The group $G$ is isomorphic to the group labelled by $[48, 19]$ in the Small Groups library.
Ordinary character table of $G \cong (C6 \times C2)$ : C4:

Trivial source character table of  $G \cong (C6 \times C2)$ : C4 at p = 3:

Normalisers $N_i$	$N_1$									$N_2$										
p-subgroups of $G$ up to conjugacy in $G$		$P_1$								$P_2$										
Representatives $n_j \in N_i$	1 <i>a</i>	4a	2a $2b$	2c	4b	4c	2d 2	2e $4a$	1 <i>a</i>	2a	4a	2b	4b	2d 2	e 4 $c$	4d	2c			
$1 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10} + 0 \cdot \chi_{11} + 1 \cdot \chi_{12} + 0 \cdot \chi_{13} + 0 \cdot \chi_{14} + 0 \cdot \chi_{15} + 0 \cdot \chi_{16} + 0 \cdot \chi_{17} + 0 \cdot \chi_{18}$	3	1	3 3	3	1	1	3	3 1	0	0	0	0	0	0 (	0	0	0			
$ \begin{vmatrix} 0 \cdot \chi_1 + 0 \cdot \chi_2 + 1 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10} + 0 \cdot \chi_{11} + 1 \cdot \chi_{12} + 0 \cdot \chi_{13} + 0 \cdot \chi_{14} + 0 \cdot \chi_{15} + 0 \cdot \chi_{16} + 0 \cdot \chi_{17} + 0 \cdot \chi_{18} \end{vmatrix} $	3	-1	3 3	3	-1	-1	3	3 - 1	0	0	0	0	0	0	0	0	0			
$ \begin{vmatrix} 0 \cdot \chi_1 + 1 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 1 \cdot \chi_{10} + 0 \cdot \chi_{11} + 0 \cdot \chi_{12} + 0 \cdot \chi_{13} + 0 \cdot \chi_{14} + 0 \cdot \chi_{15} + 0 \cdot \chi_{16} + 0 \cdot \chi_{17} + 0 \cdot \chi_{18} \end{vmatrix} $	3	-1	-3 3	3	1	-1	-3	3 1	0	0	0	0	0	0	0	0	0			
$ \begin{vmatrix} 0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 1 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 1 \cdot \chi_{10} + 0 \cdot \chi_{11} + 0 \cdot \chi_{12} + 0 \cdot \chi_{13} + 0 \cdot \chi_{14} + 0 \cdot \chi_{15} + 0 \cdot \chi_{16} + 0 \cdot \chi_{17} + 0 \cdot \chi_{18} \end{vmatrix} $	3	1 .	-3 3	3	-1	1	-3	3 - 1	0	0	0	0	0	0	0	0	0			
$ \begin{vmatrix} 0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 1 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 1 \cdot \chi_9 + 0 \cdot \chi_{10} + 0 \cdot \chi_{11} + 0 \cdot \chi_{12} + 0 \cdot \chi_{13} + 0 \cdot \chi_{14} + 0 \cdot \chi_{15} + 0 \cdot \chi_{16} + 0 \cdot \chi_{17} + 0 \cdot \chi_{18} \end{vmatrix} $	3 1	E(4)	-3 $-3$	3	-E(4)	-E(4)	3 -	-3 $E(4)$	) 0	0	0	0	0	0	0	0	0			
$ \begin{vmatrix} 0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 1 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 1 \cdot \chi_9 + 0 \cdot \chi_{10} + 0 \cdot \chi_{11} + 0 \cdot \chi_{12} + 0 \cdot \chi_{13} + 0 \cdot \chi_{14} + 0 \cdot \chi_{15} + 0 \cdot \chi_{16} + 0 \cdot \chi_{17} + 0 \cdot \chi_{18} \end{vmatrix} $		-E(4)	-3 -3	3	E(4)	E(4)	3 -	-3 $-E$	4)   0	0	0	0	0	0	0	0	0			
$ \begin{vmatrix} 0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 1 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10} + 1 \cdot \chi_{11} + 0 \cdot \chi_{12} + 0 \cdot \chi_{13} + 0 \cdot \chi_{14} + 0 \cdot \chi_{15} + 0 \cdot \chi_{16} + 0 \cdot \chi_{17} + 0 \cdot \chi_{18} \end{vmatrix} $		E(4)	3 -3	3	E(4)	-E(4)	-3 -	-3 $-E$	4)   0	0	0	0	0	0	0	0	0			
$ \begin{vmatrix} 0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 1 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10} + 1 \cdot \chi_{11} + 0 \cdot \chi_{12} + 0 \cdot \chi_{13} + 0 \cdot \chi_{14} + 0 \cdot \chi_{15} + 0 \cdot \chi_{16} + 0 \cdot \chi_{17} + 0 \cdot \chi_{18} \end{vmatrix} $	3 -	-E(4)	3 -3	3	-E(4)	E(4)	-3 -	-3 $E(4)$	)   0	0	0	0	0	0	0	0	0			
$ \begin{vmatrix} 0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10} + 0 \cdot \chi_{11} + 0 \cdot \chi_{12} + 1 \cdot \chi_{13} + 0 \cdot \chi_{14} + 0 \cdot \chi_{15} + 0 \cdot \chi_{16} + 1 \cdot \chi_{17} + 1 \cdot \chi_{18} \end{vmatrix} $	6	0	0 6	-6	0	0	0 -	-6 0	0	0	0	0	0	0	0	0	0			
$0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10} + 0 \cdot \chi_{11} + 0 \cdot \chi_{12} + 0 \cdot \chi_{13} + 1 \cdot \chi_{14} + 1 \cdot \chi_{15} + 1 \cdot \chi_{16} + 0 \cdot \chi_{17} + 0 \cdot \chi_{18}$	6	0	0 -6	6 - 6	0	0	0	6 0	0	0	0	0	0	0	0	0	0			
$1 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10} + 0 \cdot \chi_{11} + 0 \cdot \chi_{12} + 0 \cdot \chi_{13} + 0 \cdot \chi_{14} + 0 \cdot \chi_{15} + 0 \cdot \chi_{16} + 0 \cdot \chi_{17} + 0 \cdot \chi_{18}$	1	1	1 1	1	1	1	1	1 1	1	1	1	1	1	1	1 1	1	1			
$ \begin{vmatrix} 0 \cdot \chi_1 + 1 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10} + 0 \cdot \chi_{11} + 0 \cdot \chi_{12} + 0 \cdot \chi_{13} + 0 \cdot \chi_{14} + 0 \cdot \chi_{15} + 0 \cdot \chi_{16} + 0 \cdot \chi_{17} + 0 \cdot \chi_{18} \end{vmatrix} $		-1	-1 1	1	1	-1	-1	1 1	1	-1	-1	1	1	-1	l –1	1	1			
$ \begin{vmatrix} 0 \cdot \chi_1 + 0 \cdot \chi_2 + 1 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10} + 0 \cdot \chi_{11} + 0 \cdot \chi_{12} + 0 \cdot \chi_{13} + 0 \cdot \chi_{14} + 0 \cdot \chi_{15} + 0 \cdot \chi_{16} + 0 \cdot \chi_{17} + 0 \cdot \chi_{18} \end{vmatrix} $	1	-1	1 1	1	-1	-1	1	1 - 1	1	1	-1	1	-1	1	l –1	-1	1			
$ \begin{vmatrix} 0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 1 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10} + 0 \cdot \chi_{11} + 0 \cdot \chi_{12} + 0 \cdot \chi_{13} + 0 \cdot \chi_{14} + 0 \cdot \chi_{15} + 0 \cdot \chi_{16} + 0 \cdot \chi_{17} + 0 \cdot \chi_{18} \end{vmatrix} $	1	1 .	-1 1	1	-1	1	-1	1 - 1	1	-1	1	1	-1	-1	1 1	-1	1			
$ \begin{vmatrix} 0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 1 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10} + 0 \cdot \chi_{11} + 0 \cdot \chi_{12} + 0 \cdot \chi_{13} + 0 \cdot \chi_{14} + 0 \cdot \chi_{15} + 0 \cdot \chi_{16} + 0 \cdot \chi_{17} + 0 \cdot \chi_{18} \end{vmatrix} $	$\mid 1 \mid I$	E(4)	-1 $-1$	l 1	-E(4)	-E(4)	1 -	(	/ I	-1	E(4)	-1	-E(4)	1 -	-1 $-E($	E(4)	1			
$ \begin{vmatrix} 0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 1 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10} + 0 \cdot \chi_{11} + 0 \cdot \chi_{12} + 0 \cdot \chi_{13} + 0 \cdot \chi_{14} + 0 \cdot \chi_{15} + 0 \cdot \chi_{16} + 0 \cdot \chi_{17} + 0 \cdot \chi_{18} \end{vmatrix} $	1 -	-E(4)	-1 $-1$	l 1	E(4)	E(4)	1 -	-1 $-E$	4)   1	-1	-E(4)	-1	E(4)	1 -	$\cdot 1  E(4)$	-E(4	) 1			
$ \begin{vmatrix} 0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 1 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10} + 0 \cdot \chi_{11} + 0 \cdot \chi_{12} + 0 \cdot \chi_{13} + 0 \cdot \chi_{14} + 0 \cdot \chi_{15} + 0 \cdot \chi_{16} + 0 \cdot \chi_{17} + 0 \cdot \chi_{18} \end{vmatrix} $		E(4)	1 - 1	l 1	E(4)	-E(4)	-1 -	-1 $-E$	4)   1	1	E(4)	-1	E(4)	-1 -	-1 $-E($	4) $-E(4)$	) 1			
$ \begin{vmatrix} 0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 1 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10} + 0 \cdot \chi_{11} + 0 \cdot \chi_{12} + 0 \cdot \chi_{13} + 0 \cdot \chi_{14} + 0 \cdot \chi_{15} + 0 \cdot \chi_{16} + 0 \cdot \chi_{17} + 0 \cdot \chi_{18} \end{vmatrix} $	1 -	-E(4)	1 - 1	l 1	-E(4)	E(4)	-1 -	-1 $E(4$	1	1	-E(4)	-1	-E(4)	-1 -	-1 $E(4)$	E(4)	1			
$ \begin{vmatrix} 0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10} + 0 \cdot \chi_{11} + 0 \cdot \chi_{12} + 1 \cdot \chi_{13} + 0 \cdot \chi_{14} + 0 \cdot \chi_{15} + 0 \cdot \chi_{16} + 0 \cdot \chi_{17} + 0 \cdot \chi_{18} \end{vmatrix} $	2	0	0 2	-2	0	0	0 -	-2 0	2	0	0	2	0	0 -	-2 0	0	-2			
$0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10} + 0 \cdot \chi_{11} + 0 \cdot \chi_{12} + 0 \cdot \chi_{13} + 1 \cdot \chi_{14} + 0 \cdot \chi_{15} + 0 \cdot \chi_{16} + 0 \cdot \chi_{17} + 0 \cdot \chi_{18}$	2	0	0 -2	2 -2	0	0	0	2 0	2	0	0	-2	0	0 :	2 0	0	-2			

 $P_1 = Group([()]) \cong 1$ 

 $P_2 = Group([(1, 17, 6)(2, 24, 10)(3, 28, 13)(4, 30, 15)(5, 31, 16)(7, 35, 20)(8, 37, 22)(9, 38, 23)(11, 40, 26)(12, 41, 27)(14, 42, 29)(18, 44, 33)(19, 45, 34)(21, 46, 36)(25, 47, 39)(32, 48, 43)]) \cong \mathbf{C3}$ 

 $N_1 = Group([(1,2,4,8)(3,19,11,32)(5,9,14,21)(6,13)(3,14)(1,32)(5,9,14,21)(6,24,15)(3,14)(3,43)(2,34)(2,34)(2,34)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,43)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44)(3,44$ 

 $|\chi_6|$  1 E(4) -1 -1 1 1 -E(4) -E(4) 1 -1 -1 1 E(4) 1

 $\begin{vmatrix} \chi_8 & 1 & E(4) & 1 & -1 & 1 & 1 & E(4) & -E(4) & -1 & 1 & -1 & 1 & -E(4) & -1 \\ \chi_9 & 2 & 0 & -2 & -2 & 2 & -1 & 0 & 0 & 2 & 1 & -2 & 1 & -1 & 0 & -1 \end{vmatrix}$ 

 $\begin{vmatrix} \chi_{12} & 2 & 0 & 2 & 2 & 2 & -1 & 0 & 0 & 2 & -1 & 2 & -1 & -1 & 0 \\ \chi_{13} & 2 & 0 & 0 & 2 & -2 & 2 & 0 & 0 & 0 & 0 & -2 & 2 & -2 & 0 & 0 \end{vmatrix}$