

Bibliothèques externes sous Python

Source :

- Revue Coding, "Apprenez à travailler avec des bibliothèques externes sous Python", Hors série n°16, p.50-53.

Exemple : le module math (bibliothèque standard)

```
In [1]: import math
print("Le module math a un type {}".format(type(math)))
```

Le module math a un type <class 'module'>

Math est un module. Un module est juste une collection de variables définies par une personne qui l'a développé.

Fonction `dir()`

```
In [3]: print(dir(math))

['__doc__', '__loader__', '__name__', '__package__', '__spec__', 'acos', 'acosh', 'asin', 'asinh', 'atan', 'atan2', 'atanh', 'ceil', 'comb', 'copysign', 'cos', 'cosh', 'degrees', 'dist', 'e', 'erf', 'erfc', 'exp', 'expm1', 'fabs', 'factorial', 'floor', 'fmod', 'frexp', 'fsum', 'gamma', 'gcd', 'hypot', 'inf', 'isclose', 'isfinite', 'isinf', 'isnan', 'isqrt', 'ldexp', 'lgamma', 'log', 'log10', 'log1p', 'log2', 'modf', 'nan', 'perm', 'pi', 'pow', 'prod', 'radians', 'remainder', 'sin', 'sinh', 'sqrt', 'tan', 'tanh', 'tau', 'trunc']
```

Exemple :

```
In [4]: # valeur simple
math.pi
```

Out[4]: 3.141592653589793

```
In [5]: # fonction
math.log(32, 2)
```

Out[5]: 5.0

Fonction `help()`

```
In [6]: # détaille la fonction indiquée
help(math.log)
```

Help on built-in function log in module math:

```
log(...)
  log(x, [base=math.e])
  Return the logarithm of x to the given base.
```

If the base not specified, returns the natural logarithm (base e) of x.

```
In [8]: # détaille le module lui-même
        help(math)
```

Help on built-in module math:

NAME

math

DESCRIPTION

This module provides access to the mathematical functions defined by the C standard.

FUNCTIONS

`acos(x, /)`

Return the arc cosine (measured in radians) of x.

`acosh(x, /)`

Return the inverse hyperbolic cosine of x.

`asin(x, /)`

Return the arc sine (measured in radians) of x.

`asinh(x, /)`

Return the inverse hyperbolic sine of x.

`atan(x, /)`

Return the arc tangent (measured in radians) of x.

`atan2(y, x, /)`

Return the arc tangent (measured in radians) of y/x.

Unlike `atan(y/x)`, the signs of both x and y are considered.

`atanh(x, /)`

Return the inverse hyperbolic tangent of x.

`ceil(x, /)`

Return the ceiling of x as an Integral.

This is the smallest integer $\geq x$.

`comb(n, k, /)`

Number of ways to choose k items from n items without repetition and without order.

Evaluates to $n! / (k! * (n - k)!)$ when $k \leq n$ and evaluates to zero when $k > n$.

Also called the binomial coefficient because it is equivalent to the coefficient of k-th term in polynomial expansion of the expression $(1 + x)^n$.

Raises `TypeError` if either of the arguments are not integers.

Raises `ValueError` if either of the arguments are negative.

`copysign(x, y, /)`

Return a float with the magnitude (absolute value) of x but the sign of y.

On platforms that support signed zeros, `copysign(1.0, -0.0)` returns `-1.0`.

`cos(x, /)`

Return the cosine of x (measured in radians).

`cosh(x, /)`

Return the hyperbolic cosine of x.

degrees(x, /)
Convert angle x from radians to degrees.

dist(p, q, /)
Return the Euclidean distance between two points p and q.

The points should be specified as sequences (or iterables) of coordinates. Both inputs must have the same dimension.

Roughly equivalent to:
`sqrt(sum((px - qx) ** 2.0 for px, qx in zip(p, q)))`

erf(x, /)
Error function at x.

erfc(x, /)
Complementary error function at x.

exp(x, /)
Return e raised to the power of x.

expm1(x, /)
Return $\exp(x)-1$.

This function avoids the loss of precision involved in the direct evaluation of $\exp(x)-1$ for small x.

fabs(x, /)
Return the absolute value of the float x.

factorial(x, /)
Find $x!$.

Raise a `ValueError` if x is negative or non-integral.

floor(x, /)
Return the floor of x as an Integer.

This is the largest integer $\leq x$.

fmod(x, y, /)
Return `fmod(x, y)`, according to platform C.

 $x \% y$ may differ.

frexp(x, /)
Return the mantissa and exponent of x, as pair (m, e).

m is a float and e is an int, such that $x = m * 2.**e$.
If x is 0, m and e are both 0. Else $0.5 \leq \text{abs}(m) < 1.0$.

fsum(seq, /)
Return an accurate floating point sum of values in the iterable seq.

Assumes IEEE-754 floating point arithmetic.

gamma(x, /)
Gamma function at x.

gcd(x, y, /)
greatest common divisor of x and y

hypot(...)
hypot(*coordinates) -> value

Multidimensional Euclidean distance from the origin to a point.

Roughly equivalent to:

```
sqrt(sum(x**2 for x in coordinates))
```

For a two dimensional point (x, y), gives the hypotenuse using the Pythagorean theorem: `sqrt(x*x + y*y)`.

For example, the hypotenuse of a 3/4/5 right triangle is:

```
>>> hypot(3.0, 4.0)
5.0
```

`isclose(a, b, *, rel_tol=1e-09, abs_tol=0.0)`

Determine whether two floating point numbers are close in value.

`rel_tol`

maximum difference for being considered "close", relative to the magnitude of the input values

`abs_tol`

maximum difference for being considered "close", regardless of the magnitude of the input values

Return True if a is close in value to b, and False otherwise.

For the values to be considered close, the difference between them must be smaller than at least one of the tolerances.

-inf, inf and NaN behave similarly to the IEEE 754 Standard. That is, NaN is not close to anything, even itself. inf and -inf are only close to themselves.

`isfinite(x, /)`

Return True if x is neither an infinity nor a NaN, and False otherwise.

`isinf(x, /)`

Return True if x is a positive or negative infinity, and False otherwise.

`isnan(x, /)`

Return True if x is a NaN (not a number), and False otherwise.

`isqrt(n, /)`

Return the integer part of the square root of the input.

`ldexp(x, i, /)`

Return $x * (2^i)$.

This is essentially the inverse of `frexp()`.

`lgamma(x, /)`

Natural logarithm of absolute value of Gamma function at x.

`log(...)`

`log(x, [base=math.e])`

Return the logarithm of x to the given base.

If the base not specified, returns the natural logarithm (base e) of x.

`log10(x, /)`

Return the base 10 logarithm of x.

`log1p(x, /)`

Return the natural logarithm of 1+x (base e).

The result is computed in a way which is accurate for x near zero.

`log2(x, /)`

Return the base 2 logarithm of x.

`modf(x, /)`

Return the fractional and integer parts of x.

Both results carry the sign of x and are floats.

`perm(n, k=None, /)`

Number of ways to choose k items from n items without repetition and with order.

Evaluates to $n! / (n - k)!$ when $k \leq n$ and evaluates to zero when $k > n$.

If k is not specified or is None, then k defaults to n and the function returns n!.

Raises `TypeError` if either of the arguments are not integers.

Raises `ValueError` if either of the arguments are negative.

`pow(x, y, /)`

Return $x**y$ (x to the power of y).

`prod(iterable, /, *, start=1)`

Calculate the product of all the elements in the input iterable.

The default start value for the product is 1.

When the iterable is empty, return the start value. This function is intended specifically for use with numeric values and may reject non-numeric types.

`radians(x, /)`

Convert angle x from degrees to radians.

`remainder(x, y, /)`

Difference between x and the closest integer multiple of y.

Return $x - n*y$ where $n*y$ is the closest integer multiple of y. In the case where x is exactly halfway between two multiples of y, the nearest even value of n is used. The result is always exact.

`sin(x, /)`

Return the sine of x (measured in radians).

`sinh(x, /)`

Return the hyperbolic sine of x.

`sqrt(x, /)`

Return the square root of x.

`tan(x, /)`

Return the tangent of x (measured in radians).

`tanh(x, /)`

Return the hyperbolic tangent of x.

`trunc(x, /)`

Truncates the Real x to the nearest Integral toward 0.

Uses the `__trunc__` magic method.

DATA

```
e = 2.718281828459045
inf = inf
nan = nan
pi = 3.141592653589793
tau = 6.283185307179586
```

FILE

(built-in)

Abréviations lors d'importation

```
In [9]: import math as mt
import pandas as pd
import numpy as np
```

```
In [10]: mt.pi
```

```
Out[10]: 3.141592653589793
```

Tout importer

```
In [12]: from math import *

print(pi, log(32, 2))
```

```
3.141592653589793 5.0
```

A éviter : risque d'erreur si deux modules ont le même nom de fonction. Exemple numpy et math avec la fonction **log**.

Importer uniquement ce qui est nécessaire

```
In [13]: from math import log, pi
from numpy import ndarray
```

Sous-modules

```
In [24]: import numpy

print(numpy.random.randint)
print(type(numpy.random))
print(type(numpy.random.randint))
```

```
<built-in method randint of numpy.random.mtrand.RandomState object at 0x0000022537
29A540>
```

```
<class 'module'>
```

```
<class 'builtin_function_or_method'>
```

```
In [22]: a = numpy.random.randint(low=1, high=6, size=10)
a
```

```
Out[22]: array([4, 4, 1, 3, 5, 4, 2, 5, 3, 5])
```

```
In [25]: # savoir ce dont il s'agit
type(a)
```

```
Out[25]: numpy.ndarray
```

```
In [27]: # savoir ce qu'on peut faire avec
print(dir(a))
```

```
['T', '__abs__', '__add__', '__and__', '__array__', '__array_finalize__', '__array_function__', '__array_interface__', '__array_prepare__', '__array_priority__', '__array_struct__', '__array_ufunc__', '__array_wrap__', '__bool__', '__class__', '__complex__', '__contains__', '__copy__', '__deepcopy__', '__delattr__', '__delitem__', '__dir__', '__divmod__', '__doc__', '__eq__', '__float__', '__floordiv__', '__format__', '__ge__', '__getattr__', '__getitem__', '__gt__', '__hash__', '__iadd__', '__iand__', '__ifloordiv__', '__ilshift__', '__imatmul__', '__imod__', '__imul__', '__index__', '__init__', '__init_subclass__', '__int__', '__invert__', '__ior__', '__ipow__', '__irshift__', '__isub__', '__iter__', '__itruediv__', '__ixor__', '__le__', '__len__', '__lshift__', '__lt__', '__matmul__', '__mod__', '__mul__', '__ne__', '__neg__', '__new__', '__or__', '__pos__', '__pow__', '__radd__', '__rand__', '__rdivmod__', '__reduce__', '__reduce_ex__', '__repr__', '__rfloordiv__', '__rllshift__', '__rmatmul__', '__rmod__', '__rmul__', '__ror__', '__rpow__', '__rrshift__', '__rshift__', '__rsub__', '__rtruediv__', '__rxor__', '__setattr__', '__setitem__', '__setstate__', '__sizeof__', '__str__', '__sub__', '__subclasshook__', '__truediv__', '__xor__', 'all', 'any', 'argmax', 'argmin', 'argpartition', 'argsort', 'astype', 'base', 'byteswap', 'choose', 'clip', 'compress', 'conj', 'conjugate', 'copy', 'ctypes', 'cumprod', 'cumsum', 'data', 'diagonal', 'dot', 'dtype', 'dump', 'dumps', 'fill', 'flags', 'flat', 'flatten', 'getfield', 'imag', 'item', 'itemset', 'itemsize', 'max', 'mean', 'min', 'nbytes', 'ndim', 'newbyteorder', 'nonzero', 'partition', 'prod', 'ptp', 'put', 'ravel', 'real', 'repeat', 'reshape', 'resize', 'round', 'searchsorted', 'setfield', 'setflags', 'shape', 'size', 'sort', 'squeeze', 'std', 'strides', 'sum', 'swapaxes', 'take', 'tobytes', 'tofile', 'tolist', 'tostring', 'trace', 'transpose', 'var', 'view']
```

```
In [31]: # afficher l'aide en ligne
help(a.ravel)

# help(a) = aide très longue
# ... mieux vaut la consulter en ligne.
```

Help on built-in function ravel:

ravel(...) method of numpy.ndarray instance
a.ravel([order])

Return a flattened array.

Refer to ``numpy.ravel`` for full documentation.

See Also

`numpy.ravel` : equivalent function

`ndarray.flat` : a flat iterator on the array.

Surcharge de l'opérateur


```
In [32]: a
Out[32]: array([4, 4, 1, 3, 5, 4, 2, 5, 3, 5])
```

```
In [33]: a + 10
Out[33]: array([14, 14, 11, 13, 15, 14, 12, 15, 13, 15])
```

On ne peut pas faire `liste + 10` (erreur) mais on peut faire `tableau numpy + 10` (ajoute le nombre à chaque élément du tableau).

```
In [34]: liste = [x for x in range(10)]
         liste
Out[34]: [0, 1, 2, 3, 4, 5, 6, 7, 8, 9]
```

```
In [36]: # idems avec d'autres opérateurs
         a <= 3
Out[36]: array([False, False,  True,  True, False, False,  True, False,  True,
                False])
```

Créer un tableau à deux dimensions

```
In [42]: # type : list
         xlist = [[1, 2, 3], [2, 4, 6]]

         # transforme en array :
         x = numpy.asarray(xlist)
```

```
In [43]: type(x)
Out[43]: numpy.ndarray
```

```
In [48]: # liste
         print(xlist)

         [[1, 2, 3], [2, 4, 6]]
```

```
In [49]: # tableau numpy
         print(x)

         [[1 2 3]
          [2 4 6]]
```

Afficher le dernier élément de la deuxième ligne du tableau

```
In [50]: x[1, -1]
Out[50]: 6
```

Afficher la dernière ligne

```
In [51]: x[-1]
Out[51]: array([2, 4, 6])
```

