The group G is isomorphic to the group labelled by [42, 2] in the Small Groups library. Ordinary character table of $G \cong C2 \times (C7 : C3)$:

	1a	2a	7a	14a	7b	14b	3a	6a	3b	6b
χ_1	1	1	1	1	1	1	1	1	1	1
χ_2	1	1	1	1	1	1	E(3)	E(3)	$E(3)^{2}$	$E(3)^{2}$
χ_3	1	1	1	1	1	1	$E(3)^{2}$	$E(3)^{2}$	E(3)	E(3)
χ_4	3	3	$E(7) + E(7)^2 + E(7)^4$	$E(7) + E(7)^2 + E(7)^4$	$E(7)^3 + E(7)^5 + E(7)^6$	$E(7)^3 + E(7)^5 + E(7)^6$	0	0	0	0
χ_5	3	3	$E(7)^3 + E(7)^5 + E(7)^6$	$E(7)^3 + E(7)^5 + E(7)^6$	$E(7) + E(7)^2 + E(7)^4$	$E(7) + E(7)^2 + E(7)^4$	0	0	0	0
χ_6	1	-1	1	-1	1	-1	1	-1	1	-1
χ_7	1	-1	1	-1	1	-1	E(3)	-E(3)	$E(3)^{2}$	$-E(3)^2$
χ_8	1	-1	1	-1	1	-1	$E(3)^{2}$	$-E(3)^2$	E(3)	-E(3)
χ_9	3	-3	$E(7) + E(7)^2 + E(7)^4$			$-E(7)^3 - E(7)^5 - E(7)^6$	0	0	0	0
χ_{10}	3	-3	$E(7)^3 + E(7)^5 + E(7)^6$	$-E(7)^3 - E(7)^5 - E(7)^6$	$E(7) + E(7)^2 + E(7)^4$	$-E(7) - E(7)^2 - E(7)^4$	0	0	0	0

Trivial source character table of $G \cong C2 \times (C7 : C3)$ at p = 2:

Normalisers N_i	N_1				N_2					
p-subgroups of G up to conjugacy in G	P_1				P_2					
Representatives $n_j \in N_i$	1 <i>a</i>	3a	7a	3b	7b	1a	3a	7b	3b	7a
$1 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 1 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10}$	2	2	2	2	2	0	0	0	0	0
$0 \cdot \chi_1 + 1 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 1 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10}$	2	2 * E(3)	2	$2 * E(3)^2$	2	0	0	0	0	0
$0 \cdot \chi_1 + 0 \cdot \chi_2 + 1 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 1 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10}$	2	$2 * E(3)^2$	2	2 * E(3)	2	0	0	0	0	0
$0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 1 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 1 \cdot \chi_9 + 0 \cdot \chi_{10}$	6	0	$2 * E(7) + 2 * E(7)^{2} + 2 * E(7)^{4}$	0	$2 * E(7)^3 + 2 * E(7)^5 + 2 * E(7)^6$	0	0	0	0	0
$0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 1 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 1 \cdot \chi_{10}$	6	0	$2 * E(7)^3 + 2 * E(7)^5 + 2 * E(7)^6$	0	$2 * E(7) + 2 * E(7)^2 + 2 * E(7)^4$	0	0	0	0	0
$1 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10}$	1	1	1	1	1	1	1	1	1	1
$0 \cdot \chi_1 + 1 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10}$	1	E(3)	1	$E(3)^{2}$	1	1	E(3)	1	$E(3)^{2}$	1
$0 \cdot \chi_1 + 0 \cdot \chi_2 + 1 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10}$	1	$E(3)^{2}$	1	E(3)	1	1	$E(3)^{2}$	1	E(3)	1
$0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 1 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10}$		0	$E(7)^3 + E(7)^5 + E(7)^6$	0	$E(7) + E(7)^2 + E(7)^4$	3	0	$E(7) + E(7)^2 + E(7)^4$	0	$E(7)^3 + E(7)^5 + E(7)^6$
$0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 1 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7 + 0 \cdot \chi_8 + 0 \cdot \chi_9 + 0 \cdot \chi_{10}$		0	$E(7) + E(7)^2 + E(7)^4$	0	$E(7)^3 + E(7)^5 + E(7)^6$	3	0	$E(7)^3 + E(7)^5 + E(7)^6$	0	$E(7) + E(7)^2 + E(7)^4$

 $P_1 = Group([()]) \cong 1$ $P_2 = Group([(1,2)(3,5)(4,6)(7,10)(8,11)(9,12)(13,16)(14,17)(15,18)(19,22)(20,23)(21,24)(25,28)(26,29)(27,30)(31,34)(32,35)(33,36)(37,39)(38,40)(41,42)]) \cong C2$

 $N_1 = Group([(1,2)(3,5)(4,6)(7,10)(8,11)(9,12)(13,16)(14,17)(15,18)(19,22)(20,23)(21,24)(25,28)(26,29)(27,30)(31,34)(32,35)(33,36)(37,39)(38,40)(41,42), (1,3,7)(2,5,10)(4,14,31)(6,17,34)(8,19,21)(9,26,13)(11,22,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,33,32)(28,36,35), (1,4,9,15,21,27,33)(2,6,12,18,24,30,36)(37,39)(38,40)(41,42), (1,3,7)(2,5,10)(4,14,31)(6,17,34)(8,19,21)(9,26,13)(11,22,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,38,36)(37,39)(38,40)(41,42), (1,3,7)(2,5,10)(4,14,31)(6,17,34)(8,19,21)(9,26,13)(11,22,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,38,36)(37,39)(38,40)(41,42), (1,3,7)(2,5,10)(4,14,31)(6,17,34)(8,19,21)(9,26,13)(11,22,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,38,36)(37,39)(38,40)(41,42), (1,3,7)(2,5,10)(4,14,31)(6,17,34)(8,19,21)(9,26,13)(11,22,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,38,36)(37,39)(38,40)(41,42), (1,3,7)(2,5,10)(4,14,31)(6,17,34)(8,19,21)(9,26,13)(11,22,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,38,36)(37,39)(38,40)(41,42), (1,3,7)(2,5,10)(4,14,31)(6,17,34)(8,19,21)(9,26,13)(11,22,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,38,36)(37,39)(38,40)(41,42), (1,3,7)(2,5,10)(4,14,31)(6,17,34)(8,19,21)(9,26,13)(11,22,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(25,38,36)(37,39)(38,40)(41,42), (1,3,7)(2,5,10)(4,14,31)(6,17,34)(8,19,21)(13,16,12,24)(12,29,16)(15,38,37)(18,40,39)(20,41,27)(23,42,30)(23,43,36)(37,39)(38,40)(41,42), (1,3,7)(23,42,30)(23,43,36)(37,39)(38,40)(41,42), (1,3,7)(23,42,30)(23,43,36)(37,39)(38,40)(41,42), (1,3,7)(23,42,30)(23,43,36)(37,39)(38,40)(41,42), (1,3,7)(23,42,30)(23,43,36)(37,39)(38,40)(41,42), (1,3,7)(23,42,30)(23,43,36)(37,39)(38,40)(41,42), (1,3,7)(23,42,30)(23,42,30)(23,43,36)(37,39)(38,40)(41,42), (1,3,7)(23,42,30)(23,42,30)(23,43,36)(37,39)(38,40)(41,42), (1,3,7)(23,42,30)(23,42,30)(23,43,36)(37,39)(38,40)(41,42), (1,3,7)(23,42,30)(23,42,30)(23,42,30)(23,42,30)(23,42,30)(23,42,30)(23,42,30)(23,42,30)(23,42,30)(23,42,30)(23,42,30)(23$