

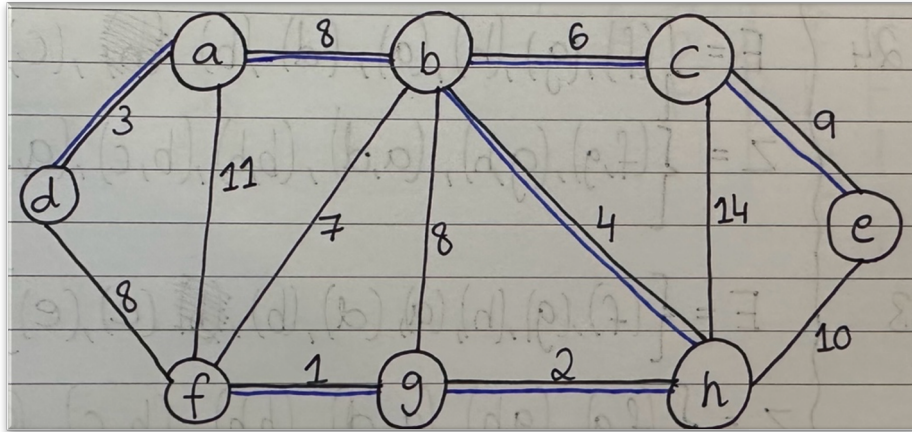
Intro to Computer Science

Sheet#01

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Problem 1.1:



a) $V = \{a, b, c, d, e, f, g, h\}$

$$A = \{(a, b), (a, d), (a, f), (b, f), (b, g), (b, h), (b, c), (c, h), (c, e), (e, h), (h, g), (g, f), (f, d)\}$$

$$G = \{V, A\}$$

b) Step 0:

$$C = 0$$

$$Z = \{(a), (b), (c), (d), (e), (f), (g), (h)\}$$

$$E = \{\}$$

Step 1:

$$C = 1$$

$$Z = \{(a), (b), (c), (d), (e), (f, g), (h)\}$$

$$E = \{(f, g)\}$$

Step 2:

$$C = 3$$

$$Z = \{(a), (b), (c), (d), (e), (f, g, h)\}$$

$$E = \{(f, g), (g, h)\}$$

Step 3:

$$C = 6$$

$$Z = \{(b), (c), (a, d), (e), (f, g, h)\}$$

$$E = \{(f, g), (g, h), (a, d)\}$$

Step 4:

$$C = 10$$

$$Z = \{(c), (a, d), (e), (b, f, g, h)\}$$

$$E = \{(f, g), (g, h), (a, d), (b, h)\}$$

Step 5:

C = 16

$$Z = \{(a, d), (e), (b, c, f, g, h)\}$$

$$E = \{(f, g), (g, h), (a, d), (b, h), (b, c)\}$$

Step 6:

$$C = 24$$

$$Z = \{(e), (a, b, c, d, f, g, h)\}$$

$$E = \{(f, g), (g, h), (a, d), (b, h), (b, c), (a, b)\}$$

Step 7:

C = 33

$$Z = \{(a, b, c, d, e, f, g, h)\}$$

$$E = \{(f, g), (g, h), (a, d), (b, h), (b, c), (a, b), (c, e)\}$$

Problem 1.2:

a)

$t = F P L F L F R F R F P L F P L F R F$

$$\rho = F P L F R$$

a) $t = F P L F \overset{L}{\cancel{F}} F R F R F P L F P L F R F$

F P L F R

F p l f r

ff b f r

F	P	l	f	r
	E	e	l	l

π $\frac{1}{2}$ $\frac{1}{2}$ $\frac{1}{2}$ $\frac{1}{2}$

F D 2 f

F P l

F L 1

11

F

1110

* Alignments = 13

* Comparisons = 28

b) $t = \text{FPLFLFRFRFPLFLFRF}$
 $p = \text{FPLFR}$

$\text{F P L F L F R F R F P L F P L F R F}$
 f p l f R
 f p L F R
 f p l f R
 f p l f R
 F P L F R

alignment = 5
 Comparisons = 12

c)

c)

	F	P	L	F	R
F	-	0	1	-	0
L	0	1	-	0	1
P	0	-	0	1	2
R	0	1	2	3	-

Problem 1.3:

- a) Non-associative operators in Haskell without additional parenthesis to give an order of precedence will result in an incorrect calculation being computed. This can be visualised with the use of the ‘^’ exponent operator. If a calculation were to be coded without parenthesis like the following:

$$3 \wedge 2 \wedge 3$$

Will produce the following answer: 6561.

However, the correct answer would be: 729 which is computed with the following format: $(3^2)^3$

Hence, the use of parenthesis is important for establishing precedence in Haskell for non-associative operators.

- b) The \$ operator in Haskell tells the compiler to compute the arithmetic operations on the right side of the \$ sign giving it precedence. Hence, meaning that this operator is right-associative. This $(\wedge) 2 \$ (*) 4 \$ (+) 13$ operation can be written in infix notation as the following:

$$(2 \wedge (4 * (1 + 3)))$$