Sampling and Estimation - Exercise 2

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Exercise 2.A

Estimation under a stratified design

- Download the ESS for Sweden and Denmark (round 5)
- Import data to R and combine the two datasets
- Define a survey object (stratified design)
- Estimate the empirical distribution of tv consumption (tvtot) in Sweden and Denmark
- Estimate the joined empirical distribution of tv consumption in Sweden and Denmark

Solution Exercise 2.A

• Download the ESS for Sweden and Denmark (round 5)

Use the package foreign for import

```
library(foreign)
```

Load the ESS dataset and the country file

```
DK <- read.spss("ESS5DK.sav",to.data.frame=T)
SE <- read.spss("ESS5SE.sav",to.data.frame=T)</pre>
```

Construction of N

Later it is necessary for the specification of fpc.

```
DK$N <- DK$pweight*10000*nrow(DK)

SE$N <- SE$pweight*10000*nrow(SE)
```

Combine the two datasets (DK,SE)

```
NE <- rbind(DK_tv,SE_tv)</pre>
```

Adding new variables

```
NE$mt3 <- 0
NE$mt3[NE$tvtot=="More than 3 hours"] <- 1</pre>
```

R-package survey

library(survey)

• Define survey objects

The analysis functions in R-package survey

• Estimate the empirical distribution of tv consumption (tvtot) in Sweden and Denmark

```
stab_DK <- svytable(~tvtot,svydes_DK)
stab_DK

stab_SE <- svytable(~tvtot,svydes_SE)
stab_SE</pre>
```

```
stab_NE <- svytable(~tvtot,svydes_NE)
stab_NE</pre>
```

Visualisation

```
library(lattice)
barchart(stab_DK)
barchart(stab_SE)
```

More analysis functions

• Estimate the joined empirical distribution of tv consumption in Sweden and Denmark

```
svytotal(~mt3,svydes_NE)
svymean(~mt3,svydes_NE)
```

Exercise 2.B

• Load the survey package and the api datasets.

```
library(survey)
data(api)
```

The dataset apipop

• The dataset apistrat is a sample of schools from apipop stratified by stype.

cds	stype	name	sname	snum
01611190130229	Н	Alameda High	Alameda High	1
01611190132878	Η	Encinal High	Encinal High	2
01611196000004	${\bf M}$	Chipman Middle	Chipman Middle	3
01611196090005	\mathbf{E}	Lum (Donald D.)	Lum (Donald D.) Elementary	4
01611196090013	\mathbf{E}	Edison Elementa	Edison Elementary	5
01611196090021	\mathbf{E}	Otis (Frank) El	Otis (Frank) Elementary	6
01611196090039	\mathbf{E}	Franklin Elemen	Franklin Elementary	7
01611196090047	\mathbf{E}	Haight Elementa	Haight Elementary	8

Computing the mean with survey package

• Assuming the selection within the strata was done by SRS, define a survey object (svydesign) and calculate a point and variance estimate for the mean of api00.

Exercise 2.B

api00 662.29 9.4089

• Using stype again as a stratification variable try different allocations for stratified sample. Calculate the allocation of a sample of 60 schools from apipop using equal, proportional and optimal allocation. The proportional allocation should be proportional to the number of schools within the strata and the optimal allocation should be optimal with regard to api99.

Function for stratified samples

Getting the function

Equal allocation:

```
nh.eq <- c(20,20,20)
names(nh.eq) <- names(table(apipop$stype))
s.eq <- strSRsample(apipop$stype, nh.eq, replace=FALSE)</pre>
```

Proportional allocation:

```
Nh.tab <- table(apipop$stype)
n <- 60
nh.pr <- round(Nh.tab/sum(Nh.tab)*n)
s.pr <- strSRsample(apipop$stype, nh.pr, replace=FALSE)</pre>
```

Optimal allocation:

```
s.op <- strSRsample(apipop$stype, nh.op, replace=FALSE)</pre>
```

Exercise 2.B

• Select a StrSRS from apipop for each allocation.

Subselect the sample:

```
pop <- apipop
pop$Nh <- table(apipop$stype)[apipop$stype]
strSRS.eq <- pop[s.eq,]
strSRS.pr <- pop[s.pr,]
strSRS.op <- pop[s.op,]</pre>
```

survey - equal allocation

• Estimate again the mean of api00 from all three samples and compare the results.

```
## mean SE
## api00 634.47 23.235
```

survey - proportional allocation

survey - optimal allocation

```
## mean SE
## api00 667.68 15.766
```