Module X: Bayesian Graphical Entity Resolution

Rebecca C. Steorts

Reading

- ▶ Binette and Steorts (2020)
- ► Steorts, Hall, Fienberg (2016)
- ► Steorts (2016)

What is "Bayesian"?

1. Setting up a *full probability model* – a joint probability distribution for all observable and unobservable quantities

$$p(\mathbf{x}|\mathbf{ heta})$$
 — likelihood $p(\mathbf{ heta})$ — prior

2. Conditioning on observed data – calculating and interpreting the appropriate *posterior distribution*

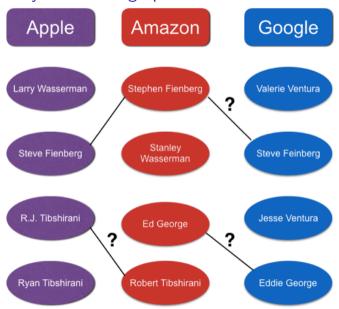
$$p(\theta|\mathbf{x}) = \frac{p(\mathbf{x}, \theta)}{p(\mathbf{x})} = \frac{p(\mathbf{x}|\theta)p(\theta)}{p(\mathbf{x})} \propto p(\mathbf{x}|\theta)p(\theta)$$

Why Bayesian Entity Resolution

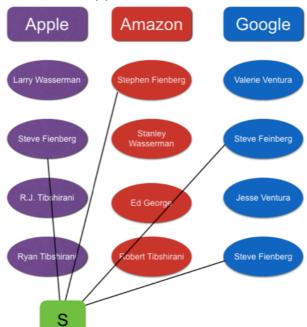
- 1. Entity resolution can be treated as a clustering problem.
- 2. Records are clustering to a latent entity.
- This results in the model becoming a bipartite graph, which allows one to estimate latent individuals across multiple high dimensional databases.
- The Bayesian paradigm naturally allows uncertainty quantification of the entity resolution process, a full posterior distribution, credible intervals, etc.
- 5. Theoretical properties have recently been explored for latent variable models, supporting the above approach.

[Copas and Hilton (1990), Tancredi and Liseo (2011), Steorts, Barnes, Neiswanger (2017), Zanella et al. (2016)]

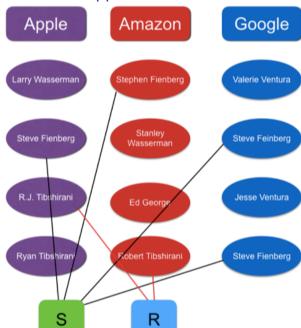
The entity resolution graph



The latent variable approach



The latent variable approach



Notation

- ▶ $X_{ij\ell}$: observed value of the ℓ th field for the jth record in the ith data set, $1 \le i \le k$ and $1 \le j \le n_i$.
- $ightharpoonup Y_{j'\ell}$: true value of the ℓ th field for the j'th latent individual.
- λ_{ij} : latent individual to which the *j*th record in the *i*th list corresponds. Λ is the collection of these values.
 - e.g. Five records in one list $\Lambda = \{1, 1, 2, 3, 3\} \rightarrow 3$ latent entities or clusters.
- $ightharpoonup z_{ij\ell}$: indicator of whether a distortion has occurred for record field value $X_{ij\ell}$