

STUDENT PORTFOLIO



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Semester: 6

Subject Title: 18CSC304J Compiler Design

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(Write about the assignment questions and how you solved differently)

When working on an assignment related to lex and flex implementation it is important to understand the task learn the basics of the tools define regular expressions for the tokens generate the lexical analyzer code test the implementation and document the code clearly.

Working on an assignment related to types of parsers, it is important to thoroughly understand the grammar of the language being parsed, and to select the appropriate parser type based on the grammar's characteristics and requirements. Each type of parser has its own strengths and weaknesses, and selecting the right one can greatly impact the efficiency and accuracy of the parsing process.

A crossword quiz assignment can involve designing or analyzing a crossword puzzle, or solving an existing one. When analyzing or solving a puzzle, key considerations include reading clues carefully, filling in easier answers first, keeping track of possible answers, and using pattern recognition to narrow down possibilities.

Designing a mini project on command-line calculator was quite challenging and rewarding. It is a software application that allows users to perform mathematical calculations directly from a command-line interface. It is a simple tool that can be used to perform basic arithmetic operations such as addition, subtraction, multiplication, and division.

(What is the most interesting part in the assignment)

The level of the questions was very satisfying and every question was solvable by the knowledge provided in the lectures and lab classes. Each question was based on the basic understanding which I found the most interesting.

SRM INSTITUTE OF SCIENCE & TECHNOLOGY

S.R.M. NAGAR, KATTANKULATHUR – 603 203

BONAFIDE CERTIFICATE

Certified that this portfolio report is the Bonafide work of **D.Bhargav (RA2011028010069)** of III Year/VI Sem B.Tech (CSE) who carried out the Portfolio report(Hackerank, Lab report, Miniproject report) under my supervision for the course **18CSC304J - COMPILER DESIGN** in SRM Institute of Science and Technology during the academic year 2022-2023 (Even sem).

Signature

Dr.Fancy

ASSISTANT PROFESSOR

Department of Networking
and communications

Signature

Dr.Annapurani K

Head of Department

Department of Networking and
Communications

1 Illustrate annotated Parse tree with synchronized and inherited attribute for expression 3+5- for the given grammar.

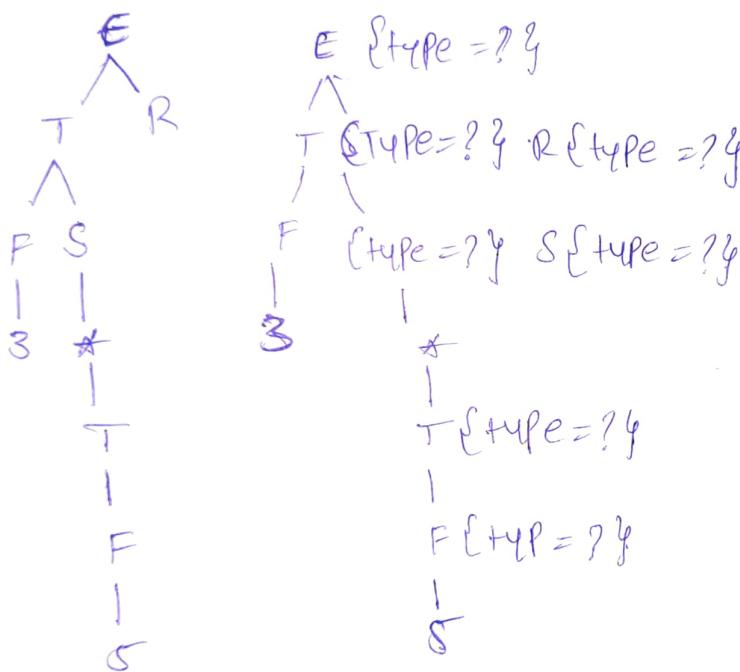
$$E \rightarrow TR$$

$$T \rightarrow FS$$

$$F \rightarrow n$$

~~$$S \rightarrow *T \mid \epsilon$$~~

$$R \rightarrow \epsilon$$



Rule E $\rightarrow TR^y$:

$$E \{ type = T.type \}$$

$$\wedge$$

$$T \{ type \} R \{ type \}$$

Rule T $\rightarrow FS$:

$$T \{ type = F.type \}$$

$$\wedge$$

$$F \{ type \} S \{ type \}$$

Rule F $\rightarrow n$:

$$F \{ type = "int" \}$$

$$\wedge$$

$$n \{ type = "int", value = 3 \}$$

Rule S $\rightarrow *T$:

$$S \{ type = T.type \}$$

$$\wedge$$

$$T \{ type \}$$

Rule R $\rightarrow \epsilon$:

$$R \{ type = "int" \}$$

$E \{ \text{type} = " \text{int" } \}$

$T \{ \text{type} = " \text{int" } \} R \{ \text{type} = " \text{int" } \}$

$F \{ \text{type} = " \text{int" } \} S \{ \text{type} = " \text{int" } \}$

3

*

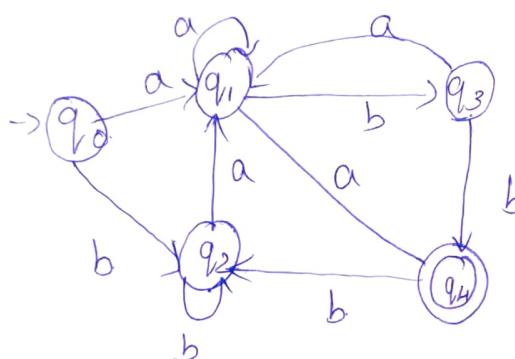
|

$T \{ \text{type} = " \text{int" } \}$

$F \{ \text{type} = " \text{int" } \}$

4.

Minimization of DFA.



0 - equivalence {A,B,C,D,E,F,G}

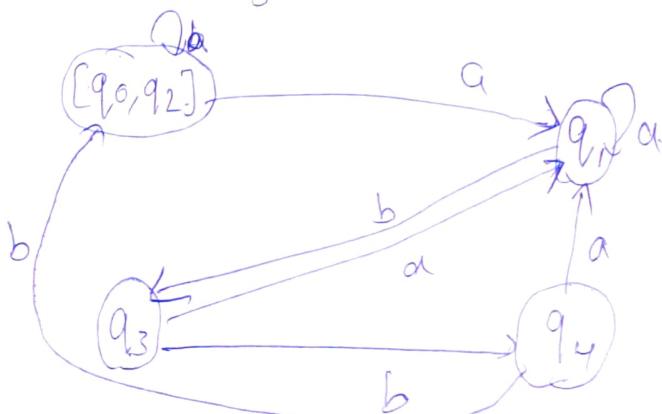
1 - equivalence {A,B,C} {D,E,F} {G}

2 - equivalence {A,C} {B} {D,E,F} {G}

3 - equivalence {A,C} {B} {D,E,F} {G}

q_0	a	b
q_1	q_1	q_2
q_2	q_1	q_3
q_3	q_1	q_2
q_4	q_1	q_4
	q_1	q_5

So new DFA is



[All Contests](#) > VI_sem_K1_K2_CD_1 1680877038

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Challenges

**Current Rank: 58** [View your results](#)

Simple Text Editor

Success Rate: 97.83% Max Score: 65 Difficulty: Medium

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Current Leaderboard

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Review Submissions

A Text-Processing Warmup

Success Rate: 61.96% Max Score: 10 Difficulty: Medium

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Message Center

Printing Tokens

Success Rate: 100.00% Max Score: 20 Difficulty: Medium

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Simple Text Editor

locked

Problem

Submissions

Leaderboard

Discussions

Submitted a month ago • Score: 65.00

Status: Accepted

- ✓ Test Case #0
- ✓ Test Case #3
- ✓ Test Case #6
- ✓ Test Case #9
- ✓ Test Case #12
- ✓ Test Case #15

- ✓ Test Case #1
- ✓ Test Case #4
- ✓ Test Case #7
- ✓ Test Case #10
- ✓ Test Case #13

- ✓ Test Case #2
- ✓ Test Case #5
- ✓ Test Case #8
- ✓ Test Case #11
- ✓ Test Case #14

Submitted Code

Language: Python 3

 Open in editor

```
1 no_ops = int(input())
2 ops = []
3 s = []
4 for i in range(no_ops):
5     one_op = input().split(' ')
6     ops.append(one_op)
7
8 from copy import copy
9 history = []
10 for op in ops:
11     #print(s)
12     #print(op)
```

A Text-Processing Warmup

locked

Problem

Submissions

Leaderboard

Discussions

Submitted a month ago • Score: 9.63

Status: Processed



Test Case #0



Test Case #1

Submitted Code

Language: Python 3

Open in editor

```
1 #!/usr/bin/python
2 month=['january','february','march','april','may','june','july','august','september','october','november','december']
3 import sys
4 if sys.version_info[0]>=3: raw_input=input
5 for i in range(int(raw_input())):
6     txt=''.join(e.lower() for e in raw_input().rstrip() if e.isalnum() or e=='/' or e==' ').split()
7     print(sum(e=='a' for e in txt))
8     print(sum(e=='an' for e in txt))
9     print(sum(e=='the' for e in txt))
10    print(sum(e in month for e in txt))
11    raw_input()
```



All Contests > VI_sem_K1_K2_CD_1 1680877038 > Printing Tokens

Printing Tokens

locked

Problem

Submissions

Leaderboard

Discussions

Submitted a month ago • Score: 20.00

Status: Accepted

- Test Case #0
- Test Case #3
- Test Case #6
- Test Case #9

- Test Case #1
- Test Case #4
- Test Case #7
- Test Case #10

- Test Case #2
- Test Case #5
- Test Case #8

Submitted Code

Language: C

Open in editor

```
1 #include <stdio.h>
2 #include <string.h>
3 #include <math.h>
4 #include <stdlib.h>
5
6 int main() {
7
8     char *s1;
```

Experiment - 1:

Implementation of Lexical Analyser

Aim:-

To Print the Count of the number of keywords, Identifiers, operators, and Symbols after reading line of code as input, then store each of these in an array and display them as an output

Algorithm:-

1. Accept string input using get (lineC);
2. Make a function (to vectorc) to store element of the input as a vector element.
3. Call each function KeywordC(), IdentifierC(), OperatorC() and SymbolC.
4. Traverse the vector elements for each function call and See if there is a particular match.
5. Increase the count and display as required.
6. Declare global Vector variable to store these details Separately.

Code:-

```
#include <bits/stdc++.h>
using namespace std;
vector<string> Keys;
vector<string> oper;
vector<string> ident;
vector<string> Syms;
vector<string> toVector(string input)
{
    vector<string> temp;
    int k=0;
    for (int i=0; i<input.length(); i++)
    {
        string part = " "
    }
```

```
if (input[i] == " ")
{
    for (int j = k; j < i; j++)
    {
        part += input[j]
    }
    m = i + 1;
    temp.push_back(part);
}
return temp;
```

```
int keywordCount (vector<string> parts)
{
    int count = 0;
    for (int i = 0; i < parts.size(); i++)
    {
        if (parts[i] == "int" || parts[i] == "float" || parts[i] == "const" || parts[i] == "while" || parts[i] == "for")
        {
            count++;
        }
        keys.push_back(parts[i]);
    }
    return count;
}
```

```
int operatorCount (vector<string> parts)
{
    int count = 0;
    for (int i = 0; i < parts.size(); i++)
    {
        if (parts[i] == "a" || parts[i] == "b" || parts[i] == "c" || parts[i] == "d" || parts[i] == "e" || parts[i] == "f" || parts[i] == "g" || parts[i] == "h" || parts[i] == "i" || parts[i] == "j" || parts[i] == "k" || parts[i] == "l" || parts[i] == "m" || parts[i] == "n" || parts[i] == "o" || parts[i] == "p" || parts[i] == "q" || parts[i] == "r" || parts[i] == "s" || parts[i] == "t" || parts[i] == "u" || parts[i] == "v" || parts[i] == "w" || parts[i] == "x" || parts[i] == "y" || parts[i] == "z")
        {
            count++;
        }
    }
    return count;
}
```

```
Count++;
```

```
ident.push-back(parts[i]);
```

```
y
```

```
y
```

```
return Count;
```

```
y
```

```
int operator<-Count (vector<string> parts)
```

```
{
```

```
int Count = 0;
```

```
for (int i = 0; i < parts.size(); ++i)
```

```
{
```

```
if (parts[i] == "+" || parts[i] == "--" || parts[i] == "=" ||
```

```
|| parts[i] == " " || parts[i] == "/")
```

```
{
```

```
Count++;
```

```
oper.push-back(parts[i]);
```

```
y
```

```
y
```

```
return Count;
```

```
y
```

```
int separatorCount (vector<string> parts)
```

```
{
```

```
int Count = 0;
```

```
for (int i = 0; i < parts.size(); ++i)
```

```
{
```

```
if (parts[i] == "=" || parts[i] == "/" ||
```

```
parts[i] == "\n")
```

```
Count++;
```

```
symms.push-back(parts[i]);
```

```
y
```

```
return Count;
```

```
y
```

```
int main()
```

```
{
```

```
string input:
```

Count << "How to give input!" << endl;

Count << "1. Give proper space for each & every syntax";

Count << "2. After the input hit space bar and ' /' << endl;"

Count << "Example -> int a = btc; /" << endl;

Count << "Enter proper input" << endl;

getline (cin, input);

cout << endl;

vector<string> parts;

parts = to_vector(input);

int key, op, sep, id;

key = keyword_count(parts);

op = operator_count(parts);

sep = separator_count(parts);

id = identifier_count(parts);

Count << key << "Keywords" << endl;

Count << op << "Operators" << endl;

Count << sep << "Separators" << endl;

Count << id << "Identifiers" << endl;

Count << endl << "The keywords are -> ?,";

for (int i=0; i < keys.size(); i++)
{

cout << keys[i] << ",";

}

Count << endl << "The operators are -> ?,";

for (int i=0; i < oper.size(); i++)

{

cout << oper[i] << ",";

}

Count << endl << "The Separators are -> ?,";

for (int i=0; i < symb.size(); i++)

{

cout << symb[i] << ",";

}

Count << endl << "The Identifiers are -> ?,";

```

for (int i=0; i< ident.size(); i++)
{
    cout << ident[i] << " ";
}

```

Input and outputs.

How to give Inputs!

1. Give proper space for each and every syntax.
2. After the input hit space bar and add ']' symbol
Example → int a=b+c;

Enter proper input [or may not yield proper result→

for (int i=0; i<b; i++) /

2 keywords.

2 operators

2 Separators.

4 Identifiers.

The keywords are → for int

The operators are → = + +

The Separators are → ; ;

The identifiers are → iib;

Result:-

Hence we have successfully Executed the implementation of lexical analyzer code.

Exp-2

Conversion from regular expression to NFA.

Aim: To write a Program from for converting regular expression to NFA.

Algorithm:- ① Start.

2) Get the input from the user.

3) Initialize separate variables and functions from postfin, Display and NFA.

4) Create separate methods for different operators like, +, *, .

5) By using switch case Initialize different cases for the input.

6) For '.' operator initialize a separate method by using various stock functions to the same. For the other operators like '*' and '+'.

7) Regular expression is in the form like arb (or) ab*

8) Display the output.

Code:-

```
#include <stdio.h>
```

```
#include <string.h>
```

```
int main()
```

```
{
```

```
char reg[20], q[20][3], i=0, j=1, Len, a, b;
```

```
for (a=0; a<20; a++) for (b=0; b<3; b++) q[a][b]=0;
```

```
scanf ("%s", reg);
```

```
printf ("Given regular expression: %s\n", reg);
```

```
Len = strlen (reg);
```

```
while (i < len)
```

```
{
```

```
if (reg[i] == 'a' || reg[i+1] == 'i') { q[i][j] = 1; q[j][i+1] = 1; j++; }
```

Ex. ran | et al
Un completed
1/2/2023

if ($\text{reg}[i] = 'b'$ ~~||~~ $\text{reg}[i+1] != 'f' \& \text{reg}[i+1] != '*' \& \text{reg}[i+1] != 'x')$ {
 $q[i][2] = j+1;$
 $j++;$

if ($\text{reg}[i] = 'e'$ ~~||~~ $\text{reg}[i+1] != 'f' \& \text{reg}[i+1] != '*' \& \text{reg}[i+1] != 'x')$ {
 $q[i][2] = j+1;$
 $j++;$

if ($\text{reg}[i] = 'a'$ ~~||~~ $\text{reg}[i+1] = '=' \& \text{reg}[i+2] = 'b'$) {
 $q[i][2] = j+1;$
 $j++;$

$q[i][2] = ((j+1)*10) + (j+3);$ $j++;$

$q[i][0] = j+1; j++;$

$q[i][2] = j+3; j++;$

$q[i][1] = j+1; j++;$

$i = i+2;$

if ($\text{reg}[i] = 'b'$ ~~||~~ $\text{reg}[i+1] = '=' \& \text{reg}[i+2] = 'a')$ {

$q[i][2] = ((j+1)*10) + (j+3); j++;$

$q[i][1] = j+1; j++;$

$q[i][2] = j+3; j++;$

$q[i][0] = j+1; j++;$

$q[i][2] = j+1; j++;$

$i = i+2;$

if ($\text{reg}[i] = 'a'$ ~~||~~ $\text{reg}[i+1] = '*')$ {

$q[i][2] = ((j+1)*10) + (j+3); j++;$

$q[i][0] = j+1; j++;$

$q[i][2] = ((j+1)*10) + (j-1); j++;$

if ($\text{reg}[i] = 'b'$ ~~||~~ $\text{reg}[i+1] = '*')$ {

$q[i][2] = ((j+1)*10) + (j+3); j++;$

$q[i][1] = j+1; j++;$

$q[i][2] = ((j+1)*10) + (j-1); j++;$

Input and output

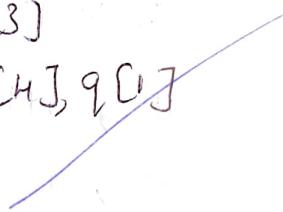
$(a/b)^* a$.

Given regular expression; $(a/b)^* a$

Transition Table.

Current state. / Input / Next state.

$q[0]$	e	$q[4], q[1]$
$q[1]$	a	$q[2]$
$q[2]$	b	$q[3]$
$q[3]$	e	$q[4], q[0]$



```

if (seg[i] == 'j' & & seg[i+1] == 'x')
{
    q[0][2] = ((j+1)*10) + 1;
    q[j][2] = ((j+1)*10) + 1;
    j++;
}
}

Print f ("n Transition table in");
Print f ("Current state if input n next state");
for (i=0; i<=j; i++)
{
    if (q[i][0] != 0) printf ("In q[%d] it /a/q[%d]", q[i][0]);
    if (q[i][1] != 0) printf ("In q[%d] it /al/q[%d]", q[i][1]);
    if (q[i][2] != 0)
        if (q[i][2] < 10) printf ("In q[%d] it /el/q[%d]", q[i][2]);
        else printf ("In q[%d] it /el/q[%d]", q[i][2], q[i][2]/10);
}
return 0;
}

```

Result:- The implementation of converting regular expression to NFA in c was compiled, executed and verified successfully.

~~Program completed~~
8/2/2023

Exp-3.

Conversion of NFA to DFA

Aim :- To write a Program for Converting NFA to DFA.

Algorithm:-

- * Start
- * get the input from the user.
- * let the only state in SDFA to "unmarked".
- * While SDFA contains an unmarked state do;
- * let γ be that unmarked state.
- * b: for each a in Σ do $s = \epsilon\text{-closure}(\text{move NFA}(\gamma, a))$
 - c. if s is not in SDFA already then, add s to SDFA (s is an unmarked state)
 - d. Set ~~s~~ unmarked (G, s) to s .
- * For each s in SDFA if any $s \& s$ is a final state in the NFA then mark s as final state in the DFA.
- * Print the result
- * Stop the Program.

Program :-

```
#include <vector>
```

```
#include <iostream>
```

```
using namespace std;
```

```
int main()
```

```
{
```

```
vector<vector<int>> nfa(5, vector<int>(3));
```

```
vector<vector<int>> dfa(10, vector<int>(6));
```

```
for (int i=1; i<5; i++) {
```

```
    for (int j=0; j<2; j++) {
```

```
        int n;
```

Java
concept
2023

OutPut:

$$nfa[1, a] = 0$$

$$nfa[1, b] = 1$$

$$nfa[2, a] = 0$$

$$nfa[2, b] = 1$$

$$nfa[3, a] = 0$$

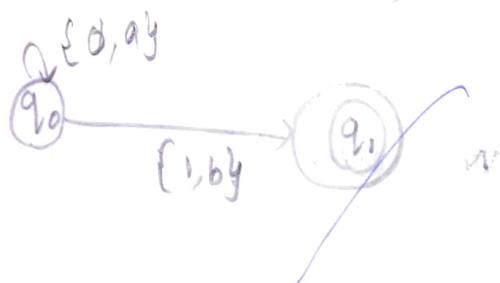
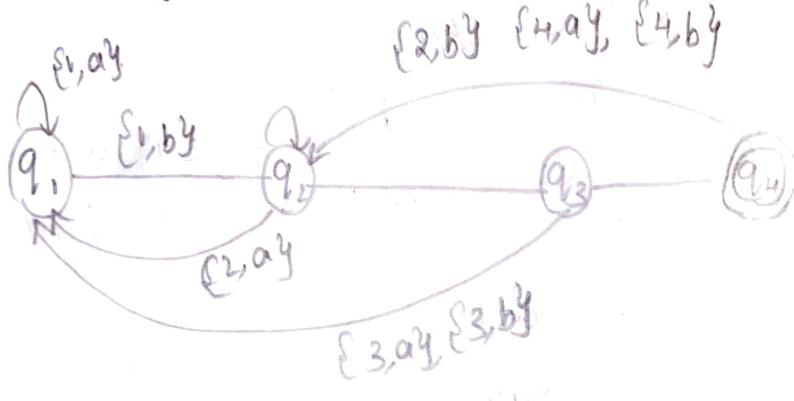
$$nfa[3, b] = 0$$

~~$$nfa[4, a] = 1$$~~

$$nfa[4, b] = 1$$

$$dfa[1, a] : \{q_0, q_3\}$$

$$dfa[1, b] : \{q_1\}$$



if ($j = -1$) {

cout << "nfa [\"<<i<<\", a]; \";

}

else {

cout << "nfa [\"<<i<<\", b]; \";

}

On >> h;

nfa[i][j] = n;

}

}

int dstate[10];

int i=1, n, j, k, flag=0, m, q, r;

dstate[i+1] = 1;

n = p;

dfa[1][1] = nfa[1][1];

dfa[1][2] = nfa[1][2];

cout << "\n" << dfa["<<dstate[i]<< a]; {" << dfa[0][1] / 1000;

" . << dfa[1][1] % 1000 << "\n";

cout << "\n" << dfa["<<dstate[i]<<, b]; {" << dfa[1][2];

for (j=1; j < n; j++)

{ if (dfa[i][j] == dstate[j]) flag++;

}

if (flag == n-1)

{

dstate[i+1] = dfa[1][1]; n++;

}

flag = 0

for (i=1; i < n; i++)

{

if (dfa[i][2] != dstate[j]) flag++;

}

if (flag == n-1)

{

dstate[i+1] = dfa[1][2]; n++;

}

$\rightarrow q_0$

①

②

③

④



NFA transit

	0	1
A	A	{A,B}
B	\emptyset	\emptyset

DFA transition



K=2

while (dstate[k] != 0)

{

 m = dstate[k];

 if (m > 10)

{

 q = m / 10;

 r = m % 10;

}

 if (nfa[s][1] == 0) dfa[k][1] = nfa[q][1] * 10 + nfa[s][1];

 else

 dfa[k][1] = nfa[q][1]; if (nfa[s][2] == 0) dfa[k][2] = nfa[q]

 [2] * 10 + nfa[s][2];

 else

 dfa[k][2] = nfa[q][2];

 if (dstate[k] > 10) { if (dfa[k][1] > 10) {

 cout << "\n" << "dfa[" << dstate[k] / 10 << ", " << dstate[k] % 10
 << "y, aj: [" << cdfa[k][1] / 10 << ", " << dfa[k][1] % 10 << "]

}

 else {

 cout << "\n" << "dfa[" << dstate[k] / 10 << ", " << dstate[k] %
 10 << "y, aj: [" << dfa[k][1];

 }

 else {

 if (dfa[k][1] > 10) {

 cout << "\n" << "dfa[" << dstate[k] << ", aj: {" << cdfa[k][1] /
 10 << ", " << dfa[k][1] % 10 << "y";

 }

 else {

 cout << "\n" << "dfa[" << dstate[k] << ", aj: " << dfa[k][1];

 }

 if (dstate[k] > 10) {

 if (dfa[k][2] > 10) {

 cout << "\n" << "dfa[" << dstate[k] / 10 << ", " << dstate
 [k] % 10 << "y, aj: {" << cdfa[k][2] / 10 << ", " << dfa[k][2] % 10
 << "y";

y
else {

cout << "\n" << "dfa[" << dstate[k] / 10 << ":" << dstate[k] % 10
<< "y, bJ: " << dfa[k][l];

y
y

else {

if (dfa[k][l] > 10) {

cout << "\n" << "dfa[" << dstate[k] << ", bJ: {" << dfa[k][l] / 10
<< ", " << dfa[k][l] % 10 << "y";

y

else {

cout << "\n" << "dfa[" << dstate[k] << ", bJ: " << dfa[k][l];

y
y

flag = 0

for (j=1; j < n; j++)

{

if (dfa[k][l] != dstate[j])

flag++;

y

if (flag == n-1)

{

dstate[i++] = dfa[k][l];

n++



y

flag = 0

for (j=0; j < n; j++)

{

if (dfa[k][l] != dstate[j])

flag++;

y

if (flag == n-1)

{

dstate[i++] = dfa[k][l];

```
k++  
g  
return;
```

Result:-

The Program for Converting NFA to DFA is Successfully implemented.



Elimination of left recursion

Aim: To execute a program for elimination of left recursion.

Algorithm:-

- * State the Program.
- * Initialize the arrays for taking input from the user.
- * Prompt the user to Input the no of terminals having left recursion and no of Productions for these non-terminals
- * Prompt the user to input the production for non-terminal
- * Eliminate left recursion using following rules

$$A \rightarrow A\alpha_1 / A\alpha_2 / \dots / A\alpha_n$$

$$A \rightarrow \beta_1 / \beta_2 / \dots / \beta_n$$

Then replace β_i by

$$A \rightarrow \beta_i A^i \quad i = 1, 2, 3, \dots, n$$

$$A^i \rightarrow \alpha_i A^i \quad j = 1, 2, 3, \dots, n$$

$$A^i \rightarrow \epsilon$$

- * After eliminating left recursion by applying these rules display the production without left recursion

- * Stop the program.

Code:-

```
#include <stdio.h>
#include <stdlib.h>
#include <string.h>
#define SIZE 20

int main()
{
    char pro[SIZE], alpha[SIZE], beta[SIZE];
    int non_terminal, i, j, index = 3;
    printf("Enter the production: ");
    scanf("%s", pro);
    for (i = 0; pro[i] != '\0'; i++)
        if (pro[i] == 'A')
            index++;
    for (j = 0; j < index; j++)
        alpha[j] = pro[j];
    for (j = 0; j < index; j++)
        beta[j] = pro[index + j];
    for (j = 0; j < index; j++)
        alpha[j] = beta[j];
    for (j = 0; j < index; j++)
        beta[j] = '\0';
    printf("The production after removing left recursion is: %s", alpha);
}
```

Out Put

Enter the Production ; $E \rightarrow E + T \mid f$

Grammar without left recursion;

$E \rightarrow T E'$

$E' \rightarrow + T \cdot E' \mid \varnothing$

scanf ("%s", p[0]);

Non-terminal = = pro [index])
S

8

```
for (i = ++index, j = 0; pro[i] != '1'; i++, j++) {
```

$\alpha[i] = \text{pro}[i]$

if (pro[i+1] == 0) {

Print £ ("This grammar can't be reduced, (n").

exit(0);

3

alpha [ij] = "10 "

if (pro[+i] != 0)

5.

for (j = i, i = 0; pro[j]; j++) {
 (o); i++, j++};

$$\text{beta}[i] = \text{pro}[i];$$

3

beta [i] = '10');

Print f (n) in Grammar without left recursion: (n!n);

Print f ("%" . C -> "%S %C' \n ", non-terminal, beta, non-terminal);

Print f (" % C -> % S . % C \n ", next-terminal, alpha, next-termi

y

else print ("This Grammar can't be reduced.\n");

y

~~else print ("In this grammar is not left recursive, \n").
Propose~~

8

Result: Hence, we have successfully created the concept.

elimination of left & cursive.

15 | 2 | 2023

Elimination of left factoring

Aim :- To execute a Program for elimination of left factoring.

Algorithm:

* start

- * Ask the user to enter the set of Productions
- * Check for common symbols in the given Set of Production by comparing with.

$$A \rightarrow aB_1 / aB_2$$

* If found, replace the particular Problem with.

$$A \rightarrow AA'$$

$$A' \rightarrow B_1 / B_2 / C$$

* Display the output.

* exit.

Code:

```
#include <stdio.h>
#include <string.h>
int main ()
{
    char gram[20], Part1[20], Part2[20], modifiedgram[20];
    new gram [20], temp gram [20];
    int i, j=0, k=0, l=0, pos;
    Print f ("Enter Production : A -> ");
    Gets (gram);
    for (i=0; gram[i] != ' ' ; i++ , j++)
        Part1[i] = gram[i];
    Part1[i] = '\0';
    for (j = ++i, i=0; gram[i] != '\0'; i++, j++)
        Part2[i] = gram[i];
    Print f ("Part 1 = %s\n", Part1);
    Print f ("Part 2 = %s\n", Part2);
}
```

OutPut

Enter Production: $A \rightarrow bcf \mid acf \mid bcf$

Grammar without left factoring is:

$A \rightarrow bcfX$

$X \rightarrow acf \mid f$

Part 2[i] = 'lo';

for (i=0; i < strlen (Part1) . if (i < strlen (Part2); i++) {

if (Part 1[i] == Part 2[i]) {

modified gram [k] = Part 1[i];

k++;

Pos = i+1;

y

for (i=Pos, j=0; Part1[i] != 'lo'; i++, j++) {

new gram [j] = Part1[i];

y

new gram [j+1] = 'P';

for (i= Pos, Part2[i] != 'lo'; i++, j++) {

new gram [j] = Part2[i];

y

modified gram [k] = 'x'.

modified gram [t+k] = 'lo';

new gram [j] = 'lo';

Print f ("In grammar without left factoring", "Date", "15/2/2023");

Print f ("A ->%s", modified gram);

Print f ("In * ->%s In", new gram);

y

Result :-

Hence we have successfully
of left factoring | executed the elimination

A. Property

grammar symbol
Set of rules

Exp-5

First and Follow

Aim:- To write a Program to implement Lexical Analysis using C.

Algorithm :-

First:

To find the $\text{First}(X)$ of the grammar symbol, then we have to apply the following set of rules to the given grammar:-

- If X is a terminal, then $\text{First}(X)$ is $\{x\}$,
- If X is a non-terminal and $X \rightarrow a$ is Production, then add ' a ' to the first of X . if $X \rightarrow \epsilon$ then add null to the $\text{First}(X)$,
- If $X \rightarrow YZ$ then if $\text{First}(Y) = \epsilon$, then $\text{First}(X) = \{\text{First}(Y) - \epsilon\} \cup \text{First}(Z)$.
- If $X \rightarrow YZ$, then if $\text{First}(X) = Y$, then $\text{First}(Y)$ is terminal but null then $\text{First}(X) = \text{First}(Y) = \text{terminal}$

Follow:
To find the $\text{Follow}(A)$ of the grammar symbol, then we have to apply the following set of rules to the given grammar :-

- $\$$ is a follow of 'S' (Start symbol),
- If $A \rightarrow \alpha B \beta$; $B = \epsilon$, then $\text{First}(B)$ is in $\text{Follow}(B)$.
- If $A \rightarrow \alpha B \beta$ or $A \rightarrow \alpha B \beta$ where $\text{First}(B) = \epsilon$, then everything in $\text{Follow}(A)$ is a $\text{Follow}(B)$.

Program:

// C Program to calculate the first and
// Follow sets of a given grammar.

```
#include <stdio.h>
#include <ctype.h>
#include <string.h>

// Functions to calculate follow. void followFirst(char, int, int);
void follow(char c);

// Function to calculate first. void findFirst(char, int, int);
int count, n = 0;

// Stores the final result
// of the first sets.
char calcFirst[10][100];
// Stores the final result
// of the first sets.
char calcFirst[10][100];

// of the follow sets.
char calcFollow[10][100];
if m = 0;

// Stores the production rules.
char production[10][10];
char f[10]; first[10];
int k;
char ck;
int e;

int main(int argc, char **argv)
{
    int j, m = 0;
```

```
int km = 0;  
int i, choice;  
char c, ch;  
Count = 8;
```

// The input grammar.

```
strcpy (Production [0], "E = TR");  
strcpy (Production [1], "R = +TR");  
strcpy (Production [2], "R = #");  
strcpy (Production [3], "T = FY");  
strcpy (Production [4], "Y = FY");  
strcpy (Production [5], "Y = (E)");  
strcpy (Production [6], "F = (E)");  
strcpy (Production [7], "F = i");
```

```
int kay;  
char done [Count];  
int pty = -1;
```

// Initializing the calc-first array for(k=0; k < Count; k++) {

for (kay = 0; kay < 100; kay++) {

calc-first [k] [kay] = '!' ;

}

y

int point1 = 0, point2, xxx;

for (k = 0; k < Count, k++)

{

c = Production [k] [0];

Point2 = 0

xxx = 0;

// checking if first of c has

// already been calculated for (kay = 0; kay <= pty; kay++)

if (c == done [kay])

xxx = 1;

if ($xxx == 1$)
 Continue;

// Function Call.

find first (c, o, o) ;

$$P + Y + = 1;$$

// Adding c to the calculated list done [P+Y] = S;

Print f ("In First(%C) = {", C, "},

Calc-first [Point 1] [Point 2+] = C;

1/ printing the first sets of the grammar for $C_i = 0 \text{ to } m; i < n$,
 $i++\}$.

int lark = 0, chick = 0;

```
for (Clark = 0; Clark < Points2; Clark++) {
```

if (first[i] == calc - first[point1][last])
{

$$Chic = 1;$$

break;

y.

if ($\text{chk} == 0$).

8.

Print & ("%C", first(CJ));

$\text{calc_first}[\text{point } 1][\text{point } 2 + j] = \text{first}[i],$

3

Print f("y | n").

$$JM = n;$$

Point f ++;

۳

Print f ("\\n");

```
printf("-----\n\n");
char donee [count];
```

```
Printf (" -- -- --\nchar donee [count];
```

$PtY = \pm$;

// initializing the calc-follow array for ($k=0$; $k<n$; $k++$) {

calc-follow [k] [kay] = "!";

}
g

Point 1 = 0;

int land = 0;

for ($c=0$; $c < count$; $c++$)

{

$Ck = production [c][0]$;

Point 2 = 0;

xxx = 0;

// checking if follow of Ck

// has already been calculated for ($kay = 0$; $kay < PtY$;
 $kay++$)

if ($Ck == donee [kay]$)

xxx = 1;

if ($xxx == 1$)

continue;

land + = 1;

// Function call.

follow (Ck);

$PtY + = 1$;

// Adding Ck to the calculated list $donee [PtY] = Ck$;

Print f ("Follow (%C) = {", Ck);

calc-follow [Point 1] [Point 2] = Ck ;

// Printing the follow sets of the grammar.

for ($i=0$; $i < m$; $i++$) {

int lark = 0, chk = 0;

for (lark = 0; lark < Point 2; lark++)

{

if ($f[i] == \text{calc-follow}[\text{Point 1}][lark]$)

{

Chk = 1;

break;

y
y

if (Chk == 0)

{

printf("%c, ", f[i]);

'Calc-follow[Point1][Point2++]' = f[i];

y
y

print f("y\n\n");

Km = m;

Point 1 ++;

y

↙

Void follow (char c)

{

int i, j;

// Adding '\$' to the follow.

(Set of the start symbol)

if (production[0][0] == c) {

$f[m++] = \$$;

y

for (i = 0; i < 10; i++)

{

for (j = 2; j < 10; j++)

{

if (production[i][j] == c)

{

if (production[i][j + 1] == '0')

// calculate the first of the next
// Non-Terminal in the production. follow first(production[i][j+1])
p, (j+2));
y

if (Production[i][j+1] = = '0' || c != Production[i][0])
{

// calculate the follow of the non-terminal.

in the LHS of the production. follow (Production[i][0])

y
y
y
y
y

void findFirst(Char C, int q1, int q2)
{

int j;

// The case where we

encounter a terminal.

if (! (isupper(C))) {

first[n++] = C;

for (j = 0; j < count; j++)

if (Production[j][0] == 0)

p + (Production[j][2] == '#')

p + (Production[q1][q2] == '0')

first[n++] = '#';

else if (Production[q1][q2] != '0')

&& (q1 != 0 || q2 != 0))

{

// Recursion to calculate first of
 // Non-terminal we encounter.
 // at the beginning
 Find first(Production [ij][j], i, j);
 }
 }
 }
 void followFirst(char c, int i, int j)
 int k;
 // the case where we encounter
 // a terminal
 if (!isupper(c))
 f[m + j] = c;
 else
 {
 int i = 0, j = 1;
 for (i = 0; i < count; i++)
 {
 if (calc - first[i][j] == c)
 break;
 }
 }
 // including the first set of the
 // Non-Terminal in the follow of.
 // the original query
 while (calc - first[i][j] != '#')
 {
 if (calc - first[i][j] == '#')
 f[m + j] = calc - first[i][j];
 else
 }

{ if Production $[c_1][c_2] = -10'$

{ // Case where we reach the
end of a production.

Follow Production $[c_i][\epsilon]$:

y
else

{ // Recursion to the next symbol

// In case we encounter a " $\#$ "

Follow first Production $[c_1][c_2], c_1, (2+1)$

y.
y
y^{i + 1} ;
y
y

16/2/2023

Result: The FIRST and FOLLOW sets of the non-terminal
of a grammar were found successfully using ~~pattern~~,

22/2/23

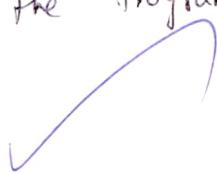
Predictive Parsing

Expt.

Aim: To implement a Program to Construct a Predictive Parsing table for given grammar.

Algorithm:

1. Start the Program
2. Initiate the required Variable.
3. Get the number of Co-ordinates and Productives from user.
4. Perform the following.
 - for (each Production $A \rightarrow \alpha$ in G)
 for (each Production in first (α))
 Add $A \rightarrow \alpha$ to m [α]
 if (ϵ is in first (α))
 for each Symbol be in follow (A)
 Add $A \rightarrow \alpha$ to m [α]
5. Print the resulting stack.
6. Print the grammar is accepted or not.
7. Exit the Program.



Input & output

Enter no of non terminals

5

Enter the Production in a grammar.

$E \rightarrow STD$

$D \rightarrow + TD / e$

$T \rightarrow FG$

$G \rightarrow * FG / e$

~~$F \rightarrow * F G / e$~~ $F \rightarrow (E) / ;$

First

$\text{FIRST}[E] = C$

$\text{FIRST}[D] = + C$

$\text{FIRST}[T] = C$

$\text{FIRST}[G] = * e$

$\text{FIRST}[F] = C$

Follow

$\text{FOLLOW}[E] = \$$

$\text{FOLLOW}[D] = \$$

$\text{FOLLOW}[T] = + \$$

$\text{FOLLOW}[G] = + \$$

$\text{FOLLOW}[F] = * \$$

Code:-

```
#include <stdio.h>
#include <conio.h>
#include <string.h>
Void main() {
    Char fin[10][20], st[10][20], ft[20][20],
        fo[20][20];
```

int a=0, c, i, tb, c, n, k, l=0, j, s, m, p.
Print f ("Enter the no. of non terminals [n]:");
Scan f ("%d", &n);

Print f ("Enter the productions in grammar:");

for (c=0; i<n; i++) {

Scanf ("%s", &st[i]);

for (c=0; j<n; j++) {

fo[j][0] = '0';

for (s=0; s<n; s++) {

for (t=0; t<n; t++) {

j=3

i=0;

a=0;

if ((CST[i][j] > 64) && (ST[i][j] < a)) {

for (m=0; m<1; m++) {

if (ft[i][m] == ST[i][j])

go to s;

ft[i][j] = ST[i][j]

$$M[\epsilon, c] = E - \sigma D$$

$$M[E_{ii}] = E \rightarrow \mathbb{D}$$

$$M[\mathcal{D}, +] = \mathcal{D} \rightarrow +T\mathcal{D}$$

$$M[\partial + e] = \partial - e$$

$$M[T, C] = T \rightarrow F(C)$$

$$M[\tau_1] = \tau \rightarrow FG$$

$$M[G_1, \ast] \models \dot{c}_1 \rightarrow \ast F \dot{c}_1$$

$$M[G, e] = G \rightarrow e$$

$$M[F, C] = F \rightarrow (E)$$

$$M[F,i] = F \rightarrow i[m]$$

O/S ^{sent}
Rhi
3/4/13

$d = d + 1;$
 $S_1[i:j] = j + 1;$
else if ($S > 0$) {
 while ($st[i:j] \neq st[\alpha:j]$) {
 $a++;$
 }
 $b = 0;$
 while ($ft[a:b] \neq 'o'$) {
 for ($m = 0; m < 1; m++$) {
 if ($ft[i:m] = ft[a:b]$)
 go to $S_2;$
 }

$ft[i:j] = ft[a:b];$

$d = d + 1;$

$S_2 \leftarrow b = b + 1;$

}

y

g

while ($st[i:j] \neq 'o'$) {

 if ($st[i:j] = 'V'$) {

$j = j + 1;$

 go to $h;$

$j = j + 1;$

$ft[i:j] = 'o'; yy$

Print $f ("first \ln");$

for ($i = 0; i < n; i++$) {

 Print $("first["$

$\alpha[i:j] = %sm; st[i:j] ft[i:j]$

$\alpha[j:j] = 'y';$

```

for (i=0; i<n; i++) {
    k=0; j=3;
    if (i==0) {
        l=i; y
    } else {
        k++;
        while (cs[i][0] != sf[k][j]) k++;
        if (sf[k][j] == 'o') {
            k++; j=j+1; y
            p=0;
            while (fa[j][p] != 'o') p++;
            if (fa[j][p] == '@') {
                fa[p] = 'o';
            }
        }
    }
    if (c==i) {
        e=0; go to a; yyy
    }
}
else {
    c=0; o=o;
}
while (st[k][0] != sf[o][j]) {
    a++; y
}
while ((for [a][c] != 'o') && (st[a][o] == sf[i][j])) {
    st[i][o];
    for (m=0; m<l; m++) {
        if (for [i][m] == for [a][c]) {
    }
}

```

go to q1; y

for [i][l] = for [a][c]; l++; q1; eff; yy
for [i][l] = for [a][c]; l++;

for [i=0; i<n; i++) {

Print f["follow C%C"] = "%\$n", st[i][0],
f[i][j];

Print f("Im").

for [i=0; i<n; i++) {
j = 3;

while (st[i][j] != '1o') {

for (p=0; p <= l; p++) {

for [s][p] = st[i][p]; y
t = j;

while (st[a][0] != st[i][0]) {
a++; y

while (for [a][b] != '1o') {

Print f("m [1o, C, 1o, C] = %\$n",

b++; yy

else { b=0; a=0; }

white (st[a][b] != st[i][c]) {
a++;

j++;

y
y

~~Result:-~~

Hence we successfully executed the predictive
Parsing

Experiment -7.

Shift Reduce Parsing

Aim: To write a Program to implement lexical analysis using C.

Algorithm:-

- * Shift reduce Parsing is a process of reducing a string to the start symbol of grammar.
- * Shift reduce Parsing uses a stack to hold the grammar and an input tape to hold the string.
- * Shift reduce Parsing performs the two actions, shift and reduce. That's why it is known as shift reduce parsing.
- * At the shift action, the current symbol in the input string is pushed to stack.
- * At each reduction, the current symbol will scan the input replace by the non-terminal, the symbol is the right side of the production and non-terminal is the left side of the production.

Program:-

```
#include <stdio.h>
#include <conio.h>
#include <string.h>
struct prod {
    char R[10];
    char P2[10];
}
void main()
{
    char input[20], stack[50], temp[50], ch[2], t1, t2,
        *t;
    int i, j, s, s2, s, count = 0;
    struct prod p[10];
}
```

Output:

Input file:

$$E \rightarrow E + E$$

$$E \rightarrow (E)$$

$$E \rightarrow id.$$

Output:

Enter input string

id	id + id	Input	Action
\$ id.	* id id \$		Shift -> id.
\$ E	* id id \$		reduce to P
\$ E*	id id \$		Shift + symbols
\$ E*i	id id \$		Shift -> id
\$ E*E	+ id \$		Reduce + t
\$ E	id \$		Reduce to C
\$ E	id \$		Shift + symbols
\$ Eti	\$		Shift + -> id
\$ E + E	\$		Reduce to E
\$ E	\$		Reduce to G
Accepted			

F/LE * fp = fopen ("S8-input.txt", "r");

Stack[0] = '\0';

Printf ("\n Enter the input String \n");

Scanf ("%s", A);

while (!feof(fp)).

{ fscanf (fp, "%s\n", temp);

t₁ = strtok (temp, "->");

t₂ = strtok (temp, '->');

strcpy (p[Count].P₁, t₁);

strcpy (p[Count].P₂, t₂);

Count++; }

i = 0;

while (i)

{ if (i < strlen (input))

{ ch[0] = input[i]; ch[1] = '\0'; i++; }

strcat (Stack, ch);

Printf ("%s\n", Stack);

}

for (j = 0; j < Count; j++)

{ t = strstr (Stack, p[j].P₂);

if (t != NULL)

{ S1 = strlen (Stack); S2 = strlen (t); }

S = S₁ - S₂;

Stack[S] = '\0'; strcat (Stack, p[j].P₁);

Printf ("%s\n", Stack); j = -1;

y

```
if (strcmp(stack, "E") == 0 && i == strlen(input))  
    { printf("In Accepted");  
        break;  
    }  
  
if (i == strlen(input))  
    { printf("not Accepted");  
        break;  
    }  
  
y  
y
```

Result:-

Hence Shift Reduce Parsing is successfully executed with

the above program.

✓
After

a/3/23

Leading & Trailing

Gn-8

Aim:- To implement Program for leading and trailing

Algorithm:

1) If $[A \rightarrow YxB]$

y: only non-Terminal
x: Terminal

$\text{Lead}(A) = a$

2) If $[A \rightarrow B]$

$\text{Lead}(A) = \text{Lead}(B)$

{leading}

3) If $[A \rightarrow xB]$

$\text{Lead}(A) = a$.

Write statements

Trailing -

1) If $[A \rightarrow BxY]$



$\text{trail}(A) = xY$

2) If $[A \rightarrow B]$

$\text{trail}(A) = \text{trail}(B)$.

3) If $[A \rightarrow Bx]$

$\text{trail}(A) = x$.

Source Code.

```
#include <iostream>
```

```
#include <conio.h>
```

```
#include <stdio.h>
```

```
#include <string.h>
```

```
#include <stdlib.h>
```

```
using namespace std;
```

```
int vars, terms, i, j, k, m, rep, count, temp = -1;
```

```
char var[10], term[10], lead[10][10], trail[10][10];
```

```
struct grammar
```

```
{
```

```
    int Prod_no;
```

```
    char lhs, rhs[10], [20];
```

```
    gram [20];
```

```
void get();
```

```
cout << "In LEADING AND TRAINING In";  
count << "In Enter the no. of Variables,";
```

cin >> vars.

```
cout << "In Enter the Variables; In";  
for (i=0; i< vars; i++) {
```

cin >> gram[i].lhs;

var[i] = gram[i].lhs; }

```
cout << "In Enter the no. of terminals,";
```

cin >> terms;

```
cout << "In Enter the terminals; ",
```

```
for (j=0; j< terms; j++) {
```

cin >> gram[i].prod; j++);

Output
LEADING AND TRAILING

Enter the no. of Variables : 3

Enter the Variables;

E

T

F

Enter the no. of terminals : 7

Enter the terminals : +.

*

i

c

j



PRODUCTION DETAILS.

Enter the no. of Production of E : 2

E → E + T

E → T

Enter the no. of Production of T : 2

T → T * F

T → F

Enter the no. of Production of F : 2

F → i

F → (E)

Count <= gram[i].lhs["->"],

Count >= gram[i].rhs[i]

}

g

g

Void leading(){

for (i=0; i < Vars; i++){

for (j=0; j < gram[i].prod_no; j++) {

for (k=0; k < terms; k++) {

if (gram[i].rhs[i][0] == term(k))

lead[i][k] = 1;

else {

if (gram[i].rhs[i][1] == term(k))

lead[i][k] = 1;

y
y
y
y

✓

Void trailing(){

for (i=0; i < Vars; i++) {

for (j=0; j < gram[i].prod_no; j++) {

Count = 0;

while (gram[i].rhs[i][Count] != 'x') {

Count++

LEADING(E) = +, *, i, L

LEADING(T) = *, i, C,

LEADING(F) = i, C,

~~LEADING~~

TRAILING(E) = +, *, i,), ,

TRAILING(T) = *, i,), ,

TRAILING(F) = i,), .

Ex:-

$E \rightarrow E++$

$E \rightarrow T$

$T \rightarrow T * F$

$T \rightarrow F$

$F \rightarrow id$

$F \rightarrow (E)$

Leading

$$E = \{+, \text{lead}(T)\}$$

$$= \{+, *\text{lead}(T)\}$$

$$= \{*, +, *, id, C\}$$

$$T = \{*, \text{lead}(F)\}$$

$$= \{*, C, id\}$$

$$F = \{id, \}\}$$

Trailing

$$E = \{+, \text{trail}(T), *\text{trail}(F)\}$$

$$= \{+, *, id, \}$$

$$T = \{*, id, \}$$

$$F = \{id, \}$$

observe
 Right
 Rule 1(a) 2(b)

for ($i=0$; $i < \text{terms}$; $i++$) {

 if ($\text{gram}[i].rhs[i] == \text{count} - 1$) = term(k)
 trail[i][k] = 1;

 else {

 if ($\text{gram}[i].rhs[i] == \text{count} - 2$) = term(k),
 trail[i][k] = 1;

 }

}

}

void display() {

 for ($i=0$; $i < \text{vars}$; $i++$)

 cout << "In LEADING (" << gram[i].rhs[i]

 for ($i=0$; $i < \text{terms}$; $i++$) {

 if (lead[i][j] == 0)

 cout << term[i] << ", ";

}

 cout << endl;

 for ($i=0$; $i < \text{vars}$; $i++$)

 cout << "In Trailing (" << gram[i].rhs[i]

 for ($i=0$; $i < \text{terms}$; $i++$) {

 if (trail[i][j] == 1)

 cout << term[i] << ", ";

}

}

}

```
int main () {
```

```
    ft ();
```

```
    leading ();
```

```
    trailing ();
```

```
    display ();
```

```
}
```



Result:

Hence we successfully executed the

~~Program.~~

Computation of LR Items

Aim: A program to implement LR(0) items

Algorithm:-

- ① Start
- ② Create structure for production with LHS, RHS
- ③ Open file and read input from file
- ④ Build state 0 from extra grammar law.
 $S' \rightarrow S$ \$ that is all start symbol of grammar
 and one Dot (.) before S symbol.
- ⑤ If Dot symbol is before a non-terminal on
 grammar laws that the non-terminal is on left hand
 side of that law and set Dot in before of left
 part of right hand side.
- ⑥ If state exists, use that instead.
- ⑦ Now find set of terminals and non-terminals
 which exist in before.
- ⑧ If step 7 set in non-empty go to 9, else 10
- ⑨ For each terminal / non-terminals in reference
 state by increasing Dot point to next part in
 right hand side of that laws.
- ⑩ Go to Step 7
- ⑪ End of state building.
- ⑫ Display the outfit.
- ⑬ End.

Output :-
Enter the productions of the Grammar (0 to End);

$E \rightarrow E + T$

$E \rightarrow T$

$T \rightarrow T * F$

$T \rightarrow F$

$F \rightarrow (E)$

$F \rightarrow i$

0

augmented grammar

$A \rightarrow E$

$E \rightarrow E + T$

$E \rightarrow T$

$T \rightarrow T * F$

$F \rightarrow F$

$F \rightarrow (E)$

$F \rightarrow i$

The set of strings are

{0}

$A \rightarrow E$

$E \rightarrow E + T$

$E \rightarrow T$

$T \rightarrow T * F$

$T \rightarrow F$

$F \rightarrow (E)$

$F \rightarrow i$

Options

Program:

```
# include <iostream>
```

```
# include <conio.h>
```

```
# include <string.h>
```

char Prod[20][20]; list of Var[20] = "ABCDEFGHIJKLMNPQR";

```
int noVar = 1, i=0, j=0, k=0, n=0, m=0, arr [30], R";
```

```
int noItem=0;
```

Struct Grammar {.

 char lhs;

 char rhs [8];

 y g [20], item [20], clos [20][10];

```
int isvariable (char variable) {.
```

```
    for (int i=0; i < noVar; i++)
```

```
        if (g[i].lhs == variable)
```

 return i+1;

 y
 return 0;

Void findClosure (int z, char a){

```
    int n=0, i=0, j=0, k=0, l=0;
```

```
    for (i=0; i < noVar; i++)
```

```
        for (j=0; j < strlen(clos[z][i].rhs); j++)
```

```
            if (clos[z][i].rhs[j] == a) j++;
```

 clos[z][i].rhs[j] = a;

```
            clos[z][i].rhs[j+1] = a;
```

```
            clos[z][i].rhs[n] = a;
```

```
            strcpy (clos [noItem] [n].rhs, clos [z] [i].rhs);
```

```
            char temp = clos [noItem] [n].rhs [j];
```

I₁

$$A \rightarrow E,$$

$$E \rightarrow E_1 + T$$

I₂

$$E \rightarrow T,$$

$$T \rightarrow T_1 * F$$

I₃

$$T \rightarrow F,$$

I₄

$$F \rightarrow (E)$$

$$E \rightarrow *E + T$$

$$E \rightarrow !T$$

$$T \rightarrow !T * F$$

$$T \rightarrow !F$$

$$F \rightarrow !(E)$$

$$F \rightarrow !;$$

I₅

$$F \rightarrow !$$

I₇

$$T \rightarrow T * F$$

$$F \rightarrow !(E)$$

$$F \rightarrow !;$$

I₈

$$F \rightarrow (E_1)$$

$$E \rightarrow E_1 + T$$

I₉

$$E \rightarrow E + T,$$

$$T \rightarrow T_1 * F$$

I₁₀

$$T \rightarrow T * F,$$

I₁₁

$$F \rightarrow (E)$$

I₆

$$E \rightarrow E + T$$

$$T \rightarrow !T * F$$

$$T \rightarrow !F$$

$$F \rightarrow !(E)$$

$$E \rightarrow !;$$

$\text{clos}[\text{no item}] [n].\text{rhs}[i] = \text{clos}[\text{no item}] [n].\text{rhs}[i+1];$

$\text{clos}[\text{no item}] [n].\text{rhs}[i+1] = \text{temp};$

$$n = n + 1; y$$

y

y

for ($i=0$; $i < n$; $i++$) {

 for ($j=0$; $j < \text{size}(\text{clos}[\text{no item}][i])$; $j++$)

 if ($\text{clos}[\text{no item}][i].\text{rhs}[j] = -\infty$) {

$\text{clos}[\text{no item}][i].\text{rhs}[j+1] = \infty$ ff. is variable.

 for ($k=0$; $k < \text{noVar}$; $k++$) {

 if ($\text{clos}[\text{no item}][i].\text{rhs}[j+1] = \text{clos}[0][k].\text{rhs}$) {

 for ($I=0$; $I < n$; $I++$)

 if ($\text{clos}[\text{no item}][I].\text{rhs} = \text{clos}[0][k].\text{rhs}$) {

$\text{StrongClos}[\text{no item}][I].\text{rhs} = \text{clos}[0][k].\text{rhs} + 1;$
 break;

 if ($I = n$) {

$\text{clos}[\text{no item}][n].\text{rhs} = \text{clos}[0][k].\text{rhs};$

$\text{StrongClos}[\text{no item}][n].\text{rhs}, \text{clos}[0][k].\text{rhs}) = -\infty$

$$n = n + 1;$$

y

y

y

y

y

```

arry [noItem] = n;
int flag=0;
for (i=0; i<noItem; i++){
    if (arry[i] == n) {
        for (j=0; j<arry[i]; j++){
            int l=0;
            for (k=0; k<arr[i]; k++)
                if (cls [noItem][k].lhs == cls [i][k].rhs &&
                    strcmp (cls [noItem][k].rhs, cls [i][k].rhs) == 0)
                    c = c+1;
            if (c == arr[i])
                {
                    flag = 1;
                    goto exit;
                }
            }
        }
    }
exit:;
if (flag == 0)
    noItem++;

```

Result:- Hence we have successfully executed the program for LP(0)

Dka

27/03/23

Experiment - 10:

Topic:-

Intermediate code generation: Postfix, prefix.

Aim:- A Program to implement the Intermediate code generation prefix and postfix.

Algorithm:-

- * Declare a set of operation.
- * Initialize an empty stack.
- * To convert Infix to postfix follow the following steps.
 - * Scan the infix expression from left to right
 - * If the scanned character is an operand, output it.
 - * Else if the precedence of the scanned operator is greater than the operator at the top of the stack.
 - * If the scanned character is an '(', push it to the stack.
 - * If the scanned character is an ')', pop the stack and output it until a '(' is encountered.
 - * Scan the expression from left to right.
 - * Whenever the operands arise, print them.



Output:-

Expression:- $A \rightarrow B^1 C / R$

Postfix:- $AB^1 C R / +$

~~AB¹CR/+~~

Program :-

=====

OPERATION = Set ({'+', '=', '*', '^', '(', ')'})

PRI = {'+': 1, '-': 1, '*': 2, '^': 2}

def infix_to_postfix (formula):

Stack []

for ch in formula:
 if ch not in operation

 Output += ch
 else if ch == '(':
 Stack.append ('(')

 else if ch == ')' and Stack[-1] == '(':
 Output += Stack.pop()

 Output += Stack.pop()

else:

 minute: Stack and Stack[-1] == ch

 and min[ch].

L = RR1 [Stack[-1]];

Output += Stack.pop()
Stack.append (ch)

while Stack:

 Output += Stack.pop()

 Print (+ Postfix [Output])

 return Output.

def infix_to_prefix (formula):

 new_stack []

 exp_stack []

```

def infix-to-prefix (formula):
    op-stack = []
    exp-stack = []
    for ch in formula:
        if not ch in operators:
            exp-stack.append(ch)
        elif ch == '(':
            op-stack.append(ch)
        elif ch == ')':
            while op-stack[-1] != '(':
                op = op-stack.pop()
                a = exp-stack.pop()
                b = exp-stack.pop()
                op_stack.append(op + b + a)
            op_stack.append(ch)
        else:
            op = op_stack.pop()
            a = exp_stack.pop()
            b = exp_stack.pop()
            exp_stack.append(op + b + a)
    print(f'Prefix : {exp_stack[-1]}')

```

Print If 'Prefix : {exp_stack[-1]}'.
 for ch in formula:-
 if not ch in operators:
 exp_stack.append(ch)
 else if ch == ?
 while op_stack[-1] == ? :

$OP = \text{op_stack} \cdot \text{pop}()$

$\alpha = \text{exp_stack} \cdot \text{pop}()$

else:

while op_stack and $\text{op_stack}[-1] \neq$
and:

$\text{push}[\text{ch}] \alpha = \text{push}[\text{op_stack}[-1]],$

$\alpha = \text{op_stack} \cdot \text{pop}()$

$\alpha = \text{exp_stack} \cdot \text{pop}()$

$\text{op_stack} \cdot \text{append}(\text{ch})$

$\text{printf}(\text{PREFIX}; \{\text{exp_stack}[-1]\})$
return $\text{en_p_stack}[-1]$;

$\text{expres} = \text{input}(\text{input}$

$\text{Pre} = \text{infix_to_prefix}(\text{expres}, ")$

$\text{postf} = \text{infix_to_postfix}(\text{expres}, ")$

$\text{postf} = \text{infix_to_postfix}(\text{expres}, ")$

Result: The Program is successfully executed and.

Compiled.



✓

Out put:

Enter the expression: $a = b + c - d$.

The intermediate

Code is:-

$$t_1 = b + c$$

$$t_2 = t_1 - d$$

$$a = t_2$$

Done

3104123

Experiment - 11.

Intermediate = Code generation.

Quadruple, triplet, Indirect triplet.

Aim:- Intermediate Code generation -

quadruple, triple, Indirect triple.

Algorithm-

The algorithm takes a sequence of three-address statements as input for each three address statement.

* cancel the address determine - y: If the description for up a memory and register both then prefer the.

* Generate the instruction op z, L where L is used to show the current location of z, if z is in both then prefer a register memory location.

* If the current value of y (op z) is not found in stack or in register then after the execution of $x_i = y \text{ op } z$. there register will no longer contain $y \text{ op } z$.

Program:-

```
#include <stdio.h>
#include <cctype.h>
#include <stdlib.h>
#include <string.h>

void small();
void done(int i);

int P[5] = {0, 1, 2, 3, 4};

char sw[5] = {'+', '*', '^', '/', '*'};

char a[5], b[5], ch[2];

Void main()
{
    printf("Enter the expression: ");
    scanf("%s", j);
    printf("The intermediate code is : %s", j);
    small();
}

Void done(int i)
{
    a[0] = b[0] = '0';
    if (j[i] is digit(j[i+2])) {
        a[0] = j[i-1];
        b[0] = j[i+1];
    }
    if (is digit(j[i+2]))
    {
    }
```

$b[0] = '1';$
 $b[1] = j[i+2];$
y

if (is digit (j[i-2]))
{

$-b[0] = j[i+1];$

$a[0] = '4';$

$a[1] = j[i+2];$

$b[1] = j[0];$

y

if (is digit (j[i+2]) & is digit (j[i-2]))
{

$a[0] = '1';$

$b[0] = '4';$

$a[1] = j[i+2];$

cout

$\rightarrow j[i+2] = j[i-2] = ch[0];$

if (j[i] == '*')

printf ("\\t\\t%d",

printf ("\\t\\t%d", i, s, *, "%s/n", a, b);

printf (ch, "%d", c);

$j[i] = ch[0];$

c++;

SmallC;

y

```

Void small()
{
    P[i]=0; l=0;
    for (i = 0; i < str.length(); i++)
    {
        for (m=0; m<i; m++)
            if (str[i] == sw[m])
                if (P[i] == P[m])
                {
                    P[i] = P[m];
                    l = i;
                    k = i;
                    y
                    y
                    if (l == i)
                        done(k);
                    else
                        exit(0);
                }
    }
}

```

Result: The program was successfully compiled and run.

✓ ck

11/123

Experiment 12

Design and develop a simple code generator.

Aim To design and develop a simple code generator.

Algorithm:-

- ① Start
- ② Get address code sequence
- ③ Determine current location of B using address
- ④ If current location is not ready generate more(R,D)
- ⑤ Update current location address of A.
- ⑥ If current value of B and C is null, Exit
- ⑦ If they generate operator, A, B, AOPR,
- ⑧ Step the move instruction in memory
- ⑨ Stop.

Program:-

```
#include <stdio.h>
```

```
#include <string.h>
```

```
Void main()
```

```
{
```

```
char code[10] [30], str[10], opr[10];  
int i = 0;
```

```
Print ("\\n Enter the set of intermediate code  
(terminated by exit).\\n");
```

```
do {
```

```
    Scanf ("%s", code[i]);
```

```
y
```

```
while (strcmp (code[i], "exit") != 0);
```

```
Printf ("\\n Target code generation");
```

```
Printf ("\\n *****");
```

```
i = 0;
```

Output:-

Enter the set of intermediate code (terminated by exit):

7 - 3

4

exit.

Target Code generation

* * * * *

MOV 3, R0

1, R0

SUB R0, R1

MOV R0, 7

MOV R1,

SUB R1, R0, R1

MOV R1,

OK

```

dot[

    STRCPY lStr, iCode[i]);
    switch (cStr[3])
    {
        case '+':
            STRCPY Operator, "Add";
            break;
        case '-':
            STRCPY Operator, "SUB";
            break;
        case '*':
            STRCPY Operator, "MUL";
            break;
        case '/':
            STRCPY Operator, "DIV";
            break;
    }

    printf ("1\n").t mov %C, R%ad; STR[L], i];
    printf ("1\n").t mov %S%C; R%ad; opr, STR[H], i];
    printf ("1\n").t mov R%ad %C ", , STR[O], i];
    while (strcmp (iCode [i+1], "exit")) != 0,
}

```

Result:- Simple code generator is implemented using C language.

Author

Implementation of DAG.

Aim: A Program to implement the DAG.

Algorithm:

- > The leaves of a graph are labeled by unique identifier and that identifier nodes of the graph are labeled by an operator symbol.
- > Nodes are also given a sequence of identifiers for labels to store the computed value.
- > If 1 operand is undefined then Create node(y)
- > If 2 operand is undefined then for case i: create node(z).
- > for Case(i), Create node(Op) whose right child is node(z) and left child is node(y).
- > for Case(ii), check whether there is node(Op) with one child node(y).
- > for Case(iii), node n will be node(y)
- > Finally Set node(x) to n.

Program:

```
operator = set ('+', '-', '*', '/')
```

```
PRI = { '+': 1, '-': 1, '*': 2, '/': 2 }
```

```
def infix_to_Postfix(formula):
```

```
Stack = []
```

```
output = ''
for ch in formula:
```

if ch not in OPERATORS:

 output += ch

 elif ch == ')':

 stack.append('c'))

 elif ch == '(':

 while stack and stack[-1] != 'c':

 output += stack.pop()

 else:

 while stack and stack[-1] == 'c' and

 PRP[ch] < PRI[stack[-1]]:

 output += stack.pop()

 stack.append(ch)

 while stack:

 output += stack.pop()

 Print f(C f' PostFix : {output})

 return output

def infix_to_Prefix(formula):

 OP_stack = []

 EXP_stack = []

 for ch in formula:

 if not ch in OPERATORS:

 EXP_stack.append(ch);

 elif ch == ')':

OP-Stack.append (ch)

elif ch == ')':

while OP-Stack[-1] != ')':

OP = OP-Stack.pop()

a = EXP-Stack.pop()

b = EXP-Stack.pop()

EXP-Stack.append (OP + bta)

OP-Stack.pop()

else

while OP-Stack and OP-Stack[-1] != '('

and PRI[ch] < PRI[OP-Stack[-1]]:

OP = OP-Stack.pop()

a = EXP-Stack.pop()

b = EXP-Stack.pop()

EXP-Stack.append

OP-Stack.append (OP + b + a)

for i in pos:

if i not in OPERATORS:

Stack.append (i)

elif i == '_':

PRI = Stack.pop()

Stack.append ('+' + (%s) % x)

Print ('%s:ansy' % ansy, f1:ansy, f2:ansy, f3:ansy)

3:ansy?

Output:

Input the expression:

$$a = b + c * b - c$$

$$\text{Prefix: } - + * = * b b c$$

$$\text{Postfix: } a = b * c - b b * + c -$$

$$t_1 := * b$$

$$t_2 := t_1 - c$$

$$t_3 := b * b$$

$$t_4 := t_2 + t_3$$

$$t_5 := t_4 - c$$

The quadruple for the expression

OP	Arg1	Arg2	Result
*	=	b	t(1)
-	c	(-)	t(2)
+	t(1)	t(2)	t(3)
*	b	b	t(4)
+	t(3)	t(4)	t(5)
-	c	(-)	t(6)
+	t(5)	t(6)	t(7)

The triple for given expression

OP	Arg1	Arg2
*	=	b
-	c	(-)
+	t(1)	(1)
*	b	(b)
+	t(3)	(3)
-	c	(-)
+	t(5)	(5)

format C("%s", op2, "(-)", op1,)

else:

OP1 = Stack.pop()

OP2 = Stack.pop()

def Triple(Pos):

Stack = []

OP = []

X = 0

for i in Pos:

if i not in OPERATIONS.

Stack.append(i)

elif i == " - ":

OP1 = Stack.pop()

Stack.append(C("%s", "%s", X))

OP2 = Stack.pop()

Print C("o; 14sy, {1:14sy + {2:14sy})

format C("%s", OP1, OP2)

X = X + 1

elif i == " = ":

OP2 = Stack.pop()

OP1 = Stack.pop()

if Stack == []:

OP2 = Stack.pop()

Print C("{0:14sy}/({1:14sy}){2:14sy})

format C("%s", OP2, OP1)

Print C("The triple")

Print ("OP1 ARG1/ARG2")

Triple (Pos)

Result:-

Hence, the program successfully
~~Run~~

Compiled
~~Compiled~~ Executed