# **Breast\_Cancer Dataset Analysis**

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- Breast Cancer Dataset Analysis
  - 1. Introduction
  - 2. Data Preprocess
    - 2.1 Import Dataset
    - 2.2 Pre-analysis
    - 2.3 Drop the Useless Data
    - 2.4 Data Standardisation
  - 3. Principal Component Analysis
    - 3.1 PCA Plot
    - 3.2 Compare the Results with the PCA Package
    - 3.3 Analysis
  - 4. Self-orgnizing Map
    - 4.1 Introduction
  - 5. Clustering
  - 6. What is the relationship between each columns?
  - 7. Future Data Preprocessing
  - 8. Lessons Learnt
  - 9. Future Investigation

## 1. Introduction

Features are computed from a digitized image of a fine needle aspirate(FNA) of a brase mass. They describe characteristics of the cell nuclei present in the image. In the 3-dimensional space is that described in: [K. p. Bennett and O. L. Managasarian: "Robust Linear Programming Discrimination of Two Linearly Inseparable Sets", Optimization methods and Software 1, 1992, 23-34].

The Breast\_Cancer dataset we used is from UCI Machine Learning Repository, thanks for Dr. William H. Wolberg, W. Nick Street and Olvi L. Mangasarian from University of Wisconsin<sup>1</sup>.

# 2. Data Preprocess

At first, when we get a new dataset, we need to know the size of it and try to understand each columns(although they are too difficult for us to understand). Whatever, we could analysis the types of each column, getting the useful data and drop the useless.

Import the library we will use in this work.

```
Python

import numpy as np

import pandas as pd

import seaborn as sns

from matplotlib import pyplot as plt
```

Load the data as shown below. The <code>breat\_cancer\_data.csv</code> is saved in the folder on the desktop.

# 2.1 Import Dataset

```
Python

| breast_cancer_data = pd.read_csv('/Users/xueyiheng/Desktop/Intelligent_Data_Analysis/dataset/breast_cancer_data.csv')
| breast_cancer_data.head()
```

Show the data.head(), we could get the structure about this dataset, there are 33 columns which I will explain later and drop some useless columns.

	id	diagnosis	radius_mean	ean texture_mean		concave points_worst	symmetry_worst	fractal_dimension_worst	Unnamed: 32		
0	842302	М	17.99	10.38		0.2654	0.4601	0.11890	NaN		
1	842517	М	20.57	17.77		0.1860	0.2750	0.08902	NaN		
2	84300903	М	19.69	21.25		0.2430	0.3613	0.08758	NaN		
3	84348301	М	11.42	20.38		0.2575	0.6638	0.17300	NaN		
4	84358402	М	20.29	14.34		0.1625	0.2364	0.07678	NaN		

5 rows × 33 columns

## 2.2 Pre-analysis

As for each row about the breast cancer patients, the diagnosis is 'M' or 'B' (which means 'malignant' or 'benign') is the most important thing. Therefore we count that how many people have malignant and benign tumors.

```
python

sns.countplot(x = 'diagnosis', data = breast_cancer_data)

B, M = breast_cancer_data['diagnosis'].value_counts()

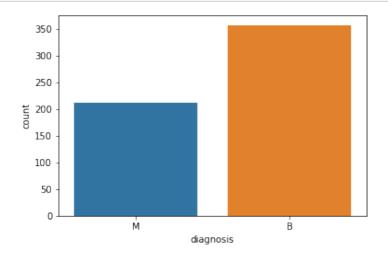
print('Number of Benign\t:\t ',B)

print('Number of Malignant\t:\t ',M)

print('Percentage Benign\t:\t % 2.2f %%' % (B/(B+M)*100))

print('Percentage Malignant\t:\t % 2.2f %%' % (M/(B+M)*100))
```

Number of Benign : 357
Number of Malignant : 212
Percentage Benign : 62.74 %
Percentage Malignant : 37.26 %



The whole dataset is named <code>breast\_cancer\_data</code> , we really need to analysis about it and drop something useless.

1 | breast\_cancer\_data.describe()

	id	radius_mean	texture_mean	perimeter_mean	 concave points_worst	symmetry_worst	fractal_dimension_worst	Unnamed: 32
count	5.690000e+02	569.000000	569.000000	569.000000	 569.000000	569.000000	569.000000	0.0
mean	3.037183e+07	14.127292	19.289649	91.969033	 0.114606	0.290076	0.083946	NaN
std	1.250206e+08	3.524049	4.301036	24.298981	 0.065732	0.061867	0.018061	NaN
min	8.670000e+03	6.981000	9.710000	43.790000	 0.000000	0.156500	0.055040	NaN
25%	8.692180e+05	11.700000	16.170000	75.170000	 0.064930	0.250400	0.071460	NaN
50%	9.060240e+05	13.370000	18.840000	86.240000	 0.099930	0.282200	0.080040	NaN
75%	8.813129e+06	15.780000	21.800000	104.100000	 0.161400	0.317900	0.092080	NaN
max	9.113205e+08	28.110000	39.280000	188.500000	 0.291000	0.663800	0.207500	NaN

#### 8 rows x 32 columns

#### And the describe of each columns:

- 1. id: ID number
- 2. **diagnosis**: The diagnosis of breast tissues(M = malignant, B = benign)
- 3. radius\_mean: mean of distances from center to points on the perimeter
- 4. texture\_mean: standard deviation of gray-scale values
- 5. **perimeter\_mean**: mean size of the core tumor
- 6. area\_mean
- 7. smoothness\_mean: mean of local variation in radius lengths
- 8. **compactness\_mean**: mean of  $\frac{perimeter^2}{area}-1$
- 9. **concavity\_mean**: mean of severity of concave portions of the contour
- 10. concave points\_mean: mean for number of concave portions of the contour
- 11. symmetry\_mean
- 12. **fractal\_dimension\_mean**: mean for  $coastline\_approximation 1$
- 13. radius\_se: standard error for the mean of distances from center to points on the perimeter
- 14. texture\_se: standard error for standard deviation of gray-scale values
- 15. perimeter\_se
- 16. area\_se
- 17. smoothness\_se: standard error for local variation in radius lengths
- 18. **compactness\_se**: standard error for  $\frac{perimeter^2}{area}-1$
- 19. **concavity\_se**: standard error for severisy of concave portions of the contour
- 20. concave points\_se: standard error for number of concave portions of the contour
- 21. symmetry\_se
- 22.  $fractal\_dimension\_se$ : standard error for  $coastline\_approximation 1$
- 23. radius\_worst: worst or largest mean value for mean of distances from center to points on the perimeter
- 24. texture\_worst: worst or largest mean value for standard deviation of gray-scale values
- 25. perimeter\_worst
- 26. area\_worst
- 27. **smoothness\_worst**: worst or largest mean value for local variation in radius lengths
- 28. **compactness\_worst**: *worst* or largest mean value for  $\frac{perimeter^2}{area} 1$
- 29. **concavity\_worst**: worst or largest mean value for severity of concave portions of the contour
- 30. **concave points\_worst**: worst of largest mean value for number of concave portions of the contour
- 31. symmetry\_worst
- 32.  $fractal\_dimension\_worst$ : worst or largest mean value for  $coastline\_approximation-1$

We do the pre-analysis of the dataset, we can easily get the points that 'diagnosis' is only one column that is not numeric format, and 'M' means malignant, 'B' means benign. Besides this point, 'id' is needless in my work. Therefore, I need to drop it.

## 2.3 Drop the Useless Data

Drop function is used to delete the row or the line, we need to add axis = 1 when we want to delete the column, and I will drop the 3 columns and transform the dataframe to the float type.

```
python
data = breast_cancer_data.drop(['id', 'diagnosis', 'Unnamed: 32'], axis = 1).astype(np.float)
target = breast_cancer_data['diagnosis']
data.head()
```

	radius_mean	texture_mean	perimeter_mean	area_mean	 concavity_worst	concave points_worst	symmetry_worst	fractal_dimension_worst
0	17.99	10.38	122.80	1001.0	 0.7119	0.2654	0.4601	0.11890
1	20.57	17.77	132.90	1326.0	 0.2416	0.1860	0.2750	0.08902
2	19.69	21.25	130.00	1203.0	 0.4504	0.2430	0.3613	0.08758
3	11.42	20.38	77.58	386.1	 0.6869	0.2575	0.6638	0.17300
4	20.29	14.34	135.10	1297.0	 0.4000	0.1625	0.2364	0.07678

## 5 rows × 30 columns

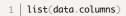
1 | data.describe()

Python

	radius_mean	texture_mean	perimeter_mean	area_mean	 concavity_worst	concave points_worst	symmetry_worst	fractal_dimension_worst
count	569.000000	569.000000	569.000000	569.000000	 569.000000	569.000000	569.000000	569.000000
mean	14.127292	19.289649	91.969033	654.889104	 0.272188	0.114606	0.290076	0.083946
std	3.524049	4.301036	24.298981	351.914129	 0.208624	0.065732	0.061867	0.018061
min	6.981000	9.710000	43.790000	143.500000	 0.000000	0.000000	0.156500	0.055040
25%	11.700000	16.170000	75.170000	420.300000	 0.114500	0.064930	0.250400	0.071460
50%	13.370000	18.840000	86.240000	551.100000	 0.226700	0.099930	0.282200	0.080040
75%	15.780000	21.800000	104.100000	782.700000	 0.382900	0.161400	0.317900	0.092080
max	28.110000	39.280000	188.500000	2501.000000	 1.252000	0.291000	0.663800	0.207500

## 8 rows × 30 columns

We can easily know that there are 30 columns we will use in the next steps.



Python

```
['radius_mean',
2
     'texture_mean',
3
     'perimeter_mean',
     'area_mean',
4
5
     'smoothness_mean',
     'compactness_mean',
6
7
     'concavity_mean',
8
     'concave points_mean',
9
     'symmetry_mean',
     'fractal_dimension_mean',
10
11
     'radius_se',
12
     'texture_se',
13
     'perimeter_se',
     'area_se',
14
15
     'smoothness_se',
16
     'compactness_se',
17
     'concavity_se',
18
     'concave points_se',
19
     'symmetry_se',
     'fractal_dimension_se',
20
21
     'radius_worst',
22
     'texture_worst',
23
     'perimeter_worst',
24
     'area_worst',
25
     'smoothness_worst',
26
     'compactness_worst',
27
     'concavity_worst',
28
     'concave points_worst',
29
     'symmetry_worst',
30
     'fractal_dimension_worst']
```

And we get a matrix type of data named 'data\_test', maybe we will use later.

```
data\_test = np.mat(data)
2 data_test
      matrix([[1.799e+01, 1.038e+01, 1.228e+02, ..., 2.654e-01, 4.601e-01,
               1.189e-01],
              [2.057e+01, 1.777e+01, 1.329e+02, ..., 1.860e-01, 2.750e-01,
  3
  4
              8.902e-02],
              [1.969e+01, 2.125e+01, 1.300e+02, ..., 2.430e-01, 3.613e-01,
  6
              8.758e-02],
  8
              [1.660e+01, 2.808e+01, 1.083e+02, ..., 1.418e-01, 2.218e-01,
  9
              7.820e-02],
              [2.060e+01, 2.933e+01, 1.401e+02, ..., 2.650e-01, 4.087e-01,
 10
              1.240e-01],
              [7.760e+00, 2.454e+01, 4.792e+01, ..., 0.000e+00, 2.871e-01,
 13
               7.039e-02]])
```

Python

### 2.4 Data Standardisation

```
Python

data_2 = data.values

target_2 = target.apply(lambda x: 0 if x=='B' else 1).values

print(data_2)

print(data_2.shape)

print("The shape of 'data_2' is ", data_2.shape)

print("The type of 'data_2' is ", data_2.dtype)
```

The data\_2 is my own way to get the array type of data which I will use in the next work.

```
1 [[1.799e+01 1.038e+01 1.228e+02 ... 2.654e-01 4.601e-01 1.189e-01]
2 [2.057e+01 1.777e+01 1.329e+02 ... 1.860e-01 2.750e-01 8.902e-02]
3 [1.969e+01 2.125e+01 1.300e+02 ... 2.430e-01 3.613e-01 8.758e-02]
4 ...
5 [1.660e+01 2.808e+01 1.083e+02 ... 1.418e-01 2.218e-01 7.820e-02]
6 [2.060e+01 2.933e+01 1.401e+02 ... 2.650e-01 4.087e-01 1.240e-01]
7 [7.760e+00 2.454e+01 4.792e+01 ... 0.000e+00 2.871e-01 7.039e-02]]
8 (569, 30)
9 The shape of 'data_2' is (569, 30)
10 The type of 'data_2' is float64
```

```
python

from sklearn.preprocessing import StandardScaler

data_std = StandardScaler().fit_transform(data_2)

print("The shape of 'data_std' is ", data_std.shape)

print("The type of 'data_std' is ", data_std.dtype)
```

The data\_std have used the sklearn.preprocessing-StandardScaler package and get the same results with the data\_2.

```
1 | The shape of 'data_std' is (569, 30)
2 | The type of 'data_std' is float64
```

```
1 | data
```

This step we will get the 'data' output, it is a huge document and I have canceled it in my report, it just used to help me to verify the structure of the data when I get it first.

## 3. Principal Component Analysis

Principal Component Analysis(PCA) is a dimension-reduction tool that can be used to reduce a large set of variables to a small set that still contains most of the information in the large set. The Breast\_Cancer dataset is more than 30 columns and near 600 rows, it is very suitable to use the PCA function to deal with it. Principal component analysis is a mathematical procedure that transforms a number of correlated variabled into a smaller number of uncorrelated variabled called principal components.

PCA seeks a linear combination of variables such that the maximum variance is extracted from the variables and then removes this variance and seeks a second linear combination which explains the maximum proportion of the remaining variance, and so on. This is called the principal axis method and results in orthogonal factors.

It works as the steps below.

- 1. Take teh whole dataset consiting of d-dimensional samples and ignoring the class labels.
- 2. Computer the d-dimensional mena vector.
- 3. Computer the scatter matrix of the whole data set.

- 4. Computer eigenvectors and corresponding eigenvalues.
- 5. Sort the eigenvectors by decreasing eigenvalues and choose k eigenvectors with the largest eigenvalues to form a  $d \times k$  dimensional matrix W
- 6. Use this eigenvector matrix to transform the samples onto the new subspace, this can be summarized by the mathematical equation:  $y = W^T \times x$ .

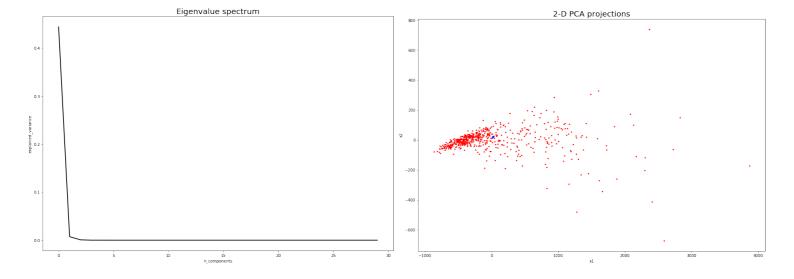
In a word, principal component analysis is mainly used to reduce the dimension of the data set, and then pick out the main characteristics. As for a low-dimension of the data set, we can calculate and analysis easily and directly, it is necessary to do pca for a high-dimension data set before analysing.

### 3.1 PCA Plot

- 1. Taking the whole dataset ignoring the class labels, I have finished it before.
- 2. Computing the d-dimensional mean vector average = meanX(XMat)
- 3. Computing the scatter matrix, The scatter matrix is computed by  $S = \sum_{k=1}^{n} (x_k m)(x_k m)^T$ , and the mean vector  $m = \frac{1}{n} \sum_{k=1}^{n} x_k$ , it can work with the code return np.mean(dataX, axis = 0), where average is the mean values.
- 4. Computing the covariance matrix covX = np.cov(data adjust.T)
- 5. Computing eigenvectors and corresponding eigenvalues featValue, featVec = np.linalg.eig(covX)

  Covariance\_matrix × Eigenvector = Eigenvalue × Eigenvector
- 6. Sorting the eigenvectors by decreasing eigenvalues index = np.argsort(-featValue)
- 7. Choosing k eigenvectors with the largest eigenvalues
- 8. Transforming the samples onto the new subspace

```
Python
     def meanX(dataX):
 2
         return np.mean(dataX, axis = 0) # 'axis = 0' means get the data from the row, and then 'axis = 1' means from the column
 3
 4
     def pca(XMat, k):
         average = meanX(XMat)
 5
         m, n = np.shape(XMat)
 6
 7
         data_adjust = []
 8
         avgs = np.tile(average, (m, 1))
 9
         data\_adjust = XMat - avgs
         covX = np.cov(data_adjust.T) # Calculate the convariance matrix
10
         featValue, \ featVec = np.linalg.eig(covX) \ \# \ Calculate \ the \ eigenvector \ and \ eigenvalue \ of \ the \ convariance \ matrix
         index = np.argsort(-featValue) # Sort from big to small
12
13
         finalData = []
14
         selectVec = np.matrix(featVec.T[index[:k]])
         finalData = data_adjust * selectVec.T
15
         reconData = (finalData * selectVec) + average
16
17
         plt.figure(figsize = (16, 11))
18
         plt.plot(featValue/1000000, 'k', linewidth=2)
19
20
         plt.xlabel('n_components')
21
         plt.ylabel('explained_variance')
         plt.title('Eigenvalue spectrum', size=20)
23
         plt.show()
24
25
         return finalData, reconData, index
26
27
     def plotBestFit(data1, data2):
         dataArr1 = np.array(data1)
28
29
         dataArr2 = np.array(data2)
30
31
         m = np.shape(dataArr1)[0]
32
         axis_x1 = []
33
         axis_y1 = []
34
         axis_x2 = []
         axis_y2 = []
35
36
         for i in range(m):
37
             axis_x1.append(dataArr1[i,0])
             axis\_y1.append(dataArr1[i, \textcolor{red}{1}])
38
39
             axis_x2.append(dataArr2[i,0])
             axis_y2.append(dataArr2[i,1])
40
41
         fig = plt.figure(figsize=(16, 11))
42
         ax = fig.add_subplot(111)
         ax.scatter(axis\_x1,\ axis\_y1,\ s=20,\ c='red',\ marker='.')
43
         ax.scatter(axis\_x2,\ axis\_y2,\ s=\!\!5,\ c=\!\!"blue",\ marker=".")
44
45
         plt.xlabel('x1')
         plt.ylabel('x2')
46
         plt.title('2-D PCA projections', size=20)
47
         #plt.savefig("outfile.png")
48
49
         plt.show()
50
         #XMat = np.array(data)
         #XMat = np.loadtxt(open("/Users/xueyiheng/Desktop/Intelligent_Data_Analysis/dataset/breast_cancer_data.csv","rb"),delimiter=",",skip
51
52
         #datafile = "/Users/xueyiheng/Desktop/Intelligent_Data_Analysis/dataset/breast_cancer_data.txt"
54
55
         #XMat = loaddat(datafile)
56
         XMat = np.array(data)
57
         k = 2
58
         \textbf{return} \ \textit{pca}(\textit{XMat}, \ \textit{k})
     if __name__=="__main__"
         finalData, reconMat, index = main()
60
         {\tt plotBestFit}({\tt finalData},\ {\tt reconMat})
61
62
         #print (index)
```

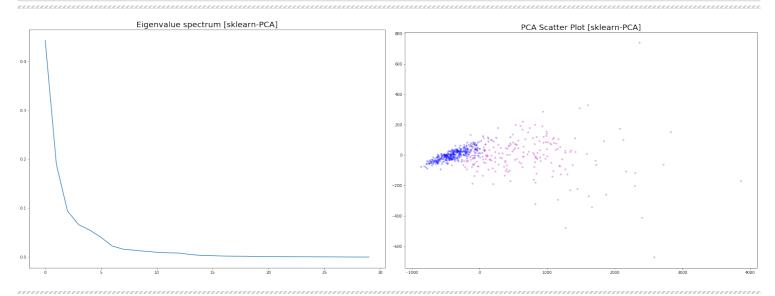


Congratulations! I get the results, there are 2 kinds of points, the red one and the blue one.

## 3.2 Compare the Results with the PCA Package

And we compare our results with the sklearn-decomposition PCA package. Some details are different between them, but the whole diagram is in the same trends.

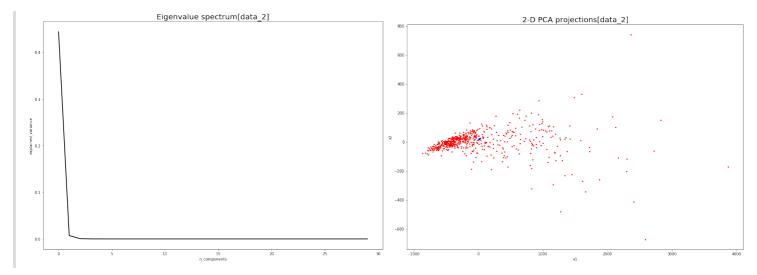
```
Python
    from sklearn.decomposition import PCA
    pca = PCA()
    pca.fit(data_std)
3
    plt.figure(figsize = (16, 11))
    plt.title('Eigenvalue spectrum [sklearn-PCA]', size=20)
6
    plt.plot(pca.explained_variance_ratio_)
8
    x = data.values
    pca = PCA(n\_components = 2)
9
10
    pca_2d = pca.fit_transform(x)
11
    #Plot the PCA figure
12
13
    plt.figure(figsize = (16, 11))
    plt.scatter(pca_2d[:,0], pca_2d[:,1], c = target, s=20, cmap = 'coolwarm', edgecolor = 'None', alpha = 0.35)
14
    #plt.colorbar()
    plt.title('PCA Scatter Plot [sklearn-PCA]', size=20)
16
17
    plt.show()
```



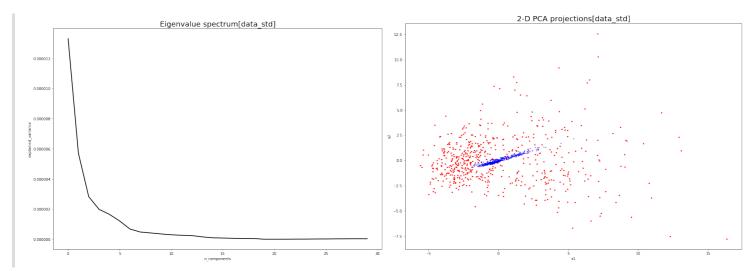
## 3.3 Analysis

Sadly, I found some different between the two results, I regard the sklearn-PCA is the right answer without mistake. My figure in 3.1-figure2, the blue points is getting together, almost become one point. When I finished my codes, I found that in the defination main python XMat = np.array(data) I use the data which is not a standardisation one, this is my mistake. And I have finished this step in 2.4, my standardisation data named data\_2, and the standardisation data used

sklearn-StandardScaler named data\_std , and I use both of them get the results as below.

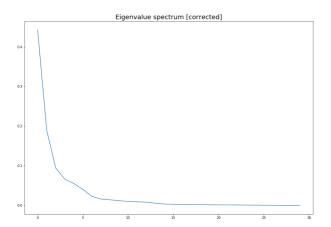


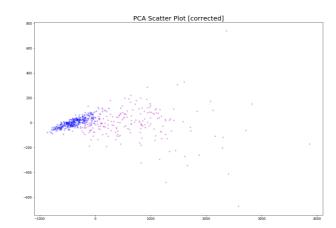
Unfortunately, my standardisation data is not well, and I change the data, use the data\_std from sklearn-StandardScaler package. After few seconds, I get the results as below.



I realized that there are some mistakes in my data, the Eigenvalue spectrum figure is right if I finished the data standard right. Actually, I found that in my step 2.4 which I called it Data StandardScaler, I did not finish the whole standard work, I just get the values from data to data\_2, and try to standard it in the def pca in the PCA part. Therefore the red points used my data\_2 is almost right, because I finish all of the data work in 3 parts. And when I use data\_std, the red points is deformity, because the sklearn-StandardScaler helped me finished the standard work, and I do it again in my pca definition, I do not need to do it again.

I correct my mistake, get the results as below.





# 4. Self-orgnizing Map

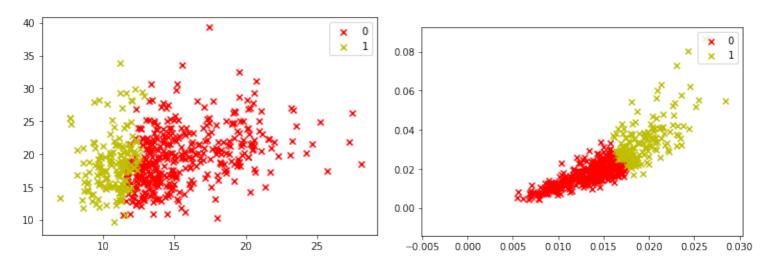
### 4.1 Introduction

SOM is non-linear algorithm like PCA. SOM is seen as a constraint version of k - means that different from k - means all feature points between unrelated, SOM of the feature points in an imaginary box above, the distance between each feature points based on grid are different degree of correlation. It works as below.

- 1. Randomly position the grid's neurons in the data space.
- 2. Select one data point, either randomly or systematically cycling through the dataset in order
- 3. Find the neuron that is closest to the chosen data point. This neuron is called the Best Matching Unit (BMU).
- 4. Move the BMU closer to that data point. The distance moved by the BMU is determined by a learning rate, which decreases after each iteration.
- 5. Move the BMU's neighbors closer to that data point as well, with farther away neighbors moving less. Neighbors are identified using a radius around the BMU, and the value for this radius decreases after each iteration.
- 6. Update the learning rate and BMU radius, before repeating Steps 1 to 4. Iterate these steps until positions of neurons have been stabilized

```
Python
     import numby as no
    import pylab as pl
 3
    class SOM(object):
 4
         def __init__(self, X, output, iteration, batch_size):
            self.X = X
 6
 7
             self.output = output
 8
             self.iteration = iteration
             self.batch_size = batch_size
 9
             self.W = np.random.rand(X.shape[1], output[0] * output[1])
10
             print (self.W.shape)
12
13
         def GetN(self, t):
14
             a = min(self.output)
             return int(a-float(a)*t/self.iteration)
16
17
         def Geteta(self, t, n):
18
             return np.power(np.e, -n)/(t+2)
19
20
         def updata_W(self, X, t, winner):
             N = self.GetN(t)
             for x, i in enumerate(winner):
                 to_update = self.getneighbor(i[0], N)
23
24
                 for j in range(N+1):
25
                     e = self.Geteta(t, j)
                     for w in to_update[j]:
26
27
                         self.W[:, w] = np.add(self.W[:,w], e*(X[x,:] - self.W[:,w]))
28
29
         def getneighbor(self, index, N):
30
             a, b = self.output
31
             length = a*b
             def distence(index1, index2):
                 i1_a, i1_b = index1 // a, index1 % b
                 i2_a, i2_b = index2 // a, index2 % b
34
                 return np.abs(i1_a - i2_a), np.abs(i1_b - i2_b)
35
36
             ans = [set() for i in range(N+1)]
37
38
             for i in range(length)
39
                 dist_a, dist_b = distence(i, index)
40
                 if dist_a <= N and dist_b <= N: ans[max(dist_a, dist_b)].add(i)</pre>
             return ans
41
42
43
         def train(self):
44
             count = 0
45
             while self.iteration > count:
                 train_X = self.X[np.random.choice(self.X.shape[0], self.batch_size)]
46
                 normal_W(self.W)
47
48
                 normal_X(train_X)
49
                 train_Y = train_X.dot(self.W)
50
                 winner = np.argmax(train_Y, axis=1).tolist()
51
                 self.updata_W(train_X, count, winner)
52
                 count += 1
             return self.W
54
55
         def train result(self):
56
             normal_X(self.X)
57
             train_Y = self.X.dot(self.W)
58
             winner = np.argmax(train_Y, axis=1).tolist()
59
             #print (winner)
60
             return winner
61
    def normal_X(X):
62
```

```
63
         N, D = X.shape
64
         for i in range(N):
              temp = np.sum(np.multiply(X[i], X[i]))
65
66
              X[i] /= np.sqrt(temp)
67
         return X
     def normal_W(W):
68
69
         for i in range(W.shape[1]):
             temp = np.sum(np.multiply(W[:,i], W[:,i]))
70
71
             W[:, i] /= np.sqrt(temp)
72
         return W
73
74
     def draw(C):
 75
         for i in range(len(C)):
76
             coo_X = [] #x_list
              coo_Y = []
77
                           #y_list
78
              for j in range(len(C[i])):
79
                  coo_X.append(C[i][j][0])
                  coo_Y.append(C[i][j][1])
80
              pl.scatter(coo_X, coo_Y, marker='x', color=colValue[i%len(colValue)], label=i)
81
82
83
         pl.legend(loc='upper right')
84
         pl.show()
85
86
     dataset = np.mat(data)
87
     dataset_old = dataset.copy()
88
     som = SOM(dataset, (5, 5), 1, 30)
89
90
     som.train()
91
     res = som.train_result()
92
     classify = {}
93
     for i, win in enumerate(res):
         if not classify.get(win[0]):
94
95
             classify.setdefault(win[0], [i])
96
         else:
97
              classify[win[0]].append(i)
98
     C = []
99
     D = []
100
     for i in classify.values():
101
         C.append(dataset_old[i].tolist())
         \texttt{D.append}(\texttt{dataset[i].tolist()})
102
103
104
     \operatorname{draw}(\mathsf{D})
```



# 5. Clustering

```
4
               def distEclud(vecA, vecB):
   5
                            return sqrt(sum(power(vecA - vecB, 2)))
   6
               def randCent(dataSet, k):
   8
                            n = shape(dataSet)[1]
  9
                            centroids = mat(zeros((k,n)))
10
                            for j in range(n):
                                        minJ = min(dataSet[:,j])
                                         rangeJ = float(max(array(dataSet)[:,j]) - minJ)
12
13
                                         centroids[:,j] = minJ + rangeJ * random.rand(k,1)
14
                            return centroids
               def kMeans(dataSet, k, distMeas=distEclud, createCent=randCent):
16
17
                            m = shape(dataSet)[0]
18
                            clusterAssment = mat(zeros((m,2)))
                            centroids = createCent(dataSet, k)
19
20
                            clusterChanged = True
21
                            while clusterChanged:
                                        clusterChanged = False
                                         for i in range(m):#for each data point assign it to the closest centroid
23
24
                                                      minDist = inf
25
                                                      minIndex = -1
26
                                                      \quad \text{for j in } \mathsf{range}(\mathsf{k}) \colon \\
27
                                                                   distJI = distMeas(centroids[j,:],dataSet[i,:])
                                                                   if distJI < minDist:</pre>
28
                                                                               minDist = distJI; minIndex = j
29
                                                      if clusterAssment[i,0] != minIndex:
30
 31
                                                                   clusterChanged = True
                                                      clusterAssment[i,:] = minIndex,minDist**2
32
33
                                         \begin{tabular}{ll} for cent in $range(k)$: $\#recalculate centroids \\ \end{tabular}
 34
                                                      ptsInClust = dataSet[nonzero(clusterAssment[:,0].A==cent)[0]] \# get \ all \ the \ point \ in \ this \ clusterAssment[:,0].A==cent)[0] \# get \ all \ the \ point \ in \ this \ clusterAssment[:,0].A==cent)[0] \# get \ all \ the \ point \ in \ this \ clusterAssment[:,0].A==cent)[0] \# get \ all \ the \ point \ in \ this \ clusterAssment[:,0].A==cent)[0] \# get \ all \ the \ point \ in \ this \ clusterAssment[:,0].A==cent)[0] \# get \ all \ the \ point \ in \ this \ clusterAssment[:,0].A==cent)[0] \# get \ all \ the \ point \ in \ this \ clusterAssment[:,0].A==cent)[0] \# get \ all \ the \ point \ in \ this \ clusterAssment[:,0].A==cent)[0] \# get \ all \ the \ point \ in \ this \ clusterAssment[:,0].A==cent)[0] \# get \ all \ the \ point \ in \ this \ clusterAssment[:,0].A==cent)[0] \# get \ all \ the \ point \ in \ this \ clusterAssment[:,0].A==cent)[0] \# get \ all \ the \ point \ in \ this \ clusterAssment[:,0].A==cent)[0] \# get \ all \ the \ point \ in \ this \ clusterAssment[:,0].A==cent)[0] \# get \ all \ the \ point \ this \ clusterAssment[:,0].A==cent)[0] \# get \ all \ the \ point \ this \ point \ point \ this \ point \ this \ point \ point \ this \ point \ p
35
                                                      centroids[cent,:] = mean(ptsInClust, axis=0)
 36
                            return centroids, clusterAssment
37
               \begin{tabular}{ll} \beg
38
39
                            from matplotlib import pyplot as plt
40
                            plt.figure(figsize = (16, 11))
41
                            numSamples, dim = dataSet.shape
42
                            for i in range(numSamples):
                                        markIndex = int(clusterAssment[i, 0])
43
44
                                         plt.plot(dataSet[i\,,\,\, \textbf{0}]\,,\,\, dataSet[i\,,\,\, \textbf{1}]\,,\,\, mark[markIndex])
45
                            for i in range(k):
46
                                         plt.plot(centroids[i, 0], centroids[i, 1], mark[i], markersize = 15)
                            plt.title('Clustering', size=20)
47
48
                            plt.show()
49
50
               def main():
51
                            dataMat = finalData
52
                            myCentroids, clustAssing= kMeans(dataMat,3)
                            print (myCentroids)
54
                            show(dataMat, 3, myCentroids, clustAssing)
55
56
57
               if __name__ == '__main__':
58
                           main()
                       The centers are:
                       [[ 2.17729736e+03 -5.93809671e+01]
                          [-3.19153554e+02 -1.25394223e+00]
           3
```

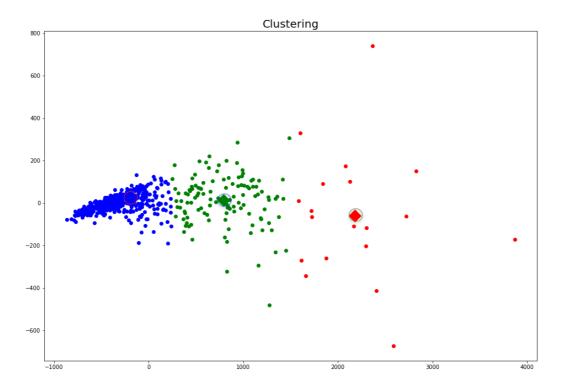
Python

These are the 3 center points, and these will shown in the next figure. I use the circle to mark them.

[ 7.89654752e+02 1.37700793e+01]]

#coding=utf-8
from numpy import \*

2



# 6. What is the relationship between each columns?

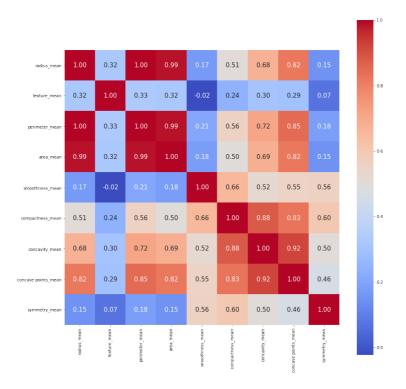
It is really a interesting dataset, there are more than 30 columns which is independent on the breast cancer. I want to know the relationship between each one, in other words, which column is link to another? Therefore I use the heatmap and show them as below.

```
python

f,ax=plt.subplots(figsize = (18,18))
sns.heatmap(data.corr(),annot= True,linewidths=0.5,fmt = ".2f",ax=ax,cmap= 'coolwarm')
plt.xticks(rotation=90)
plt.yticks(rotation=0)
plt.title('Correlation Map', size=20)
plt.show()
```

_													Со	rre	lat	ior	ı M	ар														1.00	
radius_mean =	1.00	0.32	1.00	0.99	0.17	0.51	0.68	0.82	0.15	-0.31	0.68	-0.10	0.67	0.74	-0.22	0.21	0.19	0.38	-0.10	-0.04	0.97	0.30	0.97	0.94	0.12	0.41	0.53	0.74	0.16	0.01		1.00	
texture_mean -	0.32	1.00	0.33	0.32	-0.02	0.24	0.30	0.29	0.07	-0.08	0.28	0.39	0.28	0.26	0.01	0.19	0.14	0.16	0.01	0.05	0.35	0.91	0.36	0.34	0.08	0.28	0.30	0.30	0.11	0.12			
perimeter_mean =	1.00	0.33	1.00	0.99	0.21	0.56	0.72	0.85	0.18	-0.26	0.69	-0.09	0.69	0.74	-0.20	0.25	0.23	0.41	-0.08	-0.01	0.97	0.30	0.97	0.94	0.15	0.46	0.56	0.77	0.19	0.05			
area_mean -	0.99	0.32	0.99	1.00	0.18	0.50	0.69	0.82	0.15	-0.28	0.73	-0.07	0.73	0.80	-0.17	0.21	0.21	0.37	-0.07	-0.02	0.96	0.29	0.96	0.96	0.12	0.39	0.51		0.14	0.00			
smoothness_mean -	0.17	-0.02	0.21	0.18	1.00	0.66	0.52	0.55	0.56	0.58	0.30	0.07	0.30	0.25	0.33	0.32	0.25	0.38	0.20	0.28	0.21	0.04	0.24	0.21	0.81	0.47	0.43	0.50	0.39	0.50			
compactness_mean -	0.51	0.24	0.56	0.50	0.66	1.00	0.88	0.83	0.60	0.57	0.50	0.05	0.55	0.46	0.14	0.74	0.57	0.64	0.23	0.51	0.54	0.25	0.59	0.51	0.57	0.87	0.82	0.82	0.51	0.69		- 0.75	
concavity_mean -	0.68	0.30	0.72	0.69	0.52	0.88	1.00	0.92	0.50	0.34	0.63	0.08	0.66	0.62	0.10	0.67	0.69	0.68	0.18	0.45	0.69	0.30	0.73	0.68	0.45	0.75	0.88		0.41	0.51			
concave points_mean -	0.82	0.29	0.85	0.82	0.55	0.83	0.92	1.00	0.46	0.17	0.70	0.02	0.71	0.69	0.03	0.49	0.44	0.62	0.10	0.26	0.83	0.29	0.86	0.81	0.45	0.67	0.75	0.91	0.38	0.37			
symmetry_mean -	0.15	0.07	0.18	0.15	0.56	0.60	0.50	0.46	1.00	0.48	0.30	0.13	0.31	0.22	0.19	0.42	0.34	0.39	0.45	0.33	0.19	0.09	0.22	0.18	0.43	0.47	0.43	0.43	0.70	0.44			
fractal_dimension_mean -	0.31	-0.08	-0.26	-0.28	0.58	0.57	0.34	0.17	0.48	1.00	0.00	0.16	0.04	-0.09	0.40	0.56	0.45	0.34	0.35	0.69	-0.25	-0.05	-0.21	-0.23	0.50	0.46	0.35	0.18	0.33	0.77			
radius_se -	0.68	0.28	0.69	0.73	0.30	0.50	0.63	0.70	0.30	0.00	1.00	0.21	0.97	0.95	0.16	0.36	0.33	0.51	0.24	0.23	0.72	0.19	0.72	0.75	0.14	0.29	0.38	0.53	0.09	0.05			
texture_se -	0.10	0.39	-0.09	-0.07	0.07	0.05	0.08	0.02	0.13	0.16	0.21	1.00	0.22	0.11	0.40	0.23	0.19	0.23	0.41	0.28	-0.11	0.41	-0.10	-0.08	0.07	-0.09	-0.07	-0.12	-0.13	-0.05		- 0.50	
perimeter_se -	0.67	0.28	0.69	0.73	0.30	0.55	0.66	0.71	0.31	0.04	0.97	0.22	1.00	0.94	0.15	0.42	0.36	0.56	0.27	0.24	0.70	0.20	0.72	0.73	0.13	0.34	0.42	0.55	0.11	0.09			
area_se -	0.74	0.26	0.74	0.80	0.25	0.46	0.62	0.69	0.22	-0.09	0.95	0.11	0.94	1.00	0.08	0.28	0.27	0.42	0.13	0.13	0.76	0.20	0.76	0.81	0.13	0.28	0.39	0.54	0.07	0.02			
smoothness_se -	0.22	0.01	-0.20	-0.17	0.33	0.14	0.10	0.03	0.19	0.40	0.16	0.40	0.15	0.08	1.00	0.34	0.27	0.33	0.41	0.43	-0.23	-0.07	-0.22	-0.18	0.31	-0.06	-0.06	-0.10	-0.11	0.10			
compactness_se -	0.21	0.19	0.25	0.21	0.32	0.74	0.67	0.49	0.42	0.56	0.36	0.23	0.42	0.28	0.34	1.00	0.80	0.74	0.39	0.80	0.20	0.14	0.26	0.20	0.23	0.68	0.64	0.48	0.28	0.59			
concavity_se -	0.19	0.14	0.23	0.21	0.25	0.57	0.69	0.44	0.34	0.45	0.33	0.19	0.36	0.27	0.27	0.80	1.00	0.77	0.31	0.73	0.19	0.10	0.23	0.19	0.17	0.48	0.66	0.44	0.20	0.44			
concave points_se -	0.38	0.16	0.41	0.37	0.38	0.64	0.68	0.62	0.39	0.34	0.51	0.23	0.56	0.42	0.33	0.74	0.77	1.00	0.31	0.61	0.36	0.09	0.39	0.34	0.22	0.45	0.55	0.60	0.14	0.31		- 0.25	
symmetry_se -	0.10	0.01	-0.08	-0.07	0.20	0.23	0.18	0.10	0.45	0.35	0.24	0.41	0.27	0.13	0.41	0.39	0.31	0.31	1.00	0.37	-0.13	-0.08	-0.10	0.11	0.01	0.06	0.04	-0.03	0.39	0.08			
fractal_dimension_se -	0.04	0.05	-0.01	-0.02	0.28	0.51	0.45	0.26	0.33	0.69	0.23	0.28	0.24	0.13	0.43	0.80	0.73	0.61	0.37	1.00	-0.04	-0.00	-0.00	-0.02	0.17	0.39	0.38	0.22	0.11	0.59			
radius_worst -	0.97	0.35	0.97	0.96	0.21	0.54	0.69	0.83	0.19	-0.25	0.72	-0.11	0.70	0.76	-0.23	0.20	0.19	0.36	-0.13	-0.04	1.00	0.36	0.99	0.98	0.22	0.48	0.57	0.79	0.24	0.09			
texture_worst -	0.30	0.91	0.30	0.29	0.04	0.25	0.30	0.29	0.09	-0.05	0.19	0.41	0.20	0.20	-0.07	0.14	0.10	0.09	-0.08	-0.00	0.36	1.00	0.37	0.35	0.23	0.36	0.37	0.36	0.23	0.22			
perimeter_worst -	0.97	0.36	0.97	0.96	0.24	0.59	0.73	0.86	0.22	-0.21	0.72	-0.10	0.72	0.76	-0.22	0.26	0.23	0.39	-0.10	-0.00	0.99	0.37	1.00	0.98	0.24	0.53	0.62	0.82	0.27	0.14		- 0.00	
area_worst -	0.94	0.34	0.94	0.96	0.21	0.51	0.68	0.81	0.18	-0.23	0.75	-0.08	0.73	0.81	-0.18	0.20	0.19	0.34	-0.11	-0.02	0.98	0.35	0.98	1.00	0.21	0.44	0.54	0.75	0.21	0.08		0.00	
smoothness_worst -	0.12	0.08	0.15	0.12	0.81	0.57	0.45	0.45	0.43	0.50	0.14	-0.07	0.13	0.13	0.31	0.23	0.17	0.22	-0.01	0.17	0.22	0.23	0.24	0.21	1.00	0.57	0.52	0.55	0.49	0.62			
compactness_worst -	0.41	0.28	0.46	0.39	0.47	0.87	0.75	0.67	0.47	0.46	0.29	-0.09	0.34	0.28	-0.06	0.68	0.48	0.45	0.06	0.39	0.48	0.36	0.53	0.44	0.57	1.00	0.89	0.80	0.61	0.81			
concavity_worst -	0.53	0.30	0.56	0.51	0.43	0.82	0.88	0.75	0.43	0.35	0.38	-0.07	0.42	0.39	-0.06	0.64	0.66	0.55	0.04	0.38	0.57	0.37	0.62	0.54	0.52	0.89	1.00	0.86	0.53	0.69			
concave points_worst -	0.74	0.30	0.77	0.72	0.50	0.82	0.86	0.91	0.43	0.18	0.53	-0.12	0.55	0.54	-0.10	0.48	0.44	0.60	-0.03	0.22	0.79	0.36	0.82	0.75	0.55	0.80	0.86	1.00	0.50	0.51			
symmetry_worst -	0.16	0.11	0.19	0.14	0.39	0.51	0.41	0.38	0.70	0.33	0.09	-0.13	0.11	0.07	-0.11	0.28	0.20	0.14	0.39	0.11	0.24	0.23	0.27	0.21	0.49	0.61	0.53	0.50	1.00	0.54		0.2	5
fractal_dimension_worst -	0.01	0.12	0.05	0.00	0.50	0.69	0.51	0.37	0.44	0.77	0.05	-0.05	0.09	0.02	0.10	0.59	0.44	0.31	0.08	0.59	0.09	0.22	0.14	0.08	0.62	0.81	0.69	0.51	0.54	1.00			
	radius_mean -	texture_mean_	perimeter_mean -	area_mean_	smoothness_mean -	compactness_mean _	concavity_mean -	oncave points_mean -	symmetry_mean -	al_dimension_mean -	radius_se -	texture_se_	perimeter_se -	area_se -	smoothness_se -	compactness_se	concavity_se -	concave points_se -	symmetry_se -	actal_dimension_se -	radius_worst -	texture_worst -	perimeter_worst -	area_worst -	smoothness_worst -	compactness_worst -	concavity_worst -	oncave points_worst -	symmetry_worst -	al_dimension_worst -		_	

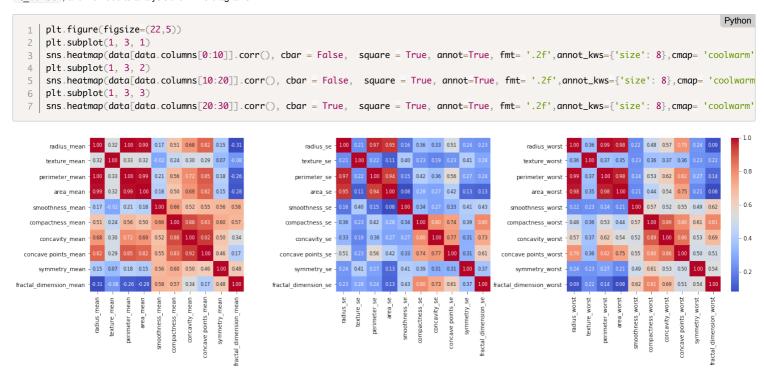
And there is another figure I have got.



With the help of this heat map we can know that:

- compactness\_mean , concavity\_mean and concavepoint\_mean are highly correlated.
- radius , area and parimeter are highly correlated.
- compactness\_mean , concavity\_mean and concave points\_mean are correlated with each other.

We want to know the relationship between each two columns, therefore we get this 'heatmap'. The range of the number in the matrix is between [-1, 1]. The lightest '1.0' means that two variable are positively correlated with each other, and '-1.0' means negatively correlated with each other. And we find that there are 3 different types, \\_mean \, \\_se \, \\_worst \, and we need to analysis them in 3 diagrams. \( \frac{4}{2} \)



# 7. Future Data Preprocessing

I have used pca to transform a high-dimensional dataset to a 2-D dataset which I could easily plot. But with this step, it must lost some informations, if I could plot a 3-D or 4-D figure, it will be more real. 4-D figure is based on 3-D and paint different points with different colors.

### 8. Lessons Learnt

During this lecture, I have learnt PCA, SOM, clustering and the most important skills to deal with a huge dataset. When I face to a high-dimensional dataset, I could use some skills to pick up the useful points and get the most importang columns to do the next analysis, which could help me to decrease the calculating time and CPU time, and make the data be easy visualization. Mining informations from datasets is really useful in the real world.

# 9. Future Investigation

I am interesting about the data mining, and interested in the financial sector, I would like to use both of the data mining skills and some financial fundamentals to do the interesting things. In Delivering Deal Value part, I want to do some analysis research about many companies and try to validate their business decisions. For example, if I could log in the database of the company like *TaoBao* or *eBuy*, I need to get the Transaction Details Bills which include the information about the customers and products, therefore I could know which one or which kinds of products is more popular and as for each customer, I can know which kinds of products he likes, and I can offer him a special advertising.

The code named Breast\_Cancer.py is in the folder

- 1. Breast Cancer Wisconsin (Diagnostic) Data Set https://archive.ics.uci.edu/ml/datasets/Breast+Cancer+Wisconsin+%28Diagnostic%29 户
- 2. PCA tutorial, <a href="http://sebastianraschka.com">http://sebastianraschka.com</a> ←
- 3. This is a tutorial from a web site <a href="https://algobeans.com">https://algobeans.com</a> ←
- 4. https://blog.csdn.net/qq\_37904945/article/details/79785913 ←