The group G is isomorphic to the group labelled by [52, 3] in the Small Groups library. Ordinary character table of $G \cong C13 : C4$:

		1a	13a	13b	13c	4a	2a 4b
		χ_1 1	1	1	1	1	1 1
		χ_2 1	1	1	1	E(4)	-1 - E(4)
		χ_3 1	1	1	1	-1	1 -1
		χ_4 1	1	1	1	-E(4)	-1 $E(4)$
		χ_5 4	$E(13) + E(13)^5 + E(13)^8 + E(13)^{12}$	$E(13)^2 + E(13)^3 + E(13)^{10} + E(13)^{11}$	$E(13)^4 + E(13)^6 + E(13)^7 + E(13)^9$	0	0 0
		χ_6 4	$E(13)^2 + E(13)^3 + E(13)^{10} + E(13)^{11}$	$E(13)^4 + E(13)^6 + E(13)^7 + E(13)^9$	$E(13) + E(13)^5 + E(13)^8 + E(13)^{12}$	0	0 0
		χ_7 4	$E(13)^4 + E(13)^6 + E(13)^7 + E(13)^9$	$E(13)^{2} + E(13)^{3} + E(13)^{10} + E(13)^{11}$ $E(13)^{4} + E(13)^{6} + E(13)^{7} + E(13)^{9}$ $E(13) + E(13)^{5} + E(13)^{8} + E(13)^{12}$	$E(13)^2 + E(13)^3 + E(13)^{10} + E(13)^{11}$	0	0 0
N_1 N_2 N_3	$\mid N_2 \mid N_3 \mid$						

p-subgroups of G up to conjugacy in G	P_1					
Representatives $n_j \in N_i$	1a	13a	$\overline{13b}$	13c	1a	1a
$1 \cdot \chi_1 + 1 \cdot \chi_2 + 1 \cdot \chi_3 + 1 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_6$	7 4	4	4	4	0	0
$0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 1 \cdot \chi_6$	$_7 \mid 4$	$E(13)^4 + E(13)^6 + E(13)^7 + E(13)^9$	$E(13) + E(13)^5 + E(13)^8 + E(13)^{12}$	$E(13)^2 + E(13)^3 + E(13)^{10} + E(13)^{11}$	0	0
$0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 1 \cdot \chi_6 + 0 \cdot \chi_6$	7 4	$E(13)^2 + E(13)^3 + E(13)^{10} + E(13)^{11}$	$E(13)^4 + E(13)^6 + E(13)^7 + E(13)^9$	$E(13) + E(13)^5 + E(13)^8 + E(13)^{12}$	0	0
$0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 1 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_6$	7 4	$E(13) + E(13)^5 + E(13)^8 + E(13)^{12}$	$E(13)^2 + E(13)^3 + E(13)^{10} + E(13)^{11}$	$E(13)^4 + E(13)^6 + E(13)^7 + E(13)^9$	0	0
$-\chi_1 + 0 \cdot \chi_2 + 1 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_6$	7 2	2	2	2	2	0
$- \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 0 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_6$	7 1	1	1	1	1	1

 $P_1 = Group([()]) \cong 1$ $P_2 = Group([(1,3)(2,5)(4,51)(6,52)(7,48)(8,47)(9,50)(10,49)(11,44)(12,43)(13,46)(14,45)(15,40)(16,39)(17,42)(18,41)(19,36)(20,35)(21,38)(22,37)(23,32)(24,31)(25,34)(26,33)(27,28)(29,30)]) \cong \mathbb{C}_2$ $P_3 = Group([(1,3)(2,5)(4,51)(6,52)(7,48)(8,47)(9,50)(10,49)(11,44)(12,43)(13,46)(14,45)(15,40)(16,39)(17,42)(18,41)(19,36)(20,35)(21,38)(22,37)(23,32)(24,31)(25,34)(26,33)(27,28)(29,30), (1,2,3,5)(4,34,51,25)(6,35,52,20)(7,37,48,22)(8,14,47,45)(9,32,50,23)(10,15,49,40)(11,17,44,42)(12,46,43,13)(16,26,39,33)(18,27,41,28)(19,29,36,30)(21,24,38,31)]) \cong C4$

 $N_1 = Group([(1,2,3,5)(4,34,51,25)(6,35,52,20)(7,37,48,22)(8,14,47,45)(9,32,50,23)(10,15,49,40)(11,17,44,42)(12,46,43,13)(16,26,39,33)(18,27,41,28)(19,29,36,30)(21,24,38,31),\\ (1,3)(2,5)(4,51)(6,52)(7,48)(8,47)(9,50)(10,49)(11,44)(12,43)(13,46)(14,45)(15,40)(16,39)(17,42)(18,41)(19,36)(20,37)(21,38)(22,37)(23,32)(24,31)(25,34)(26,33)(27,28)(29,30),\\ (1,4,8,12,16,20,24,28,32,36,40,44,48)(2,6,10,14,18,22,26,30,34,38,42,46,50)(3,7,11,15,19,23,27,31,35,39,43,47,51)(5,9,13,17,21,25,29,33,37,41,45,49,52)]) \\ = \text{C13}: \text{C4}$ $N_2 = Group([(1,3)(2,5)(4,51)(6,52)(7,48)(8,47)(9,50)(10,49)(11,44)(12,43)(13,46)(14,45)(15,40)(16,39)(17,42)(18,41)(19,36)(20,37)(23,32)(24,31)(25,34)(26,33)(27,28)(29,30), (1,2,3,5)(4,34,51,25)(6,35,52,20)(7,37,48,22)(8,14,47,45)(9,32,50,23)(10,15,49,40)(11,17,44,42)(12,46,43,13)(16,26,39,33)(18,27,41,28)(19,29,36,30)(21,24,38,31)]) \cong C4$ $N_3 = Group([(1,2,3,5)(4,34,51,25)(6,35,52,20)(7,37,48,22)(8,14,47,45)(9,32,50,23)(10,15,49,40)(11,17,44,42)(12,46,43,13)(16,26,39,33)(18,27,41,28)(19,29,36,30)(21,24,38,31),(1,3)(2,37)(23,32)(24,31)(25,34)(26,33)(27,28)(29,30)]) \\ \cong C4$