

QUESTION 1

Implement the predicate `list_of(Elt, List)` such that every element of `List` is (equal to) `Elt`. What modes make sense for this predicate? What modes does it actually work in?

Hint: the structure of the code is very similar to that of `proper_list/1` from the lecture notes.

QUESTION 2

Implement the predicate `all_same(List)` such that every element of `List` is identical. This should hold for empty and single element lists, as well.

QUESTION 3

Implement the predicate `adjacent(E1, E2, List)` such that `E1` appears immediately before `E2` in `List`. Implement it by a single call to `append/3`. What modes should and does this work in?

QUESTION 4

Reimplement the `adjacent(E1, E2, List)` predicate as a recursive predicate that calls no other predicate but itself.

Hint: the structure of the code is very similar to that of `member/2` from the lecture notes.

QUESTION 5

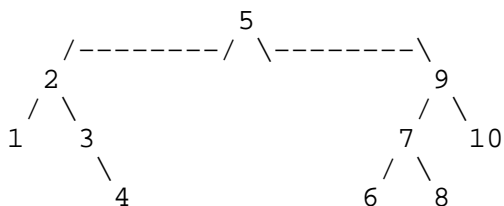
Implement the predicate `before(E1, E2, List)` such that `E1` and `E2` are both elements of `List`, where `E2` occurs after `E1` on `List`.

QUESTION 6

Suppose we wish to represent a set of integers as a binary tree. We can use the atom `empty` to represent an empty tree or node, and `tree(L,N,R)` to represent a node with label `N` (an integer), and left and right subtrees `L` and `R`. Naturally, we want `N` to be strictly larger than any label in `L` and strictly smaller than any in `R`. The tree need not be balanced. For example,

```
tree(tree(tree(empty, 1, empty),
           2,
           tree(empty, 3, tree(empty, 4, empty))),
     5,
     tree(tree(tree(empty, 6, empty),
           7,
           tree(empty, 8, empty)),
     9,
     tree(empty, 10, empty)))
```

is one possible representation of the set of numbers from 1 to 10. It might be visualized as



Hint: Prolog's arithmetic comparison operators are `<`, `>`, `<=` (not `<=`), and `>=`. You can also use `=` and `\=` for equality and disequality.

Write a predicate `intset_member(N, Set)` such that `N` is a member of integer set `Set`. Do not search in parts of the tree where the sought element cannot be. This only needs to work when `N` is bound to an integer and `Set` is bound to an integer set represented as described above. Later in the subject we will learn how to make this work in other modes.

Hint: write one clause for the element being at the root of the tree, one for it being in the left subtree, and one for the right subtree.

Write a predicate `intset_insert(N, Set0, Set)` such that `Set` is the same as `Set0`, except that `Set` has `N` as a member. It doesn't matter whether `Set0` already has `N` in it, but `Set` must not have multiple occurrences of `N`.