```
#6. Write a program to demonstrate the working of EM algorithm.
import numpy as np
import matplotlib.pyplot as plt
from scipy.stats import norm # for normal distribution
def generate_data(num_samples, mean1, std1, mean2, std2, mixing_coefficient):
    np.random.seed(42)
    data = []
    for _ in range(num_samples):
        if np.random.rand() < mixing coefficient:</pre>
            data.append(np.random.normal(mean1, std1))
        else:
            data.append(np.random.normal(mean2, std2))
    return np.array(data)
def calculate_responsibilities(data, mean1, std1, mean2, std2, mixing_coefficient):
    pdf1 = norm.pdf(data, mean1, std1)
   pdf2 = norm.pdf(data, mean2, std2)
   weighted_pdf1 = mixing_coefficient * pdf1
   weighted_pdf2 = (1 - mixing_coefficient) * pdf2
    responsibilities = weighted_pdf1 / (weighted_pdf1 + weighted_pdf2)
    return responsibilities
def update_parameters(data, responsibilities):
   total_samples = len(data)
   mean1 = np.sum(responsibilities * data) / np.sum(responsibilities)
   mean2 = np.sum((1 - responsibilities) * data) / np.sum(1 - responsibilities)
    std1 = np.sqrt(np.sum(responsibilities * (data - mean1)**2) / np.sum(responsibilities))
    std2 = np.sqrt(np.sum((1 - responsibilities) * (data - mean2)**2) / np.sum(1 - responsibilities))
    mixing_coefficient = np.sum(responsibilities) / total_samples
    return mean1, std1, mean2, std2, mixing_coefficient
def em_algorithm(data, initial_params, num_iterations):
    mean1, std1, mean2, std2, mixing_coefficient = initial_params
    for _ in range(num_iterations):
        responsibilities = calculate_responsibilities(data, mean1, std1, mean2, std2, mixing_coefficient)
        mean1, std1, mean2, std2, mixing_coefficient = update_parameters(data, responsibilities)
    return mean1, std1, mean2, std2, mixing_coefficient
def main():
    data = generate_data(num_samples=1000, mean1=3, std1=1, mean2=8, std2=2, mixing_coefficient=0.4)
    initial_params = (2, 1, 7, 1, 0.5)
    num iterations = 100
   final_params = em_algorithm(data, initial_params, num_iterations)
    print("Final Parameters:")
   print("Mean 1:", final_params[0])
   print("Std 1:", final_params[1])
    print("Mean 2:", final_params[2])
    print("Std 2:", final_params[3])
   print("Mixing Coefficient:", final_params[4])
   plt.hist(data, bins=30, density=True, alpha=0.5, color='blue')
   x_range = np.linspace(min(data), max(data), 100)
   plt.plot(x_range, norm.pdf(x_range, final_params[0], final_params[1]), label='Component 1', color='red')
    plt.plot(x_range, norm.pdf(x_range, final_params[2], final_params[3]), label='Component 2', color='green')
   plt.title('Gaussian Mixture Model')
   plt.legend()
    plt.show()
```

if name == " main ":

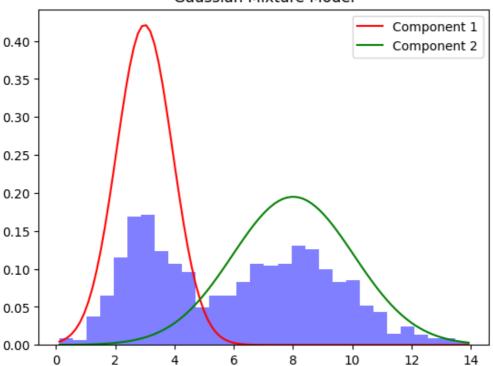
main()

Final Parameters:

Mean 1: 2.9887173328824854 Std 1: 0.9466809628285212 Mean 2: 8.004258401935402 Std 2: 2.0466166030241064

Mixing Coefficient: 0.39077823756397556

Gaussian Mixture Model



```
from sklearn.datasets import load_iris
from sklearn.model_selection import train_test_split
from sklearn.naive_bayes import GaussianNB
from sklearn.metrics import accuracy_score, classification_report

iris = load_iris()
X = iris.data
y = iris.target

X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)

naive_bayes_classifier = GaussianNB()

naive_bayes_classifier.fit(X_train, y_train)

y_pred = naive_bayes_classifier.predict(X_test)

accuracy = accuracy_score(y_test, y_pred)
classification_report_result = classification_report(y_test, y_pred, target_names=iris.target_names)

print("Accuracy:", accuracy)
print("Nclassification Report:\n", classification_report_result)
```

support

#7. Write a python program to implement Naive bayesian Classifier using any appropriate dataset.

Accuracy: 1.0

| Classitication | Report: | | |
|----------------|-----------|--------|----------|
| | precision | recall | f1-score |
| | | | |

| setosa | 1.00 | 1.00 | 1.00 | 10 |
|------------|------|------|------|----|
| versicolor | 1.00 | 1.00 | 1.00 | 9 |
| virginica | 1.00 | 1.00 | 1.00 | 11 |

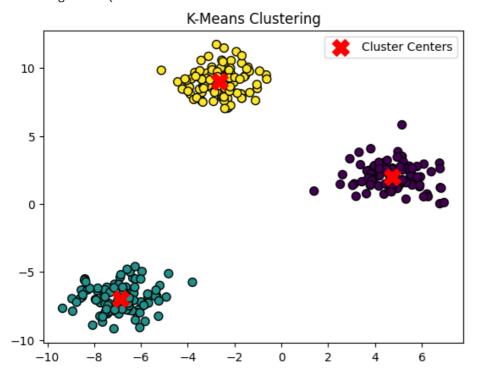
```
accuracy 1.00 30 macro avg 1.00 1.00 1.00 30 weighted avg 1.00 1.00 1.00 30
```

```
#8. Write a program to implement K means Clustering, demonstrate the working by considering appropriate datasimport numpy as np
import matplotlib.pyplot as plt
from sklearn.cluster import KMeans

X, _ = make_blobs(n_samples=300, centers=3, random_state=42)
kmeans = KMeans(n_clusters=3, random_state=42)
kmeans.fit(X)

labels = kmeans.labels_
centers = kmeans.cluster_centers_
plt.scatter(X[:, 0], X[:, 1], c=labels, cmap='viridis', edgecolor='k', s=50)
plt.scatter(centers[:, 0], centers[:, 1], c='red', marker='X', s=200, label='Cluster Centers')
plt.title('K-Means Clustering')
plt.legend()
plt.show()
```

/usr/local/lib/python3.10/dist-packages/sklearn/cluster/_kmeans.py:
 warnings.warn(



```
#9. Write a program to demonstrate the working of Apriori alogirthm.
import pandas as pd
from mlxtend.preprocessing import TransactionEncoder
from mlxtend.frequent_patterns import apriori, association_rules
import pandas as pd
transactions = [
    ['bread', 'milk', 'eggs'],
    ['bread', 'butter'],
    ['milk', 'butter'],
    ['bread', 'milk', 'butter'],
    ['bread', 'milk'],
1
te = TransactionEncoder()
te_ary = te.fit(transactions).transform(transactions)
df = pd.DataFrame(te_ary, columns=te.columns_)
frequent_itemsets = apriori(df, min_support=0.4, use_colnames=True)
rules = association_rules(frequent_itemsets, metric="confidence", min_threshold=0.7)
print("Frequent Itemsets:")
print(frequent_itemsets)
print("\nAssociation Rules:")
print(rules)
     Frequent Itemsets:
                        itemsets
        support
     0
            0.8
                         (bread)
     1
            0.6
                        (butter)
     2
            0.8
                          (milk)
     3
            0.4 (butter, bread)
     4
            0.6 (bread, milk)
     5
            0.4
                (butter, milk)
```

antecedents consequents antecedent support consequent support \

lift leverage conviction zhangs_metric

0.8

0.8

0.8

0.8

0.6

0.6

0.8 0.8

-0.25

-0.25

Association Rules:

(bread)

confidence

(milk)

0.75 0.9375

0.75 0.9375

(milk)

-0.04

-0.04

(bread)

0

1

0

1

#10. Write a program to implement PCA by using appropriate datasets for the computation.

```
import numpy as np
import matplotlib.pyplot as plt
from sklearn.decomposition import PCA
from sklearn.datasets import load_iris
iris = load_iris()
X = iris.data
y = iris.target
X_{standardized} = (X - np.mean(X, axis=0)) / np.std(X, axis=0)
pca = PCA(n_components=2)
X_pca = pca.fit_transform(X_standardized)
plt.figure(figsize=(8, 6))
scatter = plt.scatter(X_pca[:, 0], X_pca[:, 1], c=y, cmap='viridis', edgecolor='k', s=70)
plt.colorbar(scatter, label='Target Class')
plt.title('PCA on Iris Dataset')
plt.xlabel('Principal Component 1')
plt.ylabel('Principal Component 2')
plt.show()
```

/usr/local/lib/python3.10/dist-packages/ipykernel/ipkernel.py:283:
 and should_run_async(code)

