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## Q4: k-CSPs

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Let a  $k$ -CSP be a CSP where the solution is allowed to have  $k$  violated constraints. We would like to modify the classic CSP algorithm to solve  $k$ -CSPs. The classic backtracking algorithm is shown below. To modify it to solve  $k$ -CSPs, we need to change line 15. Note that  $k$  is used to denote the number of allowable violated constraints.

```
1: function K-CSP-BACKTRACKING(csp, k)
2:   return Recursive-Backtracking({}, csp, k)
3: end function

1: function RECURSIVE-BACKTRACKING(assignment, csp, k)
2:   if assignment is complete then
3:     return assignment
4:   end if
5:   var ← Select-Unassigned-Variable(Variables[csp], assignment, csp)
6:   for each value in Order-Domain-Values(var, assignment, csp) do
7:     if value is consistent with assignment given Constraints(csp) then
8:       add {var = value} to assignment
9:       result ← Recursive-Backtracking(assignment, csp, k)
10:      if result ≠ failure then
11:        return result
12:      end if
13:      remove {var = value} from assignment
14:    else
15:      

continue


16:    end if
17:  end for
18:  return failure
19: end function
```

## Part 1

0.0/5.0 points (graded)

If each of the following blocks of code were to replace line 15, which code block(s) would yield a correct algorithm for solving k-CSPS?



```
add {var = value} to assignment
n = Get-Total-Number-of-Constraints-Violated(
    assignment, csp)
if  $n \leq k$  then
    result  $\leftarrow$  Recursive-Backtracking(
        assignment, csp, k)
    if result  $\neq$  failure then
        return result
    end if
end if
remove {var = value} from assignment
```



```
add {var = value} to assignment
n = Get-Total-Number-of-Constraints-Violated(
    assignment, csp)
if  $n \leq k$  then
    Filter-Domains-with-Forward-Checking()
    result  $\leftarrow$  Recursive-Backtracking(
        assignment, csp, k)
    if result  $\neq$  failure then
        return result
    end if
    Undo-Filter-Domains-with-Fwd-Checking()
end if
remove {var = value} from assignment
```



```

add {var = value} to assignment
n = Get-Total-Number-of-Constraints-Violated(
    assignment, csp)
if  $n \leq k$  then
    if Is-Tree(Unassigned-Variables[csp]) then
        result  $\leftarrow$  Tree-Structured-CSP-Algorithm(
            assignment, csp)
    else
        result  $\leftarrow$  Recursive-Backtracking(
            assignment, csp, k)
    end if
    if result  $\neq$  failure then
        return result
    end if
end if
remove {var = value} from assignment

```



```

add {var = value} to assignment
n = Get-Total-Number-of-Constraints-Violated(
    assignment, csp)
if  $n \leq k$  then
    Filter-Domains-with-Arc-Consistency()
    result  $\leftarrow$  Recursive-Backtracking(
        assignment, csp, k)
    if result  $\neq$  failure then
        return result
    end if
    Undo-Filter-Domains-with-Arc-Consistency()
end if
remove {var = value} from assignment

```



None of the code blocks

### Explanation

For this formulation, we want to only backtrack when more than  $k$  constraints are violated. If there are fewer than  $k$ , we can assign the current variable to a constrained value and continue the algorithm. The first code block provides the correct implementation. The second option using a tree structured CSP algorithm will incorrectly return failure if there is no solution with only  $i + 1$  constraints violated (where  $i + 1$  may be less than  $k$ ). The third and fourth option filter the domains of the remaining variables. If a variable's domain is filtered, then the recursive-backtracking call will only consider values in the filtered domain rather than values which violate a constraint, potentially causing the code to miss the solution.

Submit

You have used 0 of 2 attempts

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**i** Answers are displayed within the problem

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