

## Internal Question EC 801C

**Time-60min**

**Total Marks-20**

1) For (7,3) cyclic code with generator polynomial  $g(x) = x^4 + x^3 + x^2 + 1$ , Design the encoder circuit for  $i = (1 \ 1 \ 0)$  & also find the corresponding codeword. **7+5**

2.i) State the properties of Linear Block code. Determine the non-systematic codeword polynomial for  $i = (1 \ 1 \ 0 \ 0)$  of (7,4) code. **5**

ii) Define Hamming weight & Hamming distance with example. **3**

1. i) Given that,  $x^{15} + 1 = (x + 1)(x^2 + x + 1)(x^4 + x + 1)(x^4 + x^3 + 1)(x^4 + x^3 + x^2 + x + 1)$

Determine (a) the number of cyclic codes with block length 15.

(b) the number of (15,11) cyclic codes & what are they.

(c) the generator polynomials for the (15,7) cyclic codes. **7+4+4**

2. The (5,3) linear code has Generator Matrix  $G = \begin{bmatrix} 1 & 0 & 1 & 0 & 0 \\ 0 & 1 & 0 & 0 & 1 \\ 0 & 1 & 1 & 1 & 0 \end{bmatrix}$ . Prove that  $GH^T = 0$

**5**

1) (i) For (7,4) cyclic code received word at decoder stage is  $\psi(x) = x^6 + x^4 + x^3 + x + 1$ , find Correct Codeword using Shift Register design method.

(ii) Determine Systematic & non-systematic codewords for  $i = (0 \ 1 \ 1 \ 1)$  given (7,4) code with  $g(x) = x^3 + x + 1$ . **(10+5)**

2. .(i) The (5,3) linear code has generator matrix

$$G = \begin{bmatrix} 1 & 0 & 1 & 0 & 0 \\ 0 & 1 & 0 & 0 & 0 \\ 0 & 1 & 1 & 1 & 0 \end{bmatrix}$$

Determine the systematic form of G. **5**

1) Design a Meggitt decoder for a single-error correcting (7,3) code with  $g(x) = x^4 + x^3 + x + 1$ . Determine the step-by-step operation table when  $C(x) = x^6 + x^5 + x^4 + x$  incurs the error  $e(x) = x^6$  & find correct codeword. **5+10**

2) For (6,3) Linear Block Code, generator matrix  $G = \begin{bmatrix} 1 & 0 & 0 & 0 & 1 & 1 \\ 0 & 1 & 0 & 1 & 0 & 1 \\ 0 & 0 & 1 & 1 & 1 & 0 \end{bmatrix}$

Determine Parity Check Matrix in systematic form. **5**