

Alpha Trading Workflow

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TODO

- Input more effective factors: take advice from people and industry reports
- Quaterly Data and Annually data, how to use them? Decrease the system frequency to quaterly?
- Improve perfomance through deep learning or statistical models?
- Find well-known metrics to express results

Workflow

\checkmark stands for finished and \vartriangle stands for TODO

- Universe definition
- Factors collection and preprocessing
 - \triangle Factors collection
 - Sources
 - balance sheet
 - cash flow statement
 - income statement
 - earning report
 - Econometric Classifications
 - value
 - growth
 - profitability
 - market size
 - liquidity
 - volatility
 - Momentom
 - Financial leverage (debt-to-equity ratio)
 - Factors preprocessing
 - \triangle daily, quaterly, annually
 - continuous: rescale, outliers
 - \checkmark discrete: rank
- Factors screening and combination
 - Factors screening
 - \checkmark Factors' correlation
 - \checkmark Factors' foreseeablity
 - Fama-Macbeth regression
 - \triangle Factors combination

- PCA, FA
- Financial Modeling
- Linear combination to maximize Sharpe ratio
- Non-linear learning algorithms
 - ✓ AdaBoost
 - Reinforcement learning
- Portfolio allocation

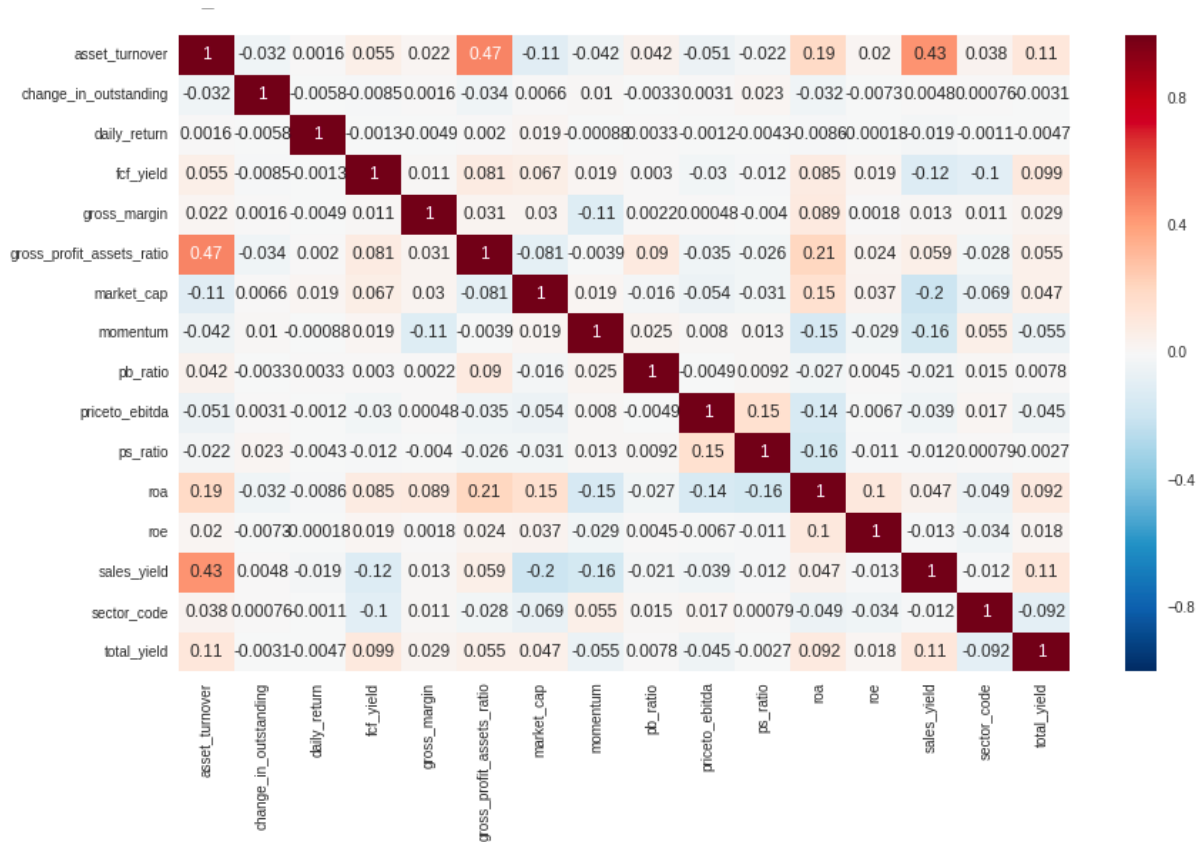
Factors' Correlations

Here, I use correlation matrix as the measure. The difference from the second result is that the correlation matrix is calculated by the rank data rather than the raw data

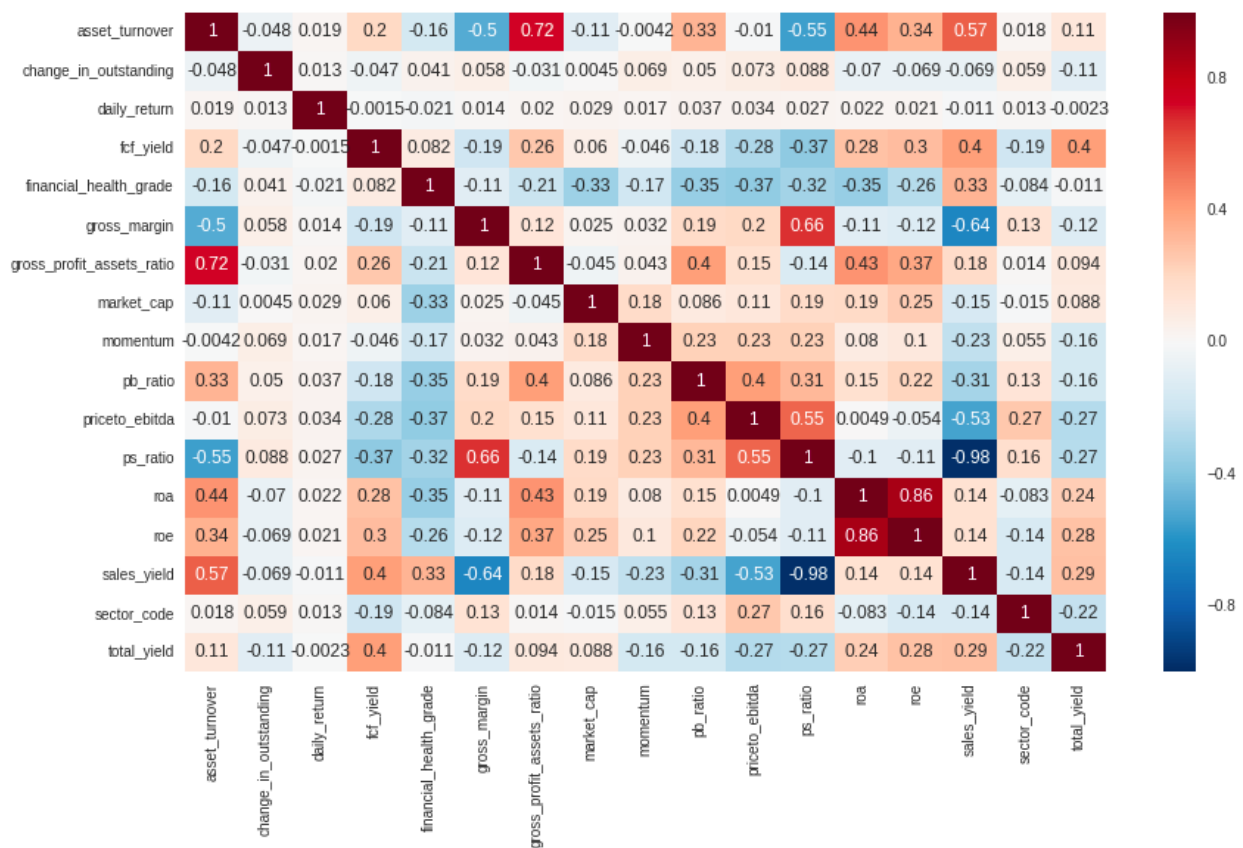
Two ICs comparison

- Pearson's IC: If the sample size is moderate or large and the population is normal, then, in the case of the bivariate normal distribution, the sample correlation coefficient is the maximum likelihood estimate of the population correlation coefficient, and is asymptotically unbiased and efficient, which roughly means that it is impossible to construct a more accurate estimate than the sample correlation coefficient. The number itself has no sense if you don't find a proper way or "common sense" to interpret it. Multi-variate Gaussian distribution give us such a common sense of how it should look like.
- Spearman's IC: while Pearson's correlation assesses linear relationships, Spearman's correlation assesses monotonic relationships (whether linear or not). Since we only care about the monotonic relationships. Spearman's IC wins.

Regular IC(Pearson's correlation coefficient) for each factors



Spearman's Rank correlation coefficient for each factors



How to rule out redundant factors and why Spearman's rank correlation coefficients?

From the correlation coefficients below, we can again conclude that Spearman's rank IC is far more robust.

Take ps_ratio and $sales_yield$ as a example. $ps_ratio = \frac{\text{adjusted close price}}{\text{sales per share}}$ whereas

$sales_yield = \frac{\text{sales per share}}{\text{price}}$ Although the price in $sales_yield$ formula is vague in our data source we can

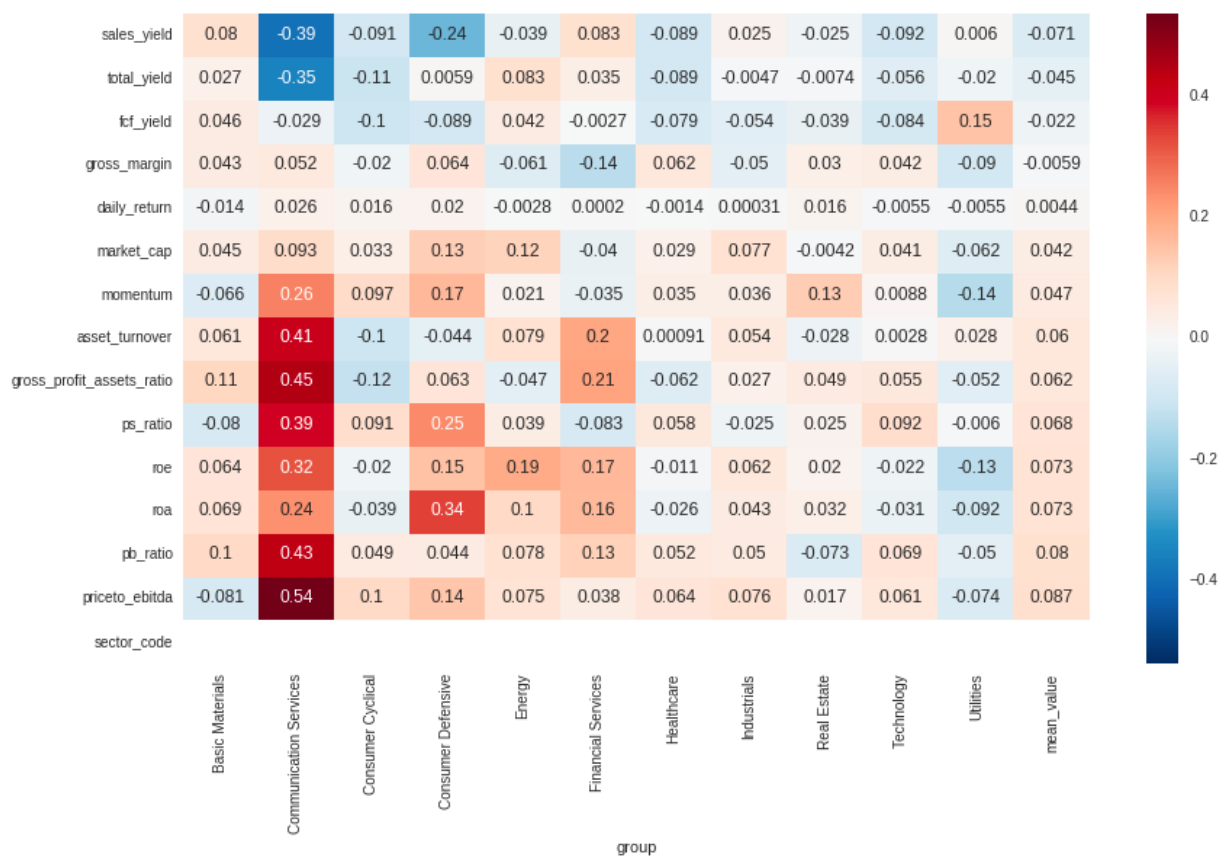
see roughly speaking, these two variable should be inverse of each other. The Spearman's rank correlation coefficient is -0.98 which verifies this statement, and we should avoid using both of these factors, which would exeggarate the impact of this peticular factor. However, we can not see such identity in the Pearson's regular correlation coefficients. It's quite misleading actually and that's why we choose Spearman's rank IC.

Factors' Foreseeability

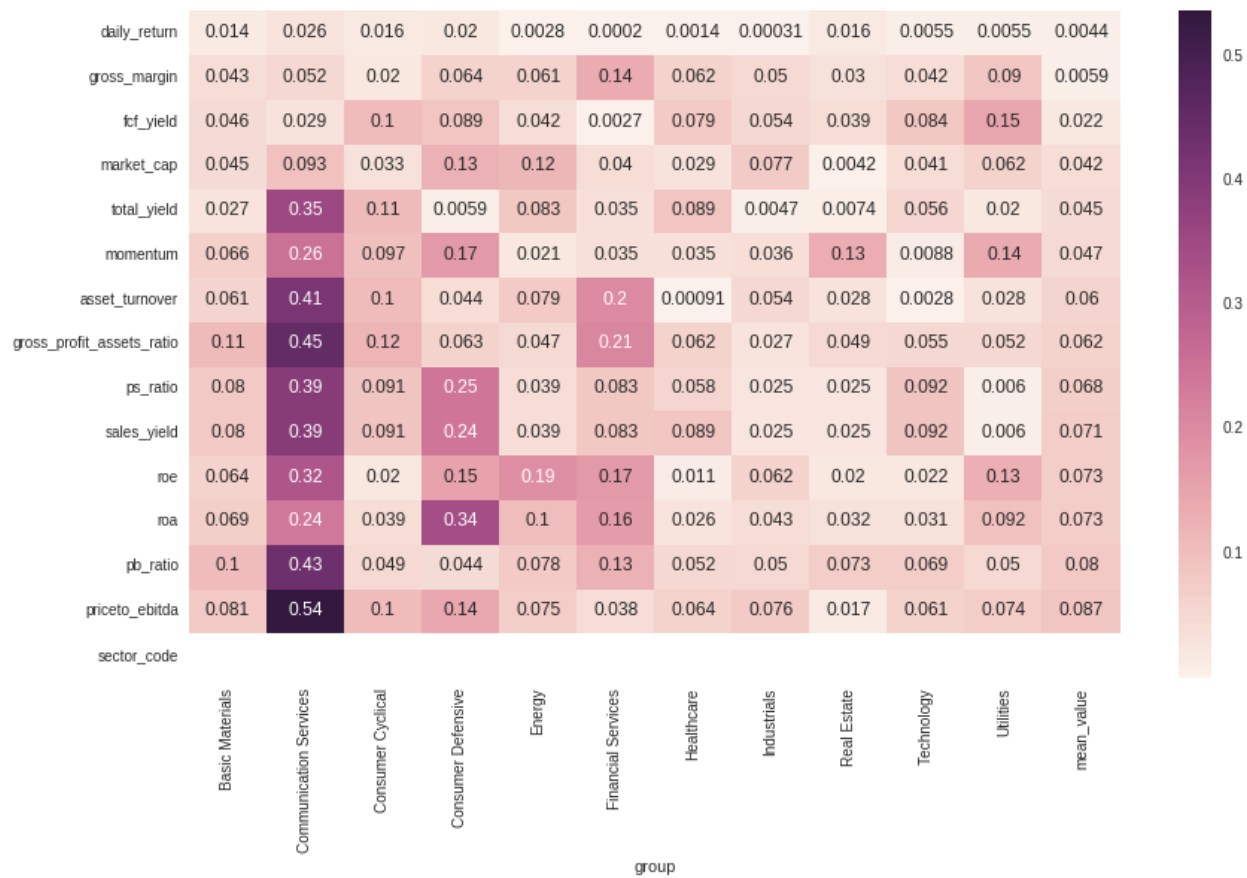
Mehods

- Spearman's rank correlation coefficients
- Fama-Macbeth regression: Not only consider the foreseeability of factors itself but also consider the co-vary of different factors, which means rule out factors if the returns can be explained by the recent factors.

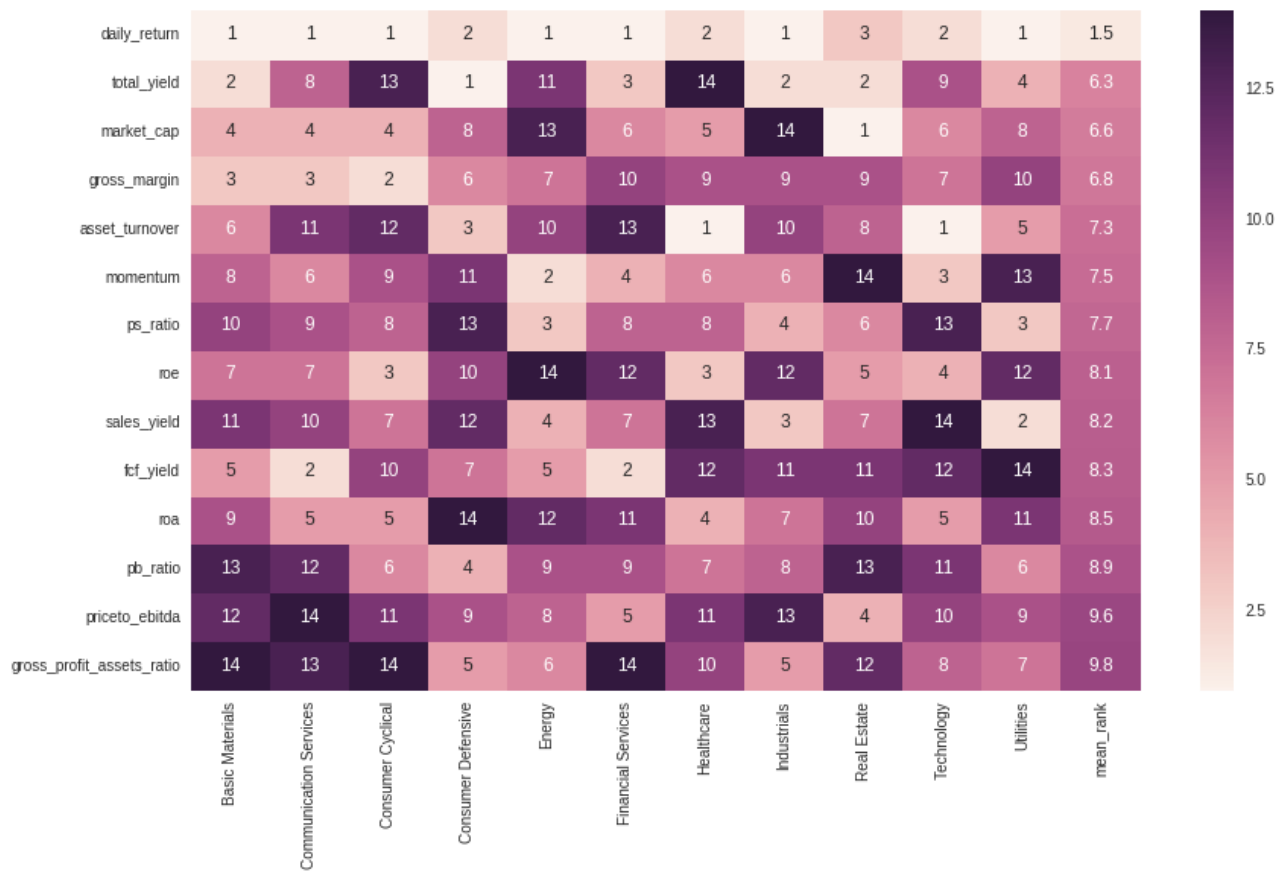
Spearman's rank IC for factors vs. forward returns



Spearman's rank IC (absolute value) for factors vs. forward returns



Rank of the Spearman's rank IC (absolute value) for factors vs. forward returns



Alpha Factor Combination

construct an aggregate alpha factor which has its return distribution profitable. The term "profitable" here means condense, little turnover, significant in the positive return.

Methods

linear methods

- normalize factors and try a linear combination
- rank each factor and then sum up
- Financial modeling
- linear combination to maximize Sharpe ratio

Non-linear methods

- AdaBoost
- Reinforcement Learning

AdaBoost

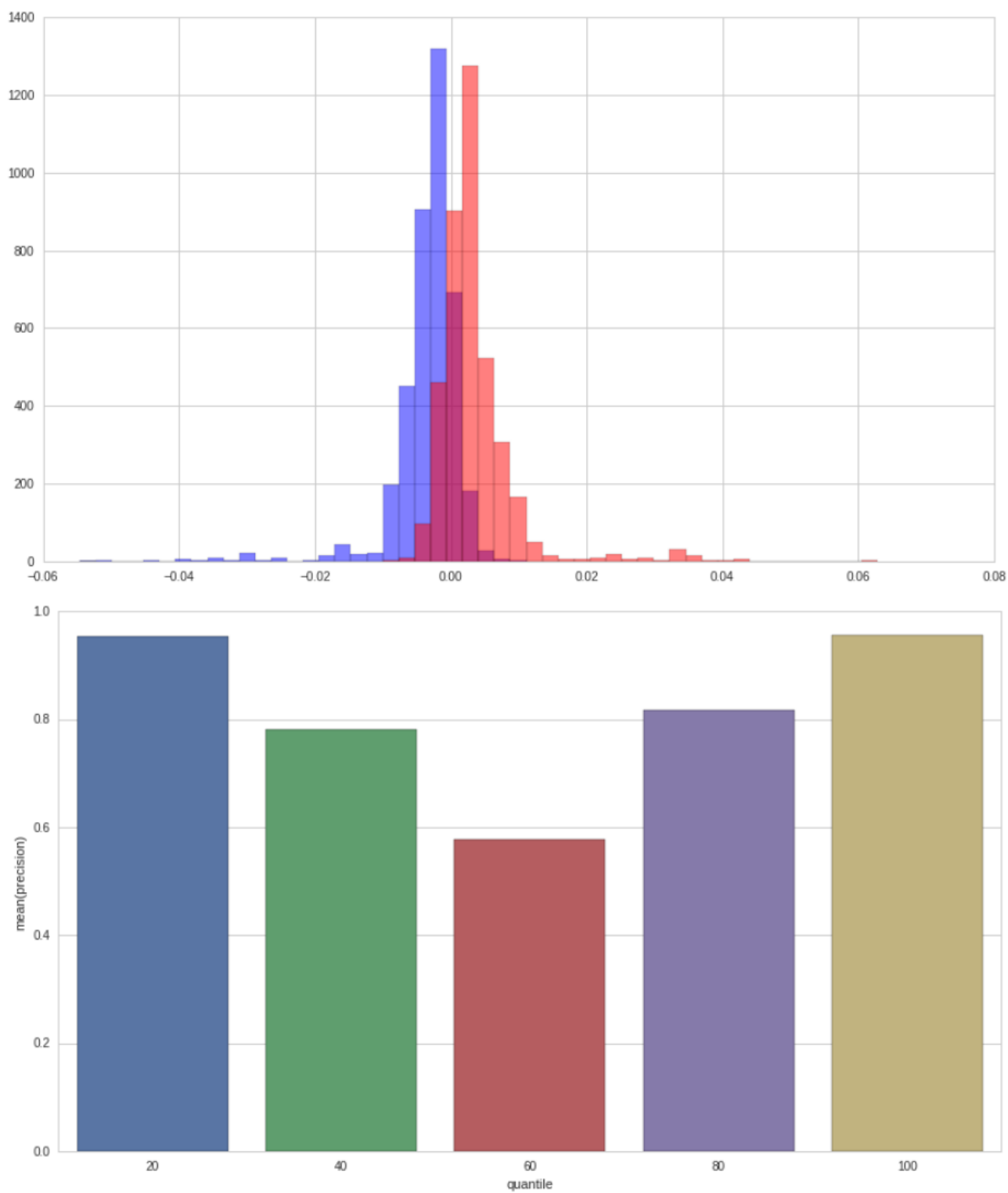
Description

The algorithm sequentially applies a weak classification to modified versions of the data. By increasing the weights of the missclassified observations, each weak learner focuses on the error of the previous one. The predictions are aggregated through a weighted majority vote.

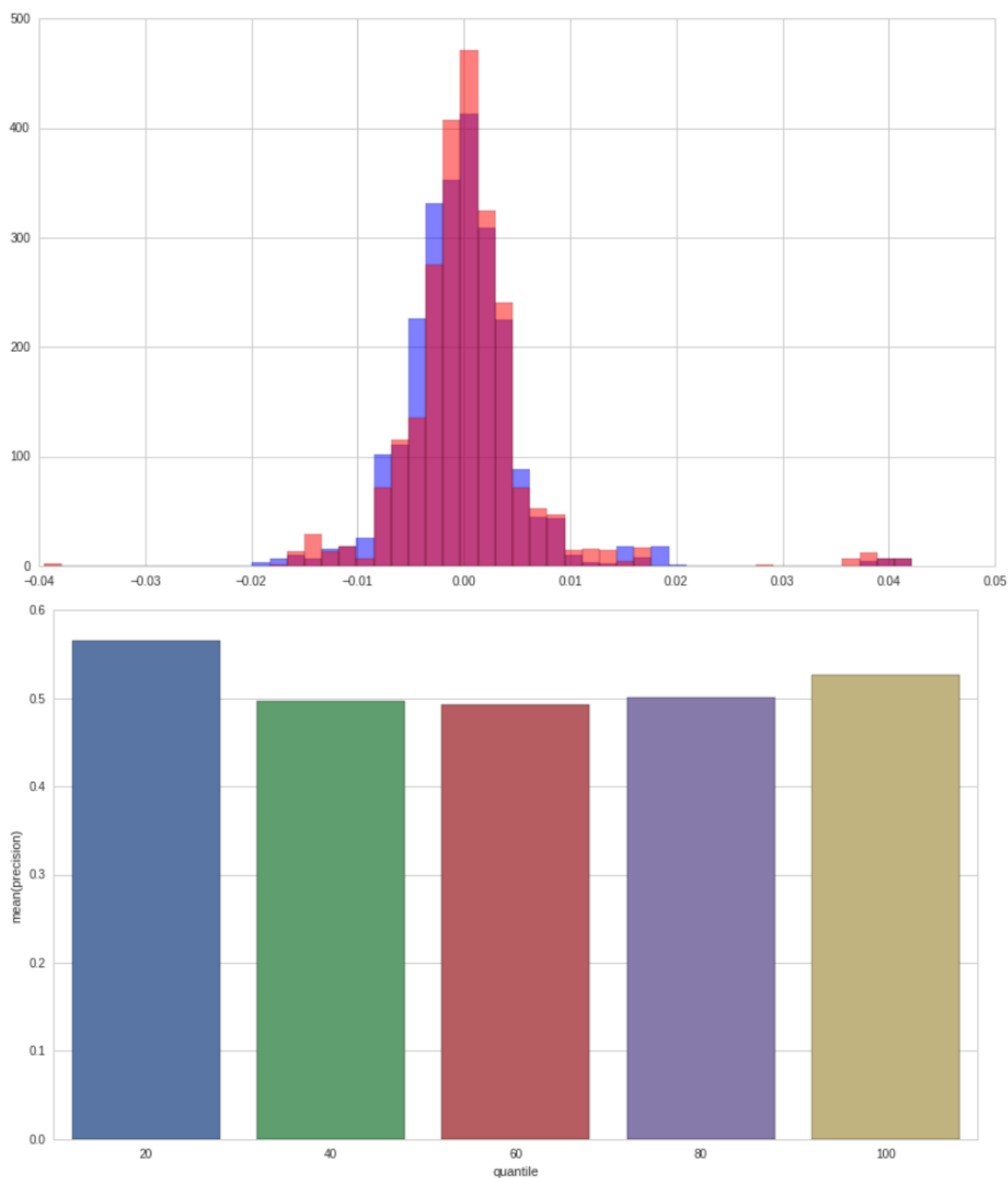
Algorithm

1. Initialize the observation weights $w_i = 1/N$, $i = 1, 2, \dots, N$.
2. For $m = 1$ to M :
 - (a) Fit a classifier $G_m(x)$ to the training data using weights w_i .
 - (b) Compute
$$\text{err}_m = \frac{\sum_{i=1}^N w_i I(y_i \neq G_m(x_i))}{\sum_{i=1}^N w_i}.$$
 - (c) Compute $\alpha_m = \log((1 - \text{err}_m)/\text{err}_m)$.
 - (d) Set $w_i \leftarrow w_i \cdot \exp[\alpha_m \cdot I(y_i \neq G_m(x_i))]$, $i = 1, 2, \dots, N$.
3. Output $G(x) = \text{sign} \left[\sum_{m=1}^M \alpha_m G_m(x) \right]$.

Train set



Test set



References

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