

### **1A.**

The null hypothesis is that the level of sugar in the drinks is equal to 10 grams as per the recipe, while the Alternative hypothesis is that the level of sugar in the drinks is different from 10 grams.

$\mu = 10$  (Alternate):  $\mu \neq 10$

Where  $\mu$  is the population mean sugar level in the drinks.

### **1B.**

A 2-sample t-test with the same variances is the most appropriate because we are comparing the mean sugar level of the sample to the known value of 10 grams, I think.

### **1C.**

```
> Drink_sugar=c(9.976959, 10.012098, 9.963002, 9.998574, 10.002431, 10.036959,
0.014752, 9.985491, 10.026681,9.981070, 10.011058, 9.958206, 10.047110,
9.931327, 9.980533, 9.982266, 9.956010, 9.992339, 9.957293, 9.907988, 9.983450,
10.018341, 9.979281, 9.931443, 10.019777)
```

```
> t.test(Drink_sugar, mu=10)
```

One Sample t-test

data: Drink\_sugar

t = -1.0375, df = 24, p-value = 0.3098

alternative hypothesis: true mean is not equal to 10

95 percent confidence interval:

8.762958 10.409397

sample estimates:

mean of x

9.586178

p-value = 0.3098

This is less than 0.05, so we reject the null hypothesis

### **2A.**

The best-test to address this question is a paired two-sample t-test since the data comes from the same source, and we are comparing the mean sales before and after the discount.

### **2B.**

The Null hypothesis is that there is no difference in the average sales before and after the discount program. The Alternative hypothesis is that there is a statistical difference in the average sales before and after the discount program.

Null hypothesis:  $\mu_{\text{before}} = \mu_{\text{after}}$

Alternative hypothesis:  $\mu_{\text{before}} \neq \mu_{\text{after}}$

Where  $\mu_{\text{before}}$  is the population mean of daily sales before the discount program, and  $\mu_{\text{after}}$  is the population mean of daily sales after the discount program.

### **2C.**

```
> Daily_Sale_Before_Discount_Program = c(49971.98, 49988.49, 50077.94,  
50003.53, 50006.46, 50085.75, 50023.05)  
  
> Daily_Sale_After_Discount_Program = c(50011.75, 50040.66, 50052.72, 50136.20,  
50092.99, 50095.04, 50080.53)  
  
>  
  
>  
  
> t.test(Daily_Sale_Before_Discount_Program, Daily_Sale_After_Discount_Program,  
paired = TRUE)
```

Paired t-test

data: Daily\_Sale\_Before\_Discount\_Program and Daily\_Sale\_After\_Discount\_Program

$t = -2.6103$ ,  $df = 6$ ,  $p\text{-value} = 0.04011$

alternative hypothesis: true mean difference is not equal to 0

95 percent confidence interval:

-97.615451 -3.153121

sample estimates:

mean difference

-50.38429

Since the **pValue** is  $p\text{-value} = 0.04011$  we can safely reject the null hypothesis