

# Interview Problems on Arrays in DSA

Pre Placement Training Program





# CAN YOU ALL SEE & HEAR ME?



# Know About Your Teacher



With  
**Pragya Rustagi**

- Expertise in DSA, OOP, Java, Python, and AWS
- Successfully mentored over 1000 students

# Interview Problems on Arrays

What will you learn today?

- Find the duplicate Number
- Find the missing and repeating number in array
- Merge Intervals      ✓
- Majority Element
- Merge sorted Array      ✓
- Kth Smallest Element in an Array      ✓
- Find minimum number of merge operations to make an array palindrome      ✓

# Find the Duplicate Number

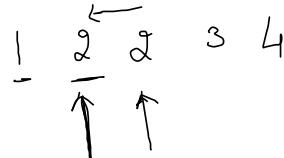
Q

$\text{arr}[] = 1 \ 3 \ 4 \ \underline{2 \ 2}$

Output  $\rightarrow 2$

Bruce

① Sort



```
for (i = 1; i < n; i++) {  
    if (arr[i] == arr[i-1])  
        ? duplicate = arr[i];  
    return;  
}
```

}

$T = O(n \log n)$   
 $S = O(1)$

Optimize

1 3 4 2 2

Hashmap

→ number, freq

freq > 1 → duplicate

Hashset

2

if set already  
contains, it is  
duplicate

2
4
3
1

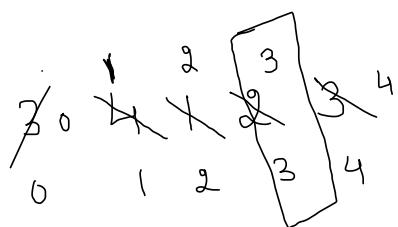
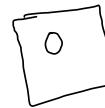
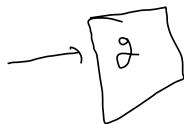
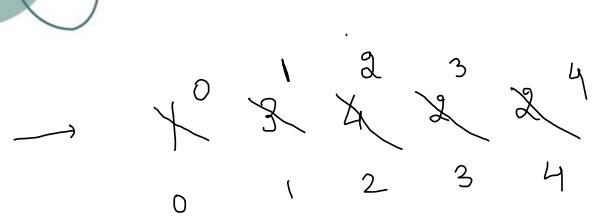
$$T = \mathcal{O}(n), S = \mathcal{O}(n)$$



Optimize

1 3 4 2 2

0 1 2 3 4 5



```
package Arrays;

public class FindDuplicate {

    private static int store(int[] nums, int cur) {      ✓
        if (cur == nums[cur])
            return cur;
        int nxt = nums[cur];
        nums[cur] = cur;
        return store(nums, nxt);
    }

    private static int findDuplicate(int[] nums) {      ←
        return store(nums, 0);
    }

    public static void main(String[] args)
    {
        int arr[] = { 1,3,4,2,2 };      ✓
        System.out.println(findDuplicate(arr));      ←      S = O(1)
    }
}
```

cur = 1

0 X 2 4 2 2  
0 1

nxt = 3

O(p) ~ 2

T = O(n)

S = O(1)

Q Find the missing & repeating in  
an array starting from → 1

$$\text{arr} = [ \underline{3} \ \underline{1} \ \underline{5} \ \underline{4} \ \underline{2} \ \underline{6} \ \underline{7} \ \underline{5} ]$$

$$\begin{array}{l} \text{missing} = \underline{8} \\ \text{Repeating} = 5 \end{array}$$

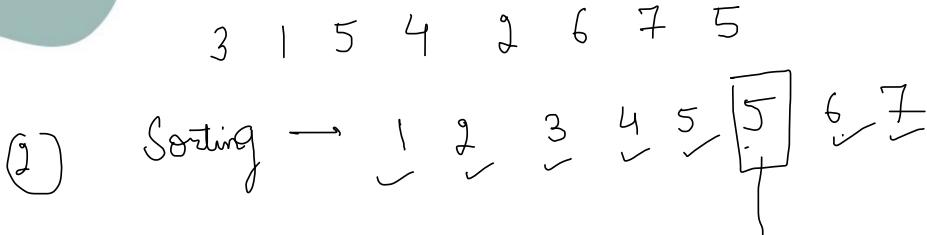
① Hashing →  $\frac{0}{0} \ \frac{1}{1} \ \frac{1}{2} \ \frac{1}{3} \ \frac{1}{4} \ \frac{2}{5} \ \frac{1}{6} \ \frac{1}{7} \ \frac{0}{8} ]$

Loop → 1 to 8 → number = 0 (missing)

→ number > 1 (repeating)

$T = O(N)$   
 $S = O(N)$  → Optimize

8



missing

$$\left\{ \begin{array}{l} T = O(N \log N) \\ S = O(1) \end{array} \right.$$

repeating

5

Optimize

2 formulas

$$\text{Sum } (1 \dots n) = \frac{n(n+1)}{2} - (1 + 2 + 3 + 4 \dots n)$$

$$\text{Sum } (1^2 + 2^2 + 3^2 + 4^2 + \dots n^2) = \frac{n(n+1)(2n+1)}{6}$$

3 1 5 4 2 6 7 5 }

for

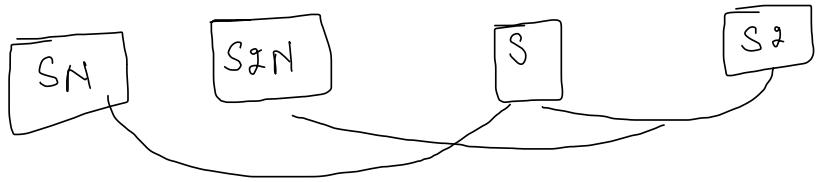
$$1+2+\dots+8 = \frac{n(n+1)}{2} = \frac{48 \times 9}{8} = 36 \rightarrow SN$$

$$1^2 + 2^2 + \dots + 8^2 = \frac{n(n+1)(2n+1)}{6}$$

$$= \frac{8 \times 9 \times 17}{6} = 204 \rightarrow S2N$$

$$3+1+5+4+2+6+7+5 = 33 \rightarrow S$$

$$3^2 + 1^2 + 5^2 + 4^2 - - - - - 5^2 = 165 \rightarrow \overline{Sg}$$



$$val1 \quad S - SN = n - y$$

$$val2 \quad S2 - SZN = n^2 - y^2$$

$$n^2 - y^2 = (n+y)(n-y)$$

$$\frac{n+y}{n-y} = \frac{n^2 - y^2}{n-y}$$

+  $\frac{n+y}{n-y}$

$$n = val3 + val1$$

$$y = \frac{val1 - val3}{n}$$

$$S = 33$$

$$SN = 36$$

$$S_2 = 165$$

$$S_{2N} = 204$$

$$n+y = \frac{165 - 204}{33 - 36} = \frac{-39}{-3} \quad |3$$

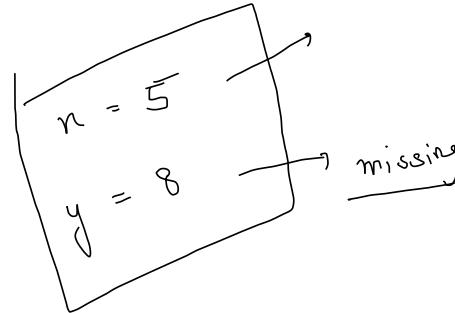
$$O(1) \rightarrow S \& SN \} O(N)$$

$$\boxed{T = O(N)} \\ S = O(1)$$

$$n-y = -3$$

$$n+y = 13$$

repeating



```

package Arrays;
import java.util.*;

public class MissingAndRepeatingNumber {

    public static int[] findMissingRepeatingNumbers(int[] a) {
        long n = a.length; // size of the array
        // Find Sn and S2n:
        long SN = (n * (n + 1)) / 2;
        long S2N = (n * (n + 1) * (2 * n + 1)) / 6;

        // Calculate S and S2:
        long S = 0, S2 = 0;
        for (int i = 0; i < n; i++) {
            S += a[i];
            S2 += (long)a[i] * (long)a[i];
            System.out.println(S2);
        }

        //S-Sn = X-Y:
        long val1 = S - SN;
        ↗ val 1

        // S2-S2n = X^2-Y^2:
        long val2 = S2 - S2N;
        ↗ val 2

        //Find X+Y = (X^2-Y^2)/(X-Y):
        val2 = val2 / val1;
        ↗

        //Find X and Y: X = ((X+Y)+(X-Y))/2 and Y = X-(X-Y),
        // Here, X-Y = val1 and X+Y = val2:
        long x = (val1 + val2) / 2;
        long y = x - val1;

        int[] ans = {(int)x, (int)y};
        return ans;
    }

    public static void main(String[] args) {
        int[] a = {3, 1, 2, 5, 4, 6, 7, 5};
        int[] ans = findMissingRepeatingNumbers(a);
        System.out.println("The repeating and missing numbers are: {" +
            + ans[0] + ", " + ans[1] + "}");
    }
}

```

$\rightarrow S_n \quad S_{2n}$   
 $\rightarrow S \quad S_{2-}(\text{array})$

$$T = O(n)$$

$$S = O(1)$$

$\varnothing$

majority

Element

$$\text{arr} = [2 \ 4 \ 2 \ 4 \ 4 \ 4], \quad \text{size} = 6$$

Element that occurs more than  $\frac{N}{2}$  times

$$\frac{6}{2} = 3 \text{ times} \quad O(p) = 4$$

Brute

2 loops       $\rightarrow i = 2 \ 4 \ 2 \ 4 \ 4 \ 4$

Count++

$$j = i+1 \dots \{ \text{if } arr[i] = arr[j] \}$$

max  $\rightarrow$  4

O(n^2)

$\checkmark$   
Count >  $\frac{N}{2}$

$$\left. \begin{array}{l} T = O(N^2) \\ S = O(1) \end{array} \right\}$$

2 4 2 4 4 4

(2)<sup>nd</sup>

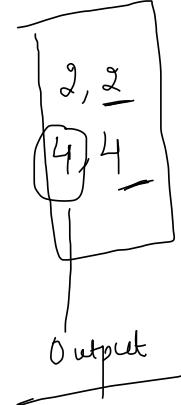
Hashmap → Key, value  
↓      ↓  
number      frequency

T = O(N)

S = O(N)

Optimize

X



> N/2

③

Greedily

2 4 2 4 4 4

maj E = 2

maj C = 1

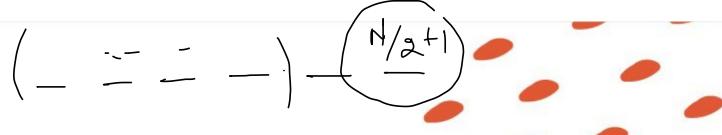
```
for (i = 1; i < N; i++) {  
    if (arr[i] == majE) majC++
```

```
else majC--  
if (majC == 0) {  
    majE = arr[i]  
    majC = 1  
}
```

$\times \ 2 \ 4 \ 2 \ 4 \ 4 \checkmark \ 4$

$$\text{maj } G = 2$$

$$\text{maj } C = 1 \checkmark$$



$$\text{maj } K \geq 0$$

$$4 \quad (\text{maj } C = 0)$$

$$\text{maj } G = 4$$

$$\text{maj } C \neq 1 \checkmark$$

$$4 = - 2 \times$$

$$\text{maj } G \neq 4$$

$$\text{maj } C = 10 \quad | + 1 = 2$$

$$+ 1$$

```
package Arrays;  
  
import java.util.*;  
  
public class MajorityElement {  
  
    static int printMajority(int arr[]) {  
  
        int majElement = arr[0], majCount = 1;  
        for(int i=1;i<arr.length;i++) {  
            if(arr[i] == majElement) {  
                majCount++;  
            }  
            else {  
                majCount--;  
                if(majCount == 0) {  
                    majElement = arr[i];  
                    majCount = 1;  
                }  
            }  
        }  
        return majElement;  
    }  
  
    public static void main(String[] args)  
    {  
        int arr[] = { 2,2,4,4,4,4 };  
        System.out.println(printMajority(arr));  
    }  
}
```

maj E = 2  
maj C = 1

$\rightarrow O(n)$

{ Assumption wrong  
Update maj E & maj C

$T = O(n)$

$S = O(1)$

⑩ Minimum number of merge operations  
to make an array palindromic

Palindrome

$\rightarrow$  N I T I N

1 2 3 2 1  
      ^

arr = 1 4 5 9 1  
      =

1 9 9 1 }

Yes

start       $i = 0$   
end       $j = n-1$

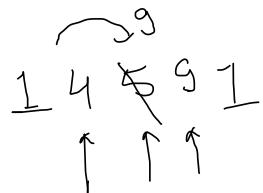
if ( $arr[i] == arr[j]$ )

?       $i++$   
?       $j--$

$merge = 0$



X



if ( $arr[i] < arr[j]$ ) {

$i++$ ;

$arr[i] = arr[i-1]$ ; // move

$arr[i] += arr[i+1]$   
     $merge++$ ;

}  
if ( $i > j$ ) X  
     $arr[i] > arr[j]$ ) {

$j--$

$arr[j] += arr[j+1]$

$merge++$ ;

}

```

package Arrays;

public class PalindromicArrays {

    // Returns minimum number of count operations
    // required to make arr[] palindrome
    static int findMinOps(int[] arr,int n)
    {
        int ans = 0; // Initialize result

        // Start from two corners
        for (int i=0,j=n-1; i<=j;)
        {
            // If corner elements are same,
            // problem reduces arr[i+1..j-1]
            if (arr[i] == arr[j])
            {
                i++;
                j--;
            }

            // If left element is greater, then
            // we merge right two elements
            else if (arr[i] > arr[j])
            {
                // need to merge from tail.
                j--;
                arr[i] += arr[j];
                ans++;
            }

            // Else we merge left two elements
            else
            {
                i++;
                arr[i] += arr[i-1];
                ans++;
            }
        }

        return ans;
    }

    // Driver method to test the above function
    public static void main(String[] args)
    {
        int arr[] = new int[]{1,4,5,9,1}; ✓

        System.out.println("Count of minimum operations is "+ findMinOps(arr,arr.length));
    }
}

```

$\rightarrow i = 0 \quad \left\{ \begin{array}{l} i = n-1 \\ j \leftarrow j \end{array} \right.$   
 $\left\{ \quad = \quad \right.$

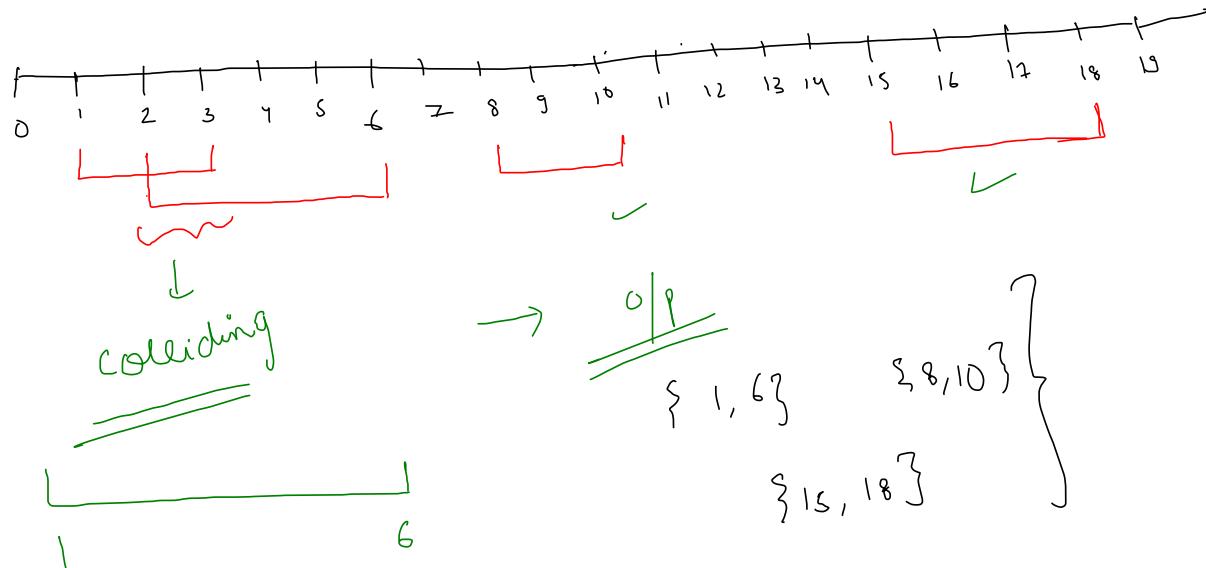
$T = O(N)$

$S = O(1)$

## Q) Merge Intervals

$\{1, 3\}$      $\{2, 6\}$      $\{8, 10\}$      $\{15, 18\}$

Overlap



Breath

$$\underline{\{1, 3\}} \quad \underline{\{2, 6\}} \quad \underline{\{8, 10\}} \quad \{16, 18\}$$

$$1, 3 \quad 2, 6 = \{1, 6\}$$

$3 > 2$

$\rightarrow$  merge

for ( $i=0 : i < n$ )  
{

for ( $j=i+1 : j < N$ )

$$\{1, 3\} - \{2, 6\} \\ \{1, 6\}$$

$$1, 5 \quad 5, 10 = \{1, 10\}$$

$5 == 5$

$\rightarrow$  merge

==

$$8, 10 \quad 15, 18$$

$10 >= 15 \quad X$

{

6 p. time

$T = O(N^2)$

$S = O(N)$

Approach

① → Sort

{1, 3}

{2, 6}

{8, 10}

{15, 18}

2 → (1, 3)

(1, 3)

(2, 6)

(8, 10)

(15, 18)

(2, 6)

X

{O(N)}

(1, 6) → (8, 10) X

List of List

Ans

←

T = O(n log n)

(1, 6)  
(8, 10)  
(15, 18)

$$T = O(N \log N)$$

 $O(N)$ 
 $O(N \log N)$ 
 $O(1)$ 

```

package Arrays;
import java.util.*;

public class MergeIntervals {

    private static int[][] merge(int[][] intervals) {
        Arrays.sort(intervals, (a, b) -> Integer.compare(a[0], b[0]));
        // use set
        // first element
        LinkedList<int[]> merged = new LinkedList<>();
        for (int[] interval : intervals) {
            // if the list of merged intervals is empty or if the current
            // interval does not overlap with the previous, simply append it.
            if (merged.isEmpty() || merged.getLast()[1] < interval[0]) {
                merged.add(interval);
            }
            // otherwise, there is overlap, so we merge the current and previous
            // intervals.
            else {
                merged.getLast()[1] = Math.max(merged.getLast()[1], interval[1]);
            }
        }
        return merged.toArray(new int[merged.size()][2]);
    }

    public static void main(String[] args) {
        int[][] intervals = {{1,3},{2,6},{8,10},{15,18}};
        int[][] results = merge(intervals);
        for(int[] interval : results) {
            System.out.println(interval[0] + " " + interval[1]);
        }
    }
}

```

$\cup$   $\cup$   $\cup$

$10 < 15$

$3 < 2$



$\max(3, 6) \cup 16$

$6 < 8$

$15, 18$

$\Leftarrow$  Merge  
 $(m)$  arr1 =  
 $(n)$  arr2 =

Array →

2 Sorted Arrays  
 $\{ \overbrace{1, 2, 3}^m, 0, 0, 0 \}$  →  $\{ \overbrace{2, 5, 6}^n \}$   
arr1 = 1 2 2 3 5 6  
size = 6

B<sub>righte</sub>

1 2 3 2 5 6 } →  $m+n$

$(m+n) \log(m+n)$

Sort

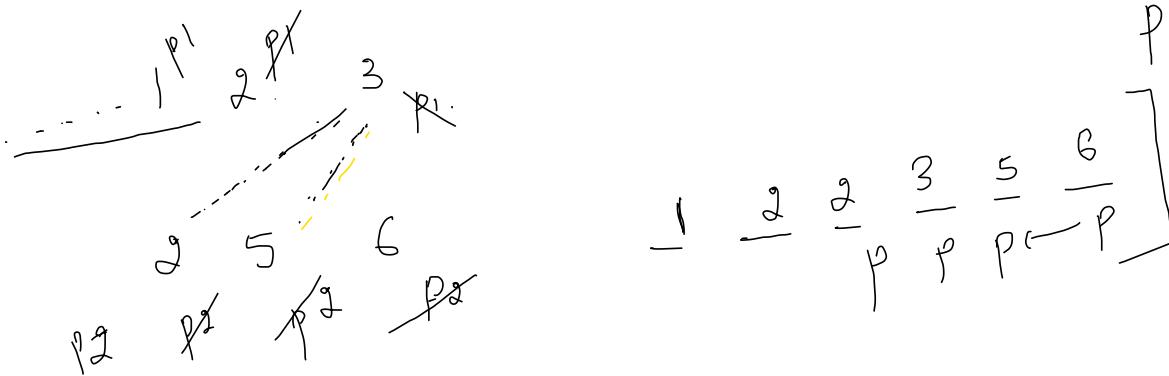
Space =  $O(m+n)$

optimize

$$\text{arr1} = \{ 1, 2, 3, 0, 0, 0 \} \xrightarrow{p_1} 3(m)$$

$$\text{arr2} = \{ 2, 5, 6 \} \xrightarrow{p_2} 3(n)$$

$$p_1 = \text{arr1}[m-1] \quad p_2 = \text{arr2}[n-1]$$



$$\underline{p_2 = 0}$$

```

package Arrays;

public class MergeSortedArrays {
    private static void merge(Integer[] nums1, int m, Integer[] nums2, int n) {
        // Set p1 and p2 to point to the end of their respective arrays.
        int p1 = m - 1;
        int p2 = n - 1;

        // And move p backwards through the array, each time writing
        // the smallest value pointed at by p1 or p2.
        for (int p = m + n - 1; p >= 0; p--) {
            if (p2 < 0) {
                break;
            }
            if (p1 >= 0 && nums1[p1] > nums2[p2]) {
                nums1[p] = nums1[p1--];
            } else {
                nums1[p] = nums2[p2--];
            }
        }
    }

    public static void main(String[] args)
    {
        Integer nums1[] = new Integer[] {1,2,3,0,0,0};
        Integer nums2[] = new Integer[] {2,5,6};
        int m = 3;
        int n = 3;
        merge(nums1, m, nums2, n);

        for(int i=0;i<m+n;i++) {
            System.out.print(nums1[i] + " ");
        }
    }
}

```

$$\begin{aligned}
 & 3 + 3 - 1 \\
 & = 5 \\
 & \text{if } p = m+n-1 \\
 & \quad (\text{index}) \\
 & \quad \text{in arr1}
 \end{aligned}$$

// post decrement operator

$$\begin{aligned}
 T &= O(m+n) \\
 S &= O(1)
 \end{aligned}$$

Q  $k^{\text{th}}$  Smallest Element in an Array

arr = [ 12 3 5 7 4 ↗ 19 26 ]

$k = 3$

$3^{\text{rd}}$  smallest  
Element → 5

(1) Brute → Sort

$k-1$   
 $2^{\text{nd}}$

3 4 5 7 12 19 26  
0 1 2

$$T = O(n \log n)$$
  
$$S = O(1)$$

{ 6 operations }

O<sub>1</sub> reward

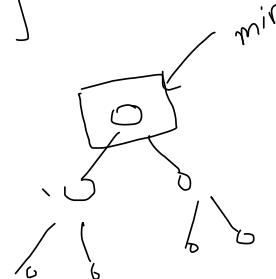
12 3 5 7 4 19 26

Hash Map / Sd →  $T = O(N \log N)$

$S = O(N)$

{ X

→ Heap (Priority Q) → min Heap



↑ "3  
3 min  
{ min = 3 ✓  
min = 4  
min = 5

→  $T = (n \log n)$

Optimize

Heapify

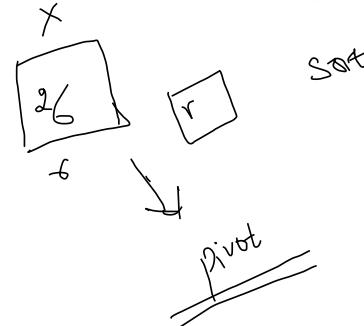
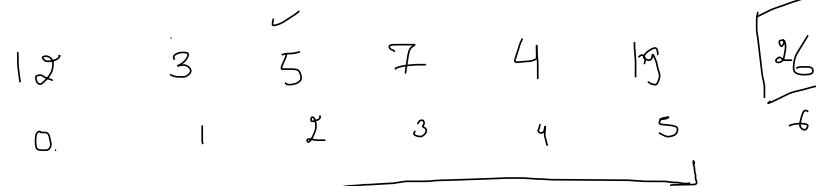
$(K \log N)$

# Quick Select

Pivot (Partitioning)

# Quick Sort

Pivot (Partitioning)



if ( $arr[i] \leq x$ )  
    swap  
        i++

26 3 5 7 4 19 12

3 ~~26~~ 5 ~~7~~ ~~4~~ ~~19~~ ~~12~~  
s ~~26~~ ~~26~~ ~~26~~ ~~26~~ ~~26~~

Pivot

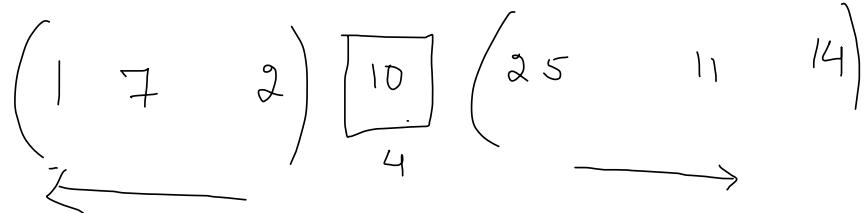
$$k = 3 / 10 \mid p = 7$$

10

! 7 2 25 11 14

$k = 3$

Partitioning



Partitioning

↓  
put pivot

element

at its  
correct pos

pivot  
 $(2+1) 3$   
 $3 = k$

pivot  
1 7 2

↓ Partition

pivot  $(k+1)$  ↙  
→ right  
← left

1 (7 2)  
P ↓  
2 7

$k = 3$

↓ Partition

```

package Arrays;

import java.util.Arrays;
import java.util.Collections;

class KthSmallest {
    // Standard partition process of QuickSort.
    // It considers the last element as pivot
    // and moves all smaller element to left of
    // it and greater elements to right
    public static int partition(Integer[] arr, int l, int r)    // arr[i] <= arr[j]
    {
        int x = arr[r]; i = l;
        for (int j = l; j <= r - 1; j++) {
            if (arr[j] <= x) {
                // Swapping arr[i] and arr[j]
                int temp = arr[i];
                arr[i] = arr[j];
                arr[j] = temp;
                i++;
            }
        }
        // Swapping arr[i] and arr[r]
        int temp = arr[i];
        arr[i] = arr[r];
        arr[r] = temp;
        return i;
    }

    // This function returns k'th smallest element
    // in arr[l..r] using QuickSort based method.
    // ASSUMPTION: ALL ELEMENTS IN ARR[] ARE DISTINCT
    public static int kthSmallest(Integer[] arr, int l, int r, int K) { ✓
        if (K > 0 && K <= r - l + 1) { ✓
            // Partition the array around last
            // element and get position of pivot
            // element in sorted array
            int pos = partition(arr, l, r); ✓
            if (pos - l == K - 1) { ✓
                return arr[pos];
            }
            // If position is more, recur for
            // left subarray
            if (pos - l > K - 1) { ✓
                return kthSmallest(arr, l, pos - 1, K);
            }
            // Else recur for right subarray
            return kthSmallest(arr, pos + 1, r,
                K - pos + l - 1); ✓
        }
        // If k is more than number of elements
        // in array
        return Integer.MAX_VALUE;
    }

    // Driver's code
    public static void main(String[] args)
    {
        Integer arr[] = new Integer[] { 12, 3, 5, 7, 4, 19, 26 };
        int K = 3; ✓
        // Function call
        System.out.print("K'th smallest element is " + kthSmallest(arr, 0, arr.length - 1, K));
    }
}

```

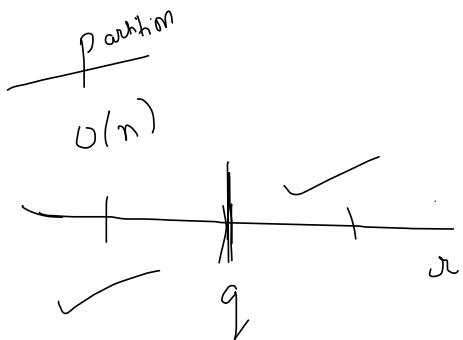
$$T(n) = \begin{cases} O(1) & n=1 \\ T(n-q) + T(\underline{n-q}) & n>1 \end{cases}$$

$$T(n) + (q)$$

Best Case       $T(n) = O(n) + O\left(\frac{n}{q}\right)$

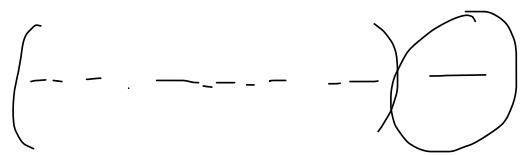
$$= \boxed{\overline{O}(n)}$$

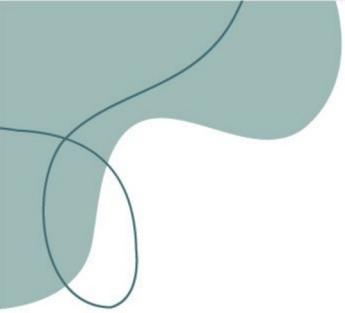
Space =  $O(\log n)$



Wrt cos

$$= T(n) = \underline{O(n) + O(n-1)}$$
$$= \underline{\underline{O(n^2)}}$$





$\approx$

Merge -

$\approx$

Quick Select

$\approx$

Missing, majority

## Let's Summarize



