

B.Tech. II CSE CS 208 Automata and Formal Languages Mid Semester Examination

Your email address will be recorded when you submit this form.

Not [u19cs012@coed.svnit.ac.in](#)? [Switch account](#)

* Required

Which of the following regular expressions over $\{0,1\}$ denotes the set of all string not containing 100 as a substring? * 1 point

- ☐ $0^*1^*01^*$
- ☐ 0^*1010^*
- ☒ $0^*(10+1)^*$
- ☐ $0^*(1^*0)^*$

DFA can recognize *

1 point

- ☐ only CFG
- ☐ only unambiguous grammar
- ☐ any grammar
- ☒ only regular language



$(a^*ab+ba)^*a^*$ is equivalent to *

1 point

- ☐ $(ab + ba + aba)$
- ☐ $(aba + bab)^*$
- ☐ $(a + b + ab)^*$
- ☒ $(a + ab + ba)^*$

Identify which of the following conditions does not hold *

1 point

- ☐ $(r_1 r_2)^* = (r_1^* + r_2^*)^*$
- ☒ $(r_1 r_2)^* = (r_1^* + r_2^*)$
- ☐ $(r_1 r_2)^* = r_1^* r_2^*$
- ☐ $(r_1 r_2)^* = (r_1^* r_2^*)^*$

Which of the following pairs are equivalent *

1 point

- ☒ $(ab)^*a$ and $a(ba)^*$
- ☐ $(a+b)^*$ and $(a^* + b^*)$
- ☐ None of these
- ☐ $(a^* + b)$ and $(a+b)^*$

$(1 + 00^*1) + (1 + 00^*1) (0 + 10^*1)^* (0 + 10^*1) = 0^*1(0+10^*1)^*$ *

1 point

- ☐ False
- ☒ True



DFA has *

1 point

- ☐ more than one initial states
- ☒ unique path (for a set of inputs) to the final state
- ☐ all of the these
- ☐ single final state

The set of regular languages over a given alphabet set is not closed under * 1 point

- ☒ None of these
- ☐ intersection
- ☐ union
- ☐ complement

Find the true statement *

1 point

- ☐ There is nothing like non-determinism in finite state automata.
- ☐ it depends from case to case.
- ☐ Non-determinism adds to the recognition power of finite-state automata.
- ☒ Non-determinism does not add to the recognition power of finite-state automat.

Given an arbitrary non-deterministic finite automation with N states the maximum number of states is an equivalent minimized DFA is at least *

1 point

- ☐ N^2
- ☒ 2^N
- ☐ $N!$
- ☐ $2N$



The intersection of $(a+b)^*a$ and $b(a+b)^*$ is given by *

1 point

- ☐ $(a+b)^*ab(a+b)^*$
- ☐ $ab(a+b)^*$
- ☒ $b(a+b)^*a$
- ☐ $a(a+b)^*b$

Which of the following is regular? *

1 point

- ☒ Strings of odd number of zeroes
- ☐ Strings of all palindromes made up of 0's and 1's
- ☐ Strings of 0's whose length is a prime number
- ☐ Strings of 0's whose length is a perfect square

The basic limitation of finite state machine is that *

1 point

- ☐ it sometimes recognizes non regular language
- ☐ all the these
- ☐ it sometimes does not recognizes regular language
- ☒ it can't remember arbitrary large information

The set of all strings 0's and 1's such that every pair of adjacent 0's appears before any pair of adjacent 1's *

1 point

- ☐ $(10 + 0)^* (\epsilon + 1)^* (\epsilon + 0)$
- ☐ $(10 + 0)^* (\epsilon + 1) (01 + 01)^* (\epsilon + 0)$
- ☒ $(10 + 0)^* (\epsilon + 1) (01 + 1)^* (\epsilon + 0)$
- ☐ $(100)^* (\epsilon + 1) (01 + 1)^* (\epsilon + 0)$



The rules for DFA state that *

1 point

- ☐ every state of a DFA must always have at most one existing transition arrow for each symbol in the alphabet.
- ☒ every state of a DFA must always have exactly one existing transition arrow for each symbol in the alphabet.
- ☐ every state of a DFA may have one, or many existing transition arrow for each symbol in the alphabet.
- ☐ every state of a DFA may have zero, one, or many existing transition arrow for each symbol in the alphabet.

$(0 + 1 + 00)^* = ?$ *

1 point

- ☐ 0^*1^*
- ☒ $(0 + 1)^*$
- ☐ $0^* + 1^*$
- ☐ $(01)^*$

$(1+00^*1)+(1+00^*1)(0+10^*1)^*(0+10^*1) = ?$ *

1 point

- ☐ $(1+00^*1)(0+10^*1)^*$
- ☒ $(0+10^*1)^*0^*1$
- ☐ None of these
- ☐ $0^*1(0+10^*1)^*$



The language generated by a deterministic finite automata is *

1 point

- ☐ context free language
- ☐ informal language
- ☒ regular language
- ☐ context sensitive language

The set of all strings which are either strings of a's followed by one b or strings of b's followed by one a *

1 point

- ☐ $a^+(ab+a)^*$
- ☐ $(aa+b)^*(bb+a)^*$
- ☐ $a(a+b)^*ab$
- ☒ a^*b+b^*a

L is a nonempty language such that any w in L has length n, then any DFA accepting L must have *

1 point

- ☒ exactly (n+1) states
- ☐ atleast (n+1) states
- ☐ atmost (n+1) states
- ☐ exactly n states



Identify which of the following conditions hold *

1 point

- ☐ $(r_1^* r_1^*)^* = r_1^*$
- ☐ $r_1^* r_1^* = r_1^*$
- ☒ $(r_1 + r_1)^* = (r_1^*)^*$
- ☐ $(r_1^*)^* = r_1^*$

For text searching applications which of them is used *

1 point

- ☐ NFA
- ☒ DFA
- ☐ CFG
- ☐ NCFG

$0(0+1)^* + (0+1)^* 00(0+1)^* = ?$ *

1 point

- ☐ $(01^*)0^*1^*$
- ☒ $((01^*)0^*1^*)^*$
- ☐ None of these
- ☐ $((1^*0)^*01^*)^*$

$(11 + 111)^* = (111^*)^*$ *

1 point

- ☒ False
- ☐ True



Find the regular expression for the set of all strings having atmost one pair of 0's or atmost one pair of 1's *

1 point

- ☐ $(1+01)^* + (1+00)^* (1+10)^* + (1+10)^* + (1+10)^* 11 (0+10)^*$
- ☐ $(1+01)^* + (1+01)^* 00 (1+01)^* + (0+10)^* + (0+10)^* 11 (0+10)^*$
- ☒ $(1+00)^* + (1+01)^* (1+10)^* + (1+11)^* + (0+10)^* 11 (0+10)^*$
- ☐ None of the these

Select which of following represent a set of all strings with a and ending with ab *

1 point

- ☐ $a^* + (ab+a)^*$
- ☐ $a^*b + b^*a$
- ☐ $(aa+b)^*(bb+a)^*$
- ☒ $a(a+b)^*b$

Identify which of the following conditions hold *

1 point

- ☐ $(r_1 + r_2)^* = (r_1^* r_2^*)$
- ☒ $(r_1 + r_2)^* = (r_1^* r_2^*)^*$
- ☐ $(r_1 + r_2)^* = (r_1^* + r_2^*)$
- ☐ $(r_1 + r_2)^* = (r_1^* + r_2^*)^*$



A language $L = \{a^w : w \text{ in of form } \{a, b\}^+\}$ is *

1 point

- ☐ context sensitive
- ☐ None of these
- ☒ regular
- ☐ context free

Applications of finite automata can not be found in *

1 point

- ☐ String matching
- ☐ Spelling checkers
- ☐ Lexical analyzers
- ☒ Storage purpose

What is the regular expression defining the language of all words with an odd number of b's is *

1 point

- ☐ $a^*b + (a^*ba + b)^* + a^*$
- ☒ $a^*b(a^*ba^*b)^*a^*$
- ☐ None of these
- ☐ $a^*(a^*b)^*a^*$

A copy of your responses will be emailed to u19cs012@coed.svnit.ac.in.

Page 1 of 1

Submit

This form was created inside of Sardar Vallabhbhai National Institute of Technology, Surat. [Report Abuse](#)

Google Forms