The group G is isomorphic to the group labelled by [20, 4] in the Small Groups library. Ordinary character table of  $G \cong D20$ :

|          | 1a | 10a $5a$           |                   | 10b                | 5b                | 2a | 2b | 2c |
|----------|----|--------------------|-------------------|--------------------|-------------------|----|----|----|
| $\chi_1$ | 1  | 1                  | 1                 | 1                  | 1                 | 1  | 1  | 1  |
| $\chi_2$ | 1  | 1                  | 1                 | 1                  | 1                 | 1  | -1 | -1 |
| $\chi_3$ | 1  | -1                 | 1                 | -1                 | 1                 | -1 | 1  | -1 |
| $\chi_4$ | 1  | -1                 | 1                 | -1                 | 1                 | -1 | -1 | 1  |
| $\chi_5$ | 2  | $-E(5)^2 - E(5)^3$ | $E(5) + E(5)^4$   | $-E(5) - E(5)^4$   | $E(5)^2 + E(5)^3$ | -2 | 0  | 0  |
| $\chi_6$ | 2  | $E(5) + E(5)^4$    | $E(5)^2 + E(5)^3$ | $E(5)^2 + E(5)^3$  | $E(5) + E(5)^4$   | 2  | 0  | 0  |
| $\chi_7$ | 2  | $-E(5) - E(5)^4$   | $E(5)^2 + E(5)^3$ | $-E(5)^2 - E(5)^3$ | $E(5) + E(5)^4$   | -2 | 0  | 0  |
| $\chi_8$ | 2  | $E(5)^2 + E(5)^3$  | $E(5) + E(5)^4$   | $E(5) + E(5)^4$    | $E(5)^2 + E(5)^3$ | 2  | 0  | 0  |

## Trivial source character table of $G \cong D20$ at p = 2:

| This source character table of $C = DZC$ at $p = Z$ .   |    |                       |                       |    |                   |                   |       |       |       |  |  |
|---|----|-----------------------|-----------------------|----|-------------------|-------------------|-------|-------|-------|--|--|
| Normalisers $N_i$   |    | $N_1$                 |                       |    | $N_2$             |                   | $N_3$ | $N_4$ | $N_5$ |  |  |
| p-subgroups of $G$ up to conjugacy in $G$   |    | $P_1$                 |                       |    | $P_2$             |                   |       | $P_4$ | $P_5$ |  |  |
| Representatives $n_j \in N_i$   | 1a | 5b                    | 5a                    | 1a | 5b                | 5a                | 1a    | 1a    | 1a    |  |  |
| $1 \cdot \chi_1 + 1 \cdot \chi_2 + 1 \cdot \chi_3 + 1 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8$ | 4  | 4                     | 4                     | 0  | 0                 | 0                 | 0     | 0     | 0     |  |  |
| $0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 1 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 1 \cdot \chi_8$ | 4  | $2*E(5)^2 + 2*E(5)^3$ | $2*E(5) + 2*E(5)^4$   | 0  | 0                 | 0                 | 0     | 0     | 0     |  |  |
| $0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 1 \cdot \chi_6 + 1 \cdot \chi_7 + 0 \cdot \chi_8$ | 4  | $2*E(5) + 2*E(5)^4$   | $2*E(5)^2 + 2*E(5)^3$ | 0  | 0                 | 0                 | 0     | 0     | 0     |  |  |
| $1 \cdot \chi_1 + 1 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8$ | 2  | 2                     | 2                     | 2  | 2                 | 2                 | 0     | 0     | 0     |  |  |
| $0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 1 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8$ | 2  | $E(5) + E(5)^4$       | $E(5)^2 + E(5)^3$     | 2  | $E(5) + E(5)^4$   | $E(5)^2 + E(5)^3$ | 0     | 0     | 0     |  |  |
| $0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 1 \cdot \chi_8$ | 2  | $E(5)^2 + E(5)^3$     | $E(5) + E(5)^4$       | 2  | $E(5)^2 + E(5)^3$ | $E(5) + E(5)^4$   | 0     | 0     | 0     |  |  |
| $1 \cdot \chi_1 + 0 \cdot \chi_2 + 1 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8$ | 2  | 2                     | 2                     | 0  | 0                 | 0                 | 2     | 0     | 0     |  |  |
| $1 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 1 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8$ | 2  | 2                     | 2                     | 0  | 0                 | 0                 | 0     | 2     | 0     |  |  |
| $1 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8$ | 1  | 1                     | 1                     | 1  | 1                 | 1                 | 1     | 1     | 1     |  |  |

```
P_1 = Group([()]) \cong 1
```

- $N_1 = Group([(1,2)(3,5)(4,18)(6,16)(7,20)(8,14)(9,19)(10,12)(11,17)(13,15),(1,3)(2,5)(4,7)(6,9)(8,11)(10,13)(12,15)(14,17)(16,19)(18,20),(1,4,8,12,16)(2,6,10,14,18)(3,7,11,15,19)(5,9,13,17,20)]) \cong D20$
- $N_2 = Group([(1,2)(3,5)(4,18)(6,16)(7,20)(8,14)(9,19)(10,12)(11,17)(13,15),(1,3)(2,5)(4,7)(6,9)(8,11)(10,13)(12,15)(14,17)(16,19)(18,20),(1,4,8,12,16)(2,6,10,14,18)(3,7,11,15,19)(5,9,13,17,20)]) \cong D20$
- $N_3 = Group([(1,2)(3,5)(4,18)(6,16)(7,20)(8,14)(9,19)(10,12)(11,17)(13,15),(1,3)(2,5)(4,7)(6,9)(8,11)(10,13)(12,15)(14,17)(16,19)(18,20)]) \cong \mathbf{C2} \times \mathbf{C2}$
- $N_4 = Group([(1,5)(2,3)(4,20)(6,19)(7,18)(8,17)(9,16)(10,15)(11,14)(12,13), (1,2)(3,5)(4,18)(6,16)(7,20)(8,14)(9,19)(10,12)(11,17)(13,15), (1,3)(2,5)(4,7)(6,9)(8,11)(10,13)(12,15)(14,17)(16,19)(18,20)]) \cong C2 \times C2$
- $N_5 = Group([(1,2)(3,5)(4,18)(6,16)(7,20)(8,14)(9,19)(10,12)(11,17)(13,15),(1,3)(2,5)(4,7)(6,9)(8,11)(10,13)(12,15)(14,17)(16,19)(18,20)]) \cong \mathbf{C2} \times \mathbf{C2}$

 $P_2 = Group([(1,3)(2,5)(4,7)(6,9)(8,11)(10,13)(12,15)(14,17)(16,19)(18,20)]) \cong C2$ 

 $P_3 = Group([(1,2)(3,5)(4,18)(6,16)(7,20)(8,14)(9,19)(10,12)(11,17)(13,15)]) \cong C2$ 

 $P_4 = Group([(1,5)(2,3)(4,20)(6,19)(7,18)(8,17)(9,16)(10,15)(11,14)(12,13)]) \cong C2$ 

 $P_5 = Group([(1,3)(2,5)(4,7)(6,9)(8,11)(10,13)(12,15)(14,17)(16,19)(18,20),(1,2)(3,5)(4,18)(6,16)(7,20)(8,14)(9,19)(10,12)(11,17)(13,15)]) \cong \mathbf{C2} \times \mathbf{C2}$