## leroy

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**Lemma 1** (Frame). A Frame can be viewed as a Category. There exists a morphism between A and B iff  $A \leq B$ .

**Definition 2** (Top -> Frame). There exists a contravariant Functor from a topological Space to the corresponding Frame Category with open Sets as objects.  $f: X \to O(X)$ 

**Definition 3.** For every continuous Function  $f: X \to Y$  between topological Spaces, there exists a pair of functors  $(f^*, f_*)$ .

$$f*=f^{-1}:O(Y)\to O(X)$$
 
$$f_*:O(X)\to O(Y):=A\mapsto \bigcup_{f^*(v)\leq A}v$$