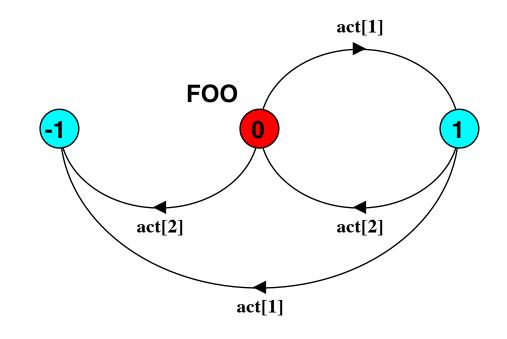
TEST = 
$$(act[1] \rightarrow act[2] \rightarrow TEST | act[3] \rightarrow TEST2)$$
,  
TEST2 =  $(act[4] \rightarrow act[5] \rightarrow TEST2)$ .

property 
$$FOO = (act[1] \rightarrow act[2] \rightarrow FOO)$$
.

There is a hidden \* transition on every state, where \* are all actions excluding act[1] and act[2].

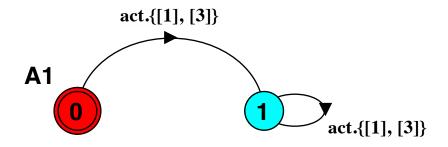


$$TEST = (act[1] \rightarrow act[2] \rightarrow TEST | act[3] \rightarrow TEST2),$$

$$TEST2 = (act[4] \rightarrow act[5] \rightarrow TEST2).$$

assert 
$$A1 = (\langle \rangle act[1] | | \langle \rangle act[3])$$

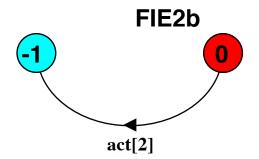
A Buchi automata. Double circle is accepting state(s). Goal is to stay out of accepting states.



$$TEST = (act[1] \rightarrow act[2] \rightarrow TEST | act[3] \rightarrow TEST2),$$

$$TEST2 = (act[4] \rightarrow act[5] \rightarrow TEST2).$$

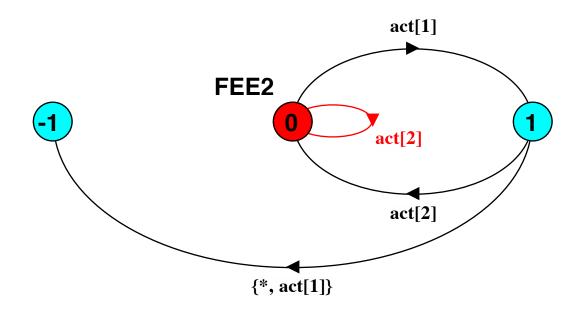
## assert FIE2b = []!act[2]



$$TEST = (act[1] \rightarrow act[2] \rightarrow TEST | act[3] \rightarrow TEST2),$$

$$TEST2 = (act[4] \rightarrow act[5] \rightarrow TEST2).$$

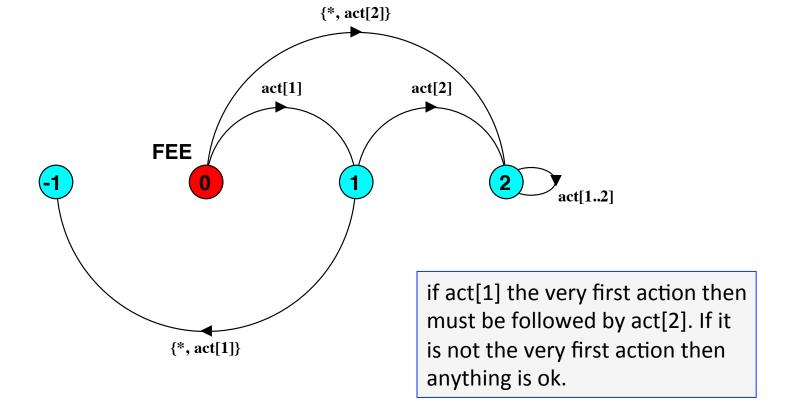
assert FEE2 = 
$$[](act[1] \rightarrow X act[2])$$



$$TEST = (act[1] \rightarrow act[2] \rightarrow TEST | act[3] \rightarrow TEST2),$$

$$TEST2 = (act[4] \rightarrow act[5] \rightarrow TEST2).$$

## assert $FEE = (act[1] \rightarrow X act[2])$

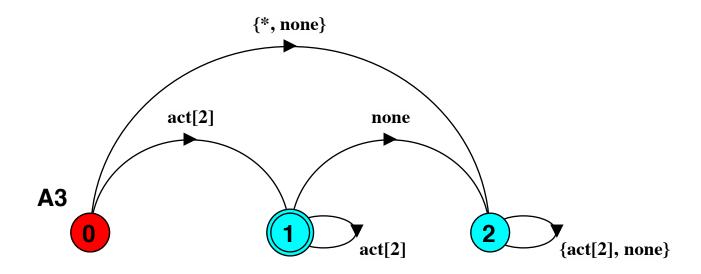


$$TEST = (act[1] \rightarrow act[2] \rightarrow TEST | act[3] \rightarrow TEST2),$$

$$TEST2 = (act[4] \rightarrow act[5] \rightarrow TEST2).$$

assert A3 = 
$$(act[2] \rightarrow \langle \rangle none)$$

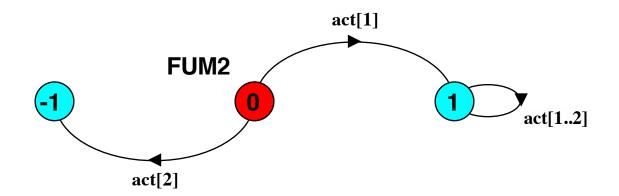
This is True because act[2] not in set of first actions. Does not matter than none is not an action in TEST.



$$TEST = (act[1] \rightarrow act[2] \rightarrow TEST | act[3] \rightarrow TEST2),$$

$$TEST2 = (act[4] \rightarrow act[5] \rightarrow TEST2).$$

## assert FUM2 = (!act[2]Wact[1])

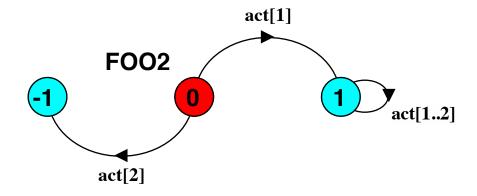


$$TEST = (act[1] \rightarrow act[2] \rightarrow TEST | act[3] \rightarrow TEST2),$$

$$TEST2 = (act[4] \rightarrow act[5] \rightarrow TEST2).$$

property 
$$FOO2 = (act[1] \rightarrow GOOD)$$
,  $GOOD = (act[1], act[2]) \rightarrow GOOD$ .

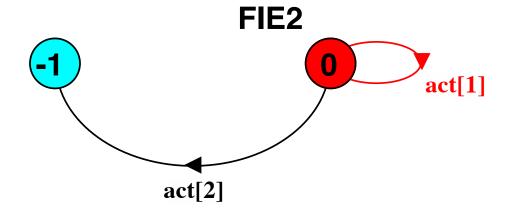
Equiv to assert FUM2 = (!act[2]Wact[1])



TEST = 
$$\{ act[1] \rightarrow act[2] \rightarrow TEST | act[3] \rightarrow TEST2 \}$$
,  
TEST2 =  $\{ act[4] \rightarrow act[5] \rightarrow TEST2 \}$ .

assert 
$$FIE2 = [](!act[2]Wact[1])$$

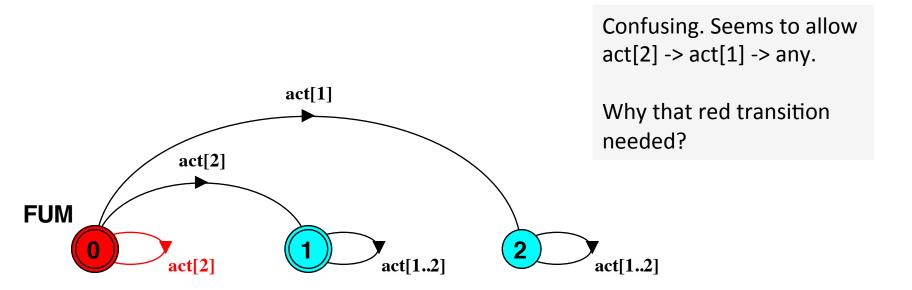
Non-obvious. Can you work it out?



$$TEST = (act[1] \rightarrow act[2] \rightarrow TEST | act[3] \rightarrow TEST2),$$

$$TEST2 = (act[4] \rightarrow act[5] \rightarrow TEST2).$$

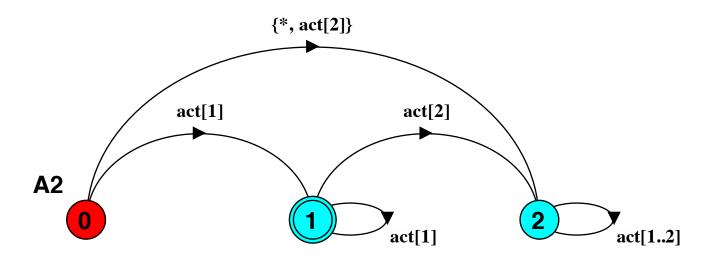
## assert FUM = (!act[2] U act[1])



$$TEST = (act[1] \rightarrow act[2] \rightarrow TEST | act[3] \rightarrow TEST2),$$

$$TEST2 = (act[4] \rightarrow act[5] \rightarrow TEST2).$$

Probably not what you want. Looks at very first set of actions possible. If it includes act[1] then it has to be followed by act[2]. If it does not include act[1], then it is True.



TEST = 
$$\{act[1] \rightarrow act[2] \rightarrow TEST | act[3] \rightarrow TEST2\}$$
,  
TEST2 =  $\{act[4] \rightarrow act[5] \rightarrow TEST2\}$ .

