n_{arg} > 1 \\ \hat{0} & \text{otherwise} \end{cases}$

$LP_{start} = \begin{cases} getArgValue_{use}(\hat{H},\hat{C},\text{“1”} & \text{if } n_{arg} > 1 \\ \hat{0} & \text{otherwise} \end{cases}$

$LP_{find} = \begin{cases} \bigcup_{i\in\{0,\ldots,n_k-1\}} \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H},\hat{l},\hat{i}) & \text{if } (\hat{n}_{start} = \mathsf{UIntSingle}(n_{start}) \vee \hat{n}_{start} = \mathsf{NUIntSingle}(n_{start})) \wedge n_{start} \\ \{\} & \text{otherwise} \end{cases}$

$n_k = \begin{cases} n_{len} - abs(n_{start}) & \text{if } n_{start} < 0 \\ n_{start} & \text{otherwise} \end{cases}$

$LP_3 = \{\ \langle \#PureLocal_R, @return\rangle\ \}$

$$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“}\mathsf{Array.prototype.lastIndexOf}\text{”}, args)]\!](\hat{H}, \hat{C}) = LP_1$$

where $\hat{n}_{arg} = \widehat{\underline{\mathsf{toUInt32}}}(getArgValue(\hat{H}, \hat{C}, \text{“}\hat{length}\text{”}))$

$LP_1 = getArgValue_{use}(\hat{H}, \hat{C}, \text{“}\hat{length}\text{”})$

$$LP_2 = \begin{cases} LP_{search} \cup LP_{single} & \text{if } \hat{n}_{arg} = \mathsf{UIntSingle}(n_{arg}) \\ \{\} & \text{otherwise} \end{cases}$$

$\hat{v}_{search} = getArgValue(\hat{H}, \hat{C}, \text{“}\hat{0}\text{”})$

$LP_{search} = getArgValue_{use}(\hat{H}, \hat{C}, \text{“}\hat{0}\text{”})$

$$LP_{single} = \bigcup_{\hat{l} \in \hat{C}.2} LP_{len} \cup \begin{cases} LP_{start} \cup LP_{find} & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n_{len}) \wedge n_{len} \neq 0 \\ \{\} & \text{otherwise} \end{cases}$$

$\hat{n}_{len} = \widehat{\underline{\mathsf{toUInt32}}}(\widehat{\underline{\mathsf{Proto}}}(\hat{H}, \hat{l}, \text{“}\hat{length}\text{”}))$

$LP_{len} = \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H}, \hat{l}, \text{“}\hat{length}\text{”})$

$$\hat{n}_{start} = \begin{cases} \widehat{\underline{\mathsf{toInteger}}}(getArgValue(\hat{H}, \hat{C}, \text{“1”})) & \text{if } n_{arg} > 1 \\ \hat{0} & \text{otherwise} \end{cases}$$

$$LP_{start} = \begin{cases} getArgValue_{use}(\hat{H}, \hat{C}, \text{“1”} & \text{if } n_{arg} > 1 \\ \hat{0} & \text{otherwise} \end{cases}$$

$$LP_{find} = \begin{cases} \bigcup_{i \in \{0,\ldots,n_k - 1\}} \widehat{\underline{\mathsf{Proto}}}_{use}(\hat{H}, \hat{l}, k \hat{-} i) & \text{if } (\hat{n}_{start} = \mathsf{UIntSingle}(n_{start}) \vee \hat{n}_{start} = \mathsf{NUIntSingle}(n_{start})) \wedge n_s \\ \{\} & \text{otherwise} \end{cases}$$

$$n_k = \begin{cases} min(n_{start}, n_{len} - 1) & \text{if } n_{start} \geq 0 \\ n_{len} - abs(n_{start}) & \text{otherwise} \end{cases}$$

$LP_3 = \{\ \langle \#\hat{PureLocal}_R, @return \rangle\ \}$

11.3.8 String

$$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“}\mathsf{String}\text{”}, args)]\!](\hat{H}, \hat{C}) = LP_1$$
where $LP_1 = \{\ \langle \#\hat{Pure}Local_R, @return\rangle\ \}$

$$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“}\mathsf{String.constructor}\text{”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$$
where $\hat{n}_{len} = \widehat{\underline{\mathsf{toUInt32}}}(getArgValue(\hat{H}, \hat{C}, \text{“}length\text{”}))$

$$\hat{s} = \begin{cases} \hat{“”} & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n) \wedge n = 0 \\ \widehat{\underline{\mathsf{toString}}}(\widehat{\underline{\mathsf{toPrimitive}}}(getArgValue(\hat{H}, \hat{C}, \text{“0”}))) & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n) \wedge n > 0 \\ \bot_{String} & \text{if } \hat{n}_{len} = \bot_{Number} \\ \top_{String} & \text{otherwise} \end{cases}$$

$$LP_1 = \bigcup_{\hat{l} \in \hat{C}.2} \bigcup_{s \in \widehat{\underline{\mathsf{NewString}}}_{def}(\hat{s})} \{\ \langle \hat{l}, s\rangle\ \}$$
$$LP_2 = \{\ \langle \#\hat{Pure}Local_R, @return\rangle\ \}$$

$$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“}\mathsf{String.fromCharCode}\text{”}, args)]\!](\hat{H}, \hat{C}) = LP_1$$
where $LP_1 = \{\ \langle \#\hat{Pure}Local_R, @return\rangle\ \}$

$$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“}\mathsf{String}\text{”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2 \cup LP_3$$
where $\hat{n}_{len} = \widehat{\underline{\mathsf{toUInt32}}}(getArgValue(\hat{H}, \hat{C}, \text{“}length\text{”}))$
$LP_1 = getArgValue_{use}(\hat{H}, \hat{C}, \text{“}length\text{”})$

$$LP_2 = \begin{cases} \{\} & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n) \wedge n == 0 \\ getArgValue_{use}(\hat{H}, \hat{C}, \text{“0”}) & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n) \wedge n > 0 \\ getArgValue_{use}(\hat{H}, \hat{C}, \text{“0”}) & \text{if } \mathsf{UInt} \sqsubseteq \hat{n}_{len} \\ \{\} & \text{otherwise} \end{cases}$$

$$LP_3 = \{\ \langle \#\hat{Pure}Local_R, @return\rangle\ \}$$

$$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“}\mathsf{String.constructor}\text{”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$$
where $\hat{n}_{len} = \widehat{\underline{\mathsf{toUInt32}}}(getArgValue(\hat{H}, \hat{C}, \text{“}length\text{”}))$
$LP_1 = getArgValue_{use}(\hat{H}, \hat{C}, \text{“}length\text{”})$

$$LP_2 = \begin{cases} getArgValue_{use}(\hat{H}, \hat{C}, \text{“0”}) & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n) \wedge n > 0 \\ \{\} & \text{otherwise} \end{cases}$$

$$\hat{s} = \begin{cases} \hat{“”} & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n) \wedge n = 0 \\ \widehat{\underline{\mathsf{toString}}}(\widehat{\underline{\mathsf{toPrimitive}}}(getArgValue(\hat{H}, \hat{C}, \text{“0”}))) & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n) \wedge n > 0 \\ \bot_{String} & \text{if } \hat{n}_{len} = \bot_{Number} \\ \top_{String} & \text{otherwise} \end{cases}$$

$$LP_3 = \bigcup_{\hat{l} \in \hat{C}.2} \bigcup_{s \in \widehat{\underline{\mathsf{NewString}}}_{def}(\hat{s})} \{\ \langle \hat{l}, s\rangle\ \}$$
$$LP_4 = \{\ \langle \#\hat{Pure}Local_R, @return\rangle\ \}$$

$$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“}\mathsf{String.fromCharCode}\text{”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2 \cup LP_3$$
where $\hat{n}_{len} = \widehat{\underline{\mathsf{toUInt32}}}(getArgValue(\hat{H}, \hat{C}, \text{“}length\text{”}))$
$LP_1 = getArgValue_{use}(\hat{H}, \hat{C}, \text{“}length\text{”})$

$$LP_2 = \begin{cases} \bigcup_{i \in \{0,\ldots,n-1\}} getArgValue_{use}(\hat{H}, \hat{C}, i) & \text{if } \hat{n}_{len} = \mathsf{UIntSingle}(n) \\ getArgValue_{use}(\hat{H}, \hat{C}, \mathsf{NumStr}) & \text{if } \mathsf{UInt} \sqsubseteq \hat{n}_{len} \\ \{\} & \text{otherwise} \end{cases}$$

$$LP_3 = \{\ \langle \#\hat{Pure}Local_R, @return\rangle\ \}$$

11.3.9 String.prototype

$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“String.prototype.toString”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“String.prototype.valueOf”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$$
$$\text{where } \hat{es} = \begin{cases} \{\text{TypeError}\} & \text{if } \exists \hat{l} \in \hat{C}.2 : \hat{H}(\hat{l})(@\hat{class}).1.2.1.5 \neq \text{“}\hat{String}\text{”} \\ \{\} & \text{otherwise} \end{cases}$$
$$LP_1 = \underbrace{\widehat{\text{RaiseException}}}_{def}(\hat{es})$$
$$LP_2 = \{\ \langle \#\hat{PureLocal}_R, @return \rangle\ \}$$

$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“String.prototype.charAt”}, args)]\!](\hat{H}, \hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“String.prototype.charCodeAt”}, args)]\!](\hat{H}, \hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“String.prototype.concat”}, args)]\!](\hat{H}, \hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“String.prototype.indexOf”}, args)]\!](\hat{H}, \hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“String.prototype.lastIndexOf”}, args)]\!](\hat{H}, \hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“String.prototype.localeCompare”}, args)]\!](\hat{H}, \hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“String.prototype.slice”}, args)]\!](\hat{H}, \hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“String.prototype.substring”}, args)]\!](\hat{H}, \hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“String.prototype.toLowerCase”}, args)]\!](\hat{H}, \hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“String.prototype.toLocaleLowerCase”}, args)]\!](\hat{H}, \hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“String.prototype.toUpperCase”}, args)]\!](\hat{H}, \hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“String.prototype.toLocaleUpperCase”}, args)]\!](\hat{H}, \hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“String.prototype.trim”}, args)]\!](\hat{H}, \hat{C}) = LP_1$$
$$\text{where } LP_1 = \{\ \langle \#\hat{PureLocal}_R, @return \rangle\ \}$$

$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“String.prototype.toString”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“String.prototype.valueOf”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$
where $\hat{es} = \begin{cases} \{\text{TypeError}\} & \text{if } \exists \hat{l} \in \hat{C}.2 : \hat{H}(\hat{l})(@\hat{class}).1.2.1.5 \neq \text{“}\hat{String}\text{”} \\ \{\} & \text{otherwise} \end{cases}$
$LP_1 = \bigcup_{\hat{l} \in \hat{C}.2} \{\ \langle \hat{l}, @class \rangle\ \}$
$\hat{L}_{string} = \{\ \hat{l} \mid \hat{l} \in \hat{C}.2 \wedge \hat{H}(\hat{l})(@\hat{class}).1.2.1.5 = \text{“}\hat{String}\text{”}\ \}$
$LP_2 = \bigcup_{\hat{l} \in \hat{L}_{string}} \{\ \langle \hat{l}, @primitive \rangle\ \}$
$LP_3 = \underline{\widehat{\text{RaiseException}}}_{use}(\hat{es})$
$LP_4 = \{\ \langle \#\hat{PureLocal}_R, @return \rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“String.prototype.charAt”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“String.prototype.charCodeAt”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$
where $LP_1 = getArgValue_{use}(\hat{H},\hat{C}, \text{“}length\text{”})$
$LP_2 = \bigcup_{\hat{l} \in \hat{C}.2} \{\ \langle \hat{l}, @primitive \rangle\ \}$
$LP_3 = \{\ \langle \#\hat{PureLocal}_R, @return \rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“String.prototype.concat”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$
where $\hat{n}_{len} = \underline{\widehat{\text{toUInt32}}}(getArgValue(\hat{H},\hat{C}, \text{“}length\text{”}))$
$LP_1 = getArgValue_{use}(\hat{H},\hat{C}, \text{“}length\text{”})$
$LP_2 = \bigcup_{\hat{l} \in \hat{C}.2} \{\ \langle \hat{l}, @primitive \rangle\ \}$
$LP_3 = \begin{cases} \{\} & \text{if } \hat{n}_{len} = \text{UIntSingle}(n) \wedge n = 0 \\ \bigcup_{i \in \{0,\ldots,n-1\}} getArgValue_{use}(\hat{H},\hat{C},i) & \text{if } \hat{n}_{len} = \text{UIntSingle}(n) \wedge n > 0 \\ getArgValue_{use}(\hat{H},\hat{C},\text{NumStr}) & \text{if } \text{UInt} \sqsubseteq \hat{n}_{len} \\ \{\} & \text{otherwise} \end{cases}$
$LP_4 = \{\ \langle \#\hat{PureLocal}_R, @return \rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“String.prototype.localeCompare”}, args)]\!](\hat{H},\hat{C}) = LP_1$
where $LP_1 = getArgValue_{use}(\hat{H},\hat{C}, \text{“0”})$
$LP_2 = \bigcup_{\hat{l} \in \hat{C}.2} \{\ \langle \hat{l}, @primitive \rangle\ \}$
$LP_3 = \{\ \langle \#\hat{PureLocal}_R, @return \rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“String.prototype.indexOf”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“String.prototype.lastIndexOf”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“String.prototype.slice”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“String.prototype.substring”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$
where $LP_1 = getArgValue_{use}(\hat{H},\hat{C}, \text{“0”}) \cup getArgValue_{use}(\hat{H},\hat{C}, \text{“1”})$
$LP_2 = \bigcup_{\hat{l} \in \hat{C}.2} \{\ \langle \hat{l}, @primitive \rangle\ \}$
$LP_3 = \{\ \langle \#\hat{PureLocal}_R, @return \rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“String.prototype.toLowerCase”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“String.prototype.toLocaleLowerCase”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“String.prototype.toUpperCase”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“String.prototype.toLocaleUpperCase”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“String.prototype.trim”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$
where $LP_1 = \bigcup_{\hat{l} \in \hat{C}.2} \{\ \langle \hat{l}, @primitive \rangle\ \}$
$LP_2 = \{\ \langle \#\hat{PureLocal}_R, @return \rangle\ \}$

11.3.10 Boolean

$$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“}\mathsf{Boolean}\text{”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\text{where } LP_1 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“}\mathsf{Boolean.constructor}\text{”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
$$\text{where } LP_1 = \bigcup_{\hat{l}\in\hat{C}.2}\bigcup_{s\in\underline{\widehat{\mathsf{NewBoolean}}}_{def}}\{\ \langle \hat{l}, s\rangle\ \}$$
$$LP_2 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“}\mathsf{Boolean}\text{”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$$
$$\text{where } LP_1 = getArgValue_{use}(\hat{H},\hat{C}, \text{“0”})$$
$$LP_2 = getArgValue_{use}(\hat{H},\hat{C}, \text{“}length\text{”})$$
$$LP_3 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“}\mathsf{Boolean.constructor}\text{”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$$
$$\text{where } LP_1 = getArgValue_{use}(\hat{H},\hat{C}, \text{“0”})$$
$$LP_2 = getArgValue_{use}(\hat{H},\hat{C}, \text{“}length\text{”})$$
$$LP_3 = \bigcup_{\hat{l}\in\hat{C}.2}\bigcup_{s\in\underline{\widehat{\mathsf{NewBoolean}}}_{def}}\{\ \langle \hat{l}, s\rangle\ \}$$
$$LP_4 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

11.3.11 Boolean.prototype

$$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“}\mathsf{Boolean.prototype.toString}\text{”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
$$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“}\mathsf{Boolean.prototype.valueOf}\text{”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
$$\text{where } \hat{es} = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \exists \hat{l}\in\hat{C}.2 : \hat{H}(\hat{l})(@\hat{class}).1.2.1.5 \neq \text{“}\hat{Boolean}\text{”} \\ \{\} & \text{otherwise}\end{cases}$$
$$LP_1 = \underline{\widehat{\mathsf{RaiseException}}}_{def}(\hat{es})$$
$$LP_2 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“}\mathsf{Boolean.prototype.toString}\text{”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$$
$$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“}\mathsf{Boolean.prototype.valueOf}\text{”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$$
$$\text{where } LP_1 = \bigcup_{\hat{l}\in\hat{C}.2}\{\ \langle \hat{l}, @class\rangle\ \}$$
$$\hat{es} = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \exists \hat{l}\in\hat{C}.2 : \hat{H}(\hat{l})(@\hat{class}).1.2.1.5 \neq \text{“}\hat{Boolean}\text{”} \\ \{\} & \text{otherwise}\end{cases}$$
$$LP_2 = \underline{\widehat{\mathsf{RaiseException}}}_{use}(\hat{es})$$
$$\hat{L}_{bool} = \{\ \hat{l} \mid \hat{l}\in\hat{C}.2 \wedge \hat{H}(\hat{l})(@\hat{class}).1.2.1.5 = \text{“}\hat{Boolean}\text{”}\ \}$$
$$LP_3 = \bigcup_{\hat{l}\in\hat{L}_{bool}}\{\ \langle \hat{l}, @primitive\rangle\ \}$$
$$LP_4 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

11.3.12 Number

$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Number”}, args)]\!](\hat{H}, \hat{C}) = LP_1$$
where $LP_1 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$

$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Number.constructor”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$$
where $LP_1 = \bigcup_{\hat{l}\in\hat{C}.2} \bigcup_{s\in\widehat{\text{NewNumber}}_{def}} \{\ \langle \hat{l}, s\rangle\ \}$
$LP_2 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$

$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Number”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2 \cup LP_3$$
where $LP_1 = getArgValue_{use}(\hat{H}, \hat{C}, \text{“0”})$
$LP_2 = getArgValue_{use}(\hat{H}, \hat{C}, \text{“}length\text{”})$
$LP_3 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$

$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Number.constructor”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$$
where $LP_1 = getArgValue_{use}(\hat{H}, \hat{C}, \text{“0”})$
$LP_2 = getArgValue_{use}(\hat{H}, \hat{C}, \text{“}length\text{”})$
$LP_3 = \bigcup_{\hat{l}\in\hat{C}.2} \bigcup_{s\in\widehat{\text{NewNumber}}_{def}} \{\ \langle \hat{l}, s\rangle\ \}$
$LP_4 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$

11.3.13 Number.prorotype

$$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“}\mathsf{Number.prototype.toString}\text{”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
where $\hat{n}_{arglen} = \underline{\widehat{\mathsf{ToUInt32}}}(getArgValue(\hat{H},\hat{C},\text{“}length\text{”}))$
$\hat{v}_1 = getArgValue(\hat{H},\hat{C},\text{“0”})$
$$\hat{es}_1 = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \exists \hat{l} \in \hat{C}.2 : \hat{H}(\hat{l})(@\hat{class}).1.2.1.5 \neq \text{“}\hat{Number}\text{”} \\ \{\} & \text{otherwise} \end{cases}$$
$$\hat{es}_2 = \begin{cases} \{\} & \text{if } \hat{n}_{arglen} = \mathsf{UIntSingle}(n) \wedge n = 0 \\ \{\mathsf{RangeError}\} & \text{if } \hat{n}_{arglen} = \mathsf{UIntSingle}(n) \wedge n > 0 \wedge (\hat{\mathsf{true}} \sqsubseteq \hat{v}_1 \hat{<} \hat{2} \vee \hat{\mathsf{true}} \sqsubseteq \hat{v}_1 \hat{>} \hat{36}) \\ \{\} & \text{if } \hat{n}_{arglen} = \mathsf{UIntSingle}(n) \wedge n > 0 \wedge \hat{\mathsf{false}} \sqsubseteq \hat{v}_1 \hat{<} \hat{2} \wedge \hat{\mathsf{false}} \sqsubseteq \hat{v}_1 \hat{>} \hat{36}) \\ \{\} & \text{if } \hat{n}_{arglen} = \bot_{number} \\ \{\mathsf{RangeError}\} & \text{otherwise} \end{cases}$$
$LP_1 = \underline{\widehat{\mathsf{RaiseException}}}_{def}(\hat{es}_1 \sqcup \hat{es}_2)$
$LP_2 = \{\ \langle \hat{\#PureLocal}_R, @return\rangle\ \}$

$$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“}\mathsf{Number.prototype.toLocaleString}\text{”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
where $LP_1 = \{\ \langle \hat{\#PureLocal}_R, @return\rangle\ \}$

$$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“}\mathsf{Number.prototype.valueOf}\text{”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
where $\hat{es} = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \exists \hat{l} \in \hat{C}.2 : \hat{H}(\hat{l})(@\hat{class}).1.2.1.5 \neq \text{“}\hat{Number}\text{”} \\ \{\} & \text{otherwise} \end{cases}$
$LP_1 = \underline{\widehat{\mathsf{RaiseException}}}_{def}(\hat{es})$
$LP_2 = \{\ \langle \hat{\#PureLocal}_R, @return\rangle\ \}$

$$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“}\mathsf{Number.prototype.toFixed}\text{”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
where $\hat{v}_1 = getArgValue(\hat{H},\hat{C},\text{“0”})$
$$\hat{v}_2 = \begin{cases} Value(PValue(\hat{v}_1.1.1, \hat{v}_1.1.2, \hat{v}_1.1.3, \hat{0} \sqcup \hat{v}_1.1.4, \hat{v}_1.1.5), \hat{v}_1.2) & \text{if } \top_{Undef} \sqsubseteq \hat{v}.1.1 \\ \hat{v}_1 & \text{otherwise} \end{cases}$$
$$\hat{es} = \begin{cases} \{\mathsf{RangeError}\} & \text{if } \hat{\mathsf{true}} \sqsubseteq \hat{v}_2 \hat{<} \hat{0} \vee \hat{\mathsf{true}} \sqsubseteq \hat{v}_2 \hat{>} \hat{20} \\ \{\} & \text{otherwise} \end{cases}$$
$LP_1 = \underline{\widehat{\mathsf{RaiseException}}}_{def}(\hat{es})$
$LP_2 = \{\ \langle \hat{\#PureLocal}_R, @return\rangle\ \}$

$$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“}\mathsf{Number.prototype.toExponential}\text{”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
where $\hat{v}_1 = getArgValue(\hat{H},\hat{C},\text{“0”})$
$$\hat{v}_2 = \begin{cases} Value(PValue(\hat{v}_1.1.1, \hat{v}_1.1.2, \hat{v}_1.1.3, \hat{v}_1.1.4, \hat{v}_1.1.5), \hat{v}_1.2) & \text{if } \top_{Undef} \sqsubseteq \hat{v}.1.1 \\ \hat{v}_1 & \text{otherwise} \end{cases}$$
$$\hat{es} = \begin{cases} \{\mathsf{RangeError}\} & \text{if } \hat{\mathsf{true}} \sqsubseteq \hat{v}_2 \hat{<} \hat{0} \vee \hat{\mathsf{true}} \sqsubseteq \hat{v}_2 \hat{>} \hat{20} \\ \{\} & \text{otherwise} \end{cases}$$
$LP_1 = \underline{\widehat{\mathsf{RaiseException}}}_{def}(\hat{es})$
$LP_2 = \{\ \langle \hat{\#PureLocal}_R, @return\rangle\ \}$

$$\hat{\mathcal{I}}_{def}[\![\mathsf{BuiltintCall}(\text{“}\mathsf{Number.prototype.toPrecision}\text{”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
where $\hat{v}_1 = getArgValue(\hat{H},\hat{C},\text{“0”})$
$$\hat{v}_2 = \begin{cases} Value(PValue(\hat{v}_1.1.1, \hat{v}_1.1.2, \hat{v}_1.1.3, \hat{v}_1.1.4, \hat{v}_1.1.5), \hat{v}_1.2) & \text{if } \top_{Undef} \sqsubseteq \hat{v}.1.1 \\ \hat{v}_1 & \text{otherwise} \end{cases}$$
$$\hat{es} = \begin{cases} \{\mathsf{RangeError}\} & \text{if } \hat{\mathsf{true}} \sqsubseteq \hat{v}_2 \hat{<} \hat{1} \vee \hat{\mathsf{true}} \sqsubseteq \hat{v}_2 \hat{>} \hat{21} \\ \{\} & \text{otherwise} \end{cases}$$
$LP_1 = \underline{\widehat{\mathsf{RaiseException}}}_{def}(\hat{es})$
$LP_2 = \{\ \langle \hat{\#PureLocal}_R, @return\rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Number.prototype.toString”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4 \cup LP_5 \cup LP_6$

where $\hat{n}_{arglen} = \underline{\widehat{\mathsf{ToUInt32}}}(getArgValue(\hat{H},\hat{C},\text{“}length\text{”}))$

$LP_1 = getArgValue_{use}(\hat{H},\hat{C},\text{“}length\text{”})$

$\hat{v}_1 = getArgValue(\hat{H},\hat{C},\text{“0”})$

$\hat{es}_1 = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \exists \hat{l} \in \hat{C}.2 : \hat{H}(\hat{l})(@\hat{class}).1.2.1.5 \neq \text{“}Nu\hat{m}ber\text{”} \\ \{\} & \text{otherwise} \end{cases}$

$LP_2 = \bigcup_{\hat{l} \in \hat{C}.2} \{\ \langle \hat{l}, @class \rangle\ \}$

$\hat{L}_{num} = \{\ \hat{l} \mid \hat{l} \in \hat{C}.2 \wedge \hat{H}(\hat{l})(@\hat{class}).1.2.1.5 = \text{“}Nu\hat{m}ber\text{”}\ \}$

$LP_3 = \bigcup_{\hat{l} \in \hat{L}_{Number}} \{\ \langle \hat{l}, @primitive \rangle\ \}$

$(\hat{es}_2, LP_4) = \begin{cases} (\{\},\{\}) & \text{if } \hat{n}_{arglen} = \mathsf{UIntSingle}(n) \wedge n = 0 \\ (\{\mathsf{RangeError}\}, getArgValue_{use}(\hat{H},\hat{C},\text{“0”})) & \text{if } \hat{n}_{arglen} = \mathsf{UIntSingle}(n) \wedge n > 0 \wedge (\hat{\mathsf{true}} \sqsubseteq \hat{v}_1 \hat{<} \hat{2} \vee \mathsf{tr} \\ (\{\}, getArgValue_{use}(\hat{H},\hat{C},\text{“0”})) & \text{if } \hat{n}_{arglen} = \mathsf{UIntSingle}(n) \wedge n > 0 \wedge \hat{\mathsf{false}} \sqsubseteq \hat{v}_1 \hat{<} \hat{2} \wedge \mathsf{fa} \\ (\{\},\{\}) & \text{if } \hat{n}_{arglen} = \bot_{number} \\ (\{\mathsf{RangeError}\}, getArgValue_{use}(\hat{H},\hat{C},\text{“0”})) & \text{otherwise} \end{cases}$

$LP_5 = \underline{\widehat{\mathsf{RaiseException}}}_{use}(\hat{es}_1 \sqcup \hat{es}_2)$

$LP_6 = \{\ \langle \#\hat{PureLocal}_R, @return \rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Number.prototype.toLocaleString”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$

where $LP_1 = \bigcup_{\hat{l} \in \hat{C}.2} \{\ \langle \hat{l}, @primitive \rangle\ \}$

$LP_2 = getArgValue_{use}(\hat{H},\hat{C},\text{“}length\text{”})$

$LP_3 = \{\ \langle \#\hat{PureLocal}_R, @return \rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Number.prototype.valueOf”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$

where $\hat{es} = \begin{cases} \{\mathsf{TypeError}\} & \text{if } \exists \hat{l} \in \hat{C}.2 : \hat{H}(\hat{l})(@\hat{class}).1.2.1.5 \neq \text{“}Nu\hat{m}ber\text{”} \\ \{\} & \text{otherwise} \end{cases}$

$\hat{L}_{num} = \{\ \hat{l} \mid \hat{l} \in \hat{C}.2 \wedge \hat{H}(\hat{l})(@\hat{class}).1.2.1.5 = \text{“}Nu\hat{m}ber\text{”}\ \}$

$LP_1 = \bigcup_{\hat{l} \in \hat{C}.2} \{\ \langle \hat{l}, @class \rangle\ \}$

$LP_2 = \bigcup_{\hat{l} \in \hat{L}_{Number}} \{\ \langle \hat{l}, @primitive \rangle\ \}$

$LP_3 = \underline{\widehat{\mathsf{RaiseException}}}_{use}(\hat{es})$

$LP_4 = \{\ \langle \#\hat{PureLocal}_R, @return \rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Number.prototype.toFixed”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$

where $\hat{v}_1 = getArgValue(\hat{H},\hat{C},\text{“0”})$

$LP_1 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”})$

$\hat{v}_2 = \begin{cases} Value(PValue(\hat{v}_1.1.1, \hat{v}_1.1.2, \hat{v}_1.1.3, \hat{0} \sqcup \hat{v}_1.1.4, \hat{v}_1.1.5), \hat{v}_1.2) & \text{if } \top_{Undef} \sqsubseteq \hat{v}.1.1 \\ \hat{v}_1 & \text{otherwise} \end{cases}$

$\hat{es} = \begin{cases} \{\mathsf{RangeError}\} & \text{if } \hat{\mathsf{true}} \sqsubseteq \hat{v}_2 \hat{<} \hat{0} \vee \hat{\mathsf{true}} \sqsubseteq \hat{v}_2 \hat{>} \hat{20} \\ \{\} & \text{otherwise} \end{cases}$

$LP_2 = \underline{\widehat{\mathsf{RaiseException}}}_{use}(\hat{es})$

$LP_3 = \{\ \langle \#\hat{PureLocal}_R, @return \rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Number.prototype.toExponential”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$

where $\hat{v}_1 = getArgValue(\hat{H},\hat{C},\text{“0”})$

$LP_1 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”})$

$\hat{v}_2 = \begin{cases} Value(PValue(\hat{v}_1.1.1, \hat{v}_1.1.2, \hat{v}_1.1.3, \hat{v}_1.1.4, \hat{v}_1.1.5), \hat{v}_1.2) & \text{if } \top_{Undef} \sqsubseteq \hat{v}.1.1 \\ \hat{v}_1 & \text{otherwise} \end{cases}$

$\hat{es} = \begin{cases} \{\mathsf{RangeError}\} & \text{if } \hat{\mathsf{true}} \sqsubseteq \hat{v}_2 \hat{<} \hat{0} \vee \hat{\mathsf{true}} \sqsubseteq \hat{v}_2 \hat{>} \hat{20} \\ \{\} & \text{otherwise} \end{cases}$

$LP_2 = \underline{\widehat{\mathsf{RaiseException}}}_{use}(\hat{es})$

$LP_3 = \{\ \langle \#\hat{PureLocal}_R, @return \rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\mathsf{BuiltintCall}(\text{“Number.prototype.toPrecision”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$

where $\hat{v}_1 = getArgValue(\hat{H},\hat{C},\text{“0”})$

$LP_1 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”})$

$\hat{v}_2 = \begin{cases} Value(PValue(\hat{v}_1.1.1, \hat{v}_1.1.2, \hat{v}_1.1.3, \hat{v}_1.1.4, \hat{v}_1.1.5), \hat{v}_1.2) & \text{if } \top_{Undef} \sqsubseteq \hat{v}.1.1 \\ \hat{v}_1 & \text{otherwise} \end{cases}$

$\hat{es} = \begin{cases} \{\mathsf{RangeError}\} & \text{if } \hat{\mathsf{true}} \sqsubseteq \hat{v}_2 \hat{<} \hat{1} \vee \hat{\mathsf{true}} \sqsubseteq \hat{v}_2 \hat{>} \hat{21} \\ \{\} & \text{otherwise} \end{cases}$

$LP_2 = \underline{\widehat{\mathsf{RaiseException}}}_{use}(\hat{es})$

$LP_3 = \{\ \langle \#\hat{PureLocal}_R, @return \rangle\ \}$

11.3.14 Math

$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Math.abs”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Math.acos”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Math.asin”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Math.atan”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Math.atan2”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Math.ceil”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Math.cos”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Math.exp”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Math.floor”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Math.max”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Math.min”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Math.pow”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Math.log”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Math.random”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Math.round”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Math.sin”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Math.sqrt”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Math.tan”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\text{where } LP_1 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Math.random”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\text{where } LP_1 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Math.abs”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Math.acos”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Math.asin”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Math.atan”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Math.ceil”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Math.cos”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Math.exp”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Math.floor”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Math.log”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Math.round”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Math.sin”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Math.sqrt”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Math.tan”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
$$\text{where } LP_1 = getArgValue_{use}(\hat{H},\hat{C}, \text{“0”}) \wedge\ LP_2 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Math.atan2”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$$
$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Math.pow”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$$
$$\text{where } LP_1 = getArgValue_{use}(\hat{H},\hat{C}, \text{“0”}) \wedge\ LP_2 = getArgValue_{use}(\hat{H},\hat{C}, \text{“1”})$$
$$\wedge\ LP_3 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Math.max”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$$
$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Math.min”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$$
$$\text{where } \hat{n} = getArgValue(\hat{H},\hat{C}, \text{“}length\text{”})$$
$$LP_1 = getArgValue_{use}(\hat{H},\hat{C}, \text{“}length\text{”})$$
$$LP_2 = \begin{cases} \bigsqcup_{i\in\{0,\ldots,n-1\}} getArgValue_{use}(\hat{H},\hat{C},i) & \text{if } \hat{n} = \text{UIntSingle}(n) \\ \{\} & \text{otherwise} \end{cases}$$
$$LP_3 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

11.3.15 Date

$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\quad \text{where } LP_1 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.constructor”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
$$\quad \text{where } LP_1 = \bigcup_{\hat{l}\in\hat{C}.2}\bigcup_{s\in\widehat{\text{NewDate}}_{def}} \{\ \langle \hat{l}, s\rangle\ \}$$
$$LP_2 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.now”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\quad \text{where } LP_1 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\quad \text{where } LP_1 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.constructor”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3 \cup LP_4$$
$$\quad \text{where } LP_1 = getArgValue_{use}(\hat{H},\hat{C}, \text{“}length\text{”})$$
$$LP_2 = getArgValue_{use}(\hat{H},\hat{C}, \text{“0”})$$
$$LP_3 = \bigcup_{\hat{l}\in\hat{C}.2}\bigcup_{s\in\widehat{\text{NewDate}}_{def}} \{\ \langle \hat{l}, s\rangle\ \}$$
$$LP_4 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.now”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\quad \text{where } LP_1 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

11.3.16 Date.prototype

$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.toString”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.toDateString”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.toTimeString”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.toLocaleString”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.toLocaleDateString”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.toLocaleTimeString”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.toUTCString”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.toISOString”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.valueOf”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.getTime”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.getFullYear”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.getMonth”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.getDate”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.getDay”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.getHours”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.getMinutes”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.getSeconds”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.getMilliseconds”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.getTimezoneOffset”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCFullYear”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCMonth”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCDate”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCDay”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCHours”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCMinutes”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCSeconds”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCMilliseconds”}, args)]\!](\hat{H},\hat{C}) = LP_1$$
$$\quad \text{where } LP_1 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.setTime”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.setMilliseconds”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.setSeconds”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.setMinutes”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.setHours”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.setDate”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.setMonth”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.setFullYear”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.setUTCMilliseconds”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.setUTCSeconds”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.setUTCMinutes”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.setUTCHours”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.setUTCDate”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.setUTCMonth”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Date.prototype.setUTCFullYear”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
where $LP_1 = \bigcup_{\hat{l} \in \hat{C}.2} \{\ \langle \hat{l}, @primitive \rangle\ \}$
$LP_2 = \{\ \langle \#\hat{PureLocal}_R, @return \rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.toString”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.toDateString”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.toTimeString”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.toLocaleString”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.toLocaleDateString”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.toLocaleTimeString”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.toUTCString”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.toISOString”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.getFullYear”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.getMonth”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.getDate”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.getDay”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.getHours”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.getMinutes”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.getSeconds”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.getMilliseconds”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.getTimezoneOffset”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCFullYear”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCMonth”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCDate”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCDay”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCHours”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCMinutes”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCSeconds”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.getUTCMilliseconds”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
where $LP_1 = \{\ \langle \#\hat{PureLocal}_R, @return \rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.valueOf”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.getTime”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.setTime”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.setMilliseconds”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.setSeconds”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.setMinutes”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.setHours”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.setDate”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.setMonth”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.setFullYear”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.setUTCMilliseconds”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.setUTCSeconds”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.setUTCMinutes”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.setUTCHours”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.setUTCDate”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.setUTCMonth”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Date.prototype.setUTCFullYear”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
where $LP_1 = \bigcup_{\hat{l} \in \hat{C}.2} \{\ \langle \hat{l}, @primitive \rangle\ \}$
$LP_2 = \{\ \langle \#\widehat{PureLocal}_R, @return \rangle\ \}$

11.3.17 RegExp

11.3.18 RegExp.prototype

11.3.19 Error

$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Error.constructor”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2$
where $\hat{v} = getArgValue(\hat{H}, \hat{C}, \text{“0”})$
$LP_1 = \begin{cases} \{\ \langle \#\widehat{ErrorLoc}_O, \text{“}message\text{”} \rangle\ \} & \text{if } \hat{v}.1.1 \not\sqsubseteq \bot_{Undef} \\ \{\} & \text{otherwise} \end{cases}$
$LP_2 = \{\ \langle \#\widehat{PureLocal}_R, @return \rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Error.constructor”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2 \cup LP_3$
where $LP_1 = getArgValue_{use}(\hat{H}, \hat{C}, \text{“0”})$
$LP_2 = \begin{cases} \{\ \langle \#\widehat{ErrorLoc}_O, \text{“}message\text{”} \rangle\ \} & \text{if } \hat{v}.1.1 \not\sqsubseteq \bot_{Undef} \\ \{\} & \text{otherwise} \end{cases}$
$LP_3 = \{\ \langle \#\widehat{PureLocal}_R, @return \rangle\ \}$

11.3.20 Error.prototype

$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“Error.prototype.toString”}, args)]\!](\hat{H}, \hat{C}) = LP_1$
where $LP_1 = \{\ \langle \#\widehat{PureLocal}_R, @return \rangle\ \}$

$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“Error.prototype.toString”}, args)]\!](\hat{H}, \hat{C}) = LP_1 \cup LP_2 \cup LP_3$
where $LP_1 = \bigsqcup_{\hat{l} \in \hat{C}.2} \widehat{\text{Proto}}_{use}(\hat{H}, \hat{l}, \text{“}\widehat{name}\text{”})$
$LP_2 = \bigsqcup_{\hat{l} \in \hat{C}.2} \widehat{\text{Proto}}_{use}(\hat{H}, \hat{l}, \text{“}\widehat{message}\text{”})$
$LP_3 = \{\ \langle \#\widehat{PureLocal}_R, @return \rangle\ \}$

11.3.21 EvalError

$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“EvalError.constructor”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
where $\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$

$$LP_1 = \begin{cases} \{\ \langle \#\hat{EvalErrorLoc}_O, \text{“}message\text{”}\rangle\ \} & \text{if } \hat{v}.1.1 \not\sqsubseteq \perp_{Undef} \\ \{\} & \text{otherwise} \end{cases}$$

$$LP_2 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“EvalError.constructor”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$$
where $LP_1 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”})$

$\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$

$$LP_2 = \begin{cases} \{\ \langle \#\hat{EvalErrorLoc}_O, \text{“}message\text{”}\rangle\ \} & \text{if } \hat{v}.1.1 \not\sqsubseteq \perp_{Undef} \\ \{\} & \text{otherwise} \end{cases}$$

$$LP_3 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

11.3.22 RangeError

$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“RangeError.constructor”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
where $\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$

$$LP_1 = \begin{cases} \{\ \langle \#\hat{RangeErrorLoc}_O, \text{“}message\text{”}\rangle\ \} & \text{if } \hat{v}.1.1 \not\sqsubseteq \perp_{Undef} \\ \{\} & \text{otherwise} \end{cases}$$

$$LP_2 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“RangeError.constructor”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$$
where $LP_1 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”})$

$\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$

$$LP_2 = \begin{cases} \{\ \langle \#\hat{RangeErrorLoc}_O, \text{“}message\text{”}\rangle\ \} & \text{if } \hat{v}.1.1 \not\sqsubseteq \perp_{Undef} \\ \{\} & \text{otherwise} \end{cases}$$

$$LP_3 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

11.3.23 ReferenceError

$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“ReferenceError.constructor”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
where $\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$

$$LP_1 = \begin{cases} \{\ \langle \#\hat{RefErrorLoc}_O, \text{“}message\text{”}\rangle\ \} & \text{if } \hat{v}.1.1 \not\sqsubseteq \perp_{Undef} \\ \{\} & \text{otherwise} \end{cases}$$

$$LP_2 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“ReferenceError.constructor”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$$
where $LP_1 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”})$

$\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$

$$LP_2 = \begin{cases} \{\ \langle \#\hat{RefErrorLoc}_O, \text{“}message\text{”}\rangle\ \} & \text{if } \hat{v}.1.1 \not\sqsubseteq \perp_{Undef} \\ \{\} & \text{otherwise} \end{cases}$$

$$LP_3 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

11.3.24 SyntaxError

$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“SyntaxError.constructor”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
where $\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$
$$LP_1 = \begin{cases} \{\ \langle \#\hat{SyntaxErrorLoc}_O, \text{“}message\text{”}\rangle\ \} & \text{if } \hat{v}.1.1 \not\sqsubseteq \perp_{Undef} \\ \{\} & \text{otherwise} \end{cases}$$
$$LP_2 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“SyntaxError.constructor”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$$
where $LP_1 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”})$
$\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$
$$LP_2 = \begin{cases} \{\ \langle \#\hat{SyntaxErrorLoc}_O, \text{“}message\text{”}\rangle\ \} & \text{if } \hat{v}.1.1 \not\sqsubseteq \perp_{Undef} \\ \{\} & \text{otherwise} \end{cases}$$
$$LP_3 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

11.3.25 TypeError

$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“TypeError.constructor”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
where $\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$
$$LP_1 = \begin{cases} \{\ \langle \#\hat{TypeErrorLoc}_O, \text{“}message\text{”}\rangle\ \} & \text{if } \hat{v}.1.1 \not\sqsubseteq \perp_{Undef} \\ \{\} & \text{otherwise} \end{cases}$$
$$LP_2 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“TypeError.constructor”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$$
where $LP_1 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”})$
$\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$
$$LP_2 = \begin{cases} \{\ \langle \#\hat{TypeErrorLoc}_O, \text{“}message\text{”}\rangle\ \} & \text{if } \hat{v}.1.1 \not\sqsubseteq \perp_{Undef} \\ \{\} & \text{otherwise} \end{cases}$$
$$LP_3 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

11.3.26 URIError

$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“URIError.constructor”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2 \cup LP_3$$
where $\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$
$$LP_1 = \begin{cases} \{\ \langle \#\hat{URIErrorLoc}_O, \text{“}message\text{”}\rangle\ \} & \text{if } \hat{v}.1.1 \not\sqsubseteq \perp_{Undef} \\ \{\} & \text{otherwise} \end{cases}$$
$$LP_2 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“URIError.constructor”}, args)]\!](\hat{H},\hat{C}) = LP_1 \cup LP_2$$
where $LP_1 = getArgValue_{use}(\hat{H},\hat{C},\text{“0”})$
$\hat{v} = getArgValue(\hat{H},\hat{C},\text{“0”})$
$$LP_2 = \begin{cases} \{\ \langle \#\hat{URIErrorLoc}_O, \text{“}message\text{”}\rangle\ \} & \text{if } \hat{v}.1.1 \not\sqsubseteq \perp_{Undef} \\ \{\} & \text{otherwise} \end{cases}$$
$$LP_3 = \{\ \langle \#\hat{PureLocal}_R, @return\rangle\ \}$$

11.3.27 JSON

$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“JSON.parse”}, args)]\!](\hat{H}, \hat{C}) = LP_1$$
$$\text{where } LP_1 = \{ \langle \#\hat{PureLocal}_R, @return \rangle \}$$

$$\hat{\mathcal{I}}_{def}[\![\text{BuiltintCall}(\text{“JSON.stringify”}, args)]\!](\hat{H}, \hat{C}) = LP_1$$
$$\text{where } LP_1 = \{ \langle \#\hat{PureLocal}_R, @return \rangle \}$$

$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“JSON.parse”}, args)]\!](\hat{H}, \hat{C}) = LP_1$$
$$\text{where } LP_1 = \{ \langle \#\hat{PureLocal}_R, @return \rangle \}$$

$$\hat{\mathcal{I}}_{use}[\![\text{BuiltintCall}(\text{“JSON.stringify”}, args)]\!](\hat{H}, \hat{C}) = LP_1$$
$$\text{where } LP_1 = \{ \langle \#\hat{PureLocal}_R, @return \rangle \}$$