

Today's Content

- Basics
- Problems

Declare:

$\text{int mat}[4][5]$

→ rows, horizontal lines
→ cols, vertical lines

	0	1	2	3	4
0					
1					
2					
3					

→ $\text{mat}[1][2]$

→ $\text{mat}[2][4]$

→ N rows

$\text{int mat}[N][M]$

→ M columns

$\text{mat}[0][0]$

	0	1	...	j	...	M-1
0				$(0, j)$		
1				$(1, j)$		
...				$(2, j)$		
i	$(i, 0)$	$(i, 1)$	$(i, 2)$	(i, j)	$(i, j+1)$	$(i, M-1)$
...				$(N-1, j)$		
N-1						

→ $\text{mat}[N-1][0]$

→ $\text{mat}[N-1][M-1]$

→ $\text{mat}[0][M-1]$

Obs:

- 1) If we iterate on a row, col no. changes from $[0, M-1]$
- 2) If we iterate on a col, row no. changes from $[0, N-1]$

1Q) Given $\text{mat}[N][M]$, print row wise sum

Ex: $\text{mat}[3][4]$

output

	0	1	2	3	
0	4	3	1	7	15
1	6	2	3	4	15
2	5	3	2	7	17

void row-wise(int mat[][]) {

```
int N = mat.length
int M = mat[0].length
for (int i = 0; i < N; i++) {
    // We need ith rows sum
    int sum = 0
    for (int j = 0; j < M; j++) {
        sum = sum + mat[i][j]
    }
    print(sum)
}
```

3
Tc: $O(N \times M)$ Sc: $O(1)$

1Q) Given $\text{mat}[N][M]$, print col wise sum {TDD}

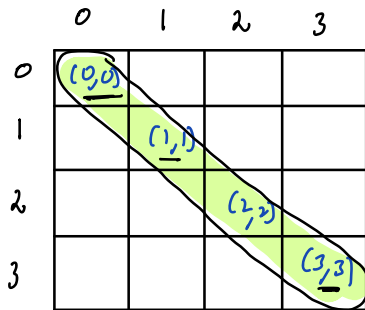
↙ In Double Session Code :

	0	1	2	3
0	4	3	1	7
1	6	2	3	4
2	5	3	2	7

output: 15 8 6 18

28) Given Square $mat[N][N]$ print diagonals $\left\{ \begin{array}{l} \text{left} \rightarrow \text{Right} \\ \text{Right} \rightarrow \text{left} \end{array} \right.$

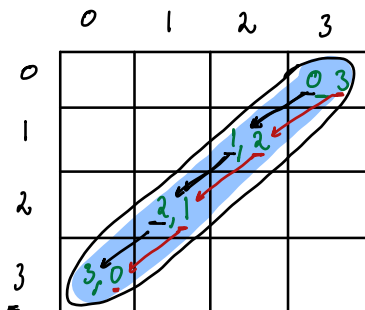
ex: $mat[4][4]$



Pseudocode: Try it for loop

```
int i=0, j=0
while(i < n && j < n) {
    print(mat[i][j])
    i++, j++
}
```

TC: $O(N)$
SC: $O(1)$



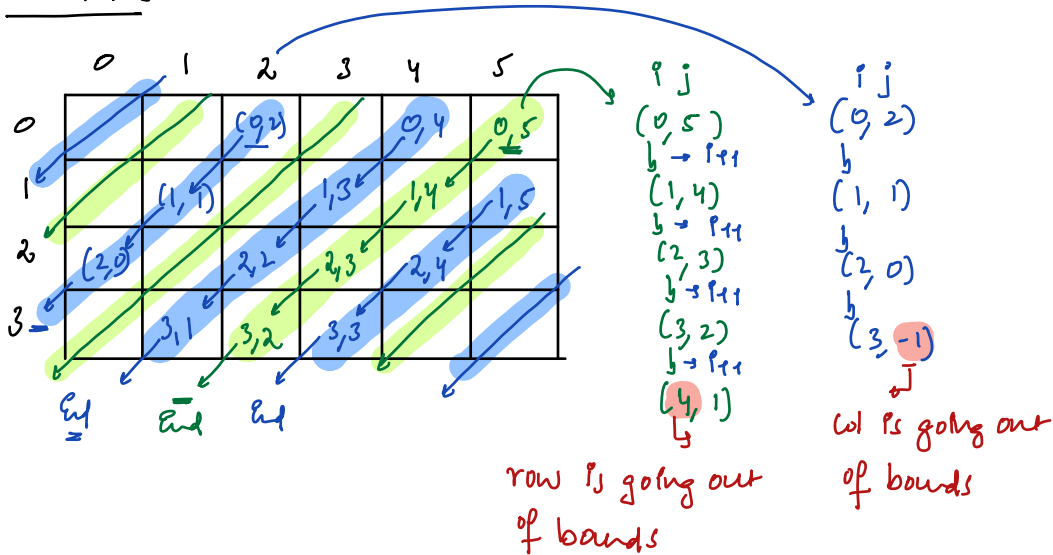
```
int i=0, j=N-1
while(i < N && j >= 0) {
    print(mat[i][j])
    i++, j--
}
```

TC: $O(N)$
SC: $O(1)$

3Q) Given a $\text{mat}[N][M]$ print all diagonals going from $R \rightarrow L$

starting from 0^{th} row & $M-1^{\text{th}}$ column

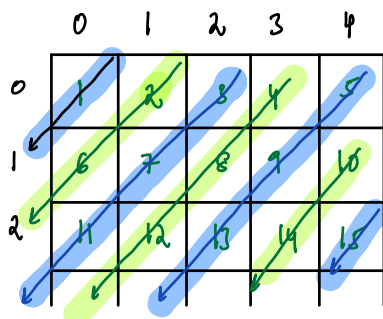
$\text{mat}[4][6]$



obs1: i is continuously increasing, $i < N$ } // even if 1 condition fails we stop

obs2: j is continuously decreasing, $j >= 0$ } $i < N \text{ \& \& } j >= 0$

$\text{mat}[3][5]$



output:

1
2 6
3 7 11
4 8 12
5 9 13
10 14
15

idea

- 1) First print all diagonals starting from 0^{th} row
- 2) Print all diagonals starting from last column

```
void printDiagonals(int mat[][6]) { mat[4][5]
```

```
int N = mat.length
int M = mat[0].length
```

```
for(int c = 0; c < M; c++) {
```

```
int i = 0, j = c
```

```
while(i < N && j >= 0) {
```

```
    print(mat[i][j])
```

```
    i++, j--
```

```
    print(new line)
```

r=1 \rightarrow $\{r=0, \text{repeating same diagonal 2 times}\}$

```
for(int r = 0; r < N; r++) {
```

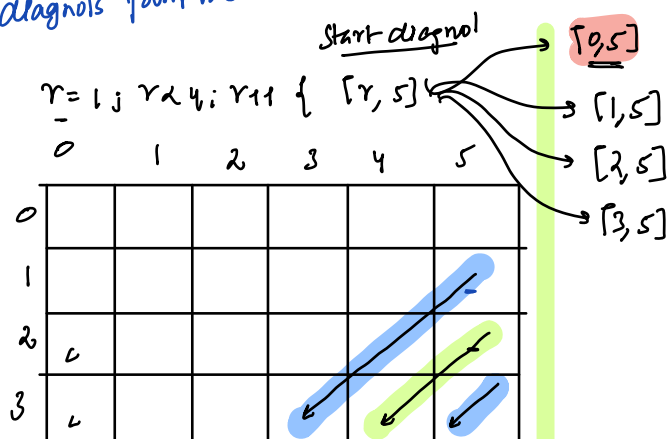
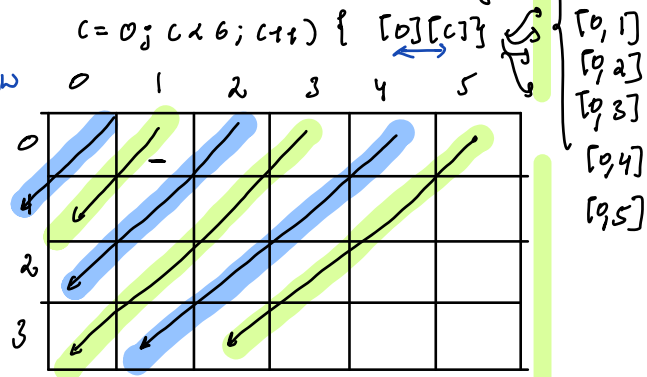
```
int i = r, j = M-1
```

```
while(i < N && j >= 0) {
```

```
    print(mat[i][j])
```

```
    i++, j--
```

```
    print(new line)
```



TC: $O(N^2)$ SC: $O(1)$ $8:53 \rightarrow 9:02 \text{ am}$

```
int i = 0, j = c
```

```
while(i < N && j >= 0) {
```

```
    print(mat[i][j])
```

```
    i++, j--
```

```
    print(new line)
```

```
for(int i = 0, j = c; i < N && j >= 0; i++, j--)
```

48) Given a $mat[N][N]$, Calculate transpose of $mat[]$, with $SC = O(1)$

Note: Get transpose in given mat itself

$mat[5][5]$:

	0	1	2	3	4
0	1	2	3	4	5
1	6	7	8	9	10
2	11	12	13	14	15
3	16	17	18	19	20
4	21	22	23	24	25

Transpose

$0^{th} row \rightarrow 0^{th} col$
 $1^{st} row \rightarrow 1^{st} col$
 $2^{nd} row \rightarrow 2^{nd} col$
 $3^{rd} row \rightarrow 3^{rd} col$
 $4^{th} row \rightarrow 4^{th} col$

\rightarrow transpose

	0	1	2	3	4
0	1	6	11	16	21
1	2	7	12	17	22
2	3	8	13	18	23
3	4	9	14	19	24
4	5	10	15	20	25

Sol:

1) Iterate in lower triangle & swap TODO

2) Iterate in upper triangle & swap TODO

swap $mat[1,0]$ & $mat[0,1]$

swap $mat[3,1]$ & $mat[1,3]$

swap $mat[2,1]$ & $mat[1,2]$

swap $mat[4,3]$ & $mat[3,4]$

swap $mat[i,j]$ & $mat[j,i]$

swap $mat[3,3]$ & $mat[3,3] \rightarrow$ no input

$int[][]$ Transpose ($int mat[][]$) { TC: $O(N^2)$ $O(1)$: Wrong it won't work

$int n = mat.length$

$int m = mat[0].length;$

for ($int i = 0; i < n; i++$) {

for ($int j = 0; j < m; j++$) {

// swap $mat[i][j] \rightarrow mat[j][i]$

$int temp = mat[i][j]$

$mat[i][j] = mat[j][i]$

$mat[j][i] = temp$

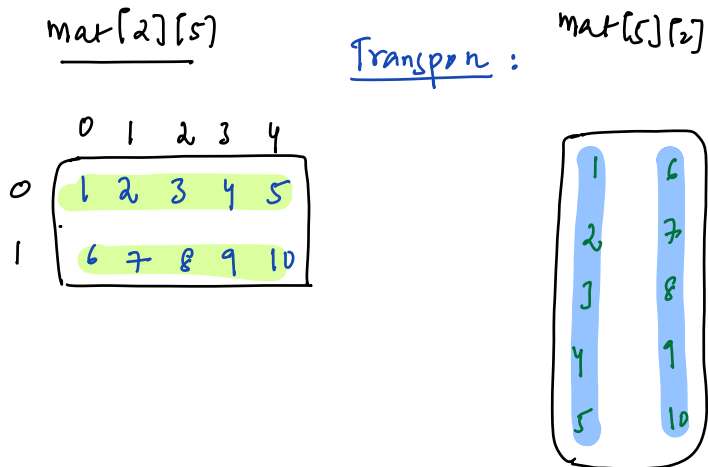
Ex: $mat[3][3]$

	0	1	2
0		✓	
1	✓		
2			

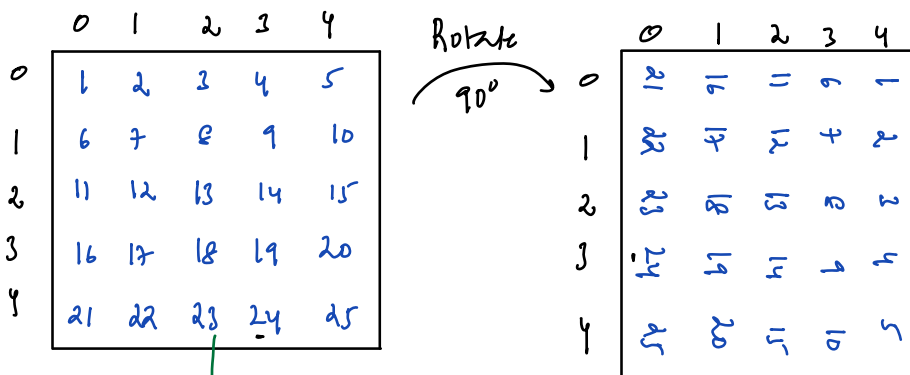
$mat[0,1] \rightarrow mat[1,0]$
 $mat[1,0] \rightarrow mat[0,1]$
 // data won't get changed

$\begin{matrix} a & b \\ = 10 & 20 \end{matrix}$
 swap a, b $\begin{matrix} a & b \\ 20 & 10 \end{matrix}$
 swap a, b $\begin{matrix} a & b \\ 10 & 20 \end{matrix}$

// If Rectangle : {We need Extra Space to Solve Problem}

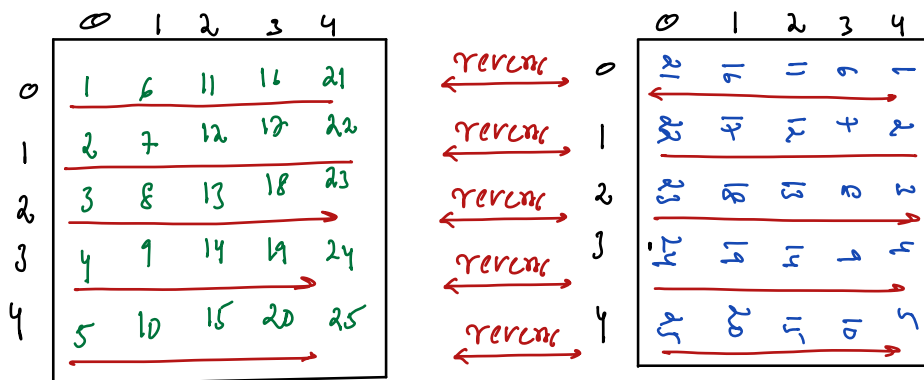


// Given a mat[N][N], Rotate 90° clockwise from Top-Right



Calculate transpose + Reverse Every Row = Rotate mat by 90°

$O(N^2) + O(N \times N) = \underline{TC: O(N^2)}$ $SC: O(1)$



1/ Rotate Rectangular matrix: We need Extra Space

mat[2][5] rotate mat[5][2]

	0	1	2	3	4
0	1	2	3	4	5
1	6	7	8	9	10

1	2
6	7
11	12
16	17
21	22
26	27