In []: #EX NO: 06 EX NO 6 - Performance Analysis on Regression Techniques BHARATH KUMAR #Date:19-02-2024 URK22AI1030

## Aim

To implement the linear regression model for the given dataset and to demonstrate the performance analysis on regression techniques

## Description

print(corr)

Subject

AGE X

Subject

GLUCOSE LEVEL -0.130664 0.529809

1.000000 0.695582

0.695582 1.000000

Linear Regression Regression searches for relationships among variables. Regression is used to build a prediction model to predict the response (y) from the input variables (x) where the prediction is based on the previous data. Linear regression model defines a linear relationship between the output variable (y) and a combination of one or more input variables (x)

Simple linear regression This model has single independent and single dependent variable. Eg: the experience impact salaries  $B\ 0$  = the y-intercept  $B\ 1$  = the regression coefficient (slope)

Performance Metrics for Regression Problems Various performance metrics that can be used to evaluate predictions for regression problems are mean absolute error, mean squared error and R squared value. Mean Absolute Error (MAE) It is the simplest error metric used in regression problems. It is basically the sum of average of the absolute difference between the predicted and actual values.

Mean Square Error (MSE) MSE is like the MAE, but the only difference is that the it squares the difference of actual and predicted output values before summing them all instead of using the absolute value.

mean\_squared\_error function of sklearn.metrics to compute MSE.

R Squared (R 2) R Squared metric is generally used for explanatory purpose and provides an indication of the goodness or fit of a set of predicted output values to the actual output values.

numerator is MSE denominator is the variance in • values. R 2 \_score function of sklearn.metrics to compute R squared value

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In [24]:
         import pandas as pd
         from sklearn.linear model import LinearRegression
         from sklearn.metrics import mean_squared_error, mean_absolute_error, r2_score
         import numpy as np
         import matplotlib.pyplot as plt
In [25]:
         from sklearn.linear model import LinearRegression
         from matplotlib import pyplot as plt
         df = {
              'Subject':[1, 2, 3, 4, 5, 6],
             'AGE X': [43, 21, 25, 42, 57, 59],
             'GLUCOSE LEVEL': [99, 65, 79, 75, 87, 81]
         }
         # Create the DataFrame
         data = pd.DataFrame(df)
In [26]: corr = data.corr()
```

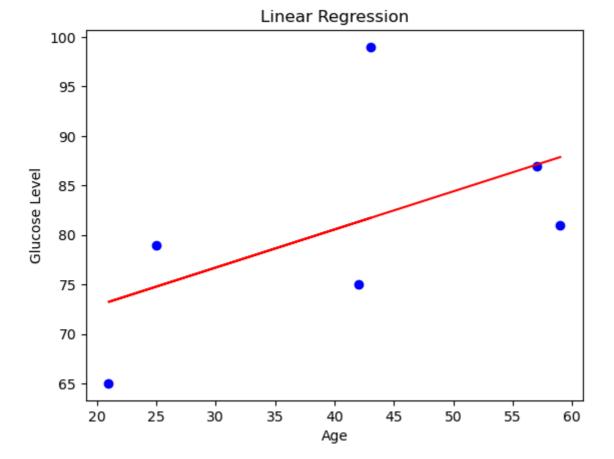
AGE X GLUCOSE LEVEL

-0.130664

0.529809

1.000000

```
In [27]: data.isnull().sum()
Out[27]: Subject
         AGE X
          GLUCOSE LEVEL
                           0
          dtype: int64
In [28]: X = np.array(data[['AGE X']])
         Y = data[['GLUCOSE LEVEL']]
In [29]: model = LinearRegression(fit_intercept = True)
In [30]: model.fit(X,Y)
Out[30]:
             LinearRegression 🔍 🤇
         LinearRegression()
In [31]:
         print("Intercept: " , model.intercept_)
         print("Coefficient: ", model.coef_)
        Intercept: [65.14157152]
        Coefficient: [[0.38522498]]
In [32]: y_pred = model.predict(X)
In [35]: mse = mean_squared_error(Y, y_pred)
         mae = mean_absolute_error(Y, y_pred)
         rmse = np.sqrt(mse)
         r_squared = r2_score(Y, y_pred)
In [37]:
         print("Intercept (b0):", model.intercept_)
         print("Regression coefficient (b1):", model.coef_[0])
         print("Mean Squared Error:", mse)
         print("Mean Absolute Error:", mae)
         print("Root Mean Squared Error:", rmse)
         print("R-Squared:", r_squared)
        Intercept (b0): [65.14157152]
        Regression coefficient (b1): [0.38522498]
        Mean Squared Error: 78.64374300425344
        Mean Absolute Error: 7.173852697559885
        Root Mean Squared Error: 8.86813075029081
        R-Squared: 0.2806974725220722
In [40]: plt.scatter(X, Y, color='blue')
         plt.plot(X, y_pred, color='red')
         plt.title('Linear Regression')
         plt.xlabel('Age')
         plt.ylabel('Glucose Level')
         plt.show()
```



In [41]: from sklearn.linear\_model import LinearRegression
 from matplotlib import pyplot as plt
 import pandas as pd
 import numpy as np
 df=pd.read\_csv("heart.csv")
 df

Out[41]:		Unnamed: 0	biking	smoking	heart.disease
	0	1	30.801246	10.896608	11.769423
	1	2	65.129215	2.219563	2.854081
	2	3	1.959665	17.588331	17.177803
	3	4	44.800196	2.802559	6.816647
	4	5	69.428454	15.974505	4.062224
	•••				
	493	494	47.660440	27.562464	11.294392
	494	495	45.097203	21.385620	9.616762
	495	496	8.279743	6.423720	13.495168
	496	497	42.345863	20.741328	10.115865
	497	498	30.774254	23.610175	11.843556

498 rows × 4 columns

```
In [42]: corr = df.corr()
    print(corr)
```

```
biking
                       0.057088 1.000000 0.015136
                                                          -0.935455
                       0.052674 0.015136 1.000000
        smoking
                                                           0.309131
        heart.disease -0.051725 -0.935455 0.309131
                                                           1.000000
In [43]: df.dropna(inplace=True)
In [44]: x= np.array(df[['smoking']])
         y = df[['heart.disease']]
In [45]: model = LinearRegression(fit_intercept = True)
In [46]: model.fit(x,y)
         print('Intercept: \n',model.intercept_)
         print('Coefficients: \n', model.coef_)
        Intercept:
         [7.5431069]
        Coefficients:
         [[0.17048431]]
In [47]: ypred = model.predict(x)
         error = (y-ypred)**2
         print("Error",error.sum()/400)
         print(x.shape)
        Error heart.disease
                              23.48896
        dtype: float64
        (498, 1)
In [48]: from sklearn import metrics
         print("MSE:", metrics.mean_squared_error(ypred,y))
         print("R^2:",metrics.r2_score(ypred,y))
        MSE: 18.8666343920003
        R^2: -8.464414675286777
In [49]: plt.figure(figsize=(12,6))
         plt.plot(x,ypred)
         plt.plot(x,y,'ro')
         plt.title('Actual vs Predicted')
         plt.xlabel('x')
         plt.xlabel('x')
         plt.ylabel('y')
Out[49]: Text(0, 0.5, 'y')
```

Unnamed: 0 biking smoking heart.disease

1.000000 0.057088 0.052674 -0.051725

Unnamed: 0

