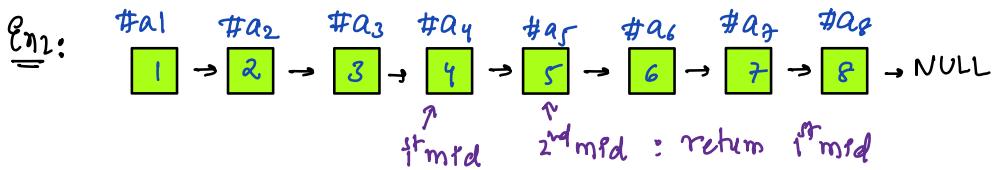
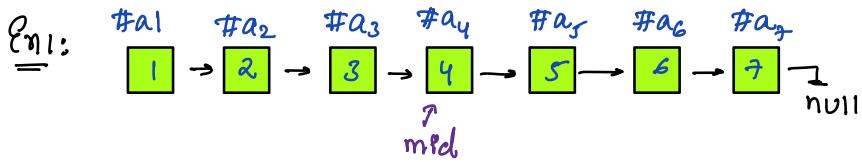


Todays Content:

- a) Merge
- b) Merge sort
- c) Re-arrange Linked List
- d) Cycle detection
  - i) Detect cycle
  - ii) find start of cycle
  - iii) Remove cycle
- e) find Intersection

Q8) Given head node find mid of linked list



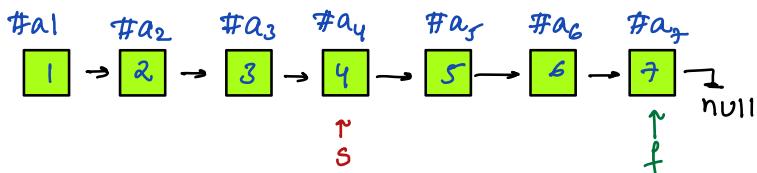
Idea: Iterate & get length, & goto to center node

TC:  $O(N)$  SC:  $O(1)$ , Note: Traversing 2 times on linked list

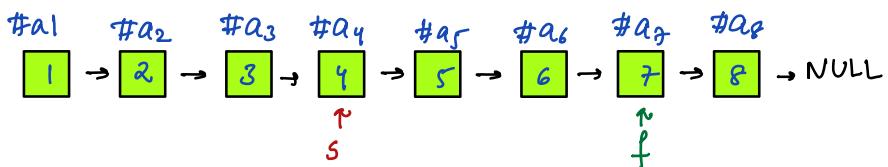
Idear2: Usage of slow and fast pointer

slow = slow.next

fast = fast.next.next



Obs1: If  $f.next == null$ , s is at centre



Obs2: If  $f.next.next == null$ , s is at centre

Node mid ( Node h ) { TC: O(N) SC: O(1)

s = h, f = h

if ( h == NULL ) { return h }

while ( f->next != NULL && f->next->next != NULL ) {

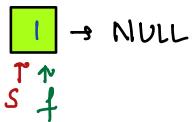
s = s->next

f = f->next->next

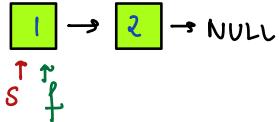
3

return s;

#al

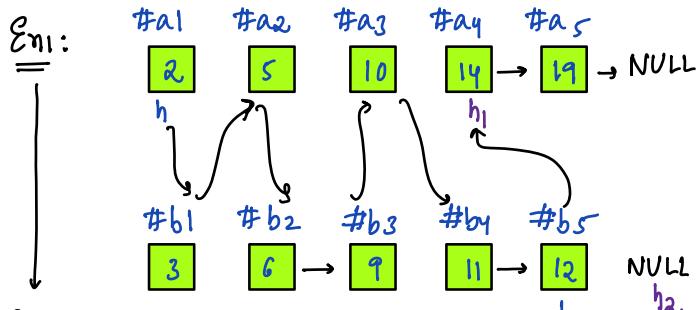


#al

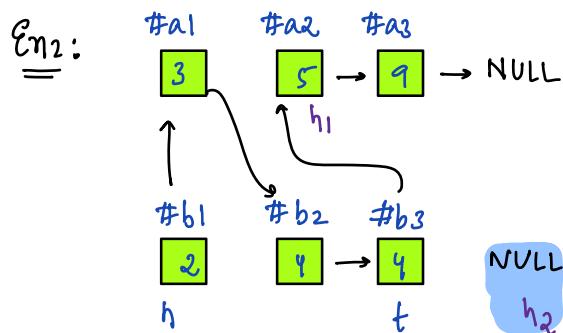
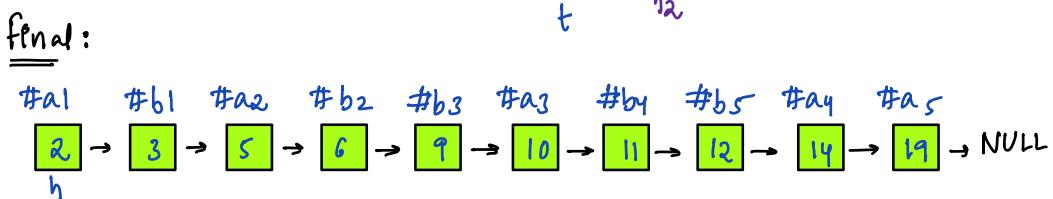


Q8) Given 2 sorted linked lists, Merge w/ get final sorted list

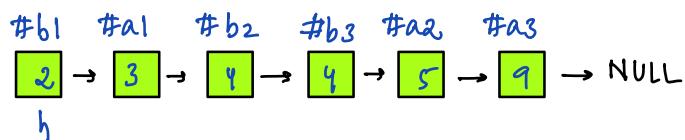
TC:  $O(N+M)$  SC: OLD



obs: If  $h_1$  or  $h_2 = \text{null}$   
stop comparison



final:



## Pseudo Code:

```
Node merge(Node h1, Node h2) { TC: O(N+M) SC: O(1)
    Node h = null, t = null
    if(h1 == null) { return h2 }
    if(h2 == null) { return h1 }

    if(h1.data < h2.data) { // h1 should be head node
        h = h1, t = h1, h1 = h1.next
    } else { // h2 should be head node
        h = h2, t = h2, h2 = h2.next
    }

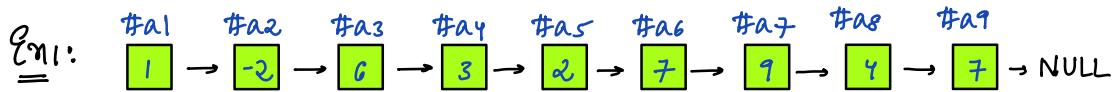
    while(h1 != NULL && h2 != NULL) {
        if(h1.data < h2.data) {
            t.next = h1,
            h1 = h1.next
            t = t.next
        } else {
            t.next = h2
            h2 = h2.next
            t = t.next
        }
    }

    // Add left out part
    if(h1 != NULL) { t.next = h1 }
    if(h2 != NULL) { t.next = h2 }

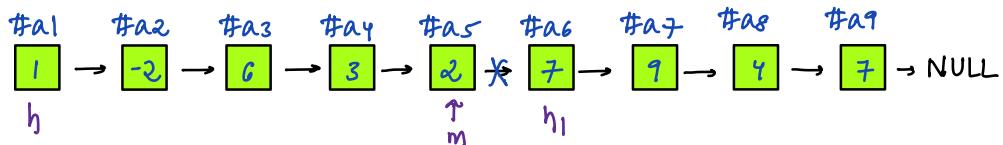
    return h
}
```

↳ assuming both linked lists have diff length

### 30) Merge Sort on Linked List:

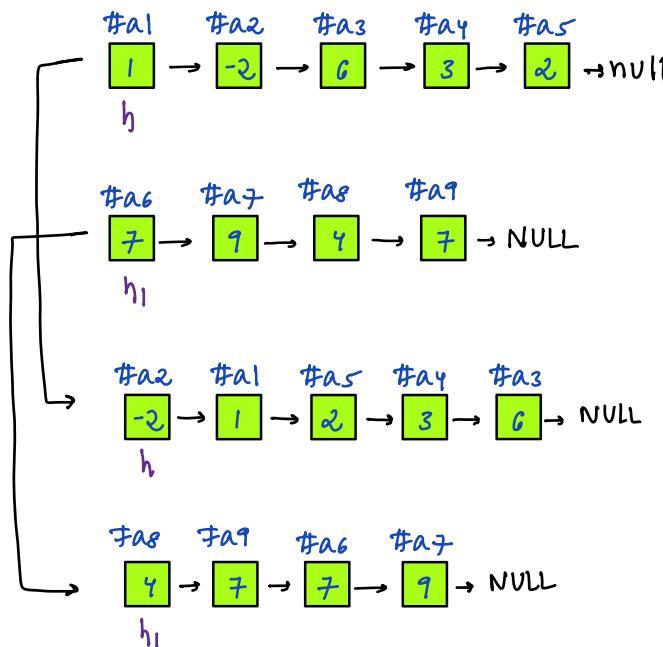


Step1: Calculate mid, & divide into 2 separate linked lists

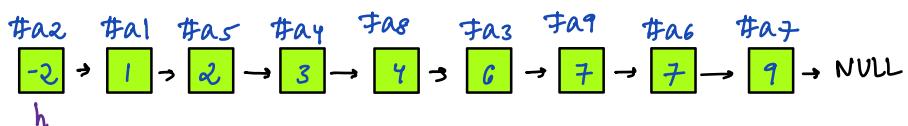


$$h_1 = m \cdot \text{next}, \text{m.next} = \text{NULL}$$

Step2: Sort both halves using merge sort



Step3: Merge 2 sorted linked lists



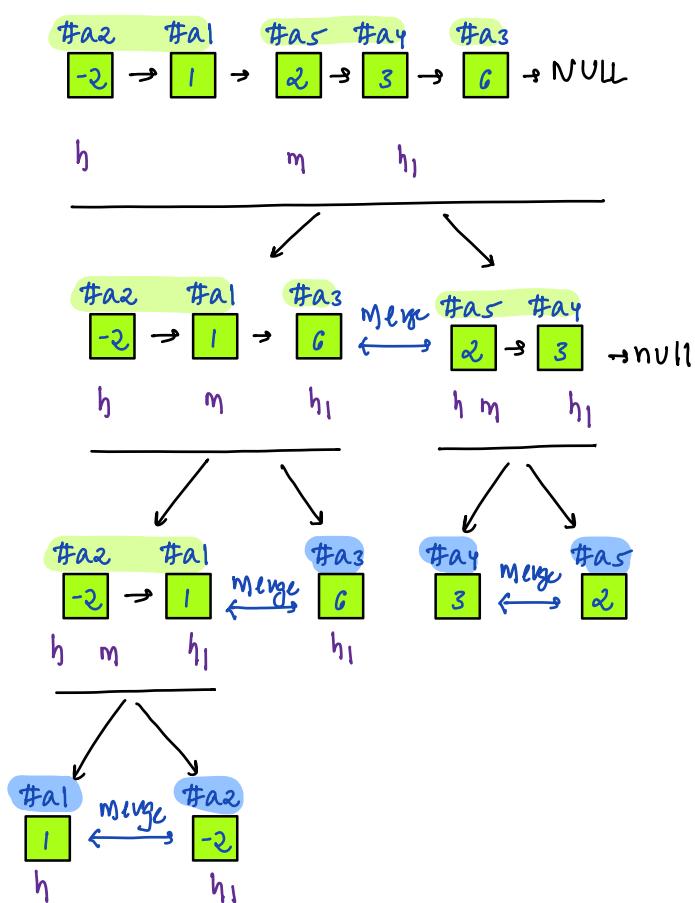
Node mergeSort(Node h) { TC: O(N log N) SC: O(1 + log N) ≈ SC: O(log N)

if ( $h == null$  ||  $h.next == null$ ) { return  $h$  }

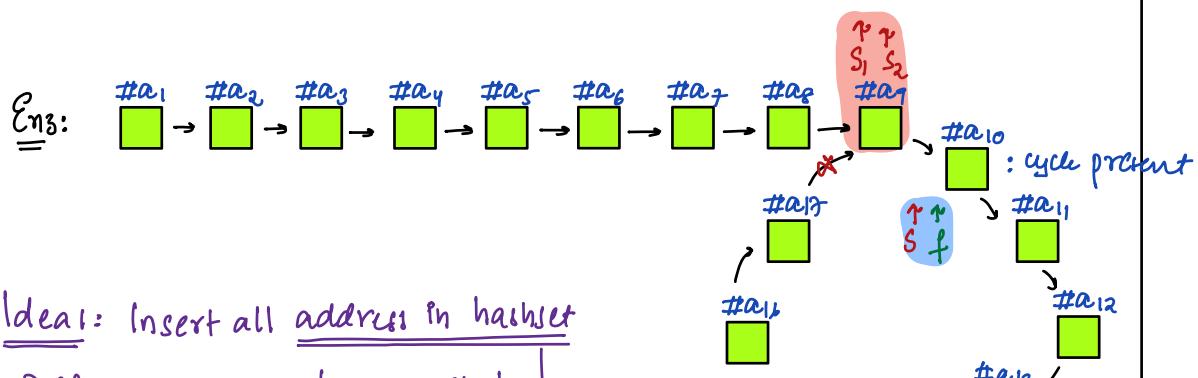
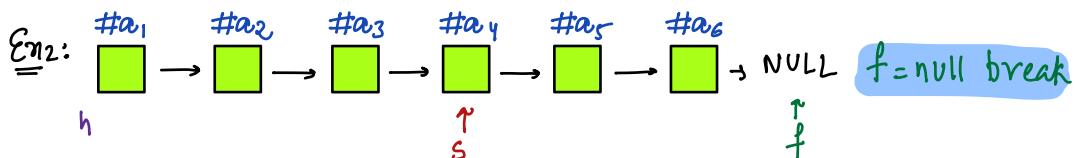
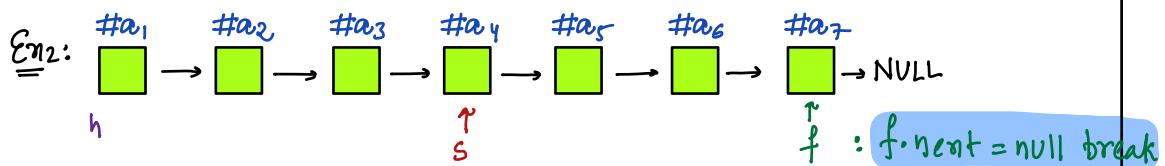
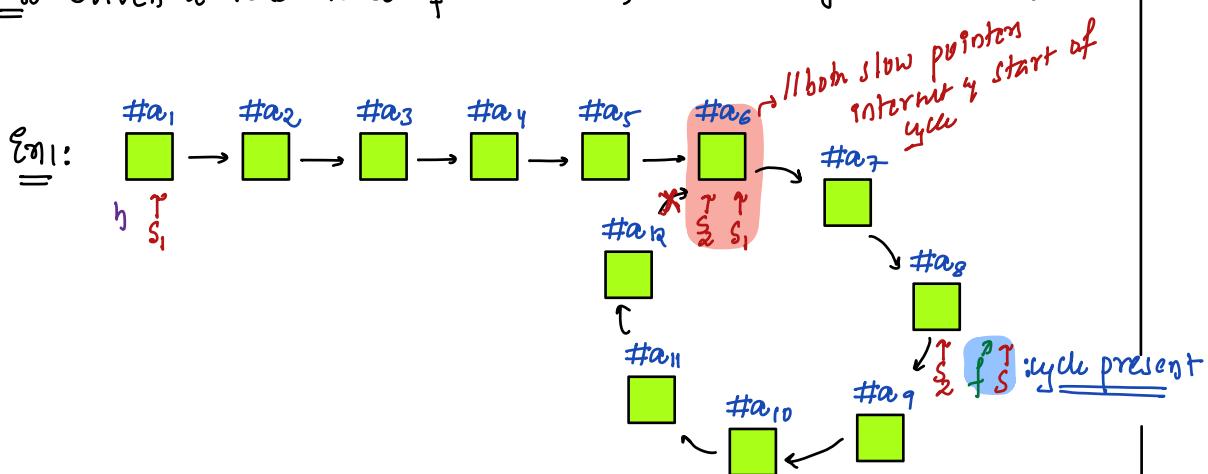
Node  $m = \text{mid}(h)$       } // step-1, breaking into 2 linked lists  
 Node  $h_1 = m.\text{next}$   
 $m.\text{next} = \text{null}$       }

Node  $t_1 = \text{mergeSort}(h)$     } // Step-a, sorting a linked list q, storing  
 Node  $t_2 = \text{mergeSort}(h_1)$     } head nodes in  $t_1$  &  $t_2$

Node  $t_3 = \text{merge}(t_1, t_2)$  } Step 3, merge 2 sorted lists & store  
 return  $t_3$  head node in  $t_3$



Q8) Given a head node of linkedlist, check for cycle detection?



Ideal: Insert all address in hashset

a) If a address is already present:

Obs: Cycle detected

Read in  
 your language  
 of choice  
 TODO

b) If we reach `NULL`

Obs: No cycle

TC:  $O(N)$  SC:  $O(N)$

obs:  $s = h$ ,  $f = h$ , TC: O(N) SC: O(1)

$s = s.\text{next}$

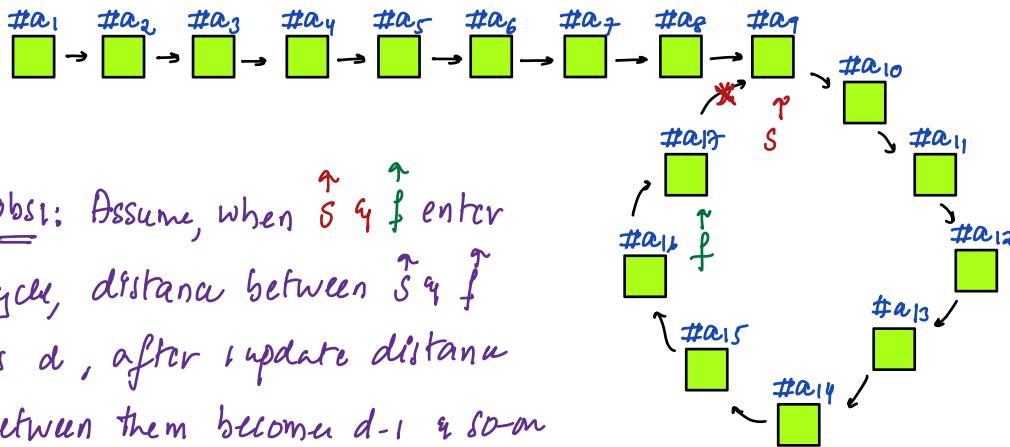
$f = f.\text{next}.\text{next}$

After few iterations

a)  $s == f$ : cycle present

b)  $f = \text{null}$  or  $f.\text{next} = \text{null}$ : cycle not present

Why will  $s == f$  if there is a cycle?



After d updates:  $d \rightarrow d-1 \rightarrow d-2 \rightarrow d-3 \rightarrow \dots \rightarrow 0$ , match

Q) Given head node of linked list

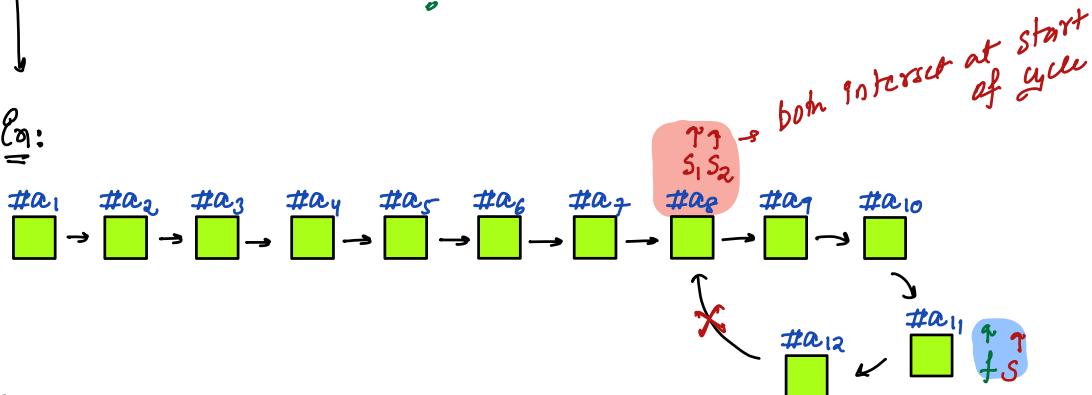
a) Check if there exists a cycle

→ If no cycle return null ✓

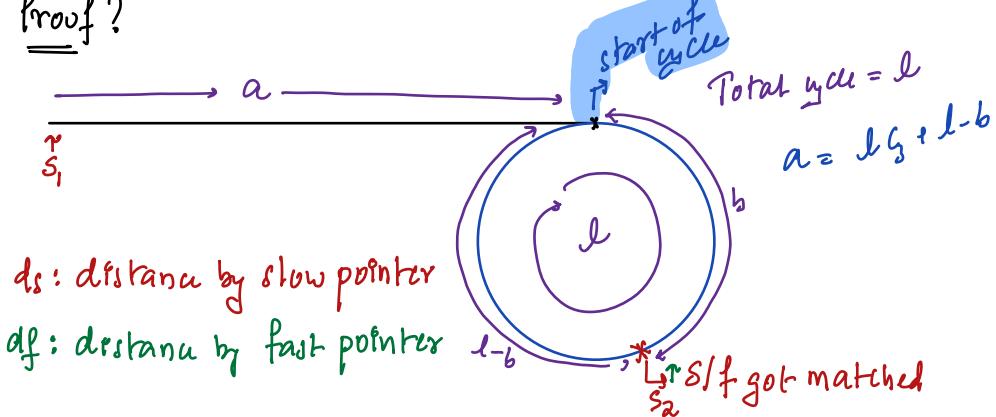
b) If cycle :

→ Return start of the cycle, after removing cycle ?  
?

Eg:



Proof ?



$$d_s = a + b + c_1 * l \\ d_f = a + b + c_2 * l$$

obs: distance travelled by fast is twice as much as distance travelled by slow

$$d_f = 2d_s$$

$$a + b + c_1 * l = \frac{1}{2} [a + b + c_2 * l]$$

$$l[c_2 - 2c_1] = a + b$$

$$d_s + b + c_2 * l = 2a + 2b + 2c_1 * l$$

$$l[c_2 - 2c_1 - 1] + l = a + b$$

$$c_2 * l - 2c_1 * l = a + b$$

$$l[c_2 - 2c_1 - 1] + l - b$$

$$l[c_2 - 2c_1] = a + b$$

$$a = l c_2 + l - b$$

Node remove cycle(Node h) { TC: O(N) SC: O(1)

Node s = h, f = h

bool is cyl = false;

while (f != null && f.next != null) {

s = s.next

f = f.next.next

if (s == f) { // cycle present

is cyl = true; break;

}

if (is cyl == false) {

return null

Node s<sub>1</sub> = h, s<sub>2</sub> = f; prev = s<sub>2</sub>

while (s<sub>1</sub> != s<sub>2</sub>) {

prev = s<sub>2</sub> // updating prev node

s<sub>1</sub> = s<sub>1</sub>.next

s<sub>2</sub> = s<sub>2</sub>.next

prev.next = null // breaking cycle

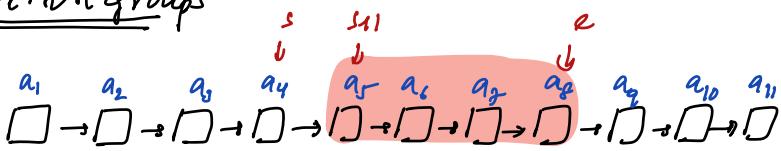
return s<sub>1</sub> // start of cycle is s<sub>1</sub>

// Detect cycle

TC: N

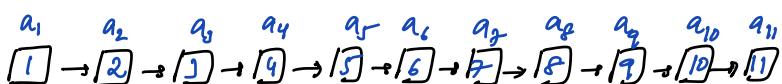
TC: N

## Reverse k groups

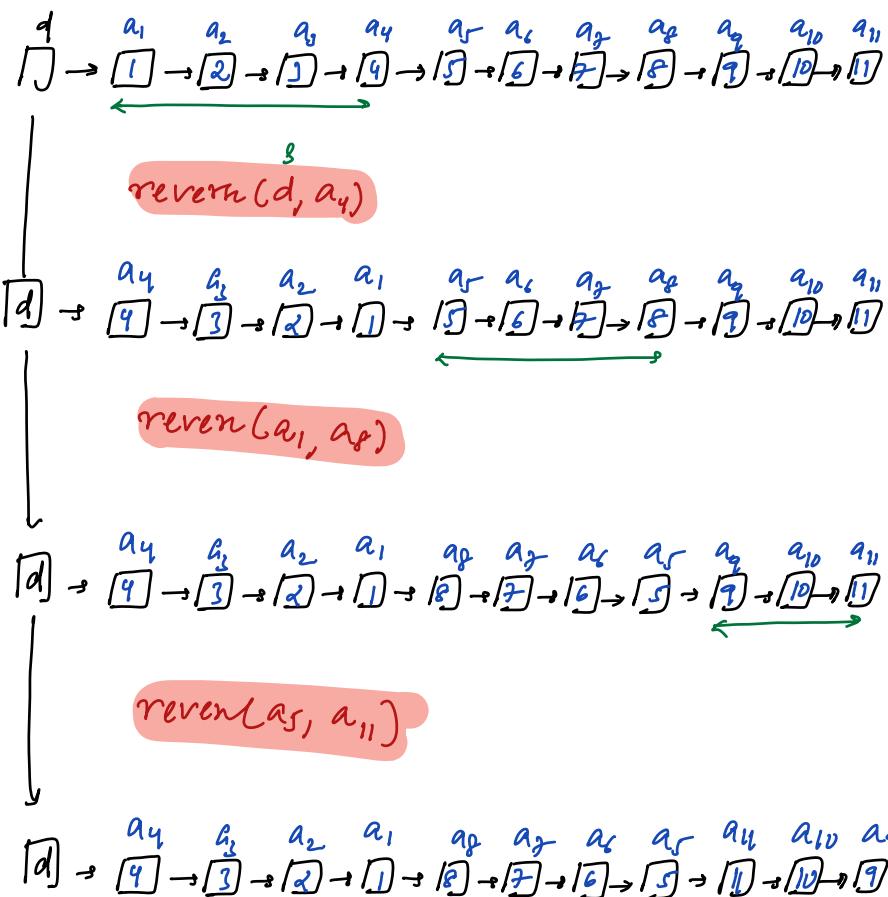


reverse(Node s, Node e) { TODO }

// reverse from [s.next → e]



Step: 1 Insert a dummy node at start, k=4



```
void reverseInRange(Node s, Node e)
```

// reverse all nodes from [s.next to e]

// TODO

```
Node reverseKGroup(Node h, int k) {
```

Node d = new Node(-1); ] // insert dummy at front  
d.next = h, h = d

Node s = d

```
while (s.next != null) {
```

t = s.next

e = s;

int i = 1

```
while (i <= k && e.next != null) {
```

l = e.next

g

```
reverseInRange(s, e)
```

s = t

```
return d.next
```