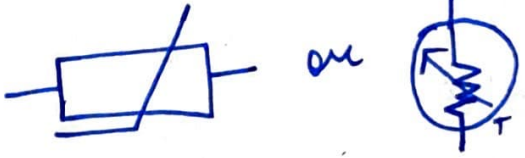



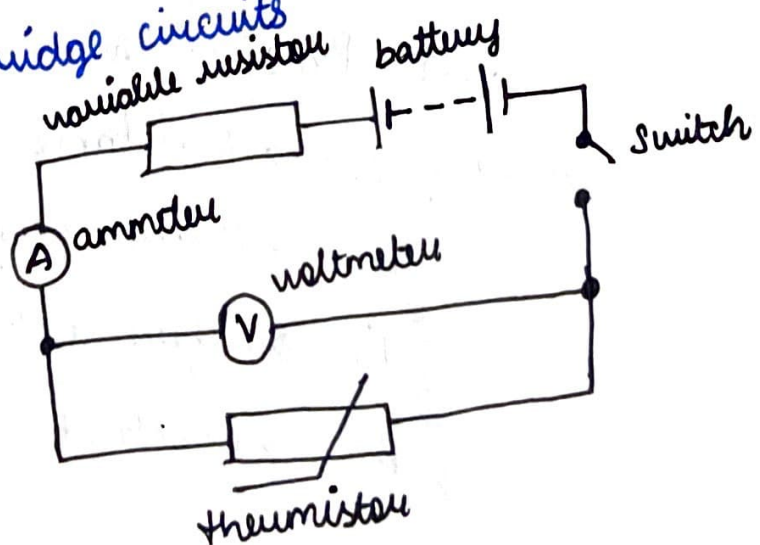
2)

THERMISTOR:-

- ★ A thermistor is a device that uses resistance to detect temperature
- ★ Thermistors can also measure the temperature across the range of  $-40 \sim 150 \pm 0.35^\circ\text{C}$
- ★ Thermistors act as a passive component in a circuit
- ★ They are an accurate, cheap and robust way to measure temperature
- ★ Symbol for thermistor  $\Rightarrow$   or 

uses:-

- ★ Digital thermometers
- ★ Automotive applications
- ★ Household appliances
- ★ Circuit protection
- ★ Rechargeable batteries
- ★ Temperature compensation
- ★ used in wheatstone bridge circuits





## Working principle:

- ★ The working principle of a thermistor is that its resistance is dependent on its temperature
- ★ We can measure the resistance of a thermistor using an ohmmeter
- ★ If we know the exact relationship between how changes in the temperature will affect the resistance of the thermistor - then by measuring the thermistor's resistance we can derive its temperature

## 2 types

### 1) NTC Thermistor :-

- ★ Negative Temperature Coefficient
- ★ When the Temperature increases, resistance decreases
- ★ And when the Temperature decreases, resistance increases
- ★ Temperature and Resistance are inversely proportional
- ★ These are the most common type of thermistor
- ★ Relationship b/w Temp. and resistance

$$R_T = R_0 e^{\beta(\frac{1}{T} - \frac{1}{T_0})}$$

where,  $R_T \rightarrow$  Resistance at temperature  $T$   
 $R_0 \rightarrow$  Resistance at temperature  $T_0$  ( $0^\circ\text{C}$ )  
 $T_0 \rightarrow$  Reference temperature ( $25^\circ\text{C}$ )  
 $\beta \rightarrow$  constant



## 2) PTC Thermistor :-

- ★ Positive Temperature Coefficient
- ★ has the inverse relationship b/w temperature and resistance
- ★ when Temp.  $\uparrow$ , Resistance  $\uparrow$
- ★ when Temp.  $\downarrow$ , Resistance  $\downarrow$
- ★ Temp. & Resistance are inversely proportional
- ★ Relationship b/w Temp. and Resistance

$$R_T = R_0 (1 + \alpha (T - T_0))$$

$$R_T = R_0 (1 + \alpha (\Delta T))$$

where,  $R_T$  = Resistance at Temperature  $T$

$R_0$  = Resistance at Temperature  $T_0$  ( $0^\circ\text{C}$ )

$T_0$  = Reference Temperature ( $25^\circ\text{C}$ )

$\alpha$  = constant

### → Applications

NTC

- ★ Industrial applications
- ★ Controlling engine temperatures
- ★ Fluid level gauging
- ★ Temperature measurement
- ★ inrush current limiting

PTC

- ★ used in self-regulating heaters
- ★ used for motor winding protection
- ★ sensing liquid levels
- ★ used as thermal switch
- ★ measurement & control of temp.

NTC

Applications

- ★ Industrial applications
- ★ copy machines
- ★ Bungalow alarms
- ★ detectors
- ★ AC, Refrigerators

PTC

- ★ Fuse
- ★ Switch
- ★ over current protection
- ★ Temperature sensor
- ★ Motor starting

# → STRAIN GAUGE GAUGE FACTOR DERIVATION:-

$$\text{Strain} = \frac{\text{change in Dimension}}{\text{Original Dimension}} = \frac{\Delta L}{L}$$

$$\text{Resistivity (R)} = \frac{\rho L}{A}$$

$$\frac{dR}{ds} = \frac{d}{ds} \left( \frac{\rho L}{A} \right)$$

$$\begin{aligned} \frac{d}{ds} (A^{-1}) &= -1 A^{-1-1} \\ &= -1 A^{-2} \\ &= -\frac{1}{A^2} \end{aligned}$$

$$\frac{dR}{ds} = \frac{\rho}{A} \frac{\partial L}{\partial s} - \frac{\rho L}{A^2} \frac{\partial A}{\partial s} + \frac{L}{A} \frac{\partial \rho}{\partial s}$$

÷ by R ,

$$\frac{1}{R} \cdot \frac{dR}{ds} = \frac{\rho}{AR} \frac{\partial L}{\partial s} - \frac{\rho L}{A^2 R} \frac{\partial A}{\partial s} + \frac{L}{AR} \frac{\partial \rho}{\partial s}$$

$$\frac{1}{R} \cdot \frac{dR}{ds} = \frac{\rho}{A \times \frac{\rho L}{A}} \frac{\partial L}{\partial s} - \frac{\rho L}{A^2 \cdot \frac{\rho L}{A}} \frac{\partial A}{\partial s} + \frac{L}{A \cdot \frac{\rho L}{A}} \frac{\partial \rho}{\partial s}$$

$$\boxed{\frac{1}{R} \cdot \frac{dR}{ds} = \frac{1}{L} \frac{\partial L}{\partial s} - \frac{1}{A} \frac{\partial A}{\partial s} + \frac{1}{\rho} \frac{\partial \rho}{\partial s}} \rightarrow \textcircled{1}$$

$$A = \pi r^2$$

$$r = \frac{D}{2}$$

$$\Rightarrow A = \frac{\pi D^2}{4}$$

$$\boxed{\frac{\partial A}{\partial s} = \frac{\pi}{4} \cdot 2D \cdot \frac{\partial D}{\partial s}} \rightarrow \textcircled{2}$$

Sub ② in ①,

$$\frac{1}{R} \frac{dR}{ds} = \frac{1}{L} \frac{\partial L}{\partial s} - \frac{1}{A} \cdot \frac{\pi}{4} 2D \frac{\partial D}{\partial s} + \frac{1}{p} \frac{\partial p}{\partial s}$$

$$\frac{1}{R} \frac{dR}{ds} = \frac{1}{L} \frac{\partial L}{\partial s} - \frac{1}{\frac{\pi D^2}{4}} \cdot \frac{\pi}{4} 2D \frac{\partial D}{\partial s} + \frac{1}{p} \frac{\partial p}{\partial s}$$

$$\frac{1}{R} \frac{dR}{ds} = \frac{1}{L} \frac{\partial L}{\partial s} - \frac{2}{D} \frac{\partial D}{\partial s} + \frac{1}{p} \frac{\partial p}{\partial s} \rightarrow \textcircled{3}$$

Poisson Ratio =  $\frac{\text{Lateral strain}}{\text{Longitudinal strain}}$

$$\gamma = \frac{\partial A/A}{\partial L/L} \quad (\text{or}) \quad - \frac{\partial A/A}{\partial L/L}$$

$$\gamma = - \frac{\partial D/D}{\partial L/L}$$

$$\frac{\partial D}{D} = - \gamma \frac{\partial L}{L} \rightarrow \textcircled{4}$$

Sub ④ in ③,

$$\frac{1}{R} \frac{dR}{ds} = \frac{1}{L} \frac{\partial L}{\partial s} + \frac{2\gamma}{L} \frac{\partial L}{\partial s} + \frac{1}{p} \frac{\partial p}{\partial s} \rightarrow \textcircled{5}$$

$$\frac{1}{R} \frac{dR}{ds} = \frac{1}{L} \frac{\partial L}{\partial s} [1 + 2\gamma] + \frac{1}{p} \frac{\partial p}{\partial s}$$



$$\text{Gauge Factor} = \frac{\Delta R/R}{\Delta L/L}$$

$$G_F = \frac{\Delta R/R}{\Delta L/L}$$

$$\frac{\Delta R}{R} = G_F \frac{\Delta L}{L}$$

from ⑤,

$$\frac{\Delta R}{R} = \frac{\Delta L}{L} + 2\gamma \frac{\Delta L}{L} + \frac{\Delta P}{P}$$

$\div$  by  $\frac{\Delta L}{L}$ ,

$$\frac{\Delta R/R}{\Delta L/L} = \frac{\Delta L/L}{\Delta L/L} + \frac{2\gamma \Delta L/L}{\Delta L/L} + \frac{\Delta P/P}{\Delta L/L}$$

$$G_F = 1 + 2\gamma + \frac{\Delta P/P}{\Delta L/L}$$

$$\epsilon = \text{strain} = \Delta L/L$$

$$G_F = 1 + 2\gamma + \frac{\Delta P/P}{\epsilon}$$

$\frac{\Delta P/P}{\epsilon} \Rightarrow$  very small so it is neglected

$$\boxed{G_F = 1 + 2\gamma}$$

## 2) SENSORS:-

- A sensor or transducer as a device which provides a usable output in response to a specified measurand.
- Output is defined as an 'electrical quantity' and Measurand - Physical quantity, or condition which is measured.'
- Physical quantity :Temperature, Pressure, force, motion, displacement, humidity, light flow etc.
- Electrical quantity: Change in resistance, inductance, capacitance etc.

## CLASSIFICATION BASED ON MEASURANDS:-

- Mechanical :Length, area, volume, force, pressure, acceleration, torque, mass flow, acoustic intensity, and so on ..
- Thermal :Temperature, heat flow, entropy, state of matter.
- Electrical :Charge, current, voltage, resistance, inductance, capacitance, dielectric constant, polarization, frequency, electric field, dipole moment, and so on.
- Magnetic :Field intensity, flux density, permeability, magnetic moment, and so forth.
- Radiant :Intensity, phase, refractive index, reflectance, transmittance, absorbance, wavelength, polarization, and so on.
- Chemical :Concentration, composition, oxidation/reduction potential, reaction rate, pH, and the like.

## TECHNOLOGY BASED CLASSIFICATION:

- Conventional sensors are now aptly supported by technologies which have yielded Micro Electro Mechanical Sensors (MEMS), CMOS image sensors, displacement and motion detectors and biosensors.
- Similarly, Coriolis, magnetic and ultrasonic flowmeters, photoelectric, proximity, Hall effect, infrared, integrated circuit (IC), temperature, radar-based level sensors are also relatively modern.

## MINIMIZATION OF ERRORS:-

- Gross errors cannot be completely eliminated, but can be minimized by taking proper care in reading and recording of the measurement parameter.
- Instrumental Systematic errors can be avoided by
  - a. selecting a suitable instrument for the particular measurement applications
  - c. calibrating the instrument against a standard
- Environmental Systematic errors can be avoided by air conditioning, hermetically sealing certain components in the instruments, and using magnetic shields
- Observational Systematic errors can be avoided by concentrating on one particular measurement process at a time. Clearing out the area where the instrument is placed will also help the observer focus
- Random errors can be treated mathematically using laws of probability. The idea is to repeat the measurement to gain high precision.

### **3)DIFFERENT TYPES OF ERRORS:-**

Basically Three types of errors are studied:-

1. Gross Errors
2. Systematic Errors
3. Random Errors

#### **1)GROSS ERROR:-**

- Gross Errors mainly covers the human mistakes in reading instruments and recording and calculating measurement results.
- **Example:-** Due to oversight, The read of Temperature as  $31.5^{\circ}$  . while the actual reading may be  $21.5^{\circ}$  .
- Gross Errors may be of any amount and then their mathematical analysis is impossible. Then these are avoided by adopting two means:-
  1. Great care is must in reading and recording the data.
  2. Two , Three or even more reading should be taken for the quantity under measurement.

#### **2)SYSTEMATIC ERROR:-**

- a) **Instrumental Errors:-**
  - These errors arises due to three main reasons.
    - I. Due to inherent shortcoming in the instrument.

Example:- If the spring used in permanent magnet instrument has become weak then instrument will always read high. Errors may caused because of friction , hysteresis , or even gear backlash.
    - II. Due to misuse of the instruments.
    - III. Due to Loading effects of instruments.
- b) **Environmental Errors:-**
  - These errors are due to conditions external to the measuring Device including conditions in the are surrounding the instrument.
  - These may be effects of Temperature, Pressure, Humidity, Dust, Vibrations or of external magnetic or electrostatic fields
- c) **Observational Errors:-**
  - There are many sources of observational errors:-
    - -- Parallax, i.e. Apparent displacement when the line of vision is not normal to the scale.
    - -- Inaccurate estimate of average reading.
    - -- Wrong scale reading and wrong recording the data.
    - -- Incorrect conversion of units between consecutive reading.

#### **3)RANDOM ERROR:-**

- The quantity being measured is affected by many happenings in the universe.
- The errors caused by happening or disturbances about which we are unaware are Random Errors.
- Its also knownas residual Errors.