

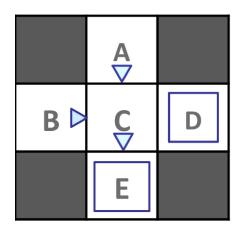
Course > Week 8 > Home... > hw5\_rl...

## hw5\_rl\_q3\_direct\_evaluation

Question 3: Direct Evaluation

0.0/10.0 points (graded)

#### Input Policy $\pi$



Assume:  $\gamma = 1$ 

## **Observed Episodes (Training)**

#### Episode 1

A, south, C, -1 C, south, E, -1 E, exit, x, +10

# Episode 2

B, east, C, -1 C, south, D, -1 D, exit, x, -10

#### Episode 3

B, east, C, -1 C, south, E, -1 E, exit, x, +10

## Episode 4

A, south, C, -1 C, south, E, -1 E, exit, x, +10

What are the estimates for the following quantities as obtained by direct evaluation:

$${\hat V}^{\pi}\left(A
ight)=$$

8

Answer: 8

$${\hat V}^{\pi}\left( B
ight) =$$

-2

Answer: -2

$$\hat{V}^{\pi}\left( C
ight) =% {\displaystyle\int\limits_{0}^{\infty}} \left( C
ight) \left( C
i$$

4

Answer: 4

 $\hat{V}^{\pi}\left( D
ight) =% {\displaystyle\int\limits_{0}^{\infty}} \left( D
ight) \left( D
i$ 

-10

Answer: -10

 ${\hat V}^{\pi}\left( E
ight) =% {\displaystyle\int\limits_{0}^{\pi}} {\left( E
ight) } {\left( E
ight) } {\displaystyle\int\limits_{0}^{\pi}} {\left( E
ight) } {\left( E
ight) } {\displaystyle\int\limits_{0}^{\pi}} {\left( E
ight) } {\left( E
ight) } {\left( E
ight) } {\displaystyle\int\limits_{0}^{\pi}} {\left( E
ight) } {\left( E$ 

100

Answer: 10

The estimated value of  $\hat{V}^{\pi}\left(s\right)$  is equal to the average value achieved starting from that state.

 $\hat{V}^{\pi}$  (A): Episodes 1 and 4 start from state A and both result in a utility of 8.  $rac{8+8}{2}=8$ 

 $\hat{V}^{\pi}$  (B): Episodes 2 and 3 start from state B. Episode 2 results in -12, while episode 3 results in 8.  $\frac{8-12}{2}=-2$ 

 $\hat{V}^{\pi}$  (C): State C is visited in every episode. The remaining rewards from C in episodes 1, 3, and 4 total 9, while the remaining rewards in episode 2 total -11.  $\frac{9+9+9-11}{4}=4$ 

 $\hat{m{V}}^{\pi}$  ( $m{D}$ ): State D is only visited in episode 2 and has a remaining utility of -10.

 $\hat{V}^{\pi}$  (E): State E is visited in episodes 1, 3, and 4 and has a remaining utility of 10 in each state.  $\frac{10+10+10}{3}=10$ 

Submit

• Answers are displayed within the problem