

Binary multiplication works just like normal multiplication. There are four main rules that are quite simple to understand:

$$0 \times 0 = 0$$

$$0 \times 1 = 0$$

$$1 \times 0 = 0$$

$$1 \times 1 = 1$$

Suppose you have two binary digits A_1A_0 and B_1B_0 , here's how that multiplication would take place

$$\begin{array}{r}
 \begin{array}{cc}
 A_1 & A_0 \\
 B_1 & B_0
 \end{array} \\
 \hline
 \begin{array}{ccc}
 & A_1B_0 & A_0B_0 \\
 A_1B_1 & A_0B_1 & X
 \end{array} \\
 \hline
 \begin{array}{ccc}
 A_1B_1+C & A_0B_1+A_1B_0 & A_0B_0
 \end{array}
 \end{array}$$

In the above calculation, A_1A_0 is the multiplicand. B_1B_0 is the multiplier. The first product obtained from multiplying B_0 with the multiplicand is called as partial product 1. And the second product obtained from multiplying B_1 with the multiplicand is known as the partial product 2.

As the number of bits increases, we keep shifting each successive partial product to the left by 1 bit. In the end, we add the digits while keeping in mind the carry that might generate.

Based on the above equation, we can see that we need four AND gates and two half adders to design the combinational circuit for the multiplier. The AND gates will perform the multiplication, and the half adders will add the partial product terms. Hence the circuit obtained is as follows.

2-bit multiplier

