

Assignment 6

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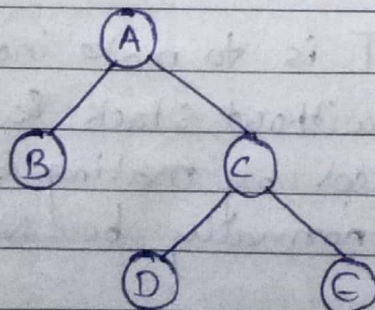
Class: SE 9

Batch: E 9

Roll no.: 23107

1) Title: Threaded Binary Tree2) Aim: To implement threaded binary tree3) Problem Statement: Implement Inorder TBT. Traverse the implemented tree in Preorder & inorder traversal.4) Theory:1) Limitations of problem with normal binary tree:

Too many null pointer representation of binary tree.

 $n = \text{no. of nodes}$  $\text{no. of non-null links} = n - 1$  $\text{Total links} = 2n$  $\text{Null links} = 2n - (n - 1) = n + 1$ 

0	1	2	3	4	5	6
A	B	C	—	—	D	E



- Traversing is the most frequently used operation on tree.
- In normal binary tree a temp data structure (stack) is required to implement non-recursive traversal.
- We overcome these problems in TBT by replacing the null pointers with useful pointers called "threads".

## 2) TBT concept, definition with example:

Concept: As we discussed the problems faced in normal binary tree above, we replace the null pointers with threads.

Thread: It's a pointer to other node in tree for replacing the Null link.

By doing this we reutilize Null pointers.

This will result in:

- 1) No wastage of memory for null pointer.
- 2) Non recursive traversal without stack.

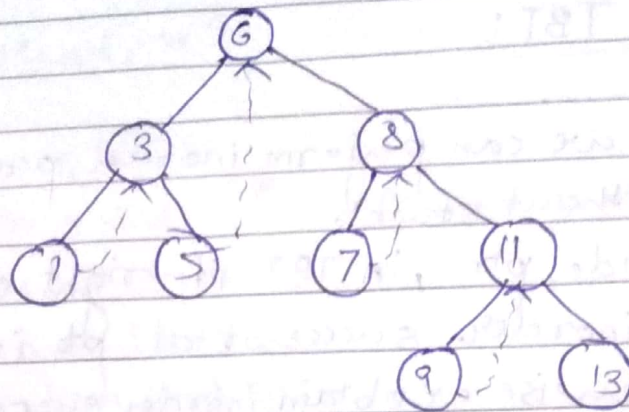
## Definition:

The idea of TBT is to make inorder traversal faster & do it without stack & recursion. A BT is made threaded by making all right child pointer that would normally be NULL point to inorder successor of node.

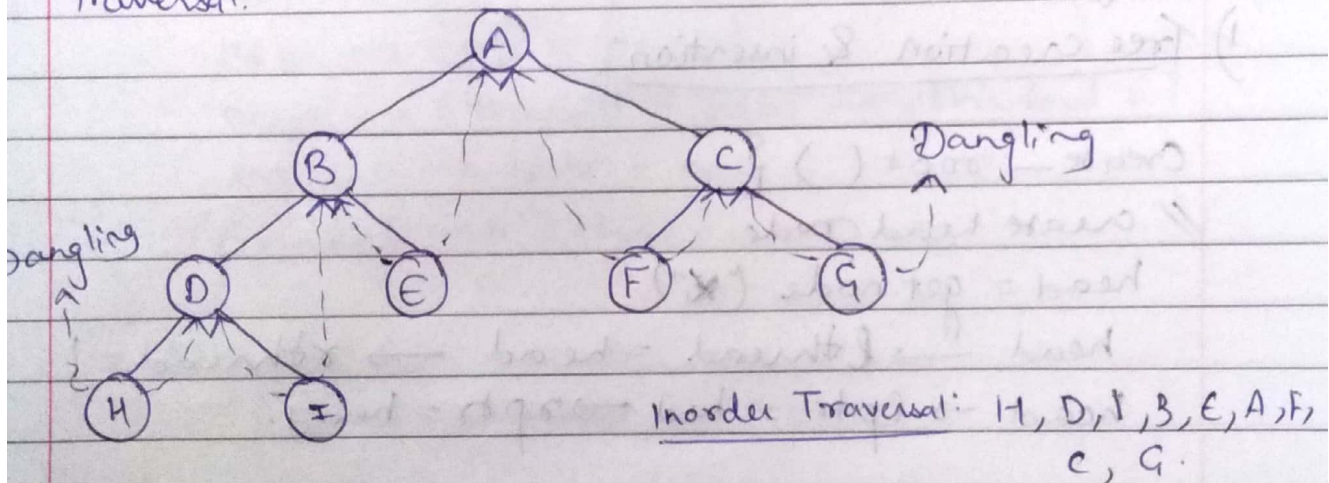
## Types:

- 1) Single Threaded: Where a NULL right pointer is made to point to inorder successor (if exists).





2) Double Threaded: Where both left & right NULL pointer are made to point to inorder predecessor & inorder successor respectively. The predecessor threads are useful for reverse inorder traversal & postorder traversal.



### # Rules for Construction:

1. If ptr  $\rightarrow$  left-child is null  
replace it with a pointer to the node that would be visited before ptr in an inorder traversal.  
(i.e. inorder predecessor).
2. If ptr  $\rightarrow$  right-child is null  
replace it with a pointer to node that would be visited after ptr in an inorder traversal.  
(i.e., inorder successor)



#### 4) Advantages of TBT:

- 1) By threading we can perform inorder, preorder, postorder without stack.
- 2) For any node, ptr., in TBT if right child is present the inorder successor of ptr is ptr's parent. Otherwise we obtain inorder successor of ptr by following a path of left child links from right child of ptr until we reach a node with left subtree.

#### \* Algorithm:

##### 1) Tree creation & insertion:

```
Create - root ( ) {
```

```
// create head node
```

```
head = get node ("")
```

```
head → lthread = head → rthread = 1
```

```
head → lptr = head → rptr = head.
```

```
// create root
```

```
root = getnode ( )
```

```
root → lthread = rthread = 1
```

```
root → rptr = lptr = head
```

```
head → lptr = root
```

```
head → lthread = 0
```

```
}
```



Insert (Head, x)

1) if Head == Null

Then print ("Create Root first")  
(create\_root(head))  
return head.

2) Parent = head → lptr.

3) Repeat through step 4 till insertion takes place.

4) Write ('Root is', parent → data)

// take choice from user to insert.

if choice is 1 // insert as left child.

{ new = get node(x)

new → lptr = parent → lptr

new → rptr = parent

new → lthread = new → rthread = 1

parent → lptr = new

parent → lthread = 0

}

else

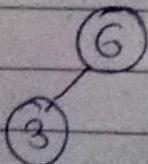
parent = parent → rptr

5) Return head.

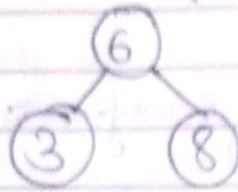
1) Take input from user

⑥ // Root created.

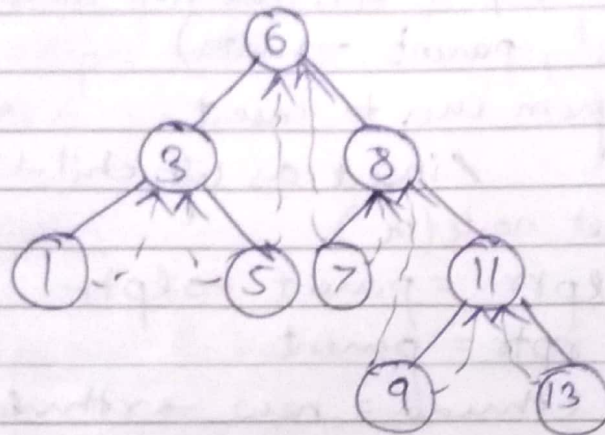
2) IF user gives input as left child.



3) If user gives input for right child of 6, except



Similarly, we can insert nodes in tree



## 2) Inorder Traversal:

Procedure inorder(head)

{

current = head → lptr

if (current → lptr = head)

Then write ("empty tree")

Return

Repeat while (current → lthread = 0)

// go to leftmost child of left subtree

current = current → lptr

repeat while (current → lthread = 1)

{ display (current → data)

if current → rthread = 1

current = current → rptr

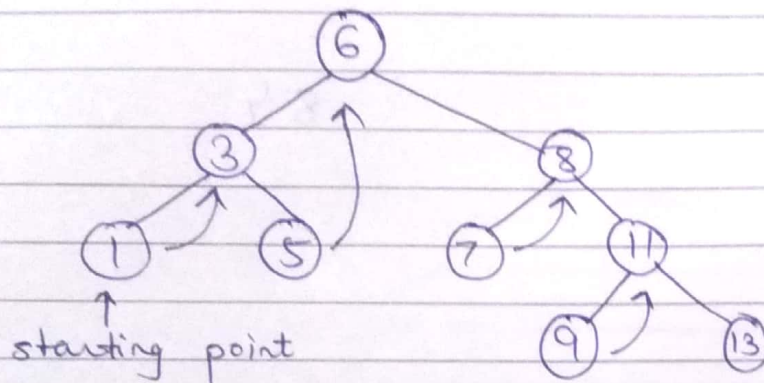
else {



```

current = current → rptr
repeat while (current → lthread = 0)
current = current → lptr }
} // end of inorder.

```



output = 1 3 5 6 7 8 9 11 13

### 3) Preorder Traversal:

Preorder (head)

```

{ current = head → lptr

```

```

  if (current = head)

```

```

    print ("Empty tree")

```

```

    return

```

```

  repeat while current! = head.

```

```

  { display (current → data)

```

```

    if (current → lthread = 0) // if lchild present traverse

```

```

      current = current → lptr

```

```

    else

```

```

      // if no left subtree, go to right subtree

```

```

      repeat while (current → rthread = 1)

```

```

        current = current → rptr

```

```

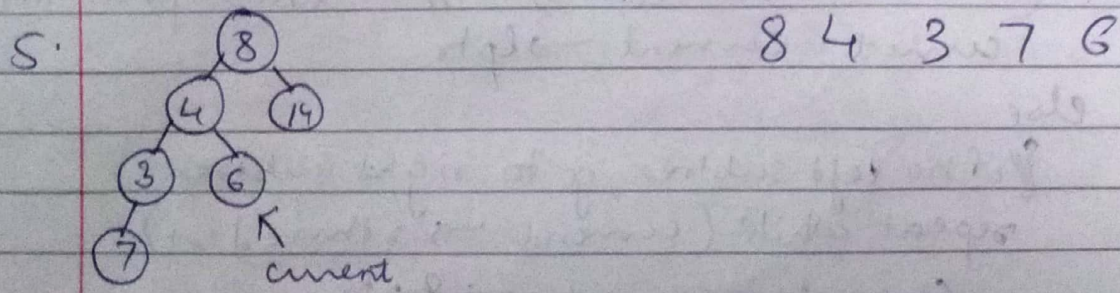
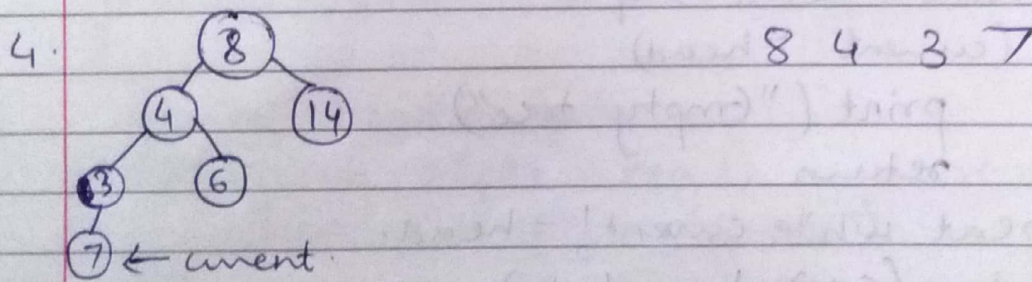
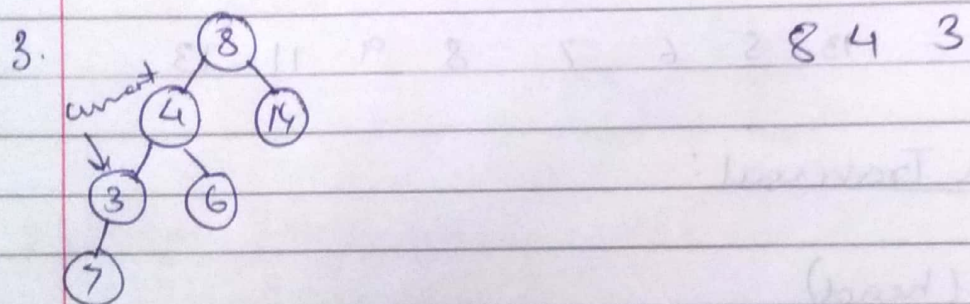
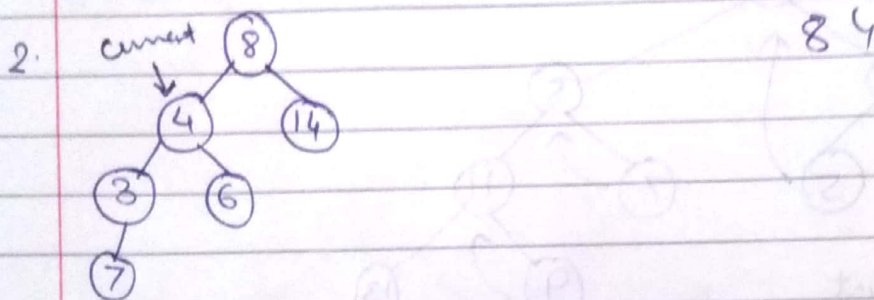
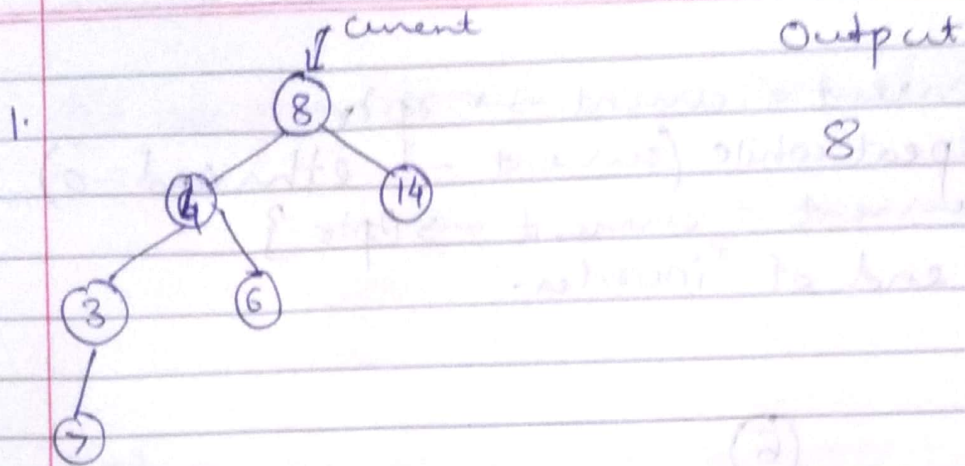
        current = current → lptr // if left tree present
        process it first.
      }

```

```

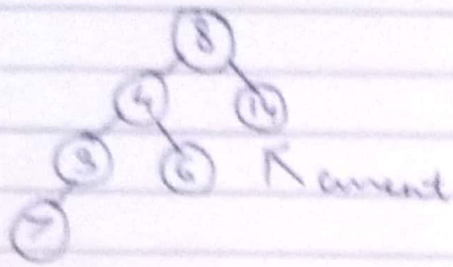
  } // end

```





6.



output

8 4 3 7 6 14

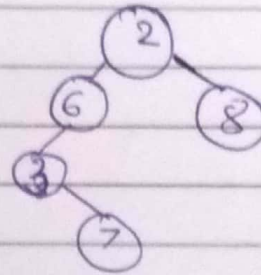
## 8) Test cases and Validations:

1) Valid input data with respect to tree you are constructing

2) Test case:

Input:

2  
6 (2L)  
8 (2R)  
3 (6L)  
7 (3R)



Inorder = 3 7 6 2 8

Preorder = 2 6 3 7 8

## 9) Conclusion:

Understood working & creation of Threaded Binary tree.

Analysis:

Time complexity =  $O(n)$

Space complexity =  $O(1)$