The group G is isomorphic to the projective special linear group PSL(2,13). Ordinary character table of $G \cong PSL(2,13)$:

	1a	2a	3a	6a	7a	7b	7c	13a	13 <i>b</i>
χ_1	1	1	1	1	1	1	1	1	1
χ_2	7	-1	1	-1	0	0	0	$-E(13)^2 - E(13)^5 - E(13)^6 - E(13)^7 - E(13)^8 - E(13)^1$	$-E(13) - E(13)^3 - E(13)^4 - E(13)^9 - E(13)^10 - E(13)^12$
χ_3	7	-1	1	-1	0	0	0	$-E(13) - E(13)^3 - E(13)^4 - E(13)^9 - E(13)^10 - E(13)^12$	$-E(13)^2 - E(13)^5 - E(13)^6 - E(13)^7 - E(13)^8 - E(13)^1$
χ_4	12	0	0	0	$-E(7)^3 - E(7)^4$	$-E(7) - E(7)^{} 6$	$-E(7)^2 - E(7)^5$	-1	-1
χ_5	12	0	0	0	$-E(7)^2 - E(7)^5$	$-E(7)^3 - E(7)^4$	$-E(7) - E(7)^{} 6$	-1	-1
χ_6	12	0	0	0	$-E(7) - E(7)^{} 6$	$-E(7)^2 - E(7)^5$	$-E(7)^3 - E(7)^4$	-1	-1
				1	-1	-1	-1	0	0
χ_8	14	2	-1	-1	0	0	0	1	1
χ_9	14	-2	-1	1	0	0	0	1	1

Trivial source character table of $G \cong PSL(2,13)$ at p = 2

7. T			
N_2		N_3	3
P_2		P_3	,
1a	$3a \mid 1$	a $3a$	3a
0	0 (0	0
0	0 0	0 0	0
0	0 0	0 0	0
0	0 0	0 0	0
0	0 0	0 0	0
0	0 0	0 0	0
0	0 0	0	0
2	2 (0 0	0
2 -	-1 0	0 0	0
1	1 1	1 1	1
1	1 1	1 E(3)	$E(3)^{} 2$
1	1 1	$1 E(3)^2$	E(3)
	$ \begin{array}{c c} P_2 \\ \hline 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ 2 \end{array} $	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$

 $P_1 = Group([()]) \cong 1$

 $P_2 = Group([(1,5)(2,4)(6,13)(7,12)(8,11)(9,10)]) \cong C2$

 $P_3 = Group([(1,5)(2,4)(6,13)(7,12)(8,11)(9,10),(1,9)(3,14)(5,10)(6,12)(7,13)(8,11)]) \cong C2 \times C2$

 $N_1 = Group([(1,12)(2,6)(3,4)(7,11)(9,10)(13,14),(1,6,11)(2,4,5)(7,8,10)(12,14,13)]) \cong PSL(2,13)$ $N_2 = Group([(1,11,10)(2,7,13)(4,12,6)(5,8,9),(1,5)(2,4)(6,13)(7,12)(8,11)(9,10),(2,12)(3,14)(4,7)(6,13)(8,9)(10,11)]) \cong D12$

 $N_3 = Group([(2,11,14)(3,4,8)(5,9,10)(6,13,7),(1,5)(2,4)(6,13)(7,12)(8,11)(9,10),(1,9)(3,14)(5,10)(6,12)(7,13)(8,11)]) \cong A4$