

# Assignment #1

Date \_\_\_\_\_

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X

Answer 1

## Brute Force Algorithm:-

```
int main() {
```

```
    int currSum = 0;
```

```
    int arr[] = {1, 2, -1, 2, -4, 6, -1, 12, -10, 1, 2, -1};
```

```
    int maxSum = currSum;
```

```
    for (int i = 0; i < 12; i++)
```

```
{
```

```
    currSum = arr[i];
```

```
    if (currSum > maxSum)
```

```
        maxSum = currSum;
```

```
    for (int j = i + 1; j < 12; j++)
```

```
{
```

```
    currSum += arr[j];
```

```
    if (currSum > maxSum)
```

```
        maxSum = currSum;
```

```
}
```

✓

Time Complexity

RG

$O(n^2)$

}{

Algorithm. in O(n) :-

int main()

{

int arr[12] = {1, 2, -1, 2, -4, 6, -1, 12, -10, 1, 2, -1};

int CurrSum = 0;

int MaxSum = 0;

for (i=0; i<12; i++) — T(O(n))

}

CurrSum =

if (CurrSum + arr[i] > arr[i])

CurrSum = CurrSum + arr[i];

else if (CurrSum + arr[i] < arr[i])

CurrSum = arr[i];

else if (CurrSum + arr[i] < 0)

CurrSum = 0;

if (CurrSum < GlobalMaxSum)

MaxSum = CurrSum;

}

}

Time Complexity is O(n)

Writing Code for O(1) :-

Answer 2

2.a)

$$A = [3, 1, 2, 4]$$

$$B = [5, 1, 6, 2]$$

$$X = 10$$

$$B = 0$$

A.Sort() // Using divide And Conquer  
Sorting technique ( $n \log n$ )

while ( $b < \text{len}(b)$ )

{

$$\text{temp} = X - B[i]$$

a = binary-search(A, temp, len(A))

if  $a = -1$

return a, b

$$a += 1$$

else

return N/A

2b) For  $i \leftarrow D$  to  $A.length$  :  
add  $A[i]$  to a vector  $P$ .

for  $i \leftarrow 0$  to  $B.length$   
 $j = \text{linearSearch in Vector } P(B)$   
 $P(x - B[i])$   
if ( $j \neq -1$ )  
return  $B[i], A[j]$   
else return  
return (Not possible)

$O(n)$

Answer 3

```
int BinarySearch(int arr[], int l, int r )  
{  
    if (r >= l)  
    {  
        int mid = (l+r)/2;  
        if (arr[mid] == arr[r])  
            return mid;  
        if (arr[mid] > arr[r])  
            return binarySearch(arr, (mid+1), r);  
        else  
            return binarySearch(arr, l, (mid-1));  
    }  
}
```

return -1;

Answer 4.

Writing Code for  $O(n)$ ;

```
int main()
```

```
{
```

```
int arr[10] = {1, 2, 0, 5, 3, 4, 0, 0, 1, 10};
```

```
int c = 0
```

```
for (int i = 0; i < 10; i++)
```

```
{
```

```
if (arr[i] != 0)
```

```
arr[c++] = arr[i];
```

```
}
```

```
for (int j = c; j < 10; j++)
```

```
arr[j] = 0;
```

```
}
```

Time Complexity :  $O(n)$

Space Complexity:  $O(1)$

Answer 5Answer 5.a)

Array = {0, 2, 4, 6, 8, 10, 12, 14, 16, 19}

key = 19

Binary Search:-

$$\text{ans}[ \text{mid} ] = (l + r) / 2 = 10$$

Since key > 9 Check 2nd division of array.

<u>l</u>		<u>r</u>
12	14	16

$$\text{ans}[ \text{mid} ] = (l + r) / 2 = 14 \text{ again}$$

Check 2nd division of array.

<u>l</u>	<u>r</u>
15	18

$$\text{ans}[ \text{mid} ] = (l + r) / 2 = 15 \text{ again}$$

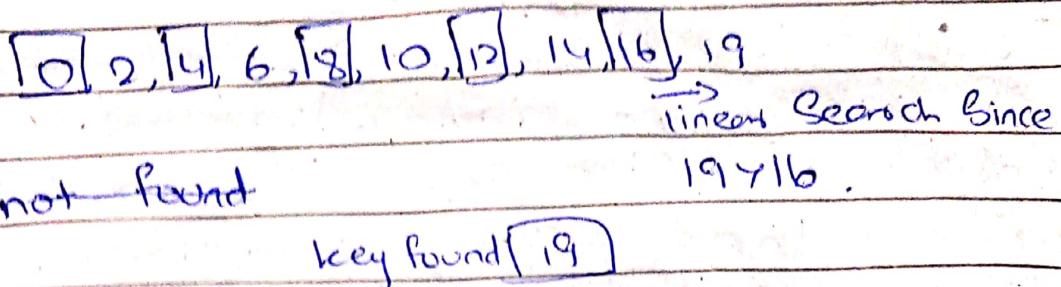
Check 2nd division

18 key founded.

19

## Using Jump Search:-

$$\text{mid} = \sqrt{10} = 3.1 \approx 3$$



Binary Search is a faster and efficient algorithm that works on divide and conquer principle. Binary Search can only be used when data is sorted.

Jump Search is less costly than ~~go~~ Binary Search as it requires less comparisons than linear Search. Meanwhile JumpSearch only works on sorted arrays and less efficient than binary search.

Answer 5bInterpolation Search :-

of binary search

It is an improvement as it is applicable on array with uniformly distributed values. Here we search for element having closest value, then we check if the ~~value~~<sup>value</sup> key is smaller or greater than key and we discard the portion not containing the key, then again search for the position using low and high values.

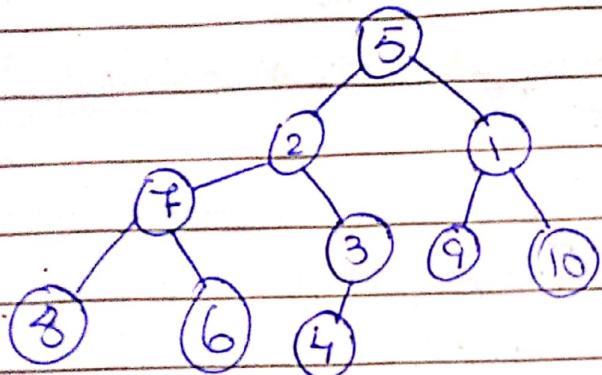
Exponential Search.

It has same procedure as jump search except we multiply i with 2 if key not found hence doubling the amount jump at each iteration till  $arr[i] > key$ , then we apply binary search.

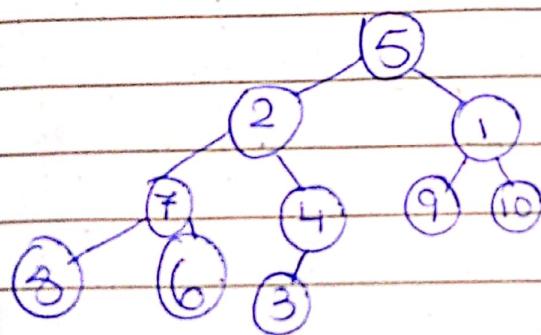


Answer 6.

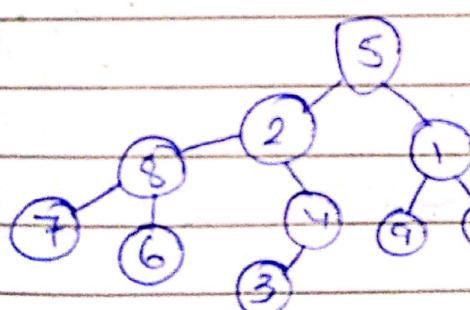
[5, 2, 1, 7, 3, 9, 10, 8, 6, 4]



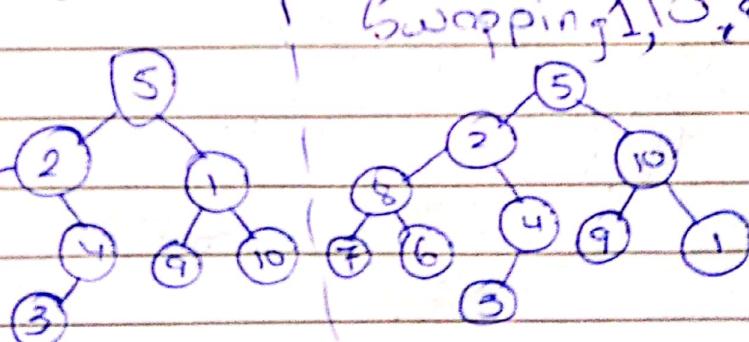
Swapping 3, 4



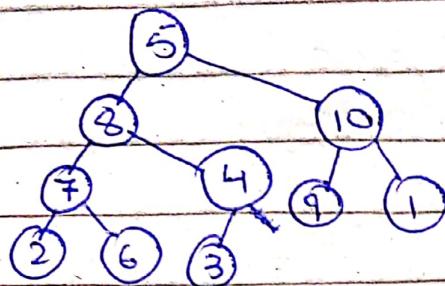
Swapping 7, 8



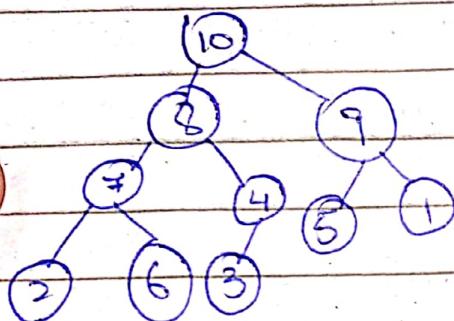
Swapping 1, 10



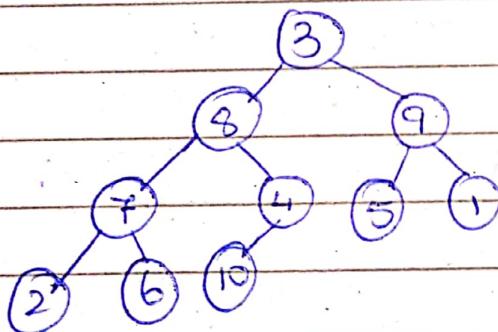
Swapping 2,8 ~~&~~ 2,7



Swapping 5,10 & 5,9



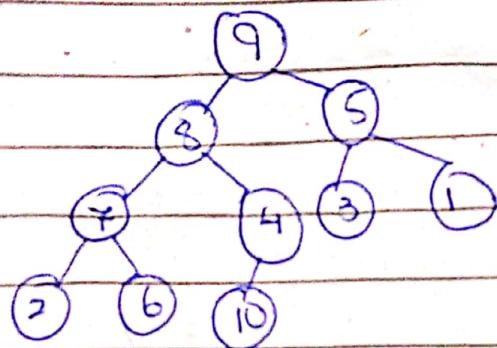
Swapping 10,3



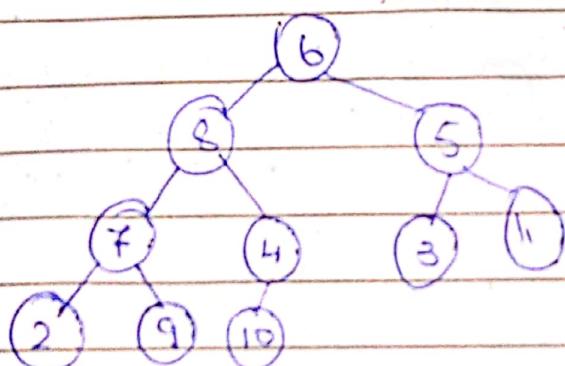
Date \_\_\_\_\_

## Max Sorting Using heapsort

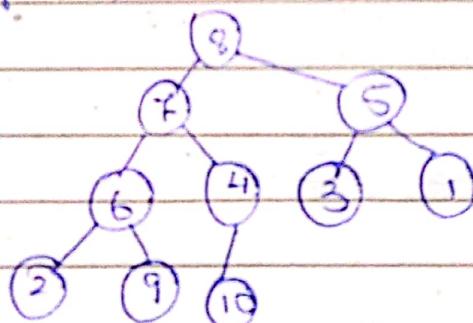
heapify on 3



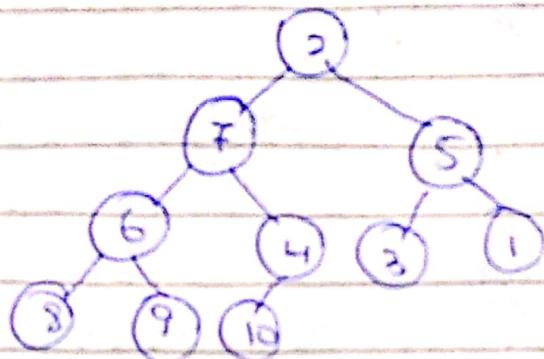
Swap (9, 6)



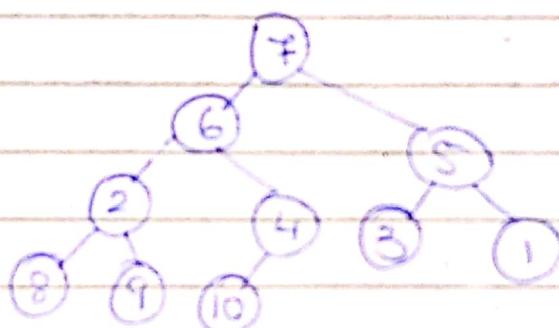
Swap (8, 2)



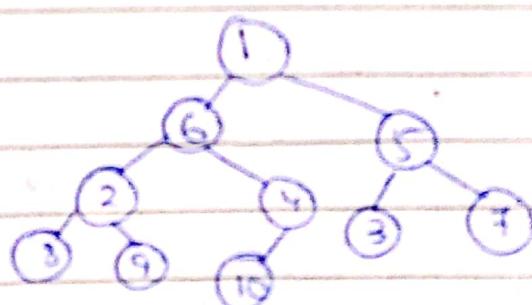
Swap (2, 7) & (2, 6)



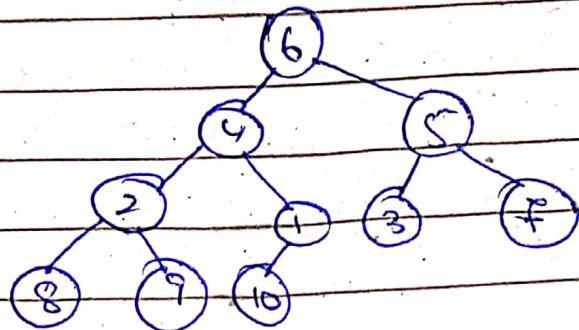
Swap (7, 1)



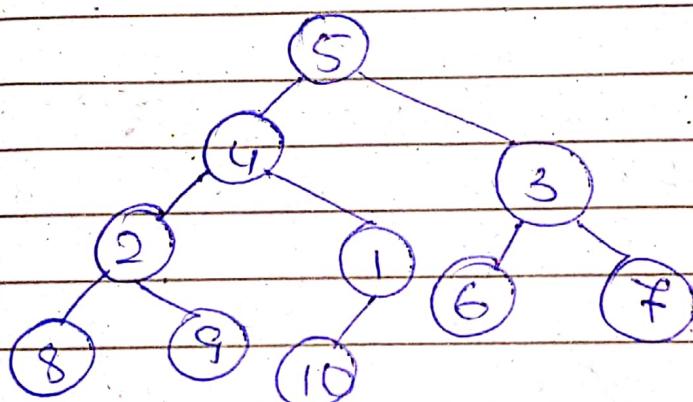
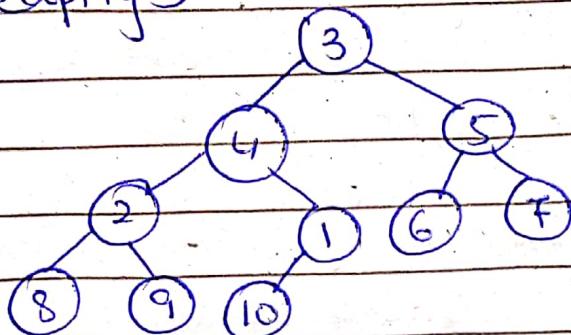
Heapifying 1



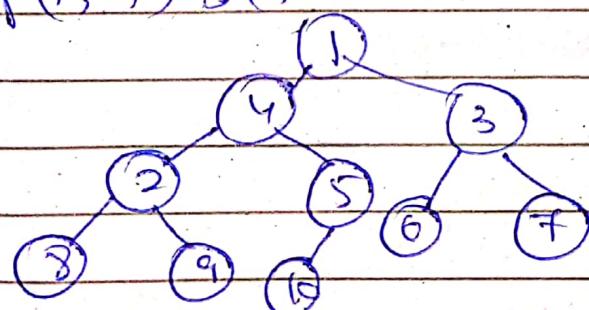
Swap (6,3)



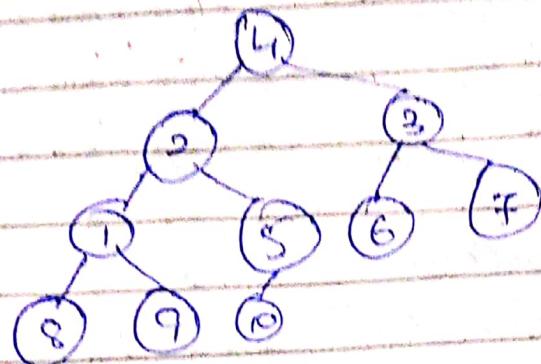
heapify 3



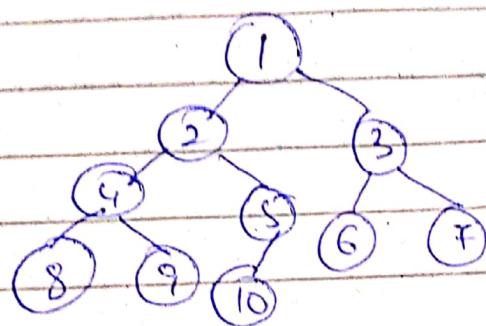
Swap(1,4) S(1,2)



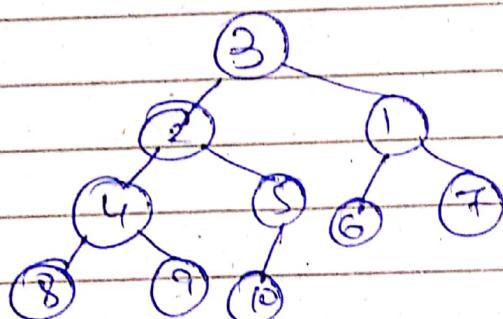
Build (1,1)



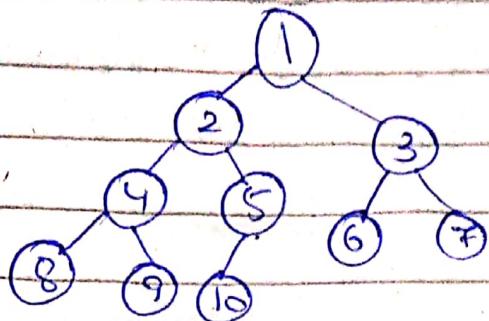
heapify 1



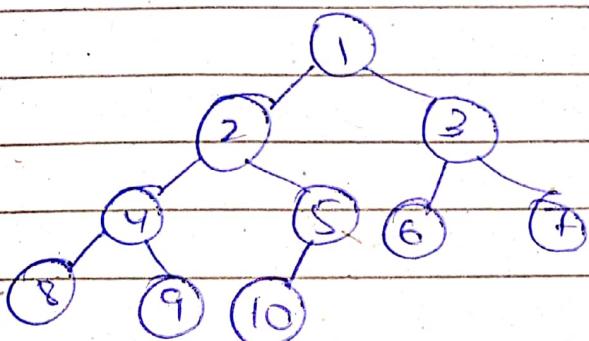
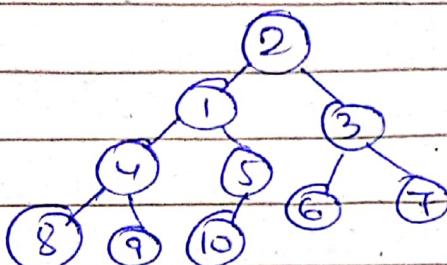
Build (1,3)



heapify 1



Swap (2,1)



Sorted Array = 1, 2, 3, 4, 5, 6, 7, 8, 9, 10