Computer Systems Organization CSCI-UA.0201 Fall 2019

Mid-Term Exam ANSWERS

Write all answers on these exam sheets. If you need more space, write on the back.

- 1. True/False. Please circle the correct response. There are <u>no</u> trick questions.
 - a. F Registers and Memory (RAM) are different names for the same thing.
 - b. T In x86-64 assembly, an address (corresponding to a C pointer) is 64 bits.
 - c. T Putting #include "foo.h" in your C file is the equivalent of typing the contents of foo.h into your file.
 - d. F All real numbers can be represented exactly in IEEE floating point format.
 - e. T $2^{25} = 32M$
 - f. F The bitwise-and operator (& in C) is used to flip the bits of a variable.
 - g. F In C, the statement, "s1 = s2;", where s1 and s2 are variables of type char *, copies the string pointed to by s2 into the string pointed to by s1.
 - h. T In Intel jargon, a "quadword" is a 64-bit quantity.
 - i. **F** In x86-64 assembly, the **add1** instruction can add two 32-bit values in memory together.
 - j. T The IEEE floating point representation does not use two's complement for negative numbers.
- 2. For each code snippet, below, indicate what the result of executing the code is. If the code won't compile, indicate so.

```
a. int *p = 0;
    int x = *p;
    printf("%d\n", x);
Answer: Segmentation Fault
b. char s1[6] = "Above";
    char *p1 = s1;
    char s2[6] = "Below";
    char *p2 = s2+4;
    while(*p1) *(p2--) = *(p1++);
    printf("%s\n", s2);
Answer: evobA
c. int x = 5;
    printf("%d\n", (~x)+2);

Answer: -4
```

```
d. char c = 'H'; // 72 in ASCII printf("%c\n", c + (c >> 3)); Answer: Q(ASCII 72 + 72/8 = 81)
e. int x = 9; printf("%x\n", (x | (1 << 2))); // HEX! Answer: d(1101 binary)</li>
```

3. Multiply the following two binary numbers (without converting to decimal), and then show the result in binary and in hex. Show all work and write neatly.

```
1011

× 1010
0
1011
0
1011
1101110

Result in binary: 1101110
Result in hex: 6E
```

4. Given the following declaration,

```
typedef struct cell {
    int val;
    struct cell *next;
} CELL;
```

in the space below write C code that constructs a linked list of ten **CELLs**, pointed to by the variable **head**, whose **val** fields contain the numbers 1 through 10 (in order, so that **head** points to the cell containing 1). This should take around 7 lines. Write neatly.

```
CELL *head = NULL;
for(int i=10; i>=1; i--) {
   CELL *p = (CELL *) malloc(sizeof(CELL));
   p->val = i;
   p->next = head;
   head = p;
}
```

5. Fill in the missing X86-64 assembly code, below, for a function largest() that takes two parameters – an integer array (in %rdi) and the size of the array (in %esi) – and returns (in %eax) the value of the largest element of the array. You can assume all the elements of the array are positive.

```
// a[] in %rdi
// size in %esi
// %eax will keep track of largest value.
```

_largest:

pushq %rbp

movq %rsp,%rbp

movl \$0,%eax #initialize %eax to 0.

movq \$0,%rcx # i in %rcx

TOP:

cmpl %esi,%ecx #compare i to size

j<u>ge</u> DONE

cmpl %eax,(%rdi,%rcx,4) # if a[i] <= %eax,</pre>

jle NEXT # then go to next element

movl (%rdi,%rcx,4),%eax

NEXT:

incq %rcx

jmp TOP

DONE:

popq %rbp

ret

- 6. 32-bit IEEE floating numbers have one sign bit, 8 exponent bits (with a 127 bias), and 23 fraction bits.
 - a. In order to operate on the individual bits of a **float** variable, it should be treated as an **unsigned int**, but not be converted or truncated by the compiler. Fill in the missing code below to do this.

b. Define a preprocessor macro **EXP** for extracting the exponent bits of a floating point number after it has already been converted to an unsigned int. The exponent bits should end up in the rightmost bits of the result.

```
#define EXP(x) ((x) \gg 23) \&0xff)
```

c. What is the value (in decimal) of the IEEE floating point number whose fields (sign, exponent, and fraction) have the following bit patterns:

Show your work.

The sign is 1, so the number is negative.

The actual exponent = stored exponent - bias = 129 - 127 = 2

The mantissa is "1." followed by the fraction bits = 1.1111 (ignoring trailing zeros)

So the number is -1.1111 x $2^2 = -111.11$ x $2^0 = -(4 + 2 + 1 + \frac{1}{2} + \frac{1}{4}) = -7.75$

Answer: <u>-7.75</u>