

3> n bit

$n = 128 \text{ bits} \rightarrow$

Attacker = 50 numbers \rightarrow 1's
 $128 - 50 = 78$ 0's

BRUTE force

$$\frac{(128)!}{(50!)(78)!} \rightarrow [1.12 \times (e^{36})]$$

a) Substitution cipher [replace plain text \rightarrow]

① we can do frequency analysis of block (cipher) letter

- ① 1-to 1 unique mapping
- ② frequency of letters in english language
- ③ ~~language~~

(2^{50}) combinations

(finite time)

\rightarrow It does not change the number of 1's

(can be cracked)

b) Permutation cipher

try out all the permutation of all letters of alphabet

& convert it into binary & then use it as dictionary to decrypt the cipher

It's same as substitution cipher, since permutations are not increasing 1's

c) combination of subs + permutation cipher

~~It's very hard to~~

Same \Rightarrow

$(128)! / (50! 78!)$

(same

time taken)

substitution \rightarrow permutation \rightarrow no extra calc needed)