

Introduction to Relational Databases BD

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Premier cours.



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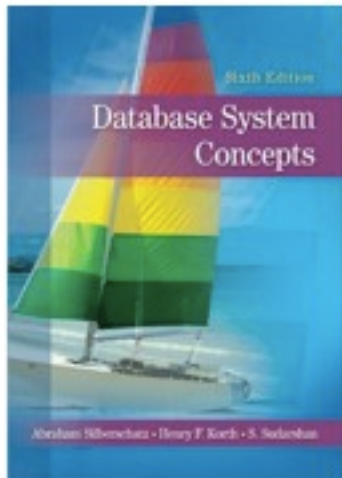
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Books (suggestions...you can choose your own)

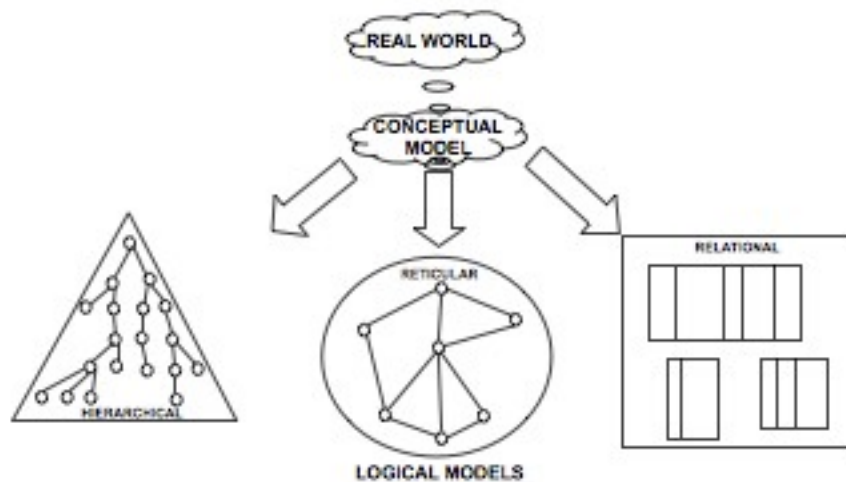


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1st Class: Relational model

DATA MODELS

DATA MODELS ENCODE A STRUCTURING OF THE REALITY THAT INCLUDES SPECIFIC FEATURES AND ALLOWS TO BETTER UNDERSTAND IT



Models for data representation

- Hierarchical model (1960)
- Reticular model (1970)
- Relational model (1980)
- O-O model (1990)
- XML model (2000)

LOGICAL DATA MODELS

HIERARCHICAL

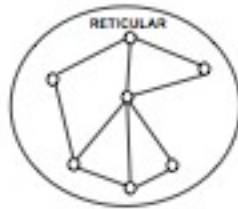
- DATA ARE ENCODED AS RECORDS
- THE LOGICAL ASSOCIATIONS BETWEEN DATA ARE REPRESENTED VIA POINTERS INSIDE A TREE STRUCTURE



LOGICAL DATA MODELS

RETICULAR (CODASYL)

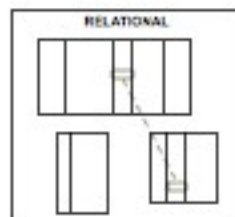
- DATA ARE ENCODED AS RECORDS
- THE LOGICAL ASSOCIATIONS BETWEEN DATA ARE REPRESENTED VIA POINTERS INSIDE A COMPLEX GRAPH STRUCTURE



LOGICAL DATA MODELS

RELATIONAL

- DATA ARE ENCODED AS TABLES
- THE LOGICAL ASSOCIATIONS BETWEEN DATA ARE REPRESENTED VIA DIFFERENT VALUES OF ATTRIBUTES IN DIFFERENT TABLES



History and Development of the Relational Model

- Invented by T. Codd, 1970
(IBM Research in Santa Teresa, California)
- Related research projects:
SYSTEM R (IBM), Ingres (Berkeley Un.)
- Commercial systems:
beginning of the 80s (Oracle, IBM-SQL DS and DB2, Ingres, Informix, Sybase)
- Commercial success: from 1985 on.

Informal definition of a Table

student

column

schema

SID	NAME	CITY	MAJOR
123	Pierre	Paris	Inf
107	Arnaud	Lille	Log
415	Celine	Bordeaux	Inf
702	Estelle	Rome	Log

instance

Formal definition

- **Domain D:**
an arbitrary set of values
- **Cartesian product on n domains**
 $D_1 \times D_2 \times \dots \times D_n$ (not necessarily distinct): set of tuples $\langle d_1, d_2, \dots, d_n \rangle$, with $d_i \in D_i$, $1 \leq i \leq n$
- **Relation R on $D_1 \times D_2 \times \dots \times D_n$** : an arbitrary subset of $D_1 \times D_2 \times \dots \times D_n$.

Example

- $D_1 = \{a, b\}$
- $D_2 = \{1, 2, 3\}$
- $D_1 \times D_2 = \{ \langle a, 1 \rangle, \langle b, 1 \rangle, \langle a, 2 \rangle, \langle b, 2 \rangle, \langle a, 3 \rangle, \langle b, 3 \rangle \}$
- $R_1 = \{ \langle a, 1 \rangle, \langle b, 3 \rangle \}$
- $R_2 = \{ \langle a, 1 \rangle, \langle b, 3 \rangle, \langle a, 2 \rangle \}$
- $R_3 = \{ \}$
- $R_4 = \{ \langle a, 1 \rangle, \langle b, 1 \rangle, \langle a, 2 \rangle, \langle b, 2 \rangle, \langle a, 3 \rangle, \langle b, 3 \rangle \}$

Properties

- **Arity of the relation:**
number of domains (n)
- **Cardinality of the relation:**
number of tuples
- **Attribute:**
name given to a domain in a relation
[Names of attributes in a relation have to be all distinct one from another]

Properties

- Schema (of a relation):**
table (attribute1,... attributeN)
[Name of relations in a schema have to be all distinct one from another]

R1(A,B)

A	B
a	1
b	3

R2(C,D)

C	D
c	1
b	3
a	2

Comparison of the terminology

FORMAL DEFINITION	INFORMAL DEFINITION
relation	table
attribute	column
tuple	row
domain	data type
cardinality	number of rows
arity	number of columns

A significant
difference

FORMAL
DEFINITION

lack of
duplicates

INFORMAL
DEFINITION

possible
duplicates

Example : university exams

course

CID	TITLE	TEACHER
1	Maths	Leguichet
2	CS	Duchat

Example : university exams

exams

SID	CID	DATE	GRADE
123	1	7-9-03	10
123	2	8-1-03	8
702	2	7-9-03	5

Example : university exams

student

SID	NAME	CITY	MAJOR
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exams

SID	CID	DATE	GRADE
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course

CID	TITLE	TEACHER
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2	CS	Duchat

Queries

- which teachers have graded Pierre?

student

SID	NAME	CITY	MAJOR
123	Pierre	Paris	Inf
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exams

ID	CID	DATE	GRADE
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123	2	8-1-03	8
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course

CID	TITLE	TEACHER
1	Maths	Leguichet
2	CS	Duchat

Queries: examples

- which students have got grade 10 in

Maths?

student

SID	NAME	CITY	MAJOR
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702	Estelle	Rome	Log

exams

ID	CID	DATE	GRADE
123	1	7-9-03	10
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course

CID	TITLE	TEACHER
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Incomplete information: it exists in real world

Firstname	Forename	Lastname
Franklin	Delano	Roosevelt
Winston		Churchill
Charles		De Gaulle
Josip		Stalin

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Solution for incomplete information

- Naive yet effective technique:
 - null value (NULL): indicates the lack of a value in the domain (as NULL does not belong to the domain!)
- Thus, each attribute may either have a value within the domain or a null value instead.

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Possible semantics of NULLs

- (at least) three different cases
 - unknown value
 - there exists no value
 - no information value
- Database systems consider the above values equivalent

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Integrity Constraints

- There exist database instances that are syntactically correct but do not correspond to the reality they need to represent.
- Therefore, instances need to be enriched with constraints, in order to guarantee the integrity of the data.

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Keys

- set of attributes that uniquely identifies the tuples of a relation r
- More formally:
 - a set K of attributes is a superkey for r if r does not contain two distinct tuples t_1 and t_2 with $t_1[K] = t_2[K]$
 - K is a key for r if it is a minimal superkey for r (i.e. it does not contain another superkey as a proper subset)

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Example of keys

SID	NAME	CITY	MAJOR
123	Pierre	Paris	Inf
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702	Estelle	Rome	Log

- SID is a key:
 - is a superkey
 - is minimal as it contains only one attribute

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A key cannot be NULL

- If it was null, it would not be a superkey
- The goal in the relational model is to reduce the NULL values and provide unambiguous information

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Summary

- What we have seen today:
 - what is a relation
 - what is an attribute
 - what is a domain for an attribute
 - what is NULL
 - what is a key and a superkey in a relation

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