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(1) SVM

- ↳ support vector machines
 - ↳ maximizes the boundaries b/w various points of data
 - ↳ can be used at any type of data
- Application: Text classification
Quality control of DN n'

Classification: on their working principles.

- (i) Maximum margin classifier
- (ii) support vector classifier
- (iii) support vector machine

(i) Maximum margin classifier

- It is used to draw infinite hyperplanes to classify the set of data
- The hyperplane with maximum margin of separation will be an ideal hyperplane
- Hyperplane is a straight line which separates the 2-Dimensional space into two halves

→ Mathematical Rep:

$$\beta_0 + \beta_1 x_1 + \beta_2 x_2 = 0$$

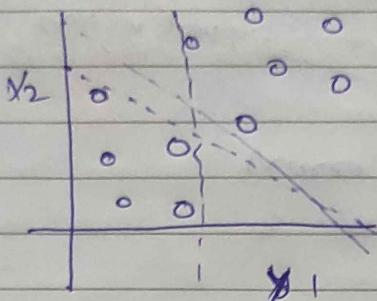
$$\beta_0 + \beta_1 x_1 + \beta_2 x_2 > 0$$

$$\beta_0 + \beta_1 x_1 + \beta_2 x_2 < 0$$

$$\rightarrow \text{constraint 1: } \sum_{j=1}^n \beta_j^2 = 1$$

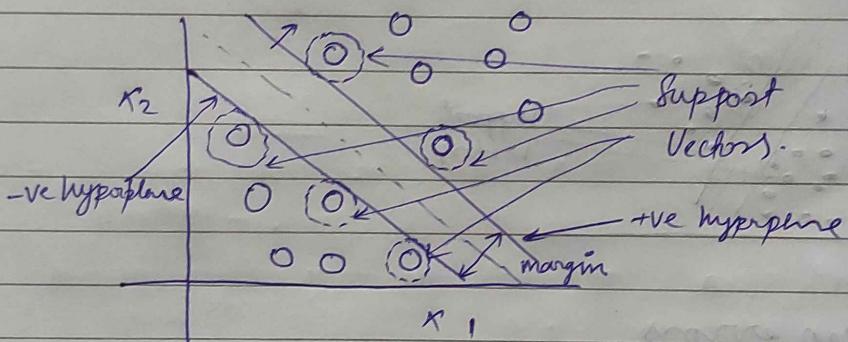
$$\rightarrow \text{constraint 2: } y_i(\beta_0 + \beta_1 x_{i1} + \beta_2 x_{i2} + \dots + \beta_n x_{in}) \geq m$$

→ Infinite Hyperplanes



Used to separate two classes

→ Maximum Margin Classifier



used to fit the points in plane

④ (i) Support Vector Classifier

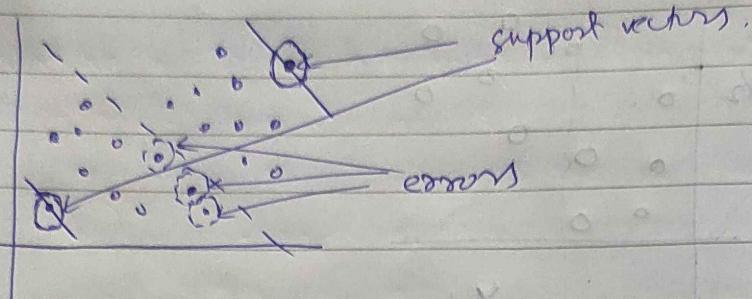
- It is extended version of maximum margin classifier
- used to create best fit and with less error
- Mathematical Rep:

$$\text{constraint 1: } \sum_{j=1}^n \beta_j^2 = 1$$

$$\text{constraint 2: } y_i(\beta_0 + \beta_1 x_{i1} + \beta_2 x_{i2} + \dots + \beta_n x_{in}) \geq m(1 - \varepsilon_i)$$

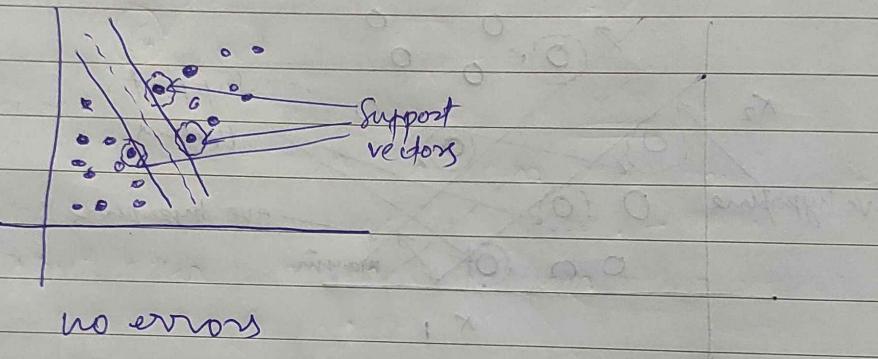
$$\text{constraint 3: } \varepsilon_i \geq 0$$

→ Support Vector Classifier with large value of C



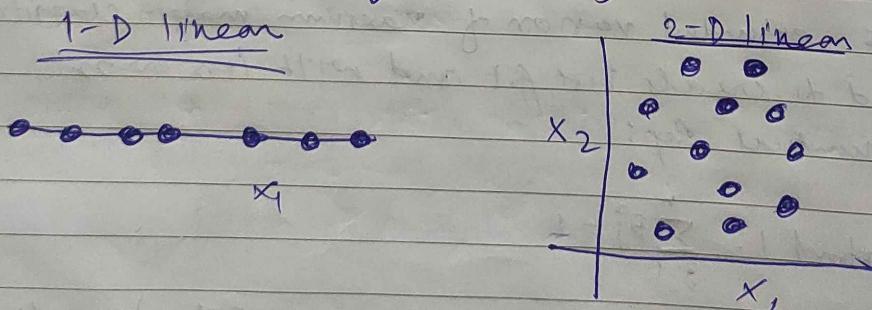
more tolerating
has space for errors.

→ Support vector classifier with small value of C



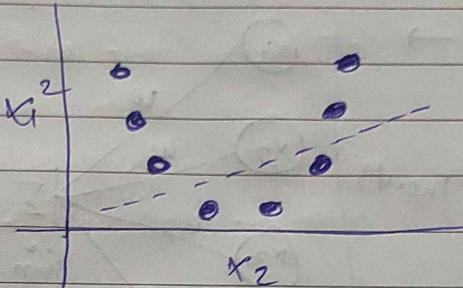
(iii) Support Vector Machines

- used when decision boundary is non-linear
- we cannot classify SVM using soft

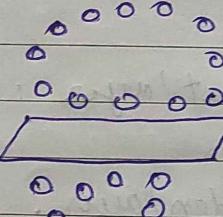
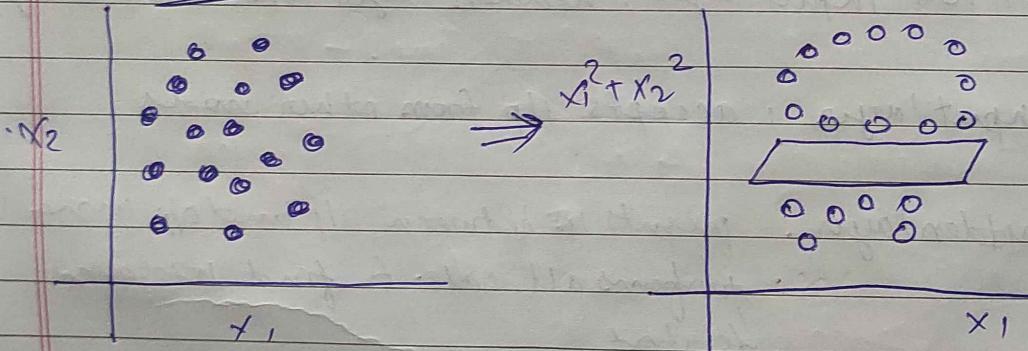


- Kernel method is used to handle the data in 1-D and 2-D space

- Apply a polynomial kernel with degree 2, transforms the data from 1D to 2D
- helps to make data linearly separable.

1-D2D with kernel degree 2

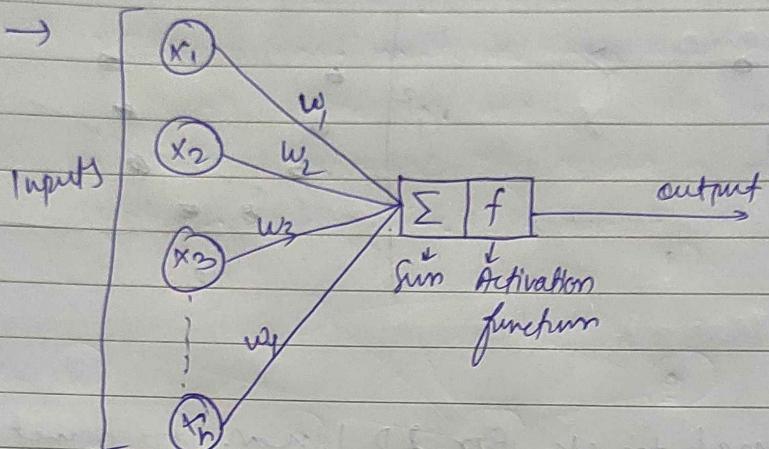
- Applying Kernel trick for 2D linear to convert it to Poly. kernel with Degree 2

2D

② Artificial Neural Network

(a)

→ gives the relationship between i/p signal and o/p signal



→ It has input layer, hidden layer and output layer.

→ Input layer : accepts i/p from other nodes

→ Hidden layer : present in between i/p and o/p layer

: performs all calc. to find hidden feature

→ Output layer : gives the result from the hidden layer

Application : To identify images or videos

: Text processing

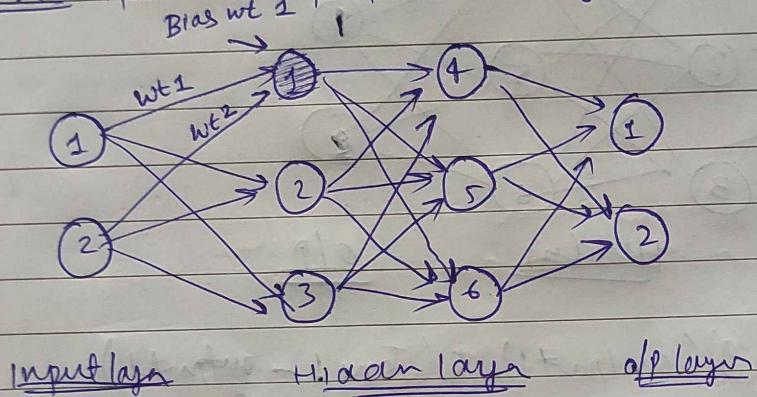
: Speech Recognition

→ forward propagation

↳ features are input to the network and fed through the layers to produce the o/p

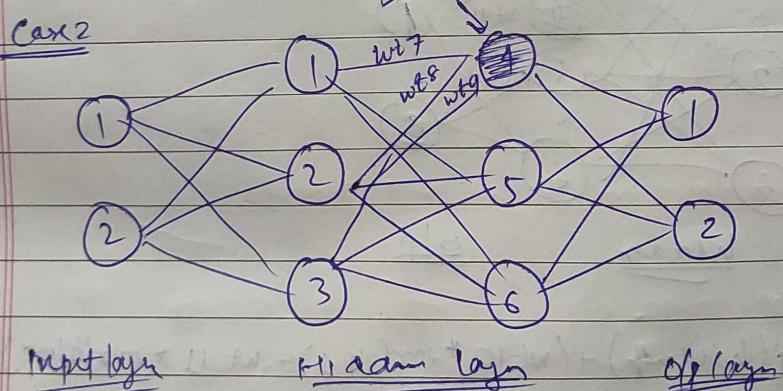
→ The Activation of hidden layer is obtained by combination of bias weight 1 and weighted combination of I/P values

Case 1: forward propagation of layer 1 neurons



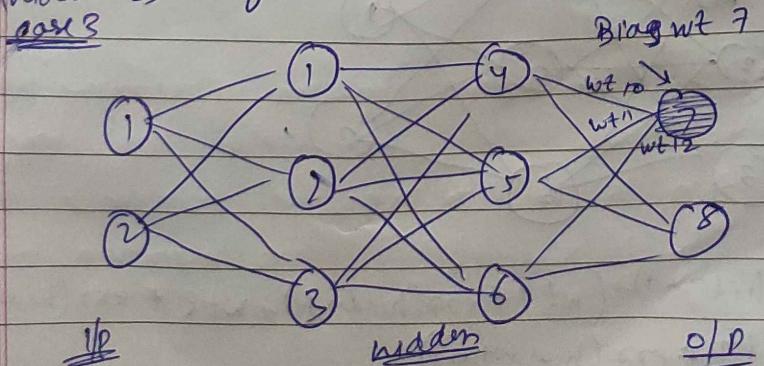
$$\text{Activation} = g(\text{Bias wt 1} + \text{wt 1} * \text{input 1} + \text{wt 2} * \text{input 2})$$

(Hidden layer 1)



$$\text{Activation} = g(\text{Bias wt 4} + \text{wt 7} * \text{hidden 1} + \text{wt 8} * \text{hidden 2} + \text{wt 9} * \text{hidden 3})$$

(Hidden 2)



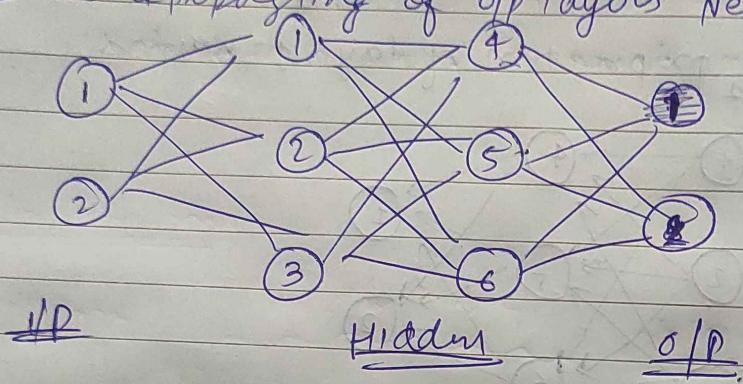
$$\text{Activation} = g(\text{Bias wt 7} + \text{wt 10} * \text{hidden 4} + \text{wt 11} * \text{hidden 5} + \text{wt 12} * \text{hidden 6})$$

(Output layer)

→ Back propagation

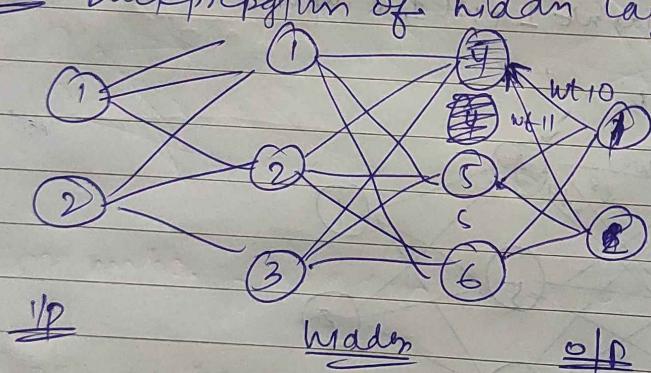
- It is used to check the error in Network in backward order
- Error is calculated by taking the derivative of output and multiply to error constant

Case 1 Backpropagation of o/p layers Neurons



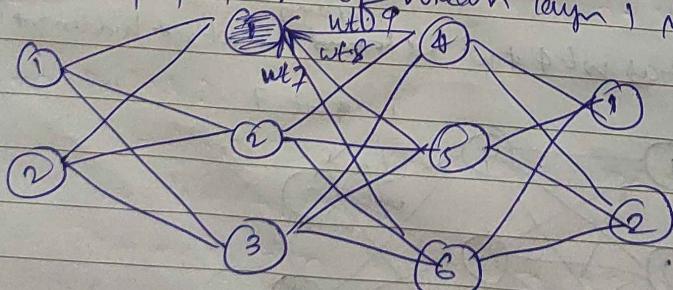
$$\text{Output}(1) = g'(\text{output}1) + (\text{Term}_1 - \text{output}1)$$

Case 2 Backpropagation of hidden layer 2 Neurons



$$\text{error}(\text{hidden } 4) = g'(\text{hidden } 4) + (\text{wt10} * \text{err}(\text{o/p } 1) + \text{wt11} * \text{err}(\text{o/p } 2))$$

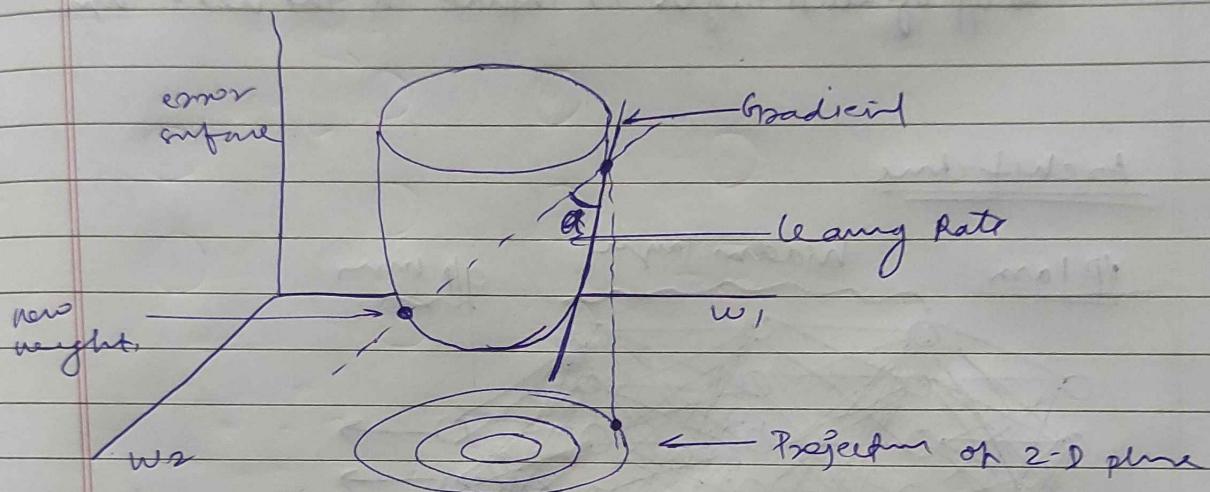
Case 3 Backpropagation of hidden layer 1 Neurons



$$\text{error}(\text{hidden } 4) = g'(\text{hidden } 4) + (\text{wt7} * \text{err}(\text{hidden } 4) + \text{wt8} * \text{err}(\text{hidden } 5) + \text{wt9} * \text{err}(\text{hidden } 6))$$

⑤ Stochastic gradient descent - SGD

- ↳ way to optimize the neural network
- ↳ used to minimize the objective function
- ↳ the imp parameter here is the size of steps, which is calculated by learning rate
- ↳ if learning rate is small, then so many iteration possible and if it is slow, then algo will give optimal value



Types

- Batch gradient : all training observations utilized
- SGD : one observation per iteration
- Mini-batch : 50 observations each iteration

Adv :

- : speed

- : memory efficiency

- : efficient

Disadv :

- : slow

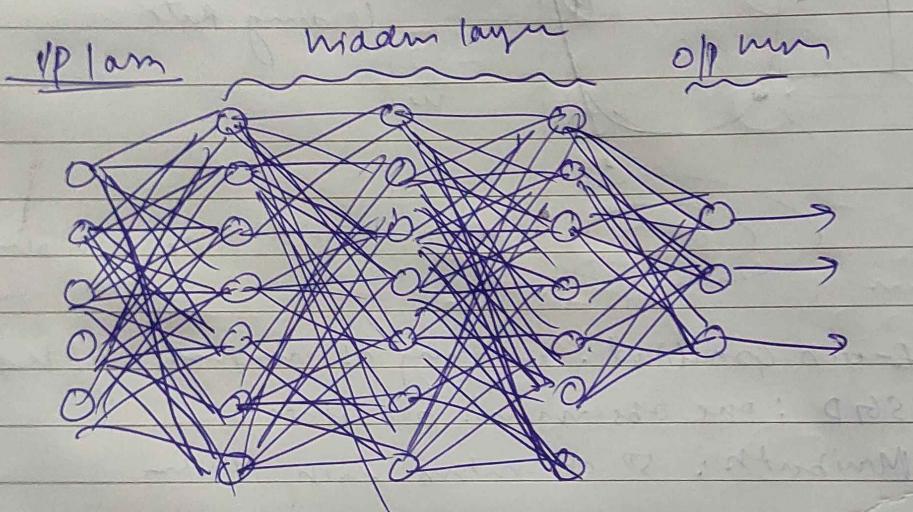
- : noisy

- : less accurate

④ Deep Architecture of Neural Network

- ↳ deep learning is the type of ML algo
- ↳ used to build models to solve supervised and unsupervised problems.
- ↳ Deep neural network consist of multiple hidden layers between input & o/p layers
- ↳ each layer is fully connected with layers
- ↳ o/p of each layer is input in the next layer

Architecture



More number of hidden layers are present.

→ Here, backpropagation is used to solve ~~deep~~ the error by calculating error of network at O/P and propagates through layers to update the weight

→ Three Rules:

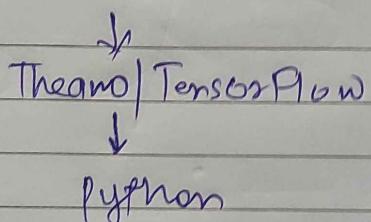
- (i) All hidden layers should have same no. of neurons per layer
- (ii) Two hidden layer are used to solve problem
- (iii) Normalization is used to improve convergence effect
- (iv) Reduction of steps in each iteration improves convergence.

→ deep learning software:

- Keras model is used to develop the model
- Keras models are easy to understand
- other software are also used:
 - * Theano : python based library
 - * Tensorflow : google's dl library
 - * Keras : faster model
 - * Caffe : dl library

Architecture:

Keras

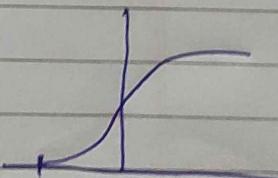


Qn

- ① Activation fns: used to process the info & pass through the network.

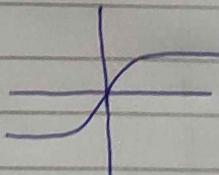
(1) Sigmoid

$$\rightarrow A(\vec{x}) = \frac{1}{1+e^{-x}}, \text{ Range is between } 0 \text{ to } 1$$



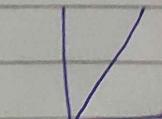
(2) Tanh

$$\rightarrow \tanh(x) = \frac{e^x - e^{-x}}{e^x + e^{-x}} - 1, \text{ Range: } -1 \text{ to } +1$$



(3) ReLU

$$\rightarrow \text{Rectified Linear Unit}, A(x) = \max(0, x), \text{ Range: } [0, \infty]$$



(4) Unan Activation fns

$$\rightarrow f(x) = x,$$

