Supervised Learning: Classification

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Classification

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 - ► Tumor Type 1 versus Tumor Type 2 versus Tumor Type 3

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- ► Regression involves predicting a continuous-valued response.
- Classification involves predicting a categorical / qualitative response:
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 - ► Tumor Type 1 versus Tumor Type 2 versus Tumor Type 3
- ► Classification problems tend to occur even more frequently than regression problems in biomedical applications.
- Just like regression,
 - Classification cannot be blindly performed in high-dimensions because you will get zero training error but awful test error;
 - Properly estimating the test error is crucial; and
 - ► There are a few tricks to extend classical classification approaches to high-dimensions, which we have already seen in the regression context!

Classification

Categorical / qualitative variables take values in an unordered set: e.g. eye color ∈ {brown, blue, green}

```
eye color \in \{brown, blue, greenermail \in \{spam, not spam\}.
```

- ► We want to build a function that takes as input the feature vector *X* and predicts the value for *Y*.
- ► Often we are more interested in estimating the probability that *X* belongs to a given category.
- ► For example: we might want to know the probability that someone will develop diabetes, rather than to predict whether or not they will develop diabetes.

Can't We Just Use Linear Regression?

Classify an emergency room patient on the basis of her symptoms to one of three conditions:

$$Y = \begin{cases} 1 & \text{if stroke;} \\ 2 & \text{if drug overdose;} \\ 3 & \text{if epileptic seizure.} \end{cases}$$

- ▶ If we apply linear regression, then the results will depend on the choice of coding . . . and the coding implies an ordering among the medical conditions.
- ► A classification approach is more appropriate.

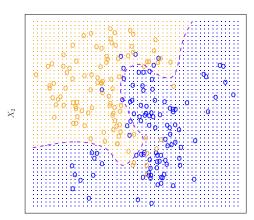
- ► There are many approaches out there for performing classification.
- ► We will discuss three: k-nearest neighbors, logistic regression, and support vector machines.

- ► Can I take a totally non-parametric (model-free) approach to classification?
- K-nearest neighbors:
 - 1. Identify the K observations whose X values are closest to the observation at which we want to make a prediction.
 - 2. Classify the observation of interest to the most frequent class label of those K nearest neighbors.

K-Nearest Neighbors

Logistic Regression Bayes-Based Classifiers Support Vector Machine

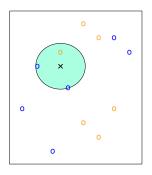
K-Nearest Neighbors

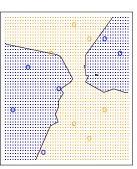


 X_1

K-Nearest Neighbors

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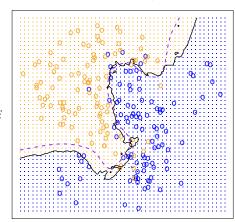




K-Nearest Neighbors

Logistic Regression **Bayes-Based Classifiers** Support Vector Machine

KNN: K=10

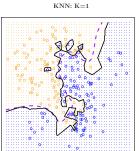


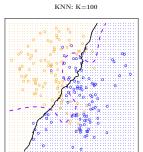
Classification

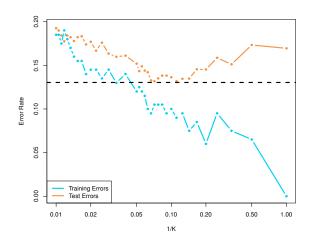
Batch Effects And Practical Concerns

K-Nearest Neighbors

Logistic Regression Bayes-Based Classifiers Support Vector Machine







- ► Simple, intuitive, model-free.
- ► Good option when *p* is very small.
- ► Curse of dimensionality: when *p* is large, no neighbors are "near". All observations are close to the boundary.
- Do not use in high dimensions!

Logistic Regression

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- ► For simplicity, suppose $y \in \{0,1\}$: a two-class classification problem.
- ► The simple linear model $y = X\beta + \epsilon$ doesn't make sense for classification.

Logistic Regression

- ▶ Let $p(X) = \Pr(Y = 1|X)$.
- Suppose we want to use biomarker level to predict probability of cancer.
- ► Logistic regression uses the form

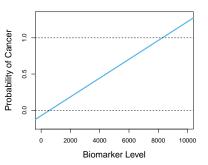
$$p(X) = rac{e^{eta_0 + eta_1 X}}{1 + e^{eta_0 + eta_1 X}}.$$

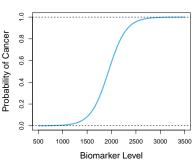
- ▶ p(X) will lie between 0 and 1.
- ► Furthermore,

$$\log\left(\frac{p(X)}{1-p(X)}\right) = \beta_0 + \beta_1 X.$$

▶ This function of p(X) is called the logit or log odds.

Why Not Linear Regression?





- ► Left: linear regression.
- ► Right: logistic regression.

Multiple Logistic Regression

▶ Just like before:

$$p(X) = \frac{e^{\beta_0 + \beta_1 X_1 + \dots + \beta_p X_p}}{1 + e^{\beta_0 + \beta_1 X_1 + \dots + \beta_p X_p}}.$$

And just like before:

$$\log\left(\frac{p(X)}{1-p(X)}\right) = \beta_0 + \beta_1 X_1 + \dots + \beta_p X_p.$$

Example in R

```
xtr <- matrix(rnorm(1000*20),ncol=20)
beta <- c(rep(1,10),rep(0,10))
ytr <- 1*((xtr%*%beta + .2*rnorm(1000)) >= 0)
mod <- glm(ytr~xtr,family="binomial")
print(summary(mod))</pre>
```

Five Ways to Extend Logistic to High Dimensions

1. Variable Pre-Selection

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- 2. Forward Stepwise Logistic Regression

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How to decide which approach is best, and which tuning parameter value to use for each approach? Cross-validation or validation set approach.

What is an appropriate validation measure?

For classification without a probability or score:

Misclassification rate:

 $\frac{\text{\#test samples misclassified}}{\text{total } \# \text{ of test samples}}$

What is an appropriate validation measure?

For probablistic classification

- Can still use misclassification rate.
- ► Like in continuous regression could use SSE:

$$\sum_{i \in \text{test}} (y_i - \hat{p}_i)^2$$

▶ Often preferable to use "predictive [log]likelihood":

$$-\log\left[\prod_{i\in \mathrm{test}}\hat{p}_i^{y_i}\left(1-\hat{p}_i\right)^{1-y_i}\right]$$

► Can also use ROC-curve-based metric (eg. AUC)

Remember though; all of these must be conducted on a separate validation set.

Example in R: Lasso Logistic Regression

```
xtr <- matrix(rnorm(1000*20),ncol=20)
beta <- c(rep(1,5),rep(0,15))
ytr <- 1*((xtr%*%beta + .5*rnorm(1000)) >= 0)
cv.out <- cv.glmnet(xtr, ytr, family="binomial", alpha=1)
plot(cv.out)</pre>
```

Let's Try It Out in R!

Chapter 4 R Lab Skip part on LDA & QDA www.statlearning.com

Bayes-based classifiers

Suppose rather than knowing P(y = j|x)...

we have information on $f_j(x) = P(x|y=j)$, the feature distribution within each class

How do we use this to make predictions?

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How do we use this to make predictions?

Using Bayes Theorem:

$$P(y = j|x) = \frac{f_j(x)\pi_j}{\sum_k f_k(x)\pi_k}$$

here $\pi_k = P(y = k)$ is the prior probability of class k.

Estimating the Rule

To apply Bayes Theorem

$$P(y = j|x) = \frac{f_j(x)\pi_j}{\sum_k f_k(x)\pi_k}$$

we need

- $ightharpoonup f_k(x)$ for $k=1,\ldots,K$
- $\blacktriangleright \pi_k$ for $k = 1, \ldots, K$

Estimating the π_k

 π_k is generally simple to estimate

► If your data are a random sample; then can use the sample proportion

$$\hat{\pi}_k = \frac{\#\left\{y_i = k\right\}}{n}$$

Otherwise can use outside information (eg. historical data)

If you change population proportions; it is easy to adjust the rule.

Estimating the $f_k(x)$

Estimate of $f_k(x) = P(x|y=k)$ is more difficult.

This is a density estimation problem.

The tools we discuss for this break down into 3 general categories

- flexible, non-parametric estimates
- ► parametric estimates
- shrunken parametric estimates

The above are ordered (more-or-less) by where they fall on bias/variance spectrum:

more flexible \rightarrow less bias/more variance

Parametric $f_k(x)$ Estimate

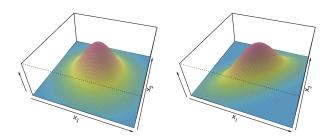
Most well known estimator of this type is Linear/Quadratic Discriminant Analysis:

Here we assume that $f_k(x)$ is Gaussian density, $N(\mu_k, \Sigma_k)$

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Discriminant Analysis

There are three main types of unpenalized discriminant analysis:

- ▶ Quadratic (QDA)
- ► Linear (LDA)
- ► Diagonal (DDA)

These make different assumptions on the covariance structure:

- ► QDA makes no assumptions
- ▶ LDA assumes a pooled variance $\Sigma = \Sigma_k$ for all k
- DDA assumes a pooled variance; and further that Σ is diagonal (i.e. no correlation among covariates!)

Discriminant Analysis

Why would we choose DDA over QDA?

Remember, *flexibility* comes at a price!

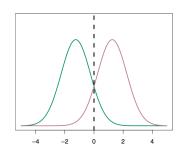
QDA will have the least bias; but has many more parameters to estimate

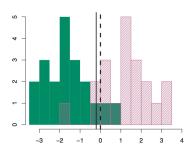
Often good estimates of the correlation don't improve classifications much

DDA takes into account the scale of each feature, but trades a bit of bias for potentially a large reduction in variance

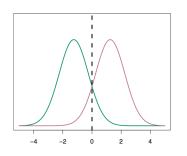
Classification Batch Effects And Practical Concerns

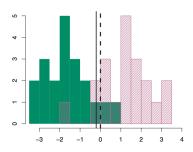
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LDA for p = 1

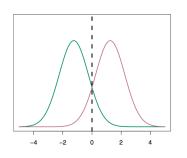


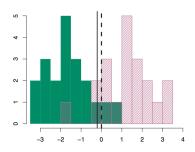


▶ To make this work, we need to estimate the parameters. The ML estimates are given by $\hat{\pi}_k = n_k/n$ and

$$\hat{\mu}_k = \frac{1}{n_k} \sum_{i:y_i = k} x_i$$
 $\hat{\sigma}^2 = \frac{1}{n - K} \sum_{k=1}^K \sum_{i:y_i = k} (x_i - \hat{\mu}_k)^2$

LDA for p = 1





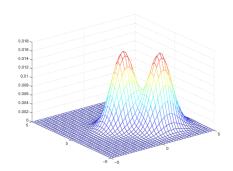
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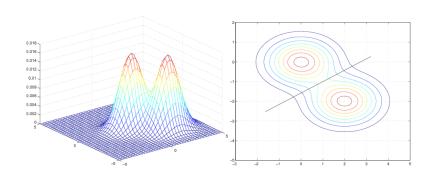
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• The picture is very similar if K > 2 or if p > 1

Classification Batch Effects And Practical Concerns

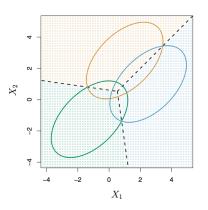
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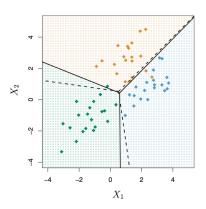




Classification Batch Effects And Practical Concerns

K-Nearest Neighbors Logistic Regression Bayes-Based Classifiers Support Vector Machine



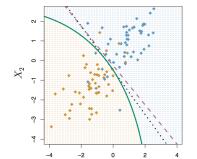


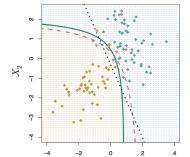
QDA vs LDA

The level-curves for each class look identical with LDA;

QDA allows for different classes to have differently shaped ellipsoids...

This results in decision boundaries that are non-linear (quadratic in fact)



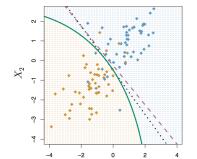


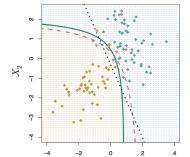
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DDA

For DDA...

- level curves are spheres (not ellipsoids).
- decision boundaries are still linear
- sometimes called naive bayes (that doesn't mean it's bad though!)
- ▶ with $\pi_k = \frac{1}{K}$ for all k, and equal variances (ie. $\Sigma = \sigma I$); this is just the *nearest centroid* classifier

-DA vs logistic regression

Discriminant Analysis model can actually be rewritten as multinomial logistic models:

Beginning with

$$P(y = j|x) = \frac{f_j(x)\pi_j}{\sum_k f_k(x)\pi_k}$$

and

$$f_k(x) \propto \exp \left[-\frac{1}{2} \left(x - \mu_k \right)^{\top} \Sigma_k^{-1} \left(x - \mu_k \right) \right]$$

substituting and simplifying we get

$$P(y = j|x) = \frac{e^{\eta_j}}{\sum_k e^{\eta_k}}$$

-DA vs logistic regression

$$P(y = j|x) = \frac{e^{\eta_j}}{\sum_k e^{\eta_k}}$$

where

$$\eta_k = \beta_0 + x^{\top} \beta + x^{\top} \Sigma_k^{-1} x$$

This is just a multinomial logistic model with quadratic terms and interactions.

In particular for LDA (where $\Sigma_k = \Sigma$ is pooled) we have cancellation and get

$$\eta_k = \beta_0 + x^{\top} \beta$$

Simply a linear logistic model.

Shrunken Parametric Estimates

Sometimes the optimal bias/variance tradeoff is between two parametric classes.

For example: We may not have the data to estimate completely different covariance matrices for each class (i.e. QDA); but we may not want to use identical covariance matrices.

In this case we can take a weighted combination of our estimates. This is called regularized discriminant analysis.

This is a type of *shrunken parametric estimator*.

Regularized Discriminant Analysis

For shrinking between QDA/LDA we use:

$$\hat{\Sigma}_k^{RDA} = \lambda \hat{\Sigma}^{LDA} + (1 - \lambda) \hat{\Sigma}_k^{QDA}$$

For shrinking between LDA and Naive Bayes we use

$$\hat{\Sigma}^{RDA} = \lambda \hat{\Sigma}^{LDA} + (1 - \lambda) \hat{\Sigma}^{NB}$$

 λ is a tuning parameter, and is generally selected via CV

DA in High Dimensions

All of the Discriminant Analysis techniques discussed so far use all the features.

For high dimensional problems this will lead to over-fitting

One popular solution is to shrink each class-mean estimate $\hat{\mu}_k$ towards the overall mean $\hat{\mu}$ using element-wise soft-thresholding

This method is called Nearest Shrunken Centroids (though it should probably more appropriately be "nearest shrunken DDA")

Nearest Shrunken Centroids (PAM)

Steps to the method:

- 1. Calculate our pooled, diagonal estimate of Σ ; let s_j be the sd. estimate of gene j
- 2. Calculate the within class mean $\hat{\mu}_{jk}$ for each gene j, class k, and overall mean $\hat{\mu}_{j}$.
- 3. Set $\hat{\mu}_{jk}^{PAM}$ to be the shrunken difference:

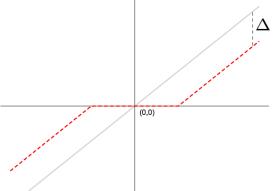
$$\hat{\mu}_{jk}^{PAM} = \hat{\mu}_{j.} + s_{j} * SHRINK_{\Delta} \left(\frac{\hat{\mu}_{jk} - \hat{\mu}_{j.}}{s_{j}} \right)$$

where $SHRINK_{\Delta}$ is the Soft Thresholding Function

Soft Thresholding

The soft thresholding shrinks its argument towards 0 — if it hits 0; then it stops!

Can be thought of as the continuous version of usual thresholding



Other Regularized DA Methods

▶ Recall that in PAM, $\hat{\mu}_{jk}$'s are soft thresholded towards the common mean $\hat{\mu}_{j.}$

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Both of these are implemented in R-package penalizedLDA.

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► Another option, which is especially helpful when using QDA is to penalize the covariance matrices Σ_k (or their inverses).

Support Vector Machines

► Developed in around 1995.

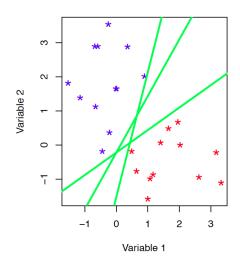
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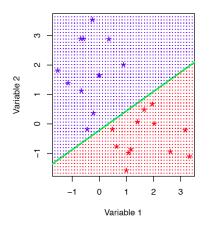
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- ▶ But, it is a nice idea.

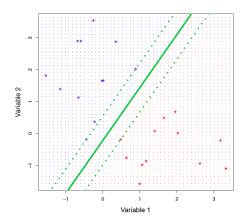
Separating Hyperplane



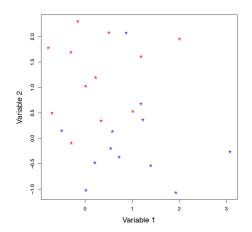
Classification Via a Separating Hyperplane



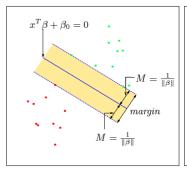
Maximal Separating Hyperplane

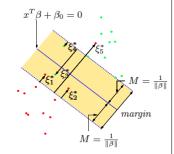


What if There is No Separating Hyperplane?



Support Vector Classifier: Allow for Violations





Support Vector Machine

► The support vector machine is just like the support vector classifier, but it elegantly allows for non-linear expansions of the variables: "non-linear kernels".

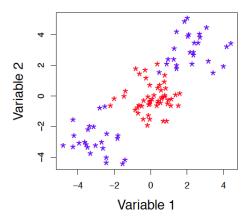
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- However, linear regression, logistic regression, and other classical statistical approaches can also be applied to non-linear functions of the variables.

Support Vector Machine

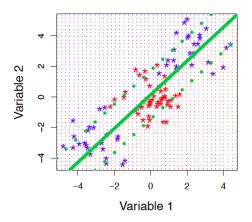
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- However, linear regression, logistic regression, and other classical statistical approaches can also be applied to non-linear functions of the variables.
- For historical reasons, SVMs are more frequently used with non-linear expansions as compared to other statistical approaches.

Non-Linear Class Structure

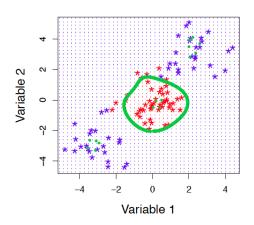


This will be hard for a linear classifier!

Try a Support Vector Classifier



Support Vector Machine



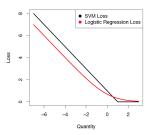
Is A Non-Linear Kernel Better?

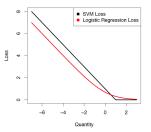
Is A Non-Linear Kernel Better?

➤ Yes, if the true decision boundary between the classes is non-linear, and you have enough observations (relative to the number of features) to accurately estimate the decision boundary.

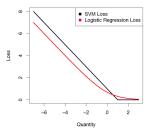
Is A Non-Linear Kernel Better?

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- ▶ No, if you are in a very high-dimensional setting such that estimating a non-linear decision boundary is hopeless.

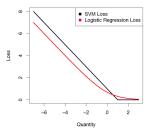




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- Neither they nor any other approach can overcome the "curse of dimensionality".
- ► SVM uses a non-linear kernel... but could do that with logistic or linear regression too!

In High Dimensions...

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- This tuning parameter is like a ridge penalty, both mathematically and conceptually. The SVM decision rule involves all of the variables.
- ► Can get a sparse SVM using a lasso penalty; this yields a decision rule involving only a subset of the features.
- ► Logistic regression and other classical statistical approaches could be used with non-linear expansions of features. But this makes high-dimensionality issues worse.

Let's Try It Out in R!

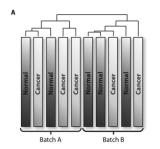
Chapter 9 R Lab www.statlearning.com

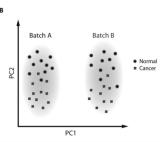
Batch Effects

▶ In any sort of omics experiment, need to be very aware of batch effects, induced by non-biological factors such as inter-machine or inter-lab or inter-operator variability, time of day, day of week, position of ceiling fan,

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- ▶ It has been shown many many times that batch effects can be much stronger than biological effects of interest!
- ▶ Batch effects can make your data nonsense . . .

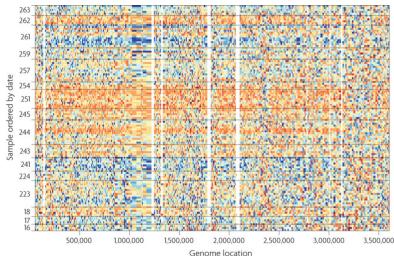




Batch Effects

Example: Subtypes of Breast Cancer Cautionary Tale #1 Cautionary Tale #2

Batch Effects in Practice



Steps to Reduce Batch Effects

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Batch effects are almost inevitable. But you can do your best to design an experiment and analyze the data in such a way that batch effects do not compromise the results obtained.

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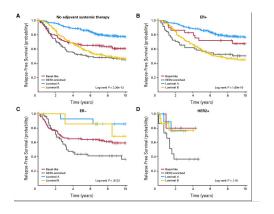
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- ► Want to be able to determine the subtype for a new patient with breast cancer.
- ► Controversy over the best classifier for this task:
 - ► PAM50 classifier involves 50 genes.
 - More recent proposal involving three genes.
- ► Moving target: nobody knows the "true" subtype!
- ▶ Prat et al., Breast Cancer Res Treat, 2012

Why Do We Care About Subtypes?



Citation: Parker et al, Journal of Clinical Oncology, 2009

Proteomics for Ovarian Cancer

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- ► Great enthusiasm in the popular press and general public.
- Plans were made to begin marketing a test based on the reported diagnostic.

Not So Fast!!

- ► Independent researchers took a look at the data, which was publicly available, and discovered:
 - inadvertent changes in protocol mid-experiment: i.e. major batch effects.
 - problems with instrument calibration.
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 - problems with instrument calibration.
 - difference in processing between tumor and normal samples.
- ► In summary: the observed differences between cancer and normal proteomic patterns were attributable to "artifacts of sample processing, not the underlying biology of cancer."

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- ► Several clinical trials were initiated, using these predictors to direct therapy for cancer patients.
- ► This research was hailed as a major breakthrough in cancer treatment, and researchers from all over the world tried to use these sorts of techniques in their own labs.

Upon Closer Inspection....

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 - ► Reversal of sensitive/resistant labels
- ► A shocking paper published by Baggerly and Coombes in Annals of Applied Statistics, detailing all of the errors made: "One theme that emerges is that the most common errors are simple (e.g., row or column offsets); conversely, it is our experience that the most simple errors are common."

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A blasé approach to high-dimensional data analysis:

- Need to have a proper independent test set, that you simply cannot peek at under any circumstances!
- Need to have clearly documented code that contains all steps of the analysis, from start to finish. You must be able to share this code with independent researchers, and you must be confident that your code is correct. If not, then your work isn't ready for prime time.

The Stakes are High!

At Duke:

- Dozens of papers retracted;
- Careers and reputations ruined;
- ▶ Patients endangered through unethical clinical trials.

Plus, a 60 Minutes special feature and an Institute of Medicine Committee!!!