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The Vulnerable Space

Saturday, 12 September 2015

(N)ASM101 - 0x04 - Reversing Binaries - Part I (EasyCrack.exe)

In this tutorial we'll temporarily deviate from creating our own ASM programs and try to crack a binary which was created by someone else. Writing assembly is one skill, understanding it is another. The binary we'll be analysing can be found here. The keygen was created by Kwazy Webbit from the Reverse Engineering Team.

x86 Instructions

As with every tutorial we'll first cover the new instructions we'll be encountering during this reverse engineering task.

AND

The AND operator performs a bitwise AND of the operands and places the result in the first operand specified. To refresh your memory, the AND operator only returns TRUE if both operands are TRUE. The following is the truth table for this operator:

+		+								+
1					0		1	-	1	1
i	В	1	0	1	1	1				1
	A & B	i	0	1		1	0			 +

Some examples:

```
1 and eax, ebx ; EAX = EAX & EBX
2 and eax, 0Fh ; EAX = EAX & 0xF
3 and [esi], esp ; [ESI] = [ESI] & ESP
4 and [esi], dword 0ABCh ; [ESI] = [ESI] & 0x0ABC
```

LEA

LEA stands for Load Effective Address and is one of the data movement instructions. Let's look at a few examples:

The syntax used for LEA is quite misleading; even though the square brackets are used, the instruction does not reference memory but rather it evaluates the contents of the square brackets directly.

MOVZX & MOVSX

These instructions are special versions of the MOV instruction which are used to extended signed (MOVSX) and unsigned (MOVZX) registers to larger registers.

MOVZX stands for Move With Zero Extension. When data is moved from a register to a larger register, the value is prepended with zeroes. Some examples are:

```
1 movzx eax, bx ; if BX = 0x1000, then EAX = 0x00001000
2 movzx ebx, ax ; if AX = 0xFFFF, then EBX = 0x0000FFFF
3 movzx ax, b1 ; if BL = 0xFF, then AX = 0x00FF
4 movzx bx, a1 ; if AL = 0x7F, then BX = 0x007F
```

MOVSX stands for Move with Sign Extension. This time the resultant value is prepended with either zeros or ones depending on the sign of the original value, and hence the sign is preserved. Let's take the previous examples:

ROL & ROR

ROL stands for Rotate Left whereas ROR stands for Rotate Right. These instructions shift the bits of the destination to the left/right a number of times; the data that slides off the end of the register is inserted back from the right/left. The following table should clear things up:

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It stands to reason that rolling a 32-bit register 33 times is the same as rolling it in the same direction once, hence if say the value of a register has to be rolled X times, where X is a large number, instead roll it X % 32 times.

MUL (IMUL) & DIV (IDIV)

As you've probably guessed MUL performs multiplication while DIV performs Division; IMUL and IDIV are the signed versions.

Although in real life these are basic operations, they might be tricky to handle for the CPU which has a limited number of fixed-sized registers to work with. This is because when multiplying 2 large numbers, the result can be too large to fit into a single register; when dividing, the result can be a decimal number with a decimal part which is too long to fit into a single register. To solve this issue, 2 registers are used, namely EAX, the main register, and EDX.

Let's see some examples on how these 2 registers are used to store the results:

Notice how both of these functions can make use of EAX, the accumulator register, without explicit declaration. As mentioned earlier, the EDX register is used as a secondary storage for overflows in multiplications and remainders in divisions. Another interesting thing to notice is that MUL always operates and stores the result in EAX/AX/AL and hence the following instruction is invalid:

```
1 mul ecx, 1Fh ; ECX = ECX * 0x1F <- INVALID
```

SBB

SBB is Subtract with Borrow/Carry. It differs slightly from the traditional subtract, i.e. SUB, in that if the Carry Flag is set, it subtracts 1 extra, otherwise it's exactly the same. For example:

```
1 sbb ax, 10h (CF = 1) ; if EAX was 0x0050, then EAX = 0x003F 
2 sbb ax, 10h (CF = 0) ; if EAX was 0x0050, then EAX = 0x0040
```

JA(JG), JAE(JGE), JB(JL) & JBE(JLE)

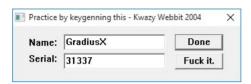
These operators are different conditional jump instructions which operate on either signed or unsigned values. The following is a summary table which contains a self-explanatory description and the jump conditions for each:

+-			·+
İ	Mnemonic	Meaning	Jump Condition
İ	JA	Jump if Above	CF=0 & ZF=0
	JAE	Jump if Above or Equal	CF=0
1	JВ	Jump if Below	CF=1
1	JBE	Jump if Below or Equal	CF=1 ZF=1
	JG	Jump if Greater (signed)	ZF=0 & SF=OF

JGE Jump if Greater or Equal (s	signed) SF=OF
JL Jump if Less (signed)	SF!=OF
JLE Jump if Less or Equal (s	igned) ZF=1 SF!=OF

The Binary

Finally we've made it to the interesting bit. The binary presents us with a tiny window and 2 text fields named **Name** and **Serial**, the latter of which can only be numerical. Let's try our luck ...



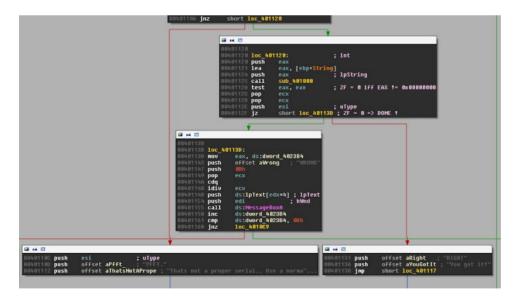
... anddddd ...



... nope nothing. At this point we don't know if it is expecting a specific **Name** and **Serial**, or maybe a specific **Name** and a derived **Serial** or even any **Name** and a **Serial** number which is derived from it. So let's look at it under IDA.

Identifying Important Areas

Looking at the strings present in the binary, we notice 2 very interesting ones, "RIGHT" and "You got it!". We know that that's where we need to end up so lets start from there. My personal strategy when tackling binaries in which I known what the point I want to reach is, is to start from there and work my way up as much as I can. Let's apply this.



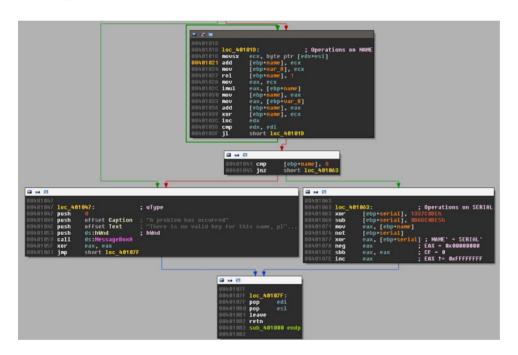
Moving backwards from the desired result, we start identifying the conditions that have to be met:

- $1. \ \textbf{[0x0040112F] jz short loc_40113D} \textbf{The Zero Flag must} \ be \ zero \ for \ the \ program \ to \ take \ the \ correct \ path$
- 2. [0x0040112A] test eax, eax Since we require ZF to be zero, EAX must NOT be 0x00000000.
- 3. [0x00401125] call sub_401000 This requires further investigation but we know that when it ends, EAX cannot be zero

Before diving into this unknown function let's see if anything of interest happens before it is reached.

We notice 2 system calls: GetDlgItemTextA and GetDlgItemInt. According to MSDN, GetDlgItemTextA "retrieves the title or text associated with a control in a dialog box" while GetDlgItemInt "translates the text of a specified control in a dialog box into an integer value". These functions retrieve the values for **Name** and **Serial** from the textboxes. It seems that nothing of interest happens prior to function sub_401000, so let's focus on it.

The Main Fuction



The function is manageable but we can still weed out some irrelevant parts so we can focus on the core functionality. Once again we start from the bottom:

- 1. [0x0040107D] inc eax EAX cannot be 0xFFFFFFFF (Recall: EAX cannot be 0 when the function ends)
- $2. \ \textbf{[0x0040107E] sbb eax, eax Subtracting a number from itself gives zero, so \ CF has to be zero, else we get \ EAX = -1 \\$
- 3. [0x0040107A] neg eax Only EAX = 0x00000000 will not set the Carry Flag
- 4. [0x00401077] xor eax, [ebp+serial] -To end up with a EAX = 0x00000000, EAX must be equal to [ebp+serial]

Let's stop there for the time being and move to the top. We skip the top most part (not shown in the image above) since it only checks if the length of **Name** is 0.

The subsequent section loads the name we've supplied and loops over each character, each time operating on [cbp+name]. By the end of the loop [cbp+name] holds the result. Let us name this end result **Name'**, since it is derived from **Name**. To keep things simple, and also since we'll be solving the binary for a specific input, we do not need to know exactly what the operations performed on **Name**, to produce **Name'**, are. The only thing we need to know is the value of **Name'**. By setting a break point at the end of the function, we get **Name'** = 0x01E55668.

With the value of Name' in hand, we can focus on the last part of the function. I've displayed this here for reference:

```
@ ra \ \begin{align*}
@8461863 & \text{86481863} & \text{10C_481863} & \text{10C_48186
```

As a reminder from the previous analysis, we require the XOR function at address 0x00401077 to result in a 0. The XOR's operands are **Name'** and **Serial'**, where **Serial'** is the resultant of **Serial** after some operations have been performed on it; we'll see what these operations are. This means that at this point, **SERIAL'** and **NAME'** have to be equal and we already know that **Name'** = 0x01E55668.

From the image above we can see that the operations on **Serial** are:

- 1. XOR Serial with 0x1337C0DE
- 2. SUB result with 0xBADC0DE5
- 3. NOT result

Combining these we end up with a formula with which we can work out what the **Serial** for our **Name** must be. Let's see how it's done

```
NOT (( Serial ^ 0x1337C0DE ) - 0xBADC0DE5) = 0x01E55668

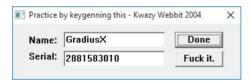
=> ( Serial ^ 0x1337C0DE ) - 0xBADC0DE5 = 0xFE1AA997

=> Serial ^ 0x1337C0DE = 0xB8F6B77C

=> Serial = 0xABC177A2

=> Serial = 2881583010
```

Combining everything together we try our luck again ...



... and ..



... we've done it !!

Conclusion

It was a long, bumpy road but at the end we've manage to find a **Name-Serial** pair that worked. As an exercise I suggest solving the keygen for a different **Name** or even for an arbitrary **Name**.

The plan for the next reverse engineering tutorial is to cover one of the Flare-on challenges so stay tuned .. じゃぁ、また

Posted by Francesco Mifsud at 02:37 No comments:

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