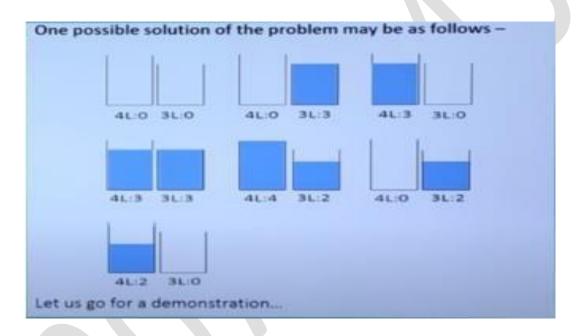
EX.NO: 3 DATE: 23 - 08 - 2024

#### DEPTH FIRST SEARCH-WATER JUG PROBLEM

### **AIM:**

To implement **Water – jug problem** using depth first search algorithm.

In the water jug problem in Artificial Intelligence, we are provided with two jugs: one having the capacity to hold 3 gallons of water and the other has the capacity to hold 4 gallons of water. There is no other measuring equipment available and the jugs also do not have any kind of marking on them. So, the agent's task here is to fill the 4-gallon jug with 2 gallons of water by using only these two jugs and no other material. Initially, both our jugs are empty.

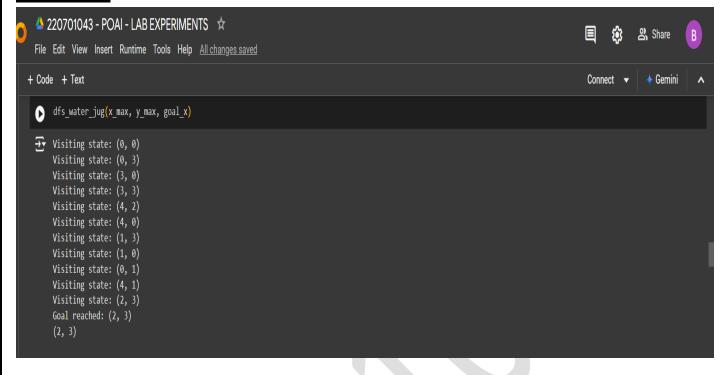


## **PROGRAM:**

```
def fill_4_gallon(x, y, x_max, y_max):
    return (x_max, y)
def fill_3_gallon(x, y, x_max, y_max):
    return (x, y_max)
def empty_4_gallon(x, y, x_max, y_max):
    return (0, y)
def empty_3_gallon(x, y, x_max, y_max):
    return (x, 0)
def pour_4_to_3(x, y, x_max, y_max):
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```

```
transfer = min(x, y max - y)
  return (x - transfer, y + transfer)
def pour 3 to 4(x, y, x max, y max):
  transfer = min(y, x max - x)
  return (x + transfer, y - transfer)
def dfs water jug(x max, y max, goal x, visited=None, start=(0, 0)):
  if visited is None:
     visited = set()
  stack = [start]
  while stack:
     state = stack.pop()
     x, y = state
     if state in visited:
       continue
     visited.add(state)
     print(f"Visiting state: {state}")
     if x == goal x:
       print(f"Goal reached: {state}")
       return state
     next_states = \lceil
       fill_4_gallon(x, y, x_max, y_max),
       fill 3 gallon(x, y, x max, y max),
       empty 4 gallon(x, y, x max, y max),
       empty 3 gallon(x, y, x max, y max),
       pour 4 to 3(x, y, x max, y max),
       pour 3 to 4(x, y, x max, y max)
     for new state in next states:
       if new state not in visited:
          stack.append(new state)
  return None
x max = 4
y max = 3
goal x = 2
dfs water jug(x max, y max, goal x)
```

# **OUTPUT:**



# **RESULT:**

Thus the water-jug problem is implemented successfully using depth-first search algorithm.

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