

Programming Paradigms 2023

Session 12: Monadic parsing

Problems for solving and discussing

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A file you will need

For this session, we will need the modules mentioned in chapter 13 of the textbook and the many functions defined in that chapter. From the entry for this session on the Moodle course page you can get the file [Parsing.hs](#) that contains all of this. You need to compile and import it as a module. To compile [Parsing.hs](#), use the [ghc](#) compiler for Haskell. In a terminal, write

```
ghc -I. --make Parsing.hs
```

This will generate files called [Parsing.hi](#) and [Parsing.o](#). To simplify things in the following, make sure that these files are in the same directory as your program that uses them.

Problems that we will definitely talk about

1. (*Everyone at the table – 10 minutes*)

Why not simplify the existing implementation of a parser for arithmetic expressions by using a revised definition of [expr](#)?

We could write the following instead of what Graham Hutton writes for [expr](#):

```
expr :: Parser Int
expr = do
    t <- term
    return t
    <|>
    do
        t <- term
        symbol "+"
        e <- expr
        return (t + e)
```

Would it be a good idea?

2. (*Work in pairs – 25 minutes*)

The formation rules for regular expressions over the alphabet $\{a, b\}$ are

$$R ::= a \mid b \mid R_1 \circ R_2 \mid R_1 \cup R_2 \mid R_1^* \mid (R_1) \quad (1)$$

The task is now to build a parser for regular expressions. The parser must be able to tell us that e.g. $a \cup$ is not a valid regular expression and that $(a \cup b) \circ b^*$ is a valid regular expression.

But before you can build a parser, you have to find a context-free grammar for regular expressions that you can use as the basis of your parser. *Why are the formation rules in (1) useless as they are?*

It is a good idea to see how a very similar issue is handled by Graham Hutton in the chapter for today, when he builds a parser for arithmetic expressions, and use his approach. (Think of \cup as $+$ and \circ as multiplication.)

3. (*Work in pairs – 20 minutes*)

Based on (1), define an algebraic datatype `Rexp` in Haskell (using `data`) for regular expressions over the alphabet $\{a, b\}$ and extend your parser such that it will, when supplied with a syntactically correct regular expression R , give you the corresponding term in `Rexp`.

4. (*Everyone at the table – 20 minutes*)

So far we have only checked if a string is a valid regular expression. Now let us use them for what they are used for: string matching.

Given the regular expressions that we have seen: How would you define a parser based on a given regular expression R that you could use to decide if a given string w matches R ? *Hint:* There are [many](#) useful combinators in the text for today! Try to use them to build a parser for checking if strings can be matched by $(a \cup b) \circ bc^*$.

More problems to solve at your own pace

- a) Here are the formation rules in the abstract syntax for statements in a version of the imperative programming language known as **Bims**:

$$S ::= \text{skip} \mid x := a \mid S_1; S_2 \mid \text{if } a_1 = a_2 \text{ then } S_1 \text{ else } S_2 \mid \text{while } b \text{ do } S$$

Given the parser for arithmetic expressions from the text for today, write a parser for statements in **Bims**. *Hint:* You first need to come up with a corresponding concrete syntax for statements.