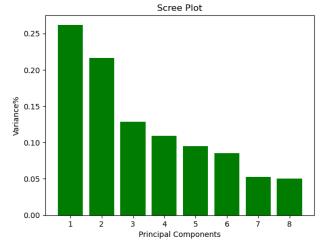
```
In [1]: #PCA for diabetes dataset
          import numpy as np
         import pandas as pd
import matplotlib.pyplot as plt
          import seaborn as sns
In [2]: #load dataset
         df = pd.read_csv("diabetes.csv")
In [3]: column_names = df.columns.tolist()
          print (column_names)
        ['Pregnancies', 'Glucose', 'BloodPressure', 'SkinThickness', 'Insulin', 'BMI', 'DiabetesPedigreeFunction', 'Age', 'Outcome']
In [4]: #setup (X,Y): X: Features, Y: Target or Outcome
X = df.drop(['Outcome'], axis=1)
Y = df['Outcome']
In [6]: X.columns.tolist()
Out[6]: ['Pregnancies',
            'Glucose',
'BloodPressure',
            'SkinThickness'.
            'Insulin',
            'BMI',
'DiabetesPedigreeFunction',
            'Age']
In [8]: #Standardize and Scale the Feature Data
         from sklearn.preprocessing import StandardScaler
scaler = StandardScaler()
          scaler.fit(X)
         scaled_data = scaler.transform(X)
```

# **Principal Component Analysis**

```
In [19]: from sklearn.decomposition import PCA
#define PCA model to use. Pick number of components to
pca = PCA(n_components=None) # include all components
#pca = PCA(n_components=6) # top 4 components
#fit PCA model to data
pca.fit(scaled_data)
```

```
In [20]: #Create SCREE plot
#provides total variance contributed by each PC

PCA_values = range(1, pca.n_components_+1)
plt.bar(PCA_values, pca.explained_variance_ratio_, color='green')
#PCA_values = np.arange(pca.n_components_) + 1
#plt.plot(PCA_values, pca.explained_variance_ratio_, 'o-', linewidth=2, color='blue')
plt.titlet('Scree Plot')
plt.xlabel('Principal Components')
plt.ylabel('Variance%')
plt.yticks(PCA_values)
plt.show()
```



```
In [22]: print (pca.explained_variance_ratio_)
[0.26179749 0.21640127 0.12870373 0.10944113 0.09529305 0.08532855
0.05247702 0.05055776]
```

Find the loadings for the PCs

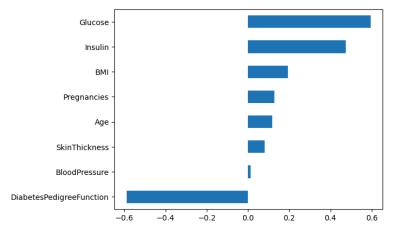
```
In [23]: PCnames = ['PC'+str(i+1) for i in range(pca.n_components_)]
```

```
print (PCnames)
        ['PC1', 'PC2', 'PC3', 'PC4', 'PC5', 'PC6', 'PC7', 'PC8']
In [24]: Loadings = pd.DataFrame(pca.components_, columns=PCnames, index=X.columns)
In [25]: Loadings.iloc[:,:2]
                                      PC1
                                                PC2
                     Pregnancies 0.128432 0.393083
                                  0.593786 0.174029
                         Glucose
                    BloodPressure
                                  0.013087 -0.467923
                    SkinThickness
                                  0.080691 -0.404329
                                  0.475606
                                           -0.466328
                                  0.193598
                                           0.094162
                            вмі
          DiabetesPedigreeFunction
                                 -0.588790 -0.060153
                                   0.117841 0.450355
                            Age
 In [ ]: #Note. High glucose will have higher scores in PC1 and
          #high DPF will have low scores on PC1.
```

#### Influencers of PC1

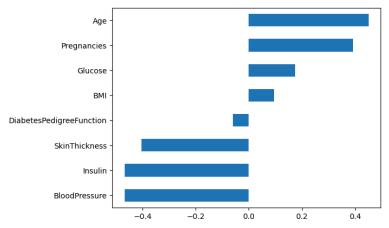
```
In [26]: Loadings["PC1"].sort_values().plot.barh()
#barh. for Horizontal bar plot.
```

Out[26]: <Axes: >



```
In [66]: Loadings["PC2"].sort_values().plot.barh()
```

Out[66]: <Axes: >



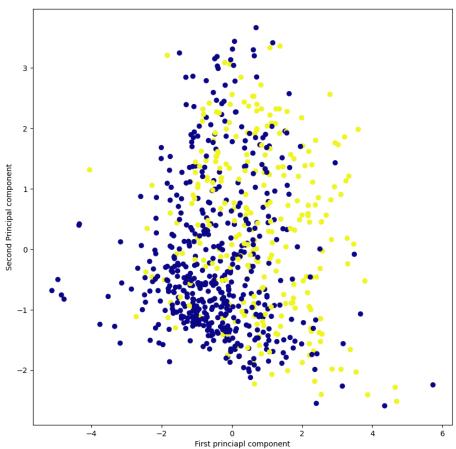
## **Under the Hood Computations**

```
In [38]: #Transform the data into principal components
X_pca = pca.transform(scaled_data)

In [39]: #How many principal components we got?
pca.components_

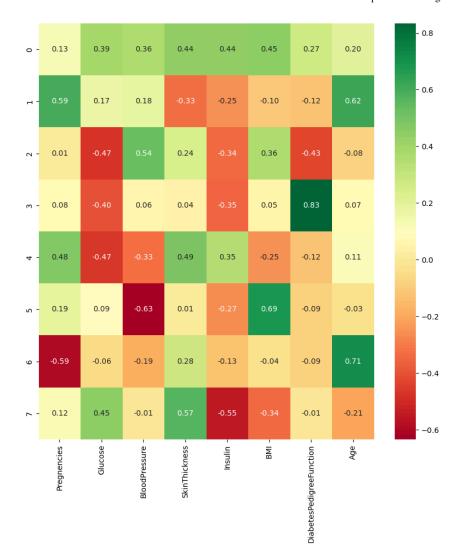
In [25]: #Display data
plt.figure(figsize=(10,10))
plt.scatter(X_pca[:,0], X_pca[:,1], c=df['Outcome'], cmap='plasma')
plt.xlabel('First principal component')
plt.ylabel('Second Principal component')
```

Out[25]: Text(0, 0.5, 'Second Principal component')



### Heatmap with Raw Data

Out[13]: <Axes: >



### Standardize data for PCA

```
In [15]: #PCA requires Data Standardization.
          #Shift the distribution to zero mean and a std deviation equal to 1
          \textbf{from} \ \textbf{sklearn.preprocessing} \ \textbf{import} \ \textbf{StandardScaler}
          X_std = StandardScaler().fit_transform(X)
         print (X_std)
        [[ 0.63994726  0.84832379  0.14964075 ...  0.20401277  0.46849198
            1.4259954 ]
          [-0.84488505 \ -1.12339636 \ -0.16054575 \ \dots \ -0.68442195 \ -0.36506078 
          -0.19067191]
         [ 0.3429808
                       0.00330087 0.14964075 ... -0.73518964 -0.68519336
           -0.27575966]
         [-0.84488505 0.1597866 -0.47073225 ... -0.24020459 -0.37110101
            1.17073215]
         In [74]: #Calculate Covarience Matrix
#mean_vec = np.mean(X_std, axis=0)
#cov_mat = (X_std - mean_vec).T.dot(X_std - mean_vec)/(X_std.shape[0]-1)
#print ("Covarience Matrix \n %s" %cov_mat)
```

## Covariance Matrix using numpy

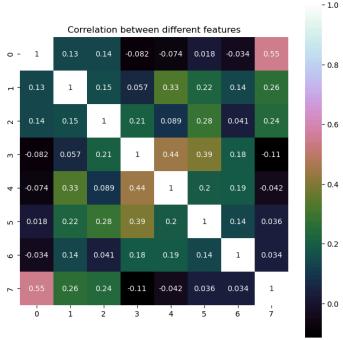
```
In [17]: #Now calculate Numpy covarience Matrix
cov_mat = np.cov(X_std.T)
print ("Numpy Covarience Matrix \n %s" %(np.cov(X_std.T)))
```

```
Numpy Covarience Matrix
 [[ 1.00130378 0.12962746
                          0.14146618 -0.08177826 -0.07363049 0.01770615
  -0.03356638 0.54505093]
 [ 0.12962746
              1.00130378
                          0.15278853 0.05740263 0.33178913 0.2213593
              0.26385788]
   0.13751636
 [ 0.14146618
                          1.00130378 0.2076409
                                                 0.08904933 0.2821727
   0.04131875
              0.239840241
 [-0.08177826
              0.05740263
                          0.2076409
                                    1.00130378 0.43735204 0.39308503
   0.18416737
             -0.11411885]
 [-0.07363049
                          0.08904933 0.43735204 1.00130378 0.19811702
              0.33178913
   0.18531222
              -0.04221793]
 [ 0.01770615
              0.2213593
                          0.2821727
                                     0.39308503 0.19811702 1.00130378
   0.14083033
              0.03628912]
 [-0.03356638
              0.13751636
                          0.04131875 0.18416737 0.18531222 0.14083033
   1.00130378
              0.033605071
 [ 0.54505093
              0.26385788
                          0.23984024 -0.11411885 -0.04221793 0.03628912
   0.03360507
              1.00130378]]
```

#### Generate heatmap for Coverance Matrix

```
In [69]: plt.figure(figsize=(8,8))
    sns.heatmap(cov_mat, vmax=1, square=True, annot=True, cmap='cubehelix')
    plt.title("Correlation between different features")
```

Out[69]: Text(0.5, 1.0, 'Correlation between different features')



```
In [19]: #Find eigenvalues and eigenvectors from the Covarience Matrix
eigen_values, eigen_vectors = np.linalg.eig(cov_mat)
            print ("Eigen vectors: Diection of main axes of the data (prinicipal components) \n%s" %eigen_vectors)
print ("Eigen values \n%s" %eigen_values)
#greater the eigenvalue, greater is the variance
          Eigen vectors: Diection of main axes of the data (prinicipal components)
          [-0.1284321 -0.59378583 -0.58879003 0.11784098 -0.19359817 0.47560573 -0.08069115 0.01308692] [-0.39308257 -0.17402908 -0.06015291 0.45035526 -0.09416176 -0.46632804
              0.40432871 -0.46792282]
            [-0.36000261 -0.18389207 -0.19211793 -0.01129554 0.6341159 -0.32795306
              -0.05598649 0.53549442]
            [-0.43982428
                             0.33196534 0.28221253 0.5662838 -0.00958944 0.48786206
                             0.2376738 ]
              -0.03797608
            [-0.43502617
                             0.25078106 -0.13200992 -0.54862138 0.27065061 0.34693481
              0.34994376
                            -0.336708931
            [-0.45194134
                                           -0.03536644 -0.34151764 -0.68537218 -0.25320376
                             0.1009598
                            0.36186463]
0.122069
             -0.05364595
            [-0.27061144
                                            -0.08609107 -0.00825873 0.08578409 -0.11981049
              -0.8336801 -0.43318905]
            [-0.19802707 -0.62058853 0.71208542 -0.21166198 0.03335717 0.10928996
                            -0.0752475511
          Eigen values
           [2.09711056 1.73346726 0.42036353 0.40498938 0.68351839 0.76333832
            0.87667054 1.03097228]
In [20]: #First, make a list of eigenvalues and eigenvector tuples
            eigen_pairs = [(np.abs(eigen_values[i]), eigen_vectors[:,1]) for i in range(len(eigen_values))]
           #sort eigenvalue, eigenvector tuples from high to low eigen_pairs.sort(key=lambda x: x[0], reverse=True)
            #List them in revse order to visually check
print ("Eigenvalues in decending order: ")
            for i in eigen_pairs:
                 print(i[0])
```

```
Eigenvalues in decending order: 2.097110557994524
        1.7334672594471234
        1.0309722810083821
        0.8766705419094792
        0.7633383156496728
        0.6835183858447288
        0.42036352804956845
        0.4049893778148988
In [21]: #Find big contributor (eigenvalues) to the variance
         total = sum(eigen_values)
percent_variance = [(i/total)*100 for i in sorted(eigen_values, reverse=True)]
         print (percent_variance)
        [26.17974931611004,\ 21.640126757746494,\ 12.870373364801912,\ 10.944113047600439,\ 9.529304819389639,\ 8.532854849331173,\ 5.247702246321927,\ 5.055775598698365]
In [41]: #note: 90% of variance is explained by seven eigenvalues. Last two can be dropped
         with plt.style.context('dark_background'):
    plt.figure(figsize=(10,6))
             plt.bar(range(6), percent_variance[:6], alpha=0.5, align='center', label='Individual Explained Variance', color='yellow')
             plt.ylabel('Percent Variance Contributor')
plt.xlabel('Principal Components')
             plt.legend(loc='best')
             plt.tight_layout()
                                                                                                   Individual Explained Variance
        Variance Contributo
           10
                          ò
                                                              Principal Components
         eigen_pairs[5][1].reshape(8,1)))
         print ("Matrix W:\n", matrix_W)
        Matrix W:
         [[-0.59378583 -0.59378583 -0.59378583 -0.59378583 -0.59378583 -0.59378583]
         0.33196534 0.33196534 0.33196534 0.33196534
                                                                     0.33196534]
         0.25078106 0.25078106 0.25078106 0.25078106 0.25078106
                                                                     0.25078106
          0.1009598
                      0.1009598
                                  0.1009598
                                             0.1009598
                                                         0.1009598
         [ 0.122069
                      0.122069
                                  0.122069
                                             0.122069
                                                         0.122069
                                                                     0.122069
         [-0.62058853 -0.62058853 -0.62058853 -0.62058853 -0.62058853]]
In [24]: #Project onto new feature space. Recuded to five features from eight
         \# Y = X \text{ (times) } W
         Y = X_std.dot(matrix_W)
Out[24]: array([[-1.23489499, -1.23489499, -1.23489499, -1.23489499, -1.23489499,
                  -1.23489499],
                [ 0.73385167,
                             0.73385167, 0.73385167, 0.73385167, 0.73385167,
                  0.73385167],
                [-1.59587594, -1.59587594, -1.59587594, -1.59587594, -1.59587594],
                [-0.09706503, -0.09706503, -0.09706503, -0.09706503, -0.09706503,
                 -0.09706503],
                [-0.83706234, -0.83706234, -0.83706234, -0.83706234, -0.83706234, -0.83706234],
                [ 1.15175485,
                              1.15175485, 1.15175485, 1.15175485, 1.15175485,
                  1.15175485]])
 In [ ]: END
```