Exercise 4: Financial Forecasting

Scenario:

You are developing a financial forecasting tool that predicts future values based on past data.

Steps:

1. Understand Recursive Algorithms:

o Explain the concept of recursion and how it can simplify certain problems.

2. Setup:

o Create a method to calculate the future value using a recursive approach.

3. Implementation:

o Implement a recursive algorithm to predict future values based on past growth rates.

4. Analysis:

- o Discuss the time complexity of your recursive algorithm.
- o Explain how to optimize the recursive solution to avoid excessive computation.

1. Understand Recursive Algorithms:

✓ What is Recursion?

- **Recursion** is when a method **calls itself** with smaller inputs until reaching a **base case**.
- It simplifies problems that can be broken into smaller versions of the same problem.

✓ Why is recursion useful here?

Financial projections often follow a pattern:

```
futureValue(year) = futureValue(year-1) * (1 + growthRate)
```

➤ Instead of using loops, recursion lets us directly state the math:

"Future value at year depends on the value of year-1"

2. Setup:

Create a method:

double calculateFutureValue(double presentValue, double growthRate, int years)

```
Present Value: Starting amount.

growthRate: Yearly rate (e.g. 0.05 for 5%).

years: Time horizon.
```

3. Implementation:

}

Financial Forecasting.java

```
public class FinancialForecasting {
    public static double calculateFutureValue(double presentValue, double growthRate, int years) {
        if (years == 0) {
            return presentValue;
        }
        return calculateFutureValue(presentValue, growthRate, years - 1) * (1 + growthRate);
    }
    public static void main(String[] args) {
            double presentValue = 1000.0;
            double growthRate = 0.05;
            int years = 10;
            double futureValue = calculateFutureValue(presentValue, growthRate, years);
            System.out.println("Future Value after " + years + " years: $" + futureValue);
    }
}
```

OUTPUT:

```
OPCORE

| Production | Product
```

4. Analysis:

Time Complexity

Recursive call depth = years.

Time complexity = O(years) because the method is invoked once per year.

Space complexity = $\mathbf{O}(\mathbf{years})$ due to the recursive call stack.

4. Optimize:

Iterative Approach

Replace recursion with a simple for loop to save stack space:

```
\label{eq:constraints} \begin{split} & \text{double value} = \text{presentValue}; \text{for (int } i=0; \ i < \text{years; } i++) \ \{ \\ & \text{value *= (1 + growthRate);} \\ & \} \end{split} \text{Time complexity} = O(\text{years}) \text{Space complexity} = O(1)
```

Direct formula (Closed-form)

Financial math formula:

Future value = presentValue * $(1 + growthRate)^y$ ears

Calculate this in O(1) time:

 $double\ futureValue = presentValue\ *\ Math.pow(1+growthRate,\ years);$

Approach	Time Complexity	Space Complexity	Best Use
Recursion	0(years)	O(years)	Learning
Iteration	0(years)	0(1)	Practical
Formula	0(1)	0(1)	Optimal