The group G is isomorphic to the group labelled by [60, 9] in the Small Groups library. Ordinary character table of $G \cong C5 \times A4$:

Normalisers N_i		N_1				N_2			
p-subgroups of G up to conjugacy in G		P_1			P_2				
Representatives $n_j \in N_i$	1 <i>a</i>	3a	2a	3b	1 <i>a</i>	3a	2a	3b	
$1 \cdot \chi_1 + 1 \cdot \chi_2 + 1 \cdot \chi_3 + 1 \cdot \chi_4 + 1 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10} + 0 \cdot \chi_{11} + 0 \cdot \chi_{12} + 0 \cdot \chi_{13} + 0 \cdot \chi_{14} + 0 \cdot \chi_{15} + 0 \cdot \chi_{16} + 0 \cdot \chi_{17} + 0 \cdot \chi_{18} + 0 \cdot \chi_{19} + 0 \cdot \chi_{20}$	5	5	5	5	0	0	0	0	
	5	5 * E(3)	5	$5 * E(3)^2$	0	0	0	0	
$ 0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 1 \cdot \chi_6 + 0 \cdot \chi_7 + 1 \cdot \chi_8 + 1 \cdot \chi_9 + 1 \cdot \chi_{10} + 1 \cdot \chi_{11} + 0 \cdot \chi_{12} + 0 \cdot \chi_{13} + 0 \cdot \chi_{14} + 0 \cdot \chi_{15} + 0 \cdot \chi_{16} + 0 \cdot \chi_{17} + 0 \cdot \chi_{18} + 0 \cdot \chi_{19} + 0 \cdot \chi_{20} $	5	$5 * E(3)^2$	5	5 * E(3)	0	0	0	0	
$ \begin{array}{ c c c c c c c c c c c c c c c c c c c$	15	0	-5	0	0	0	0	0	
$1 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10} + 0 \cdot \chi_{11} + 0 \cdot \chi_{12} + 0 \cdot \chi_{13} + 0 \cdot \chi_{14} + 0 \cdot \chi_{15} + 0 \cdot \chi_{16} + 0 \cdot \chi_{17} + 0 \cdot \chi_{18} + 0 \cdot \chi_{19} + 0 \cdot \chi_{20}$	1	1	1	1	1	1	1	1	
$ 0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 1 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10} + 0 \cdot \chi_{11} + 0 \cdot \chi_{12} + 0 \cdot \chi_{13} + 0 \cdot \chi_{14} + 0 \cdot \chi_{15} + 0 \cdot \chi_{16} + 0 \cdot \chi_{17} + 0 \cdot \chi_{18} + 0 \cdot \chi_{19} + 0 \cdot \chi_{20} $	1	E(3)	1	$E(3)^{2}$	1	E(3)	1	$E(3)^{2}$	
$0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 1 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10} + 0 \cdot \chi_{11} + 0 \cdot \chi_{12} + 0 \cdot \chi_{13} + 0 \cdot \chi_{14} + 0 \cdot \chi_{15} + 0 \cdot \chi_{16} + 0 \cdot \chi_{17} + 0 \cdot \chi_{18} + 0 \cdot \chi_{19} + 0 \cdot \chi_{20}$	1	$E(3)^{2}$	1	E(3)	1	$E(3)^{2}$	1	E(3)	
	3	0	-1	0	3	0	-1	0	

 $P_2 = Group([(1,3,10,21,33)(2,7,17,29,41)(4,11,22,34,45)(5,12,23,35,46)(6,14,25,37,48)(8,18,30,42,52)(9,19,31,43,53)(13,24,36,47,55)(15,26,38,49,56)(16,27,39,50,57)(20,32,44,54,59)(28,40,51,58,60)]) \cong C5$

Trivial source character table of $G \cong C5 \times A4$ at p = 5

 $N_1 = Group([(1,2,3)(3,4)(23,36)(25,38)(27,40)(29,42)(31,44)(33,45)(35,47)(37,49)(39,51)(41,52)(43,54)(42,50)(13,24)(43,53)(13,24,36,47)(37,49)(39,51)(41,52)(43,54)(43,53)(21,34)(23,36)(25,38)(27,40)(29,42)(31,44)(33,45)(35,47)(37,49)(39,51)(41,52)(43,54)(43,53)(42,54)(43,53)(42,54)(43,53)(42,54)(43,53)(42,54)(43,53)(42,54)(43,53)(42,54)(43,53)(42,54)(43,$ $N_2 = Group([(1,3,10,21,33)(2,7,17,29,41)(4,11,22,34,45)(5,12,23,35,46)(6,14,25,37,48)(31,44)(33,45)(35,47,45)(15,23,35,46)(6,14,25,37,48)(31,44)(33,45)(35,47)(37,49)(39,51)(41,52)(43,54)(43,53)(13,24,36,47,55)(15,26,38,49,56)(16,27,39,50,57)(20,32,44,54,59)(28,40,51,58,60), (1,2,6)(3,7,14)(4,9,28)(5,20,15)(6,15)(7,18)(9,20)(10,22)(12,24)(14,26)(16,28)(17,30)(19,32)(21,34)(23,36)(25,38)(27,40)(29,42)(31,44)(33,45)(35,47)(37,49)(39,51)(41,52)(43,54)(46,55)(48,56)(50,58)(57,55), (1,4)(2,8)(3,11)(5,13)(6,15)(7,18)(9,20)(10,22)(12,24)(14,26)(16,28)(17,30)(19,32)(21,34)(23,36)(25,38)(27,40)(29,42)(31,44)(33,45)(35,47)(37,49)(39,51)(41,52)(43,54)(46,55)(48,56)(50,58)(57,56)(57$