

Aim: Demonstrate Data Imputation with statistical technique on numerical values and right down the conclusion about the assumption

```
In [59]: import pandas as pd
import numpy as np
```

```
In [4]: df=pd.read_csv('titanic_toy.csv')
df
```

```
Out[4]:
```

	Age	Fare	Family	Survived
0	22.0	7.2500	1	0
1	38.0	71.2833	1	1
2	26.0	7.9250	0	1
3	35.0	53.1000	1	1
4	35.0	8.0500	0	0
...
886	27.0	13.0000	0	0
887	19.0	30.0000	0	1
888	NaN	23.4500	3	0
889	26.0	NaN	0	1
890	32.0	7.7500	0	0

891 rows × 4 columns

```
In [5]: df.head()
```

```
Out[5]:
```

	Age	Fare	Family	Survived
0	22.0	7.2500	1	0
1	38.0	71.2833	1	1
2	26.0	7.9250	0	1
3	35.0	53.1000	1	1
4	35.0	8.0500	0	0

```
In [6]: df.isnull().sum()
```

```
Out[6]: Age          177
Fare           45
Family           0
Survived        0
dtype: int64
```

```
In [7]: df.isnull().mean()*100
```

```
Out[7]: Age          19.865320
Fare          5.050505
Family          0.000000
Survived       0.000000
dtype: float64
```

```
In [8]: x=df.drop(columns=['Survived'])#independent columns
```

```
In [9]: y=df['Survived']#dependent columns
```

```
In [10]: y
```

```
Out[10]: 0      0
1      1
2      1
3      1
4      0
..
886    0
887    1
888    0
889    1
890    0
Name: Survived, Length: 891, dtype: int64
```

```
In [11]: df.shape
```

```
Out[11]: (891, 4)
```

```
In [12]: from sklearn.model_selection import train_test_split
```

```
In [13]: x_train,x_test,y_train,y_test=train_test_split(x,y,test_size=0.2,random_state=2)
```

```
In [14]: x_train.shape
```

```
Out[14]: (712, 3)
```

```
In [15]: x_test.shape
```

```
Out[15]: (179, 3)
```

```
In [17]: df.describe()
```

```
Out[17]:
```

	Age	Fare	Family	Survived
count	714.000000	846.000000	891.000000	891.000000
mean	29.699118	32.279338	0.904602	0.383838
std	14.526497	50.305796	1.613459	0.486592
min	0.420000	0.000000	0.000000	0.000000
25%	20.125000	7.895800	0.000000	0.000000
50%	28.000000	14.454200	0.000000	0.000000
75%	38.000000	31.206250	1.000000	1.000000
max	80.000000	512.329200	10.000000	1.000000

```
In [18]: mean_age=x_train['Age'].mean()
```

```
In [19]: mean_age
```

```
Out[19]: 29.78590425531915
```

```
In [20]: df.describe()
```

```
Out[20]:
```

	Age	Fare	Family	Survived
count	714.000000	846.000000	891.000000	891.000000
mean	29.699118	32.279338	0.904602	0.383838
std	14.526497	50.305796	1.613459	0.486592
min	0.420000	0.000000	0.000000	0.000000
25%	20.125000	7.895800	0.000000	0.000000
50%	28.000000	14.454200	0.000000	0.000000
75%	38.000000	31.206250	1.000000	1.000000
max	80.000000	512.329200	10.000000	1.000000

```
In [22]: median_age=x_train['Age'].median()  
mean_age=x_train['Age'].mean()
```

```
In [24]: median_age
```

```
Out[24]: 28.75
```

```
In [27]: mean_fare=x_train['Fare'].mean()  
median_fare=x_train['Fare'].median()
```

```
In [28]: mean_fare
```

```
Out[28]: 32.617596893491076
```

```
In [29]: median_fare
```

```
Out[29]: 14.4583
```

```
In [32]: x_train['Age_mean']=x_train['Age'].fillna(mean_age)
x_train['Age_median']=x_train['Age'].fillna(median_age)
```

```
In [34]: x_train['Fare_mean']=x_train['Fare'].fillna(mean_fare)
x_train['Fare_median']=x_train['Fare'].fillna(median_fare)
```

```
In [35]: x_train
```

```
Out[35]:
```

	Age	Fare	Family	Age_mean	Age_median	Fare_mean	Fare_median
30	40.0	27.7208	0	40.000000	40.0000	27.7208	27.7208
10	4.0	16.7000	2	4.000000	4.0000	16.7000	16.7000
873	47.0	9.0000	0	47.000000	47.0000	9.0000	9.0000
182	9.0	31.3875	6	9.000000	9.0000	31.3875	31.3875
876	20.0	9.8458	0	20.000000	20.0000	9.8458	9.8458
...
534	30.0	8.6625	0	30.000000	30.0000	8.6625	8.6625
584	NaN	8.7125	0	32.617597	14.4583	8.7125	8.7125
493	71.0	49.5042	0	71.000000	71.0000	49.5042	49.5042
527	NaN	221.7792	0	32.617597	14.4583	221.7792	221.7792
168	NaN	25.9250	0	32.617597	14.4583	25.9250	25.9250

712 rows × 7 columns

```
In [37]: print("Before imputation age variance is",x_train['Age'].var())
print("After imputation age variance is",x_train['Age_median'].var())
print("After imputation age variance is",x_train['Age_mean'].var())
```

Before imputation age variance is 204.3495133904614
 After imputation age variance is 200.55085535155024
 After imputation age variance is 163.1347828052615

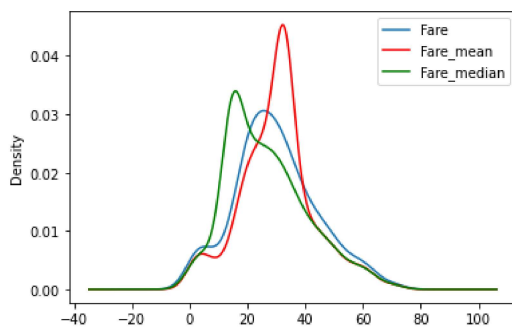
```
In [38]: print("Before imputation age variance is",x_train['Fare'].var())
print("After imputation age variance is",x_train['Fare_median'].var())
print("After imputation age variance is",x_train['Fare_mean'].var())
```

Before imputation age variance is 2448.197913706318
 After imputation age variance is 2340.0910219753637
 After imputation age variance is 2324.2385256705547

```
In [41]: import matplotlib.pyplot as plt
```

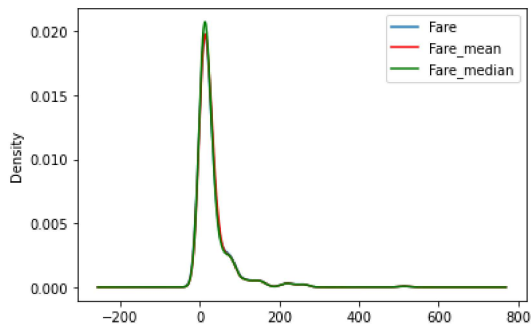
```
In [47]: fig=plt.figure()
ax=fig.add_subplot(111)
x_train['Age'].plot(kind='kde',ax=ax)
x_train['Age_mean'].plot(kind='kde',ax=ax,color='red')
x_train['Age_median'].plot(kind='kde',ax=ax,color='green')
ax.legend(line,labels,loc='best')
```

```
Out[47]: <matplotlib.legend.Legend at 0x1dbb3965130>
```



```
In [48]: fig=plt.figure()
ax=fig.add_subplot(111)
x_train['Fare'].plot(kind='kde',ax=ax)
x_train['Fare_mean'].plot(kind='kde',ax=ax,color='red')
x_train['Fare_median'].plot(kind='kde',ax=ax,color='green')
ax.legend(line,labels,loc='best')
```

Out[48]: <matplotlib.legend.Legend at 0x1dbb39a73a0>



```
In [50]: from sklearn.impute import SimpleImputer
from sklearn.compose import ColumnTransformer
```

```
In [51]: imputer1=SimpleImputer(strategy='mean')
imputer2=SimpleImputer(strategy='median')
```

```
In [52]: trf=ColumnTransformer([
    ('imputer1',imputer1,['Age']),
    ('imputer2',imputer2,['Age'])
],remainder='passthrough')
```

```
In [53]: trf.fit(df)
```

Out[53]: ColumnTransformer(remainder='passthrough',
transformers=[('imputer1', SimpleImputer(), ['Age']),
('imputer2', SimpleImputer(strategy='median'),
['Age'])])

```
In [55]: trf.named_transformers_['imputer1'].statistics_
```

Out[55]: array([29.69911765])

```
In [56]: trf.named_transformers_['imputer2'].statistics_
```

Out[56]: array([28.])

```
In [60]: sm=trf.transform(df)
```

```
In [61]: sm
```

Out[61]: array([[22. , 22. , 7.25 , 1. , 0.],
[38. , 38. , 71.2833 , 1. , 1.],
[26. , 26. , 7.925 , 0. , 1.],
...,
[29.69911765, 28. , 23.45 , 3. , 0.],
[26. , 26. , nan , 0. , 1.],
[32. , 32. , 7.75 , 0. , 0.]])

Conclusion: Mean median mode can be used to fill missing value if the missing value present in the data is less than 5%

```
In [ ]:
```