Enya L. G. dos Sontos 19.2. 4201 (1) for (i=0; i < N; i++) (2) for (j=i+1; j <= N; j++) (4) for (i=0; i<N; i++) (5) for ( ) = 1; j < N+2; j++) (6) CI; -n=50 (1) (0...): n+1=53 (1...2)  $\sum_{i=0}^{n}\sum_{j=i+1}^{n}(1) \Rightarrow n+(n-1)+(n-2)...4$ - n(n+1) => n=50 + 1275 (4)(0...(N-1)) = n = 501(5)(1...(u+2+1)): n+2-1-1+1=n+1=51(4..5) 50.51 = 2550 TOTAL: 1275 + 1550 = 3815