

Hz. Generate the FM signal using the following code piece

```
m_intg = ts*cumsum(m); % Numerical Integration
```

```
s = A*cos(2*pi*fc*t + kf*m_intg); % FM signal
```

Plot the FM signal in both time and frequency domain as in Figure 1 and Figure 2 respectively. Comment on your results.

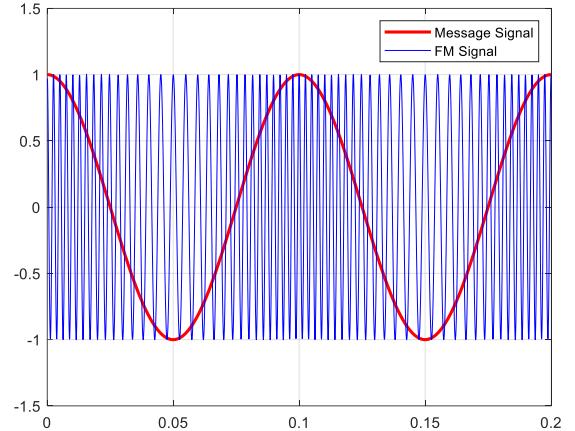


Figure 1

Indicate the important frequencies ( $f_{max}$ ,  $f_{min}$ ,  $\Delta f$ ) in FM signal given in Figure 1.

### Question 1 (30 pts)

**Set the sampling rate as 10 kHz.**

- 1) Case 1: Generate a sinusoidal message signal with peak amplitude 1 V, and frequency 10 Hz. Set FM constant  $K_f = 200\pi$  and carrier frequency 300

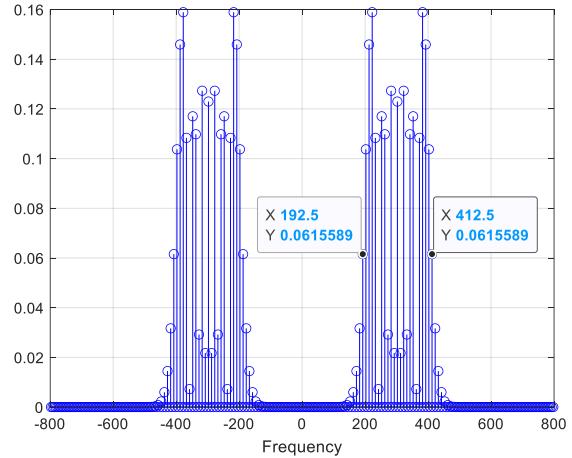


Figure 2

What is the FM transmission bandwidth in Figure 2. Compare the transmission bandwidth with the one obtained using Carson's rule ( $W = 2(\Delta f + B)$ )?

- 2) Then, perform FM demodulation using the below codepiece

```
s_der = diff([s(1) s])/ts/kf; % Numerical differentiator  
mrec = envelope(s_der);
```

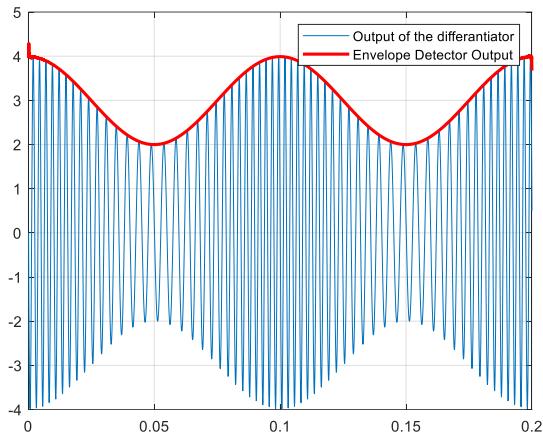


Figure 3

### Question 2 (40 pts)

Based on the results obtained in Question 1.

- 1) **Case 2:** Double the message peak amplitude as 2 V's and keep the message frequency 10 Hz, repeat the results in Question 1, what is the transmission bandwidth of the FM signal?
- 2) **Case 3:** Keep the message peak amplitude as 1 V's and double the message frequency 20 Hz, repeat the results in Question 1, what is the transmission bandwidth of the FM signal?

Create a table and compare your results in Case 1, Case 2 and Case 3.