1	\overline{a} :	\overline{Ba}	3b	21a	7a	21b	21c	21d	7b	6a	6b	2a	12a	4a	12b	5a	15a	15b	3c	6c	6d	6e	$\overline{3d}$
χ_1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1
χ_2	3	6	6	-1	-1	-1	-1	-1	-1	2	2	2	0	0	0	1	1	1	3	-1	-1	-1	0
χ_3	6*1	$E(3)^2$	6 * E(3)	-E(3)	-1	$-E(3)^{2}$	$-E(3)^2$	-E(3)	-1	$2 * E(3)^2$	2 * E(3)	2	0	0	0	1	$E(3)^{2}$	E(3)	0	2 * E(3)	2	$2 * E(3)^2$	0
χ_4	6 *	E(3) 6	$6 * E(3)^2$	$-E(3)^2$	-1	-E(3)	-E(3)	$-E(3)^2$	-1	2 * E(3)	$2 * E(3)^2$	2	0	0	0	1	E(3)	$E(3)^{2}$	0	$2 * E(3)^2$	2	2 * E(3)	0
$\chi_5 \mid 1$	0 1	10	10	$E(7)^3 + E(7)^5 + E(7)^6$	$E(7)^3 + E(7)^5 + E(7)^6$	$E(7)^3 + E(7)^5 + E(7)^6$	$E(7) + E(7)^2 + E(7)^4$	$E(7) + E(7)^2 + E(7)^4$	$E(7) + E(7)^2 + E(7)^4$	-2	-2	-2	0	0	0	0	0	0	1	1	1	1	1
χ_6 1	0 1	10	10	$E(7) + E(7)^2 + E(7)^4$	$E(7) + E(7)^2 + E(7)^4$	$E(7) + E(7)^2 + E(7)^4$	$E(7)^3 + E(7)^5 + E(7)^6$	$E(7)^3 + E(7)^5 + E(7)^6$	$E(7)^3 + E(7)^5 + E(7)^6$	-2	-2	-2	0	0	0	0	0	0	1	1	1	1	1
χ_7 1	4	14	14	0	0	0	0	0	0	2	2	2	0	0	0	-1	-1	-1	-1	-1	-1	-1	2
χ_8 1	4	14	14	0	0	0	0	0	0	2	2	2	0	0	0	-1	-1	-1	2	2	2	2	-1
χ_9 1		15	15	1	1	1	1	1	1	-1	-1	-1	-1	-1	-1	0	0	0	3	-1	-1	-1	0
χ_{10} 1			15 * E(3)	E(3)	1	$E(3)^{2}$	$E(3)^{2}$	E(3)	1	$3 * E(3)^2$	3 * E(3)	3	E(3)	1	$E(3)^{2}$	0	0	0	0	0	0	0	0
$ \chi_{11} 1$			$15 * E(3)^2$	$E(3)^{2}$	1	E(3)	E(3)	$E(3)^{2}$	1	3 * E(3)	$3 * E(3)^2$	3	$E(3)^{2}$	1	E(3)	0	0	0	0	0	0	0	0
χ_{12} 1	5 15 *	$E(3)^2$ 1	15 * E(3)	E(3)	1	$E(3)^{2}$	$E(3)^{2}$	E(3)	1	$-E(3)^2$	-E(3)	-1	-E(3)	-1	$-E(3)^{2}$	0	0	0	0	2 * E(3)	2	$2 * E(3)^2$	0
		E(3) 1	$15 * E(3)^2$	$E(3)^{2}$	1	E(3)	E(3)	$E(3)^{2}$	1	-E(3)	$-E(3)^{2}$	-1	$-E(3)^2$	-1	-E(3)	0	0	0	0	$2 * E(3)^2$	2	2 * E(3)	0
χ_{14} 2	1 2	21	21	0	0	0	0	0	0	1	1	1	-1	-1	-1	1	1	1	-3	1	1	1	0
χ_{15} 2	1 21 *	$E(3)^2$ 2	21*E(3)	0	0	0	0	0	0	$-3 * E(3)^2$	-3 * E(3)	-3	E(3)	1	$E(3)^{2}$	1	$E(3)^{2}$	E(3)	0	0	0	0	0
			$21 * E(3)^2$	0	0	0	0	0	0	-3 * E(3)	$-3*E(3)^2$	-3	$E(3)^{2}$	1	E(3)	1	E(3)	$E(3)^{2}$	0	0	0	0	0
			21*E(3)	0	0	0	0	0	0	$E(3)^{2}$	E(3)	1	-E(3)	-1	$-E(3)^{2}$	1	$E(3)^{2}$	E(3)	0	-2 * E(3)	-2 -	$-2*E(3)^2$	0
			$21 * E(3)^2$	0	0	0	0	0	0	E(3)	$E(3)^{2}$	1	$-E(3)^2$	-1	-E(3)	1	E(3)	$E(3)^{2}$	0 -	$-2*E(3)^2$	-2 -	-2 * E(3)	0
							$E(21)^2 + E(21)^8 + E(21)^{11}$	$E(21) + E(21)^4 + E(21)^{16}$	$E(7)^3 + E(7)^5 + E(7)^6$	0	0	0	0	0	0	-1	$-E(3)^{2}$	-E(3)	0	0	0	0	0
				$E(21) + E(21)^4 + E(21)^{16}$	$E(7)^3 + E(7)^5 + E(7)^6$		$E(21)^5 + E(21)^{17} + E(21)^{20}$	$E(21)^{10} + E(21)^{13} + E(21)^{19}$	$E(7) + E(7)^2 + E(7)^4$	0	0	0	0	0	0	-1	$-E(3)^{2}$	-E(3)	0	0	0	0	0
					$E(7) + E(7)^2 + E(7)^4$	$E(21)^{10} + E(21)^{13} + E(21)^{19}$	$E(21) + E(21)^4 + E(21)^{16}$	$E(21)^2 + E(21)^8 + E(21)^{11}$	$E(7)^3 + E(7)^5 + E(7)^6$	0	0	0	0	0	0	-1	-E(3)	$-E(3)^2$	0	0	0	0	0
$ \chi_{22} $ 2	4 24 *	E(3) 2	$24 * E(3)^2$	$E(21)^2 + E(21)^8 + E(21)^{11}$	$E(7)^3 + E(7)^5 + E(7)^6$	$E(21) + E(21)^4 + E(21)^{16}$	$E(21)^{10} + E(21)^{13} + E(21)^{19}$	$E(21)^5 + E(21)^{17} + E(21)^{20}$	$E(7) + E(7)^2 + E(7)^4$	0	0	0	0	0	0	-1	-E(3)	$-E(3)^2$	0	0	0	0	0
χ_{23} 3		35	35	0	0	0	0	0	0	-1	-1	-1	1	1	1	0	0	0	-1	-1	-1	-1	-1

Trivial source character table of $G\cong \operatorname{C3}$. A7 at p=3:

		N_1			V_2	$ N_3 $		N_4	N_5 N_6	N_7	
		P_1			P_2	P_3		P_4	P_5 P_6	P_7	
1a	7a	7b	2a $4a$ $5a$ $1a$	7a	7b	2a $4a$ $5a$ $1a$	$2a \mid 1a \mid 2c$	2a 4a 2b	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$4a \mid 1a 4b 2a$	a = 4a
χ_{23} 108	3	3	0 -6 3 0	0	0	0 0 0 0	0 0 0	0 0 0	0 0 0 0 0	0 0 0 0) 0
$\chi_{23} 135 3$	$*E(7)^3 + 3*E(7)^5 + 3*E(7)^6$	$3 * E(7) + 3 * E(7)^2 + 3 * E(7)^4$	-9 3 0 0	0	0	0 0 0 0	0 0 0	0 0 0		0 0 0 0) 0
$\chi_{23} \mid 135 = 3$	$3*E(7) + 3*E(7)^2 + 3*E(7)^4$	$3 * E(7)^3 + 3 * E(7)^5 + 3 * E(7)^6$	-9 3 0 0	0	0	0 0 0 0	0 0 0	0 0 0		0 0 0 0	J 0
	-3	-3	9 -3 6 0	0	0	0 0 0 0	0 0 0	0 0 0		$0 \mid 0 = 0 = 0$) 0
$\chi_{23} 189$	0	0	$9 3 -6 \mid 0$	0	0	0 0 0 0	0 0 0	0 0 0		0 0 0 0) 0
$\chi_{23} 297$	3	3	9 9 -3 0	0	0	0 0 0 0	0 0 0	0 0 0	0 0 0 0	0 0 0 0) 0
$\chi_{23} 63$	0	0	$3 1 -2 \mid 63$	0	0	$3 1 -2 \mid 0$	0 0 0	0 0 0		0 0 0 0) 0
$\chi_{23} \ \ 36$	1	1	0 -2 1 36	1	1	0 -2 1 0	0 0 0	0 0 0		0 0 0 0) 0
$\chi_{23} \mid 45$			()			-3 1 0 0	0 0 0	0 0 0		0 0 0 0) 0
$\chi_{23} \mid 45$	$E(7) + E(7)^2 + E(7)^4$	$E(7)^3 + E(7)^5 + E(7)^6$. ,	$E(7) + E(7)^2 + E(7)^4 E(7)^4$	$E(7)^3 + E(7)^5 + E(7)^6$	-3 1 0 0	0 0 0	0 0 0		$0 \mid 0 0 0$) 0
$\chi_{23} \mid 27$	-1	-1		-1	-1	$3 -1 2 \mid 0$	$0 \mid 0 \mid 0$	0 0 0		$0 \mid 0 = 0 = 0$) 0
-	1	1	$3 3 -1 \mid 99$	1	1	$3 3 -1 \mid 0$	0 0 0	0 0 0	0 0 0 0 0	0 0 0 0) 0
	-3	-3	$-9 3 -3 \mid 0$	0	0	0 0 0 3 -	$-3 \mid 0 = 0$	0 0 0		0 0 0 0) 0
$\chi_{23} \mid 45$	3	3	9 3 0 0	0	0	0 0 0 3	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	0 0 0	0 0 0 0 0	0 0 0 0) 0
$\chi_{23} 63$	0	0	3 -3 3 0	0	0	0 0 0 0	$0 \mid 6 \mid 0$	0 0 -6		0 0 0 0) 0
$\chi_{23} \mid 207$	-3	-3	$-9 3 -3 \mid 0$	0	0	0 0 0 0	$0 \mid 3 -3$	3 -3 3		0 0 0 0) 0
	3	3	-3 -3 0 0	0	0	0 0 0 0	$0 \mid 3 - 3 - $	-3 3 3		0 0 0 0) 0
$\chi_{23} \mid 45$	3	3	9 3 0 0	0	0	0 0 0 0	$0 \mid 3 3$	3 3 3		0 0 0 0) 0
χ_{23} 18	-3	-3	6 0 3 0	0	0	0 0 0 0	0 3 3 -	-3 -3 3	0 0 0 0 0	0 0 0 0) 0
$\chi_{23} 69$	-1	-1	$-3 1 -1 \mid 69$	-1	-1	-3 1 -1 3 -	$-1 \mid 0 = 0$	0 0 0	$\begin{vmatrix} 3 & -1 & 0 & 0 & 0 \end{vmatrix}$	$0 \mid 0 = 0 = 0$) 0
	1	1	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	1	1	3 1 0 3	1 0 0	0 0 0	3 1 0 0 0	0 0 0 0) 0
χ_{23} 6	-1	-1	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	-1	-1	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	0 3 1	-1 -1 -1	$\begin{array}{ c c c c c c c c c c c c c c c c c c c$	$-1 \mid 0 \qquad 0 \qquad 0$) 0
$\chi_{23} 15$	1	1	$-1 -1 0 \ 15$	1	1	-1 -1 0 0	$0 \mid 3 -1 -$	-1 1 -1	$\begin{array}{ c c c c c c c c c c c c c c c c c c c$	$1 \mid 0 0 0$) 0
$\chi_{23} 69$	-1	-1	$-3 1 -1 \mid 69$	-1	-1	-3 1 -1 0	$0 \mid 3 -1$	3 -1 3	$\begin{array}{ c c c c c c c c c c c c c c c c c c c$	$-1 \mid 0 \qquad 0 \qquad 0$) 0
$\chi_{23} 15$	1	1	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	1	1	3 1 0 0	0 3 1	3 1 3	0 0 3 1 3	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$) 0
$\chi_{23} \mid 1$	1	1	$1 1 1 \boxed{1}$	1	1	$1 1 1 \boxed{1}$	1 1 1	1 1 1	1 1 1 1 1	$1 \mid 1 1 \overline{}$. 1
$\chi_{23} \mid 28$	0	0	$4 0 -2 \mid 28$	0	0	$4 0 -2 \mid 1$	1 1 1	1 1 1		$1 \mid 1 -1 1$	1 -1
-			()			-2 0 0 1 -	$-1 \mid 1 -1$	1 -1 1	1 -1 1 -1 1	$-1 \mid 1 - E(4) - E(4)$	-1 E(4)
$\chi_{23} \mid 10$	$E(7) + E(7)^2 + E(7)^4$	$E(7)^3 + E(7)^5 + E(7)^6$	-2 0 0 10 E(7)	$E(7) + E(7)^2 + E(7)^4 E(7)^4$	$E(7)^3 + E(7)^5 + E(7)^6$	-2 0 0 1 -	-1 1 -1	1 -1 1	1 -1 1 -1 1	$-1 \mid 1 E(4) -1 \mid 1 E(4$	-1 - E(4)
	1a \(\chi_2\)3 108 \(\chi_2\)3 135 3 \(\chi_2\)3 135 3 \(\chi_2\)3 135 3 \(\chi_2\)3 189 \(\chi_2\)3 36 \(\chi_2\)3 45 \(\chi_2\)3 27 \(\chi_2\)3 207 \(\chi_2\)3 45 \(\chi_2\)3 15 \(\chi_2\)3 1 \(\chi_2\)3 1 \(\chi_2\)3 10 \(\chi_2\)3 10	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$\begin{array}{c} \chi_{23} \\ 108 \\ \chi_{23} \\ 135 \\ 3*E(7)^3 + 3*E(7)^5 + 3*E(7)^6 \\ 3*E(7)^3 + 3*E(7)^5 + 3*E(7)^6 \\ 3*E(7)^3 + 3*E(7)^5 + 3*E(7)^6 \\ 3*E(7)^3 + 3*E(7)^5 + 3*E(7)^4 \\ 3*E(7)^3 + 3*E(7)^5 + 3*E(7)^6 \\ 3*E(7)^3 + 3*E(7)^3 + 3*E(7)^4 \\ 3*E(7)^3 + 3*E(7)^5 + 3*E(7)^6 \\ 3*E(7)^3 + 3*E(7)^3 + 3*E(7)^4 \\ 3*E(7)^3 + 3*E(7)^5 + 3*E(7)^6 \\ 3*E(7)^3 + 3*E(7)^4 \\ 3*E(7)^3 + 2(7)^4 \\ 3*E(7)^3 + 2(7)^4 \\ 3*E(7)^4 + 2(7)^4 + 2(7)^4 \\ 3*E(7)^4 + 2(7)^4 \\ 3*E(7)^4 + 2(7)^4 + 2(7)^4 + 2(7)^4 \\ 3*E(7)^4 + 2(7)^4 + 2(7)^4 + 2(7)^4 + 2(7)^4 + 2(7)^4 + 2(7)^4 + 2(7)^4 + 2(7)^4 + 2(7)^4 + 2(7)^4 + 2(7)^4 + 2($	$\begin{array}{c} \chi_{23} \\ \chi_{24} \\ \chi_{24} \\ \chi_{24} \\ \chi_{25} \\ \chi_{25$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$

- $P_2 = Group([(1,40,33)(2,24,36)(3,30,44)(4,35,19)(5,26,17)(6,27,22)(7,11,25)(8,38,31)(9,15,37)(10,42,43)(12,18,13)(14,29,34)(16,20,21)(23,41,45)(28,39,32)]) \cong \mathbf{C3}$
- $P_3 = Group([(1,33,40)(2,34,17)(3,23,20)(4,10,6)(5,24,14)(7,8,12)(9,15,37)(11,38,18)(13,25,31)(16,44,45)(19,43,22)(21,30,41)(26,36,29)(27,35,42)]) \cong \mathbf{C3}$
- $P_4 = Group([(1, 15, 32)(2, 26, 34)(3, 6, 11)(4, 31, 45)(5, 29, 36)(7, 44, 22)(8, 23, 35)(9, 39, 33)(10, 12, 21)(13, 20, 43)(14, 24, 17)(16, 42, 18)(19, 38, 41)(25, 30, 27)(28, 40, 37)]) \cong \mathbf{C3}$
- $P_5 = Group([(1,40,33)(2,24,36)(3,30,44)(4,35,19)(5,26,17)(6,27,22)(7,11,25)(8,38,31)(9,15,37)(10,42,43)(12,18,13)(14,29,34)(16,20,21)(23,41,45)(28,39,32), (1,33,40)(2,34,17)(3,23,20)(4,10,6)(5,24,14)(7,8,12)(9,15,37)(11,38,18)(13,25,31)(16,44,45)(19,43,22)(21,30,41)(26,36,29)(27,35,42)]) \\ \cong C3 \times C3$
- $P_6 = Group([(1,40,33)(2,24,36)(3,30,44)(4,35,19)(5,26,17)(6,27,22)(7,11,25)(8,38,31)(9,15,37)(10,42,43)(12,18,13)(14,29,34)(16,20,21)(23,41,45)(28,39,32), (1,15,32)(2,26,34)(3,6,11)(4,31,45)(5,29,36)(7,44,22)(8,23,35)(9,39,33)(10,12,21)(13,20,43)(14,24,17)(16,42,18)(19,38,41)(25,30,27)(28,40,37)]) \cong C3 \times C3$ $P_7 = Group([(1,40,33)(2,24,36)(3,30,44)(4,35,19)(5,26,17)(6,27,22)(7,11,25)(8,38,31)(9,15,37)(10,42,43)(12,18,13)(14,29,34)(16,20,21)(23,41,45)(28,39,32), (1,33,40)(2,34,17)(3,23,20)(4,10,6)(5,24,14)(7,8,12)(9,15,37)(10,42,43)(12,18,13)(14,29,34)(16,20,21)(23,41,45)(28,39,32), (1,33,40)(2,34,17)(3,23,20)(4,10,6)(5,24,14)(7,8,12)(9,15,37)(10,42,43)(12,18,13)(14,29,34)(16,20,21)(23,41,45)(28,39,32), (1,33,40)(2,34,17)(3,23,20)(4,10,6)(5,24,14)(7,8,12)(9,15,37)(10,42,43)(12,18,13)(14,29,34)(16,20,21)(23,41,45)(28,39,32), (1,33,40)(2,34,17)(3,23,20)(4,10,6)(5,24,14)(7,8,12)(9,15,37)(10,42,43)(12,18,13)(14,29,34)(16,20,21)(23,41,45)(28,39,32), (1,33,40)(2,34,17)(3,23,20)(4,10,6)(5,24,14)(7,8,12)(9,15,37)(10,42,43)(12,18,13)(14,29,34)(16,20,21)(23,41,45)(28,39,32), (1,33,40)(2,34,17)(3,23,20)(4,10,6)(5,24,14)(7,8,12)(9,15,37)(10,42,43)(12,18,13)(14,29,34)(16,20,21)(23,41,45)(28,39,32), (1,33,40)(2,34,17)(3,23,20)(4,10,6)(23,41,45)(28,39,32), (1,33,40)(23,41,45)(28,39,32), (1,33,40)(23,41,45)(28,39,32), (1,33,40)(23,41,45)(28,39,32), (1,33,40)(23,41,45)(28,39,32), (1,33,40)(23,41,45)(28,39,32), (1,33,40)(23,41,45)(28,39,32), (1,33,40)(23,41,45)(28,39,32), (1,33,40)(23,41,45)(28,39,32), (1,33,40)(23,41,45)(28,39,32), (1,33,40)(23,41,45)(28,39,32), (1,33,40)(23,41,45)(28,39,32), (1,33,40)(23,41,45)(28,39,32), (1,33,40)(23,41,45)(28,39,32), (1,33,40)(23,41,45)(28,39,32), (1,33,40)(23,41,45)(28,39,32), (1,33,40)(23,41,45)(28,39,32), (1,33,40)(23,41,45)(28,39,32), (1,33,40)(23,41,45)(28,39,32), (1,33,40)(23,41,45)(28,39,32), (1,33,40)(23,41,45)(28,39,32), (1,33,40)(23,41,45)(28,39,32), (1,33,40)(23,41,45)(28,39,32), (1,33,40)(23,41,45)(28,39,32), (1,33,40)(23,41,45)(28,39,32), (1,33,40)(23,41,45)(28,39,32), (1,33,40)(23,41,45)(28,41,45)(28,41,45)(28,41,45)(28,41,45)(28,41,45)(28,41,45)(28,41,45)(28,41,45)(28,41,45)(28,41,45)(28,41,45)(28,41,45)(28,41,45)(28,41,45)(28,41,45)(28,41,45)(28,41,45)(28,41,45)(28,41,45)(28,41,45)(28,41,45)(28,41,45)(28,41,45)(28,41,45)(28,41,45)(28,41,45)(28,41,45)(28,41,45)(28,41,45)(28,41,45$
- $N_1 = Group([(1,2,4)(3,8,10)(5,13,11)(6,15,16)(7,17,18)(9,21,22)(12,25,26)(14,28,23)(19,33,36)(20,27,37)(24,35,40)(29,39,41)(30,38,42)(31,43,44)(32,45,34),(1,3,9,14,5)(2,6,13,19,7)(4,11,24,27,12)(8,10,23,28,20)(15,29,26,40,30)(16,31,43,45,32)(17,33,44,37,34)(18,35,25,36,22)(21,38,42,41,39)]) \cong C3 . A7 \\ + C_1 + C_2 + C_3 + C_3$

- $N_4 = Group([(1,15,32)(2,26,34)(3,6,11)(4,31,45)(5,29,36)(7,44)(17,32)(2,26,34)(3,6,11)(4,31,45)(5,29,36)(7,44)(17,32)(2,25)(4,38,23)(6,7,30)(8,45,19)(10,34)(12,26)(13,20,43)(14,24)(15,32)(2,31)(25,41)(27,38)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(29,43)(2$
- $N_5 = Group([(2,14,26)(3,41,16)(4,42,22)(5,36,34)(6,35,43)(7,38,13)(8,18,25)(9,37,15)(10,27,19)(11,31,12)(17,24,29)(20,30,45)(21,44,23)(28,39,32), \\ (1,40,33)(2,24,36)(3,30,44)(4,35,19)(5,26,17)(6,27,22)(7,11,25)(8,38,31)(9,15,37)(10,42,43)(28,39,32), \\ (1,40,33)(2,24,36)(3,30,44)(4,35,19)(5,26,17)(6,27,22)(7,11,25)(8,38,31)(9,15,37)(10,42,43)(28,39,32), \\ (1,40,33)(2,24,36)(3,30,44)(4,35,19)(5,26,17)(6,27,22)(7,11,25)(8,38,31)(9,15,37)(10,42,43)(28,39,32), \\ (1,40,33)(2,24,36)(3,30,44)(4,35,19)(5,26,17)(6,20,31)(7,43,23)(8,27,21)(10,41,11)(13,19,30)(14,44,22)(5,38,31)(9,15,37)(10,42,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)(12,43)($
- (C2, C3) = (C2, C3) = (C2, C3) = (C2, C3) = (C3, C3)
- $N_7 = Group([(1,15,32)(2,26,34)(3,6,11)(4,24,22)(5,36,34)(6,27,22)(7,11,25)(8,38,31)(9,15,37)(10,42,43)(12,18,13)(14,29,34)(16,20,21)(23,41,45)(28,39,32), (1,5,9,14)(2,39)(4,16,12,45)(6,38,7,42)(8,25,10,22)(11,31,22)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)(12,39)($