The group G is isomorphic to the group labelled by [240, 90] in the Small Groups library. Ordinary character table of $G \cong SL(2.5)$: C2:

Trivial source character table of $G \cong SL(2.5)$: C2 at p=2:

	N_1			N_2			N_3		Λ	V_4	N_5	N_6	Λ	V_7	N_8	N_9
	P_1			P_2			P_3		I	P_4	P_5	P_6	F	7	P_8	P_9
1a	3a	5a	1 <i>a</i>	3a	5a	1a	3a	3b	1 <i>a</i>	3a	1a	1a	1a	3a	1a	1 <i>a</i>
48	0	8	0	0	0	0	0	0	0	0	0	0	0	0	0	0
32	-4	2	0	0	0	0	0	0	0	0	0	0	0	0	0	0
16	4	-4	0	0	0	0	0	0	0	0	0	0	0	0	0	0
24	0	4	24	0	4	0	0	0	0	0	0	0	0	0	0	0
16	-2	1	16	-2	1	0	0	0	0	0	0	0	0	0	0	0
8	2	-2	8	2	-2	0	0	0	0	0	0	0	0	0	0	0
24	0	4	0	0	0	2	2	2	0	0	0	0	0	0	0	0
8	2	-2	0	0	0	2	2 * E(3)	$2*E(3)^2$	0	0	0	0	0	0	0	0
8	2	-2	0	0	0	2	$2 * E(3)^2$	2 * E(3)	0	0	0	0	0	0	0	0
12	0	2	12	0	2	2	2	2	2	2	0	0	0	0	0	0
4	1	-1	4	1	-1	2	-1	-1	2	-1	0	0	0	0	0	0
12	0	2	12	0	2	0	0	0	0	0	4	0	0	0	0	0
6	0	1	6	0	1	2	2	2	2	2	2	2	0	0	0	0
2	2	2	2	2	2	0	0	0	0	0	2	0	2	2	0	0
10	-2	0	10	-2	0	0	0	0	0	0	2	0	2	-1	0	0
6	0	1	6	0	1	0	0	0	0	0	2	0	0	0	2	0
1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1
	48 32 16 24 16 8 24 8 8 12 4 12 6 2 10 6	$\begin{array}{c cccc} & P_1 \\ \hline 1a & 3a \\ \hline 48 & 0 \\ 32 & -4 \\ 16 & 4 \\ \hline 24 & 0 \\ 16 & -2 \\ 8 & 2 \\ \hline 24 & 0 \\ 8 & 2 \\ \hline 24 & 0 \\ 8 & 2 \\ \hline 12 & 0 \\ 4 & 1 \\ \hline 12 & 0 \\ 6 & 0 \\ \hline 2 & 2 \\ 10 & -2 \\ \hline 6 & 0 \\ \hline \end{array}$	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$\begin{array}{ c c c c c c c c c c c c c c c c c c c$												

 $P_1 = Group([()]) \cong 1$

 $P_2 = Group([(1,19)(2,13)(3,10)(4,24)(5,7)(6,18)(8,28)(9,26)(11,29)(12,30)(14,37)(15,17)(16,35)(20,38)(21,23)(22,39)(25,33)(27,40)(31,36)(32,34)]) \cong \mathbb{C}_2$

 $P_3 = Group([(2,4)(3,6)(5,7)(8,14)(9,16)(10,18)(11,20)(12,22)(13,24)(15,21)(17,23)(25,33)(26,35)(28,37)(29,38)(30,39)(32,34)]) \cong \mathbb{C}_2$

 $P_4 = Group([(1,19)(2,13)(3,10)(4,24)(5,7)(6,18)(8,28)(9,26)(11,29)(12,30)(14,37)(15,17)(16,35)(20,38)(21,23)(22,39)(25,33)(27,40)(31,36)(32,34), (2,4)(3,6)(5,7)(8,14)(9,16)(10,18)(11,20)(12,22)(13,24)(15,21)(17,23)(25,33)(26,35)(28,37)(29,38)(30,39)(32,34)]) \\ \cong C_2 \times C_2 \times C_3 \times C_3 \times C_4 \times C_4$

 $P_6 = Group([(1,19)(2,13)(3,10)(4,24)(5,7)(6,18)(8,28)(9,26)(11,29)(12,30)(24,38)(27,40)(31,36)(22,39)(25,33)(27,40)(31,36)(23,34)(15,21)(17,23)(25,33)(26,35)(28,37)(29,38)(21,32)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(31,33)(24,28)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25,36)(25$

 $P_7 = Group([(1,19)(2,13)(3,10)(4,24)(5,7)(6,18)(8,29)(2,39)(25,33)(27,40)(31,36)(22,39)(25,33)(27,40)(31,36)(22,39)(25,33)(27,40)(31,36)(22,39)(25,33)(27,40)(31,36)(22,39)(25,33)(27,40)(31,36)(22,39)(25,33)(27,40)(31,36)(22,39)(25,33)(27,40)(31,36)(23,31)(22,39)(25,33)(27,40)(31,36)(23,34)(22,39)(25,33)(27,40)(31,36)(22,39)(25,33)(27,40)(31,36)(22,39)(25,33)(27,40)(31,36)(22,39)(25,33)(27,40)(31,36)(22,39)(25,33)(27,40)(31,36)(22,39)(25,33)(27,40)(31,36)(22,39)(25,33)(27,40)(31,36)(22,39)(25,33)(27,40)(31,36)(22,39)(25,33)(27,40)(31,36)(22,39)(25,33)(27,40)(31,36)(22,39)(25,33)(27,40)(31,36)(22,39)(25,33)(27,40)(31,36)(22,39)(25,33)(27,40)(31,36)(22,39)(25,33)(27,40)(31,36)(22,39)(25,33)(27,40)(31,36)(22,39)(25,33)(27,40)(31,36)(22,39)(25,33)(27,40)(31,36)(22,39)(25,33)(27,40)(31,36)(22,39)(25,33)(27,40)(31,36)(22,39)(25,36)(27,40)(31,36)(27,40)(31,36)(27,40)(31,36)(27,40)(31,36)(27,40)(31,36)(27,40)(31,36)(27,40)(31,36)(27,40)(31,36)(27,40)(31,36)(27,40)(31,36)(27,40)(31,36)(27,40)(31,36)(27,40)(31,36)(27,40)(31,36)(27,40)(31,36)(27,40)(31,36)(27,40)(31,36)(27,40)(31,36)(27,40)(31,36)(27,40)(31,36)(27,40)(31,36)(27,40)(31,36)(27,40)(31,36)(27,40)(31,36)(27,40)(31,36)(27,40)(31,36)(27,40)(31,36)(27,40)(31,36)(32,36)(31,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32,36)(32$

 $P_9 = Group([(1,19)(2,13)(3,10)(4,24)(5,7)(6,18)(8,28)(9,26)(11,29)(12,30)(13,14)(15,17)(16,35)(20,38)(21,33)(22,39)(25,36)(21,33)(22,39)(25,33)(26,35)(28,37)(29,38)(30,39)(32,34), \\ (1,26,19,9)(2,3,13,10)(4,38,24,20)(5,30,12,10)(4,38,24,20)(5,30,12,10)(12,20)(13,24)(15,21)(15,25,17,33)(16,34,35,32)(21,36,23,31)(22,40,39,27)] \\ \cong QD16$

 $N_3 = Group([(2,4)(3,6)(5,7)(8,14)(9,16)(10,18)(11,20)(12,22)(13,24)(15,21)(17,23)(25,33)(26,35)(28,37)(29,38)(21,23)(22,39)(25,33)(26,35)(28,37)(29,38)(21,23)(22,39)(25,33)(26,35)(28,37)(29,38)(21,23)(22,39)(25,33)(26,35)(28,37)(29,38)(21,23)(22,39)(25,33)(26,35)(28,37)(29,38)(21,23)(22,39)(25,33)(26,35)(28,37)(29,38)(21,23)(22,39)(25,33)(26,35)(28,37)(29,38)(21,23)(22,39)(25,33)(26,35)(28,37)(29,38)(21,23)(22,39)(25,33)(26,35)(28,37)(29,38)(21,23)(22,39)(25,33)(26,35)(28,37)(29,38)(21,23)(22,39)(25,33)(26,35)(28,37)(29,38)(21,23)(22,39)(25,33)(26,35)(28,37)(29,38)(21,23)(22,39)(25,33)(26,35)(28,37)(29,38)(21,23)(22,39)(25,33)(26,35)(28,37)(29,38)(21,23)(22,39)(25,33)(26,35)(28,37)(29,38)(21,23)(22,39)(25,33)(26,35)(26,35)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(26,36)(2$

 $N_5 = Group([(1,32,19,34)(2,28,13,8)(3,29,10,11)(4,14,24,37)(5,40,7,27)(6,20,18,38)(9,16,26,35)(22,39)(25,33)(26,35)(28,37)(29,38)(30,39)(21,23)(22,39)(25,33)(27,40)(31,36)(32,34), \\ (1,9,19,26)(21,30,34)(21,31,23,36)(22,27,39,40)] \\ \cong \text{QD16} \quad (3,10,10,12,20)(15,23,17,21)(25,36,33,31)(1,19)(2,13)(3,10)(4,24)(5,7)(6,18)(8,28)(9,26)(11,29)(15,33,17,25)(16,32,35)(21,39,36)(22,27,39,40)] \\ = \text{QD16} \quad (3,10,12,20)(15,23,17,21)(25,36,33,31)(1,19)(2,13)(3,10)(4,24)(5,7)(6,18)(8,28)(9,26)(11,29)(15,33,17,25)(16,32,35)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)(21,31)$

1a 2a 4a 3a 6a 5a 10a 2b

 $\chi_{10} \mid 4 \quad -4 \quad 0 \quad 1 \quad -1 \quad -1 \quad 1 \quad 0 \qquad 0$

 $\chi_{11} \mid 6 \quad -6 \quad 0 \quad 0 \quad 0 \quad 1 \quad -1 \quad 0 \quad E(8) + E(8)^3 \quad -E(8) - E(8)^3$ $\chi_{12} \mid 6 \quad -6 \quad 0 \quad 0 \quad 0 \quad 1 \quad -1 \quad 0 \quad -E(8) - E(8)^3 \quad E(8) + E(8)^3$

 $\chi_2 \mid 1 \quad -1$ $\chi_3 \mid 6 \quad 6 \quad -2 \quad 0 \quad 0 \quad 1 \quad 1 \quad 0$ $\chi_4 \mid 4 \quad 4 \quad 0 \quad 1 \quad 1 \quad -1 \quad -1 \quad 2$ $\chi_5 \mid 4 \quad 4 \quad 0 \quad 1 \quad 1 \quad -1 \quad -1 \quad -2$ $\chi_6 \mid 5 \quad 5 \quad 1 \quad -1 \quad -1 \quad 0 \quad 0 \quad 1$ $\chi_7 \mid 5 \quad 5 \quad 1 \quad -1 \quad -1 \quad 0 \quad 0 \quad -1$ $\chi_8 \mid 4 \quad -4 \quad 0 \quad -2 \quad 2 \quad -1 \quad 1 \quad 0$ $\chi_9 \mid 4 \quad -4 \quad 0 \quad 1 \quad -1 \quad -1 \quad 1 \quad 0$

 $N_8 = Group([(1,35,34,26,19,16,32,9)(2,6,8,38,13,18,28,20)(3,24,11,14,10,4,29,37)(5,39,27,12,7,22,40,30)(15,21,17,23)(25,31,33,36), (1,19)(2,13)(3,10)(4,24)(5,7)(6,18)(8,28)(9,26)(11,29)(25,33)(26,35)(28,37)(29,38)(30,39)(15,21,17,23)(25,31,33,36), (1,19)(2,13)(3,10)(4,24)(5,7)(6,18)(8,28)(9,26)(11,29)(12,30)(15,21,17,23)(25,31,33,36), (1,19)(2,13)(25,31,33,36), (1,19)(2,13)(25,31,33,36), (1,19)(2,13)(25,31,33,36), (1,19)(2,13)(25,31,33,36), (1,19)(2,13)(25,31,33,36), (1,19)(2,13)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,31,33,36), (1,19)(25,3$

 $E(3) - E(3)^2 - E(3) + E(3)^2$

 $-E(3) + E(3)^2$ $E(3) - E(3)^2$

 $N_9 = Group([(1,26,19,9)(2,3,13,10)(4,38,24,20)(5,30)(24,28)(25,36)(31,33)(4,36)(24,28)(25,36)(31,33)(4,36)(24,28)(25,36)(31,33)(4,36)(32,34)(15,21)(17,23)(25,33)(26,35)(28,37)(29,38)(21,36,23,31)(22,40,39,27)(24,38)(31,34)(15,21)(17,23)(25,33)(26,35)(28,37)(29,38)(21,36,23,31)(22,40,39,27)(24,38)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24,36)(24$