The group G is isomorphic to the group labelled by $[48, 31]$ in the Small Groups librar	y.
Ordinary character table of $G \cong C4 \times A4$:	

Trivial	COURGO	character	tabla	of C	\sim ϵ	7/ 3/	Λ 1	at m	_ 2.

Trivial source character table of $G = C4$ x A4 at $p = 5$.												
Normalisers N_i		N_1				N_2						
p-subgroups of G up to conjugacy in G		$\overline{P_1}$			P_2							
Representatives $n_j \in N_i$	1a	4a	2a	2b	4b	4c	2c	4d	1a	4a	2a	4b
$\boxed{1 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 1 \cdot \chi_9 + 0 \cdot \chi_{10} + 0 \cdot \chi_{11} + 0 \cdot \chi_{12} + 1 \cdot \chi_{13} + 0 \cdot \chi_{14} + 0 \cdot \chi_{15} + 0 \cdot \chi_{16}}$	3	3	3	3	3	3	3	3	0	0	0	0
	3	3 * E(4)	-3	3	-3 * E(4)	3 * E(4)		-3 * E(4)	0	0	0	0
	3	-3 * E(4)	-3	3	3 * E(4)	-3 * E(4)	-3	3 * E(4)	0	0	0	0
$ \begin{vmatrix} 0 \cdot \chi_1 + 0 \cdot \chi_2 + 1 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10} + 1 \cdot \chi_{11} + 0 \cdot \chi_{12} + 0 \cdot \chi_{13} + 0 \cdot \chi_{14} + 1 \cdot \chi_{15} + 0 \cdot \chi_{16} \end{vmatrix} $	3	-3	3	3	-3	-3	3	-3	0	0	0	0
$ \begin{vmatrix} 0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 1 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10} + 0 \cdot \chi_{11} + 0 \cdot \chi_{12} + 0 \cdot \chi_{13} + 0 \cdot \chi_{14} + 0 \cdot \chi_{15} + 0 \cdot \chi_{16} \end{vmatrix} $	3	3	3	-1	3	-1	-1	-1	0	0	0	0
$ \begin{array}{ c c c c c c c c c c c c c c c c c c c$	3	3 * E(4)	-3	-1	-3 * E(4)	-E(4)	1	E(4)	0	0	0	0
$ \begin{array}{ c c c c c c c c c c c c c c c c c c c$	3	-3 * E(4)	-3	-1	3 * E(4)	E(4)	1	-E(4)	0	0	0	0
	3	-3	3	-1	-3	1	-1	1	0	0	0	0
$1 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10} + 0 \cdot \chi_{11} + 0 \cdot \chi_{12} + 0 \cdot \chi_{13} + 0 \cdot \chi_{14} + 0 \cdot \chi_{15} + 0 \cdot \chi_{16}$	1	1	1	1	1	1	1	1	1	1	1	1
	1	-1	1	1	-1	-1	1	-1	1	-1	1	-1
	1	E(4)	-1	1	-E(4)	E(4)	-1	-E(4)	1	E(4)	-1	-E(4)
	1	-E(4)	-1	1	E(4)	-E(4)	-1	E(4)	1	-E(4)	-1	E(4)

 $P_1 = Group([()]) \cong 1$

 $P_2 = Group([(1,3,11)(2,7,18)(4,12,25)(5,14,41)(6,30,26)(8,19,32)(9,21,45)(10,37,33)(13,27,17)(15,29,47)(16,42,39)(20,34,24)(22,36,48)(23,46,43)(28,40,31)(35,44,38)]) \cong C3$

 $N_1 = Group([(1,2,4,8)(3,7,12,19)(5,9,15,22)(6,10,16,23)(11,25)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)(13,24)$

 $\begin{vmatrix} \chi_{15} & 1 & -1 & 1 & -1 & 1 & -1 & 1 & -1 & E(3)^2 & -E(3)^2 & E(3)^2 & -E(3)^2 & E(3) & -E(3) & E(3) & -E(3) \\ \chi_{16} & 1 & -E(4) & -1 & E(4) & 1 & -E(4) & -1 & E(4) & E(3)^2 & -E(12)^{11} & -E(3)^2 & E(12)^{11} & E(3) & -E(12)^7 & -E(3) & E(12)^7 \end{vmatrix}$