

# Practical - 1

Ques.1) Solve  $yu_y - xu_x = 1$

```
In[*]:= DSolve[y * D[u[x, y], y] - x * D[u[x, y], x] == 1, u[x, y], {x, y}]
```

```
Out[*]:= {{u[x, y] -> -Log[x] + C1[x y]}}
```

Ques.2) Solve  $u_x - yu_y = 0$

```
In[*]:= DSolve[D[u[x, y], x] - y * D[u[x, y], y] == 0, u[x, y], {x, y}]
```

```
Out[*]:= {{u[x, y] -> C1[e^x y]}}
```

Ques.3) Solve  $(1+x^2)u_x - u_y = 0$

```
In[*]:= DSolve[(1 + x^2) * D[u[x, y], y] - D[u[x, y], x] == 0, u[x, y], {x, y}]
```

```
Out[*]:= {{u[x, y] -> C1[x]}}
```

Ques.4) Solve  $y^2 u_x - xyu_y = x(u - 2y)$

```
In[*]:= DSolve[y^2 * D[u[x, y], x] - x * y * D[u[x, y], y] == x (u[x, y] - 2 y), u[x, y], {x, y}]
```

```
Out[*]:= {{u[x, y] ->  $\frac{-x^2 \sqrt{-y^2} + \sqrt{y^2} C1[\frac{1}{2}(x^2 + y^2)]}{\sqrt{-y^2} \sqrt{y^2}}$ }, {u[x, y] ->  $\frac{x^2 \sqrt{-y^2} + \sqrt{y^2} C1[\frac{1}{2}(x^2 + y^2)]}{\sqrt{-y^2} \sqrt{y^2}}$ }}
```

```
In[*]:= Clear All
```

```
Out[*]:= All Clear
```

Ques.5) Solve  $xu_x - yu_y = u$

```
In[*]:= DSolve[x * D[u[x, y], x] + y * D[u[x, y], y] == u[x, y], u[x, y], {x, y}]
```

```
Out[*]:= {{u[x, y] -> x C1[\frac{y}{x}]}}
```

Ques.6) Solve  $xu_x - yu_y = u$

```
In[*]:= Clear All
```

```
Out[*]:= All Clear
```