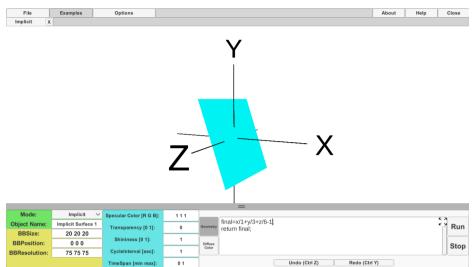
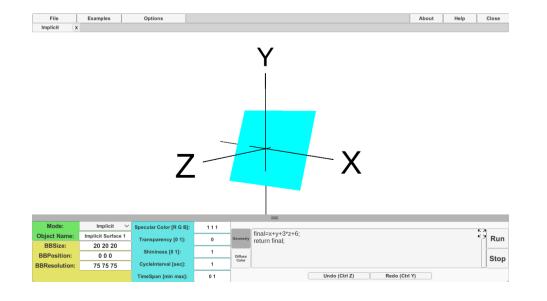
Q1. implicit function: $\frac{x}{1} + \frac{y}{3} + \frac{2}{6} - 1 = 0$ N2202781D Nie Yuhe



Qz the orthogonal line pass through $P(2,-1,1) \quad u=0$ $Pz(3,0,4) \quad u=1$ one of the vector that orthogonal to the plane is N = Pz - P1 = (1,1,3)... the plane passes through (1,2,-3)... the implicit function of the plane is $1 \cdot (x-1) + 1 \cdot (y-z) + 3 \cdot (z+3) = 0$ $\Rightarrow x+y+3z+6 = 0$

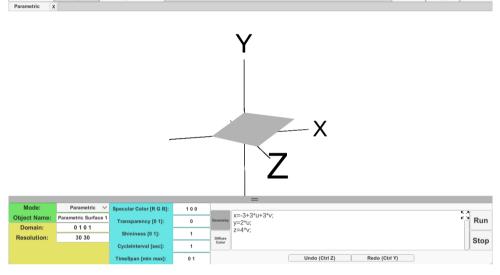


Q3
$$P_1 = (-3,0,0)$$

 $P_2 = (0,2,0)$
 $P_3 = (0,0,4)$

7hen
$$P = P_1 + u(P_2 - P_1) + v(P_3 - P_1)$$

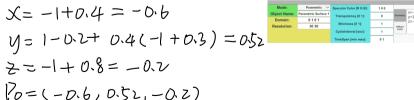
 $\begin{cases} x = -3 + 3u + 3v \\ y = 2u \\ z = 4v \end{cases}$

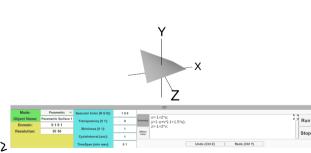


(a)
$$P = (-1, 1, -1) + \mathcal{U}(2, -1, 0) + \mathcal{V}((0, -1, 2) + \mathcal{U}(0, 1, 5, 0))$$

$$\begin{cases} X = -1 + 2U \\ Y = 1 - u + V(-1 + 1.5u) \\ 2 = -1 + 2V \end{cases}$$

1b) U=DZ, V=04 X = -1 + 0.4 = -0.6





We need to find the interpercetron of three lines

$$P_1: \{1+2u=3-t\} \} \{u=1\} \Rightarrow P_1(3,2,0) \} \{1+u=2+t\} \Rightarrow \{u=1\} \Rightarrow P_2(3,2,0) \} \{1-u=4-3+t\} \} \{1+u=3-2+t\} \Rightarrow \{1+2u=2-t\} \} \{1+u=3-2+t\} \Rightarrow \{1+u=3-2+t\} \} \{1+u$$

Suppose P4=P3=(1,1,1)

$$P = P_{1} + u (P_{2} - P_{1}) + v (P_{3} - P_{1} + u (P_{4} - P_{3} - (P_{2} - P_{1})))$$

$$P = (3,2,0) + u (-1,1,4) + v ((-2,-1,1) + u (1,-1,-4))$$

$$S = 3 - u + v (-2 + u)$$

$$S = 2 + u + v (-1 - u)$$

$$S = 4u + v (1 - 4u)$$

