The group G is isomorphic to the group labelled by [42, 1] in the Small Groups library. Ordinary character table of  $G \cong C7 : C6$ :

	1a	7a	6a	3a	2a	3b	6b
$\chi_1$	1	1	1	1	1	1	1
$\chi_2$	1	1	$-E(3)^2$	E(3)	-1	$E(3)^{2}$	-E(3)
$\chi_3$	1	1	E(3)	$E(3)^{2}$	1	E(3)	$E(3)^{2}$
$\chi_4$	1	1	-1	1	-1	1	-1
$\chi_5$	1	1	$E(3)^{2}$	E(3)	1	$E(3)^{2}$	E(3)
$\chi_6$	1	1	-E(3)	$E(3)^{2}$	-1	E(3)	$-E(3)^2$
$\chi_7$	6	-1	0	0	0	0	0

Normalisers  $N_i$ 

Trivial source character table of  $G \cong C7$ : C6 at p = 3:

Normansers $N_i$	1V <sub>1</sub>			1V <sub>2</sub>	
p-subgroups of $G$ up to conjugacy in $G$		$P_1$		P	
Representatives $n_j \in N_i$	1a	2a	7a	1a	
$1 \cdot \chi_1 + 0 \cdot \chi_2 + 1 \cdot \chi_3 + 0 \cdot \chi_4 + 1 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7$	3	3	3	0	
$0 \cdot \chi_1 + 1 \cdot \chi_2 + 0 \cdot \chi_3 + 1 \cdot \chi_4 + 0 \cdot \chi_5 + 1 \cdot \chi_6 + 0 \cdot \chi_7$	3	-3	3	0	
$0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 1 \cdot \chi_7$	6	0	-1	0	
$1 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7$	1	1	1	1	
$0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 1 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7$	1	-1	1	1	

 $P_1 = Group([()]) \cong 1$   $P_2 = Group([(1,3,7)(2,5,10)(4,14,31)(6,17,34)(8,19,21)(9,26,13)(11,22,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,33,32)(28,36,35)]) \cong C3$ 

 $N_1 = Group([(1,2)(3,5)(4,36)(6,33)(7,10)(8,40)(9,30)(11,38)(12,27)(13,42)(14,35)(15,24)(16,41)(17,32)(18,21)(19,39)(20,29)(22,37)(23,42,30)(25,34)(28,31), (1,3,7)(2,5,10)(4,14,31)(6,17,34)(8,19,21)(9,26,13)(11,22,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,33,32)(28,36,35), (1,4,9,15,21,27,33)(2,6,12,18,24,30,36)(3,8,14,20,26,32,38)(5,11,17,23,29,35,40)(7,13,19,25,31,37,41)(10,16,22,28,34,39,42)]) \cong C7: C6$   $N_2 = Group([(1,3,7)(2,5,10)(4,14,31)(6,17,34)(8,19,21)(9,26,13)(11,22,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,33,32)(28,36,35), (1,2,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,33,32)(28,36,35), (1,2,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,33,32)(28,36,35), (1,2,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,33,32)(28,36,35), (1,2,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,33,32)(28,36,35), (1,2,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,33,32)(28,36,35), (1,2,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,33,32)(28,36,35), (1,2,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,33,32)(28,36,35), (1,2,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,33,32)(28,36,35), (1,2,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,33,32)(28,36,35), (1,2,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,33,32)(28,36,35), (1,2,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,33,32)(28,36,35), (1,2,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,33,32)(28,36,35), (1,2,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,33,32)(28,36,35), (1,2,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,33,32)(28,36,35), (1,2,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,33,32)(28,36,35), (1,2,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,33,32)(28,36,35), (1,2,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,34,32)(26,42,32)(26,42,32)(26,42,32)(26,42,32)(26,42,32)(26,42,32)(26,42,32)(26,42,32)(26,42,32)(26,42,32)(26,42,32)(26,42,32)(26,$