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RISK FACTORS

RISK FACTORS

PIE-CHART

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Syntax for Pie chart

```
pie(x, labels, main, col)
```


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Syntax for Histogram

```
hist(v,main,xlab,xlim,ylim,breaks,col,border)
```

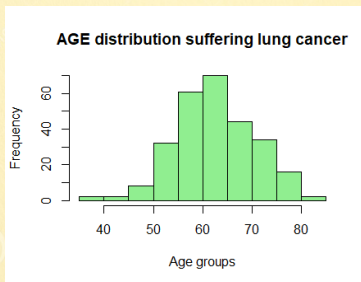


图 4: Age distribution suffering lung cancer

INTERPRETATION 60-65 age group is in more risk than others.

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Syntax for Barplot

```
barplot(H, xlab, ylab, main,col)
```

BARPLOT

Syntax for Barplot

```
barplot(H, xlab, ylab, main,col)
```

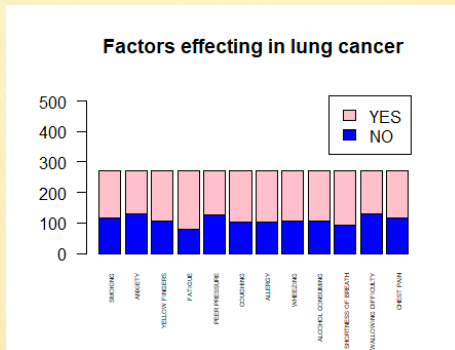


图 5: Factors effecting in lung cancer

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HEATMAP

- Correlation between each and every factors of our data.

HEATMAP

- Correlation between each and every factors of our data.



图 6: Heatmap

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LOGISTIC REGRESSION

Logistic Regression Model

$$\text{Logit}(p_i) = 1/(1 + \exp(-p_i))$$

$$\ln(p_i/(1 - p_i)) = \beta_0 + \beta_1 * X_1 + \dots + \beta_k * X_k$$

In this logistic regression equation, $\text{logit}(p_i)$ is the dependent or response variable and x is the independent variable. The beta parameter, or coefficient, in this model is commonly estimated via maximum likelihood estimation (MLE).

```
> summary(logistic_model)

Call:
glm(formula = LUNG_CANCER ~ ., family = binomial(), data = train)

Deviance Residuals:
    Min       1Q   Median       3Q      Max
-2.46835   0.00214   0.01849   0.13654   2.43803

Coefficients:
              Estimate Std. Error z value Pr(>|z|)
(Intercept)    -15.41386     4.21530   -3.657 0.000256 ***
GENDERM         -0.47702     1.01063   -0.472 0.636923
AGE             0.06718     0.03768    1.783 0.074585 .
SMOKING         4.58089     1.64650    2.782 0.005399 **
YELLOW_FINGERS  2.68033     1.17600    2.279 0.022655 *
ANXIETY         0.11886     1.19701    0.099 0.920899
PEER_PRESSURE   2.18619     1.09357    1.999 0.045595 *
CHRONIC_DISEASE 5.50127     1.82045    3.022 0.002512 **
FATIGUE         4.69539     1.47570    3.182 0.001464 **
ALLERGY         0.65779     1.15642    0.569 0.569482
WHEEZING        1.39511     1.29694    1.076 0.282064
ALCOHOL_CONSUMING 2.60999     1.30705    1.997 0.045841 *
COUGHING        3.55012     1.68159    2.111 0.034758 *
SHORTNESS_OF_BREATH -1.19793     1.31663   -0.910 0.362907
SWALLOWING_DIFFICULTY 4.81894     2.01262    2.394 0.016650 *
`CHEST-PAIN`    1.79482     1.05613    1.699 0.089237 .
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for binomial family taken to be 1)

    Null deviance: 170.382  on 215  degrees of freedom
Residual deviance:  47.568  on 200  degrees of freedom
AIC: 79.568

Number of Fisher Scoring iterations: 9
```

INTERPRETATION

- Each one-unit change in yellow fingers will increase the log odds of getting lung cancer by 2.68, and its p-value indicates that it is somewhat significant in determining the lung cancer.
- Each unit increase in peer pressure increases the log odds of getting lung cancer by 2.18 and p-value indicates that it is somewhat significant in determining the lung cancer.
- Similarly we can interpret for other factors also

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PROBITIC REGRESSION

Probit regression model

$$Pr(Y = 1|X) = \Phi(\beta_0 + \beta_1 X)$$

Where, Φ is the cumulative normal distribution function and $z = \beta_0 + \beta_1 X$ is the "z-value" or "z-index" of the probit model.

INTERPRETATION

- Each one-unit change in coughing will increase the z score of getting lung cancer by 0.09, and its p-value indicates that it is somewhat significant in determining the lung cancer.
- Each unit increase in peer pressure increases the z score of getting lung cancer by 0.105 and p-value indicates that it is somewhat significant in determining the lung cancer.
- Each unit increase in swallowing difficulty increases the z score of getting lung cancer by 0.102 and p-value indicates that it is somewhat significant in determining the lung cancer.

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POISSON REGRESSION

Poisson regression model

If $\mathbf{x} \in \mathbb{R}^n$ is a vector of independent variables, then the model takes the form

$$\log(E(Y | \mathbf{x})) = \alpha + \beta' \mathbf{x}$$

POISSON REGRESSION

Poisson regression model

If $\mathbf{x} \in \mathbb{R}^n$ is a vector of independent variables, then the model takes the form

$$\log(E(Y | \mathbf{x})) = \alpha + \beta' \mathbf{x}$$

where

$\alpha \in \mathbb{R}$ and $\beta \in \mathbb{R}^n$. Sometimes this is written more compactly as

$$\log(E(Y | \mathbf{x})) = \theta' \mathbf{x},$$

where \mathbf{x} is now an $(n + 1)$ -dimensional vector consisting of n independent variables concatenated to the number one. Here

θ is simply α concatenated to β

Thus, when given a Poisson regression model θ and an input vector

\mathbf{x} , the predicted mean of the associated Poisson distribution is given by $E(Y | \mathbf{x}) = e^{\theta' \mathbf{x}}$

If Y_i are independent observations with corresponding values \mathbf{x}_i of the predictor variables, then θ can be estimated by maximum likelihood.

```
> summary(PoissonRegression)
```

```
Call:
```

```
glm(formula = LUNG_CANCER ~ ., family = poisson(), data = train)
```

```
Deviance Residuals:
```

```
      Min       1Q   Median       3Q      Max
-1.25937  -0.13523   0.04693   0.19814   0.75471
```

```
Coefficients:
```

	Estimate	Std. Error	z value	Pr(> z)
(Intercept)	-1.437019	0.666699	-2.155	0.0311 *
GENDERM	0.020595	0.179859	0.115	0.9088
AGE	0.003033	0.009368	0.324	0.7461
SMOKING	0.135289	0.159750	0.847	0.3971
YELLOW_FINGERS	0.181304	0.197778	0.917	0.3593
ANXIETY	0.114933	0.212174	0.542	0.5880
PEER_PRESSURE	0.128508	0.191831	0.670	0.5029
CHRONIC_DISEASE	0.129527	0.159998	0.810	0.4182
FATIGUE	0.251490	0.202072	1.245	0.2133
ALLERGY	0.180764	0.168859	1.071	0.2844
WHEEZING	0.090697	0.165784	0.547	0.5843
ALCOHOL_CONSUMING	0.293513	0.197234	1.488	0.1367
COUGHING	0.122862	0.181749	0.676	0.4990
SHORTNESS_OF_BREATH	0.077808	0.195013	0.399	0.6899
SWALLOWING_DIFFICULTY	0.130352	0.190290	0.685	0.4933
`CHEST-PAIN`	0.048356	0.167956	0.288	0.7734

```
---
```

```
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
(Dispersion parameter for poisson family taken to be 1)
```

```
Null deviance: 53.920 on 215 degrees of freedom
```

```
Residual deviance: 39.409 on 200 degrees of freedom
```

```
AIC: 445.41
```

```
Number of Fisher Scoring iterations: 5
```

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COMPARISON BETWEEN REGRESSION MODELS

$$AIC = 2K - 2\ln(L)$$

The model with the lowest AIC offers the best fit.

COMPARISON BETWEEN REGRESSION MODELS

$$AIC = 2K - 2\ln(L)$$

The model with the lowest AIC offers the best fit.

AIC of **Probistic** model (AIC=45.962) is *lower* than logistic model (AIC=79.568) and regression with poisson family (AIC= 445.41). So we may conclude that ***Probistic model is better fit*** for this model.

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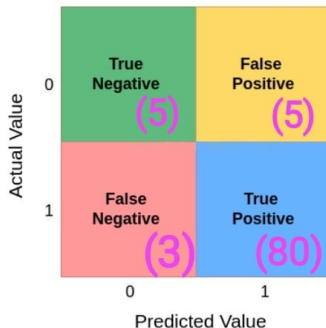
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CONFUSION MATRIX



$$\text{Accuracy} = 0.914$$

INTERPRETATION OF CONFUSION MATRIX

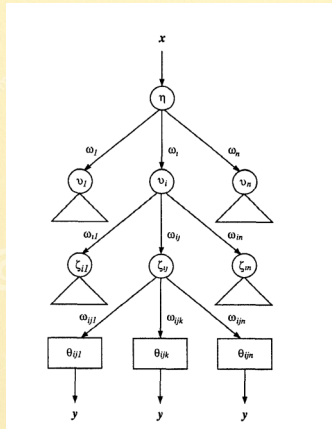
- 1 Positive class are $80+3=83$ Negative class, which is $(5+5)=10$
- 2 Correct classifications are the diagonal elements of the matrix 80 for the positive class and 5 for the negative class.
- 3 3 samples (bottom-left box) were expected to be of the positive class but were classified as the "negative" by the model 5 samples (top-right box) were expected to be of negative class but were classified as "positive" by the model

Probabilistic model of a decision tree

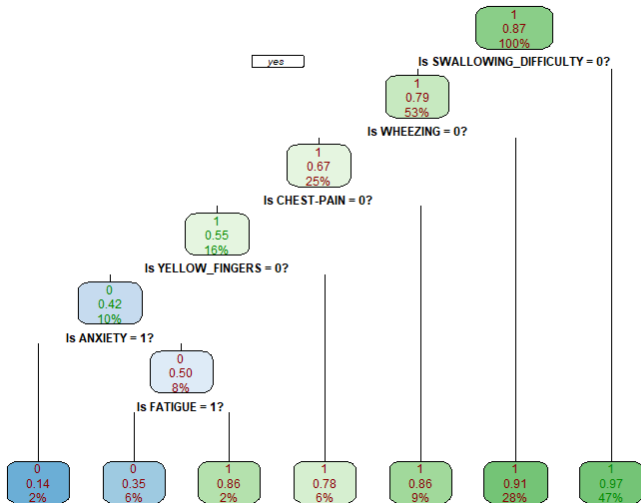
- A probabilistic model of a decision tree involves a sequence of probabilistic decisions, each conditional on the input z and conditional on previous decisions.

Probabilistic model of a decision tree

- A probabilistic model of a decision tree involves a sequence of probabilistic decisions, each conditional on the input z and conditional on previous decisions.



DECISION TREE BASED ON HOSPITAL DATA



Interpret the probability of getting lung cancer II

- ⑩ $P(6\% \text{ of the } (9) \text{ population} \mid \text{no swallowing difficulty, no wheezing, no chest pain, no yellow fingers, no anxiety, fatigue}) = 0.35$
- ⑪ $P(2\% \text{ of the } (9) \text{ population} \mid \text{no swallowing difficulty, no wheezing, no chest pain, no yellow fingers, no anxiety, no fatigue}) = 0.14$

LUNG CANCER
assorted arguments
fallen.leaves = FALSE

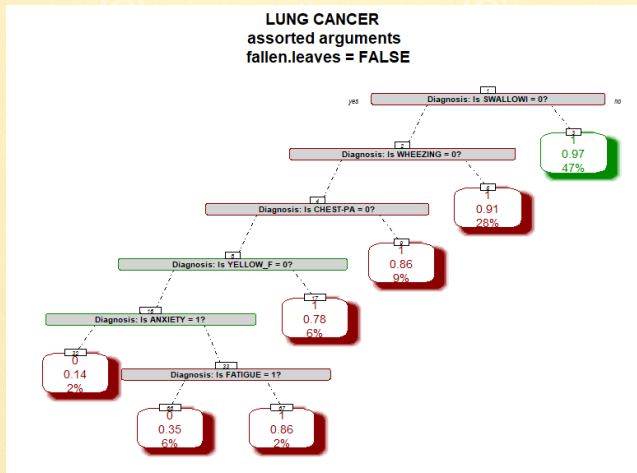


图 9: Another representation of decision tree

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- **If the medical reports of the sample (the population taken for survey) are available or if the symptoms of the sample population are observed, then this project will be useful to find out the chance how many among the sample population will get lung cancer in future.**
- **Thus the project can be a medical forecast or maybe a medical support for the population on whom the survey is been conducted.**

6 REFERENCES

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- ## References

Book by Christopher R. Bilder and Thomas M. Loughin

Thank
You