#### The Basics of NumPy Arrays

**Data manipulation in Python** is nearly **synonymous** with **NumPy array manipulation.** 

Tools like **Pandas** (Part 3) are built **around the NumPy array.** 

We'll cover a few categories of **basic array manipulations** here:

- Attributes of arrays: Determining the size, shape, memory consumption, and data types of arrays
- **Indexing of arrays**: Getting and setting the values of individual array elements
- **Slicing of arrays**: Getting and setting smaller subarrays within a larger array
- Reshaping of arrays: Changing the shape of a given array

• **Joining and splitting of arrays**: Combining multiple arrays into one, and splitting one array into many

## **NumPy Array Attributes**

First let's discuss some useful array attributes.

We'll start by defining random arrays of one, two, and three dimensions.

We'll use NumPy's random number generator,

which we will **seed** with a value in order to ensure that the **same** random arrays are generated **each time this code is run**:

```
import numpy as np
rng = np.random.default_rng(seed=1701) # seed for reproducibil
x1 = rng.integers(10, size=6) # one-dimensional array
```

```
x2 = rng.integers(10, size=(3, 4)) # two-dimensional array
         x3 = rng.integers(10, size=(3, 4, 5)) # three-dimensional arro
 In [7]: x1
Out[7]: array([9, 4, 0, 3, 8, 6], dtype=int64)
 In [9]: x2
Out[9]: array([[3, 1, 3, 7],
                [4, 0, 2, 3],
                [0, 0, 6, 9]], dtype=int64)
In [11]: x3
```

```
Out[11]: array([[[4, 3, 5, 5, 0],
                  [8, 3, 5, 2, 2]
                  [1, 8, 8, 5, 3],
                  [0, 0, 8, 5, 8]].
                 [[5, 1, 6, 2, 3],
                  [1, 2, 5, 6, 2],
                  [5, 2, 7, 9, 3],
                  [5, 6, 0, 2, 0]],
                 [[2, 9, 4, 3, 9],
                  [9, 2, 2, 4, 0],
                  [0, 3, 0, 0, 2],
                  [3, 2, 7, 4, 7]]], dtype=int64)
```

#### Each array has attributes including

- ndim (the number of dimensions),
- shape (the size of each dimension),
- size (the total size of the array), and
- dtype (the type of each element):

```
In []: print("x3 ndim: ", x3.ndim)
    print("x3 shape:", x3.shape)
    print("x3 size: ", x3.size)
    print("dtype: ", x3.dtype)

x3 ndim: 3
    x3 shape: (3, 4, 5)
    x3 size: 60
    dtype: int64
```

## **Array Indexing: Accessing Single Elements**

If you are familiar with **Python's standard list indexing**, indexing in **NumPy** will feel quite **familiar**.

In a one-dimensional array, the **ith value** (counting from zero) can be accessed by specifying the **desired index in square brackets,** just as with Python lists:

```
In [23]: x1
```

```
Out[23]: array([9, 4, 0, 3, 8, 6], dtype=int64)
In [25]: x1[0]
Out[25]: 9
In [27]: x1[4]
Out[27]: 8
         To index from the end of the array, you can use negative indices:
In [30]: x1[-1]
Out[30]: 6
In [ ]: x1[-2]
Out[]: 8
```

In a multidimensional array, items can be accessed using a comma-separated (row, column) tuple:

```
In [ ]: x2
Out[]: array([[3, 1, 3, 7],
               [4, 0, 2, 3],
               [0, 0, 6, 9]])
In [ ]: x2[0, 0]
Out[]: 3
In []: x2[2, 0]
Out[]: 0
In [ ]: x2[2, -1]
Out[]: 9
```

**Values** can also be **modified** using any of the **index notation**:

Keep in mind that, **unlike Python lists**, NumPy **arrays** have a **fixed type.** 

This means, for example, that if you attempt to insert a floating-point value into an integer array, the value will be silently truncated.

```
In [ ]: x1[0] = 3.14159 # this will be truncated!
x1
Out[ ]: array([3, 4, 0, 3, 8, 6])
```

## **Array Slicing: Accessing Subarrays**

Just as we can use square brackets to **access individual array elements,** we can also use them to **access subarrays** with the **slice** notation, marked by the **colon (:) character.** 

The NumPy slicing syntax **follows that of the standard Python list;** to access a slice of an array x, use this:

```
x[start:stop:step]
```

If any of these are **unspecified**, they **default** to the values start=0, stop=<size of dimension>, step=1.

# **One-Dimensional Subarrays**

Here are **some examples** of **accessing elements** in one-dimensional subarrays:

```
In [ ]: x1
Out[]: array([3, 4, 0, 3, 8, 6])
In [ ]: x1[:3] # first three elements
Out[]: array([3, 4, 0])
In [ ]: x1[3:] # elements after index 3
Out[]: array([3, 8, 6])
In [ ]: x1[1:4] # middle subarray
Out[]: array([4, 0, 3])
In [ ]: x1[::2] # every second element
Out[]: array([3, 0, 8])
```

```
In [ ]: x1[1::2] # every second element, starting at index 1
Out[]: array([4, 3, 6])
         A potentially confusing case is when the step value is negative.
         In this case, the defaults for start and stop are swapped.
         This becomes a convenient way to reverse an array:
In [ ]: x1
Out[]: array([9, 4, 0, 3, 8, 6])
In [49]: x1[::-1] # all elements, reversed
Out[49]: array([6, 8, 3, 0, 4, 9], dtype=int64)
In []: x1[4::-2] # every second element from index 4, reversed
```

```
Out[]: array([8, 0, 9])
In [70]: x1
Out[70]: array([9, 4, 0, 3, 8, 6], dtype=int64)
In [68]: x1[4:2:-1] # no defults here
Out[68]: array([8, 3], dtype=int64)
```

### **Multidimensional Subarrays**

**Multidimensional slices** work in the **same way**, with multiple slices separated by **commas**.

#### For example:

```
In [ ]: x2
```

```
Out[]: array([[3, 1, 3, 7],
               [4, 0, 2, 3],
               [0, 0, 6, 9]])
In []: x2[:2, :3] # first two rows & three columns
Out[]: array([[3, 1, 3],
               [4, 0, 2]])
In []: x2[:3, ::2] # three rows, every second column
Out[]: array([[3, 3],
               [4, 2],
               [0, 6]])
In [ ]: x2[::-1, ::-1] # all rows & columns, reversed
Out[]: array([[9, 6, 0, 0],
               [3, 2, 0, 4],
               [7, 3, 1, 3]])
```

## Accessing array rows and columns

One commonly needed routine is accessing single rows or columns of an array.

This can be done by **combining indexing and slicing**, using an **empty slice** marked by a **single colon** (:):

```
In [ ]: x2
Out[]: array([[3, 1, 3, 7],
               [4, 0, 2, 3],
               [0, 0, 6, 9]])
In []: x2[:, 0] # first column of x2
Out[]: array([3, 4, 0])
In []: x2[0, :] # first row of x2
Out[]: array([3, 1, 3, 7])
```

In the case of row access, the **empty slice can be omitted** for a more **compact syntax:** 

```
In [ ]: x2[0] # equivalent to x2[0, :]
Out[ ]: array([12, 1, 3, 7])
```

## **Subarrays as No-Copy Views**

**Unlike Python** list slices, **NumPy array slices** are returned as **views** rather than **copies** of the array data.

Consider our two-dimensional array from before:

```
In [74]: print(x2)
    [[3 1 3 7]
      [4 0 2 3]
      [0 0 6 9]]
```

Let's extract a  $2 \times 2$  subarray from this:

```
In [76]: x2 sub = x2[:2, :2]
         print(x2 sub)
        [[3 1]
         [4 0]]
         Now if we modify this subarray, we'll see that the original array is
         changed! Observe:
In [78]: x2 sub[0, 0] = 99
         print(x2 sub)
        [[99 1]
         [ 4 0]]
In [80]: print(x2)
        [[99 1 3 7]
         [ 4 0 2 3]
         [0 0 6 9]]
```

Some users may find this surprising, but it can be advantageous.

For example, when working with large datasets, we can access and process pieces of these datasets without the need to copy the underlying data buffer.

# **Creating Copies of Arrays**

Despite the nice features of array views, it is sometimes useful to instead **explicitly copy the data** within an array or a subarray.

This can be most easily done with the **copy method:** 

```
In [82]: x2_sub_copy = x2[:2, :2].copy()
print(x2_sub_copy)

[[99  1]
  [ 4  0]]
```

If we now modify this subarray, the original array is not touched:

```
In [84]: x2_sub_copy[0, 0] = 42
print(x2_sub_copy)

[[42  1]
  [ 4  0]]

In [86]: print(x2)

[[99  1  3  7]
  [ 4  0  2  3]
  [ 0  0  6  9]]
```

# **Reshaping of Arrays**

Another useful type of operation is **reshaping of arrays**, which can be done with the **reshape method**.

For **example,** if you want to put the numbers 1 through 9 in a  $3 \times 3$  grid, you can do the following:

```
In [ ]: np.arange(1, 10)
Out[ ]: array([1, 2, 3, 4, 5, 6, 7, 8, 9])
In [ ]: grid = np.arange(1, 10).reshape(3, 3)
    print(grid)

    [[1 2 3]
      [4 5 6]
      [7 8 9]]
```

Note that for this **to work**, the **size of the initial array** must **match** the **size of the reshaped array**.

In most cases the **reshape method** will **return a no-copy view** of the initial array.

A common reshaping operation is converting a one-dimensional array into a two-dimensional row or column matrix:

```
In []: x = np.array([1, 2, 3])
        x.reshape((1, 3)) # row vector via reshape
Out[]: array([[1, 2, 3]])
In [ ]: x.reshape((3, 1)) # column vector via reshape
Out[]: array([[1],
                [2],
                [3]])
        A convenient shorthand for this is to use np.newaxis in the
        slicing syntax:
In [ ]: x[np.newaxis, :] # row vector via newaxis
Out[]: array([[1, 2, 3]])
In [ ]: x[:, np.newaxis] # column vector via newaxis
```

This is a pattern that we will **utilize** often throughout the **remainder of the book**.

# **Array Concatenation and Splitting**

All of the **preceding routines** worked on **single arrays.** 

NumPy also provides tools to **combine multiple arrays** into one, and to conversely **split a single array** into multiple arrays.

## **Concatenation of Arrays**

**Concatenation**, or joining of two arrays in NumPy, is primarily accomplished using the routines **np.concatenate**, **np.vstack**, and **np.hstack**.

**np.concatenate** takes a tuple or **list of arrays** as its **first argument,** as you can see here:

```
In [91]: x = np.array([1, 2, 3])
y = np.array([3, 2, 1])
np.concatenate([x, y])
```

Out[91]: array([1, 2, 3, 3, 2, 1])

You can also **concatenate more than two arrays** at once:

```
In [93]: z = np.array([99, 99, 99])
    print(np.concatenate([x, y, z]))

[ 1 2 3 3 2 1 99 99 99]
```

And it can be used for **two-dimensional arrays:** 

```
In [97]: # concatenate along the first axis
           np.concatenate([grid, grid])
 Out [97]: array([[1, 2, 3],
                  [4, 5, 6],
                  [1, 2, 3],
                  [4, 5, 6]]
 In [99]: # concatenate along the second axis (zero-indexed)
           np.concatenate([grid, grid], axis=1)
 Out [99]: array([[1, 2, 3, 1, 2, 3],
                  [4, 5, 6, 4, 5, 6]])
           For working with arrays of mixed dimensions, it can be clearer to
           use the np.vstack (vertical stack) and np.hstack (horizontal
           stack) functions:
In [101...
```

```
Out[101... array([1, 2, 3])
In [107...
         grid
Out[107... array([[1, 2, 3],
                  [4, 5, 6]]
In [111... # vertically stack the arrays
          np.vstack([x, grid])
Out[111... array([[1, 2, 3],
                  [1, 2, 3],
                  [4, 5, 6]]
In [115...  # horizontally stack the arrays
          y = np.array([[99]],
                         [99]])
          np.hstack([grid, y])
Out[115... array([[ 1, 2, 3, 99],
                  [4, 5, 6, 99]])
```

#### **Splitting of Arrays**

The opposite of concatenation is **splitting**, which is implemented by the functions **np.split**, **np.hsplit**, and **np.vsplit**.

For each of these, we can **pass a list of indices** giving the **split points:** 

```
In [ ]: x = [1, 2, 3, 99, 99, 3, 2, 1]
x1, x2, x3 = np.split(x, [3, 5])
print(x1, x2, x3)
[1 2 3] [99 99] [3 2 1]
```

Notice that N split points leads to N+1 subarrays.

The related functions **np.hsplit** and **np.vsplit** are similar:

```
In [121... grid = np.arange(16).reshape((4, 4))
    grid
```

```
Out[121... array([[ 0, 1, 2, 3],
                 [4, 5, 6, 7],
                 [8, 9, 10, 11],
                 [12, 13, 14, 15]
         upper, lower = np.vsplit(grid, [2])
In [123...
          print(upper)
          print(lower)
         [[0 1 2 3]
         [4 5 6 7]]
         [[ 8 9 10 11]
         [12 13 14 15]]
In [125... left, right = np.hsplit(grid, [2])
          print(left)
          print(right)
```

[[ 0 1] [ 4 5] [ 8 9] [12 13]] [[ 2 3] [ 6 7] [10 11] [14 15]]