

DELD



Unit 3

Sequential Circuits

Electronics Engineering Department

Comparison



COMBINATIONAL CIRCUITS

Output depends only on the present value of the inputs.

These circuits will not have any memory as their outputs change with the change in the input value.

There are no feedbacks involved.

Used in basic Boolean operations.

Implemented in: Half adder circuit, full adder circuit, multiplexers, de-multiplexers, decoders and encoders.

SEQUENTIAL CIRCUITS

Output depends on both the present and previous state values of the inputs

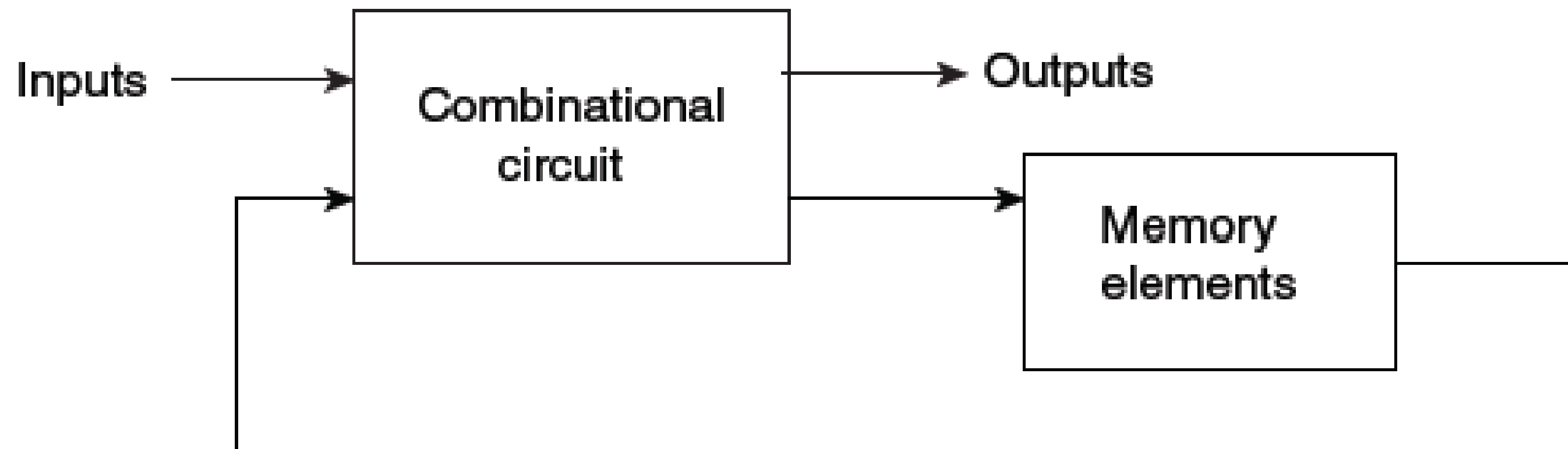
Sequential circuits have some sort of memory as their output changes according to the previous and present values.

In a sequential circuit the outputs are connected to it as a feedback path.

Used in the designing of memory devices.

Implemented in: RAM, Registers, counters and other state retaining machines.

Block Diagram



Flip – Flops and its Types



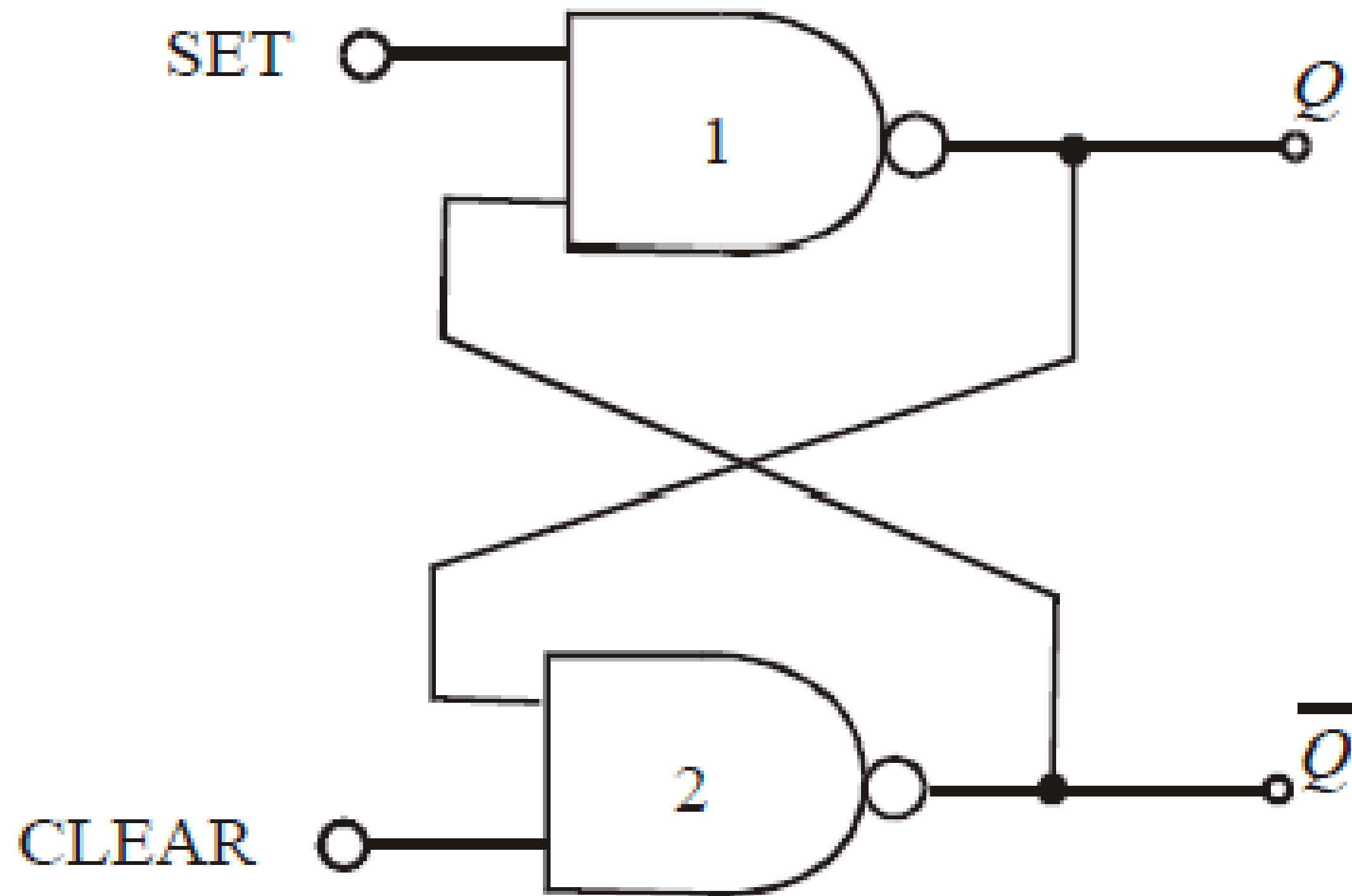
- ❑ Basic Memory element of a Digital Computer
- ❑ Stores 1 bit of information
- ❑ It's a Bistable device
- ❑ Has two outputs, one complement of another (Q and Q')
- ❑ Four Types
 - ❑ SR
 - ❑ D
 - ❑ JK
 - ❑ T

Concept of Latch

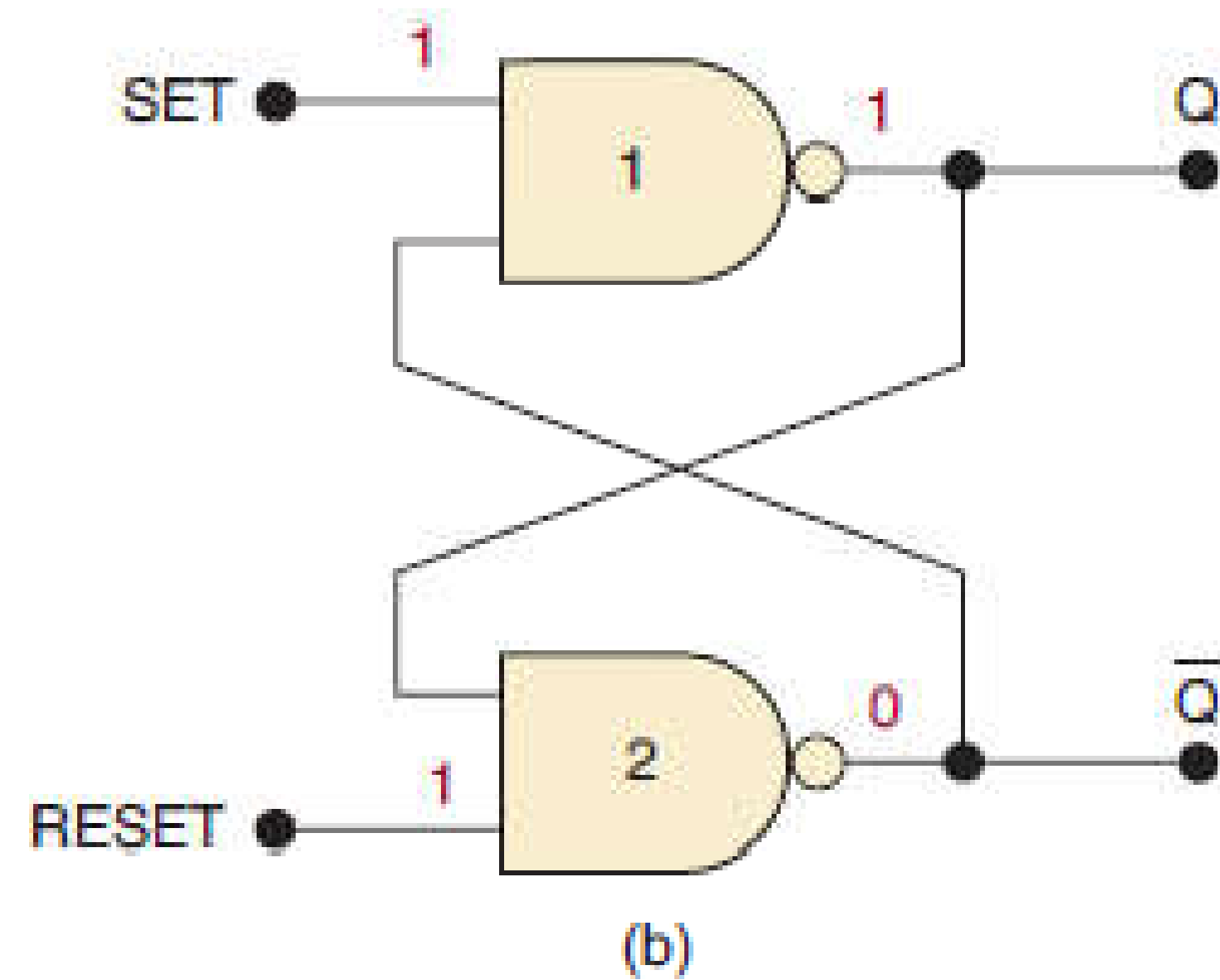
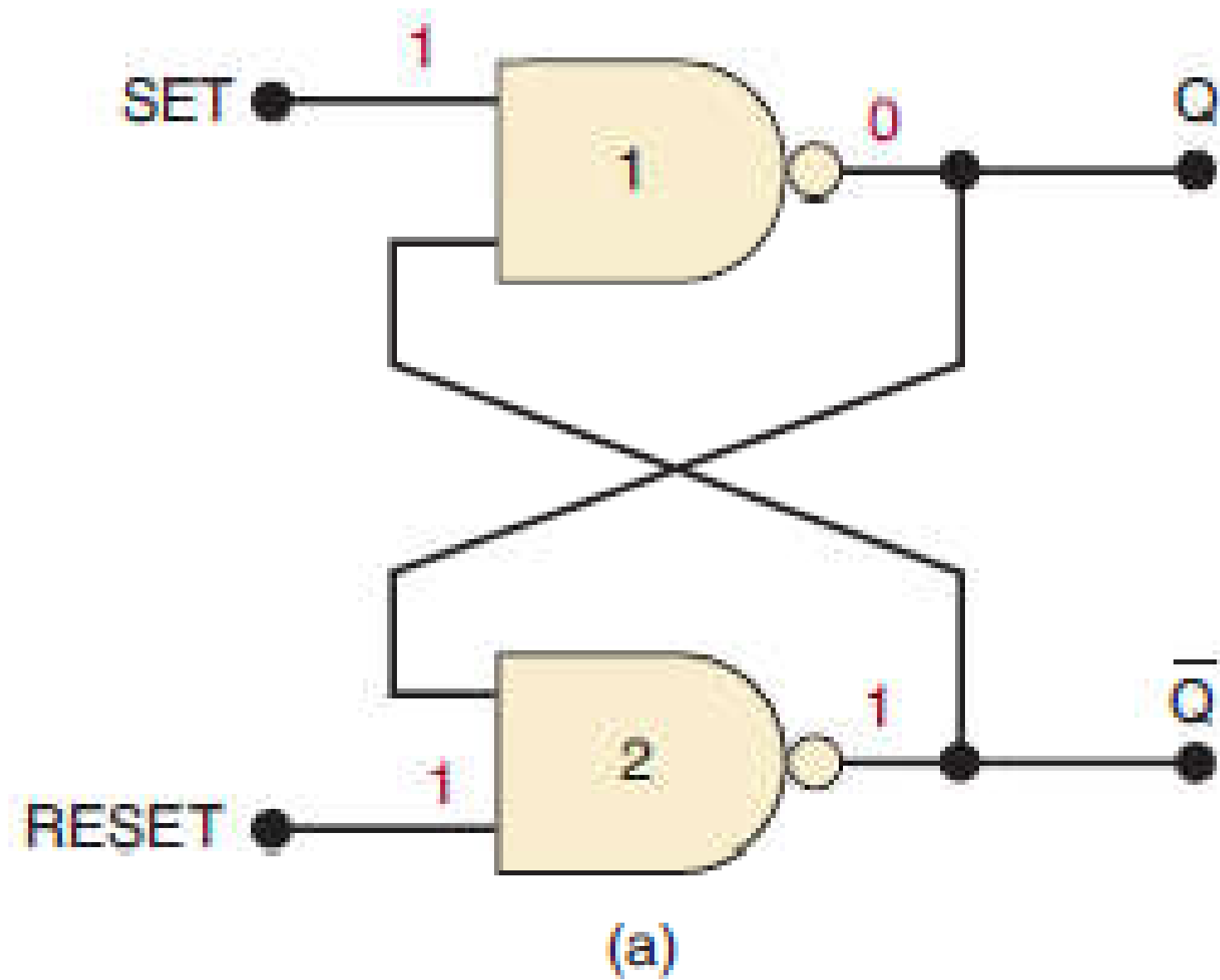


- ❑ Most basic type of FF circuit
- ❑ Can be constructed using NAND or NOR Gates
- ❑ These circuits latch to '1' or '0' immediately upon application of inputs
- ❑ Two types
 - ❑ NAND Gate Latch (Active Low)
 - ❑ NOR Gate Latch (Active High)

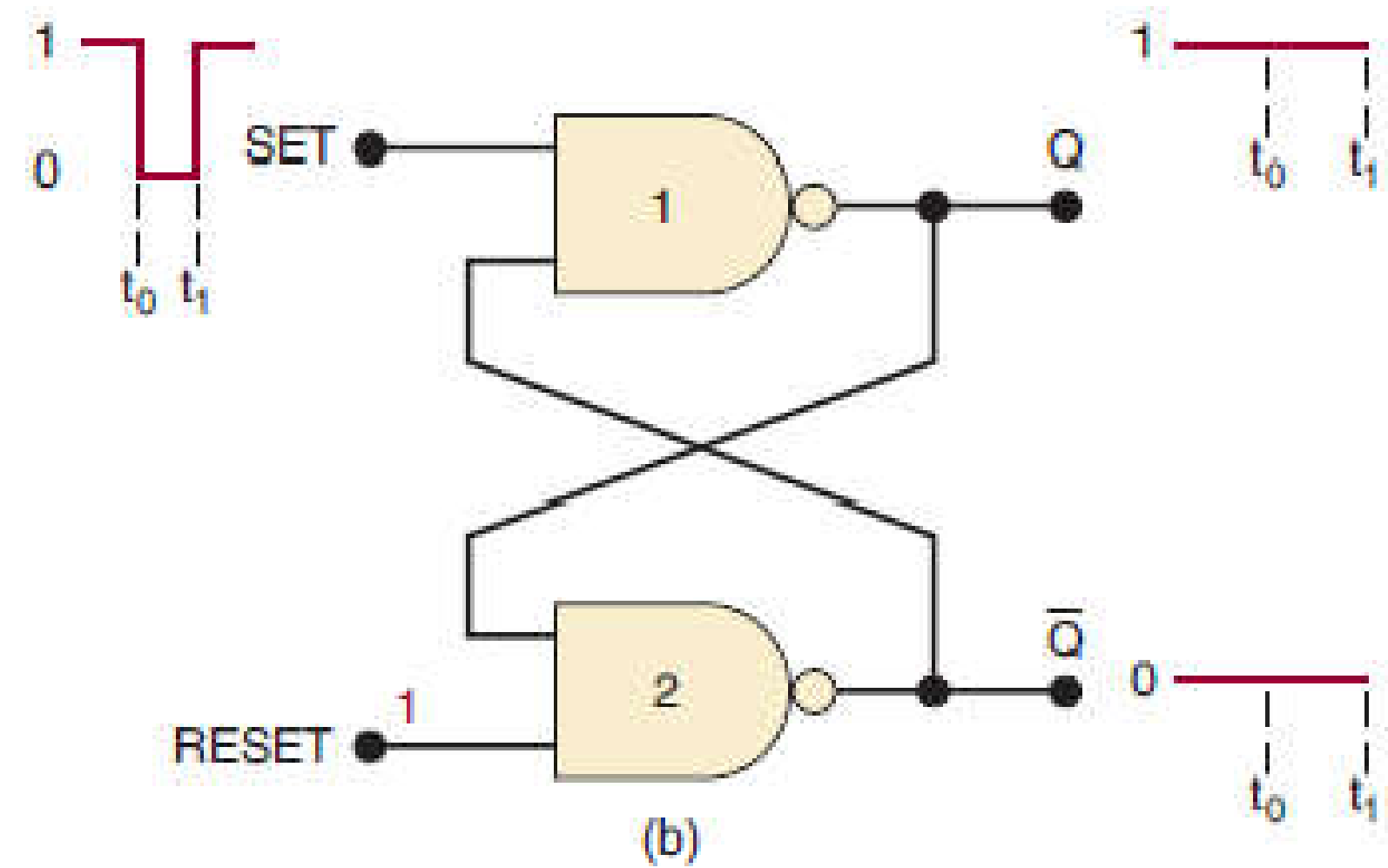
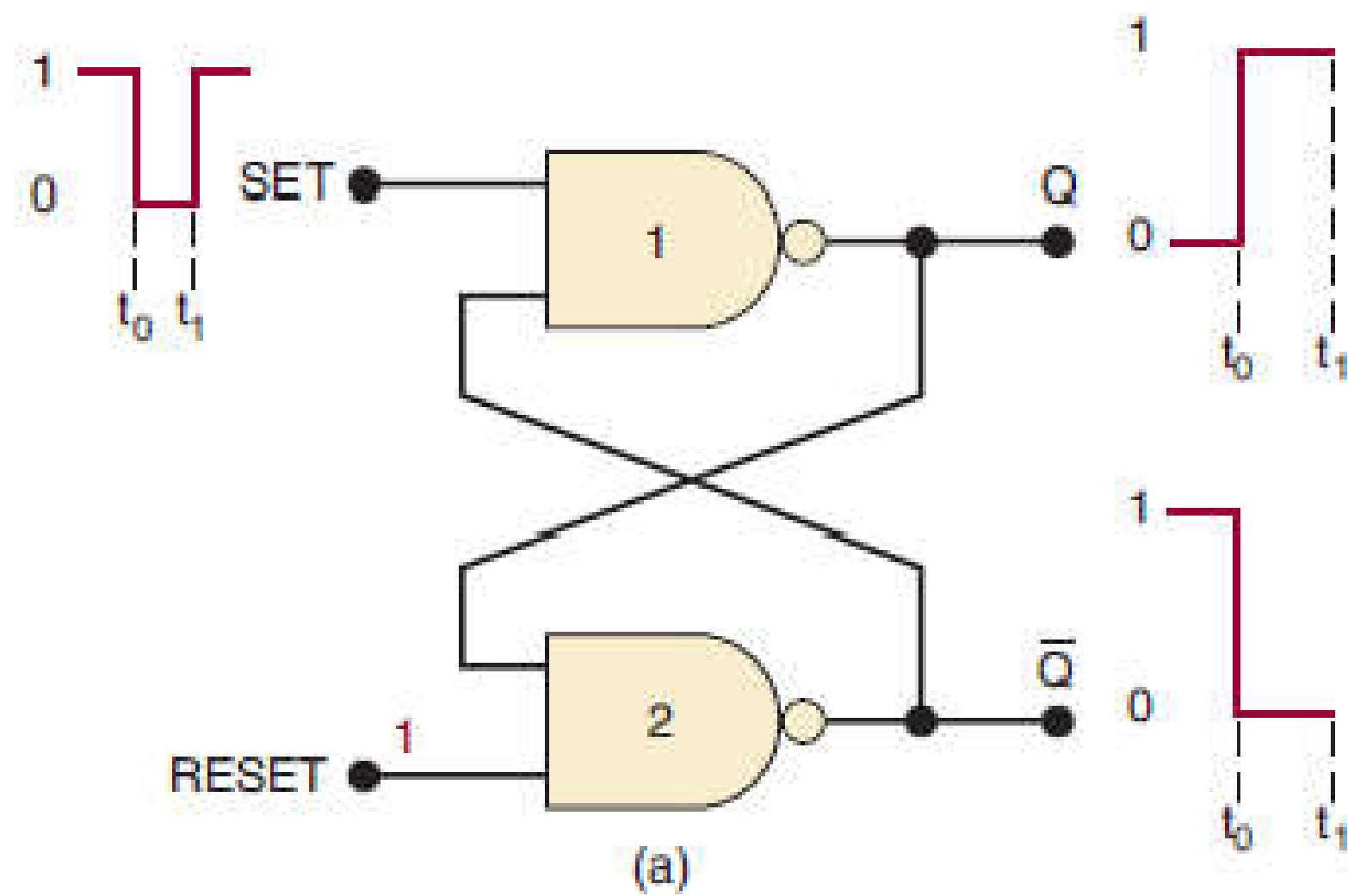
NAND Gate SR Latch



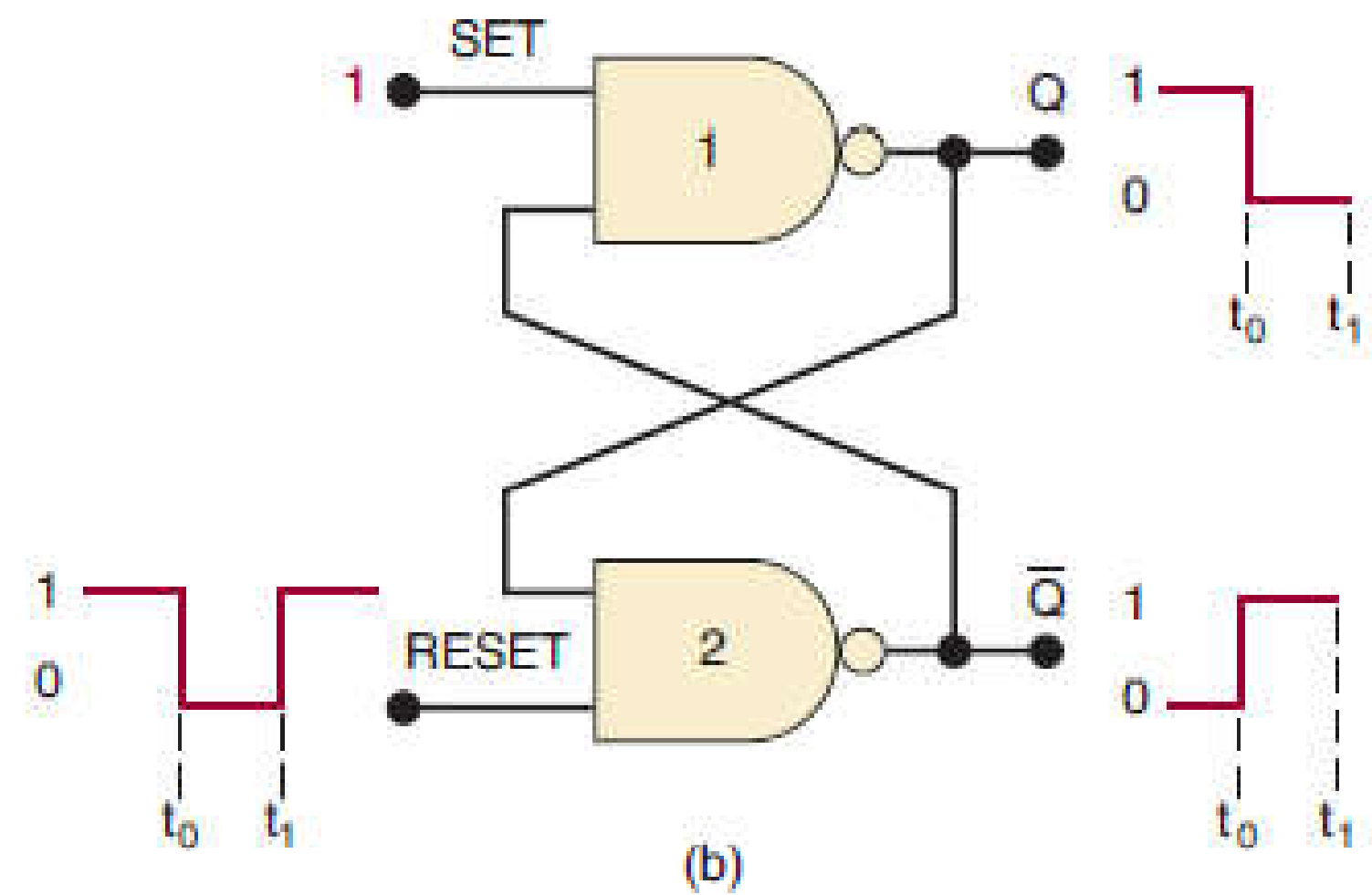
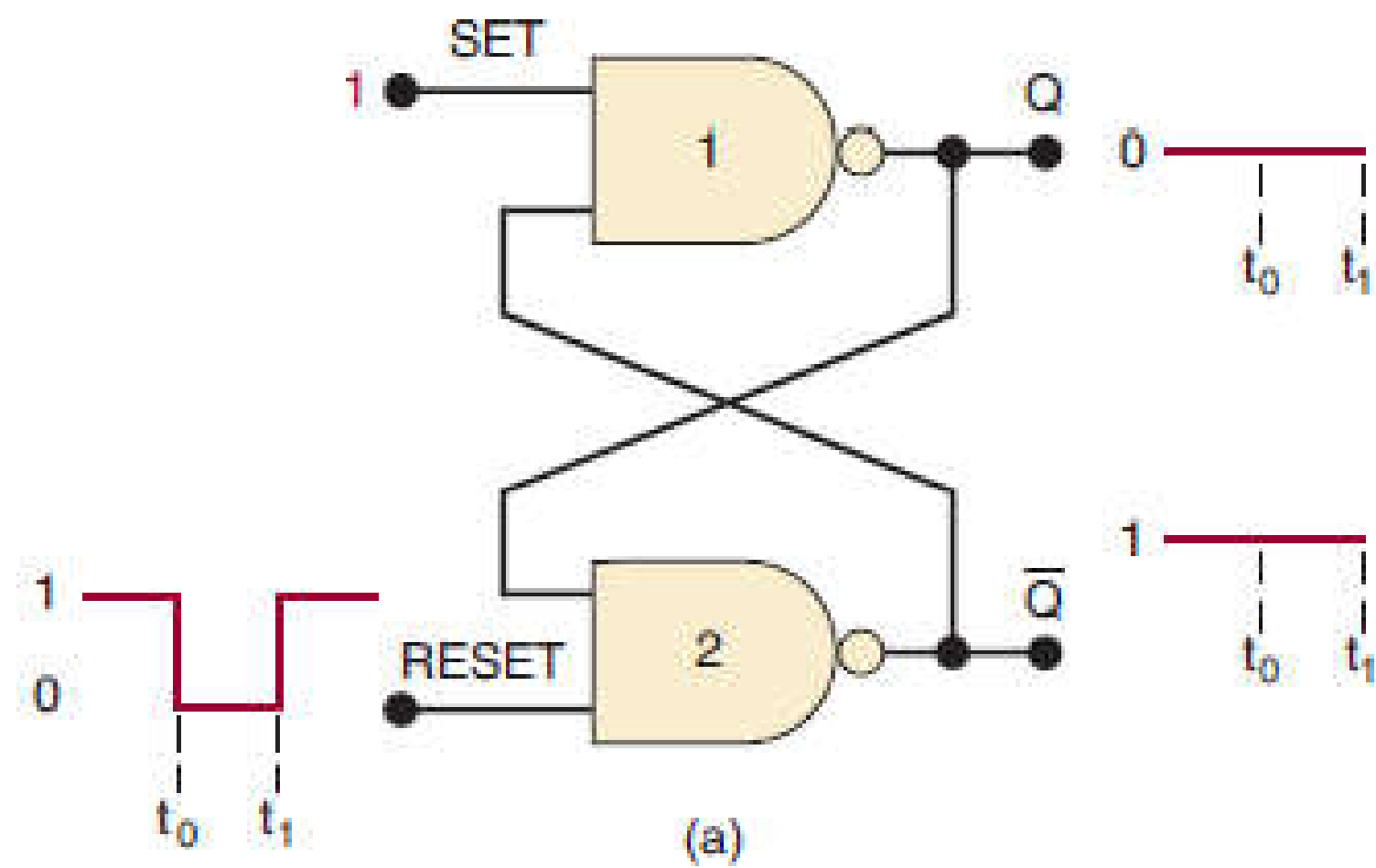
Two Stable States



SET ($Q=1$)



RESET ($Q=0$)

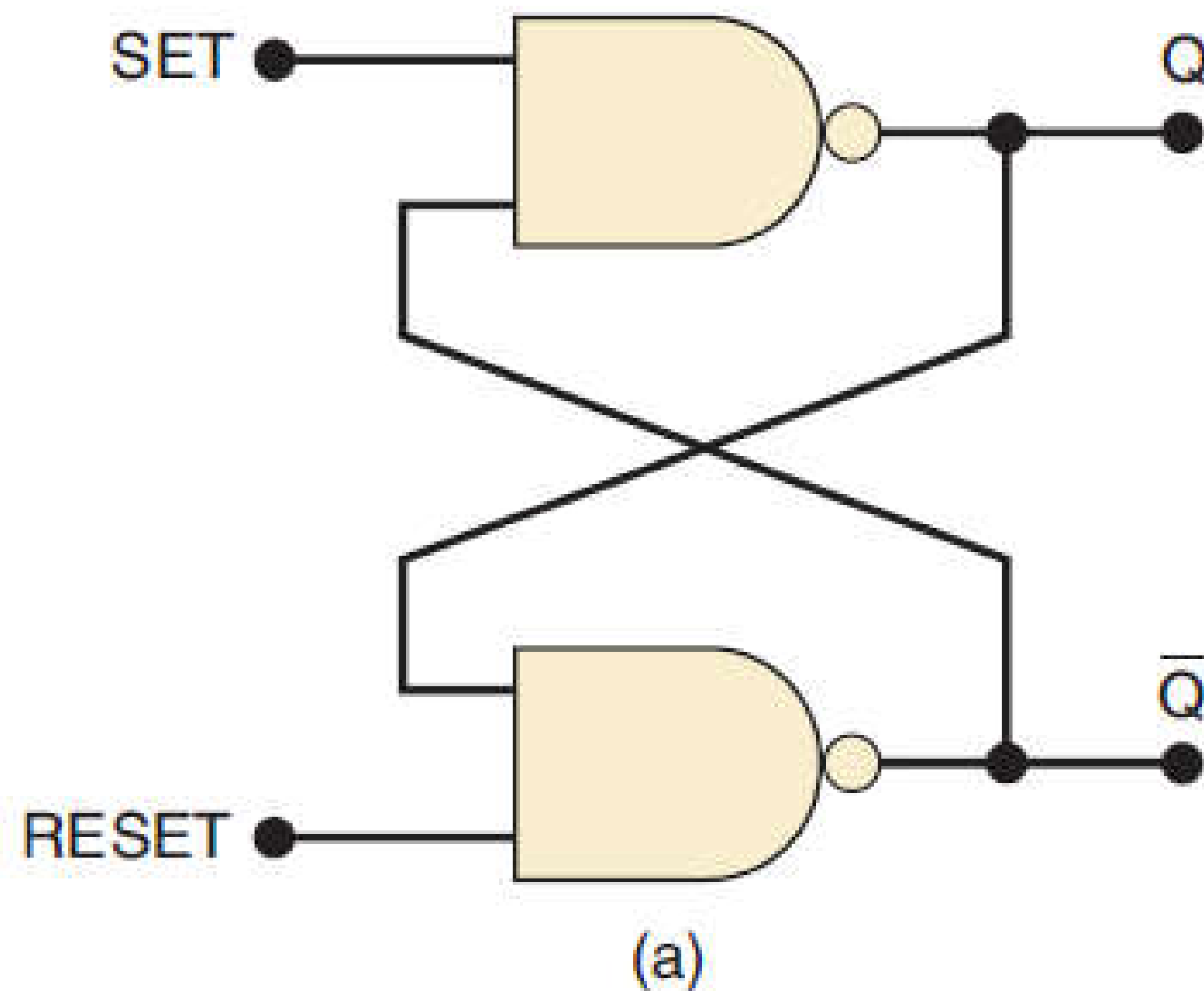


Summary



1. $SET = RESET = 1$. This condition is the normal resting state, and it has no effect on the output state. The Q and \overline{Q} outputs will remain in whatever state they were in prior to this input condition.
2. $SET = 0, RESET = 1$. This will always cause the output to go to the $Q = 1$ state, where it will remain even after SET returns HIGH. This is called *setting* the latch.
3. $SET = 1, RESET = 0$. This will always produce the $Q = 0$ state, where the output will remain even after $RESET$ returns HIGH. This is called *clearing* or *resetting* the latch.
4. $SET = RESET = 0$. This condition tries to set and clear the latch at the same time, and it produces $Q = \overline{Q} = 1$. If the inputs are returned to 1 simultaneously, the resulting state is unpredictable. This input condition should not be used.

Truth Table



Set	Reset	Output
1	1	No change
0	1	$Q = 1$
1	0	$Q = 0$
0	0	Invalid *

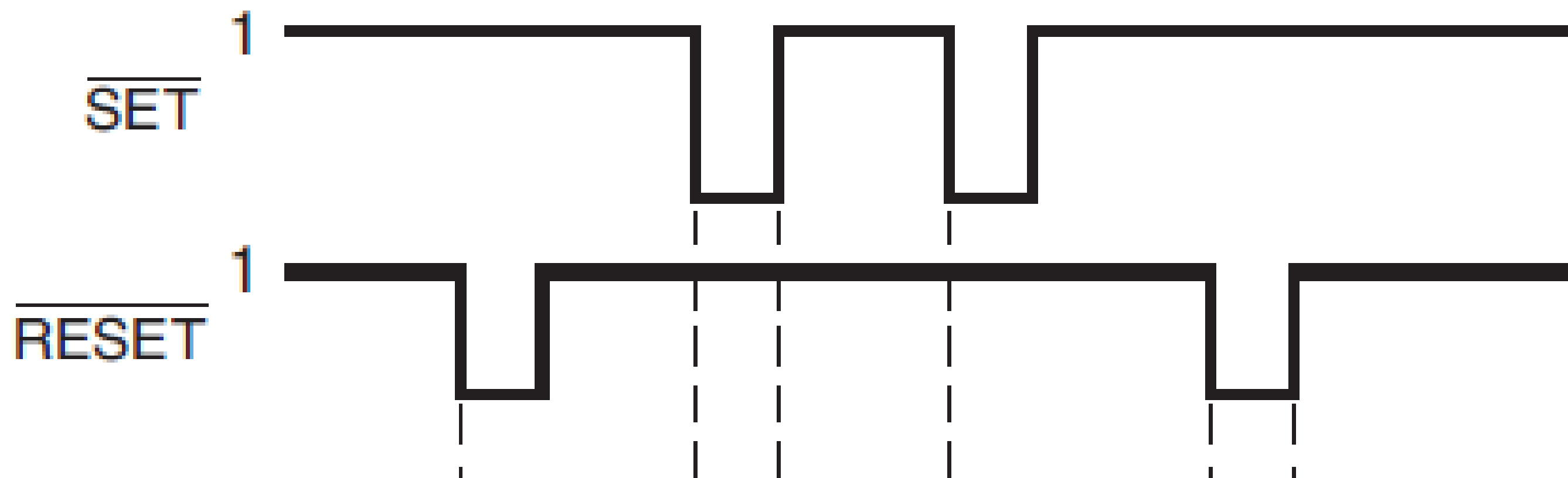
*Produces $Q = \bar{Q} = 1$.

(b)

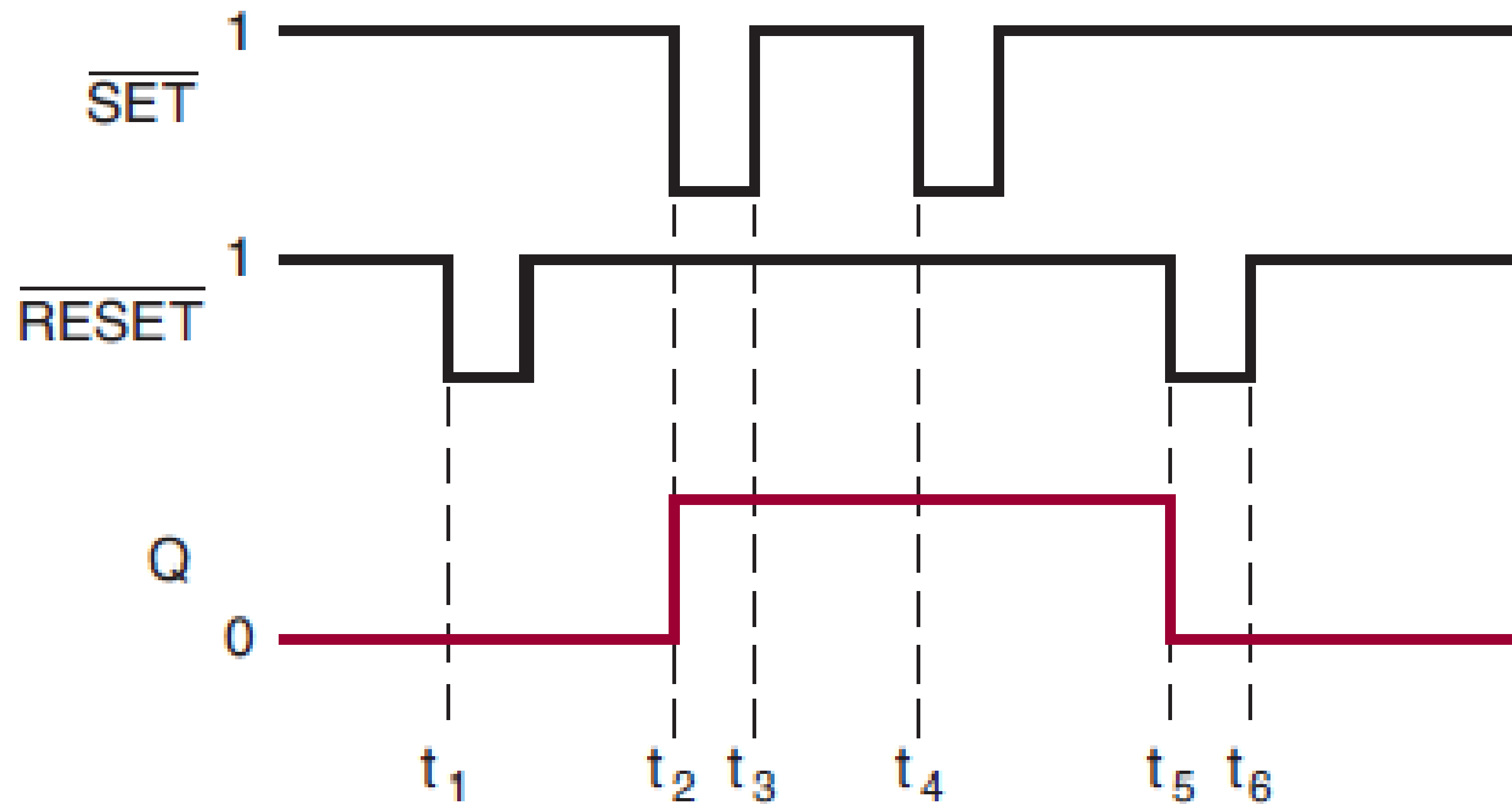
Concept Check



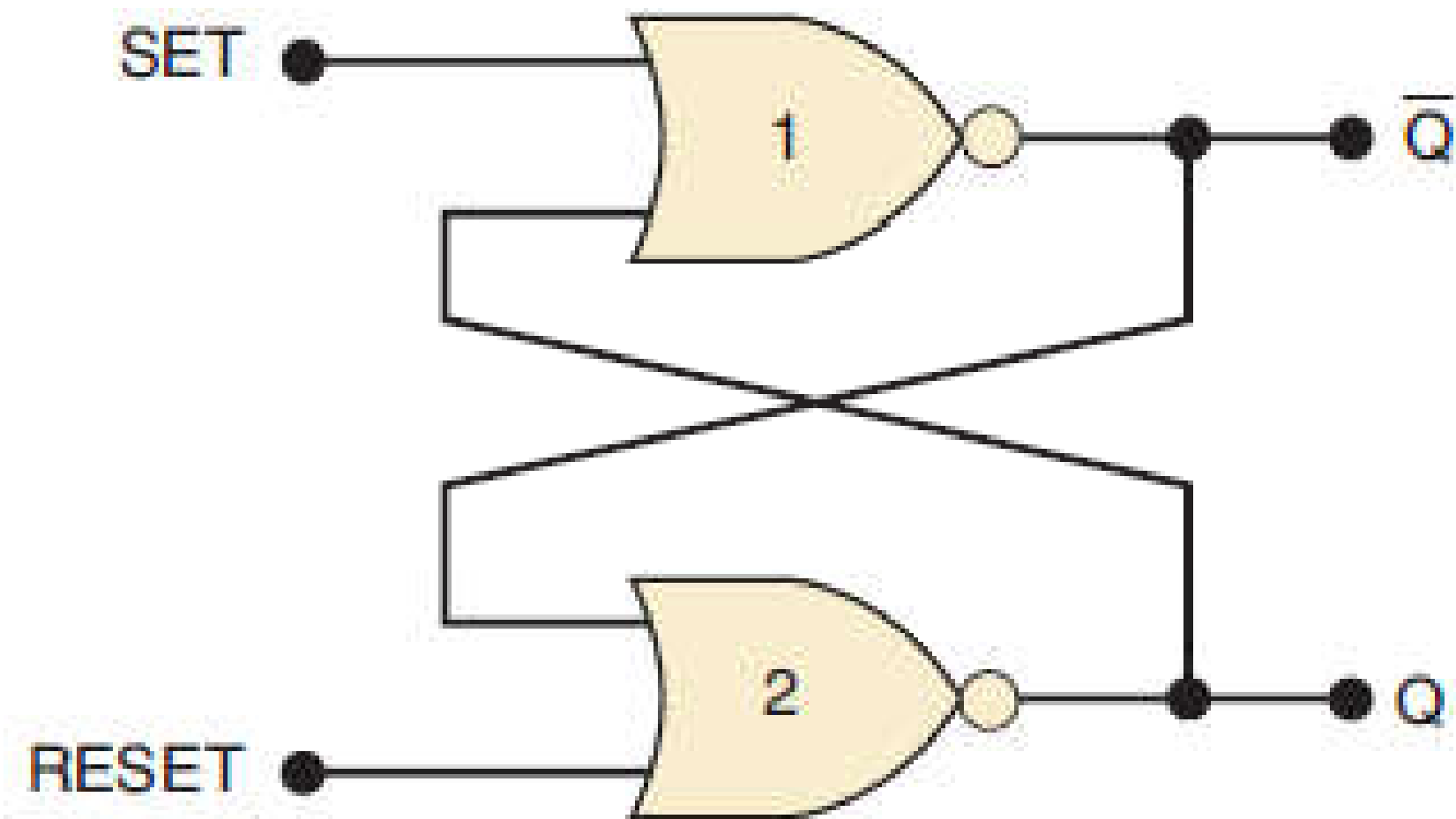
Assuming the $Q=0$ initially, determine the Q waveform for the NAND Latch



Solution

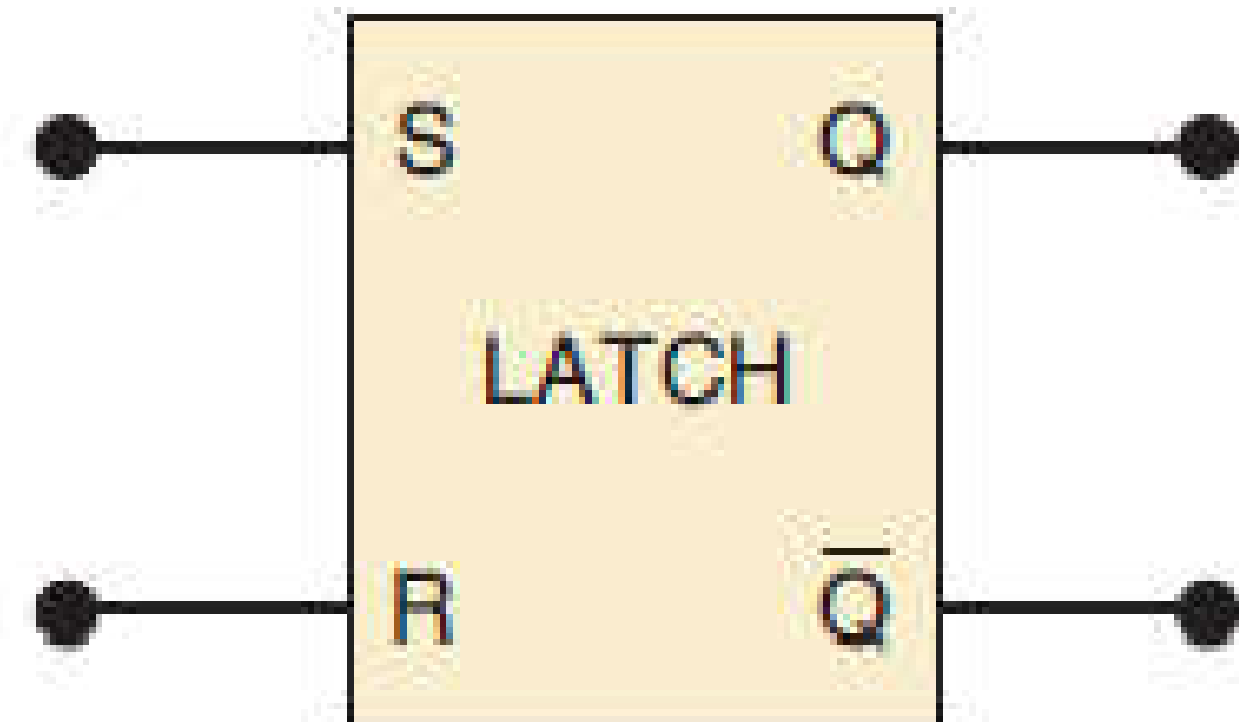


NOR Gate SR Latch



Set	Reset	Output
0	0	No change
1	0	$Q = 1$
0	1	$Q = 0$
1	1	Invalid*

*Produces $Q = \bar{Q} = 0$.



Description

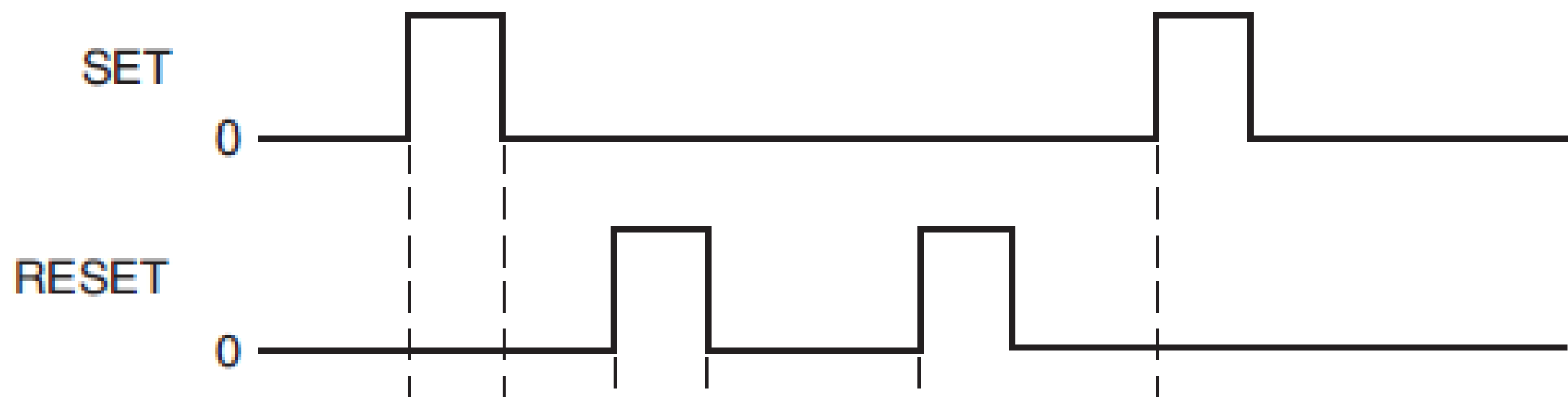


1. $SET = RESET = 0$. This is the normal resting state for the NOR latch, and it has no effect on the output state. Q and \bar{Q} will remain in whatever state they were in prior to the occurrence of this input condition.
2. $SET = 1, RESET = 0$. This will always set $Q = 1$, where it will remain even after SET returns to 0.
3. $SET = 0, RESET = 1$. This will always clear $Q = 0$, where it will remain even after $RESET$ returns to 0.
4. $SET = 1, RESET = 1$. This condition tries to set and reset the latch at the same time, and it produces $Q = \bar{Q} = 0$. If the inputs are returned to 0 simultaneously, the resulting output state is unpredictable. This input condition should not be used.

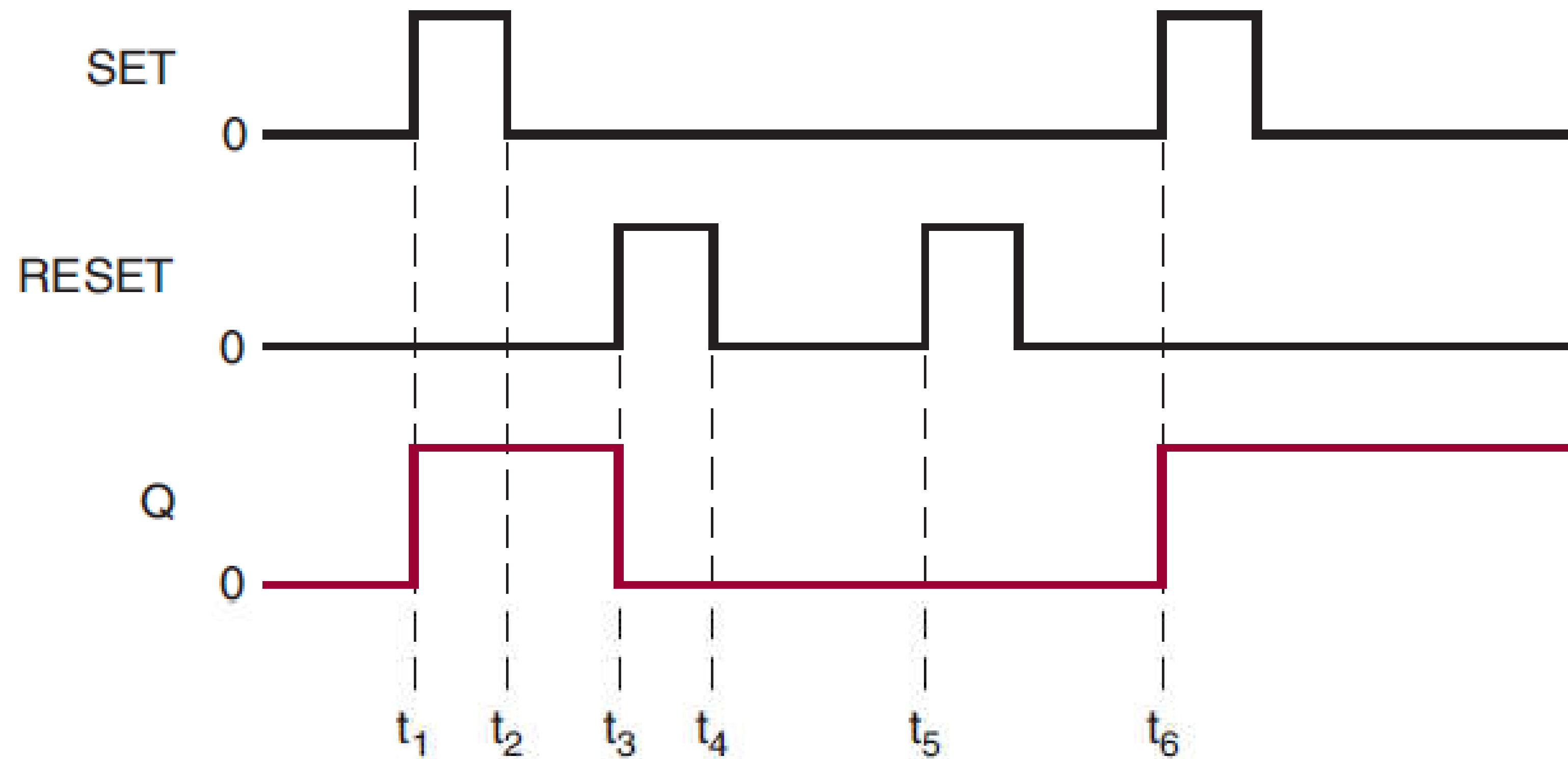
Concept Check



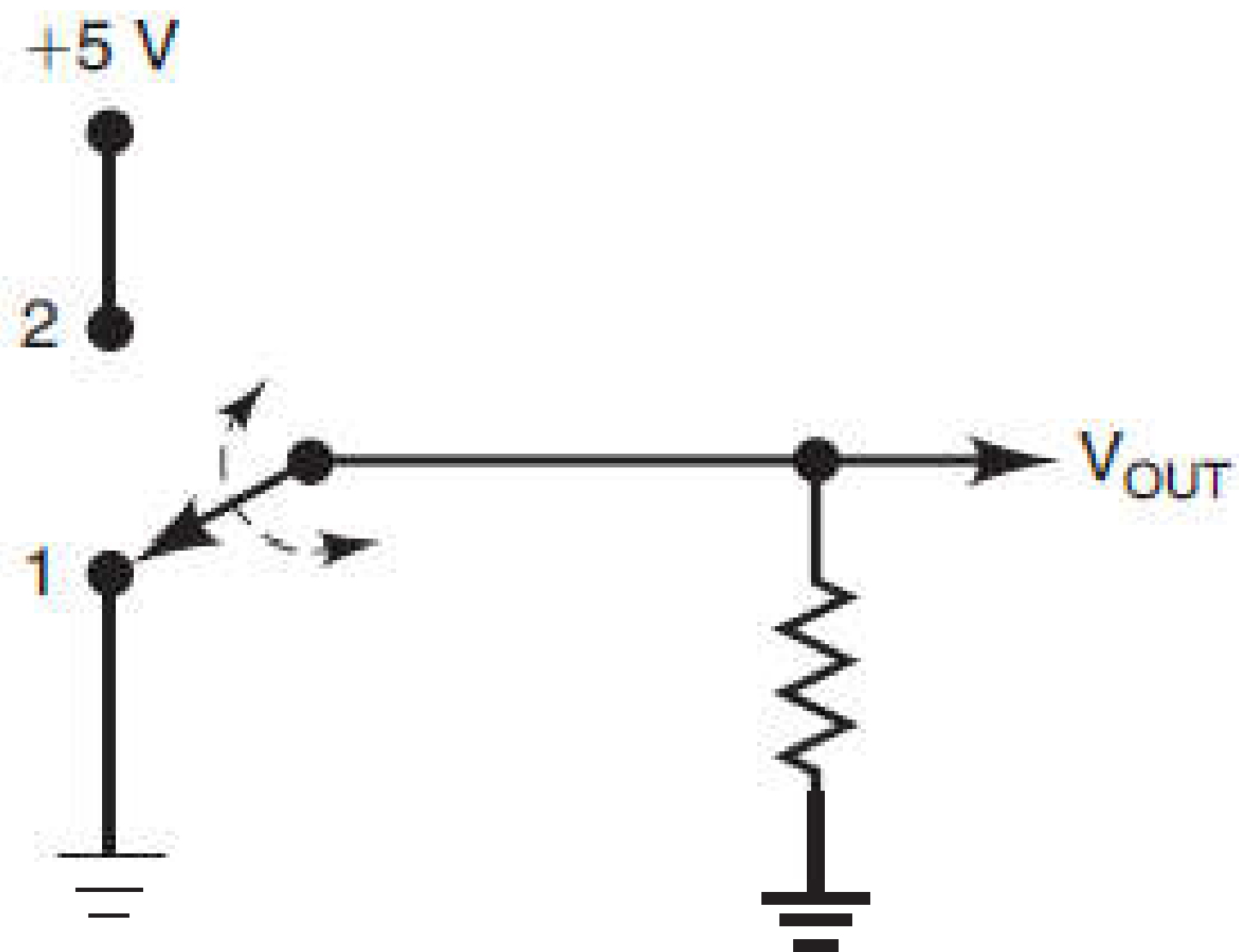
Assuming the $Q=0$ initially, determine the Q waveform for the NOR Latch



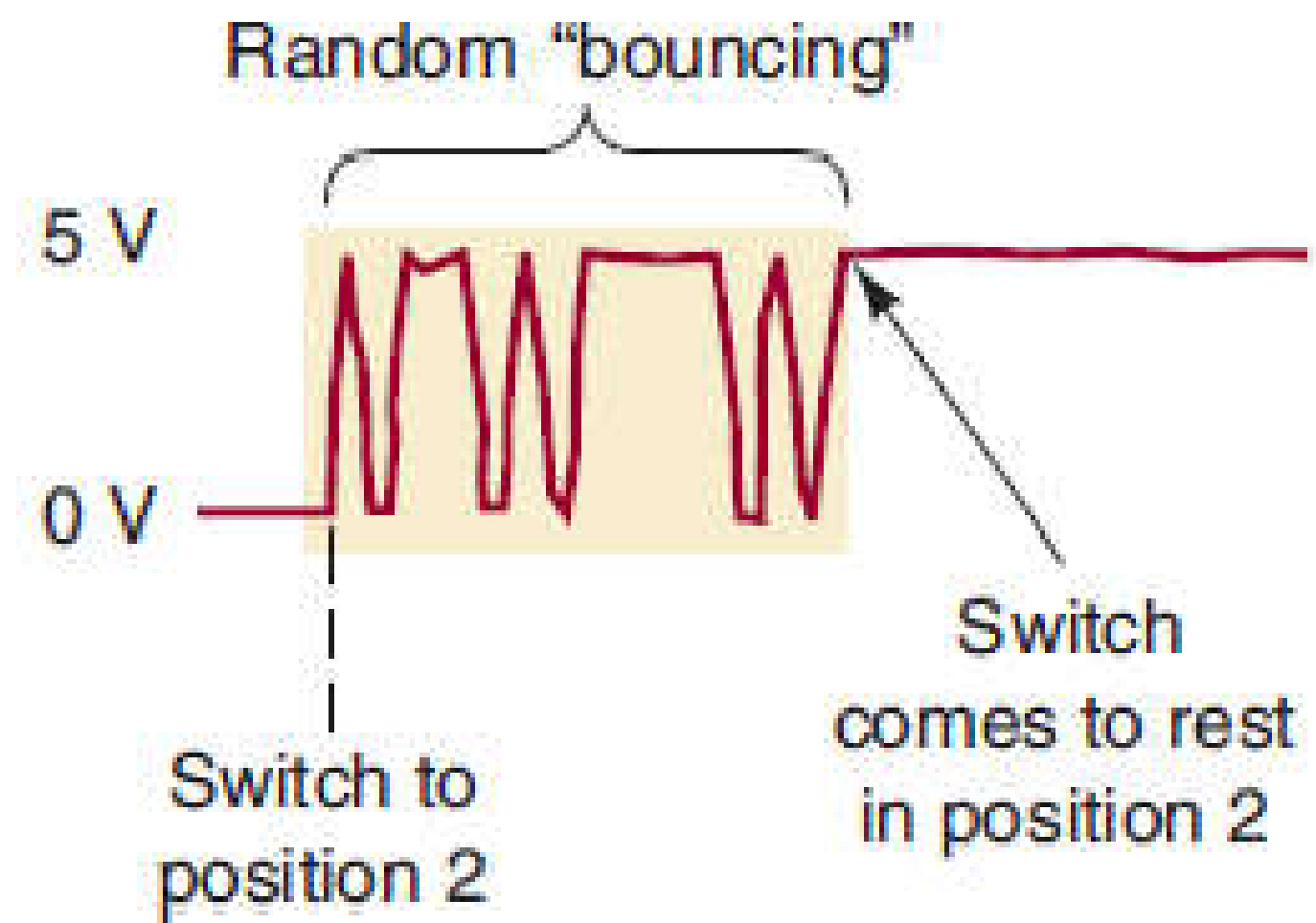
Solution



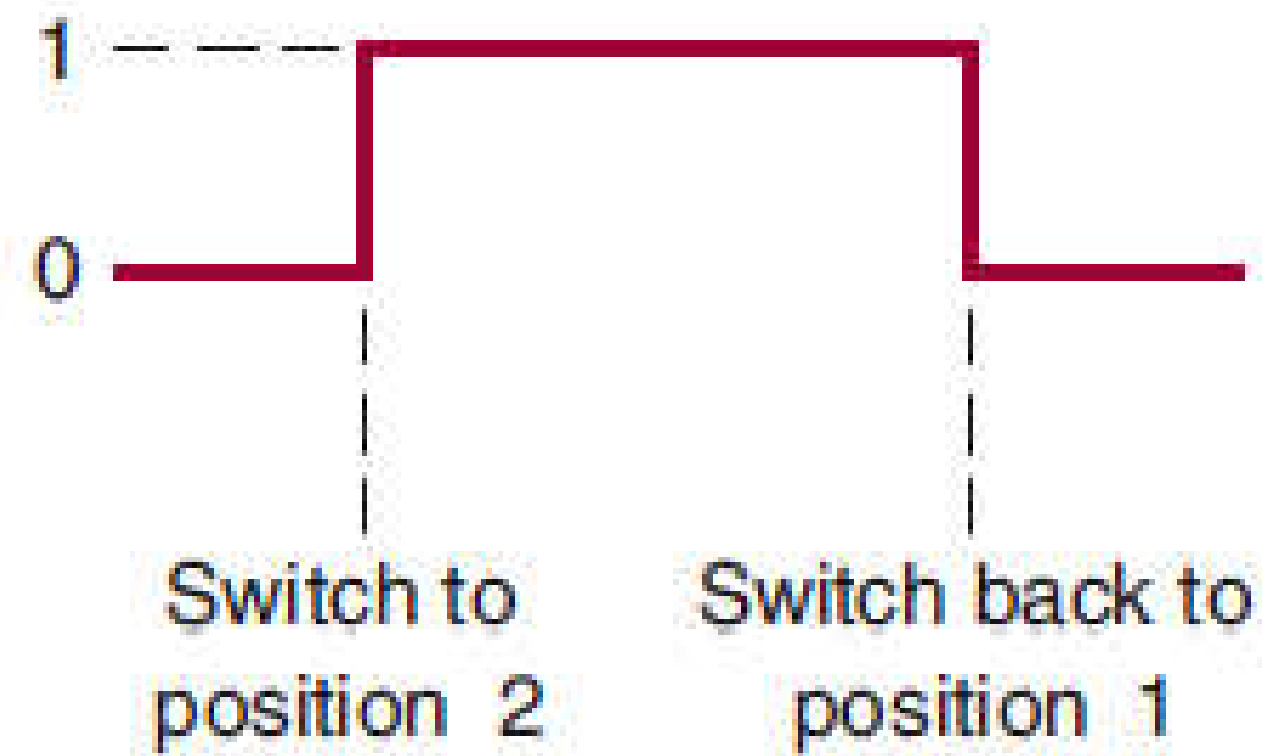
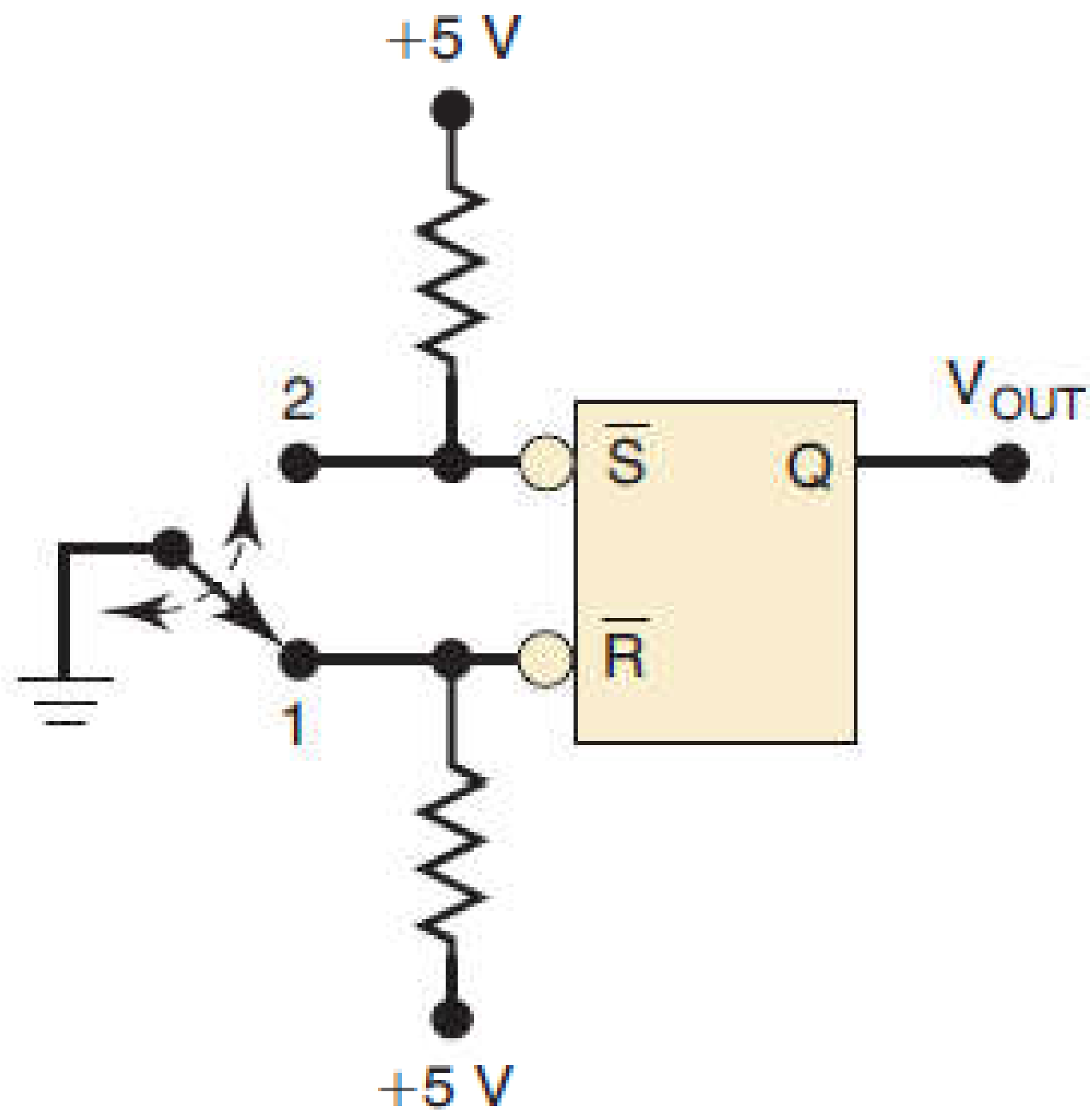
Elimination of Switch De-bounce



(a)



Switch Debounce Cont...

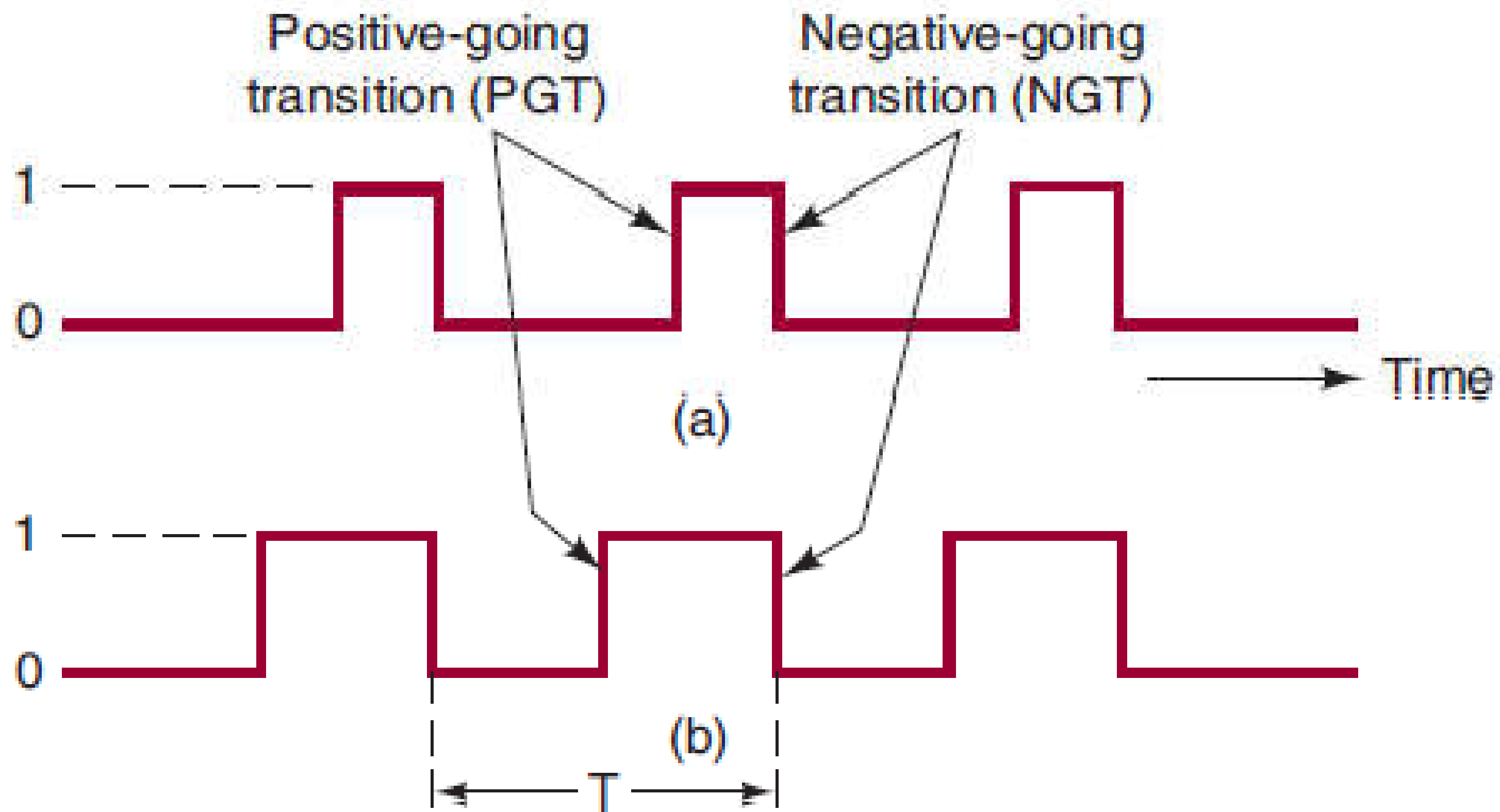


Flip – Flop State on Power UP

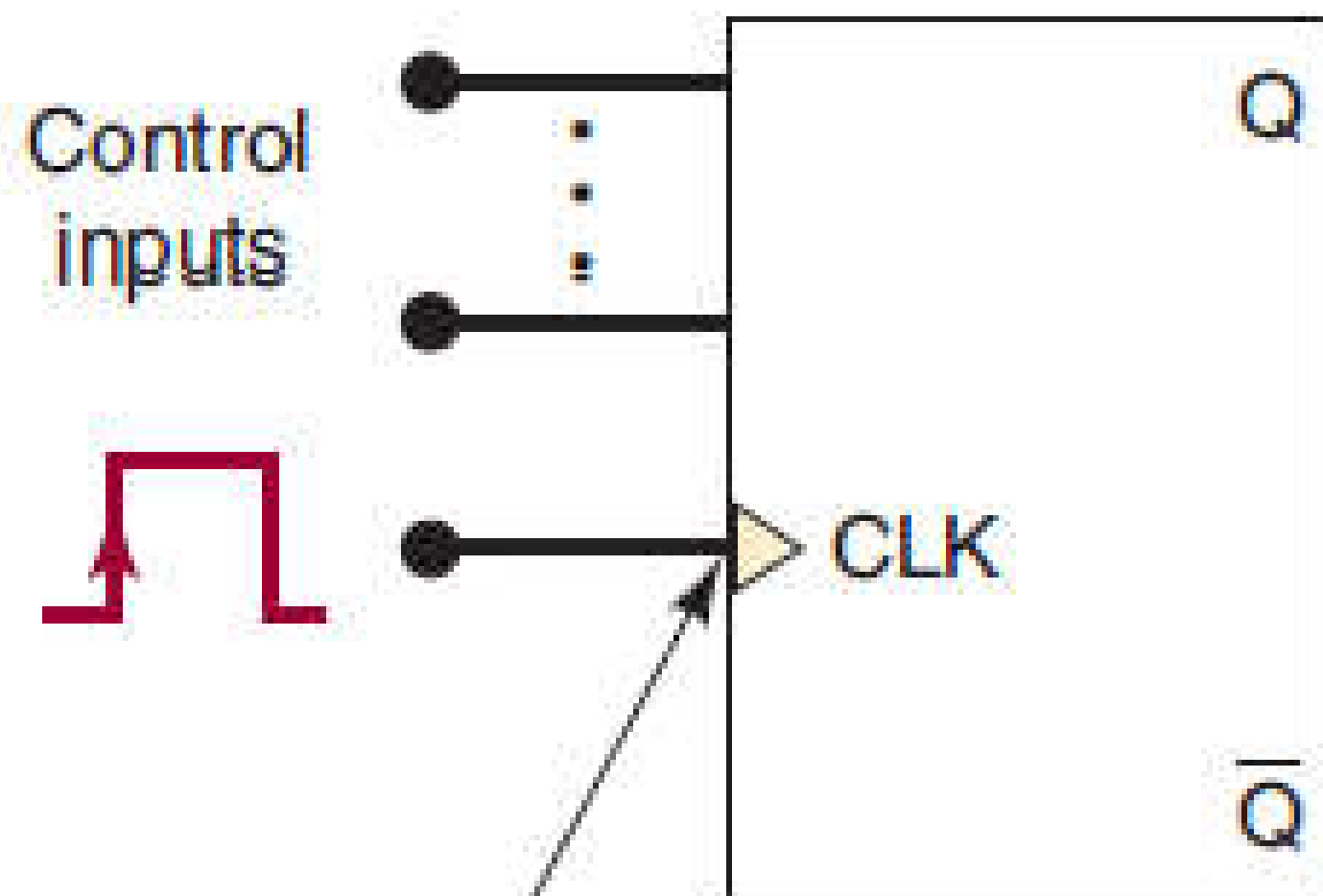


When power is applied to a circuit, it is not possible to predict the starting state of a flip-flop's output if its SET and RESET inputs are in their inactive state (e.g., $S = R = 1$ for a NAND latch, $S = R = 0$ for a NOR latch). There is just as much chance that the starting state will be $Q = 0$ as $Q = 1$. It will depend on factors such as internal propagation delays, parasitic capacitance, and external loading. If a latch or FF must start off in a particular state to ensure the proper operation of a circuit, then it must be placed in that state by momentarily activating the SET or RESET input at the start of the circuit's operation. This is often achieved by application of a pulse to the appropriate input.

Concept of Pulse and Edge

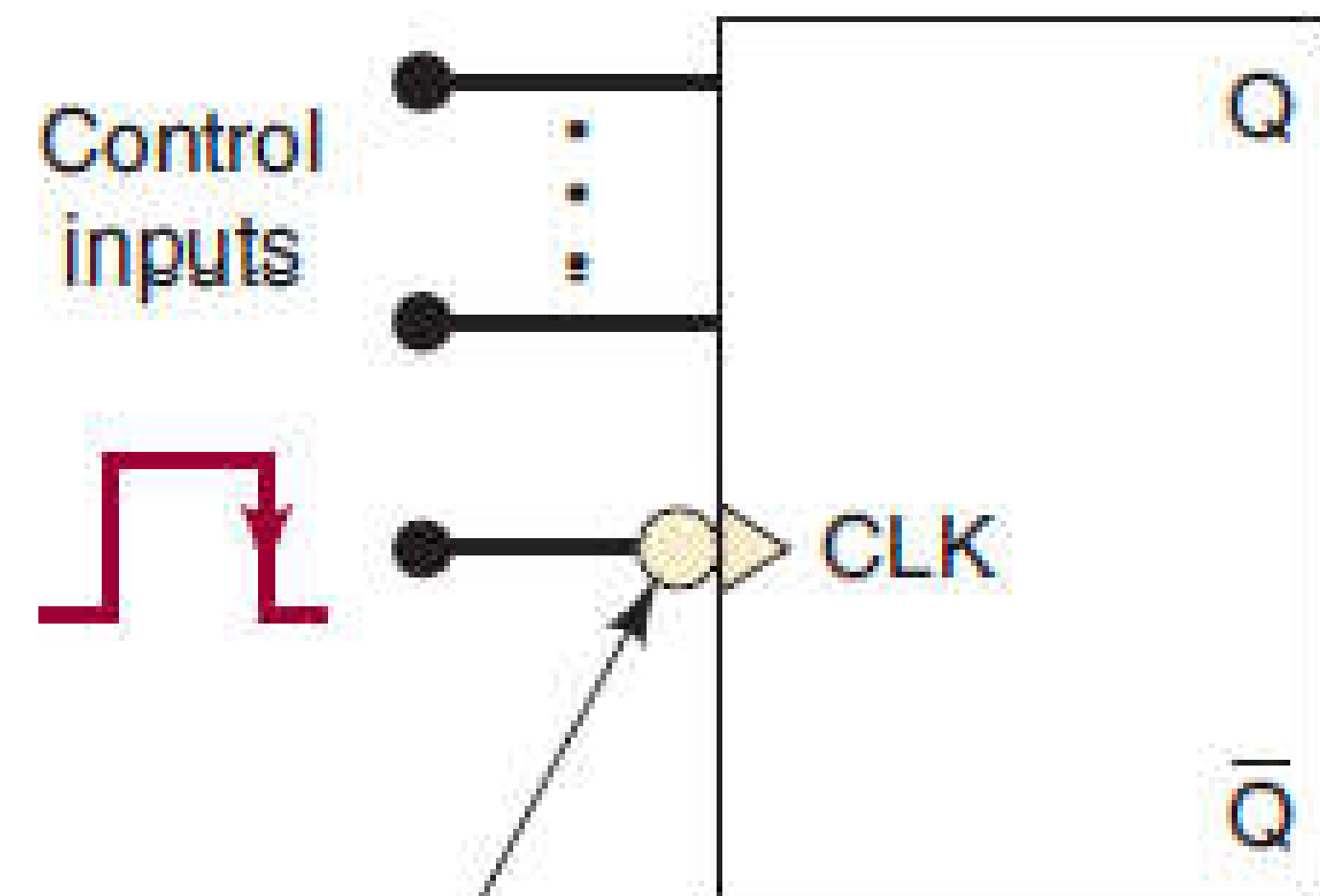


PET & NET



CLK is activated
by a PGT

(a)



CLK is activated
by an NGT

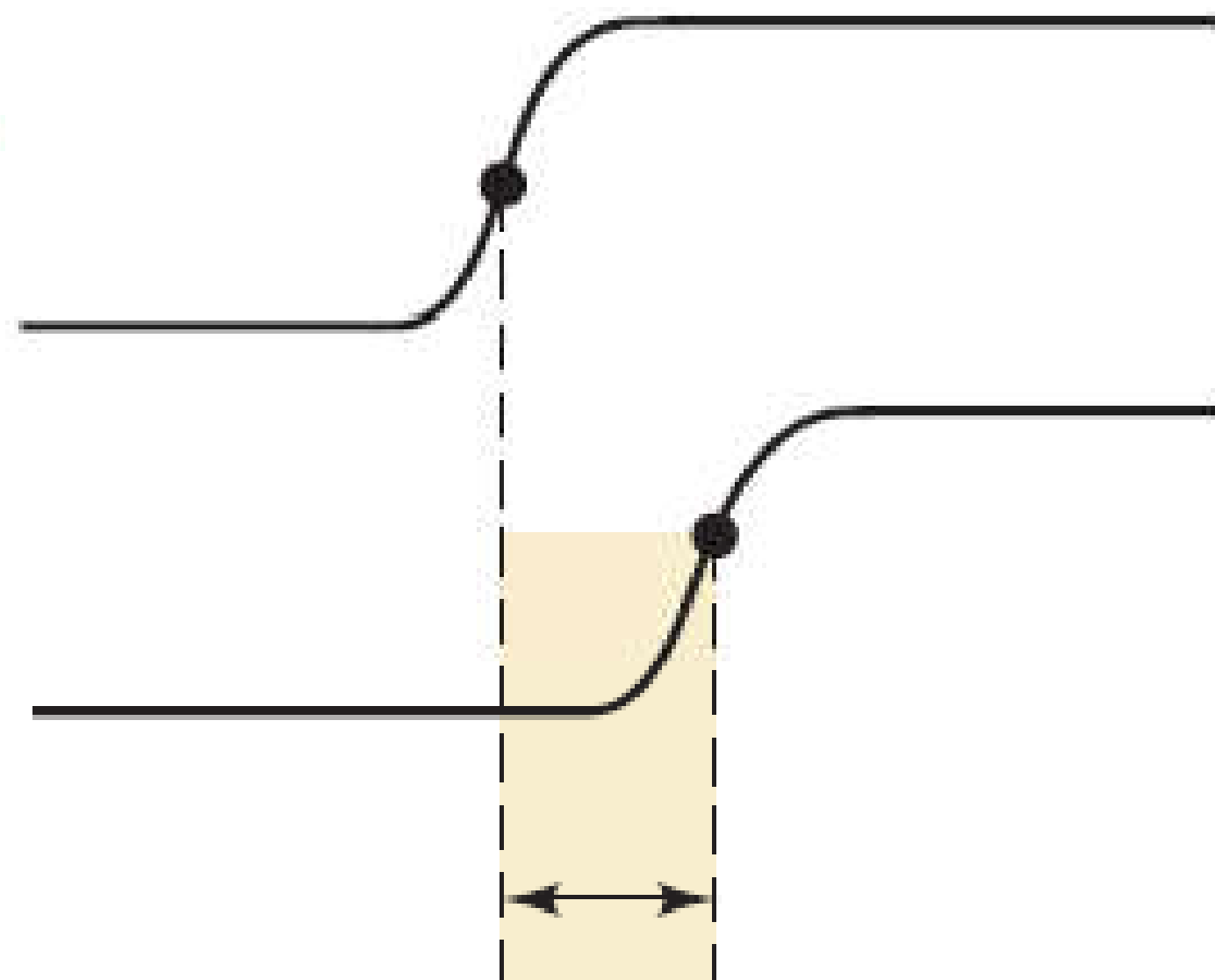
(b)

Setup & Hold Times



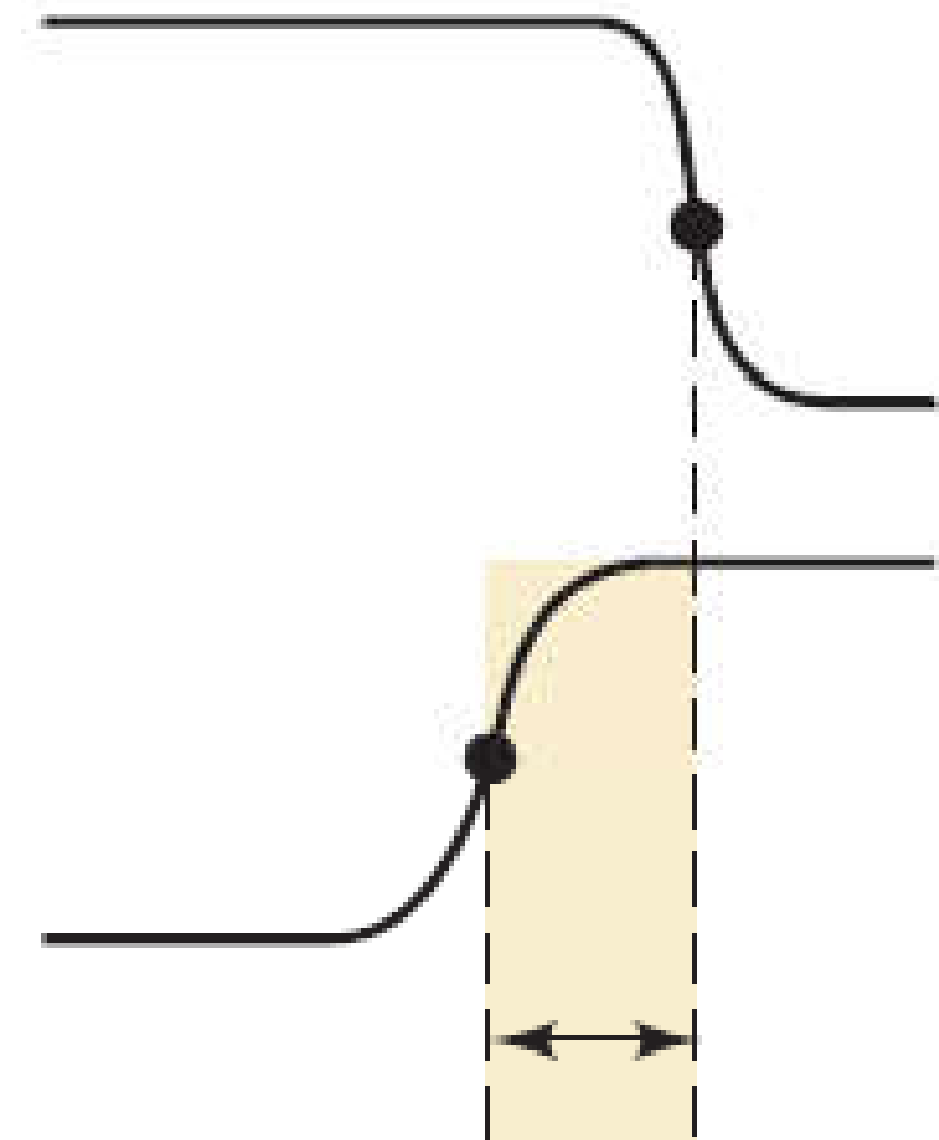
Synchronous
control input

Clock
input



t_s
Setup time

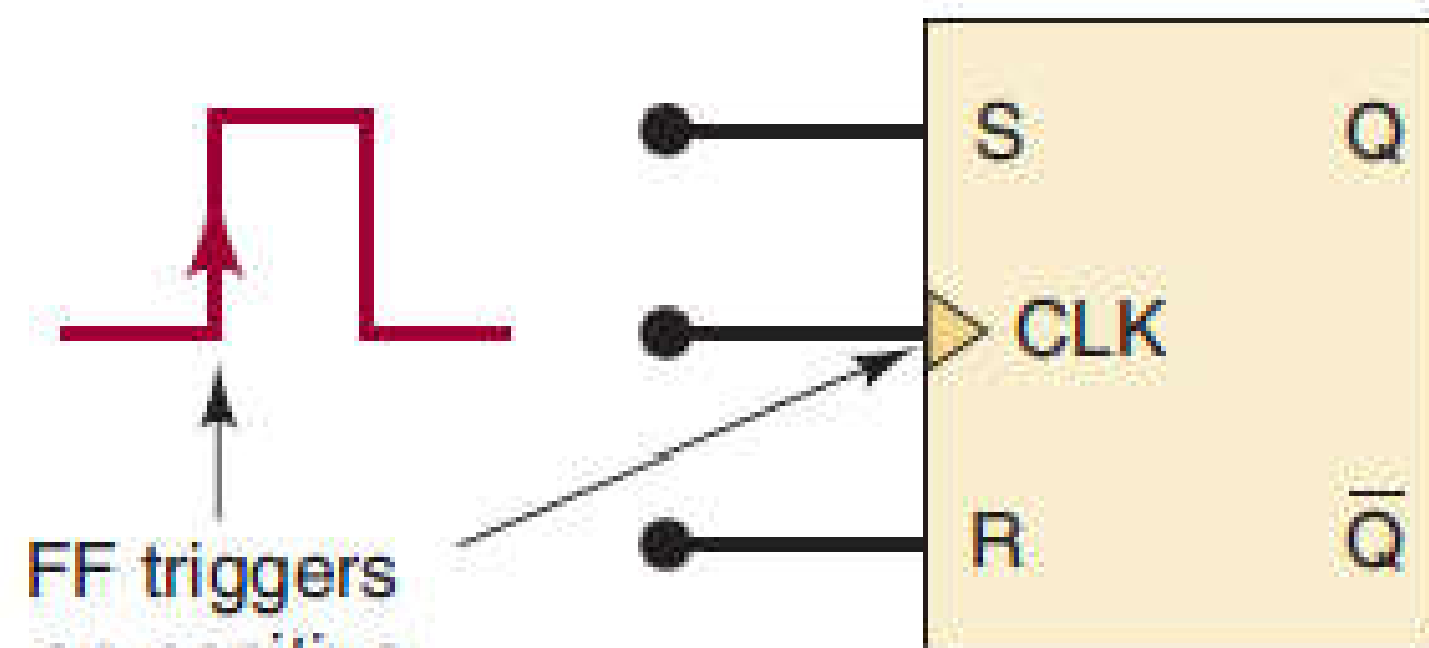
(a)



t_H
Hold time

(b)

Clocked SR Flip-Flop



FF triggers
on positive
transition

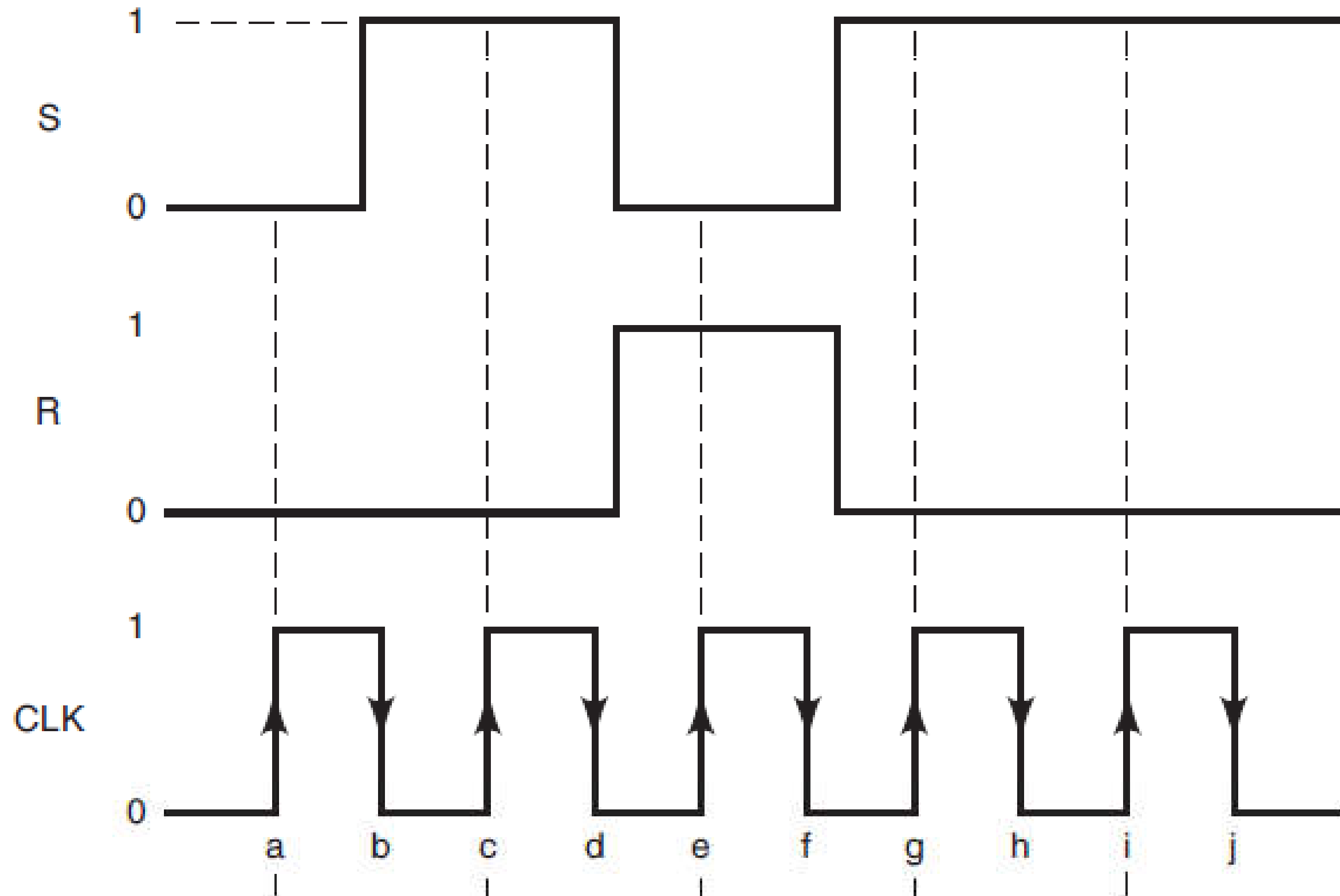
(a)

Inputs			Output
S	R	CLK	Q
0	0	\uparrow	Q_0 (no change)
1	0	\uparrow	1
0	1	\uparrow	0
1	1	\uparrow	Ambiguous

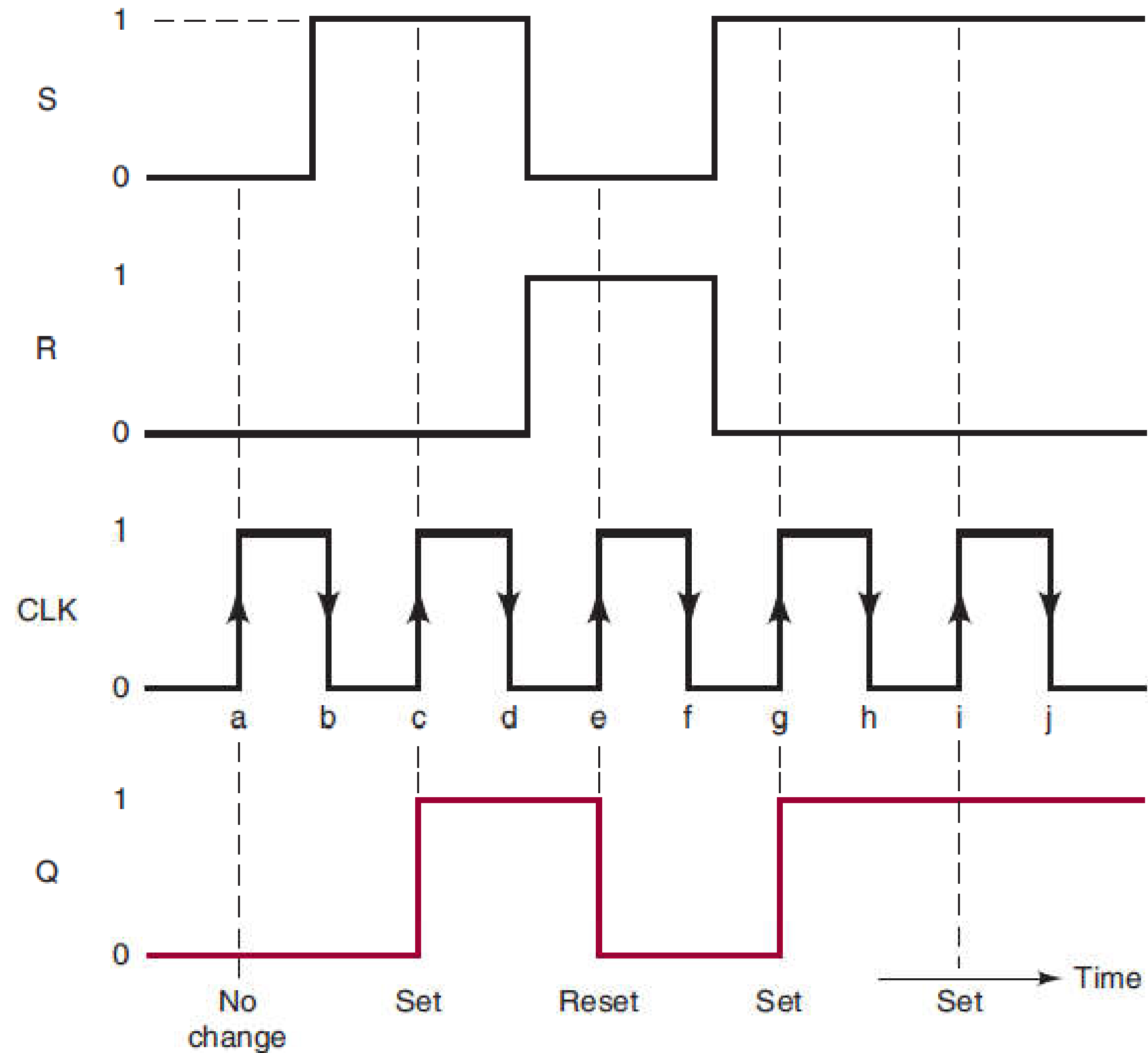
Q_0 is output level prior to \uparrow of CLK.
 \downarrow of CLK produces no change in Q.

(b)

Predict the Output



Solution

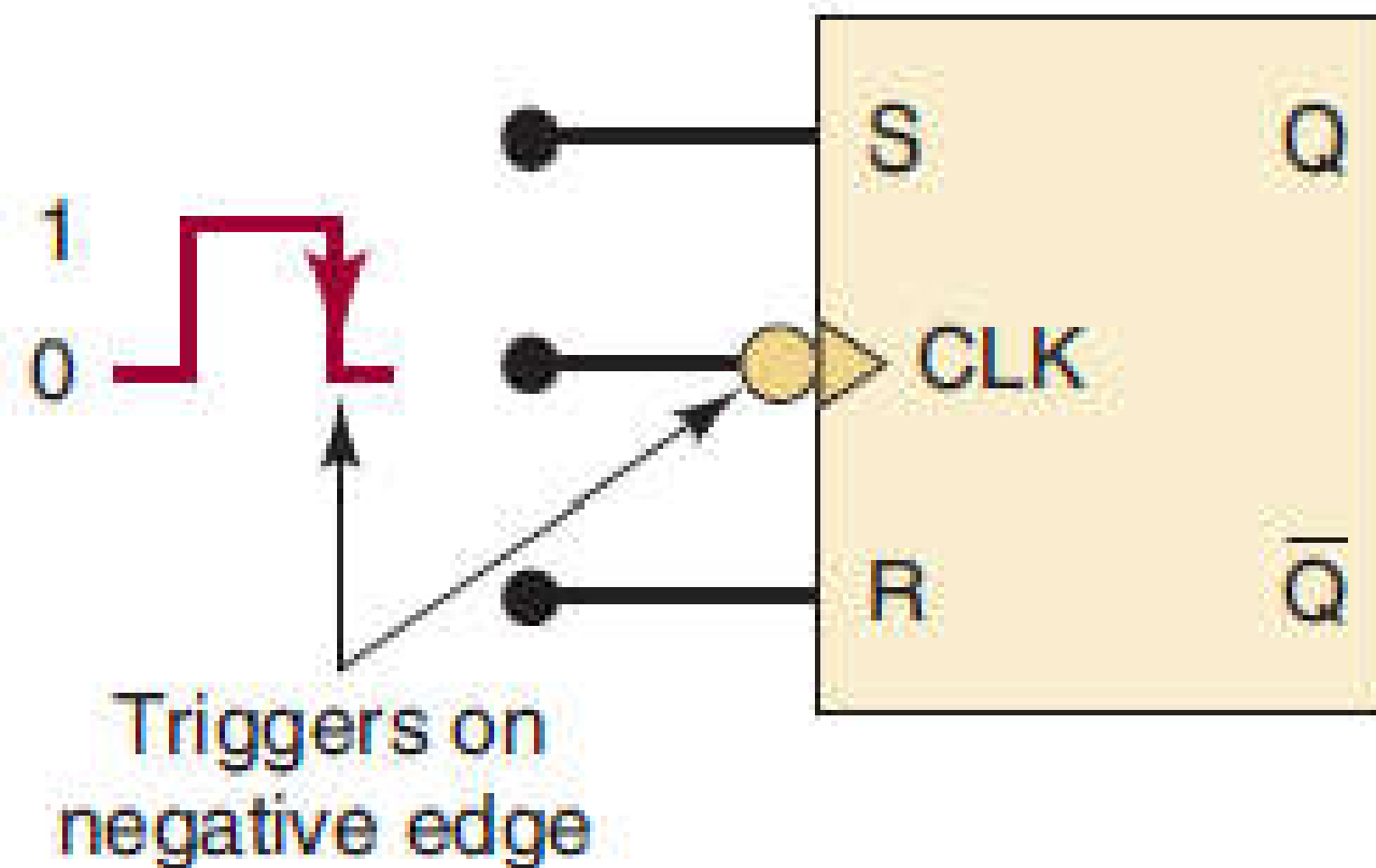


Explanation



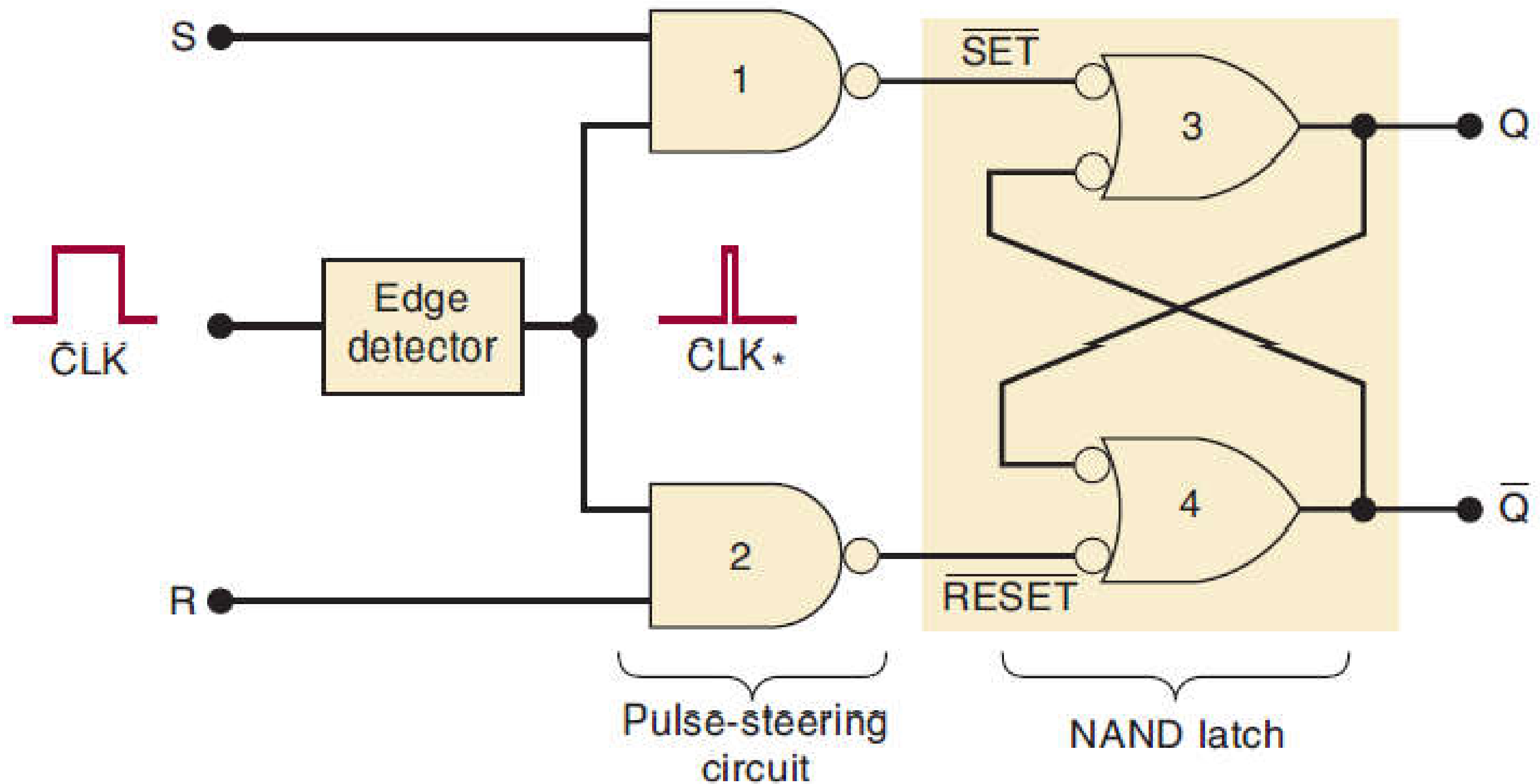
1. Initially all inputs are 0 and the Q output is assumed to be 0; that is, $Q_0 = 0$.
2. When the PGT of the first clock pulse occurs (point a), the S and R inputs are both 0, so the FF is not affected and remains in the $Q = 0$ state (i.e., $Q = Q_0$).
3. At the occurrence of the PGT of the second clock pulse (point c), the S input is now HIGH, with R still LOW. Thus, the FF sets to the 1 state at the rising edge of this clock pulse.
4. When the third clock pulse makes its positive transition (point e), it finds that $S = 0$ and $R = 1$, which causes the FF to clear to the 0 state.
5. The fourth pulse sets the FF once again to the $Q = 1$ state (point g) because $S = 1$ and $R = 0$ when the positive edge occurs.
6. The fifth pulse also finds that $S = 1$ and $R = 0$ when it makes its positive-going transition. However, Q is already HIGH, so it remains in that state.
7. The $S = R = 1$ condition should not be used because it results in an ambiguous condition.

Negative Edge Triggered SR FF

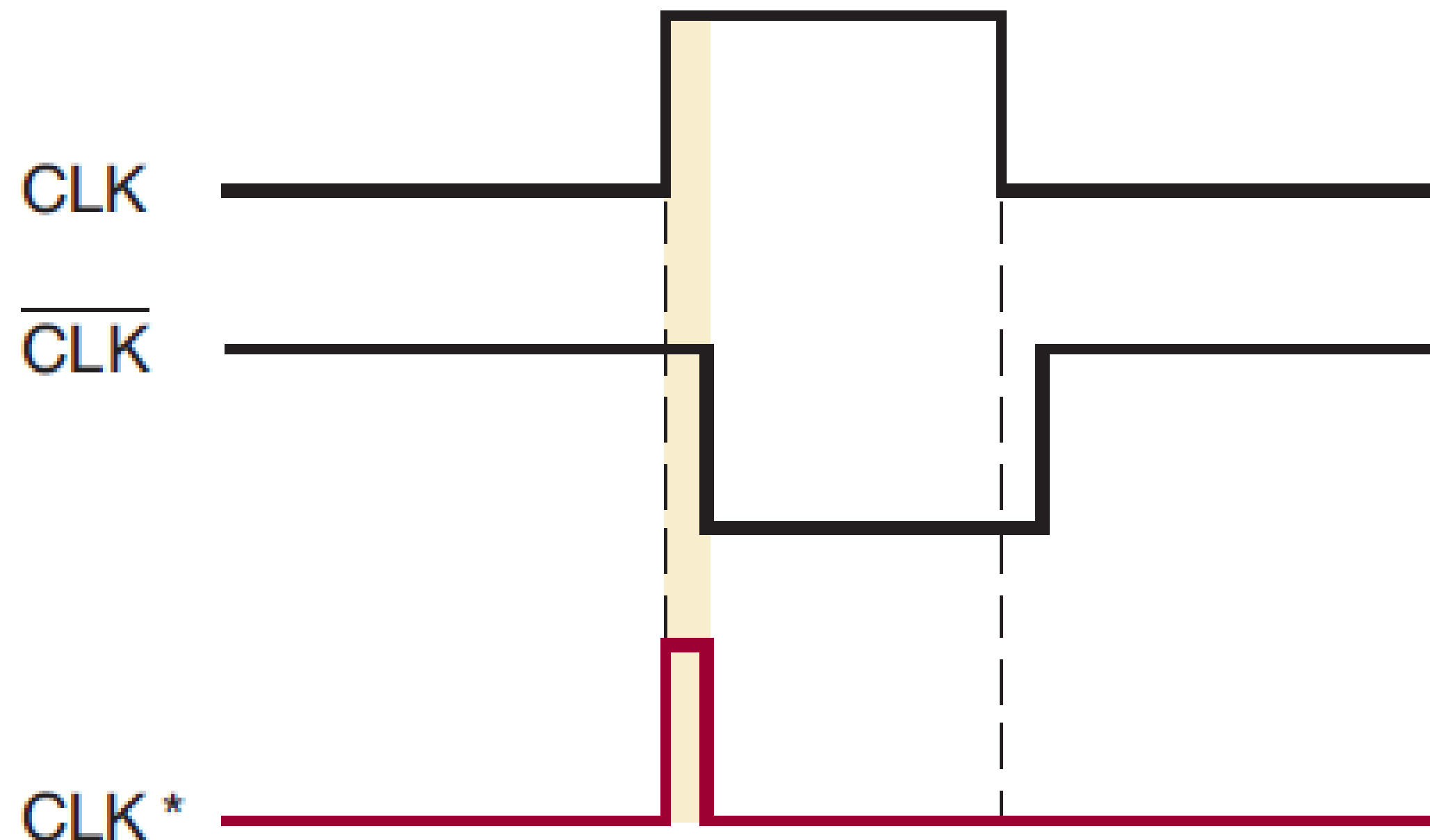
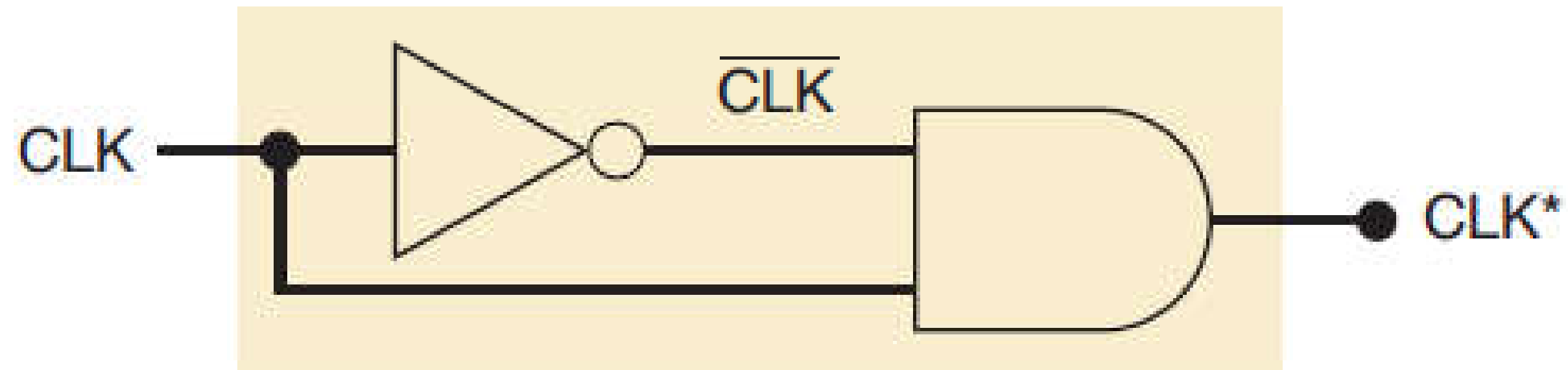


Inputs			Output
S	R	CLK	Q
0	0	↓	Q_0 (no change)
1	0	↓	1
0	1	↓	0
1	1	↓	Ambiguous

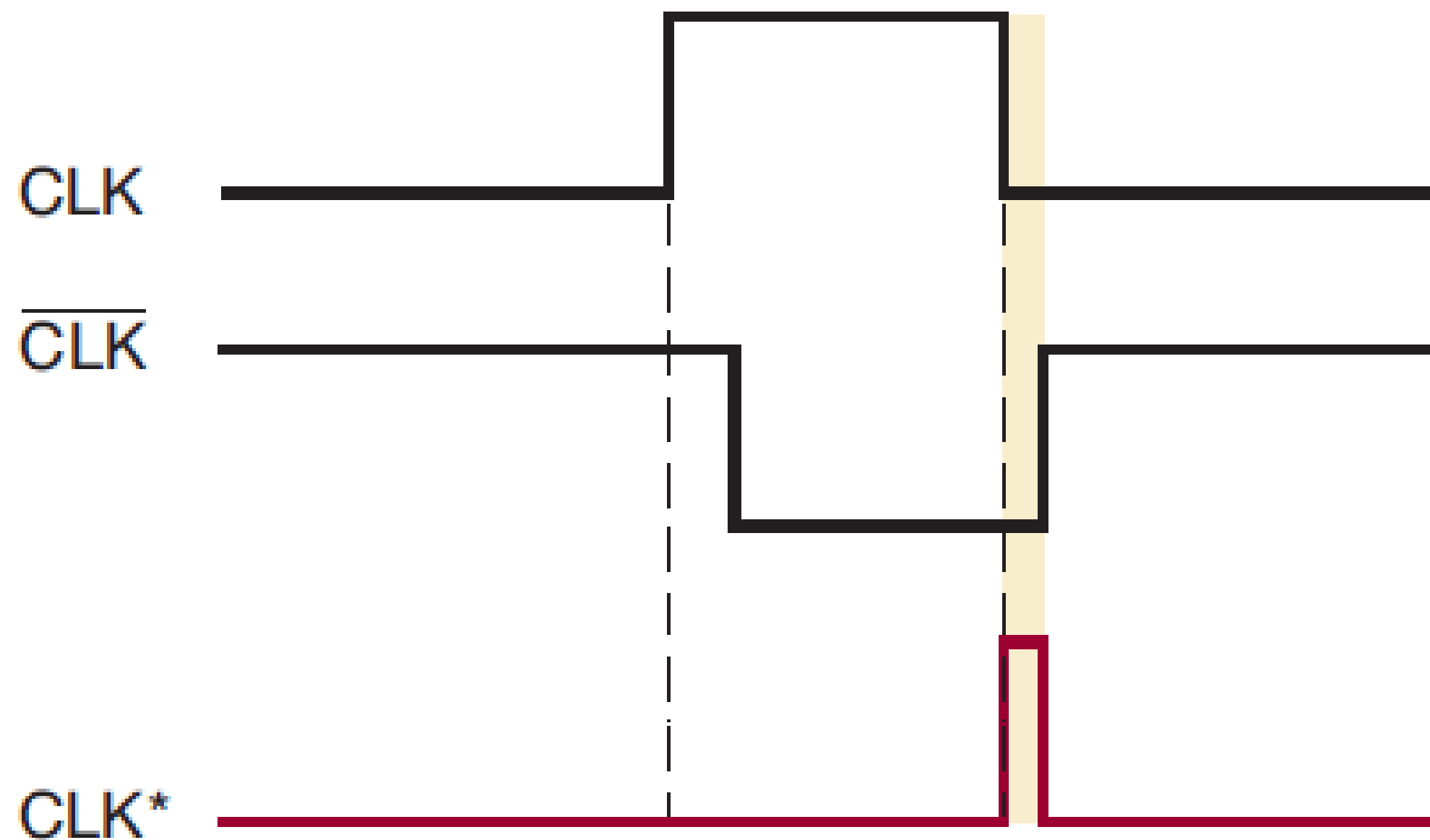
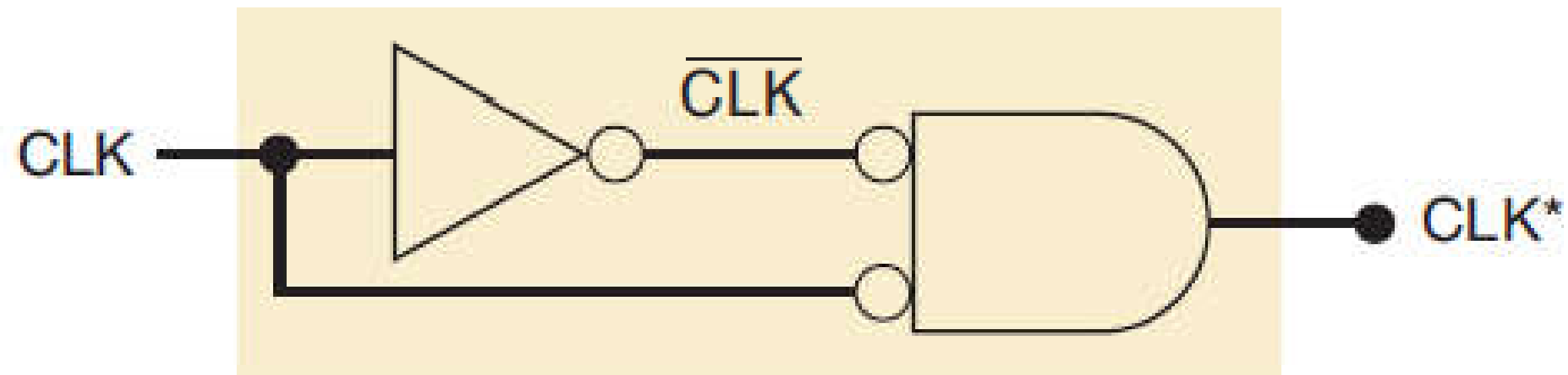
Internal Circuit of Clocked SR-FF



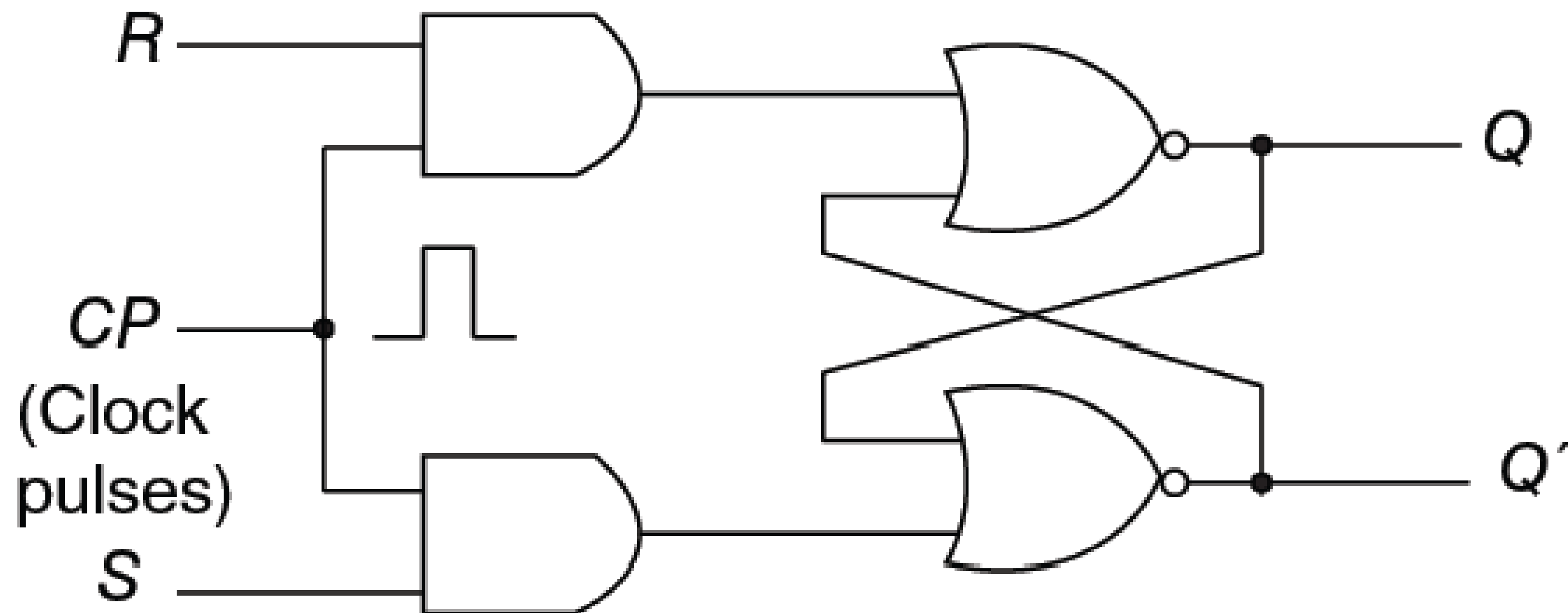
Generation of PET



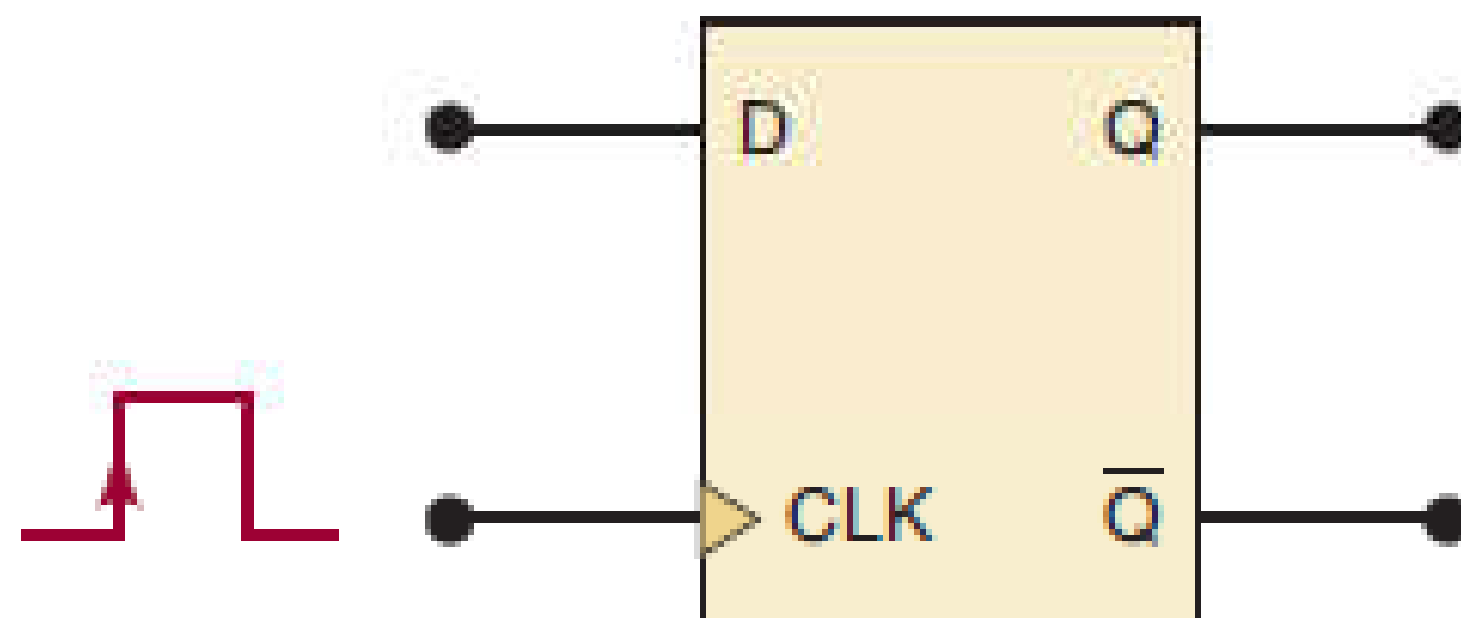
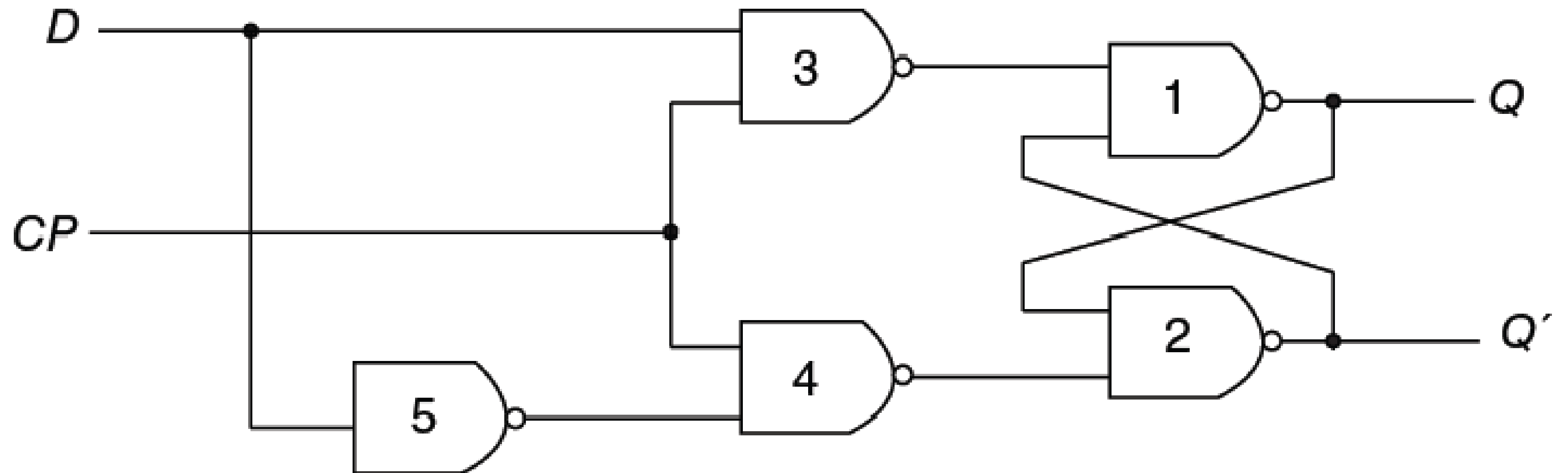
Generation of NET



Clocked RS – FF, Another Ckt

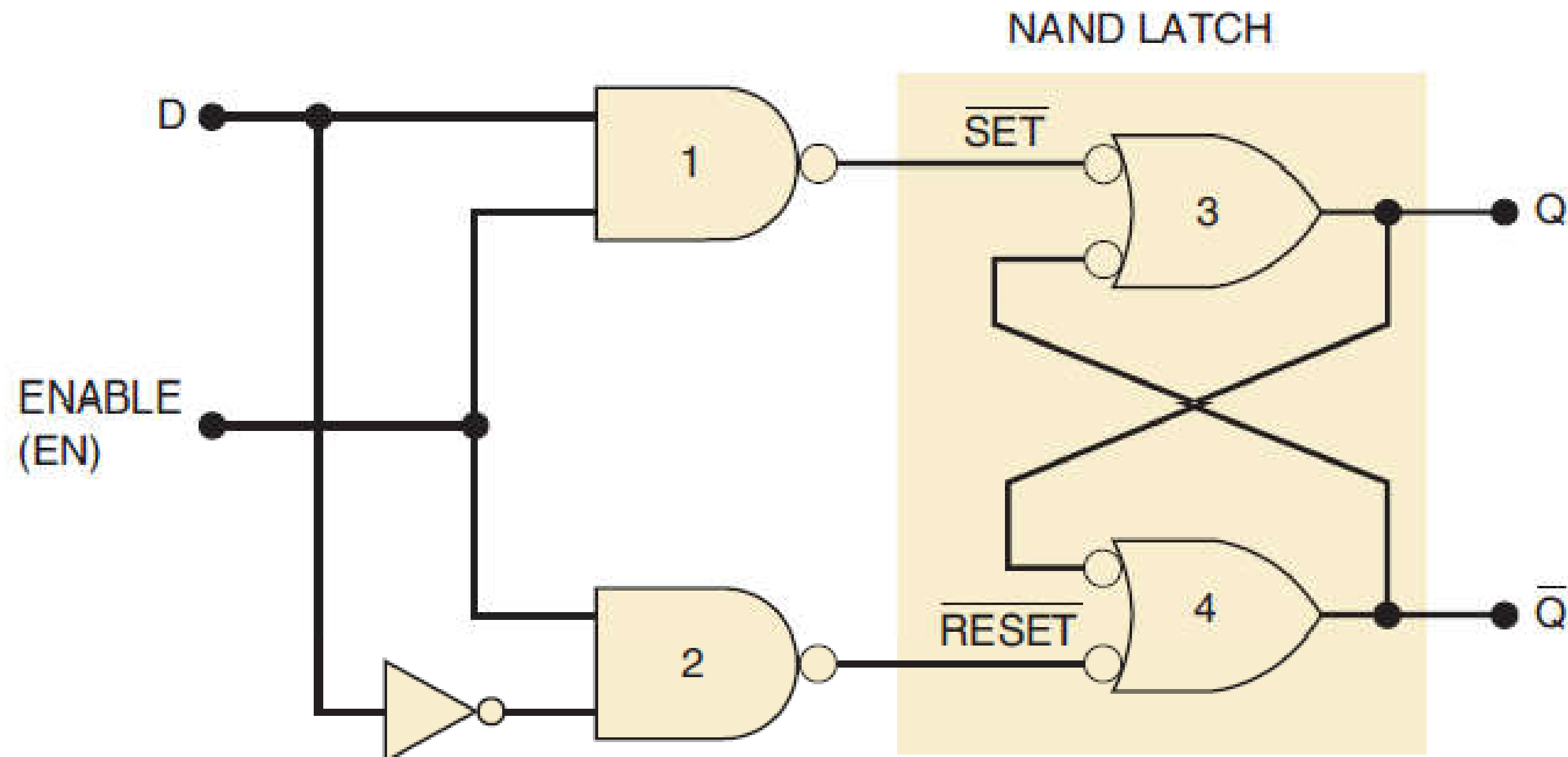


D - FF



D	CLK	Q
0	↑	0
1	↑	1

Another CKT



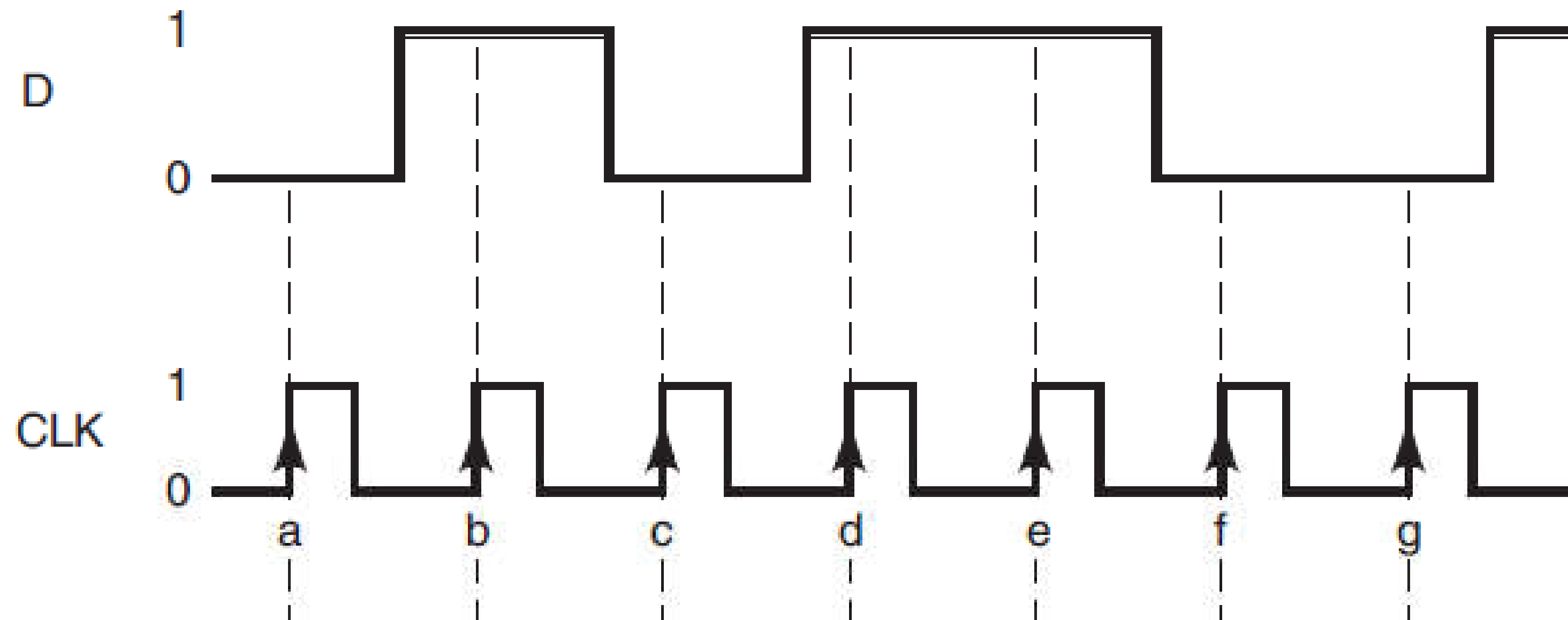
Inputs		Output
EN	D	Q
0	X	Q_0 (no change)
1	0	0
1	1	1

"X" indicates "don't care."
 Q_0 is state Q just
prior to EN going LOW.

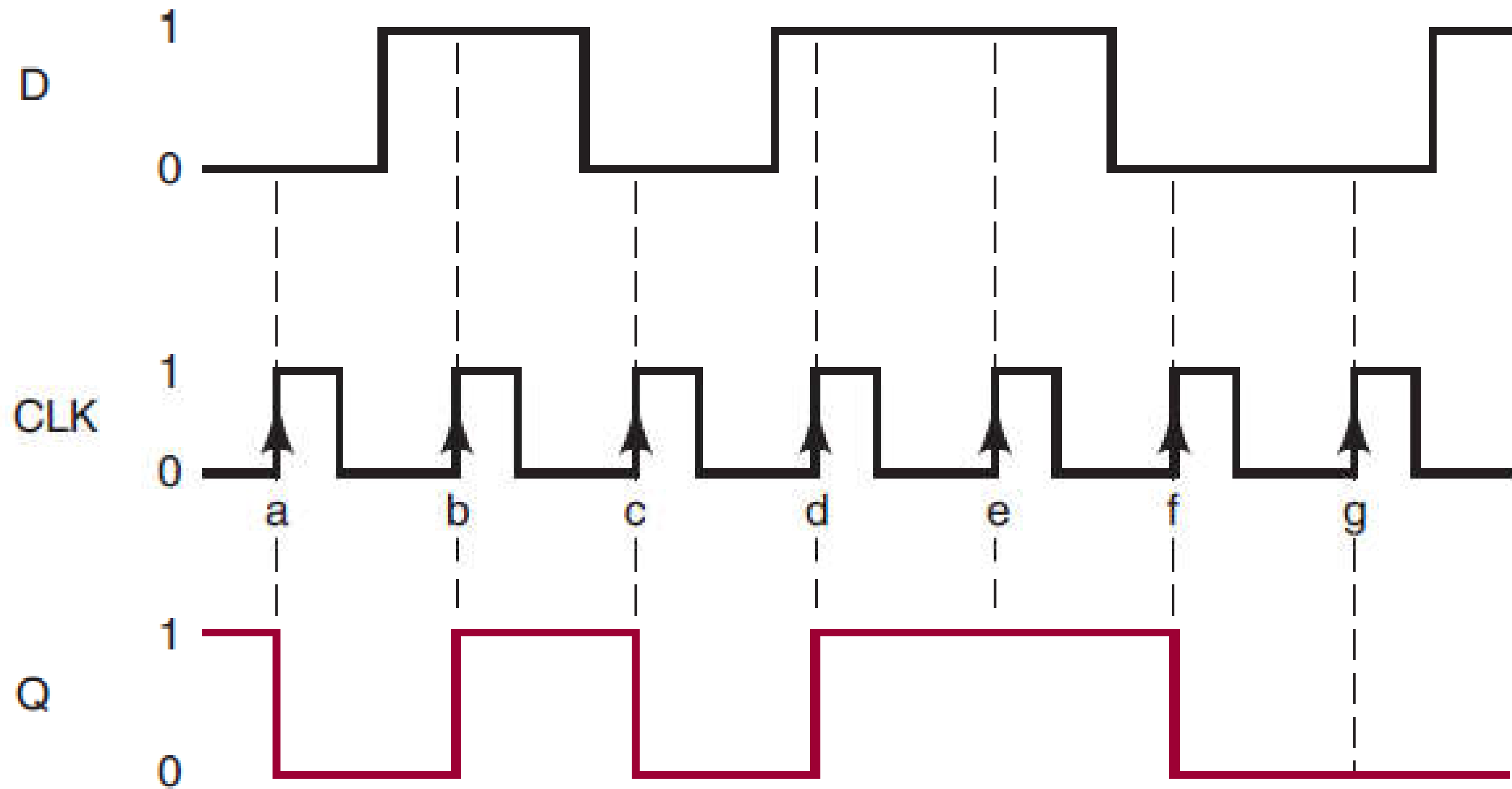
Predict the Output



Assume the Q is initially High



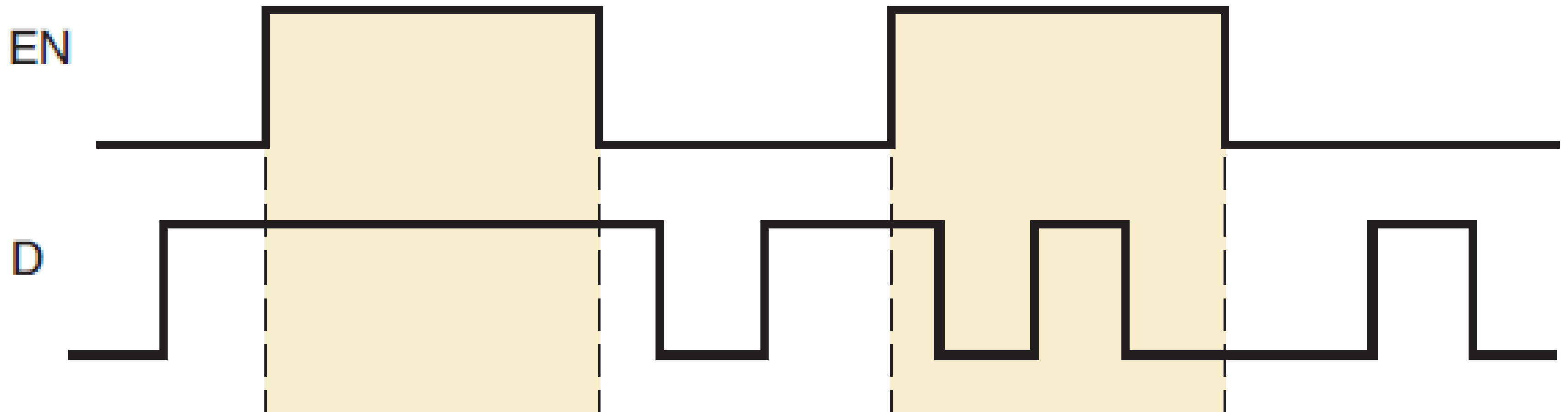
Solution



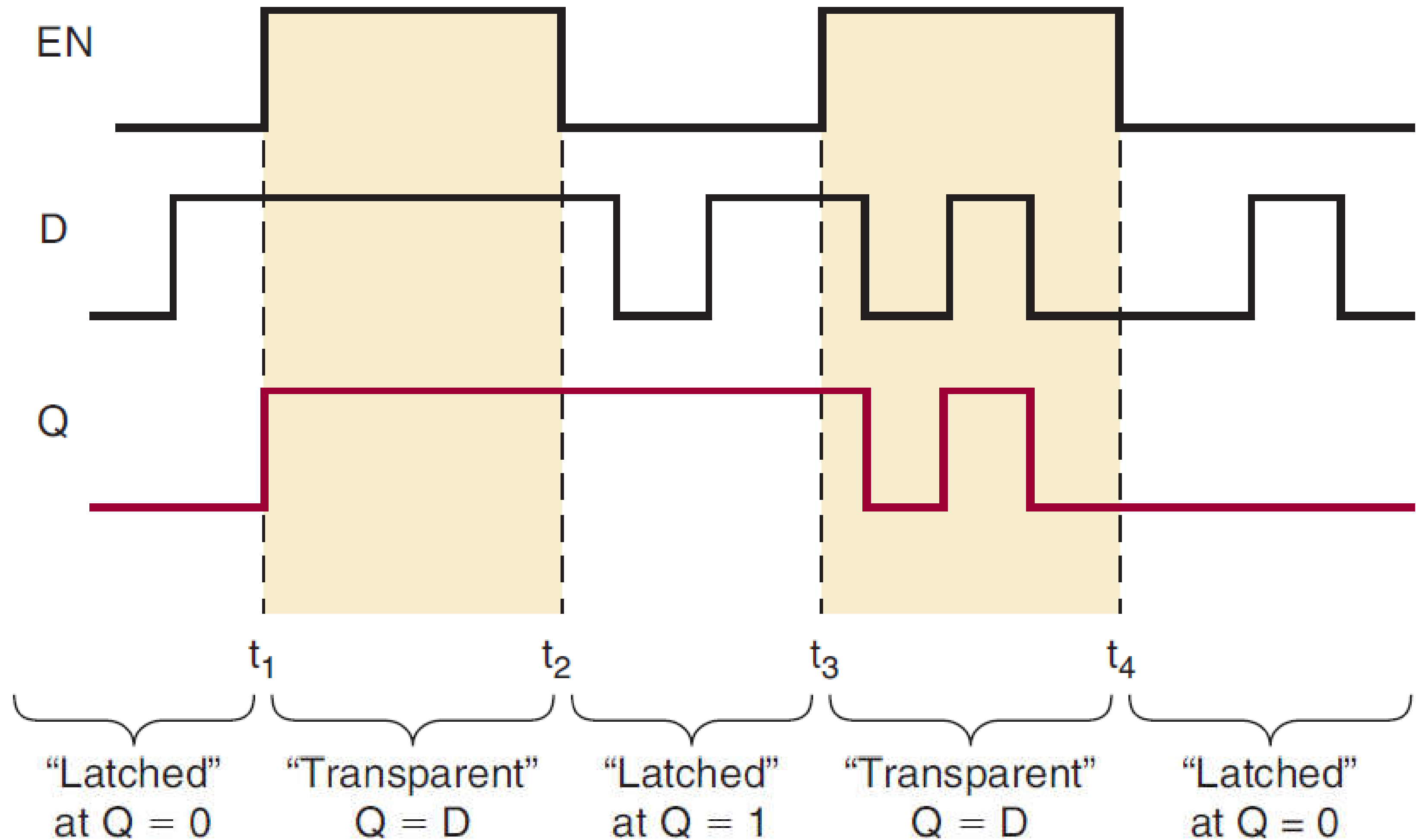
Question



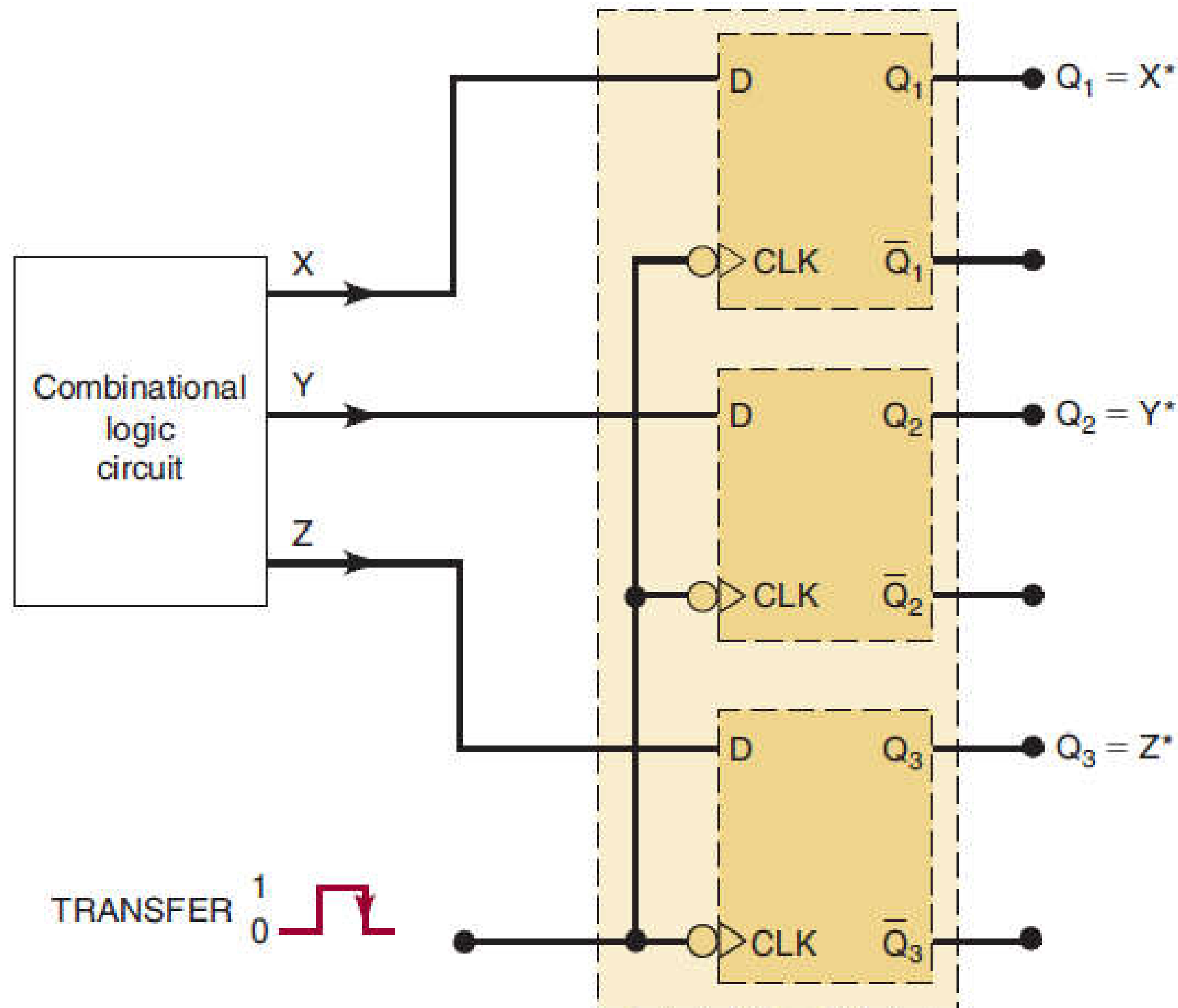
Assume, $Q=0$ Initially



Solution

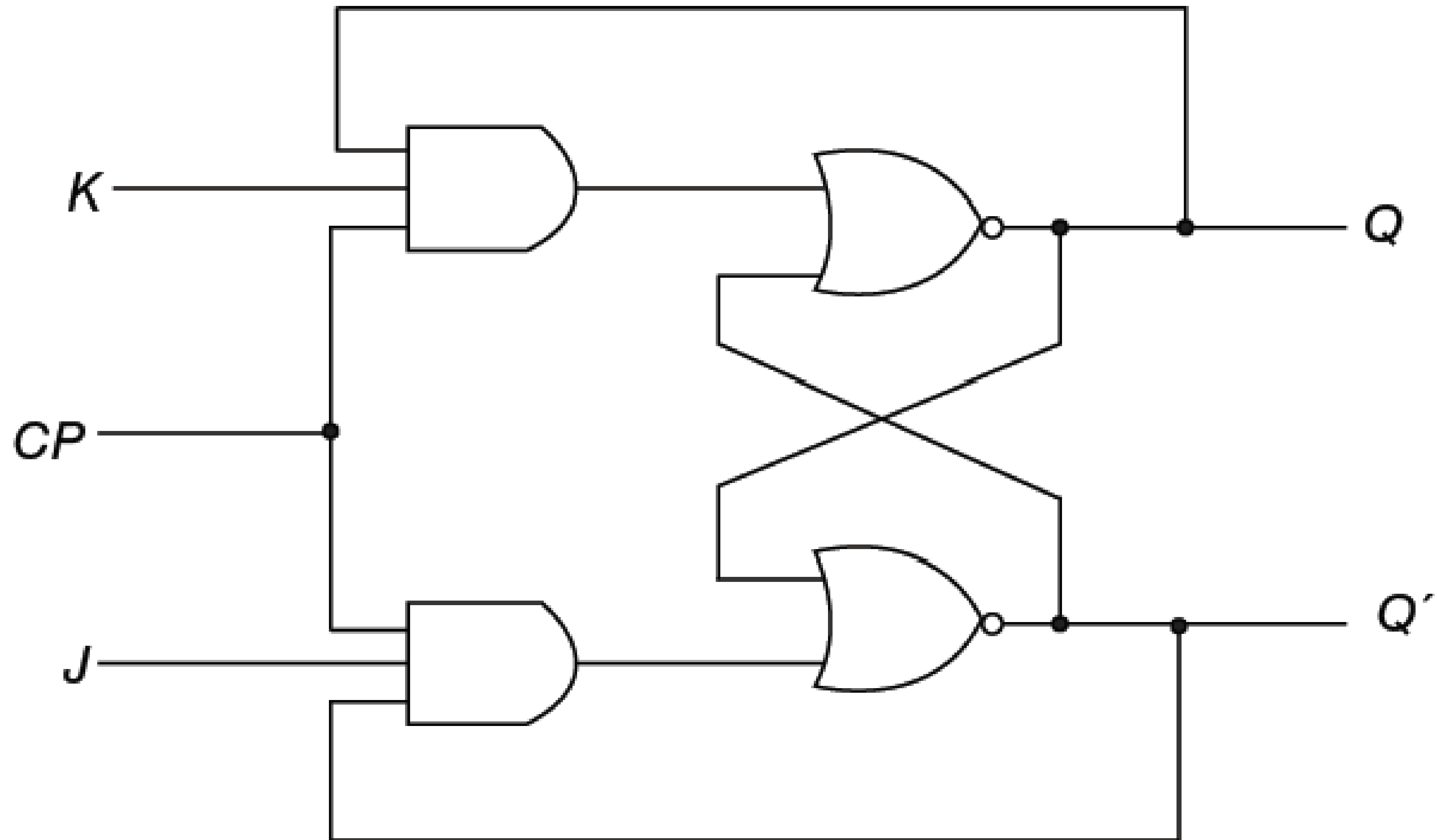


D-FF Application

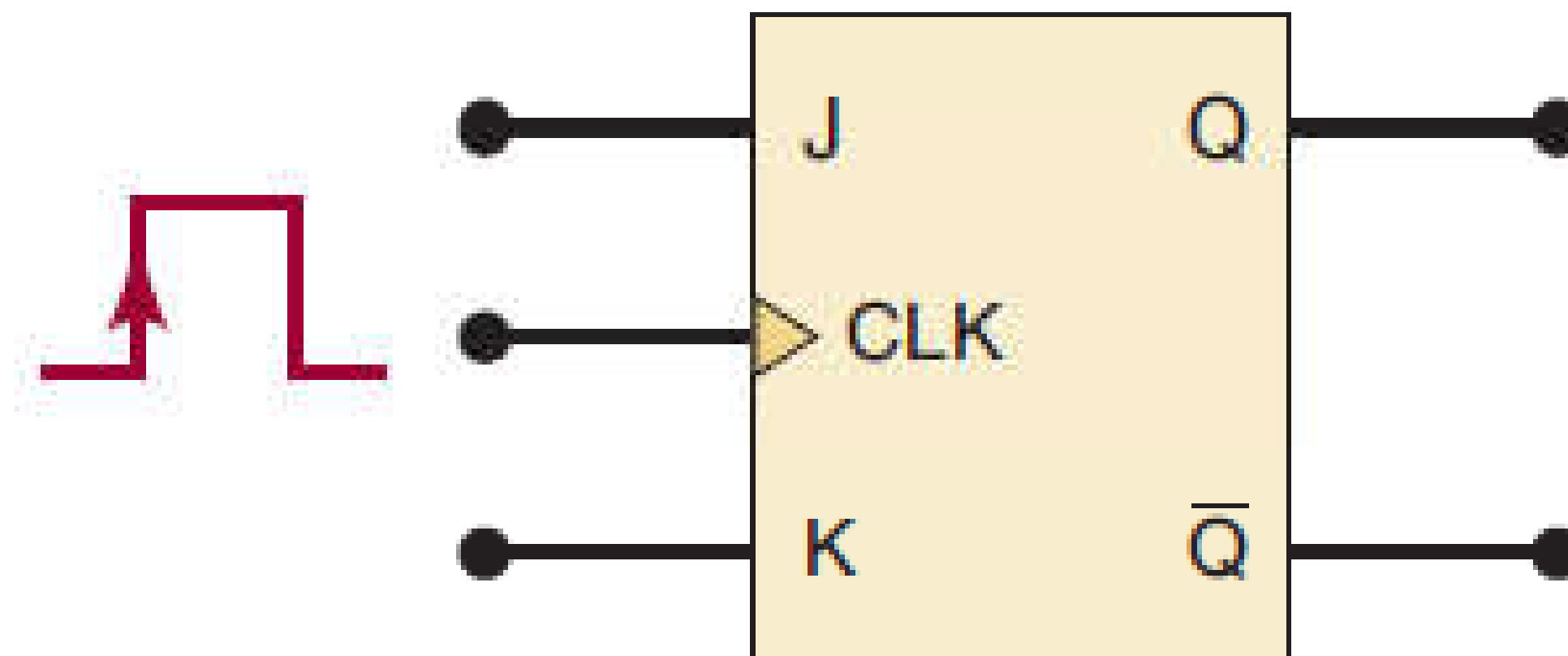


*After occurrence of NGT

JK – Flip Flop



JK FF

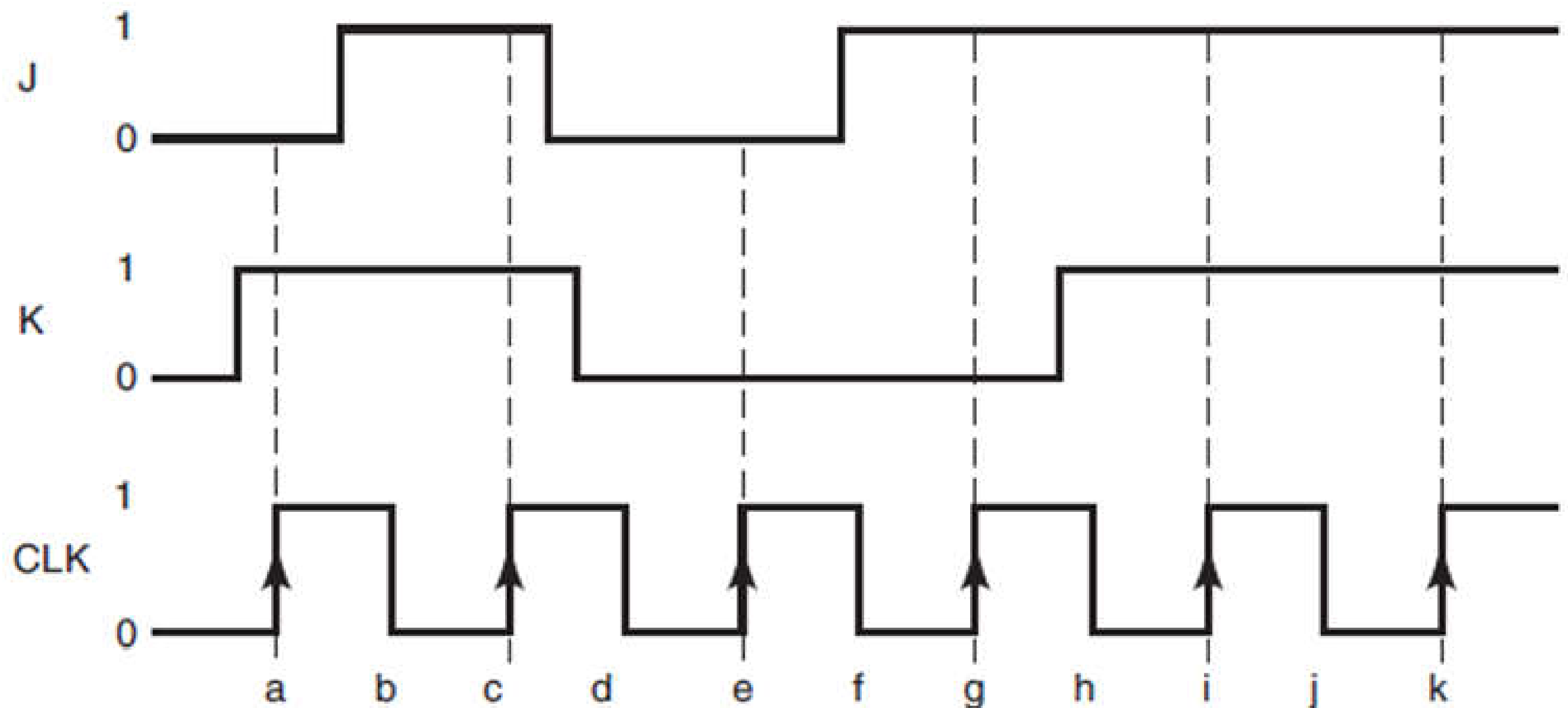


J	K	CLK	Q
0	0	↑	Q_0 (no change)
1	0	↑	1
0	1	↑	0
1	1	↑	$\overline{Q_0}$ (toggles)

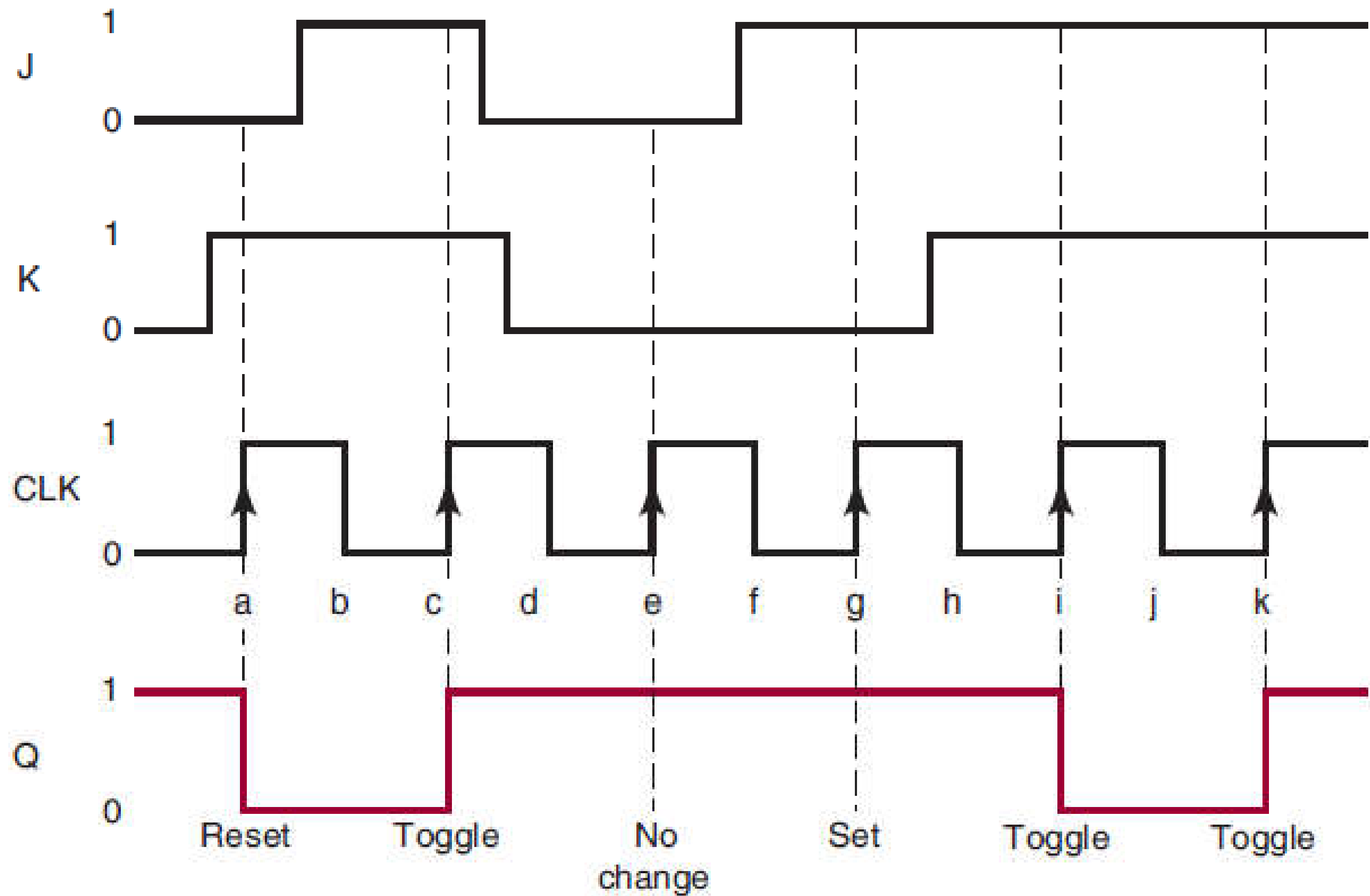
Predict the Output



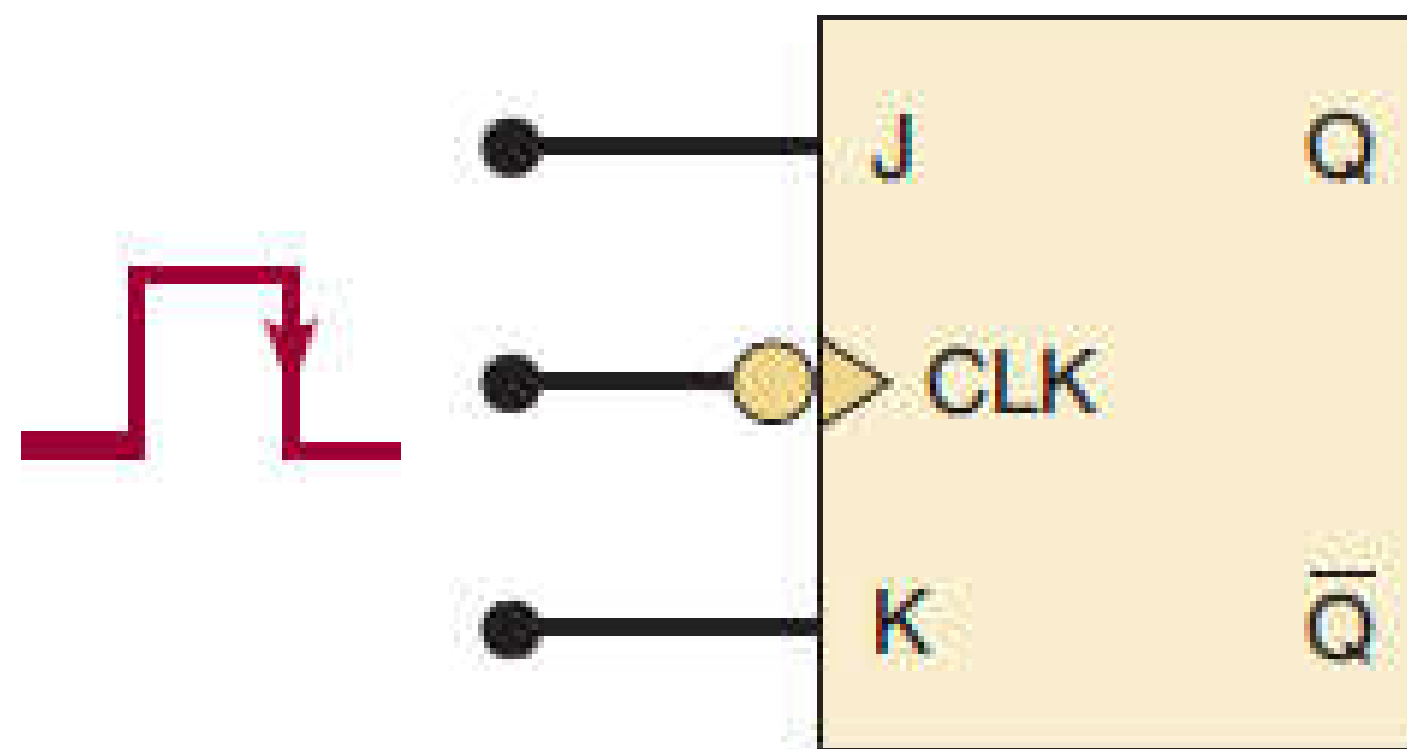
Assume $Q=1$ initially



Solution

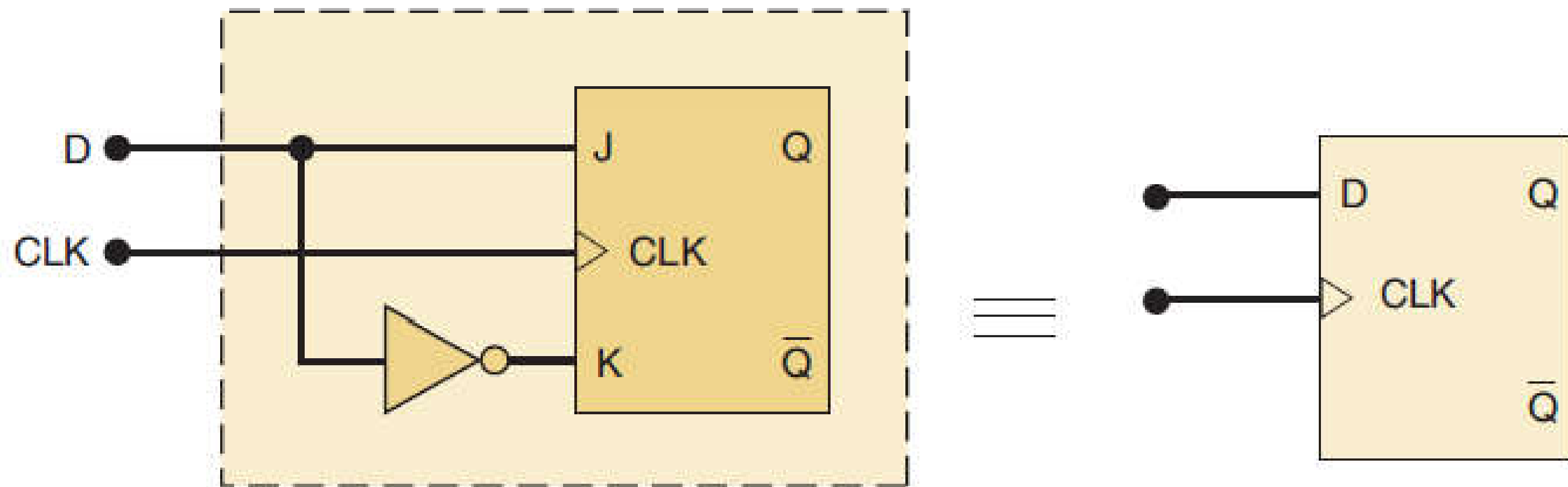


JK FF (Negative Edge Triggered)

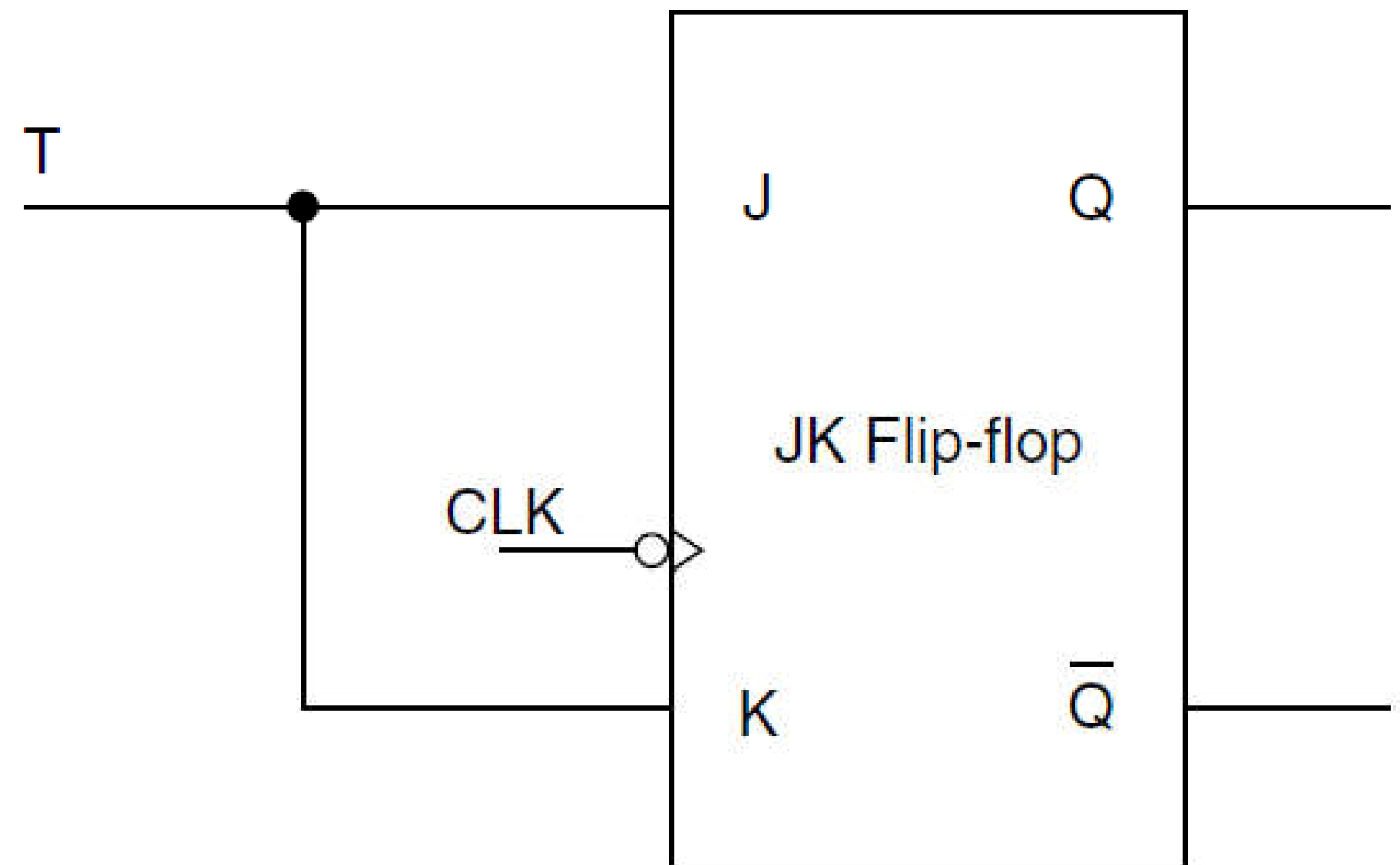
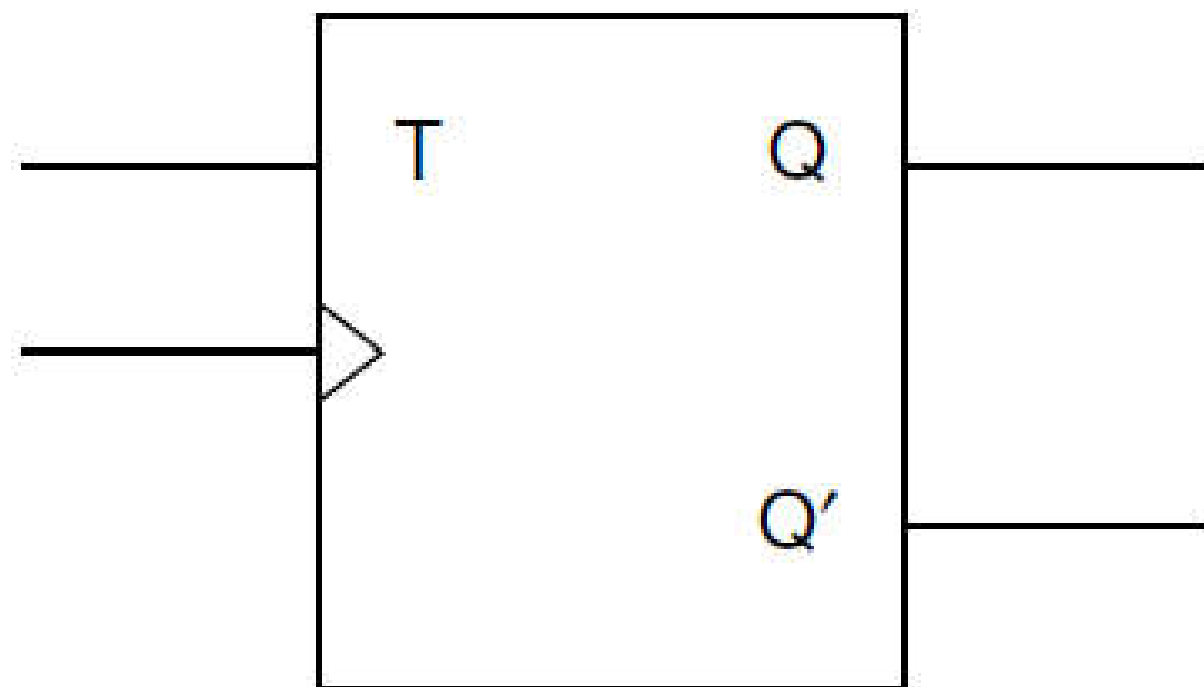


J	K	CLK	Q
0	0	↓	Q_0 (no change)
1	0	↓	1
0	1	↓	0
1	1	↓	$\overline{Q_0}$ (toggles)

D From JK - FF



T – Flip Flop



To be Continued...