MiniML Grammar Spec

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1 Syntaxe MiniML

1.1 Lexing Tokens

1.1.1 Separators

 $\{ \ \} \quad [\] \quad (\) \quad ; \quad , \quad * \quad \rightarrow \quad | \quad =$

1.1.2 Mots Clefs

 $let \quad fun \quad in \quad match \quad with \quad type \quad of \quad rec \quad if \quad then \quad else$

1.1.3 Types

int bool unit

1.1.4 Operateurs

$$+$$
 $-$ % $/$:: && $||$ * $<$ $> \leq \geq $=$$

1.1.5 Valeurs Atomiques

$$integer = (-)?[0-9]$$

 $boolean = (true | false)$

1.1.6 Identificateur

$$\begin{aligned} alphanum &= \begin{bmatrix} a-z & A-Z & 0-9 & _ \end{bmatrix} * \\ basic_ident &= \begin{bmatrix} a-z & _ \end{bmatrix} alphanum \\ vartype &= \begin{bmatrix} `a\end{bmatrix} \begin{bmatrix} 0 \dots 9 \end{bmatrix} * \end{aligned}$$

$$constructeur_ident = [A - Z] \, alphanum \\ constructeur_infixes = [:: \ ,]$$

1.2 Grammaire

$$egin{array}{ll} \mathbf{Prog} := & | & \mathbf{Def} \\ & | & \mathbf{Expr} \\ & | & \mathbf{Prog} \ ; \ \mathbf{Prog} \end{array}$$

1.2.1 Definitions

1.2.2 Expressions

 $NewContructor_Case$ '|' $NewContructor_Case$

1.2.3 Filtrage et Motifs

$$egin{aligned} \operatorname{Match_Case} &:= & | & \operatorname{Pattern} o \operatorname{Expr} \ | & \operatorname{Pattern} o \operatorname{Expr}'|' \operatorname{Match_Case} \ \end{aligned}$$
 $egin{aligned} \operatorname{Pattern} &:= & | & (\operatorname{Pattern}) \ | & \operatorname{Litteral} \ | & basic_ident \ | & - \ | & constructeur_ident \ | & constructeur_ident \ \end{aligned}$

1.2.4 Types

2 Semantique de traduction

2.1 Programmes

$$\vdash_{Prog} Prog[cs] \rightarrow Prog'(x)$$

si $\vdash_{Cmds} cs \rightarrow (g, \omega, v)$
alors $\vdash_{Cmds} Prog[cs] \rightarrow Prog'(\omega; Do(g, v))$

2.2 Suites de commandes

(VAR DEFS) si
$$d \in DEF$$
,
et si $\vdash_{\text{Cmds}} cs \to (\gamma, \omega, v)$
et si $\vdash_{\text{Def}} d \to \pi$
et si $\pi \in GLB$
 $alors \vdash_{\text{Cmds}} (Def(d); cs) \to ((\gamma; \pi), \omega, v)$

 $\vdash_{\mathrm{Cmds}} cs \to (\gamma, \omega, v)$

(TYPE DEFS) si
$$d \in DEF$$
,
et si $\vdash_{\text{Cmds}} cs \to (\gamma, \omega, v)$
et si $\vdash_{\text{Def}} d \to \pi$
et si $\pi \in TYPE$
 $alors \vdash_{\text{Cmds}} (Def(d); cs) \to (\gamma, (\omega; \pi), v)$

(GLB EXPR) si
$$b \in EXPR$$
,
et si $\vdash_{\text{Cmds}} cs \to (\gamma, \omega, v)$
et si $\vdash_{\text{Expr}} b \to v'$
 $alors \vdash_{\text{Cmds}} (Expr(b), cs) \to (\gamma, \omega, v')$

2.3 Définitions

$$\vdash_{\mathrm{Def}} d \to \pi$$

$$\begin{split} &(\text{VARDEF}) \text{ si } \vdash_{\text{Expr}} e \to e' \\ &\quad \text{alors} \vdash_{\text{Def}} VariableDef(v,e) \to GLB(InsLet(v,e')) \\ &(\text{TYPDEF}) \text{ si } \vdash c1 \to c1' \dots \text{ si } \vdash cN \to cN' \\ &\quad \text{alors} \vdash_{\text{Def}} TypeDef(n,[t1,\dots,tn],[c1,\dots,cN]) \\ &\quad \to \text{TYPE}(Typ_Def(n,[t1,\dots,tn],Def_Datatype[c1',\dots,cN'])) \end{split}$$

2.4 Types

$$\vdash_{\mathrm{Type}} t \to t'$$

$$(TINT) \vdash_{Type} TypeInt \to TypInt$$

$$(TBOOL) \vdash_{Type} TypeBool \to TypBool$$

$$(TUNIT) \vdash_{Type} TypeUnit \to TypUnit$$

$$(TDEF) \vdash_{Type} TypeDefined(id) \to TypVar(id)$$

$$(TVAR) \vdash_{Type} TypeVar(id) \to TypVar(id)$$

(TTUPLE) si
$$\vdash_{Type} t1 \to t_1, \dots$$
 et $\vdash_{Type} tN \to t_N$
alors $\vdash_{Type} TypeTuple([t1, \dots, tN]) \to TypTuple[t_1, \dots, t_N]$

(TCONS) si
$$\vdash_{Type} t \to t'$$

si $\vdash_{Type} p1 \to p_1, \dots$ et $\vdash_{Type} pN \to p_N$
alors $\vdash_{Type} TypeConstructor(t, [p_1, \dots, p_N]) \to TypApp(t, [p_1, \dots, p_N])$

(TLAMB) si
$$\vdash_{Type} a \to a'$$

et si $\vdash_{Type} ret \to ret'$
alors $\vdash_{Type} TypeLambda(a, ret)$
 $\to TypClosure(Exp, (TypFun(TypThunk(ret'), a')))$

2.5 Litteraux et Expressions

$$\vdash_{\operatorname{Expr}} e \to e'$$

$$(\operatorname{INT}) \text{ si } i \in \operatorname{NUM}$$

$$\operatorname{alors} \vdash_{\operatorname{Expr}} \operatorname{Integer}(i) \to \operatorname{ExprInt}(i)$$

$$(\operatorname{TRUE}) \vdash_{\operatorname{Expr}} \operatorname{Boolean}(\operatorname{frue}) \to \operatorname{ExprConstructor}(\operatorname{True}, [\])$$

$$(\operatorname{FALSE}) \vdash_{\operatorname{Expr}} \operatorname{Boolean}(\operatorname{false}) \to \operatorname{ExprConstructor}(\operatorname{False}, [\])$$

$$(\operatorname{UNIT}) \vdash_{\operatorname{Expr}} \operatorname{Unit} \to \operatorname{ExprConstructor}(\operatorname{Unit}, [\])$$

$$(\operatorname{TUPLE}) \text{ si } \vdash_{\operatorname{Expr}} e1 \to e_1, \dots \text{ si } \vdash_{\operatorname{Expr}} eN \to e_N$$

$$\operatorname{alors} \vdash_{\operatorname{Expr}} \operatorname{Tuple}([e_1, \dots, e_N]) \to \operatorname{ExprConstructor}(\operatorname{Tuple}, [e_1, \dots, e_N])$$

$$(\operatorname{UNARY1}) \text{ si } \vdash_{\operatorname{Expr}} a \to a'$$

$$\operatorname{alors} \vdash_{\operatorname{Expr}} \operatorname{CallUnary}(\operatorname{op}, [a]) \to \operatorname{ExprMonPrim}(\operatorname{op}, a')$$

$$(\operatorname{UNARY0}) \text{ si } \vdash_{\operatorname{Expr}} \operatorname{Lambda}(a, \operatorname{CallUnary}(\operatorname{op}, [a])) \to \omega$$

$$\operatorname{alors} \vdash_{\operatorname{Expr}} \operatorname{CallBinary}(\operatorname{op}, [a1: a2]) \to \operatorname{ExprBinPrim}(\operatorname{op}, a_1, a_2)$$

$$(\operatorname{BINARY1}) \text{ si } \vdash_{\operatorname{Expr}} \operatorname{Lambda}(b, \operatorname{CallUnary}(\operatorname{op}, [a, b])) \to \omega$$

$$\operatorname{alors} \vdash_{\operatorname{Expr}} \operatorname{CallBinary}(\operatorname{op}, [a]) \to \omega$$

$$(\operatorname{BINARY0}) \text{ si } \vdash_{\operatorname{Expr}} \operatorname{CallBinary}(\operatorname{op}, [a]) \to \omega$$

$$\operatorname{(BINARY0}) \text{ si } \vdash_{\operatorname{Expr}} \operatorname{CallBinary}(\operatorname{op}, [a]) \to \omega$$

$$(\operatorname{CONSTR}) \text{ si } \vdash_{\operatorname{Expr}} \operatorname{CallBinary}(\operatorname{op}, []) \to \omega$$

$$(\operatorname{CONSTR}) \text{ si } \vdash_{\operatorname{Expr}} \operatorname{Construct}(c, e) \to \operatorname{ExprConstructor}(\operatorname{ConsNamed}(c), e')$$

$$(\operatorname{BIND}) \text{ si } \vdash_{\operatorname{Expr}} \operatorname{c} \to e'$$

$$\operatorname{alors} \vdash_{\operatorname{Expr}} \operatorname{Construct}(c, e) \to \operatorname{ExprBook}(\operatorname{Blk}([\operatorname{InsLet}(v, i')], e'))$$

$$(\operatorname{MATCH}) \text{ si } \vdash_{\operatorname{Expr}} \operatorname{m} \to m'$$

$$\text{ si } m \in \operatorname{CASE} \dots \text{ et } mN \in \operatorname{CASE}$$

$$\text{ si } \vdash_{\operatorname{Case}} m1 \to m_1, \dots \text{ et } \vdash_{\operatorname{Case}} mN \to m_N$$

$$\text{ alors} \vdash_{\operatorname{Expr}} \operatorname{Match}(m, [m1, \dots, mN]) \to \operatorname{ExprMatch}(m', [m_1, \dots, m_N])$$

```
(SEQ) si \vdash_{Expr} e1 \rightarrow InsLet(x1, e_1), \dots et \vdash_{Expr} eN - 1 \rightarrow InsLet(xN - 1, e_{N-1})
            et si \vdash_{Expr} eN \to e_N
             alors \vdash_{Expr} Sequence([e1, ..., eN])
                    \rightarrow ExprBlock(Blk([InsLet(x1, e_1); ...; InsLet(xN - 1, e_{N-1})], e_N))
     (CALL) si \vdash_{Expr} a \to a'
            et si \vdash_{Expr} f \to f'
             alors \vdash_{Expr} Call(f, a)
                   \rightarrow ExprBlock(Blk([InsOpen(Exp, f'), InsForce(ExprMethod(Call, [a']))]))
(LAMBDA) si \vdash_{Expr} a \rightarrow a'
            et si \vdash_{Expr} b \to b'
             alors \vdash_{Expr} Lambda(a,b)
                   \rightarrow ExprClosure(Exp, ExprGet([GetPatTag(Call, [a'], ExprThunk(b'))]))
      (REC) si \vdash_{Expr} a \to a'
               si \vdash_{Expr} v \to v' et si \vdash_{Expr} b \to b'
             alors \vdash_{Expr} FunctionRec(v, a, b)
                    \rightarrow ExprClosure(Exp, ExprRec(v', ExprGet([GetPatTag(Call, [a'], ExprThunk(b'))]))
```

2.6 Motifs et Filtrage

$$\vdash_{\mathsf{Case}} Case(p,e) \to \alpha$$

(INTPAT) si
$$l \in \text{NUM et } \vdash_{Expr} e \to e'$$

 $\text{alors } \vdash_{Case} Case(LitteralPattern(l), e) \to MatchPatTag(IntLitt\ l, [\], e')$
(BOOLPAT) si $l = Boolean(_)$,
 $\text{si } \vdash l \to l' \text{ et } \vdash_{Expr} e \to e'$
 $\text{alors } \vdash_{Case} Case(LitteralPattern(l), e) \to MatchPatTag(l', [\], e')$
(UNITPAT) si $l = Unit \text{ et } \vdash_{Expr} e \to e'$
 $\text{alors } \vdash_{Case} Case(LitteralPattern(l), e) \to MatchPatTag(Unit, [\], e')$

```
(\text{TUPAT}) \text{ si } p1 \in CASE, \dots \text{ si } pN \in CASE \text{ si } \vdash p1 \rightarrow p_1, \dots, \text{ si } \vdash pN \rightarrow p_N \text{ et } \vdash_{Expr} e \rightarrow e' \text{ alors } \vdash_{Case} Case(TuplePattern([p1, \dots, pN]), e) \rightarrow MatchPatTag(Tuple, [p_1, \dots, p_N], e') (\text{CONSPAT}) \text{ si } c \in CASE \text{ si } \vdash c \rightarrow c' \text{ et } \vdash_{Expr} e \rightarrow e' \text{ alors } \vdash_{Case} Case(ConstructorPattern((n, c)), e) \rightarrow MatchPatTag(ConsNamed(n), c', e') (\text{VARPAT}) \text{ si } \vdash_{Expr} e \rightarrow e' \text{ alors } \vdash_{Case} Case(VarPattern(x), e, l) \rightarrow MatchPatVar((x, l), e', l) (\text{WILDPAT}) \text{ si } \vdash_{Expr} e \rightarrow e' \text{ alors } \vdash_{Case} Case(WildcardPattern(), e, l) \rightarrow MatchPatVar((n, l), e', l)
```