



# Manty Hall

The Monty Hall problem is deciding whether you do. Is that correct?

# What is the Monty Hall Problem?

Suppose you're on a game show, and you're given the choice of three doors: Behind one door is a diamond; behind the others, goats.

You pick a door, say No. 1, and the host, who knows what's behind the doors, opens another door, say No. 3, which has a goat.

He then says to you, "Do you want to pick door No. 2?" Is it to your advantage to switch your choice?

## Should you Switch?

Believe it or not, it's actually to your benefit to switch:

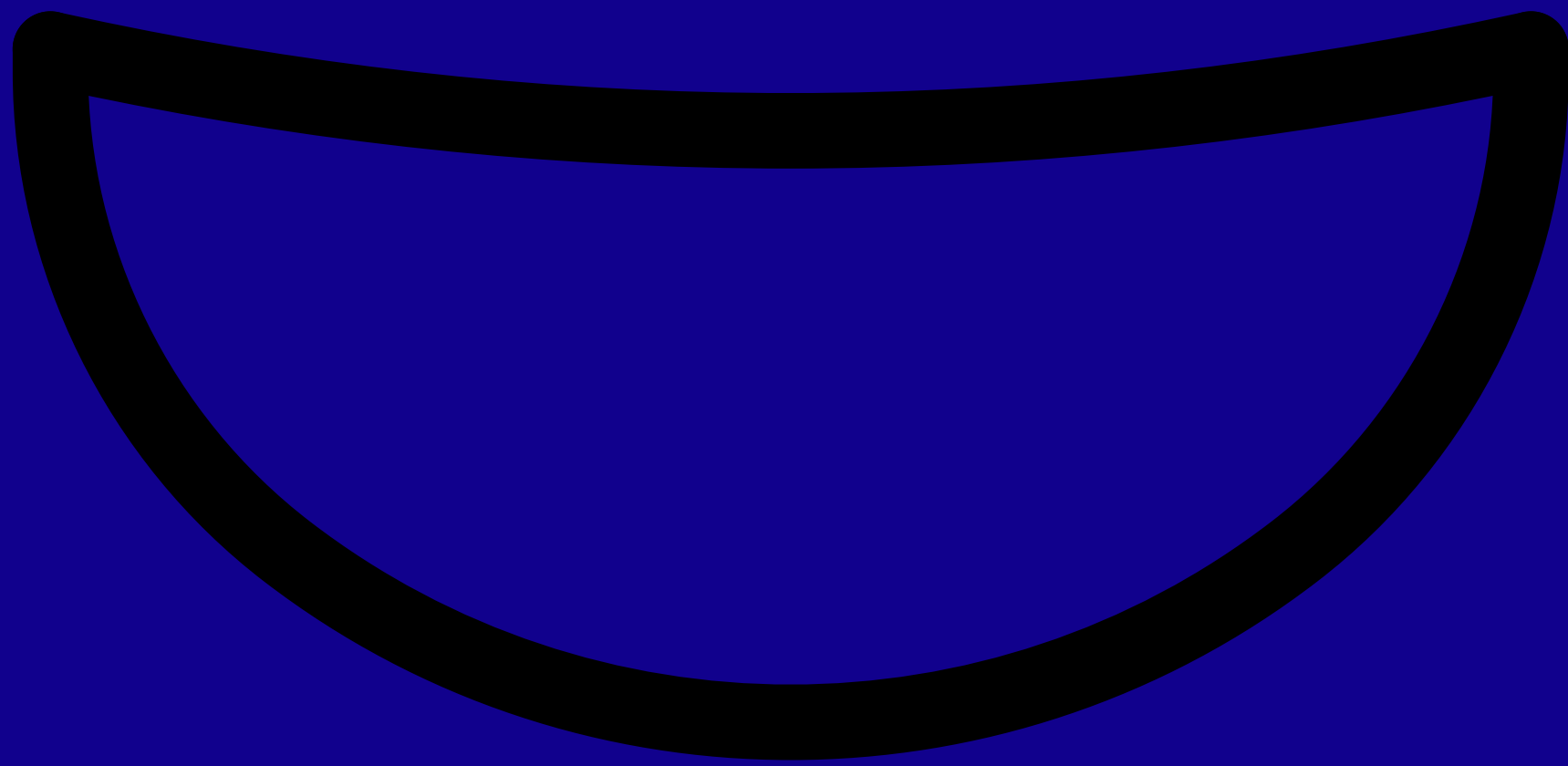
- If you switch, you have roughly a  $2/3$  chance of winning the diamond.
- If you stick to your original choice you have roughly a  $1/3$  chance of winning the diamond.

The answer sounds unlikely. After door 3 is opened, you would think that you then have two doors to choose from...both with the same odds. However, you are actually much more likely to win if you switch.

- Those who switched doors won about  $2/3$  of the time
- Those who didn't switch won about  $1/3$  of the time

This fact has been proved over and over again with a plethora of mathematical simulations. If you're stumped and still don't believe it — don't worry, even mathematicians scratch their head on this one. Try our game!!

We hope you enjoyed playing  
Moanty Hall



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