

Wireless Sensor Network - Localization

Habitat Monitoring

















Localization??



All nodes in the network have an idea about their absolute/relative position

Localization



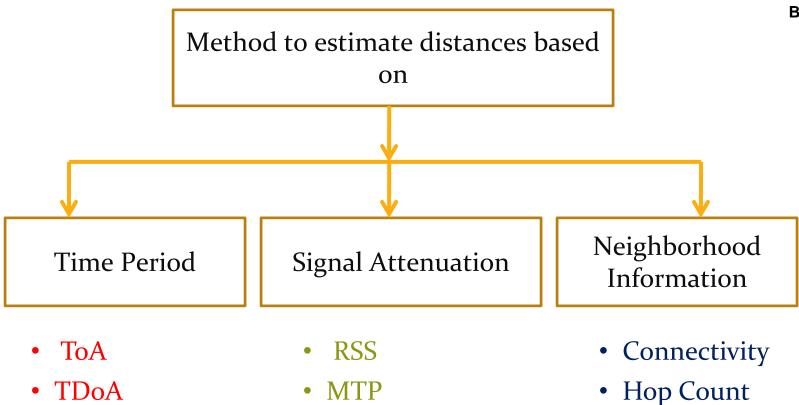
- Dynamic environment
- Hundreds of sensors are placed randomly over a large area
- Initial location of the nodes may been unknown
- Estimation of a nodes position used
 - Measurement without position is useless
 - Allows energy efficient geographic routing
 - Self-organization and Self-healing is easier
 - Obstacles can be found and by-passed
 - Tracking Measurement itself

Position Estimation



- Not possible to equip every node with GPS
- Anchors, beacons, landmark nodes
 - Triangulation
 - Tri-Lateration
 - Multi-Lateration







Localization – Modes of Operation

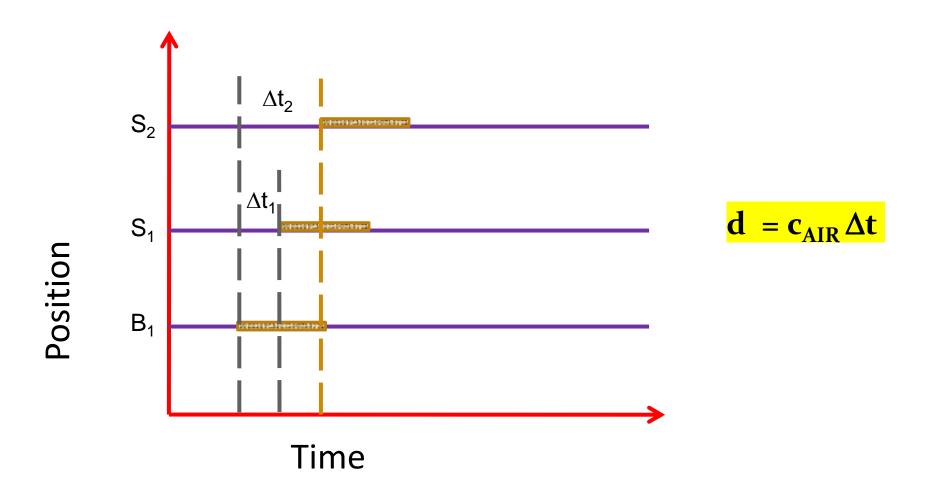
- Initialization
- Post Deployment Operation Mobile



Wireless Sensor Network -Localization – Distance Estimation

Time of Arrival (ToA)





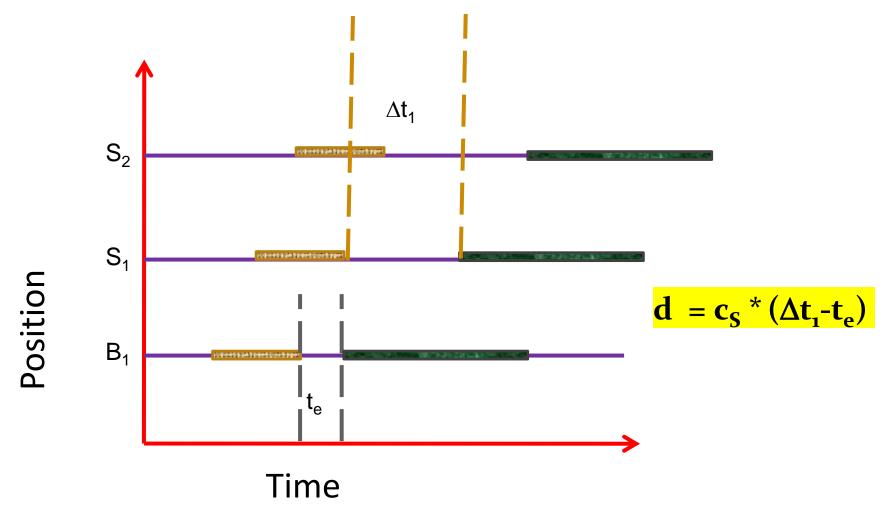
Issues with ToA??



- C_{AIR} 297,702 km/s $\approx 3x10^6$ m/s
- d = 30cm btwn B1 & S1
- $\Delta t = 1$ ns

Time of Arrival (ToA)





Improvement??



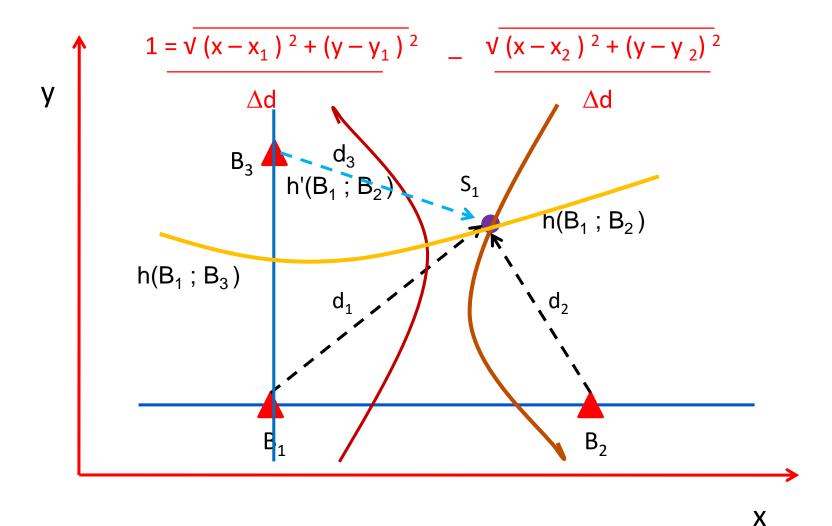
- $C_s 340 \text{ m/s}$
- All time measurements will not be affected by
 - lack of time sync
- Sound unpredictable medium
- Additional hardware



Wireless Sensor Network -Localization – Distance Estimation



Time Difference of Arrival (TDoA)



Issues with TDoA??



- No. of Beacons required
- Localized nodes can act as beacons themselves



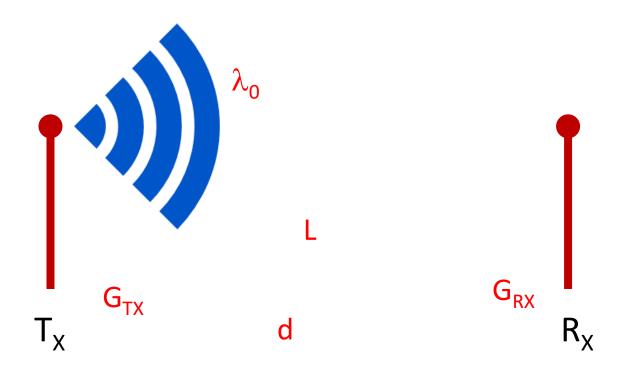
Wireless Sensor Network -Localization – Distance Estimation





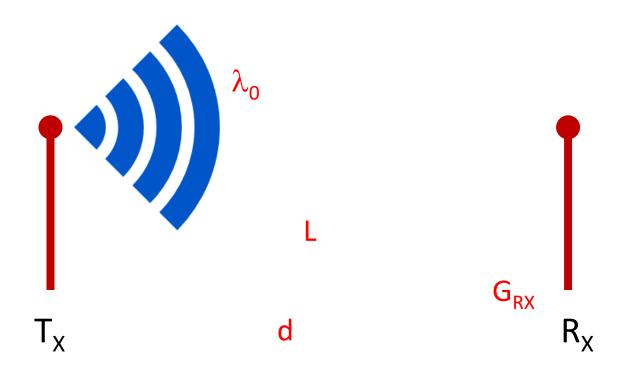
$$\frac{P_{RX}}{P_{TX}} =$$





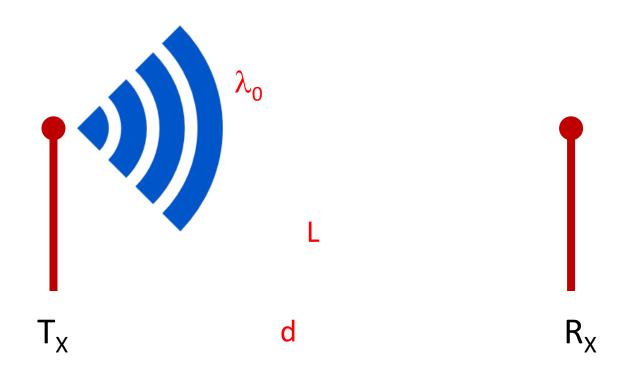
$$\frac{P_{RX}}{P_{TY}} =$$





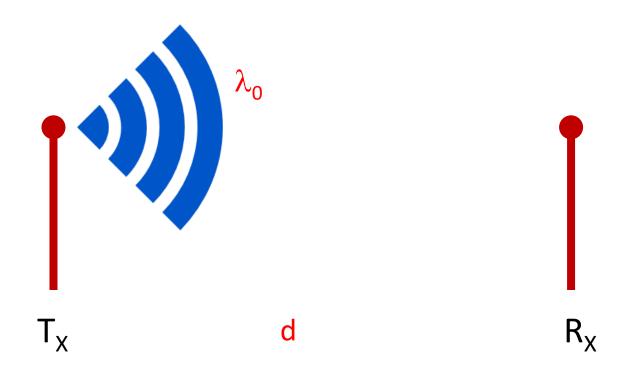
$$\frac{P_{RX}}{P_{TX}} = G_{TX}$$





$$\frac{P_{RX}}{P_{TX}} = G_{TX} G_{RX}$$





$$\frac{P_{RX}}{P_{TX}} = G_{TX} G_{RX}$$





$$\frac{P_{RX}}{P_{TX}} = G_{TX} G_{RX} \qquad \lambda_0$$





$$\frac{P_{RX}}{P_{TX}} = G_{TX} G_{RX} \qquad \lambda_0$$





$$\frac{P_{RX}}{P_{TX}} = G_{TX} G_{RX} \left[\frac{\lambda_0}{4\pi d} \right]^2$$



$$\frac{P_{RX}}{P_{TX}} = \frac{G_{TX}}{L} \frac{G_{RX}}{4\pi d}$$
 FRIIS Equation

$$PL = 10 \log G_{TX} G_{RX} \left\{ \frac{\lambda_0}{4\pi d} \right\}^2$$

$$d_{\text{max}} = \frac{\lambda_0}{4\pi 10^{-\text{PLmax/20}}}$$

Issues with RSSI??



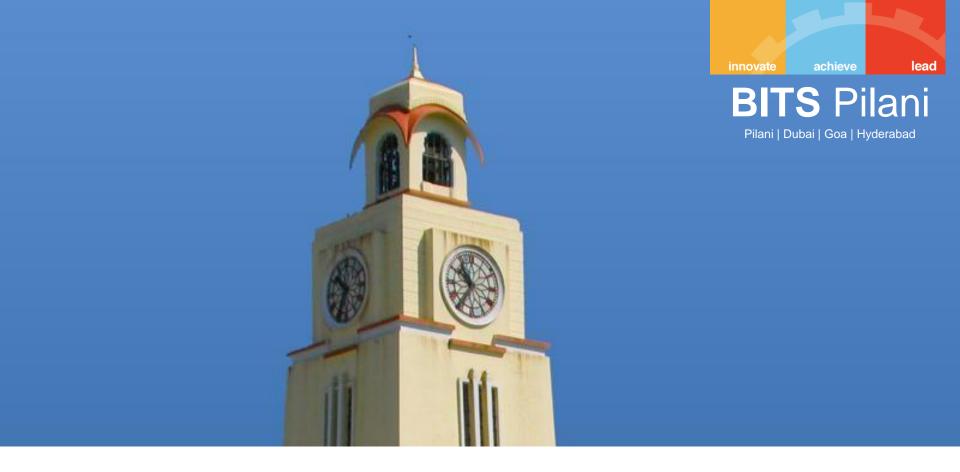
- Ideal Gain & No Loss Assumption
- Loss is unpredictable
- Need for measurement technique



Minimum Transmission Power (MTP)



Motes allow multiple power levels



Wireless Sensor Network - Localization – Algorithms

Issues ??



- Resource Constraints
- Node Density
- Non-Convex Topology Border Node Problems
- Environmental Obstacles & Terrain Irregularities

Requirements of LA

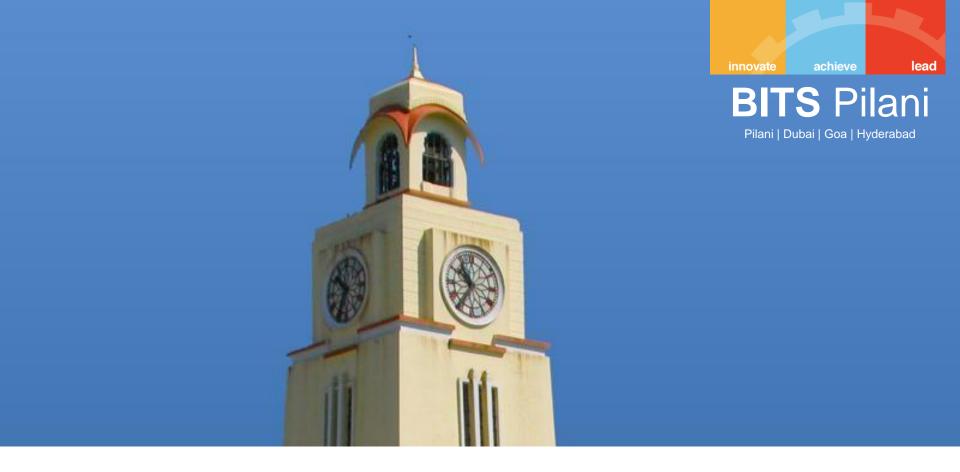


- High Precision
- Minimal cost
- Fully distributed robust & reliable
- Adaptive to environmental changes
- Mobility must be accommodated
- Resource- Efficient

Types



- Approximate Vs Precise
- Central Vs Distributed
- Range based Vs Range Free
- Relative Vs Absolute
- Indoor Vs Outdoor
- Beacon-Free Vs Beacon based



Wireless Sensor Network - Localization – Algorithms

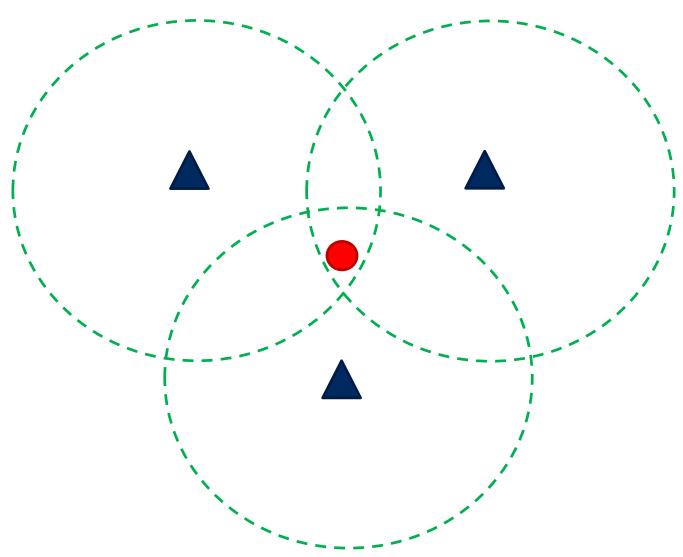
Centroid Localization



- Based on the concept of Trilateration
- Extended to Multilateration

Trilateration





$$(B_iS)^2 = (B_i(x_i) - S(x))^2 + (B_i(y_i) - S(y))^2$$

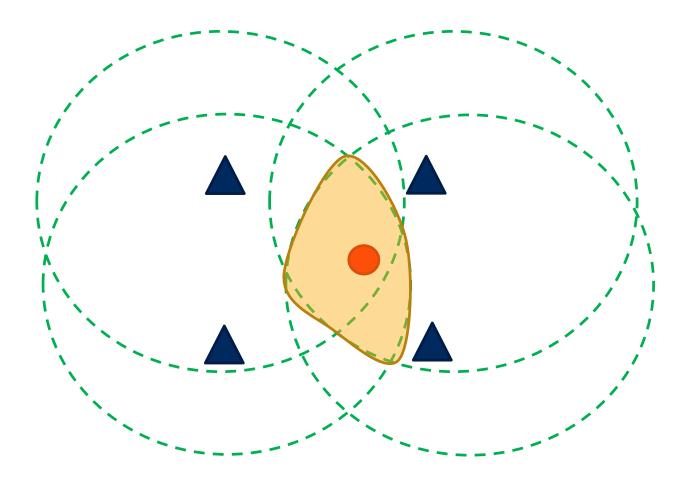
Assumptions



- Perfect Spherical Radio Propagation
- Identical Tx range for all radios
- The neighbouring signal points can be sync so that they do not overlap in time

Multi-Lateration





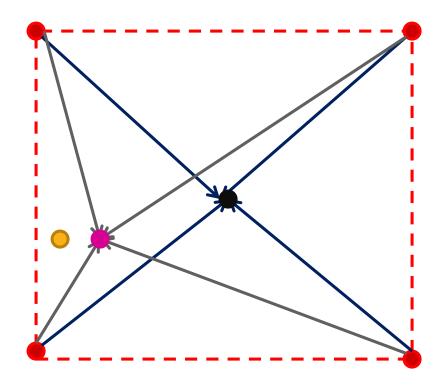
Position Estimation



$$S(x,y) = 1/n \Sigma_n B(x_i,y_i)$$

Issues with Centroid





Assign Weights

Weighted Centroid



- Weights
- RSSI
- ToA